



Future prospects for distinguishing neutron stars from black holes using only gravitational waves

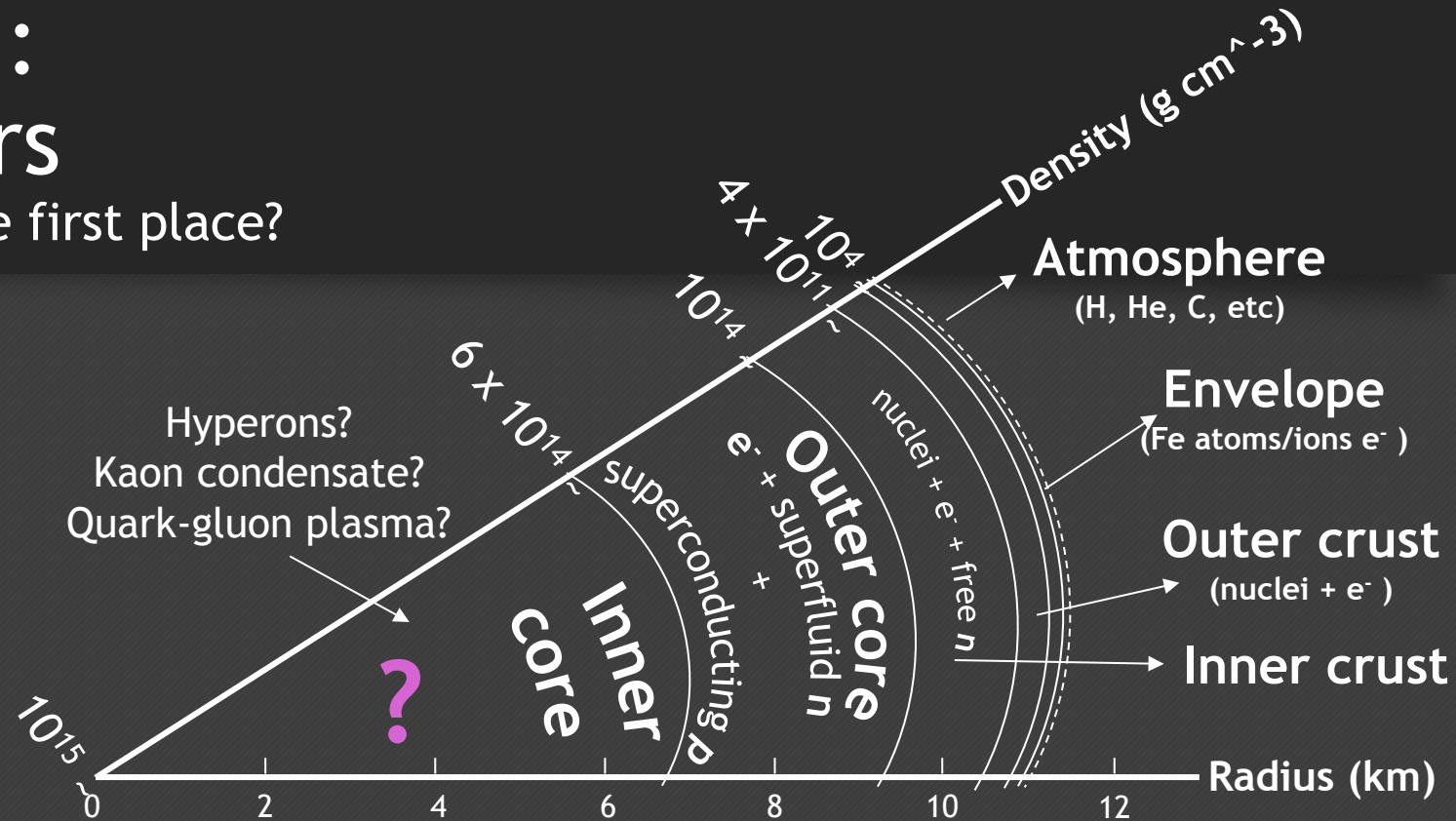
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Introduction: Neutron Stars

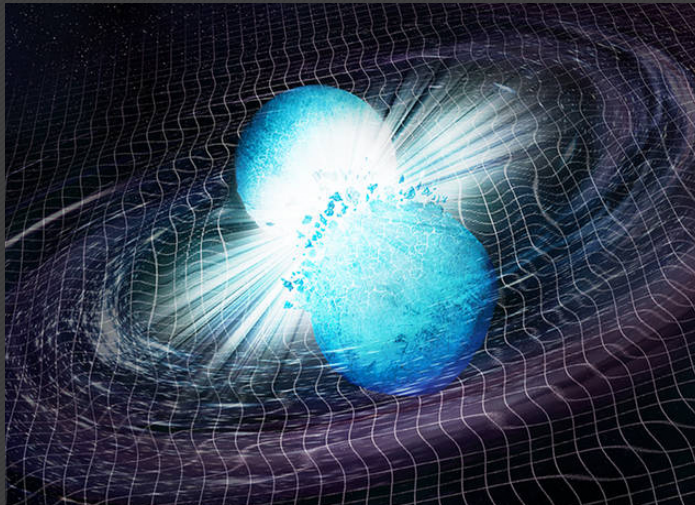
Why do we care in the first place?



- Neutron stars contain ultra-dense matter which makes them unique nuclear physics laboratories
- The exact equation of state (EOS) for nuclear matter is unknown

Introduction: Gravitational Waves

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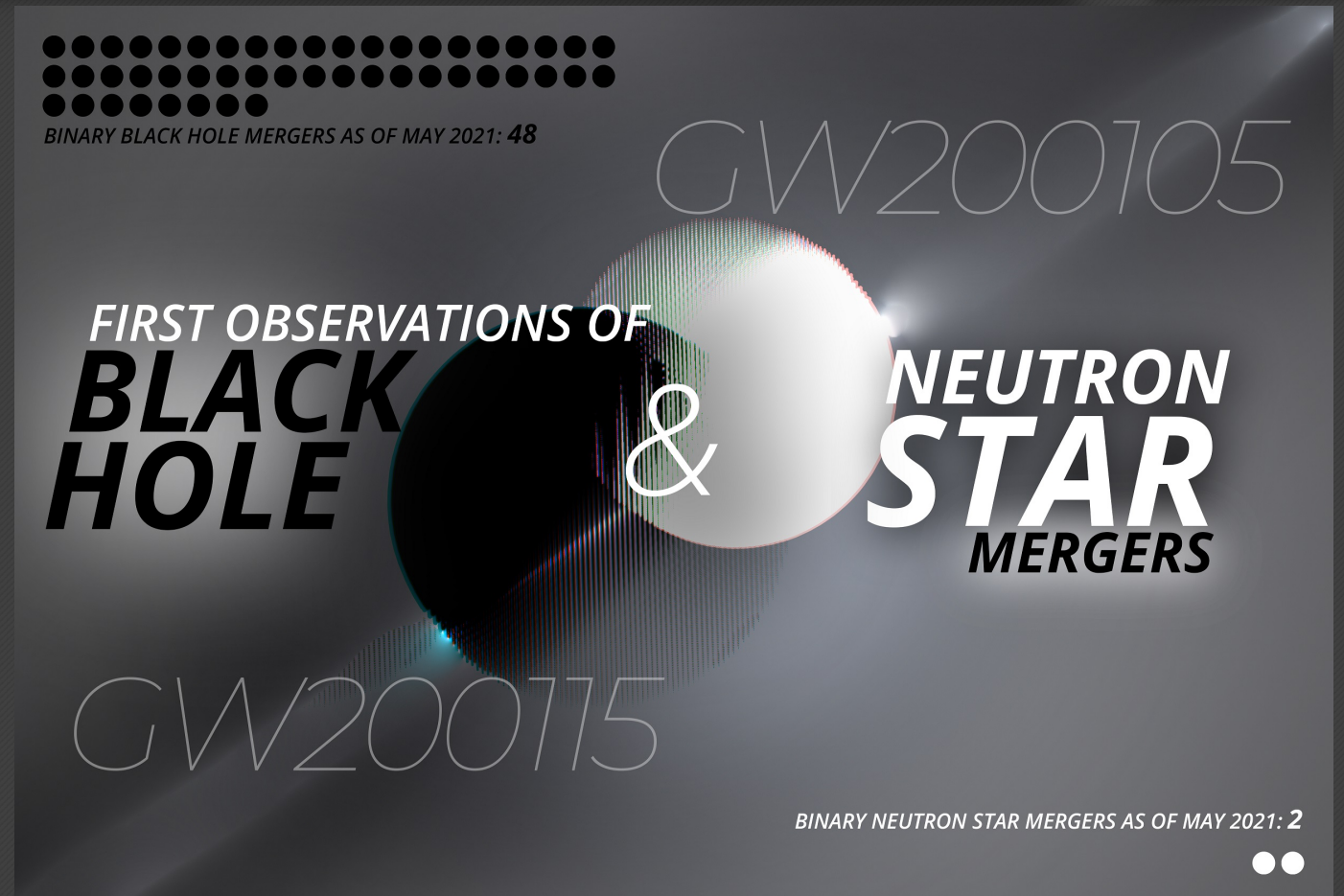


- GW170817 opened up a new way study neutron stars
- Gravitational wave data has added to our knowledge of neutron stars
 - Placing upper bound of neutron star radius and tidal deformability
- GW170817 alone could not prove that the event was a BNS and not a BBH
- Coincident GRB 170817A and transient electromagnetic follow-ups provide evidence for the presence of neutron star matter

Neutron Star Black Hole Systems

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- In June 2020, the LVC announced detection of two NSBH systems: GW200105 and GW200115
- Only the mass of the smaller object indicates it's a NSBH

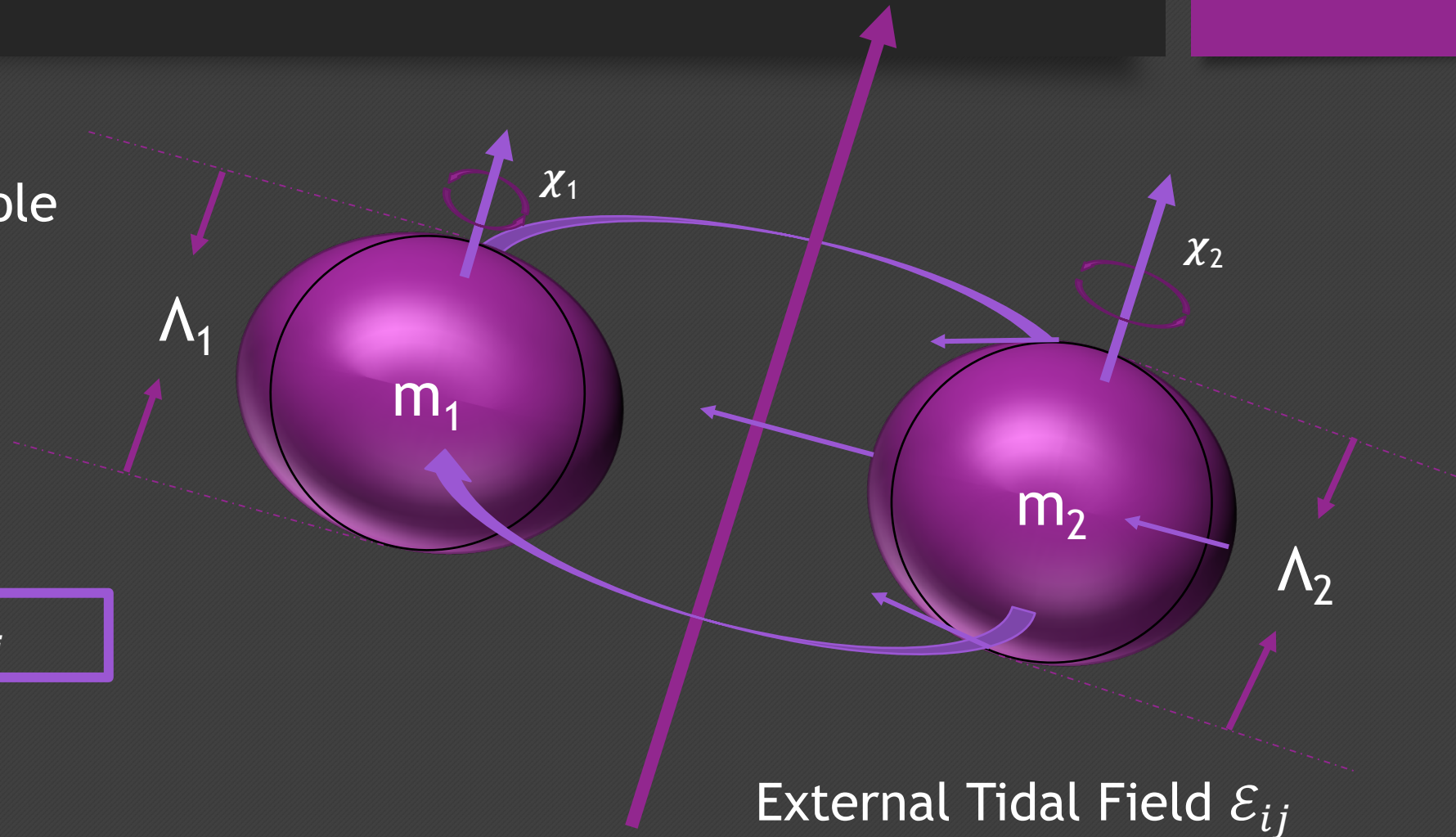


Introduction: Tidal Deformability?

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Internal Multipole
Response Q_{ij}

$$Q_{ij} = -\lambda \varepsilon_{ij}$$



QUESTIONS

Under what conditions could gravitational wave data distinguish a neutron star from a black hole in a compact object binary

LIGO-Virgo may not be sensitive enough to do so, what about LIGO A+ or LIGO Voyager? Or 3G detectors?

Methods

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1: Injections

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1. Simulate data with different parameters and detectors

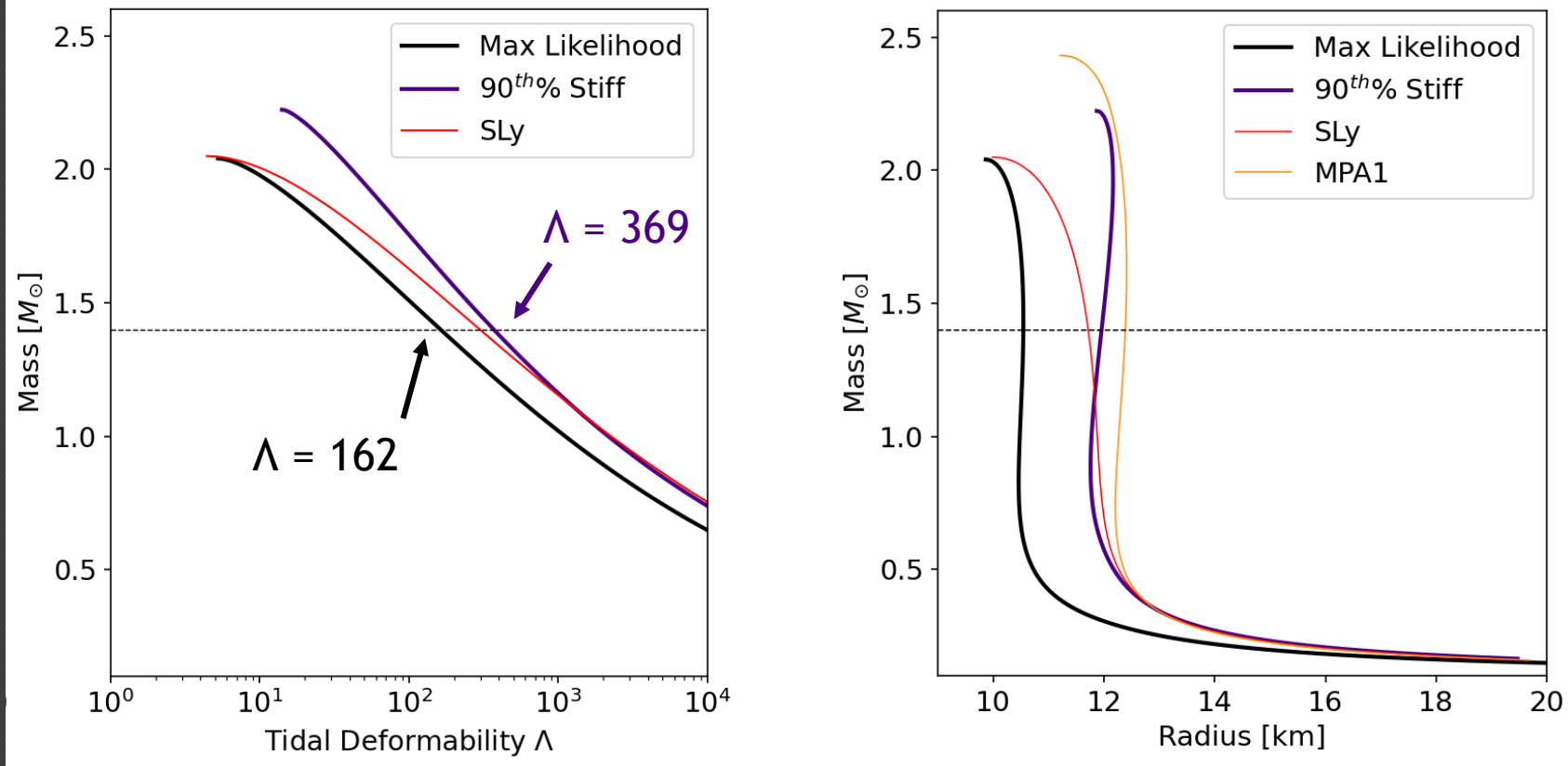
- Detectors: aLIGO, LIGO A+, LIGO Voyager, Einstein Telescope, Cosmic Explorer
- Parameters: black hole mass, distance, equation of state

$$d_i(t) = h_i(\vec{\theta}, t) + n_i(t)$$

The diagram illustrates the components of the data simulation equation. A purple arrow points from the word "data" to the term $d_i(t)$. A purple arrow points from the word "waveform" to the term $h_i(\vec{\theta}, t)$. A blue arrow points from the words "detector noise" to the term $n_i(t)$.

Injections continued

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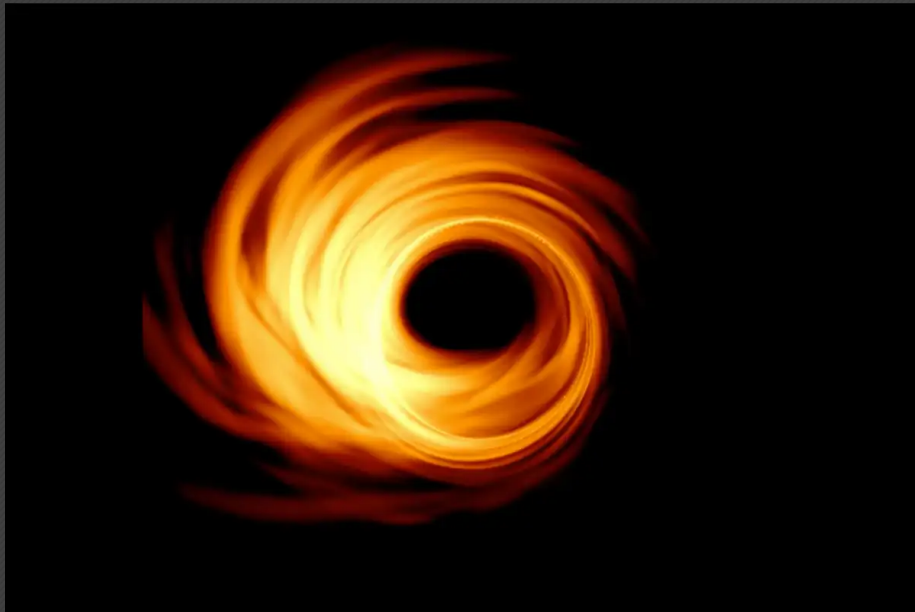
Capano et al 2020

2: Gravitational Wave Data Analysis

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Analyze the simulated data twice (once for each model)

Black Hole $\Lambda = 0$

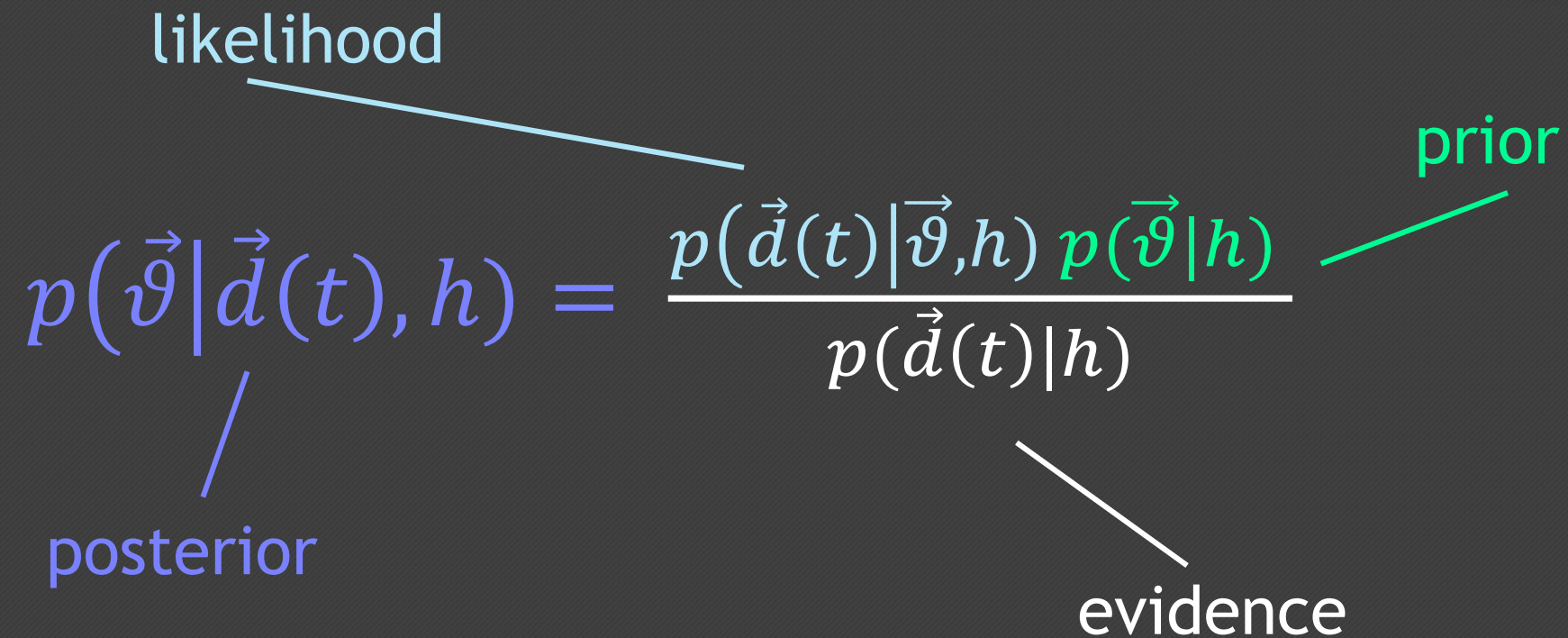


Neutron Star $\Lambda \neq 0$



Bayesian Parameter Estimation

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The diagram illustrates the Bayesian Parameter Estimation formula with labels and arrows:

- likelihood**: A light blue label with an arrow pointing to the term $p(\vec{d}(t) | \vec{\vartheta}, h)$ in the numerator.
- prior**: A green label with an arrow pointing to the term $p(\vec{\vartheta} | h)$ in the numerator.
- evidence**: A white label with an arrow pointing to the denominator term $p(\vec{d}(t) | h)$.
- posterior**: A blue label with an arrow pointing to the entire left-hand side of the equation, $p(\vec{\vartheta} | \vec{d}(t), h)$.

$$p(\vec{\vartheta} | \vec{d}(t), h) = \frac{p(\vec{d}(t) | \vec{\vartheta}, h) p(\vec{\vartheta} | h)}{p(\vec{d}(t) | h)}$$

3: Bayes Factors

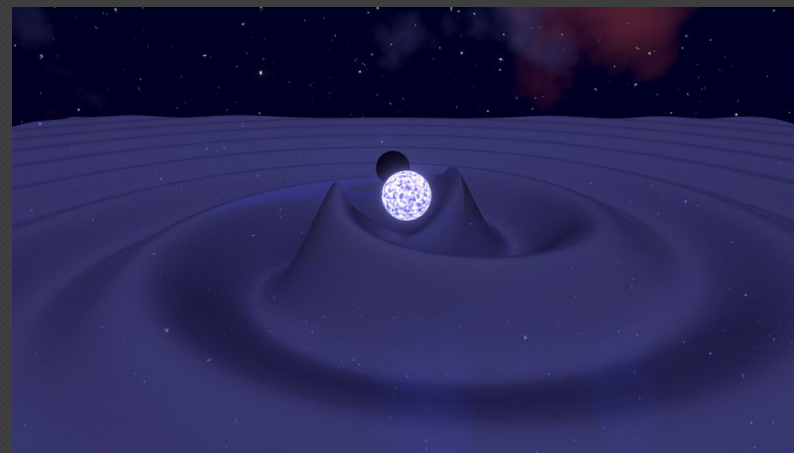
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$$\mathcal{B} = \frac{p(\mathbf{d}|H_{NSBH})}{p(\mathbf{d}|H_{BBH})}$$



$$\mathcal{B} < 1$$

OR



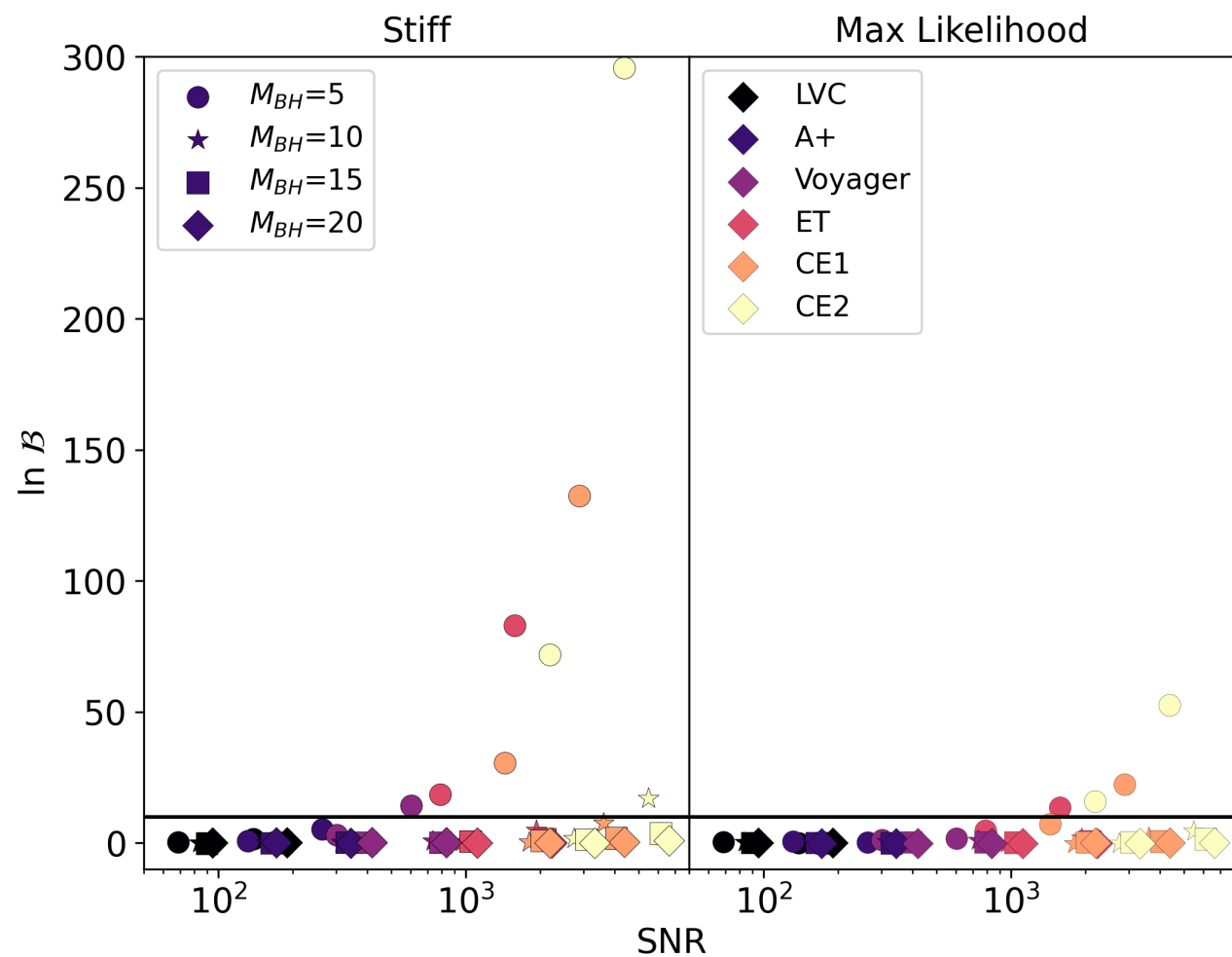
$$\mathcal{B} > 1$$

Results

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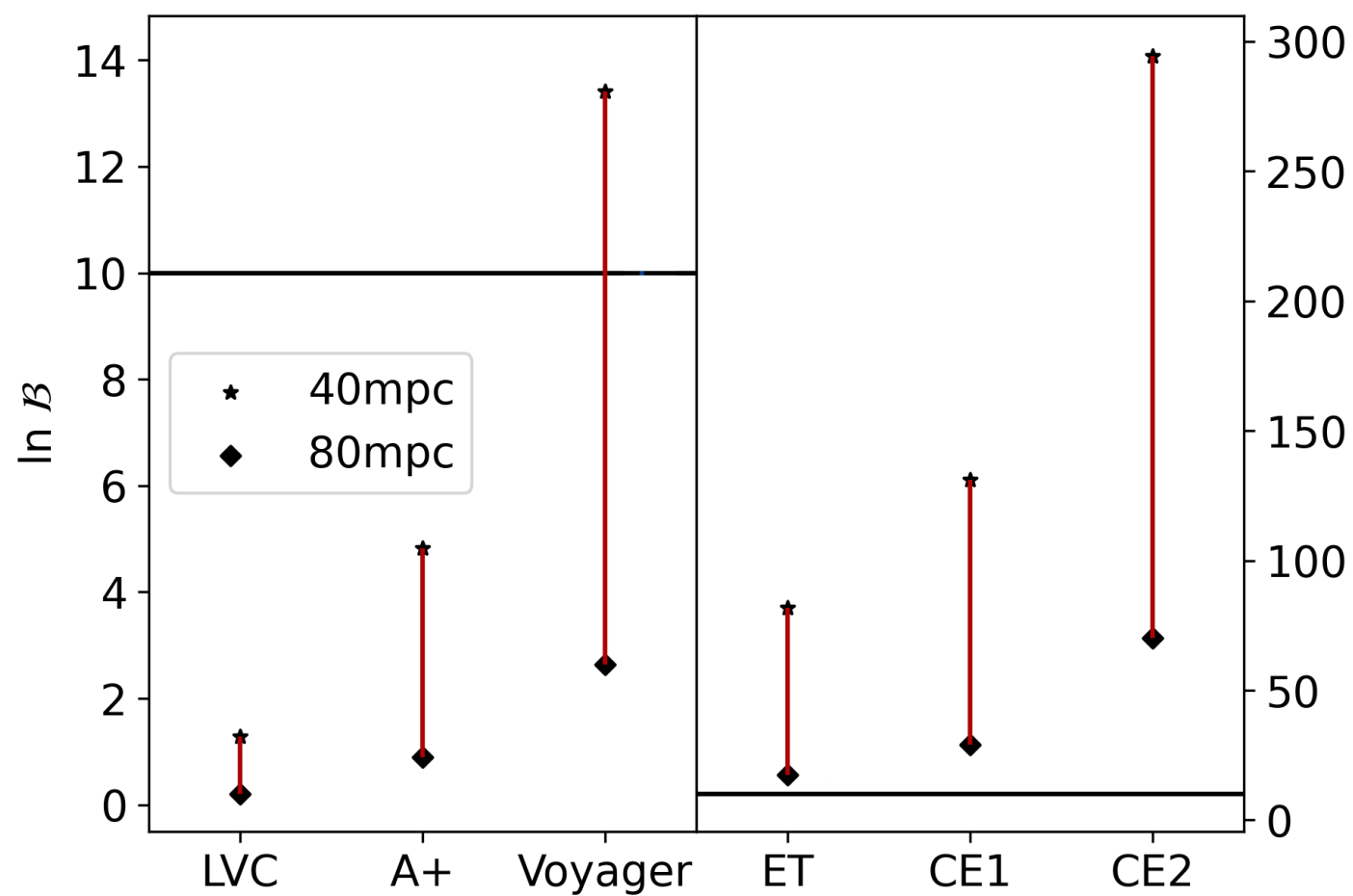
Summary

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$M_{\text{BH}} = 5 M_{\odot}$, Stiff

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Result Summary

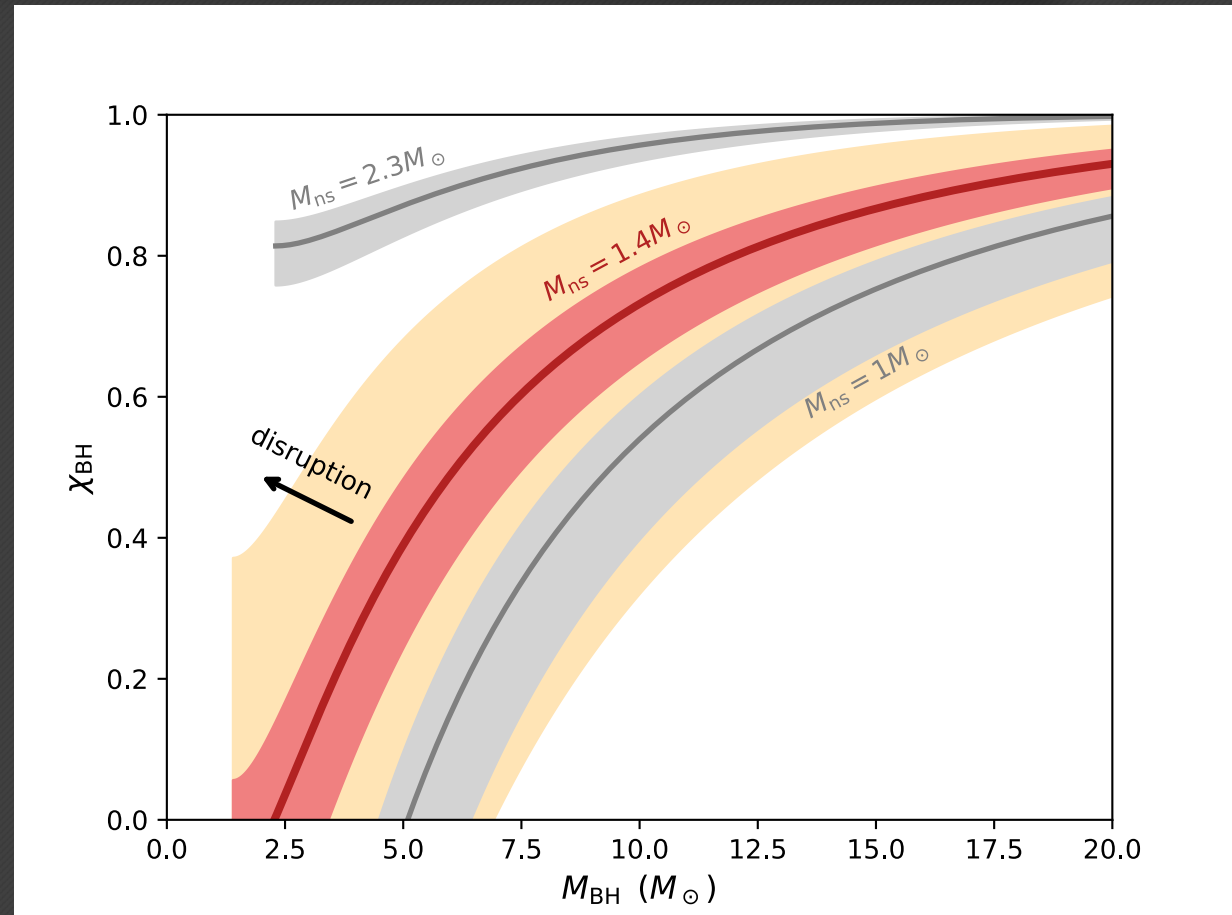
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- We find that LIGO-Virgo and its upgrades have very little chance of distinguishing NSBH systems without EM follow up.
- 3G detectors are critical for studying neutron star-black hole mergers without EM counterparts.
- Given that the analysis of GW170817 suggests that NSBH mergers are unlikely to be disrupted by black holes with low to no spin, we find that events like GW190814 with objects in the mass gap will remain a mystery until we have better detectors.

Neutron Star Black Hole systems

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- GW confirmation of the existence of neutron matter may especially important for neutron star black hole binaries
- Results GW170817 suggest that average mass neutron stars are unlikely be disrupted
- For mass gap objects (such as GW190814), we would have to rely on the GW signal to tell what sort of object it is



Published as

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- Brown, S.M., Capano, C.D., Krishnan, B. Using Gravitational Waves to Distinguish Between Neutron Stars and Black Holes in Compact Binary Mergers. *Astrophys J* 2022.

Thank you

Questions?

Additional Slides

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Injectons

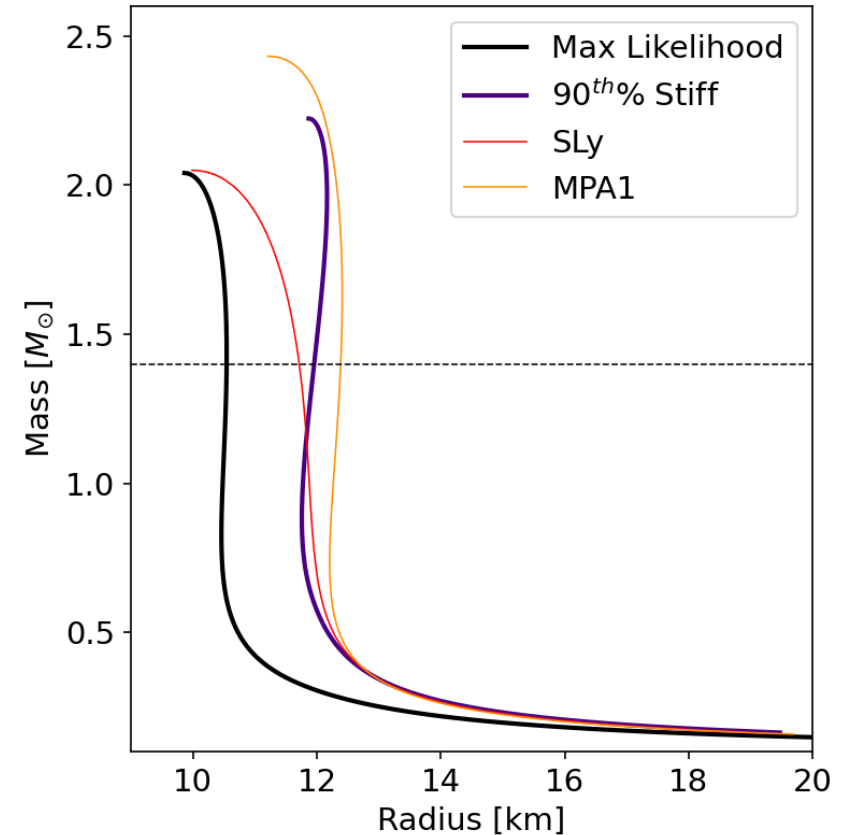
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- The parameters explored are mass, distance, and equation of state (as a proxy for tidal deformability)
 - All other parameters (such as skyloc) are the same as those for GW170817
- Distance: 40 and 80 Mpc
- Mass
 - Neutron star mass: $1.4 M_{\odot}$
 - Blackhole mass: 5, 10, 15, and $20 M_{\odot}$

Injections continued

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- Two equations of state are explored. Both are from an analysis of GW170817 in Capano et al.
 - One is the maximum likelihood EOS
 - One is the stiffest equation of state in the 90th percentile credible region.



Chiral EFT

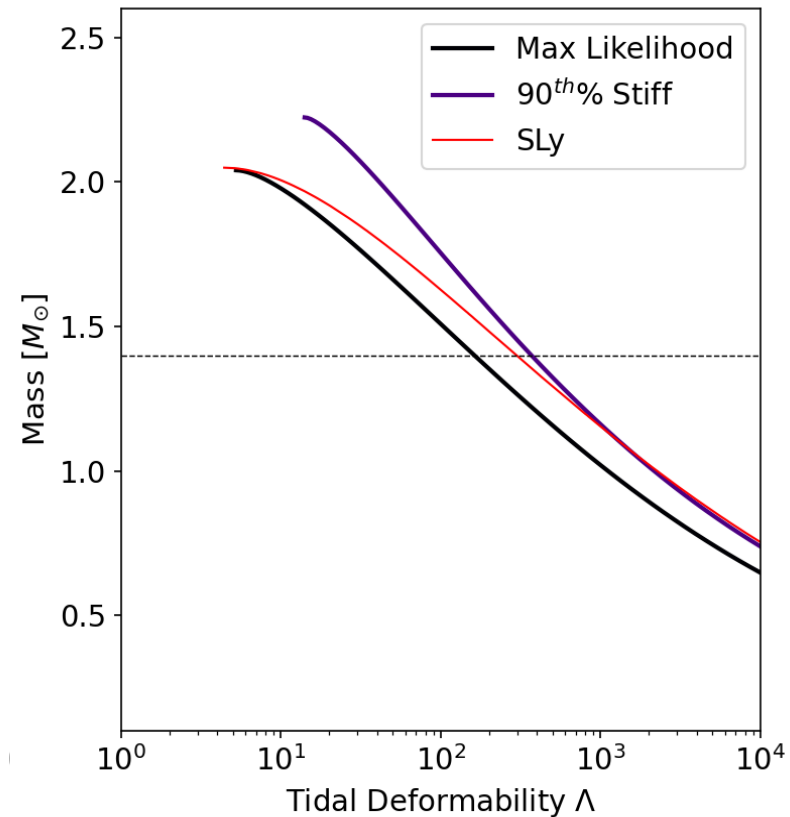
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- State-of-the-art nuclear physics model
 - uses the most general Lagrangian possible
 - consistent with fundamental theories of nuclear interactions
 - includes pions and nucleons
 - allows for a reliable estimation of theoretical uncertainties

EOS Continued

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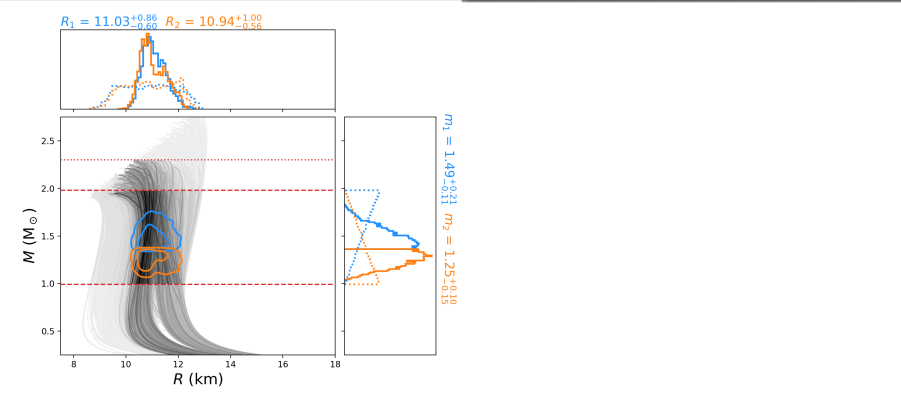
- For a 1.4 M Neutron star
 - $\Lambda = 162$
 - $\Lambda = 369$



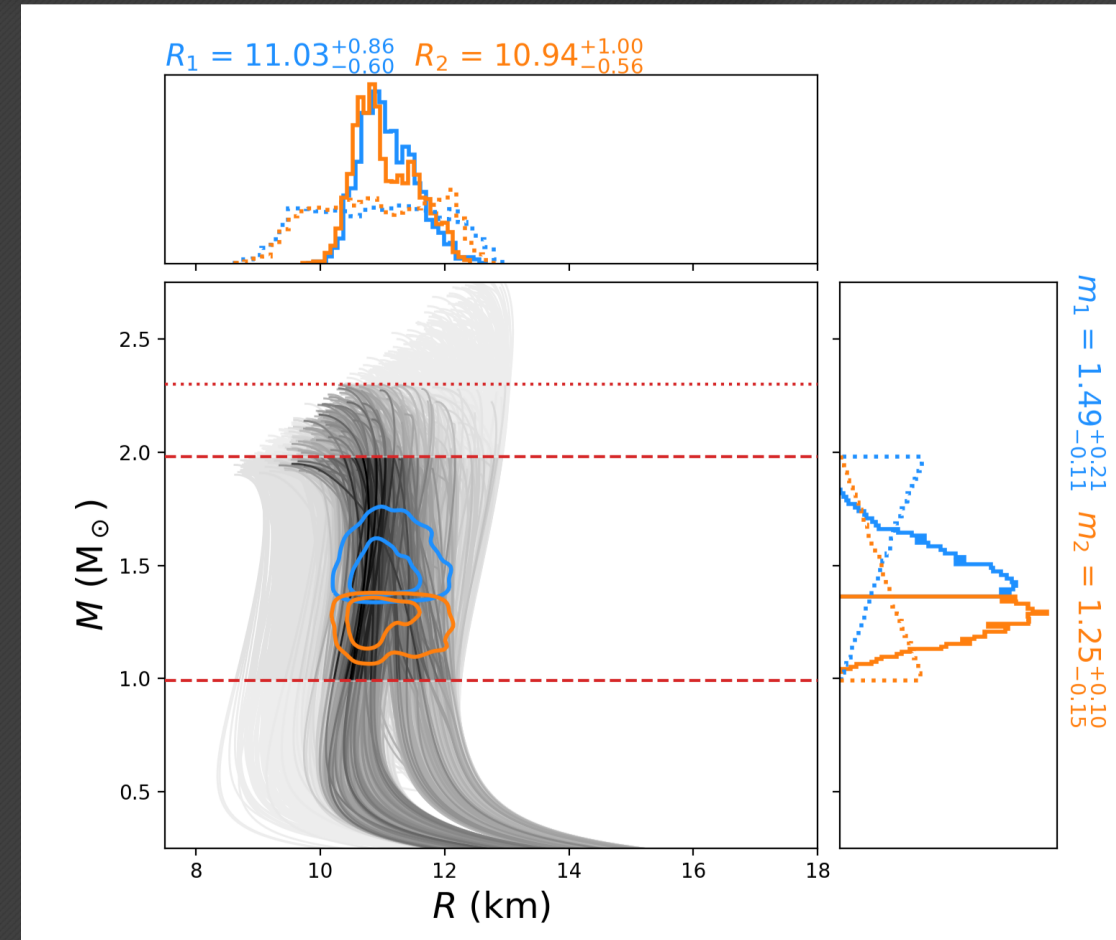
Model 1: Neutron Star Black Hole

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- Neutron Star parameter estimation method is the same as Capano et al 2020 (presented here before)
- Available on arxiv: 1908.10352
- I use the same method, so I will review quickly



- Sampled EOS space directly in our parameter analysis
- EOS are defined by Chiral EFT up to a transition density. Above that density the EOS are constrained only by the requirement that they are causal, stable, and able to support a neutron star of mass $1.9M_{\odot}$.
- These equations are designed to be as general as possible and include phase transitions



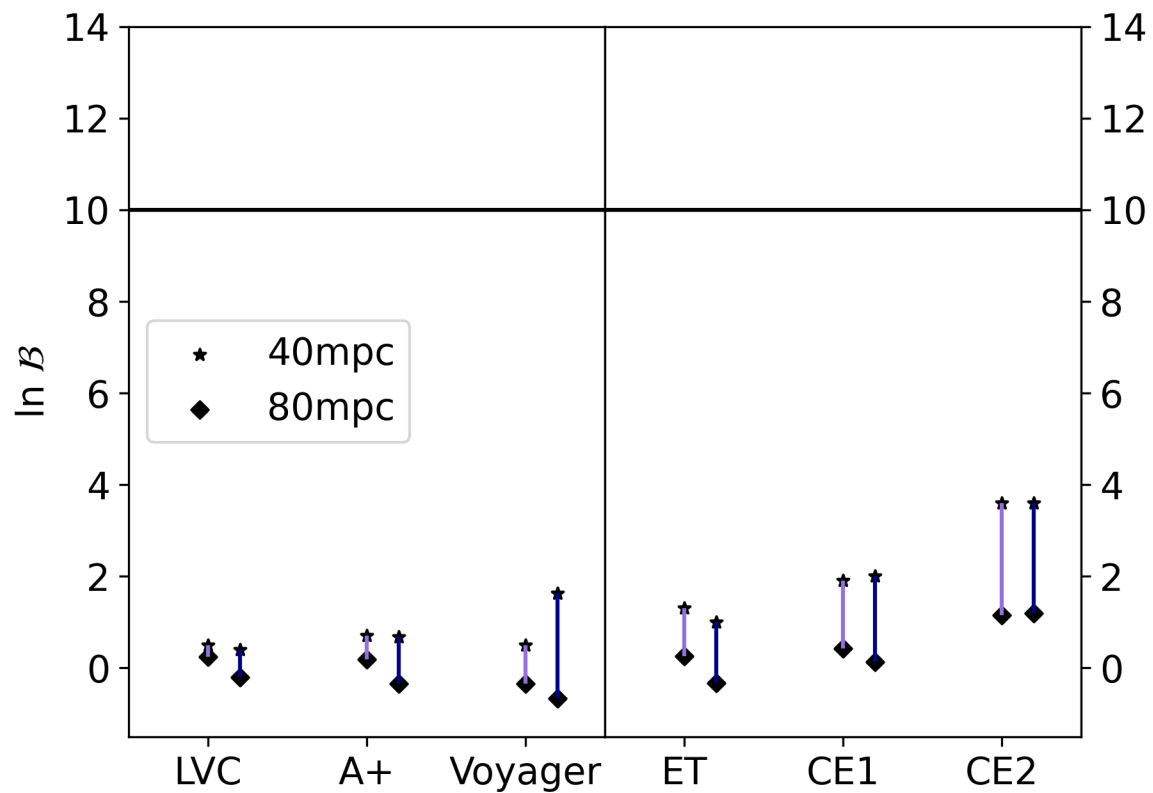
Parameter Estimation: Priors

- Uniform prior
 - Neutron star: uniform (1,2)
 - Black Hole: uniform ($m_{bh}-2, m_{bh}+2$)
- Low Spin prior is $\chi_{1,2} \sim U(-0.05, 0.05)$
- Polarization: $\psi \in [0, 2\pi)$
- Inclination: $\cos \iota \in [0, 1)$
- Coalescence time: $t_c \in t_0 \pm 0.1 \text{ s}$

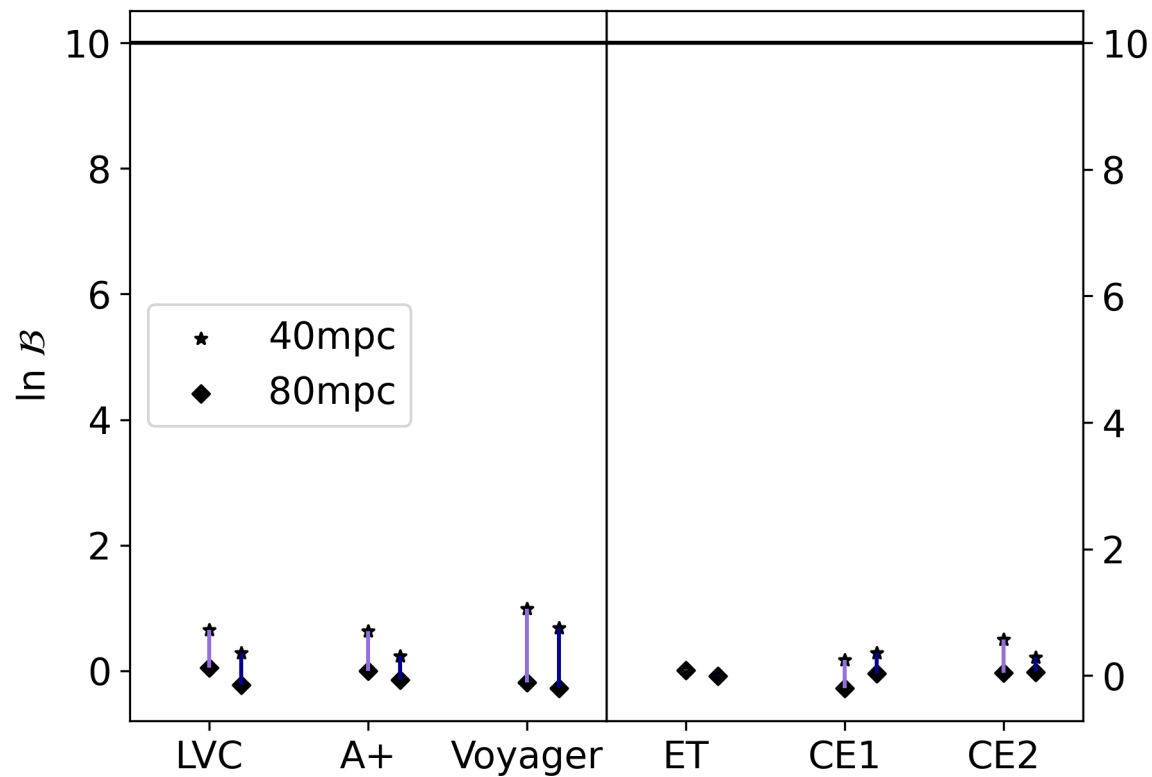
10M Black Hole

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90th Percentile Stiff



Maximum Likelihood Equation of State

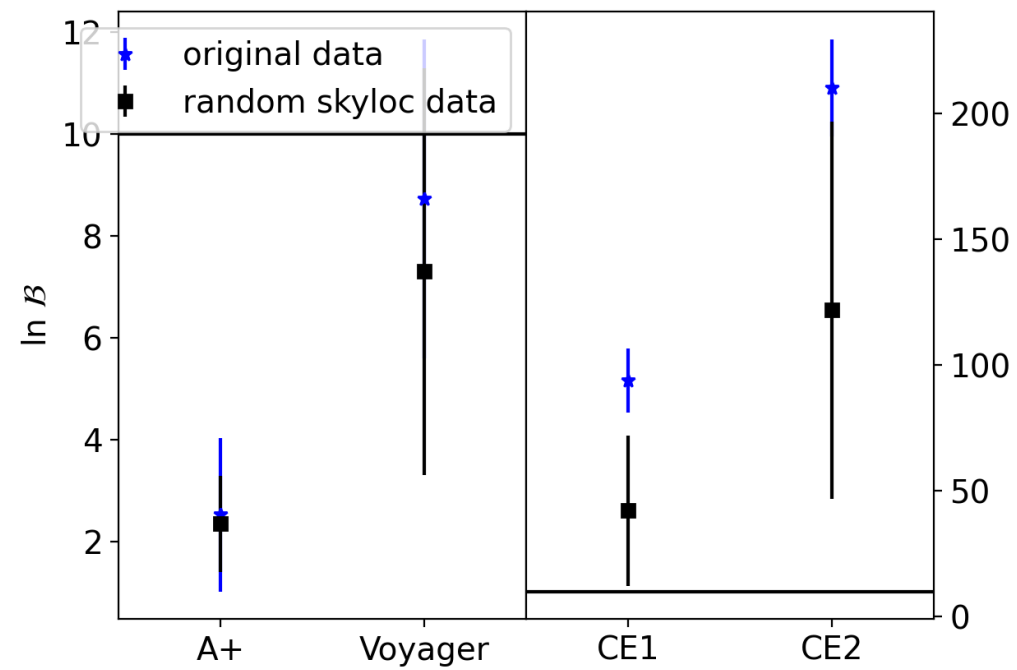


Sky Location

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- The sky location was chosen to be the same as GW170817
- Of course, an event could take place anywhere in the sky
- To take this into account we selected a few points and did runs at randomly chosen sky locations.
- As GW170817 was in a very advantageous sky location, the Bayes factor for a randomly selected sky location is on average lower, even up to half.

Sky Loc



Sky Loc

