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# Track Reconstruction (LUXE)

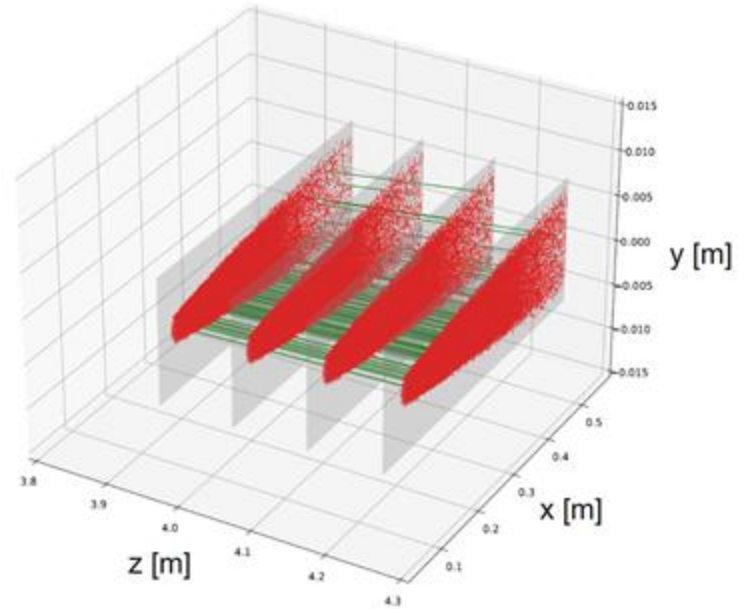
— Week 20-31 July —

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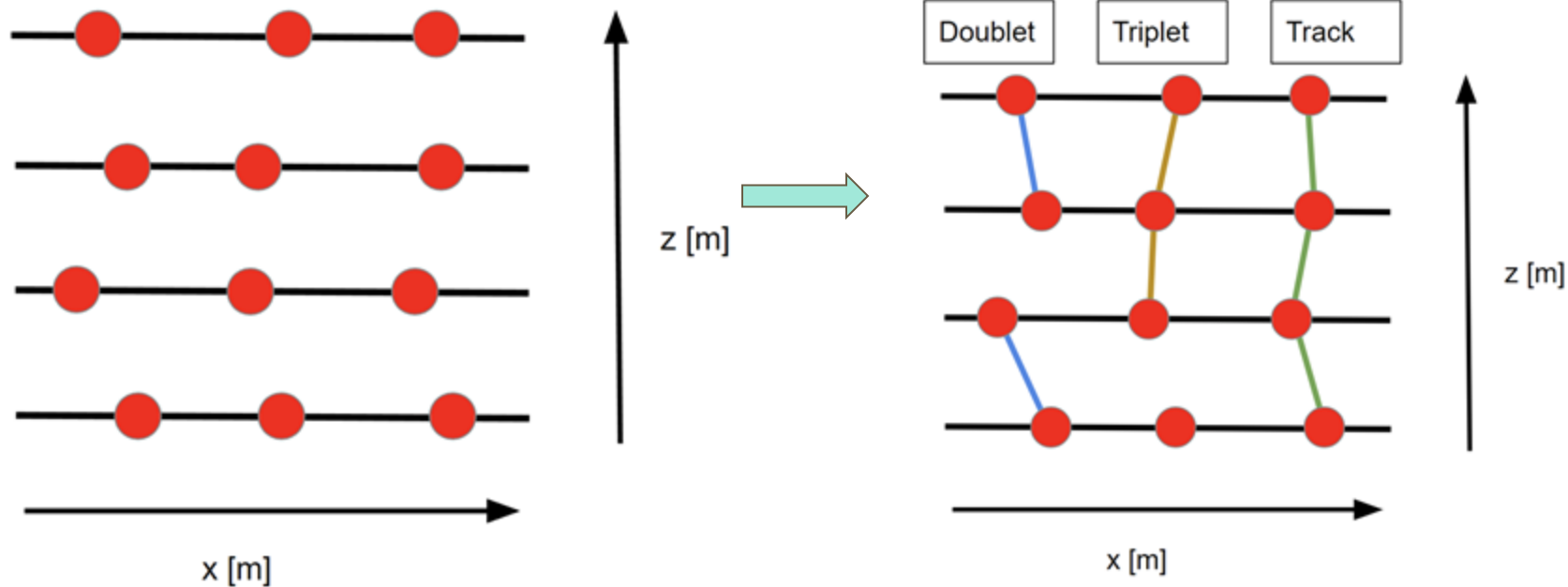
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# Track Reconstruction

- Connecting Hits which belong to actual physical track
- Example – 141 particles. (141 hits per layer)



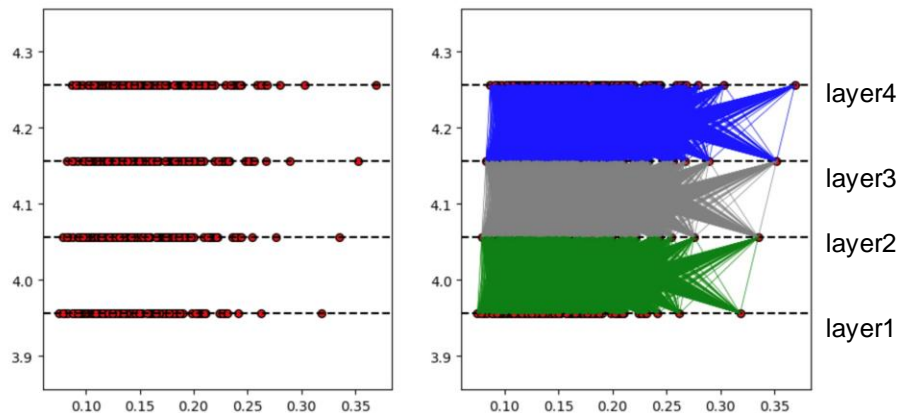
# Generating track candidates



# Some Combinatorics(# doublets)

- Total numbers of doublets
- $(N1*N2)+(N2*N3)+(N3*N4)$
- Eg – 141 hits per layer
- $3*(141*141) = 59643$

Brute-Force creation of all doublets  
Number of correct doublets: 423  
Number of all doublets: 59643

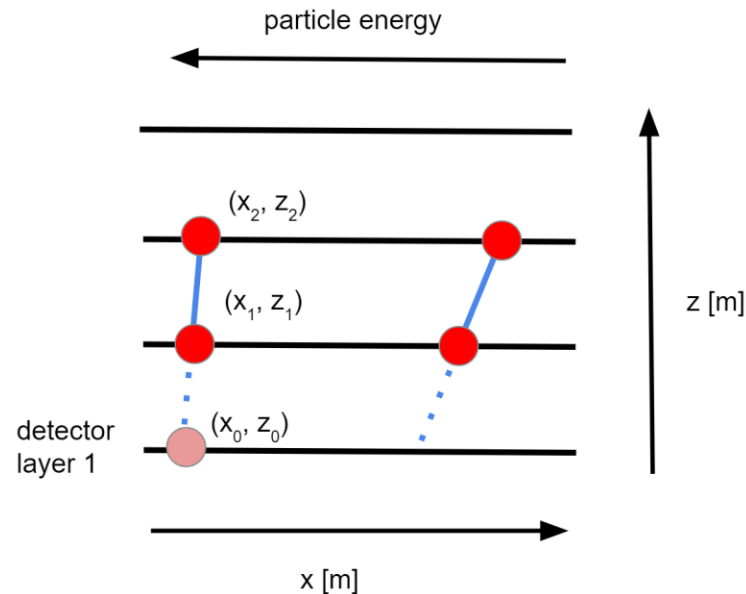


# Some combinatorics(# triplets)

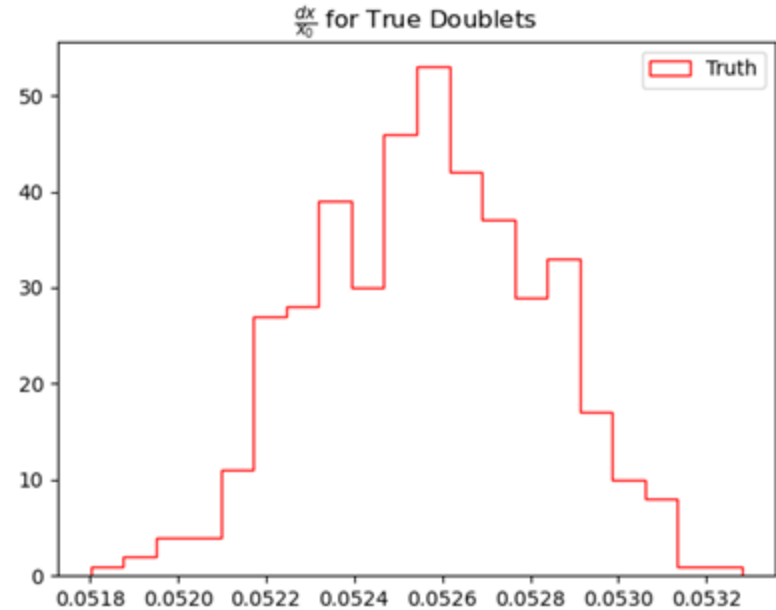
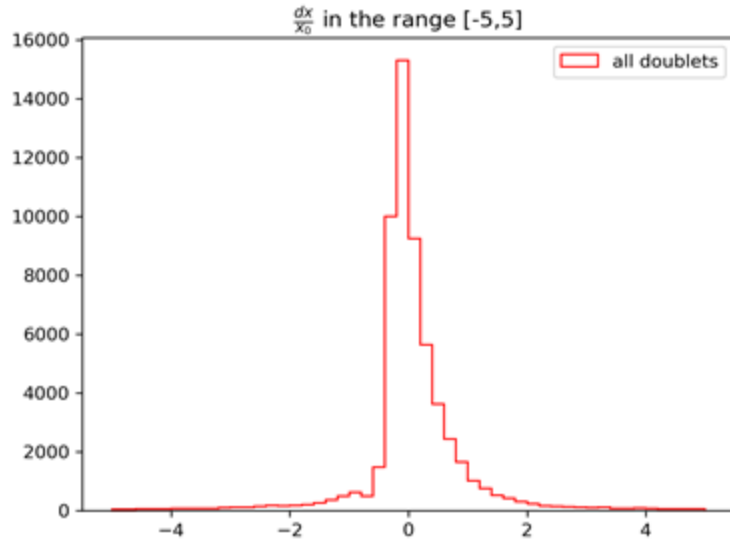
- $N_1N_2N_3 + N_2N_3N_4$
- Eg (141 hits )- 5.6 million

# STEP 1 - Reducing # combinatorics

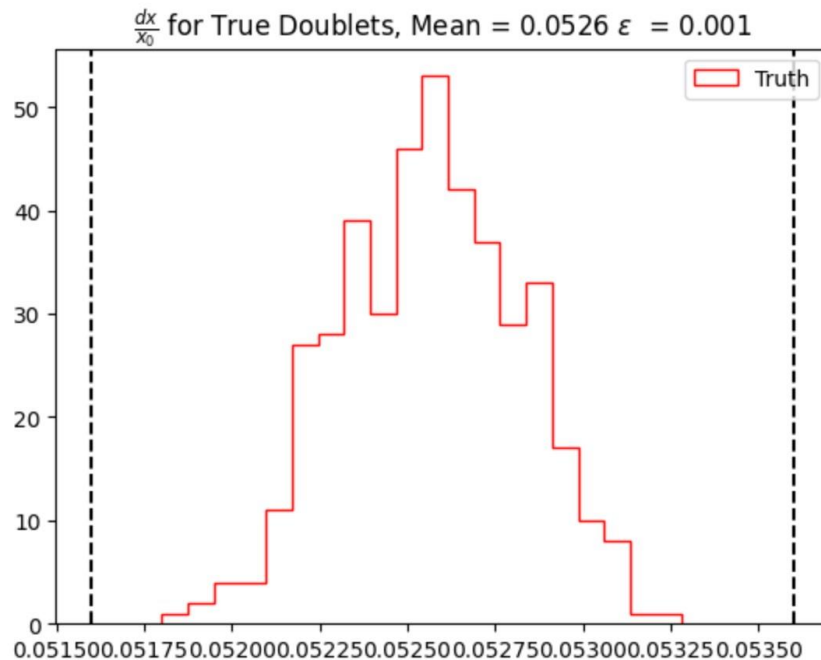
- Mapping each doublet to IP
- Calculating  $dx/x_0$



# First Cut on the basis of $dx/x_0$



# Applying $dx/x_0$ Cut





# Reduction in #doublets

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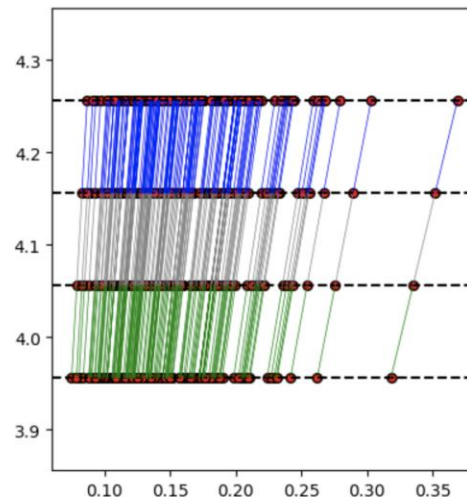
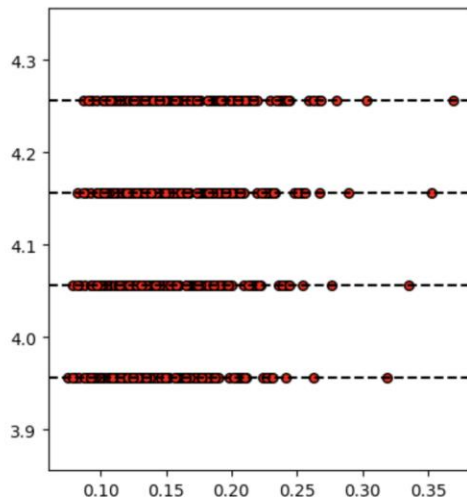
Brute-Force creation of all doublets  
Number of correct doublets: 423  
Number of all doublets: 59643

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After removing unlikely combinations:  
Number of correct doublets: 423  
Number of all doublets: 506

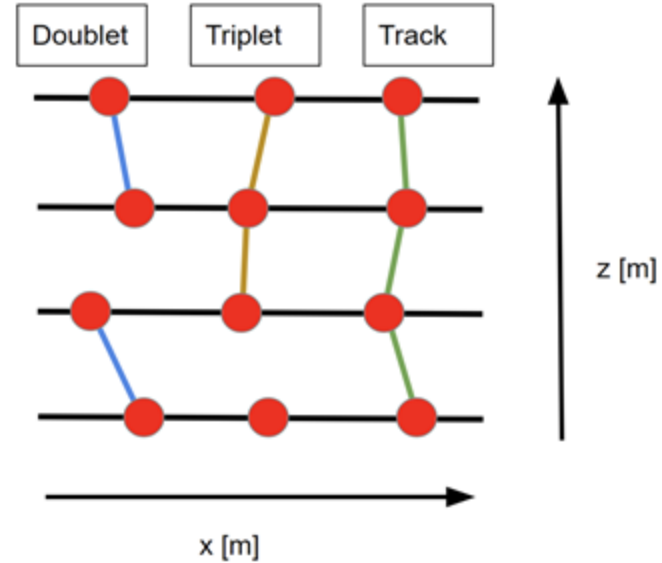
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99.15% reduction in total number of doublets



# Triplet Analysis

- Angle difference  $xz$
- Angle difference  $yz$

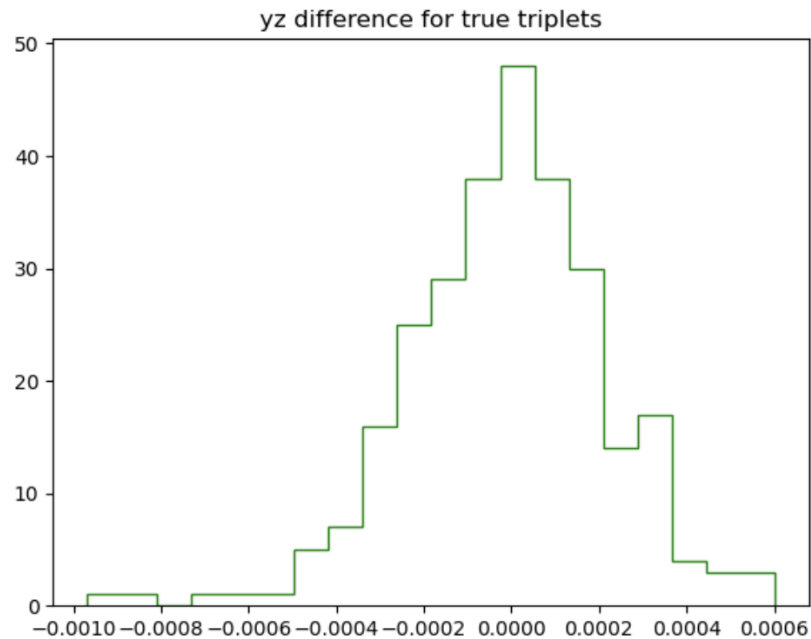
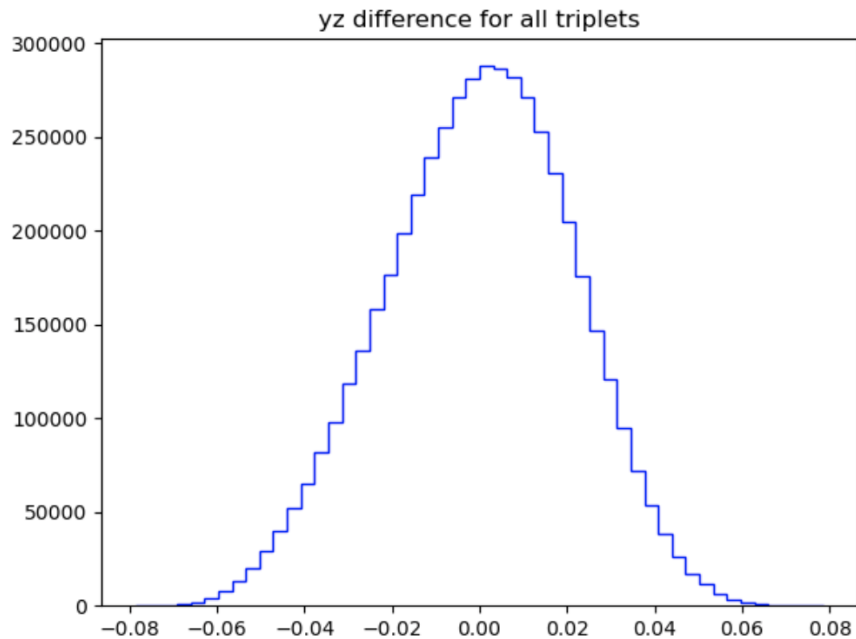


# For all triplets (Without Cut)

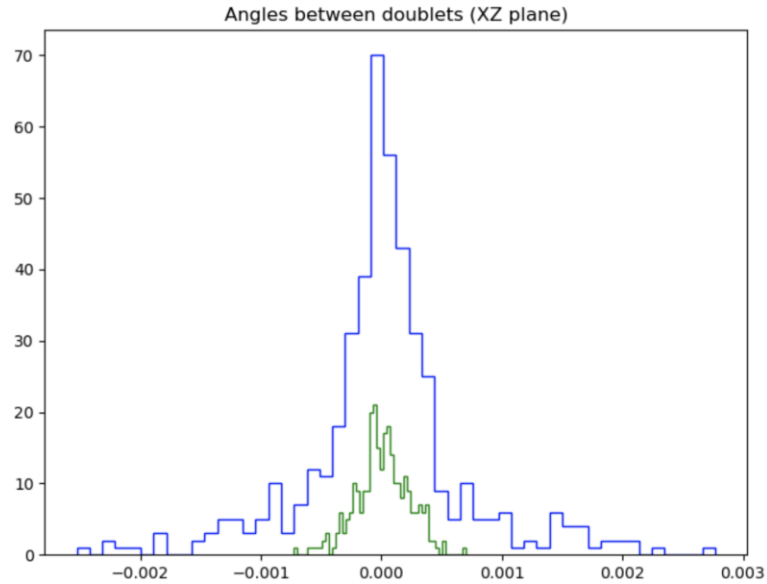


# YZ difference distribution

Angles between doublets (YZ plane)



# Distribution after applying cut



# Processing for triplets and further steps

- After applying all the triplet cut, The problem is mapped as of binary optimization problem
- This optimization problem can be solved with quantum computer
- Currently I am going through how the Hamiltonian matrix is calculated and further steps.

Without Doublet Cut

