

RHIC physics Short overview

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Heavy Ion collisions

- High energy pp or ee collisions: search for new physics (SUSY or extra dimensions, ...)
- High energy AA collisions: create the high energy density over a larger region.
- Investigate a collective dynamics of the strong interactions.
- RHIC is a versatile, powerful machine
 - AA, (AuAu, CuCu), pp, dA
 - Different energies: 19.6, 62.4, 130, 200 GeV
 - Polarized beams

Space-time picture of heavy-ion collisions

z : beam axis

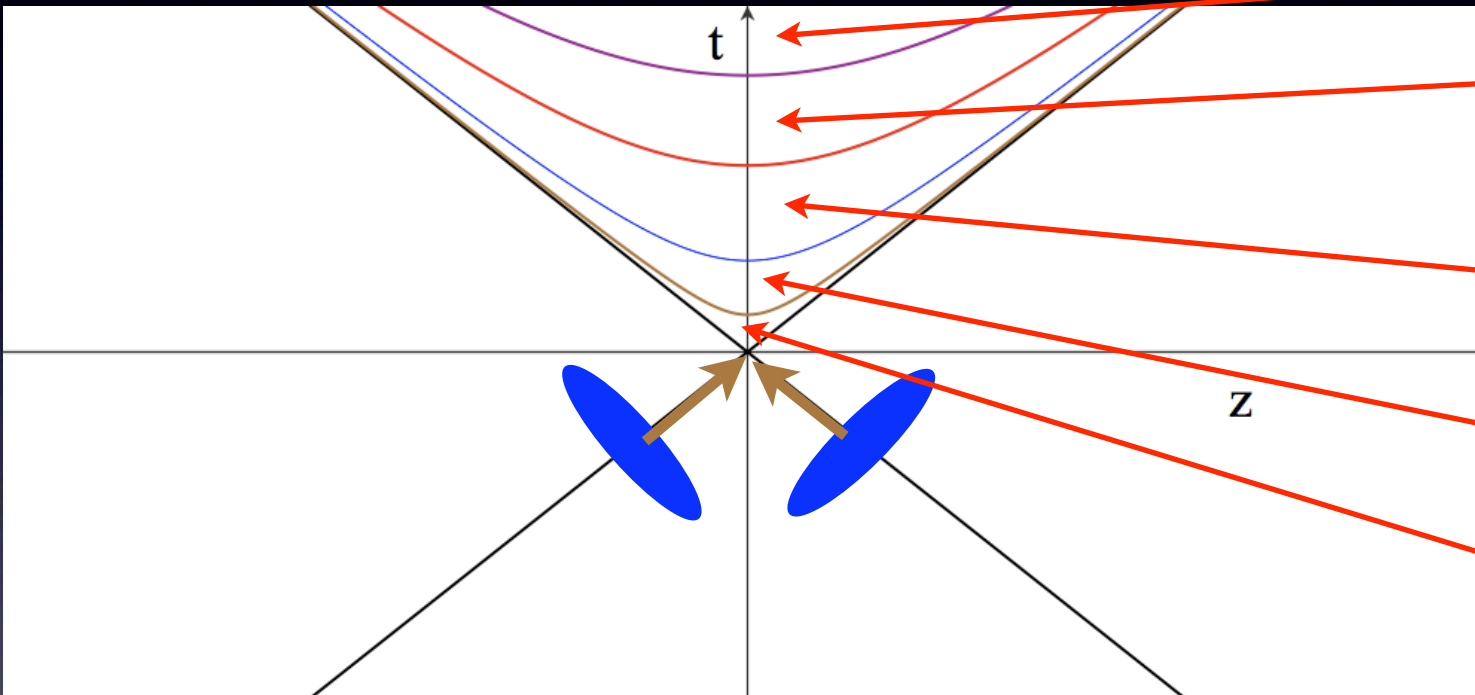
Freeze-out

Hadrons
in equilibrium

Quarks and Gluons
in equilibrium

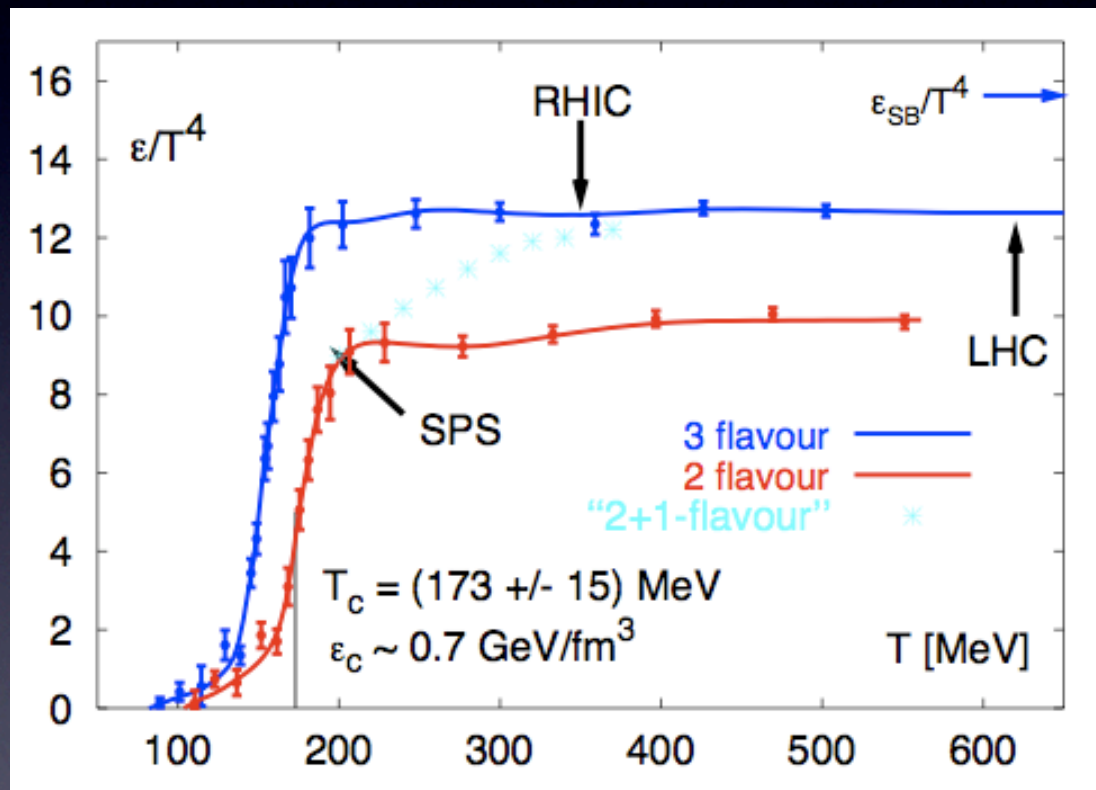
Quarks and Gluons
out of equilibrium

Formation: strong fields



Lattice results for QCD at finite T

Energy density for 2 and 3 flavors



F. Karsch

Lattice calculations indicate phase transition at critical temperature **$T=173 \text{ MeV}$**

Critical density

$$\epsilon_c \sim 0.7 \text{ GeV/fm}^3$$

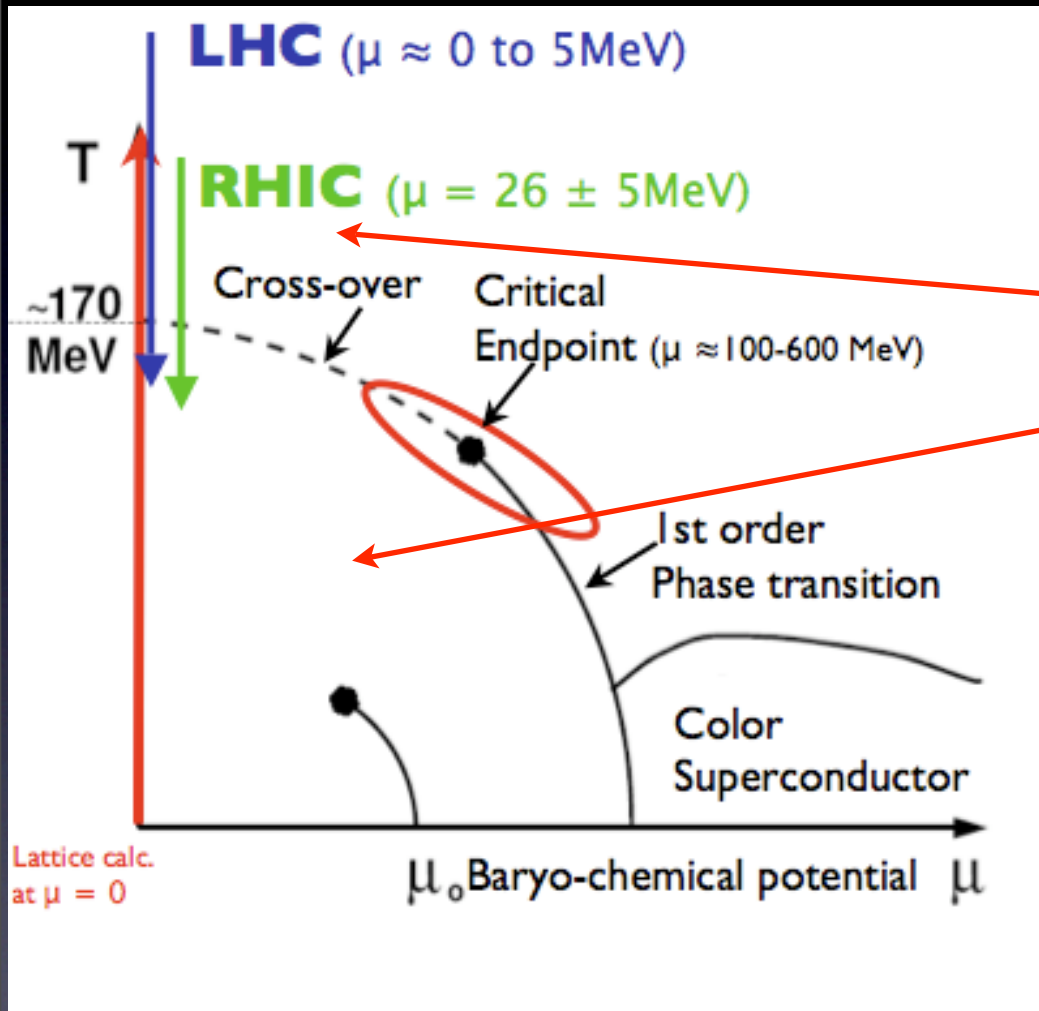
Energy density in RHIC

$$\langle \epsilon \rangle = \frac{1}{\tau \pi R^2} \frac{dE_T}{dy} \sim 5 - 10 \text{ GeV/fm}^3$$

Much larger ($>30\times$) than cold nuclear matter

$$\epsilon_{NM} \simeq 0.15 \text{ GeV/fm}^3$$

Phase diagram



- Quark gluon plasma
- Hadron phase
- Deconfinement, chiral symmetry restoration
- Positions of the phase boundaries not known in detail
- Investigate experimentally

- Multiplicities
- Initial state
- Final state: Hard probes

Multiplicities

Multiplicities in Heavy Ion collisions

Increase with energy

AuAu similar to e^+e^-

Multiplicities depend only on energy of the system (and $N(\text{part})$)

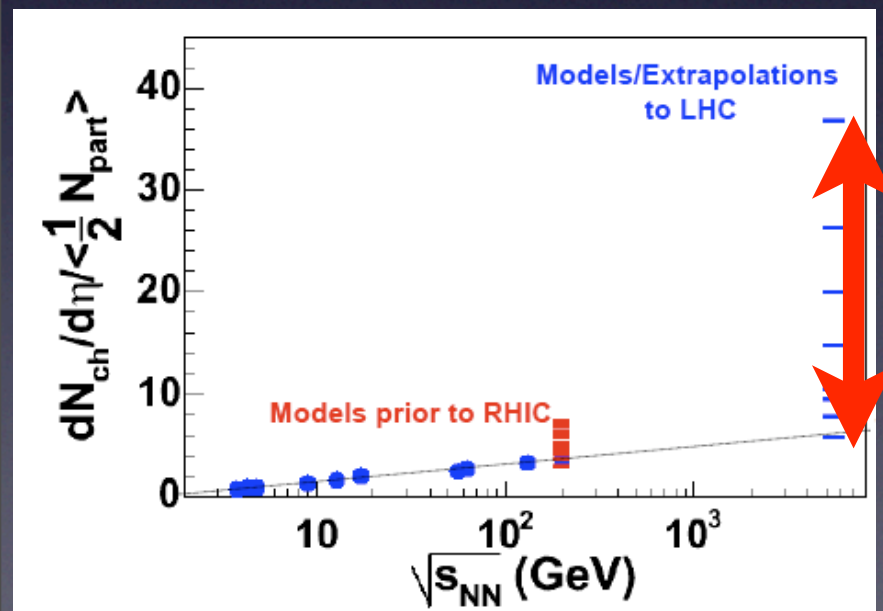
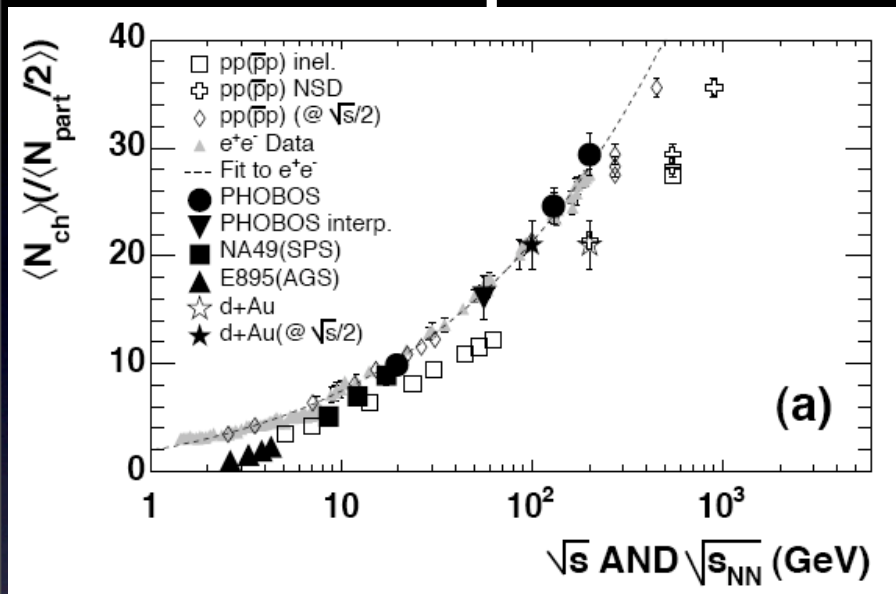
pp lower: leading particle effect

Multiplicity at mid-rapidity

→ energy density

Consistent with $\ln s$ dependence

Huge uncertainties of theoretical predictions for LHC!



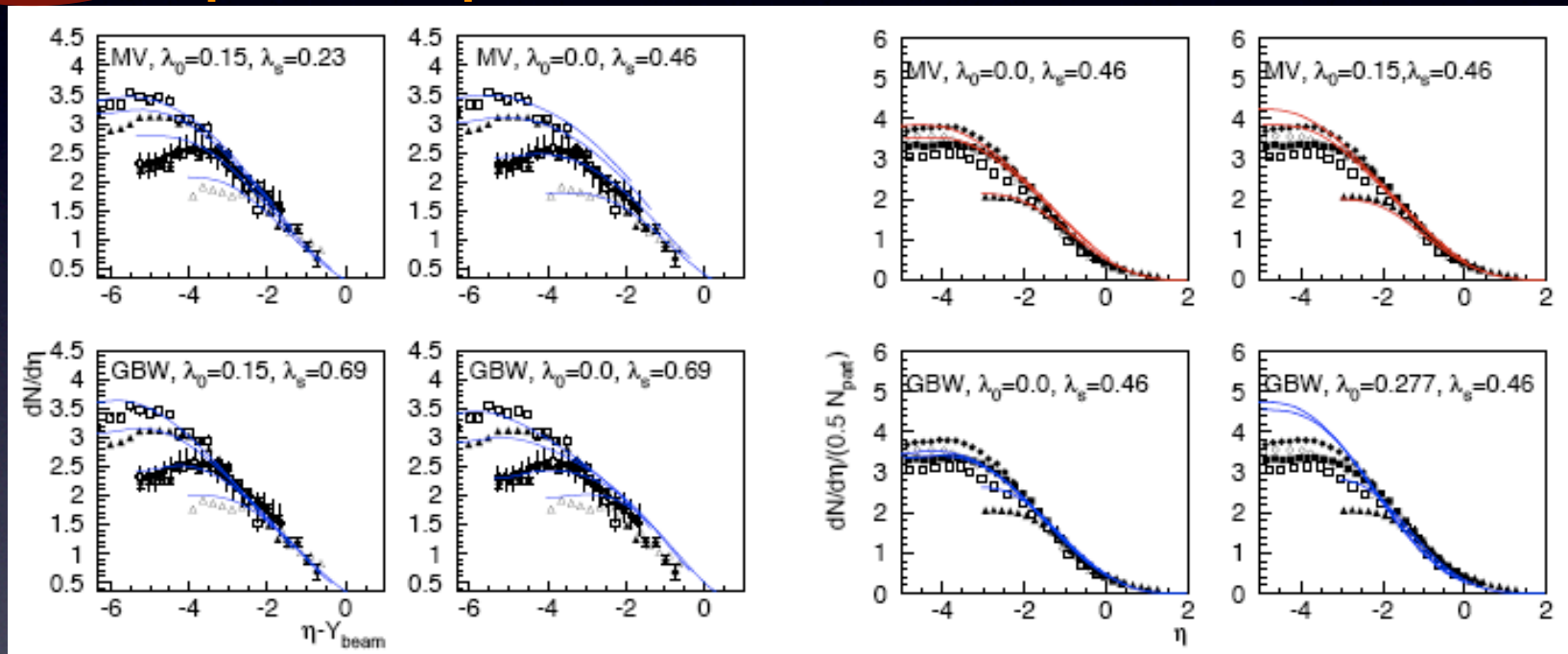
Plot from G.Roland's talk 2006

Rapidity distributions limiting fragmentation

Similar pattern observed
in multiplicities e+e-
when plotted vs $\gamma - Y(\text{jet})$

proton-proton

Au-Au



curves from Gelis, Stasto, Venugopalan

Data scale when plotted vs $\eta' = \eta - Y_{\text{beam}}$

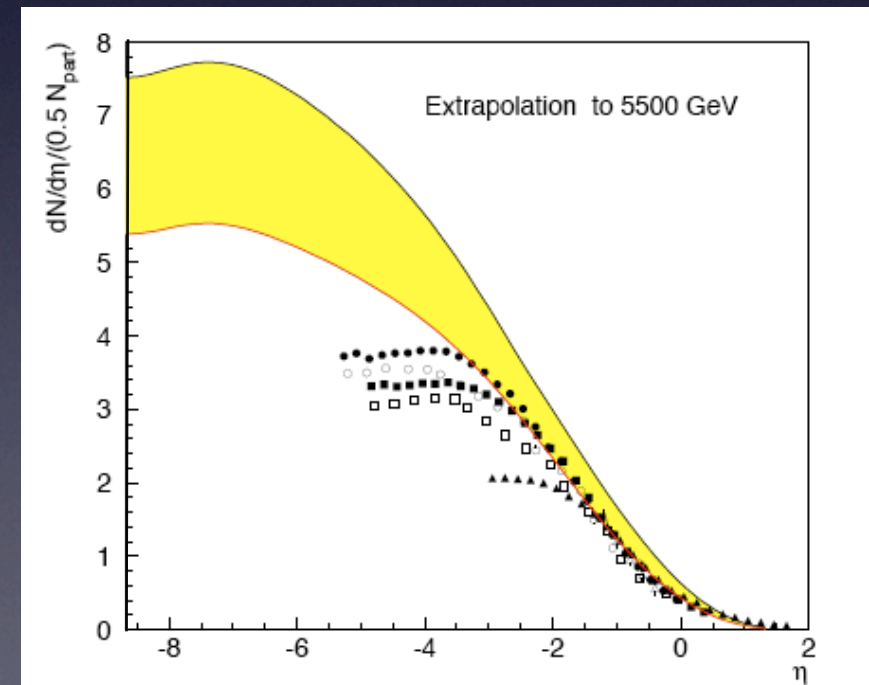
Limiting distribution is that of the broken target: momentum and quantum number transfer between the projectile and the target does not change when the energy is further increased.

Limiting fragmentation

- Gluon production evaluated using Kt factorized formula.
- Parton density from nonlinear evolution equation.
- Limiting fragmentation: target density (large x) approximately flat in rapidity and independent of scale (Bjorken scaling).
- Rapidity distributions seem to be determined very early in the collisions, by the initial state.

Extrapolations to LHC: approximately factor 1.5-1.9 increase of dN/dy at $y=0$

Gelis, Stasto, Venugopalan

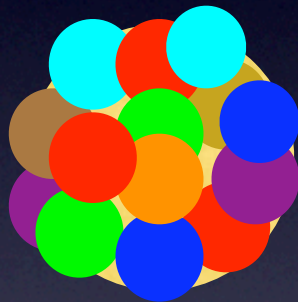


Initial state

Initial state: saturation of gluon density



Low energy - large x
Dilute system



High energy - small x
Dense system

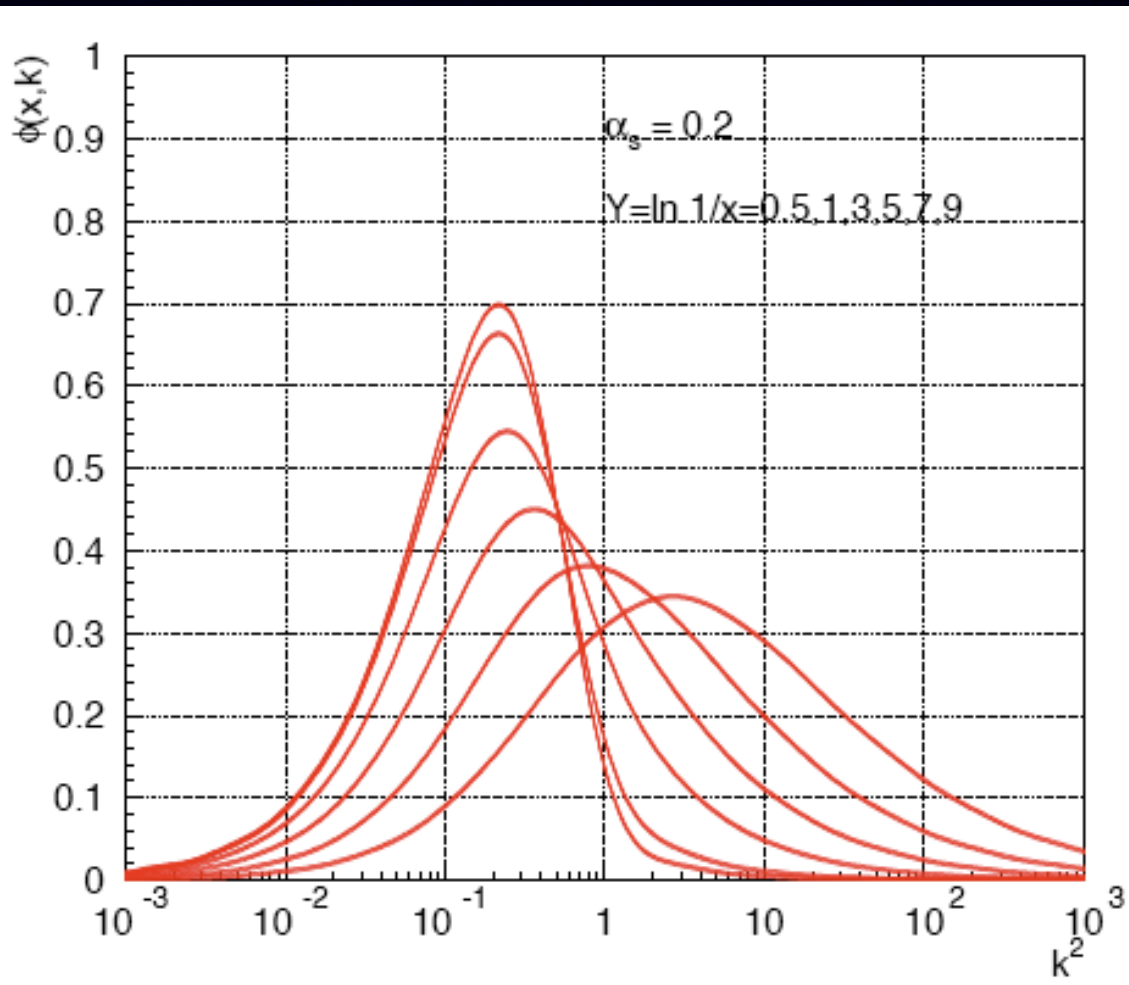
$$\frac{\alpha_s(Q_s^2)}{Q_s^2} xg(x, Q_s^2) \sim 1$$

- Small coupling, but high density
- Saturation of gluon density
- Saturation scale Q_s
- Nonlinear evolution equation

Gribov, Levin, Ryskin;
Bartels, Wusthoff; Mueller, Qiu;
McLerran, Venugopalan, Kovner, Weigert,
Jalilian-Marian, Leonidov, Kovchegov,
Balitsky; Lipatov; ...

Transverse momentum distribution of partons

Gluon density from nonlinear equation:



- Typical transverse momentum of the gluon from nonlinear equation
- Peak shifts to higher momenta as energy increases
- Saturation scales increases with energy
- Nonlinearity provides with a natural cutoff at lower scales

Saturation

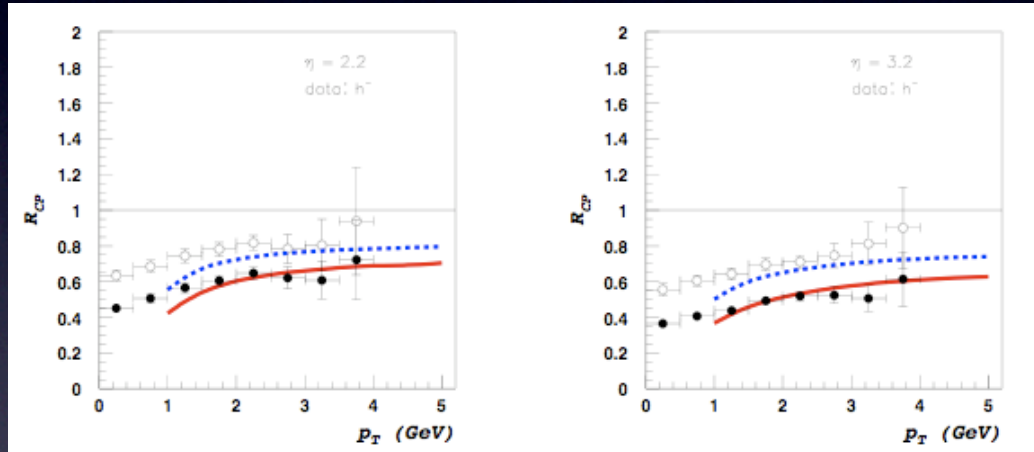
- Very attractive approach :
 - Natural cutoff at infrared.
 - Small coupling but non-perturbative (even though from Feynman diagrams).
- Does it work?
 - RHIC lower energy than HERA, not always small x , need to go to forward rapidities. But, presence of nucleus helps: $Q_s^2 \sim A^{1/3} x^{-\lambda}$
 - Saturation scale rather small, < 1 GeV at HERA.
 - Only gluons are consistently taken into account in this framework.

Saturation: phenomenology at RHIC

Rapidity distributions

$$\eta = 2.2$$

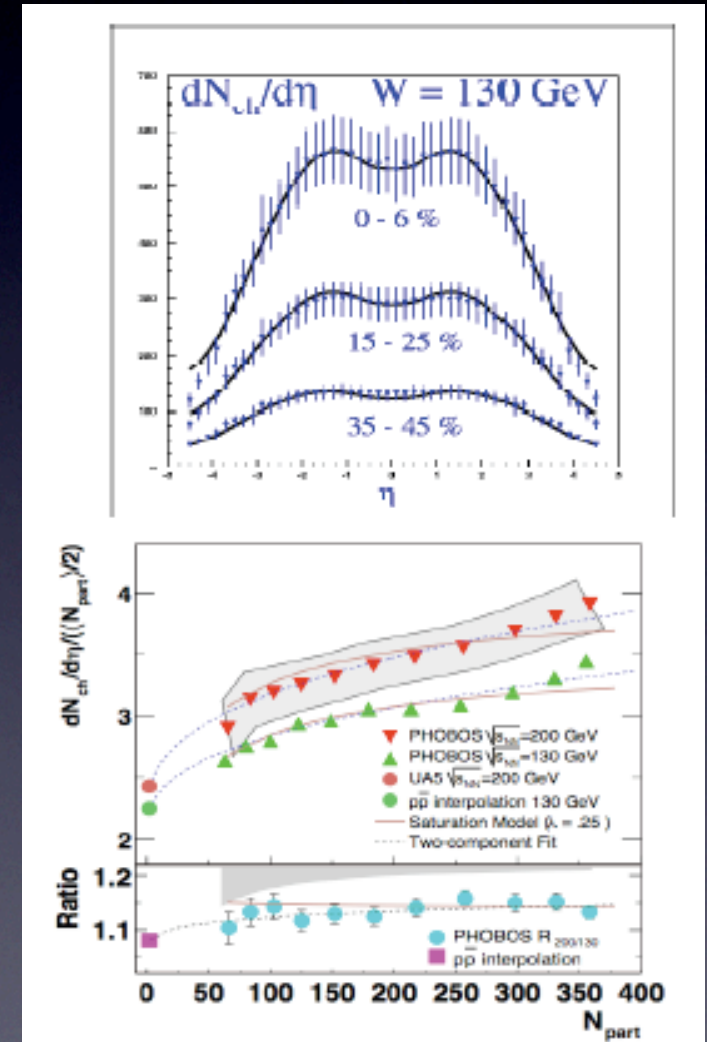
$$\eta = 3.2$$



Kharzeev, Kovchegov, Tuchin

dAu : suppression of the transverse momentum distribution at forward rapidities

Very good agreement with the data!



Kharzeev, Levin, Nardi

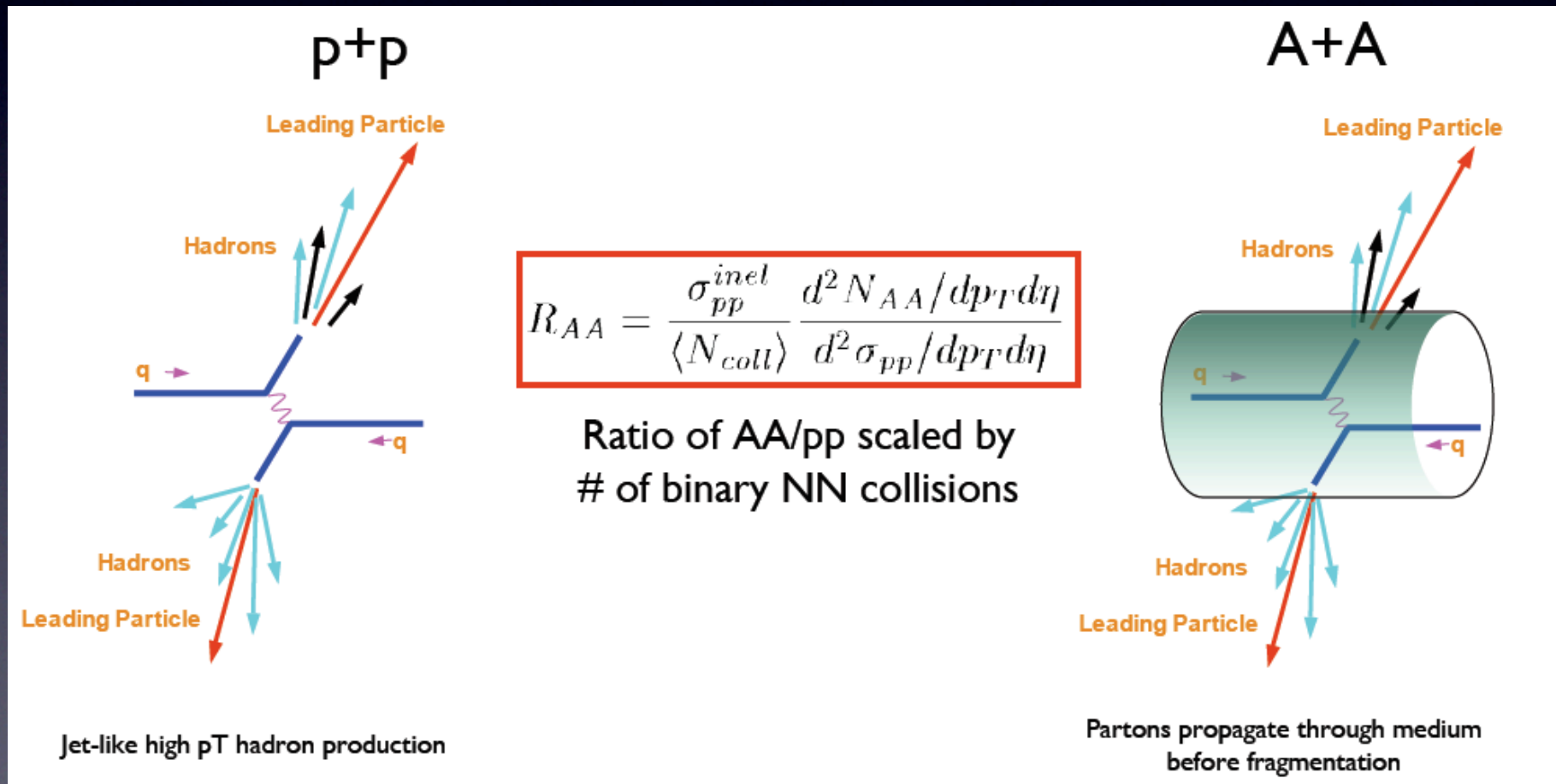
Final state:
Hard probes

Hard probes

- High Pt light quarks/gluons
- Heavy quarks
- Provide an excellent measure of the properties of a dense medium
- Due to a presence of a hard scale, it is possible to use perturbative theory
- Compare with the pp cross sections

Transport properties of the medium

By comparing momentum distributions to the pp benchmark we obtain information about the medium created at heavy-ion collisions



General framework

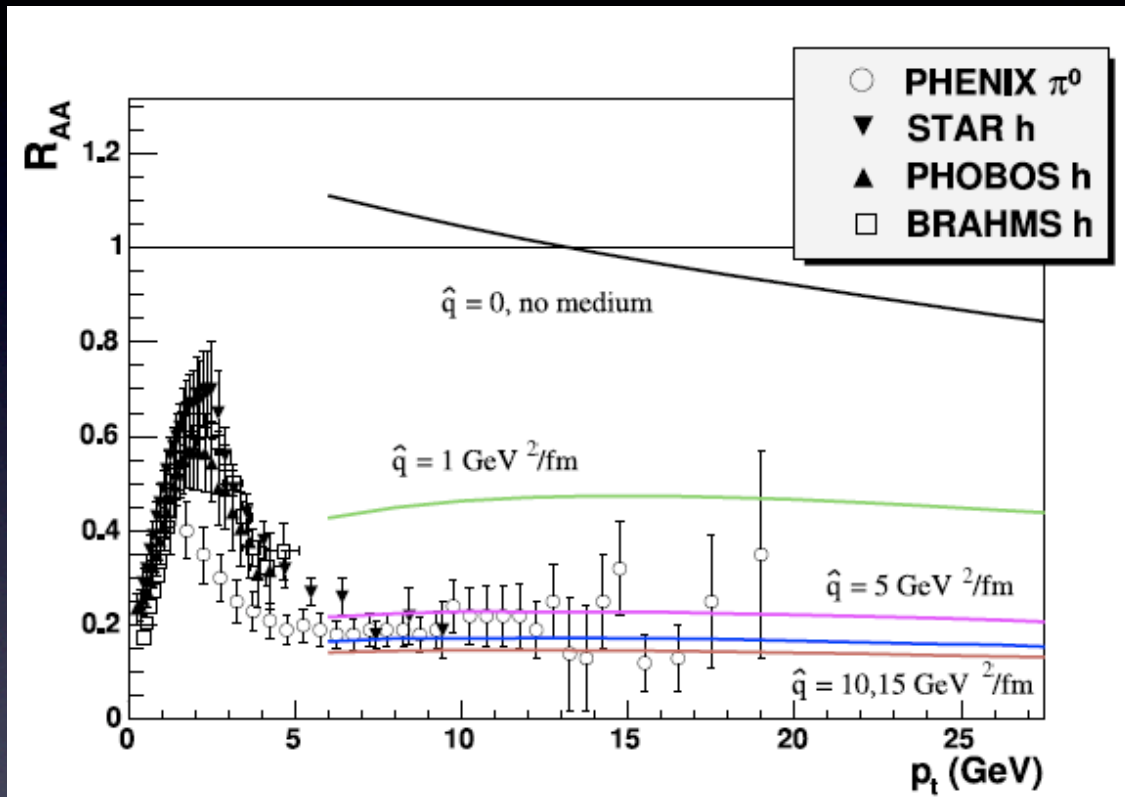
- Use collinear factorization formula
- Assume that the hadronization takes place outside the medium (time formation)
- Supplement it with the additional parton energy loss function: quenching weight P
- Transport coefficient: average transverse momentum transfer in the gluon scattering in medium

$$\sigma_{\text{med}}^{AB \rightarrow h} = \sigma_{\text{vac}}^{AB \rightarrow f} \otimes P(\Delta E, L, \hat{q}) \otimes D_{\text{vac}}^{f \rightarrow h}(z, \mu_F^2)$$

$$\sigma_{\text{vac}}^{AB \rightarrow h} = f_A(x_1, Q^2) \otimes f_B(x_2, Q^2) \otimes \hat{\sigma}(x_1, x_2, Q^2)$$

Transport coefficient: $\hat{q} \simeq 4 - 14 \text{ GeV}/\text{fm}^2$

Nuclear modification for hadrons



Eskola, Honkanen, Salgado, Wiedemann

- Quenching weight P : probability for parton to lose medium-induced energy as it propagates through the medium of length L
- Data favor large transport coefficient
- Flat spectrum for R_{AA} at high p_T
- The medium is so dense that the *shell emission* dominates
- Expect that the suppression will persist at LHC even for highest momenta (100 GeV)

Heavy flavors

Factorization theorem for production of heavy quarks
in hadron-hadron collisions (*Collins, Soper, Sterman*)

$$\sigma_{AB \rightarrow QX}(s, m_Q^2) = \sum_{i,j} \int dx_1 dx_2 \hat{\sigma}_{ij \rightarrow QX} f_{i/A}(x_1, \mu_F) f_{j/B}(x_2, \mu_F) + \mathcal{O}\left(\frac{\Lambda}{m_Q}\right)^p$$

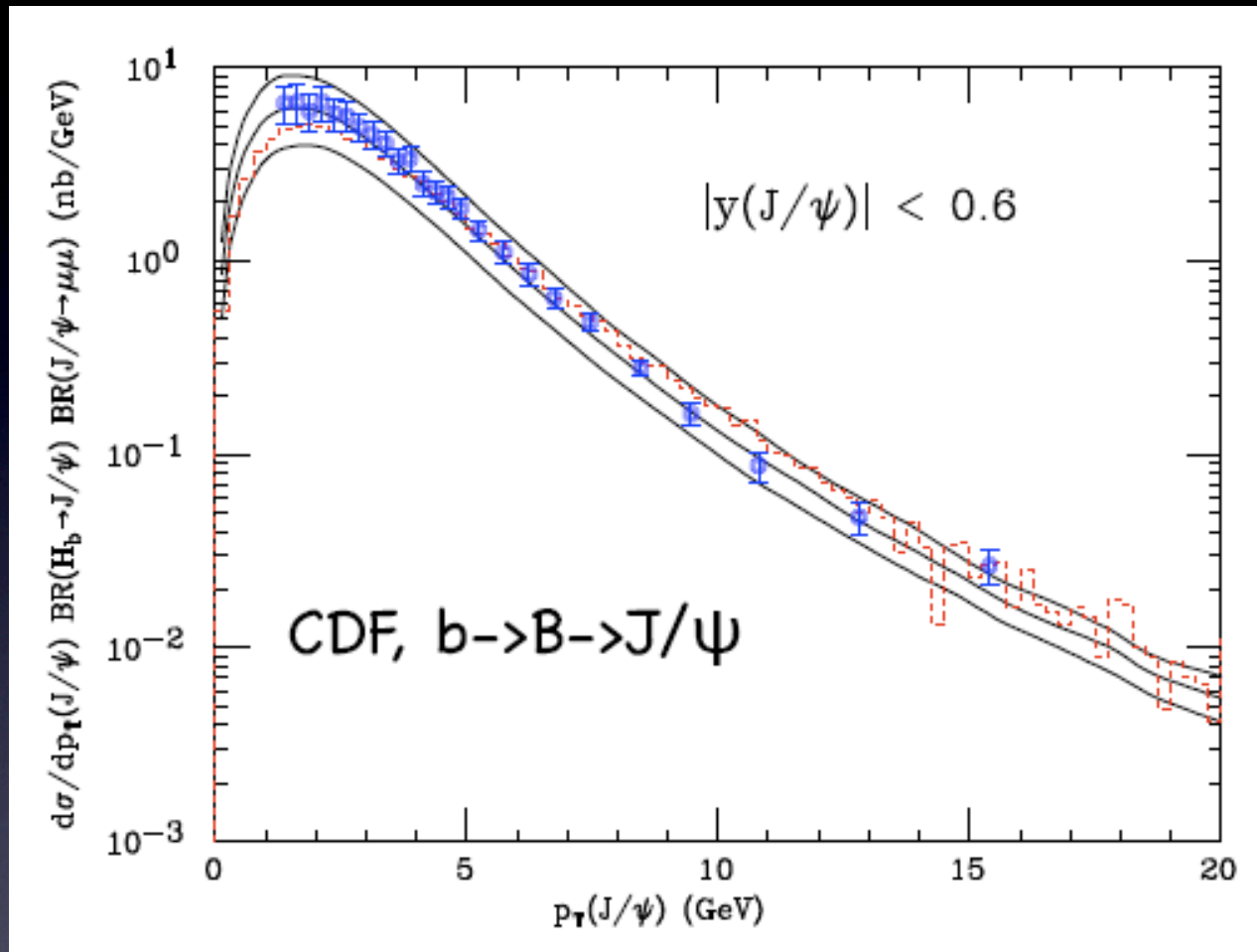
Partonic cross section
 $\hat{\sigma}_{ij \rightarrow QX}(x_1 x_2 s, m_Q^2; \alpha_s(\mu_R^2); \mu_F^2, \mu_R^2)$

Parton distribution functions

Power suppressed corrections

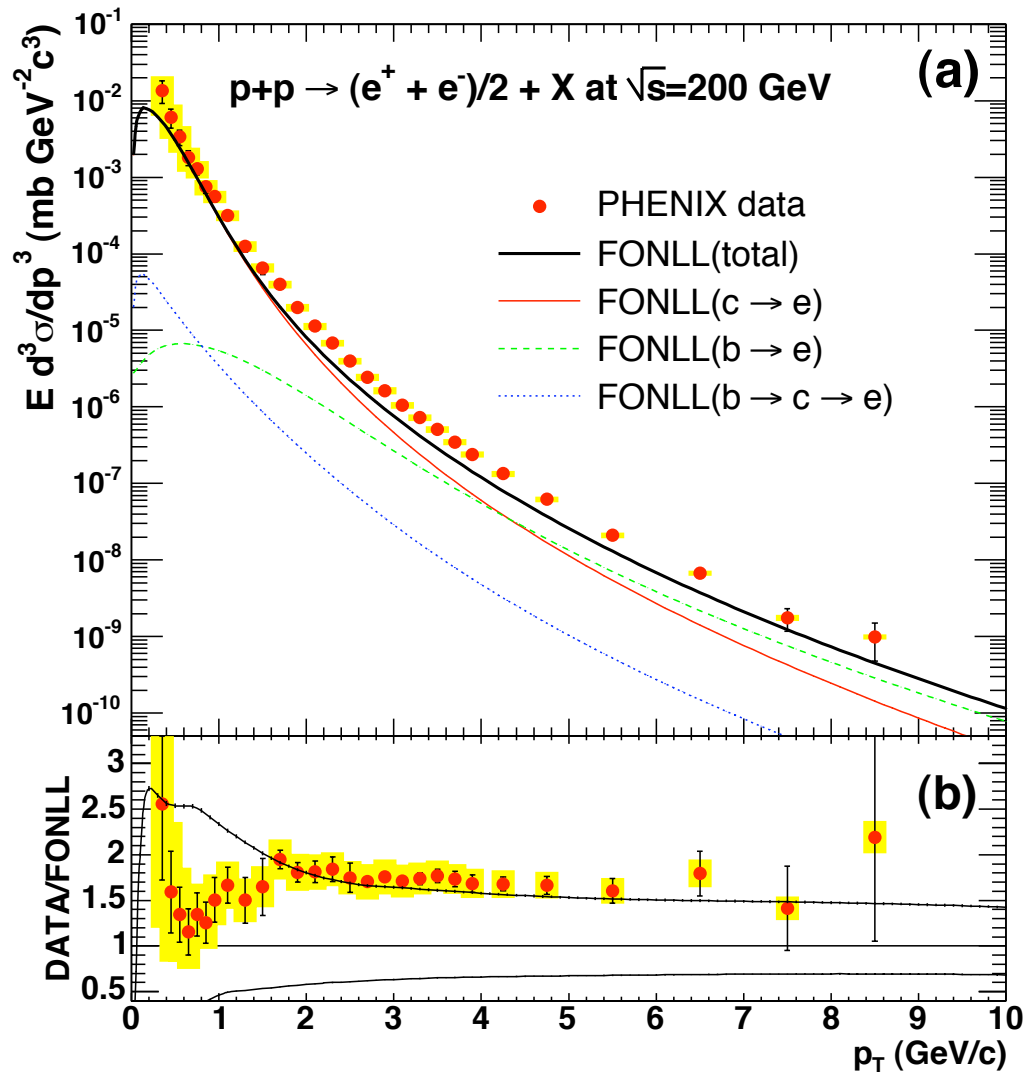
For this process factorization is a conjecture: not proven.

Heavy quark production in pp collisions



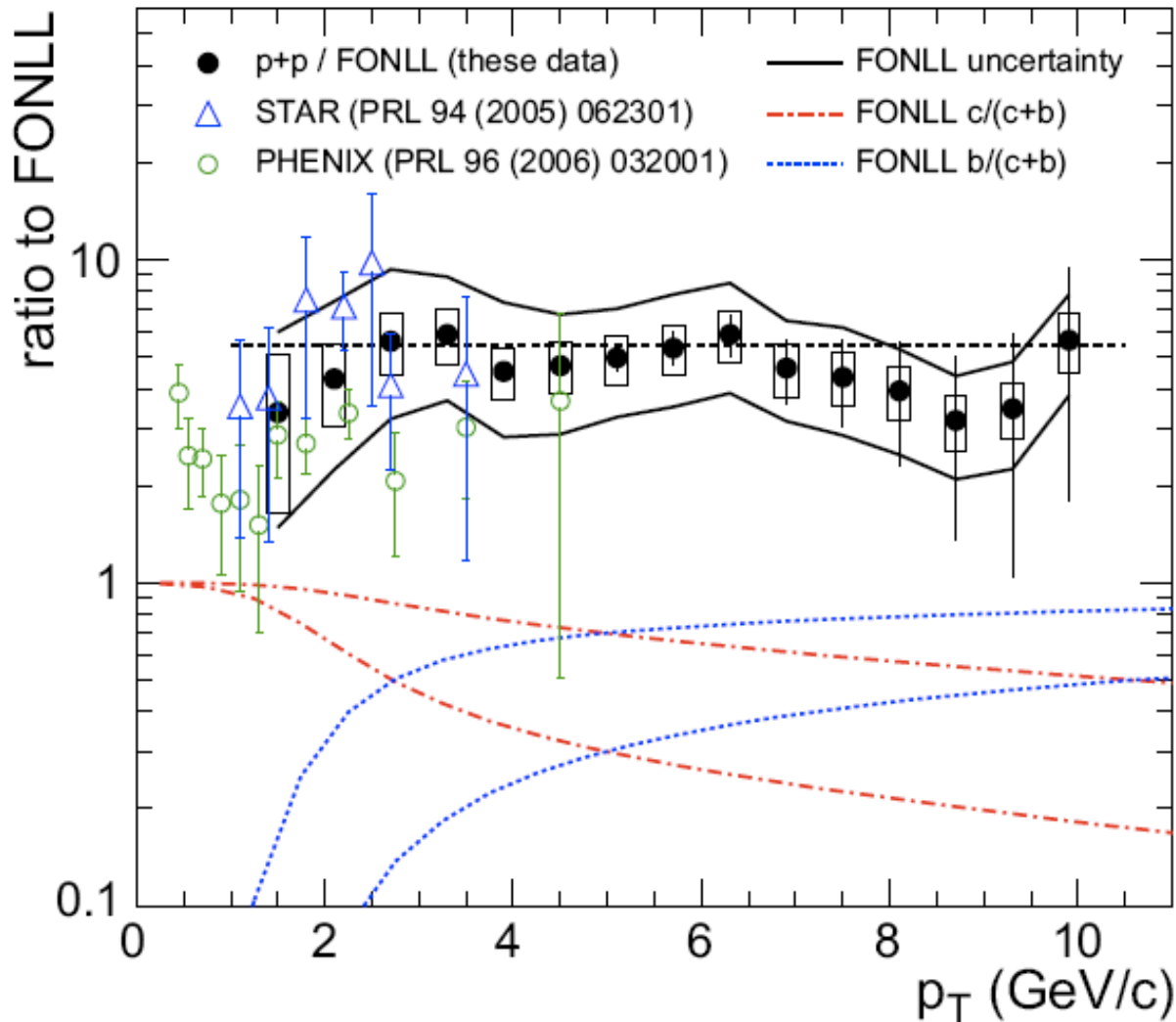
Bottom production at Tevatron: Run II
Very good agreement (after *proper* extraction of the fragmentation function from LEP data) *M.Cacciari*

Heavy flavor production in pp collisions at RHIC



- PHENIX pp data
- Electrons from semi-leptonic decays of heavy flavors
- Charm+Beauty
- FONLL pQCD *M.Cacciari*
- $|y| < 0.35$
- $0.3 < p_T < 9.0$ GeV
- **DATA/THEORY=1.72**
- Shape of distribution correct (except at low momenta)

Heavy flavor production in pp collisions at RHIC



- STAR pp data, electron
- $1.2 < p_T \leq 10$ GeV
- **DATA/THEORY=5.5**
- Excess more significant than for PHENIX
- FONLL curves with scale uncertainty
- B decay significant fraction at high p_T

Heavy flavor production in pp collisions not well understood at lower energies

Radiation off heavy quarks

- Radiation from heavy quarks differs from light quarks: *dead cone effect*
- Gluon radiation suppressed at angles smaller than the ratio $\theta_0 = \frac{m_Q}{E}$

$$dP_{m_q=0} \simeq \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{dk_T^2}{k_T^2}$$

Massless quarks

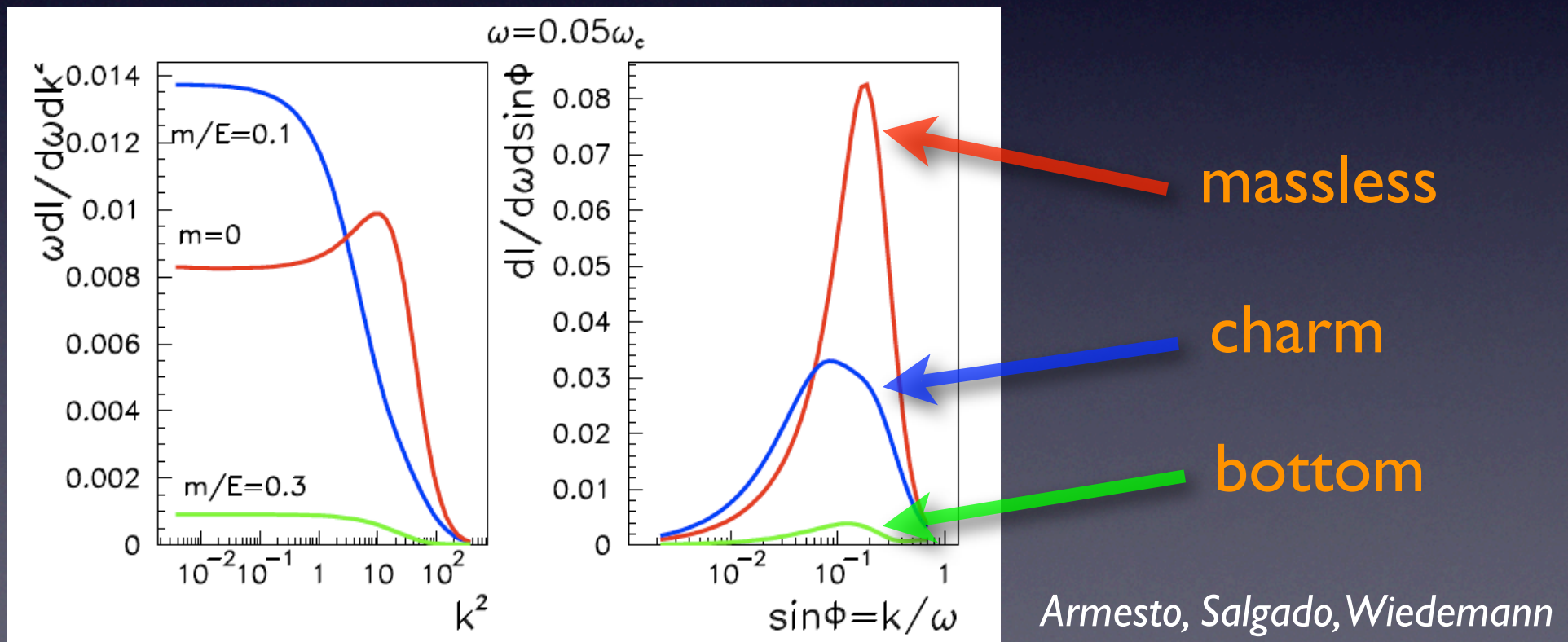
$$dP_{m_q \neq 0} \simeq \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{k_T^2 dk_T^2}{[k_T^2 + \omega^2 \theta_0^2]^2}$$

Massive quarks

- One expects less suppression than for light quarks

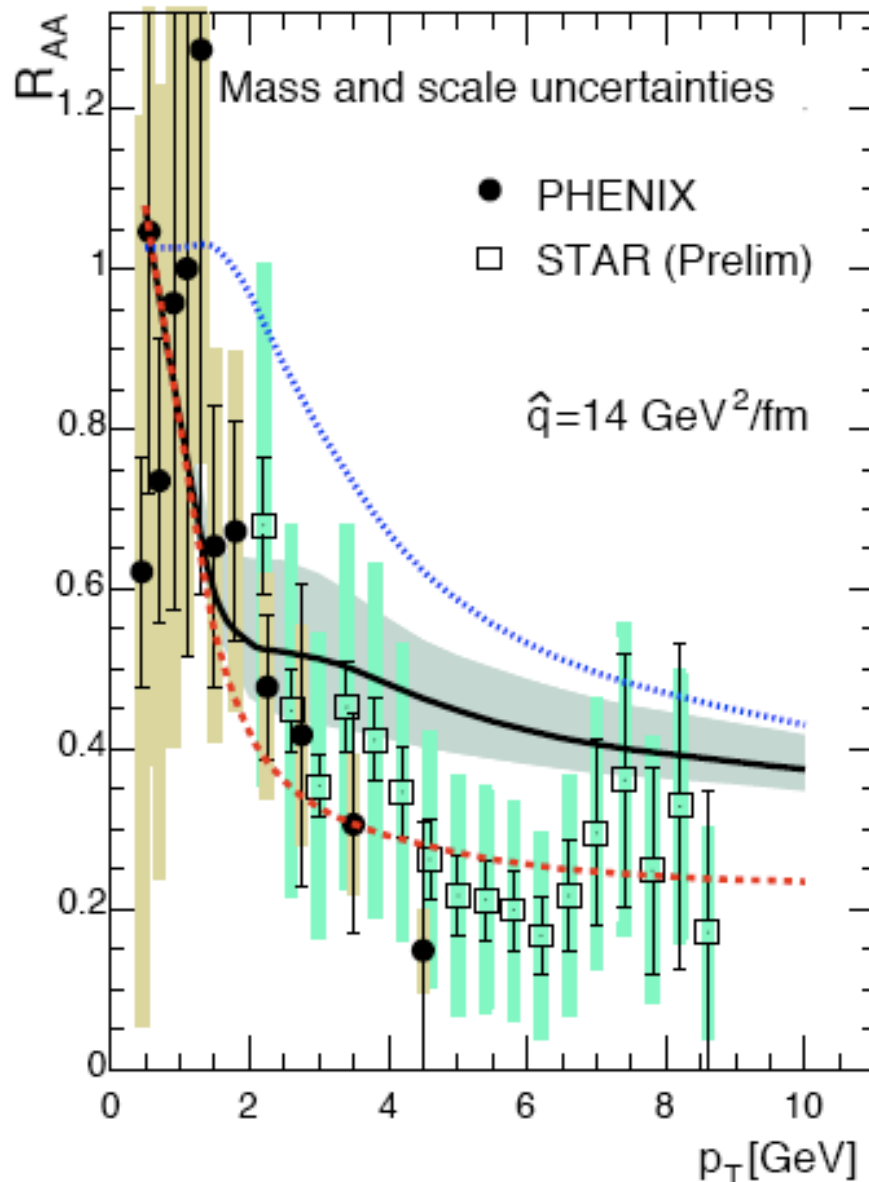
Heavy quarks in medium

- Situation in medium more complicated: suppression at large angles, (moderate) enhancement at small angles
- Another effect: shorter formation time in case of heavy quarks
- Net effect: smaller energy loss than light quarks



Heavy quarks in medium

Armesto, Cacciari, Dainese,
Salgado, Wiedemann



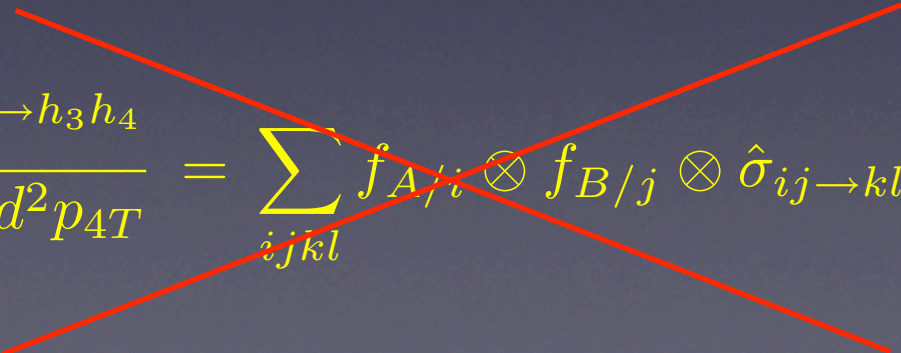
$$R_{AA}^e(p_T) = \frac{\frac{d^2 N^{AA \rightarrow e}}{dp_T dy}|_{y=0}}{\langle N_{\text{coll}}^{AA} \rangle \frac{d^2 N^{pp \rightarrow e}}{dp_T dy}|_{y=0}}$$

- Large suppression observed in electron spectra in AA collisions
- Calculations do not quite predict that strong suppression
- b/c ratio not known. Large sensitivity of calculations to that ratio.
- Sensitivity to transport coefficient \hat{q}
- pp cross section not well under control

Heavy quarks in medium

Other effects:

- Collisional energy loss of the heavy quark? Not sufficient to explain the large suppression. (Djordjevic, Gyulassy)
- Fragmentation does not occur outside? Final state interactions of D mesons? (Strikman)
- Is the use of (generalized) factorization justified in AA?
Breakdown of the factorization formula for hadroproduction (two transverse momenta, kt dependent distributions) in proton-proton. (Collins, Qiu)

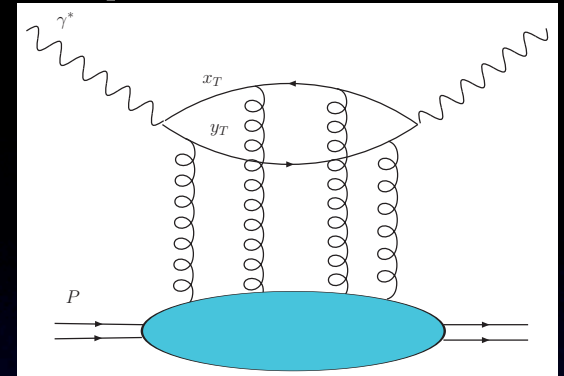

$$E_3 E_4 \frac{d\sigma^{AB \rightarrow h_3 h_4}}{d^2 p_{3T} d^2 p_{4T}} = \sum_{ijkl} f_{A/i} \otimes f_{B/j} \otimes \hat{\sigma}_{ij \rightarrow kl} \otimes D_{k \rightarrow h_3} \otimes D_{l \rightarrow h_4}$$

Jet quenching: Wilson loops in AdS/CFT

Jet quenching and Wilson loops

Recall DIS on cold nucleus

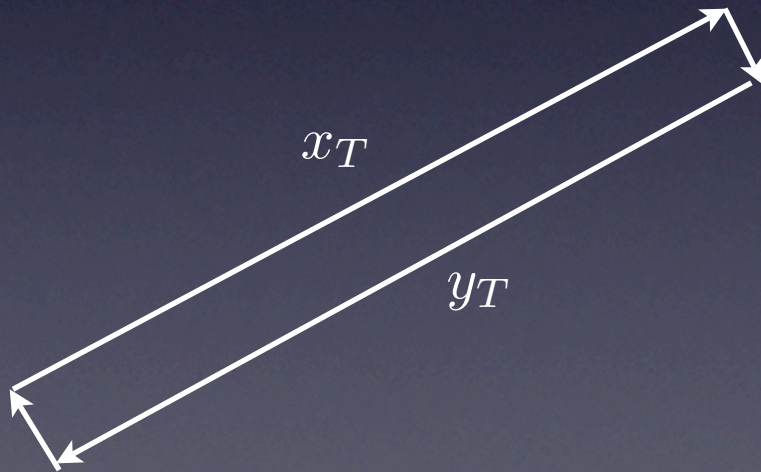
$$\sigma^{DIS} = \int d^2x_T d^2y_T dz |\psi(x_T, y_T; z)|^2 P^{q\bar{q}}(x_T, y_T)$$



Dipole cross section

$$P^{q\bar{q}} = 2 \left\langle 1 - \frac{1}{N_c} \text{Tr}[W^F(x_T) W^{F\dagger}(y_T)] \right\rangle = 2(1 - \langle W(C_{light-like}) \rangle)$$

Correlator of two Wilson lines averaged over the field configurations of the target nucleus



$$\langle W(C_{light-like}) \rangle \simeq \exp(-r^2 Q_s^2)$$

Dipole size

$$r = |x_T - y_T|$$

Wilson loops in AdS/CFT

Quark-gluon plasma

$$\langle W^F(C) \rangle_{\text{plasma}} = \exp(-\hat{q} r^2 L^-)$$

\hat{q} energy loss of a hard parton when traversing QGP

L^- light-cone distance (longitudinal distance)

In AdS/CFT

$$\langle W^F(C) \rangle = \exp(i\mathcal{S}(\mathcal{C}) - i\mathcal{S}_0)$$

where \mathcal{S} is the Nambu-Goto action

$$\mathcal{S} = -\frac{1}{2\pi\alpha'} \int d\sigma d\tau \sqrt{-\det[G_{\mu\nu} \partial_\alpha X^\mu \partial_\beta X^\nu]}$$

with the metric on the 4+1 dimensional AdS space

Wilson loops in thermal background

In the nonzero temperature T :

The metric is given by the AdS Schwarzschild black hole

Taking the limit:

$$N_c, \lambda = R^4/\alpha'^2 \rightarrow \infty$$

Problem becomes classical: finding the extremum of the action

Can evaluate the jet quenching parameter:

$$\hat{q}_{SYM} \simeq 5\text{GeV}^2/\text{fm}$$

Summary I

- Total multiplicities grow as $\ln^2 s$.
- Multiplicities in ee the same as in AA per participating pair.
- pp are systematically lower due to effect of leading particle.
- Limiting fragmentation visible for various systems and centralities.
- This universality of rapidity distributions suggest that they are determined very early in the collisions, essentially by the initial state.
- At high energies and for heavy nuclei, one expects the saturation of the gluon density.
- But RHIC does not quite reach quite very values of Bjorken x ; need to consider forward rapidity. Saturation effects enhanced by the mass number A .
- Saturation applied to the initial state provides with the reasonable description of the data: rapidity distributions, dA pt distributions.

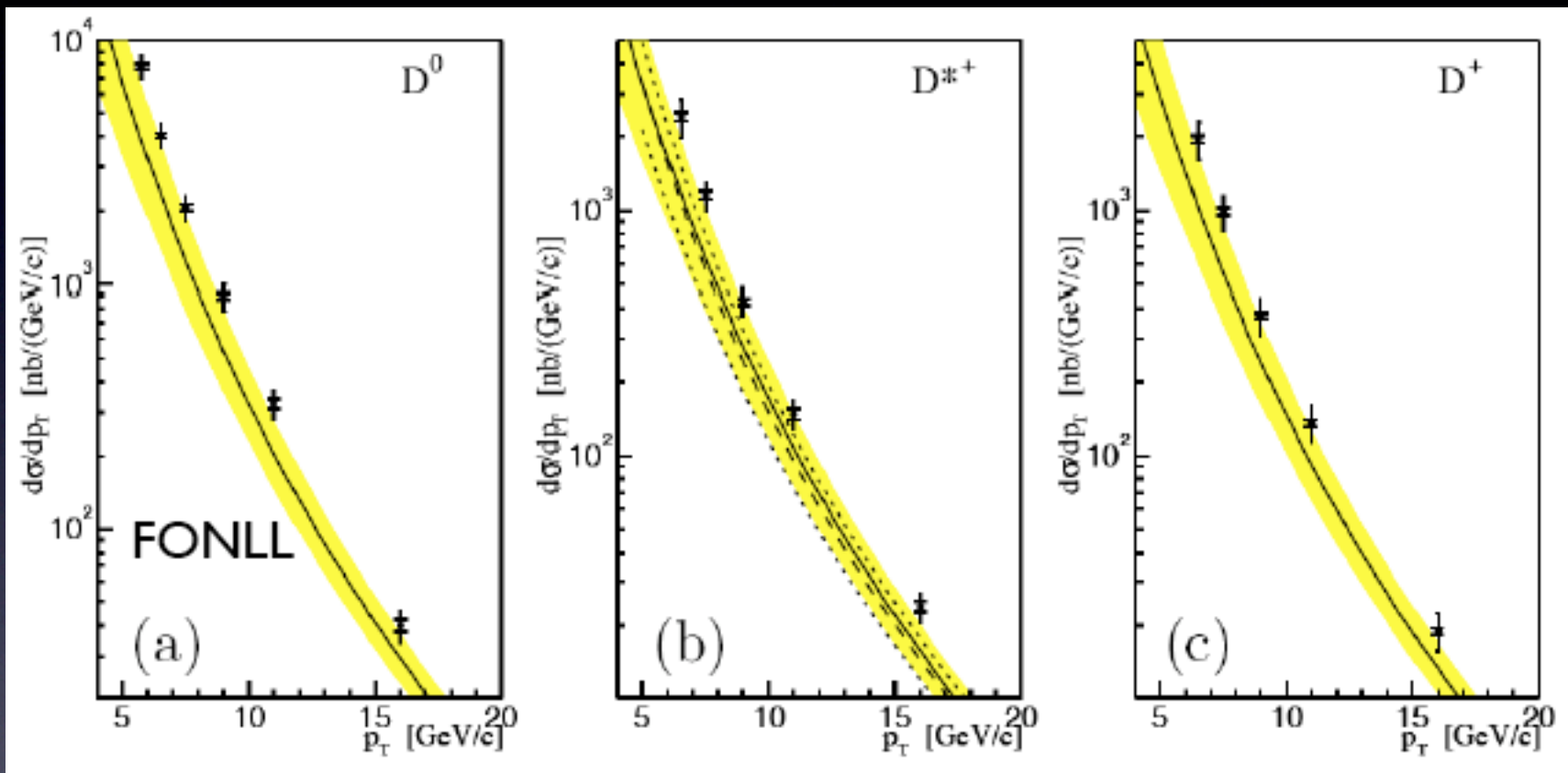
Summary II

- Heavy quarks and pt jets are excellent hard probes of the medium produced.
- Significant attenuation observed, up to transverse momenta of about 10 GeV.
- Theoretical calculations based on a generalized factorization framework with the rescattering effects for the fast particle (pt jet/ heavy quark) in medium.
- The spectrum of heavy quarks not quite well reproduced by the theory. In pp deficit of the overall cross section. In AA the predicted attenuation is too small.
- Possible effects: collisional energy loss, fragmentation inside medium, factorization formula too simplistic.
- Interesting approach to jet quenching using AdS/CFT. Many uncertainties (N=4 SYM vs QCD).

Backup slides

Charm production in pp collisions

CDF Run II: c to D data



Good agreement. Theory systematically little bit lower.