Low-Mass Drell-Yan at $\sqrt{s} = 13 \text{TeV}$ with the ATLAS Detector

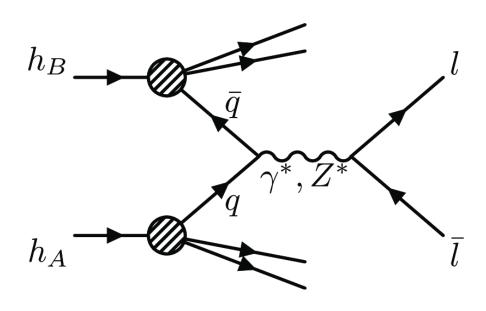
Alessandro Guida 21.04.21







The Drell-Yan Process



Vector Boson creation in high energy hadron collision

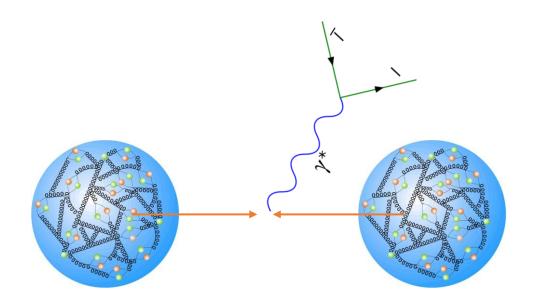
- A quark and an antiquark annihilate into a vector boson
- The boson then decay leptonically

Main Production mode for Z boson ($m_Z = 91.2 \text{ GeV}$) at the LHC

Interesting for:

- Precision measurement and test of the Standard Model
 - QCD and EW measurement
 - Input for Parton Distribution Function (PDF)
 evaluation

Proton-Proton Collision at LHC



An input for the calculation of all the process at the LHC

- Most of the PDF input come from electron-proton scattering data from the HERA experiment
- Represent the probability that a parton carries a fraction x of the proton momentum
- LHC PDF program complementary to HERA

At the LHC proton are colliding

- At high energy their structure is broken
- We observe the product of their constituent interaction

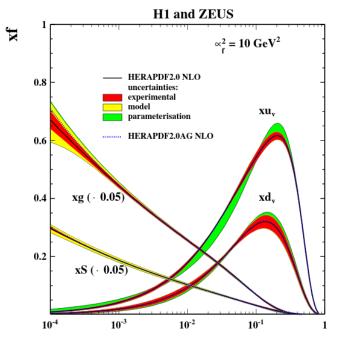


Image from <u>0911.0884</u>

The Low Mass Drell-Yan

Measurement of the Drell-Yan process in the dimuon channel

- In proton-proton collision at $\sqrt{s} = 13$ TeV
- At low invariant mass, $m_{\mu\mu}=7-60$ GeV (below the Z pole $m_Z{\sim}91GeV$)

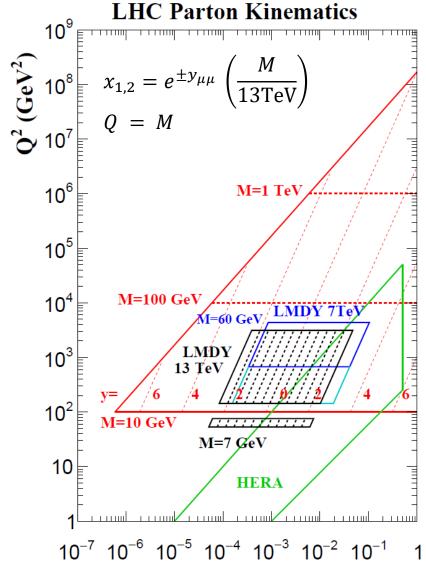
Measure Single and Double **differential cross section** in dimuon pair quantities

- $\frac{d\sigma}{dm_{\mu\mu}}$
- $\frac{d\sigma}{dm_{\mu\mu}\,d|y_{\mu\mu}|}$: rapidity more sensitive to x

The analysis **explores extreme region of the phase**

- With $m_{\mu\mu} \sim 8 \text{ GeV} \rightarrow x \sim 4 \times 10^{-5}$
- Test low-x resummation prediction

Prev. Analysis at 7TeV



x- Q^2 plane showing the kinematic region accessed by the analysis, complementary region to one accessed by HERA

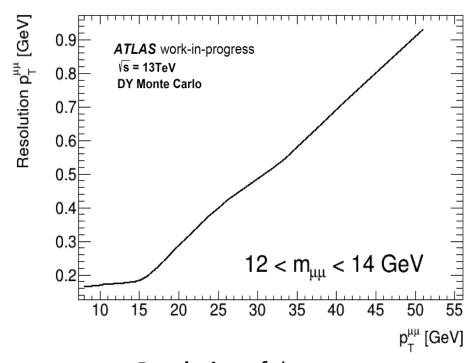
X

Image from
http://www.hep.ph.ic.ac.uk/
~wstirlin/plots/plots.html

The Low Mass Drell-Yan

Measurement of dimuon pair $p_T^{\mu\mu}$ spectrum at low invariant mass

- $\bullet \quad \frac{d\sigma}{dm_{\mu\mu}\,dp_T^{\mu\mu}}$
 - Exploit the good μ momentum resolution of the ATLAS detector at low mass
- Interesting test for QCD prediction
- Test the tuning of non perturbative parameters in the theoretical prediction
 - Useful for prediction of W p_T prediction and W mass measurement



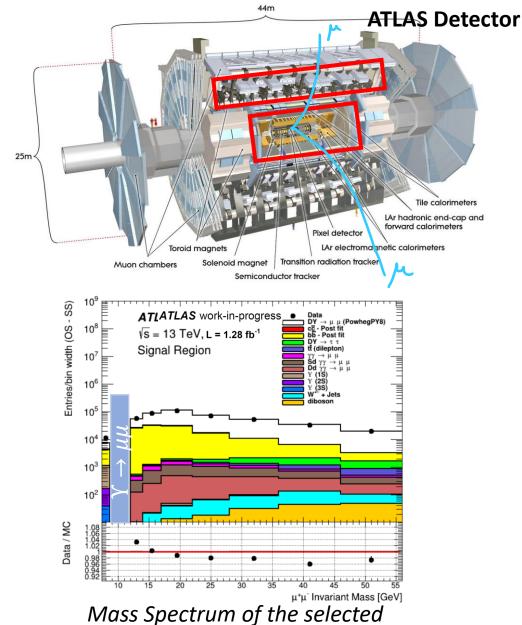
Resolution of the momentum reconstruction as function of $p_T^{\mu\mu}$ at low mass

The Low Mass Drell-Yan

Drell-Yan process measurement in the dimuon channel in proton proton collision at $\sqrt{s}=13~\text{TeV}$

Event Selection

- ATLAS 2015 dataset
 - 1.28 fb⁻¹
 - Need to use special low mass di-muon triggers
- Two muons required
- Low invariant mass selection
 - $m_{\mu\mu}$ = (7.3, 8.7)+(12, 56) GeV
- Low Pt requirement
 - $p_T^{\mu} > 4.5 \text{ GeV}$



Background

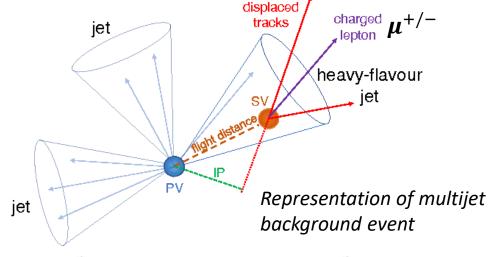
Perform the measurement – subtract the background

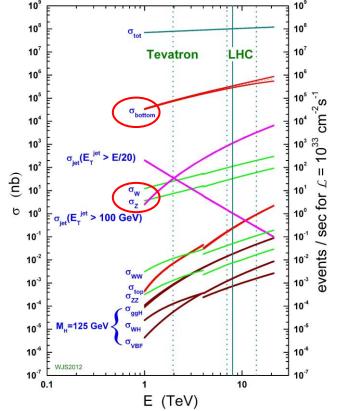
Fake Muons: π^{\pm} , K misidentified as muons

- Require high reconstruction quality muons
- Assumed to be symmetric in charge
- $N_{Fake}^{Opposite\ Charge} = N_{Fake}^{Same\ Charge}$
 - Reduced by plotting the distribution as opposite sign minus same sign subtraction

Biggest background components is given by muon generated in Multijets events, in particular $b\overline{b}$ / $c\overline{c}$ jets events

- Non prompt decay muons are misidentified as DY muons
- Excess in opposite sign muons
- Track isolation requirement greatly reduce this component...
 - ...but still a large number of these events enter in the selection
- Poorly described in MC
 - Difficult to describe the rate of these events in the selection
 - Data-driven estimation approach





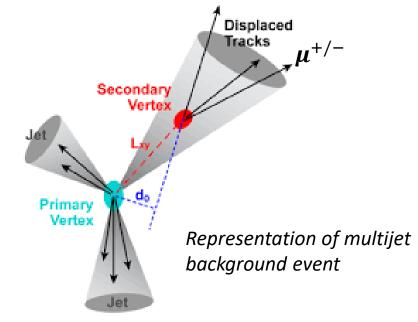
Analysis Strategy

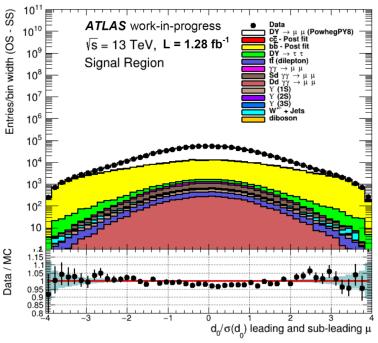
Data-driven estimation of the Multijets + $b\bar{b}$ / $c\bar{c}$ jets background components

- This component is extracted by a data-driven approach
- **Use the impact parameters quantities to discriminate** between signal events and background events
 - Fit the quantity given by the squared sum of the d_0 and Δz_0 significance

$$\chi_{QCD}^{2} = \left(\frac{d_{0}(\mu_{1})}{\sigma_{d0}(\mu_{1})}\right)^{2} + \left(\frac{d_{0}(\mu_{2})}{\sigma_{d0}(\mu_{2})}\right)^{2} + \left(\frac{\Delta z_{0}(\mu_{1}, \mu_{2})}{\sqrt{\sigma_{z_{0}}^{2}(\mu_{1}) + \sigma_{z_{0}}^{2}(\mu_{2})}}\right)^{2}$$

$$\Delta z_{0}(\mu_{1}, \mu_{2}) = z_{0}(\mu_{1}) - z_{0}(\mu_{2})$$





 d_0 distribution in Data and MC

Analysis Strategy

The probability

$$Prob(\chi^2_{OCD}, ndf = 3)$$

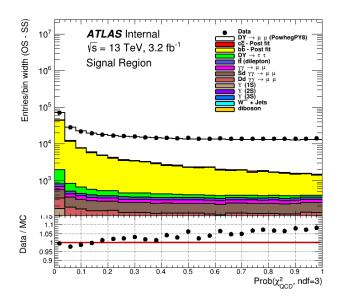
Represents the probability that the 2 muons are coming from the same vertex

- Use Control Region given by not isolated muons
 - Gives template for Background from data
- Fit this quantity to the real data

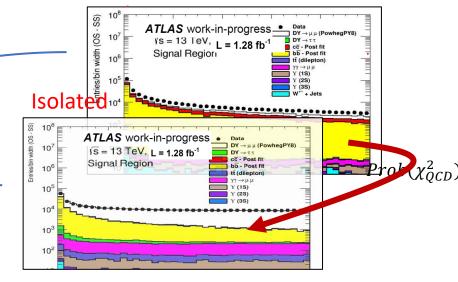
$$Prob^{not-isolated} \left(\chi^2_{QCD}, ndf = 3 \right) \sim BG_i$$

$$Prob^{isolated} \left(\chi^2_{QCD}, ndf = 3 \right) \sim k \cdot DY^{iso-iso} + b^{iso-iso}BG_i$$

Blue component – from Monte Carlo Red component – fitted to the data



Not Isolated



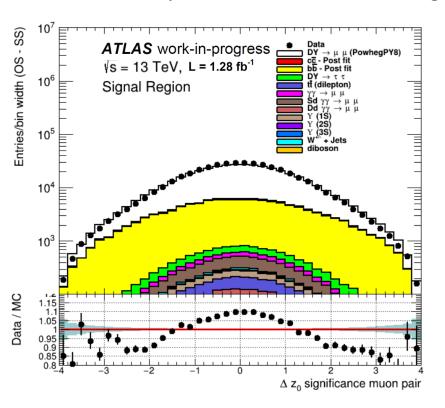
 $Prob(\chi^2_{QCD})$

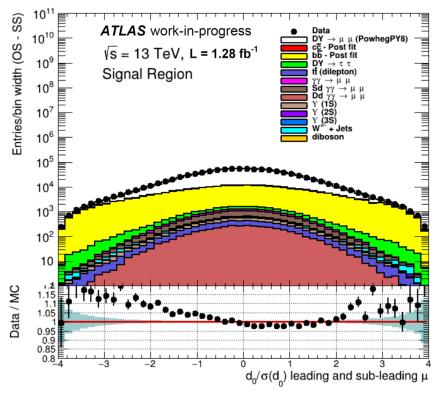
 $Prob(\chi^2_{QCD}, ndf = 3)$ distribution for isolated and not-isolated selection

Modelling of the Impact Parameters

Check that the impact parameters are well described in Monte Carlo

- Distance of the track from the beam spot
- These quantities enter in the Background estimation





Evaluate a data driven correction to improve the Data/MC agreement

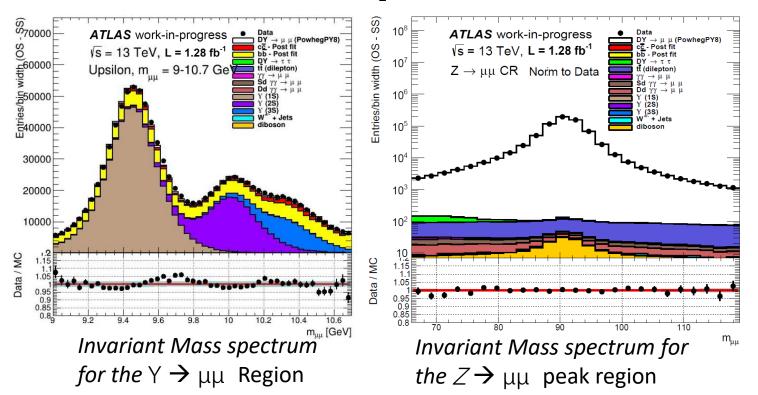
 $\Delta z 0$ significance distribution

d0 significance distribution

Modelling of the Impact Parameters

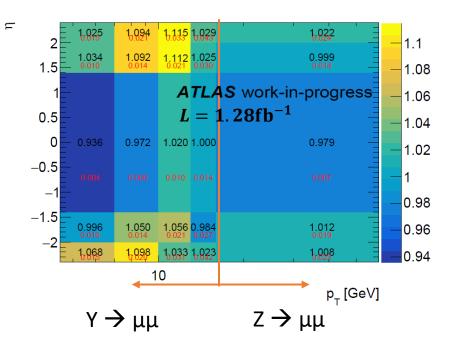
Extrapolate a data driven correction for the Impact Parameters distribution outside the Signal Region

- Look at region excluded by the invariant mass selection
 - Y $\rightarrow \mu\mu$ Region (Y_{1S} = 9.46 GeV)
 - $Z \rightarrow \mu\mu$ peak region (m₇ = 91.2 GeV)

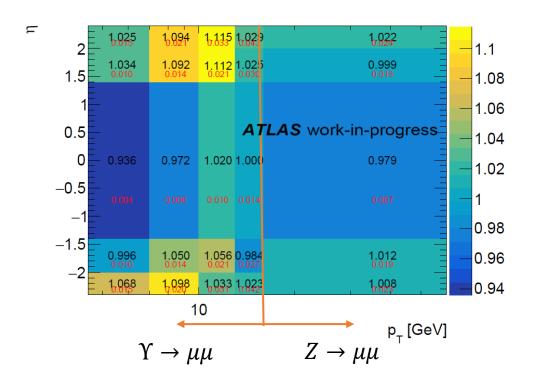


Evaluate a correction

- That span a wide range in pT
- Depends on the detector coordinate



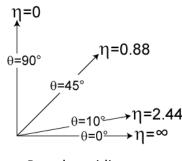
Impact Parameter Corrections



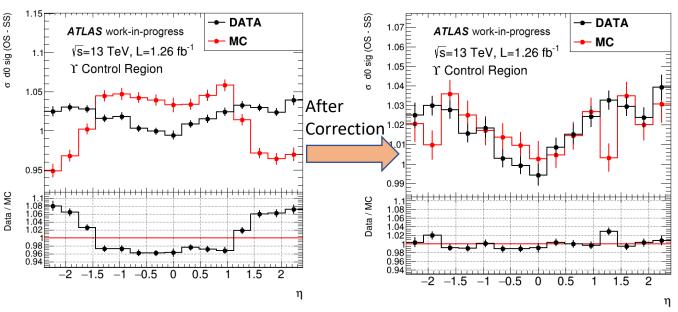
The agreement is restored as function of η and p_T^μ

Evaluate a correction

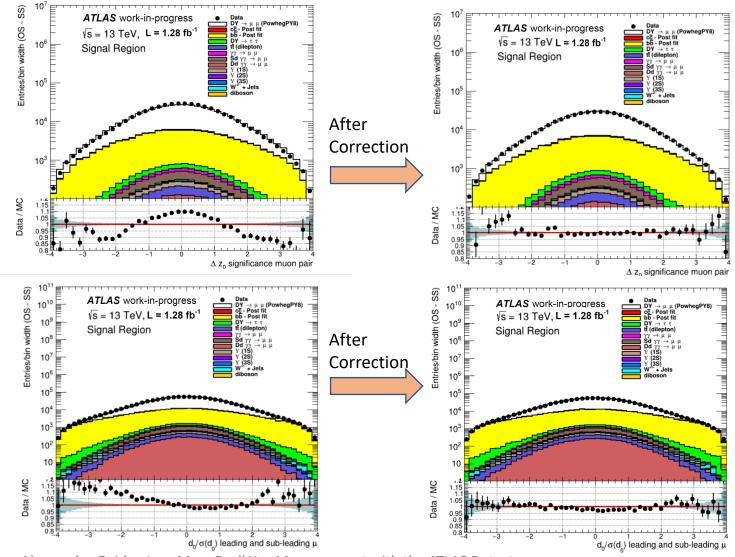
- span a wide p_T^μ
- p_T^{μ} and η^{μ} dependent correction
- Rescale the Monte Carlo IP resolution to the Data one



Pseudorapidity



Modelling of the Impact Parameters



Improvement of the Impact Parameter description after the applying the correction

Δz0 and d0 significance inclusive distribution before and after applying the impact parameters correction

Cross-section Unfolding

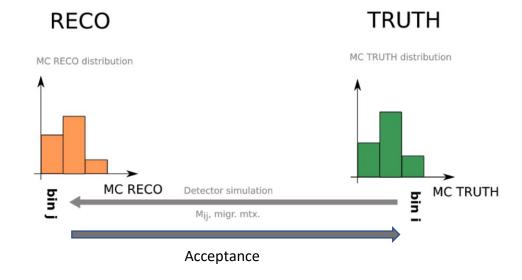
In the Next Slides studies on the systematic uncertainties affecting the analysis are presented. The studies show the effect of the uncertainties on the cross-section results.

The cross-section extrapolated with bin-by-bin unfolding

$$\bullet \quad \left(\frac{d\sigma}{dm_{\mu\mu}}\right) = \frac{N_i^{DATA} - N_i^{BG}}{L \cdot C_{DY,i} \cdot \Gamma_i}$$

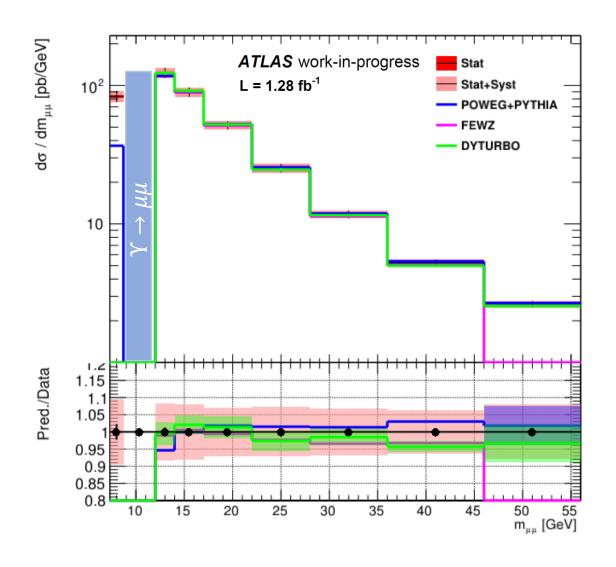
- $C_{DY} = \text{Acceptance} = N_{RECO}^{MC} / N_{GEN}^{MC}$
- Γ_i = Bin size

Under Study: iterative unfolding method



Alessandro Guida 14

Results – Single Differential Result



Data plotted with (first determination) of systematic and statistical uncertainty

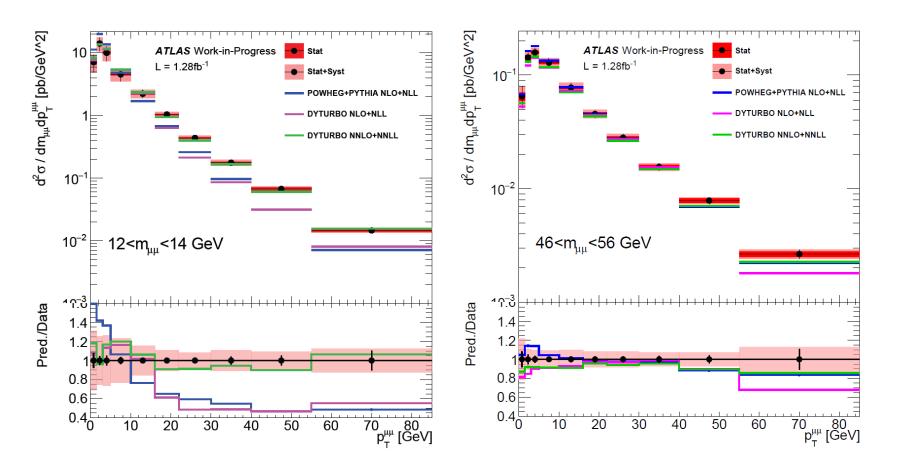
- Poweg+Pythia: NLO (+ LL Parton Shower)
 - NNLO QCD k_F
 - MC generator used in the analysis
- FEWZ → NNLO + NLO EW Correction
 - In the first and last bin FEWZ is set to Zero: the prediction are not ready yet
- DYTURBO → NNLO + NNLL + NLO EW Correction

Uncertainty studies not finalised

Systematic Uncertainty

- Isolation efficiency systematic
- Trigger efficiency systematic

Results – Double Differential Result

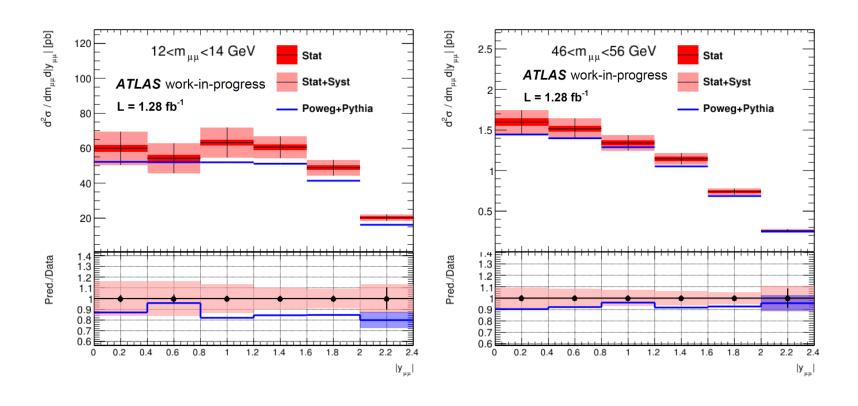


Cross-section results unfolded in $m_{\mu\mu}$ and $p_T^{\mu\mu}$

- Poweg+Pythia
 - NLO (+LL from Parton Shower)
- DYTURBO
 - ➤ NLO + NLL
 - ➤ NNLL + NNLO

Double differential cross-section result at low mass and high mass

Results – Double Differential Result



Cross-section results unfolded in $m_{\mu\mu}$ and $|y_{\mu\mu}|$

- Poweg+Pythia
 - NLO (+LL from Parton Shower)

Dominating Uncertainty Systematic Uncertainty

- Isolation efficiency systematic
- Trigger efficiency systematic

Double differential cross-section result at low mass and high mass

Summary and Outlook

Low Mass Drell-Yan Analysis

- Probe extreme region of the phase space
- Test Low-x region
- Test low- $p_T^{\mu\mu}$ prediction in new phase space region

Main challenges in the analysis

- Large Background component
 - Data driven template method
- Modelling of the Impact Parameters quantities
 - Data driven correction evaluated from control region

Next Steps

- Finalize Uncertainties Evaluation
- Modelling of $p_T^{\mu\mu}$ for the $m_{\mu\mu}-|y_{\mu\mu}|$ measurement
- Finalize Unfolding Strategy

Thanks for the Attention!

BACKUP

Trigger Selection

Explore low invariant mass and low p_T^μ event selection

- Use of special di-muon trigger
 - Z and High Mass Drell-Yan typically use single muon trigger
 - Can't trigger at low mass on single muon event, too may events
- To keep the ATLAS trigger rate at $\sim 1 \text{kHz}$ low mass trigger are prescaled (rejection rate)
- Different pre-scale between the different trigger in the trigger chain that needed to be taken into account in MC

Trigger	Prescale	Luminosity
HLT $p_T^{\mu} > 4$, $GeV \ m_{\mu\mu} \in (7, 9)GeV$	4	319.68 pb^{-1}
HLT $p_T^\mu > 4$, $GeV~m_{\mu\mu} \in (12,60)GeV$	4	319.68 pb^{-1}
HLT $p_T^{\mu} > 6$, $GeV \ m_{\mu\mu} \in (12, 24) GeV$	1	1280.28 pb^{-1}
HLT $p_T^{\mu} > 6$, $GeV m_{\mu\mu} \in (24, 60) GeV$	1	1280.28 pb^{-1}