Detectors for physics and physics for detectors

Challenges and opportunities in radio neutrino detection

DESY Zeuthen, May 24, 2024

Philipp Windischhofer University of Chicago



What can you expect?

An overview of ultra-high energy neutrino astronomy

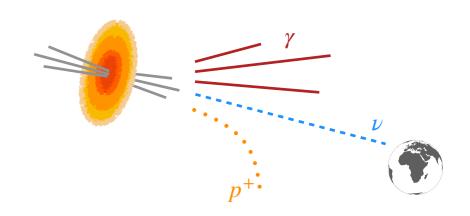
High-energy phenomena in the universe, cosmic accelerators, and messenger particles

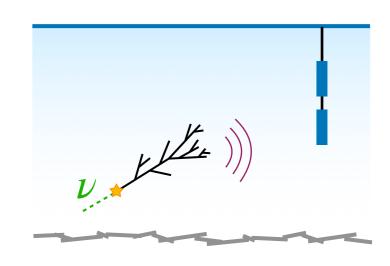
A summary of current experimental strategies ...

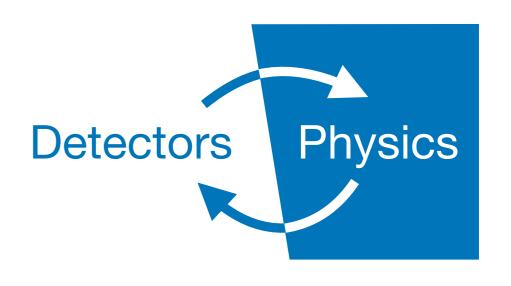
Neutrino-induced radio emissions in polar ice

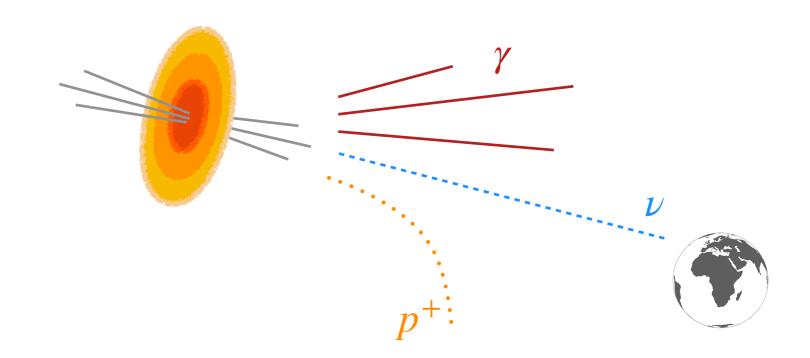
... and some of their challenges

Use established ("old") physics to understand and improve our detectors



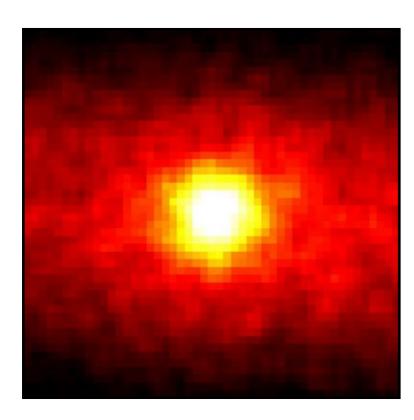






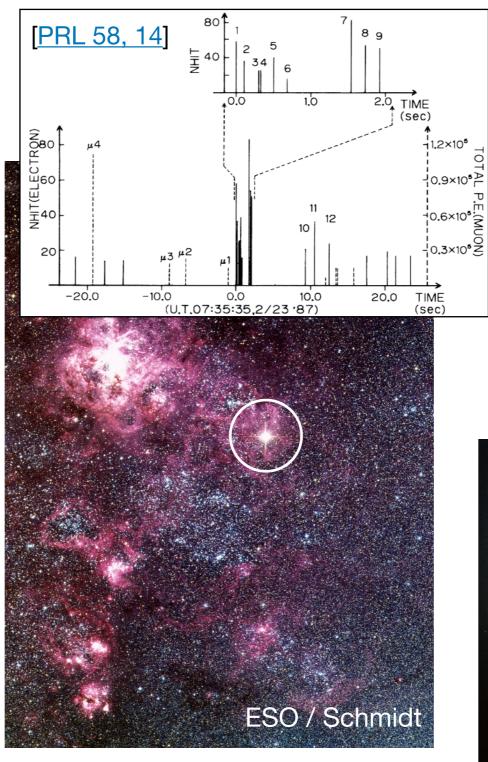
Ultra-high energy neutrino astronomy

40 years of neutrino astronomy

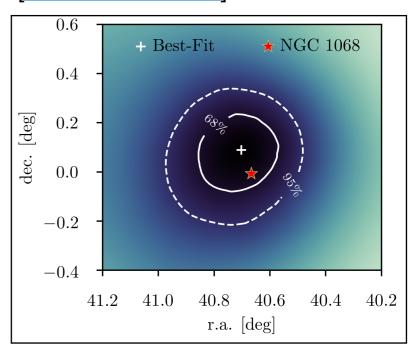


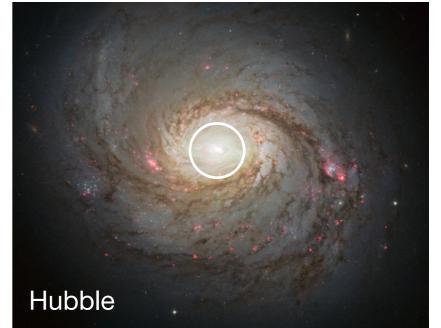
The sun in neutrinos
Super-Kamiokande,
[1996-2018]

SN 1987A, Kamiokande-II



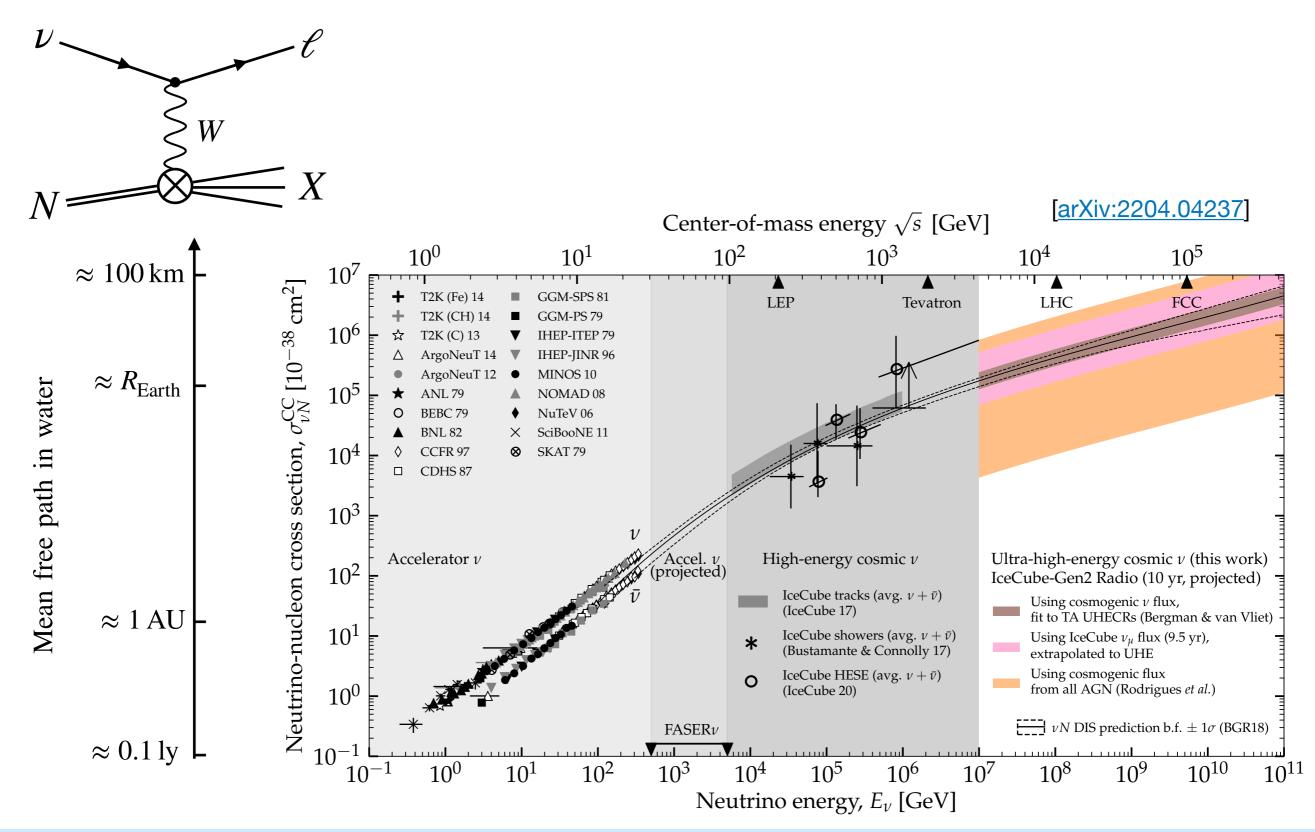
NGC 1068, IceCube 2024 [arXiv:2211.09972]



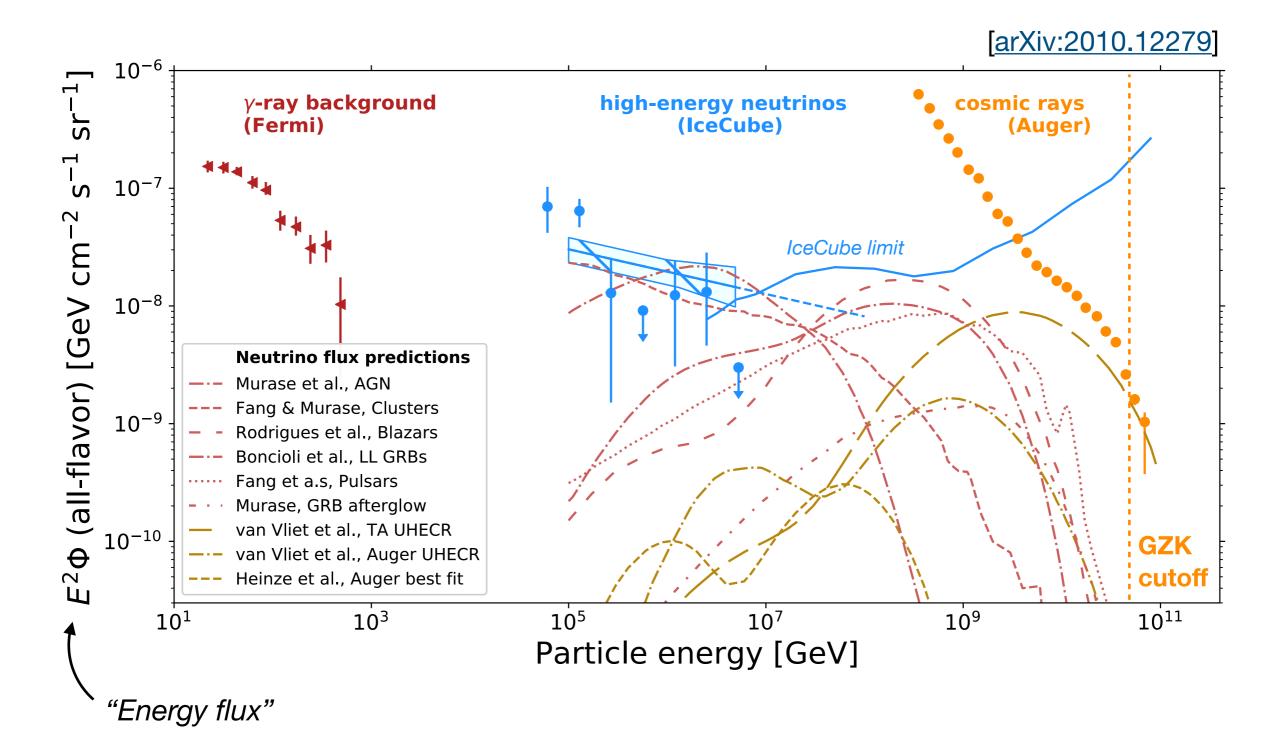


Fundamental physics with cosmic neutrinos

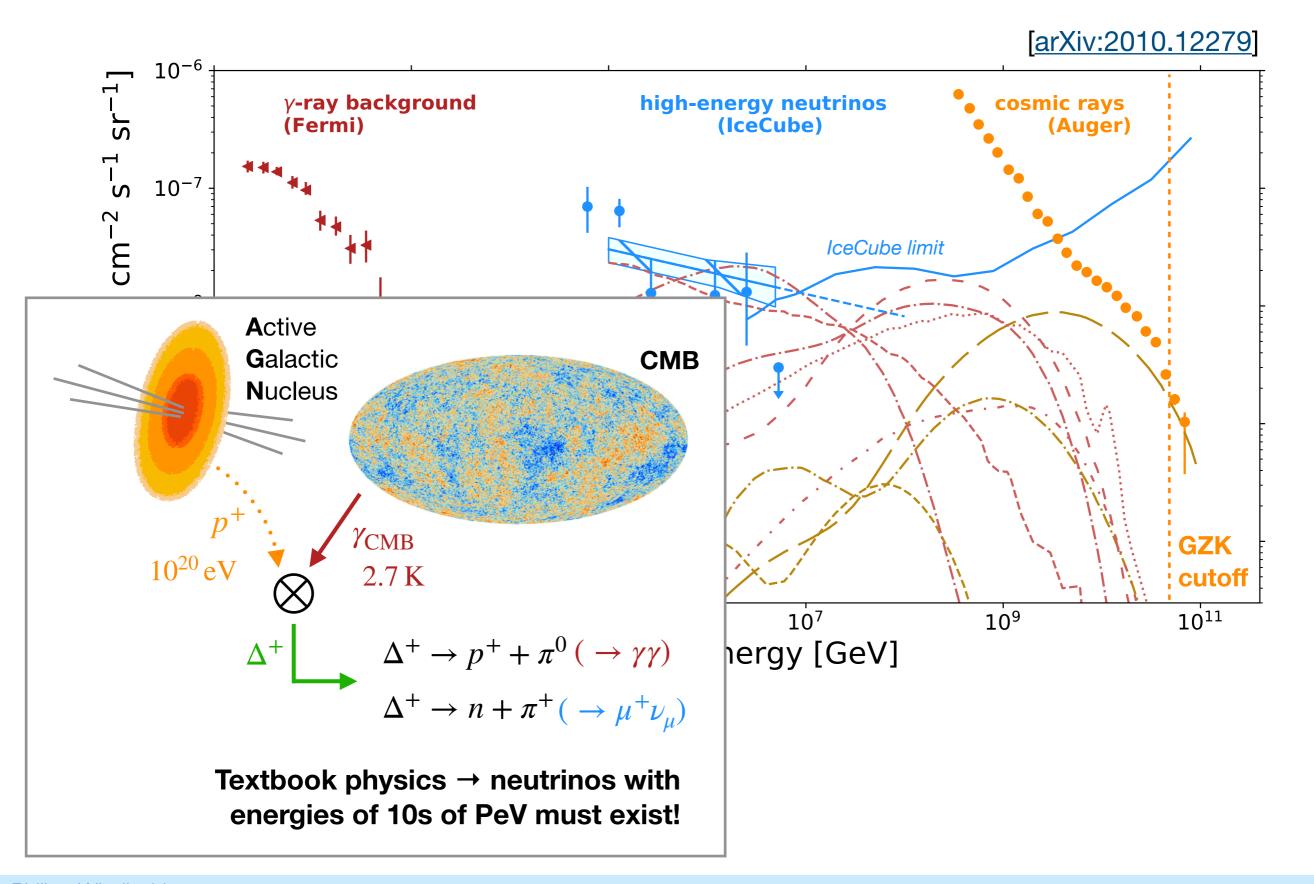
Neutrino-nucleon charged-current scattering



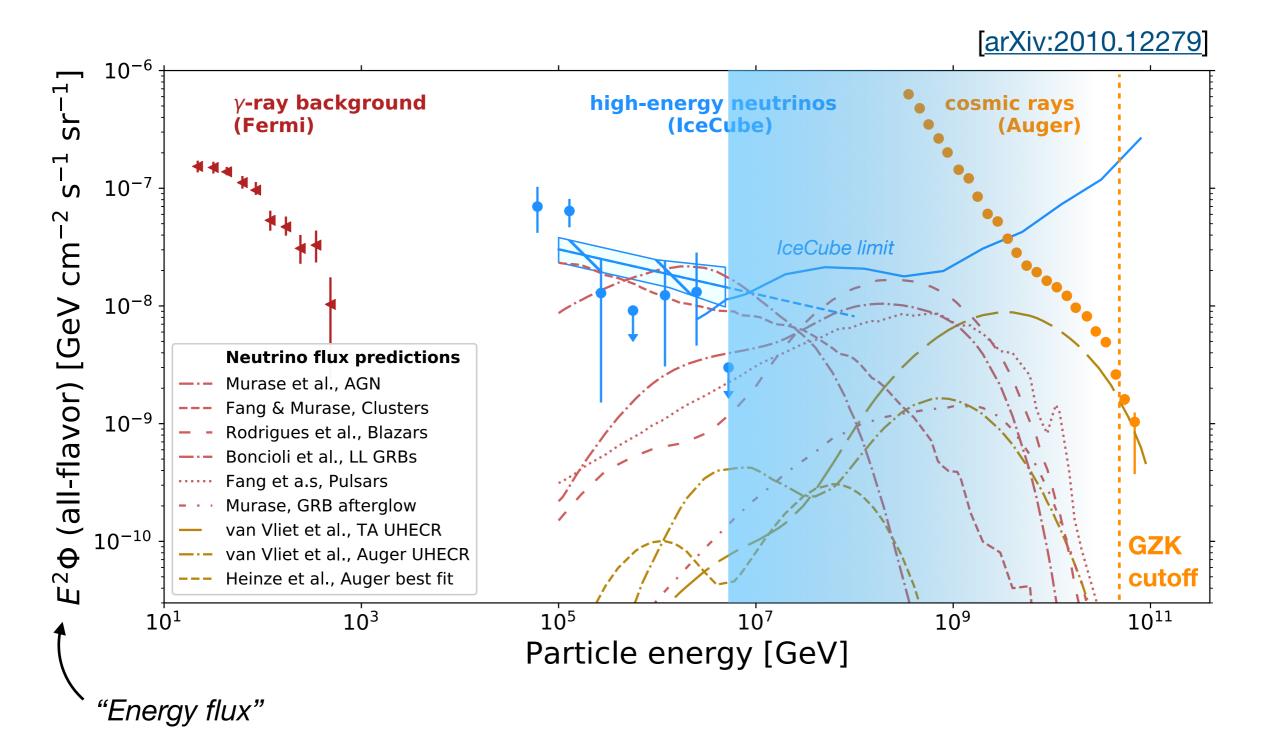
The high-energy landscape of our universe



The high-energy landscape of our universe



The high-energy landscape of our universe



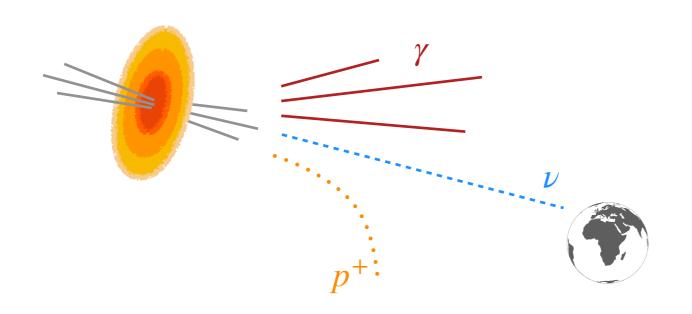
Neutrinos above IceCube energies <u>must</u> exist!

Detecting them is an experimental problem!

The opportunity: probe the universe with neutrinos

What is the <u>real</u> high-energy cutoff in the universe?

10 PeV? 100 PeV?

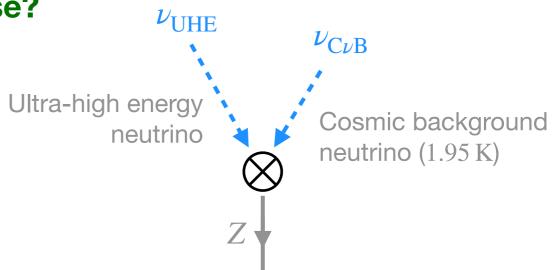


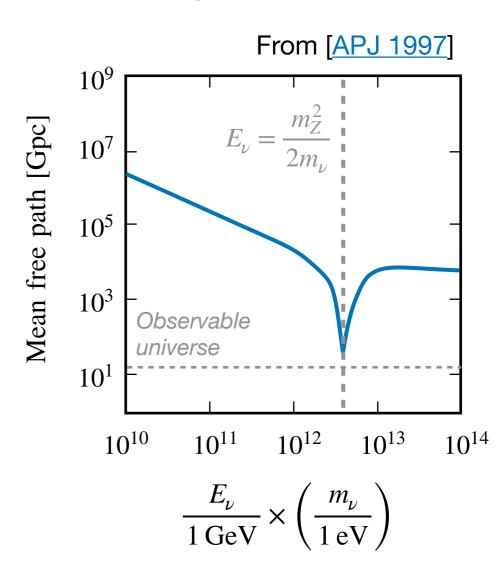
Which kind of sources saturate the cutoff, and where are they?

Mean free path \gtrsim observable universe!

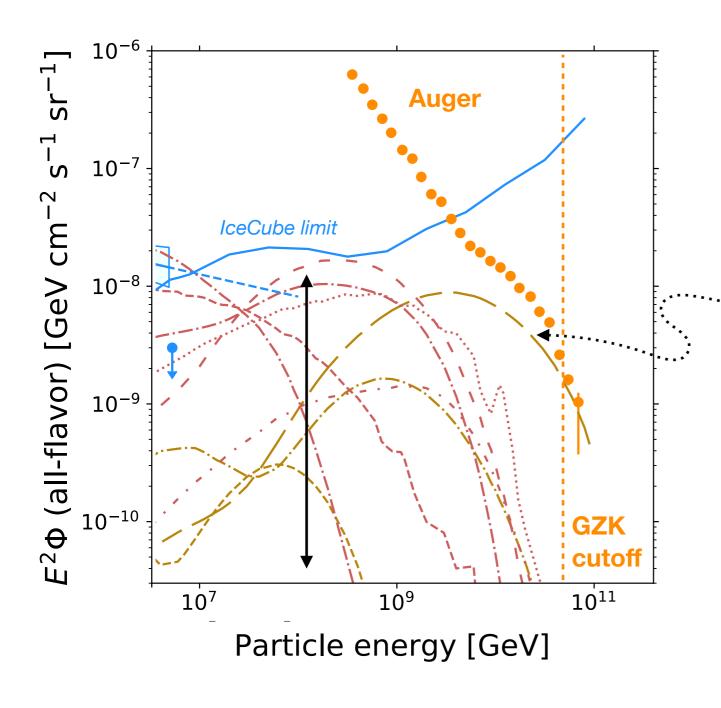
What are the fundamental properties and interactions of neutrinos at these energies?

Neutrino oscillation experiments over cosmological baselines?





An experimental challenge



Predicted ultra-high energy neutrino flux very uncertain (and also tiny)

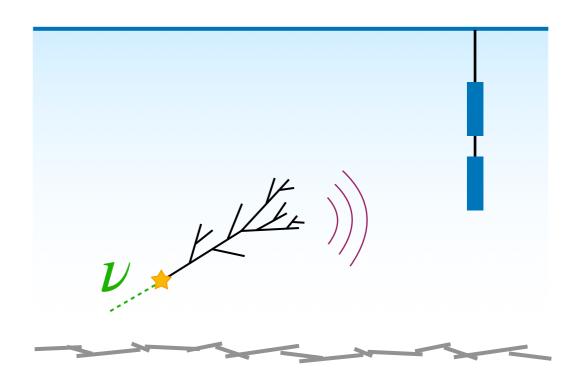
Back-of-the-envelope estimate:

Assumed flux: O(1) GZK-scale neutrino / km² / year

Interaction length: O(100) km

→ 0.01 interactions / km³ / year

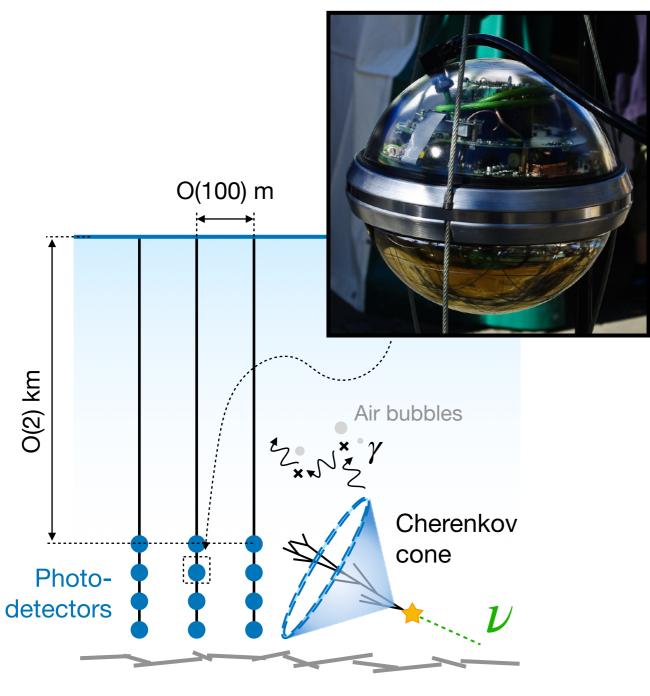
Need to build a detector with sensitive volume of O(100) km³!



Experimental techniques

From IceCube to radio

"Digital optical module"



Neutrino interaction in glacial ice

→ Charged-particle cascade

IceCube:

Cherenkov photons scatter in the ice

Scattering length ~ O(100) m ~ distance between adjacent photodetectors

Can instrument O(1) km³, but difficult to go significantly beyond

IceCube

Peak sensitivity at $\lambda \sim 400 \, \mathrm{nm}$

From IceCube to radio

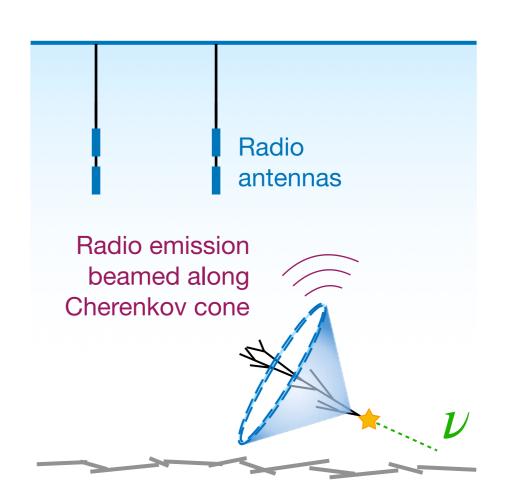
O(100) m Air bubbles Cherenkov cone detectors

IceCube

Peak sensitivity at $\lambda \sim 400 \, \mathrm{nm}$

Neutrino interaction in glacial ice

→ Charged-particle cascade



Radio neutrino detector

 $\lambda \sim 0.4 \,\mathrm{m} \leftrightarrow f \sim 500 \,\mathrm{MHz}$

From IceCube to radio

Clean & cold ice is very transparent to radiation in the MHz - GHz band!

Attenuation length ~ O(km)

Ice is dense!

Emitting particle cascade is smaller than wavelength

Coherent emission:

Signal amplitude $\sim E_{\nu}$

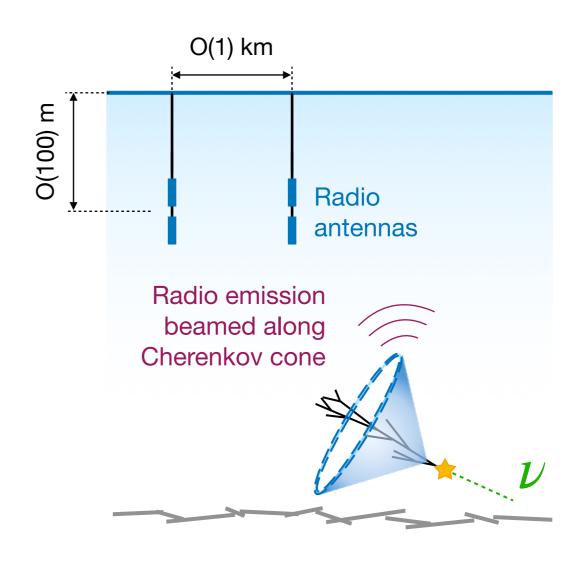
"Askaryan effect" dominates: similar, but distinct from Cherenkov emission

Expect strong signals at high energies, detectable over long distances

O(100) km³ instrumented volume not unreasonable

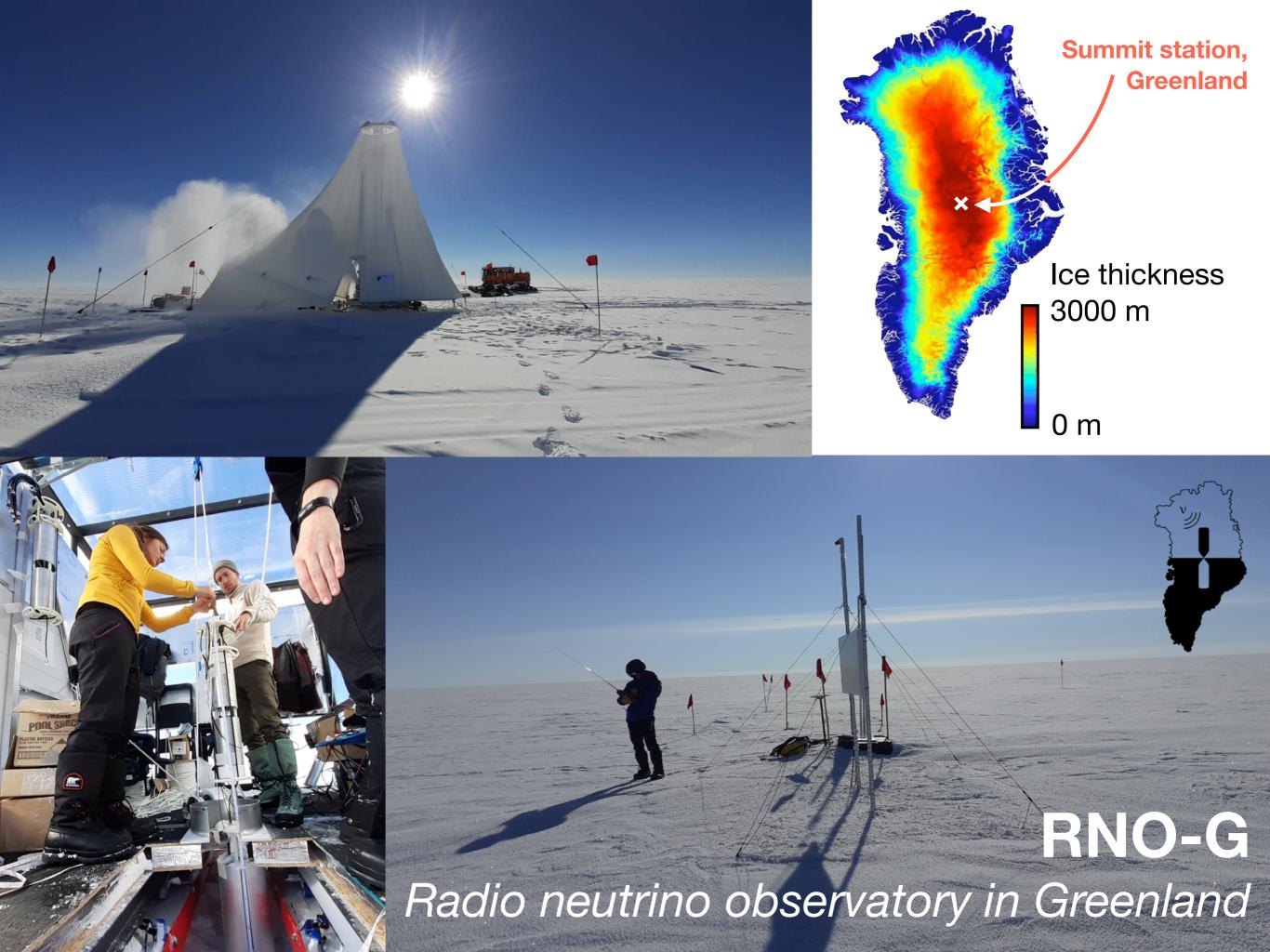
Neutrino interaction in glacial ice

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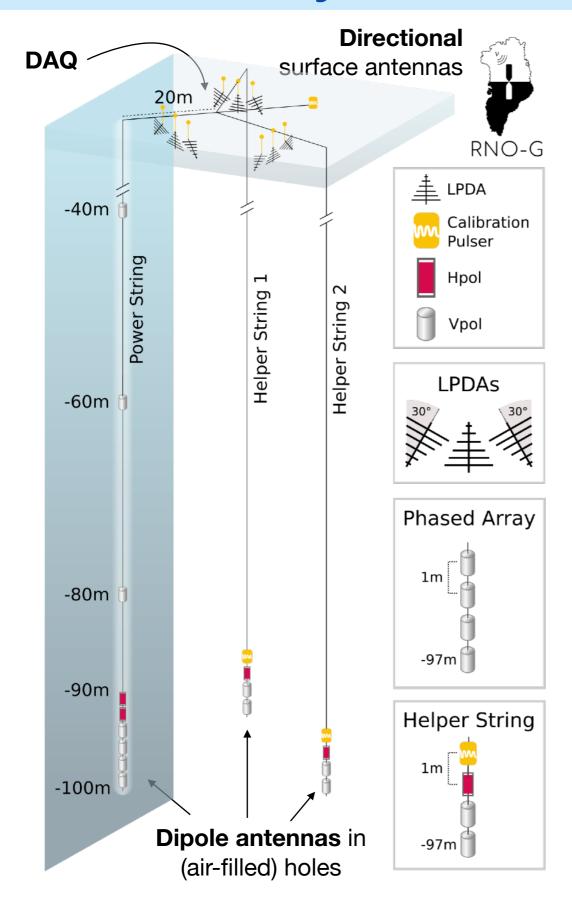


Radio neutrino detector

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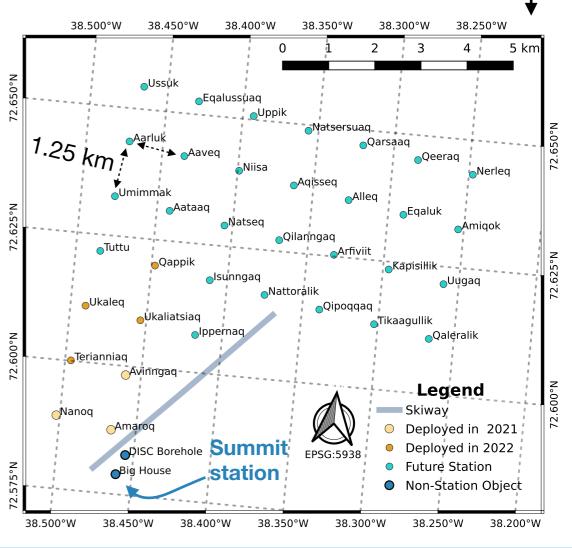
RNO-G layout



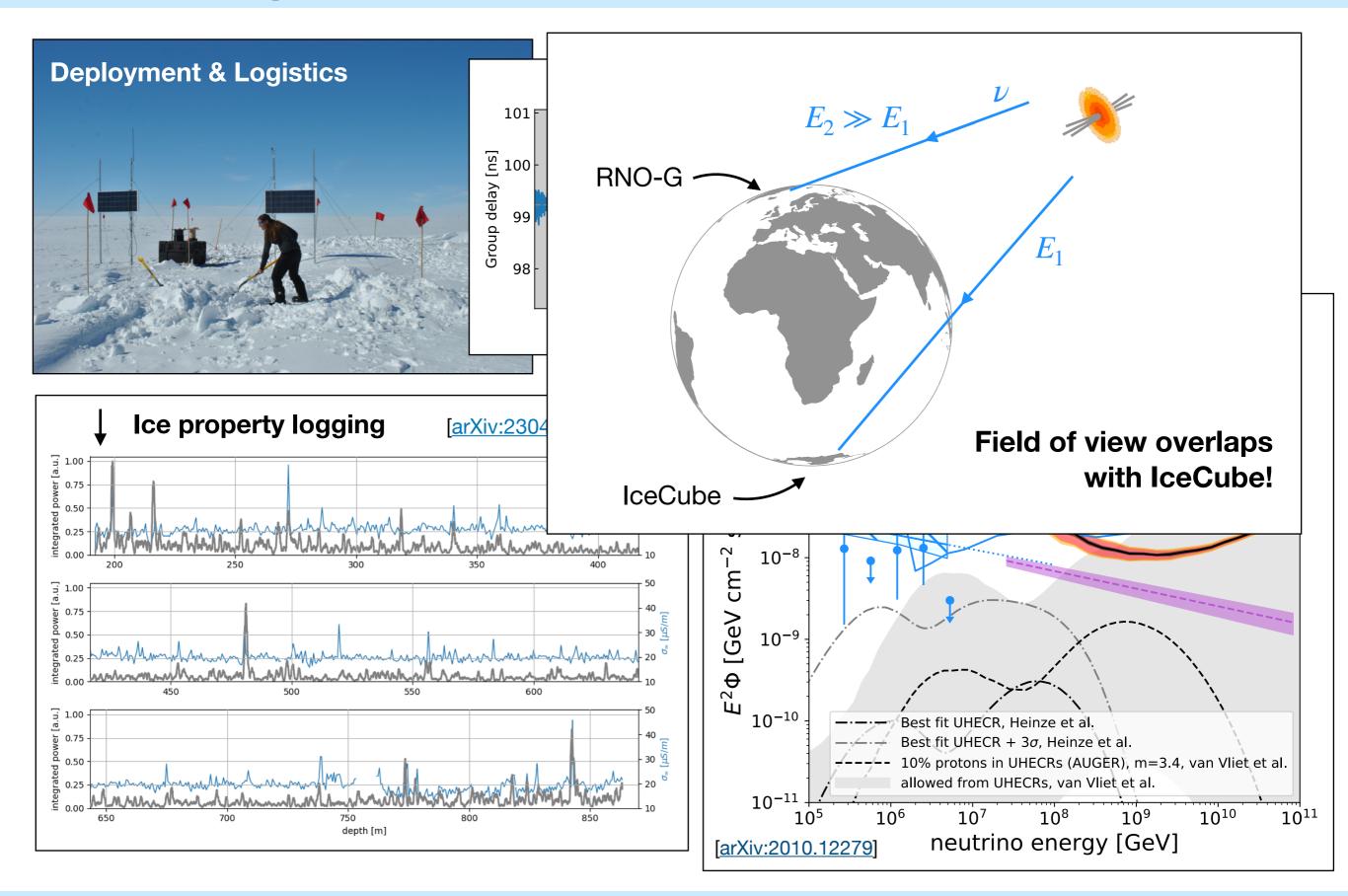
Triangular station layout with vertically- and horizontally-polarized dipole antennas

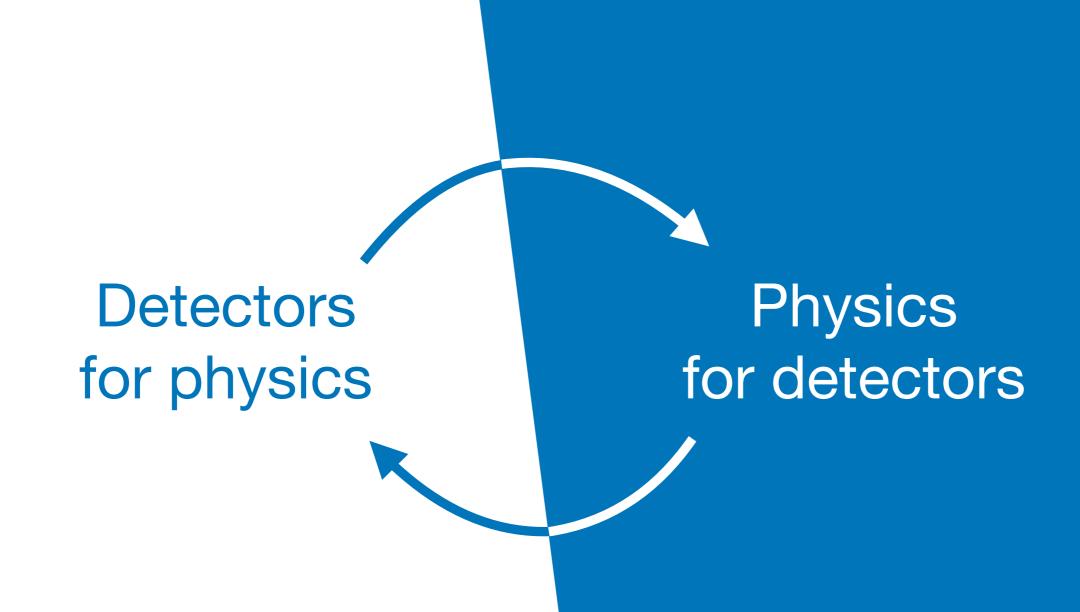
- → synthesize higher-gain antennas through phasing
 - → seek out more-homogeneous "deep" ice (~100 m depth)

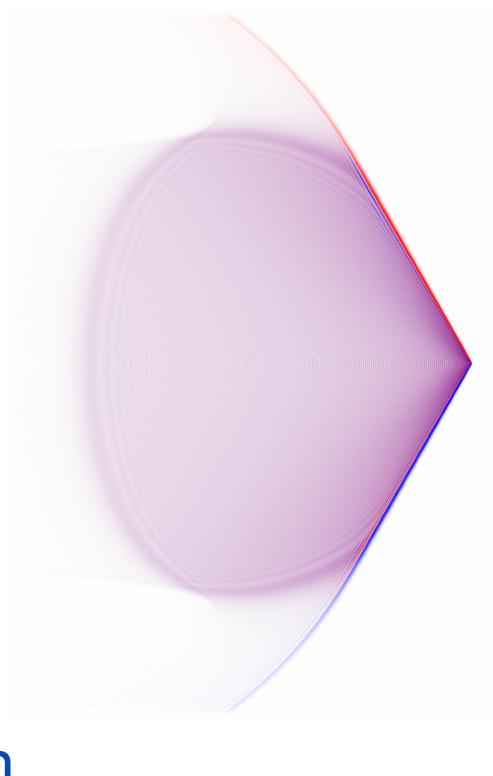
7 stations deployed and taking data, 28 more to come!



Challenges and opportunities



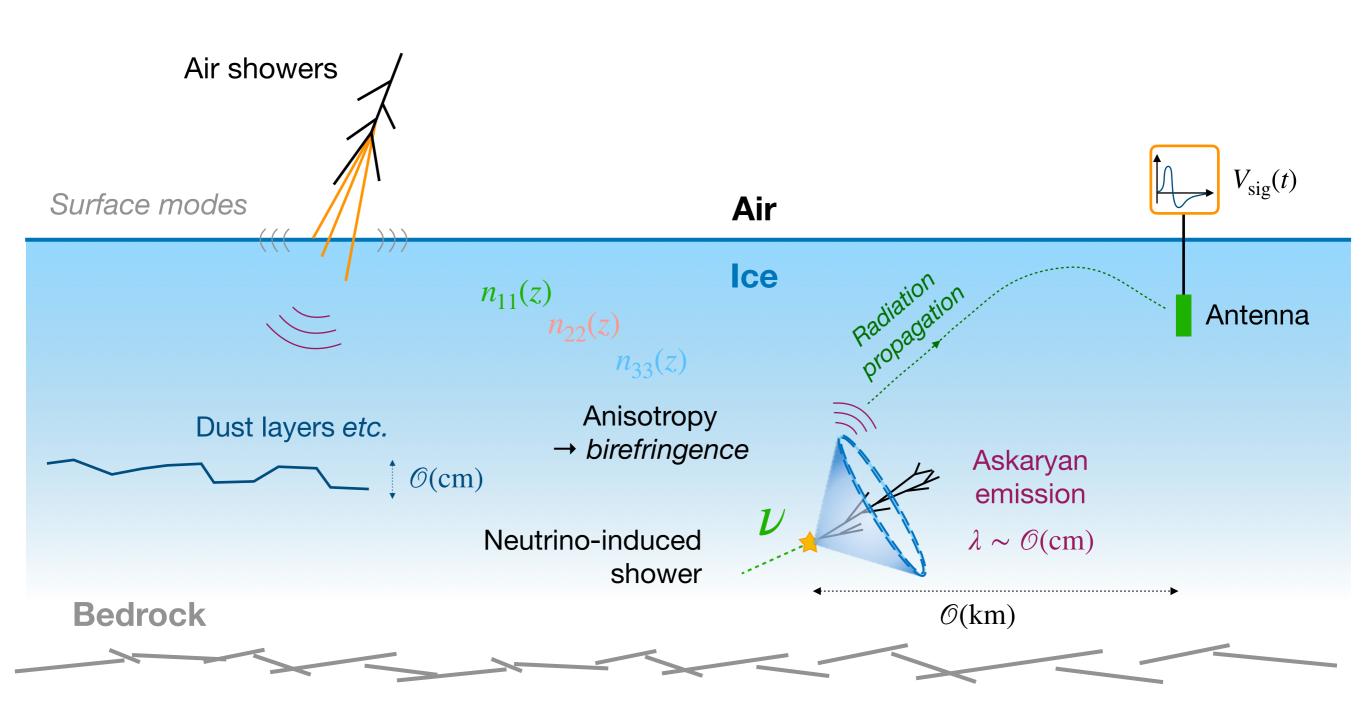




Electrodynamics of antenna signal formation

The problem

Ice is complicated!

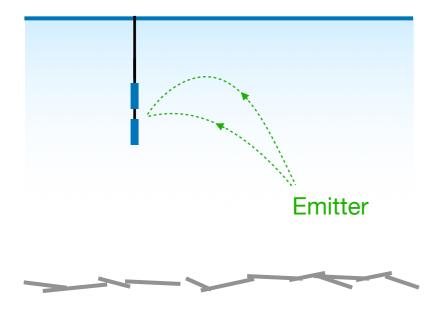


Simulations: a question of granularity

Raytracing

Geometric optics:

$$\lambda \to 0$$

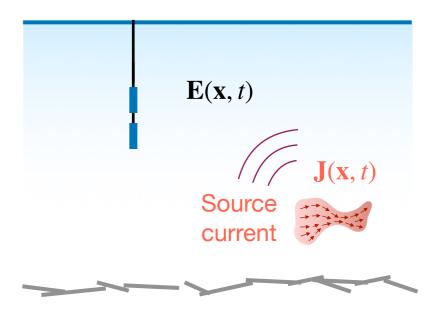


Radiation travels along "rays", curved in environment with varying index of refraction (Snell's law)

Long-time workhorse, but known to be incomplete!

Maxwell's equations

All wave-optics effects included

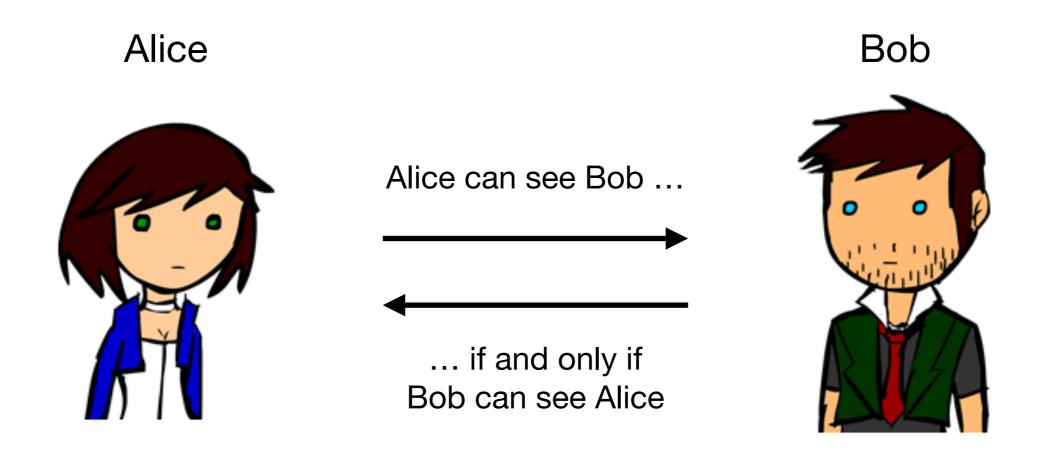


$$\nabla \times \mathbf{E} = -\partial_t \hat{\mu} \mathbf{H}$$
$$\nabla \times \mathbf{H} = \mathbf{J} + \hat{\sigma} \mathbf{E} + \partial_t \hat{\epsilon} \mathbf{E}$$

"There is no new physics in electromagnetism"

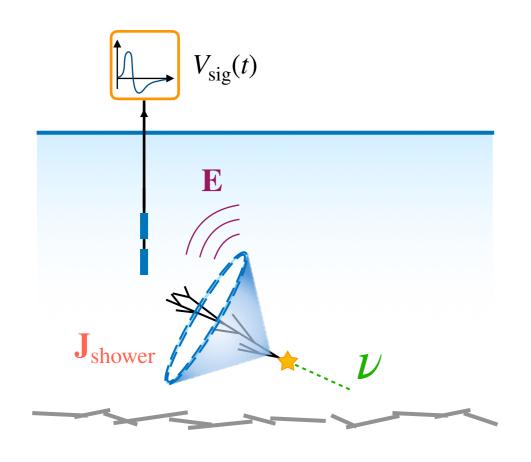
cm-scale voxels over km-scale volume,
no symmetries → intractable in practice!

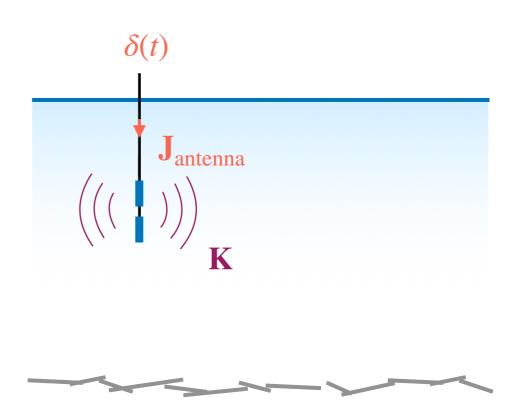
The idea: reciprocity



The idea: reciprocity

Electromagnetic "communication channels" are symmetric

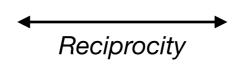




Antenna is receiver, produces voltage signal

Antenna "sees" shower

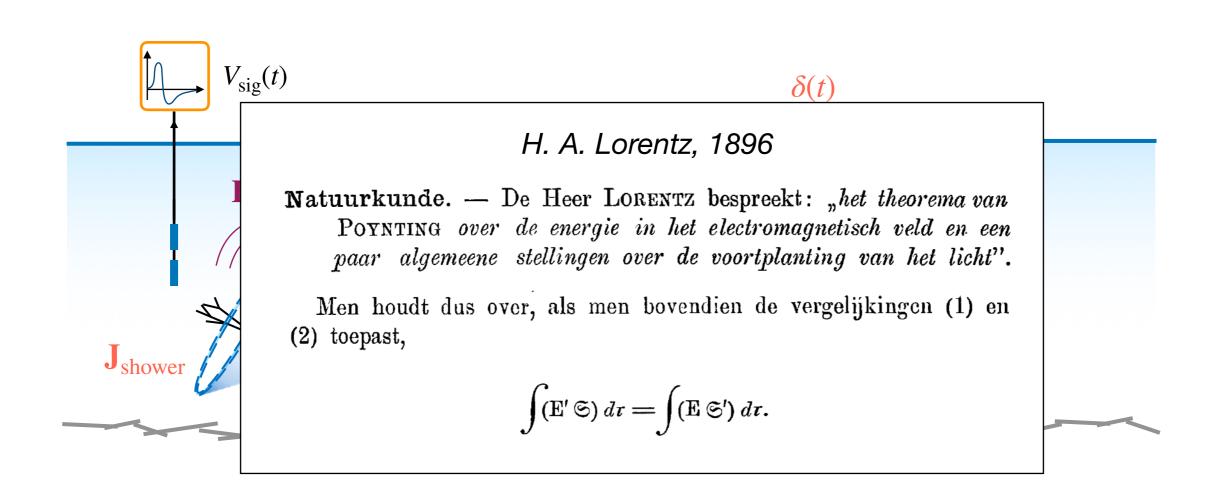
Feed delta-like signal into antenna, is transmitter



Shower "sees" antenna

The idea: reciprocity

Electromagnetic "communication channels" are symmetric

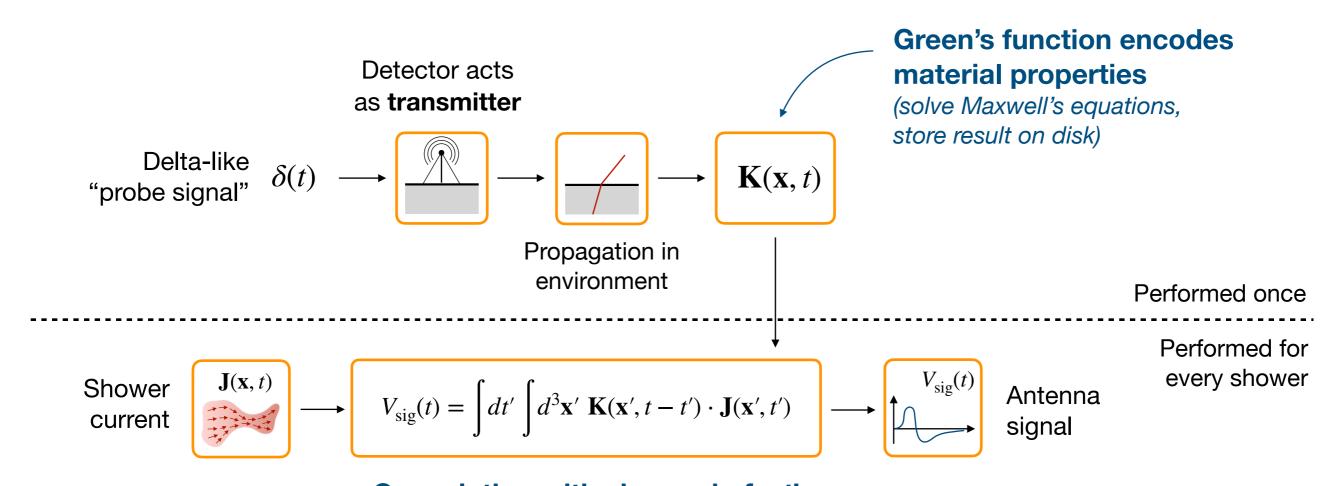


$$V_{\text{sig}}(t) = \int dt' d^3x' \ \mathbf{K}(\mathbf{x}', t - t') \cdot \mathbf{J}_{\text{shower}}(\mathbf{x}', t')$$

"The electric field transmitted by the antenna is a Green's function for the received signal"

A detector-centric calculation

This makes fully-electrodynamic signal calculations possible!



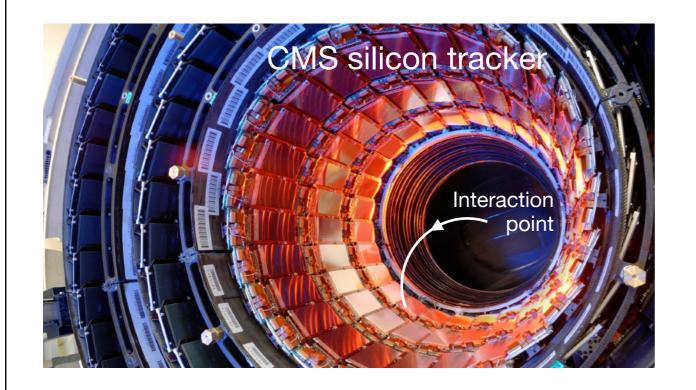
Convolution with shower is fast!

Calculation of complicated radiation propagation amortized into Green's function

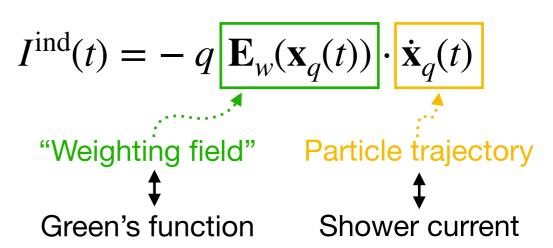
A detector-centric calculation

This is the electrodynamic generalization of the Ramo-Shockley theorem!

~90 years old; widely used by collider detector builders



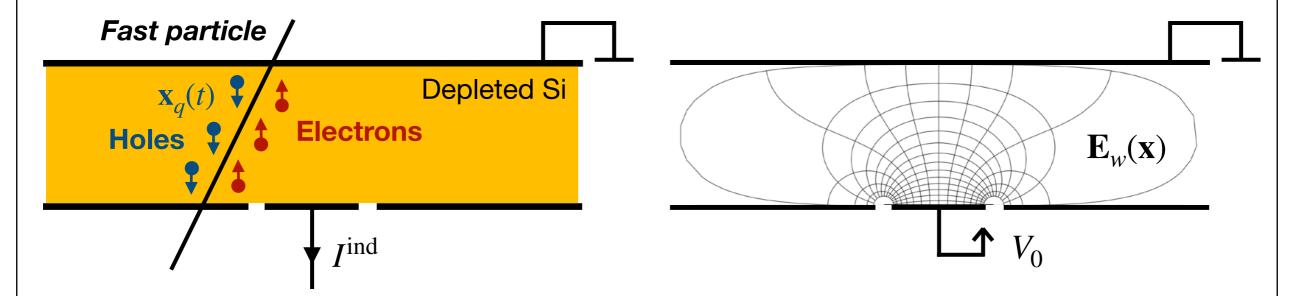
How to calculate current induced by slowly-drifting charges on detector electrodes?



þе

or

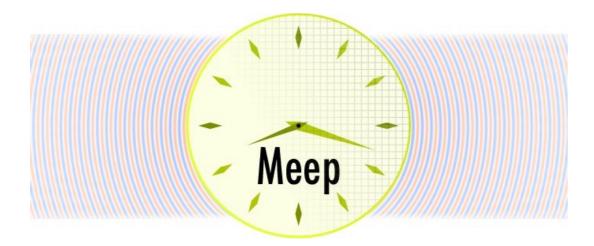
ler



Into practice

This makes fully-electrodynamic signal calculations possible!

... but still not entirely trivial from a computing perspective



Developed by the Nanostructures and Computation Group (MIT) [homepage] [code]

Real problem: how to store Green's function on disk in an efficient manner?

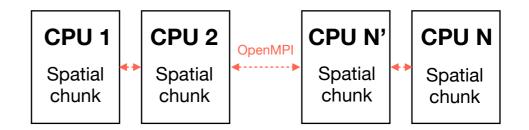
300m cylindrical geometry, 2.5cm voxel size

→ O(10) TB if stored naively!

But: Green's function is **sparse** in the time domain!

→ efficient compression is possible

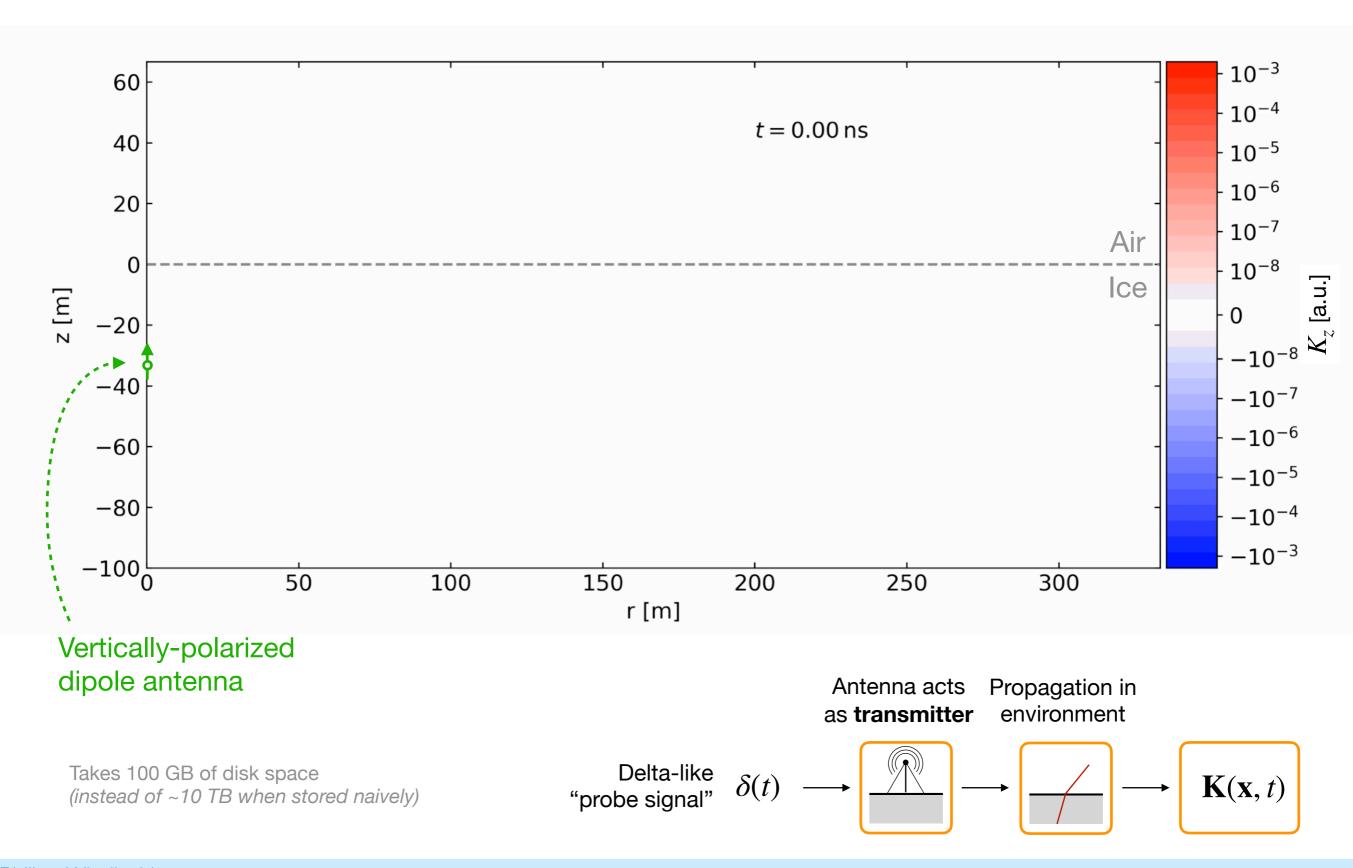
Off-the-shelf numerical solvers for Maxwell's equations apply to large-scale geometries



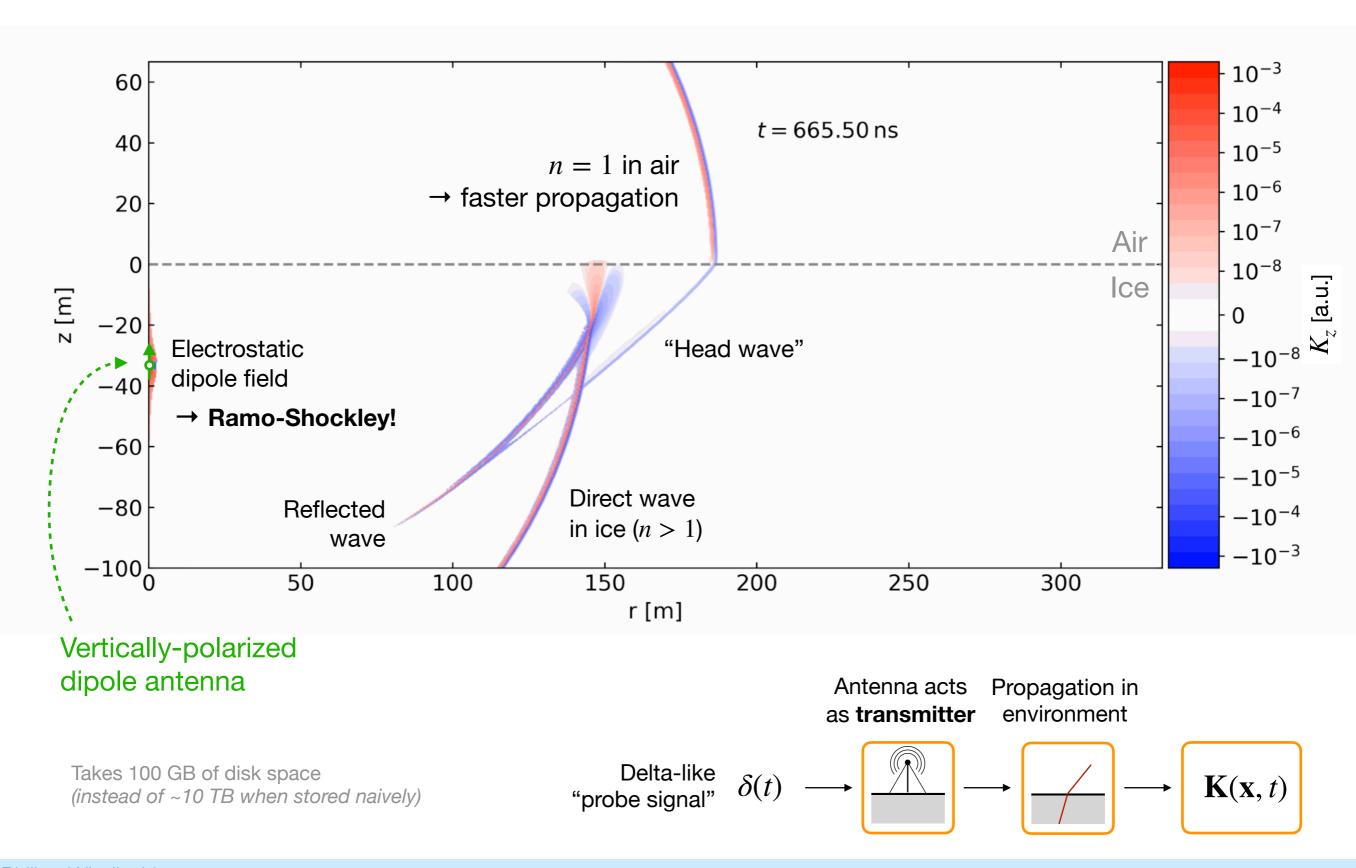
Distributed-memory parallelism



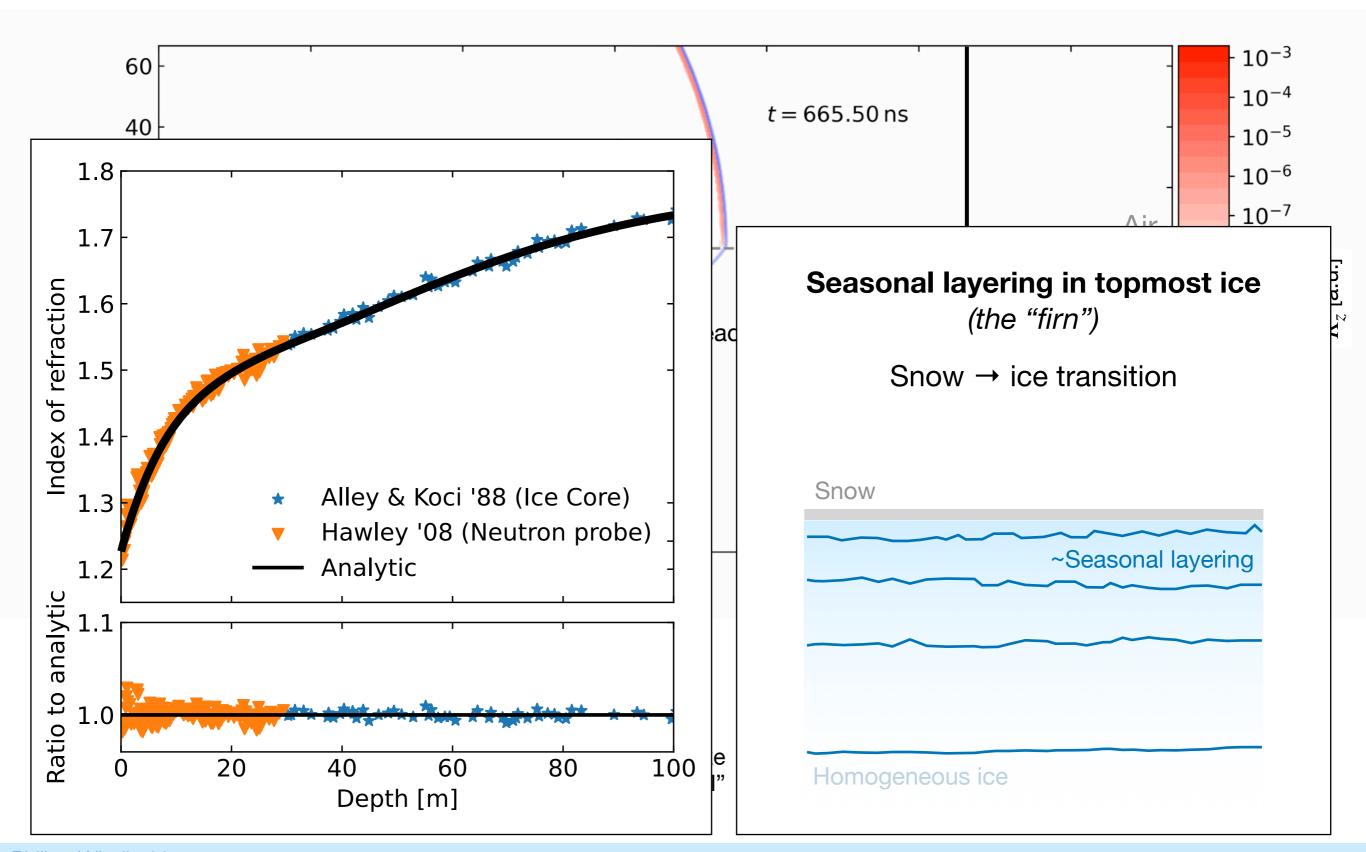
Green's functions are pretty!



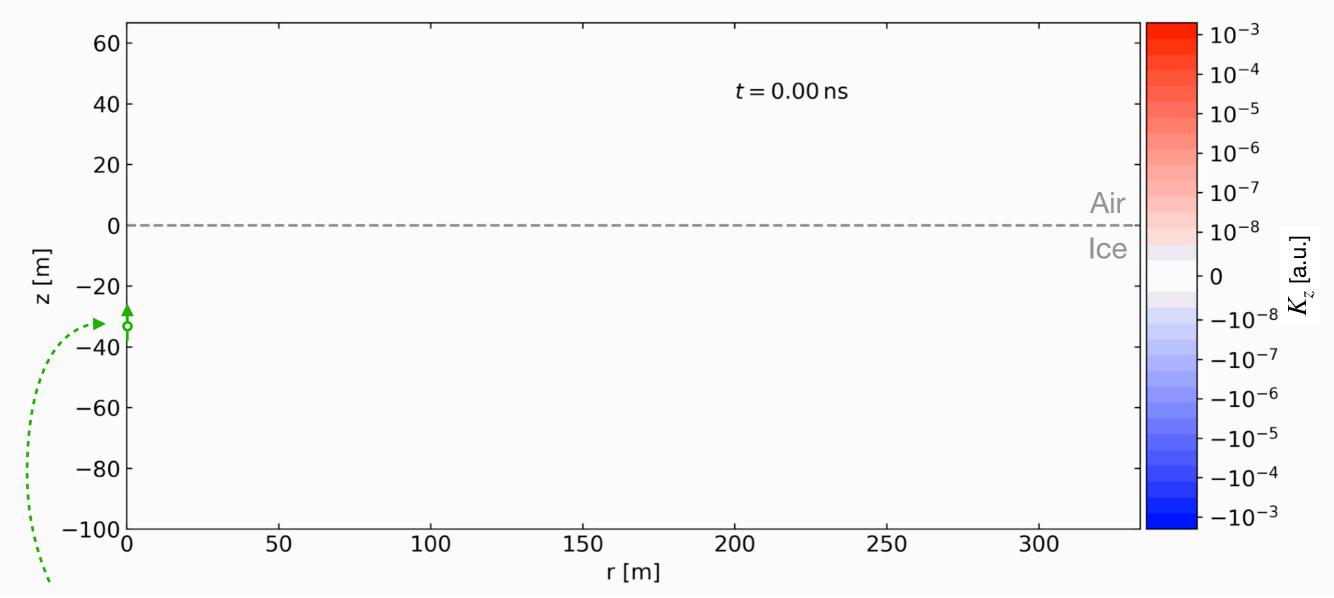
Green's functions are pretty!



Glacial ice in Greenland



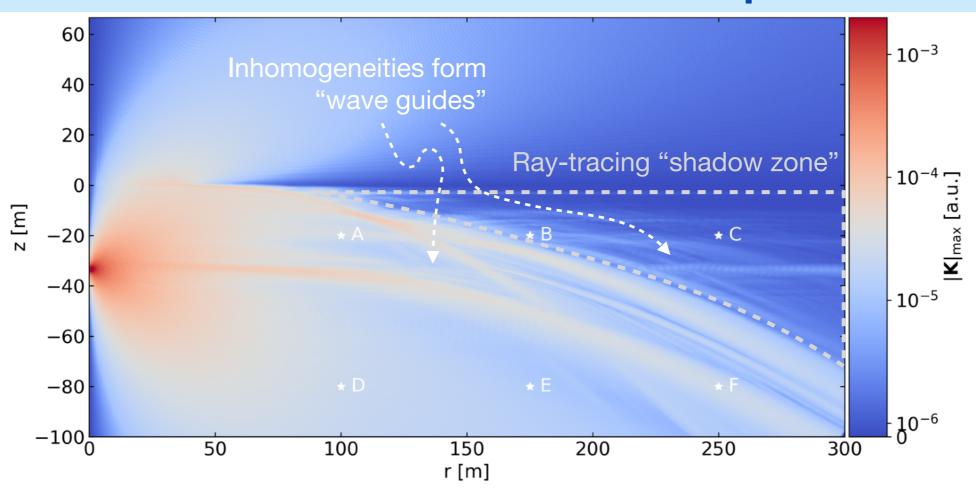
A more realistic Green's function



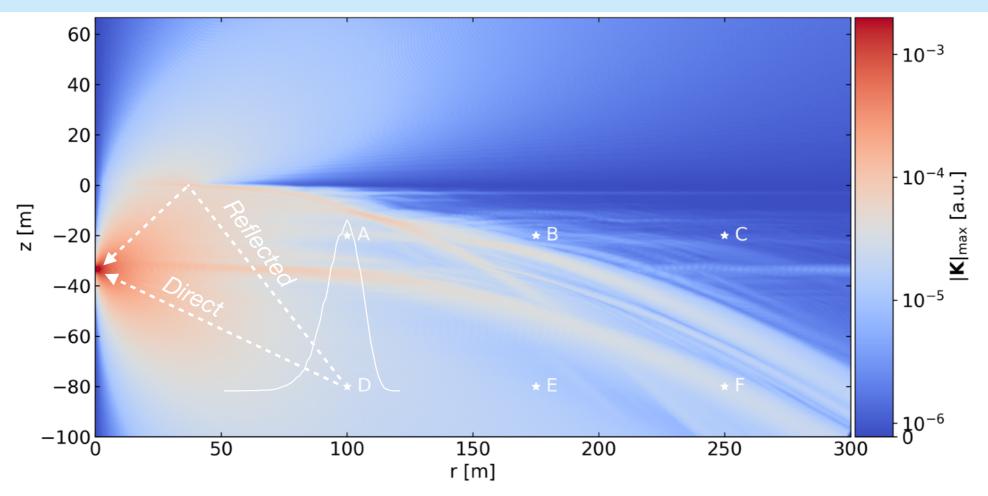
Vertically-polarized dipole antenna

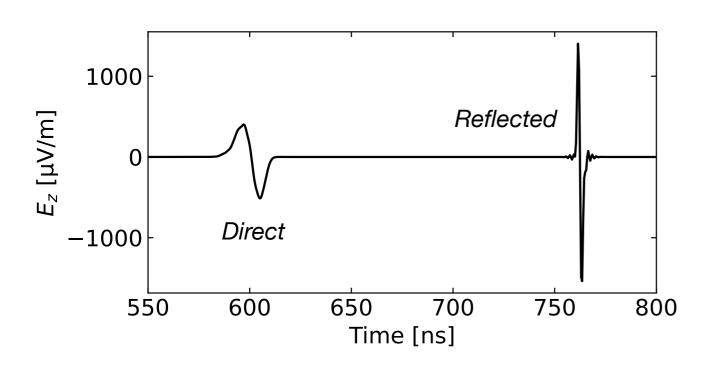
Wavefront in the **topmost part of the ice** (the "firn") becomes **extremely complicated!**

The Green's function landscape



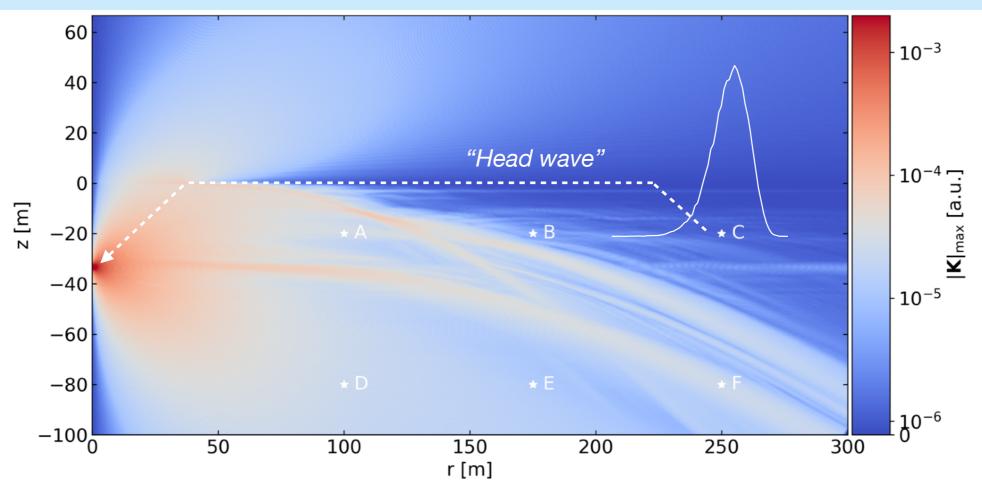
Signals from neutrino-induced showers

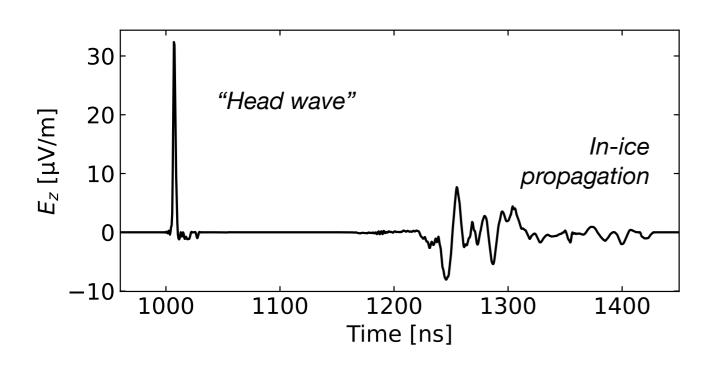




10¹⁸ eV hadronic shower, 1-dim profile

Signals from neutrino-induced showers

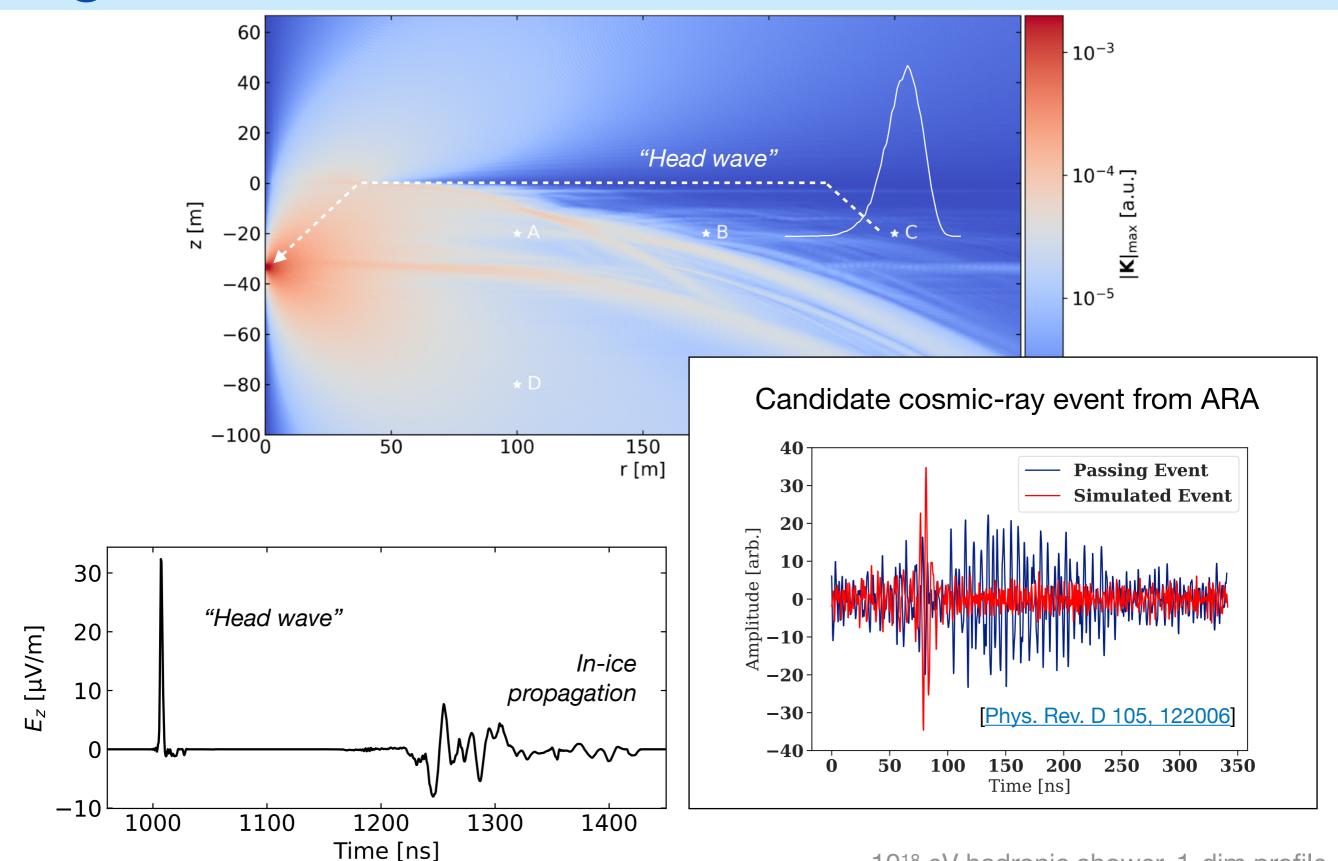




Expect very complicated and dispersed signals from cosmic-ray air showers impacting in shadow zone

10¹⁸ eV hadronic shower, 1-dim profile

Signals from neutrino-induced showers



10¹⁸ eV hadronic shower, 1-dim profile

Eisvogel



https://github.com/eisvogel-project/Eisvogel

Designed to be a useful community tool, developed in the open

Development mostly done, already applicable to real-world scenarios

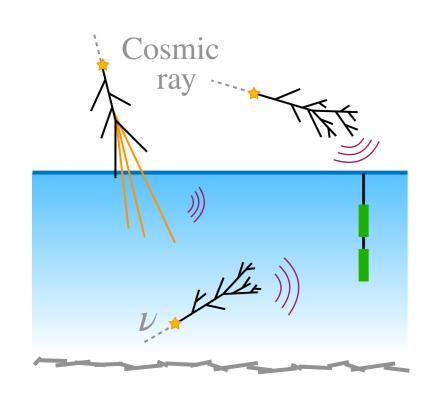
O(5) hours for calculation of Green's function (300m cylindrical geometry, 1.2cm resolution, 128 cores)

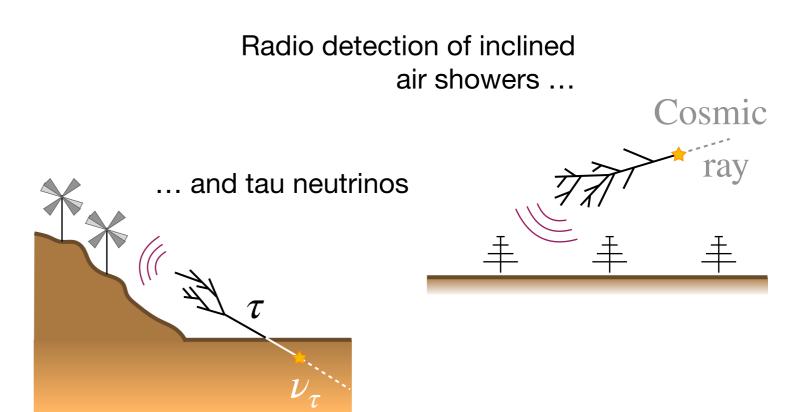
O(50) µs / particle track for signal calculation (some dependence on track length / cache size)

Only started to scratch the surface, full phenomenology waiting to be explored

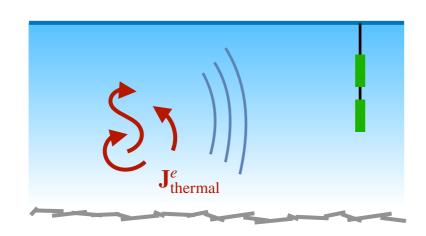


Other potential applications (?)

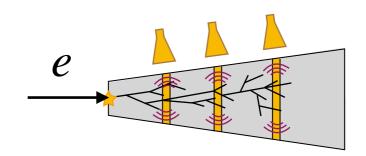


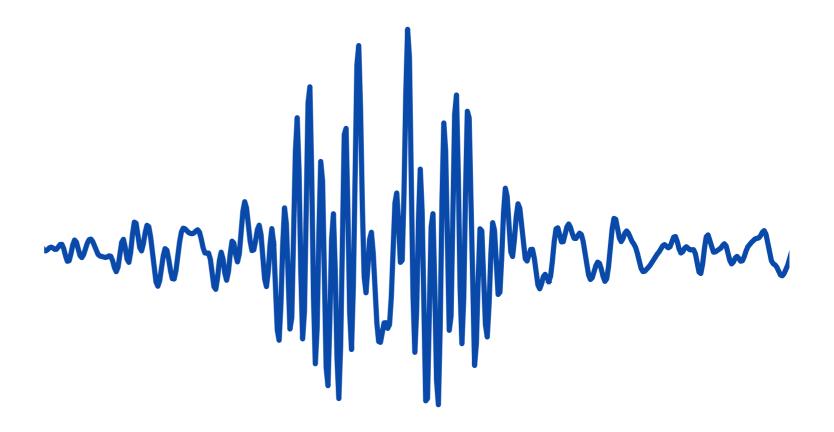


Antenna noise temperature



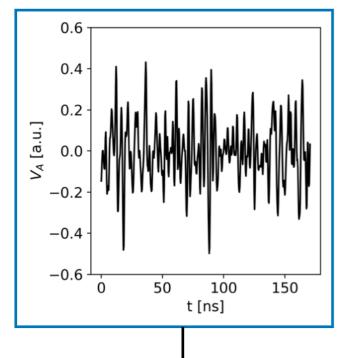
Radio calorimeters for future colliders

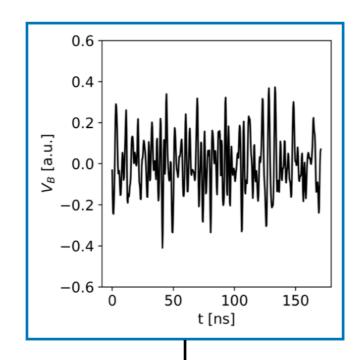




Extracting information from thermal noise

Thermal noise is pervasive





Can we use the noise to learn something about the antenna geometry or the environment?

A B Radio antennas

Antennas embedded in thermal bath of surrounding ice

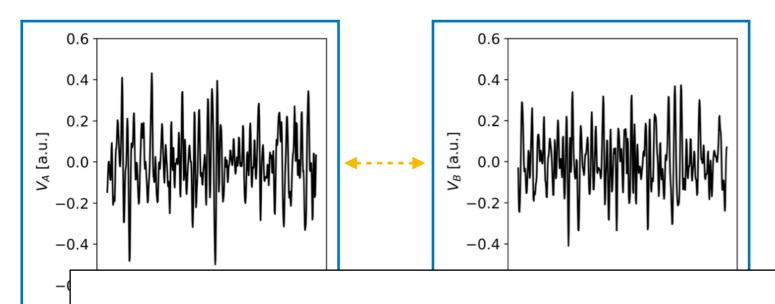
Thermally excited, stochastic motion of electrons

Fluctuating electromagnetic field

Apparently random and non-informative

But: real radiation propagating through real environment!

Thermal noise is informative



Noise signals are not independent, but correlated

PHYSICAL REVIEW

VOLUME 83, NUMBER 1

JULY 1, 1951

Irreversibility and Generalized Noise*

HERBERT B. CALLEN AND THEODORE A. WELTON†

Randal Morgan Laboratory of Physics, University of Pennsylvania, Philadelphia, Pennsylvania

(Received January 11, 1951)

A relation is obtained between the generalized resistance and the fluctuations of the generalized forces in linear dissipative systems. This relation forms the extension of the Nyquist relation for the voltage fluctuations in electrical impedances. The general formalism is illustrated by applications to several particular types of systems, including Brownian motion, electric field fluctuations in the vacuum, and pressure fluctuations in a gas.

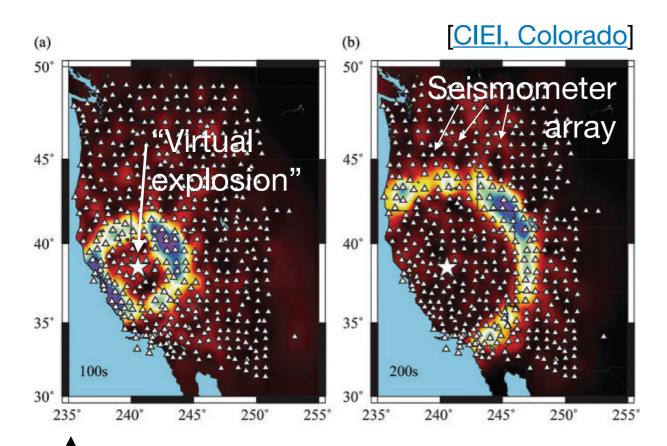
 $A \leftrightarrow B$



This is a <u>very</u> general fact; exists beyond electrodynamics

"Fluctuation-dissipation theorem"

Different manifestations



Ambient noise correlations in seismology

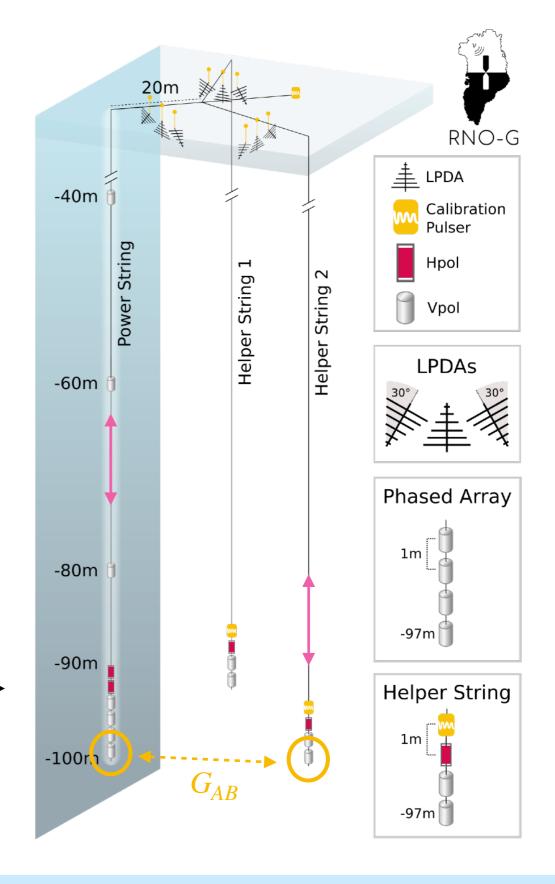
Constant "background rumble" of the Earth's crust

→ Information about propagation of elastic waves

Ambient noise correlations in ice

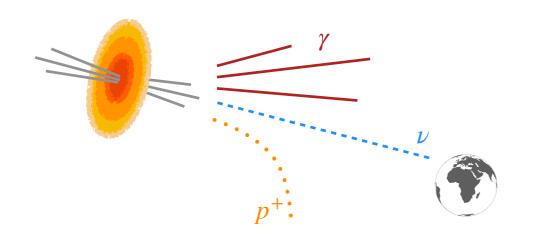
Constant thermal emissions from surrounding ice

→ Information about propagation of electromagnetic waves for **detector calibration**



Summary

Very exciting times for radio neutrino astronomy!



Current generation of instruments will significantly improve our knowledge of high-energy phenomena in the universe

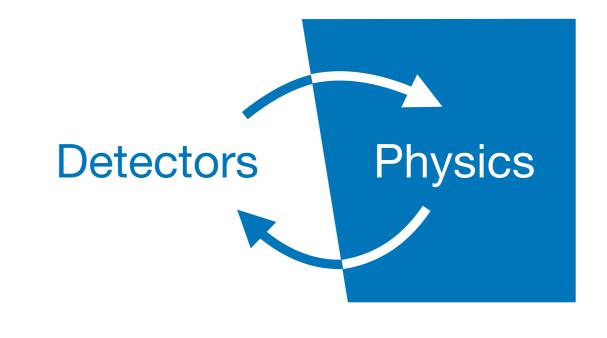
(In deployment!)

Detector performance rests on our ability to exploit textbook electromagnetism!

Large-scale **Green's functions** make **high-fidelity** signal **simulations efficient**

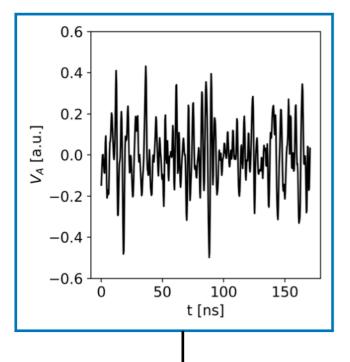
Pervasive **thermal noise** informs **detector calibration**

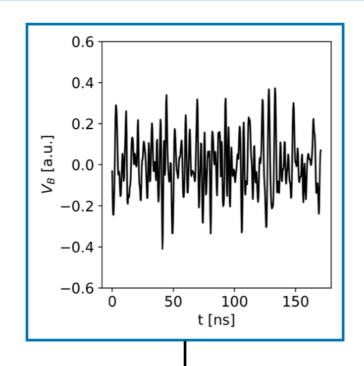
Exciting times ahead!



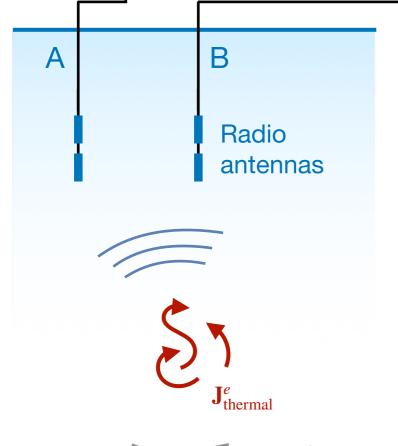
Backup

Thermal noise is pervasive





Can we use the noise to learn something about the antenna geometry or the environment?



Antennas embedded in thermal bath of surrounding ice

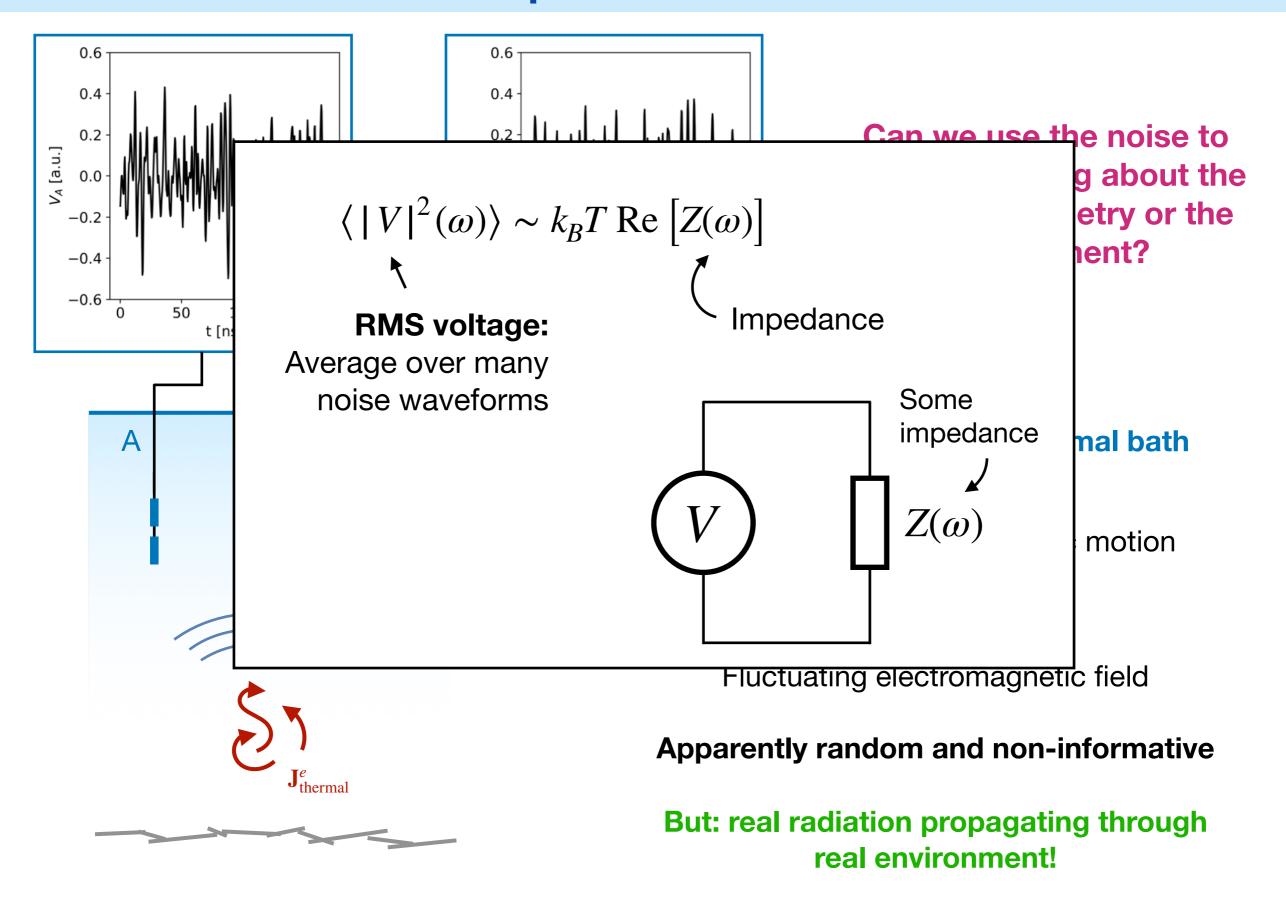
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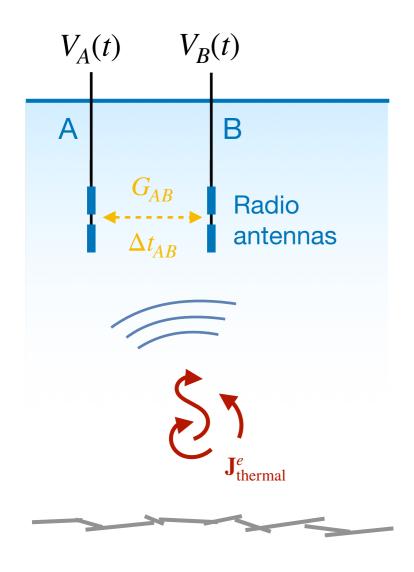


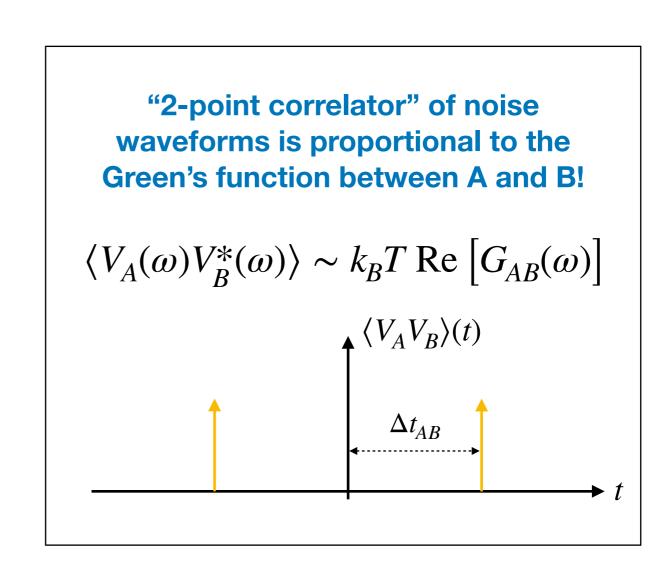
Thermal noise is informative

Idea: each thermal noise waveform ("noise realization") is random, but its statistical properties are deterministic (and informative!)

In particular: **noise recorded in two spatially separated channels** is not independent, but **weakly correlated**!

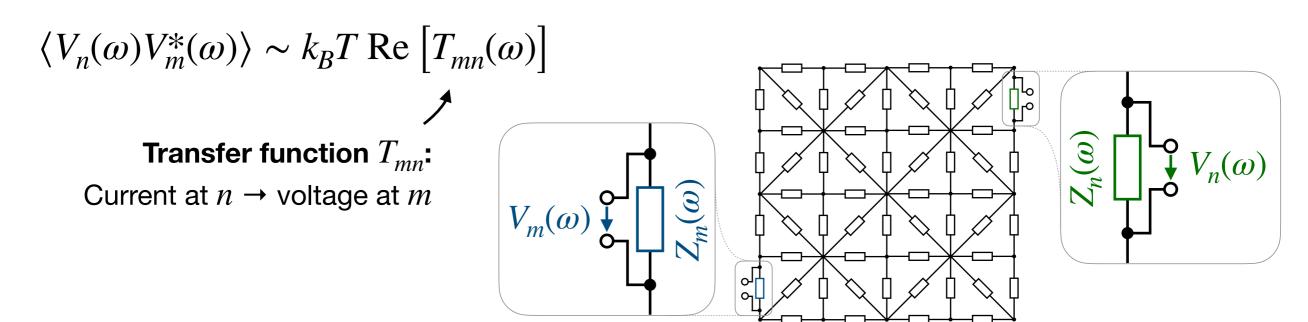
→ Averages over many noise events expose "hidden" correlations

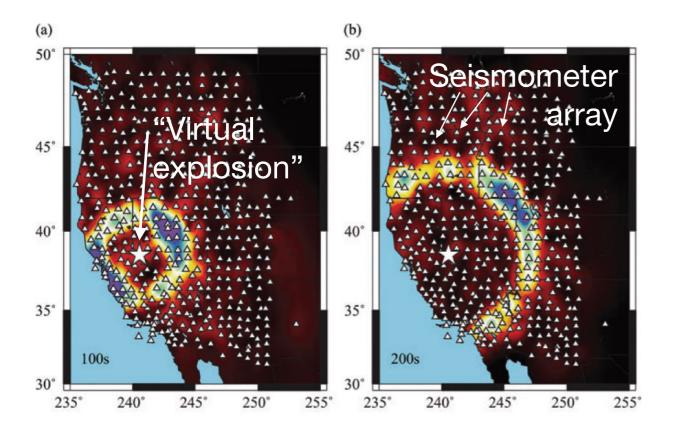




This is not surprising!

Thermal noise correlations in an impedance network:





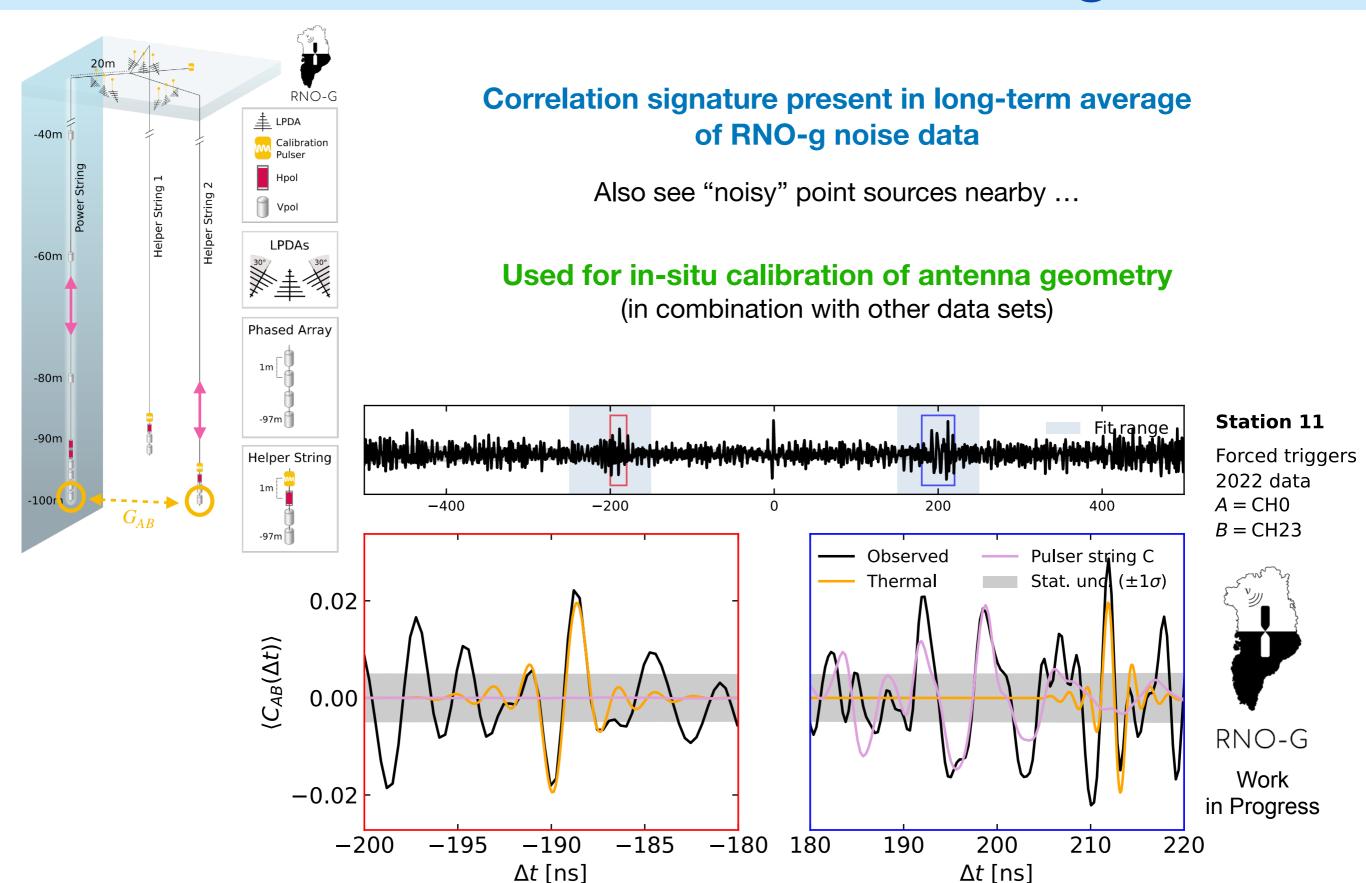
Ambient noise correlations in seismology:

Constant "background rumble" of the Earth's crust

†

Information about propagation of elastic waves

Noise correlations in use at RNO-g



Backup

Trailblazing experiments

ARA

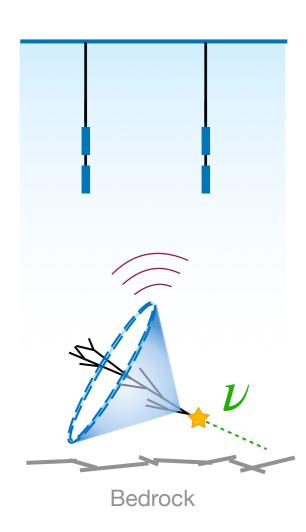
Askaryan Radio Array (South Pole)

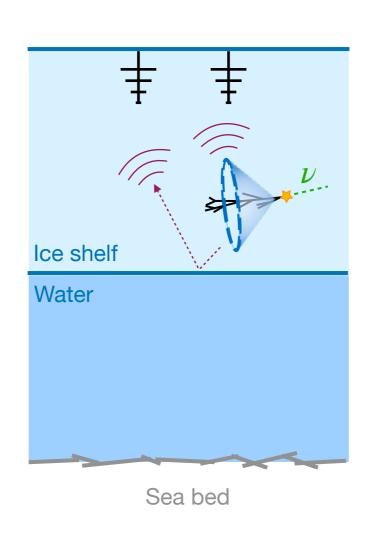
ARIANNA

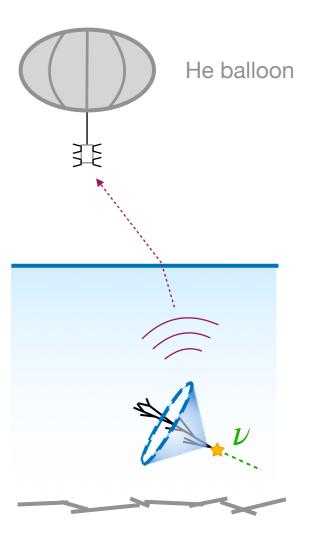
Antarctic Ross Ice-Shelf Antenna Neutrino Array

ANITA

Antarctic Impulsive Transient Antenna

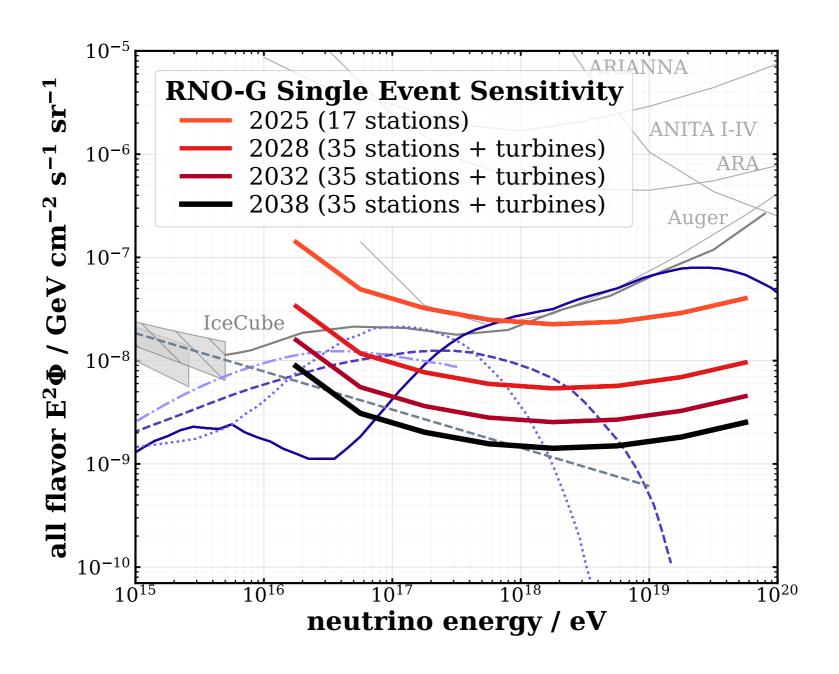




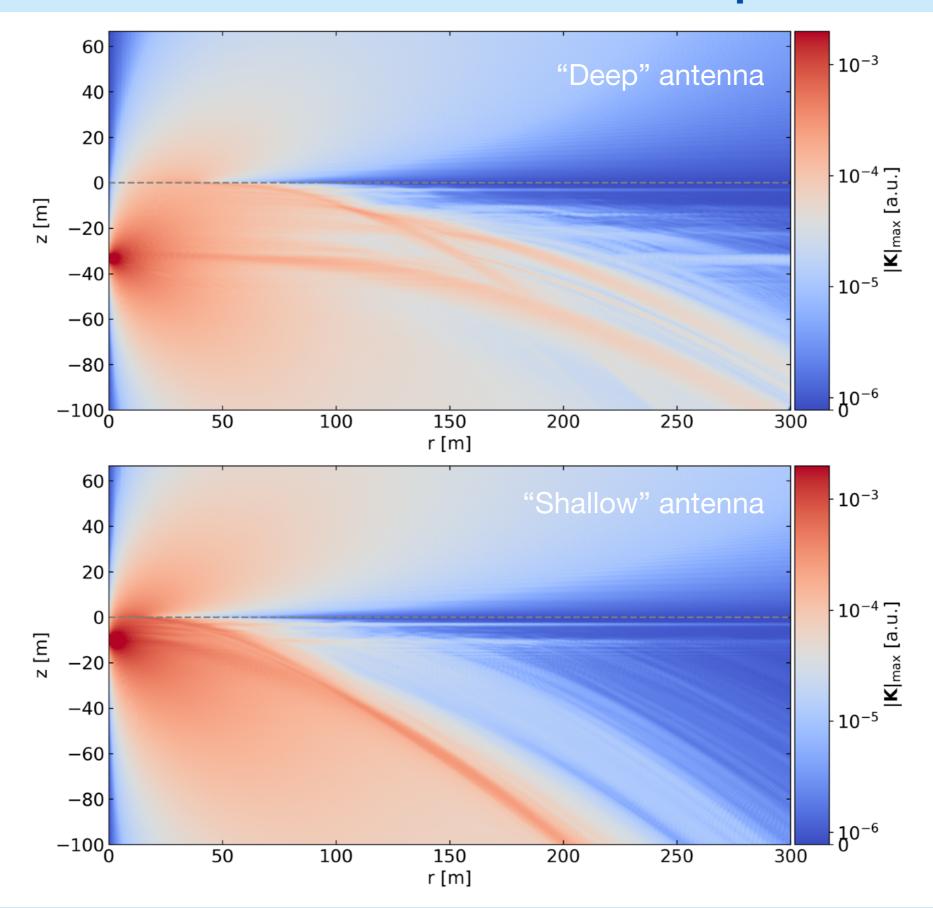


RNO-G single-event sensitivity

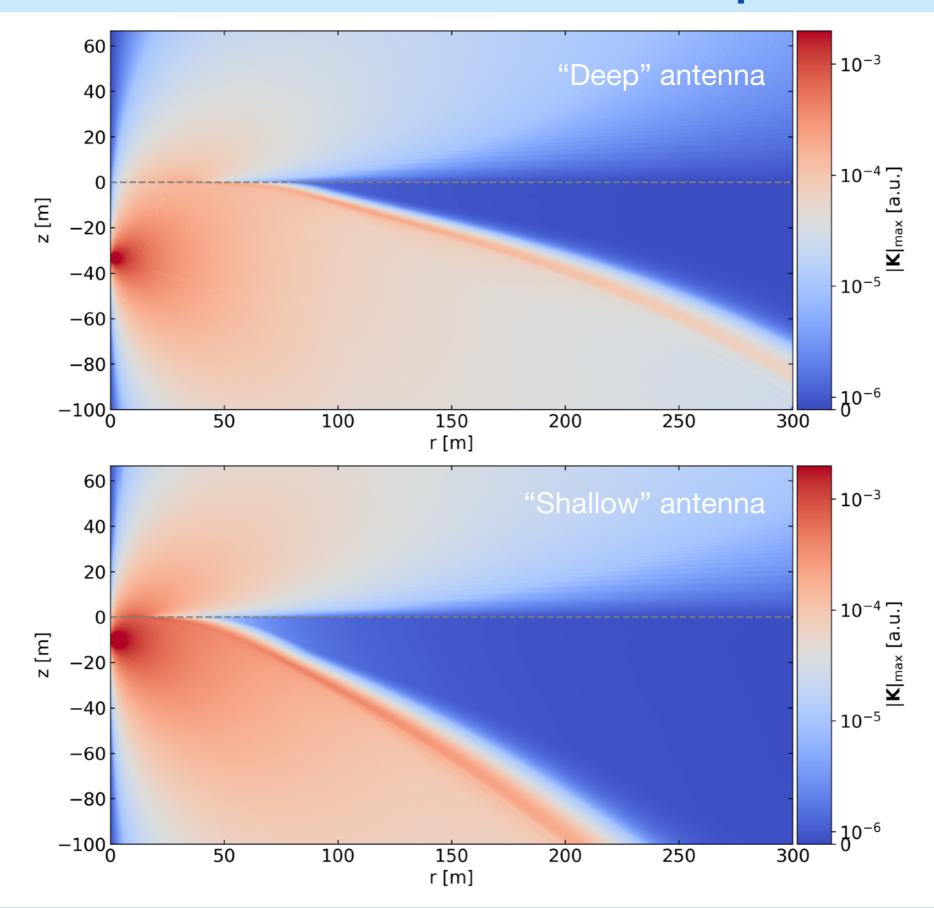
"Single-event sensitivity": flux inferred from a single observed event (assuming no backgrounds)



"Deep" vs "shallow" antenna placement



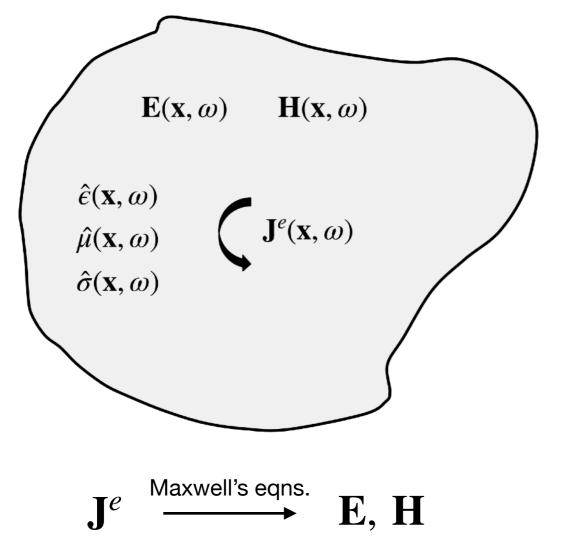
"Deep" vs "shallow" antenna placement



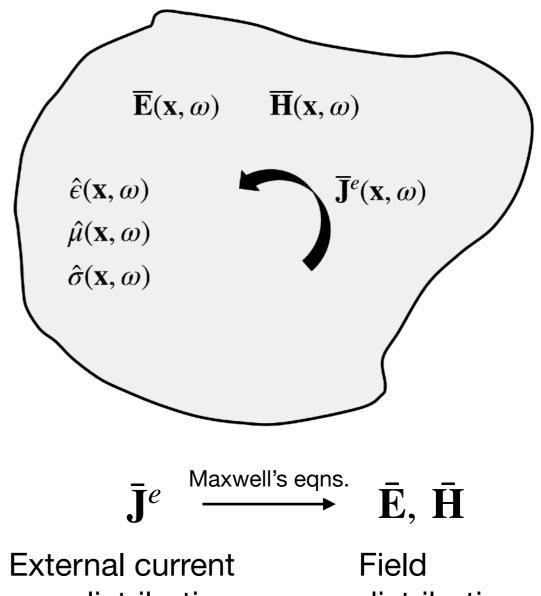
Lorentz reciprocity

Classical electrodynamics has a built-in method to relate two different situations (with identical geometry)

General, linear material distribution: $\epsilon(\mathbf{x})$, $\mu(\mathbf{x})$, $\sigma(\mathbf{x})$



External current Field distribution distributions

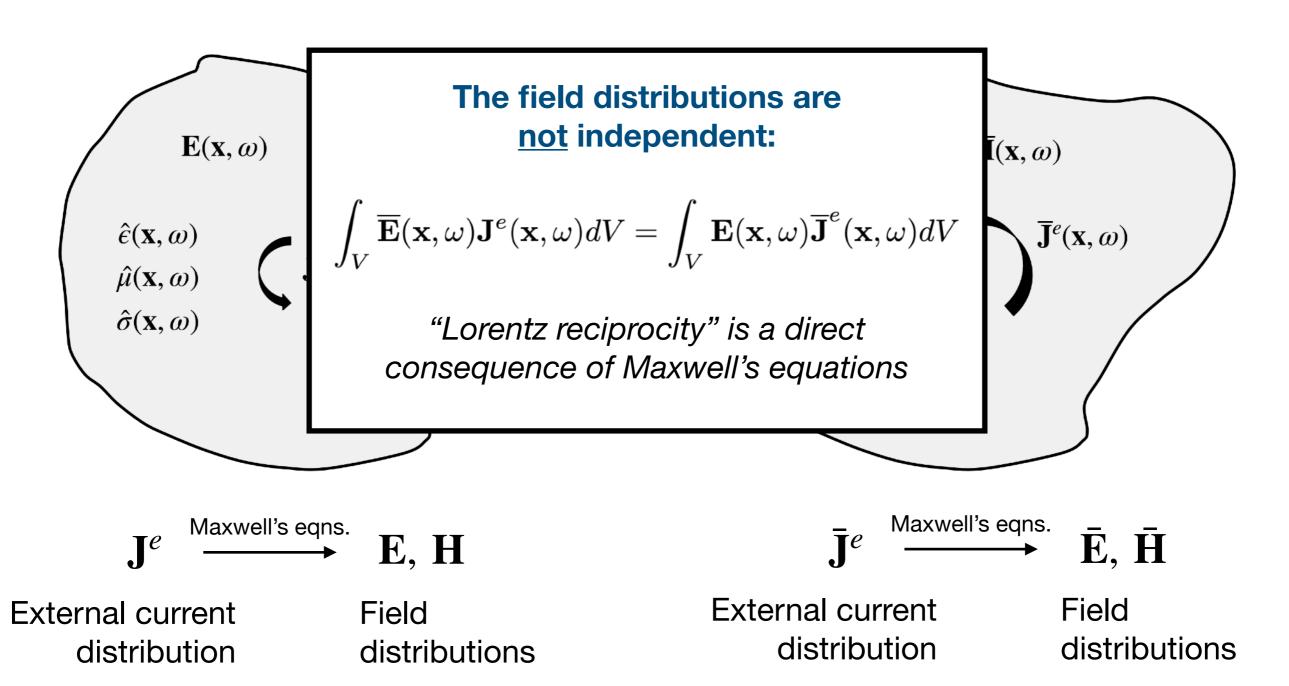


distribution distributions

Lorentz reciprocity

Classical electrodynamics has a built-in method to relate two different situations (with identical geometry)

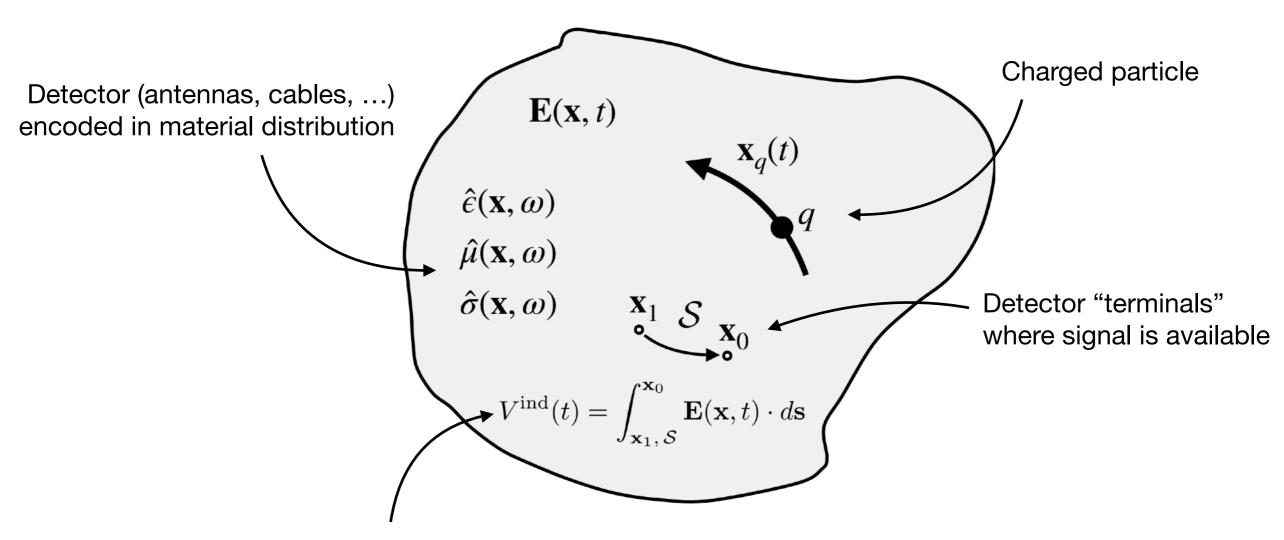
General, linear material distribution: $\epsilon(\mathbf{x})$, $\mu(\mathbf{x})$, $\sigma(\mathbf{x})$



Towards a general signal theorem

Use this "duality" to compute signal induced in detector

The "primal" situation:

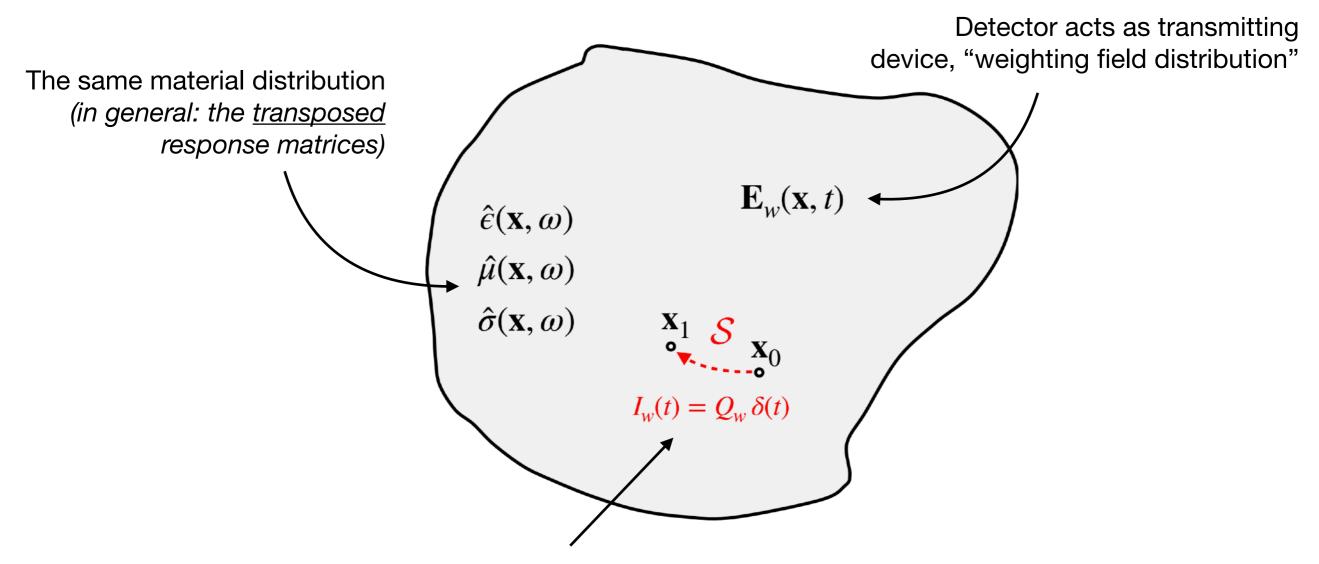


Detector "signal" is voltage difference across terminals (measured along a specific path, $\nabla \times \mathbf{E} \neq 0$ in general!)

Towards a general signal theorem

Use this "duality" to compute signal induced in detector

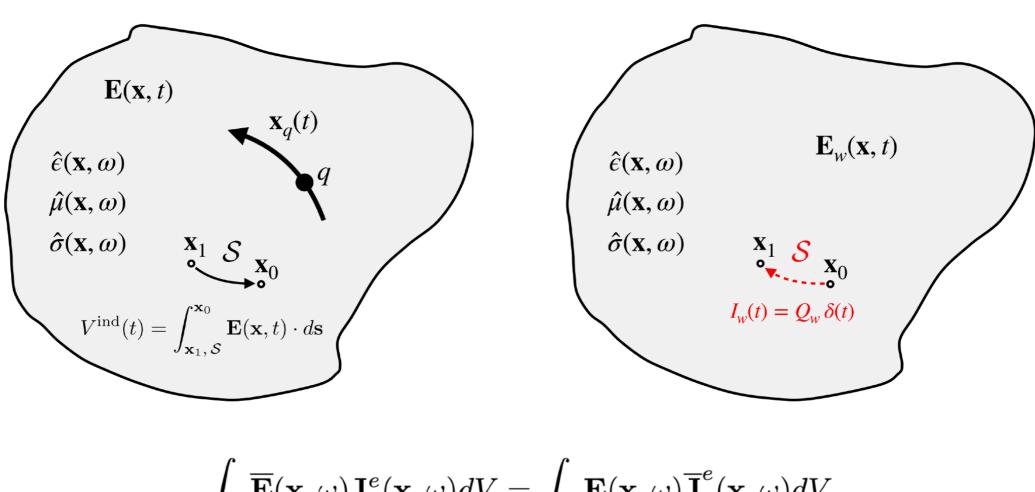
The "dual" situation:



Current source attached to detector terminals: delta-like current applied along the signal-defining path

Towards a general signal theorem

Use this "duality" to compute signal induced in detector



$$\int_{V} \overline{\mathbf{E}}(\mathbf{x}, \omega) \mathbf{J}^{e}(\mathbf{x}, \omega) dV = \int_{V} \mathbf{E}(\mathbf{x}, \omega) \overline{\mathbf{J}}^{e}(\mathbf{x}, \omega) dV$$

$$V^{\text{ind}}(\omega) = \int_{\mathbf{x}_1, \mathcal{S}}^{\mathbf{x}_0} \mathbf{E}(\mathbf{x}, \omega) d\mathbf{s} = -\frac{1}{I_w(\omega)} \int_V \mathbf{E}_w(\mathbf{x}, \omega) \mathbf{J}^e(\mathbf{x}, \omega) dV$$

A fully general signal theorem

In the time-domain, this is

$$V^{\mathrm{ind}}(t) = -\frac{q}{Q_w} \int_{-\infty}^{\infty} \mathbf{E}_w(\mathbf{x}_q(t'), t - t') \dot{\mathbf{x}}_q(t') dt'$$
 Normalising constant Neighbors Weighting field

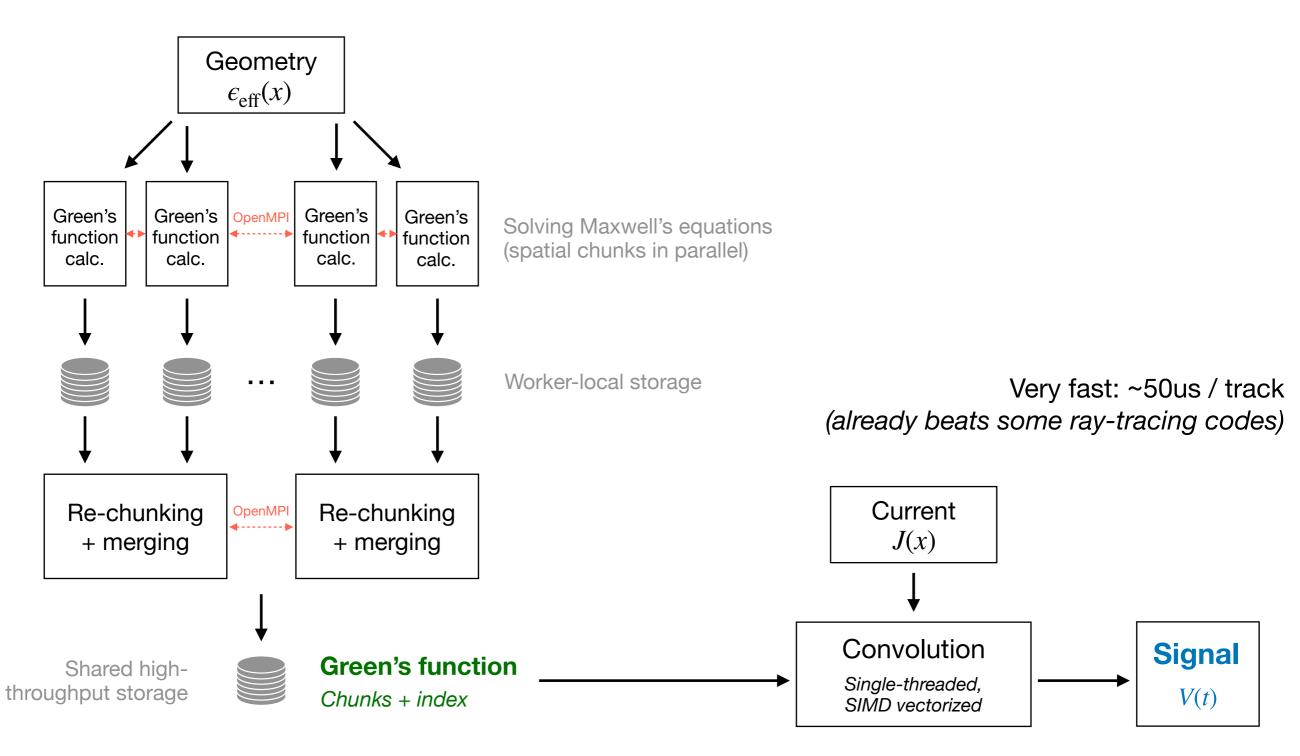
"Weighting field": Green's function for detector signal

Encodes information about detector geometry & environment; reciprocity defines concrete algorithm to compute it

Fully general, no approximations

holds exactly for all linear, anisotropic materials; approximately for nonlinear, anisotropic materials

Eisvogel internals



Effectively a custom, zero-suppressed distributed file system (TB → GB)

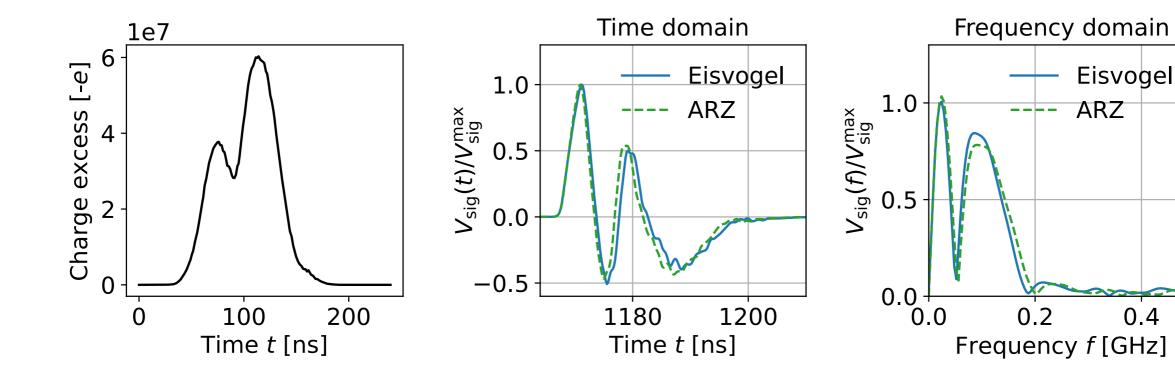
SIMD = "single instruction multiple data" AVX512: 512-bit registers, fits 16 4-byte floating point numbers

Comparison with ARZ

Comparison with ARZ

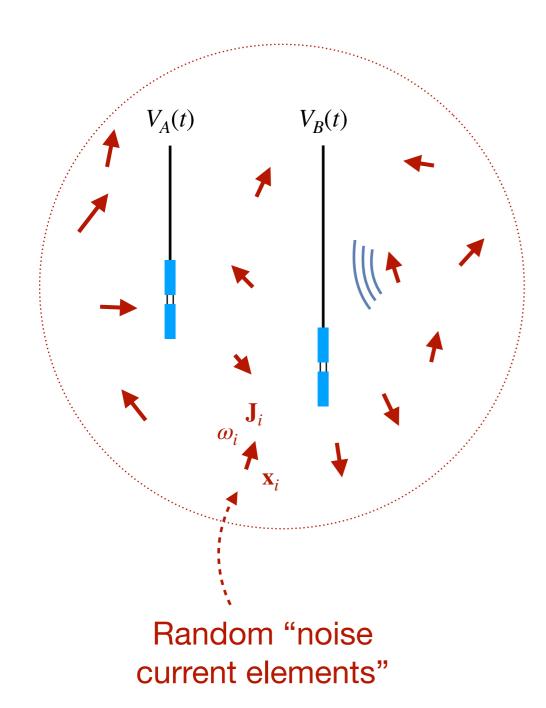
(as implemented in NuRadioMC)

1-dim profile of electromagnetic shower developing in homogeneous medium with n=1.78

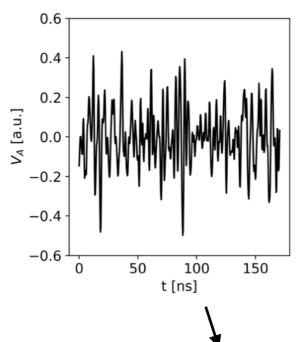


Good agreement!

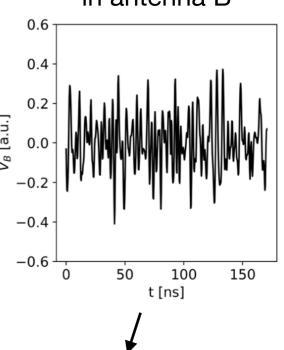
A simple toy simulation of the procedure:



Simulated noise event *i* in antenna A



Simulated noise event *i* in antenna B

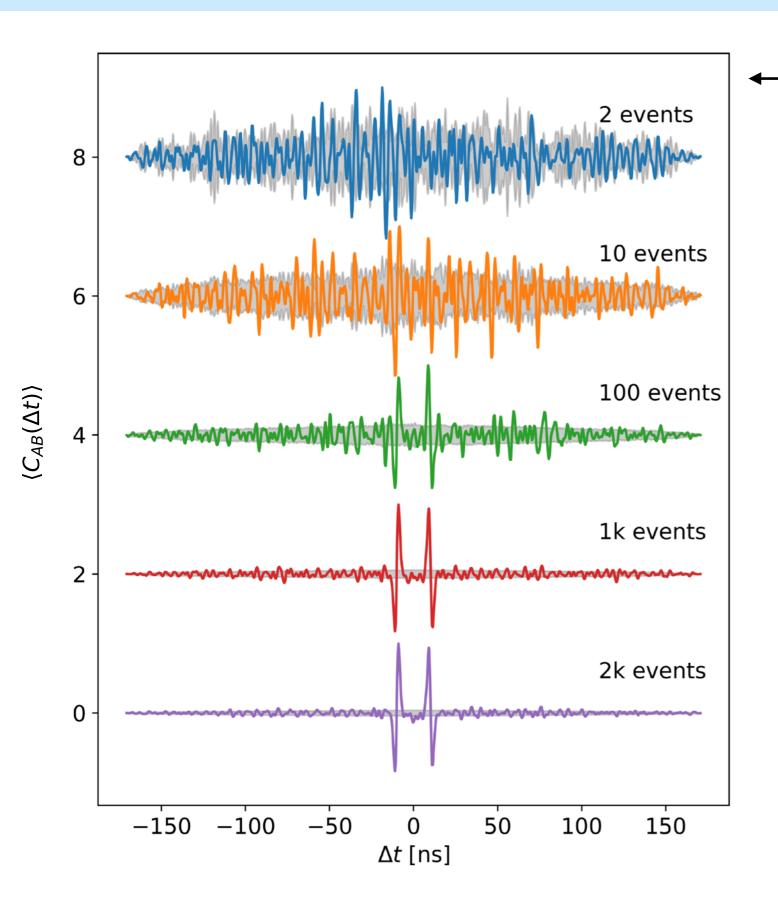


$$C_{AB}^{(i)}(\Delta t) = \int dt' V_A^{(i)}(\Delta t + t') V_B^{(i)}(t')$$

1) Correlate noise event-by-event

$$\langle C_{AB}(\Delta t)\rangle_{N} = \frac{1}{N} \sum_{i=1}^{N} C_{AB}^{(i)}(\Delta t)$$

2) Average over full data set



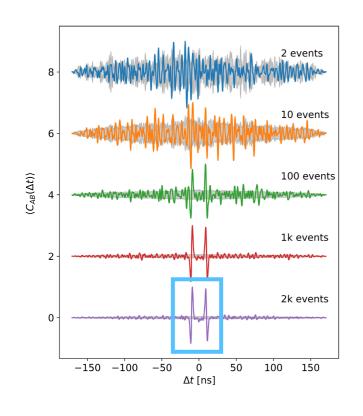
Noise correlator averaged for different ${\cal N}$

$$\langle C_{AB}(\Delta t)\rangle_N = \frac{1}{N} \sum_{i=1}^N C_{AB}^{(i)}(\Delta t)$$

Noise is uncorrelated between antennas on a per-event basis

Noise is **weakly correlated** between antennas

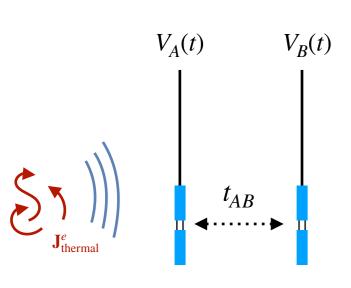
→ average over many events makes it visible



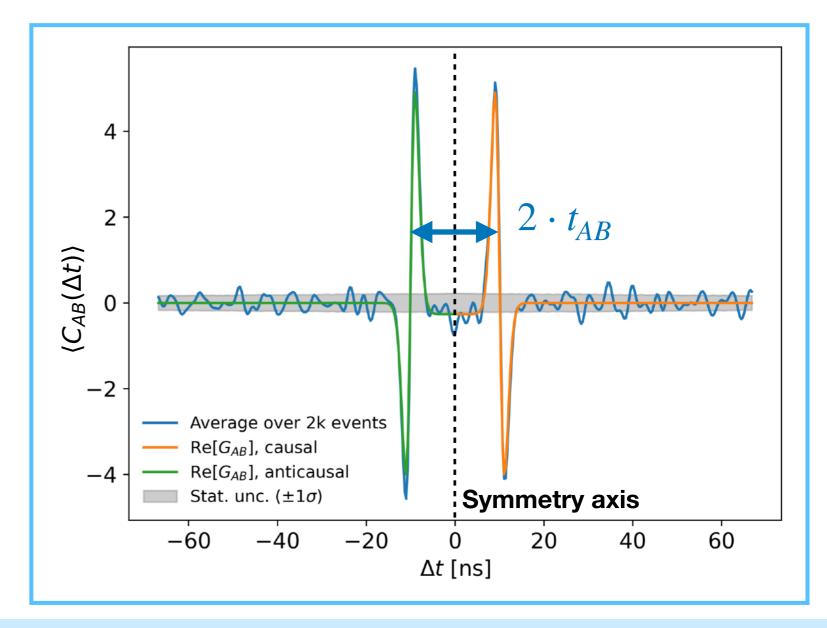
Result of averaging:

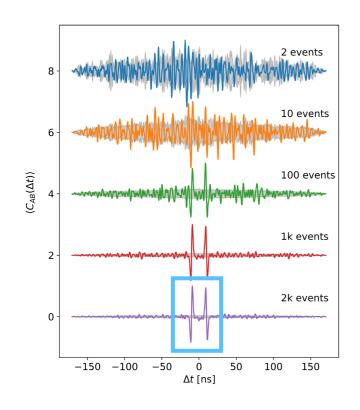
Impulse response between the two antennas ("virtual pulser") (Symmetry ↔ isotropy of thermal noise)

Time difference between two peaks: $2 \cdot t_{AB}$





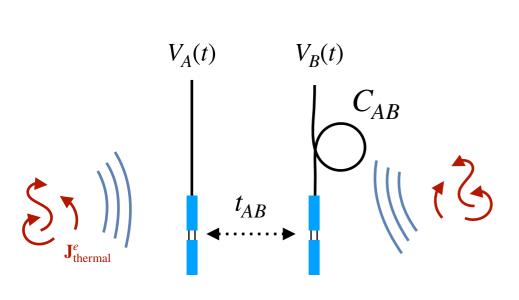


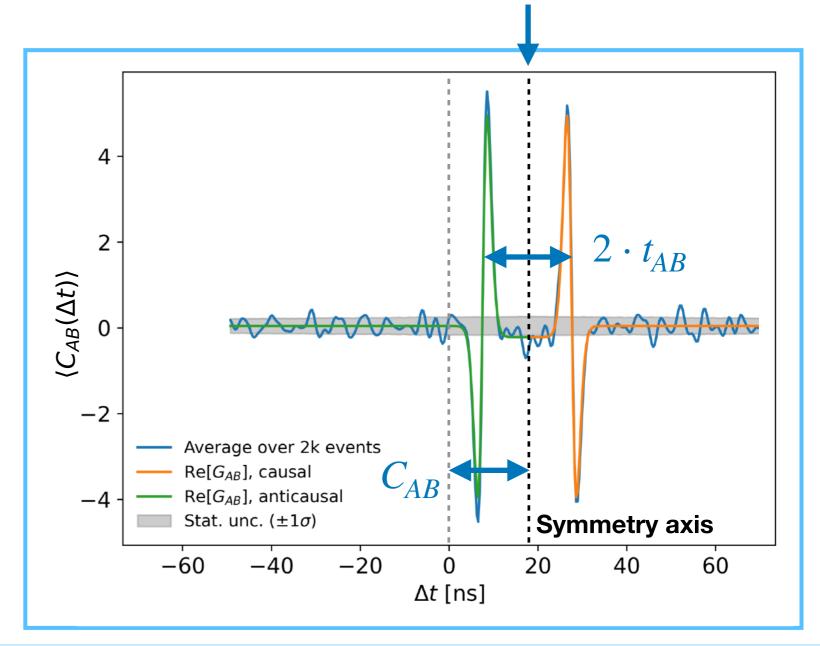


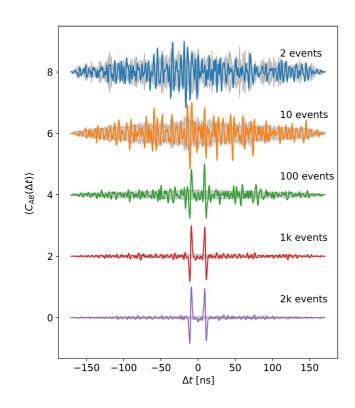
Result of averaging:

Overall shift away from $\Delta t = 0$: relative cable delay C_{AB}

→ **detectable** due to symmetric structure!







Far field:

Impulse response is simple; but far-away antennas are *very weakly correlated*

