

Direct measurements of DPI in ATLAS

Ellie Dobson

On behalf of the ATLAS collaboration*

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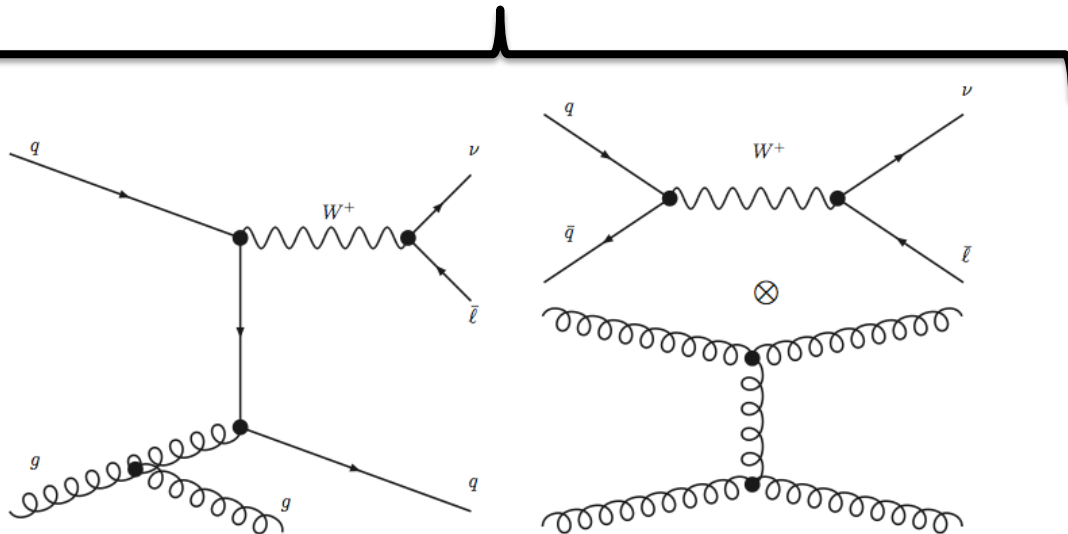
Motivation and method

Motivation: To quantify the probability of **hard** secondary scatter

- ? Hard DPI (double parton interactions) forms an irreducible BG to new physics searches and is not modelled well in MC generators
- ? Is DPI rate process independent?
- ? (How) does DPI rate depend on the collision energy?

Method: Exploit kinematic difference in DPI events to measure fraction of W +DPI contamination in W +2jet events, and use to extract σ_{eff}

These two will both pass W +2jet selection (in what fraction?)



Samples and selection

Sample	Details
Pythia inclusive	v6, AMBT tune 1
Sherpa inclusive	v1.3.1, default UE
Alpgen+Herwig+Jimmy inclusive	MLM matching, Jimmy v4.31, AUET tune, Herwig v6.510
Sherpa MPI off	As above + MI_HANDLER=NONE
Alpgen+Herwig+Jimmy MPI off	As above + remove events where both jets' closest outgoing parton with $P_T > 3.5$ GeV is not primary
Data (W sample)	All 2010 data run
Data (jet sample)	All 2010 data run

W selection

Single lepton trigger

1 lepton (e, μ) $P_T > 20$ GeV, $\eta < 2.5$

MET > 25 GeV, $M_T > 40$ GeV

2 jets, $P_T > 20$ GeV, $y < 2.8$

Jet selection

Minimum bias trigger

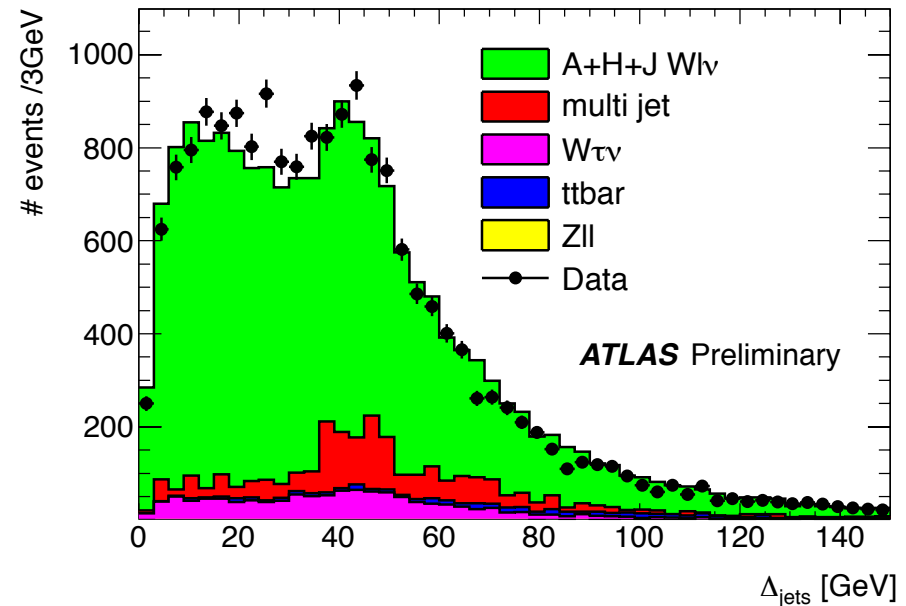
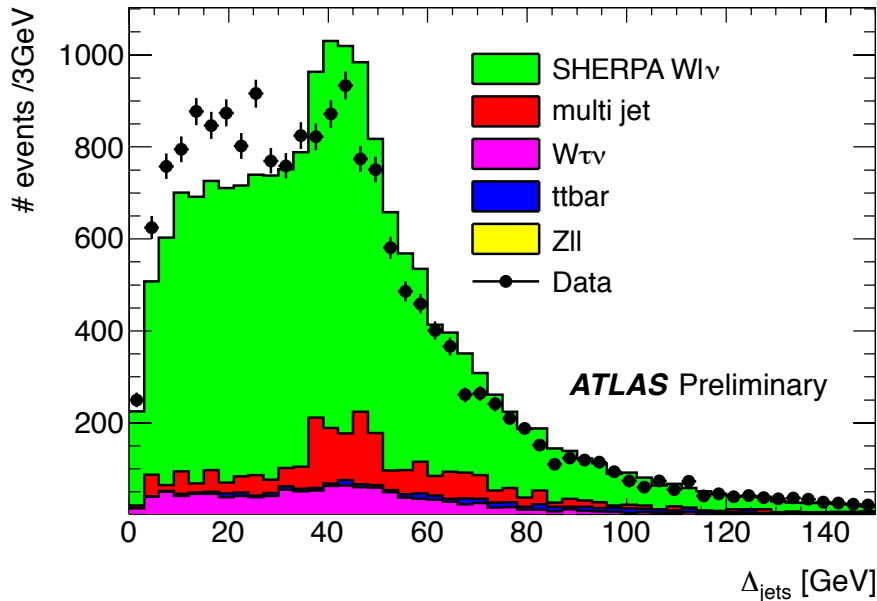
2 jets, $P_T > 20$ GeV, $y < 2.8$

Wjj topology I

$$\Delta_{jets} = \left| \vec{P}_T^{J1} + \vec{P}_T^{J2} \right|$$

Component of jets back to back

Component of jets recoiling from W

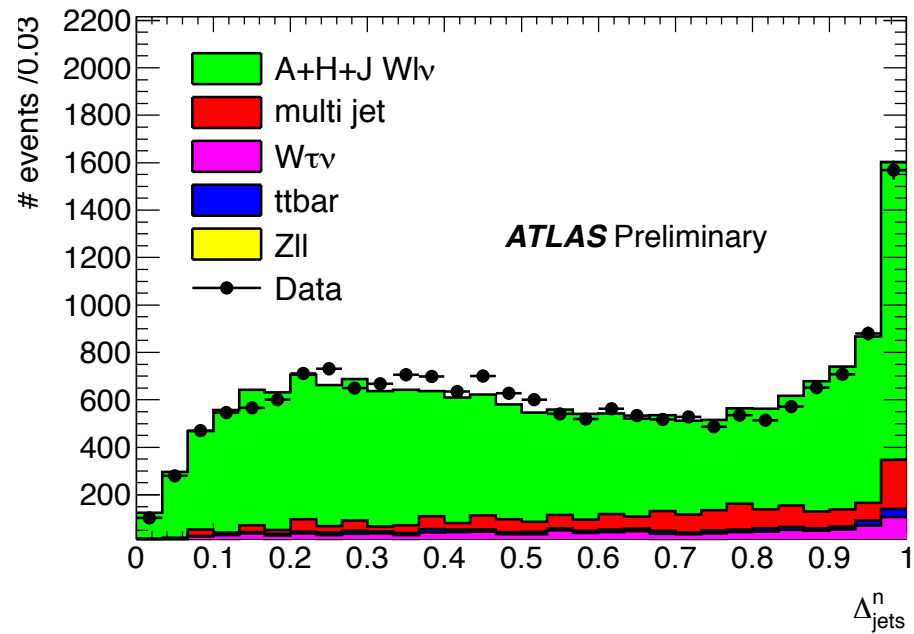
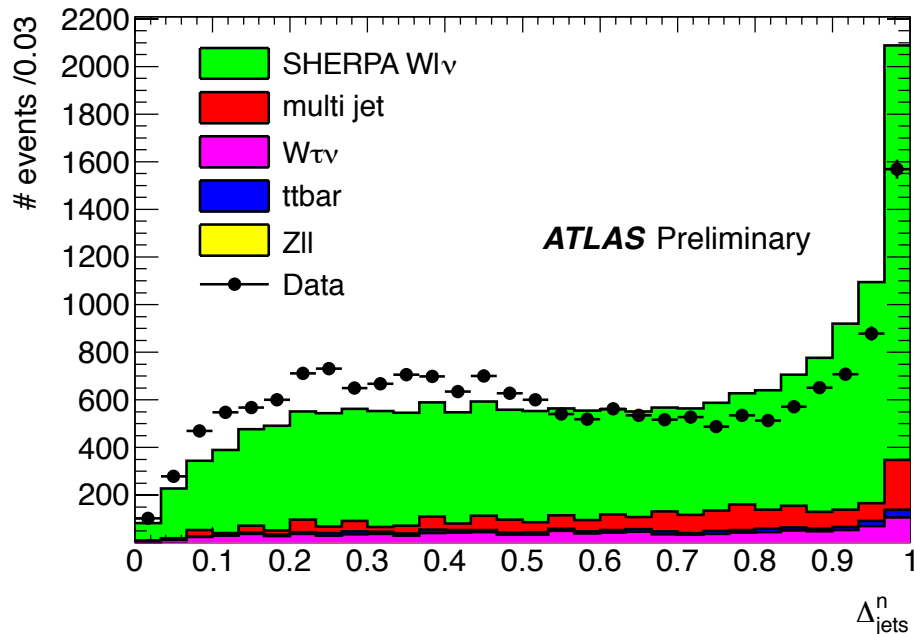


Wjj topology II

$$\Delta_{jets}^n = \frac{|\vec{P}_T^{J1} + \vec{P}_T^{J2}|}{|\vec{P}_T^{J1}| + |\vec{P}_T^{J2}|}$$

Component of jets back to back

Component of jets recoiling from W



Extracting DPI rate f_{DP}^R

$$f_{DP}^R = \frac{N_{W_0+2j_{MPI}}}{N_{W+2j}}$$

Overall distribution = $(1-f_{DP}^R)$ • Template A + f_{DP}^R • Template B

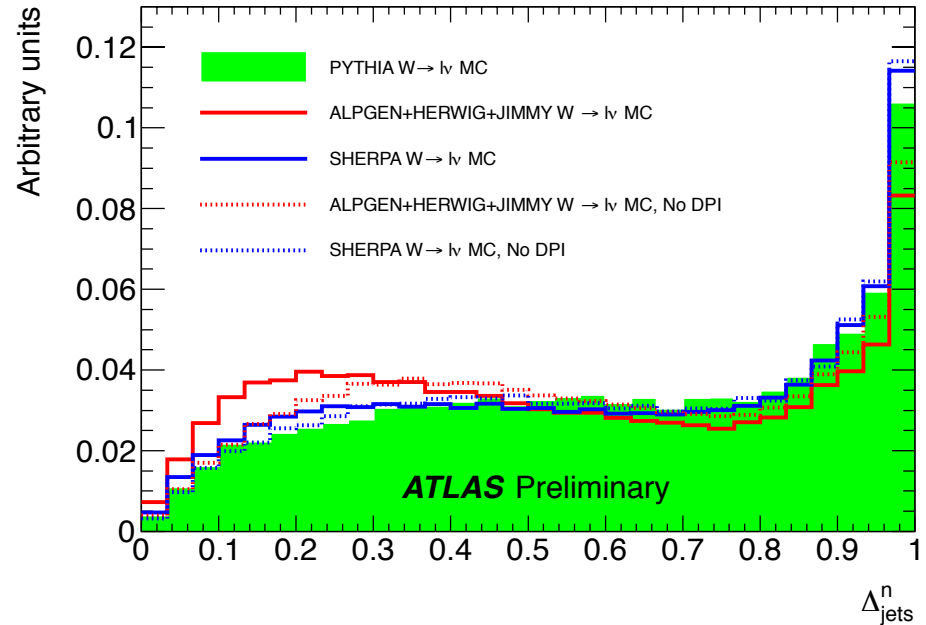
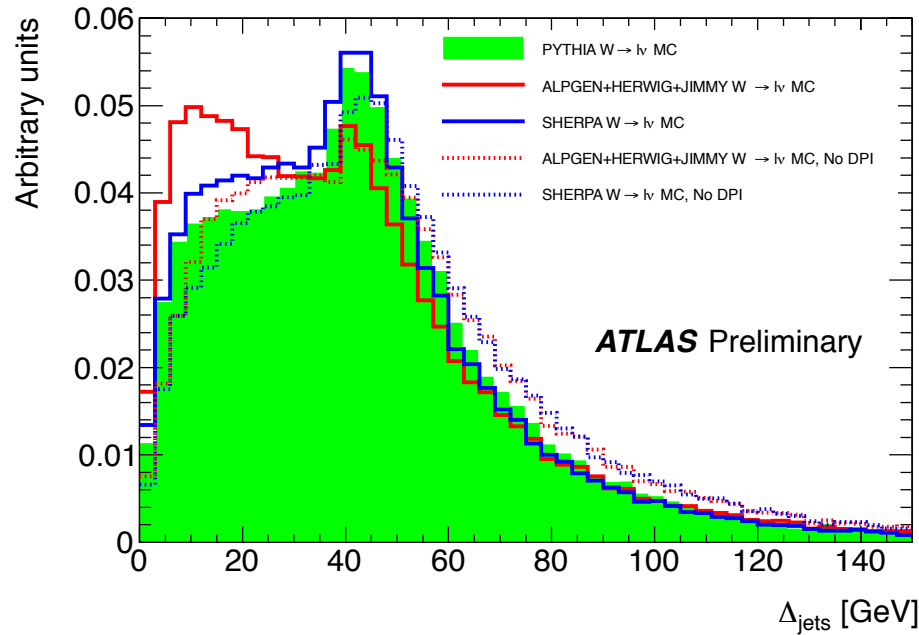


W+2jet (direct)



W+2jet (MPI)

Template A: DPI Off



Template B: DPI only

Dijet selection in data

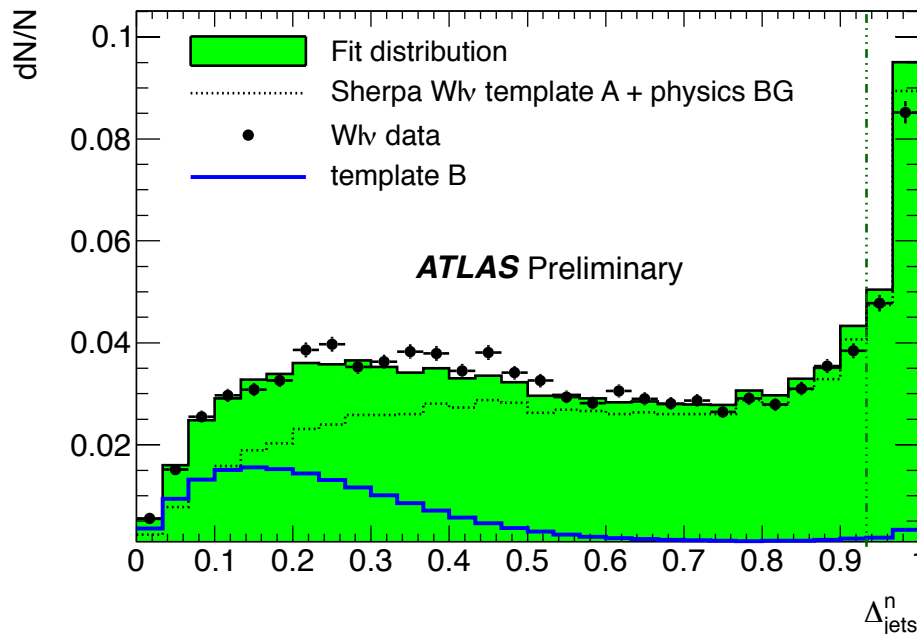
Extraction of f_{DP}^R

Overall distribution = $(1-f_{DP}^R) \cdot \text{Template A} + f_{DP}^R \cdot \text{Template B}$

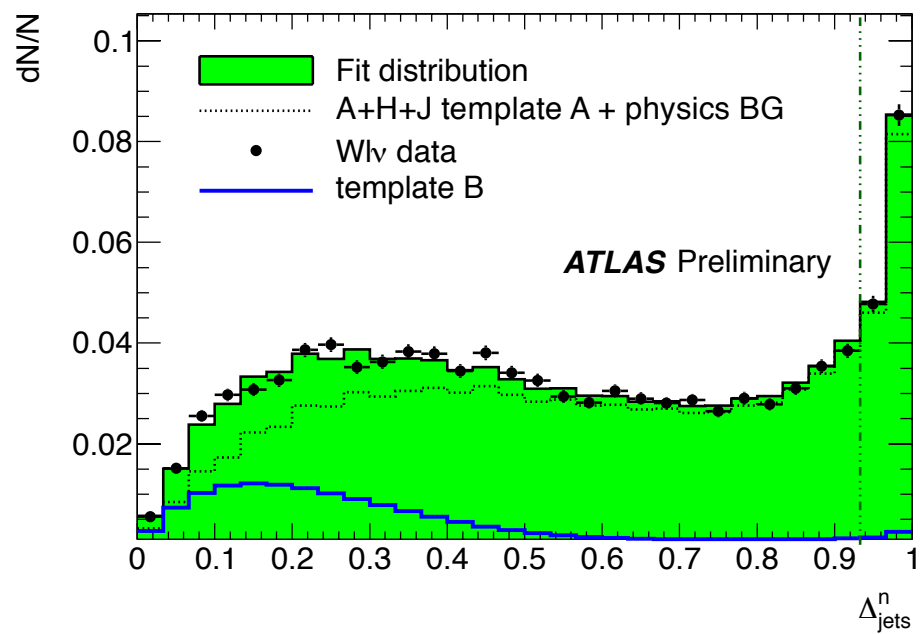


X^2 minimisation

$X^2/N_{\text{dof}} = 1.4, f_{DP}^R = 0.18$



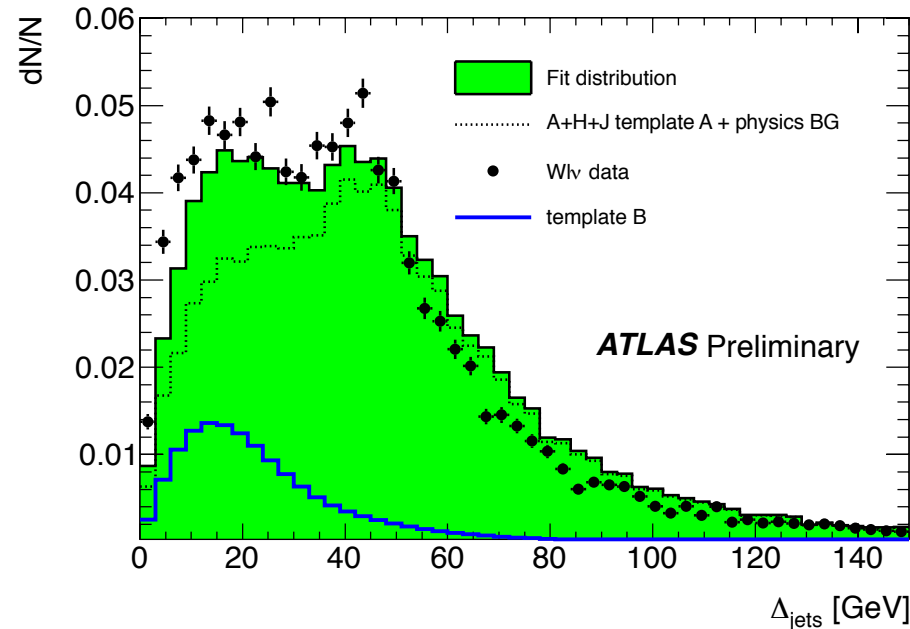
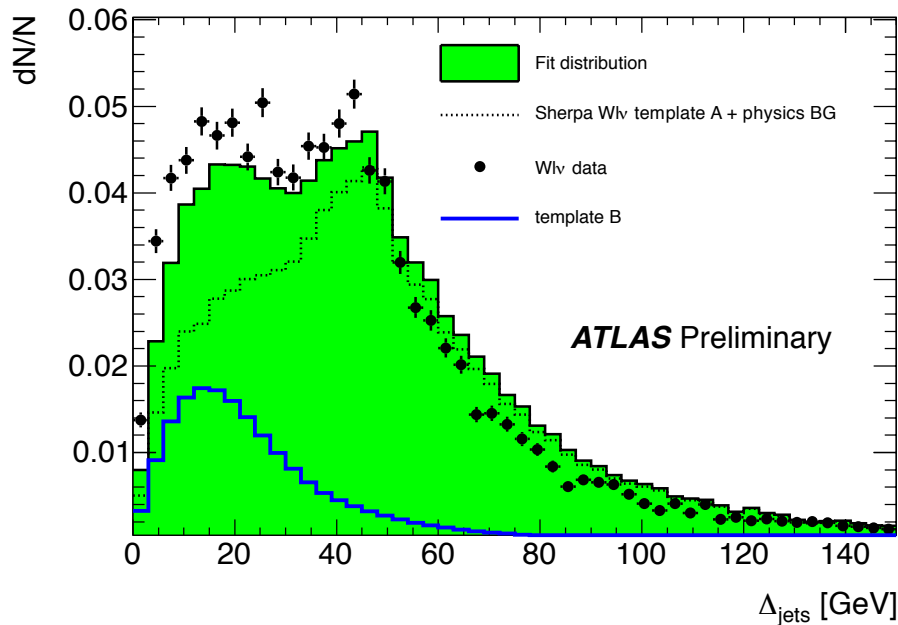
$X^2/N_{\text{dof}} = 0.9, f_{DP}^R = 0.14$



Comparison to Δ_{jets}

From previous fit

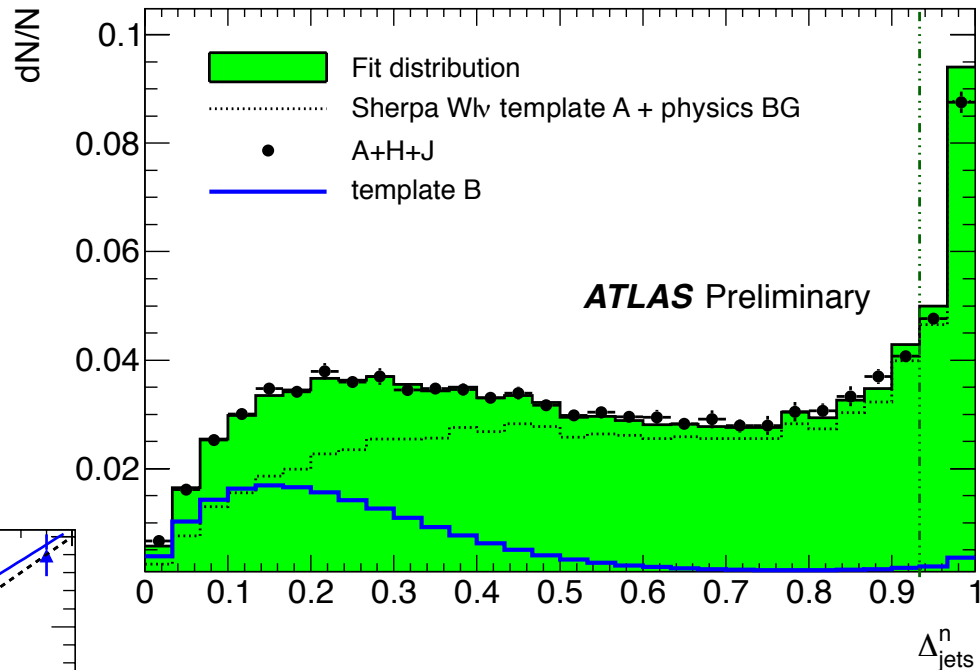
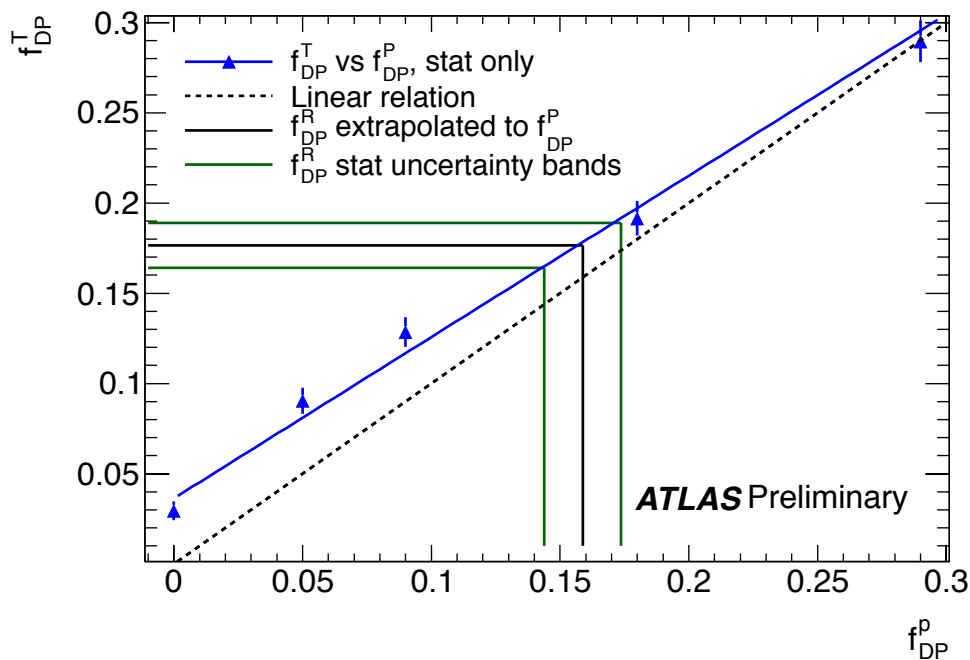
$$\text{Overall distribution} = (1-f_{\text{DP}}^{\text{R}}) \cdot \text{Template A} + f_{\text{DP}}^{\text{R}} \cdot \text{Template B}$$



Translation to parton level

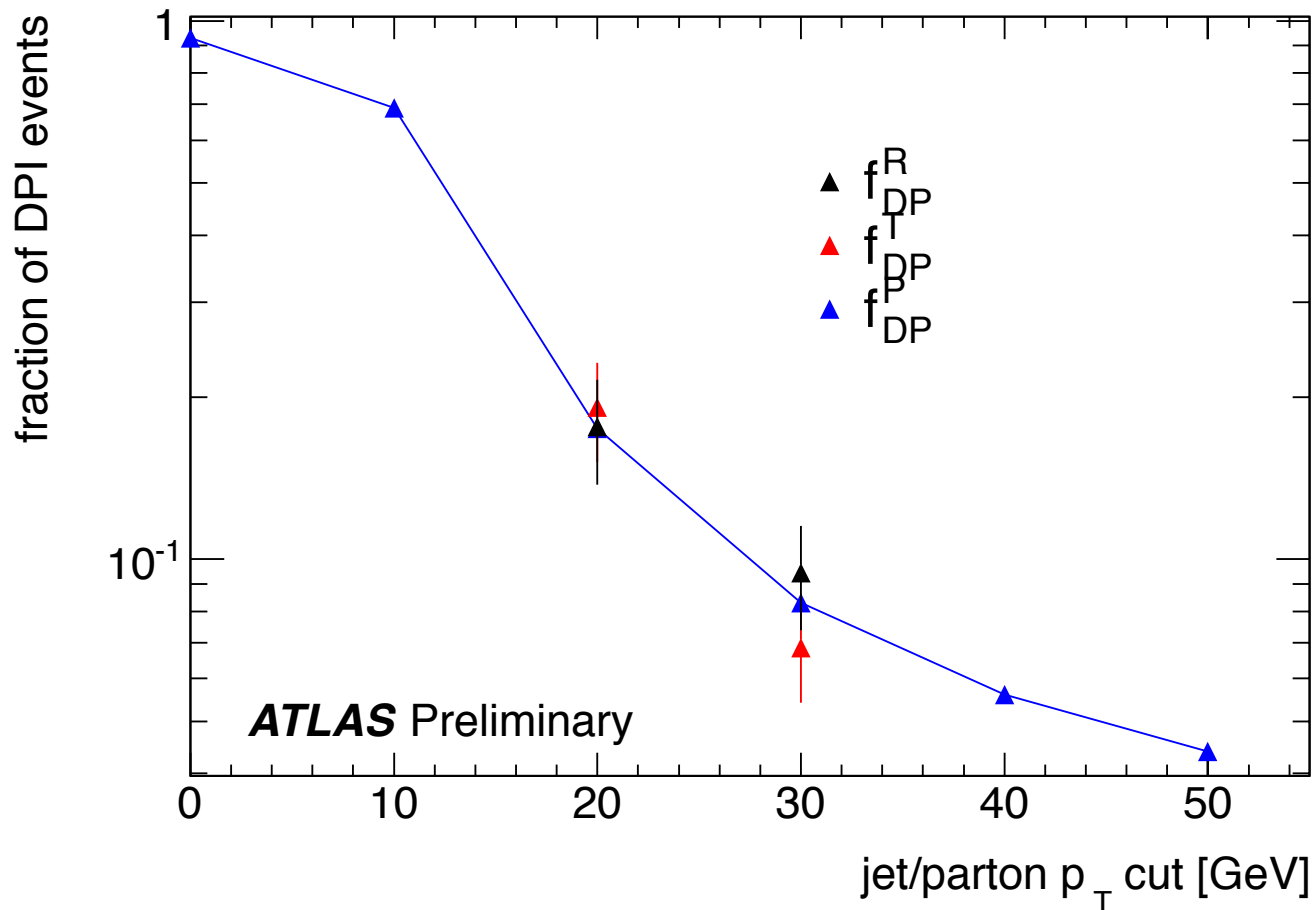
Fit \longrightarrow
 ALPGEN+HERWIG+JIMMY=
 $(1-f_{DP}^T) A$ (Sherpa) + $f_{DP}^T B$
 - vary f_{DP}^P in ALPGEN+HERWIG+JIMMY

Parton level MPI rate



Variation of f_{DP}^{R} with phase space

Both predicted and extracted DPI rate decrease as P_{T} cut is raised



f_{DP}^{R} results

Source of uncertainty	Method of evaluation	Fractional uncertainty / %
Generator modelling	ALPGEN+HERWIG+JIMMY vs SHERPA	12
Transition to parton level	Monte Carlo studies	10
Jet reconstruction	Jet energy scale shift	10
Pileup	Varying vertex number requirement	8
Trigger bias	Comparison of data streams	5
Background modelling	Varying multi jet background normalisation	1
Total systematic	Quadratic sum of the above	21
Total statistical	$\chi^2 + 1$	7

Table 2: Summary of the uncertainties on the extraction of f_{DP}^{R} .

$$f_{\text{DP}}^{\text{R}} = 0.16 \pm 0.01 \text{ (stat.)} \pm 0.03 \text{ (sys.)}.$$

Converting to σ_{eff}

Taking input definitions

$$f_{\text{DP}}^{\text{R}} = \frac{N_{W_0+2j\text{DPI}}}{N_{W+2j}}, \quad \sigma_{\text{eff}} = \frac{\sigma_{W_0} \cdot \sigma_{2j}}{\sigma_{W_0+2j\text{DPI}}},$$

writing i.t.o cross sections

$$\sigma_{\text{eff}} = \frac{1}{f_{\text{DP}}^{\text{R}}} \cdot \frac{N_{W_0} N_{2j}}{N_{W+2j}} \cdot \frac{A_{W_0+2j\text{DPI}}}{A_{W_0} A_{2j}} \cdot \frac{\epsilon_{W_0+2j\text{DPI}}}{\epsilon_{W_0} \epsilon_{2j}} \cdot \frac{\mathcal{L}_{W_0+2j\text{DPI}}}{\mathcal{L}_{W_0} \mathcal{L}_{2j}}.$$

and using input assumptions of analysis*

$$A_{W_0+2j\text{DPI}} = A_{W_0} \cdot A_{2j\text{DPI}},$$

$$A_{2j\text{DPI}} = A_{2j}.$$

Yields**

$$\sigma_{\text{eff}} = \frac{1}{f_{\text{DP}}^{\text{R}}} \cdot \frac{N_{W_0} N_{2j\text{D}}}{N_{W+2j}} \cdot \frac{1}{\epsilon_{2j\text{D}}} \cdot \frac{1}{\mathcal{L}_{2j\text{D}}}.$$

* need small correction for overlap removal

** include additional systematic for trigger bias

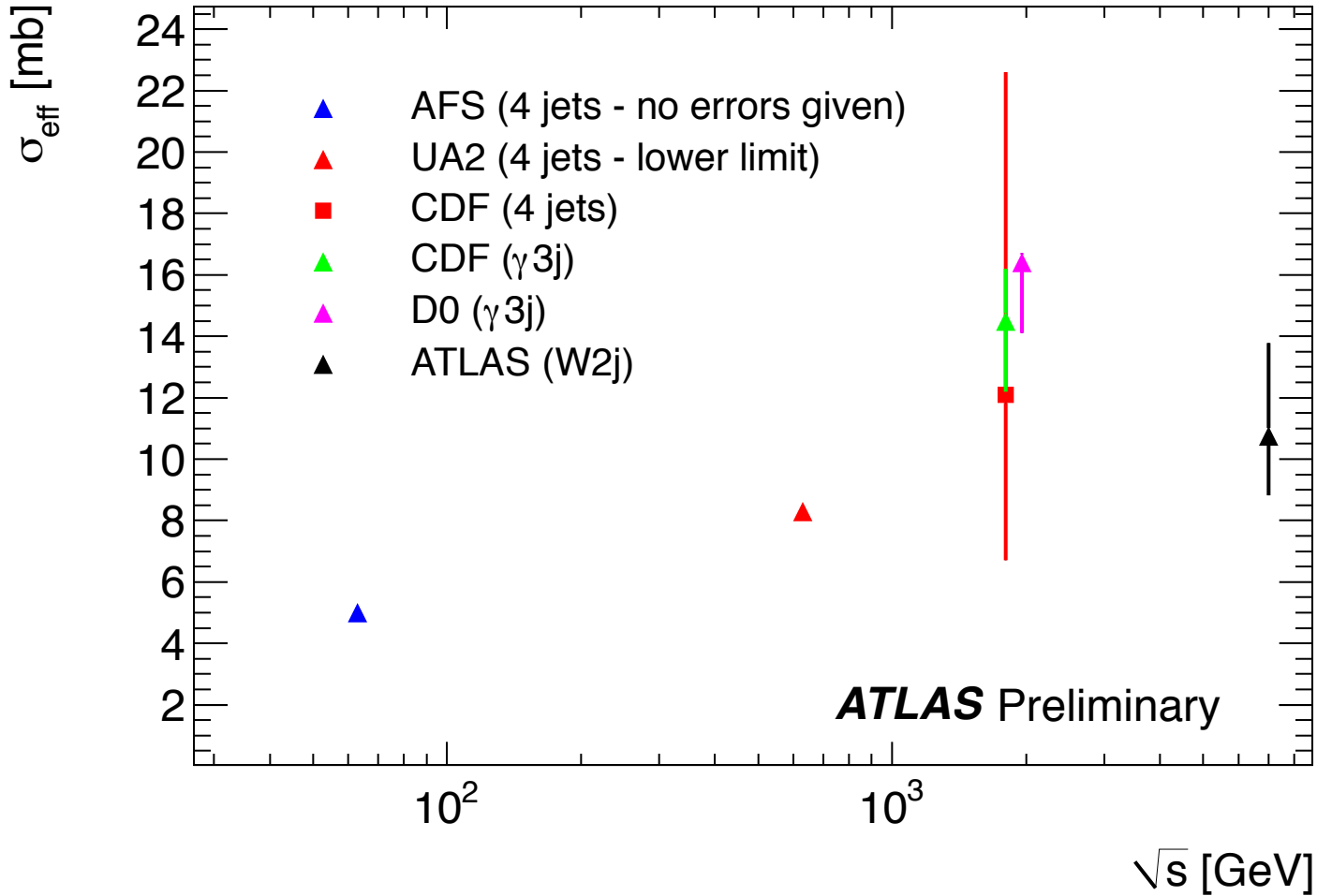
σ_{eff} results

Quantity	Systematic source	Method of evaluation	Fractional uncertainty /%
$N_{W0}/N_{W2} \cdot N_{jj}$	Acceptance cancellation	Section 6.1	< 3
N_{W0}/N_{W2}	Background modelling	Reference [53]	5
\mathcal{L}_{jj}	Luminosity	Beam parameters [52]	11
f_{DP}	Total	As in Table 2	21

Table 3: Summary of the systematic uncertainties on σ_{eff} .

$$\sigma_{\text{eff}}(7 \text{ TeV}) = 11 \pm 1 \text{ (stat.) } {}^{+3}_{-2} \text{ (sys.) mb.}$$

Putting the result into context....



Results consistent with other measurements

- no real evidence for variation of σ_{eff} with channel or E_{COM}

Conclusions

The relative DPI rate is extracted for W+2jet events in the ATLAS detector:

$$f_{\text{DP}}^{\text{R}} = 0.16 \pm 0.01 \text{ (stat.)} \pm 0.03 \text{ (sys.)}.$$

From this, the effective cross section is measured in 7 TeV pp collisions

$$\sigma_{\text{eff}}(7 \text{ TeV}) = 11 \pm 1 \text{ (stat.) } {}_{-2}^{+3} \text{ (sys.) mb.}$$

This is consistent with results obtained in different channels at the Tevatron.

The analysis provides a powerful tool in constraining models for DPI as encoded in the commonly used event generators.