



Towards the first open dielectric haloscope Current efforts on MADMAX in Hamburg

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What is a haloscope? MAD MAX



Credit: ESO/L. Calçada

- Detect dark matter from the galactic halo
- Earth should be surrounded by dark matter
- Detection scheme depends on particle nature of dark matter









- The Axion is a hypothetical particle well suited to be dark matter
- Can be produced non-thermally in sufficient abundance in the early universe
- Lightweight and weakly interacting
- Can convert into a photon inside a magnetic field



Strong CP problem

$$\mathscr{L}_{QCD} \supset \theta \frac{g^2}{32 \,\pi^2} F_{\mu\nu} \widetilde{F}^{\mu\nu}$$

- QCD Lagrangian is, in principle, CP violating
- No CP violations are observed ($\theta \sim 0$)
- Peccei-Quinn mechanism naturally leads to $\theta \rightarrow 0$
- Comes with an extra particle, the axion
- Axion mass proportional to coupling

$$g_{ay} \approx -2 \times 10^{-16} \, GeV^{-1} \left(\frac{m_a}{1 \, \mu \, eV} \right) C_{ay}$$





- Coupling to photons is modeldependent
- KSVZ and DFSZ have become benchmark models
- (non-minimal) extensions widen the possible range

$$g_{ay} \approx -2 \times 10^{-16} \, GeV^{-1} \left(\frac{m_a}{1 \, \mu \, eV} \right) C_{ay}$$





Axion models



- Non-minimal extensions
 - KSVZ: add \leq 28 heavy Quarks
 - DFSZ: add \leq 8 Higgs doublets
- Other extensions relax masscoupling relation further
- Axion-like particles:
 - No mass-coupling relation
 - don't solve strong CP problem



Diehl et al: https://doi.org/10.1103/PhysRevD.107.095020



Axion-Maxwell





$$\nabla \times \boldsymbol{H} + i\omega \boldsymbol{D} = \boldsymbol{J}_f - ig_{a\gamma}\omega a\boldsymbol{B}_e$$

- Dark matter axion field can be treated classically
- Axion-photon coupling modifies Maxwell's equations
- Homogeneous axion field and external magnetic field
- Uniform effective current density oscillating with axion compton frequency
- Oscillating currents produce electromagnetic radiation











 $i \omega g_{a \gamma \gamma} a B_{e}$ $\boldsymbol{E}_{R}, \boldsymbol{H}_{R}$ \boldsymbol{J}_R P_{sig}

Effective axion current

Suitable geometry

Reflection-induced radiation

Transmit with antenna

Drive current in receiver

Further amplficiation



Reciprocity approach

- Allows switching source and load
- Signal power expressed in measurable fields!

$$P_{sig} = \frac{g_{a\gamma\gamma}^2}{16 P_{in}} \left| \int_{V_a} dV \, \boldsymbol{E}_R \cdot \dot{a} \, \boldsymbol{B}_e \right|^2$$

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- Strong $E_{\mbox{\tiny R}}$ on resonance
- Good overlap with uniform axion current
- Size directly proportional to wavelength





$$P_{sig} = \frac{g_{a\gamma\gamma}^2}{16 P_{in}} \left| \int_{V_a} dV \, \boldsymbol{E}_R \cdot \dot{a} \, \boldsymbol{B}_e \right|^2$$



- Strong $E_{\mbox{\tiny R}}$ on resonance
- Bad overlap with uniform axion current
- Size directly proportional to wavelength





$$P_{sig} = \frac{g_{a\gamma\gamma}^2}{16 P_{in}} \left| \int_{V_a} dV \, \boldsymbol{E}_R \cdot \dot{a} \, \boldsymbol{B}_e \right|^2$$

Dielectric haloscope



- Suppress negative lobes by placing dielectric disks
- Size independent of wavelength
- Still good overlap with uniform axion current
- Resonances can still happen and increase $E_{\mbox{\scriptsize R}}$
- Move disks to tune frequency



MADMAX



Magnetized disk and mirror axion experiment





Prototype





- Up to 20 disks with 300 mm diameter
- 4K cryostat (ready spring next year)
- Fits into a 1.6 T magnet at CERN
- 18-26.5 GHz

Parameter space

Open booster

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- Cavities are closed system:
 - Easy to simulate (size~wavelength)
 - Discrete set of modes
- MADMAX is an open optical system:
 - Necessary to move disks
 - Transverse dimension independent of wavelength
 - Harder to simulate
 - Continuous set of modes

Open booster

$$P_{sig} = \frac{g_{a\gamma\gamma}^2}{16 P_{in}} \left| \int_{V_a} dV \boldsymbol{E}_R \cdot \dot{a} \boldsymbol{B}_e \right|^2$$

Electric field excited by reflection measurement

$$\boldsymbol{E}_{R}^{2} = \frac{4 P_{\text{in}}}{\alpha_{e} \omega} \Delta \Gamma$$

- Aim: Calculate potential signal power via the reciprocity approach
- No need to simulate
- Measure E_R with bead-pull method

Bead-pull

- Measure $\boldsymbol{E}_{\text{R}}$ with bead pull method

Antenna beam

- Put RF absorbers instead of booster
- Measure just the antenna beam
- Matches expectation: Gaussian beam

Dish antenna

- Single plane mirror as booster
- Beam perturbations lead to unwanted reflections
- Would be very hard to simulate
- We just need to integrate!

Dish antenna

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Dielectric haloscope //

 $P_{sig} \sim \left| \int dz \int dA E_R \right|^2$ Integrate dA

Dielectric haloscope Λ

- Model-independent method to obtain signal power
- Baseline matches expectation
- Beam perturbations have significant effect
- Can be accounted for

Mechanics

- Successful operation of booster test setup at 4K and magnetic field
- Mechanical show-stoppers seem to be eliminated
- Build prototype booster next

Next steps

- Simple setup nearly fully understood
- Extend to more complex setups:
 - More disks
 - Tiled disks

- Cryostat delivered soon (go cold!)
- Set up simple RF receiver chain end of this year
- First science runs with open booster

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Backup

Reflection coefficient a.k.a. reflectivity, S11

 $\Gamma = \frac{refl.amplitude}{input amplitude}$

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