

Dark Matter with Monopoles

Théodore Fischer, L2C (Montpellier)

Supervisor : Michele Frigerio

In collaboration with Giacomo Ferrante, Felix Brümmer (LUPM)

Interests outside physics :



't Hooft & Polyakov monopole (1974)

Our model : $G = SO(3)_D \rightarrow H = SO(2)_D$, with a scalar triplet $\phi_a \sim \mathbf{3}$

$$\mathcal{L}_D = -\frac{1}{4}F_{a\mu\nu}F_a^{\mu\nu} + \frac{1}{2}D_\mu\phi_a D^\mu\phi_a + \frac{\mu^2}{2}\phi^2 - \frac{\lambda}{4}\phi^4$$

Three new parameters: $\{\lambda, g, \mu\} \Leftrightarrow \{\lambda, g, \eta\}$

Particle content: $(A'_\mu, m_{\gamma'} = 0)$; $(W'^{\pm}, m_{W'} = g\eta)$; $(\rho, m_\rho = \sqrt{2\lambda}\eta)$

And monopoles $M^{\pm m}$: $m_M \sim \frac{4\pi}{g}\eta$, $r_M \sim \frac{1}{g\eta}$

Can monopoles account for the totality of Dark Matter ?

Two dark matter candidates: $M^{\pm m}$, $W'^{\pm}$

⇒ Scan through the parameter space to find a region where monopoles dominate the DM density

Monopoles are produced when the phase transition completes, and

$$n_M = p \xi^{-3}(t_{\text{prod}})$$

The precise value of $\xi(t_{\text{prod}})$ depends on the nature of the PT (SOFT, wFOPT, sFOPT).

→ consider potential annihilations

→ Compute and compare $\Omega_{W'}$ and Ω_M

Results

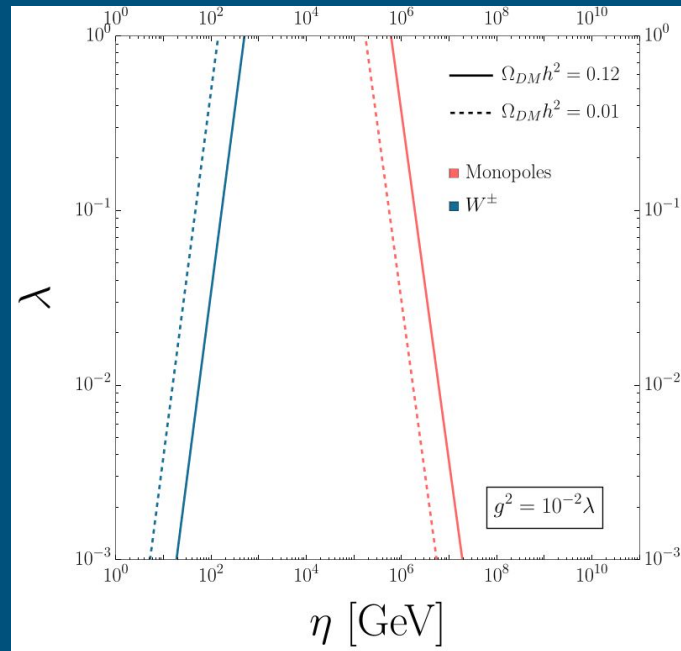
Example: SOPT ($\lambda \gg g^2$)

$$T_{\text{prod}} = T_c = \sqrt{\frac{12}{5}} \eta$$

$$\xi(t_{\text{prod}}) \simeq H^{-1}(T_c) [H(T_c)\xi_0]^{\frac{1}{1+\nu}},$$

where, $\xi_0 = m_\rho^{-1}$ and $\nu \simeq 0.7$

Zurek, 1985.



Thank you !

