

X-Ray Photoionization of Free and Confined Atoms

Steven T. Manson

Department of Physics and Astronomy

Georgia State University

AT HIGH PHOTON ENERGY PHOTOIONIZATION IS NOT GENERALLY A ONE- ELECTRON PROCESS

This is due to correlation—the fact that initial and final states in the photoionization process are often not well-represented by single-particle wave functions

This correlation takes many different forms resulting in various consequences

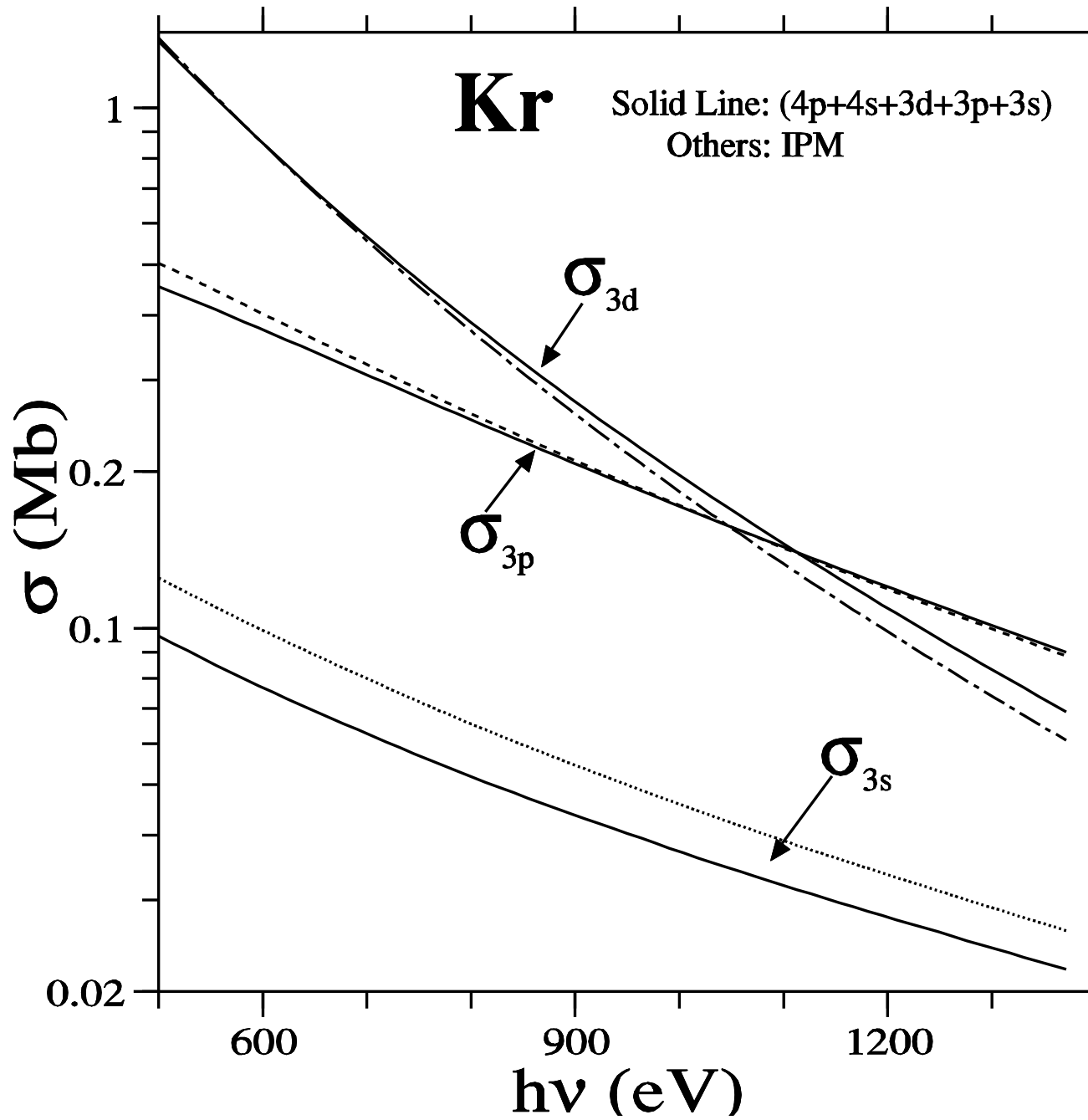
Correlation in the final (continuum) state wave function is generally known as interchannel coupling—it is really just configuration interaction in the continuum.

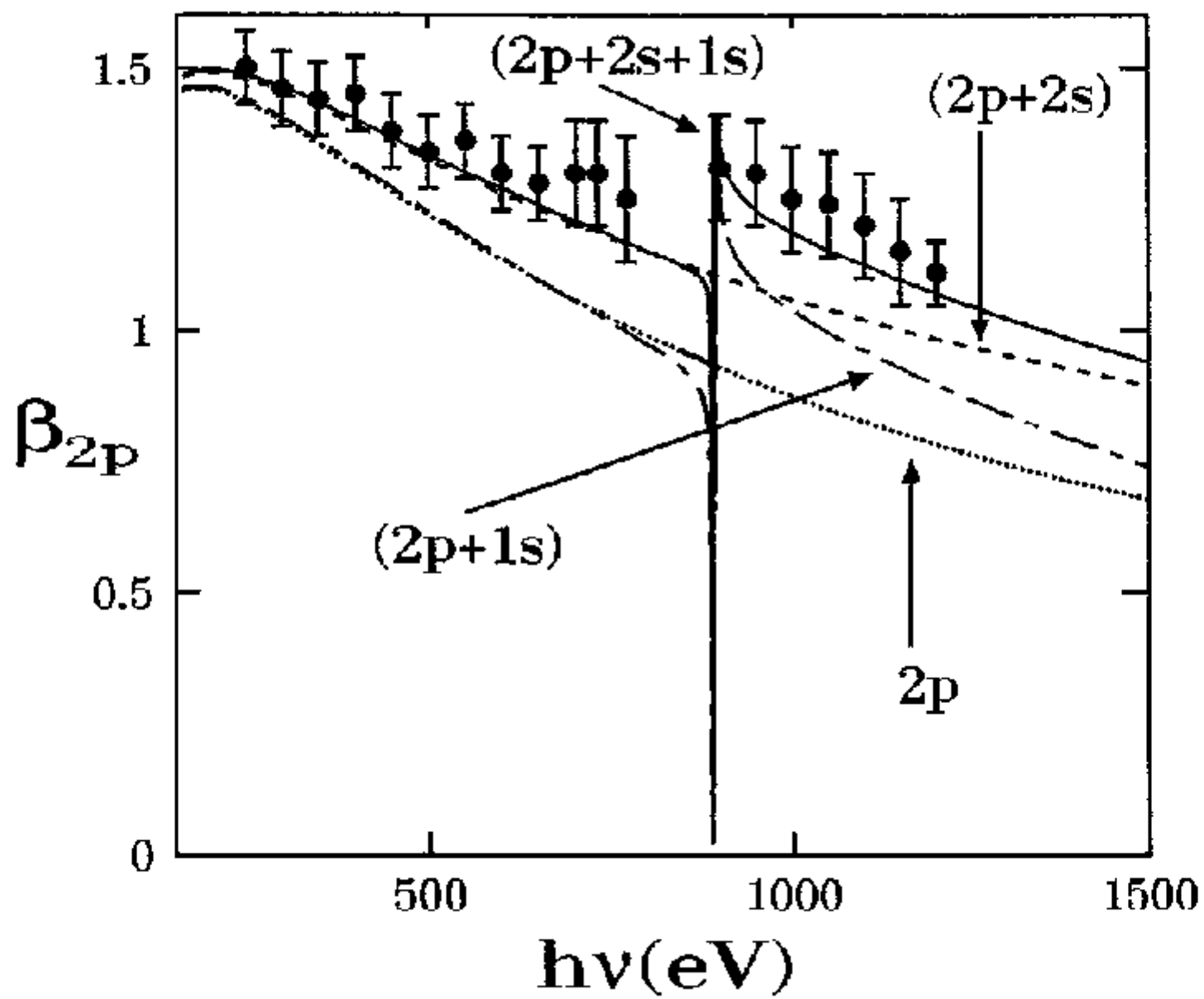
As a consequence, when there are degenerate photoionization processes, i.e., from different atomic subshells, weak cross sections can be altered significantly by strong ones.

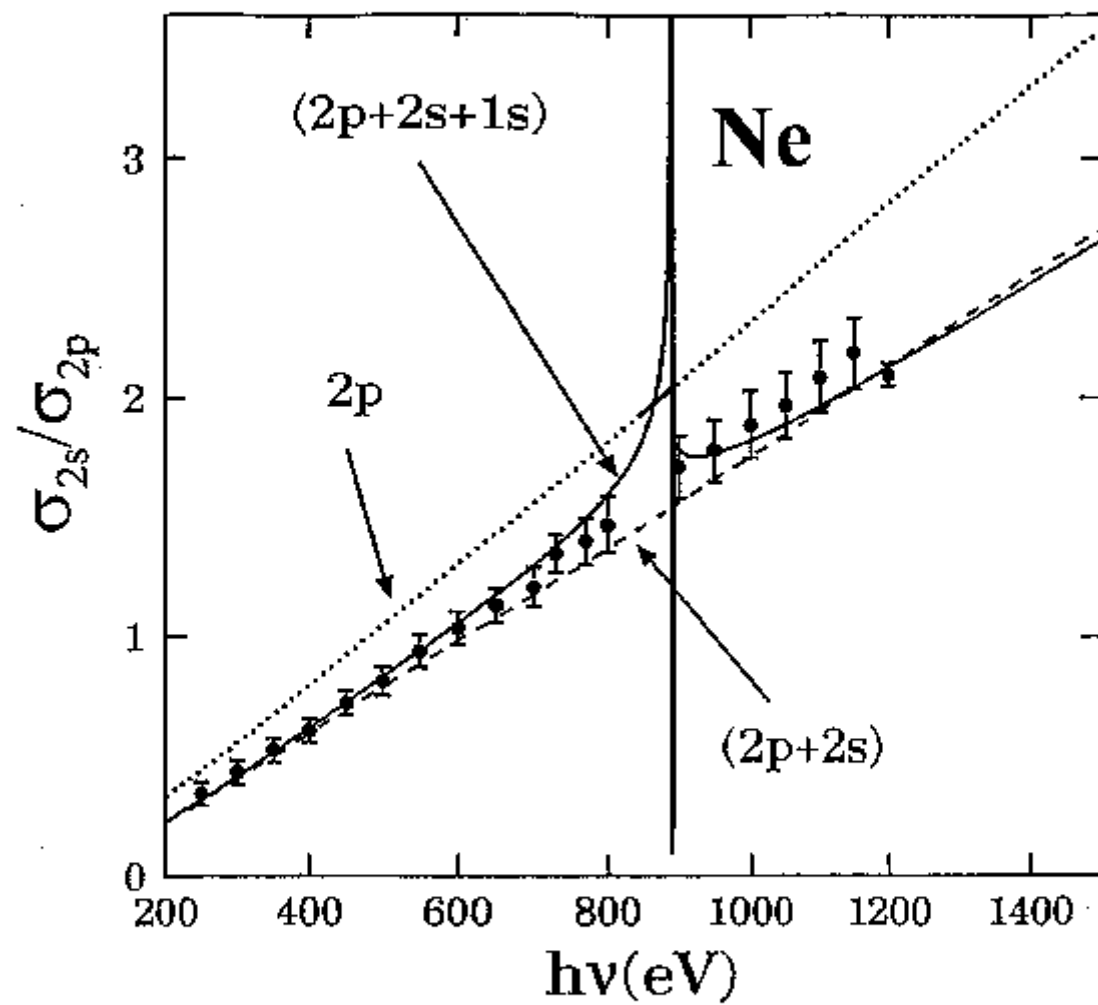
HIGH-ENERGY PHOTOIONIZATION CROSS SECTIONS

In the single-particle approximation, the asymptotic cross section for photoionization of an $n/$ state goes as $E^{-(l+7/2)}$.

Owing to interchannel coupling, it is found that this dependence remains correct for ns states, but the dependence becomes $E^{-(9/2)}$ for all other states.







Initial state correlation can also have important consequences.

Example: Photoionization of an atom or ion with outer-shell structure $(4p)^2\ ^1S$

▪

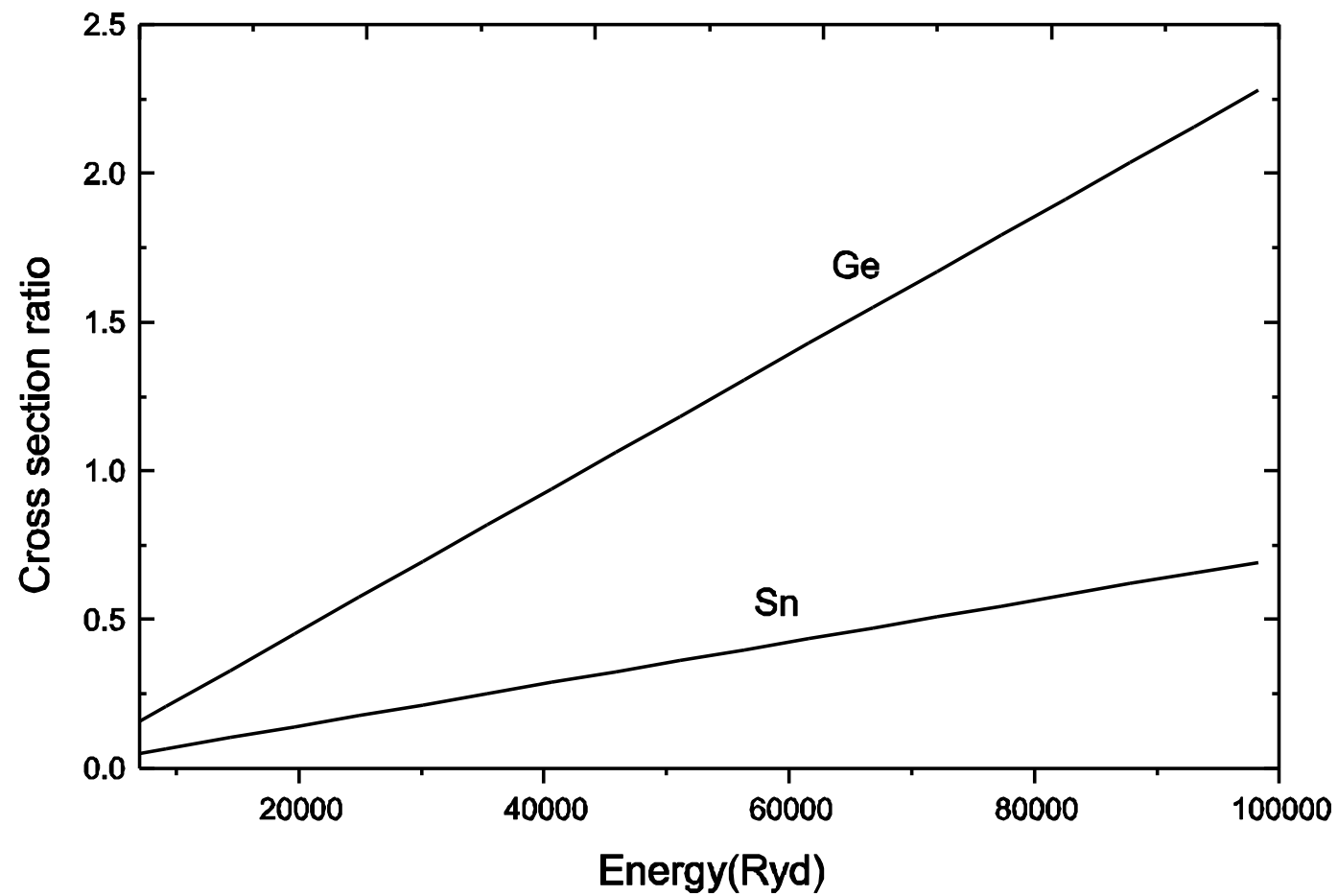
Initial state wave function: $\alpha (4p)^2 + \beta (5s)^2$,
where β is quite small.

Final state wave functions: $4p\varepsilon s$, $4p\varepsilon d$, $5s\varepsilon p$

Cross section for leaving target in the 4p state,
 $4p \rightarrow \varepsilon s$, $4p \rightarrow \varepsilon d$, behaves at high energy as $E^{-(9/2)}$

Cross section for leaving target in the 4s state,
 $4s \rightarrow \varepsilon p$, behaves at high energy as $E^{-(7/2)}$

Thus, at high enough energy, ionization plus
excitation will dominate!

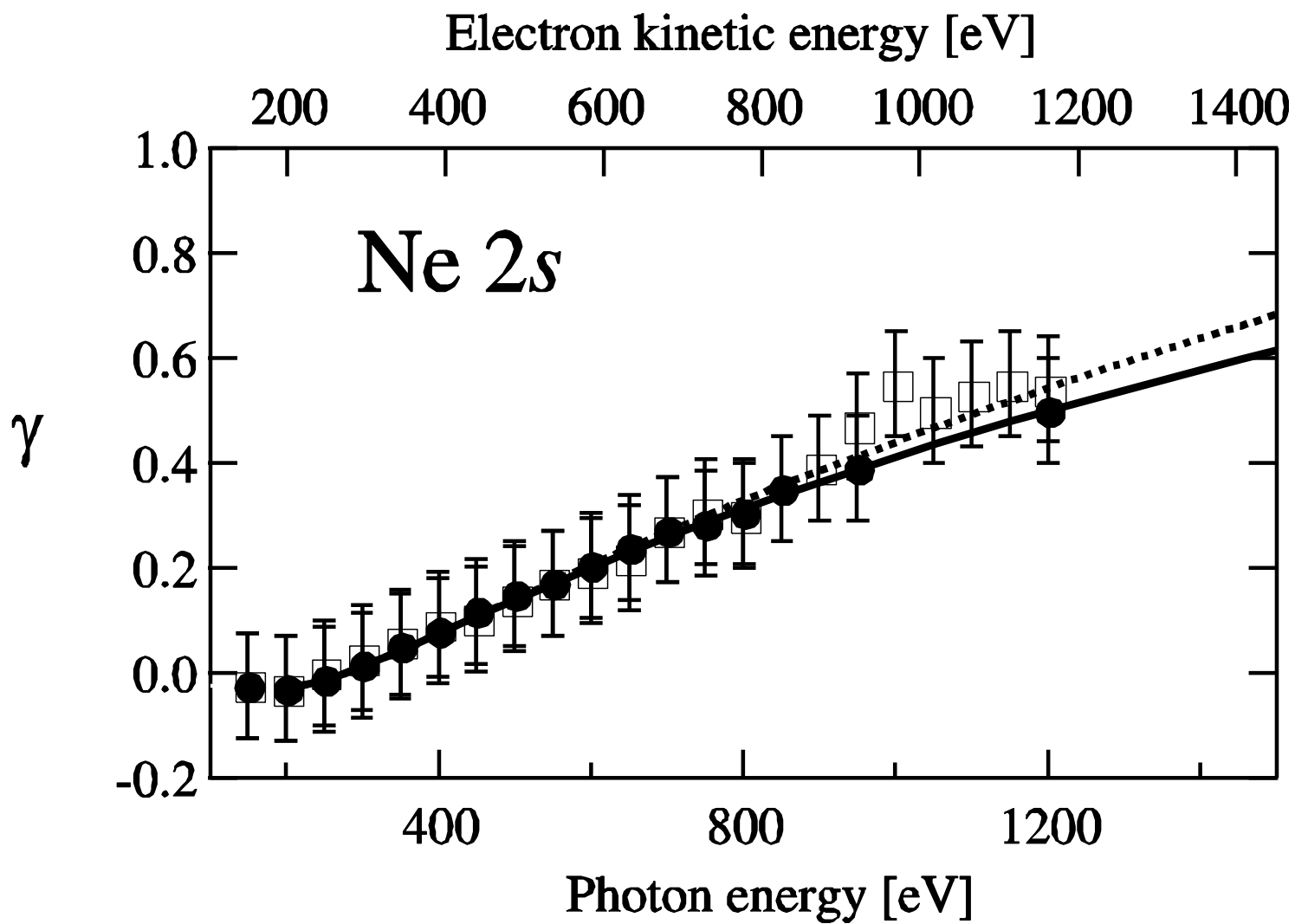


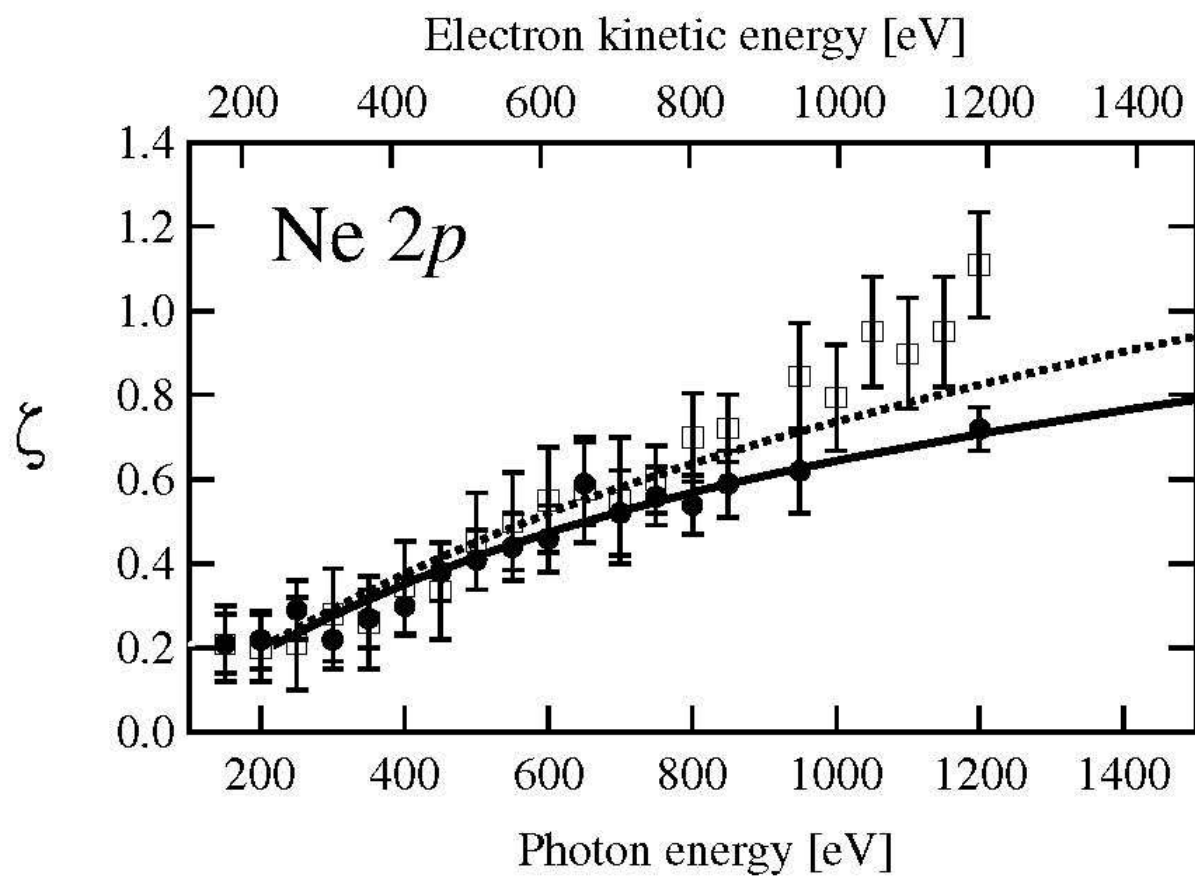
Photoelectron Angular Distribution

$$\begin{aligned} d\sigma/d\Omega = & (\sigma/4\pi)[1 + (\beta + \Delta\beta)P_2(\cos\theta) + \\ & (\delta + \gamma\cos^2\theta)\sin\theta\cos\varphi + \lambda P_2(\cos\theta)\cos 2\varphi \\ & + \mu\cos 2\varphi + \nu(1 + \cos 2\varphi)P_4(\cos\theta)] \end{aligned}$$

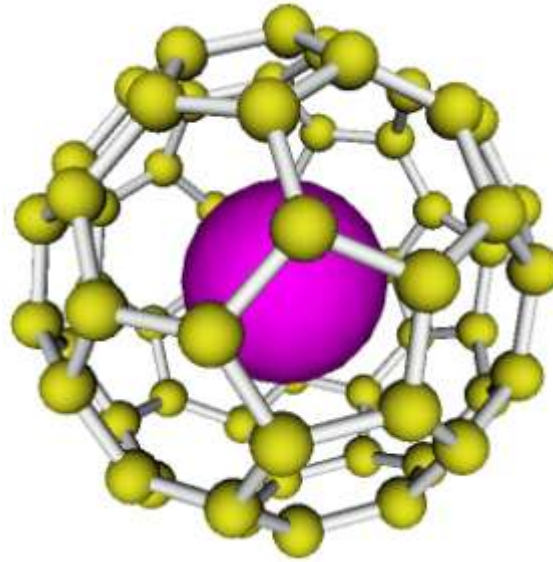
Red—First order in photon momentum; dipole-quadrupole interference

Violet—Second order in photon momentum-quadrupole quadrupole and dipole-octupole interference





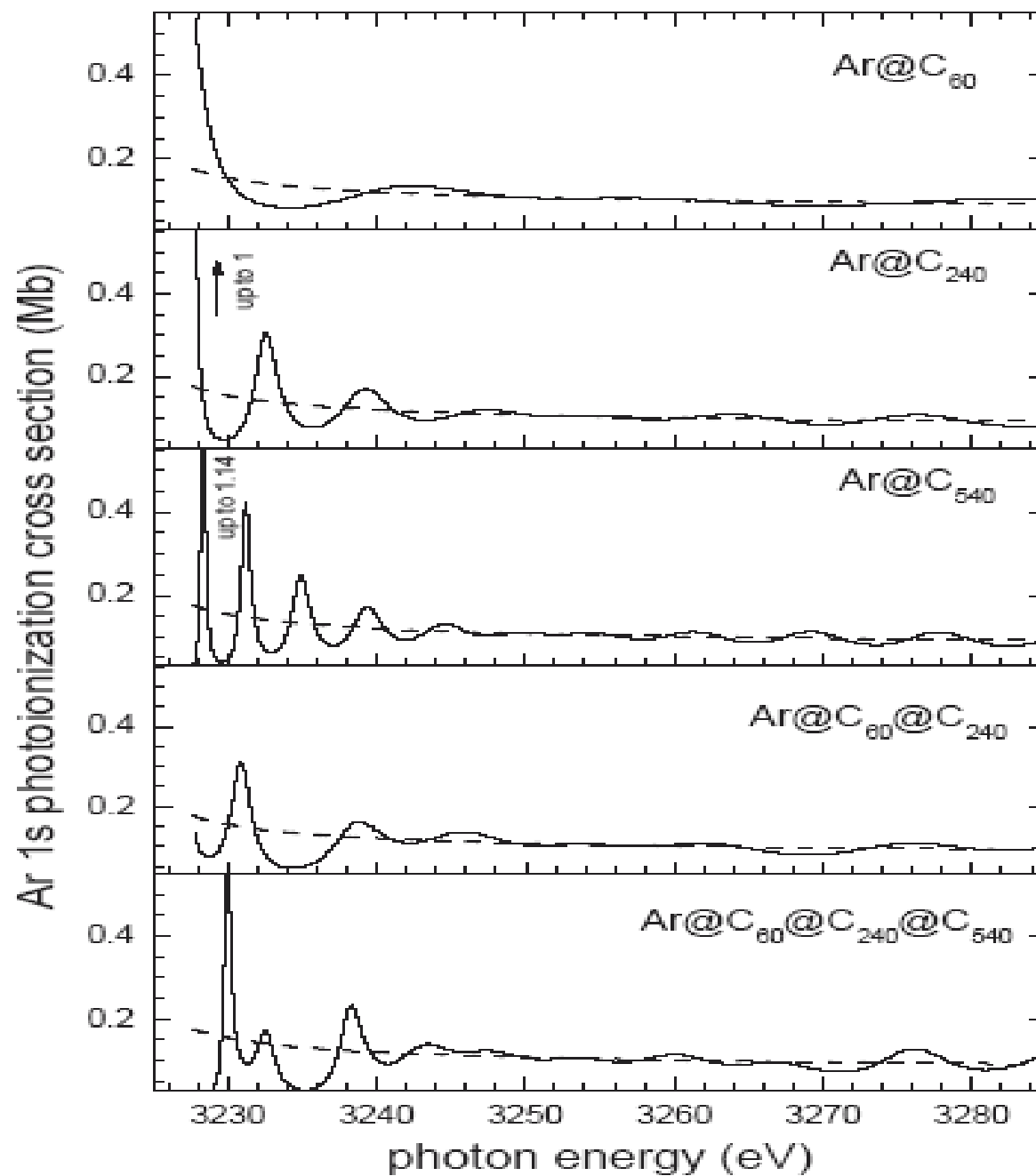
Ionization of Endohedral Atoms



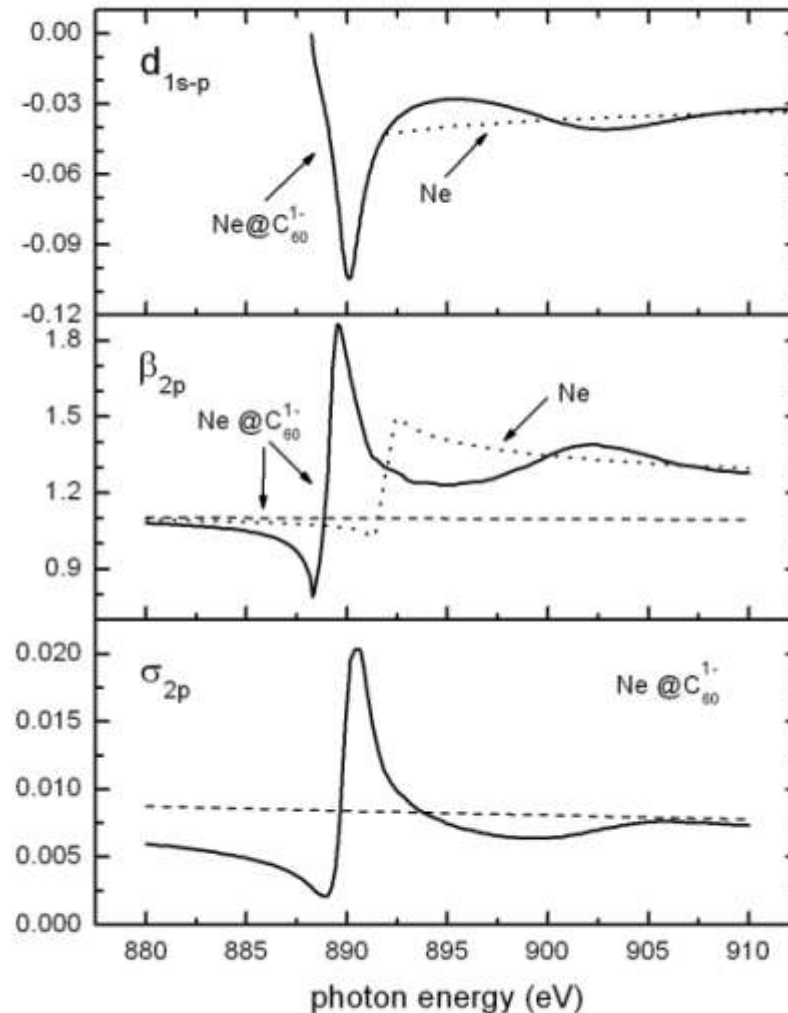
Calculations based on a variety of approximations to describe the fullerene shell and its influence upon the encaged atom

Ionization of Endohedral Atoms: Confinement Resonances

- Confinement resonances, oscillations in the photoionization cross section, were first predicted in the early 1990's
- Their physical origin was explained about a decade ago as the interference of the photoelectron wave emitted directly with the waves that scatter from the confining potential.



Photoionization of Ne@C₆₀ in the vicinity of the 1s threshold



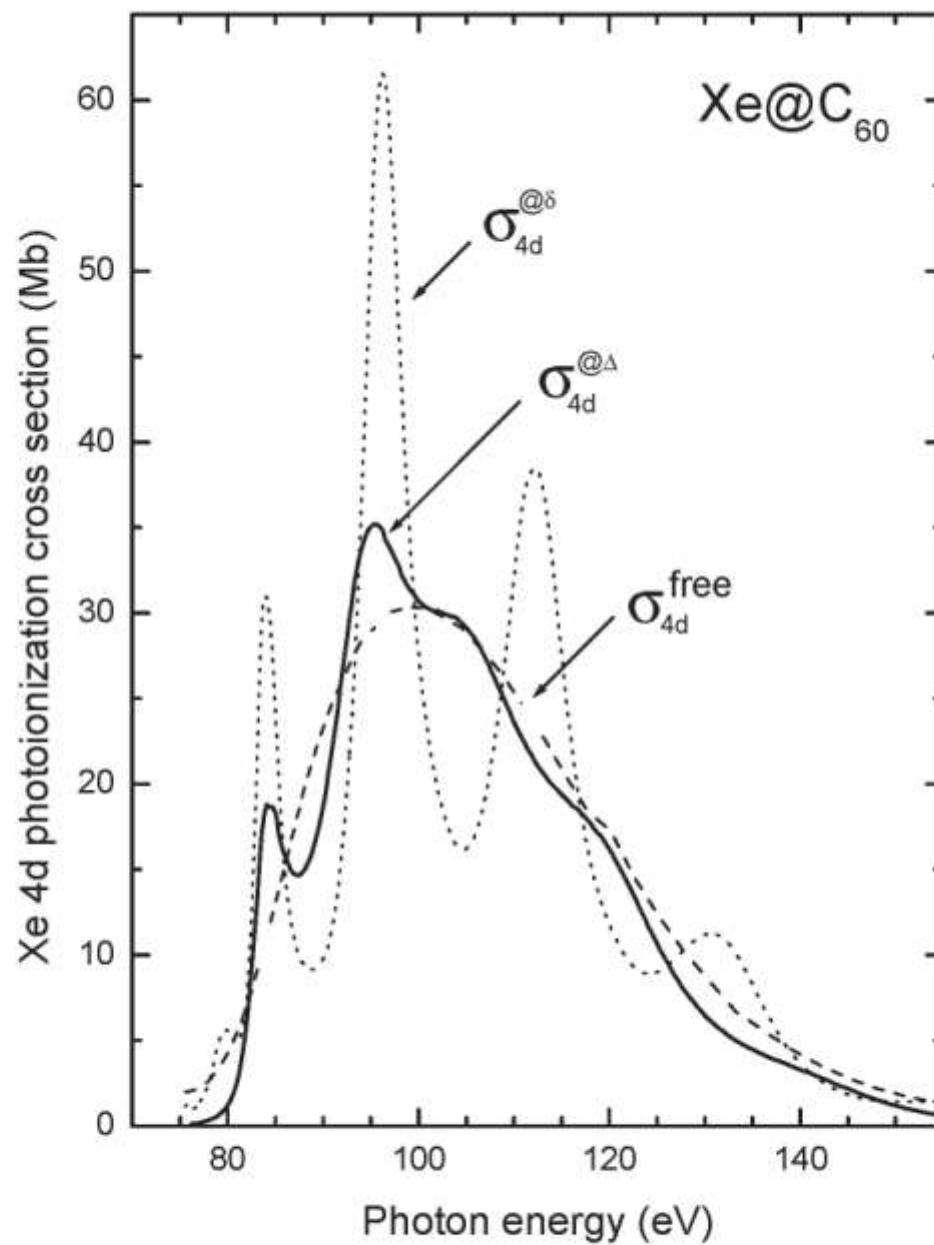
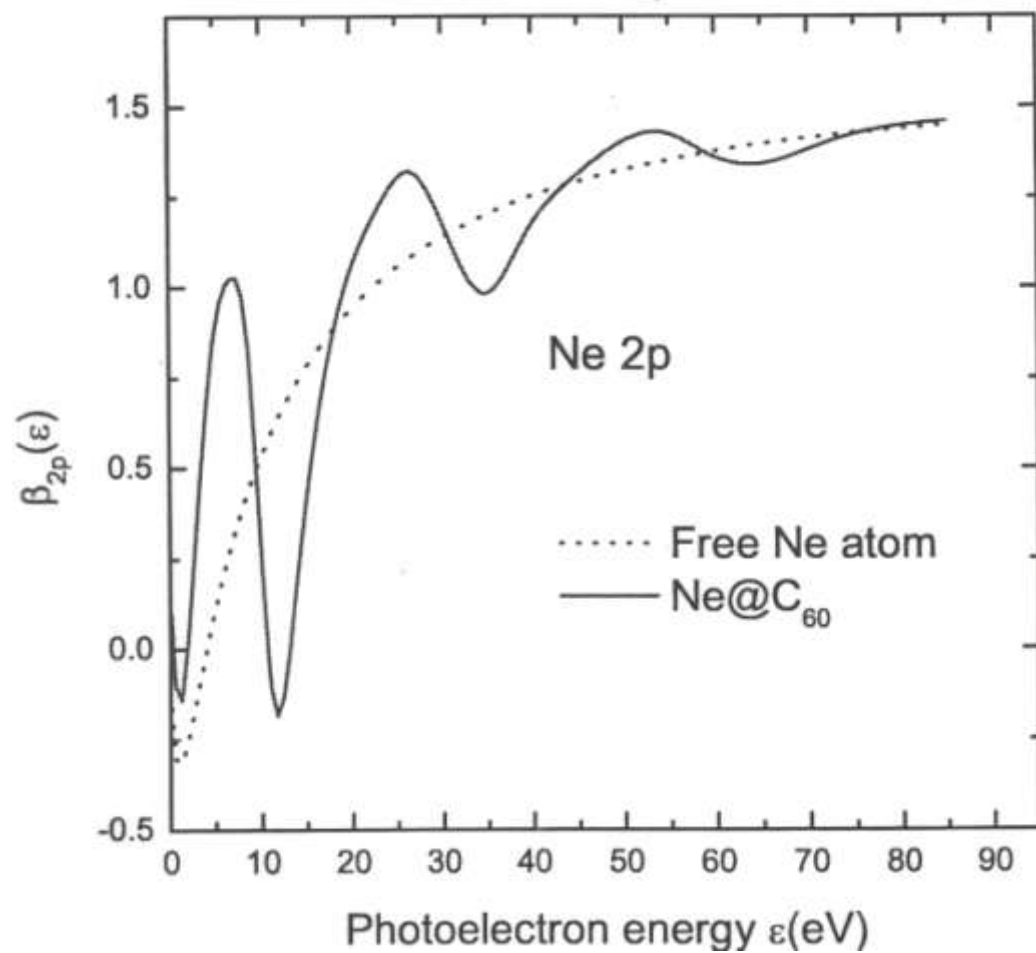
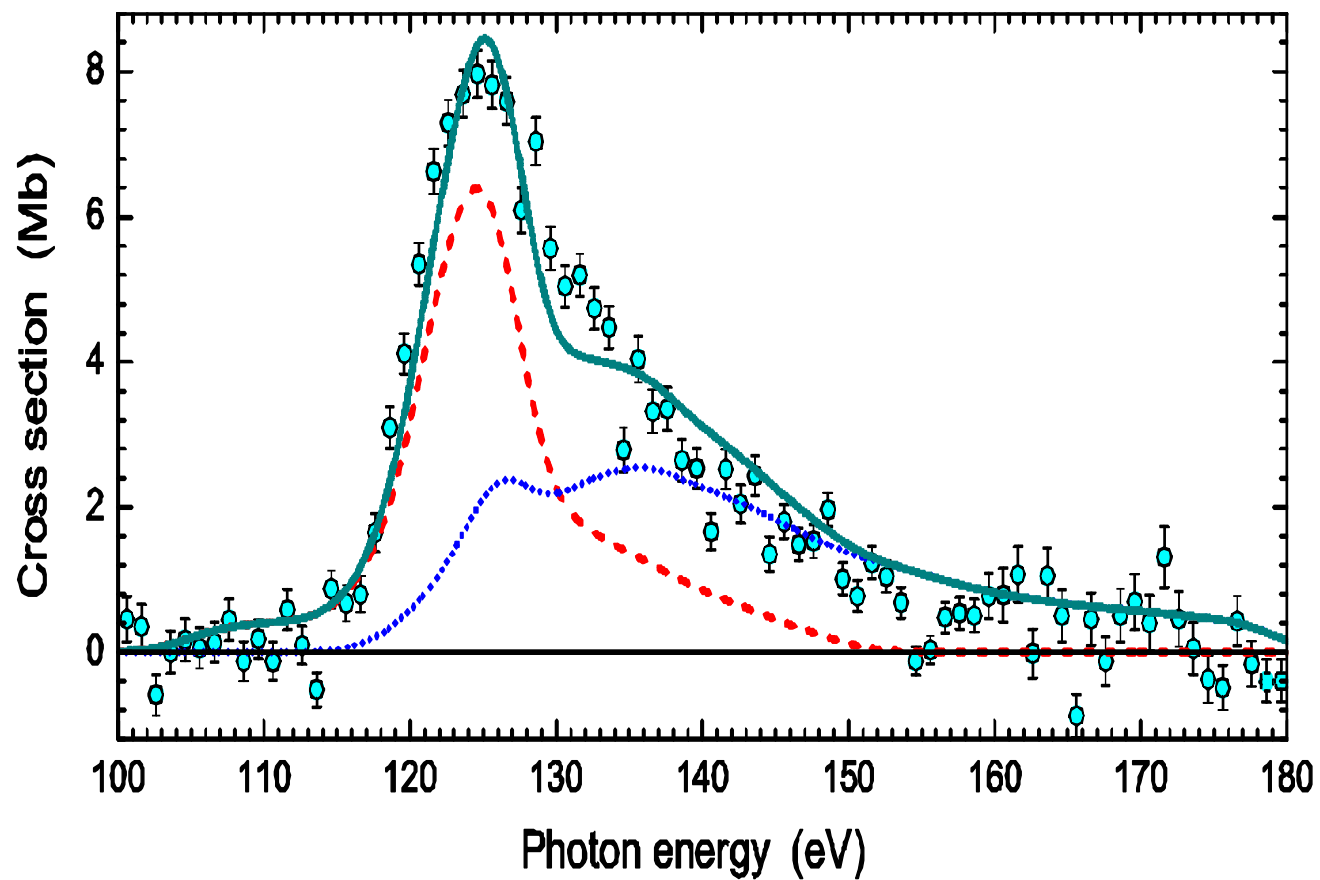
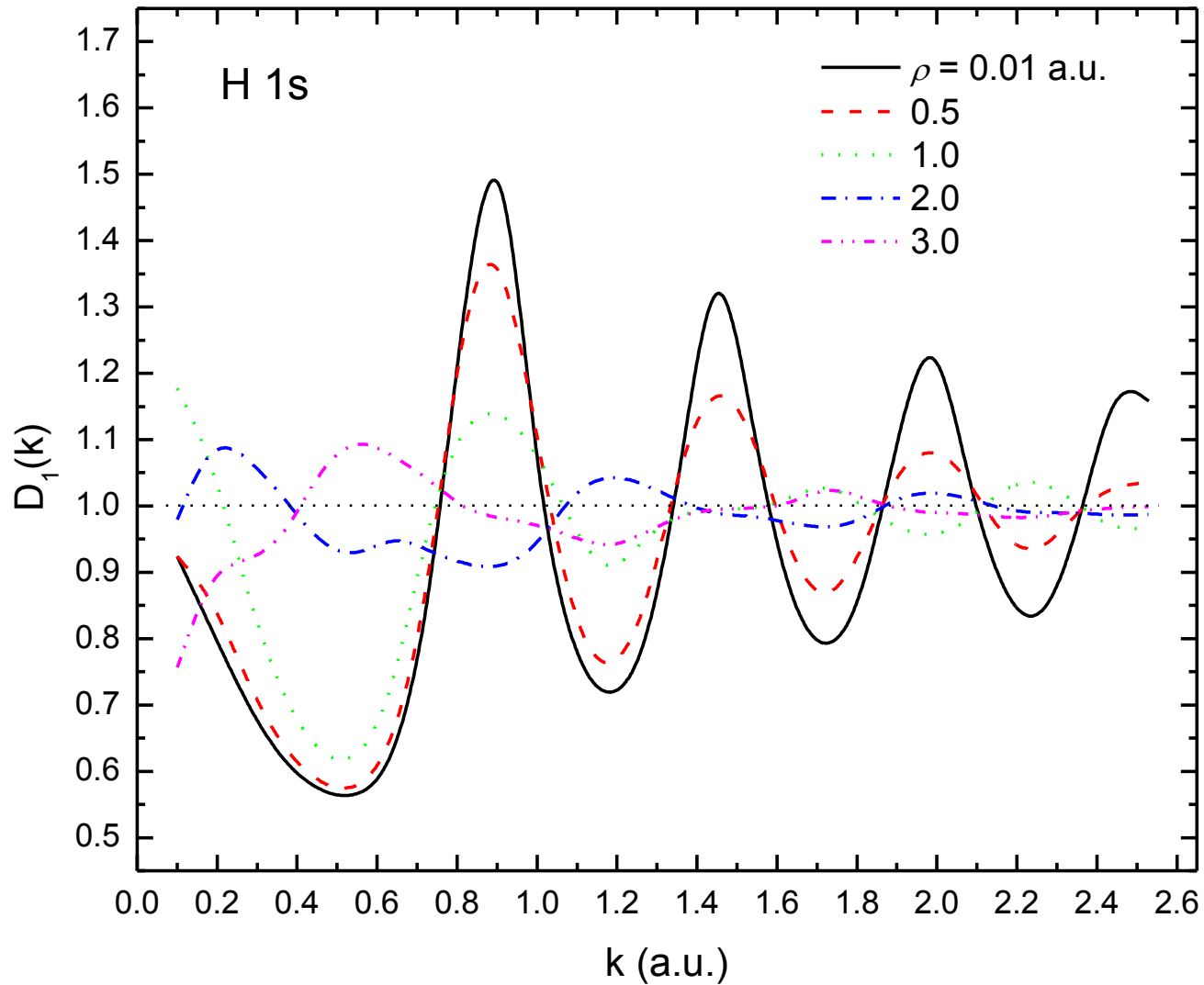


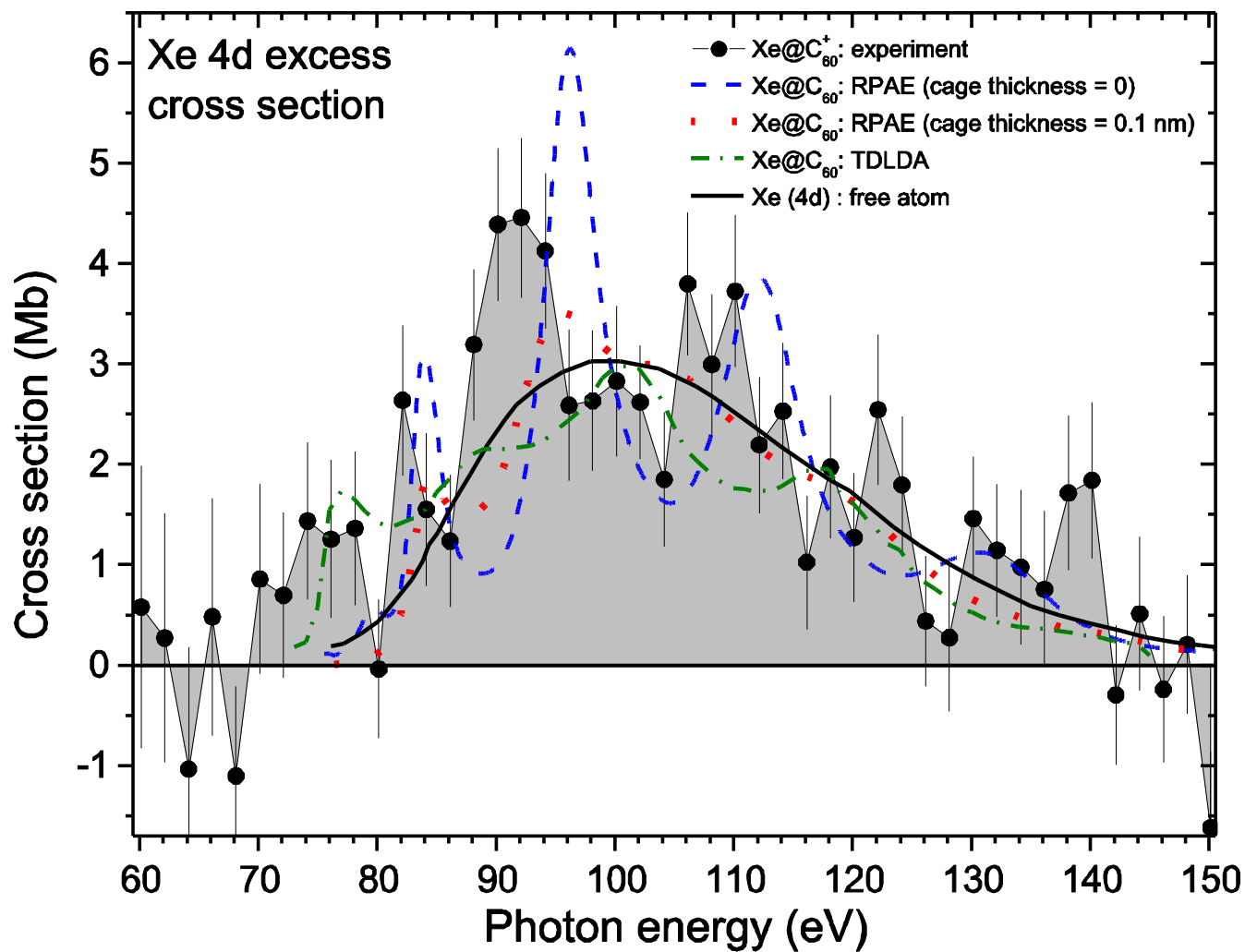
Figure 1. Calculated RPAE results for the 4d photoionization cross section of free Xe, σ_{4d}^{free} , (---), as well as of endohedral Xe@C₆₀ calculated within the framework of both the zero-thickness, δ -potential model, $\sigma_{4d}^{@\delta}$ [4] (.....) and a spherical, short-range, attractive potential of finite thickness Δ , $\sigma_{4d}^{@\Delta}$ (—, present work).



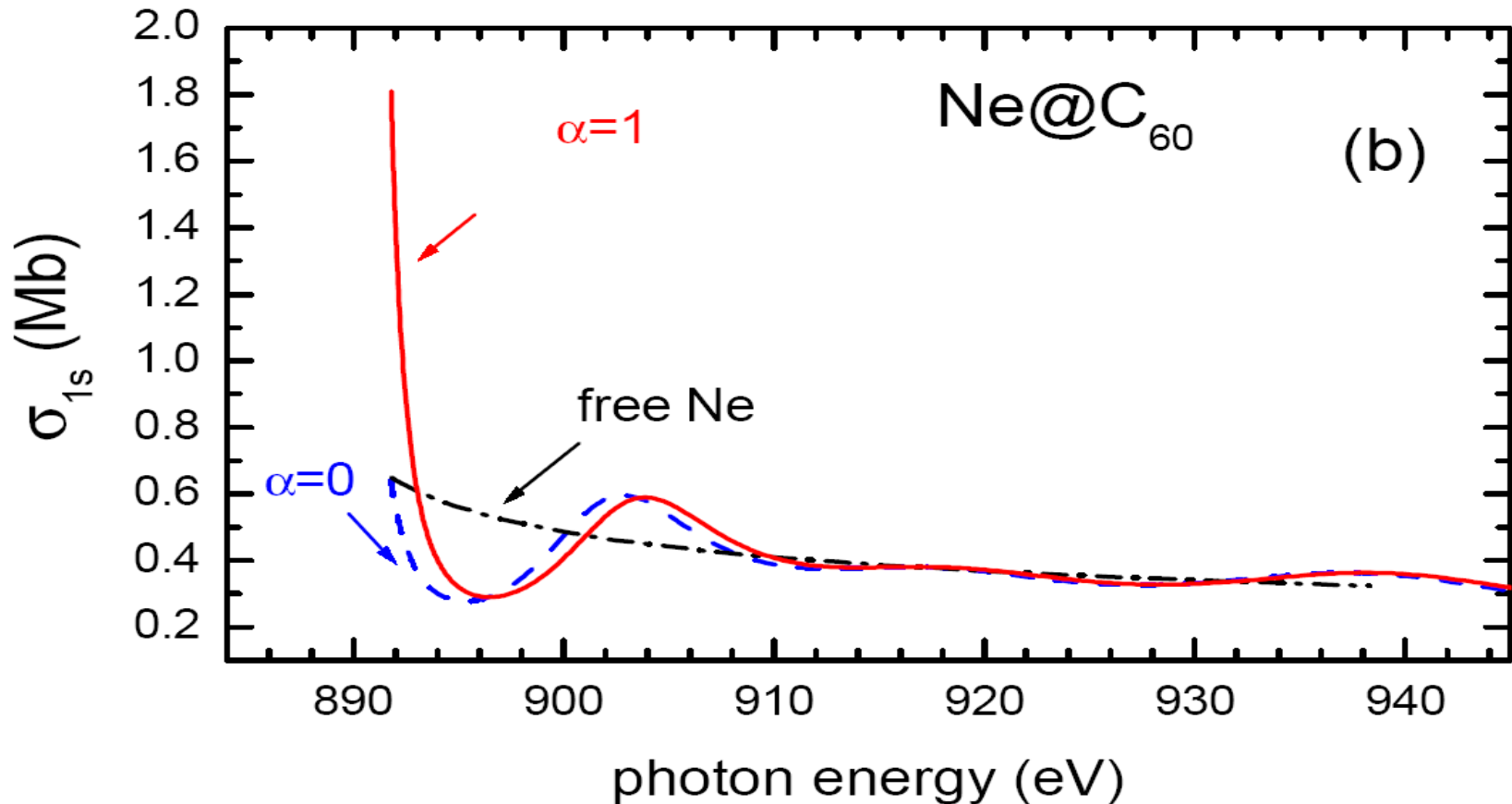


Photoionization of Off-Center H@C60





Photoionization of Ne@C60 including polarization of the cage



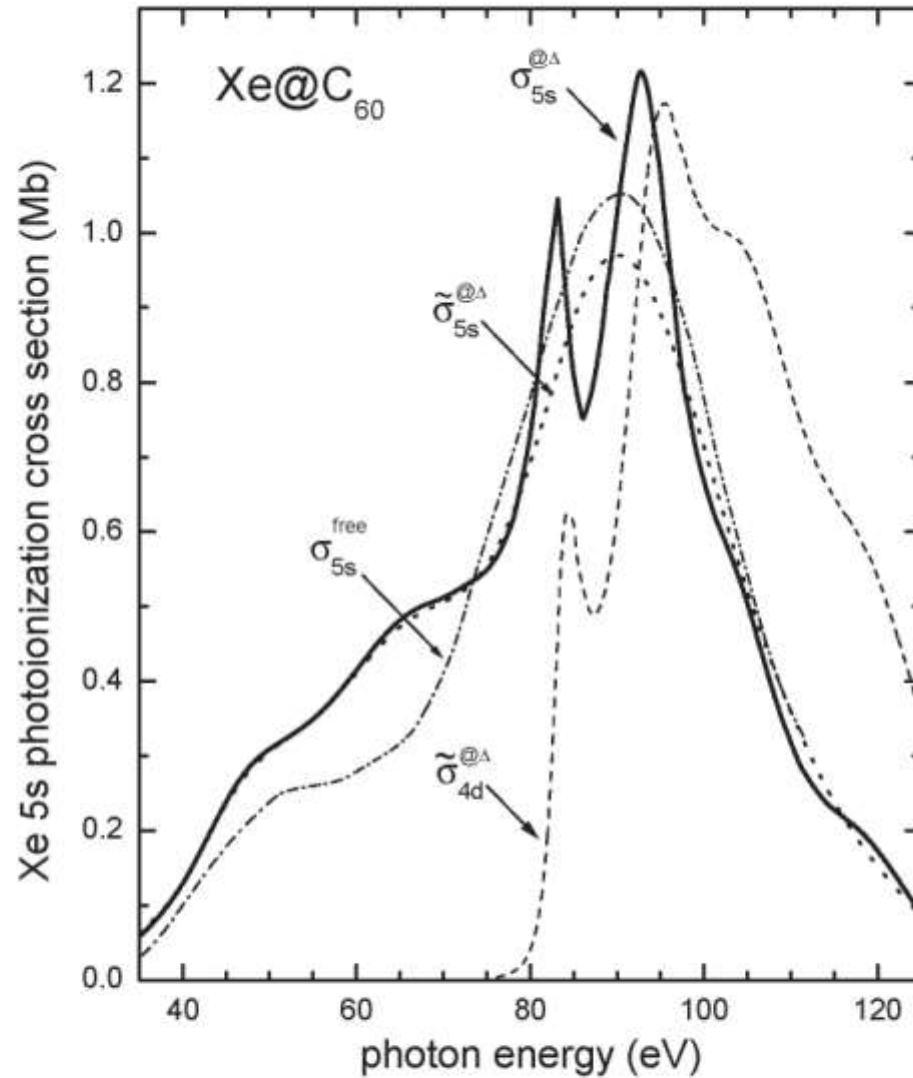


Figure 2. Calculated RPAE results (accounting for interchannel couplings among photo-transitions from $4d^{10}$, $5s^2$, and $5p^6$ subshells) for the 5s photoionization cross section of Xe: —, free Xe ($\sigma_{5s}^{\text{free}}$); —, Xe@C₆₀ in the framework of the present spherical, short-range, finite thickness potential model [$\sigma_{5s}^{\text{@}\Delta}(\omega)$]; ·····, [$\tilde{\sigma}_{5s}^{\text{@}\Delta}(\omega)$], the same as the previous but omitting ordinary confinement resonances in $4d \rightarrow f, p$ transitions; - - -, $(1/30)\sigma_{4d}^{\text{@}\Delta}(\omega) \equiv \tilde{\sigma}_{4d}^{\text{@}\Delta}(\omega)$, $\sigma_{4d}^{\text{@}\Delta}$ being the 4d photoionization cross section.