

About Me

Background, past activities

Andreas Risch

Student at Heidelberg and Durham (UK): Physics & Mathematics



Data analyst at DB Analytics at Frankfurt
(DB Mobility Logistics, Department for Transport
Network Development and Transport Models)

Doctoral student at the Institute for Nuclear Physics at Mainz
Dissertation: Isospin breaking effects in hadronic matrix
elements on the lattice



Since 2021: PostDoc at DESY Zeuthen
(John von Neumann-Institut for Computing NIC/Zeuthen Particle Physics Theory)

Research interests: Lattice QCD+QED, hadron spectroscopy & precision observables, lattice algorithmic improvements

My Current Work

Activities and challenges

Lattice regularisation of the Euclidean path integral:

- Rigorous, non-perturbative, gauge-invariant

$$\langle O[\Phi] \rangle = \frac{1}{Z} \int \prod_{x \in \Lambda} d\Phi(x) e^{-S[\Phi]} O[\Phi] \quad \text{finite lattice spacing } a \text{ \& \; finite lattice extent } aN_\mu$$

$$\Lambda = \{x \in \mathbb{R}^4 | x^\mu = an^\mu, n^\mu \in \{0, 1, \dots, N^\mu - 1\}\}$$

- Field integration via Monte Carlo (MC) simulations

Investigation of isospin breaking (IB) effects:

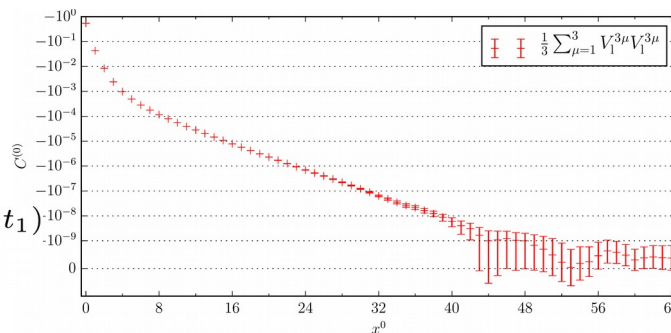
- MC simulations commonly performed for QCD_{iso}
- IB effects: $\text{QCD}_{\text{iso}} \quad m_u = m_d, \alpha = 0 \quad \longleftrightarrow \quad \text{QCD} + \text{QED} \quad m_u \neq m_d, \alpha \neq 0$
- Relevant for hadronic precision observables with <1% error

Hadron spectroscopy:

- Masses of mesons & baryons

$$\langle H | O^\dagger | 0 \rangle \neq 0$$

$$\langle 0 | O(t_2) O^\dagger(t_1) | 0 \rangle = \sum_n |\langle 0 | O | n \rangle|^2 e^{-E_n(t_2 - t_1)} \quad \text{for } t_2 > t_1$$

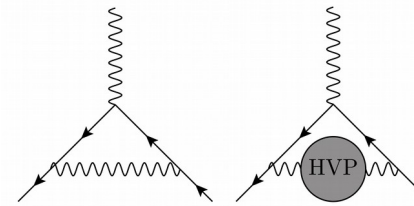


Hadronic precision observables:

- Hadronic vacuum polarisation (HVP) contribution to $(g - 2)_\mu$

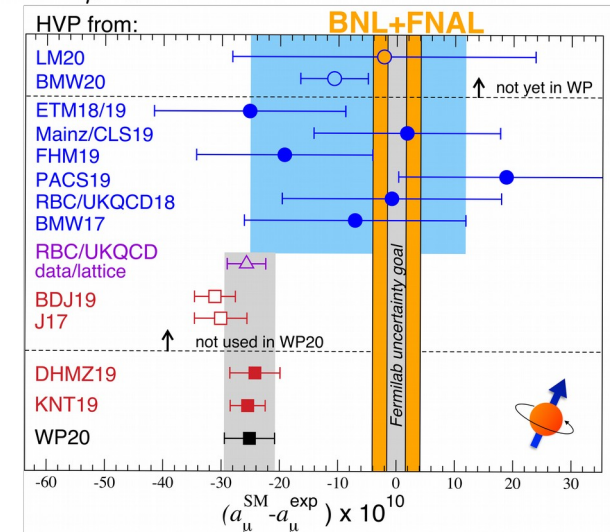
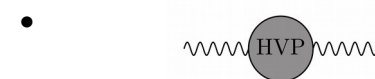
$$\vec{M} = g_\mu \frac{e}{2m_\mu} \vec{S} \quad \text{gyromagnetic ratio } g_\mu \quad a_\mu = \frac{g_\mu - 2}{2} \quad 0.35 \text{ ppm}$$

$$a_\mu^{\text{HVP}} = \left(\frac{\alpha}{\pi}\right)^2 \int_0^\infty dx^0 \tilde{K}(x^0, m_\mu) \frac{1}{3} \sum_{\mu=1}^3 \int dx^3 \langle 0 | \mathcal{V}_\mu^\gamma(x) \mathcal{V}_\mu^\gamma(0) | 0 \rangle$$



- Related observables:

$$\alpha(q^2), \sin^2 \theta_W(q^2)$$



Improvement of lattice actions:

- Reduce lattice artefacts?
- Increase algorithmic stability?

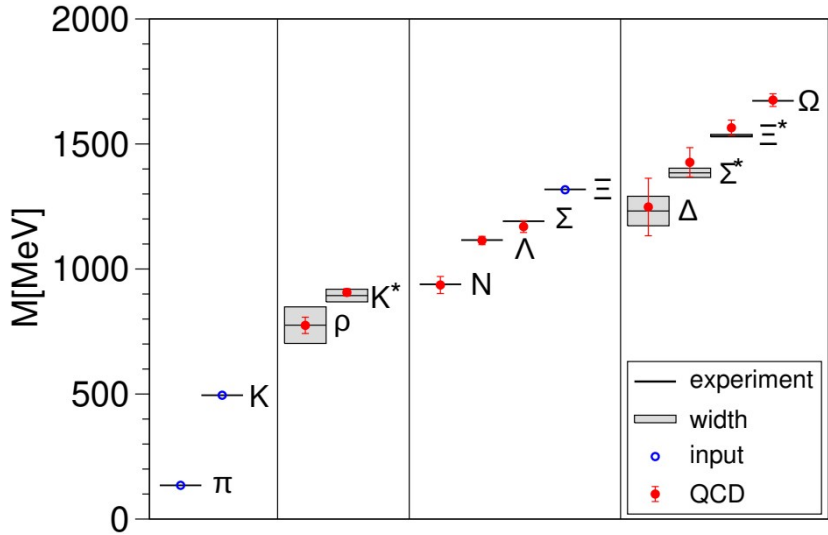
Study influence of gradient flow smearing:

- How much smearing is too much smearing?

Study modifications of lattice Dirac operator

My Favourite Plot(s)

Or the one question you always wanted to ask!

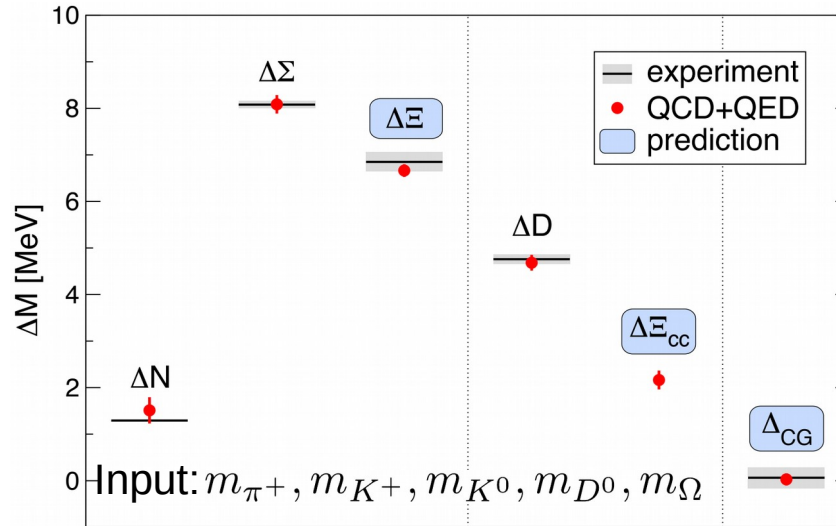


From: Science 322 (2008) 1224-1227
 "Ab-Initio Determination of Light Hadron Masses"

$$m_N = 0.936(25)(22) \text{ GeV}$$

3.5% relative error

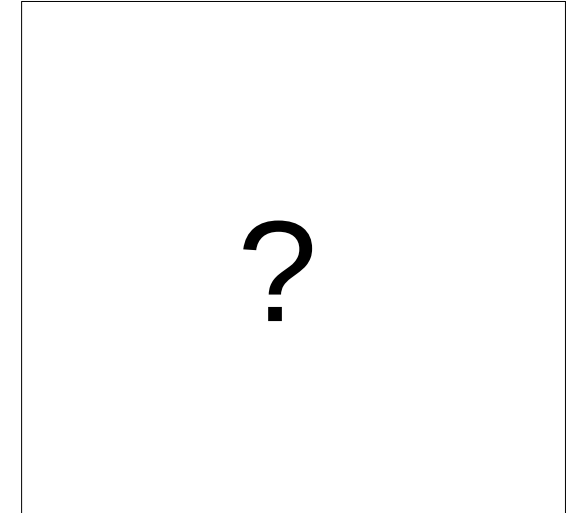
2008



From: Science 347 (2015) 1452-1455
 "Ab initio calculation of the neutron-proton mass difference"

$$m_n - m_p = 1.51(16)(23) \text{ MeV}$$

2015



$$m_n = ?$$

$$m_p = ?$$

<0.1% relative error

20??