and

Di-boson Production Polarization Measurements with the ATLAS and CMS Detectors

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On behalf of the ATLAS and CMS Collaborations









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Overview

- Important to probe vector boson couplings in the Standard Model through EWK vertex • Sensitive to new physics through anomalous couplings, EFT interpretations Indirect test of Higgs mechanism, mass of W/Z boson given by Higgs boson • Longitudinal polarization of W/Z boson given by the Higgs mechanism • Test of fix-order perturbative QCD (pQCD) calculations, Parton shower effect through jet activities Included topics:
 - on no-VBS production of WW, ZZ, WZ and Zy results



• Dedicated talks concerning vector boson scattering production/Triboson production on Wednesday

W+W- Jet Inclusive

• Fully leptonic final state: $W^+W^- \rightarrow e\nu\mu\nu$

Clear signal, large statistics

•Large backgrounds from ttbar production

• First precision measurement in jet inclusive phase space!

• Top quark background reduced by vetoing b-tagged jets

• Drell-Yan background suppressed by requiring m_{eu} > 85 GeV

Dedicated new data-driven method to estimate top quark events -> enabling precision mesurements!

- 1. Measure $N_{1b}^{t\bar{t}}$, $N_{2b}^{t\bar{t}}$ in 1-b-jet and 2-b-jet control region
- 2. Parametrize $t\bar{t}$ events in CR and SR using:

i. Total events yields: $N_{>0h}^{tt}$

ii. B-tagging efficiency and acceptance: ε_b

iii. B-jet correlation factor: C_b

3.
$$N_{0b}^{t\bar{t}} = \frac{C_b}{4} \frac{(N_{1b}^{t\bar{t}} + 2N_{2b}^{t\bar{t}})^2}{N_{2b}^{t\bar{t}}} - N_{1b}^{t\bar{t}} - N_{2b}^{t\bar{t}}$$

ATLAS

W+W- Jet Inclusive

Fiducial and differential cross section measured

- Fiducial XS measured by likelihood fit, extended to
- Differential XS measured for 12 observables

• Total uncertainty of 3.1%, dominated by Top modelin

dσ/dm_{eµ} [fb/GeV] 10⁴ 원 Data and Stat. Uncertainty **ATLAS** Preliminary Δσ Total Uncertainty √s = 13 TeV, 140 fb⁻¹ Sherpa 2.2.12 * $pp \rightarrow e^{\pm} \nu \mu^{\mp} \nu$ MiNNLO+Pythia8 * 10 10³ MATRIX 2.0 nNNLO QCD nNNLO QCD ⊗ NLO EW * + Sherpa 2.2.2 gg \rightarrow WW \times 1.7 - Sherpa 2.2.12 EW qq \rightarrow WWjj = 10^2 10^{-1} ∃10 10^{-2} - - -7 -Q -+ -- <u>A</u>-: 1.4 ata ⊣2. ا Prediction/D 2×10² 3×10² ≥8.5×10² 9010² m_{eμ} [GeV]

Nice agreement comparing to tl

ATLAS-CONF-2023-012

		to I do a second
	Uncertainty source	Effect
full phace chace	Total uncertainty	3.1%
iuli phase space	Stat. uncertainty	1.1%
	Top modelling	1.6%
	Fake lepton background	1.5%
ag and fake background	Flavour tagging	0.7%
ig and lake background	Other background	0.9%
	Signal modelling	1.0%
heoritical predictions!	Jet calibration	0.6%
	Luminosity	0.8%
	Other systematic uncertainties	0.9%

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WZ Production Measurement CMS-SMP-20-014

• Electroweak process, sensitive to PDF of quarks

- Fully leptonic final state $WZ \rightarrow l\nu ll$, clear signal
- Charge asymmetry $\sigma_{W^+Z}/\sigma_{W^-Z}$ measurement
- W boson polarization measurements
- Observation of longitudinal polarized W boson in WZ production!

Fiducial and differential XS measured as functions of sensitive observables

Constrain on AGC EFT parameters

• Templates built for each cosine of polarization angles of W(Z) boson • 6 templates in total, including inclusive charge, positively charged and negatively charged W boson • Likelihood fit to data to extract polarization fraction • Longitudinal Z boson observed with a high significance • Longitudinal W boson observed with significance of 5.6 σ obs (4.3 σ exp)

Decay angle of leptons defined in W(Z) rest frame

$$\begin{split} \rho_{\lambda_{W}\lambda'_{W}\lambda_{Z}\lambda'_{Z}} &\equiv \frac{1}{C} \times \sum_{\mu_{q}\mu_{\bar{q}}} F_{\lambda_{W}\lambda_{Z}}^{(\mu_{q}\mu_{\bar{q}})} F_{\lambda'_{W}\lambda'_{Z}}^{(\mu_{q}\mu_{\bar{q}})*} , \text{where} \quad C = \sum_{\mu_{q}\mu_{\bar{q}}\lambda_{W}\lambda_{Z}} \left| F_{\lambda_{W}\lambda_{Z}}^{(\mu_{q}\mu_{\bar{q}})} \right|^{2} \\ f_{00} &= \rho_{0000} , \\ f_{\mathrm{TT}} &= \rho_{++--} + \rho_{--++} + \rho_{----} + \rho_{++++} , \\ f_{0\mathrm{T}} &= \rho_{00--} + \rho_{00++} , \\ f_{\mathrm{T0}} &= \rho_{--00} + \rho_{++00} . \end{split}$$

Helicity fraction definition in this measurement

SATLAS WZ Joint Polarization Phys. Lett. B 843 (2023) 13789 Individual polarization measured by fit on • Joint polarization measured by binned profile-likelihood fit to the DNN decay angle template built by reweighing • First observation of f_{00} state with significance of 7.1 σ obs (6.2 σ exp) __o 0.6 • $f_{0T}: 3.4\sigma (5.4\sigma), f_{T0}: 7.1\sigma (6.6\sigma), f_{TT}: 11\sigma (9.7\sigma)$ ATLAS ATLAS Data • Data 0.5 √s = 13 TeV, 139 fb⁻¹ $0.5 - \sqrt{s} = 13 \text{ TeV}, 139 \text{ fb}^{-1}$ Powheg+Pythia • Compared to theoretical prediction with good agreement W[±]Z events W[±]Z events ----- 1 σ contour ----- 1 σ contour Z polarisation W[±] polarisation 0.40.4 ----- 2 σ contour ----- 2 σ contour $f_{00}: 0.067 \pm 0.010 (Data), 0.058 \pm 0.002 (NLO QCD)$ 0.3 0.3 0.2 0.2 **ATLAS J**^{0.25} $\sqrt{s} = 13 \text{ TeV}, 139 \text{ fb}^{-1}$ 0.1 0.1 Data 0.15 NLO QCD 0.1 Powheq+Pvthia $\mathbf{n}^{[1,1,1]}$ 0.05 -0.15 -0.1 -0.05 -0.5-0.4-0.3-0.2-0.1 0 0.1 0.2 0.3 0.4 0.5 0.15 1 σ contour 2σ contour $f_1 - f_B$ **f** 0,[.] W[±]Z events 0.25 Inclusive XS of WZ production also measured: 0.2 $\sigma_{W^{\pm}Z \to l\nu ll}^{fid} = 64.6 \pm 0.5 \text{ (stat.) } \pm 1.8 \text{ (syst.) } \pm 1.1 \text{ (lumi.) } fb$ 0.15 0.1

Differential XS of several kinematics sensitive to polarization are also measured (see backup)

- Jet inclusive measurement: <u>JHEP03(2020)054</u>
- Sensitive to QCD effects
- FSR events simply Drell-Yan process

JHEP 07 (2023) 072

• Dedicated cut on $m_{ll} + m_{ll\gamma}$ to suppress FSR

• Interested in ISR events (photon radiated from initial quarks) • Require $m_{ll} > 40 GeV$ to suppress Drell-Yan Data-Driven estimate for jet-fake-photon and pile-up photon

SATLAS Zy+Jets Differential

• Fiducial differential XS measured for:

- 1D kinematic observables of lepton, jet and photon
- Pseudo-2D jet observables sensitive to fixed order p
- 2D variables sensitive to Z boson polarization in <u>Col</u>
- Overall good agreement with theory predictions
 - NLO QCD improves both inclusive XS as well as the
 - Measured : 533.7 \pm 15.5 (total) fb ; sherpa
 - Sherpa NLO: 479.5 \pm 0.3 (stat); MiNNLO_{PS}: 493.0 \pm 3.0 (stat)

JHEP 07 (2023) 072

	N _{jets}	0	1	2
	Source	J	Jncert	ainty
	Electrons	1.0	0.9	0.8
perturbative OCD (nOCD) calculations	Muons	0.3	0.3	0.3
perturbative QCD (pQCD) calculations	Jets	1.7	1.7	4.5
llins-Soper frame	Photons	1.4	1.3	1.3
	Pile-up	2.1	0.8	0.2
	Background	1.8	1.8	3.0
	MC statistical	0.1	0.2	0.3
modeling of variables	Data statistical	0.8	1.5	1.8
	Luminosity	1.7	1.7	1.7
$LO: 438.9 \pm 0.6 (stat) fb$	Theory	0.6	0.2	1.4
	Total	42	38	63

- Binned profile likelihood fit sum of reweighed BDT templates to data
- Significance of $Z_L Z_L$: 4.3 σ obs (3.8 σ exp)

• Fiducial XS: $\sigma_{Z_I Z_I}^{obs} = 2.44 \pm 0.59 \, fb$

ATLAS-CONF-2023-038

NTCC personator	Interfere	ence only	Fu	ıll
an i GC parameter	Expected	Observed	Expected	Observed
f_Z^4	$\left[-0.16, 0.16 ight]$	$\left[-0.12, 0.20 ight]$	$\left[-0.013, 0.012 ight]$	$\left[-0.012, 0.012 ight]$
f_{γ}^4	$\left[-0.30, 0.30\right]$	[-0.34, 0.28]	$\left[-0.015, 0.015 ight]$	$\left[-0.015, 0.015 ight]$

Reinterpreted to CP-odd aNTGC Model

• First ZZ measurement in Run 3

- Using data collected in 2022 ~ 29 fb⁻¹
- Fiducial and differential XS measurements
 - Fiducial XS extrapolated to full phase space total XS
 - Differential XS measured for m_{4l} and p_{4l}^T

	ATLAS Preliminary	 Data
	√s=13.6 TeV, 29 fb ⁻¹	Statistica
	$ZZ \rightarrow 4I, I=e,\mu$	Total Un
	_ _	 Predicte
	This measurement	
	$36.7\pm1.6~(stat.)\pm1.7~(sys.)~\text{fb}$	
	Sherpa qqZZ NLO + ggZZ LO×1 36.8 $^{+4.3}_{-3.5}$ (sys.) fb	.7(*)
	MATRIX qqZZ NNLO + ggZZ NI 39.1± 0.6 (sys.) fb	_O(*)
	MATRIX qqZZ NNLO×NLO.EW 36.5 ± 0.6 (sys.) fb	+ ggZZ NL0
	(*) + Powheg EW ZZjj	
(L	20 2

ATLAS-CONF-2023-062

Measurement of ZZ production

- LO t-channel: s-channel forbidden at SM
- Gluon-gluon fusion via box diagram -> 10% contribution
- On-shell Z boson, leptonic decay
 - Require 60 $GeV < m_{Z_1,Z_2} < 120 GeV$

 $\odot ZZ \rightarrow 2l2l'$

- Background extremely suppress by 4-lepton requirement
- Differential XS measured as functions of:
 - Number of jets
 - Kinematic variables of jets
 - \bigcirc m_{41} as a function of jet multiplicity

CMS-PAS-SMP-22-00²

g**CMS** Preliminary 137.6 fb⁻¹ (13 TeV) Events 🗕 Data $q\overline{q} \rightarrow ZZ$ $gg \rightarrow ZZ$ ZZ + 2 jets EWK ttZ, V V V 10³ Z+X Syst. unc. 10² 10 Data / Prec 1.5 \geq 3 2 0 Number of jets

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- Differential XS normalized to the fiducial XS
- Theory predictions over-estimate data
- Large discrepancy at high jet pt region
- Main systematic uncertainties: jet, QCD scales

CMS-PAS-SMP-22-001

Search for yy->VV

• Search for exclusive high-mass $\gamma\gamma \to W^+W^-$, $\gamma\gamma \to ZZ$

- Intact forward proton tagged by Precision Proton Spectrometer (PPS)
 - Center-of-mass energy of di-photon collision determined event-by-event
 - Events recorded by both CMS and TOTEM -> 100 fb⁻¹
- Hadronically decaying W or Z bosons
 - Boosted to two fat-jets
 - $m_{ii} > 1126 \ GeV$
 - $m_{i1} + m_{i2} = 166.6 \ GeV$ to separate WW/ZZ events

• SR defined based on jet-proton matching

CMS-SMP-21-014

Search for yy->VV

- Signal extracted by binned maximum-likelihood fit in 12 bins
- No excess of AQGC signal observed
- Upper limit set on dimension-6 AQGC operators
 - 15% improvement comparing to previous result
 - Also translation to linear dimension-8 AQGC operators
- Upper limit on AQCG fiducial cross section:

•
$$\sigma_{fid}(pp \to pWWp) < 67 \ (53^{+34}_{-19}) \ fb$$

 $\circ \sigma_{fid}(pp \to pZZp) < 43 \ (62^{+33}_{-20}) \ fb$

Observed (expected)	Observed (e
95% CL upper limit	95% CL upp
No clipping	Clipping at
$4.3(3.9) \times 10^{-6} \mathrm{GeV^{-2}}$	$5.2(5.1) \times 10$
$1.6~(1.4) imes 10^{-5} { m GeV}^{-2}$	$2.0(2.0) \times 10$
$0.9~(1.0) imes 10^{-5} { m GeV}^{-2}$	
$4.0~(4.5) imes 10^{-5} { m GeV^{-2}}$	
	Observed (expected) 95% CL upper limit No clipping $4.3 (3.9) \times 10^{-6} \text{ GeV}^{-2}$ $1.6 (1.4) \times 10^{-5} \text{ GeV}^{-2}$ $0.9 (1.0) \times 10^{-5} \text{ GeV}^{-2}$ $4.0 (4.5) \times 10^{-5} \text{ GeV}^{-2}$

CMS-SMP-21-014

Summary

- ATLAS and CMS collaborations presented
 - Several new techniques developed to improve precision and search for rare processes
 - Machine Learning plays an more and more important role in the SM analysis!
 - Obta-driven methods to estimate backgrounds not well modeled by simulation
 - Many new observations and evidences of longitudinal polarized vector boson
 - \bullet $W_I Z_I$ state has been observed
 - Evidence of $Z_L Z_L$ state, very close to observation
 - So far good agreement with state-of-art calculations, no evidence of anomalous couplings
- Stay tuned for new Run 3 results!

Recent Diboson production cross section measurements and polarization measurements from

Backup Material

W+W- Jet Inclusive

The number of $t\bar{t}$ events in the two control regions and the signal region, after subtracting non- $t\bar{t}$ backgrounds, is parametrized using three parameters. The first is the number of $t\bar{t}$ events without requirements on the *b*-jet multiplicity, $N_{\geq 0b}^{t\bar{t}}$. The second is the efficiency of identifying and selecting a *b*-jet in a $t\bar{t}$ event, ε_b , accounting for the efficiency of the *b*-tagging algorithm as well as the acceptance of *b*-jets. The third is the *b*-jet correlation factor C_b , which takes into account that the probability of identifying both *b*-jets in a $t\bar{t}$ events is not exactly ε_b^2 but $C_b \varepsilon_b^2$, due to correlation effects that depend on the interplay of event selection and $t\bar{t}$ kinematics as well as the presence of additional light jets and *b*-jets. The number of $t\bar{t}$ events with exactly *i b*-tagged jets, $N_{ib}^{t\bar{t}}$, is given by

$$\begin{split} N_{2b}^{t\bar{t}} &= N_{\geq 0b}^{t\bar{t}} \cdot C_b \varepsilon_b^2 ,\\ N_{1b}^{t\bar{t}} &= N_{\geq 0b}^{t\bar{t}} \cdot \left(2\varepsilon_b - C_b \varepsilon_b^2 \right) ,\\ N_{0b}^{t\bar{t}} &= N_{\geq 0b}^{t\bar{t}} \cdot \left(1 - 2\varepsilon_b + C_b \varepsilon_b^2 \right) \end{split}$$

Using these equations, the number of $t\bar{t}$ events in the signal region can be expressed as

$$N_{0b}^{t\bar{t}} = \frac{C_b}{4} \frac{\left(N_{1b}^{t\bar{t}} + 2N_{2b}^{t\bar{t}}\right)^2}{N_{2b}^{t\bar{t}}} - N_{1b}^{t\bar{t}} - N_{2b}^{t\bar{t}} ,$$

Data-driven estimate method for top backgrounds

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W+W- Jet Inclusive

Differential XS measurements of polarization sensitive observables

SATLAS WZ Joint Polarization Phys. Lett. B 843 (2023) 137895

	Data	Powheg+Pythia	NLO QCD
		$W^{\pm}Z$	
f_{00}	0.067 ± 0.010	0.0590 ± 0.0009	0.058 ± 0.002
$f_{0\mathrm{T}}$	0.110 ± 0.029	0.1515 ± 0.0017	0.159 ± 0.003
$f_{\rm T0}$	$0.179 ~\pm~ 0.023$	0.1465 ± 0.0017	0.149 ± 0.003
$f_{\rm TT}$	0.644 ± 0.032	0.6431 ± 0.0021	0.628 ± 0.004
W^+Z			
f_{00}	0.072 ± 0.016	0.0583 ± 0.0012	0.057 ± 0.002
$f_{0\mathrm{T}}$	0.119 ± 0.034	0.1484 ± 0.0022	0.155 ± 0.003
$f_{\rm T0}$	$0.152~\pm~0.033$	0.1461 ± 0.0022	0.147 ± 0.003
$f_{\rm TT}$	0.66 ± 0.04	0.6472 ± 0.0026	0.635 ± 0.004
W^-Z			
f_{00}	0.063 ± 0.016	0.0600 ± 0.0014	0.059 ± 0.002
$f_{0\mathrm{T}}$	0.11 ± 0.04	0.1560 ± 0.0027	0.166 ± 0.003
f_{T0}	0.21 ± 0.04	0.1470 ± 0.0027	0.152 ± 0.003
$f_{\rm TT}$	0.62 ± 0.05	0.6370 ± 0.0033	0.618 ± 0.004

Measured joint helicity fractions

V in V V in VV in Vin Win Win W

		f_0		$ f_{\rm L} $	$-f_{\mathrm{R}}$
	Data	Powheg+Pythia	NLO QCD	Data	POWHEG+PY
W^+Z	0.23 ± 0.05	0.2044 ± 0.0024	0.211 ± 0.002	0.071 ± 0.023	$0.0990~\pm~0$
$W^{-}Z$	0.19 ± 0.05	0.217 ± 0.004	$0.225~\pm~0.001$	$0.026~\pm~0.027$	$\textbf{-0.0491}~\pm~0$
$W^{\pm}Z$	0.21 ± 0.04	$0.2094\ \pm\ 0.0016$	$0.217~\pm~0.001$	$0.059 ~\pm~ 0.016$	$0.0390~\pm~0$
V^+Z	$0.223~\pm~0.025$	$0.1971\ \pm\ 0.0019$	0.206 ± 0.002	-0.20 ± 0.10	-0.217 ± 0
$V^{-}Z$	$0.241 ~\pm~ 0.029$	$0.2065 ~\pm~ 0.0023$	$0.211\ \pm\ 0.001$	0.10 ± 0.13	0.092 ± 0
$V^{\pm}Z$	$0.231 ~\pm~ 0.019$	0.2009 ± 0.0014	$0.208 ~\pm~ 0.001$	-0.10 ± 0.08	-0.092 ± 0

Measured individual helicity fractions

WZ Production Measurement

<u>CMS</u>

CMS

CMS

 $pp \rightarrow W^{\pm}Z$

 $\theta_{z}))/\sigma$

θ

7(cos(

 $pp \rightarrow W^{\pm}Z$

 $\Delta(p_T^W)$

 $s(\theta_W))/\sigma$

 $pp \rightarrow W^{\pm}Z$

WZ Production Measurement

\sim CI, exp. (TeV ⁻²)	95% CI, obs. (TeV ⁻²)	Best fit, obs. (TeV $^{-2}$)
[-2.0, 1.3]	[-2.5, 0.3]	-1.3
[-1.3, 1.3]	[-1.0, 1.2]	0.1
[-86,125]	[-43, 113]	44
[-0.76, 0.65]	[-0.62, 0.53]	-0.03
[-46, 46]	[-32, 32]	0

Dimension-6 and Dimension-8 operators

$\sim CI, \exp. (TeV^{-2})$	95% CI, obs. (TeV $^{-2}$)	Best fit, obs. (TeV $^{-2}$)
[-1.8, 2.1]	[-3.1, 0.3]	-1.6
[-8.5, 8.5]	[-4.2, 14.2]	5.5
[-200, 180]	[10, 380]	200
[-3.3, 4.1]	[-4.0, 3.6]	-0.6

Dimension-6 operators only

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Hard variable: Non-zero at Leading Order QCD calculation

SATLAS ZZ->41 Angular Analysis

- 1D reweighting for each individual polarisation state. In this step, the reweighting is done separately for the $q\bar{q} \rightarrow ZZ$ and $gg \rightarrow ZZ$ processes. For $q\bar{q} \rightarrow ZZ$, the combined NLO QCD and EW corrections as a function of the $\cos \theta_1$ variable are applied by taking the ratio of the differential cross-sections calculated from MoCaNLO at NLO and the ones from the MADGRAPH5_AMC@NLO MC samples at the particle level in the fiducial phase space of the measurement, for Z_TZ_T , Z_TZ_L and Z_LZ_L events, respectively. An additional reweighting as a function of $\cos \theta_1$ is applied to account for the missing higher-order QCD and parton shower effects by taking the ratio of unpolarised SHERPA $q\bar{q} \rightarrow ZZ$ predictions at the particle level to the unpolarised MoCaNLO calculations. The impact of these two 1D reweighting corrections on the BDT discriminant is mostly on the normalisation, about 20%, and the shape variation is 2 - 4%. For $gg \rightarrow ZZ$, which contributes to about 15% of the total signal yield, only the unpolarised MADGRAPH5_AMC@NLO MC sample at LO is available, and the MoCaNLO program provides polarised differential cross-sections at LO. Thus the unpolarised MADGRAPH5_AMC@NLO MC sample is reweighted to obtain polarised templates of Z_TZ_T , Z_TZ_L and Z_LZ_L , by taking the fraction of polarised and unpolarised cross-sections calculated by MoCaNLO as a function of $\cos \theta_1$.
- 1D reweighting for the interference effect. The simulated polarised samples does not consider the interference effects among different polarisation states, while such interference effects are found to be non-negligible in some kinematic regions where the contribution could reach up to 5% [66]. A dedicated template for the interference term is therefore constructed by reweighting the unpolarised SHERPA qq̄ → ZZ events with MoCANLO calculations that include interference contributions, by taking the difference between the unpolarised cross-sections and the sum of the three polarised cross-sections as a function of cos θ₁. For gg → ZZ events, the interference effect is found to be negligible and thus ignored. For the subleading EW qq → ZZjj process, the interference effect is not include either.
- 2D reweighting for the residual higher-order corrections. Four templates, including three polarisation states and the interference term, are obtained after the two reweighting steps described above. A closure test is performed by comparing the sum of the four templates and the prediction given by the unpolarised SHERPA MC events and residual discrepancies are observed, which could be due to the non-closure of the 1D reweighting method. An additional 2D reweighting is applied to each of the three polarisation templates to correct the mismodelling by taking the ratio of the non-closure effect and the sum of the three polarisation templates as a function of $\cos \theta_{Z_1}^*$ and $\Delta \phi_{\ell_1 \ell_2}$. The impact of this 2D reweighting on the BDT discriminant is mostly on the shape with a variation of about 10%.

Reweighing of signal polarization samples

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The OO defined for the CP study combines the CP-sensitive polar and azimuthal angles of both Z boson systems, providing additional CP sensitivity from shape differences between the SM and aNTGC predictions. The CP-sensitive polar angles $\theta_1(\theta_3)$ for the $Z_1(Z_2)$ boson are already defined in Section 6.1. The CP-sensitive azimuthal angles ϕ_1 and ϕ_3 are reconstructed in a reference frame that allows a direct measure of the Z boson spin as discussed in Ref. [24, 89] and are illustrated in Figure 2. The CP-sensitive azimuthal angle $\phi_1(\phi_3)$ is the azimuthal angle of the negative lepton in the $Z_1(Z_2)$ rest frame in this new axis system. The differential cross-sections for $\theta_1(\theta_3)$ and $\phi_1(\phi_3)$ are symmetric in the SM but asymmetric in the presence of the two CP-odd aNTGC.

To improve the sensitivity, the two CP-sensitive angles $\theta_1(\theta_3)$ and $\phi_1(\phi_3)$ are combined to form an angular observable $T_{yz,1(3)} = \sin \phi_{1(3)} \times \cos \theta_{1(3)}$ which maximises the asymmetry for each Z boson system. Figures 4(a) and 4(b) show the 2D differential distributions of the CP-sensitive observable T_{yz} of the two Z bosons, the symmetric SM prediction and asymmetric BSM prediction in the presence of a non-zero f_Z^4 parameter.

As observed in Figure 4(b), the first (bottom left) and the third (top right) quadrants where both Z bosons have negative and positive T_{yz} values, respectively, are the most sensitive regions of the 2D T_{yz} distribution. The OO $O_{T_{yz,1},T_{yz,3}}$ is defined from the 2D distribution of T_{yz} by grouping together the sensitive and non-sensitive bins to maximise the sensitivity for the four-lepton system. Each bin of the $O_{T_{yz,1},T_{yz,3}}$ observable represents approximately an L-shaped grouping of the bins around $T_{yz,3} = T_{yz,1}$ line as shown by Figure 5(a). The small fraction of events with miss-paired leptons in the $ZZ \rightarrow 4e$ (4 μ) final states were studied and found to have negligible impact on the CP-sensitivity of the OO.

Figure 4: Particle level 2D differential cross-sections of T_{yz} of the two Z bosons for the $q\bar{q} \rightarrow ZZ \rightarrow 4\ell$ process as predicted by (a) the SM and (b) in the presence of the BSM aNTGC vertex. The BSM prediction shows the linear only contribution when $f_Z^4 = 1$.

Definition of CP-odd observable

Search for yy->VV

5.4 Proton-jet matching and signal region

The matching between the proton and jet kinematics for exclusive signal is based on the variables 1 - m(VV)/m(pp) and y(pp) - y(VV). Here m(VV) and y(VV) represent the invariant mass and rapidity of the WW or ZZ system, as reconstructed from the merged jets. The variables m(pp) and y(pp) are the expected invariant mass and rapidity of the central system, calculated from the proton information:

$$m(pp) = \sqrt{s} \sqrt{\xi_{p1} \xi_{p2}}, \qquad y(pp) = -\frac{1}{2} \ln \left(\frac{\xi_{p1}}{\xi_{p2}}\right).$$
(2)

Two signal regions are defined by comparing the invariant mass and rapidity of the WW or ZZ system obtained from the jets with the same quantities inferred from the two protons. A diamond-shaped area in the y(pp) - y(VV) vs. 1 - m(VV)/m(pp) plane, centered around zero, contains the bulk of the signal when both protons are correctly associated to the jets ("region δ''). In case one of the signal protons is missed and a pileup proton is used instead, the events tend to fall in one of the two diagonal bands of Fig. 4. A second signal region ("region *o*") is therefore defined based on these bands. The dimensions of the two regions are optimized to provide the best expected signal significance, estimated as S/\sqrt{B} . Of the simulated signal events passing all other selections, typically between 19% and 25% are contained in region δ , and a similar fraction in region o. The area with |1 - m(VV)/m(pp)| < 1.0 and |y(pp) - y(VV)| < 0.5, encompassing both signal regions, remained blinded and was not examined until the selection criteria and background estimation methods were fixed.

Forward protons are reconstructed using a "multi-RP" algorithm, which combines tracks reconstructed in both of the tracking Roman pots in each arm of PPS. The lever arm between the two RPs allows the reconstruction of the proton scattering angles θ^* (where the superscript "*" indicates an angle defined at the IP) and proton fractional momentum loss ξ :

$$\xi = (p_{\rm nom} - p) / p_{\rm nom'} \tag{1}$$

where p_{nom} and p are the nominal beam momentum and the scattered proton momentum,

Jet-proton matching

CMS-SMP-21-014

Dimension-8 operator:
$$a_0^W = -\frac{m_W}{\pi \alpha_{em}} \left[s_w^2 \frac{f_{M,0}}{\Lambda^2} + 2c_w^2 \frac{f_{M,2}}{\Lambda^2} + s_w c_w \frac{f_{M,4}}{\Lambda^2} \right]$$

Table 4: Conversion of limits on a_0^W to dimension-8 $f_{M,i}$ operators, using the assumption of vanishing WWZ γ couplings to eliminate some parameters. When quoting limits on one of the operators, the other is fixed to zero. The results for $|f_{M,0}/\Lambda^4|$ and $|f_{M,4}/\Lambda^4|$ are shown with and without clipping of the signal model at 1.4 TeV, when the other parameter is fixed to the SM value of zero.

Coupling	Observed (expected)	Observed (expected)
	95% CL upper limit	95% CL upper limit
	No clipping	Clipping at 1.4 TeV
$ f_{M,0}/\Lambda^4 $	$16.2 (14.7) \mathrm{TeV}^{-4}$	19.5 (19.2) TeV^{-4}
$ f_{M,4}/\Lambda^4 $	90.9 (82.6) TeV^{-4}	$110~(108)~{ m TeV^{-4}}$

Table 5: Conversion of limits on a_0^W and a_C^W to dimension-8 $f_{M,i}$ operators, using the assumption that all $f_{M,i}$ except one are equal to zero. The results are shown with and without clipping of the signal model at 1.4 TeV.

Coupling	Observed (expected)	Observed (expected)
	95% CL upper limit	95% CL upper limit
	No clipping	Clipping at 1.4 TeV
$ f_{M,0}/\Lambda^4 $	$66.0~(60.0)~{\rm TeV^{-4}}$	79.8 (78.2) TeV^{-4}
$\left f_{M,1}/\Lambda^4\right $	245.5 (214.8) TeV^{-4}	$306.8 (306.8) \mathrm{TeV}^{-4}$
$ f_{M,2}/\Lambda^4 $	9.8 (9.0) TeV $^{-4}$	$11.9~(11.8){ m TeV^{-4}}$
$ f_{M,3}/\Lambda^4 $	73.0 (64.6) TeV^{-4}	91.3 (92.3) TeV^{-4}
$ f_{M,4}/\Lambda^4 $	$36.0 (32.9) \mathrm{TeV}^{-4}$	$43.5~(42.9)\mathrm{TeV}^{-4}$
$ f_{M,5}/\Lambda^4 $	$67.0~(58.9)~{ m TeV}^{-4}$	$83.7~(84.1)~{ m TeV^{-4}}$
$\left f_{M,7}/\Lambda^4\right $	$490.9~(429.6)~{\rm TeV}^{-4}$	$613.7~(613.7)~{ m TeV}^{-4}$

