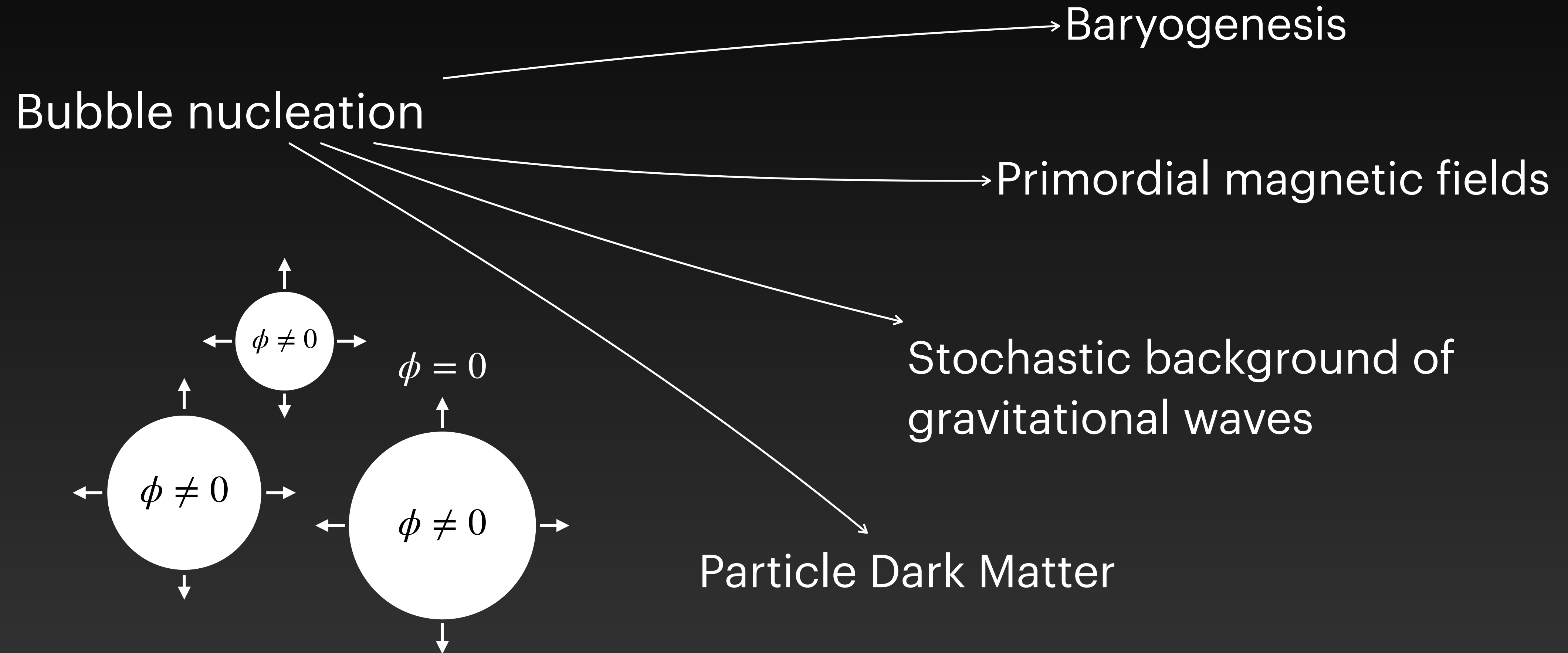


Bubble Wall Velocity in Cosmological FOPT

Modeling the evolutions of bubbles



Why Cosmological First Order Phase Transitions (FOPT)?



All these processes depends crucially
on the velocity of the expanding bubble wall, ξ_w

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The Klein-Gordon equation for the background field

$$\square \phi + \frac{dV_0}{d\phi} + \sum_i \frac{dm_i^2}{d\phi} \int \frac{d^3p}{(2\pi)^3} \frac{1}{2E_i} f_i(p^\mu, x^\mu) = 0$$

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Solving the Boltzmann Equations for particles in the plasma

$$p^\mu \partial_\mu f_i(x^\mu, p^\mu) + \frac{1}{2} \partial_\mu m^2 \partial_{p^\mu} f_i(x^\mu, p^\mu) + \mathcal{C}_i = 0$$

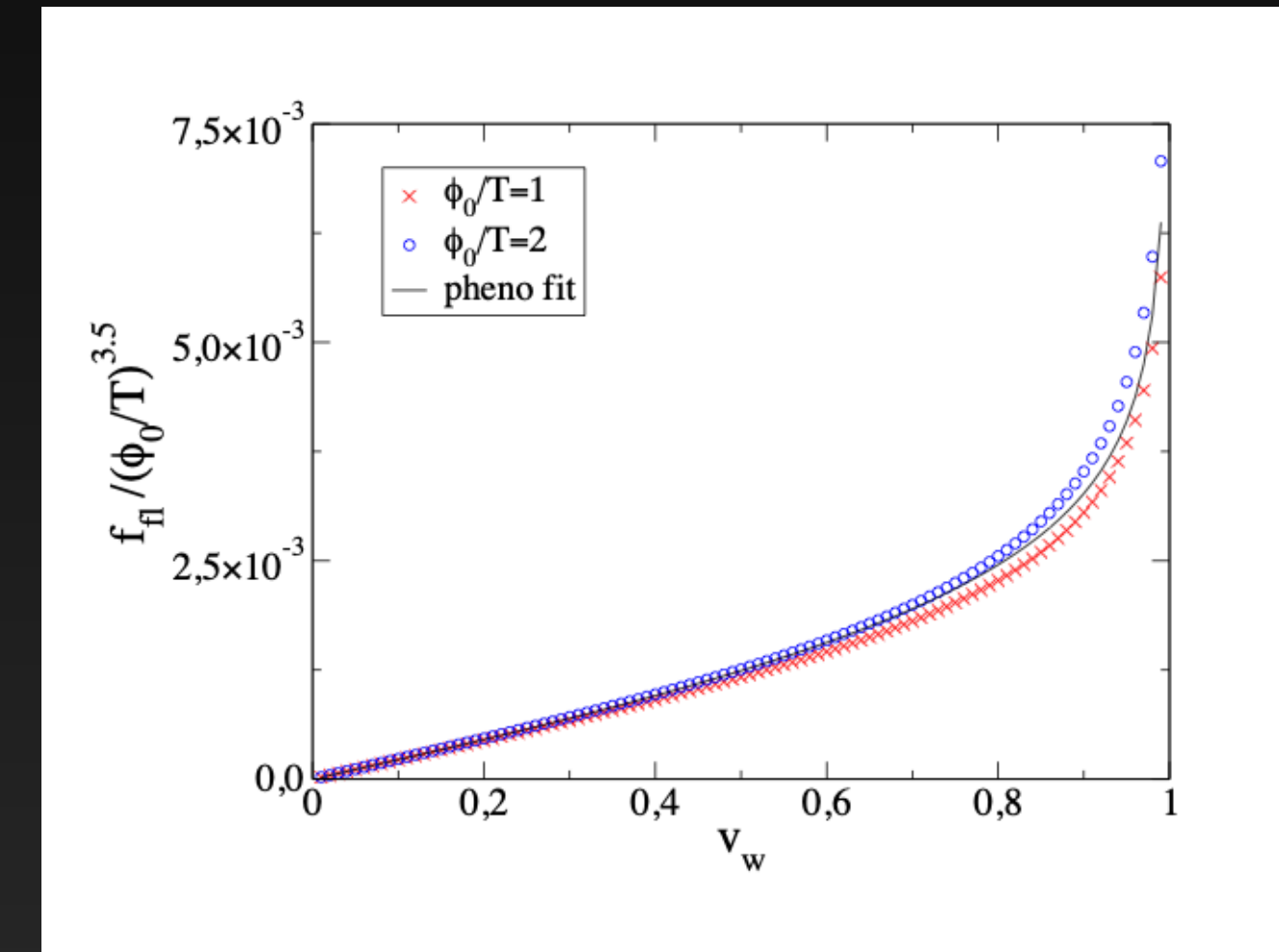
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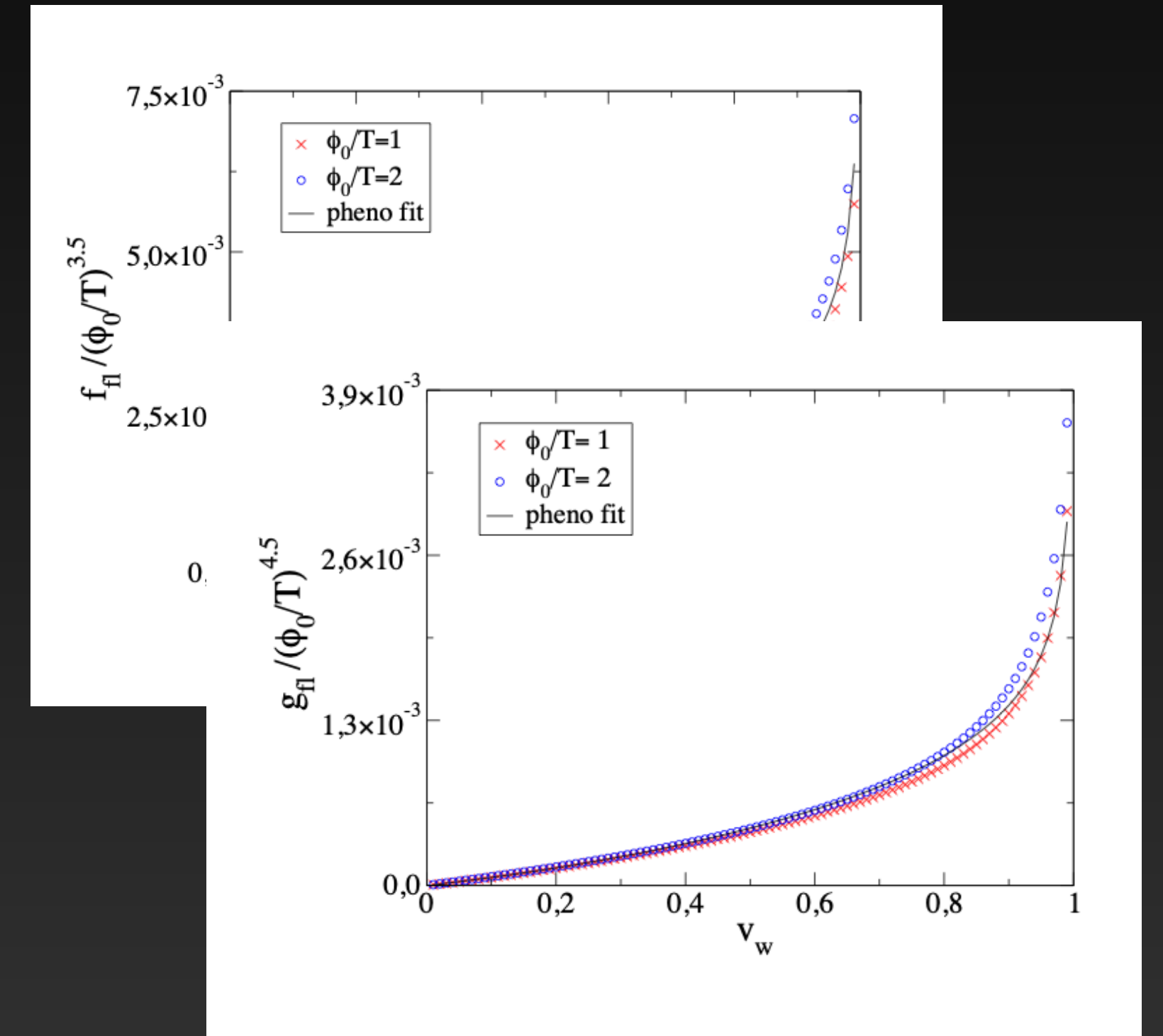
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Approach using hydrodynamics

Hydrodynamics tells us that macroscopic
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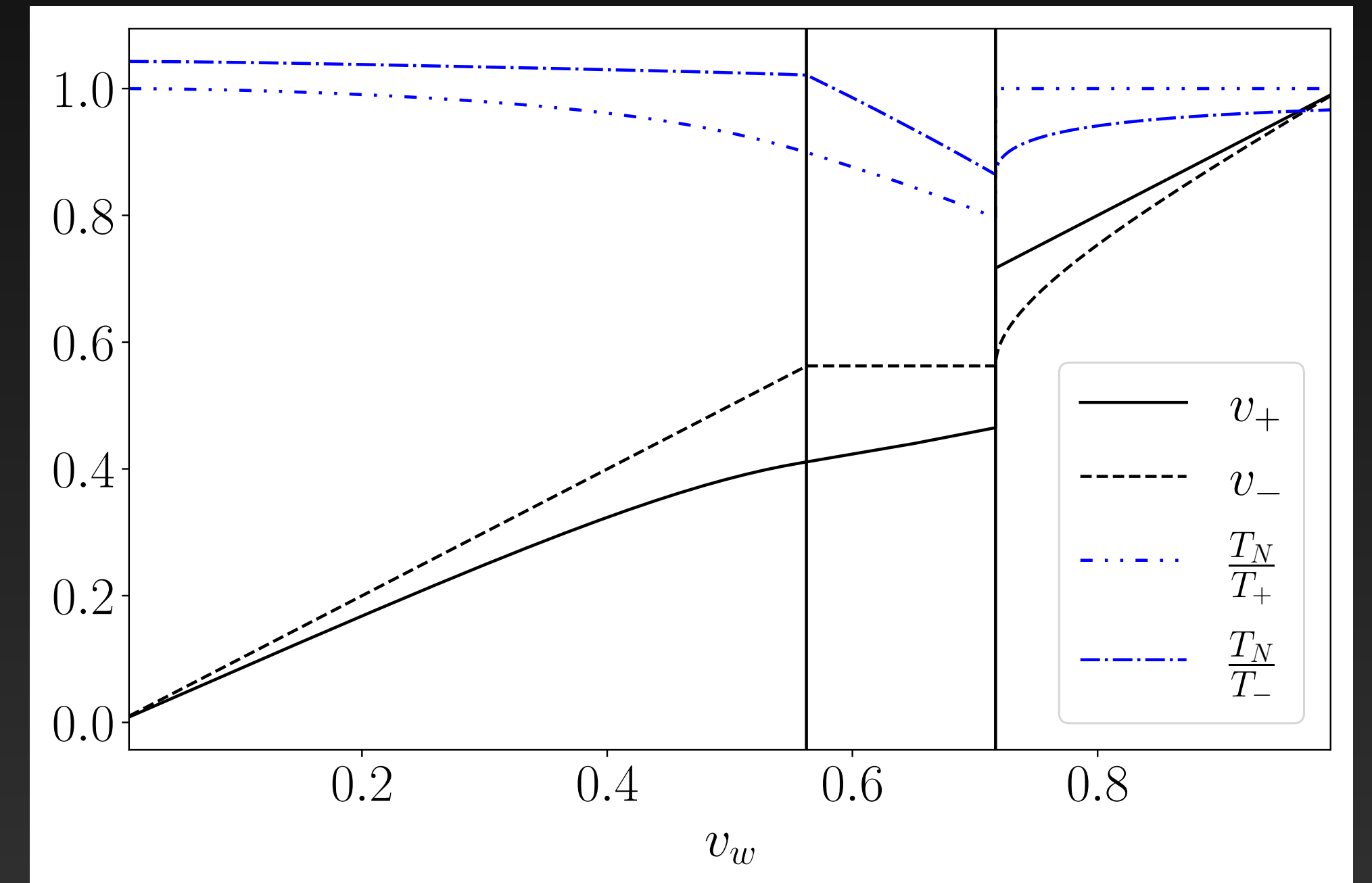
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$$\gamma_+^2 v_+^2 \omega_+ - \mathcal{F}_+ = \gamma_-^2 v_-^2 \omega_- - \mathcal{F}_-$$

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Thank you for your attention!