

Dealing with negatively weighted Events in DNN-based LHC Analyses

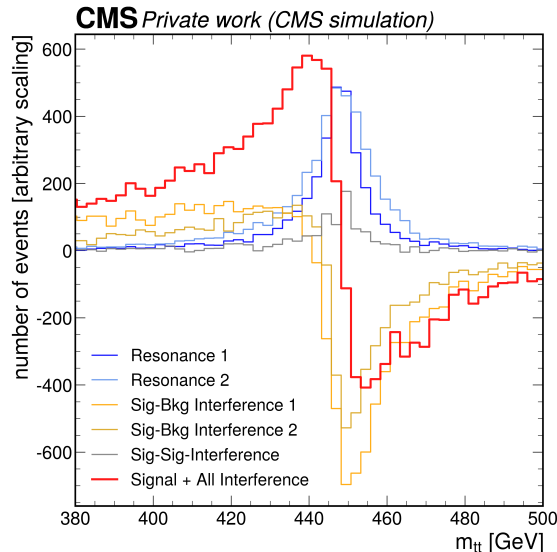
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- This projected was motivated by a search for heavy Higgs bosons with CP violation
- There are a variety of interference scenarios in such a case



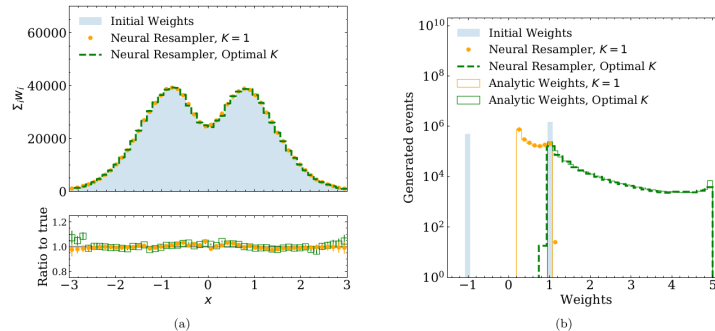
$$|S_{A/H} + B|^2 = |S_{A/H}|^2 + 2\text{Re}(S_{A/H}B) + |B|^2$$

- Overall yield is positive!
- Signal can be partly negative (destructive interference)
- If we split into signal and background for a DNN training: (physically) truly negative parts of phase space!

- There are negative events due to Monte-Carlo fixed order simulations – „Counter Terms“

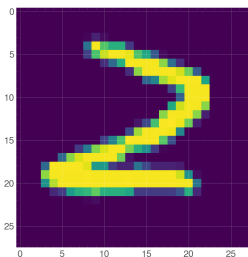
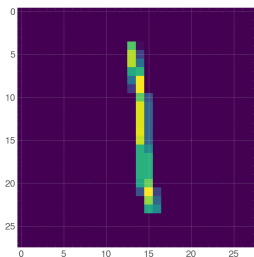
$$d\sigma_{\text{NLO}} = d\sigma_{\text{LO}} + \underbrace{d\sigma_{\text{V}}}_{=\infty} + \underbrace{\int d\Phi_1 d\sigma_{\text{R}}}_{=\infty} = d\sigma_{\text{LO}} + d\sigma_{\text{V}} - \underbrace{\int d\Phi_1 C}_{\neq\infty} + \underbrace{\int d\Phi_1 (C + d\sigma_{\text{R}})}_{\neq\infty}$$

- This is a technical problem and there are solutions to this in literature – „Reweighting“
- For example ‚neural reweighting‘ (from Phys. Rev. D 102, 076004 (2020))



How do we consistently build a DNN based analysis for this?

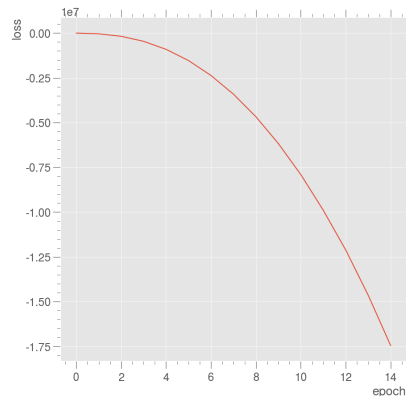
- DNNs have problems when trained on samples with ‘a number of’ negative weights
- We can see this in a simple experiment:
 - request a DNN to classify pictures of handwritten numbers
 - Weight all the samples from a class negatively
 - Evaluate on all of the other classes



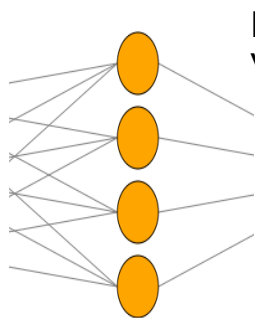
→ divergence!

Accuracy drops
from ~100% to 50%

(all “weighted” with $w = 1$), now artificially
weight (for example the 2s) with $w=-1$



We can fix the training!



Label
Vector:

0
0
1
0

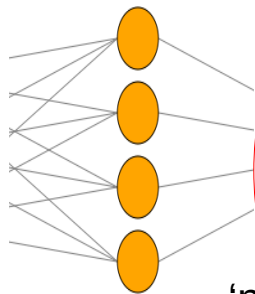
Weights:

$$W = -w$$

Loss:

$$\mathcal{L}_{\text{CCE}} = \sum_{i=1}^N y_{\text{target}} \cdot (-\log(y_{\text{output}}))$$

Equivalent to:



1
1
0
1

'partial label'

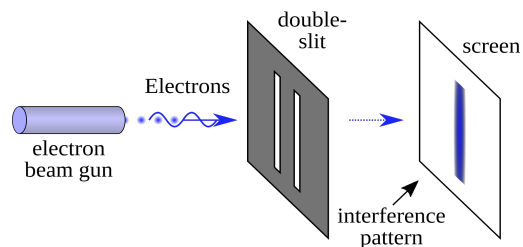
$$W = \frac{|w|}{(N_{\text{out}} - 1)}$$

$$\mathcal{L}_{\text{CCL}} = \sum_{i=1}^N \sum_{j=1}^{\text{maxlabel}} y_{\text{target}} \cdot (-\log(y_{\text{output}}))$$

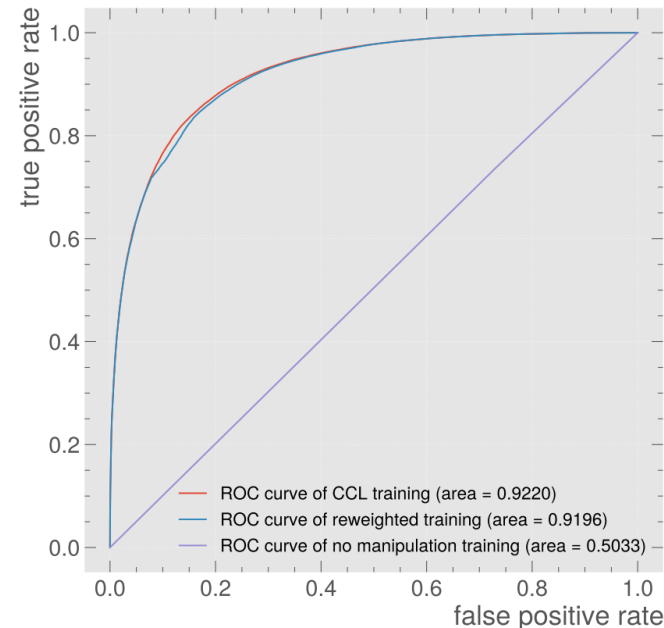
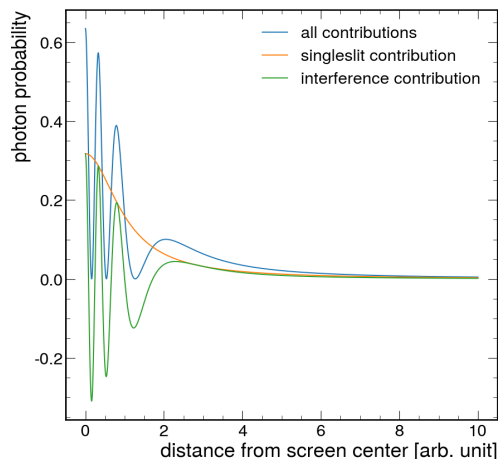
One possible partial-label
loss, introduced by Feng et
al (arxiv: 2007.08929)

→ restores
performance in
MNIST toy model:
Accuracy:
50% → 99%

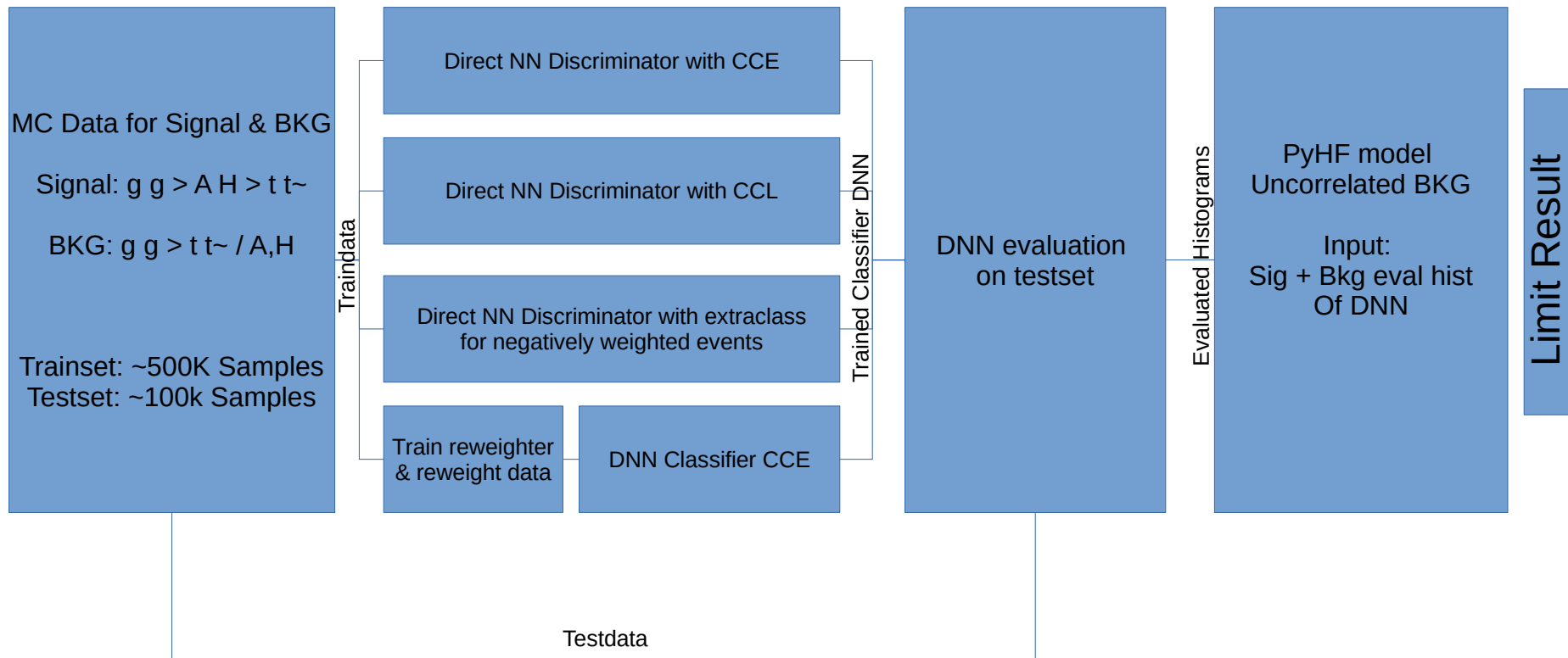
We checked it in a scenario where we have full control



From By Original: NekoJaNekoJa Vector: Johannes Kalliauer - File:Double-slit.PNG, CC BY-SA 4.0, <https://commons.wikimedia.org/w/index.php?curid=61496401>

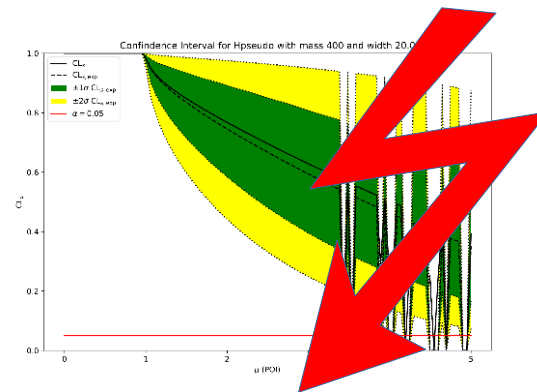
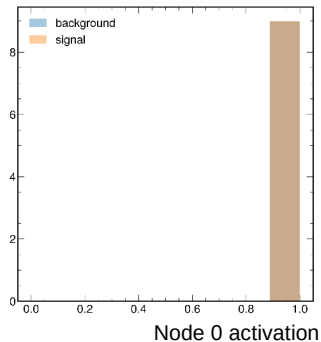
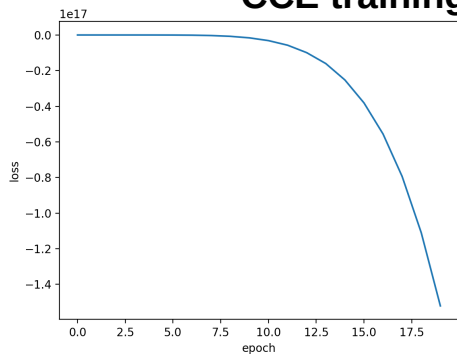


What about an analysis benchmark scenario?

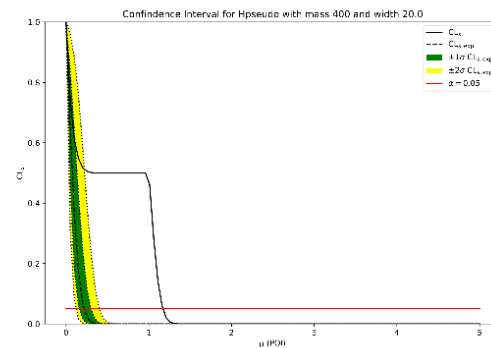
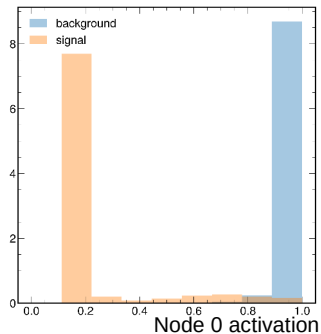
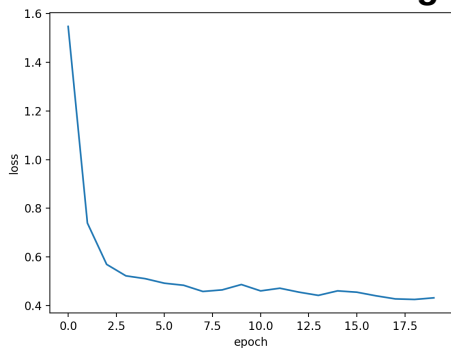


What about an analysis benchmark scenario?

CCE training

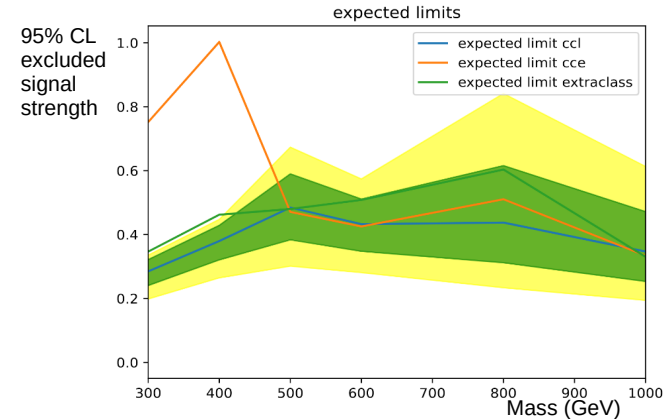


CCL training



What about an analysis benchmark scenario?

- We also encountered the issue where the network evaluation produces some bins that have a negative net weight
- This is unphysical as far as DNN output bins hold physical value
- So far: worked with absolute value of bins for fit
- Currently implementing an algebra trick for yield to avoid negatively weighted events in the evaluation
- (very much WIP) results:



- We found a way to train DNNs in a stable manner when samples in the training distribution are negatively weighted
- It can be used in a full on DNN based LHC style analysis