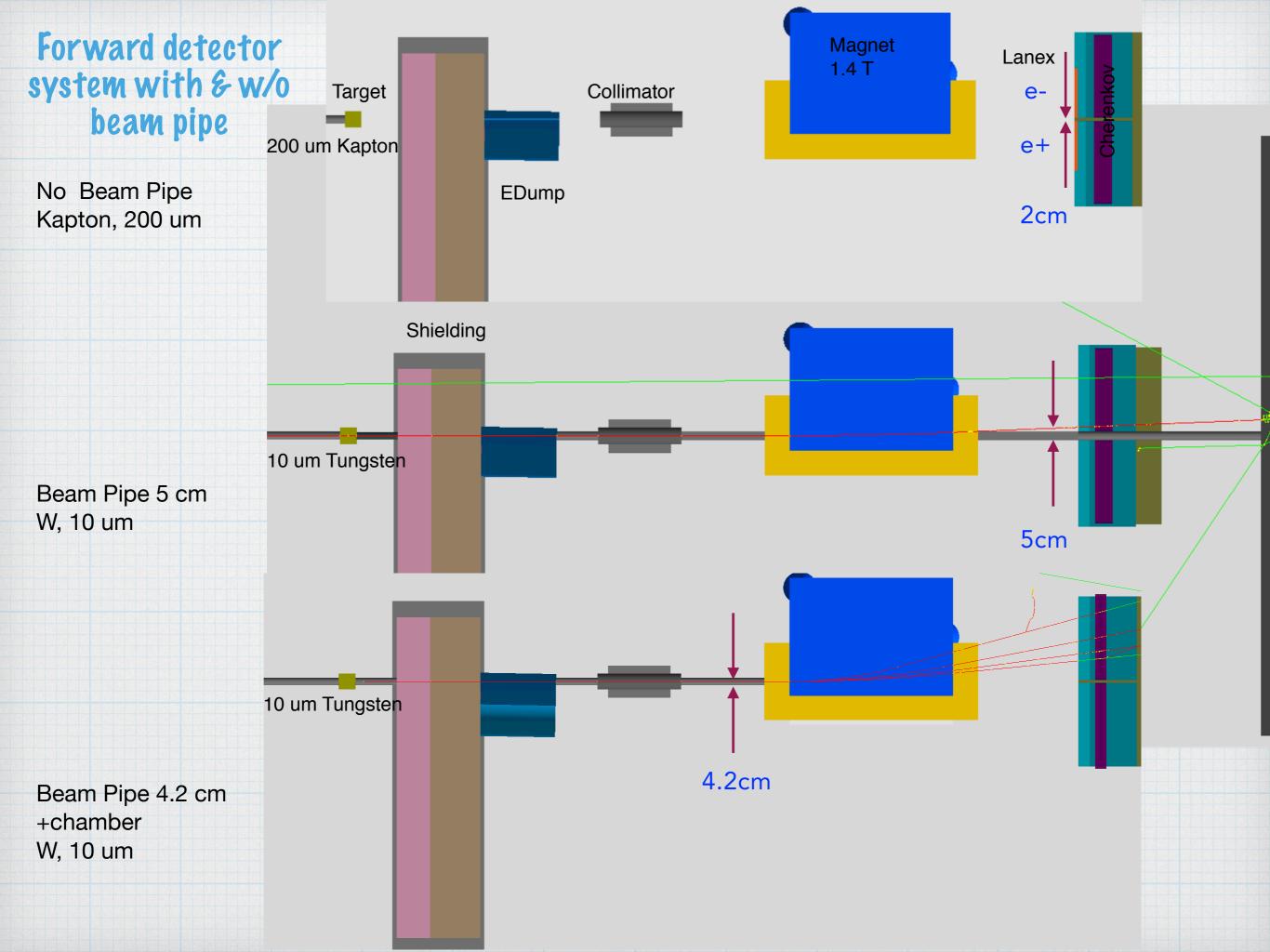
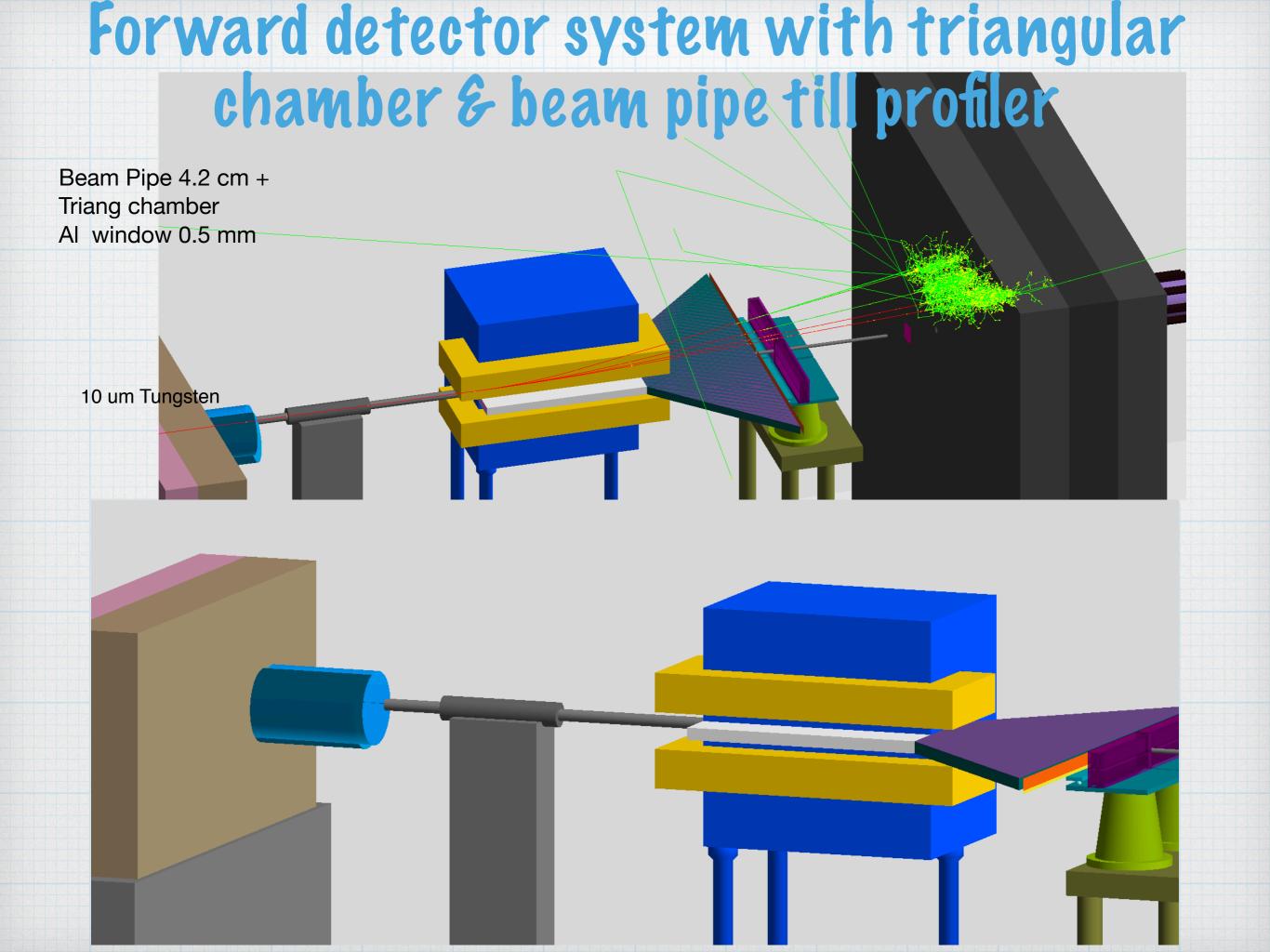
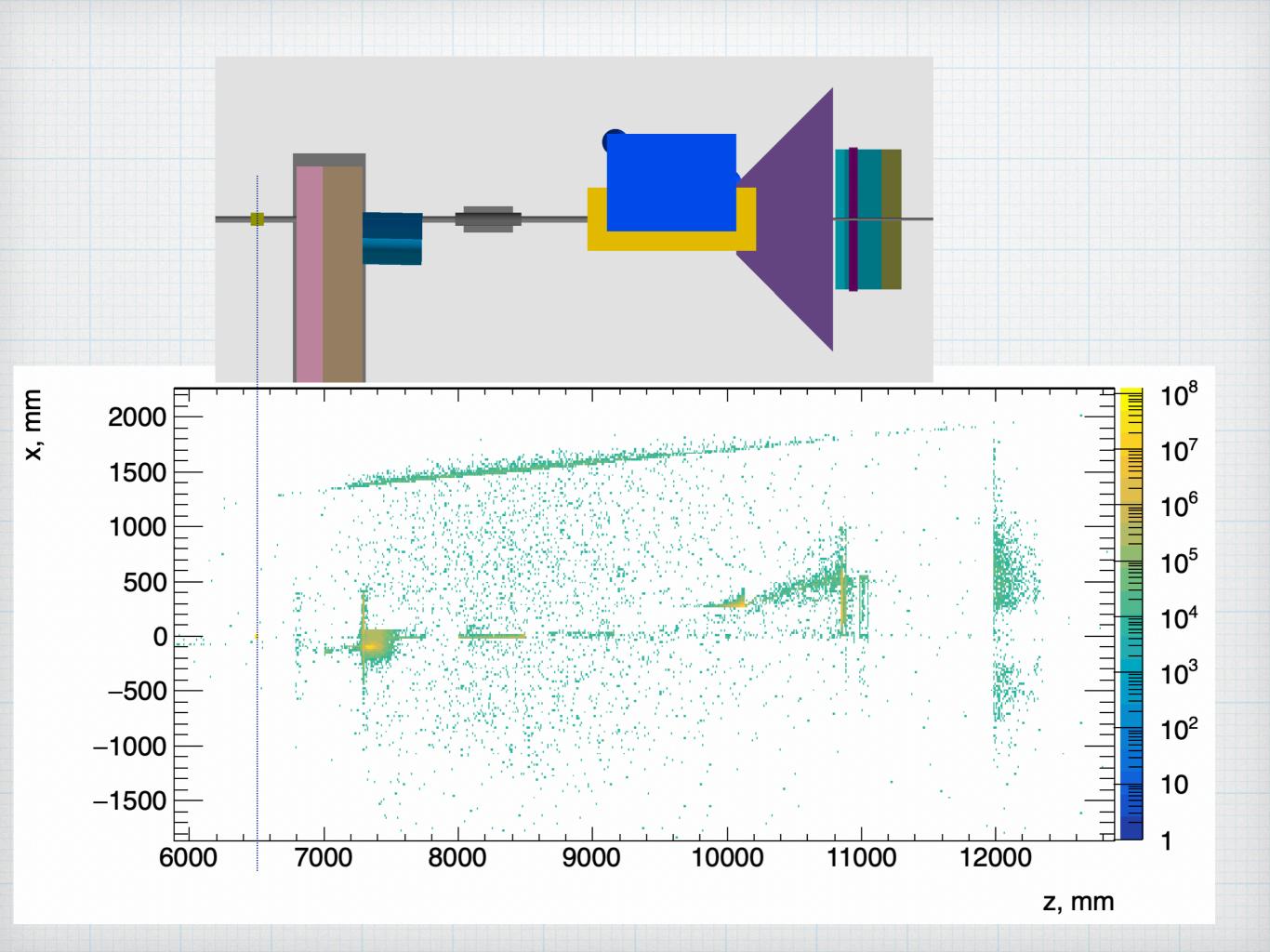
Beam pipe with chamber

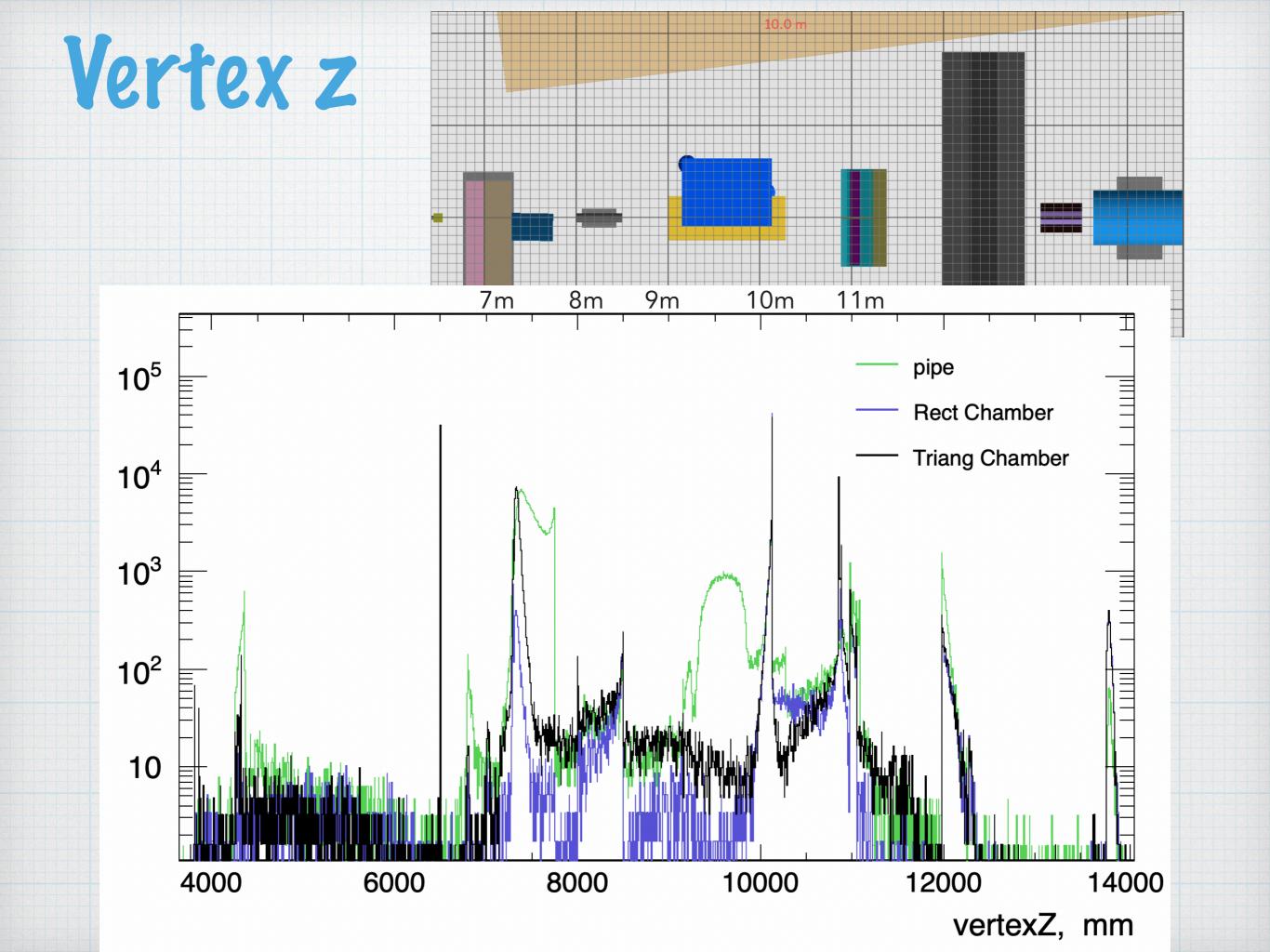
Borysova Maryna (KINR) 04/04/21 LUXE S&A meeting

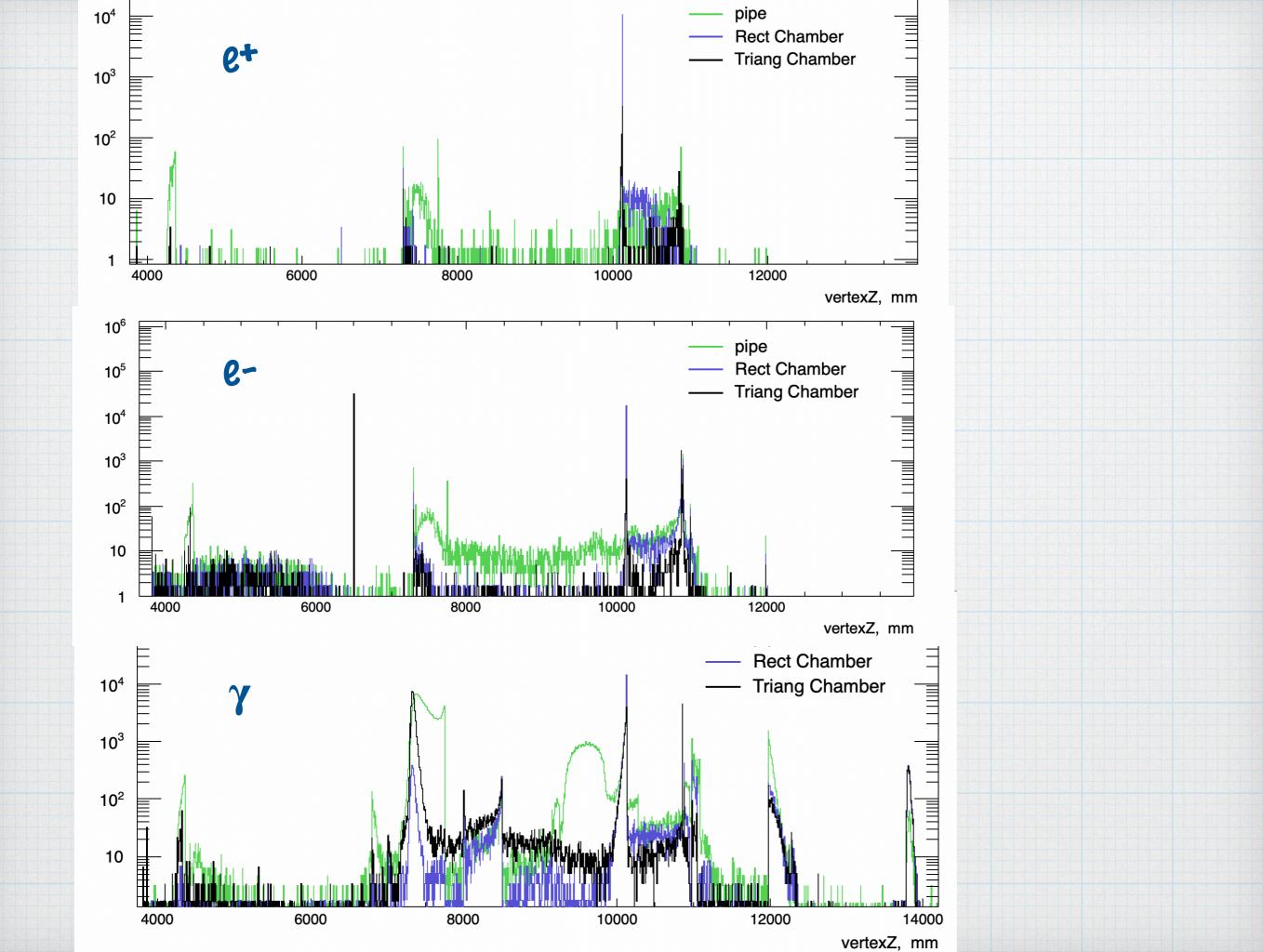




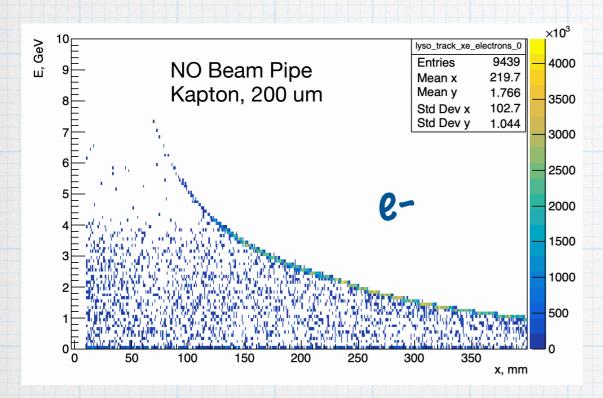


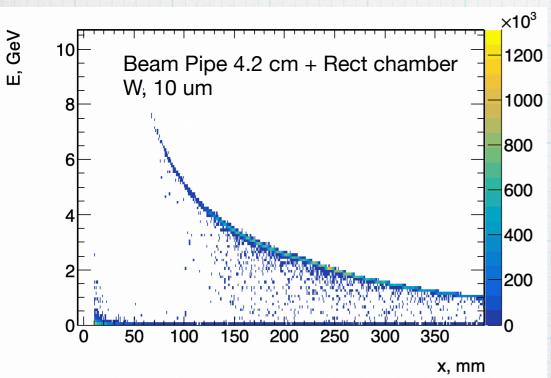


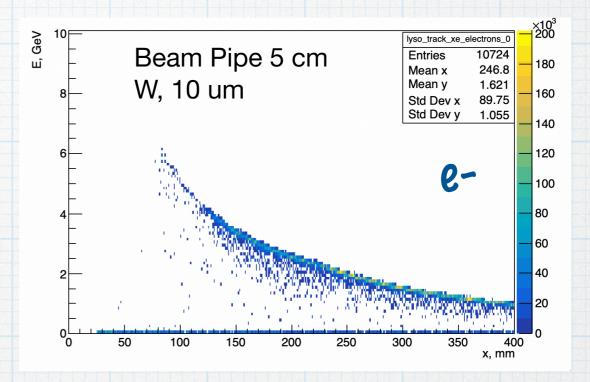


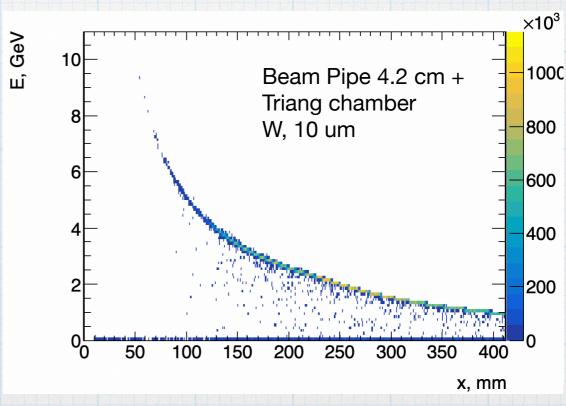


Energy vs position: electrons

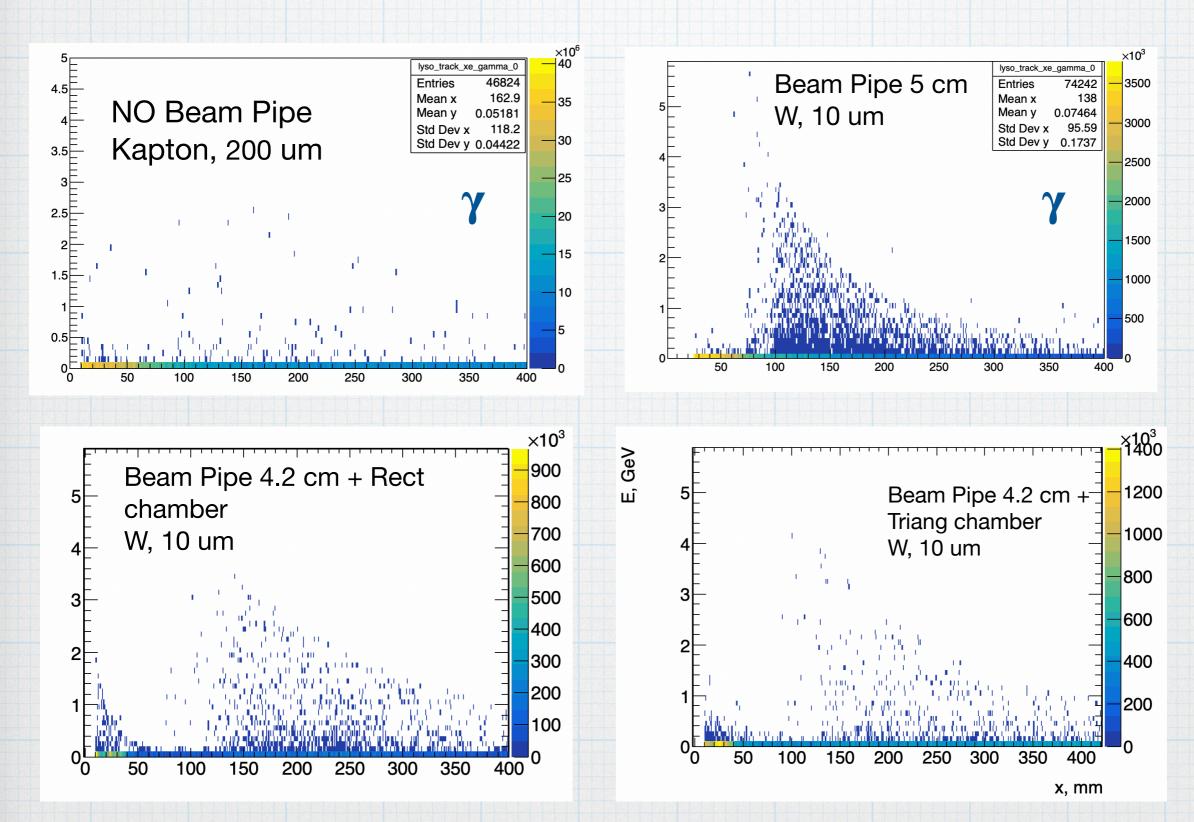






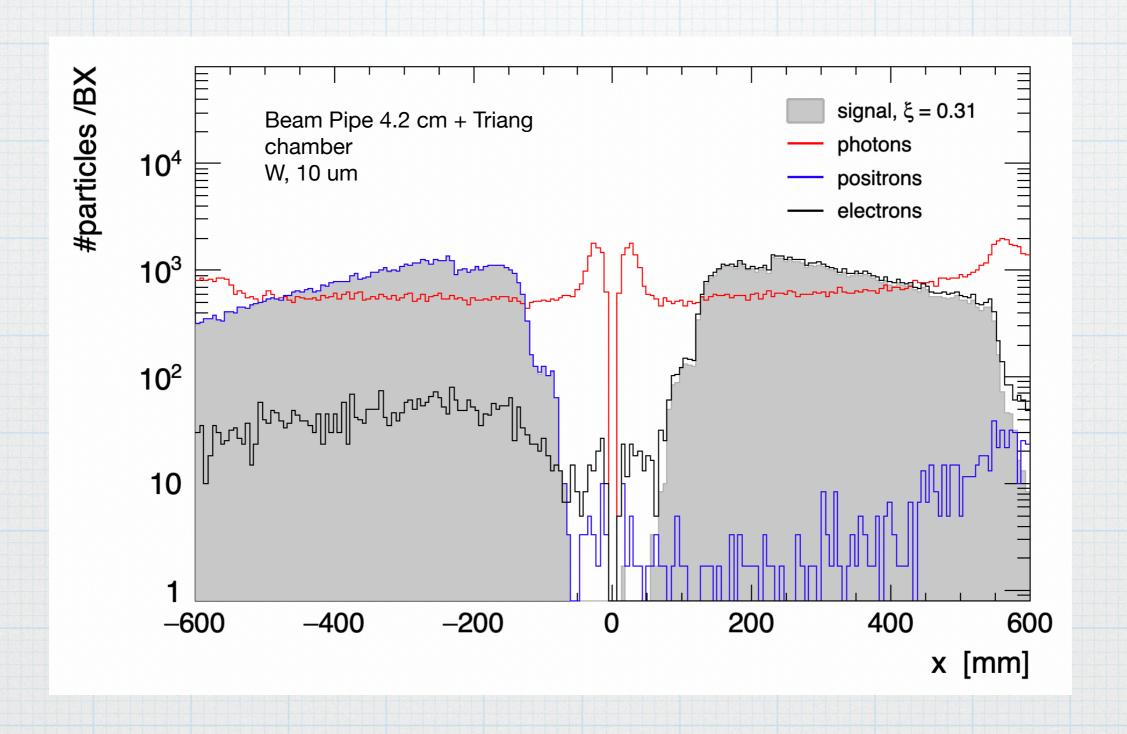


Energy vs position: photons



Energy-position correlation is cleaner in case of beam pipe and photons distribution shows that they were produced after the electron direction was defined.

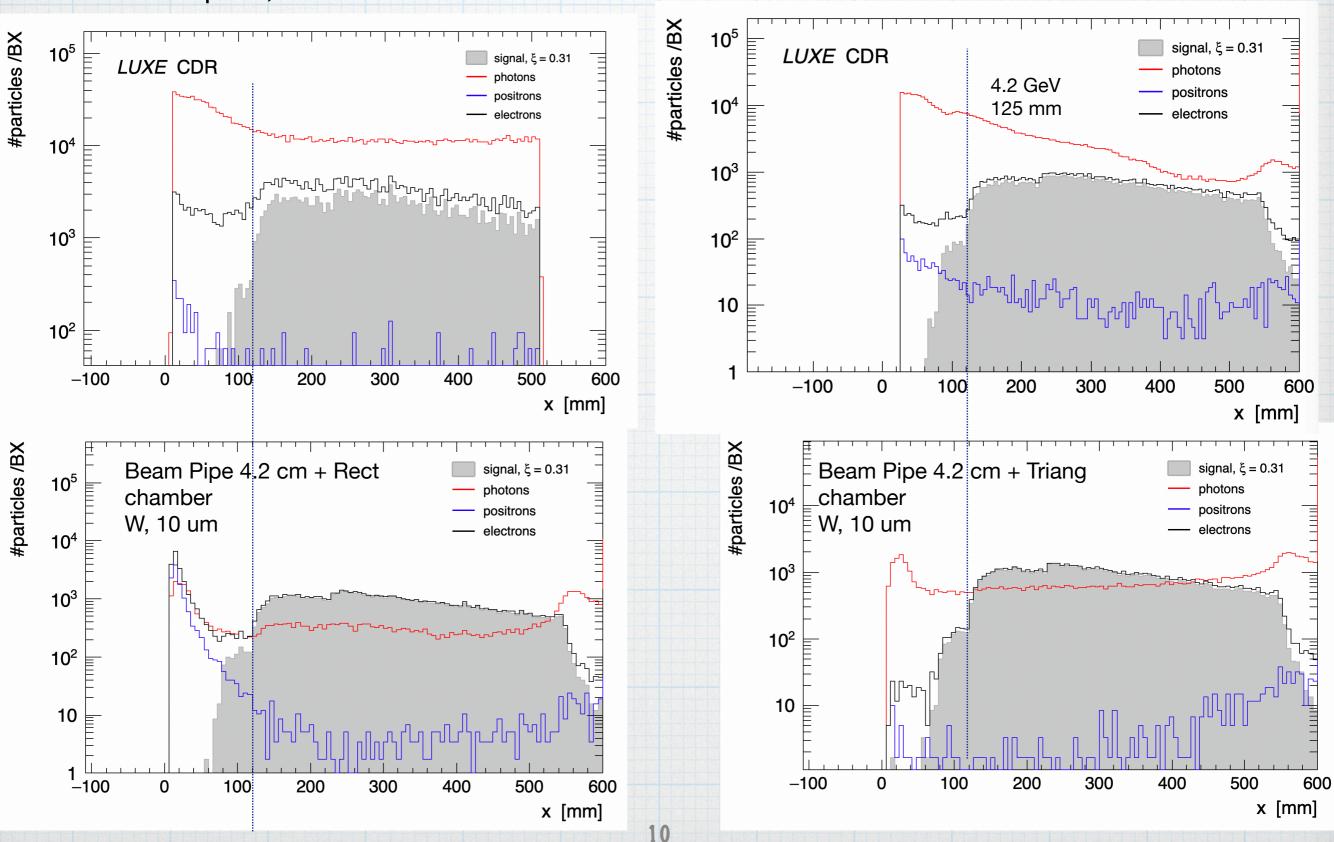
Tracks



Particles in electron arm

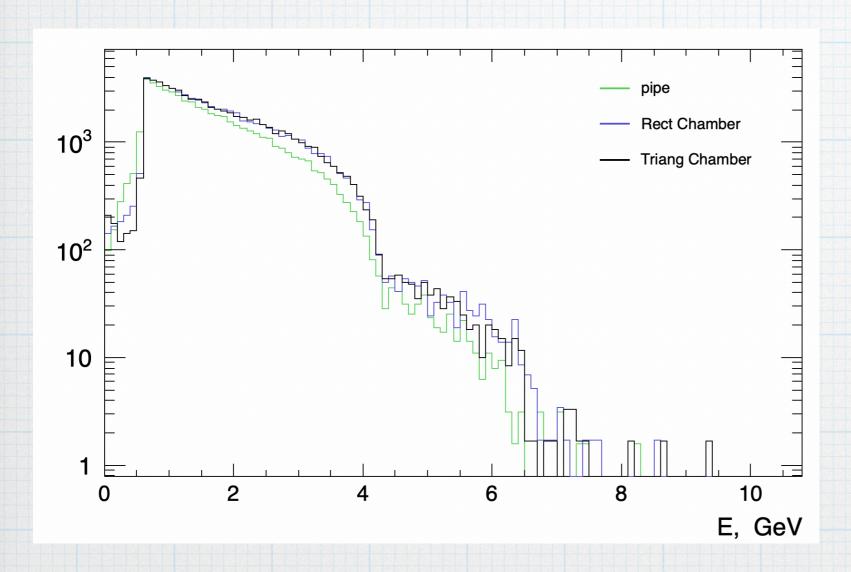
NO Beam Pipe Kapton, 200 um





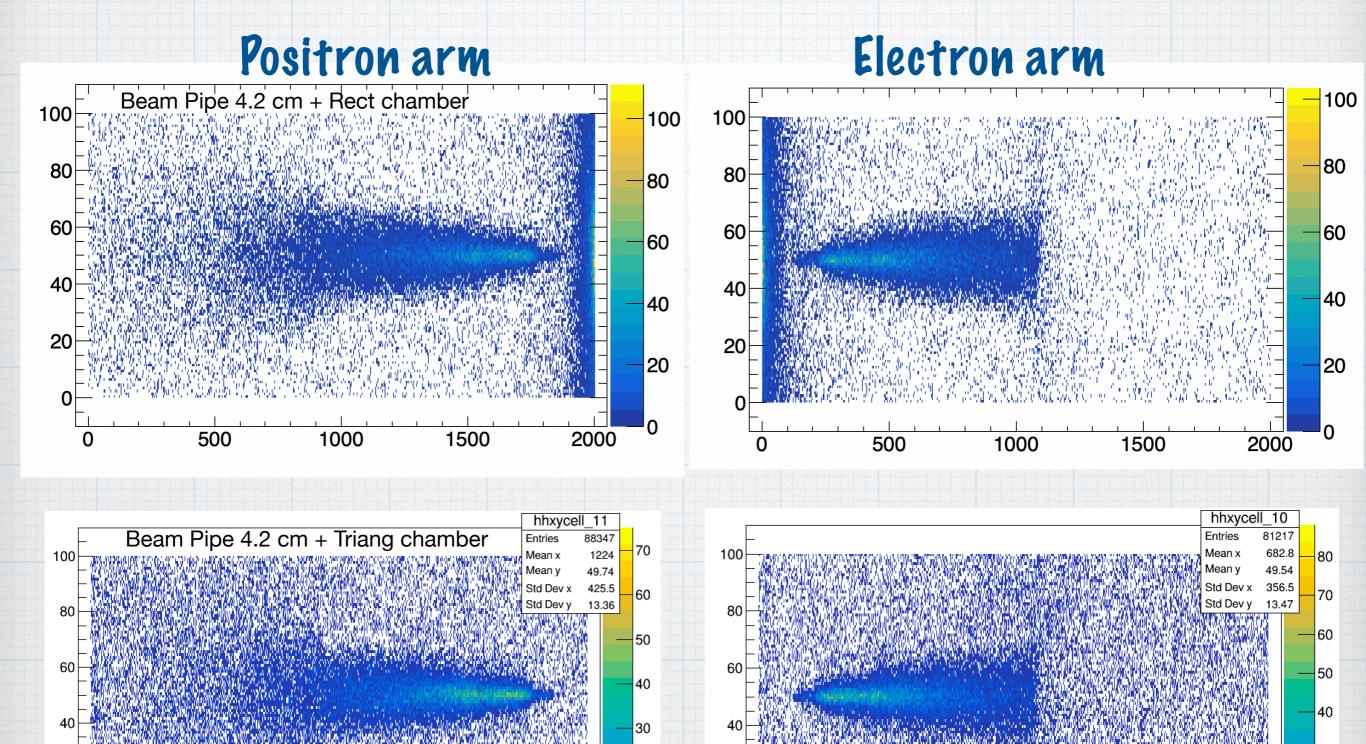
"True" spectra

JETI40, 16.5 GeV, 50 um



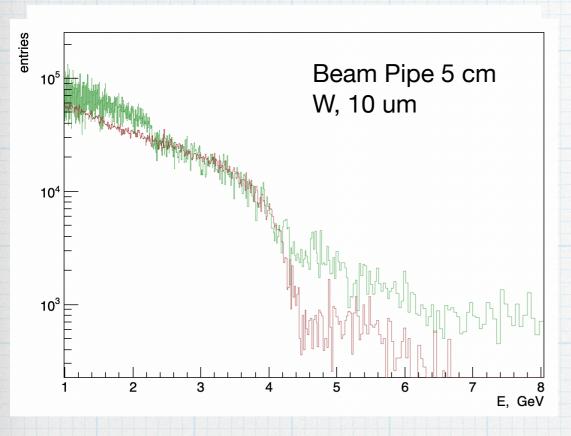
- Electrons/positrons generated in target by primary photon and which are hitting Lanex screens
- Consider air before the magnet as a target too
- * Selection
- detid == 3000/3001
- pdg ==11/-11
- Parent pdg ==22
- Parent == primary
- Primary pdg ==22
- |vtx x,y |<25 mm
- |vtx z 6.5 m |< 100 um
- vtx z > 6.5m -100um &&vtx z < 9m

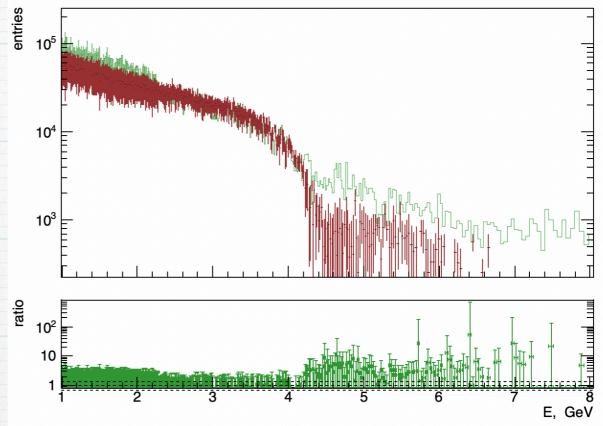
Deposited energy in Lanex, Beam pipe+chamber, ~4500 bx

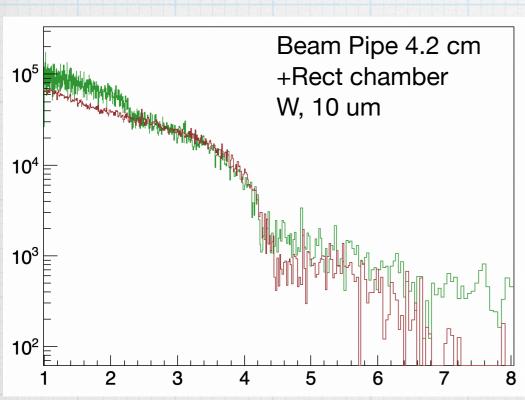


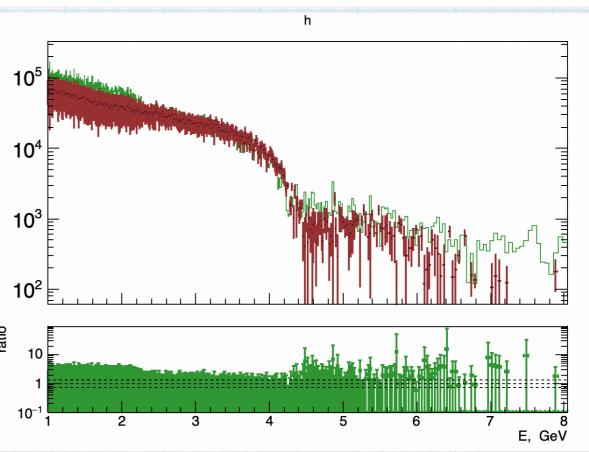
20

True vs Reconstructed

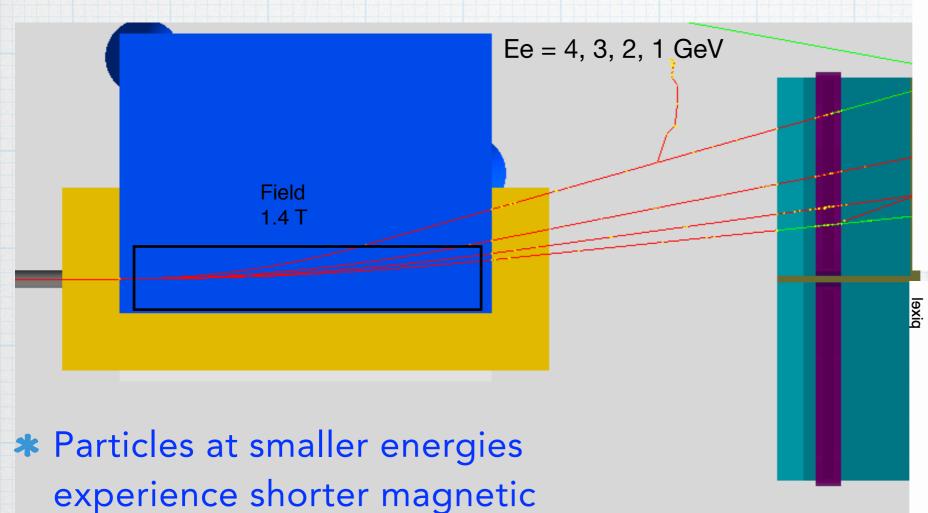






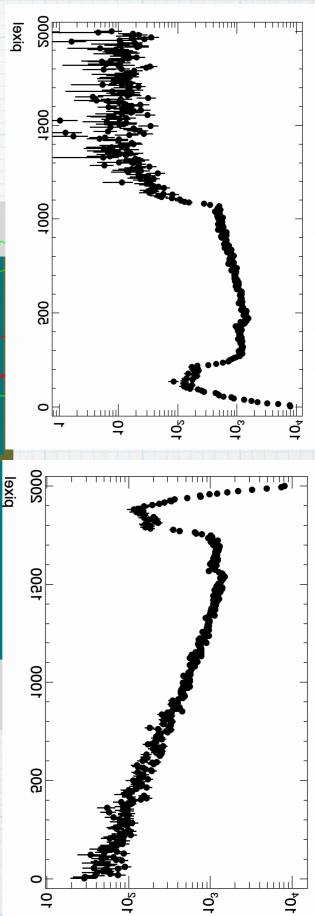


The reason for substructure at low E in reconstructed spectra

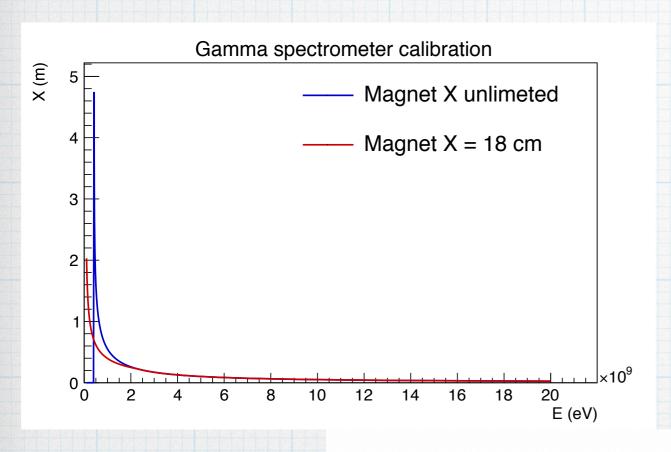


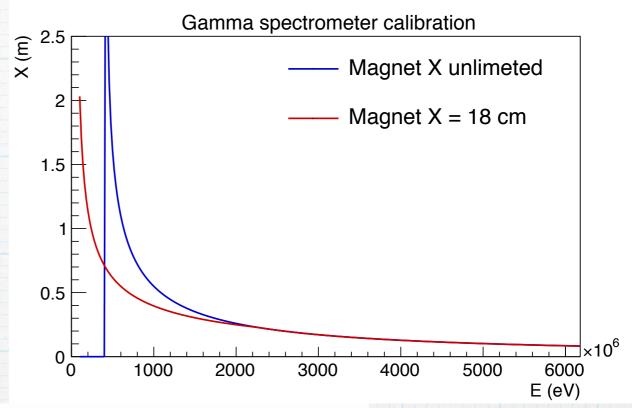
* Should be counted for in calibration, converting x-distributions into energy spectra

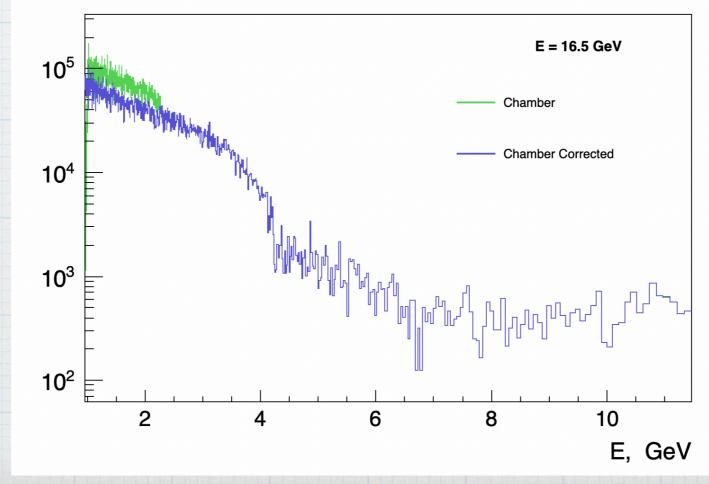
field



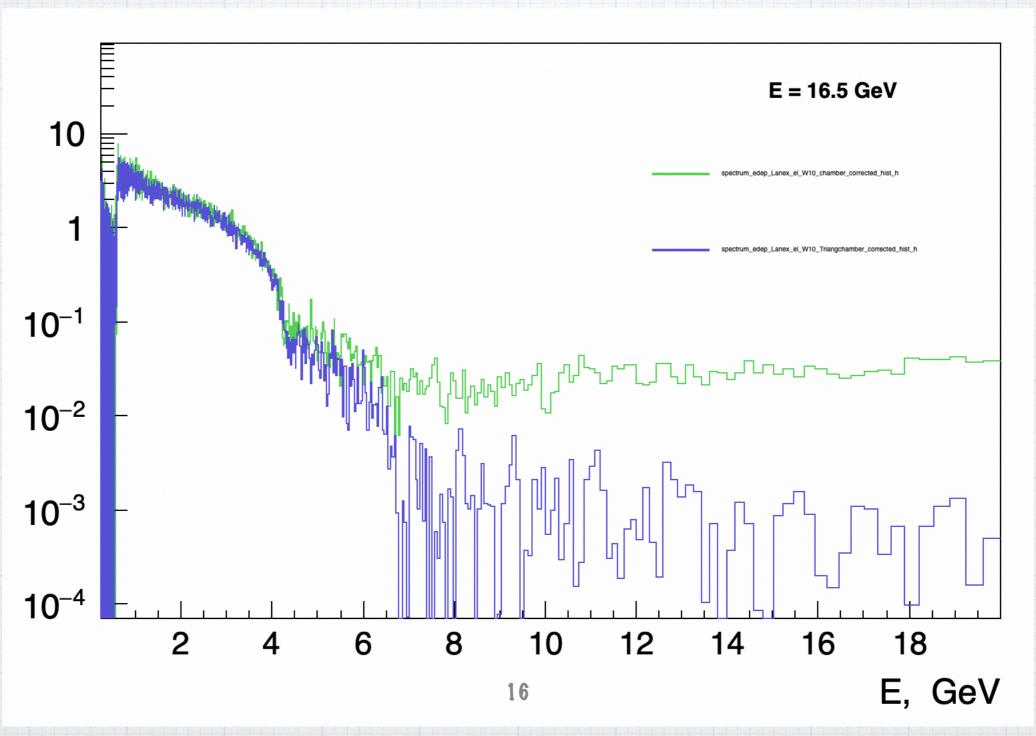
Corrected calibration







Reconstructed spectra: Rectangular vs Rectangular chamber

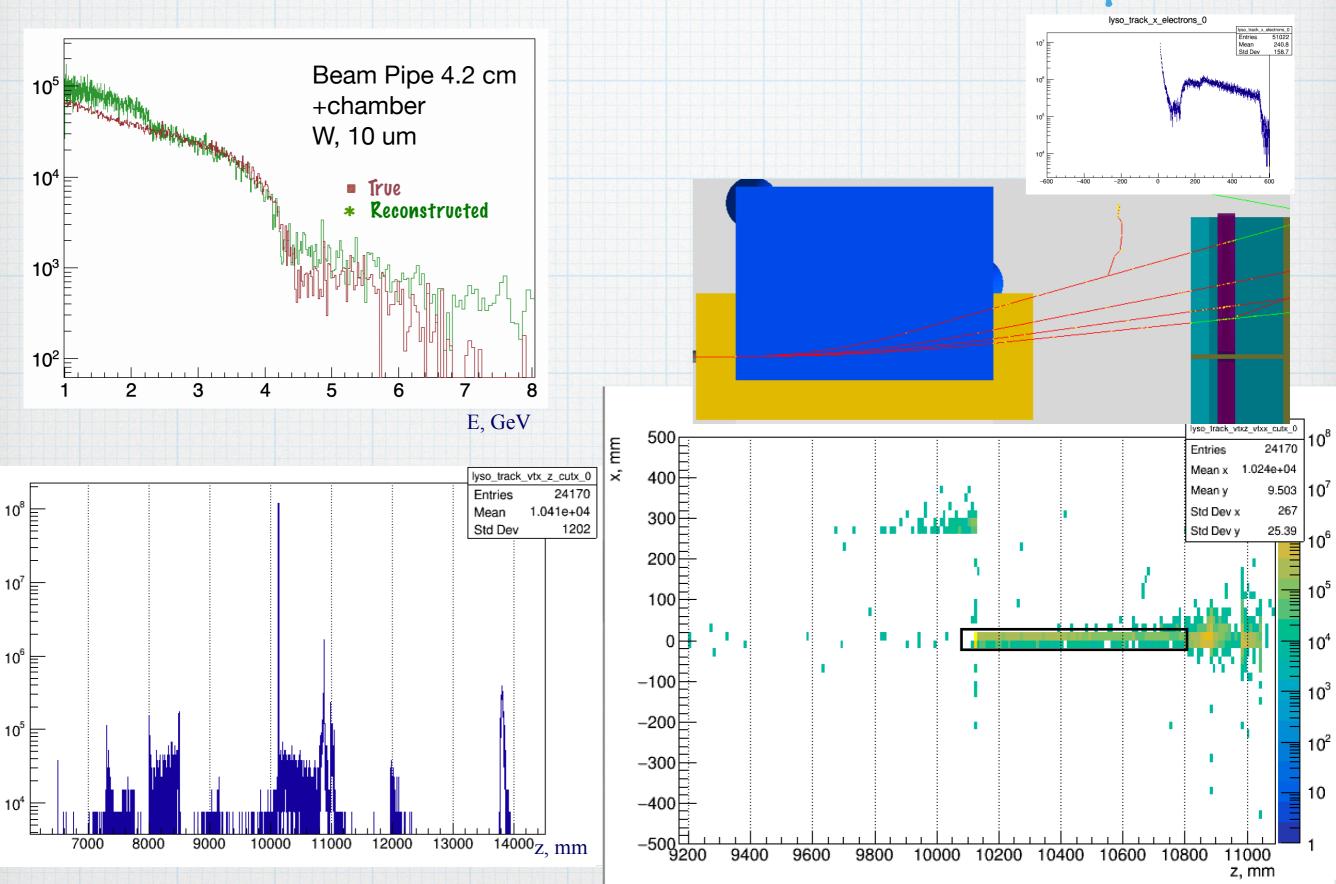


Summary

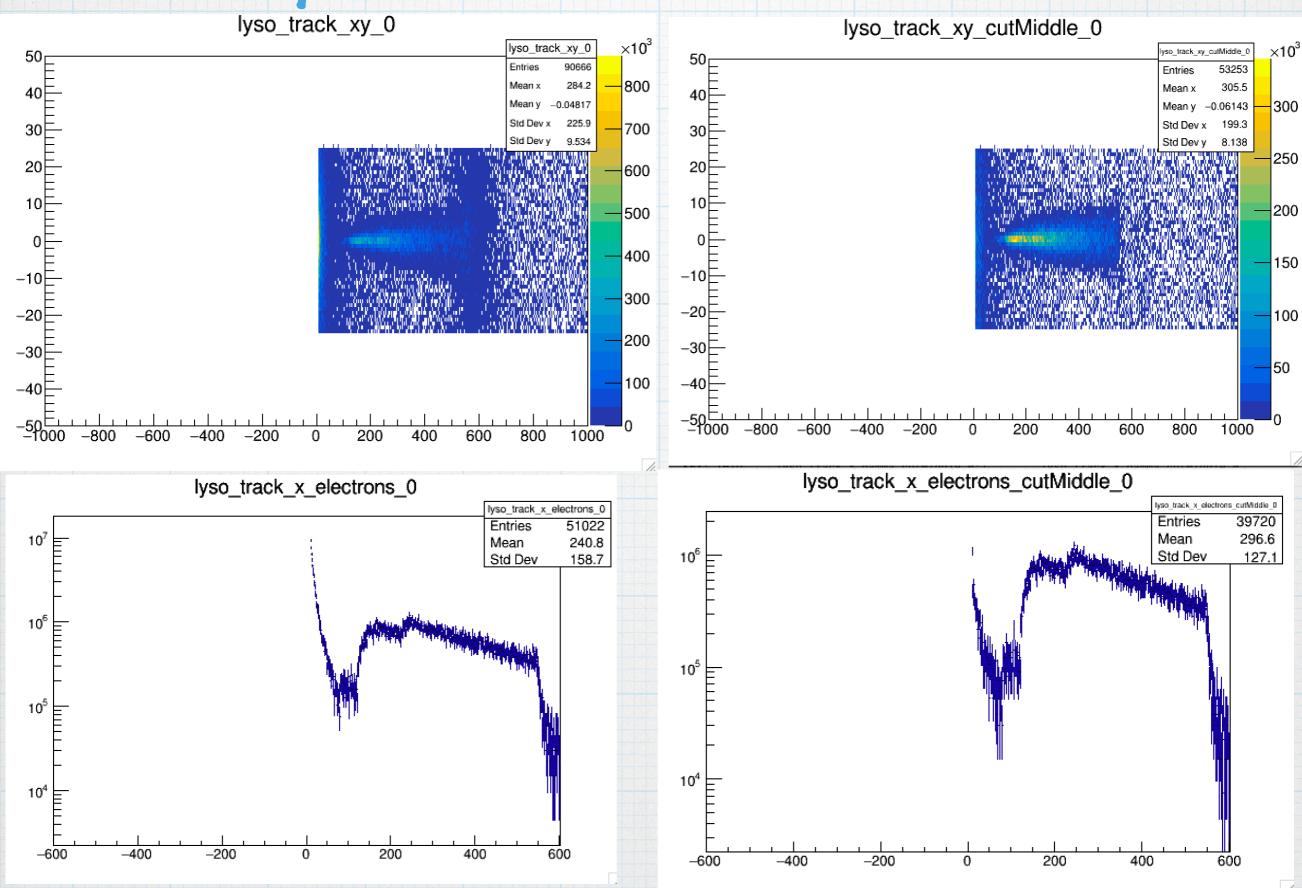
- * The performance of FDS setup was compared with pipe, with pipe and two types of chambers and without beam pipe from the target to Gamma spectrometer detectors
- * Beam pipe with chamber and target provide more clean signal formation
- * Even with shorter chamber where particles cross the window almost perpendicular to the window, the first edge is clearly seen and could be reconstructed
- * Corrected calibration
- * Reconstruction

Back up

The reason for substructure at low E in reconstructed spectra



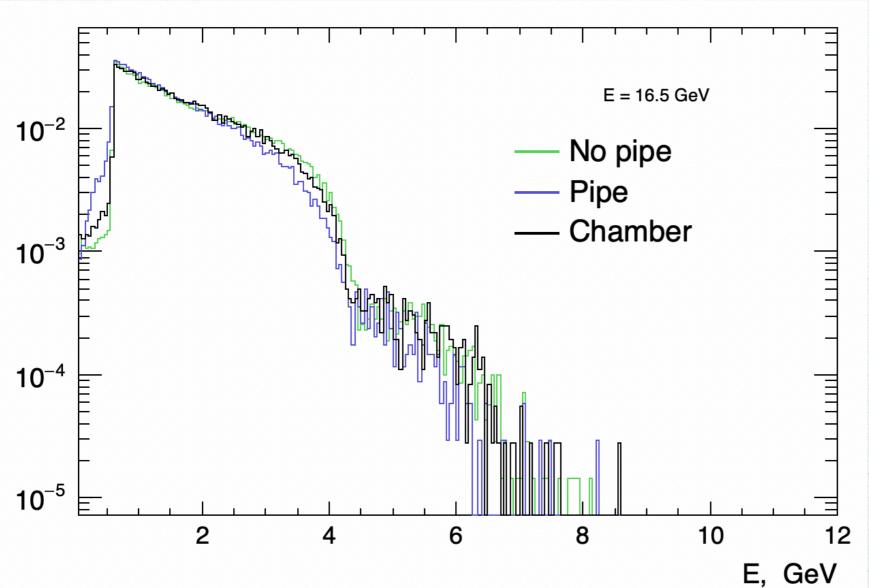
xy and x track distributions



* Beam pipe from chamber till Gamma profiler is necessary

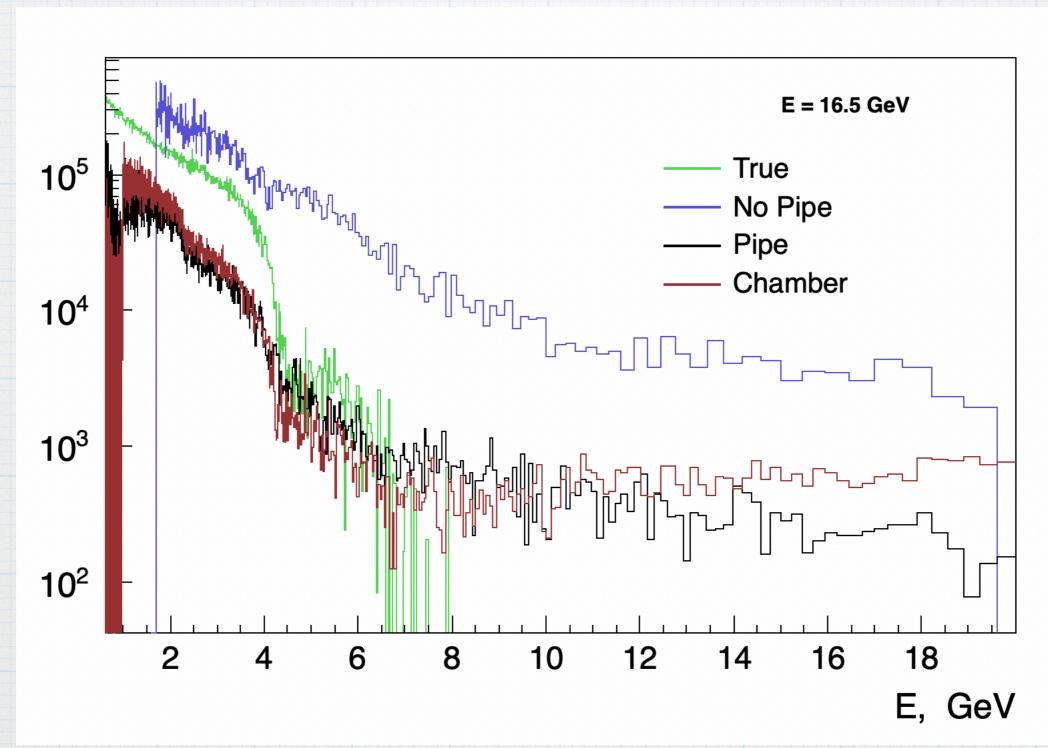
"True" spectra

JETI40, 16.5 GeV, 50 um

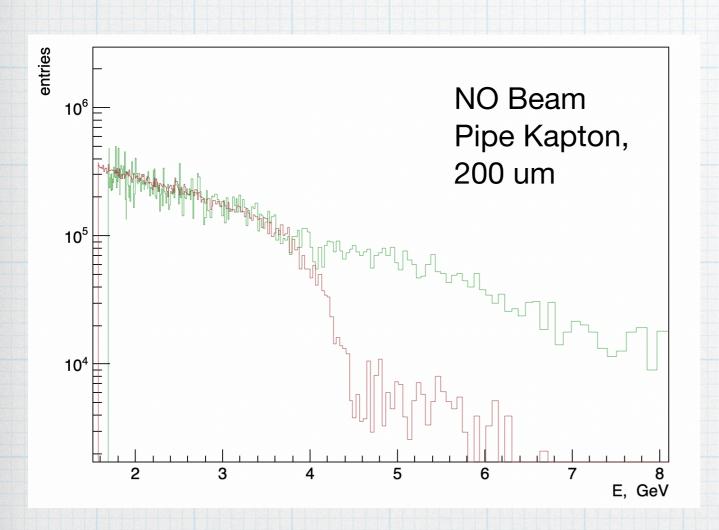


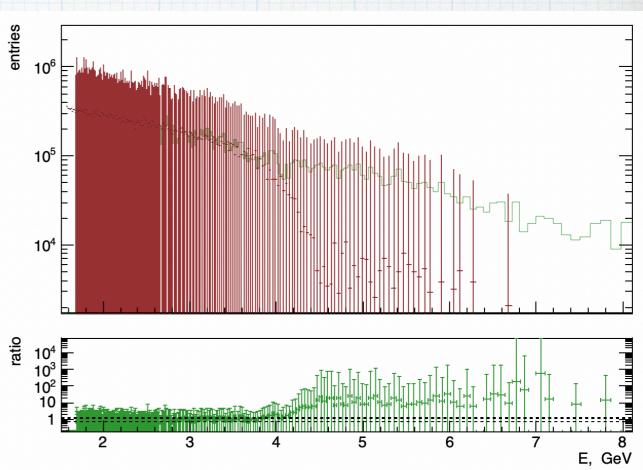
- Electrons/positrons generated in target by primary photon and which are hitting Lanex screens
- Consider air before the magnet as a target too
- * Selection
- detid == 3000/3001
- pdg ==11/-11
- Parent pdg ==22
- Parent == primary
- Primary pdg ==22
- |vtx x,y |<25 mm
- |vtx z 6.5 m |< 100 um
- vtx z > 6.5m -100um &&vtx z < 9m

Reconstructed spectra Not normalised



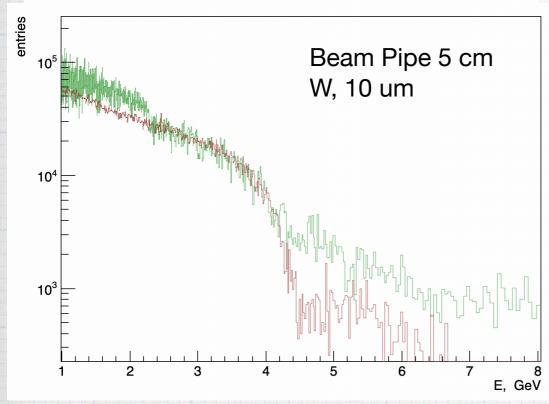
True vs Reconstructed





* Spectra were normalised on integral in Erange of [2.5; 3]

True vs Reconstructed



10⁴

10³

10²

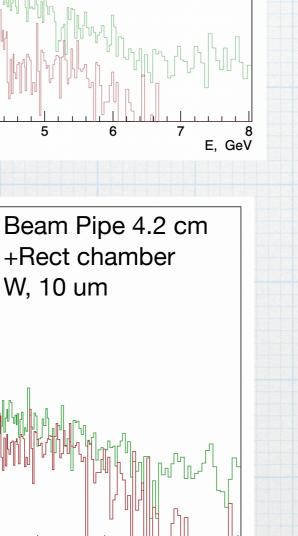
3

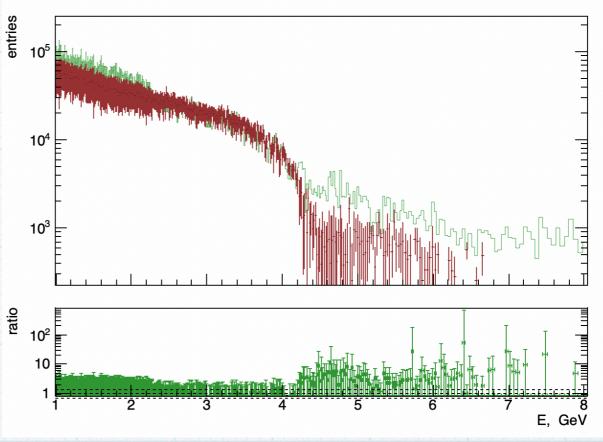
+Rect chamber

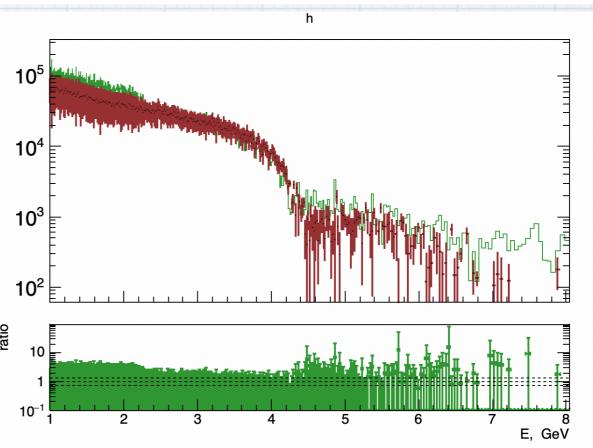
W, 10 um

5

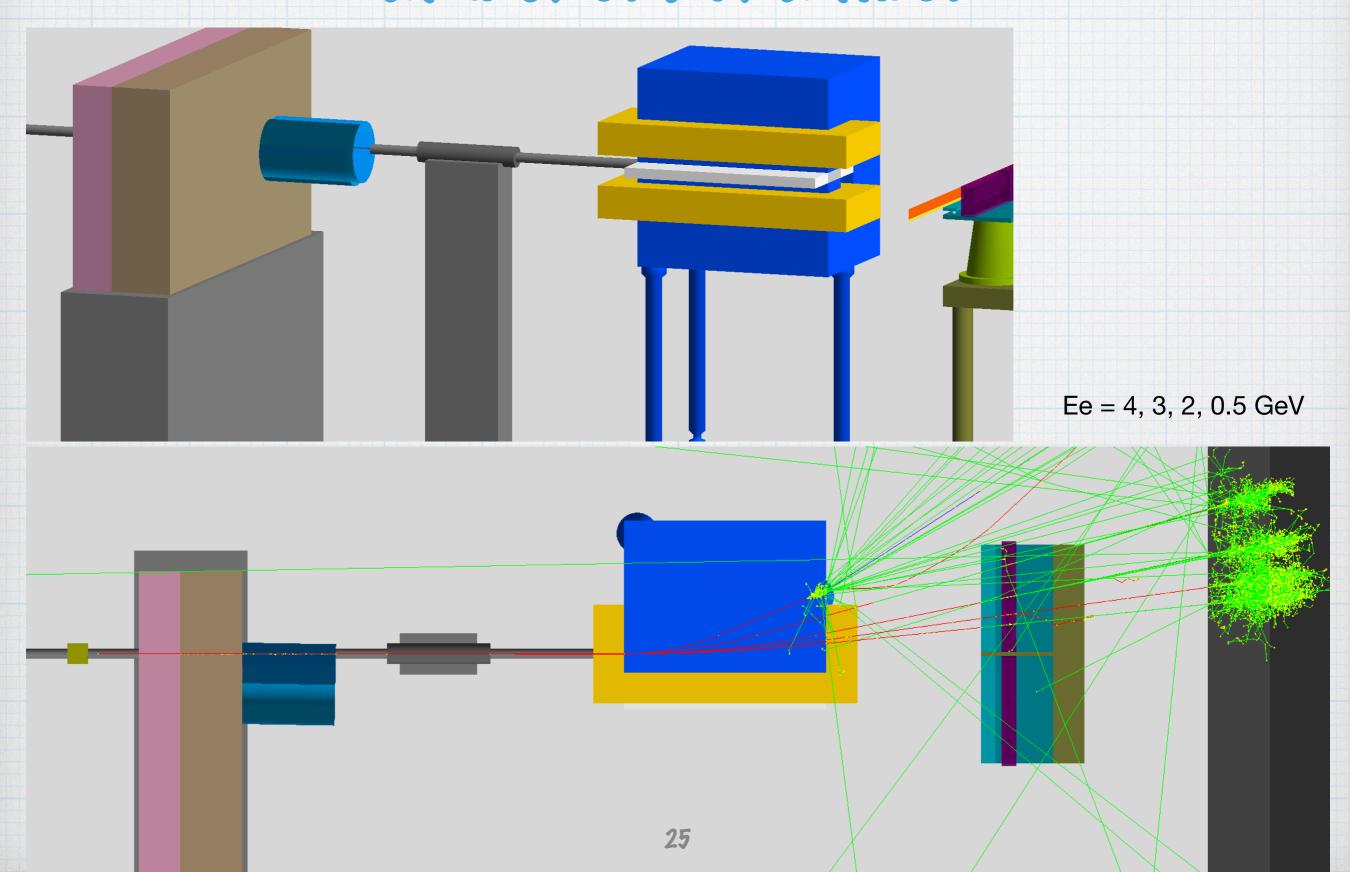
6



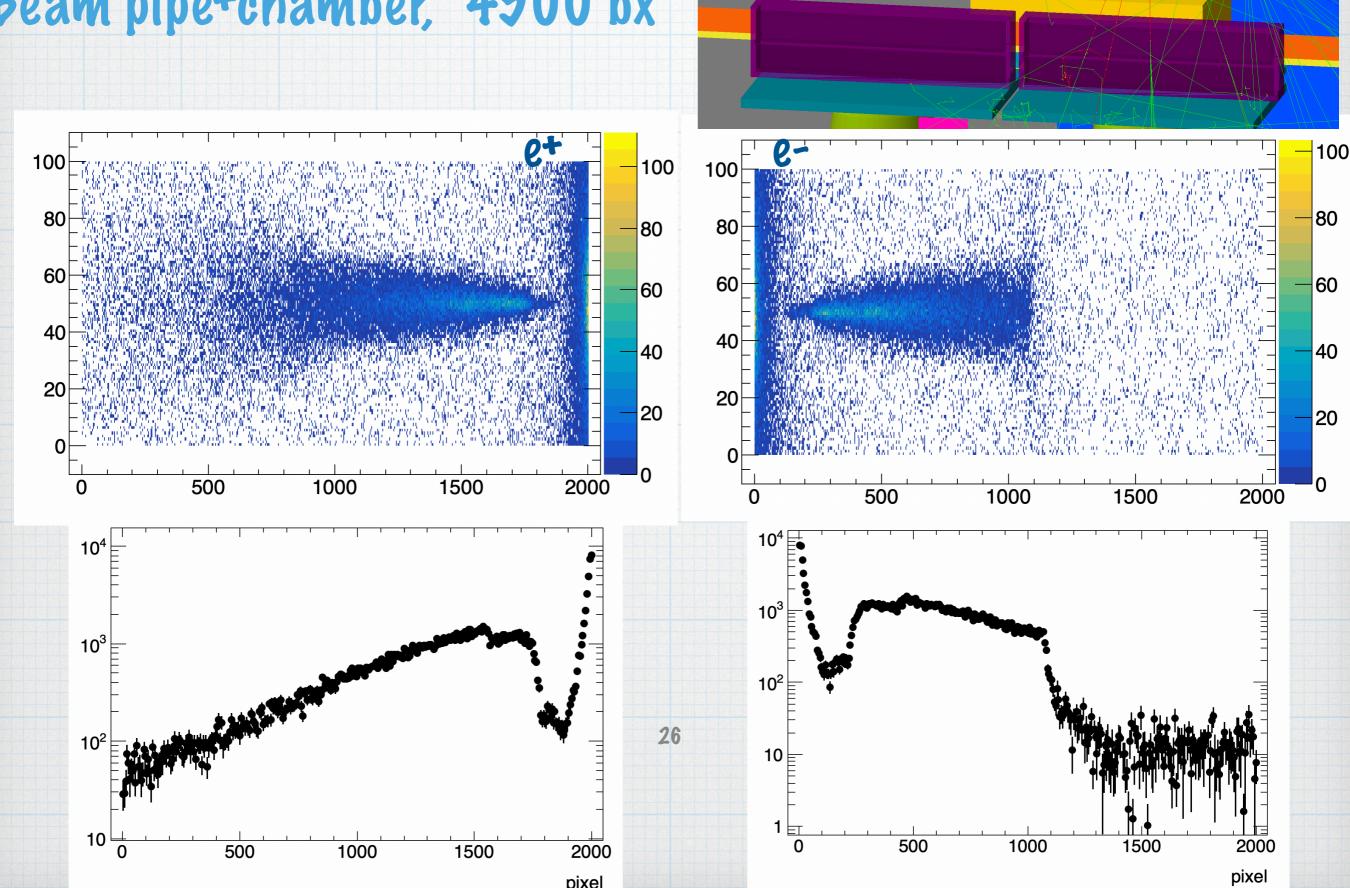




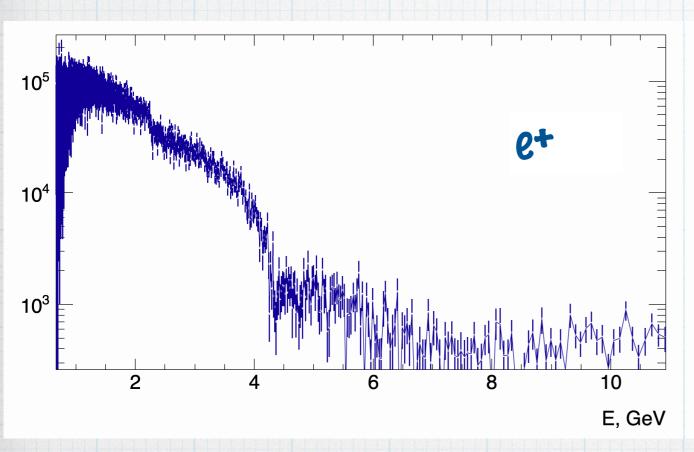
Forward detector system with beam pipe and short chamber

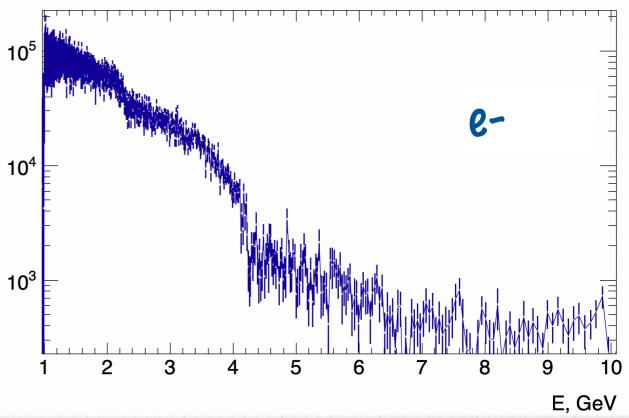


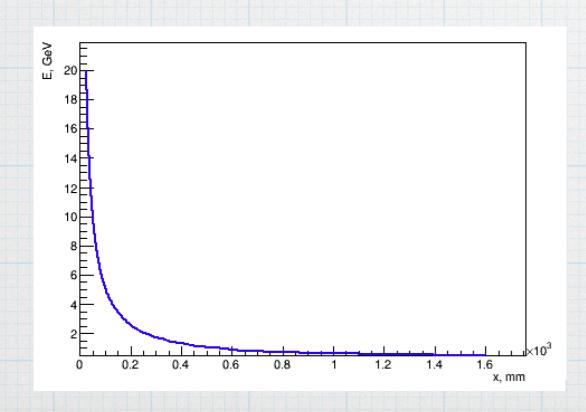
Deposited energy in Lanex, Beam pipe+chamber, 4500 bx

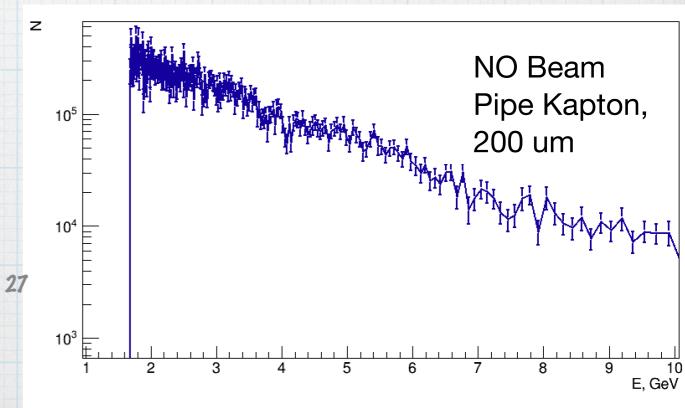


Reconstructed spectra

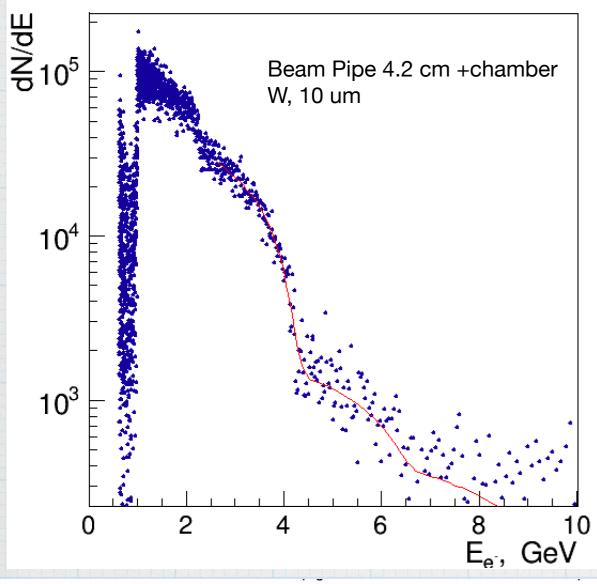


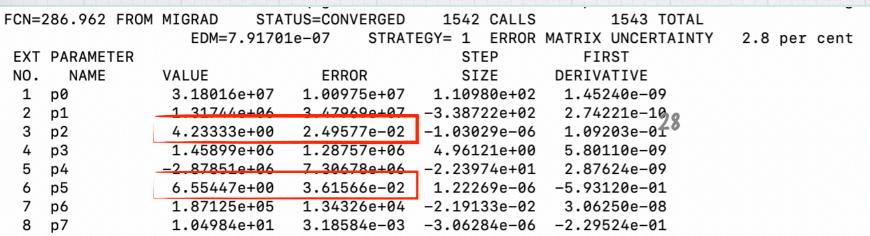


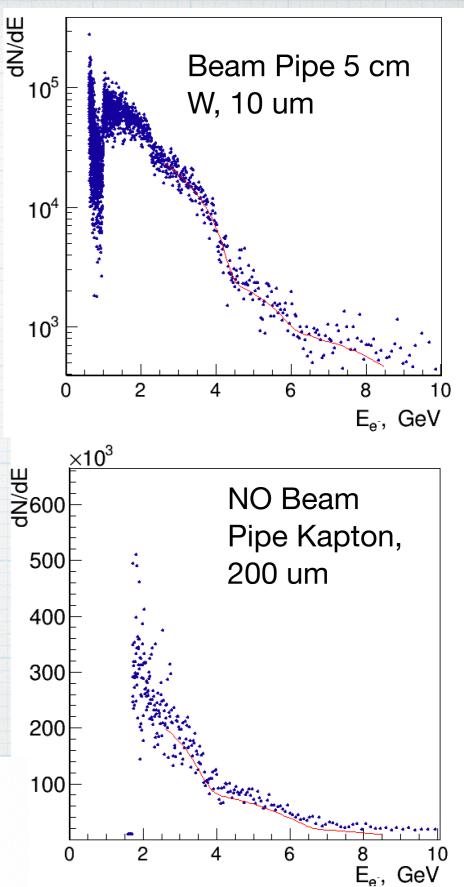


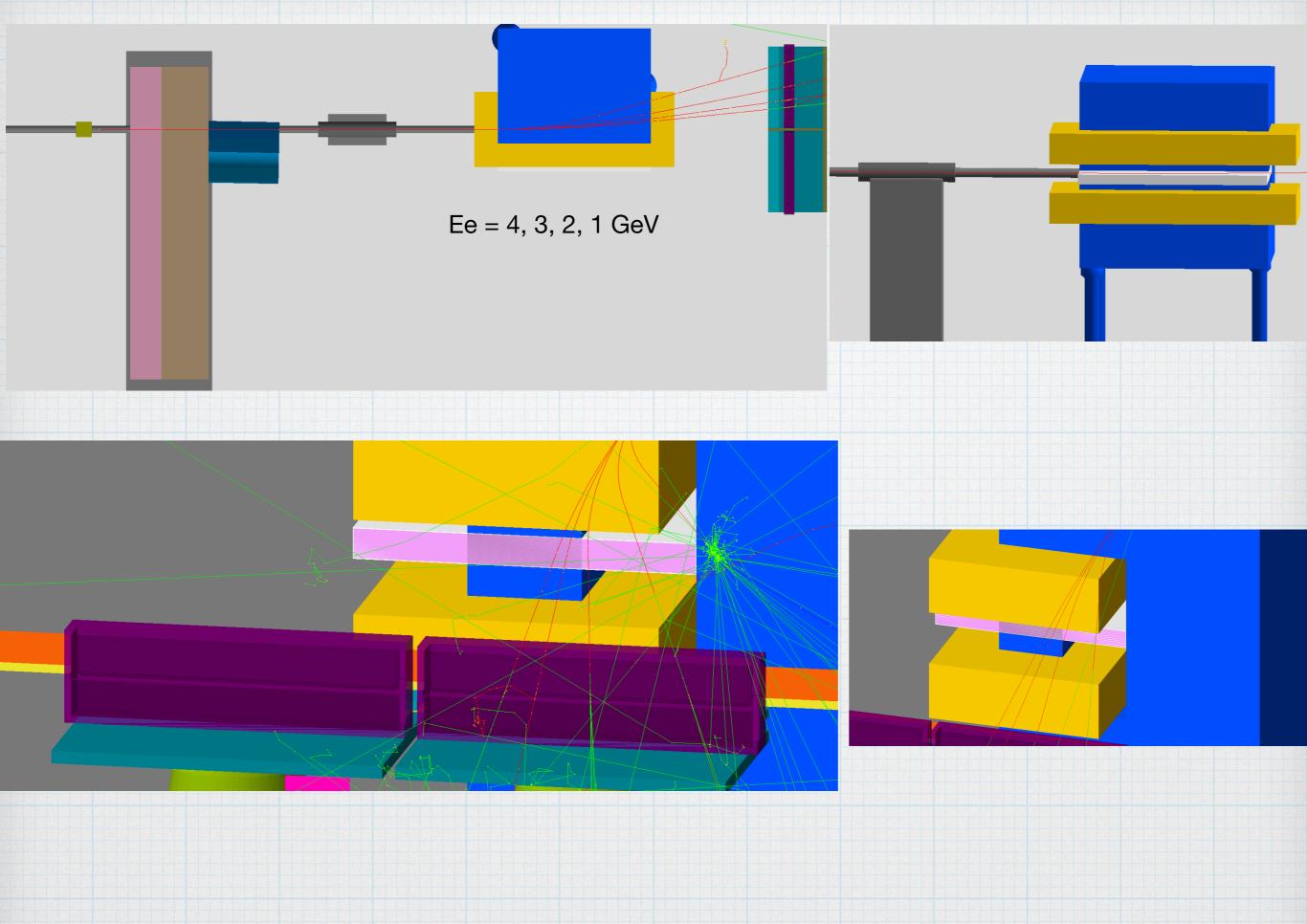


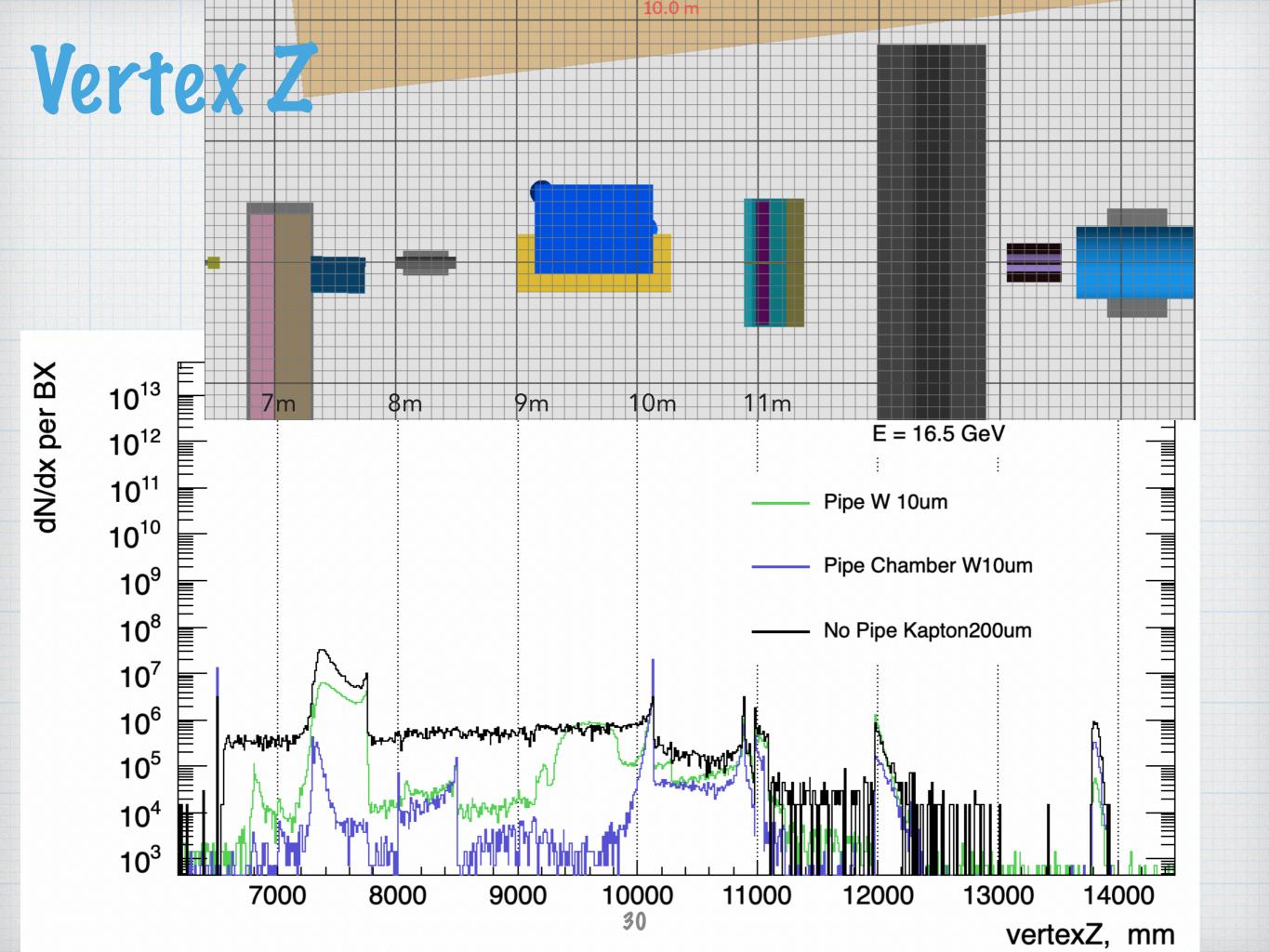
Reconstruction





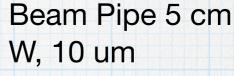


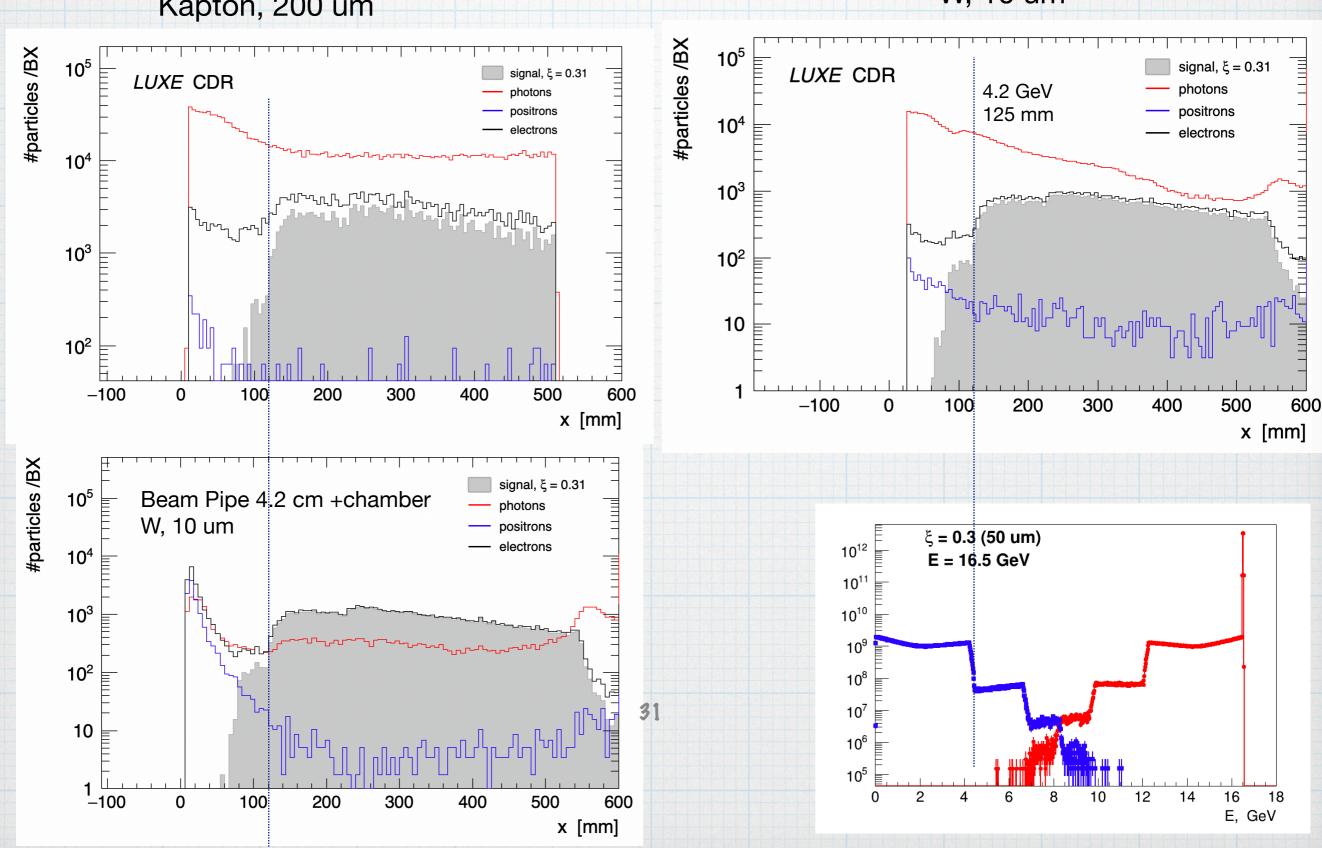




Particles in electron arm

NO Beam Pipe Kapton, 200 um





Photon spectra reconstruction using Bethe-Heitler pair spectrum

The classical Bethe-Heitler formula (H.Bethe, W.Heitler, Proc.Roy.Soc.A146 (34)83)

$$\Phi (E_0) dE_0 = \frac{Z^2}{137} \left(\frac{e^2}{mc^2}\right)^2 4 \frac{E_{0+}^2 E_{+}^2 + \frac{2}{3} E_0 E_{+}}{(h\nu)^3} dE_0 \left(\log \frac{2E_0 E_{+}}{h\nu mc^2} - \frac{1}{2}\right).$$
 The energies involved compared with many density of the energy of th

 $\sigma(E\gamma, Ee) = \Phi(E\gamma, Ee)*N_a$ N_a - Number of atoms

Photon spectra $g(E_{\gamma})$ can be reconstructed by fitting

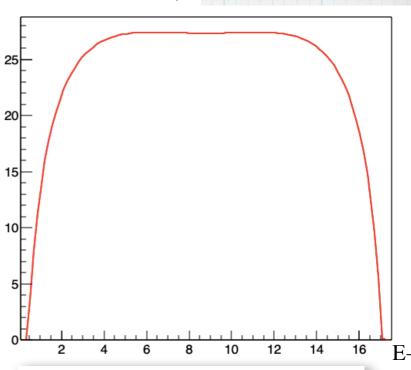
$$N(Ee) = \int \sigma(E\gamma, Ee) g(E\gamma) dE\gamma$$

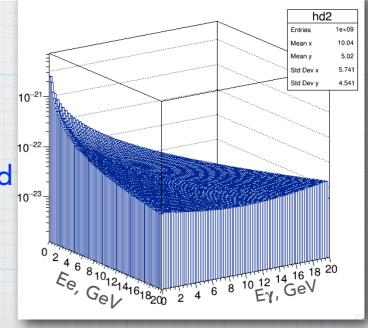
Where N(Ee) positron/electron spectra measured in detector after the conversion.

- Since $\sigma(E\gamma$, Ee) depends on number of scatters N_a defined by the thickness of the target the approach can be tested by using the thickness as fit parameter
- Used Bethe-Heitler class from Geant4, with corrections and extended for various effects (the screening, the pair creation in the field of atomic electrons, correction to the Born approximation, the LPM suppression mechanism, etc.) to calculate differential cross-section

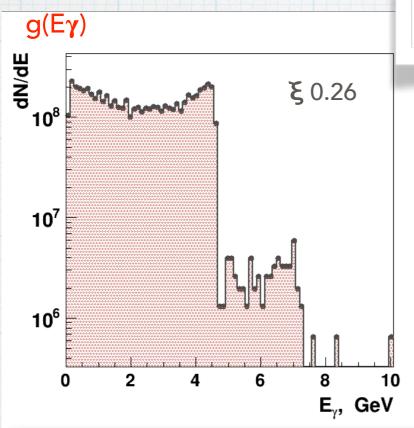
energies involved are large compared with mc²

$$\Phi(E+, E_0=E\gamma)$$



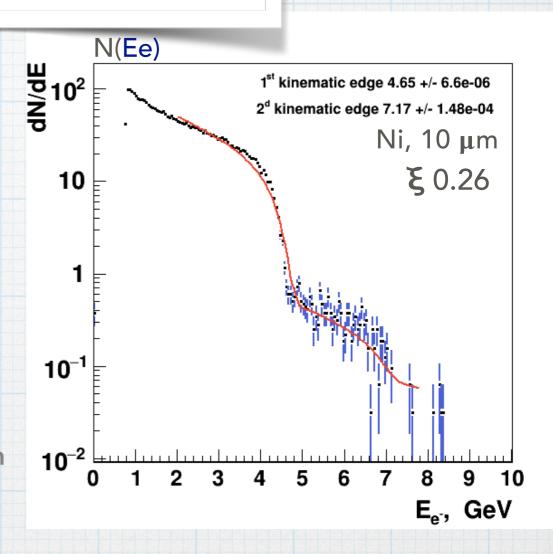


Kinematic edges with accurate pair spectrum



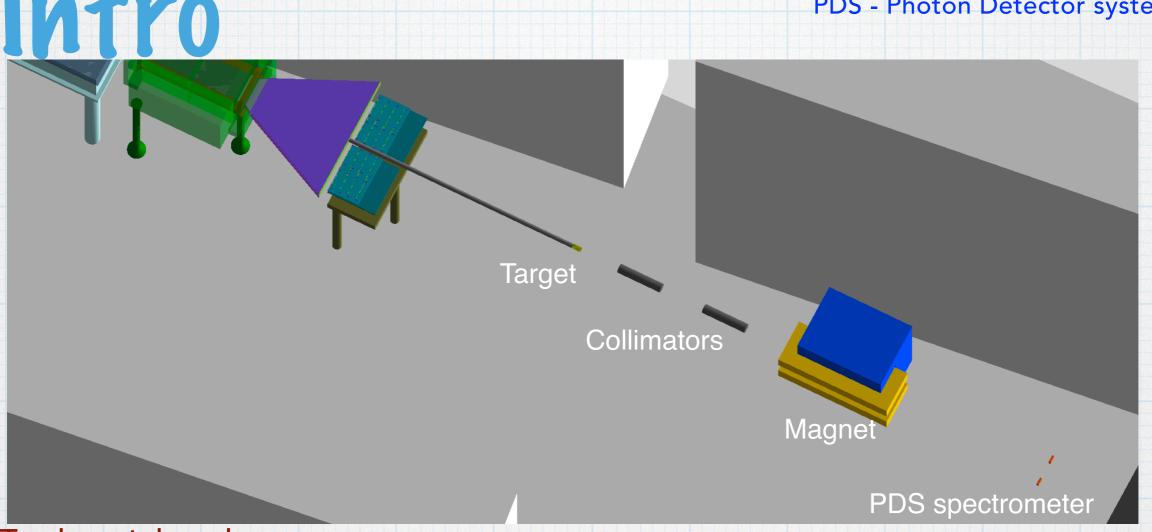
$$f(Ee) = \int \sigma(E\gamma, Ee)g(E\gamma)dE\gamma$$

The single-particle spectrum obtained in GEANT4 is compared to a model spectrum calculated by convolving the trial photon spectrum with the Bethe-Heitler cross section



 $\int \sigma(E\gamma, Ee)g(E\gamma, p1, p2)dE\gamma$

fitting allows finding the kinematic edges quite well



Tasks at hand:

Direct electron-Beam Laser interaction $e+n\omega\rightarrow e+\gamma$

I measure HICS energy spectrum.

- Use low X0 target (~1e-6 X0) for gamma to electrons/positrons conversions followed by spectrometer;
- determine kinematic edges;
- detailed shape.

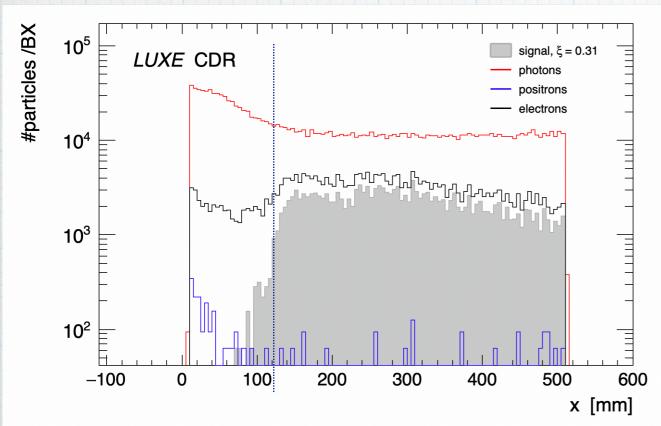
II measure absolute number of photons on event-by-event basis.

- Spectra normalisation;
- Be sensitive to angular distribution of HICS photons (if possible)

Particles in electron arm

35

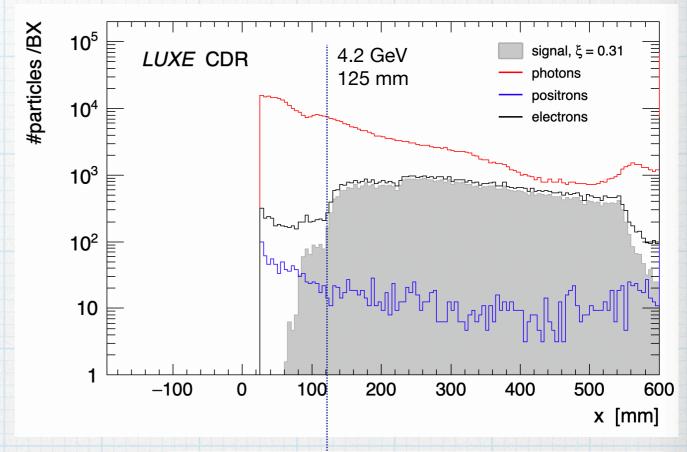
NO Beam Pipe Kapton, 200 um

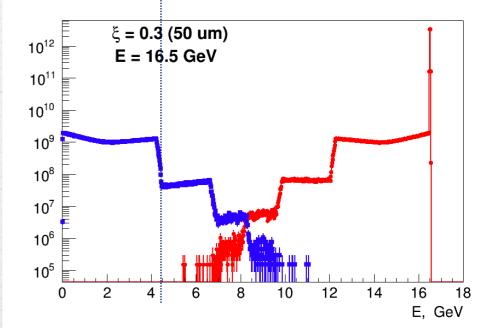


Material	X0,(cm)	Thickness	Fraction X0			
Air	3.04E+04	350	1.15 %			
Kapton	28.57	2.00E-02	0.07 %			
Tungsten	0.35	1.00E-03	0.3%			

The first kinematic edge at 4.2GeV is clearly better observed in detector for the case with the pipe.

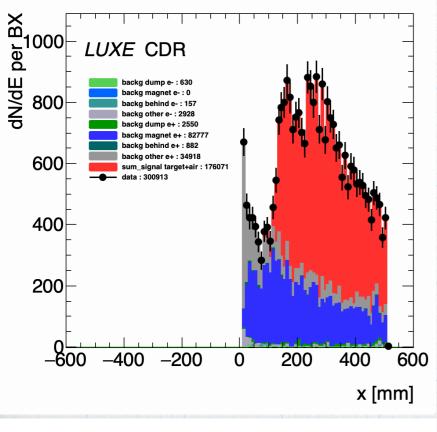
Beam Pipe 5 cm W, 10 um

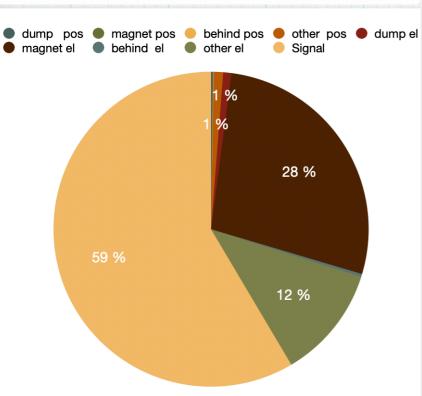




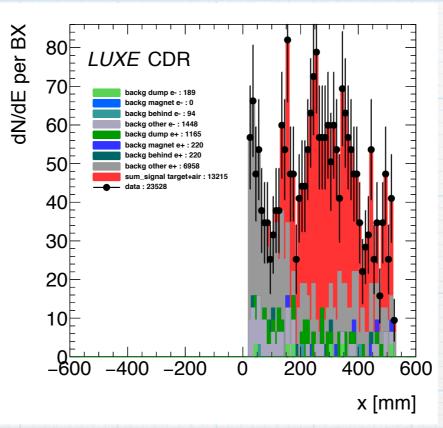
* S/B ratio: Electron arm of Lanex Spectrometer, x-distributions

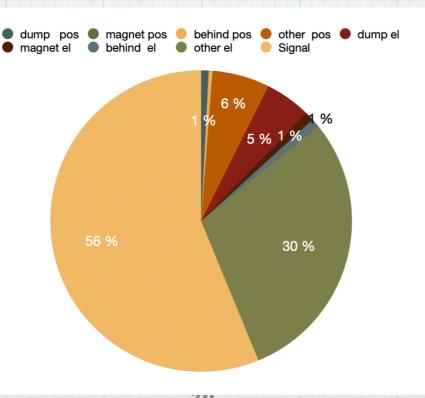
NO Beam Pipe Kapton, 200 um



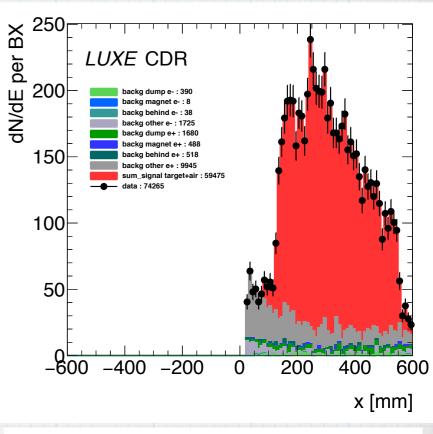


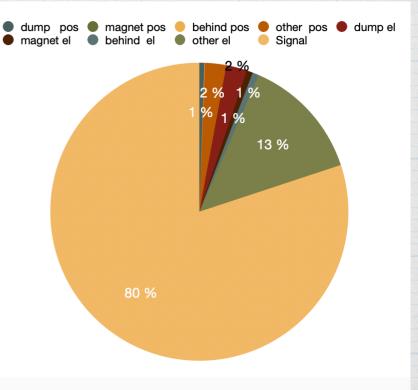
Beam Pipe 5 cm Kapton, 200 um



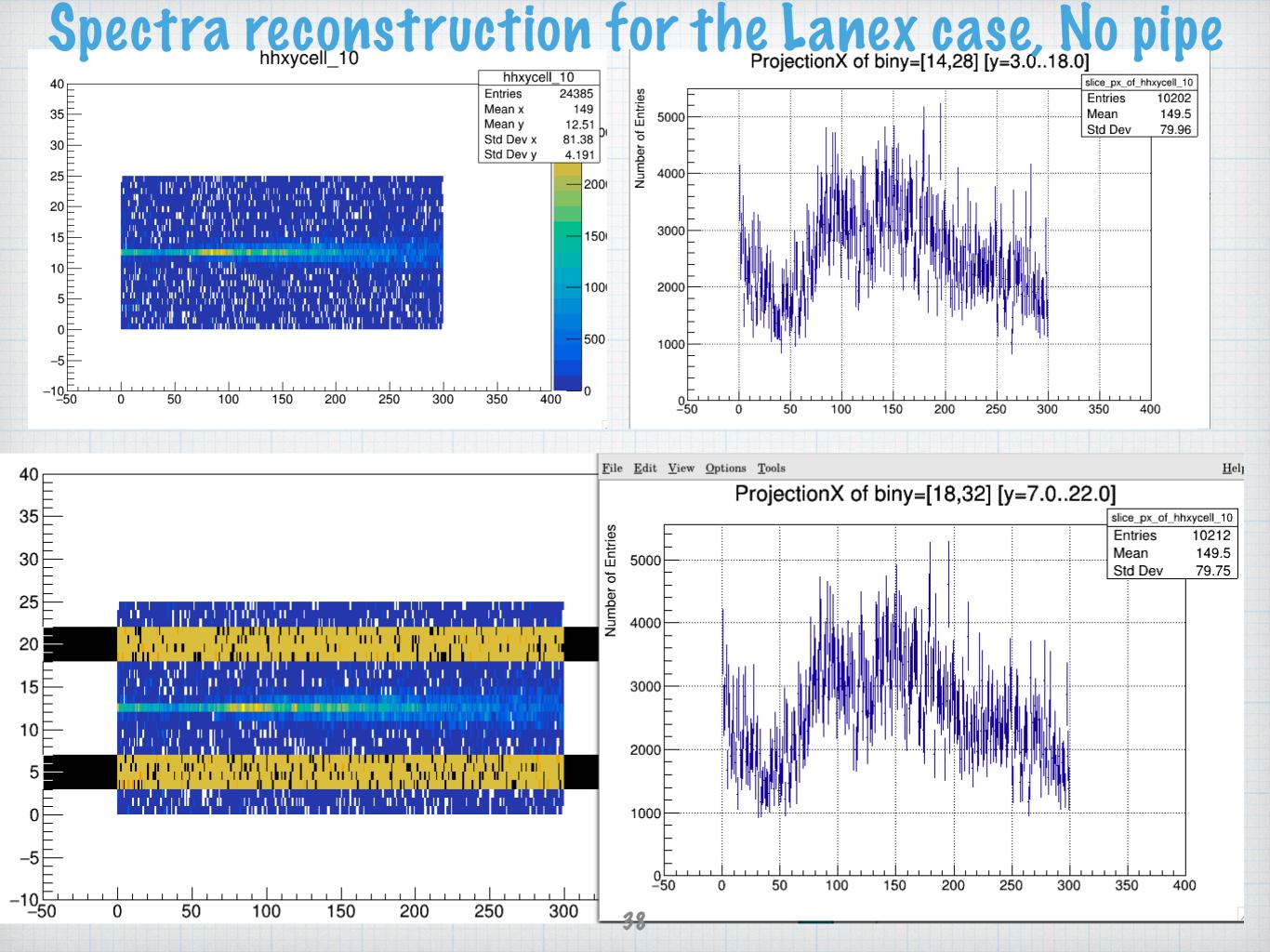


Beam Pipe 5 cm W, 10 um

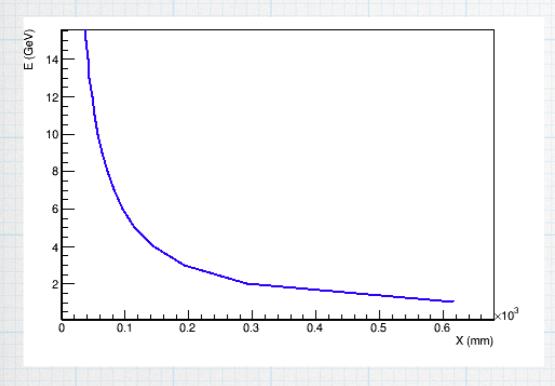


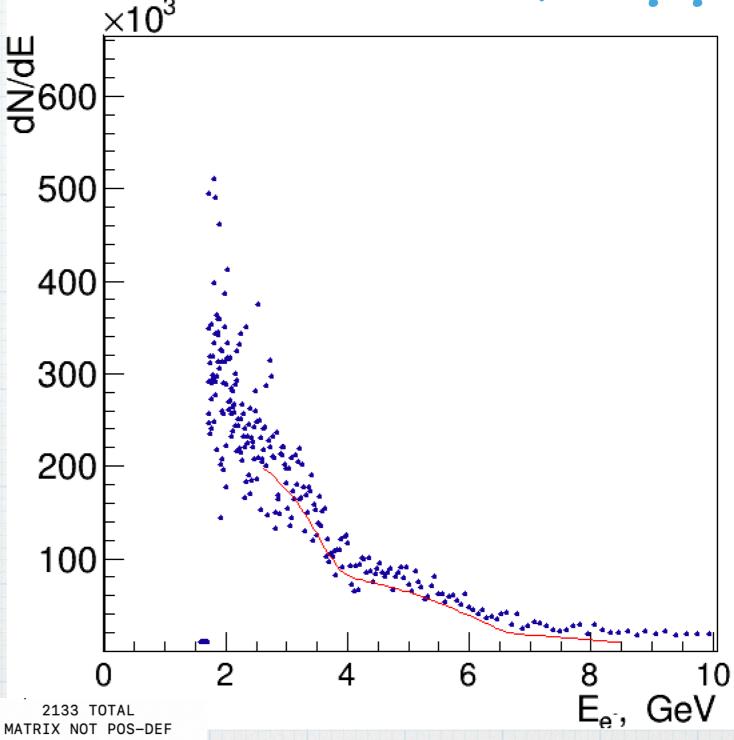


Reconstruction



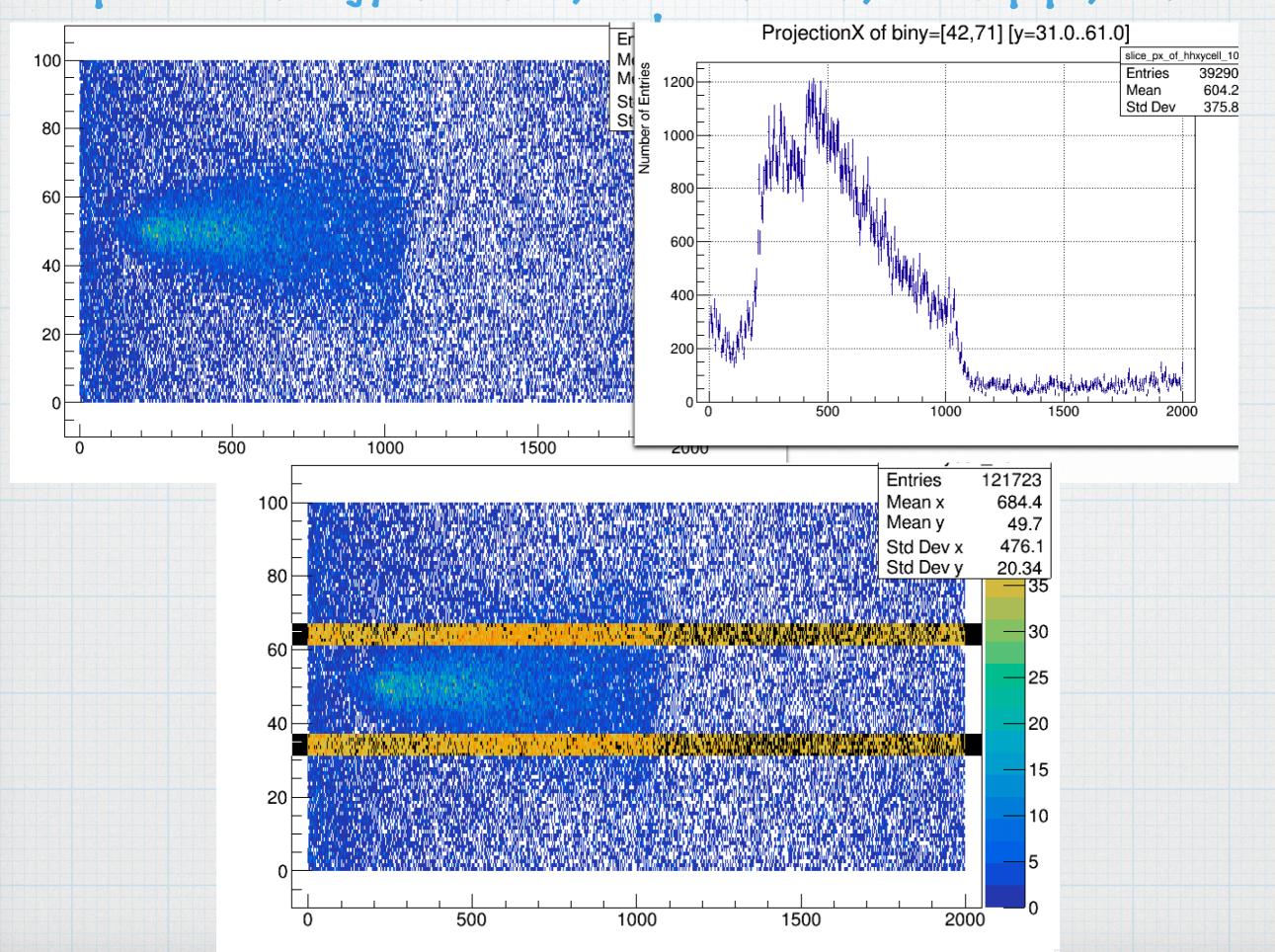
Spectra reconstruction for the Lanex case, No pipe ×10³



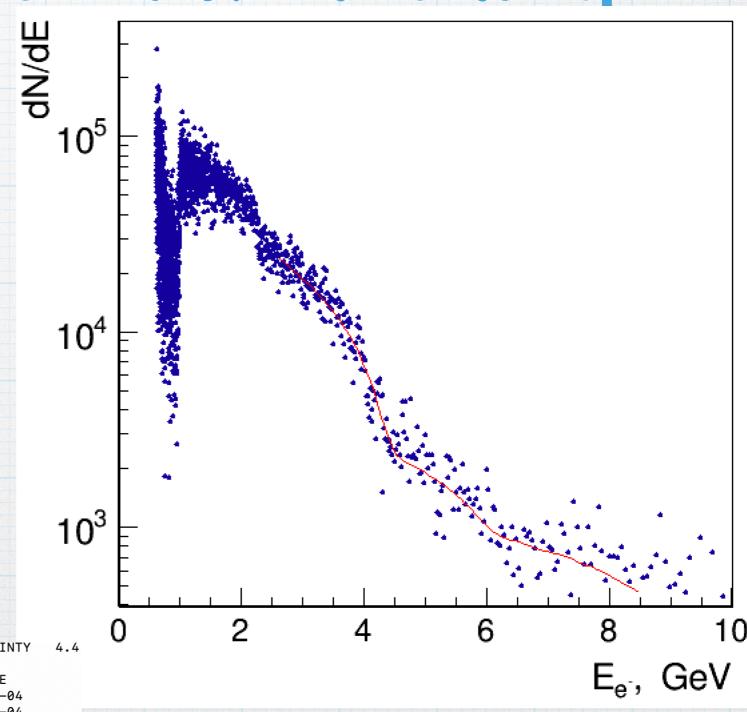


FCN=	154.23	FROM	MIGRAD	STAT	TUS=CALL	LIMIT	2132	CALLS	213	3 TC	TAL	
			EDM=0	.0001	122625	STRAT	EGY= 1	ER	R MATRIX	NOT	POS-D)EF
EXT	PARAME	TER			APPROXIM	MATE	S	ГЕР	FIRST			
NO.	NAME		VALUE		ERRO	OR	S	IZE	DERIVATI	VE		
1	p0		4.54727	e+08	2.0177	70e+08	-2.179	984e+01	3.87807	e-11	L	
2	p1		-8.58055	e+08	6.6772	23e+08	5.110	001e+01	1.23214	e-11	L	
3	p2		3.86233	e+00	1.2237	72e-02	-2.766	517e-08	6.41855	e-03	3	
4	p3		8.36369	e+07	1.9035	51e+07	-2.823	335e+01	-2.98255	e-09)	
5	p4		-1.83334	e+08	9.9723	31e+07	1.602	226e+02	-6.98724	e-10)	
6	p5		6.63088	e+00	1.0912	26e-02	-1.700	609e-08	-3.00232	e-02	2	
7	p6		1.11186	e+07	5.7634	44e+05	-2.062	107e-01	2.11536	e-09)	
8	p7		9.92678	e+00	3.0828	39e-02	-4.529	970e-08	-1.28762	e-02)	

Deposited energy in Lanex, electron arm, Beam pipe, 4500 bx



Spectra reconstruction for the Lanex in case of the Beam Pipe



		EDM=12.7612	2 STRATEGY=	1 ERROR MATR	IX UNCERTAINTY
EXT	PARAMETER		APPROXIMATE	STEP	FIRST
١0.	NAME	VALUE	ERROR	SIZE	DERIVATIVE
1	p0	5.98903e+04	2.68674e+03	0.00000e+00	2.12079e-04
2	p1	2.70945e+05	1.75589e+04	0.00000e+00	1.40484e-04
3	p2	4.22613e+00	1.42109e-02	0.00000e+00	-2.05537e+00
4	p3	3.33463e+03	9.87207e+01	0.00000e+00	-1.83814e-02
5	p4	3.18507e+04	1.51429e+03	0.00000e+00	-3.93684e-04
6	p5	6.20470e+00	2.56398e-03	0.00000e+00	-2.13886e+03
7	p6	2.04507e+03	7.80814e+01	0.00000e+00	2.56788e-04
8	p7	1.03181e+01	1.71342e-01	-0.00000e+00	-1.72980e+00
9	p8	0.00000e+00	4.26209e-01	-0.00000e+00	0.00000e+00

Finite Impulses Response Filter (FIR)

method used by J. List et. al.

Finite Impulses Response Filter

- edge-like features in function g(x) can be identified by maxima in the convolution R(x)=h(x)*g(x)
 where h(x) is a matched filter
- R(x) is called the Response
- we have discrete data points $\mathbf{x} = (x_0, ..., x_i)$, need discretized Response $R_d(i)$

$$R_d(i) = \sum_{k=-N}^{N} h_d(k) \cdot g_d(i-k)$$

- different filters h_d available, optimal choice depends on the function g(x)
- Used here: First derivative of a Gaussian (FDOG)

$$h_d(k) = -k \exp(-\frac{k^2}{2\sigma^2})$$
 for $-N \le k \le N$

Reconstruction with FIR

43

