

Heterodyne detection of weak fields in ALPS II

FH Particle Physics Discussion: Axions at LHC and ALPS II

5th June 2023

Isabella Oceano on behalf of ALPS II collaboration

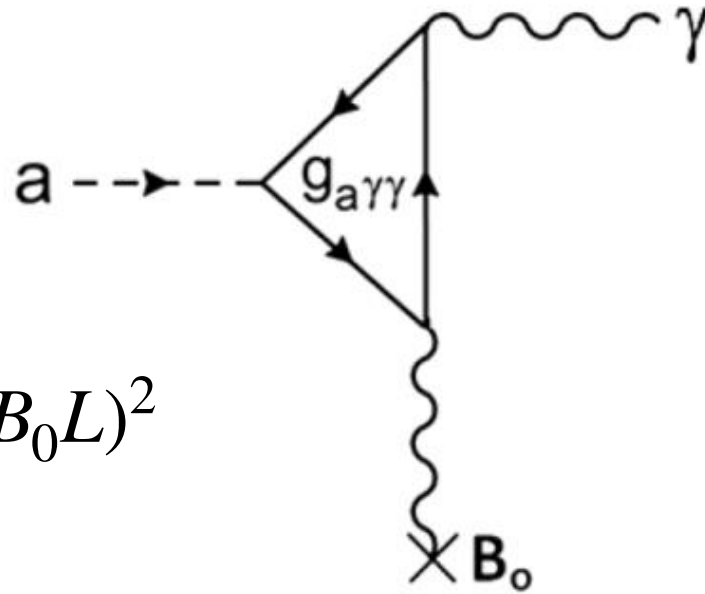
Axion and Axion-Like particles

Motivation

- Solution for SM unsolved questions:
 - What is the nature of dark matter (DM)?
 - Why is the electric dipole moment of the neutron so tiny?
 - Axions are a consequence of the Peccei-Quinn symmetry to explain $\theta=0$.

Sikivie effect

$$P(\alpha \rightarrow \gamma) \propto (g_{\alpha\gamma\gamma} B_0 L)^2$$



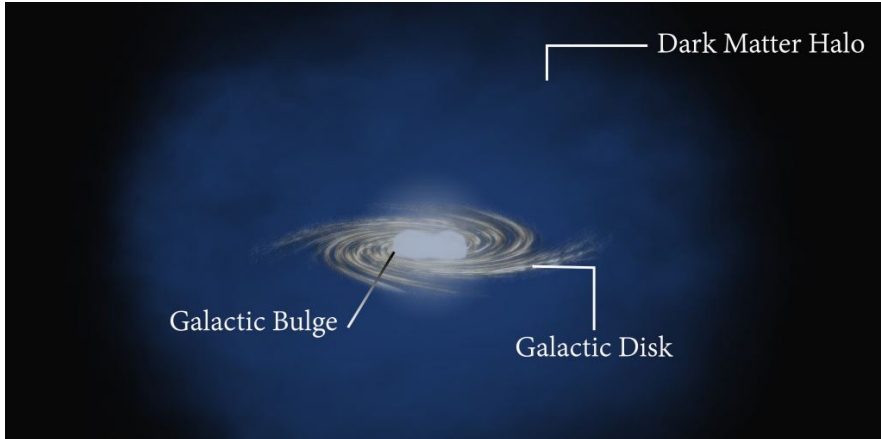
$$L_{\alpha\gamma} = g_{\alpha\gamma\gamma} \phi_{\alpha} \vec{E} \cdot \vec{B}_0$$

couplings to Standard
Model constituents

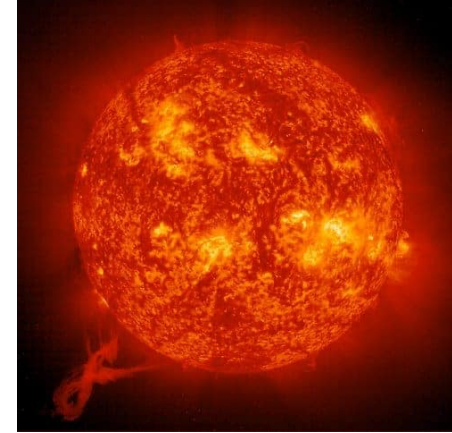
Axion and Axion-Like particles

Searches strategy

- Haloscopes

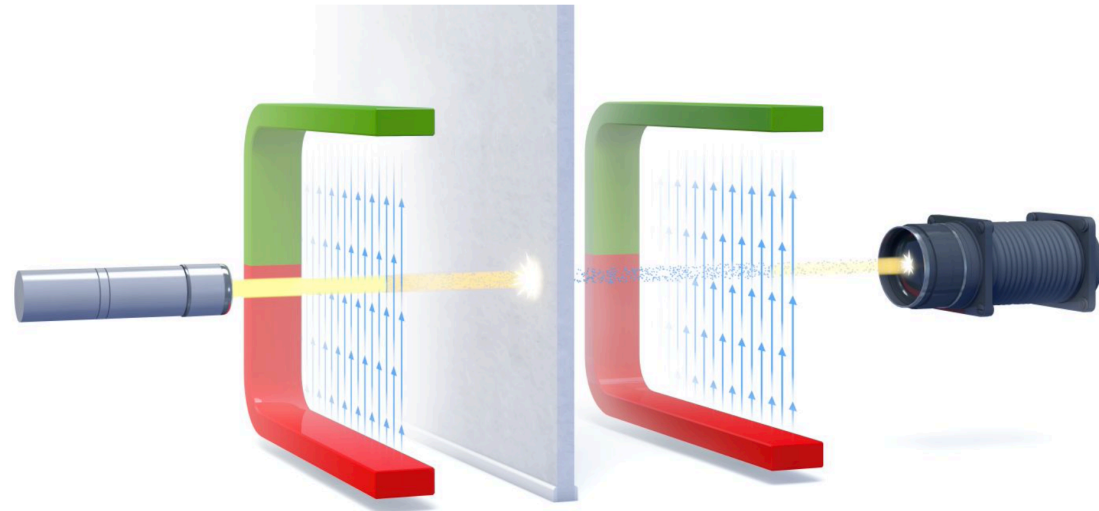


- Helioscopes



- **Light-shining-through-walls**

Not requiring cosmological or astrophysical assumption



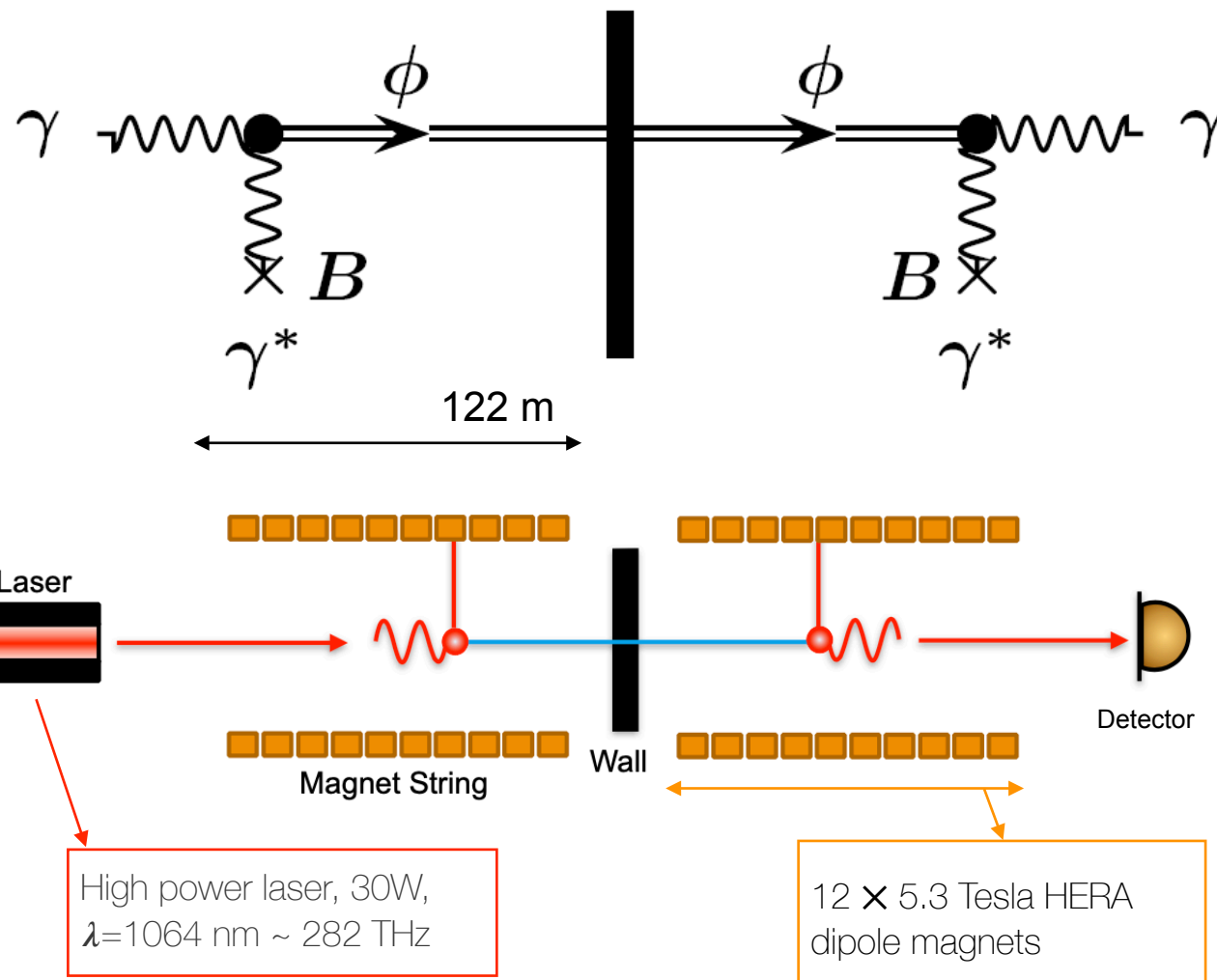
Any Light Particle Search II

The axion factory



Two detection systems will be used

- **HETerodyne interferometer**
- Transition Edge Sensor



$$N_\gamma = \frac{1}{16} (g_{\alpha\gamma\gamma} BL)^4 P_i \tau \sim \frac{1\gamma}{150,000 \text{ yrs}}$$

$g_{\alpha\gamma\gamma} = 2 \times 10^{-11} \text{ GeV}^{-1}$

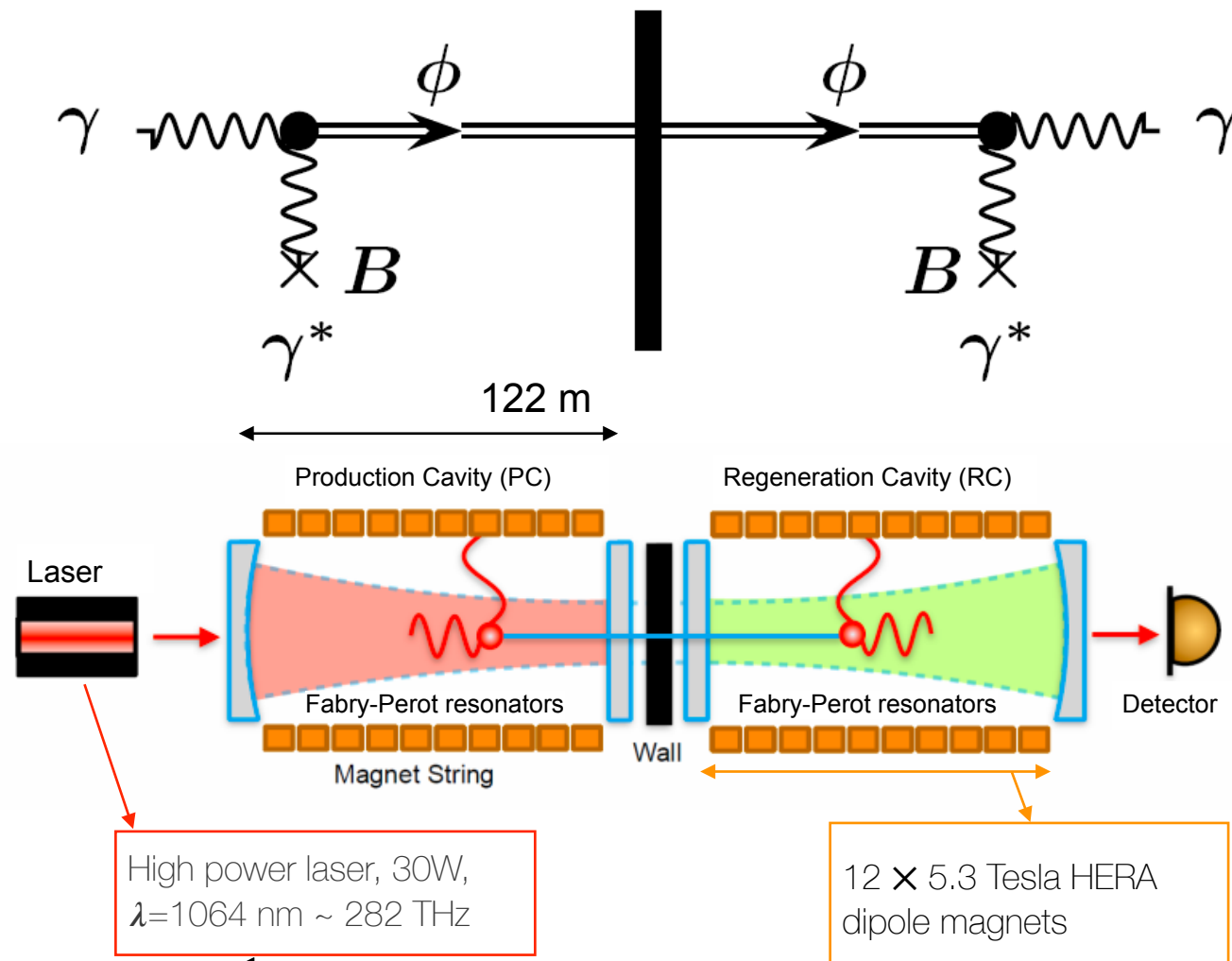
Any Light Particle Search II

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Two detection systems will be used

- **HETerodyne interferometer**
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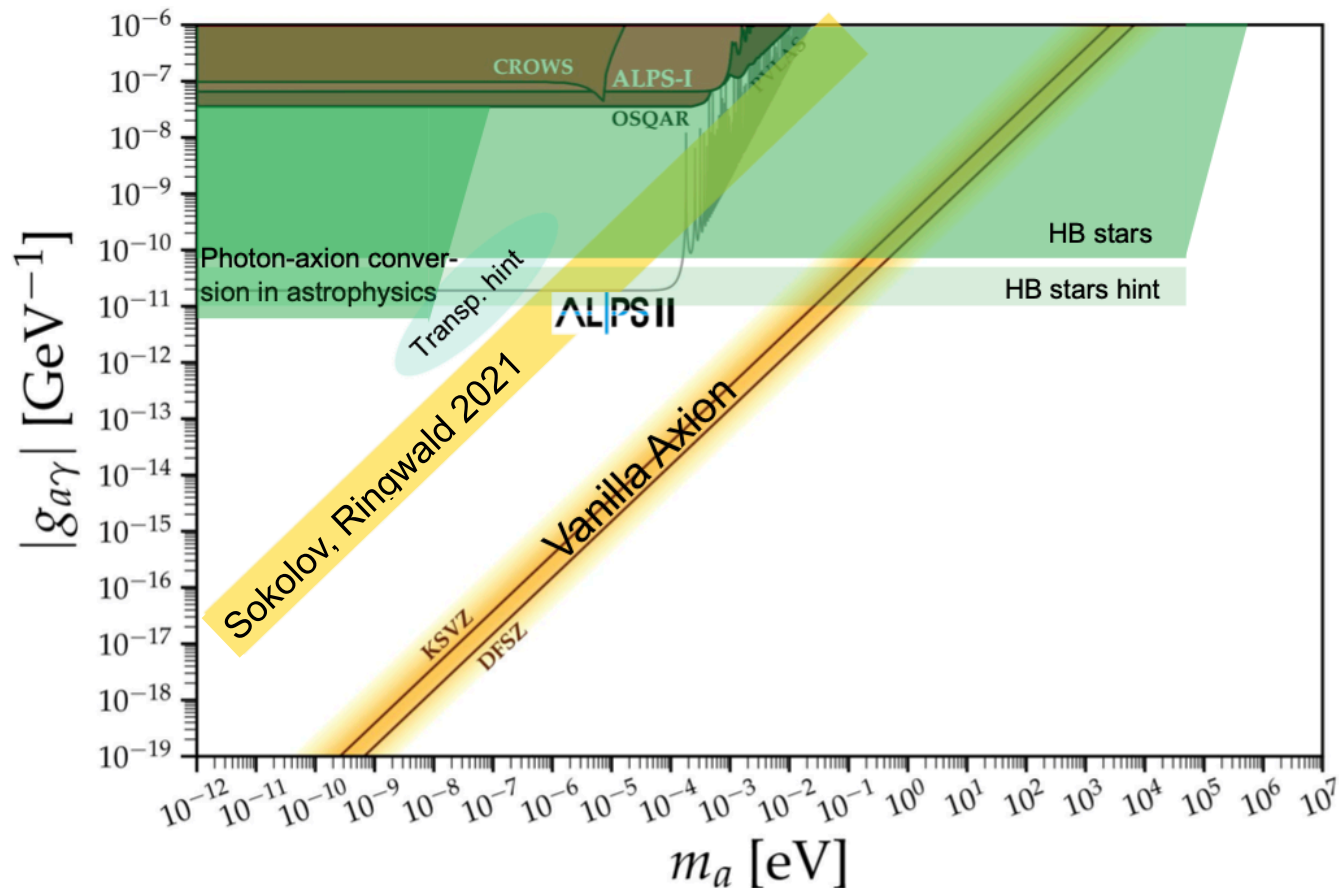
$$N_{\gamma} = \frac{1}{16} (g_{\alpha\gamma\gamma} BL)^4 \eta \beta_{PC} \beta_{RC} P_{RC} \tau \sim 1\gamma / \text{day}$$

$g_{\alpha\gamma\gamma} = 2 \times 10^{-11} \text{ GeV}^{-1}$

ALPS II

Strengths

- **ALPS II** designed to improve sensitivity compared to ALPS I by a factor of ~ 3000
 - Exploring uncharted territory in parameter space, beyond astrophysical constraints
 - Checking axion explanation of astrophysical anomalies



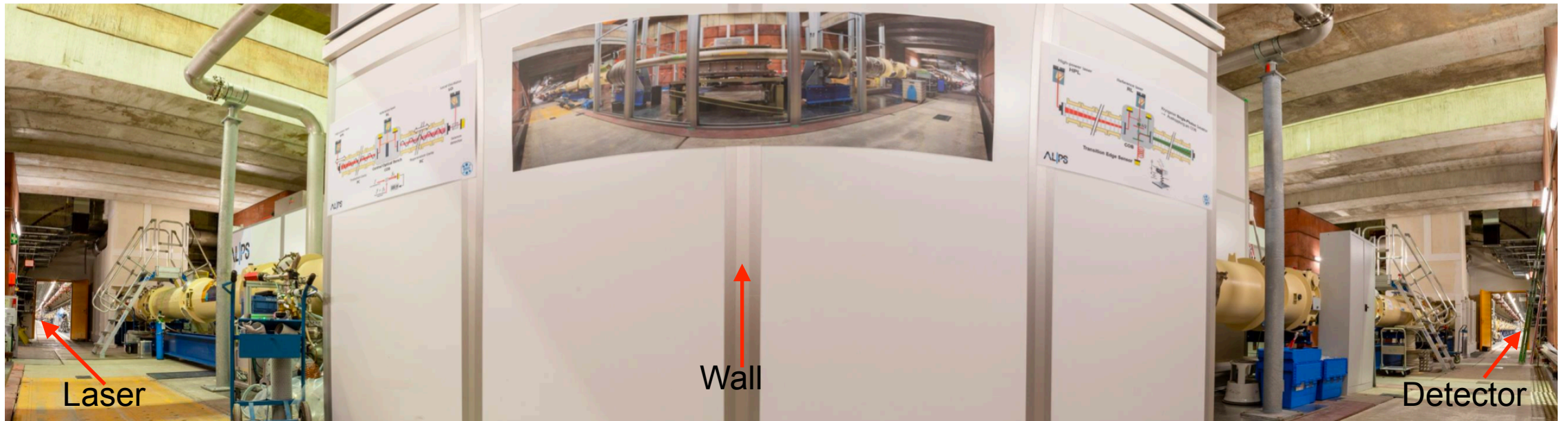
- Astrophysical constraints
 - Non-observation of BSM energy loss of Horizontal Branch (HB) stars in globular clusters
 - Non-observation of conversion photons into axions in astrophysical environments
- Astrophysical anomalies
 - Best fit of energy loss of (HB) stars hints at BSM contribution
 - Observed spectra of blazars hint at anomalous transparency of Universe from TeV photons

ALPS II achievement

- Optic R&D from 2012
- Installation of ALPS II began in 2019



- In March 2022 the magnet string was successfully tested
- Completion of the whole installation in September 2022



ALPS II achievement

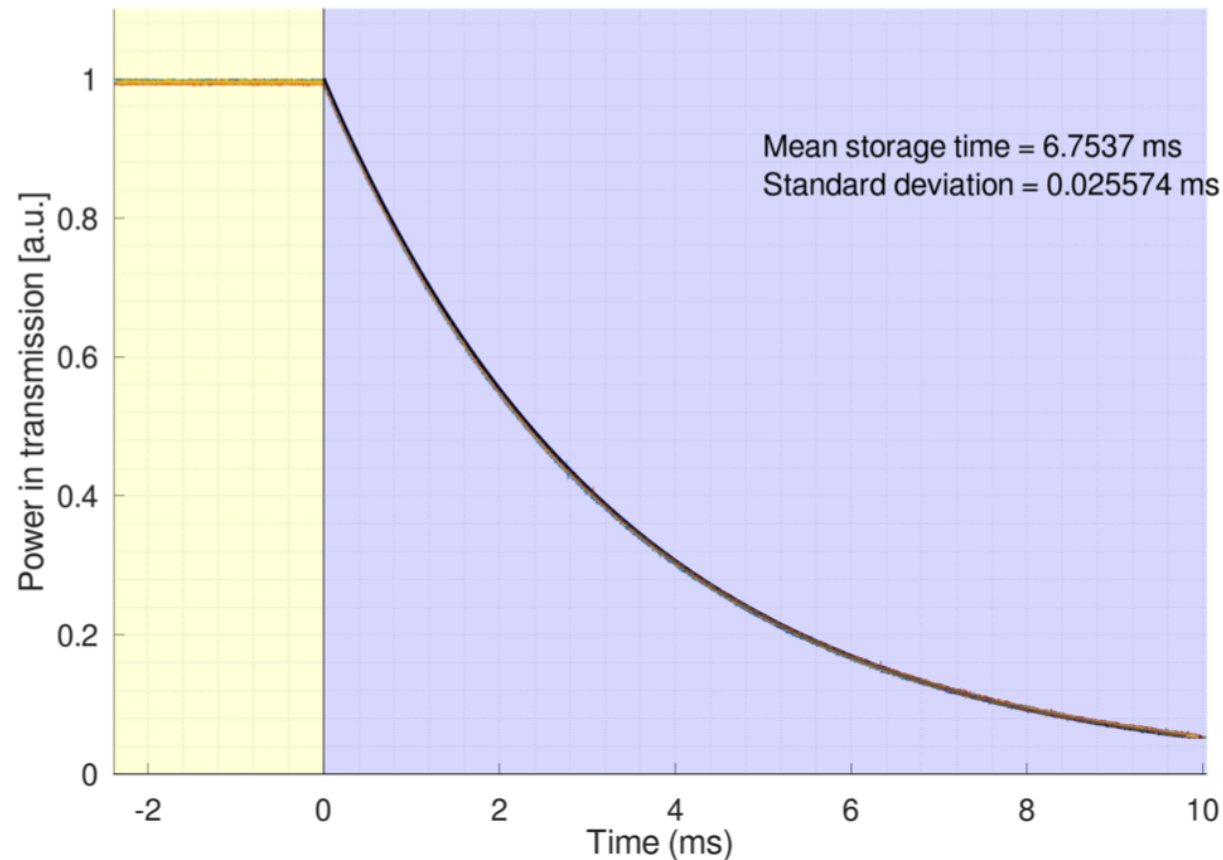
World-record

- Longest storage time Fabry Perot cavity ever!
- Length: 124.6m, FSR: 1.22 MHz
- Storage time: **6.75 ms**



Leading precision
interferometry!

ALPS II RC Cavity Storage Time



Laser On

Laser Off

ALPS II achievement

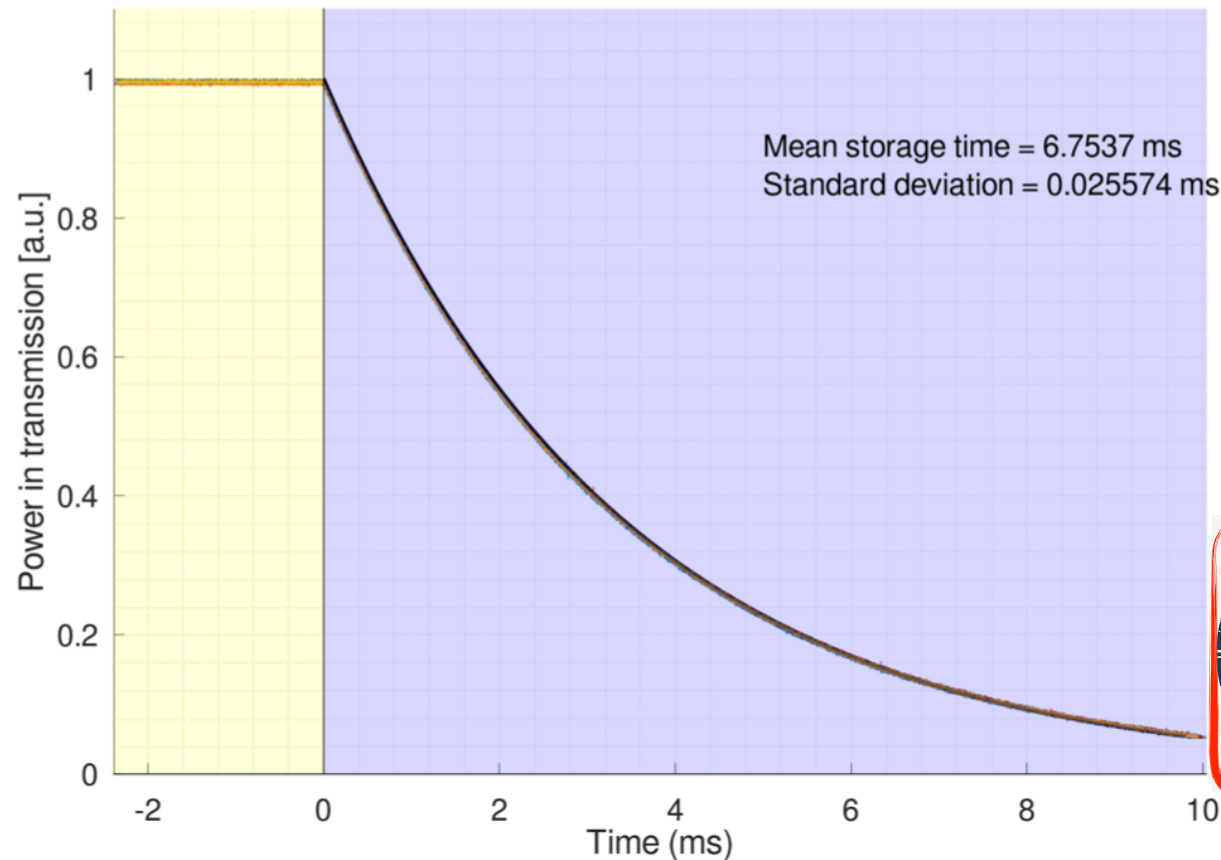
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Leading precision
interferometry!

ALPS II RC Cavity Storage Time



Laser On

Laser Off



New world
record!!
Storage time:
6.82 ms

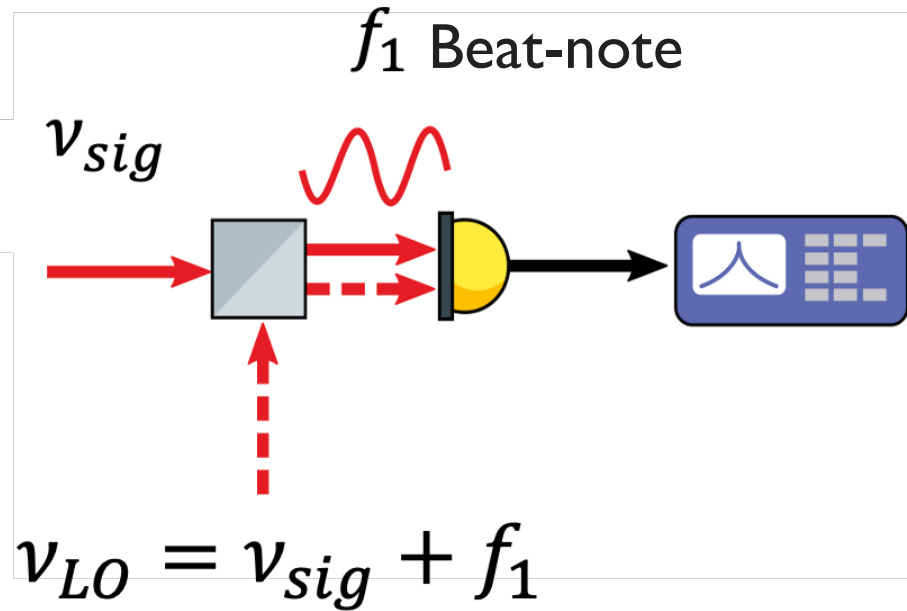
HETerodyne: Coherent detection

A very sensitive technique

- The term has its root in the greek words 'heteros' (other) 'dynamis' (force)



R. Fessenden



New frequencies are created by mixing two frequencies

$$V(t) = P_{sig} + P_{LO} + 2G\sqrt{P_{sig}P_{LO}}\cos(2\pi f_1 t + \Delta\phi)$$
$$\Delta\phi = \phi_{sig} - \phi_{LO}$$

Sum the amplitude of the beat-note over a long time.

HETerodyne: Coherent detection

Advantages & costs

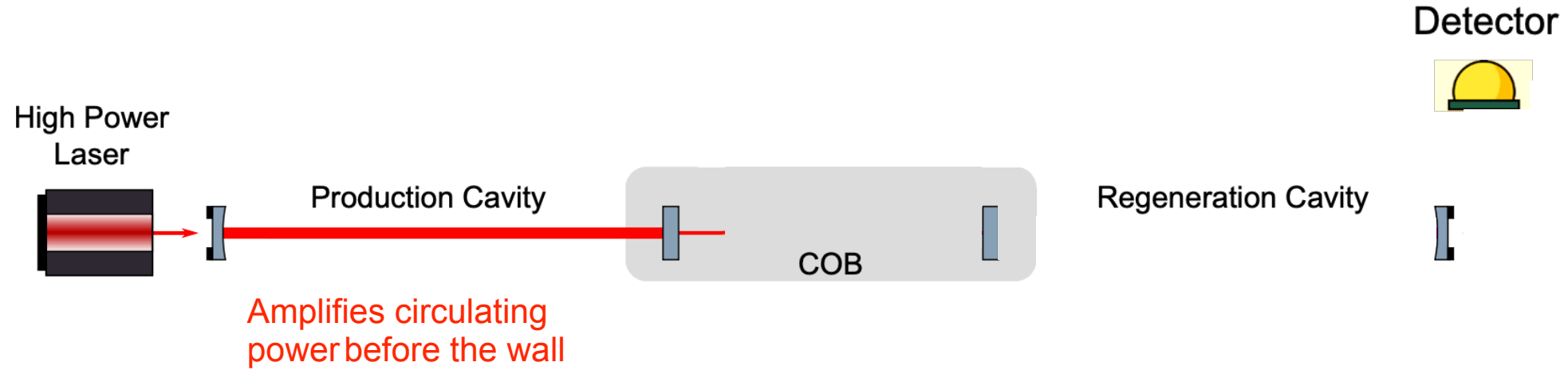
- The higher the LO power, the shorter the time it takes for the signal to exceed the expected noise limit.
- If the P_{LO} is large enough, the system noise is dominated by the shot-noise
 - SNR no longer depend on the LO power

$$SNR \propto \frac{\sqrt{P_{sig} P_{LO}}}{\sqrt{P_{LO}}} = \sqrt{P_{sig}}$$

- Costs:
 - Keep $\Delta\phi$ constant
 - Keep Δf constant

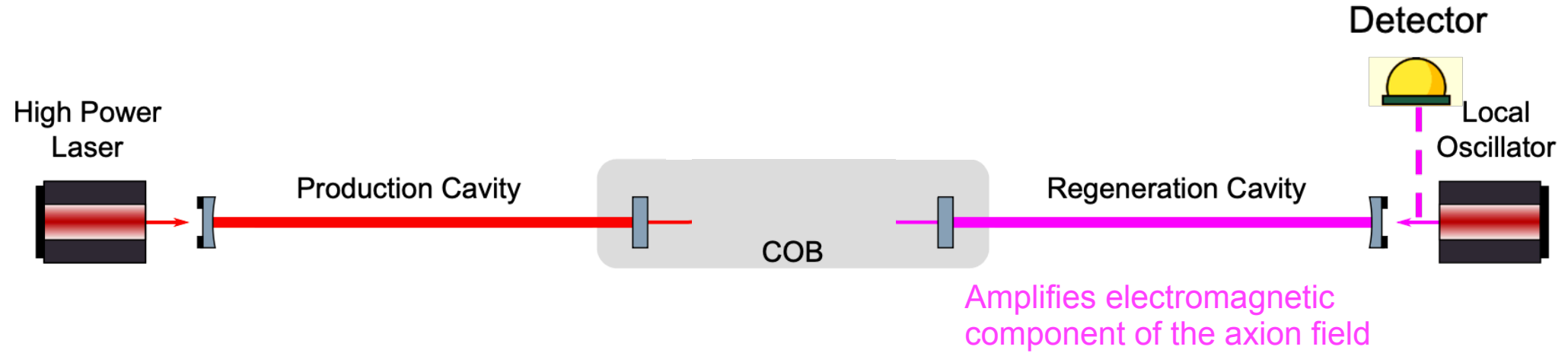
ALPS II's first science run scheme

Axion production



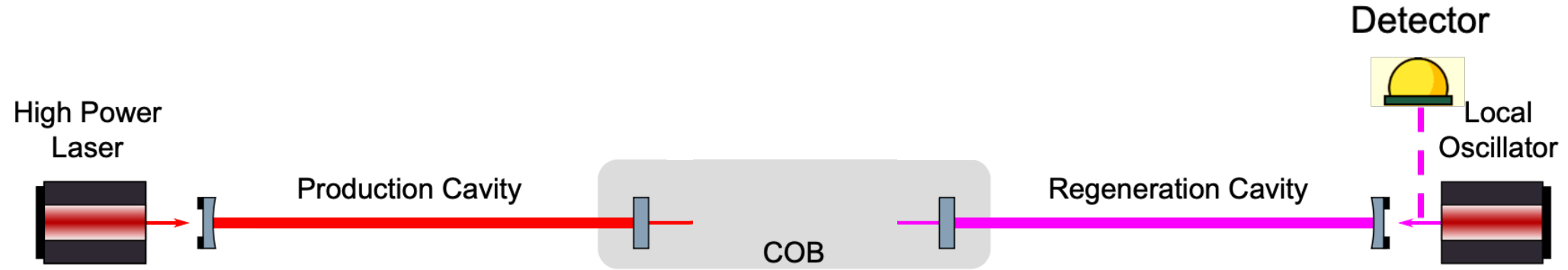
ALPS II's first science run scheme

HET principle



ALPS II's first science run scheme

HET principle

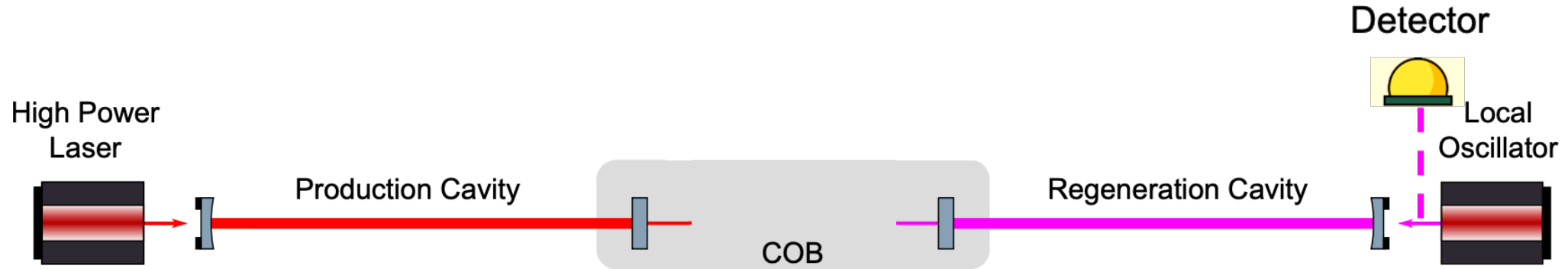


LO: $10^{20} \gamma/s$

Reconverted photons: $10^{-5} \gamma/s$

ALPS II's first science run scheme

HET principle



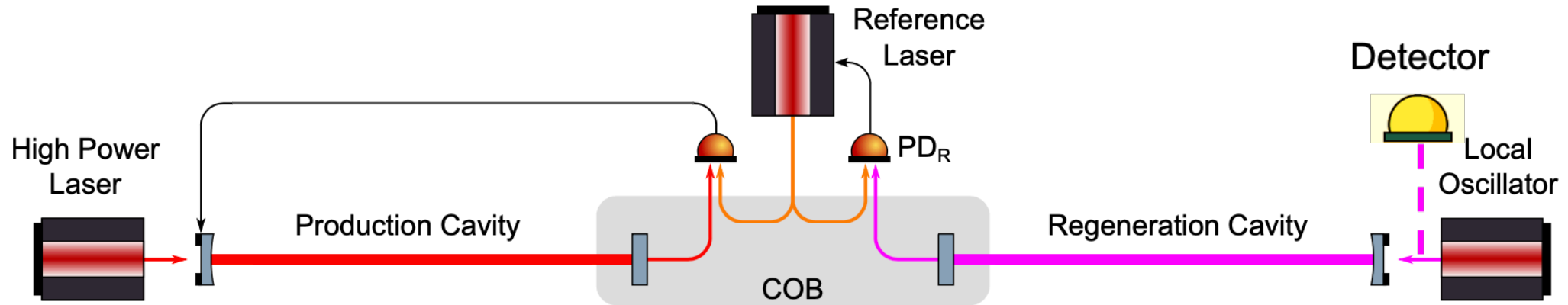
LO: $10^{20} \gamma/s$

Reconverted photons: $10^{-5} \gamma/s$



The idea: exploit the background to boost the signal!

ALPS II's first science run scheme



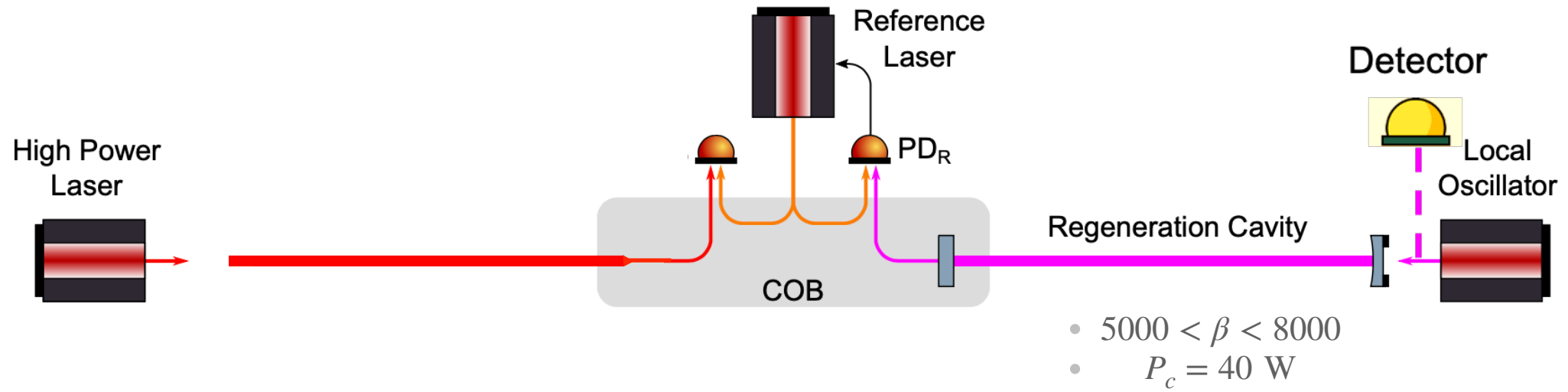
LO: $10^{20} \gamma/s$

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ALPS II's initial science run scheme

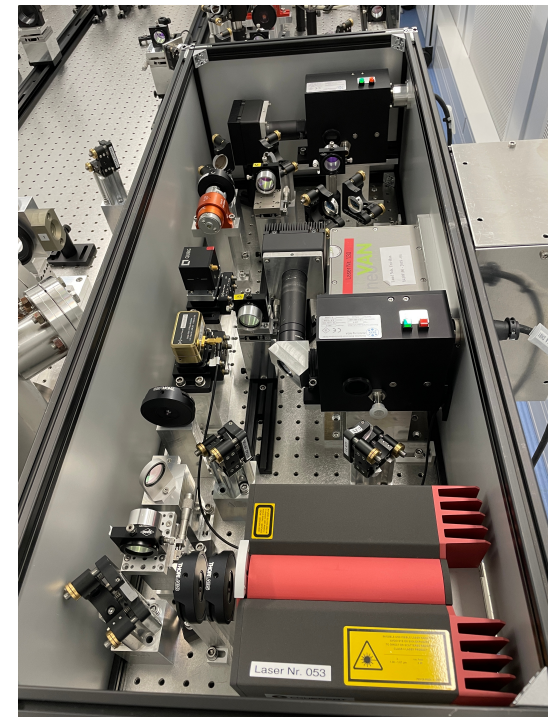
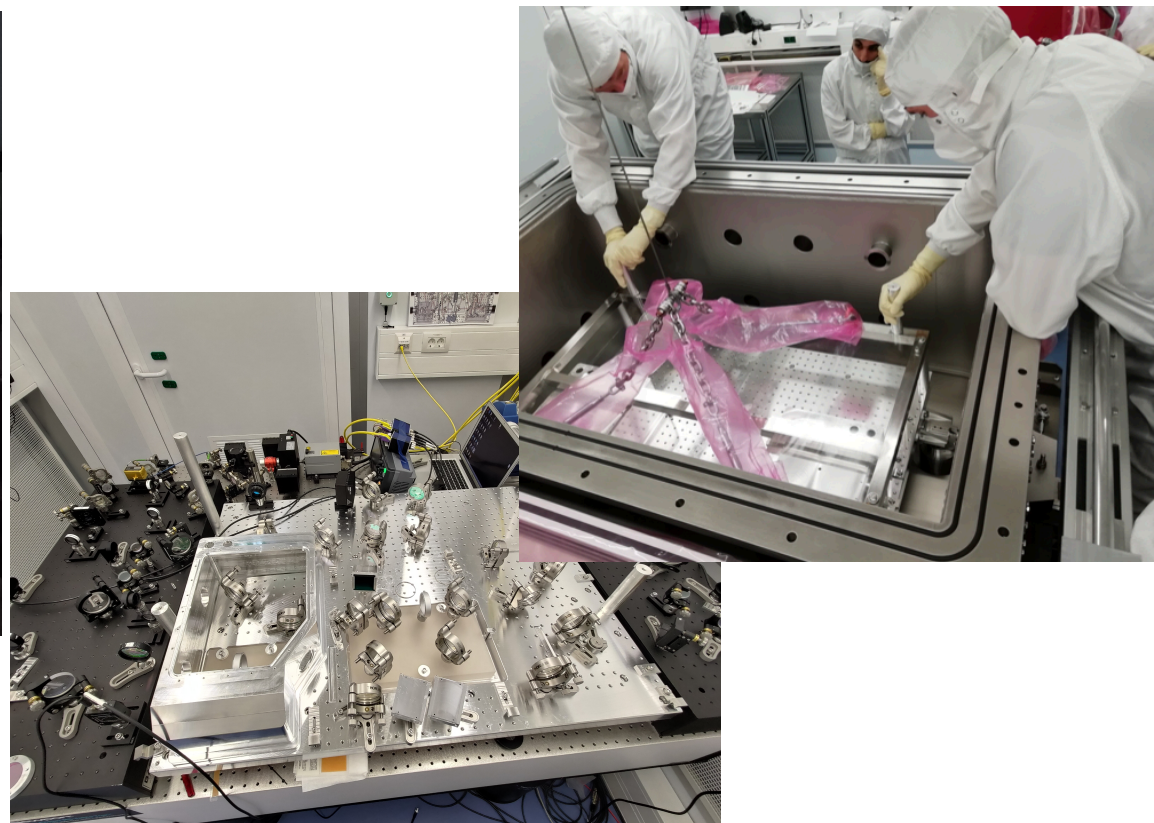
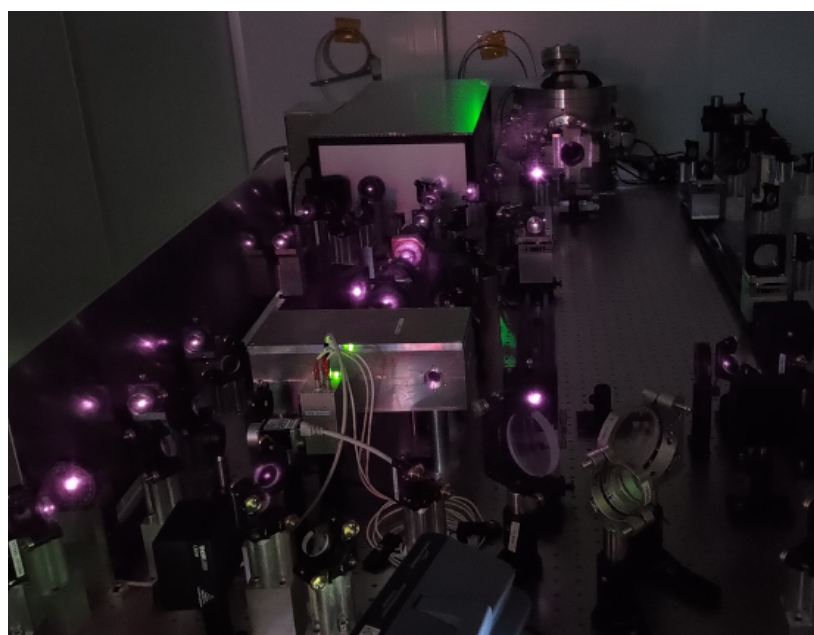
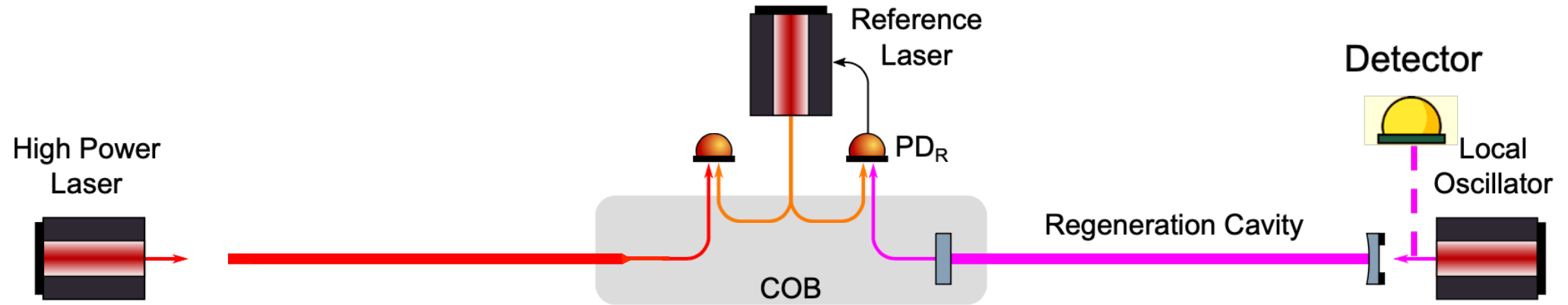


Early science run **ongoing** w/o the PC optimal for stray light hunting

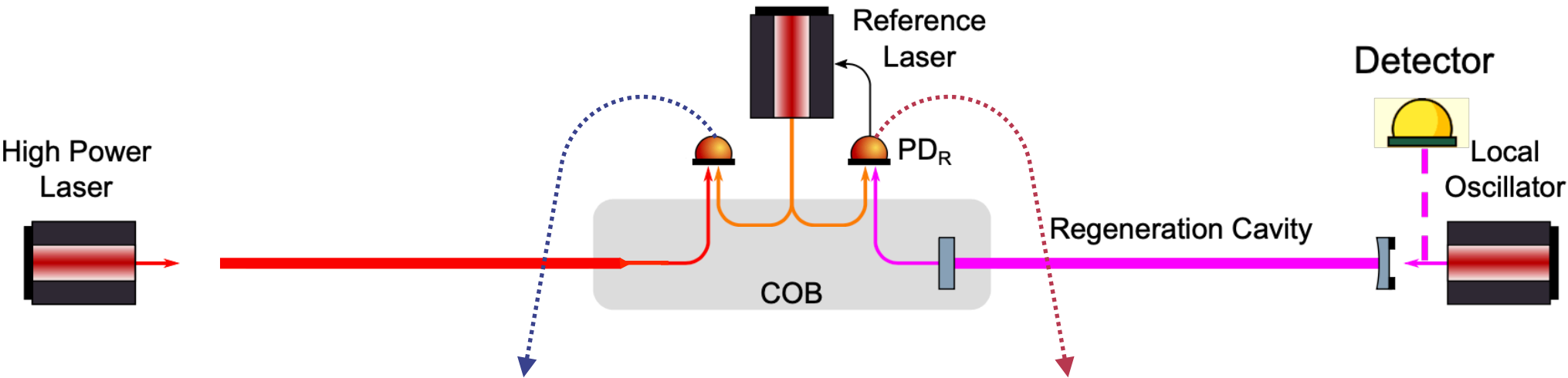


Already a factor **100** beyond earlier LSW experiments!

ALPS II's first science run scheme

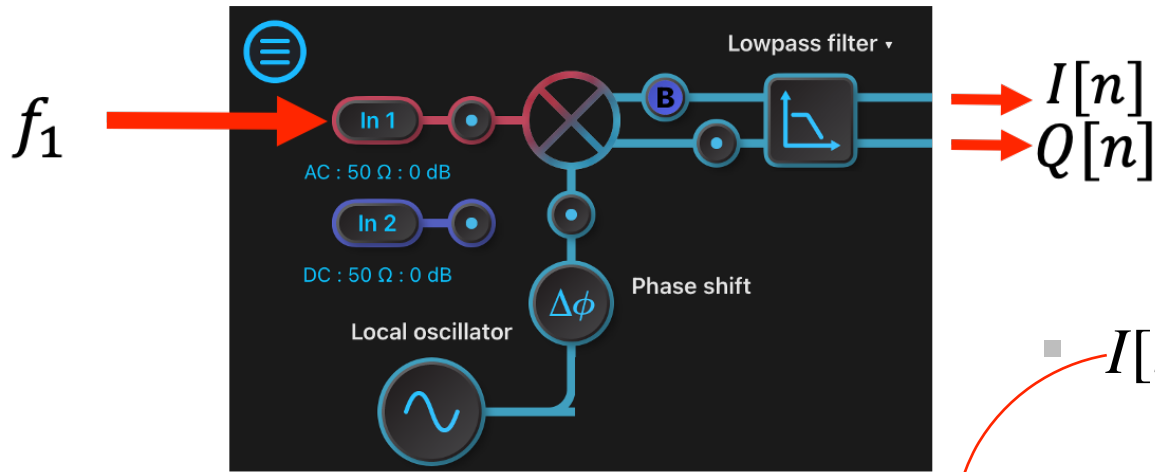


ALPS II's initial science run scheme



Signal extraction

In-phase and quadrature demodulation



$$f_{demod} = f_1 + f'_0$$

Sampling rate

- Nyquist frequency
- $f_s > 2 \times f'_0$

To recover amplitude information \rightarrow **I/Q demodulation**

$$I[t] = 2G\sqrt{P_{sig}P_{LO}}\cos(2\pi f_1 t + \Delta\phi) \times \cos(2\pi f_{demod} t)$$

$$Q[t] = 2G\sqrt{P_{sig}P_{LO}}\cos(2\pi f_1 t + \Delta\phi) \times \sin(2\pi f_{demod} t)$$

$$G\sqrt{P_{sig}P_{LO}}\cos(2\pi f'_0 t + \Delta\phi)$$

$$G\sqrt{P_{sig}P_{LO}}\sin(2\pi f'_0 t + \Delta\phi)$$

If noise:

$\rightarrow 0$

$\rightarrow 0$

Photon flux extraction

From $I[n]$ and $Q[n]$

$$z[n] = \frac{(\sum_i^N I[n])^2 + (\sum_i^N Q[n])^2}{N^2}$$

Number of photons

$$N_\gamma = \frac{z[n]}{G^2 P_{LO} h\nu}$$

Photon flux extraction

From $I[n]$ and $Q[n]$

$$z[n] = \frac{(\sum_i^N I[n])^2 + (\sum_i^N Q[n])^2}{N^2}$$

Number of photons

$$N_\gamma = \frac{z[n]}{G^2 P_{LO} h\nu}$$

If signal:

$$z[t] = \frac{(\sum_i^N G\sqrt{P_{sig}P_{LO}}\cos(2\pi f'_0 t + \Delta\phi))^2 + (\sum_i^N G\sqrt{P_{sig}P_{LO}}\sin(2\pi f'_0 t + \Delta\phi))^2}{N^2}$$

$$z \propto G^2 P_{sig} P_{LO}$$

If noise:

$$z \simeq 0$$

Photon flux extraction

Signal

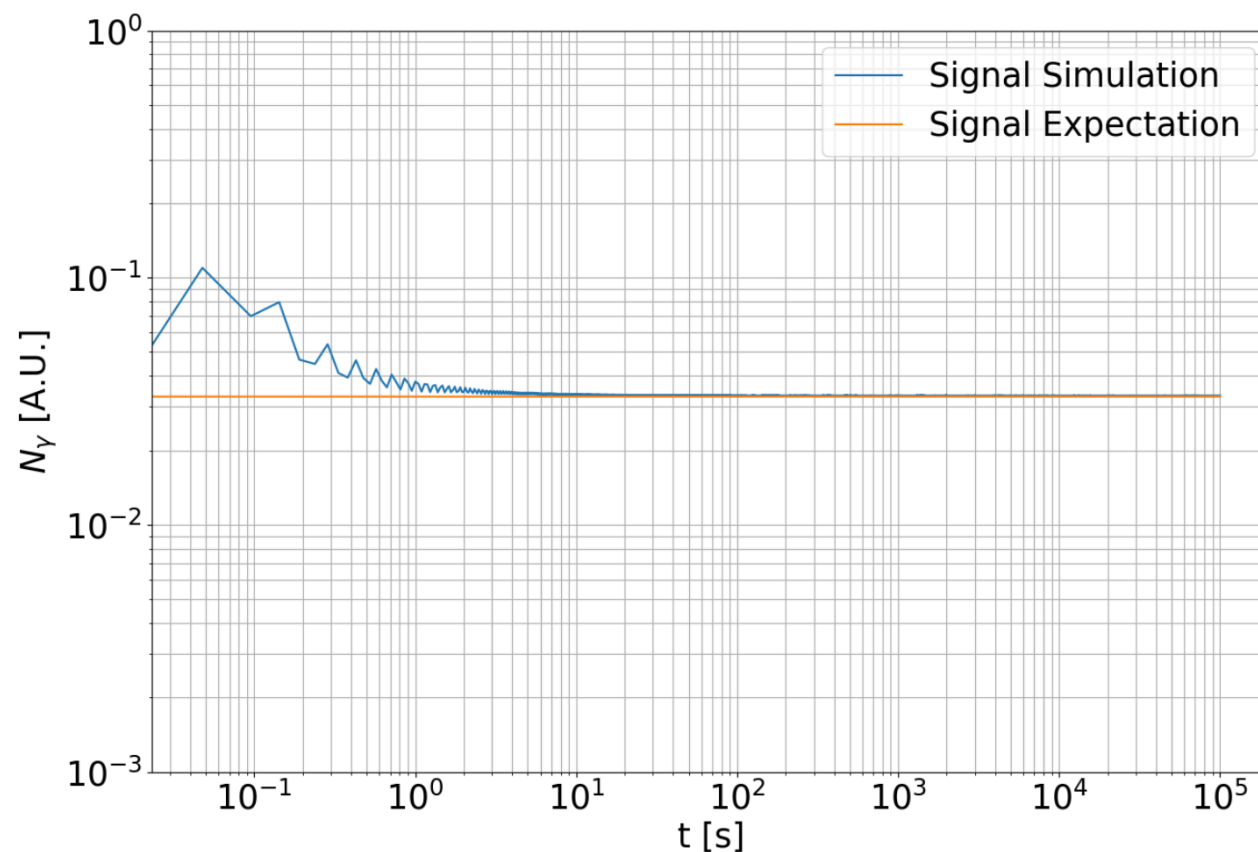
Number of photons

$$N_{\gamma} = \frac{z[n]}{G^2 P_{LO} h \nu}$$

Signal

Will sum coherently

- $N_{\gamma} \propto P_{sig}$



No physical case

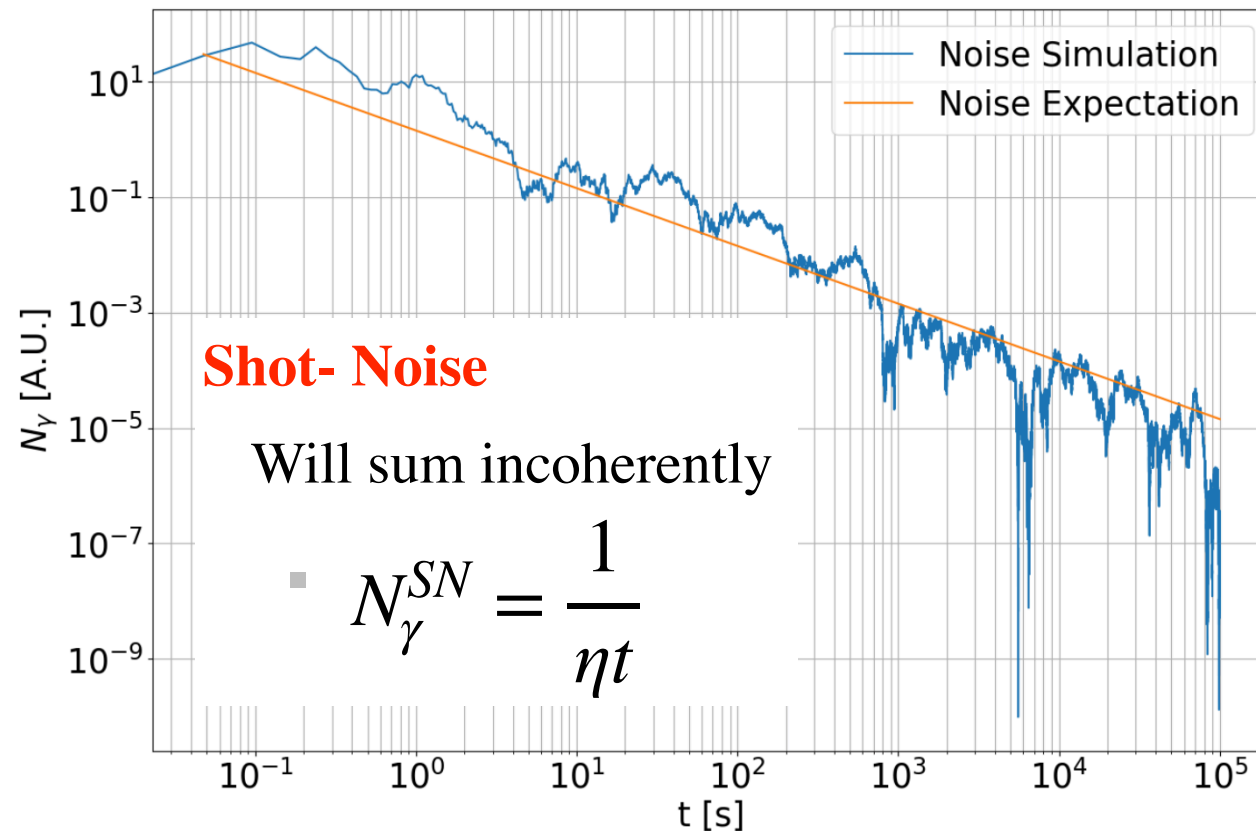
Photon flux extraction

Noise

Number of photons

$$N_{\gamma} = \frac{z[n]}{G^2 P_{LO} h \nu}$$

Technical noises for HET mitigated by increasing the LO power

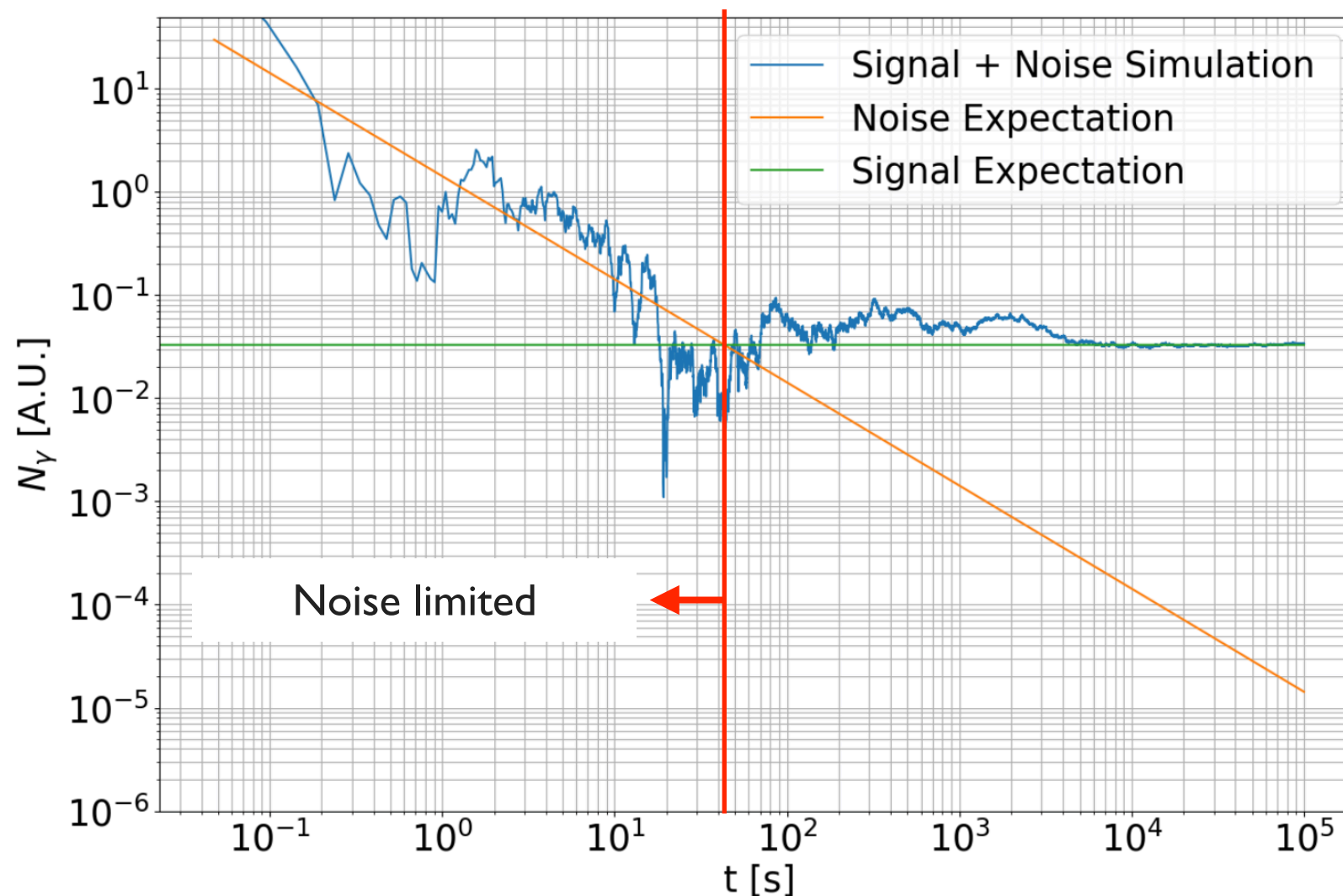


Photon flux extraction

Signal + Noise

Number of photons

$$N_{\gamma} = \frac{z[n]}{G^2 P_{LO} h \nu}$$



Photon flux extraction

Signal + Noise

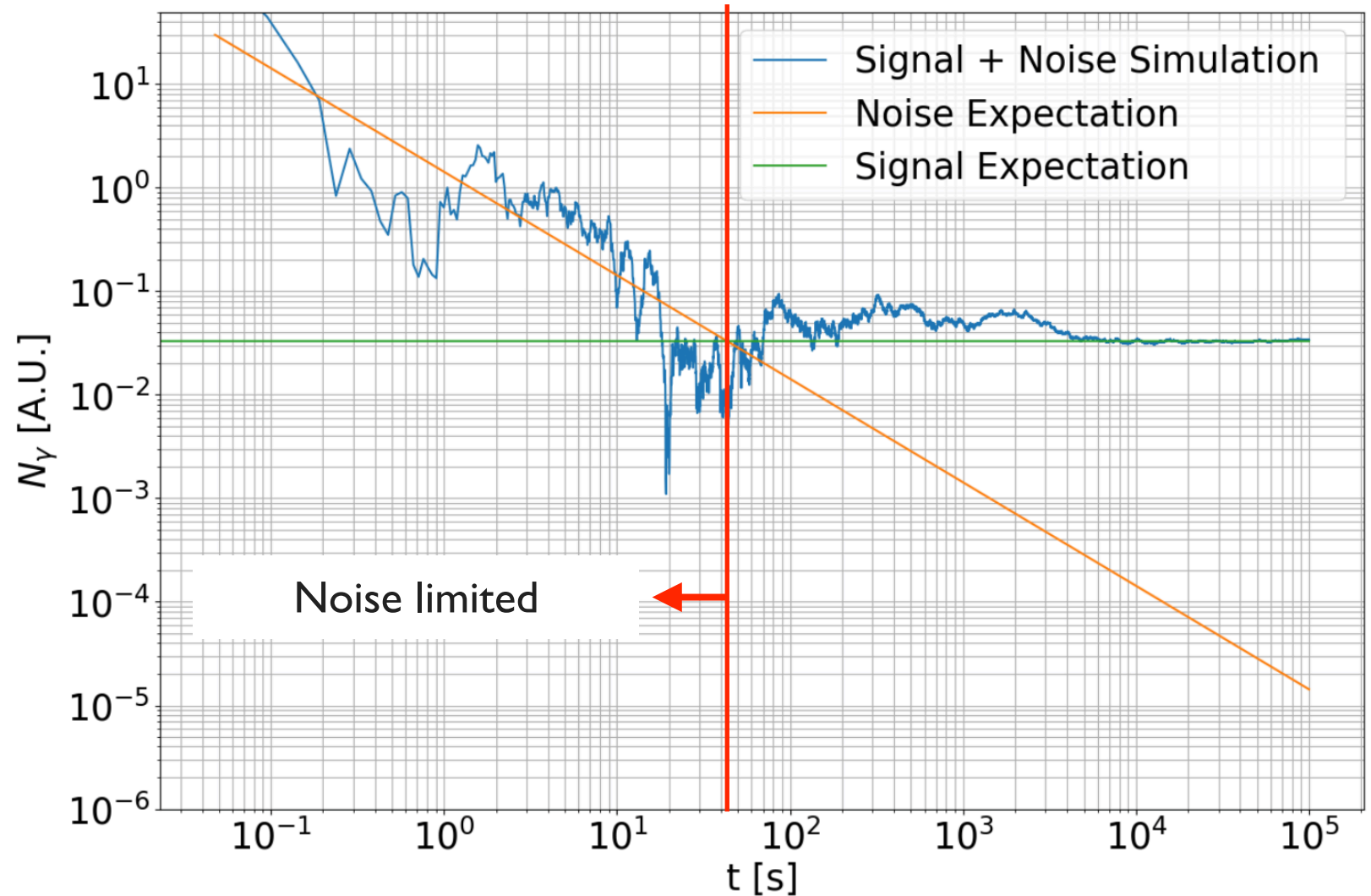
Number of photons

$$N_{\gamma} = \frac{z[n]}{G^2 P_{LO} h \nu}$$

ALPS II integration time:
~20 days

What if we will observe a
signal signature?

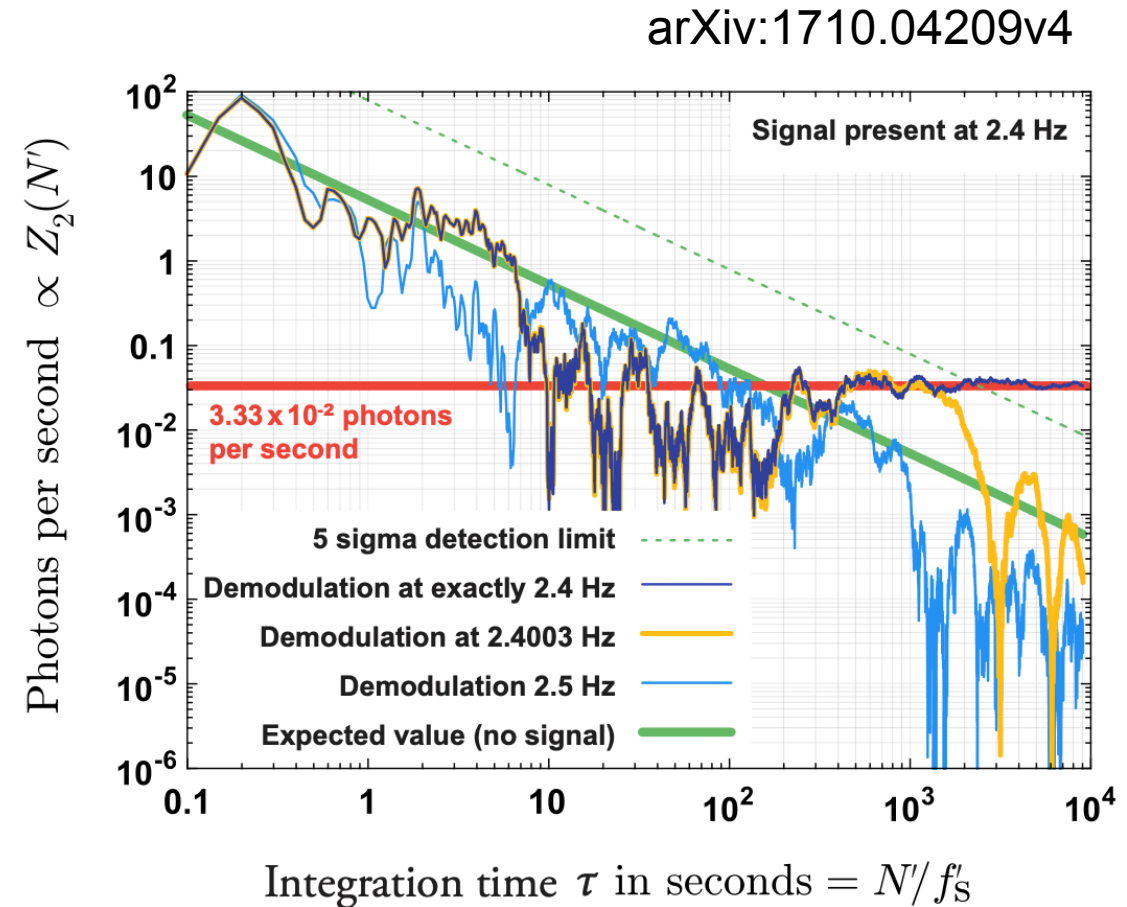
- Run with magnet off 🕶️



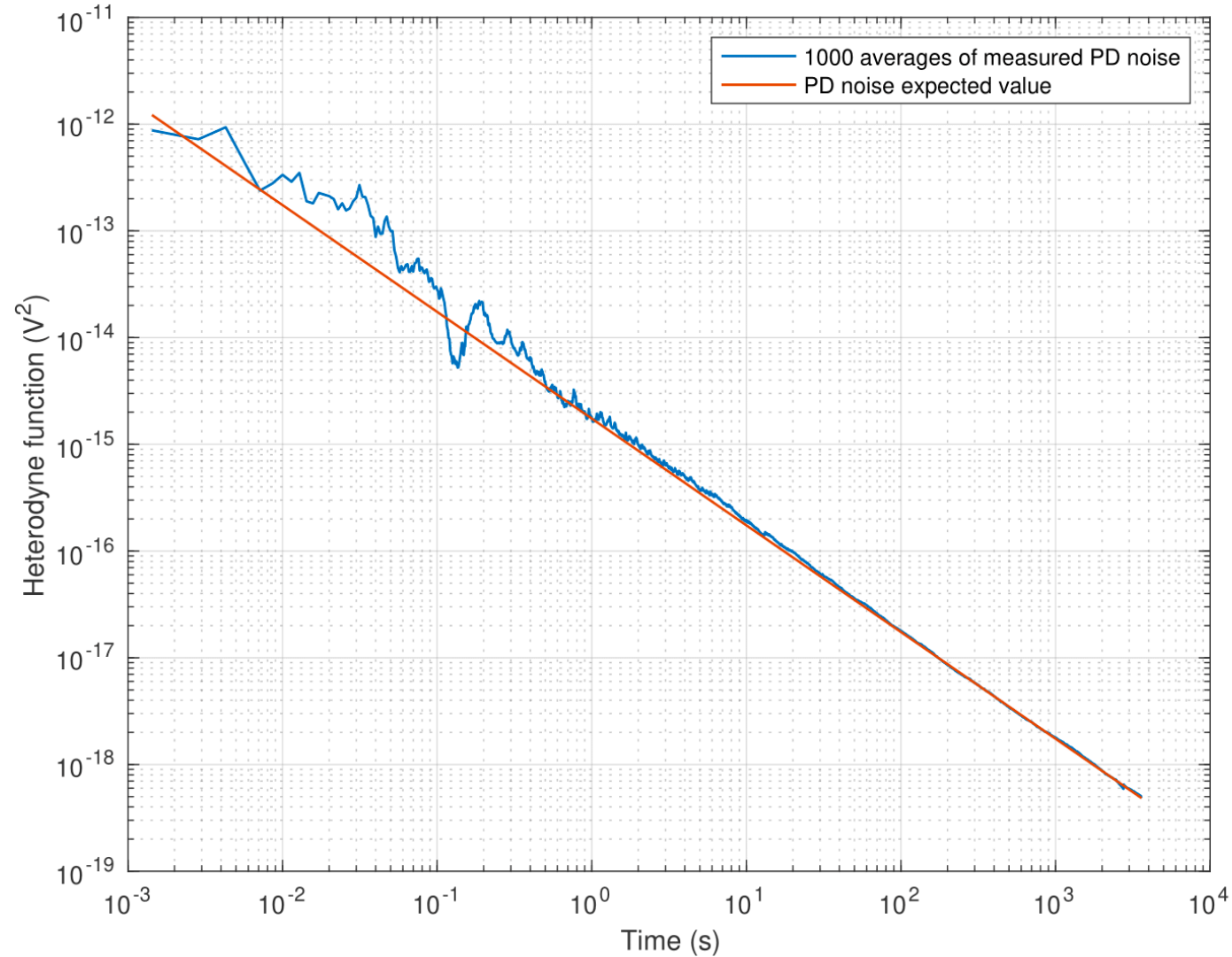
Difficulties in the measurement

A challenge in the challenges

- Environmental Conditions: Humidity, temperature, ...
 - affect the stability and accuracy of the measurements
- Mechanical Stability
 - Any vibrations, structural deformations, or movements in the setup can introduce noise and distort the measurement data.

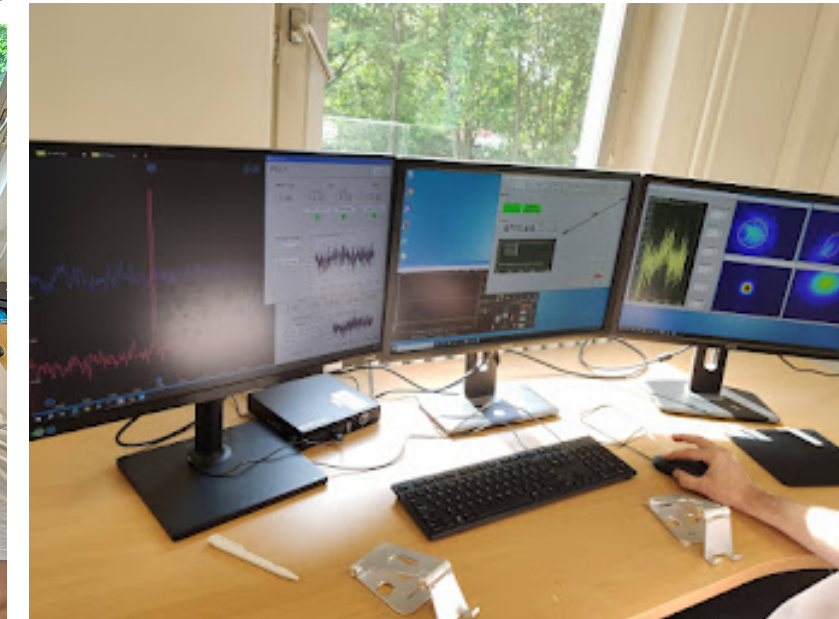
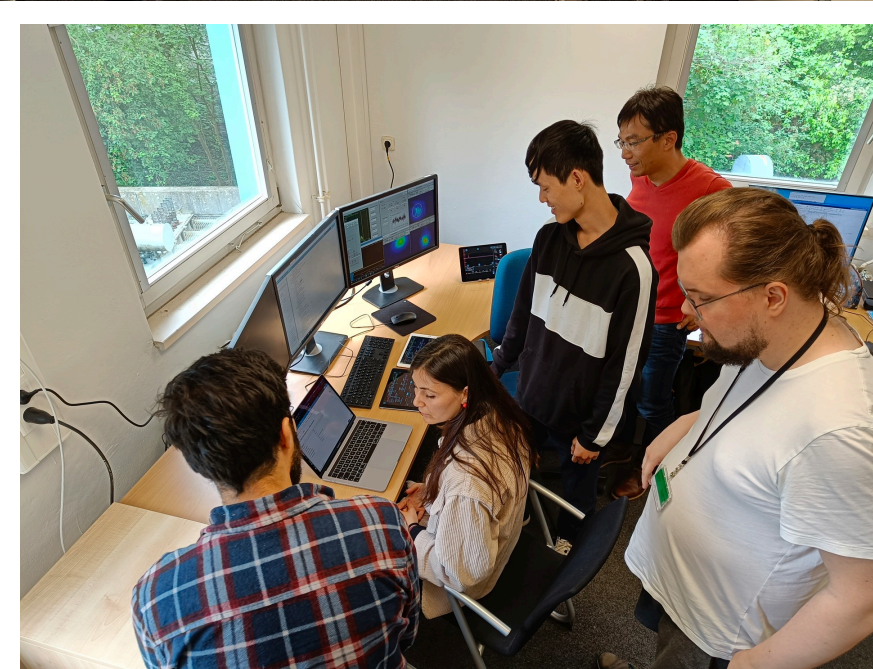
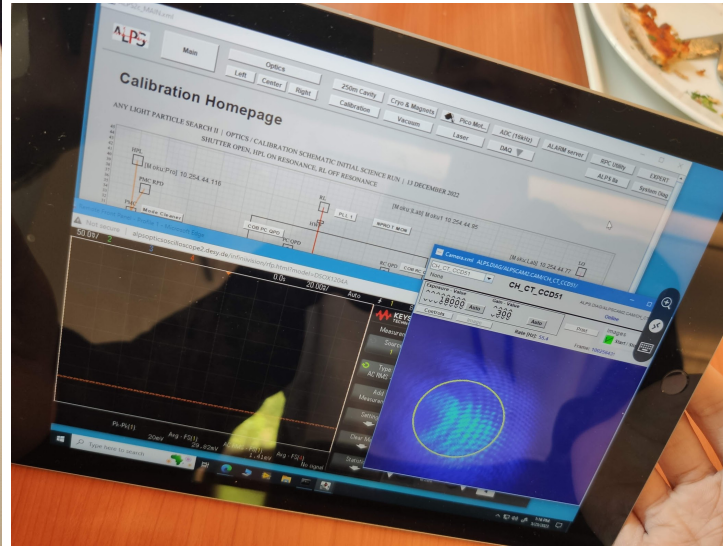
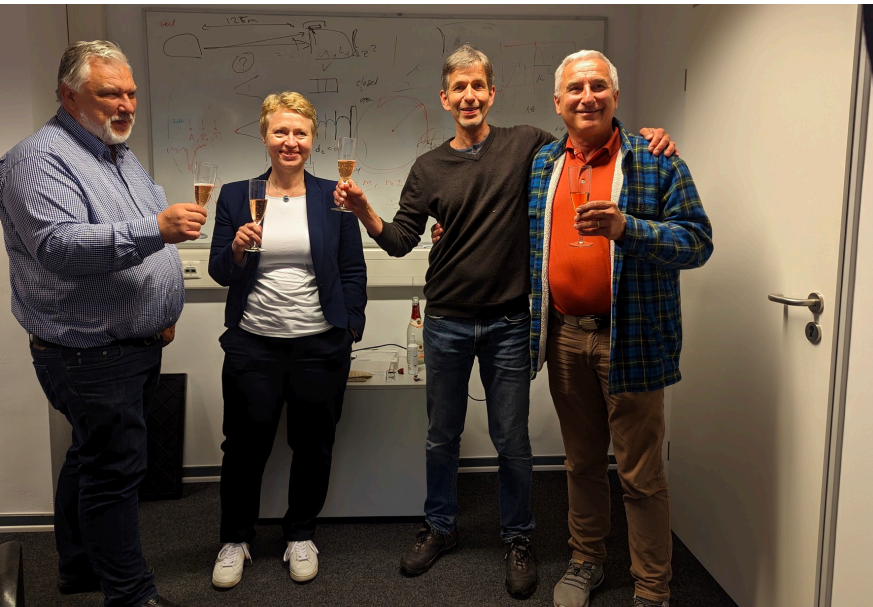


Photodiode noise measurement



Measurement
agrees with
expectation!!

Initial science run



Conclusion

- Axions and Axion-like particles are well-motivated BSM particles
- LSW: Checking astrophysical observations in a model-independent way
- ALPS II installation began in 2019 and was completed in September 2022
- The photodiode noise is measured using the HET and demonstrated to agree with the expectation
- First data taking is ongoing with a reduced optical system to simplify operation and allow for more systematic tests
- In future, the HET will be used in other axion experiments and to search for high-frequency GW!



Backup

- A combination of the I and Q function measure the photon flux

$$x_{sig}(t) = A \cos(2\pi f_{sig}t + \phi)$$

$$\begin{cases} I = x_{sig} \cos(2\pi f_{sig}t) = A \cos(2\pi f_{sig}t + \phi) \cos(2\pi f_{sig}t) \\ Q = x_{sig} \sin(2\pi f_{sig}t) = A \cos(2\pi f_{sig}t + \phi) \sin(2\pi f_{sig}t) \end{cases}$$

$$\begin{cases} I = \frac{A}{2} [\cos(\phi) + \cos(4\pi f_{sig}t + \phi)] \\ Q = \frac{A}{2} [\sin(\phi) + \sin(4\pi f_{sig}t + \phi)] \end{cases}$$

$$z = I^2 + Q^2 = \frac{A^2}{4} \propto N_\gamma$$

