



# Properties of the X-ray Induced Radiation Damage at the $\text{SiO}_2$ - Si Interface

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# Introduction

Next generation light source European X-ray Free Electron Laser (XFEL):

- **Opportunities:** single molecule imaging, movies of chemical reactions, exploration of material science, etc.



<http://www.xfel.eu>

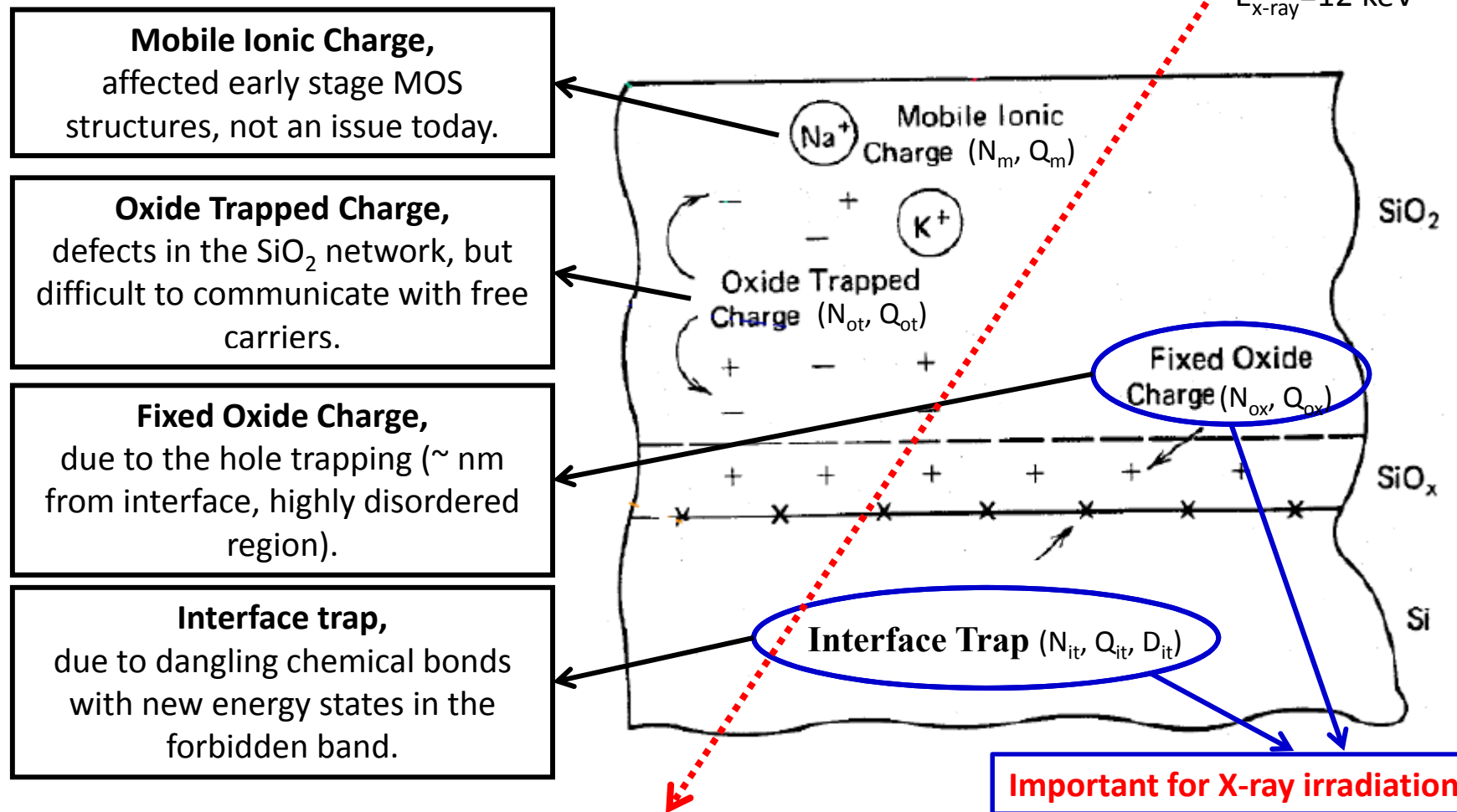
- **Challenges for detector development:**  
*integrated dose  $\sim 10^9$  Gy for  $E_{\text{photon}} \sim 12$  keV.*

The strategy of study:

- Perform microscopic and macroscopic studies on irradiated MOS capacitors, and understand properties of the X-ray induced radiation damage
- Extract damage-related parameters for TCAD simulation
- Optimize pixel sensor design for XFEL (J. Schwandt's talk on Mar 30)

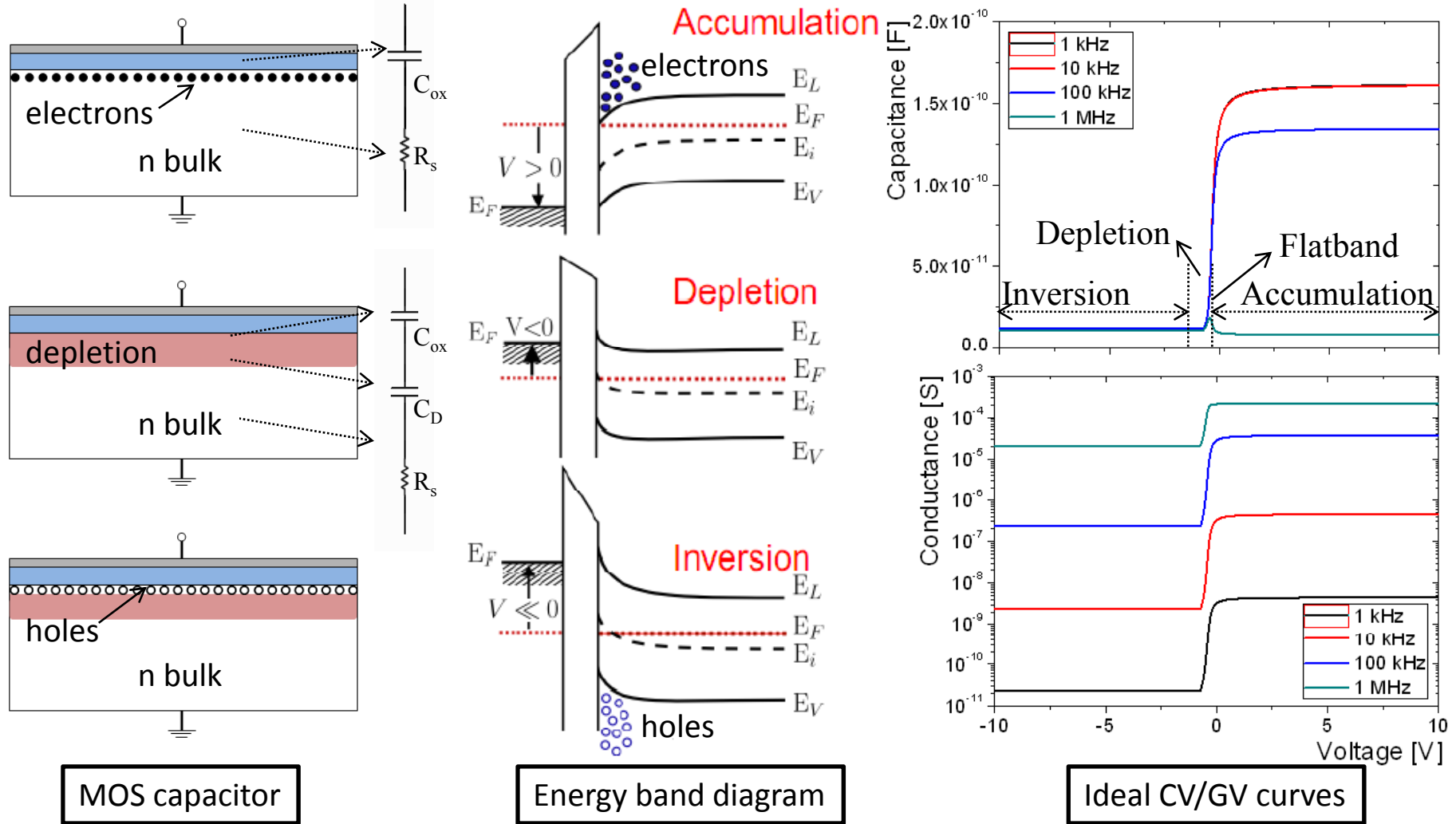
# Main effects on silicon devices at XFEL

Charges in the  $\text{SiO}_2$  and  $\text{Si-SiO}_2$  interface:



# CMOS capacitor

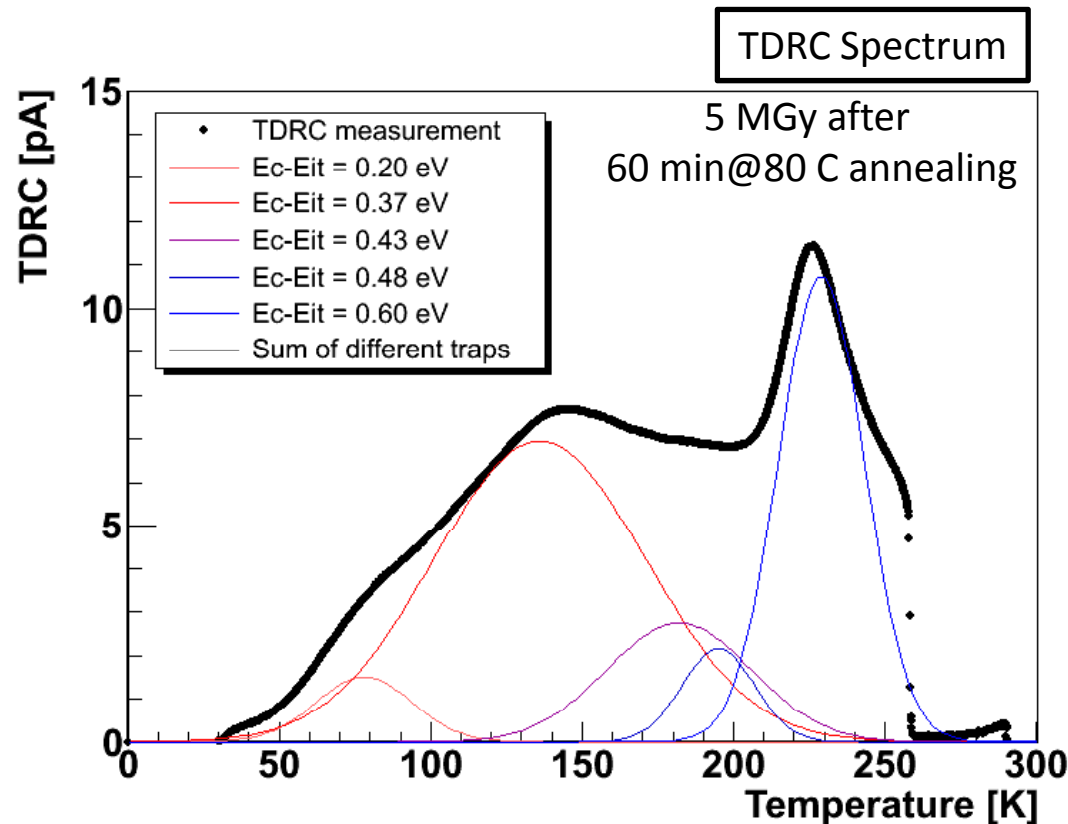
Ideal CV and GV curves (no bulk, interface traps or fixed oxide charges):



# From microscopic defects to macroscopic properties

Microscopic measurement on interface states density  $D_{it}$  [ $\text{cm}^{-2}\text{eV}^{-1}$ ]:

- **TDRC** (Thermally Dielectric Relaxation Current)



Principle of TDRC:

1. Fill interface traps with electrons at room temperature
2. Cool down the device to freeze the traps
3. Deplete Si-SiO<sub>2</sub> interface at low temperature (30 K)
4. Traps release charges, which induce current, during heating up the silicon device

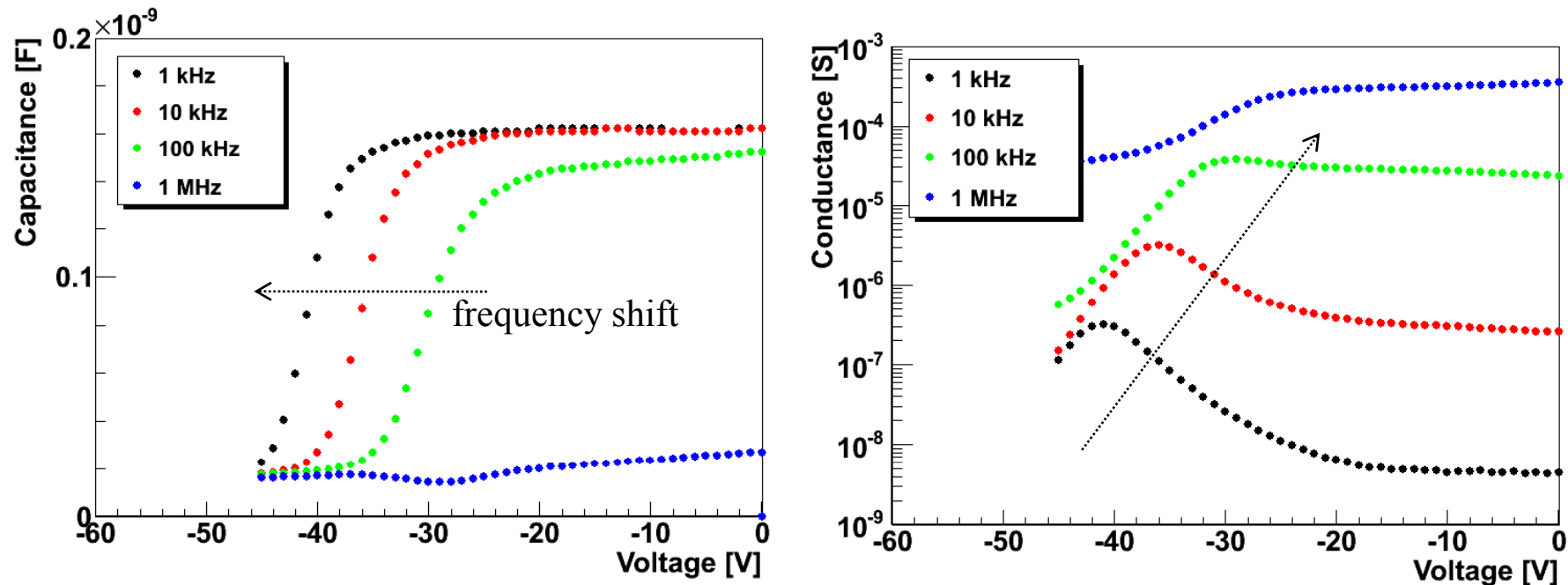
TDRC current [pA]  $\rightarrow D_{it}$  [ $\text{cm}^{-2}\text{eV}^{-1}$ ];  
Temperature [K]  $\rightarrow E_c - E_{it}$  [eV].

*How microscopic defects affect macroscopic properties?*

# From microscopic defects to macroscopic properties

Macroscopic measurements of a MOS capacitor after 5 MGy X-ray irradiation:

- **CV & GV** (Capacitance - Voltage & Conductance - Voltage):



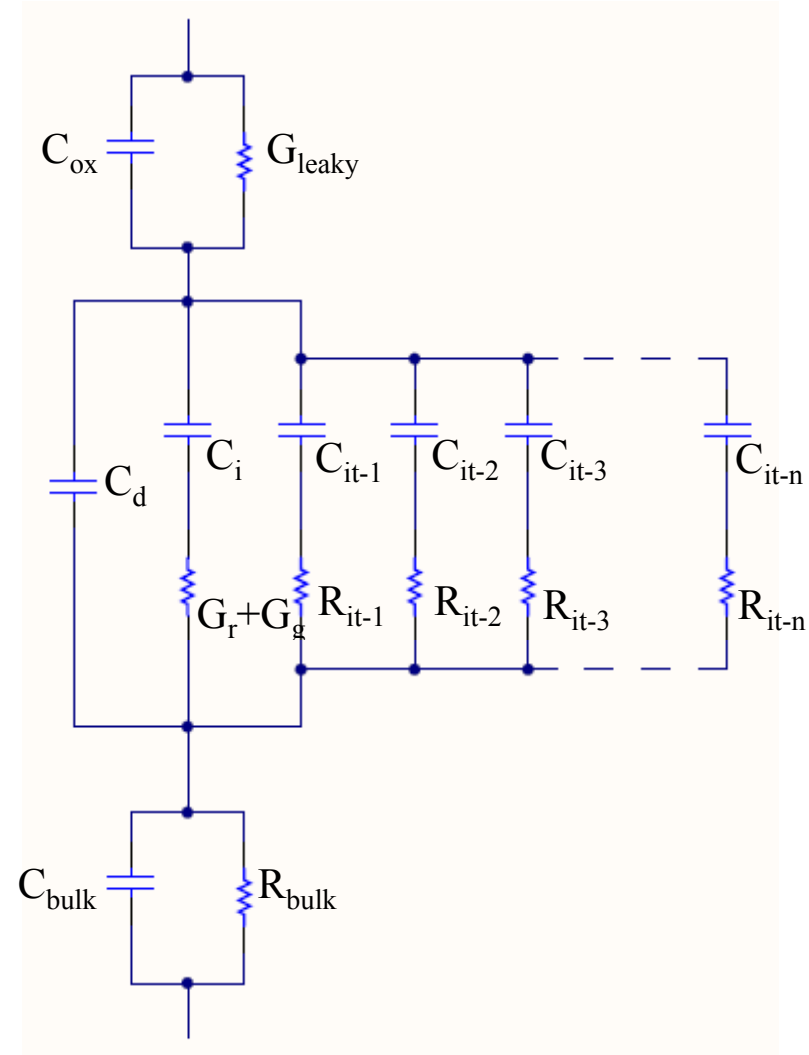
Compared with ideal CV/GV curves:

- Frequency shift for capacitance and conductance ← interface traps
- Add up conductance in depletion ← interface traps
- Shift of flatband voltage ← fixed oxide charges + interface traps

# The model of MOS capacitor

Elements in the model:

- $C_{ox}$  – oxide capacitance
- $G_{leaky}$  – leaky conductance of the  $SiO_2$  layer, isolation degradation due to irradiation
- $C_d$  – capacitance of space charge region
- $C_i$  – inversion capacitance, due to accumulated minority carriers at the interface
- $G_r$  – recombination conductance, due to the diffusion of minority free carriers,  
 $\rightarrow N_i^2/N_d, \tau_h, d_{si}, V_s$
- $G_g$  – generation conductance, from bulk traps,  
 $\rightarrow \tau_e, \tau_h, d_{sc}, E_t, V_s$



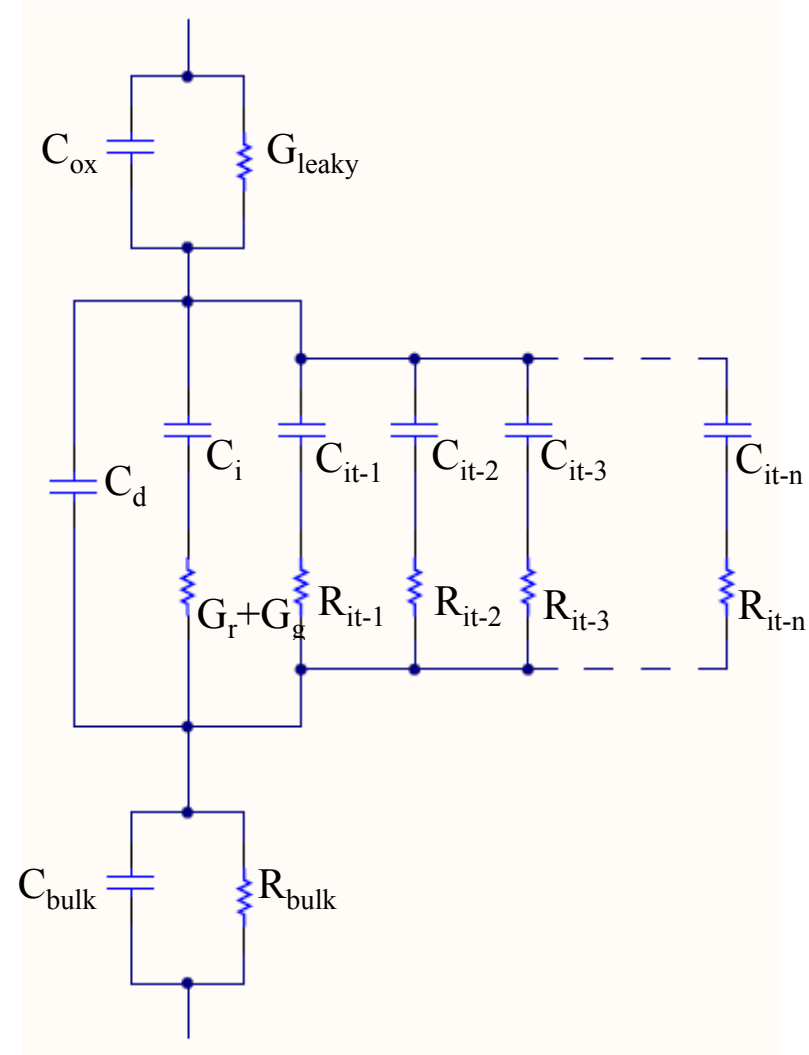
# The model of MOS capacitor

Elements in the model:

- **$C_{it}$  – interface trap capacitance,**  
 $\rightarrow N_d, D_{it}, E_{it}, \sigma_{eff}, V_s$
- **$R_{it}$  – interface trap resistance**  
 $\rightarrow N_d, D_{it}, E_{it}, \sigma_{eff}, V_s$
- $C_{bulk}$  – capacitance from undepleted region
- $R_{bulk}$  – resistance from undepleted region

Working range:

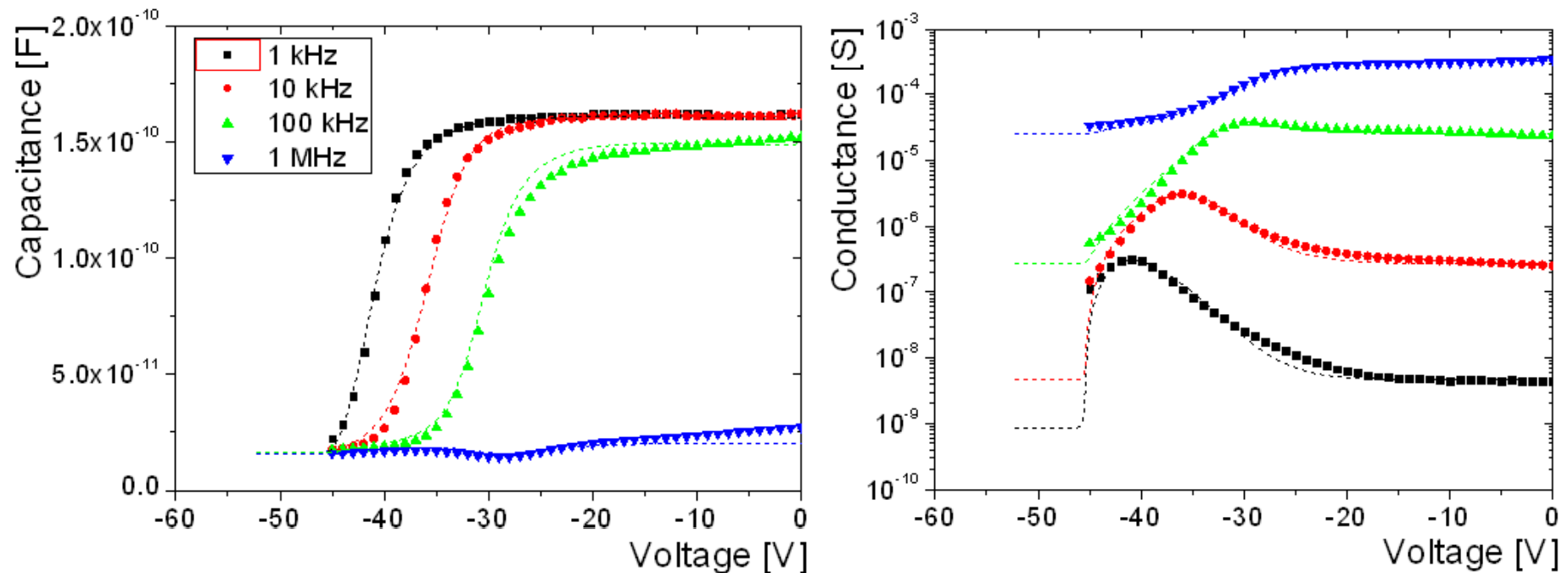
- Voltage: strong accumulation to inversion
- Frequency: (Hz?) kHz ~ MHz



# The model of MOS capacitor

Model calculation for a MOS capacitor after 5 MGy irradiation:

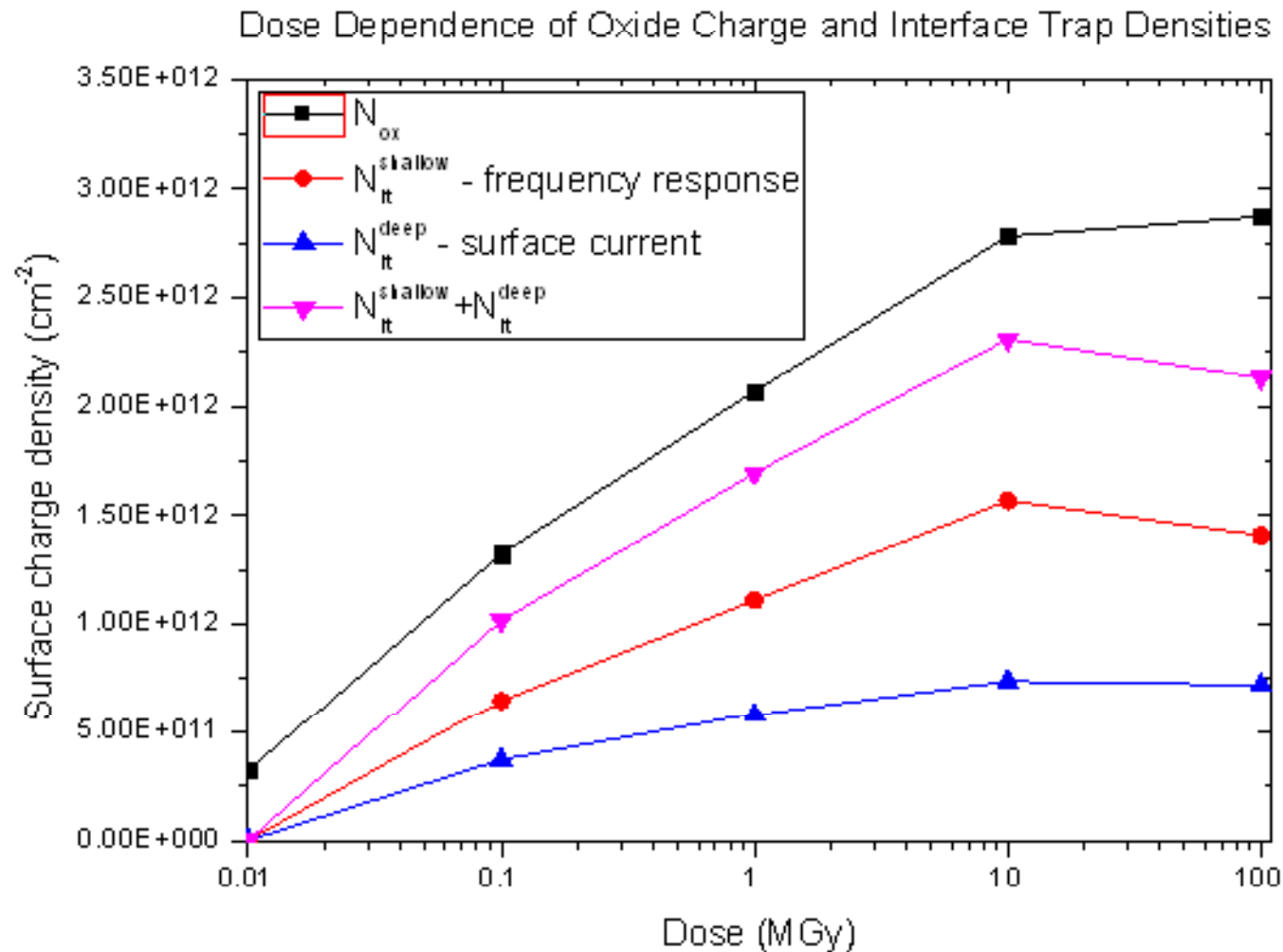
- TDRC spectrum as an input for  $D_{it}$  in the program
- CV & GV were calculated and compared with experimental results



***Model calculation was used to extract radiation introduced surface charges!***

# Extracted parameters based on model calculation

Results of fixed oxide charge density and interface trap density:



# Summary

- Properties of X-ray induced surface charges were studied.
- Damage related parameters were extracted according to model calculation: it is shown that both fixed oxide charges and interface traps saturate at 10 MGy.
- Extracted parameters were put into Synopsys TCAD simulation to optimize sensor design for XFEL requirements.

***Thank you!***

# Input parameters

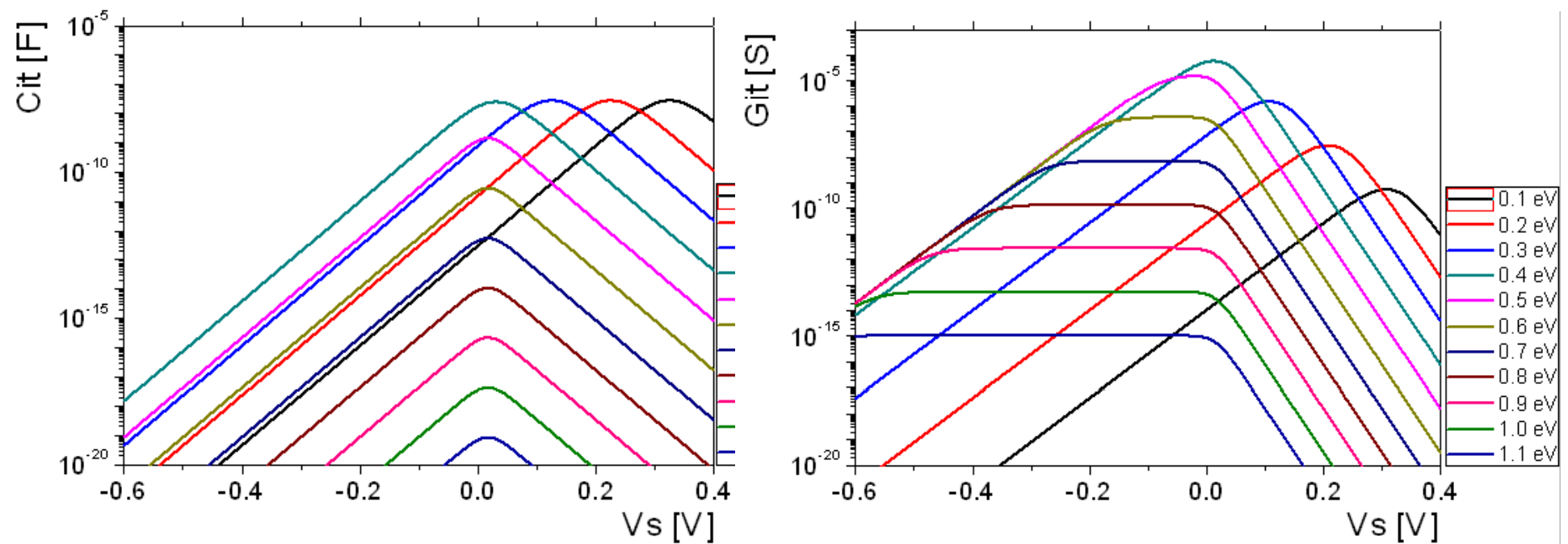
## 5 MGy MOS after 60min@80C annealing:

- $N_d=2.55 \times 10^{12} \text{cm}^{-3}$
- $N_{ds}=3.55 \times 10^{12} \text{cm}^{-3}$
- $N_{ox}=2.55 \times 10^{12} \text{cm}^{-2}$
- $dsi=285 \mu\text{m}$
- $dox=377 \text{nm}$
- $Gleaky=2 \times 10^{-9} \Omega^{-1}$
- $Sg=1.767 \times 10^{-2} \text{cm}^2$
- $T=295 \text{K}$
- $\tau_e=170 \mu\text{s}, \tau_h=170 \mu\text{s}$
- $E_c-E_t=0.561 \text{eV}$
- $\sigma_{eff}=2 \times 10^{-15} \text{cm}^2$  for  $E_c-E_t=0.2$  &  $0.37 \text{eV}$
- $\sigma_{eff}=1 \times 10^{-16} \text{cm}^2$  for  $E_c-E_t=0.43$  &  $0.48 \text{eV}$
- $\sigma_{eff}=8 \times 10^{-16} \text{cm}^2$  for  $E_c-E_t=0.60 \text{eV}$
- $\Phi_{ms}=0$

## Single energy level study:

- $N_d=1.55 \times 10^{12} \text{cm}^{-3}$
- $N_{ox}=5 \times 10^{11} \text{cm}^{-2}$
- $dsi=285 \mu\text{m}$
- $dox=377 \text{nm}$
- $Gleaky=0 \Omega^{-1}$
- $Sg=1.767 \times 10^{-2} \text{cm}^2$
- $T=295 \text{K}$
- $\tau_e=170 \mu\text{s}, \tau_h=170 \mu\text{s}$
- $E_c-E_t=0.561 \text{eV}$
- $\sigma_{eff}=1 \times 10^{-16} \text{cm}^2$
- $N_{it}=1 \times 10^{12} \text{cm}^{-2}$
- $\Phi_{ms}=0$

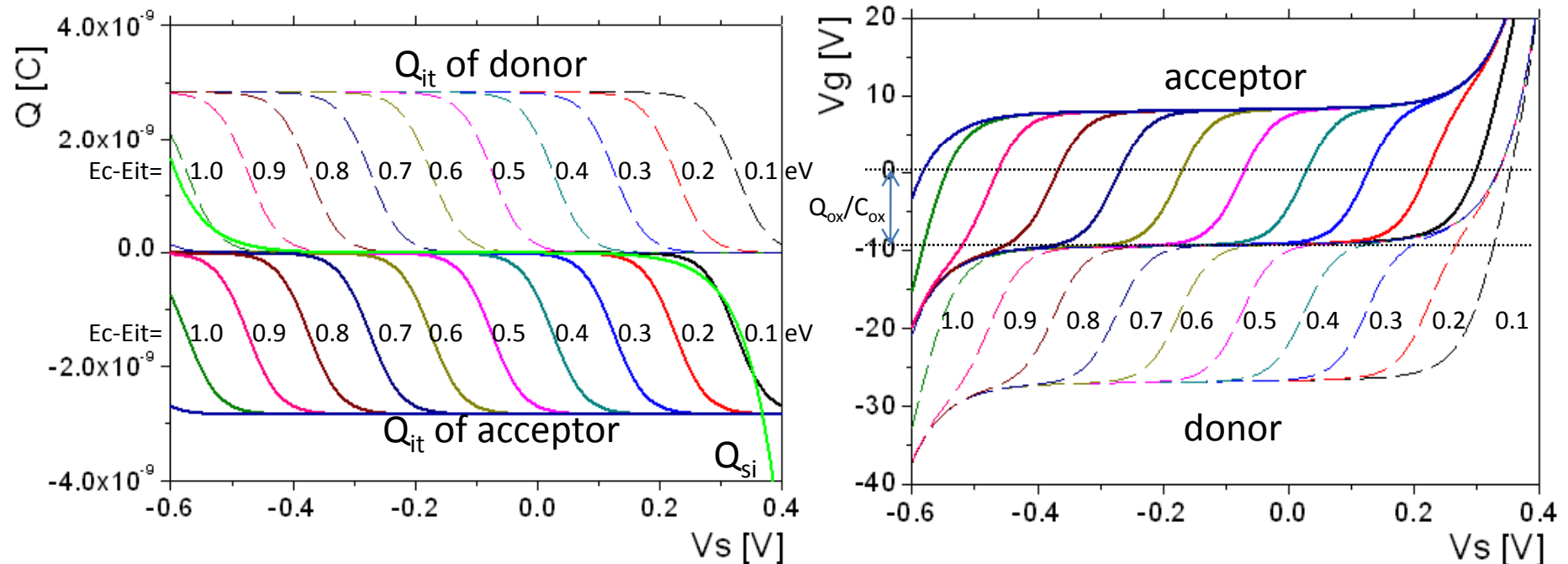
# Cit and Git in parallel mode



# How interface traps work

Properties of single energy level trap ( $E_c - E_{it} = 0.1 \text{ eV} \dots 1.0 \text{ eV}$ ,  $\sigma_{\text{eff}} = 10^{-16} \text{ cm}^2$ )

- Charges stored in the traps with a concentration  $10^{12} \text{ cm}^{-2}$  at  $T = 295 \text{ K}$ :



Acceptor-like trap: “-” when occupied by electrons; “0” when empty.

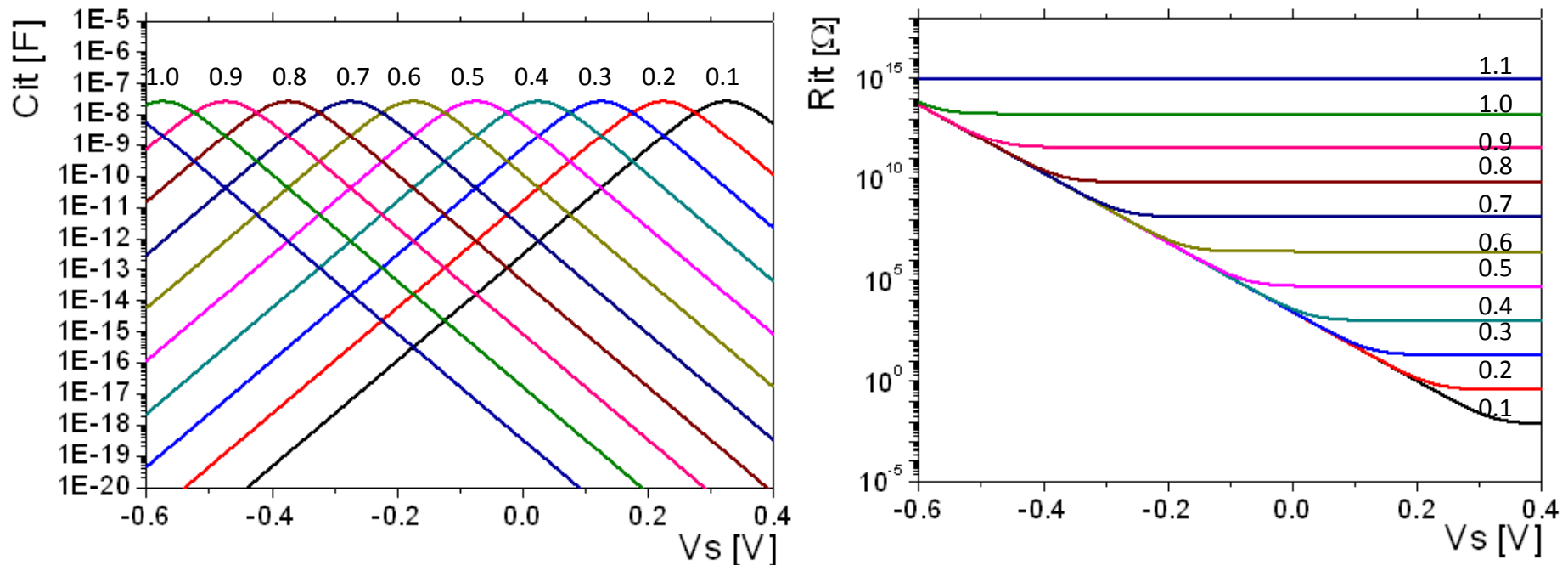
Donor-like trap: “0” when occupied by electrons; “+” when empty.

$$V_g = V_s + V_F + \phi_{ms} - \frac{Q_{si}}{C_{ox}} - \frac{Q_{ox}}{C_{ox}} - \frac{Q_{it}}{C_{ox}}$$

# How interface traps work

Properties of single energy level trap ( $E_c - E_{it} = 0.1 \text{ eV} \dots 1.0 \text{ eV}$ ,  $\sigma_{\text{eff}} = 10^{-16} \text{ cm}^2$ )

- Interface trap capacitance and conductance (resistance):



$C_{it}$  reaches maximum once Fermi energy level crosses the energy level of the trap

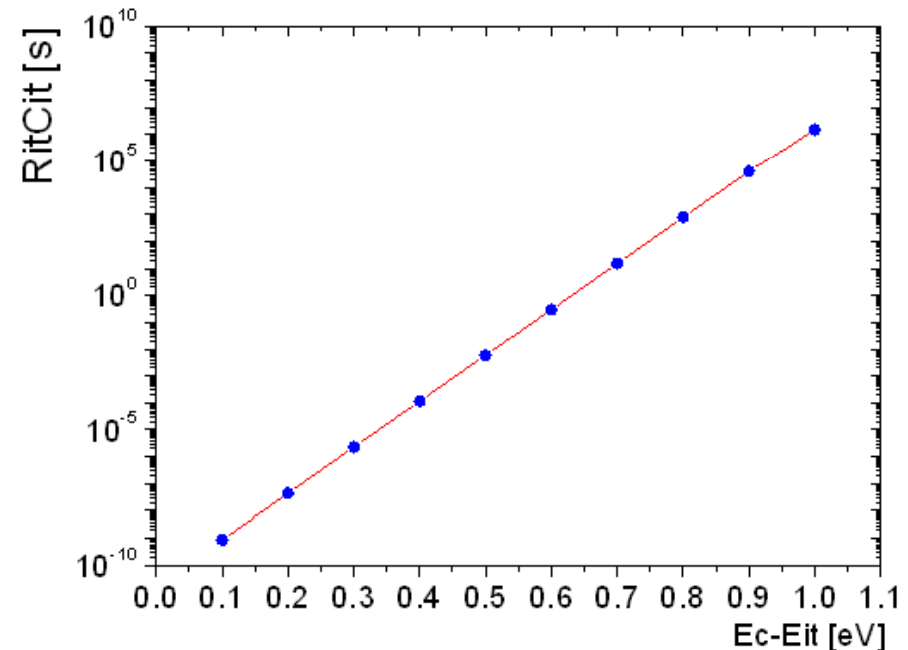
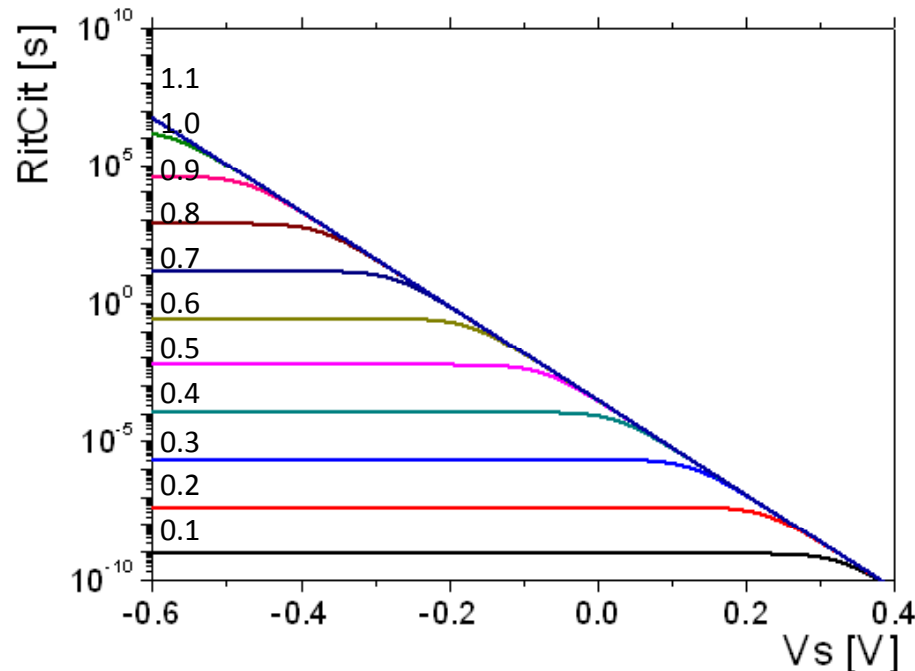
$R_{it}$  stands for the “ability” of a trap to communicate with majority carriers.

$C_{it}$  and  $R_{it}$  do not show type of trap and frequency dependence! Frequency dependence of capacitance and conductance is due to the transformation from series mode to parallel mode.

# How interface traps work

Properties of single energy level trap ( $E_c - E_{it} = 0.1 \text{ eV} \dots 1.0 \text{ eV}$ ,  $\sigma_{\text{eff}} = 10^{-16} \text{ cm}^2$ )

- RC time constants of interface trap:



$R_{it}C_{it}$  time constants do not saturate until Fermi level below trap level

→ time needed to charge or discharge a trap depends on band bending

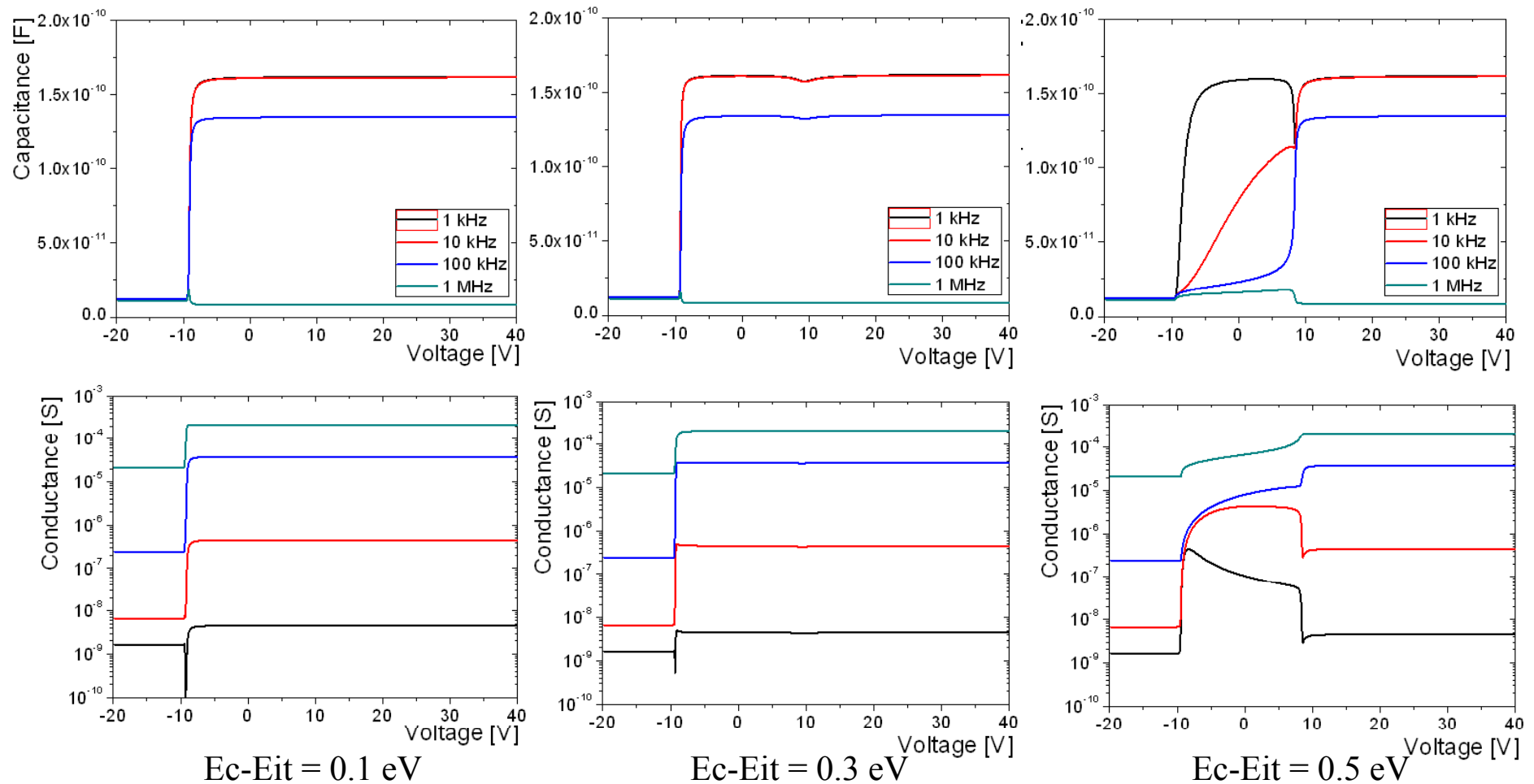
$\log(R_{it}C_{it})$  linearly increases with the energy level of trap.

→ charging or discharging time depends on the energy level of the trap

# How interface traps work

Evolution of CV/GV due to single energy level trap:

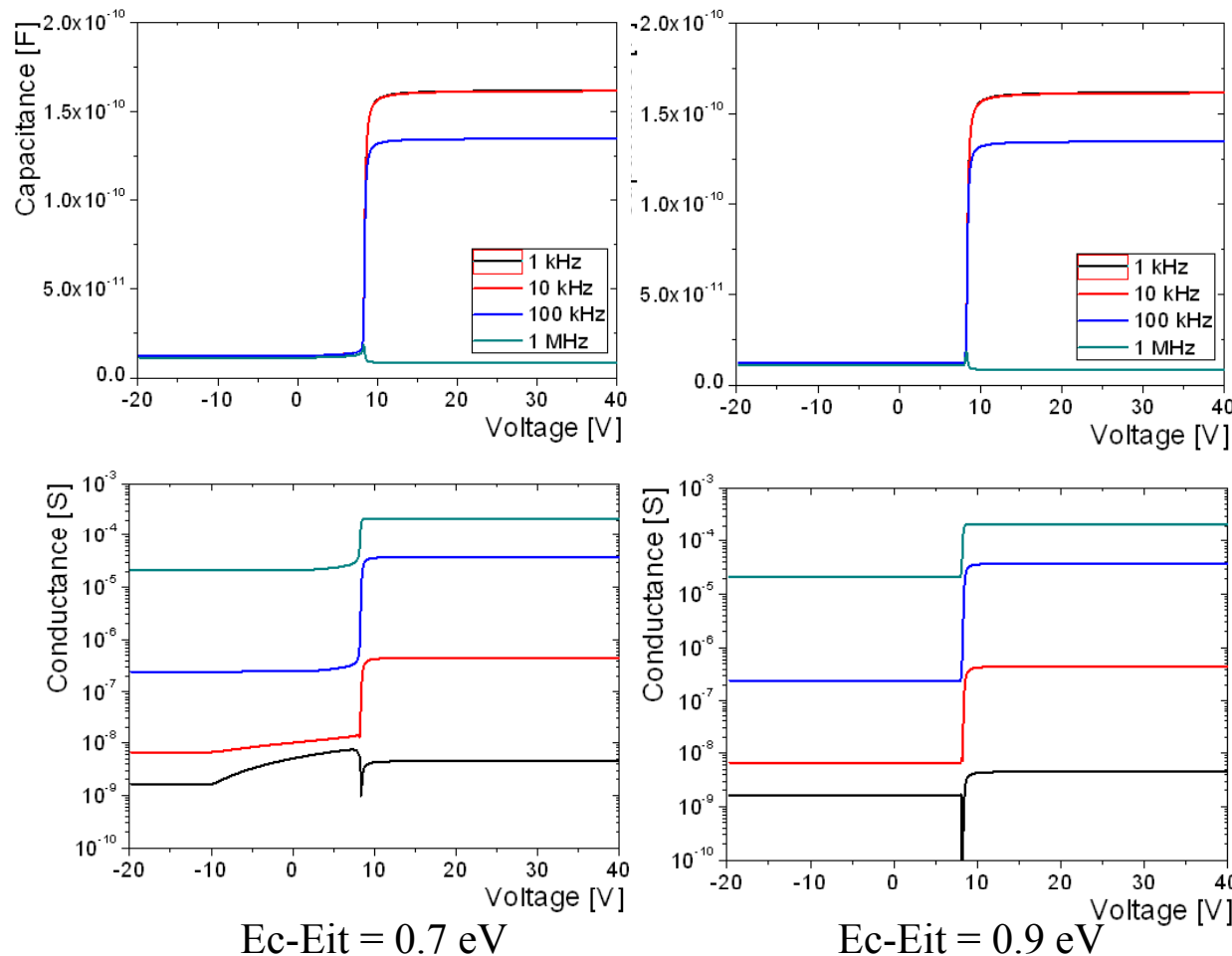
( $E_c - E_{it} = 0.1 \text{ eV} \dots 0.9 \text{ eV}$ , acceptor-like traps assumed,  $T = 295 \text{ K}$ ,  $\sigma_{\text{eff}} = 10^{-16} \text{ cm}^2$ )



# How interface traps work

Evolution of CV/GV due to single energy level trap:

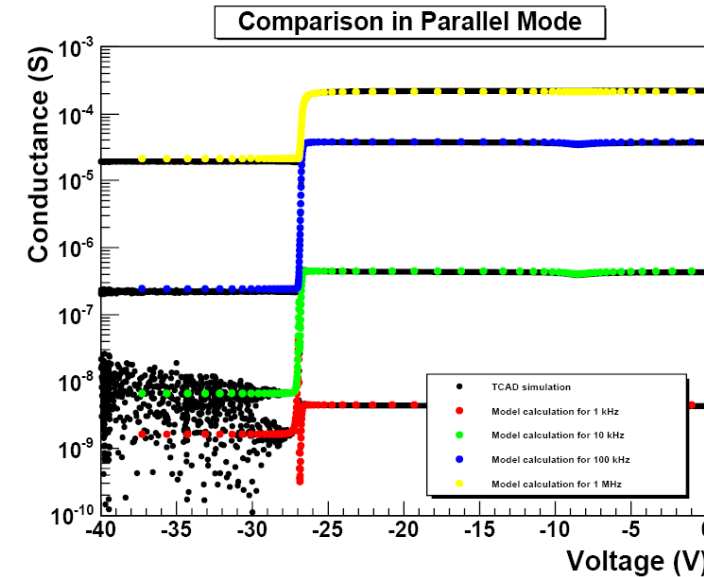
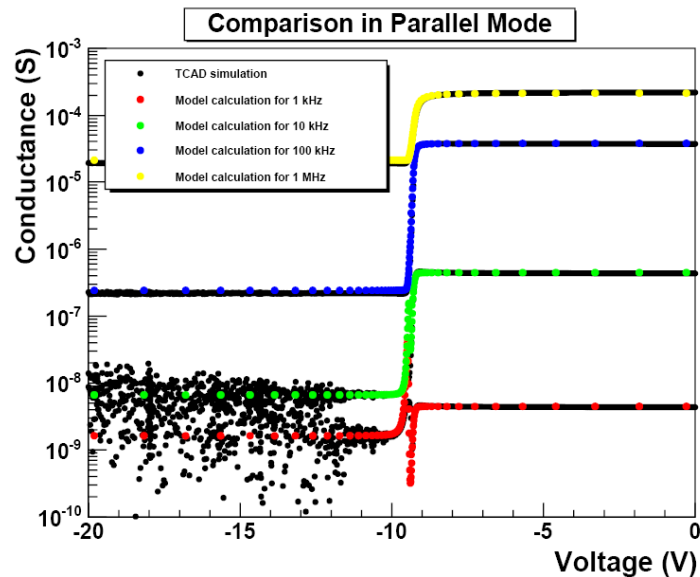
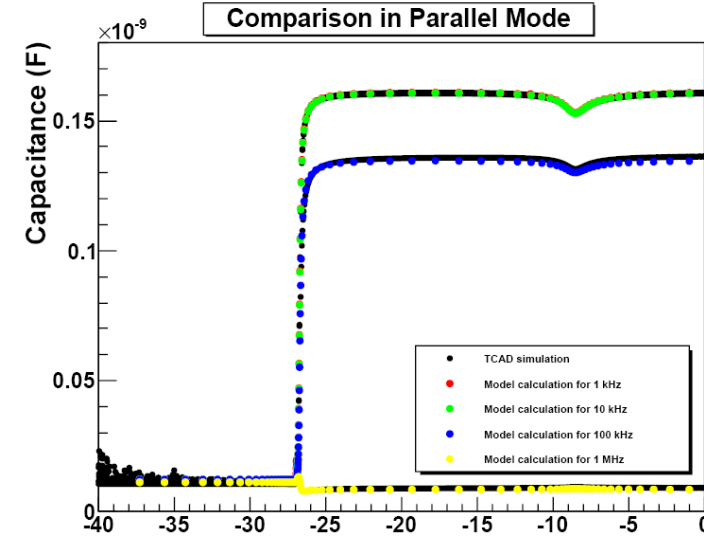
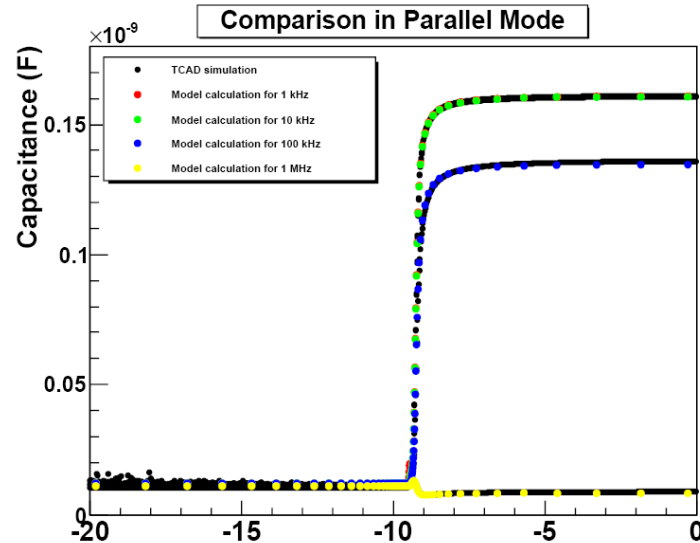
( $E_c - E_{it} = 0.1 \text{ eV} \dots 0.9 \text{ eV}$ , acceptor-like traps assumed,  $T=295 \text{ K}$ ,  $\sigma_{\text{eff}}=10^{-16} \text{ cm}^2$ )



At room temperature, only the trap level ( $E_c - E_{it}$ ) between  $0.3 \text{ eV} - 0.7 \text{ eV}$  will disperse the CV (frequency dependence) and contribute to the total conductance!

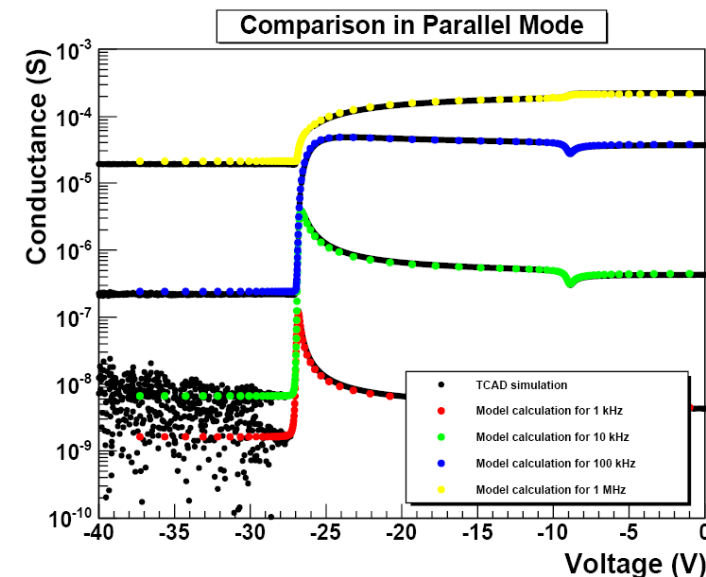
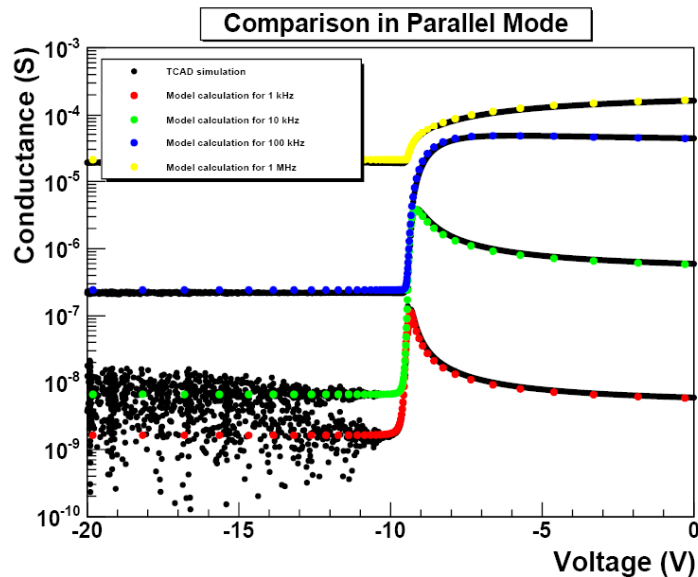
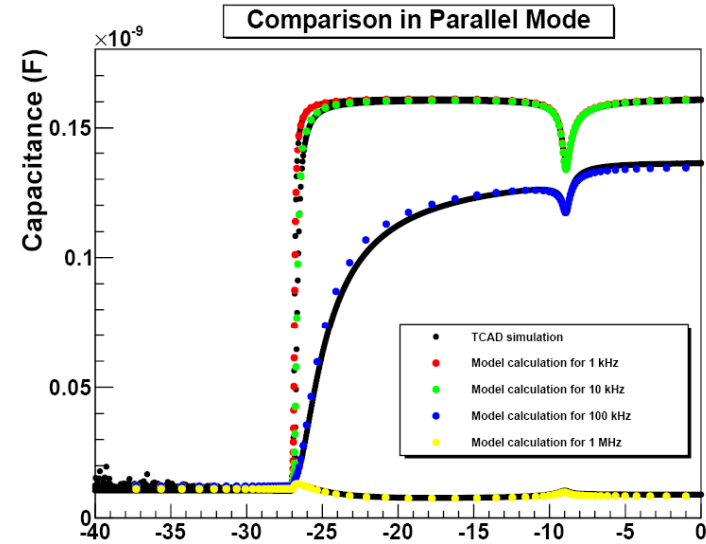
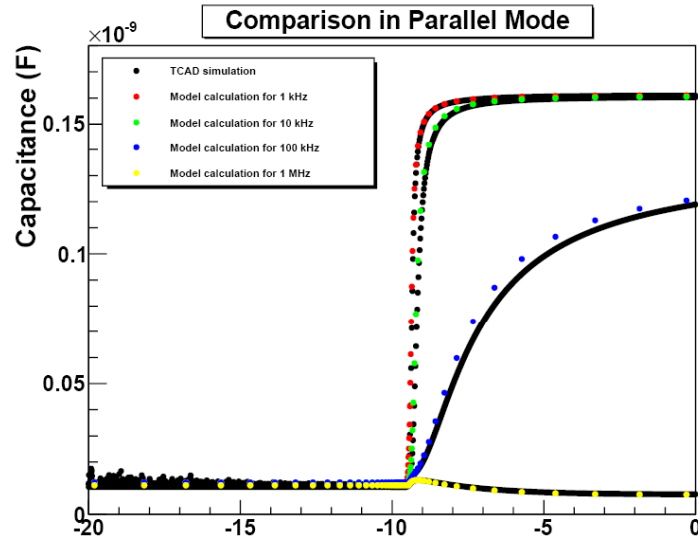
# Comparison between model and TCAD simulation

$E_c - E_{it} = 0.35 \text{ eV}$ ,  $N_{it} = 10^{12} \text{ cm}^{-2}$ , acceptor-like trap     $E_c - E_{it} = 0.35 \text{ eV}$ ,  $N_{it} = 10^{12} \text{ cm}^{-2}$ , donor-like trap



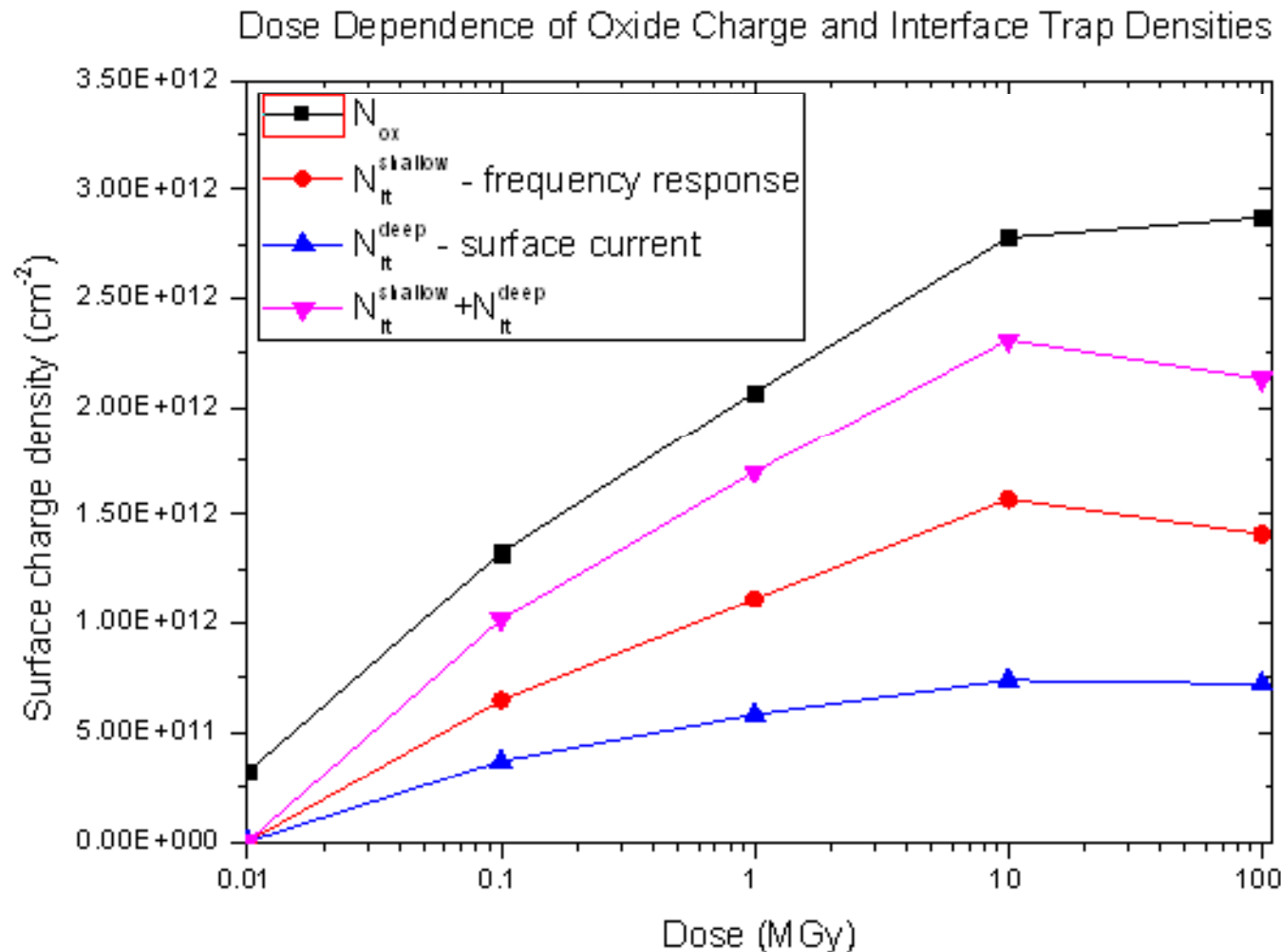
# Comparison between model and TCAD simulation

$E_c - E_{it} = 0.45$  eV,  $N_{it} = 10^{12} \text{ cm}^{-2}$ , acceptor-like trap     $E_c - E_{it} = 0.45$  eV,  $N_{it} = 10^{12} \text{ cm}^{-2}$ , donor-like trap



# How to determine surface charges from experiments

## Results of microscopic parameters:



Some typical values:

Oxide charge density:  
 $N_{\text{ox}}(\text{sat}) \sim 10^{12} \text{ cm}^{-2}$

Interface trap density:  
 $N_{\text{it}}(\text{sat}) \sim 10^{12} \text{ cm}^{-2}$

Surface current:  
 $I_{\text{surface}}(\text{sat}) \sim 10 \mu\text{A/cm}^2$

Recombination velocity:  
 $S_o(\text{sat}) = I_{\text{surface}} / (q_0 * n_i)$   
 $\sim 7 \times 10^3 \text{ cm/s}$

Surface charge densities saturate at 1 ~ 10 MGy

# Charges built up

## Basic mechanisms to form surface charges in an X-ray environment:

- Most e-h pairs recombine
- Electrons escape, holes are much slower and finally get trapped

$\text{SiO}_2$ :  
 $\mu_n \sim 20 \text{ cm}^2/(\text{Vs})$ ,  
 $\mu_p \sim 2 \times 10^{-5} \text{ cm}^2/(\text{Vs})$

- For high electric field case, oxide charge density could be 3 times larger than normal case.

