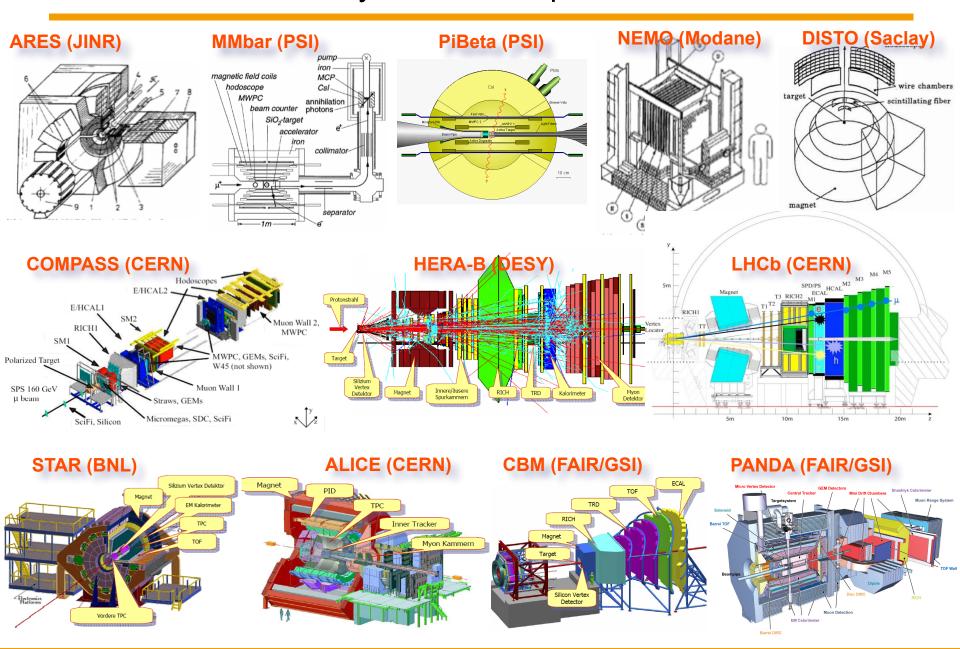
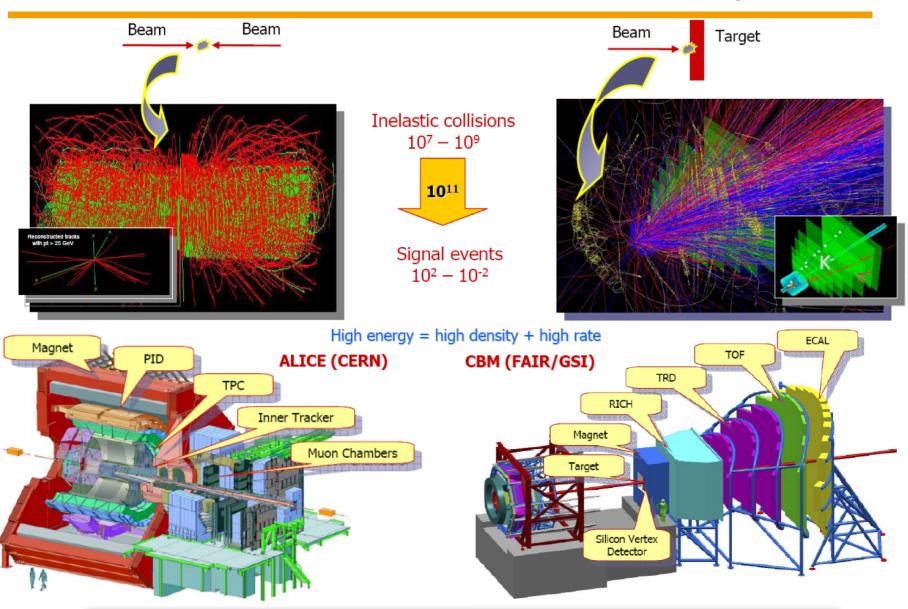


My research experience

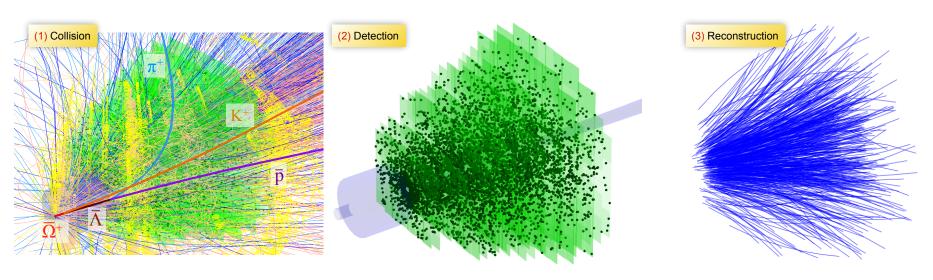


HEP Experiments: Collider and Fixed-Target



HEP Experiments: select interesting physics on-line

Reconstruction challenge in CBM at FAIR/GSI

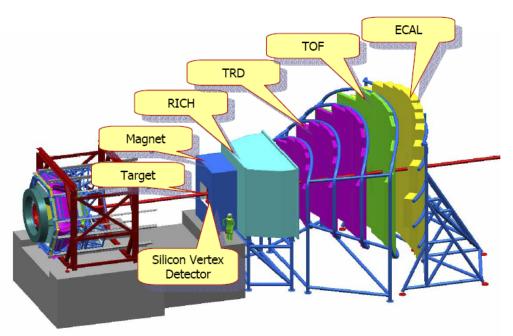


- Future fixed-target heavy-ion experiment
- 10⁷ Au+Au collisions/sec
- ~ 1000 charged particles/collision
- Non-homogeneous magnetic field
- Double-sided strip detectors (85% fake space-points)

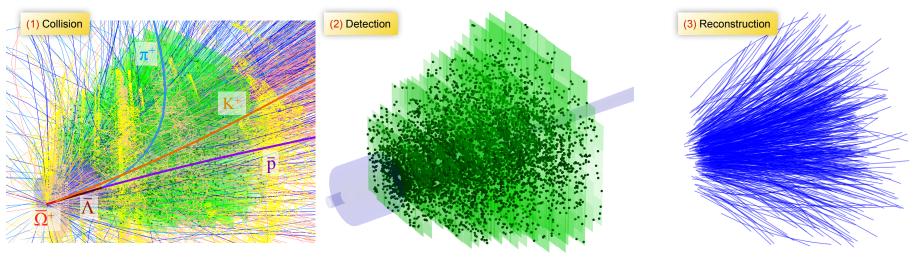
Full event reconstruction will be done on-line at the First-Level Event Selection (FLES) and off-line using the same FLES reconstruction package.

Cellular Automaton (CA) Track Finder Kalman Filter (KF) Track Fitter KF short-lived Particle Finder

All reconstruction algorithms are vectorized and parallelized.



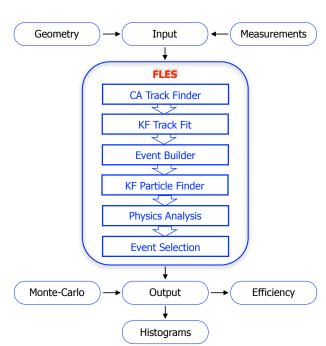
Reconstruction challenge in CBM at FAIR/GSI



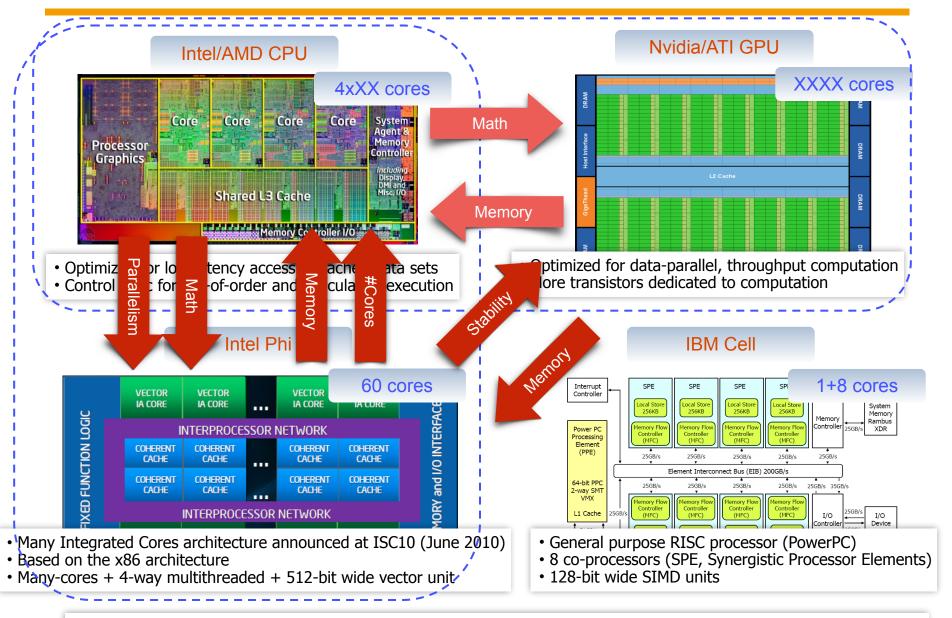
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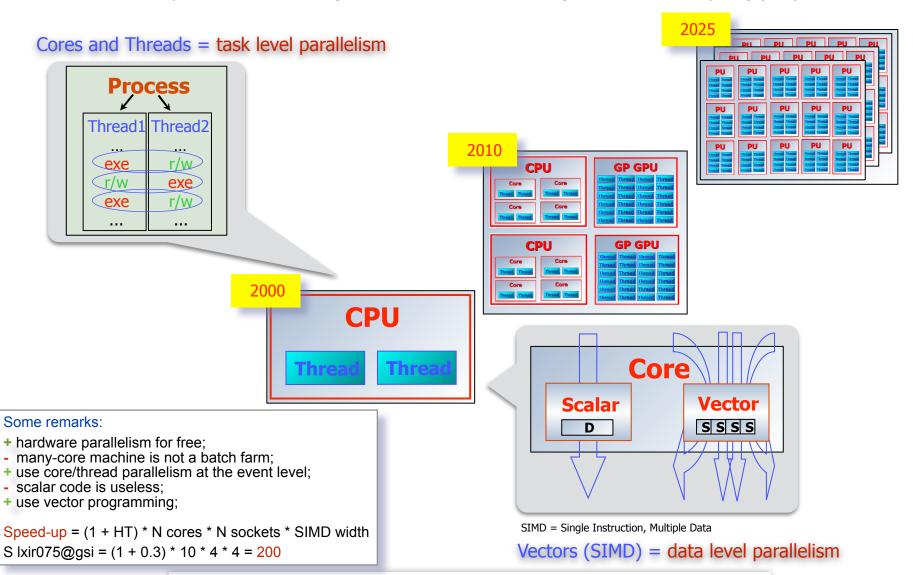
Many-Core CPU/GPU Architectures



Future systems are heterogeneous. Fundamental redesign of traditional approaches to data processing is necessary

Many-core HPC: Cores, Threads and Vectors

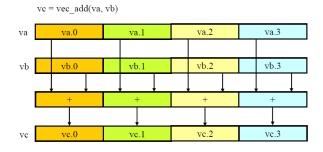
HEP experiments work with high data rates, therefore need High Performance Computing (HPC)!

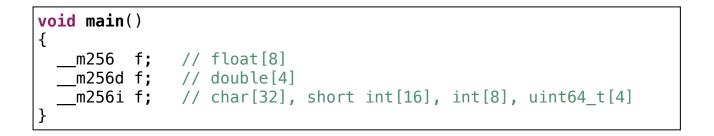


Fundamental redesign of traditional approaches to data processing is necessary

SIMD Registers

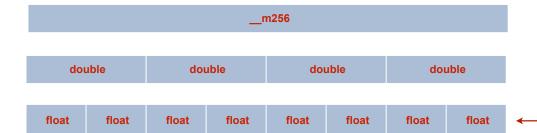
vc = va+vb





SIMD register:





Speed up of factor 8

Basic Single Precision SIMD Instructions

```
Arithmetic:
                                a + b
    _mm_add_ps (Va,Vb)
                                a - b
    mm sub ps (Va,Vb)
                                a * b
    mm mul ps (Va,Vb)
                                a / b
    _mm_div_ps (Va,Vb)
Logical:
                                a & b
    _mm_and_ps (Va,Vb)
                                a | b
    _mm_or_ps (Va,Vb)
                                a ^ b
    _mm_xor_ps (Va,Vb)
Comparison:
                                a < b
    mm cmplt ps (Va,Vb)
                                a <= b
    _mm_cmple_ps (Va,Vb)
                                a > b
    _mm_cmpgt_ps (Va,Vb)
                                a >= b
    _mm_cmpge_ps (Va,Vb)
                                a == b
    _mm_cmpeq_ps (Va,Vb)
Extra:
                                min (a, b)
    _mm_min_ps (Va,Vb)
                                max (a, b)
    _mm_max_ps (Va,Vb)
                                1/a
    _mm_rcp_ps (Va)
                                sgrt(a)
    _mm_sqrt_ps (Va)
                                1/sqrt(a)
    _mm_rsqrt_ps (Va)
```

There are much more instructions, including instructions for SIMD vectors with double precision values.

Wrapped C++ Headers

The instructions can be wrapped by C++ class, which overloads standard operators (+, -, *, \, >, etc.) for the convenience of user.

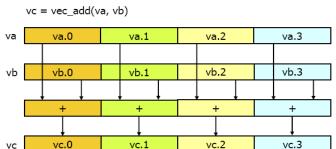
```
Partial source code of P4 F32vec4.h
    class F32vec4
44
45
46
     public:
47
48
      m128 v;
49
      float & operator[]( int i ){ return (reinterpret_cast<float*>(&v))[i]; }
50
51
      float
              operator[]( int i ) const { return (reinterpret_cast<const float*>(&v))[i]; }
52
53
      F32vec4( ):v(_mm_set_ps1(0)){}
54
      F32vec4( const __m128 &a ):v(a) {}
55
      F32vec4( const float &a ):v( mm set ps1(a)) {}
56
57
      F32vec4( const float &f0, const float &f1, const float &f2, const float
    &f3 ):v(_mm_set_ps(f3,f2,f1,f0)) {}
62
      /* Arithmetic Operators */
      friend F32vec4 operator +(const F32vec4 &a, const F32vec4 &b) { return _mm_add_ps(a,b); }
63
72
      /* Square Root */
73
      friend F32vec4 sqrt (const F32vec4 &a) { return mm sqrt ps (a); }
214 } attribute ((aligned(16)));
215
216
217 typedef F32vec4 fvec;
218 typedef float fscal;
219 const int fvecLen = 4;
```

Headers - overloading operators

```
typedef F32vec4 Fvec t;
                                                                            SIMD instructions
/* Arithmetic Operators */
friend F32vec4 operator +( const F32vec4 &a, const F32vec4 &b ) { return _mm_add_ps(a, b); }
friend F32vec4 operator -( const F32vec4 &a, const F32vec4 &b ) { return mm sub ps(a, b); }
friend F32vec4 operator *( const F32vec4 &a, const F32vec4 &b ) { return mm mul ps(a, b); }
friend F32vec4 operator /( const F32vec4 &a, const F32vec4 &b ) { return mm div ps(a, b); }
/* Functions */
friend F32vec4 min( const F32vec4 &a, const F32vec4 &b) { return mm min ps(a, b); }
friend F32vec4 max( const F32vec4 &a, const F32vec4 &b ) { return mm max ps(a, b); }
/* Square Root */
friend F32vec4 sqrt( const F32vec4 &a ){ return mm sqrt ps (a); }
/* Absolute value */
friend F32vec4 fabs( const F32vec4 &a ){ return _mm_and_ps(a, _f32vec4_abs_mask); }
/* Logical */
friend F32vec4 operator&( const F32vec4 &a, const F32vec4 &b ){ // mask returned
    return mm and ps(a, b);
friend F32vec4 operator ( const F32vec4 &a, const F32vec4 &b ) { // mask returned
    return mm or ps(a, b);
friend F32vec4 operator^( const F32vec4 &a, const F32vec4 &b ){ // mask returned
    return mm xor ps(a, b);
}
friend F32vec4 operator!( const F32vec4 &a ){ // mask returned
    return _mm_xor_ps(a, _f32vec4_true);
friend F32vec4 operator | ( const F32vec4 &a, const F32vec4 &b ) { // mask returned
    return mm or ps(a, b);
/* Comparison */
friend F32vec4 operator<( const F32vec4 &a, const F32vec4 &b ){ // mask returned
    return mm cmplt ps(a, b);
```

Code (Part of the Kalman Filter)

```
inline void AddMaterial( TrackV &track, Station &st, Fvec_t &qp0 )
 cnst mass2 = 0.1396*0.1396;
 Fvec_t tx = track.T[2];
 Fvec_t ty = track.T[3];
 Fvec t txtx = tx*tx;
                                                                            vb
 Fvec_t tyty = ty*ty;
 Fvec t txtx1 = txtx + ONE;
 Fvec t h = txtx + tyty;
 Fvec_t t = sqrt(txtx1 + tyty);
 Fvec th2 = h*h;
 Fvec t qp0t = qp0*t;
 cnst c1=0.0136, c2=c1*0.038, c3=c2*0.5, c4=-c3/2.0, c5=c3/3.0, c6=-c3/4.0;
 Fvec_t s0 = (c1+c2*st.logRadThick + c3*h + h2*(c4 + c5*h + c6*h2))*qp0t;
 Fvec_t a = (ONE+mass2*qp0*qp0t)*st.RadThick*s0*s0;
 CovV &C = track.C;
 C.C22 += txtx1*a;
 C.C32 += tx*ty*a; C.C33 += (ONE+tyty)*a;
```



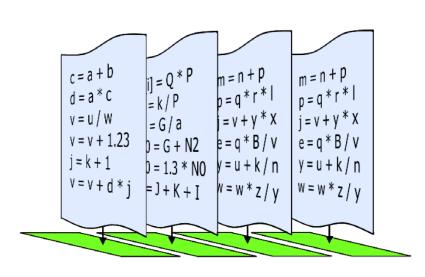
Use of headers to vectorize the code

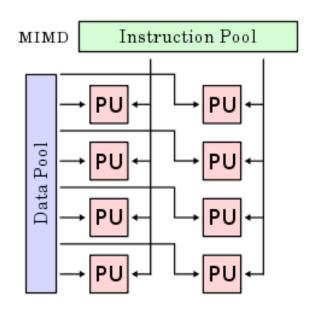
Task Parallelism

Parallelization between cores → Task Parallelism, Parallelization, MIMD

Tools:

- OpenMP
- OpenCL
- Intel Threading Building Blocks (ITBB)
- Pthreads
- Intel Cilk
- Intel Array Building Blocks
- MPI





Performance Characterization

Gene Myron Amdahl (born November 16, 1922) is an American computer architect and high-tech entrepreneur, chiefly known for his work on mainframe computers at IBM (System/360) and later his own companies, especially Amdahl Corporation. He formulated Amdahl's law, which states a fundamental limitation of parallel computing.

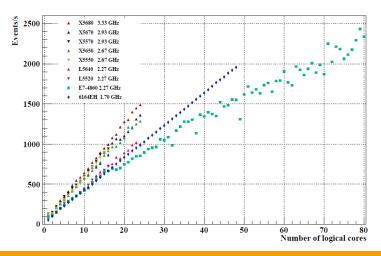


- In ideal case perfect linear speedup
- Super-linear speedup (usually cache effect)
- · Speedup in presence of a serial part
- Number of CPUs is infinite $(P \rightarrow \infty)$ the maximum speedup (Amdahl's law)



$$S(P) = \frac{Time(1)}{Time(P)}$$
 $S(P) = P$ $S(P) > P$

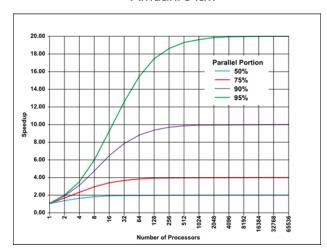
Real-life example: scalability of the CBM track finder on different platforms



$$S(P) = \frac{1}{\alpha + \frac{1 - \alpha}{P}}$$

$$S(P) = \frac{1}{\alpha}$$

Amdahl's law



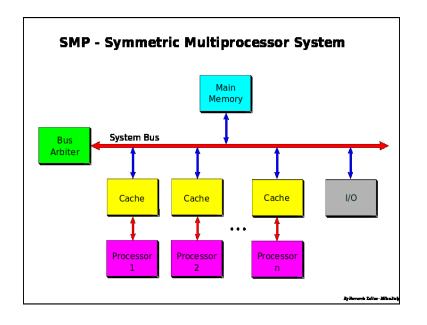
CPU systems

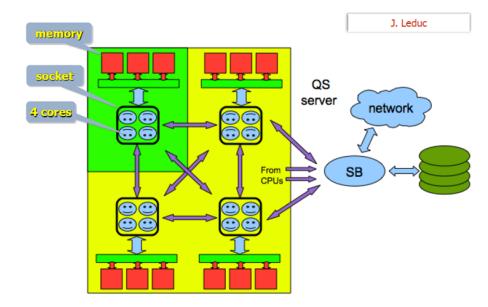
SMP (symmetric multiprocessor) systems:

- Homogeneous
- "Equal-time" access for each processor to any part of the memory

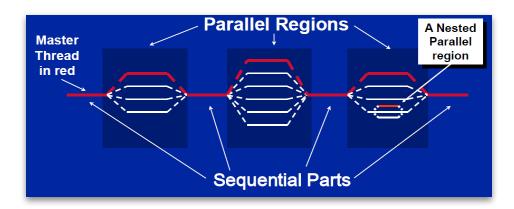
NUMA (non uniform memory access) systems:

- Heterogeneous
- Non uniform access to different parts of the main memory – different speed, data should be close to the CPU





OpenMP



- OpenMP (Open Multi-Processing) technology is the most popular technology of parallelization nowadays.
- A sequential program is taken as a basis and a set of compiler directives, environment variables and library procedures intended for programming multithreaded applications on multiprocessor systems with shared memory are used for its parallelization.
- Memory in OpenMP is divided into: local and shared memory. Local memory is only available for one thread, and shared memory is available for several threads.
- OpenMP gives an opportunity to use multiprocessor computing systems with shared memory most efficiently, providing the
 possibility to use shared data for parallel executed threads without any difficulties for inter-processor data transfers.
- OpenMP allows incremental (step-by-step) development of parallel programs. It means that at the early stages of development you can already get a parallel program, due to OpenMP directives, which can be added into a sequential program step by step.
- A program created with the use of OpenMP technology consists of sequential (single-threaded) and parallel (multi-threaded) sections.
- In OpenMP the parallelization model "Fork Join" is used. At first, there is only a single thread called the initial thread or the main thread or master thread (threard is a lightweight process). As soon as a thread meets a parallel construction in the program code, it creates a group of threads and becomes the main thread. In the created group all the threads, including the main one, execute the program code. After executing a parallel construction in the code, only the main thread continues to work.

```
#include <omp.h>
#include <iostream>
using namespace std;

int main() {

    #pragma omp parallel num_threads(10)
    {
        int id = 0;

        cout << " Hello world " << id << endl;
    }

    return 0;
}</pre>
```

HeloWorld program parallelized with OpenMP for 10 threads.

omp.h header mast be included to operate with OpenMP constructs.

```
Solution: bash
                                                                                          ~ ^ ×
File Edit View Bookmarks Settings Help
bogon:/home/user/Exercise/Exercises/5 OMP/O HelloWorldParallel/Solution # g++ HelloWorld solu 2
tion1.cpp -03 -fopenmp
bogon:/home/user/Exercise/Exercises/5_OMP/0_HelloWorldParallel/Solution # ./a.out
Hello world Hello world 0
bogon:/home/user/Exercise/Exercises/5 OMP/O HelloWorldParallel/Solution # ./a.out
Hello world Hello world 00
Hello world 0
bogon:/home/user/Exercise/Exercises/5 OMP/0 HelloWorldParallel/Solution # 📕
                    Solution: bash
```

Such a program will print symbols on the screen chaotically, because all 10 threads try to do this at the same time and only one of them can print at the current moment. To prevent such situation the threads should be synchronized.

```
#include <omp.h>
#include <iostream>
using namespace std;
int main() {
  #pragma omp parallel num threads(10)
    int id = omp get thread num();
    #pragma omp critical
    cout << " Hello world " << id << endl;</pre>
 return 0;
```

omp critical can be added to the parallel region just before the printing to synchronise threads.

To obtain the id of the thread the function <code>omp_get_thread_num()</code> should be used. Each thread has it's own id, therefore the function should be called in the parallel region by each thread individually. Then id is stored to the local variable of each thread and printed on the screen.

```
Solution: bash
                                                                                            \odot \bigcirc \times
File Edit View Bookmarks Settings Help
bogon:/home/user/Exercise/Exercises/5 OMP/O HelloWorldParallel/Solution # g++ HelloWorld solu
tion3.cpp -03 -fopenmp
bogon:/home/user/Exercise/Exercises/5 OMP/O HelloWorldParallel/Solution # ./a.out
Hello world 6
Hello world 0
Hello world 4
Hello world 5
Hello world 3
Hello world 1
Hello world 7
Hello world 8
Hello world 2
Hello world 9
bogon:/home/user/Exercise/Exercises/5 OMP/0 HelloWorldParallel/Solution # ./a.out
Hello world 2
Hello world 3
Hello world 5
Hello world 1
Hello world 6
Hello world 0
Hello world 7
Hello world 4
Hello world 8
Hello world 9
bogon:/home/user/Exercise/Exercises/5 OMP/O HelloWorldParallel/Solution # 🛮
                    Solution: bash
```

Now threads are synchronised, but they order stays unpredictable and would be different for every run.

OpenCL - Host Program Structure

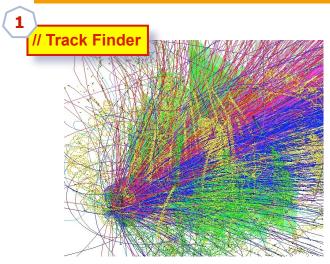
```
Program: create
```

Program: build

Error log:

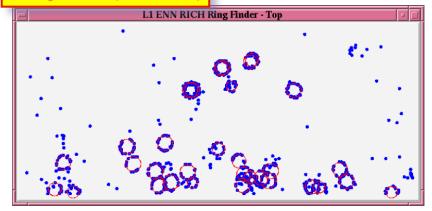
Kernel: create

Stages of Event Reconstruction

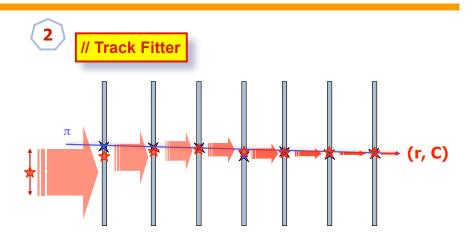


- Conformal Mapping
- Hough Transformation
- Track Following
- Cellular Automaton

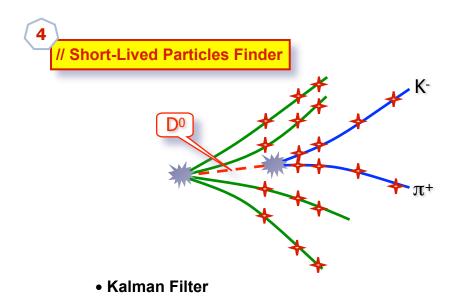
// Ring Finder (Particle ID)



- Hough Transformation
- Elastic Neural Net

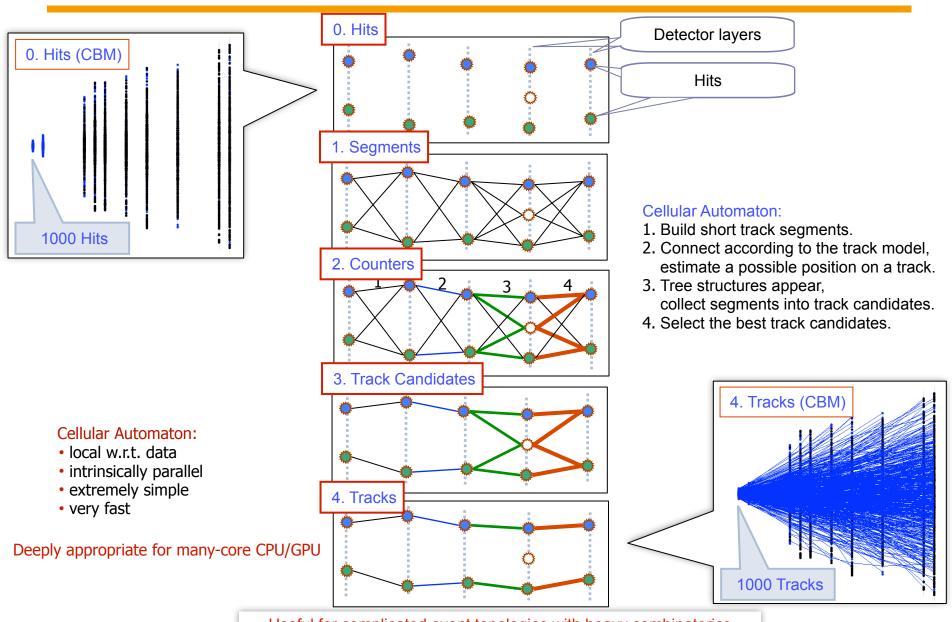


Kalman Filter



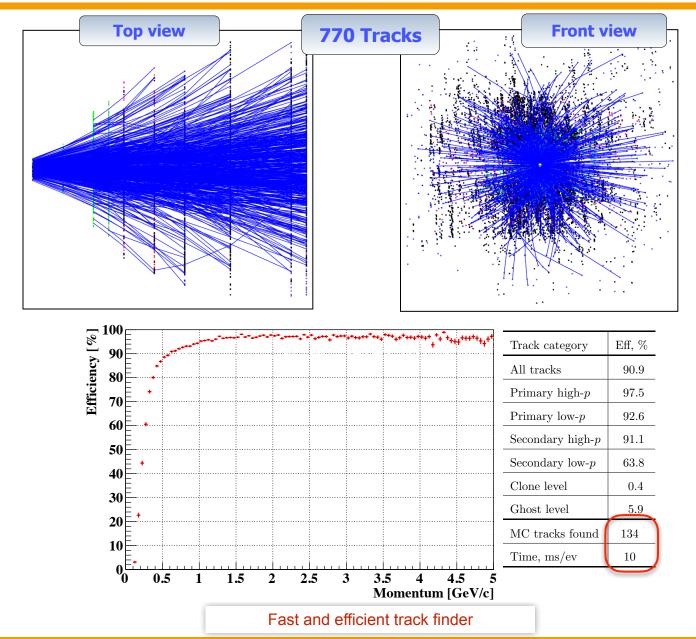
1

Cellular Automaton (CA) Track Finder

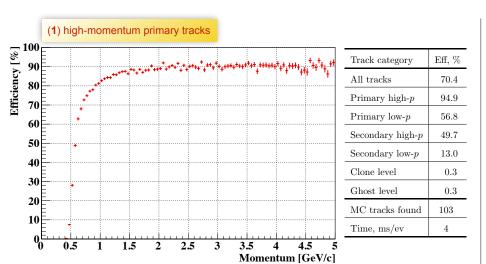


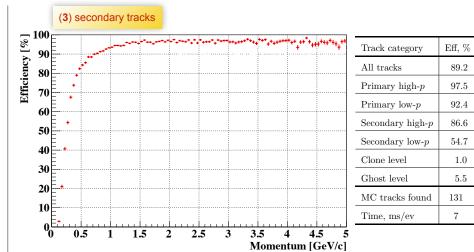
Useful for complicated event topologies with heavy combinatorics

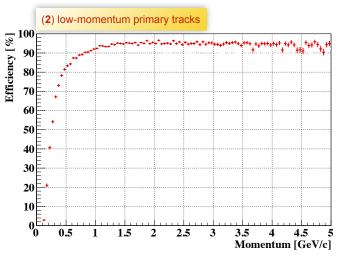
Cellular Automaton (CA) Track Finder



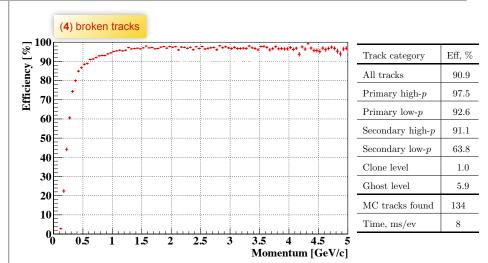
CBM CA Track Finder







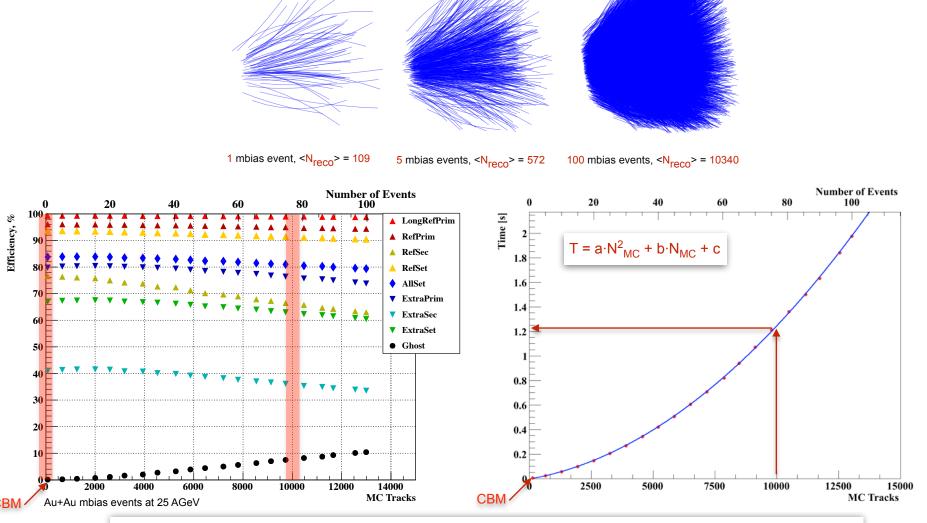
Track category	Eff, %
All tracks	87.8
Primary high- p	95.8
Primary low- p	91.4
Secondary high- p	84.5
Secondary low- p	54.2
Clone level	0.9
Ghost level	5.6
MC tracks found	129
Time, ms/ev	6



Efficient and stable event reconstruction

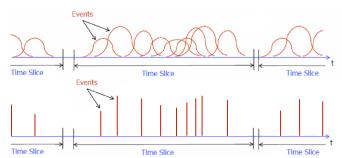
CA Track Finder at High Track Multiplicity

A number of minimum bias events is gathered into a group (super-event), which is then treated by the CA track finder as a single event.



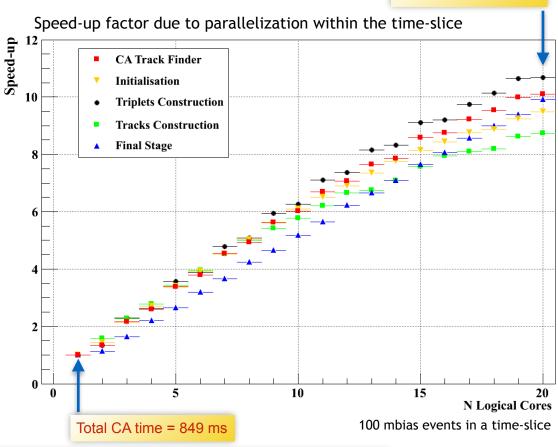
Reliable reconstruction efficiency and time as a second order polynomial w.r.t. to the track multiplicity

Time-based (4D) Track Reconstruction



Efficiency, $\%$	3D	4D
All tracks	83.8	83.0
Primary high- p	96.1	92.8
Primary low- p	79.8	83.1
Secondary high- p	76.6	73.2
Secondary low- p	40.9	36.8
Clone level	0.4	1.7
Ghost level	0.1	0.3
Time/event/core, ms	8.2	8.5

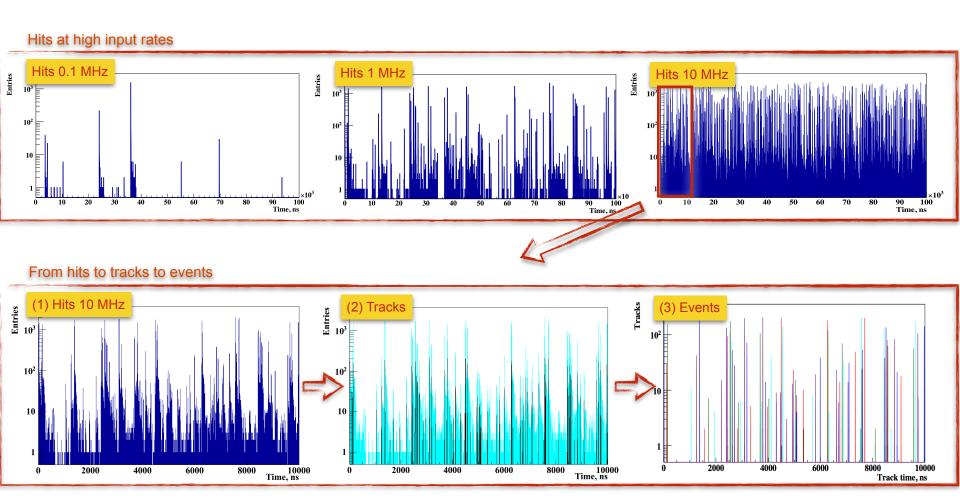
- The beam in the CBM will have no bunch structure, but continuous.
- Measurements in this case will be 4D (x, y, z, t).
- Significant overlapping of events in the detector system.
 Reconstruction of time slices rather than events is needed.



The reconstruction time 8.2 ms/event in 3D is recovered in 4D case as well

Total CA time = 84 ms

4D Event Building at 10 MHz



Reconstructed tracks clearly represent groups, which correspond to the original events

Kalman Filter Algorithm

The Kalman filter is a recursive estimator – only the estimated state from the previous time step and the current measurement are needed to compute the estimate for the current state.

mean value over n measurements



$$\mu_n = \frac{1}{n} \sum_{i=1}^n x_i$$

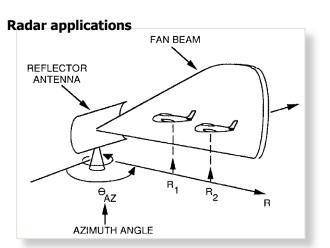


$$1 \quad \stackrel{n+1}{\longrightarrow} \quad n$$

mean value over n+1 measurements

For this work, U.S. President Barack Obama rewarded Rudolf Kálmán with the National Medal of Science on October 7, 2009.





previous estimation new measurement $\mu_{n+1} = \frac{1}{n+1} \sum_{i=1}^{n+1} x_i = \frac{n}{n+1} \left(\frac{1}{n} \sum_{i=1}^{n} x_i + \frac{1}{n} x_{n+1} \right) = \frac{n}{n+1} \mu_n + \frac{1}{n+1} x_{n+1} = \mu_n + \frac{1}{n+1} (x_{n+1} - \mu_n)$

weight

correction

state vector:

 $r = \{ x, y, z, v_{x'}, v_{y'}, v_z \}$

covariance matrix:

$$\mathbf{C} = \left\{ \begin{array}{ccc} \sigma^2_{\mathbf{x}} & & & \\ \sigma^2_{\mathbf{y}} & & & \\ & \sigma^2_{\mathbf{z}} & & \\ & & \sigma^2_{\mathbf{vx}} & \\ & & & \sigma^2_{\mathbf{vy}} & \\ & & & \sigma^2_{\mathbf{vz}} \end{array} \right\}$$

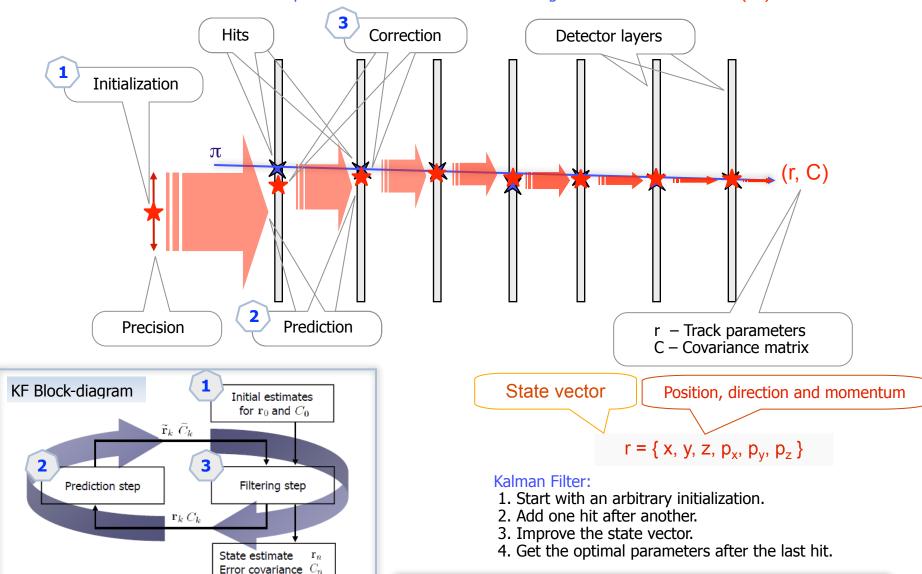
Apollo Flight Journal

December 21, 1968. The Apollo 8 spacecraft has just been sent on its way to the Moon.

003:46:31 Collins: Roger. At your convenience, would you please go P00 and Accept? We're going to update to your W-matrix.

Kalman Filter (KF) based Track Fit

Estimation of the track parameters at one or more hits along the track – Kalman Filter (KF)



KF as a recursive least squares method

Nowadays the Kalman Filter is used in almost all HEP experiments

Kalman Filter Track Fit on Cell

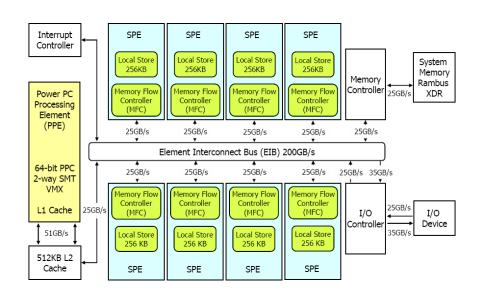
	Stage	Description	Time/track	Speedup
_		Initial scalar version	12 ms	_
<u>a</u>	1	Approximation of the magnetic field	$240~\mu \mathrm{s}$	50
Intel	2	Optimization of the algorithm	$7.2~\mu\mathrm{s}$	35
	3	Vectorization	$1.6~\mu \mathrm{s}$	4.5 J <mark>-</mark>
■ {	4	Porting to SPE	$1.1~\mu\mathrm{s}$	1.5
	5	Parallelization on 16 SPEs	$0.1~\mu\mathrm{s}$	10
		Final simulated version	$0.1~\mu\mathrm{s}$	120000

The KF speed was increased by 5 orders of magnitude

Comp. Phys. Comm. 178 (2008) 374-383



blade11bc4 @IBM, Böblingen: 2 Cell Broadband Engines, 256 kB LS, 2.4 GHz



Assembler

Emulator

10000x faster on any PC

Motivated by, but not restricted to Cell!

Kalman Filter Track Fit Library

Kalman Filter Methods

Kalman Filter Tools:

- KF Track Fitter
- KF Track Smoother
- · Deterministic Annealing Filter

Kalman Filter Approaches:

- Conventional DP KF
- · Conventional SP KF
- Square-Root SP KF
- UD-Filter SP
- Gaussian Sum Filter
- 3D (x,y,z) and 4D (x,y,z,t) KF

Track Propagation:

- Runge-Kutta
- Analytic Formula

Detector Types:

- Pixel
- Strip
- Tube
- TPC

Implementations

Vectorization (SIMD):

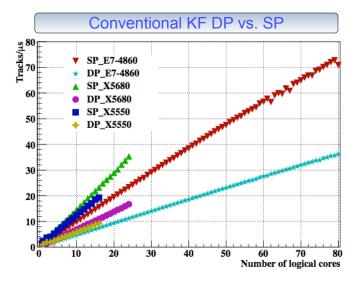
- Header Files
- Vc Vector Classes
- ArBB Array Building Blocks
- OpenCL

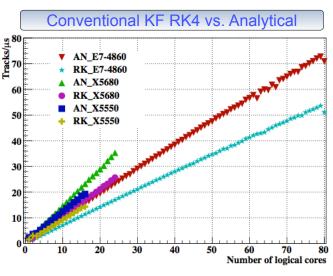
Parallelization (many-cores):

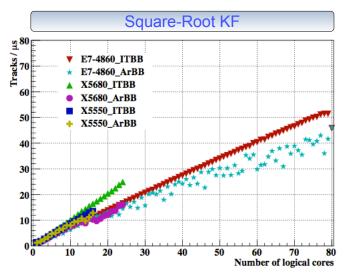
- Open MP
- ITBB
- ArBB
- OpenCL

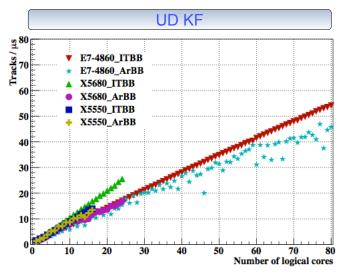
Precision:

- single precision SP
- double precision DP



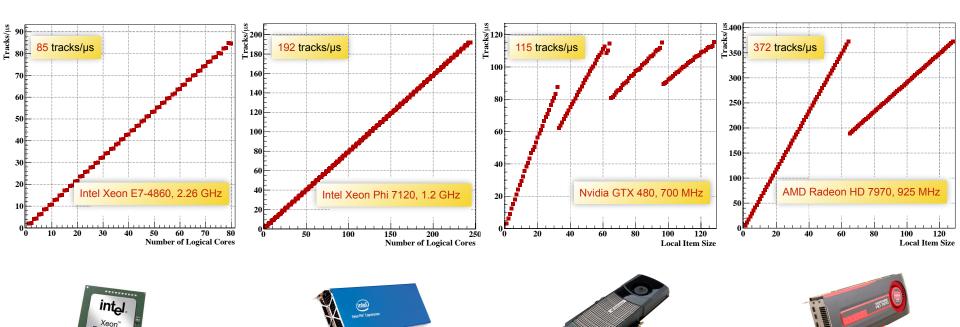






Strong many-core scalability of the Kalman filter library

Kalman Filter (KF) Track Fit



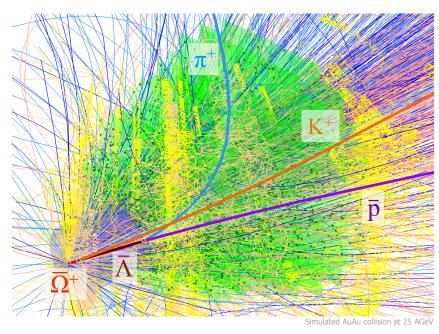
- Precise estimation of the parameters of particle trajectories is the core of the reconstruction procedure.
- Scalability with respect to the number of logical cores in a CPU is one of the most important parameters of the algorithm.
- The scalability on the Intel Xeon Phi coprocessor is similar to the CPU, but running four threads per core instead of two.
- In case of the graphics cards the set of tasks is divided into working groups of size *local item size* and distributed among compute units (or streaming multiprocessors) and the load of each compute unit is of the particular importance.
- The track fit performance on a single node: **2*CPU+2*GPU = 10**9 tracks/s = (100 tracks/event)* 10⁷ events/s = 10⁷ events/s.
- A single compute node is enough to estimate parameters of all particles produced at the maximum 10⁷ interaction rate!

The fastest implementation of the Kalman filter in the world

Processor



KF Particle: Reconstruction of short-lived Particles



$$\overline{\Omega}^+ \longleftarrow \overline{\Lambda} K^+ \\ \stackrel{}{\frown} \overline{p} \pi^+$$

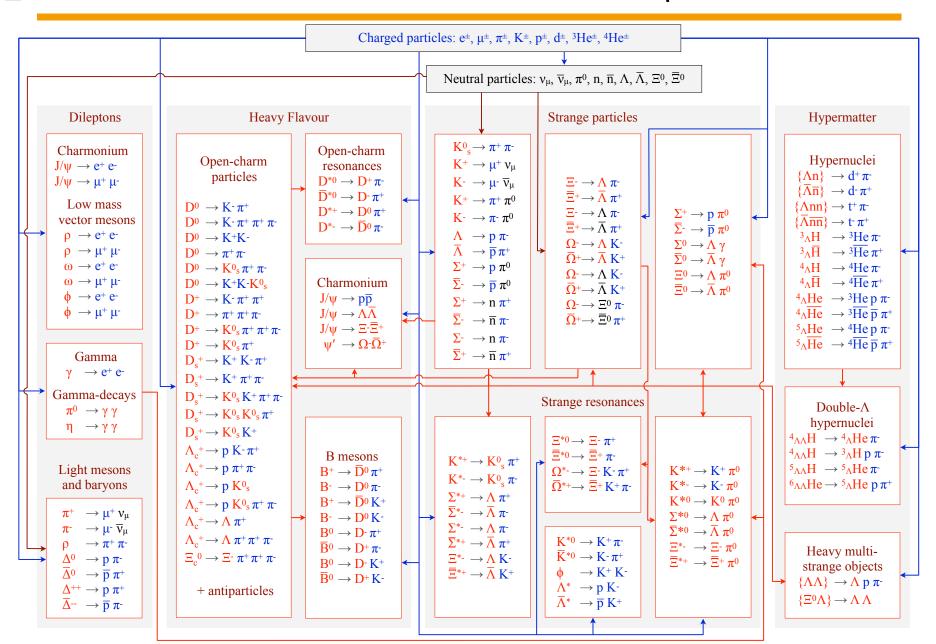
```
KFParticle Lambda(P, Pi);
                                            // construct anti Lambda
Lambda.SetMassConstraint(1.1157);
                                            // improve momentum and mass
KFParticle Omega(K, Lambda);
                                           // construct anti Omega
PV -= (P; Pi; K);
                                            // clean the primary vertex
PV += Omega;
                                           // add Omega to the primary vertex
Omega.SetProductionVertex(PV);
                                           // Omega is fully fitted
(K; Lambda).SetProductionVertex(Omega);
                                           // K, Lambda are fully fitted
(P; Pi).SetProductionVertex(Lambda);
                                            // p, pi are fully fitted
```

Features:

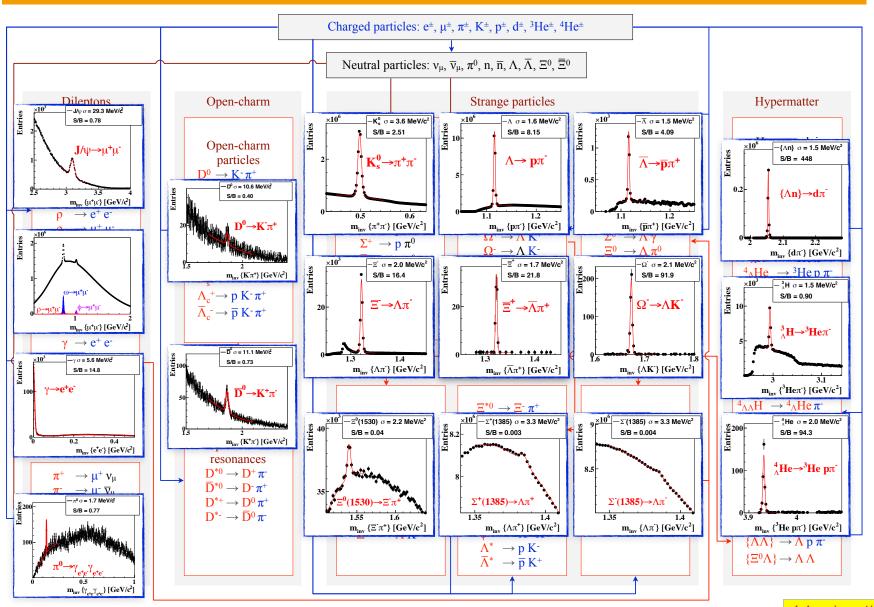
- KF Particle class describes particles by the state vector and the covariance matrix.
- Covariance matrix contains essential information about tracking and detector performance.
- The method for mathematically correct usage of covariance matrices is provided by the KF Particle package based on the Kalman filter (KF).
- Heavy mathematics of KF requires fast and vectorised algorithms.
- Mother and daughter particles are treated in the same way.
- The <u>natural</u> and <u>simple interface</u> allows two reconstruct easily complicated decay chains.
- The package is geometrically independent and can be adapted to different experiments (CBM, ALICE, STAR).

KF Particle provides a simple and very efficient approach to physics analysis

KF Particle Finder for short-lived particles

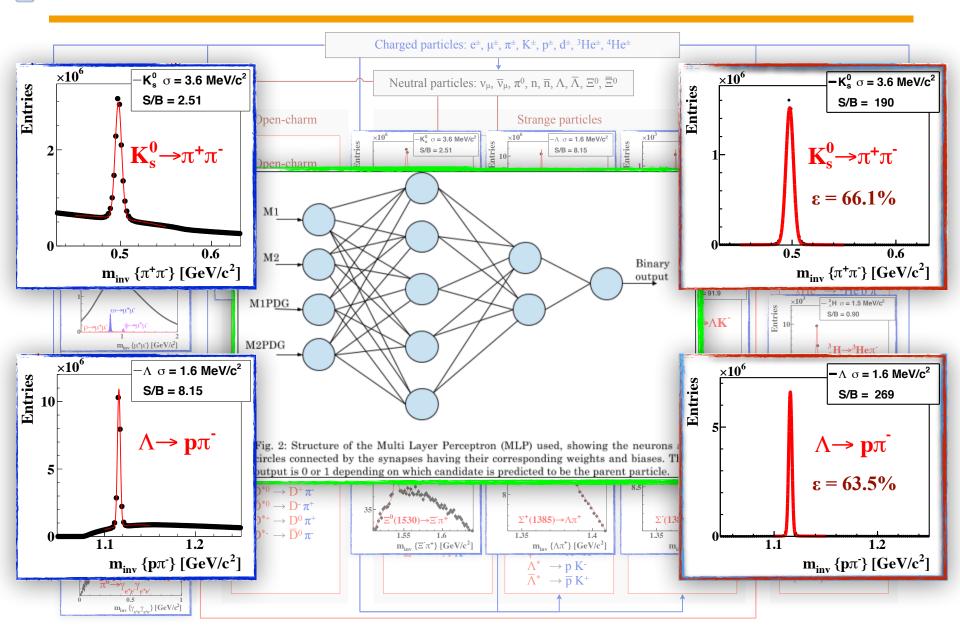


KF Particle Finder for short-lived particles

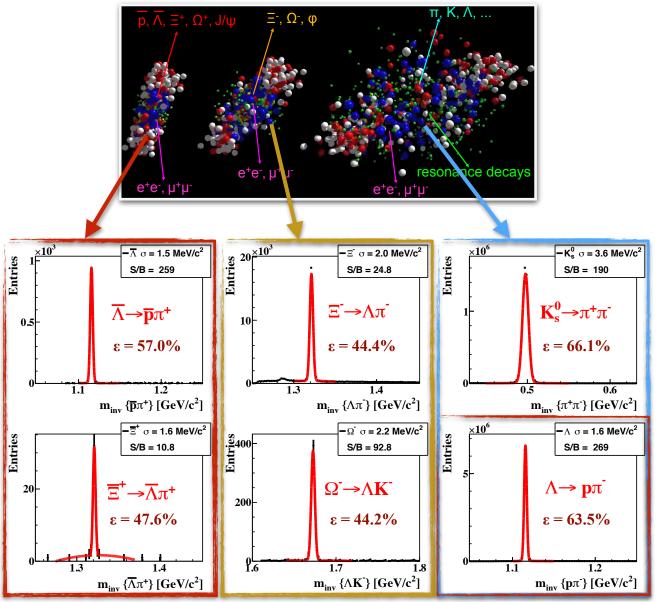


1.4 ms/event/core

Artificial Neural Network



Very Clean Probes of Collision Stages



Parallelization Challenge in the CBM Event Reconstruction

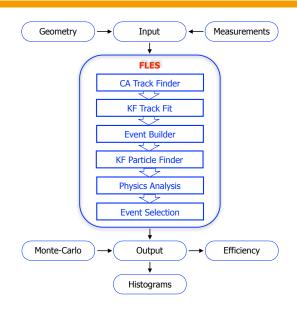
Location		Architecture (Nodes·)sockets·cores·threads·SIMD		Data streams
CERN	Switzerland	AMD 6164HE	4.12.1.4	192
GSI	Germany	Intel E7-4860	4.10.2.4	320
ITEP	Russia	AMD 6272	$100 \cdot (2 \cdot 16 \cdot 1 \cdot 4)$	12 800
FIAS	Germany	Intel E5-2600+Intel Phi 7120	$2 \cdot 8 \cdot 2 \cdot 8 + 2 \cdot 61 \cdot 4 \cdot 16$	256+7 808
BNL	USA	Intel E5-2680+Intel Phi 5110F	$22 \cdot (2 \cdot 12 \cdot 2 \cdot 8 + 2 \cdot 60 \cdot 4 \cdot 16)$	8 448+168 960

List of some heterogeneous HPC nodes, used in our investigations

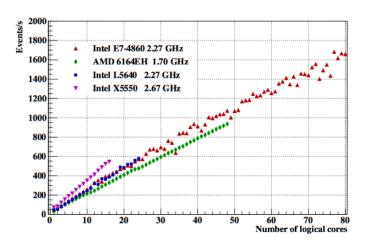
Andrzej Nowak (OpenLab, CERN) by Hans von der Schmitt (ATLAS) at GPU Workshop, DESY, 15-16 April 2013							
	SIMD	Instr. Level Parallelism	HW Threads	Cores	Sockets	Factor	Efficiency
MAX	4	4	1.35	8	4	691.2	100.0%
Typical	2.5	1.43	1.25	8	2	71.5	10.3%
HEP	1	0.80	1	6	2	9.6	1.4%
CBM@FAIR	4	3	1.3	8	4	499.2	72.2%

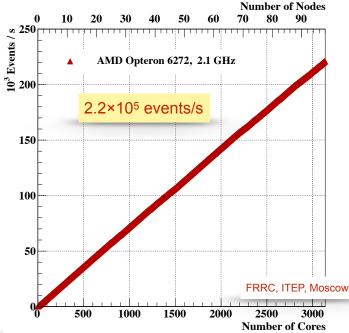
Parallelization becomes a standard in the CBM experiment

Running FLES on HPC Node/Farm









The FLES package is vectorized, parallelized, portable and scalable up to 3 200 CPU cores

Conclusion

