

CP-VIOLATION STUDIES WITH THE DZERO DETECTOR

THE DZERO DETECTOR

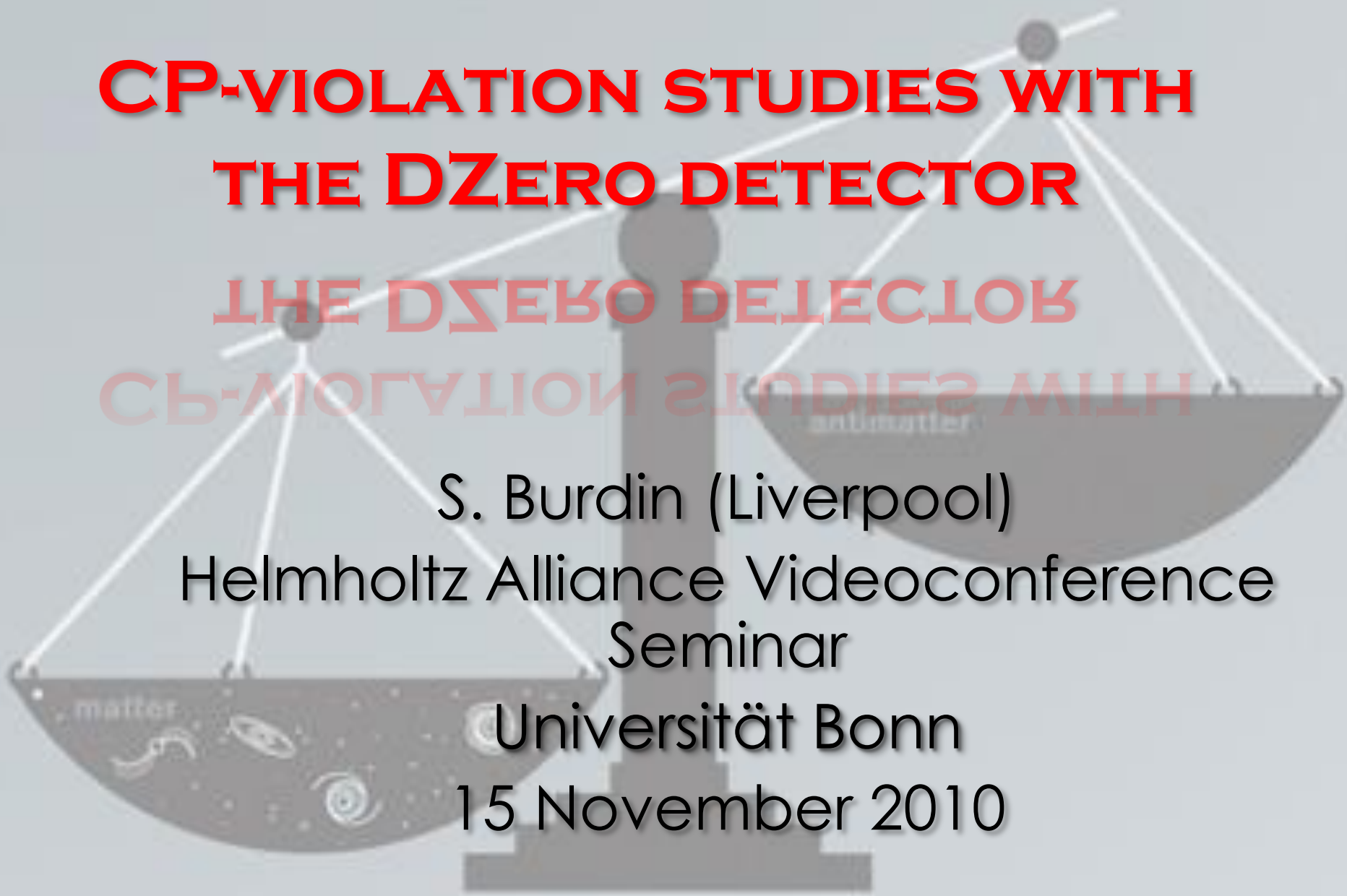
CP-VIOLATION STUDIES WITH

S. Burdin (Liverpool)

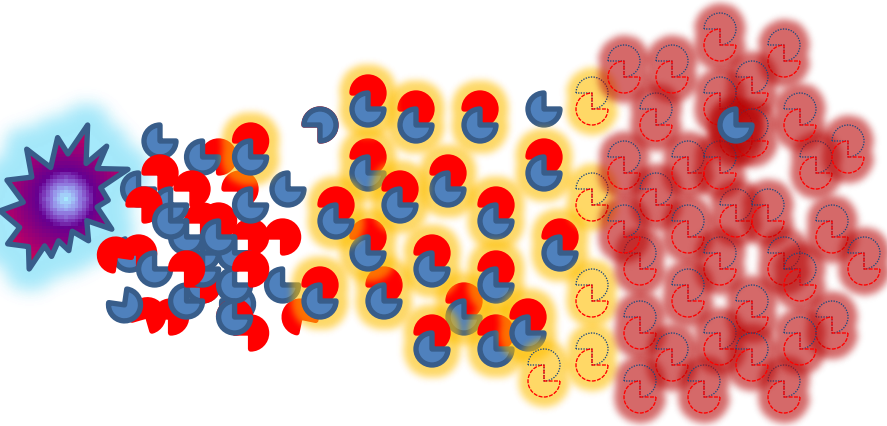
Helmholtz Alliance Videoconference
Seminar

Universität Bonn

15 November 2010



A Simplistic Theory of the Universe



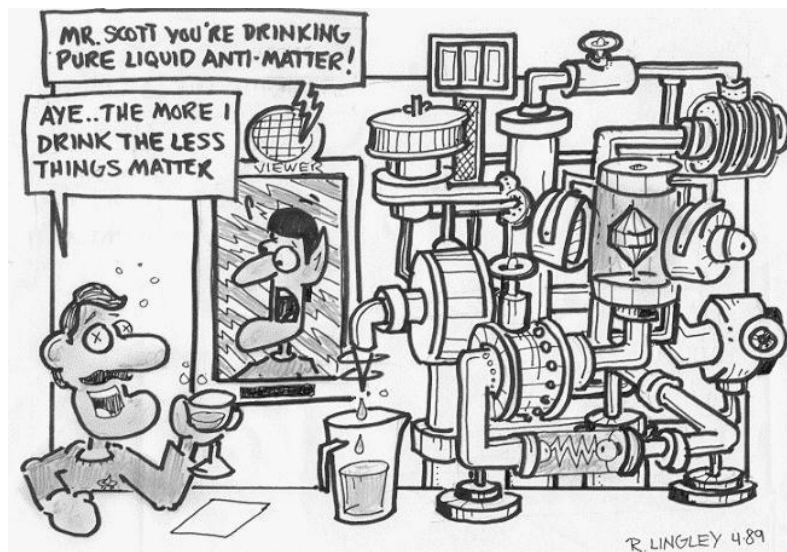
1. Big Bang
2. Equal amounts of matter and antimatter
3. Some processes lead to slight dominance of matter over antimatter
4. Annihilation
5. We are left with a lot of photons and “few” baryons: $\frac{N_B}{N_\gamma} = 6 \times 10^{-10}$

Sakharov's conditions of our Universe existence



- They were formulated in 1967
- Inspired by the CP violation discovery in the kaon system
- Baryon number violation
- C, CP violation
- These processes happened when the Universe was not in thermal equilibrium

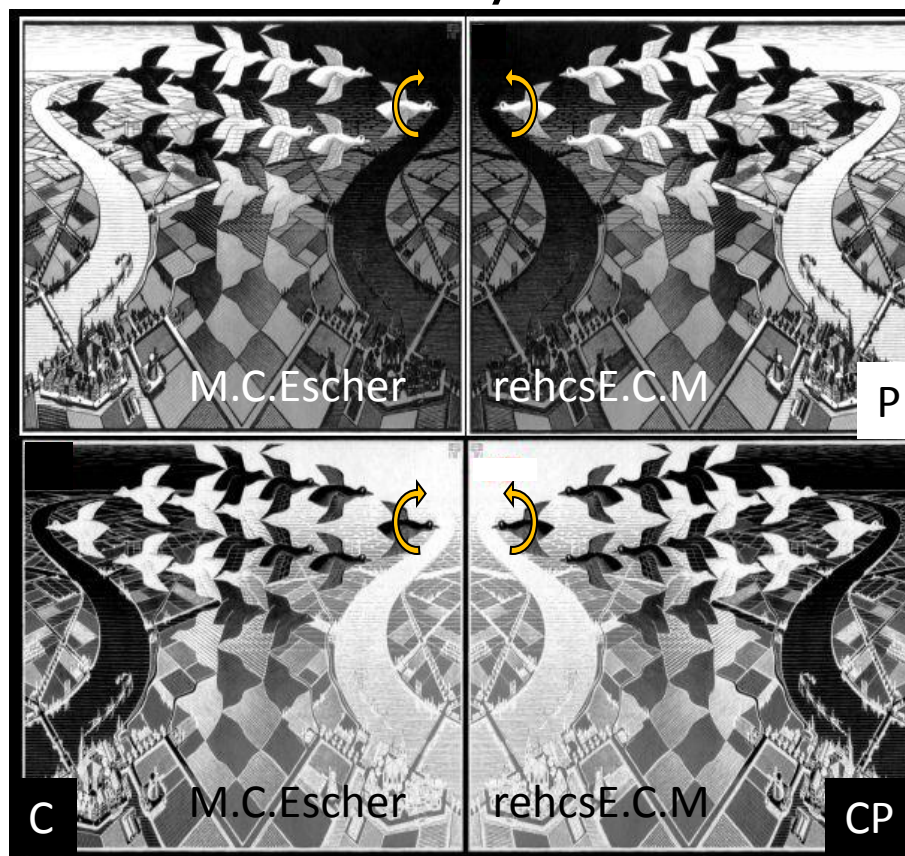
$$\frac{N_b(t) - N_{\bar{b}}(t)}{N_b(t) + N_{\bar{b}}(t)} \approx \frac{\Delta N_b}{N_\gamma}$$



Now : $\frac{\Delta N_b}{N_\gamma} = (6.1 \pm 0.3) \times 10^{-10}$ (WMAP)

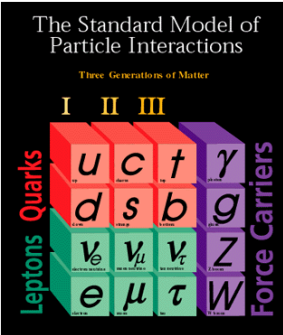
- Current estimates from the SM: $\sim 10^{-20}$
- 10 orders of magnitude difference

- CP violation (CPV) – violation of symmetry of physics laws in combined Charge-conjugate and Parity transformation



- Lagrangian

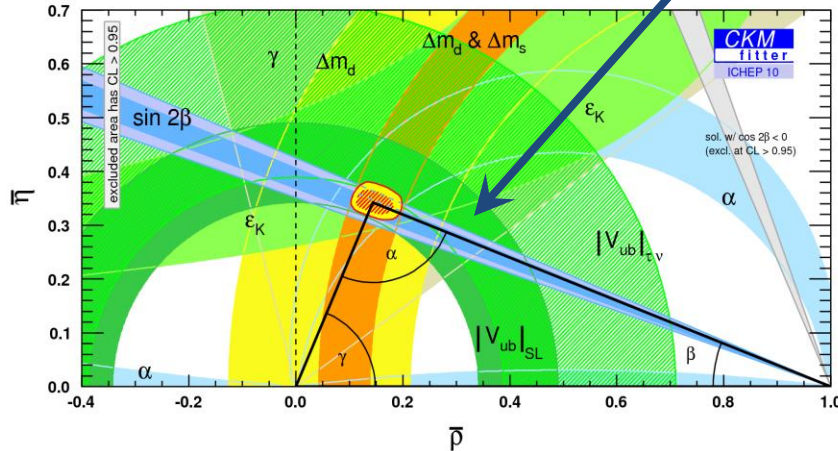
$$L = \frac{g}{\sqrt{2}} (\overline{u, c, t})_L \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \gamma_\mu \begin{pmatrix} d \\ s \\ b \end{pmatrix}_L W^\mu + h.c.$$



$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$$

Unitarity

V_{CKM}



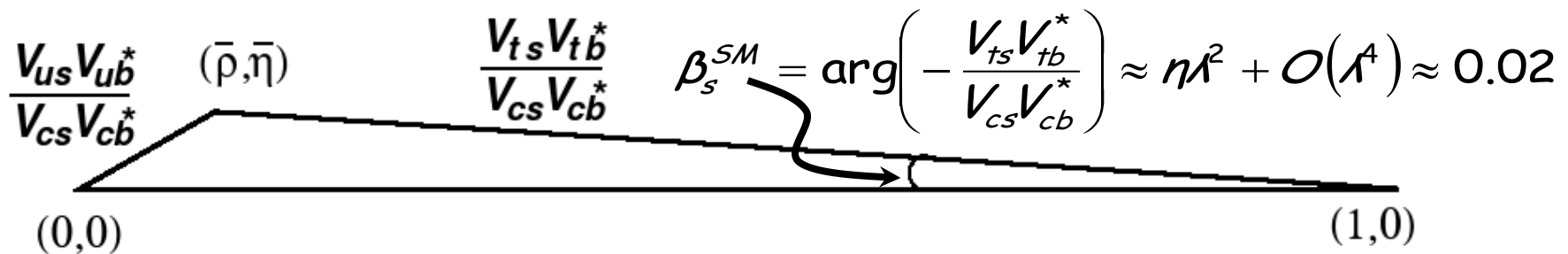
Sides and angles of the Triangle could be determined using many physics processes → Consistency check

Area of the Unitarity Triangle is proportional to the CP violation in the Standard Model due to CKM Matrix

- Wolfenstein parameterization of CKM matrix

$$V_{CKM} \approx \begin{pmatrix} 1 - \lambda^2/2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \lambda^2/2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2\left(1 - \frac{1-2\rho}{2}\lambda^2 + i\eta\lambda^2\right) & 1 \end{pmatrix} + O(\lambda^4)$$

- $\lambda = \sin(\theta_{\text{Cabibbo}}) \approx 0.23$
- $\eta \approx 0.35$ – CP violation in SM



- Angle β_s in SM small $\rightarrow$ NP effects more visible

Explanation by G.W.S.Hou

@ W&C 2/6/2009

$$\frac{n_{\bar{B}}}{n_{\gamma}} \cong 0$$

$$\frac{n_{\bar{B}}}{n_{\gamma}} = (6.2 \pm 0.2) \times 10^{-10}$$

WMAP

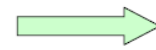
$$KM \sim 10^{-20}$$

Too Small in SM

Jarlskog Invariant in SM3 (need 3 generation in KM)

$$J = (m_t^2 - m_u^2)(m_t^2 - m_c^2)(m_c^2 - m_u^2)(m_b^2 - m_d^2)(m_b^2 - m_s^2)(m_s^2 - m_d^2)A$$

Normalize by $T \sim 100 \text{ GeV}$



$$J/T^{12} \sim 10^{-20}$$

EW Phase Transition Temperature
~ v.e.v.

Masses too Small!

$A \sim 3 \times 10^{-5}$ is common (unique) area of triangle

in SM

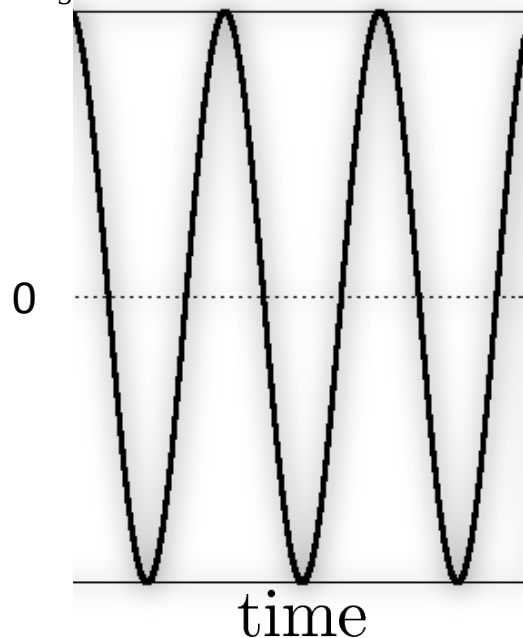
CPV Phase

Small, but *not Too small*



Oscillations of $B_{(s)}$ mesons

$$N_{B_S^0} - N_{\bar{B}_S^0}$$



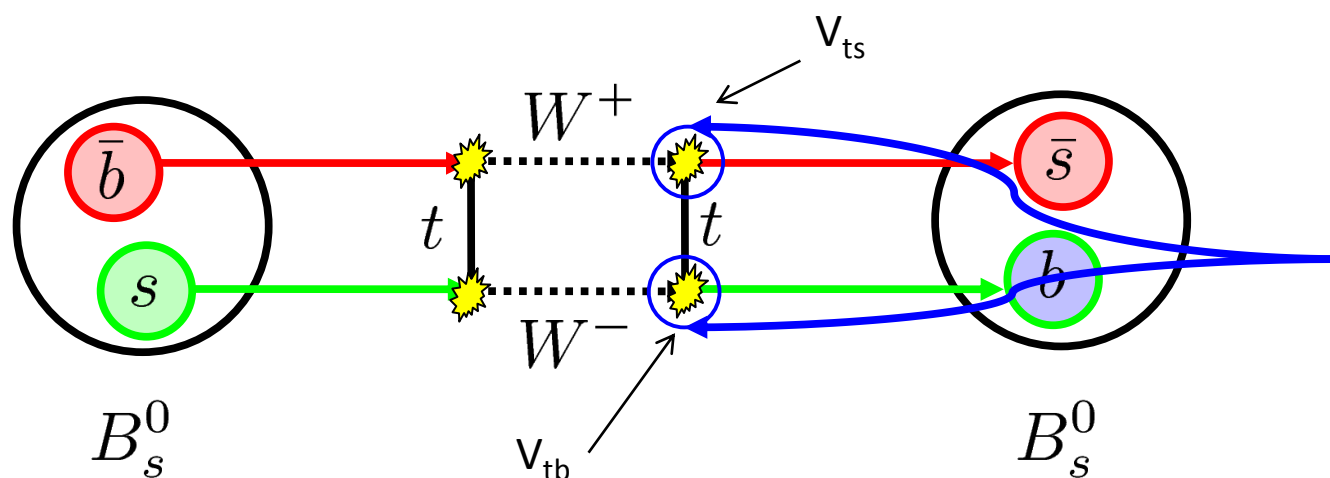
The B_S^0 meson spontaneously transforms into its antiparticle ($\bar{B}_S^0$) and vice-versa

$$i \frac{d}{dt} \begin{pmatrix} |B_S^0(t)\rangle \\ |\bar{B}_S^0(t)\rangle \end{pmatrix} = \begin{pmatrix} M - i\frac{\Gamma}{2} & M_{12} - i\frac{\Gamma_{12}}{2} \\ M_{12}^* - i\frac{\Gamma_{12}^*}{2} & M - i\frac{\Gamma}{2} \end{pmatrix} \begin{pmatrix} |B_S^0(t)\rangle \\ |\bar{B}_S^0(t)\rangle \end{pmatrix}$$

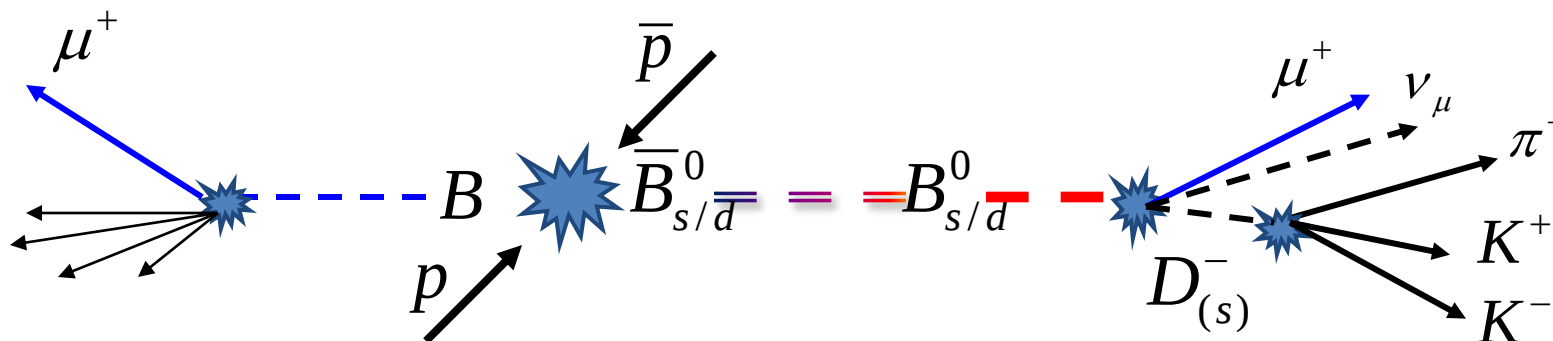
$$\Delta m_s = M_{Heavy} - M_{Light} \approx 2|M_{12}|$$

$$\Delta \Gamma_s = \Gamma_{Light} - \Gamma_{Heavy} \approx 2|\Gamma_{12}| \cos \varphi_s$$

$$\varphi_s^{SM} = \arg\left(-\frac{M_{12}}{\Gamma_{12}}\right) \sim 0.004$$



The frequency of the oscillation is related to the quark mixing matrix elements



- Charge of the muon at the same-side $\rightarrow$ final state
- Charge of the muon at the opposite-side $\rightarrow$ initial state

The dimuon charge asymmetry of semileptonic B decays:

$$A_{sl}^b \equiv \frac{N_b^{++} - N_b^{--}}{N_b^{++} + N_b^{--}}$$

Direct decay rates:

$$\Gamma(B_s^0(t) \rightarrow \mu^+ X) = N_f |A_f|^2 e^{-\Gamma_s t} \left\{ \cosh \frac{\Delta\Gamma_s t}{2} + \cos(\Delta M_s t) \right\} / 2$$

$$\Gamma(\bar{B}_s^0(t) \rightarrow \mu^- X) = N_f |\bar{A}_{\bar{f}}|^2 e^{-\Gamma_s t} \left\{ \cosh \frac{\Delta\Gamma_s t}{2} + \cos(\Delta M_s t) \right\} / 2$$

Mixed decay rates:

$$\Gamma(\bar{B}_s^0(t) \rightarrow \mu^+ X) = N_f |A_f|^2 (1 + a_{sl}^s) e^{-\Gamma_s t} \left\{ \cosh \frac{\Delta\Gamma_s t}{2} - \cos(\Delta M_s t) \right\} / 2$$

$$\Gamma(B_s^0(t) \rightarrow \mu^- X) = N_f |\bar{A}_{\bar{f}}|^2 (1 - a_{sl}^s) e^{-\Gamma_s t} \left\{ \cosh \frac{\Delta\Gamma_s t}{2} - \cos(\Delta M_s t) \right\} / 2$$

No direct CP violation $\rightarrow |A_f| = |\bar{A}_{\bar{f}}|$

Analysis with initial-state tagging



- Select only mixed decays

$$\Gamma(B_s^0(t) \rightarrow \mu^- X) = N_f |\bar{A}_{\bar{f}}|^2 (1 - a_{sl}^s) e^{-\Gamma_s t} \left\{ \cosh \frac{\Delta\Gamma_s t}{2} - \cos(\Delta M_s t) \right\} / 2$$

$$\Gamma(\bar{B}_s^0(t) \rightarrow \mu^+ X) = N_f |A_f|^2 (1 + a_{sl}^s) e^{-\Gamma_s t} \left\{ \cosh \frac{\Delta\Gamma_s t}{2} - \cos(\Delta M_s t) \right\} / 2$$

$$a_{sl}^s = \frac{\Gamma(\bar{B}_s(t) \rightarrow \mu^+ X) - \Gamma(B_s(t) \rightarrow \mu^- X)}{\Gamma(\bar{B}_s(t) \rightarrow \mu^+ X) + \Gamma(B_s(t) \rightarrow \mu^- X)}$$

- Inclusive analysis:
$$a_{sl} = \frac{\Gamma(\bar{B}(t) \rightarrow \mu^+ X) - \Gamma(B(t) \rightarrow \mu^- X)}{\Gamma(\bar{B}(t) \rightarrow \mu^+ X) + \Gamma(B(t) \rightarrow \mu^- X)} = A_{sl}^b$$

– The asymmetry is “detectable” even without the initial-state tagging

A_{sl}^b at the Tevatron



- Since both B_d and B_s are produced at the Tevatron, A_{sl}^b is a linear combination of a_{sl}^d and a_{sl}^s :
 - Need to know production fractions of B_d and B_s mesons at the Tevatron
 - Measured by the CDF experiment

$$A_{sl}^b = (0.506 \pm 0.043)a_{sl}^d + (0.494 \pm 0.043)a_{sl}^s$$

Unlike the experiments at B factories, the Tevatron gives a unique possibility to measure the charge asymmetry of both B_d and B_s

- $a_{sl}^s = \frac{\Delta\Gamma_s}{\Delta m_s} \tan(\varphi_s)$
- New Physics parameterization (A.Lenz&U.Nierste)

$$M_{12}^s \equiv M_{12}^{SM,s} \cdot \Delta_s \quad \Delta_s \equiv |\Delta_s| e^{i\varphi_s^\Delta}$$

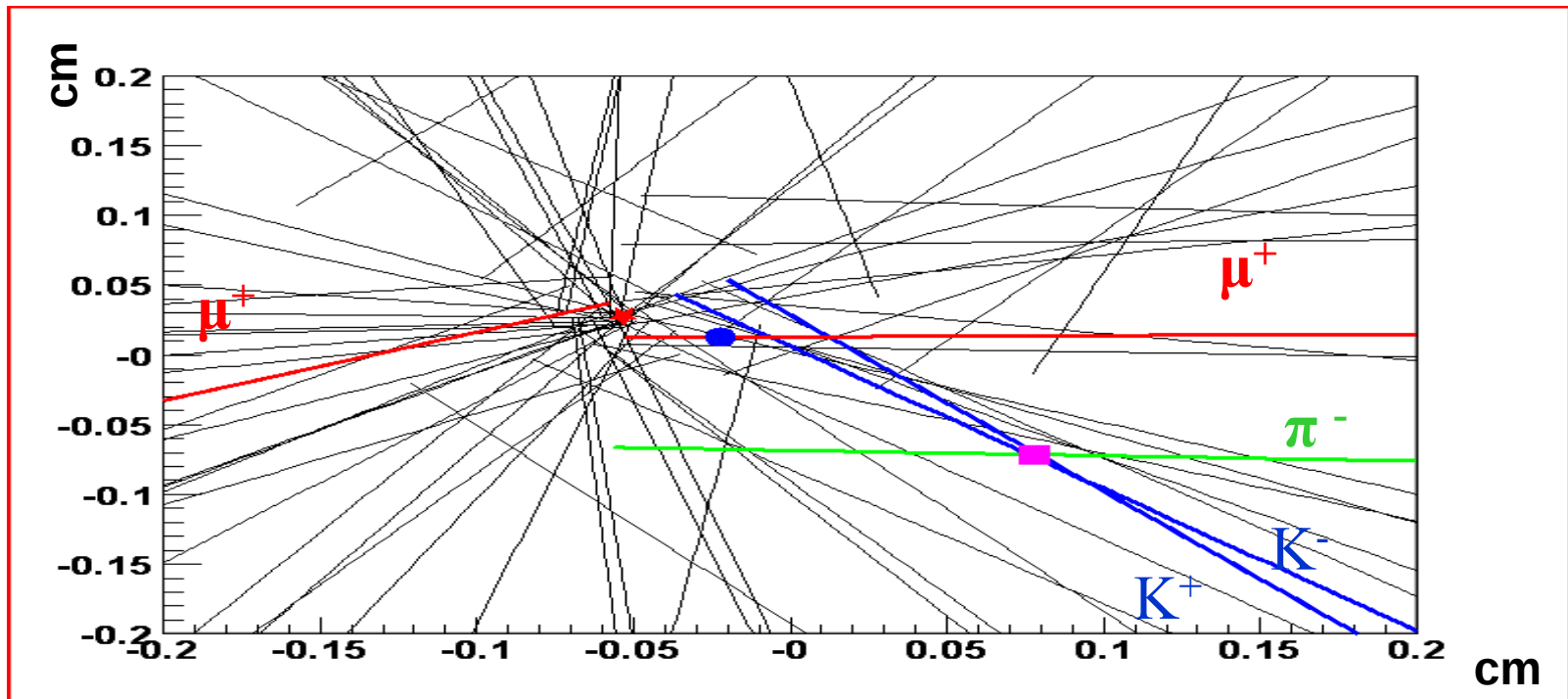
$$\Delta m_s = \Delta m_s^{SM} |\Delta_s| = (19.30 \pm 6.74) ps^{-1} \cdot |\Delta_s|$$

$$\Delta\Gamma_s = 2|\Gamma_{12}^s| \cos(\varphi_s^{SM} + \varphi_s^\Delta) = (0.096 \pm 0.039) ps^{-1} \cdot \cos(\varphi_s^{SM} + \varphi_s^\Delta)$$

$$a_{sl}^s = \frac{|\Gamma_{12}^s|}{|M_{12}^{SM,s}|} \cdot \frac{\sin(\varphi_s^{SM} + \varphi_s^\Delta)}{|\Delta_s|} = (4.97 \pm 0.94) \cdot 10^{-3} \cdot \frac{\sin(\varphi_s^{SM} + \varphi_s^\Delta)}{|\Delta_s|}$$

SM: $|\Delta_s| = 1$ and $\varphi_s^\Delta = 0$

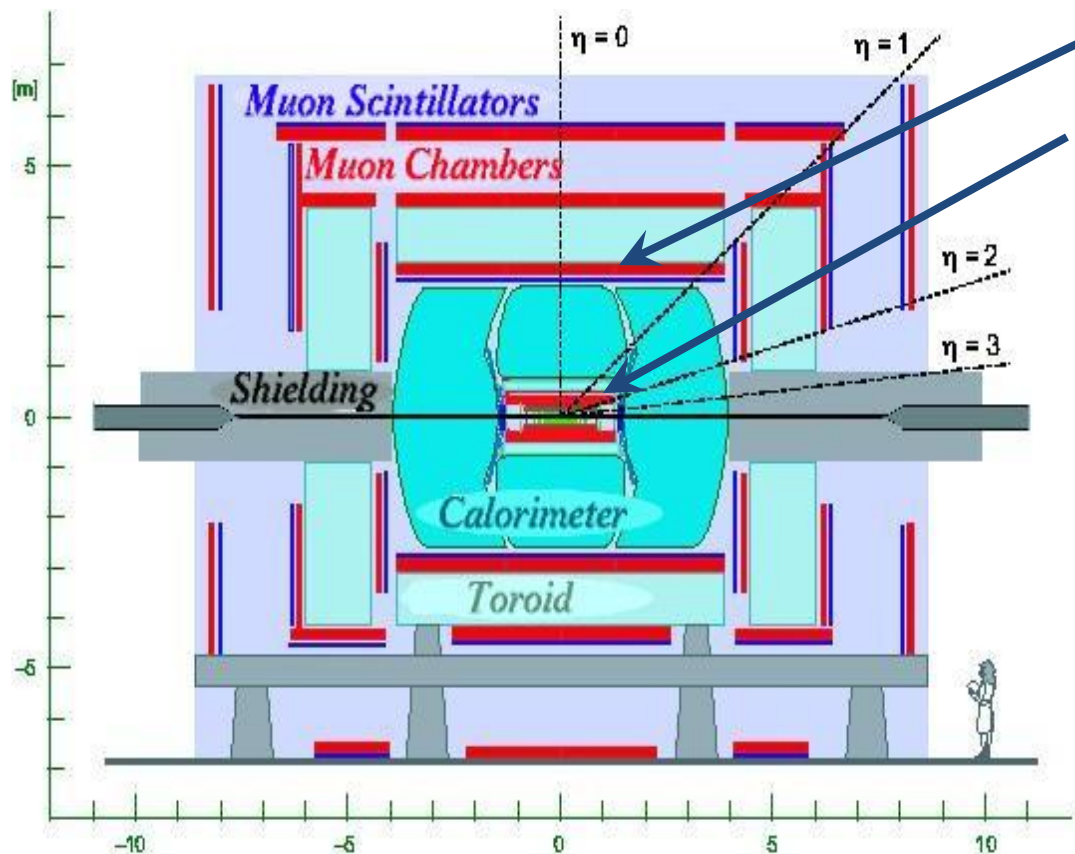
- a_{sl}^s is very small in the SM: $+2 \cdot 10^{-5}$
 - $a_{sl}^d = (-4.8_{-1.2}^{+1.0}) \cdot 10^{-4}$



- Exclusive
 - Pros:
 - Access to decay-time information
 - Easier to understand backgrounds
 - Cons:
 - Much smaller statistics
- Inclusive
 - Pros:
 - Large statistics
 - Cons:
 - Backgrounds and sample composition are challenging

Inclusive Analysis

- Spectrometer : Fiber and Silicon Trackers in 2 T Solenoid
- Muons : 3 layer system & absorber in Toroidal field
- Hermetic : Excellent coverage of Tracking, Calorimeter and Muon Systems



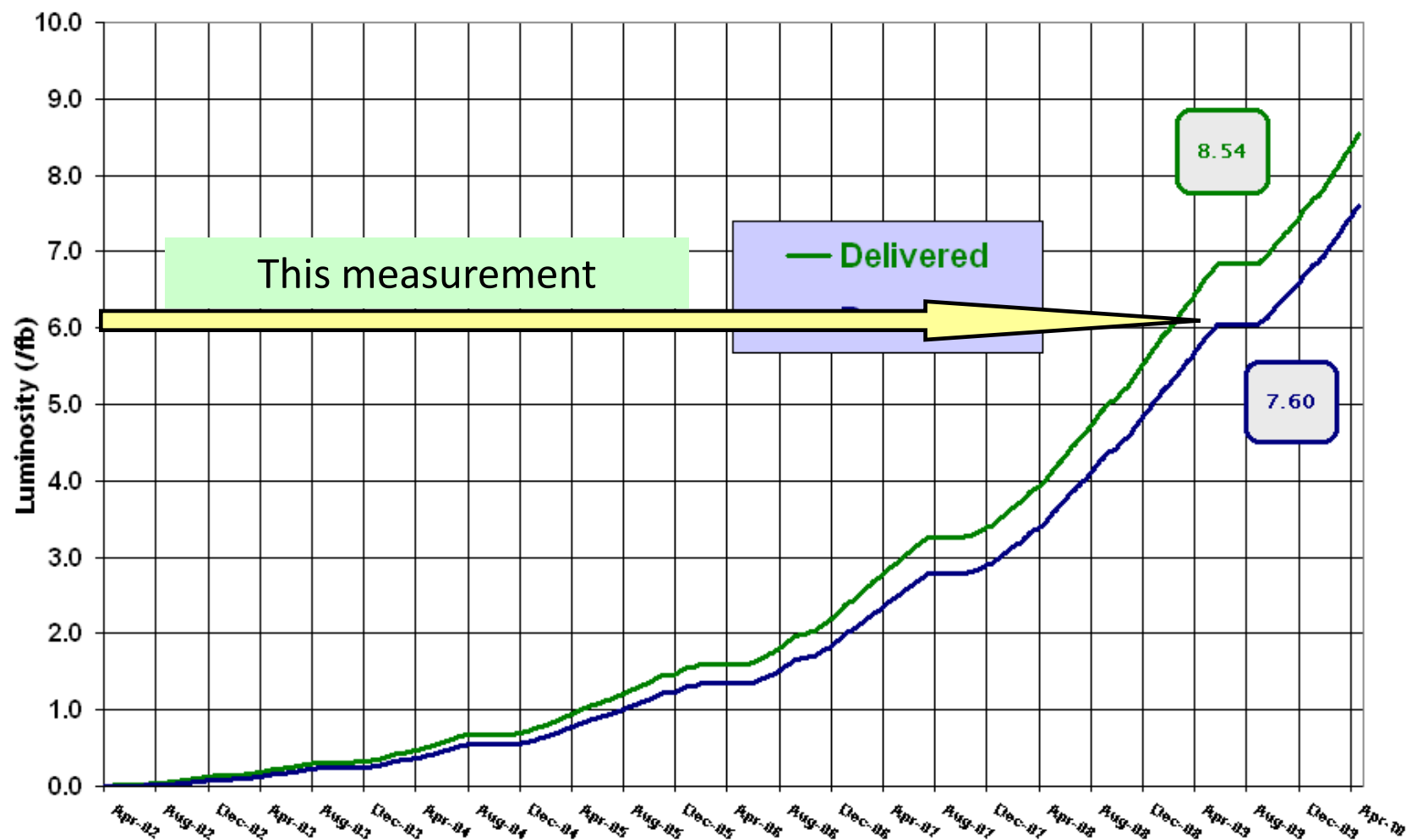
Toroid & solenoid polarity flipped regularly

Low background single and dimuon triggers → large $B \rightarrow \mu X$ semileptonic samples

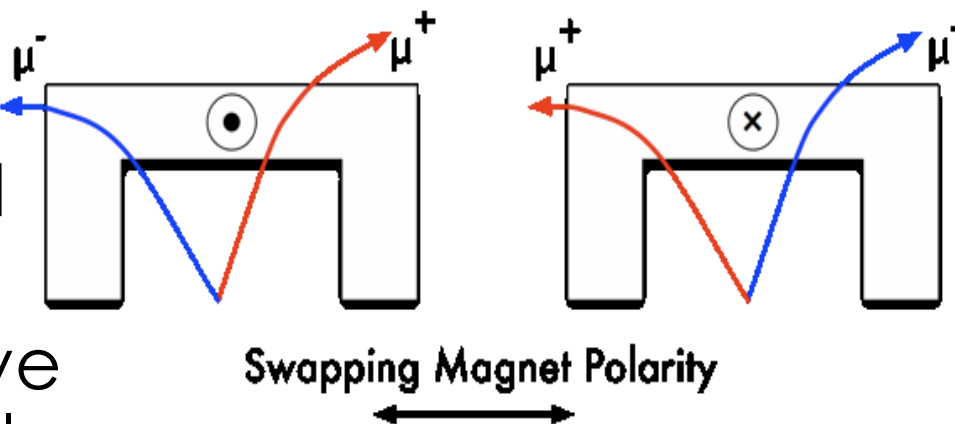


Run II Integrated Luminosity

19 April 2002 - 9 May 2010



- Polarities of DØ solenoid and toroid are reversed regularly
- Trajectory of the negative particle becomes exactly the same as the trajectory of the positive particle with the reversed magnet polarity
- By analyzing 4 samples with different polarities ($++$, $--$, $+-$, $-+$) the difference in the reconstruction efficiency between positive and negative particles is minimized from $\sim 3\%$ to $\sim 0.1\%$
 - The parameters δ and Δ on the following slides



- **Inclusive muon sample:**
 - Charged particle identified as a muon
 - $1.5 < p_T < 25 \text{ GeV}$
 - muon with $p_T < 4.2 \text{ GeV}$ must have $|p_z| > 6.4 \text{ GeV}$
 - $|\eta| < 2.2$
 - Distance to primary vertex: $< 3 \text{ mm}$ in axial plane;
 $< 5 \text{ mm}$ along the beam
- **Like-sign dimuon sample:**
 - Two muons of the same charge
 - Both muons satisfy all above conditions
 - Primary vertex is common for both muons
 - $M(\mu\mu) > 2.8 \text{ GeV}$ to suppress events with two muons from the same B decay

Blinded analysis

The central value of A_{sl}^b was extracted from the full data set only after the analysis method and all statistical and systematic uncertainties had been finalized

$$a \equiv \frac{n^+ - n^-}{n^+ + n^-}$$

n^+, n^- – the
number of
muons with
given charge

$$A \equiv \frac{N^{++} - N^{--}}{N^{++} + N^{--}}$$

N^{++}, N^{--} – the
number of events
with two like-sign
dimuons

- Semileptonic B decays contribute to both like-sign dimuon asymmetry A and inclusive muon asymmetry a ;
- Both A and a linearly depend on the charge asymmetry A_{sl}^b

$$a = k A_{sl}^b + a_{bkg}$$

$$A = K A_{sl}^b + A_{bkg}$$

- In addition, there are detector related background contributions A_{bkg} and a_{bkg}

Analysis outline:

- Determine the background contributions A_{bkg} and a_{bkg}
- Find the coefficients K and k
- Extract the asymmetry A_{sl}^b

Raw asymmetries

$$\begin{aligned} a &= k A_{sl}^b + a_{bkg} \\ A &= K A_{sl}^b + A_{bkg} \end{aligned}$$

- Asymmetry in inclusive muon sample (1.495×10^9 muons)

$$a \equiv \frac{n^+ - n^-}{n^+ + n^-} = (+0.955 \pm 0.003)\%$$

- Asymmetry in like-sign dimuon sample (3.731×10^6 events)

$$A \equiv \frac{N^{++} - N^{--}}{N^{++} + N^{--}} = (+0.564 \pm 0.053)\%$$

$$\begin{aligned} a &= k A_{sl}^b + a_{bkg} \\ A &= K A_{sl}^b + A_{bkg} \end{aligned}$$

- Sources of background asymmetries:
 - Background muons
 - Kaon and pion decays $K^+ \rightarrow \mu^+ \nu$, $\pi^+ \rightarrow \mu^+ \nu$ or punch-through
 - proton punch-through
 - False track associated with muon track
 - Asymmetry of muon reconstruction

Detailed description of background



$$a = k A_{sl}^b + a_{bkg}$$

$$A = K A_{sl}^b + A_{bkg}$$

- Background asymmetry a_{bkg} in **inclusive muon sample**:

$$a_{bkg} = f_k a_k + f_\pi a_\pi + f_p a_p + (1 - f_{bkg}) \delta$$

- f_k , f_π , and f_p are the fractions of kaons, pions and protons identified as a muon in the inclusive muon sample
- a_k , a_π , and a_p are the charge asymmetries of kaon, pion, and proton tracks
- δ is the charge asymmetry of muon reconstruction
- $f_{bkg} = f_k + f_\pi + f_p$

Detailed description of background



$$a = k A_{sl}^b + a_{bkg}$$

$$A = K A_{sl}^b + A_{bkg}$$

- Background asymmetry A_{bkg} in **like-sign dimuon sample**:

$$A_{bkg} = F_K A_K + F_\pi A_\pi + F_p A_p + (2 - F_{bkg}) \Delta$$

- F_K , F_π , and F_p are the fractions of kaons, pions and protons identified as a muon in the like-sign dimuon sample
- A_K , A_π , and A_p are the charge asymmetries of kaon, pion, and proton tracks
- Δ is the charge asymmetry of muon reconstruction
- $F_{bkg} = F_K + F_\pi + F_p$;

$$a_{bkg} = f_k a_k + f_\pi a_\pi + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_\pi A_\pi + F_p A_p + (2 - F_{bkg}) \Delta$$

- The largest background asymmetry comes from the charge asymmetry of kaon track identified as a muon (a_k , A_k)
- Interaction cross section of K^+ and K^- with the detector material is different, especially for kaons with low momentum
 - e.g., for $p(K) = 1$ GeV:

$$\sigma(K^- d) \approx 80 \text{ mb}$$

$$\sigma(K^+ d) \approx 33 \text{ mb}$$

- It happens because the reaction $K^- N \rightarrow Y \pi$ has no $K^+ N$ analogue

- K^+ meson travels further than K^- in the material, and has more chance of decaying to a muon
- Therefore, the asymmetries a_k , A_k **should be positive**
- All other background asymmetries are found to be about ten times less

$$a_{bkg} = f_k a_k + f_\pi a_\pi + f_p a_p + (1 - f_{bkg}) \delta$$

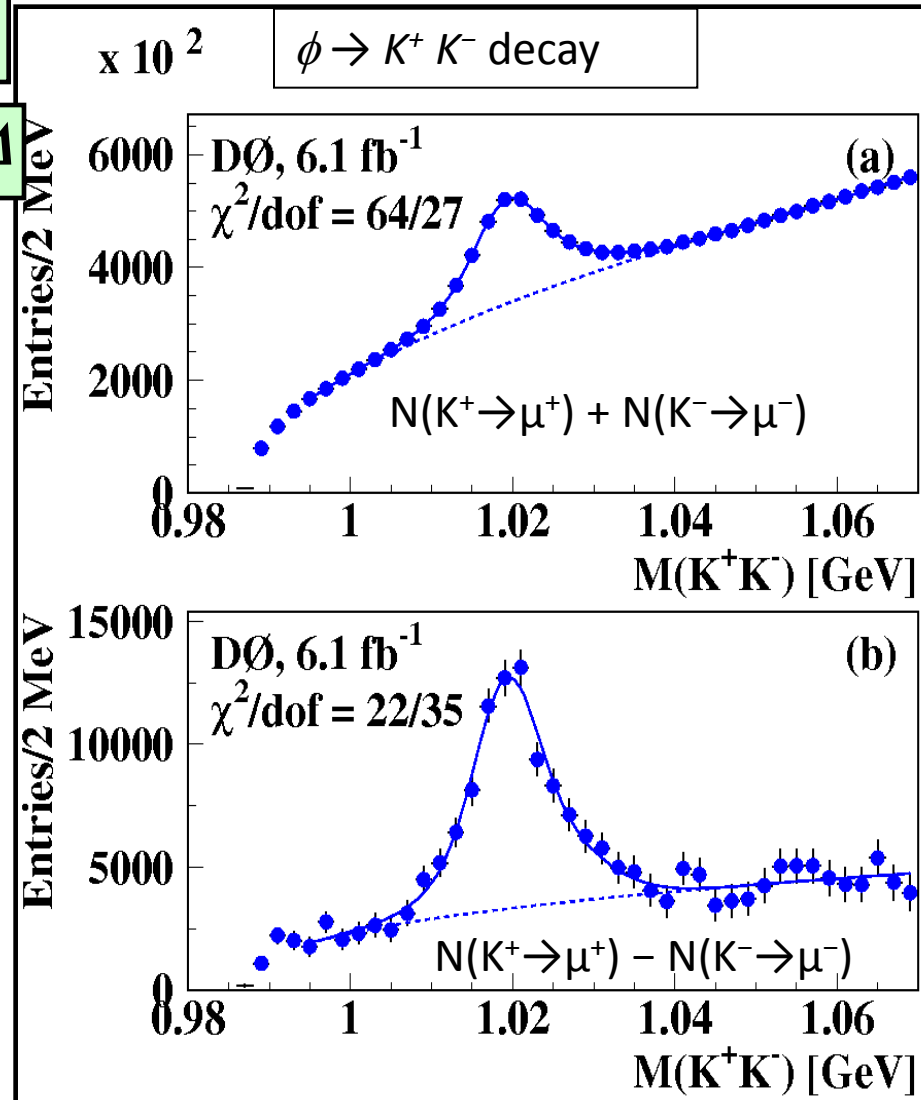
$$A_{bkg} = F_k A_k + F_\pi A_\pi + F_p A_p + (2 - F_{bkg}) \Delta$$

- Sources of kaons:

$$K^{*0} \rightarrow K^+ \pi^-$$

$$\phi(1020) \rightarrow K^+ K^-$$

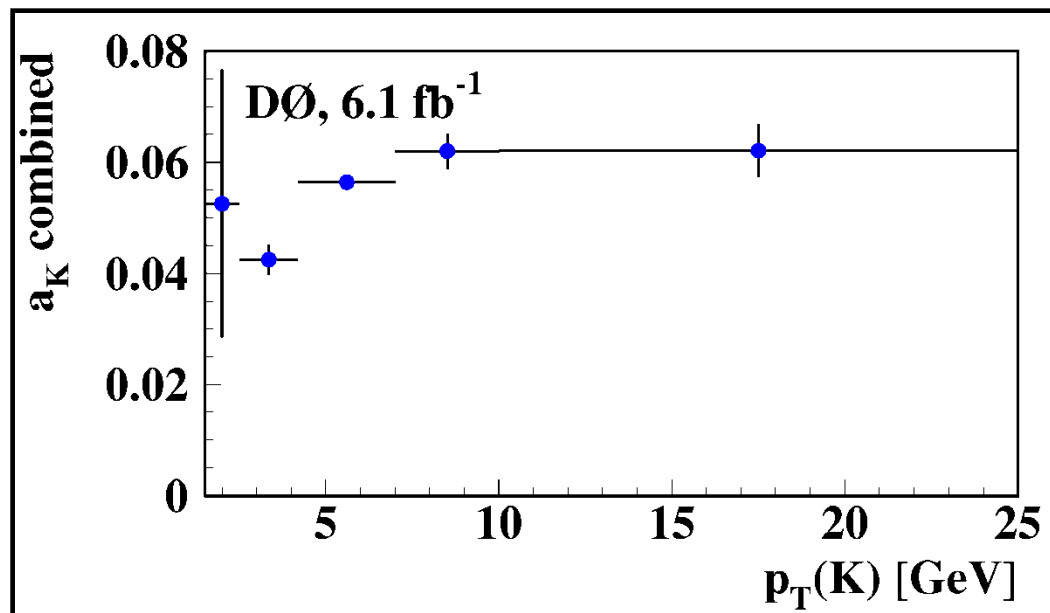
- Require that the kaon is identified as a muon
- Build mass distributions separately for positive and negative $K \rightarrow \mu$ samples
- Compute asymmetry in the number of observed events



$$a_{bkg} = f_k a_k + f_\pi a_\pi + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_\pi A_\pi + F_p A_p + (2 - F_{bkg}) \Delta$$

- Results from $K^{*0} \rightarrow K^+ \pi^-$ and $\phi(1020) \rightarrow K^+ K^-$ agree well
 - For the difference between two channels:
 $\chi^2/\text{dof} = 5.4 / 5$
- Combination in p_T bins is used



Measurement of a_π a_p

$$a_{bkg} = f_k a_k + f_\pi a_\pi + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_\pi A_\pi + F_p A_p + (2 - F_{bkg}) \Delta$$

- The asymmetries a_π , a_p are measured using the decays $K_S \rightarrow \pi^+ \pi^-$ and $\Lambda \rightarrow p \pi^-$ respectively
- Similar measurement technique is used

	a_K	a_π	a_p
Data	$(+5.51 \pm 0.11)\%$	$+(0.25 \pm 0.10)\%$	$(+2.3 \pm 2.8)\%$

Measurement of f_K, F_K

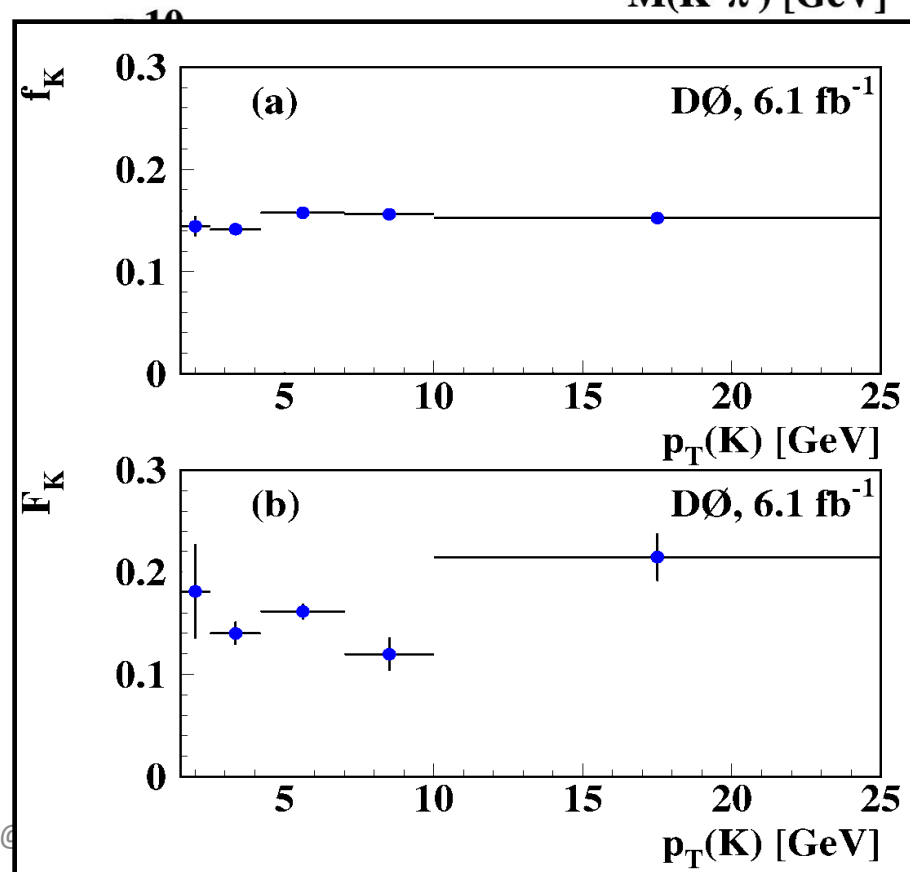
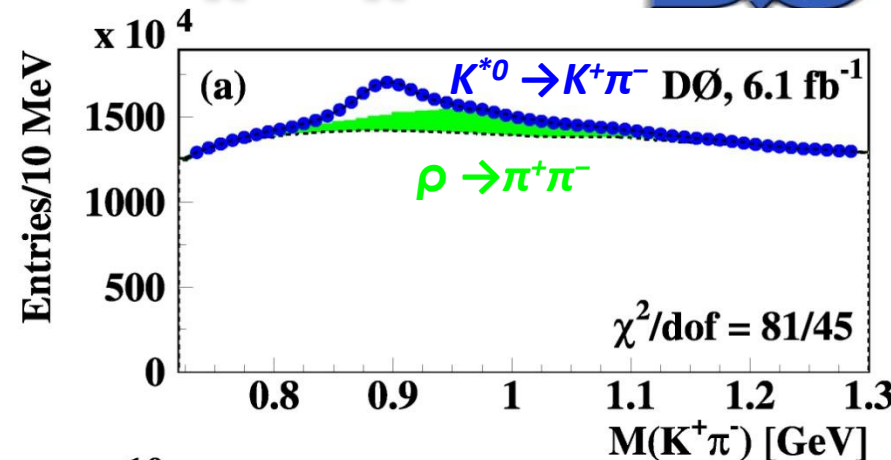


$$a_{bkg} = f_k a_k + f_\pi a_\pi + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_\pi A_\pi + F_p A_p + (2 - F_{bkg}) \Delta$$

- Fractions f_K, F_K are measured using the decays $K^{*0} \rightarrow K^+ \pi^-$

$$F_K, f_K = \frac{N(K_S)}{N(K^{*+} \rightarrow K_S \pi^+)} F_{K^{*0}}, f_{K^{*0}}$$

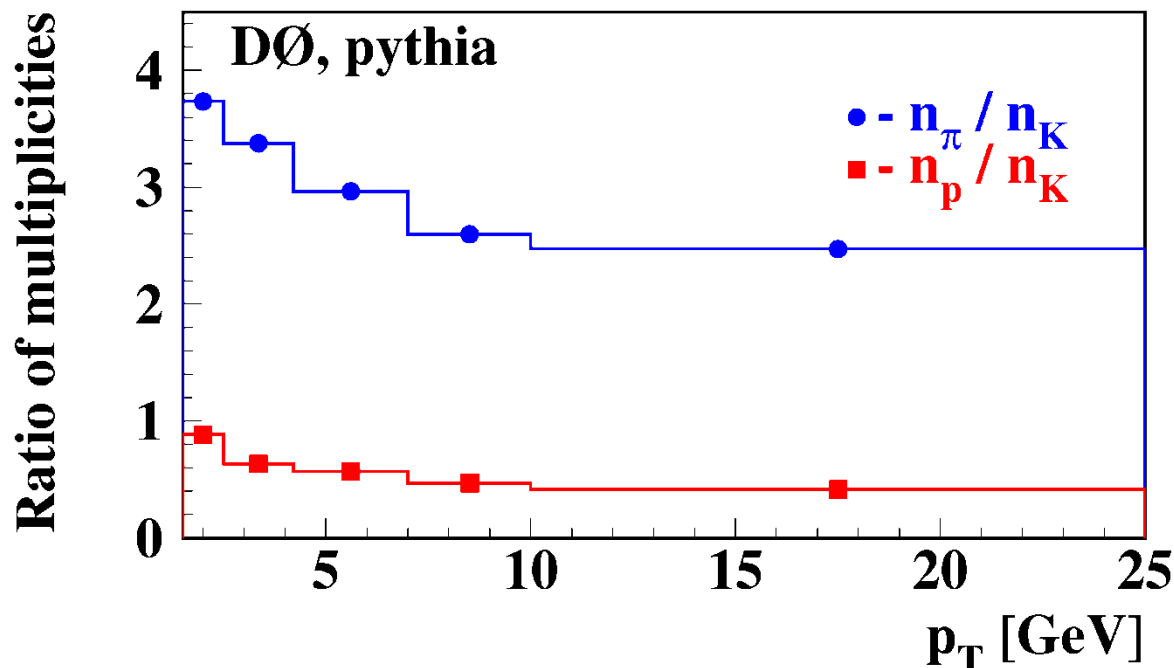


Measurement of f_π, f_p, F_π, F_p

$$a_{bkg} = f_k a_k + f_\pi a_\pi + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_\pi A_\pi + F_p A_p + (2 - F_{bkg}) \Delta$$

- Fractions f_π, f_p, F_π, F_p are obtained using f_k, F_k with an additional input from simulation on the ratio of multiplicities n_π / n_K and n_p / n_K



$$a_{bkg} = f_k a_k + f_\pi a_\pi + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_\pi A_\pi + F_p A_p + (2 - F_{bkg}) \Delta$$

- We measure the muon reconstruction asymmetry using $J/\psi \rightarrow \mu\mu$ events
- Average asymmetries δ and Δ are:

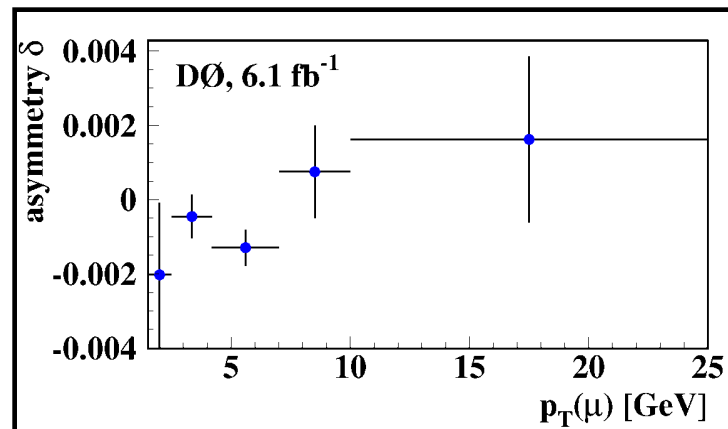
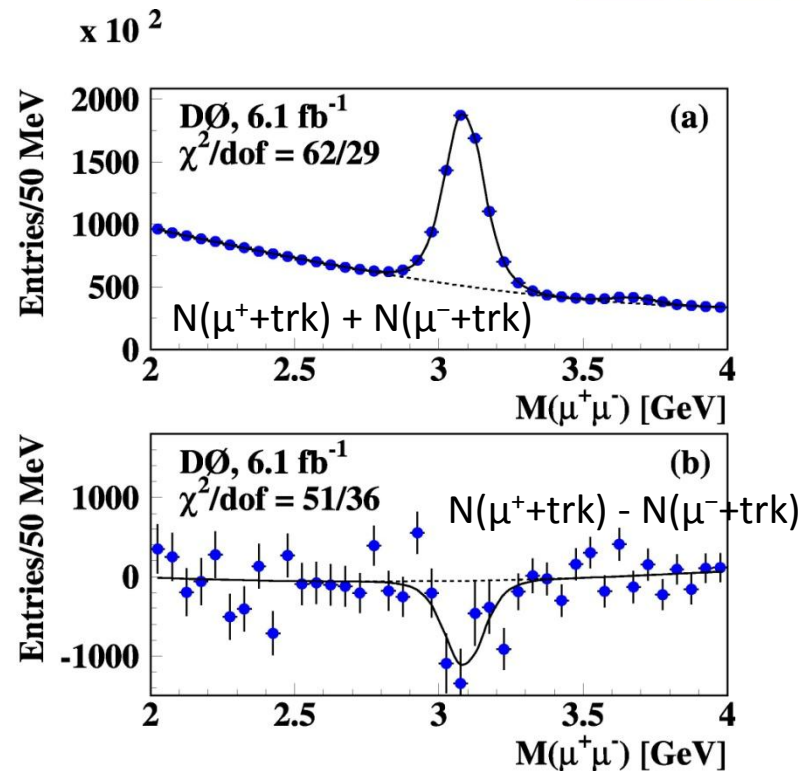
$$\delta = (-0.076 \pm 0.028)\%$$

$$\Delta = (-0.068 \pm 0.023)\%$$

- To be compared with:

$$a = (+0.955 \pm 0.003)\%$$

$$A = (+0.564 \pm 0.053)\%$$



Summary of background contribution



$$a_{bkg} = f_K a_K + f_\pi a_\pi + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_K A_K + F_\pi A_\pi + F_p A_p + (2 - F_{bkg}) \Delta$$

	$(1-f_{bkg})$	f_K	f_π	f_p
MC	$(59.0 \pm 0.3)\%$	$(14.5 \pm 0.2)\%$	$(25.7 \pm 0.3)\%$	$(0.8 \pm 0.1)\%$
Data	$(58.1 \pm 1.4)\%$	$(15.5 \pm 0.2)\%$	$(25.9 \pm 1.4)\%$	$(0.7 \pm 0.2)\%$

	$f_K a_K$ (%) or $F_K A_K$ (%)	$f_\pi a_\pi$ (%) or $F_\pi A_\pi$ (%)	$f_p a_p$ (%) or $F_p A_p$ (%)	$(1-f_{bkg})\delta$ (%) or $(2-F_{bkg})\Delta$ (%)	a_{bkg} or A_{bkg}
Inclusive	0.854 ± 0.018	0.095 ± 0.027	0.012 ± 0.022	-0.044 ± 0.016	0.917 ± 0.045
Dimuon	0.828 ± 0.035	0.095 ± 0.025	0.000 ± 0.021	-0.108 ± 0.037	0.815 ± 0.070

- All uncertainties are statistical
- Notice that background contribution is similar for inclusive muon and dimuon sample: $A_{bkg} \approx a_{bkg}$

Signal contribution



$$\begin{aligned} k A_{sl}^b &= a - a_{bkg} \\ K A_{sl}^b &= A - A_{bkg} \end{aligned}$$

$$a \equiv \frac{n^+ - n^-}{n^+ + n^-}$$

$$A \equiv \frac{N^{++} - N^{--}}{N^{++} + N^{--}}$$

- After subtracting the background contribution from the "raw" asymmetries a and A , the remaining residual asymmetries are proportional to A_{sl}^b

All processes except $\bar{B}_q^0 \rightarrow B_q^0 \rightarrow \mu^+ X$ don't produce any charge asymmetry, but rather dilute the values of a and A by contributing in the denominator of these asymmetries

Process		
T_1	$b \rightarrow \mu^- X$	
T_{1a}	$b \rightarrow \mu^- X$ (non-oscillating)	
T_{1b}	$\bar{b} \rightarrow b \rightarrow \mu^- X$ (oscillating)	$\rightarrow A$
T_2	$b \rightarrow c \rightarrow \mu^+ X$	$\rightarrow A$
T_{2a}	$b \rightarrow c \rightarrow \mu^+ X$ (non-oscillating)	
T_{2b}	$\bar{b} \rightarrow b \rightarrow c \rightarrow \mu^+ X$ (oscillating)	$\rightarrow A$
T_3	$b \rightarrow c\bar{c}q$ with $c \rightarrow \mu^+ X$ or $\bar{c} \rightarrow \mu^- X$	
T_4	$\eta, \omega, \rho^0, \phi(1020), J/\psi, \psi' \rightarrow \mu^+ \mu^-$	
T_5	$b\bar{b}c\bar{c}$ with $c \rightarrow \mu^+ X$ or $\bar{c} \rightarrow \mu^- X$	$\rightarrow A$
T_6	$c\bar{c}$ with $c \rightarrow \mu^+ X$ or $\bar{c} \rightarrow \mu^- X$	

 A_{sl}^b
 A_{sl}^b

Coefficients k and K



$$\begin{aligned} k A_{sl}^b &= a - a_{bkg} \\ K A_{sl}^b &= A - A_{bkg} \end{aligned}$$

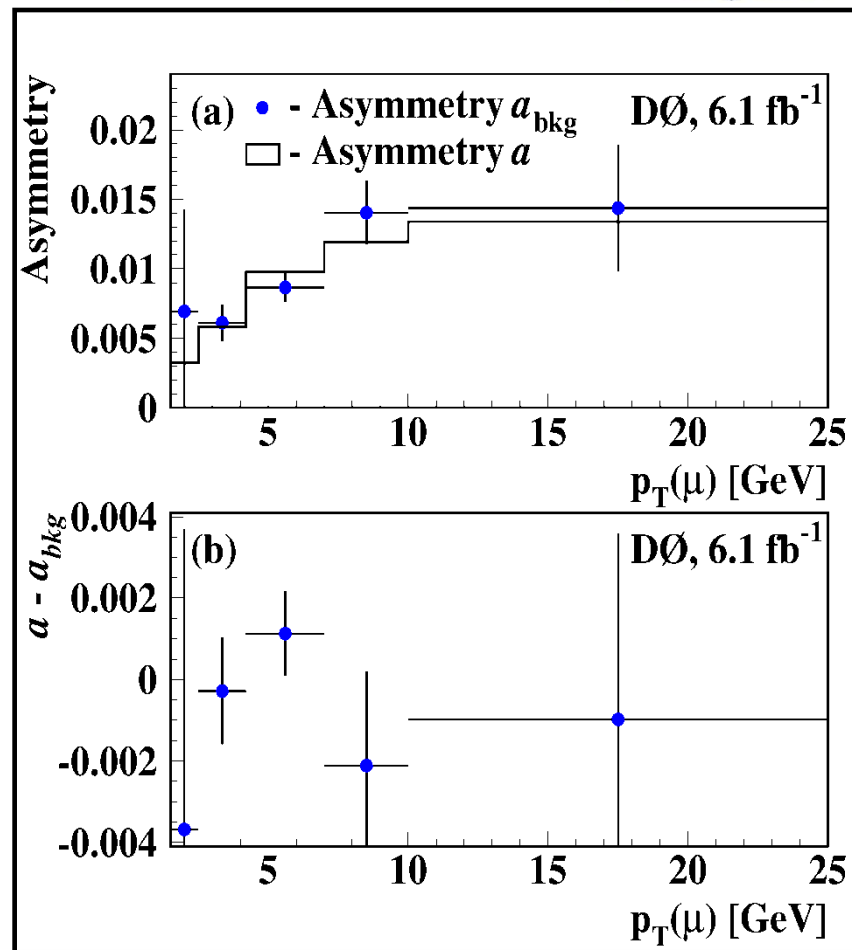
- Coefficients k and K take into account this dilution of "raw" asymmetries a and A
- They are determined using the simulation of b - and c -quark decays
 - These decays are currently measured with a good precision, and this input from simulation produces a small systematic uncertainty
- Coefficient k is found to be much smaller than K , because many more non-oscillating b - and c -quark decays contribute to the asymmetry a :

$$\begin{aligned} k &= 0.041 \pm 0.003 \\ K &= 0.342 \pm 0.023 \end{aligned}$$

$$\frac{k}{K} = 0.12 \pm 0.01$$

$$k A_{sl}^b = a - a_{bkg}$$

- The contribution of A_{sl}^b in the inclusive muon asymmetry a is suppressed by $k = 0.041 \pm 0.003$
- The value of a is mainly determined by the background asymmetry a_{bkg}
- Raw asymmetry: $a = (+0.955 \pm 0.003)\%$
- Background asymmetry from data: $a_{bkg} = (+0.917 \pm 0.045)\%$
- What about p_T dependences of the background asymmetries?



Agree well!

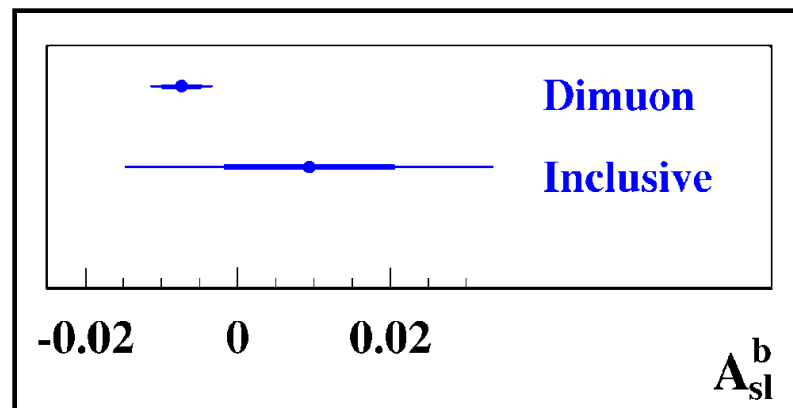
Using all results on background and signal contribution we get two separate measurements of A_{sl}^b from inclusive and like-sign dimuon samples:

$$A_{sl}^b = (+0.94 \pm 1.12 \text{ (stat)} \pm 2.14 \text{ (syst)})\% \quad (\text{from inclusive})$$

$$A_{sl}^b = (-0.736 \pm 0.266 \text{ (stat)} \pm 0.305 \text{ (syst)})\% \quad (\text{from dimuon})$$

Uncertainties of the first result are much larger, because of the small coefficient $k = 0.041 \pm 0.003$

Dominant contribution to the systematic uncertainty comes from the f_K and F_K fractions



Background subtraction



$$\begin{aligned} k A_{sl}^b &= a - a_{bkg} \\ K A_{sl}^b &= A - A_{bkg} \end{aligned}$$

- Many background uncertainties in the inclusive muon and in the like-sign dimuon samples are correlated
- We subtract the background using the linear combination:

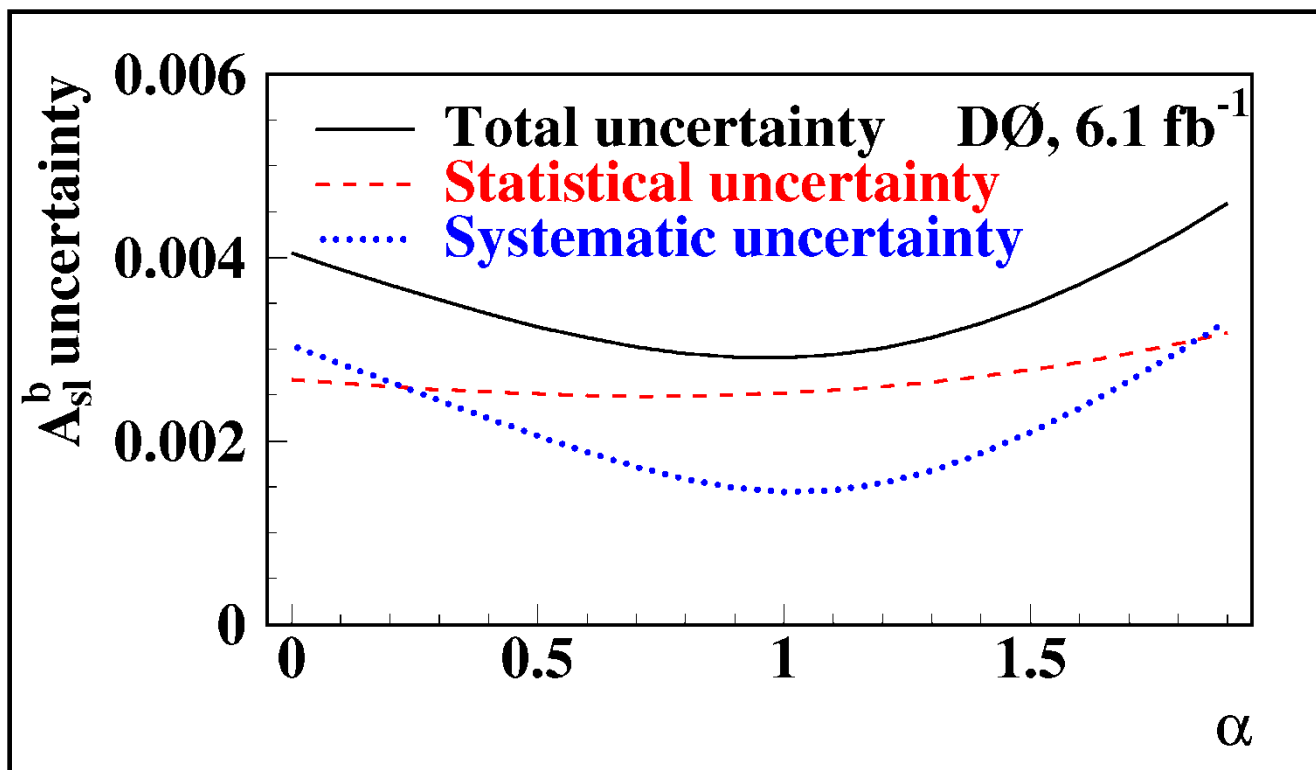
$$A' \equiv A - \alpha a = (K - \alpha k) A_{sl}^b + (A_{bkg} - \alpha a_{bkg})$$

- The parameter α is selected such that the total uncertainty of A_{sl}^b is minimized
- Since $A_{bkg} \approx a_{bkg}$ and the uncertainties of these quantities are correlated, we can expect the cancellation of background uncertainties in A' for $\alpha \approx 1$
- The signal asymmetry A_{sl}^b does not cancel in A' for $\alpha \approx 1$ because:

$$k \ll K$$

Background subtraction

- Optimal value of α is obtained by the scan of the total uncertainty of A_{sl}^b obtained from A'
- The value $\alpha = 0.959$ is selected:



Final result

- From $A' = A - \alpha a$ we obtain A_{sl}^b :

$$A_{sl}^b = 0.506 \cdot a_{sl}^d + 0.494 \cdot a_{sl}^s = (-0.957 \pm 0.251(\text{stat}) \pm 0.146(\text{syst}))\%$$

- To be compared with the SM prediction:

$$A_{sl}^b(SM) = (-0.023^{+0.005}_{-0.006})\%$$

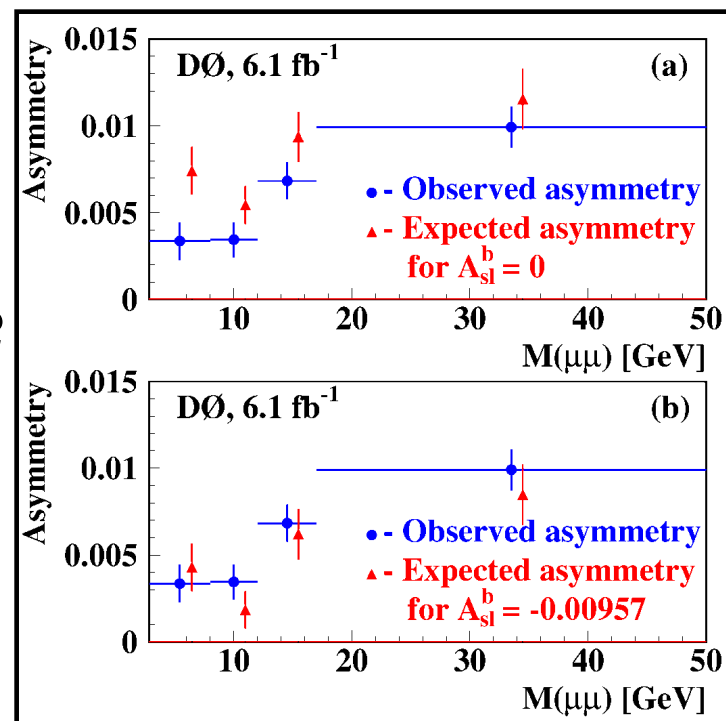
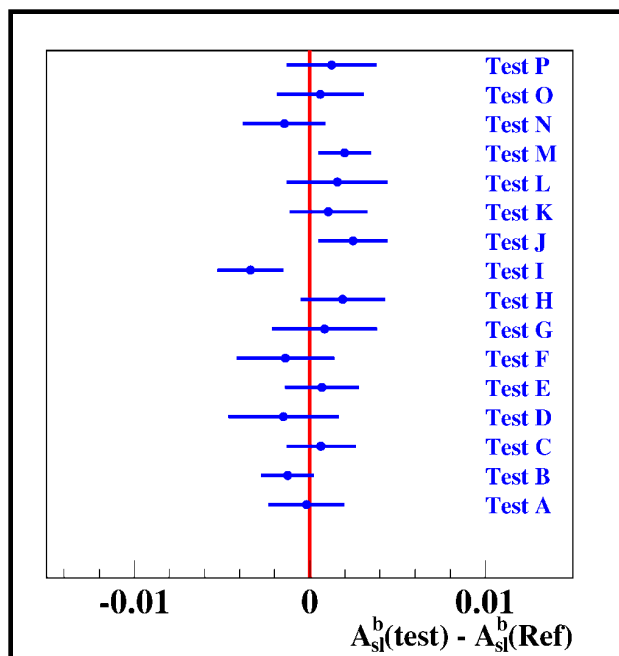
- This result differs from the SM prediction by $\sim 3.2 \sigma$

Statistical and systematic uncertainties

Source	A_{sl}^b inclusive muon	A_{sl}^b dimuon	A_{sl}^b combined
A or a (stat)	0.00066	0.00159	0.00179
f_K or F_K (stat)	0.00222	0.00123	0.00140
$P(\pi \rightarrow \mu)/P(K \rightarrow \mu)$	0.00234	0.00038	0.00010
$P(p \rightarrow \mu)/P(K \rightarrow \mu)$	0.00301	0.00044	0.00011
A_K	0.00410	0.00076	0.00061
A_π	0.00699	0.00086	0.00035
A_p	0.00478	0.00054	0.00001
δ or Δ	0.00405	0.00105	0.00077
f_K or F_K (syst)	0.02137	0.00300	0.00128
π, K, p multiplicity	0.00098	0.00025	0.00018
c_b or C_b	0.00080	0.00046	0.00068
Total statistical	0.01118	0.00266	0.00251
Total systematic	0.02140	0.00305	0.00146
Total	0.02415	0.00405	0.00290

Dominant uncertainties

- No lifetime or flavour tagging
 - Is the asymmetry from B's?
 - Kinematical check



Modify selection, split sample tests, changes raw asymmetry by up to 150% due to variations in background

Measured value of A_{sl}^b remains stable

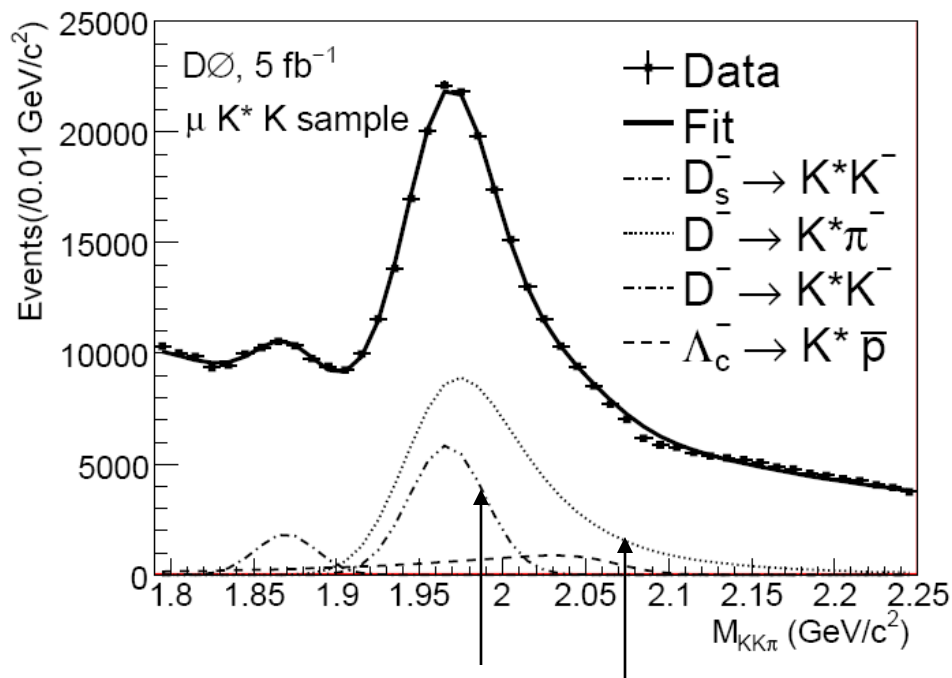
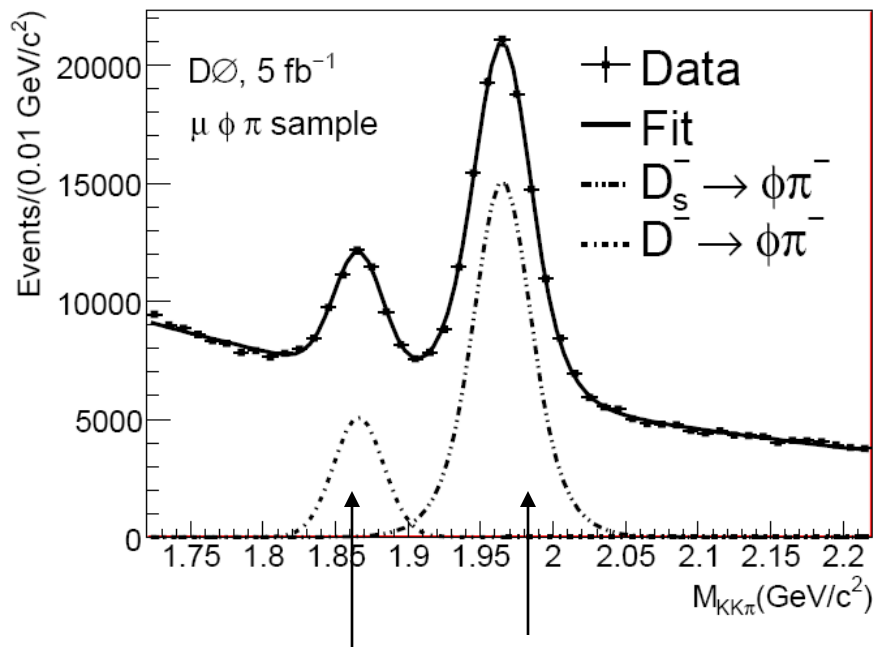
Exclusive Analysis

Data samples

- Semileptonic samples at D0

- $B_s \rightarrow \mu \phi \pi X$: $81\,394 \pm 865$ (5fb^{-1})

- $B_s \rightarrow \mu K^* K$: $33\,557 \pm 1200$ (5fb^{-1})



Good mass separation between B_s and B_d

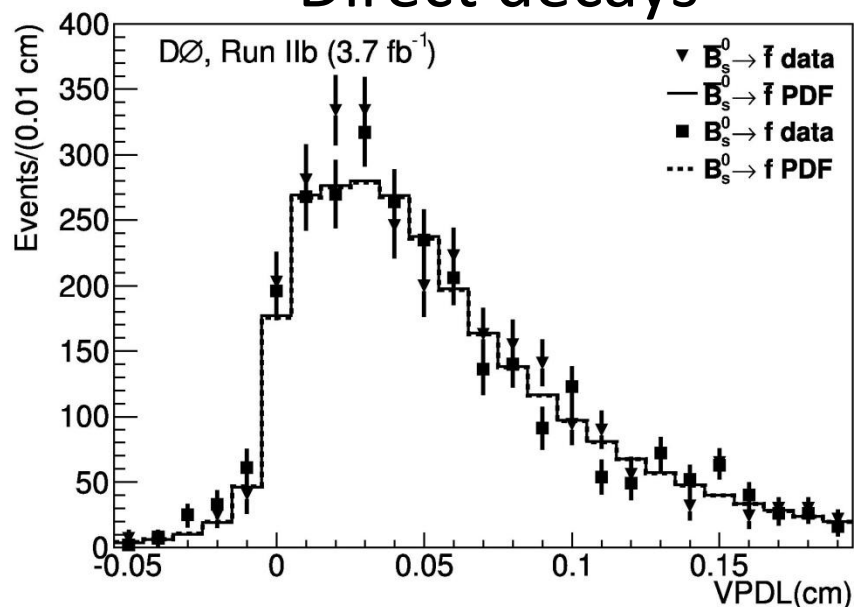
B_s and B_d overlap

➤ ~85% are used for the B_s asymmetry measurement

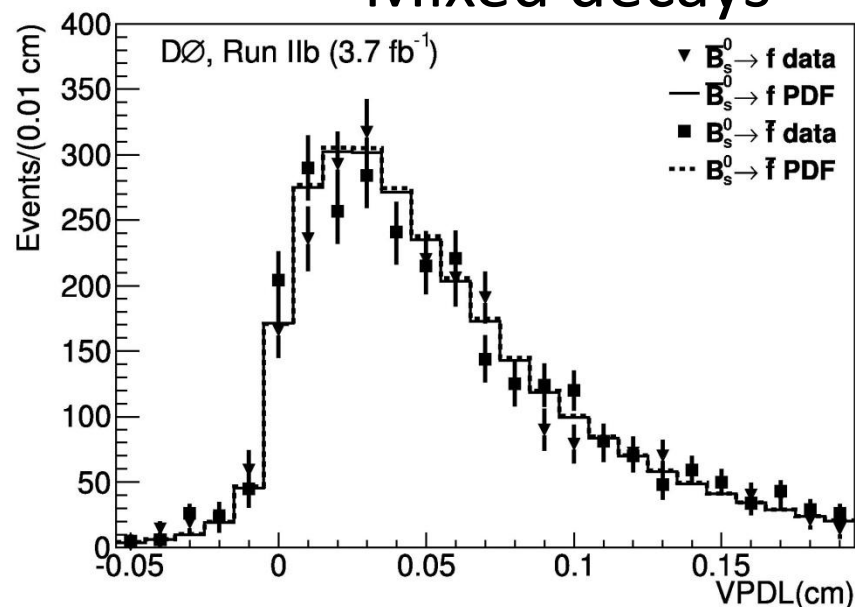
➤ The remaining ~15% are coming either from $B_u, B_d, B_s \rightarrow D(s)D_s$ or from different b or c quarks and not usable for the measurement

Decay-length dependence

Direct decays



Mixed decays



Exclusive Analysis

Results



TABLE II: Asymmetries with statistical uncertainties.

	$\mu^+ \phi \pi^-$	$\mu^+ K^{*0} K^-$	Combined
$a_{fs}^s \times 10^3$	-7.0 ± 9.9	20.3 ± 24.9	-1.7 ± 9.1
$a_{fs}^d \times 10^3$	-21.4 ± 36.3	50.1 ± 19.5	40.5 ± 16.5
$a_{bg} \times 10^3$	-2.2 ± 10.6	-0.1 ± 13.5	-3.1 ± 8.3
$A_{fb} \times 10^3$	-1.8 ± 1.5	-2.0 ± 1.5	-1.9 ± 1.1
$A_{det} \times 10^3$	3.2 ± 1.5	3.1 ± 1.5	3.1 ± 1.1
$A_{ro} \times 10^3$	-36.7 ± 1.5	-30.2 ± 1.5	-33.3 ± 1.1
$A_{\beta\gamma} \times 10^3$	1.1 ± 1.5	0.2 ± 1.5	0.6 ± 1.1
$A_{q\beta} \times 10^3$	4.3 ± 1.5	2.0 ± 1.5	3.1 ± 1.1

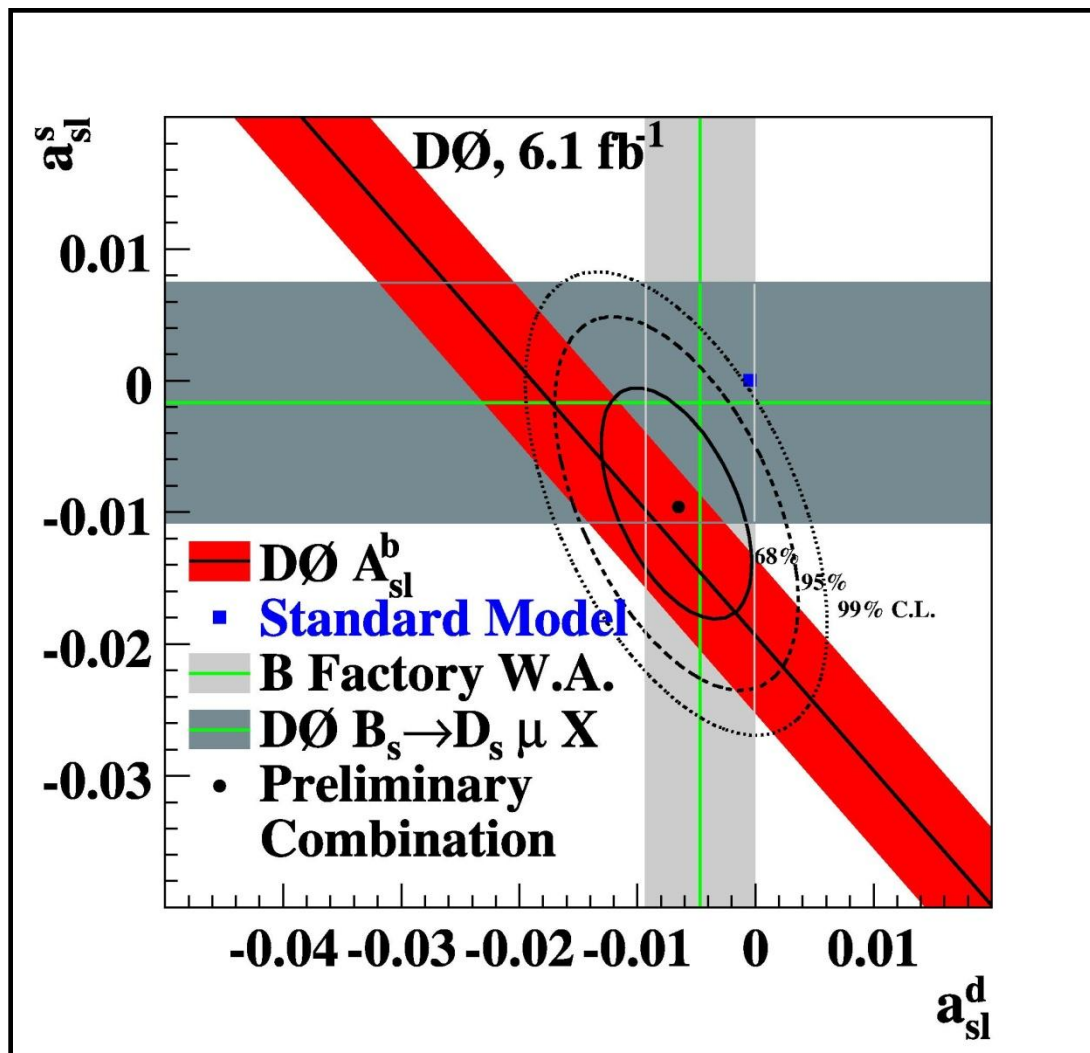
Exclusive analysis

TABLE III: Systematic uncertainties.

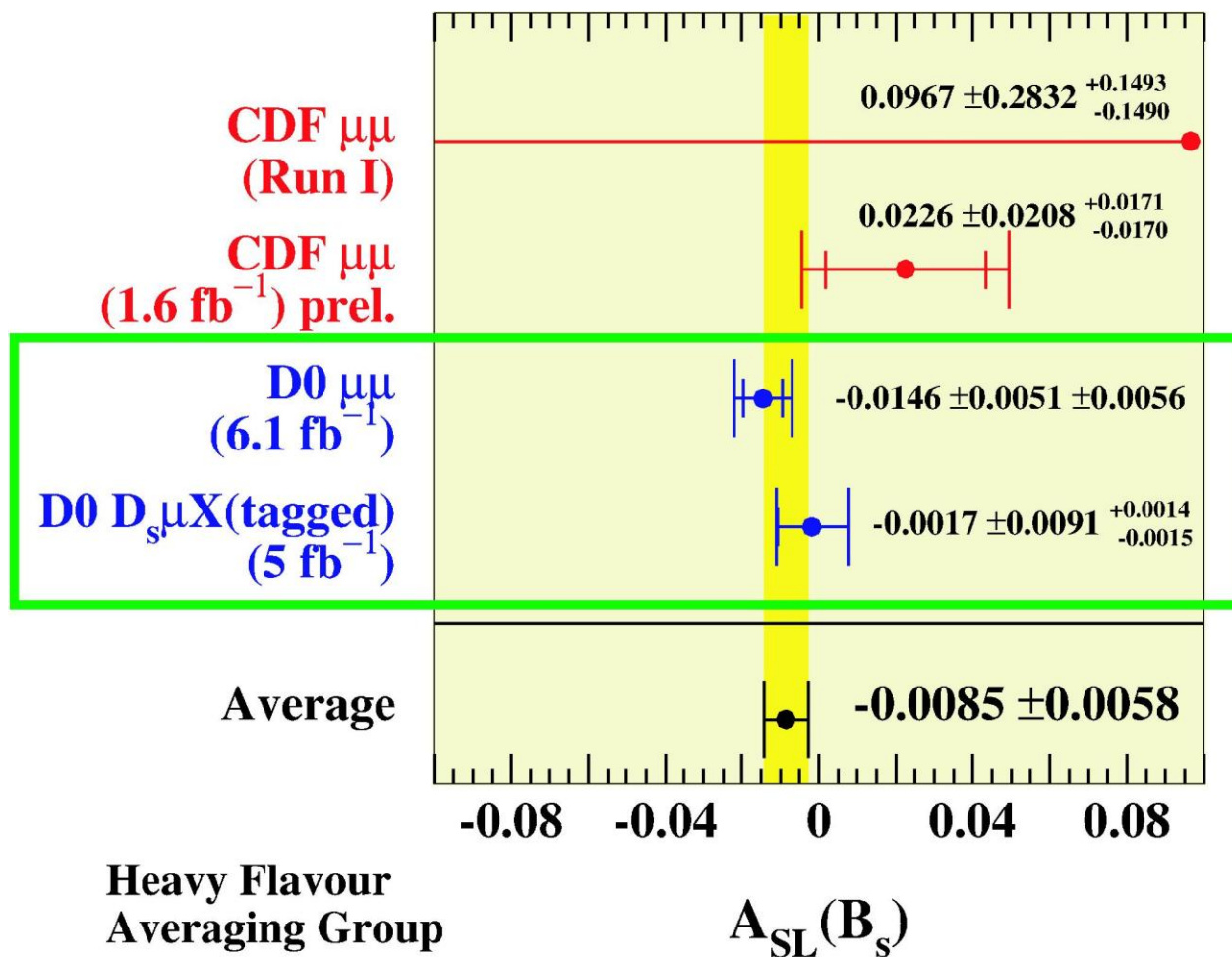


	$\sigma(a_{fs}^s) \times 10^3$
Kaon asymmetry set to 0	-1.24
Kaon asymmetry scaled by 2	1.30
Signal fraction -1σ	-0.76
Signal fraction $+1\sigma$	0.47
Dilution scaled by 0.9	-0.19
Dilution scaled by 1.1	0.21
μ trigger efficiency low	-0.03
μ trigger efficiency high	0.00
Decay-time dependent efficiency low	0.15
Decay-time dependent efficiency high	-0.01
VPDL resolution scaled by 0.95	0.03
VPDL resolution scaled by 1.05	-0.03
BF $B_s^0 \rightarrow D_s^- D_s^+$	0.00
BF $B_s^0 \rightarrow \mu^+ D_s^{(*)-} X$	-0.10
Relative BF $B_s^0 \rightarrow \mu^+ \nu_\mu D_s^-$ low	0.01
Relative BF $B_s^0 \rightarrow \mu^+ \nu_\mu D_s^-$ high	-0.05
B_d^0 fraction in $\mu^+ D^-$ candidates set to 93%	-0.24
Fake vertex background low	-0.13
Fake vertex background high	-0.04
Prompt combinatorial background low	0.01
Prompt combinatorial background high	-0.01
$\Delta\Gamma_s -1\sigma$	0.00
$\Delta\Gamma_s +1\sigma$	-0.01
$\Delta m_s -1\sigma$	-0.01
$\Delta m_s +1\sigma$	0.02
Total	$+1.41$ -1.50

- Combination of measurements of semileptonic charge asymmetries

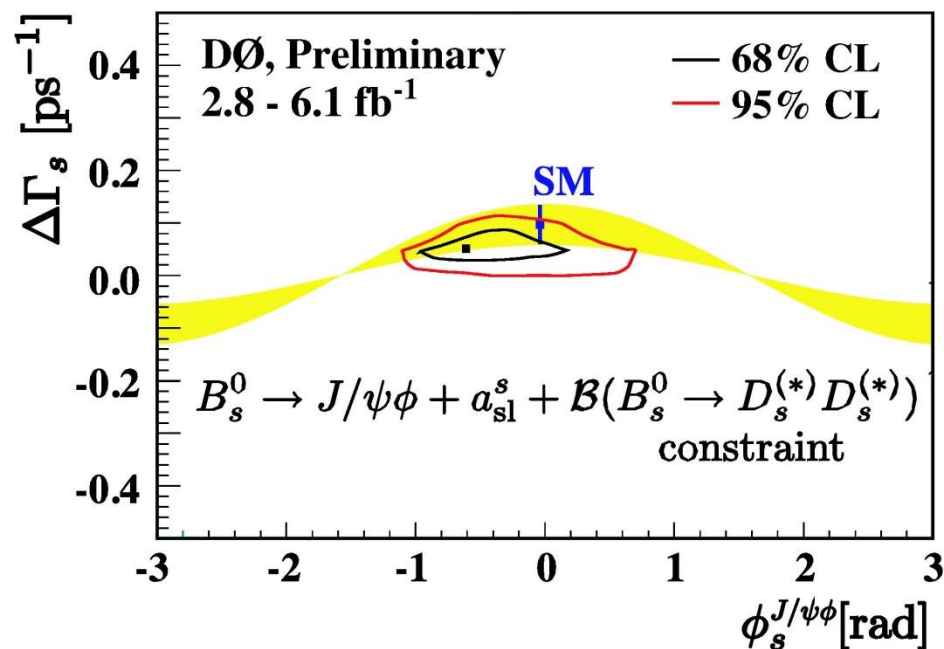
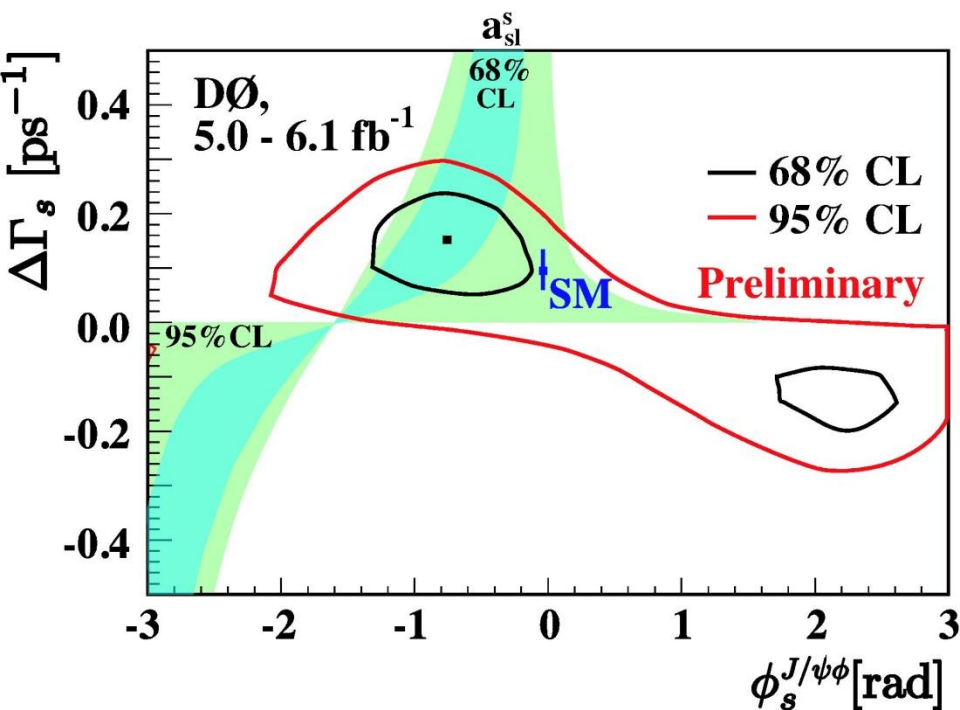


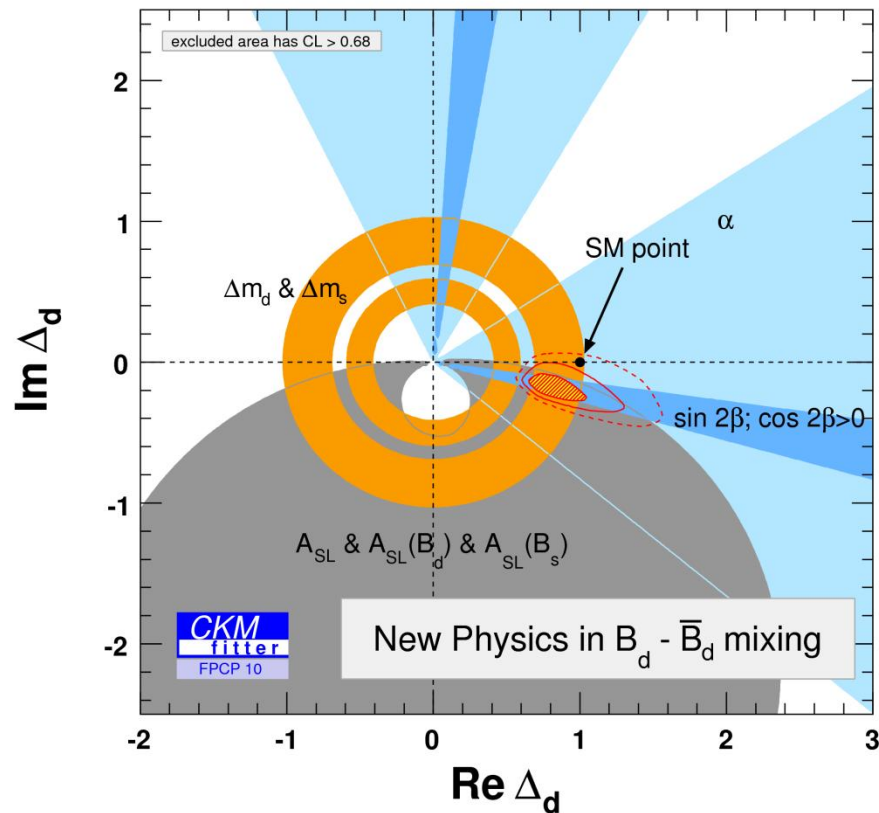
$a_{s\parallel}^s$ measurements



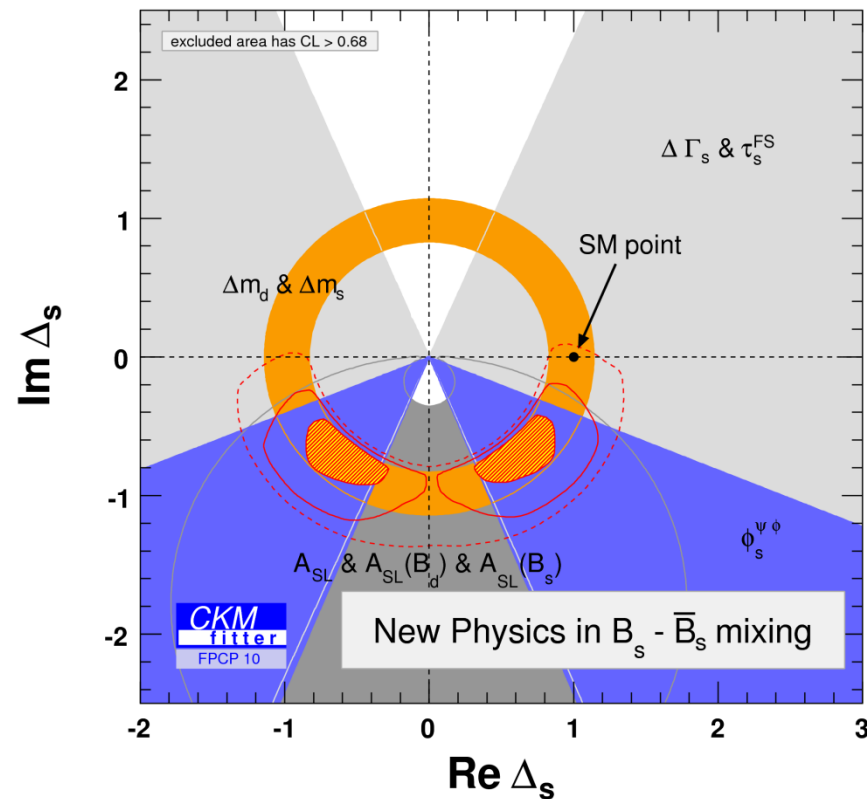
$$B_s \rightarrow J/\psi\phi \text{ and } B_s \rightarrow D^{(*)}_s D^{(*)}_s$$

analyses



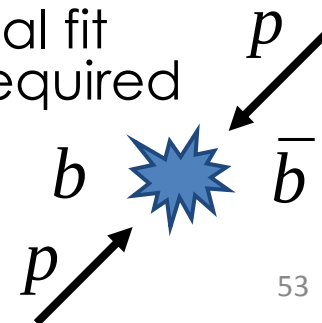


- 2.5- σ deviation from SM



- 2.7- σ deviation from SM

- New $B_s \rightarrow J/\psi \phi$ results from the Tevatron and LHC experiments
- New A_{sl}^b , a_{sl}^s and a_{sl}^d results from DZero
- Model-independent measurements of semileptonic asymmetries at LHC is more challenging due to $B_{s/d/u}$ production asymmetries
 - Initial state is not symmetric anymore due to valence quarks (u and d only)
 - This leads to asymmetric hadronisations to $B_{u,d,s} - \bar{B}_{u,d,s}$ mesons
 - The asymmetries are different for B_d , B_u and B_s mesons
 - Can't measure for B_u and apply to $B_{d/s}$
 - Estimates from Pythia give (J.Damet&G.Ingelman):
 - ATLAS: $A_{Bd}=(0.01 \rightarrow 1.36)\%$, $A_{Bu}=(0.04 \rightarrow 1.57)\%$, $A_{Bs}=(-1.41 \rightarrow 0.06)\%$ depending on model
 - LHCb: $A_{Bd}=(0.09 \rightarrow 2.19)\%$, $A_{Bu}=(0.15 \rightarrow 1.59)\%$, $A_{Bs}=(-2.15 \rightarrow 0.08)\%$
 - Exclusive analysis with initial state tagging and additional fit parameters describing the production asymmetries is required
 - See formulae on p. 11
 - The asymmetries enter the initial state tagging as well...



- Measurement of A_{sl}^b differs from the SM by 3.2σ

$$A_{sl}^b = (-0.957 \pm 0.251 \text{ (stat)} \pm 0.146 \text{ (syst)})\%$$

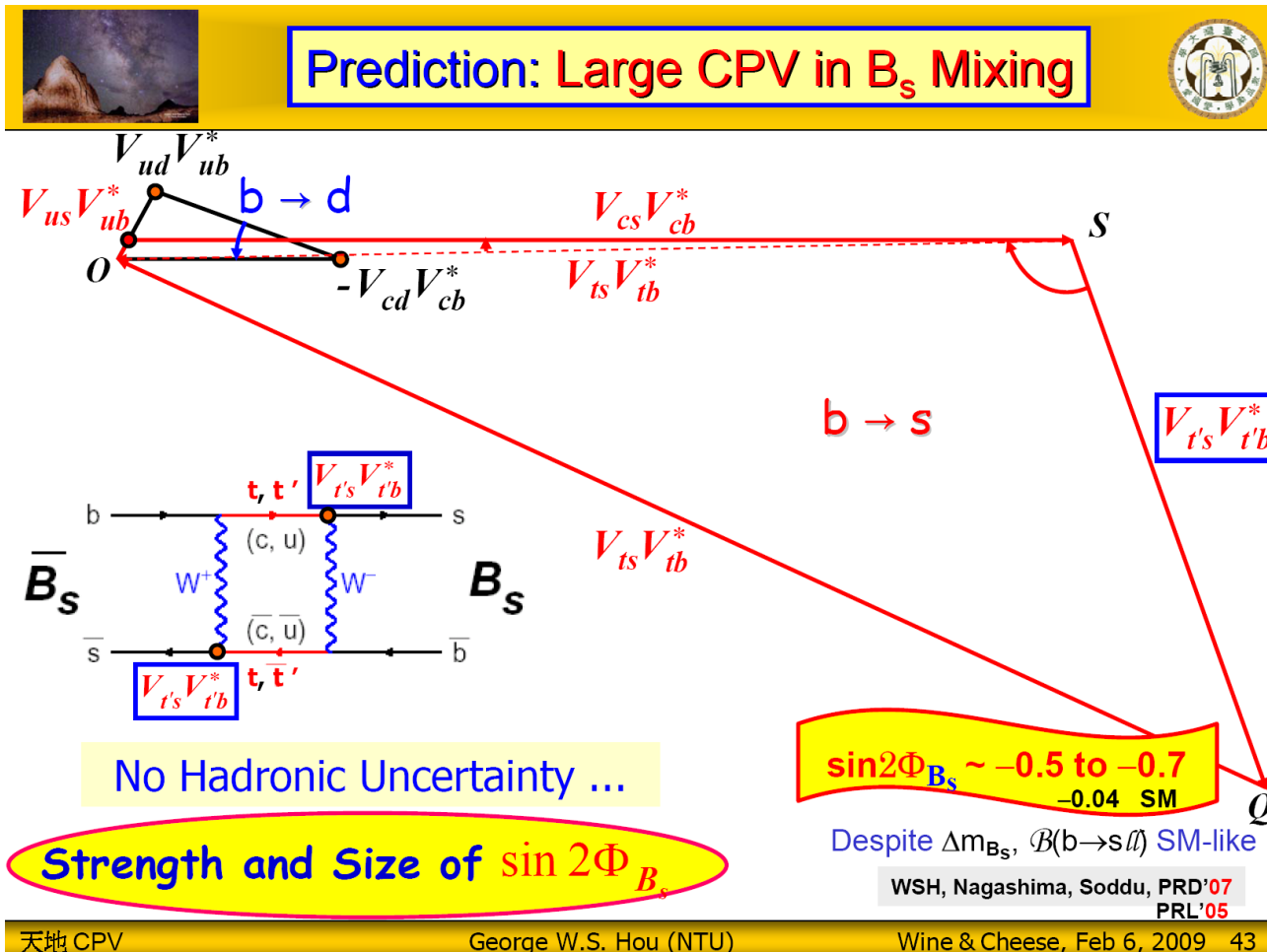
- Almost all relevant quantities are obtained from data with minimal input from simulation
- Dominant uncertainty is statistical – precision can be improved with more luminosity
- Result is consistent with other measurements of CP violation in mixing
- High potential for new measurements of A_{sl}^b , a_{sl}^s , a_{sl}^d and ϕ_{sl}^s at Tevatron
- LHC experiments should be able to start contributing soon but model-independent measurements of semileptonic asymmetries will not be easy

Extra Slides

4th Generation helps!



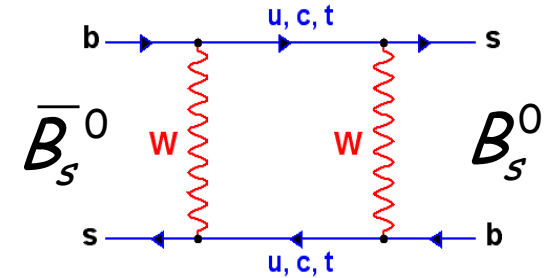
- Explains large CPV in B_s mixing
- Explains the $K\pi$ puzzle in B_u/B_d : $\Delta A = A_{K^+\pi^0} - A_{K^+\pi^-} \sim 15\%$



- Baryon asymmetry due to the new CKM⁴ matrix could gain $\sim 10^{+15}!$

Flavor eigenstates propagate according to the Schrödinger Eq.

$$i \frac{d}{dt} \begin{pmatrix} |B_s^0(t)\rangle \\ |\bar{B}_s^0(t)\rangle \end{pmatrix} = \begin{pmatrix} M - i\frac{\Gamma}{2} & M_{12} - i\frac{\Gamma_{12}}{2} \\ M_{12}^* - i\frac{\Gamma_{12}^*}{2} & M - i\frac{\Gamma}{2} \end{pmatrix} \begin{pmatrix} |B_s^0(t)\rangle \\ |\bar{B}_s^0(t)\rangle \end{pmatrix}$$



Mass
eigenstates

$$\left. \begin{aligned} |B_L\rangle &= \frac{1}{\sqrt{p^2 + q^2}} (p |B_s^0\rangle + q |\bar{B}_s^0\rangle) \\ |B_H\rangle &= \frac{1}{\sqrt{p^2 + q^2}} (p |B_s^0\rangle - q |\bar{B}_s^0\rangle) \end{aligned} \right\} \rightarrow \begin{aligned} \Delta m_s &= M_H - M_L \approx 2|M_{12}| \\ \Delta \Gamma_s &= \Gamma_L - \Gamma_H \approx 2|\Gamma_{12}| \cos \varphi_s \end{aligned}$$

If $q/p=1 \rightarrow$ No CP violation

$$\text{Phase } \varphi_s^{SM} = \arg\left(-\frac{M_{12}}{\Gamma_{12}}\right) \sim 0.004$$

- New Physics effects $\varphi_s^{SM} \rightarrow \varphi_s^{SM} + \varphi_s^{\Delta}$

$$\begin{aligned}
 N^{\pm\pm} &\propto F_{SS}(1 \pm A_S)(1 \pm \Delta)^2 \\
 &+ \sum_{x=K,\pi,p} F_{SL}^x (1 \pm A_x)(1 \pm a_S)(1 \pm \Delta) \\
 &+ \sum_{x,y=K,\pi,p; y \geq x} \sum F_{LL}^{xy} (1 \pm A_x)(1 \pm A_y)
 \end{aligned}$$

$$A = \frac{N^{++} - N^{--}}{N^{++} + N^{--}} = F_{SS}A_S + F_{SL}a_S + (2 - F_{bkg})\Delta + F_K A_K + F_\pi A_\pi + F_p A_p$$

$$F_K = F_{SL}^K + F_{LL}^{K\pi} + F_{LL}^{Kp} + 2F_{LL}^{KK}$$

$$F_{bkg} = F_K + F_\pi + F_p = F_{SL} + 2F_{LL}$$

$$F_{SS} + F_{bkg} - F_{LL} = 1$$

Sample Composition

TABLE XI: Heavy quark decays contributing to the inclusive muon and like-sign dimuon samples. Abbreviation “nos” stands for “non-oscillating,” and “osc” for “oscillating.” All weights are computed using the MC simulation.

Process	Weight
$T_1 \quad b \rightarrow \mu^- X$	$w_1 \equiv 1.$
$T_{1a} \quad b \rightarrow \mu^- X \text{ (nos)}$	$w_{1a} = (1 - \chi_0)w_1$
$T_{1b} \quad \bar{b} \rightarrow b \rightarrow \mu^- X \text{ (osc)}$	$w_{1b} = \chi_0 w_1$
$T_2 \quad b \rightarrow c \rightarrow \mu^+ X$	$w_2 = 0.113 \pm 0.010$
$T_{2a} \quad b \rightarrow c \rightarrow \mu^+ X \text{ (nos)}$	$w_{2a} = (1 - \chi_0)w_2$
$T_{2b} \quad \bar{b} \rightarrow b \rightarrow c \rightarrow \mu^+ X \text{ (osc)}$	$w_{2b} = \chi_0 w_2$
$T_3 \quad b \rightarrow c\bar{c}q \text{ with } c \rightarrow \mu^+ X \text{ or } \bar{c} \rightarrow \mu^- X$	$w_3 = 0.062 \pm 0.006$
$T_4 \quad \eta, \omega, \rho^0, \phi(1020), J/\psi, \psi' \rightarrow \mu^+ \mu^-$	$w_4 = 0.021 \pm 0.001$
$T_5 \quad b\bar{b}c\bar{c} \text{ with } c \rightarrow \mu^+ X \text{ or } \bar{c} \rightarrow \mu^- X$	$w_5 = 0.013 \pm 0.002$
$T_6 \quad c\bar{c} \text{ with } c \rightarrow \mu^+ X \text{ or } \bar{c} \rightarrow \mu^- X$	$w_6 = 0.660 \pm 0.077$