

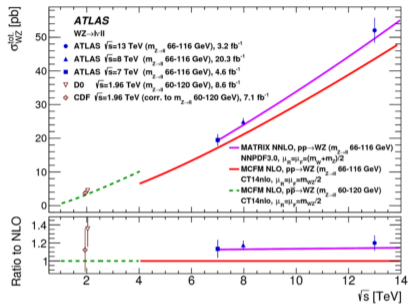
# VH production with $H \rightarrow bb$ decay at NNLO matched to parton showers

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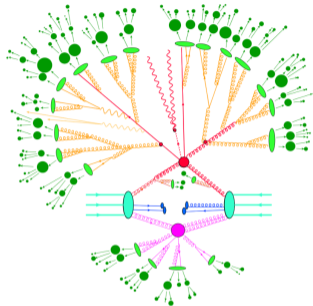
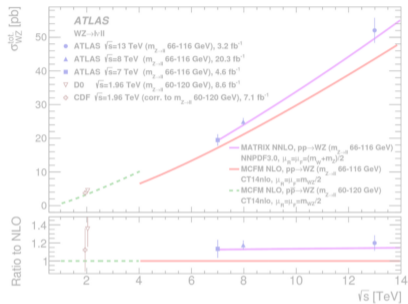


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- Current experimental precision demands at least NNLO accuracy
- Parton shower (PS) is needed for realistic phenomenology
- Combination of hard scattering and PS is crucial



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MiNNLO<sub>PS</sub> reaches NNLO+PS accuracy for the production of a colour singlet F.

Starting point → **MiNLO'** framework implemented within the **POWHEG** method. [Nason 2004]

**MiNLO'**

[Hamilton,Nason,Oleari,Zanderighi 2012]

$$\bar{B}(\Phi_n) = B(\Phi_n) + V(\Phi_n) + \int d\Phi_r [R(\Phi_{n+1}) - C(\Phi_{n+1})]$$

↓

$$\bar{B}(\Phi_n) = e^{-\tilde{S}(p_T)} \left( B(\Phi_n) (1 + \alpha_s(p_T) [\tilde{S}]^{(1)}) + V(\Phi_n) + \int d\Phi_r [R(\Phi_{n+1}) - C(\Phi_{n+1})] \right)$$

$$\tilde{S}(p_T) = \int_{p_T^2}^{Q^2} \frac{dq^2}{q^2} \left[ A(\alpha_s(q^2)) \log \frac{Q^2}{q^2} + B(\alpha_s(q^2)) \right]$$

- **Finite result** for F+J production when the **jet is unresolved**
- Prescription for choosing the scales  $\mu_R$  and  $\mu_F$
- **NLO** accuracy in observables inclusive in F and F+J

## MiNNLO

[Monni, Nason, Re, Wiesemann, Zanderighi 2019]

starting point  $\rightarrow$  analytic resummation formula

$$\frac{d\sigma}{d\Phi_F dp_T} = \frac{d}{dp_T} \left\{ e^{-\tilde{S}(p_T)} \mathcal{L}(p_T) \right\} + R_f(p_T)$$

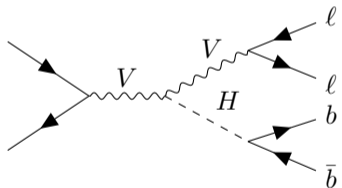
$$\begin{aligned} \bar{B}(\Phi_{FJ}) = & \overbrace{e^{-\tilde{S}(p_T)} \left\{ \frac{\alpha_s(p_T)}{2\pi} \left[ \frac{d\sigma_{FJ}}{d\Phi_{FJ}} \right]^{(1)} \left( 1 + \frac{\alpha_s(p_T)}{2\pi} [\tilde{S}]^{(1)} \right) \right\}}^{\text{MiNLO}} \\ & + \overbrace{\left( \frac{\alpha_s(p_T)}{2\pi} \right)^2 \left[ \frac{d\sigma_{FJ}}{d\Phi_{FJ}} \right]^{(2)}}^{\text{MiNLO}} + \overbrace{\left( \frac{\alpha_s(p_T)}{2\pi} \right)^3 [D(p_T)]^{(3)}}^{\text{MiNNLO}} \end{aligned}$$

with

$$D(p_T) = -\frac{d\tilde{S}(p_T)}{dp_T} \mathcal{L}(p_T) + \frac{d\mathcal{L}(p_T)}{dp_T}$$

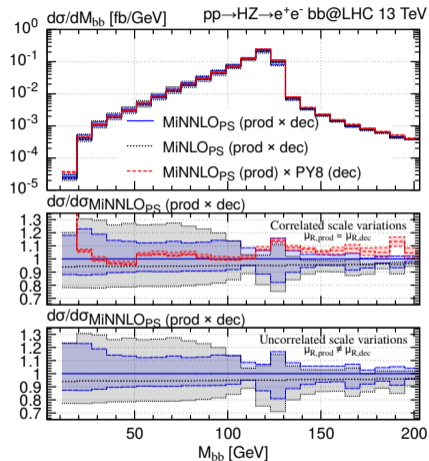
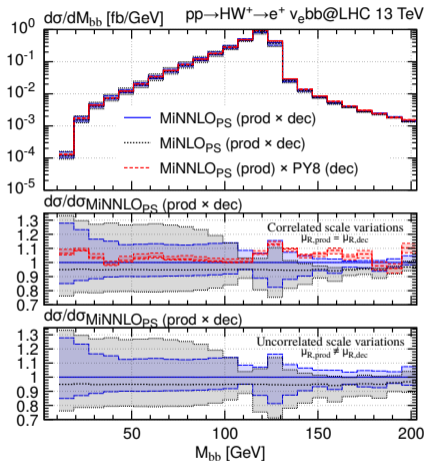
- NNLO accuracy reached for observables inclusive in F

- One of the main production channels + largest branching fraction in the decay
- Needed for precision measurements in the Higgs sector
- Possible to study separately production and decay

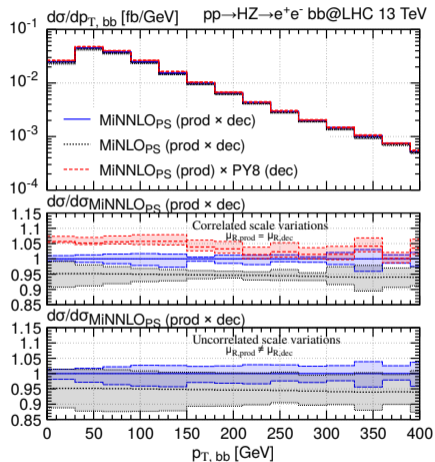
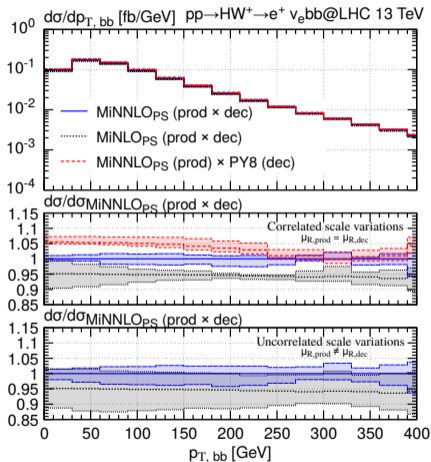


$$w_{full} = w_{prod} \cdot \text{Br}(H \rightarrow b\bar{b}) \cdot \frac{w_{dec}}{\Gamma(H \rightarrow b\bar{b})}$$

- NNLO+PS accuracy in both production and decay
- MiNNLO<sub>PS</sub> in prod + reweighting in decay
- Correlated vs uncorrelated scales variation
- Shower (PYTHIA8) consistently matched



- Fully compatible regardless the scale variations
- PY8 error bands drastically underestimated

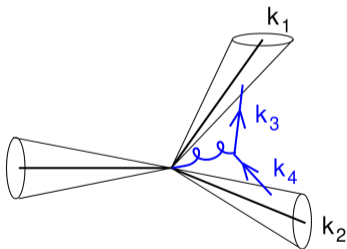


- MiNNLO<sub>PS</sub> induces a mostly flat 5% correction on top of MiNLO'



The definition of flavour in a clustering algorithm is not trivial  $\rightarrow$  **IR-safe flavour**, insensitive to the addition of extra soft and collinear branchings.

Example: with a usual algorithm (kt, cone,..), sum of flavours of partons in a jet is IR unsafe



If a soft gluon emits a couple of quarks at wide angles, the flavours of jets can be contaminated.

$$y_{ij}^{kt} = \frac{(\Delta\eta_{ij}^2 + \Delta\phi_{ij}^2)}{R^2} \times \min(k_{ti}^2, k_{tj}^2)$$

$$y_{iB}^{kt} = k_{ti}^2$$

[Banfi, Salam, Zanderighi 2006]

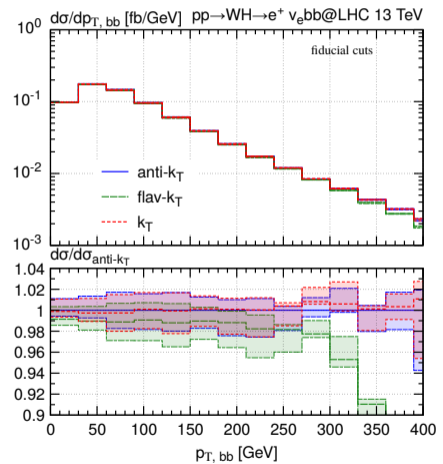
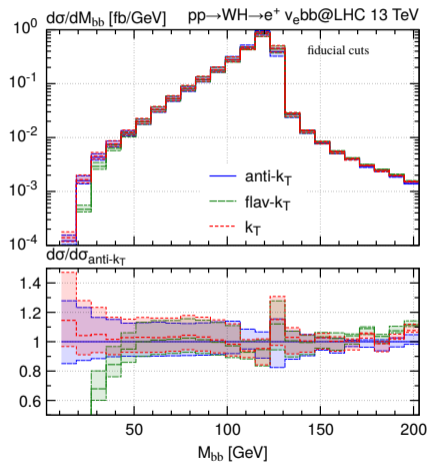
$$y_{ij}^{flav-kt} = \frac{(\Delta\eta_{ij}^2 + \Delta\phi_{ij}^2)}{R^2} \times \begin{cases} \max(k_{ti}^2, k_{tj}^2) & \text{softer (i,j) is flavoured} \\ \min(k_{ti}^2, k_{tj}^2) & \text{softer (i,j) is flavourless} \end{cases}$$

$$y_{iB}^{flav-kt} = \begin{cases} \max(k_{ti}^2, k_{tB}^2) & \text{i flavoured} \\ \min(k_{ti}^2, k_{tB}^2) & \text{i flavourless} \end{cases}$$

$$k_{tB}(\eta) = \sum_i k_{ti} (\Theta(\eta_i - \eta) + \Theta(\eta - \eta_i) e^{\eta_i - \eta})$$

**IDEA behind  $k_{tB}$ :** we have an emitting beam whose "transverse scale" depends on the emissions already occurred (higher rapidities) and on the light-cone momentum still left (lower rapidities).

The same logic is applied to the beam moving in the opposite direction, defining  $k_{t\bar{B}}$



- NNLO+PS accuracy is **strongly needed** for a realistic description of LHC events
- MiNNLO<sub>PS</sub> is a **powerful tool** for reaching this accuracy
- In this context, I showed results for **VH production with H→bb decay**
- **Non trivial** impact of jet **clustering algorithms**

**Thank you for your attention!**

# Back Up

MiNNLO<sub>PS</sub> reaches NNLO+PS accuracy for the production of a colour singlet F.  
Starting point → **MiNLO'** framework implemented within the **POWHEG** method.

## POWHEG

[Nason 2004]

$$d\sigma_{POW} = \bar{B}(\Phi_n) d\Phi_n \left\{ \Delta(\Phi_n, \lambda) + \Delta(\Phi_n, p_T) \frac{R(\Phi_n, \Phi_r)}{B(\Phi_n)} d\Phi_r \right\}$$

with

$$\bar{B}(\Phi_n) = B(\Phi_n) + V(\Phi_n) + \int d\Phi_r [R(\Phi_{n+1}) - C(\Phi_{n+1})]$$

$$\Delta(\Phi_n, p_T) = \exp \left\{ - \int d\Phi_r' \frac{R(\Phi_n, \Phi_r')}{B(\Phi_n)} \theta(p_T' - p_T) \right\}$$

- **Hardest emission generated first** → subsequent emissions are  $p_T$ -vetoed
- Events generated with **positive weights**
- **NLO** accuracy in inclusive observables
- Almost **PS independent**

## MiNLO'

[Hamilton, Nason, Oleari, Zanderighi 2012]

$$\bar{B}(\Phi_n) = e^{-\tilde{S}(p_T)} \left( B(\Phi_n) (1 + \alpha_s(p_T) \tilde{S}^{-1}) + V(\Phi_n) + \int d\Phi_r [R(\Phi_{n+1}) - C(\Phi_{n+1})] \right)$$

$$\tilde{S}(p_T) = \int_{p_T^2}^{Q^2} \frac{dq^2}{q^2} \left[ A(\alpha_s(q^2)) \log \frac{Q^2}{q^2} + B(\alpha_s(q^2)) \right]$$

- Finite result for F+J production when the jet is unresolved
- Prescription for choosing the scales  $\mu_R$  and  $\mu_F$
- **NLO** accuracy in observables inclusive in F and F+J

- Starting point: **kt algorithm**

$$y_{ij}^{kt} = 2 \cdot \min(E_i^2, E_j^2)(1 - \cos\theta_{ij}), \quad E_j \ll E_i, \theta_{ij} \ll 1$$

- **Physical meaning:** QCD enhancement in soft/collinear regions for gluon emissions

$$d\Phi |M_{g \rightarrow g_i g_j}|^2 \sim \frac{dE_j}{\min(E_i, E_j)} \frac{d\theta_{ij}^2}{\theta_{ij}^2}$$

- Quark production has **no soft divergence**

$$d\Phi |M_{g \rightarrow q_i \bar{q}_j}|^2 \sim \frac{dE_j}{\max(E_i, E_j)} \frac{d\theta_{ij}^2}{\theta_{ij}^2}$$

→ **FATAL** for jet flavour studies



