

BLACK HOLE EXPLOSIONS

Aidan Symons

with

Michael Baker, Andrea Thamm, Joaquim Iguaz Juan

at

The University of Massachusetts, Amherst

July 31, 2025

Institut d'Études
Scientifiques de Cargèse

Talk Outline

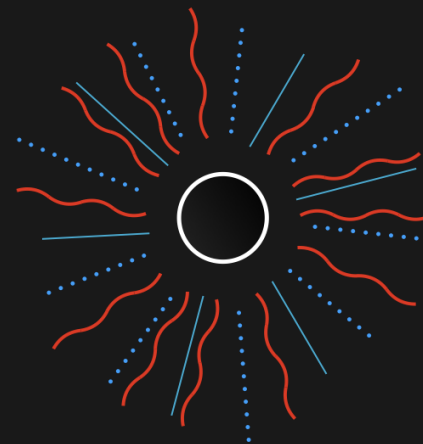
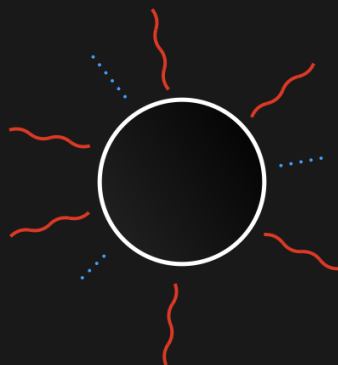
What are BH explosions?

Why are they interesting for BSM?

Could we see one?

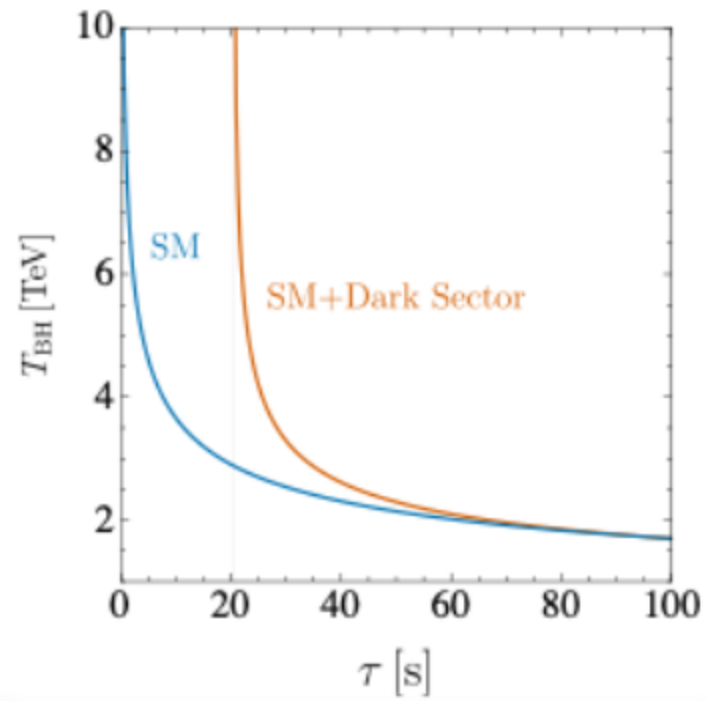
Black Hole Explosions

$$T \propto \frac{1}{M_{BH}}$$



Time →

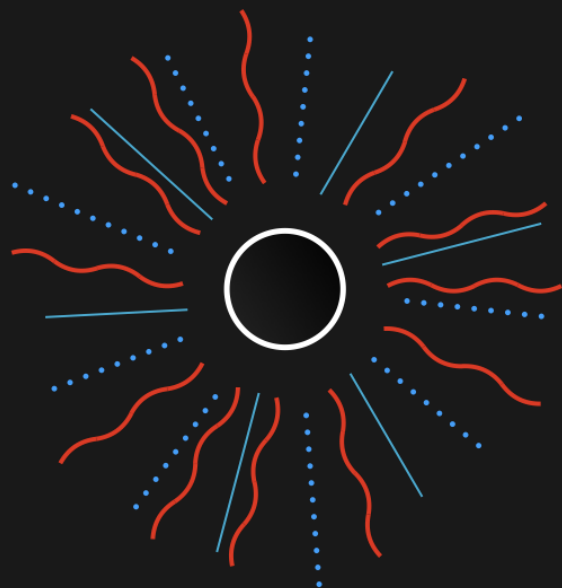
Black Hole Explosions



← Time

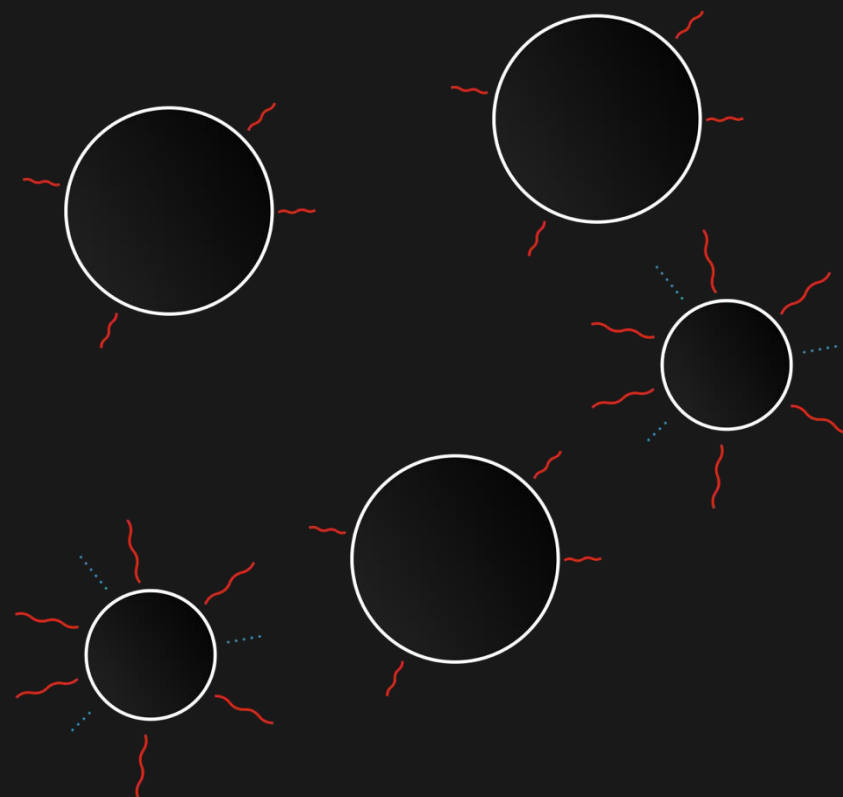
$$T \propto \frac{1}{M_{BH}}$$

Black Hole Explosions



$E \gtrsim 100 \text{ GeV}$

VS.



$E \sim 100 \text{ MeV}$

Dark Sector

$$T_{Schw} \propto \frac{1}{M} \quad T_{RN} \propto \frac{1}{M} \frac{\sqrt{1 - Q_*^2}}{\left(1 + \sqrt{1 - Q_*^2}\right)^2} \quad \text{where } Q_* = \frac{Q}{M}$$

Introduce new QED-like dark sector

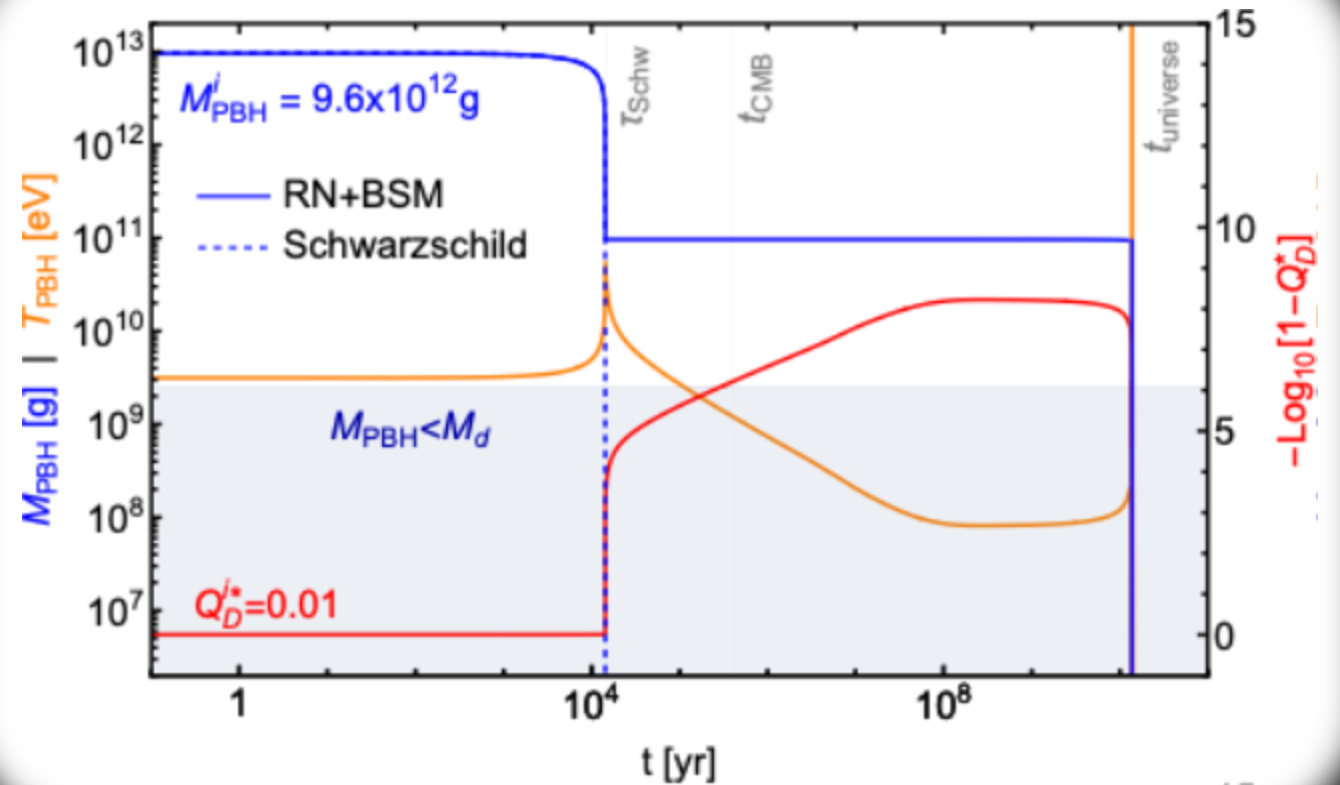
$$m_D \gtrsim 10^6 \text{ GeV} \gg T_{BH}$$

Dark Sector

$$\dot{M} = -\frac{\alpha(M, Q)}{M^2} + \frac{Q}{r_+} \dot{Q}$$

$$\dot{Q} = -\frac{e_D^4}{2\pi m_D^2 r_+^3} \exp\left(-\frac{\pi r_+^2 m_D^2}{Q e_D}\right)$$

$$T_{RN} = \frac{M_{Pl}^2}{2\pi M} \frac{\sqrt{1 - Q_*^2}}{\left(1 + \sqrt{1 - Q_*^2}\right)^2}$$



Summary

Hawking radiation $\Rightarrow$ Black holes explosions

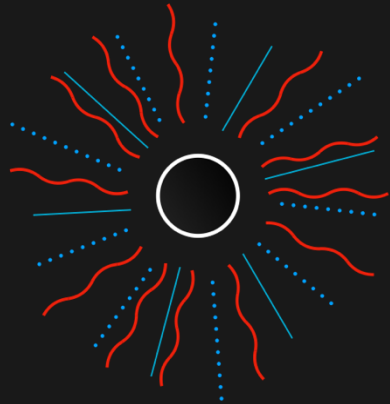
BH explosion encodes information on dark sectors
(2508.XXXXX)

QED-like dark sector can drastically change
phenomenology & evade constraints
(2503.10755 & 2505.22722)

Backup slides

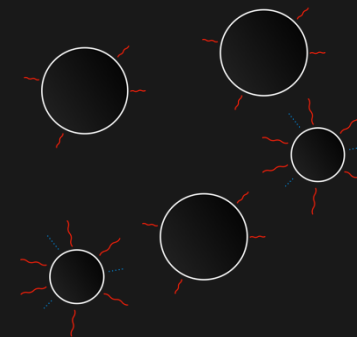
Direct

- Individual BH
- Transient point-like
- $E \gtrsim 100 \text{ GeV}$
- Distance $\lesssim 0.1 \text{ pc}$



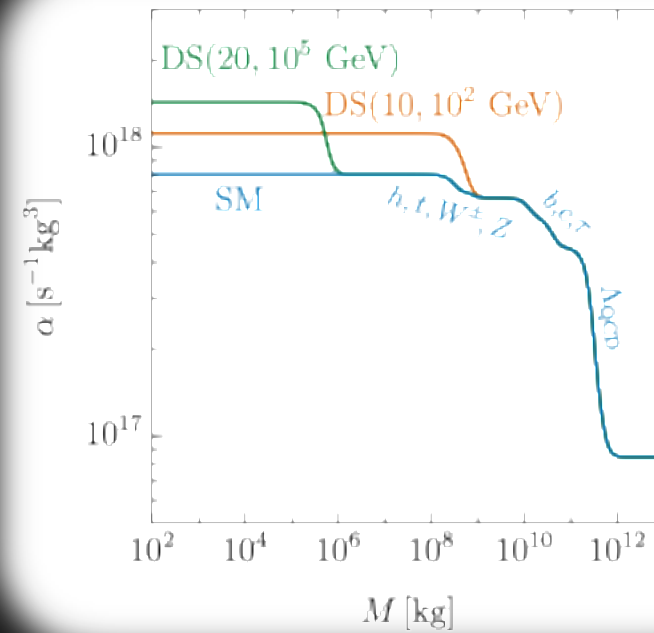
Indirect

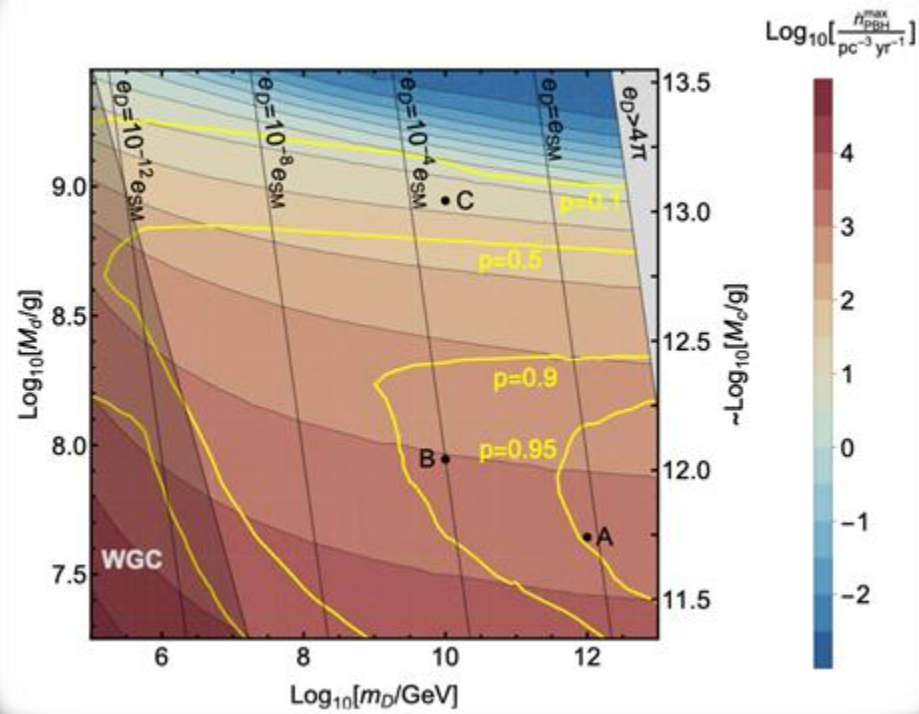
- Population of BHs
- Continuous flux
- $E \sim 100 \text{ MeV}$
- Galactic/Cosmological



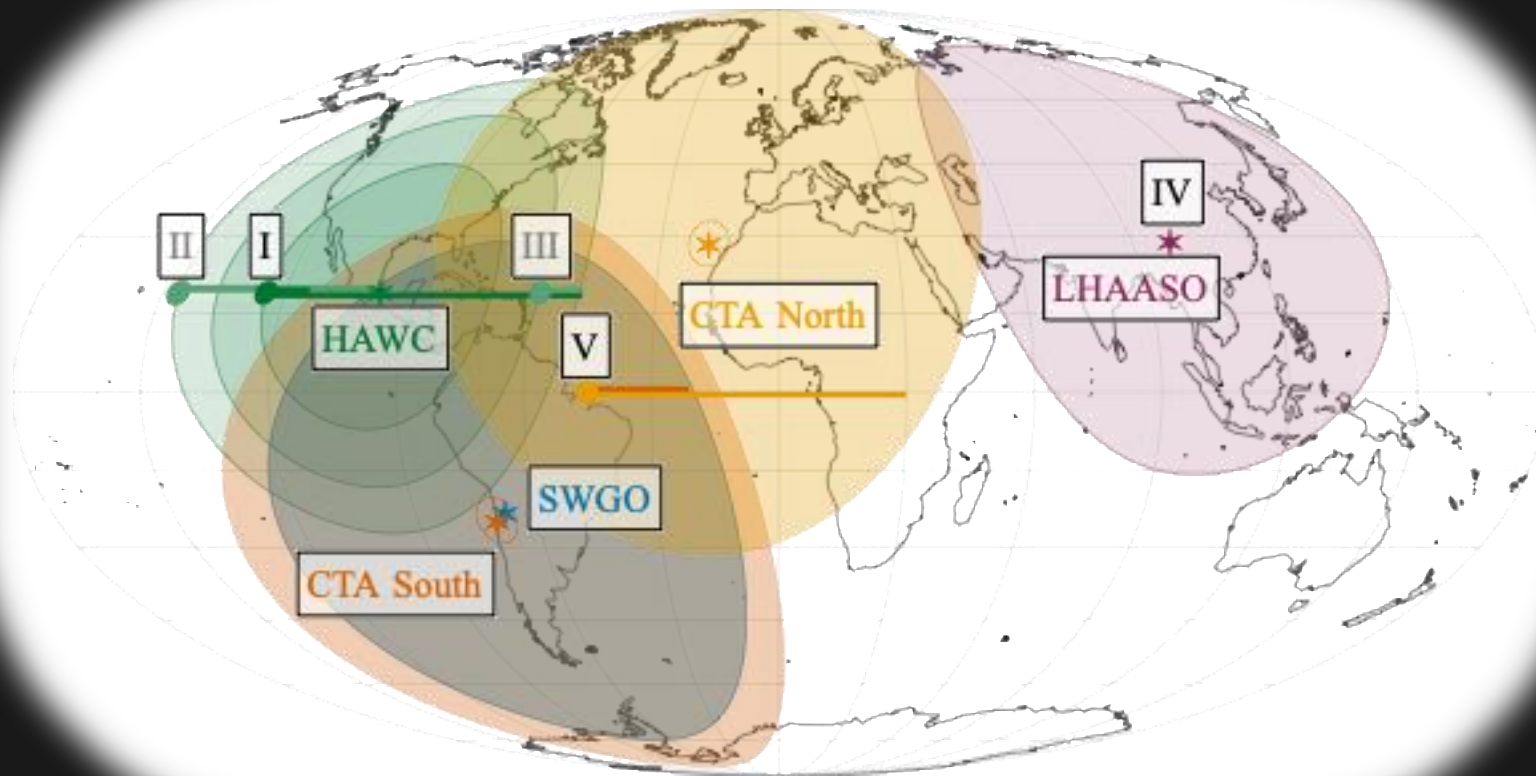
$$\alpha(M_{\text{PBH}}, Q_D) = M_{\text{PBH}}^2 \sum_i \int_0^\infty \frac{d^2 N_i}{dE dt} E dE,$$

with $\frac{d^2 N_i}{dE dt} = \frac{n_{\text{dof}}^i \Gamma^i(M_{\text{PBH}}, E, Q_D)}{2\pi(e^{E/T_{\text{PBH}}} \pm 1)},$

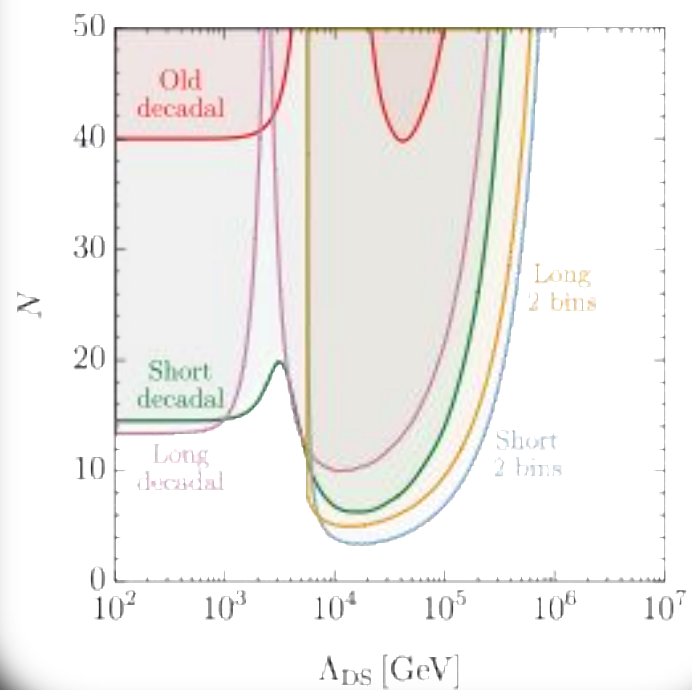




$$\dot{n}_{\text{PBH}} \propto \frac{\rho_{\text{DM}}}{t_U} \int dQ \int \frac{dM}{\sqrt{2\pi}\sigma_M M^2} \exp\left(-\frac{\log(M/\bar{M})^2}{2\sigma_M^2}\right) \times \frac{1}{\sqrt{2\pi}\sigma_Q} \exp\left(-\frac{(Q-\bar{Q})^2}{2\sigma_Q^2}\right) \delta\left(1 - \frac{Q_c(M)}{Q}\right)$$



Preliminary



$$q \equiv G = -2 \sum_i n_i \log \left(\frac{n_i}{e_i} \right)$$