Quantum confined excitons in twodimensional materials

Atac Imamoglu

ETH Zurich

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Many discussions with: Rafal Odlziejewski, Richard Schmidt <u>Eugene Demler</u>

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Outline

 Elementary optical excitations of transition metal dichalcogenide (TMD) monolayers

 Electrical control of optical properties: realization of quantum confined excitons in a monolayer p-i-n junction

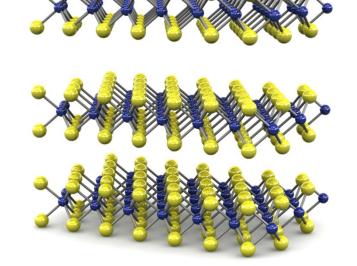
• Prospects for strongly interacting excitons and polaritons

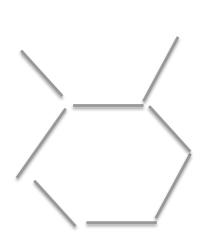
<u>Materials</u>: Transition metal dichalcogenides (TMD)

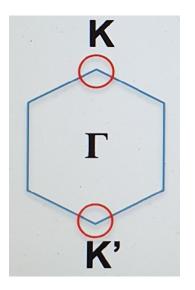
- layered 2D semiconductors

	н		MX ₂														He	Electrical Material		
	Li	Ве		M = Transition metal X = Chalcogen B C N O F											F	Ne	property	Material		
Formula: MX ₂	Na	Mg	3	4	5	6	7	8	9	10	11	12	AI	Si	Ρ	s	CI	Ar	Semiconducting	$MoS_2 MoSe_2 WS_2$
M = Transition Metal	к	Са	Sc	ті	v	Cr	Mn	Fe	Co	Ni	Cu	Zn	Ga	Ge	As	Se	Br	Kr		WSe ₂ MoTe ₂ WTe ₂
X = Chalcogen									-										Semimetallic	TiS ₂ TiSe ₂
	Rb	Sr	Y	Zr	Nb	Мо	Тс	Ru	Rh	Pd	Ag	Cd	In	Sn	Sb	Те	1	Xe		
	Cs	Ва	La - Lu	Hf	Та	w	Re	Os	Ir	Pt	Au	Hg	TI	Pb	Bi	Po	At	Rn	Metallic, CDW, Superconducting	$NbSe_2 NbS_2 NbTe_2 TaS_2 TaSe_2 TaTe_2$
	Fr	Ra	Ac - Lr	Rf	Db	Sg	Bh	Hs	Mt	Ds	Rg	Cn	Uut	FI	Uup	Lv	Uus	Uuo		

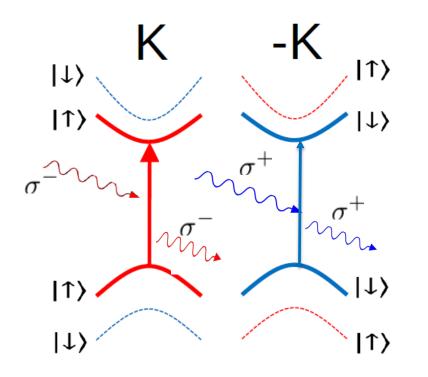
Layered materials







TMD monolayers: direct band-gap semiconductors with a valley degree of freedom

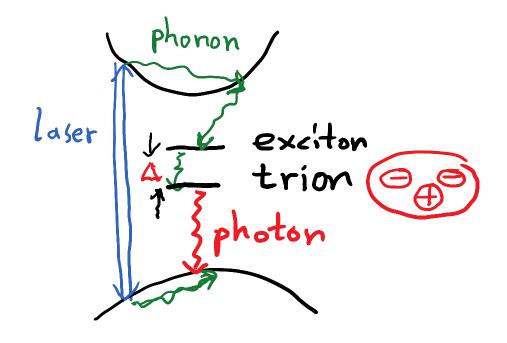


TMD monolayers: direct band-gap semiconductors with a valley degree of freedom

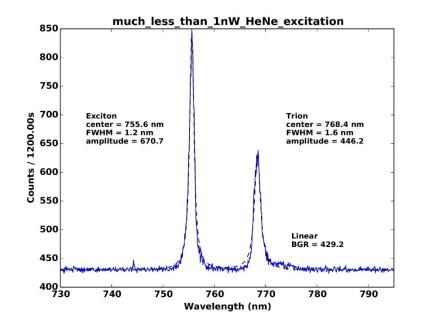
For MoSe₂ in hBN, $E_B = 230$ meV, $a_B = 1.1$ nm

Photoluminescence (PL) from 2D materials

 Due to strong Coulomb interactions, electrons and holes form strongly bound states before they recombine: PL is dominated by decay of an exciton or a trion if QW has very low density electrons (trion osc. str. is much smaller).

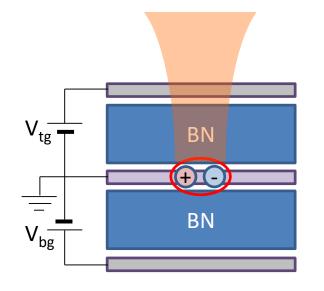


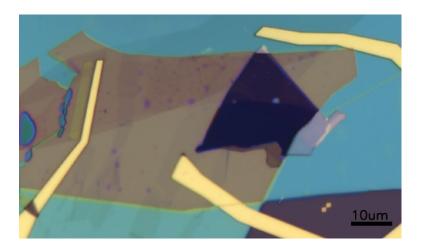
Exciton linewidth of neutral MoSe₂ is comparable to the radiative decay rate



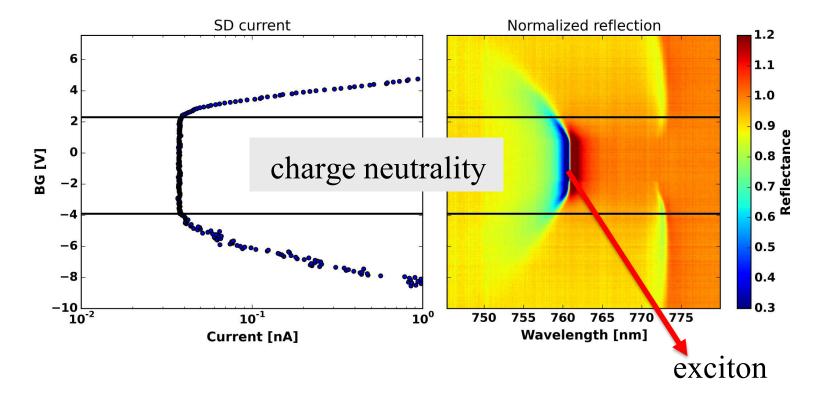
Charge tunable van der Waals heterostructures

- Exfoliation of and stacking of monolayers of semiconducting TMDs and graphene, together with ~50 nm thick insulating boron nitride (BN) layers
- A gate voltage applied between the top/bottom (transparent) graphene gate and the MoSe2 layer allows for tuning the electron/hole density





Carrier density dependent reflection



- Sharp increase in conductance indicates free carriers
- Reflection is strongly modified as electrons or holes injected
- A new red-shifted resonance **attractive polaron** if electrons/holes are present

Exciton-electron scattering in a monolayer TMD

 Excitons are neutral bosonic optical excitations (quanta of electronic polarization wave) that interact with itinerant electrons or holes and form a bound molecular state termed "trion"

Exciton as a mobile impurity in a degenerate electron system

Interacting exciton-electron system (with Eugene)

$$H = \sum_{k} \epsilon_k c_k^{\dagger} c_k + \sum_{k} \omega_k x_k^{\dagger} x_k + \sum_{k} V_q c_{k+q}^{\dagger} c_k x_{k'-q}^{\dagger} x_{k'}$$

Contact interaction strength determined by the trion binding energy

$$\frac{1}{V_q} = \frac{1}{V} = -\sum_k \frac{1}{- + \hbar^2 k^2 / (2\mu)}$$

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Approximate form of eigenstates of H in the truncated Hilbert space:

$$|\Psi\rangle = \left(x_0^{\dagger}\phi_0 + \sum_{k>k_F, q < k_F} \phi_{kq} c_k^{\dagger} c_q x_{k-q}^{\dagger}\right) |0_x\rangle |FS\rangle \quad \text{Polaron Chevy-Ansatz}$$

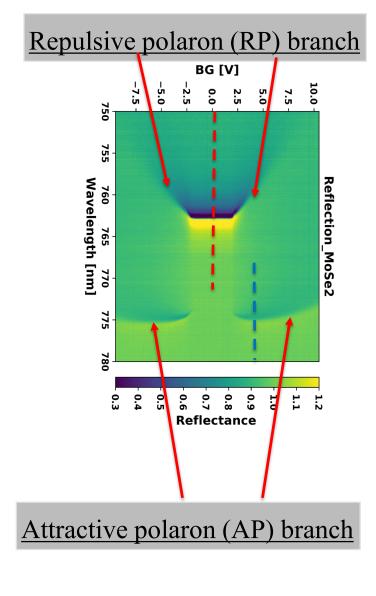
bare exciton Exciton + Fermi-sea electron-hole pair

Eigenstates with a large spectral weight:

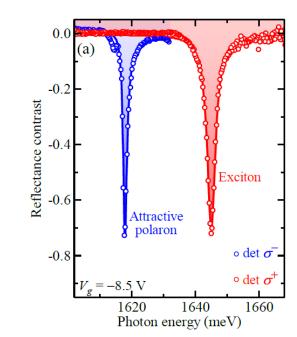
attractive (AP) and repulsive (RP) polarons

Sidler, Cotlet, Demler, AI Nat. Phys (2017) Efimkin&MacDonald PRB (2017)

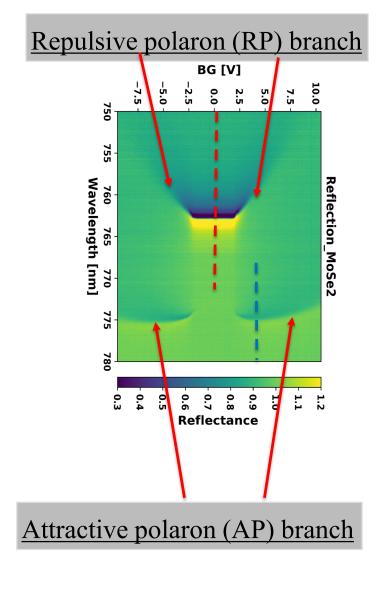
Exciton-(Fermi)-polaron: exciton dynamically screened by itinerant electrons



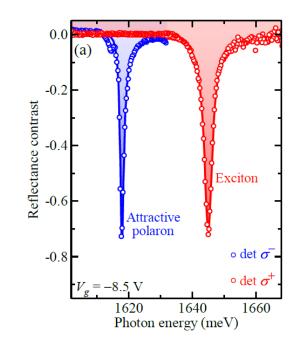
- Existence of a bound trion state is crucial for attractive polaron formation
- For vanishing electron density, attractive polaron & trion are indistinguishable
- Excitons in K-valley can only be dressed to form AP by electrons in K'-valley



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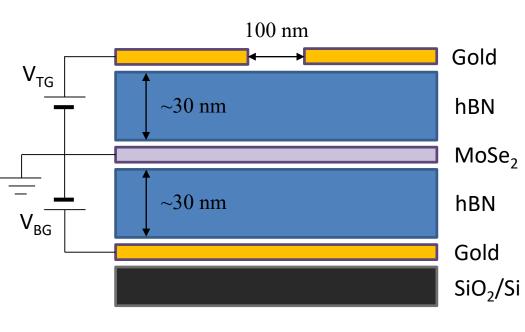
Note the strong electron (hole) density dependence of repulsive polarons: Exciton as a «quantum sensor» of correlated electron states

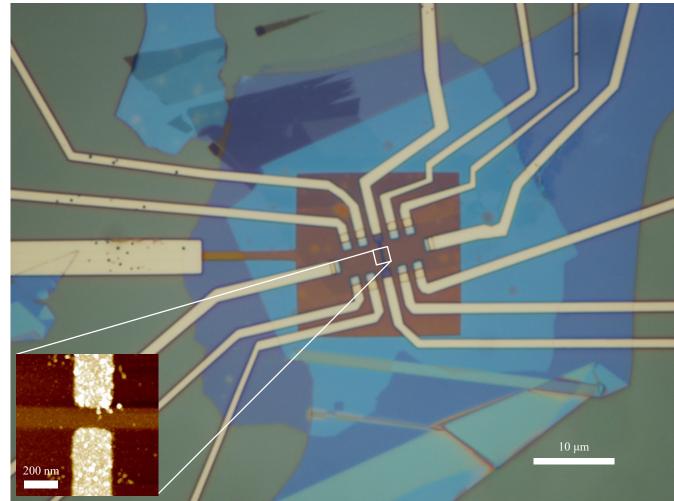
Quantum confinement of neutral excitons using electric fields

Device structure

≻ Stack:

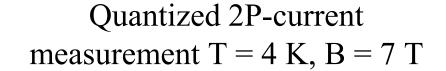
Au back gate/ hBN / 1L MoSe₂ / hBN / Au split gate

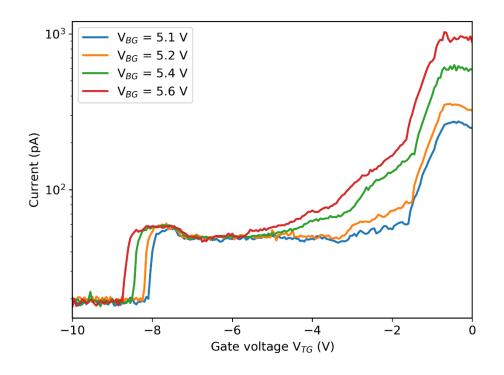


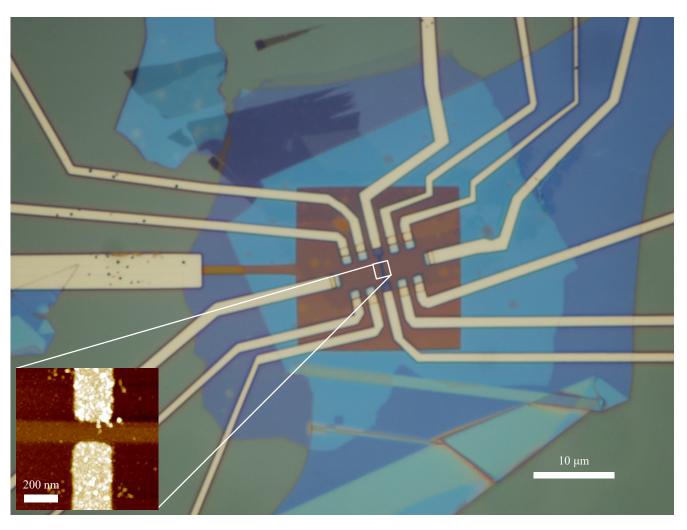


3nm Ti / 7 nm Au split gate → Optically transparent

Quantum confinement of neutral excitons using electric fields



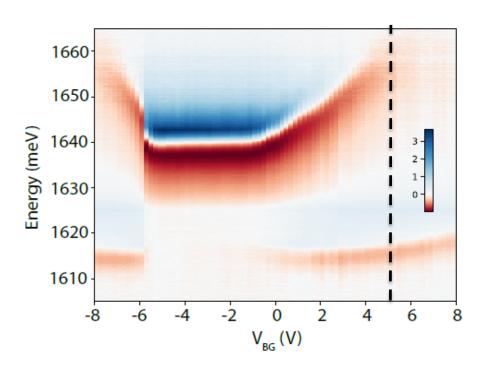




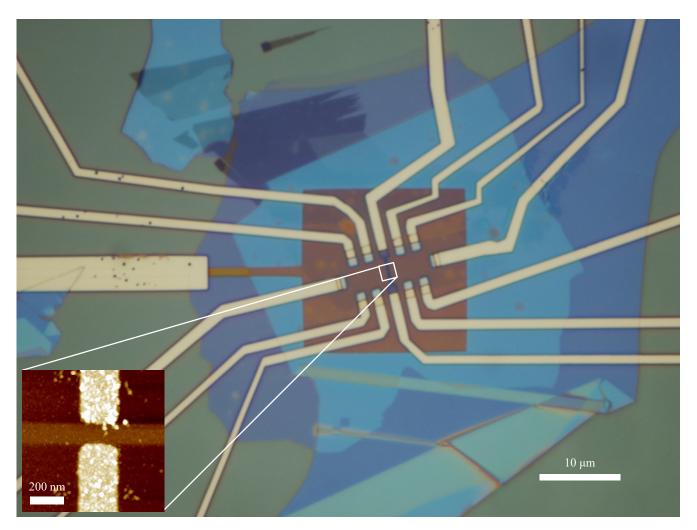
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Quantum confinement of neutral excitons using electric fields

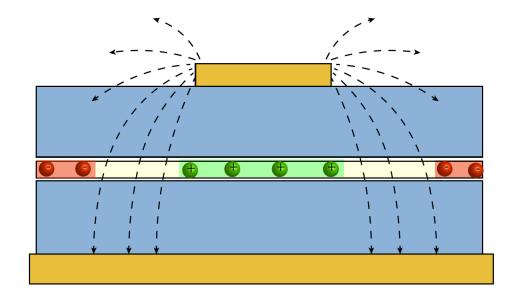
Set top gate to 0 V



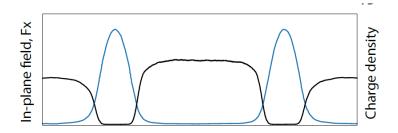
For $V_{BG} = 5V$ (black dashed line), the sample is electron doped



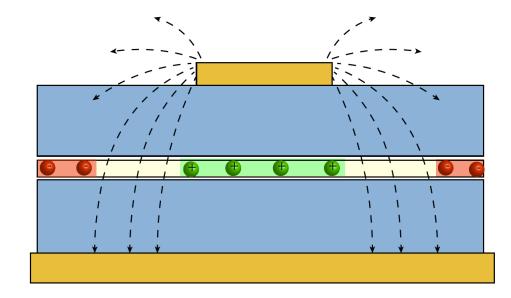
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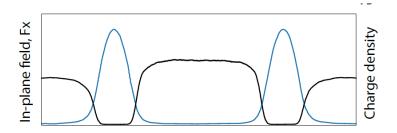
As we reduce V_{TG} we can hole dope under the top gate; there is large electric field in the i-region that separates pand n-doped regions

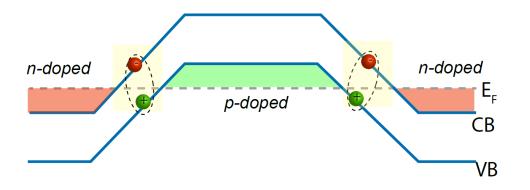


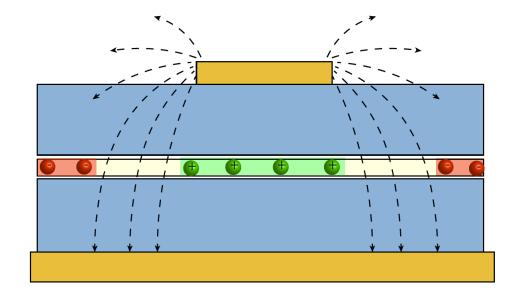
 $V_{BG} > 0$:overall electron doping $V_{TG} + V_{BG} < 0$:hole doping under the top gate



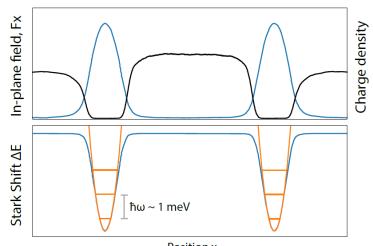
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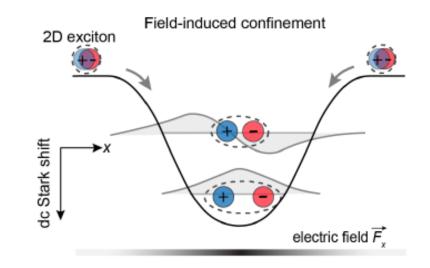


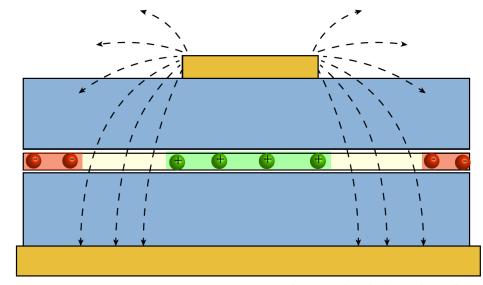
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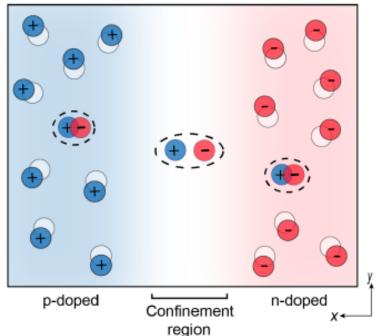
Position **x**

$$\Delta E_S = -\frac{1}{2}\alpha F_x(x)^2$$

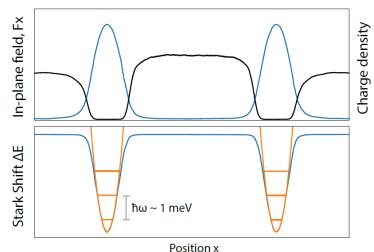


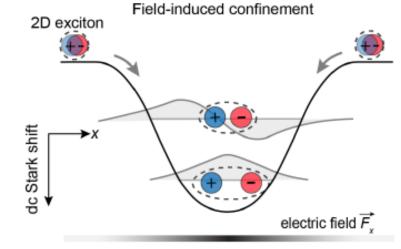


Interaction-induced confinement

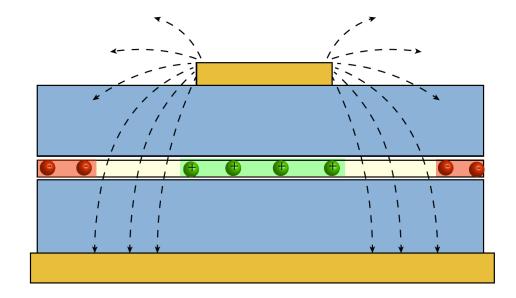


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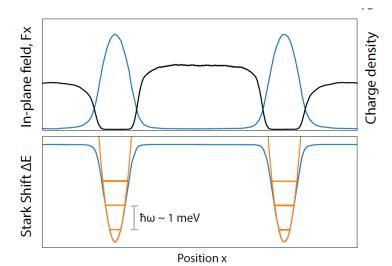


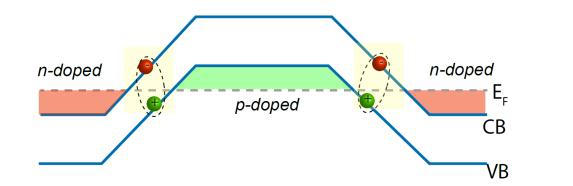


Reflection spectrum– Top gate dependence for V_{BG} = 5V

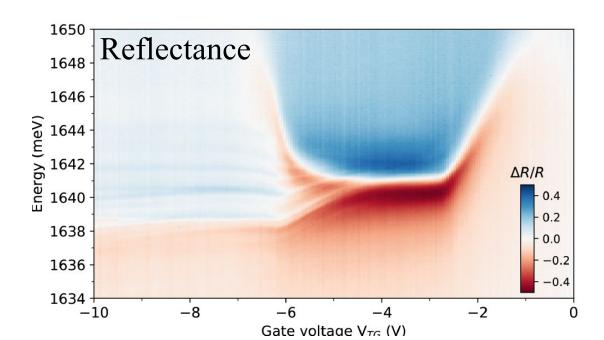


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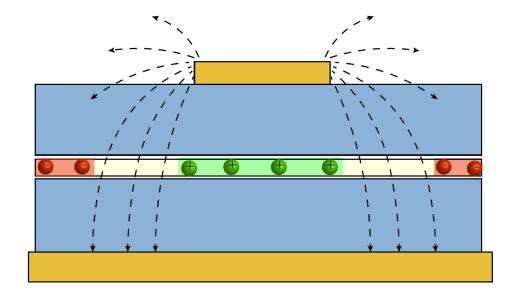




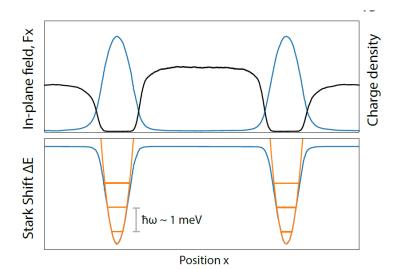
Neutral excitons are confined in the i-region by dc-Stark effect and repulsive exciton-carrier interactions: dipolar excitons in a 1D wire

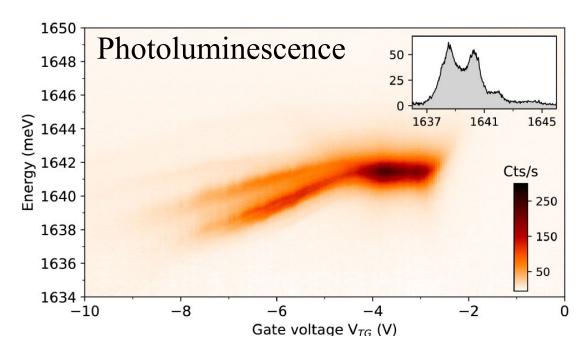


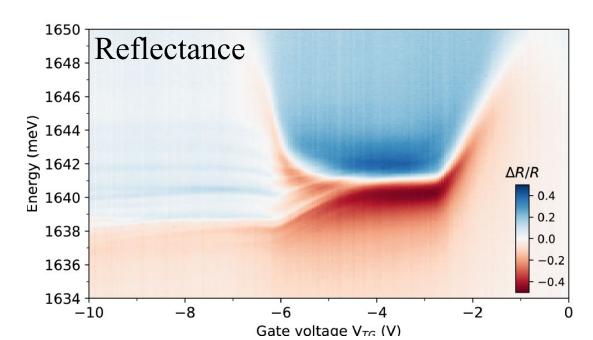
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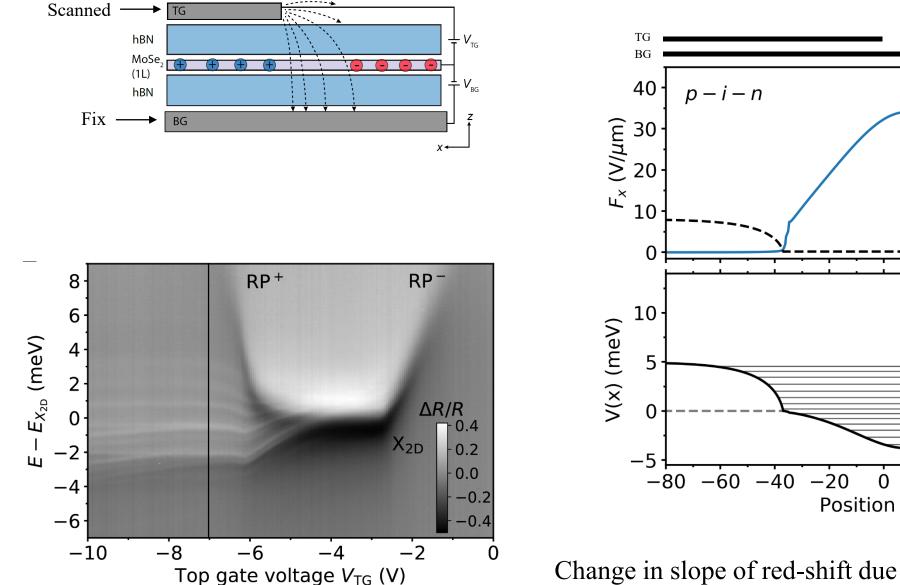
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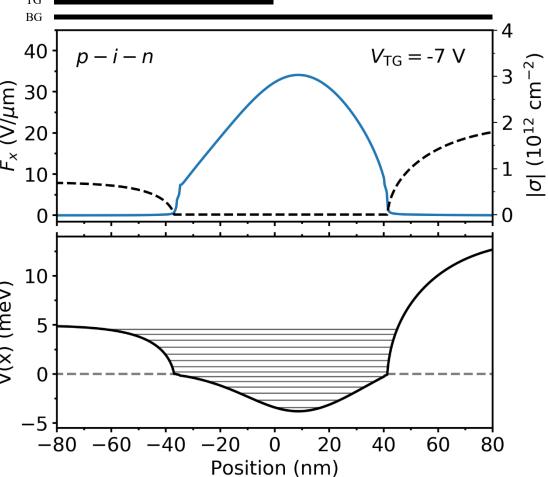






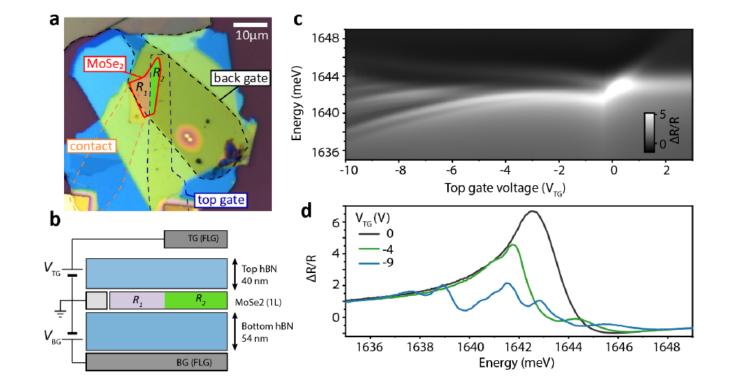
Quantum confined excitons in the p-i-n diode



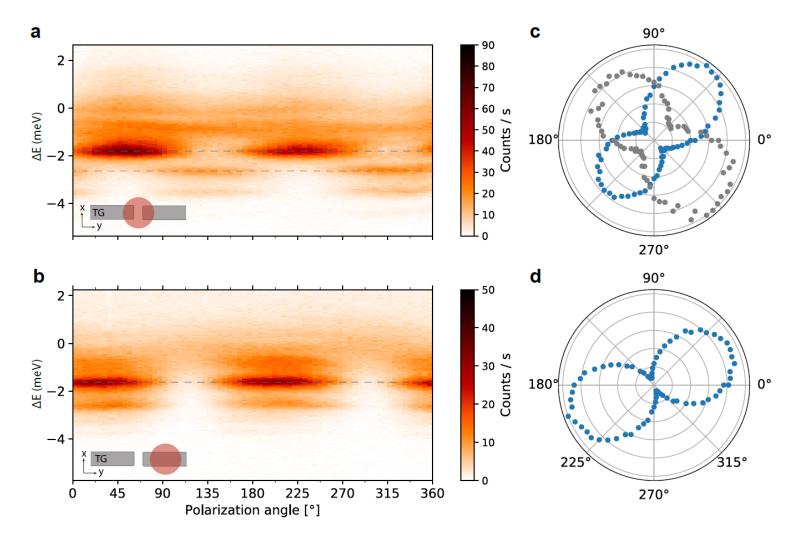


Change in slope of red-shift due to optical charging effects

Quantum confinement of excitons in another device

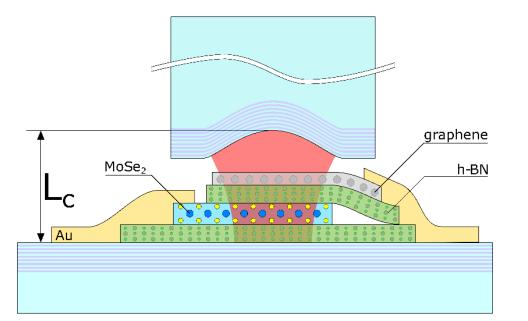


Evidence for 1D confinement: linearly polarized emission



Long-range electron-hole exchange ensures that the exciton emission is polarized along the wire

- Strongly interacting photons: so far the successful efforts used either 0D emitters (transmons in circuit-QED) or Rydberg excitations from 3D atomic ensembles).
 - a 1D exciton wire in a 0D cavity as a solid-state photonic system with strong polariton interactions in the polariton blockade regime



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- Synthetic gauge fields for photons: $qA = \alpha E \times B$
- Fully electrically defined and tunable quantum dots in monolayer TMDs.