

ILP9 - Single Photon Sources

An Introduction to Quantum Optics

F-Praktikum Review Day
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Overview

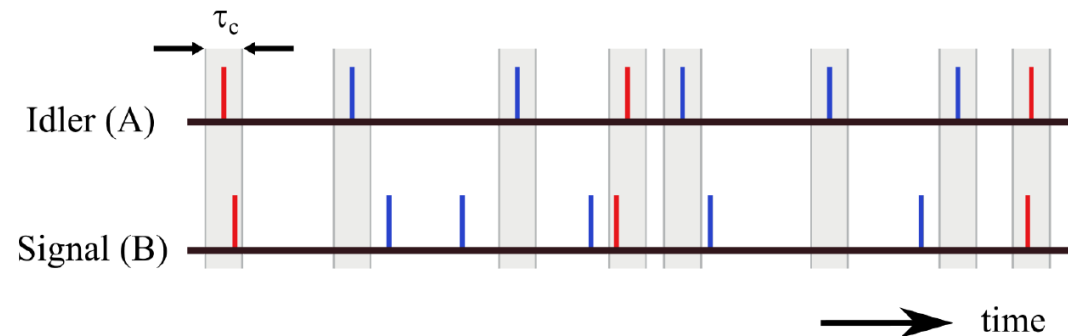
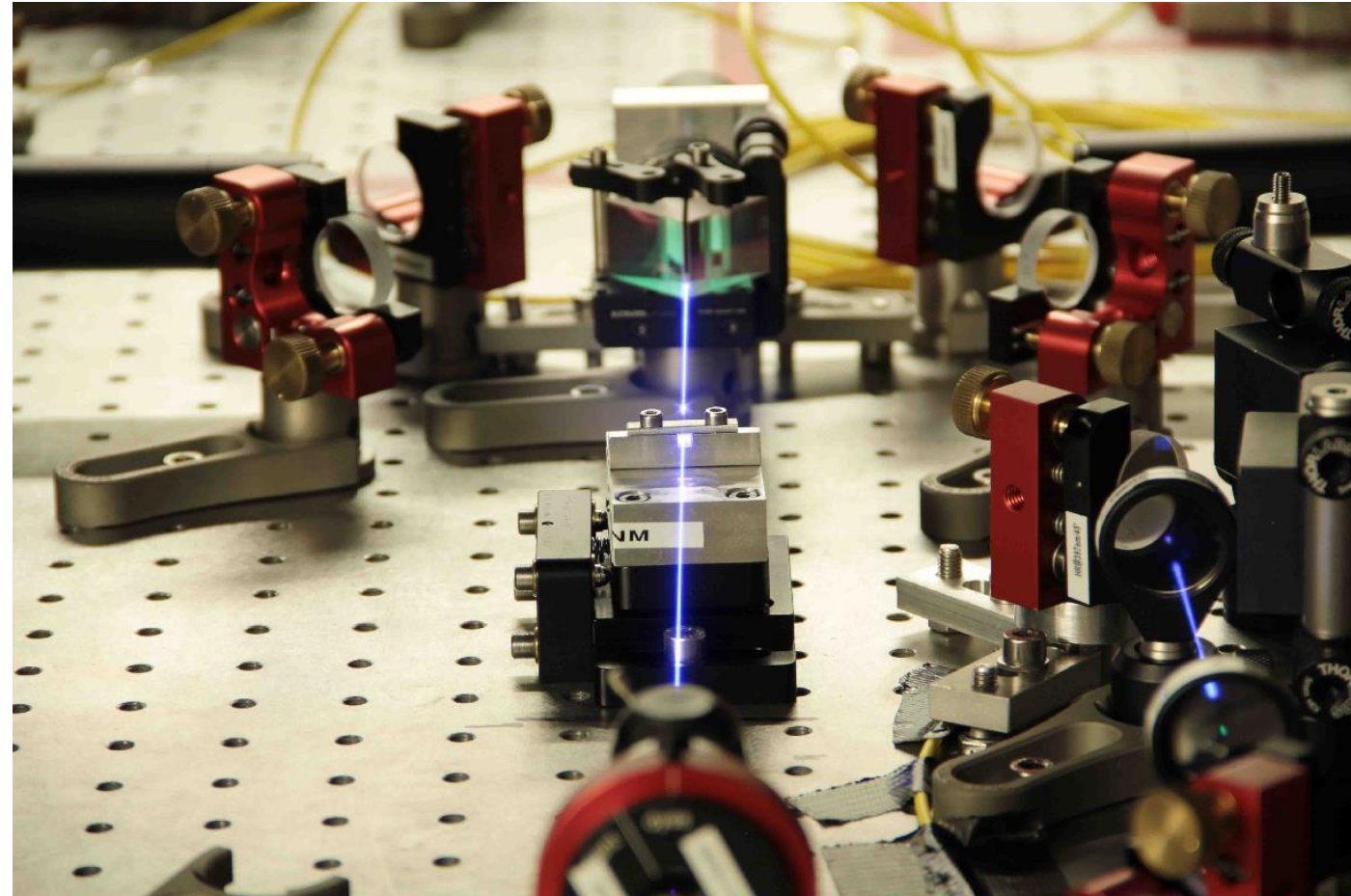
Laser pumps non-linear crystal, creating entangled single photon pairs. Characterise setup, first and second-order correlations

Scientific Context

Quantum optics & technologies

Goals

1. Quantum character of light
2. Work in a laser lab (fundamental optics measurements, align interferometer, fibre coupling, polarisation control)
3. Correlation functions
4. Coincidence measurements
5. Minor: non-linear optics



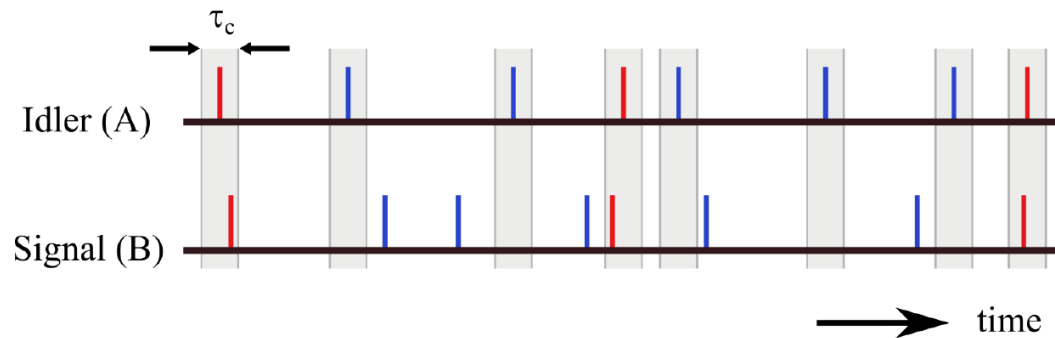
Experimental Setup

Day 1: Characterise the single-photon source

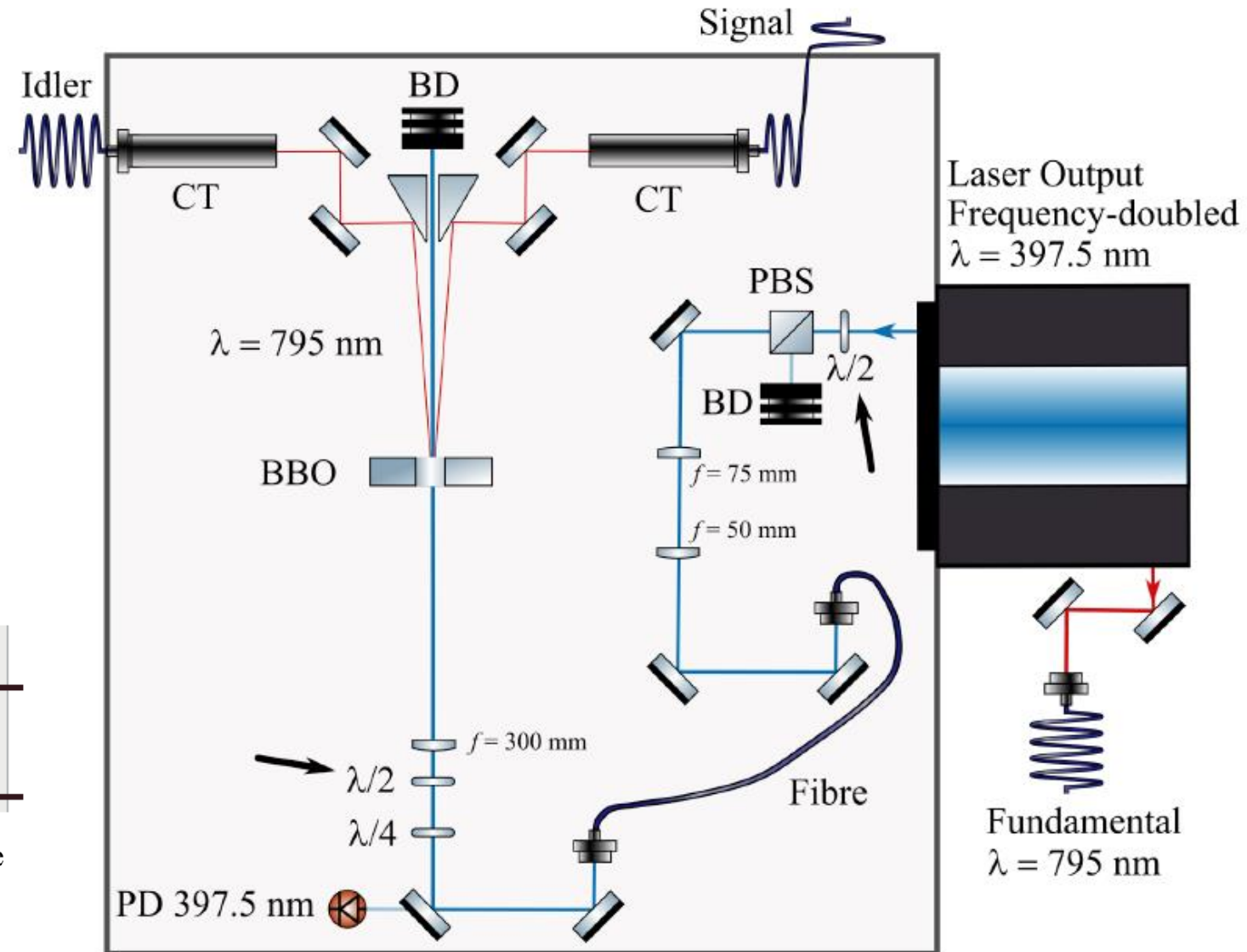
Laser at 397.5 nm pumps a non-linear crystal (BBO), type 1 phase-matching

Exercises:

1. Coincidence window
2. Coincidences as a function of pump power
3. Coincidences as a function of polarisation



1.5 hours: colloquium
0.5 hour: showing the lab
1-2 hours: measurements
Rest: time for analysis



Experimental Setup

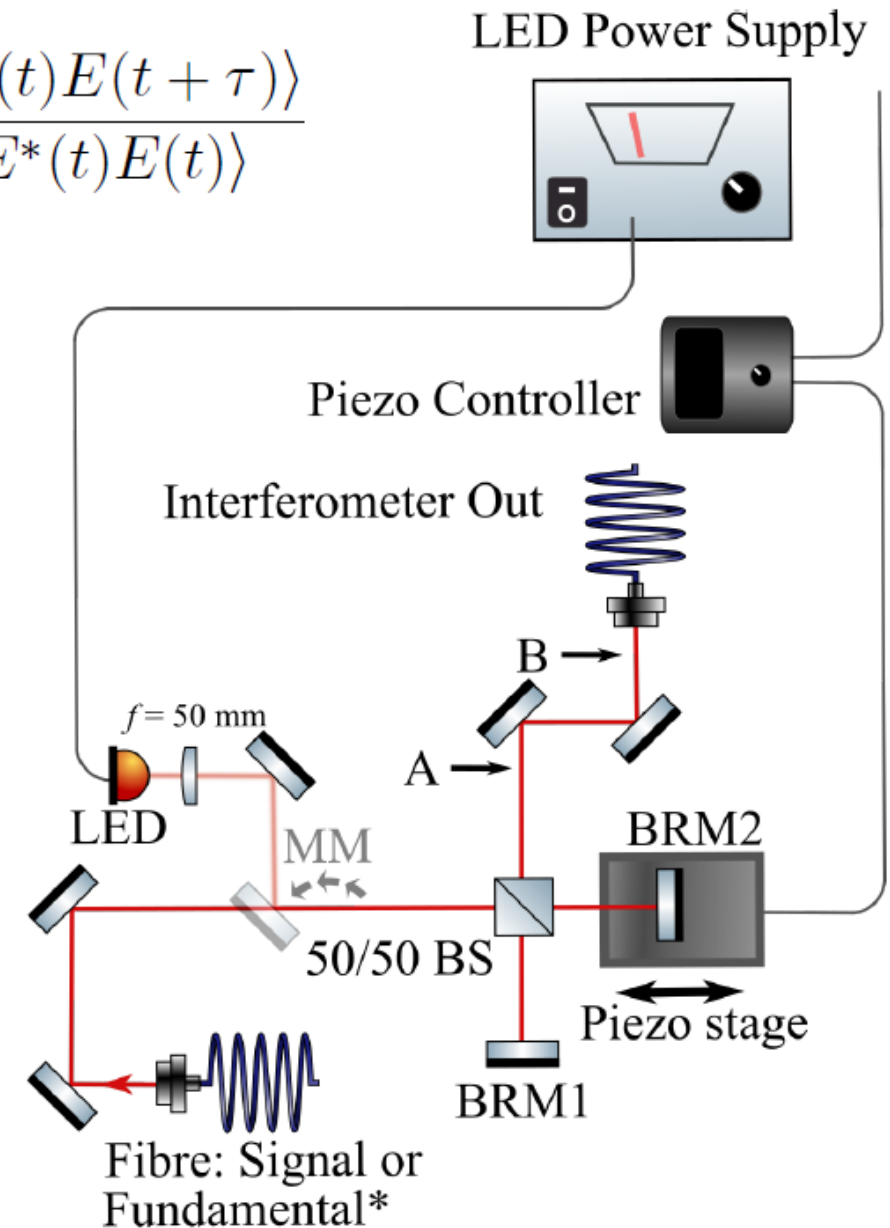
Day 2: first-order correlations

- Twyman-Green interferometer
- Measure g_1 of coherent light and single photons
- For single photons: determine l_c
- Challenges:
 - Align interferometer (sensitive!)
 - Fibre coupling
 - Make a small measurement plan
- Conclusion: single photons also show interference effects

2-3 hours: alignment

3-4 hours: measurement

$$g_1(\tau) \equiv \frac{\langle E^*(t)E(t+\tau) \rangle}{\langle E^*(t)E(t) \rangle}$$

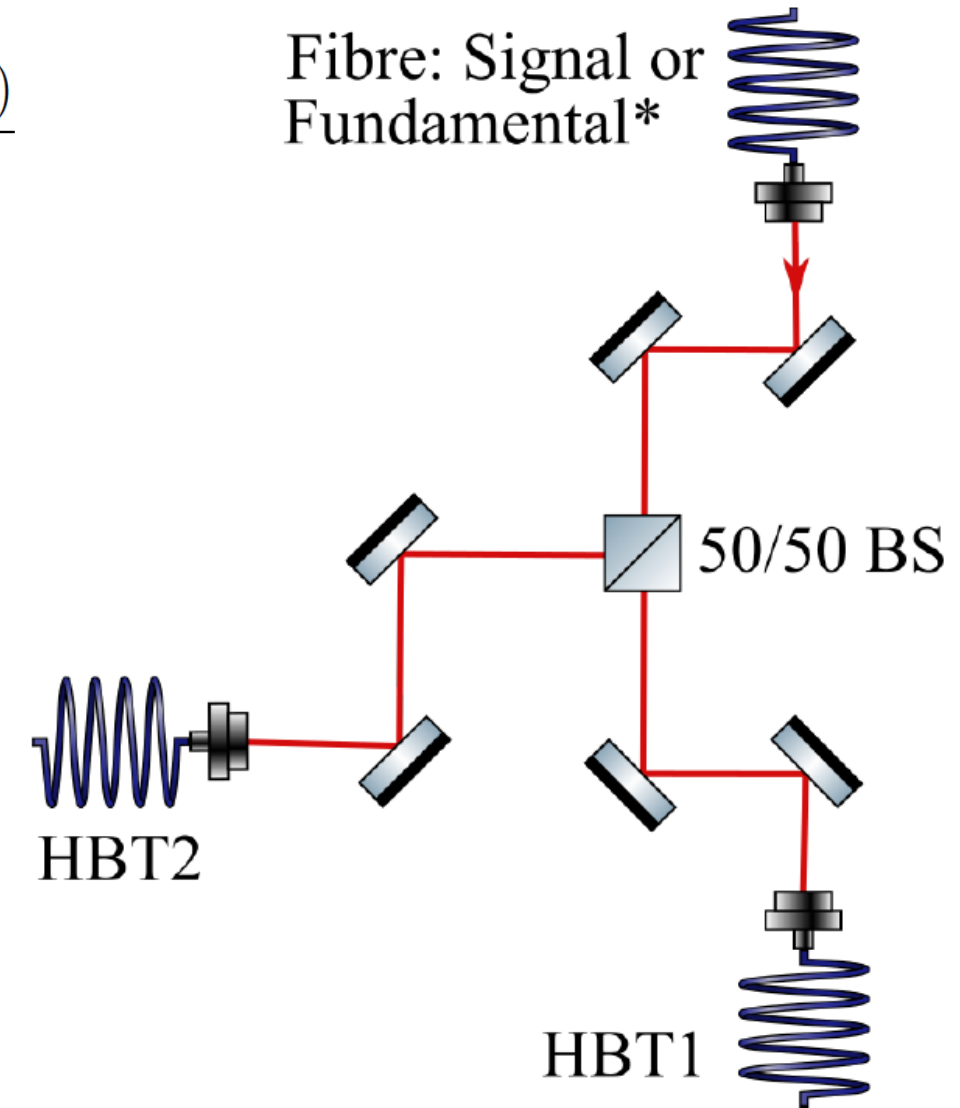


Experimental Setup

Day 3: second-order correlations

- Hanbury Brown Twiss setup
- Measure g_2 of coherent light and single photons
- $0 < g_2 < 1$ is non-classical, quantum description needed
- Conclusion: Single photons need a quantum description of light

$$g_2(\tau) = \frac{\bar{I}(t)\bar{I}(t + \tau)}{\bar{I}^2}$$



0.5 hour: discussion
0.5-1 hour: alignment
0.5 hour: measurement
Rest: time for analysis

Day 4-5

- PC in lab can be used for analysis
- Python code provided up to and including plotting
- Students have to do fitting and error propagation themselves
 - Day 2: correlated error propagation is needed
- Analysis tips document provided (shortens main manual)

1 Analysis

In the following, we describe how to analyse the data taken on the first three days of the lab course. For this, your supervisor will have given you several Matlab and Python files. This will enable you to calculate important values and to graphically show your measurements, all of which will be used in your report. Once the analysis is done, you can interpret your data, compare to your expectations, and draw conclusions.

Notes when handing in your report, include the files you used for your analysis. To know what plots we want to see in the report, also check `report_tips.pdf`.

1.1 Characterization of the Single-Photon Source

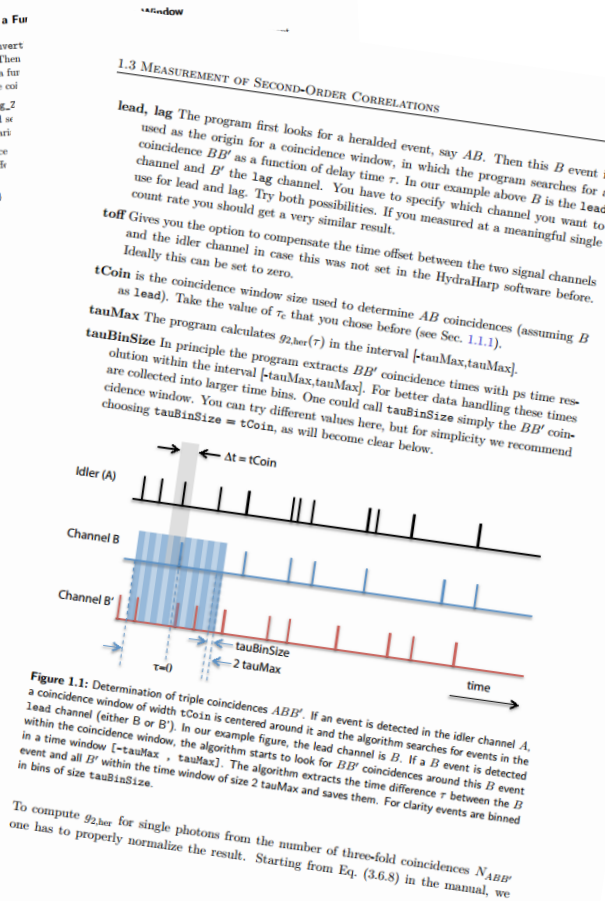
1.1.1 Coincidences as a Function of Delay Time

Using the matlab file `Convert` to the `.mat` file format. Then and idler detector N_i as a function of delay time τ . The program `Assembling_2` counts for a user defined τ can be changed in the variable `tauCoin`. Calculate the coincidence N_c . To do so, look at the diff script.

Now calculate the acid single detector count n the number of coincide both detectors would!

Plot these two rates coincidence window τ choose this coincider For the chosen coin

¹ For a good signal coincidences should go power squared (see a coincidence scale or window τ_c too large are not altered (see then diminishes the



```
[1]: import numpy as np
import numba
from numba import jit

[15]: # Read in the data
time = np.loadtxt('times_th_10min.txt', unpack=True, delimiter=',')
sync = np.loadtxt('sync_th_10min.txt', unpack=True, delimiter=',')

[16]: # Find the total time
total_time = time[time > 0][1]

# Define which channel is the Lead (B) or Lag (B') channel. These must be 2 or 3
lead_id = 2
lag_id = 3

# Make boolean Lists of the
lead_events = np.where(sync == lead_id, 1, 0)
lag_events = np.where(sync == lag_id, 1, 0)

# At the end of the Lists, there are many zeroes. Remove these.
lead_events = lead_events[time>0]
lag_events = lag_events[time>0]
time = time[time>0]

# Find the total number of Lead and Lag counts
N_lead = float(sum(lead_events==1))
N_lag = float(sum(lag_events==1))

# Choose the bin size of tau. Recommended tau_Bin_Size = tau_coincidence
tau_Bin_Size = 10000.0 # in ps

[17]: # Initialize g2
g2_unh = []

# Copy the (Lead) times in a separate array such that one does not overwrite them later
all_times = time
lead_times = all_times[lead_events==1]

# Loop over all taus
for i_tau in range(-15,15):

    tau = i_tau*tau_Bin_Size # i_tau is an integer, tau_Bin_Size is in ps

    # Initialize coincidence counts Nc (as per Sec. 3.6.2.2. of the manual)
    Nc = 0

    # Shift the Lead times with tau, put back into all times
    all_times[lead_events==1] = all_times[lead_events==1] + tau

    # Make a List with all times where either the Lead (B) or Lag (B') channel has a count
    all_times_with_events = all_times[np.logical_or(lead_events==1, lag_events==1)]

    for ind in range(len(all_times_with_events)-1):
        # Check if two consecutive events are within one bin time/2 with each other. If so, there
        # is a coincidence
        if all_times_with_events[ind+1]-all_times_with_events[ind] < tau_Bin_Size/2. and all_times_
            Nc += 1

    # Calculate the unheralded g2 according to Eq. (3.6.10) of the manual
    g2_unh_i = Nc*total_time/(N_lead*N_lag*tau_Bin_Size)

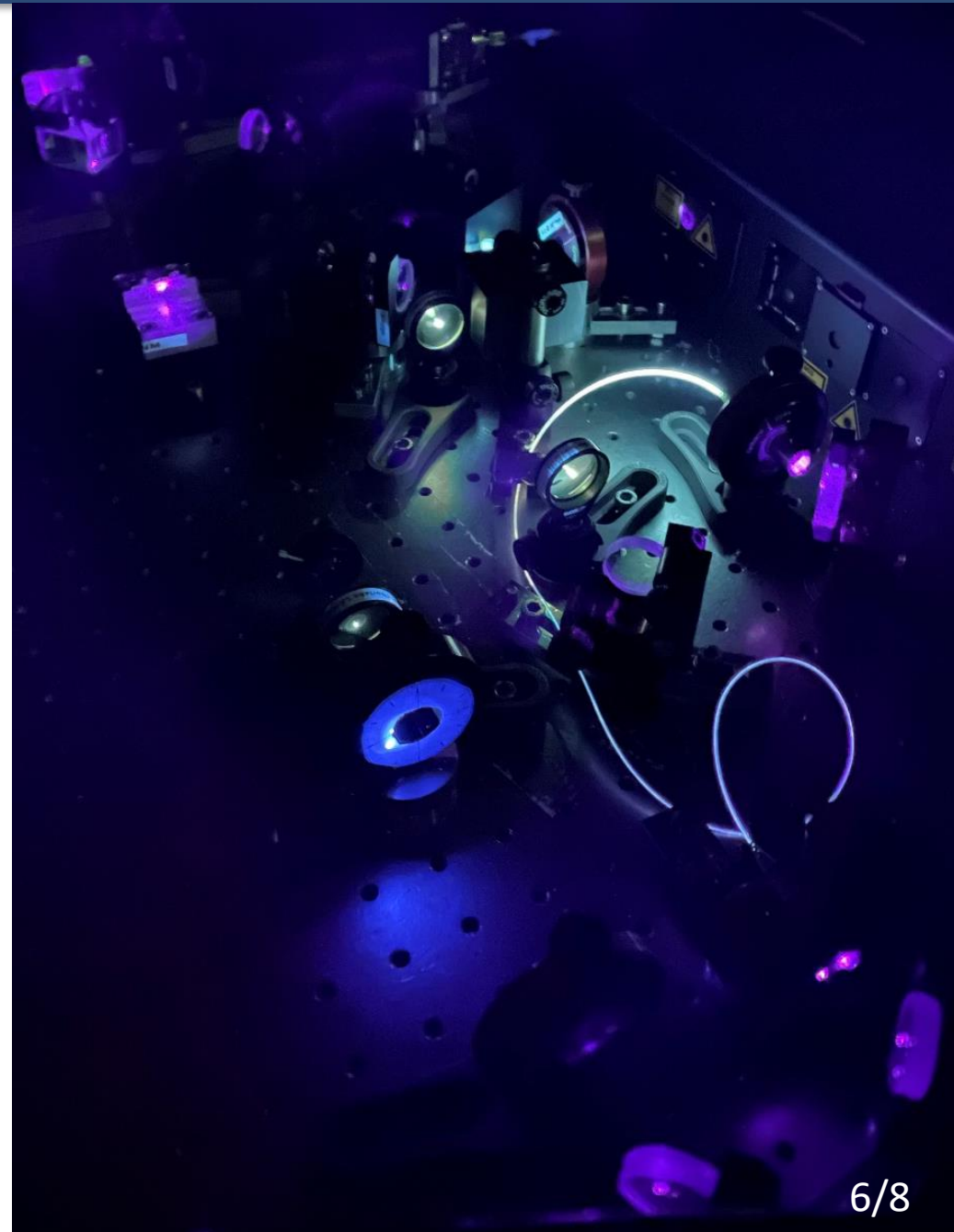
    g2_unh.append(g2_unh_i)

# Shift the Lead times back with tau, for the next run
all_times[lead_events==1] = all_times[lead_events==1] - tau
```

Improvements

Changes made over last few years:

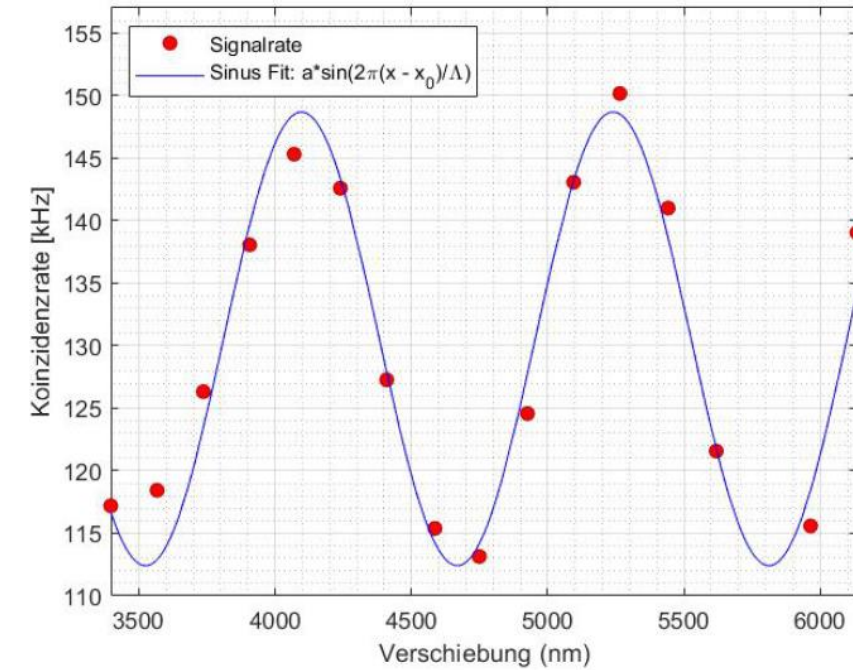
- Switched Matlab → Python
- Less recipe-like, more self-critical thinking
 - 1) Answer questions
 - 2) Discuss with supervisor
 - 3) Measure
- Separate documents with analysis and protocol tips (shortens manual)
- Students have to hand in their scripts (easier to see if analysis is correct)
- In progress:
 - Supervisor document with answers on questions
 - Supervisor analysis with correct statistics



Results & Relevance

Results

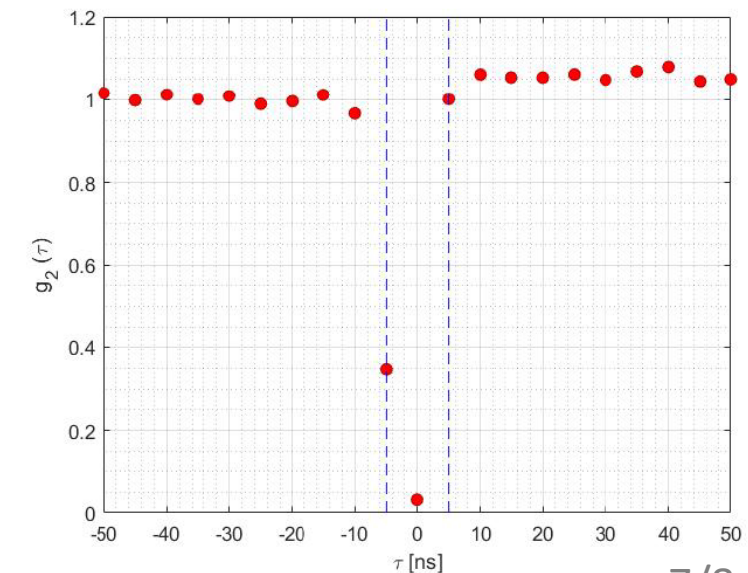
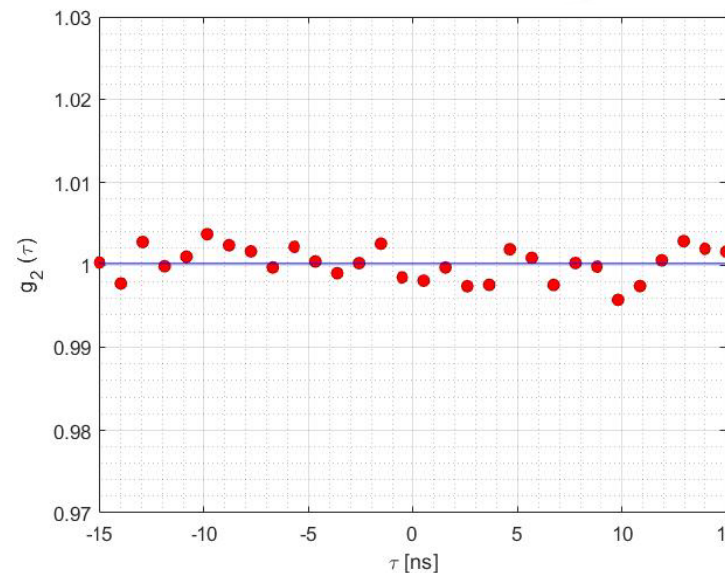
- Characterisation: optimal settings found
- g_1 : single photons interference, coherence length $l_c = 20 \mu\text{m}$
- g_2 : coherent light has $g_2 = 1$, single photons $g_2(\tau = 0) = 0 \rightarrow$ non-classical!



- Equipment state-of-the-art

Relevance

Essential building block for photon-based quantum technologies, quantum computing & communications



Our Observations

General

No one...

- ... cites correctly
- ... knows writing conventions (units, equations in sentences, etc)
- ... makes good plots
- ... makes a paper-like outline (order: all theory, then all experiments, then all results, then all discussions)

Statistics

No one...

- ... can round correctly
- ... can quantitatively check if two values are significantly different
- ... can do error propagation with correlations (without correlations 50/50)

Example

$$l_c = 14160,09 \pm 10653,36nm = 14,16 \pm 10,65\mu m$$

$$\tau_c = 4,72 * 10^{-14} \pm 3,55 * 10^{-14}s$$

$$\Delta\lambda_c = 44,63 \pm 33,58nm$$

$$g_1(\tau = 0) = 0,0964(-0.02463, 0.2175)$$

Physik6 Requirement & F-Praktikum

- P6 is required for ILP9
- Many people sign up for P6, but do not come to P6 at all
- Makes planning very hard