

Cosmic Ray Probes of Classicalization

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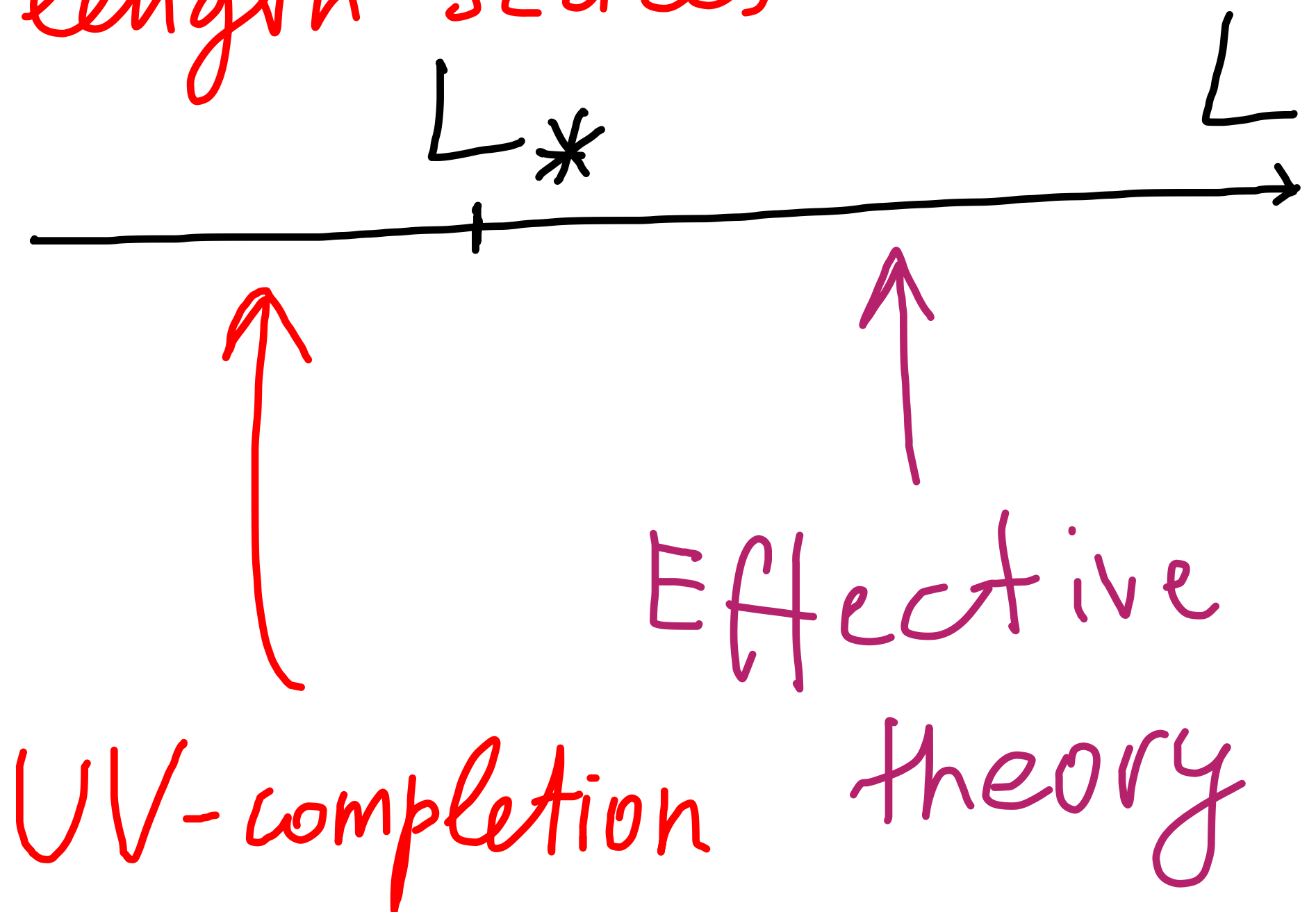
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with: Cesar Gomez;
+ Gian Giudice, Alex Kehagias.

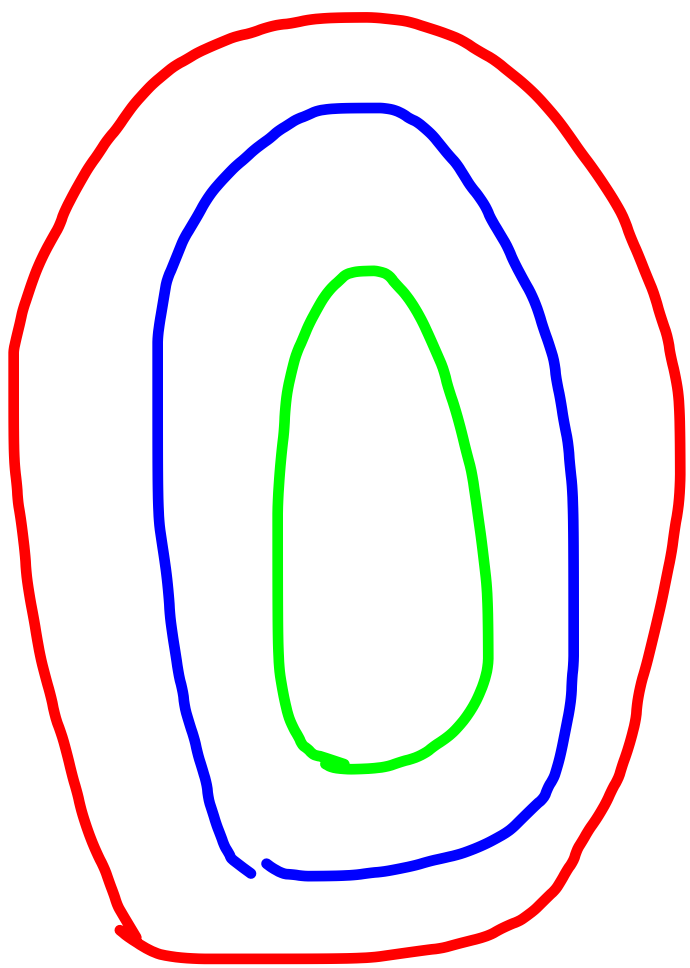
Incomplete list of other contributors:

Pirtskhalava;
Grojean, Gupta;
Rizos, Tetradis; + Brouzakis;
Bajc, Momen, Senjanovic; + Tsolias;
Berkhahn, Dietrich, Hofmann;
Percacci, Rachwal;
Akhoury, Mukohyama;
Franka;
Alberte, Bezrukov
Kauher, Lublinsky....

Fundamental physics
is about understanding
nature at different
length-scales



Theories describing
nature at different length
scales are embedded in
one another like
Russian dolls



In usual (Wilsonian)
UV-completion one
integrates in some new
weakly coupled physics
at distances $L < L_*$

Examples:
weakly-coupled Higgs,
SUSY, ...

Characteristic property
of such Wilsonian UV-
completion is that high
energy scattering cross
section diminishes

$$\sigma \sim \frac{\alpha^2}{s} \equiv r_*^2(s)$$

$r_*(s) \equiv$ scattering
radius

In weakly-coupled theories $\gamma_*(s)$ diminishes at high \sqrt{s} .

This makes extremely hard to probe such UV-completions in high energy experiments at low luminosity, such as high energy cosmic rays.

We have understood recently
that there exists a new
class of UV-completions,
which we call
Non-Wilsonian UV-completion
by classicalization

In such a theory

$$\mathcal{O}(s) \propto s^\gamma$$

$$\gamma > 0$$

In the rest of my talk
I shall try to explain
physics behind this
phenomenon and prospects
for high energy cosmic
ray experiments.

What is
classification?

We need a bosonic field
 ϕ sourced by energy-density

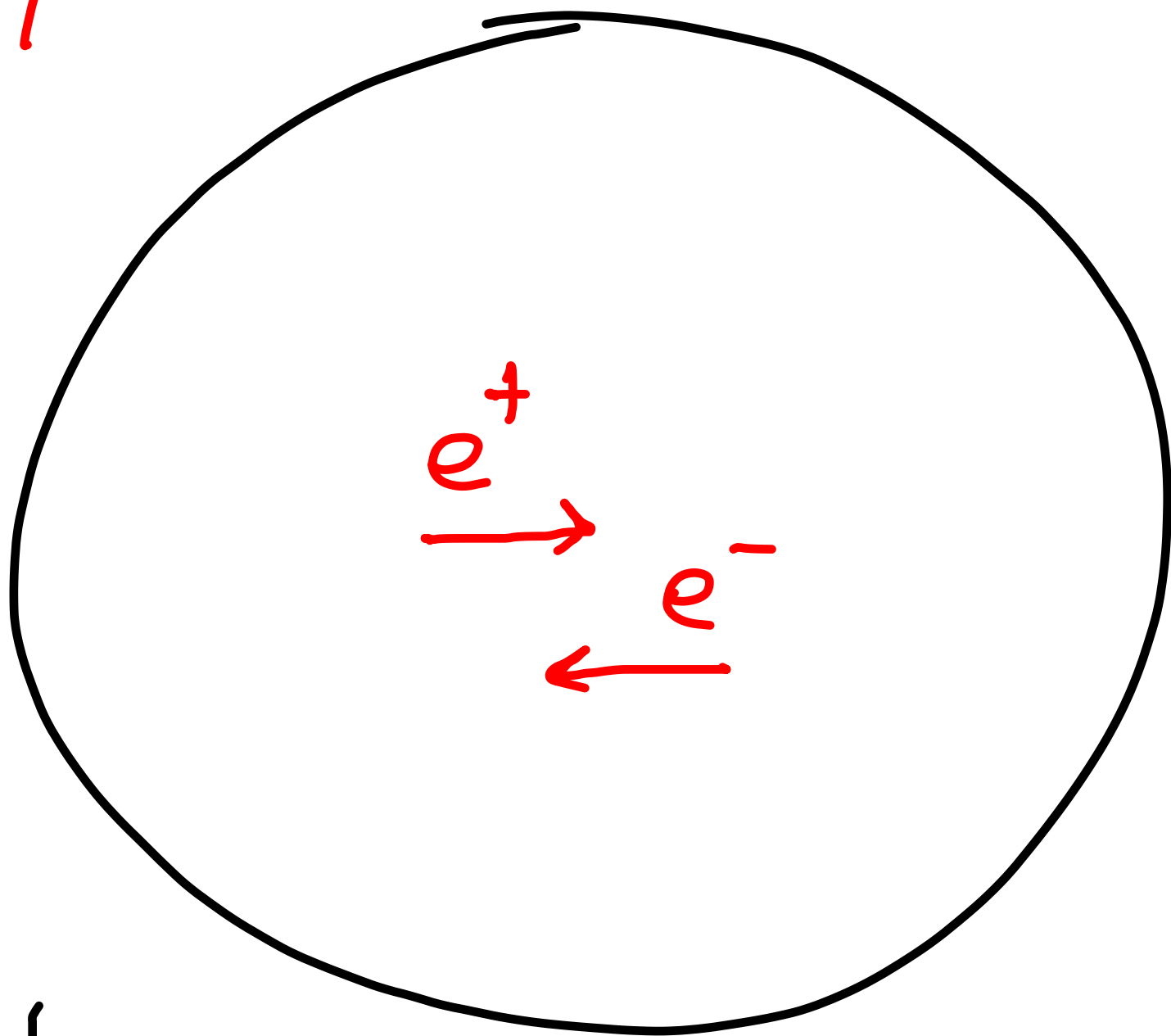
$$\mathcal{L} = \phi \frac{\rho}{M_*} + \dots$$

$$M_* \equiv L_*^{-1}$$

Then a source with $\sqrt{s} \gg M_*$
creates a *classical* field
 ϕ of radius

$$r_*(\sqrt{s}) = \sqrt{s} / M_*^2$$

Such a source can be
provided by two scattering
quanta



$\leftarrow r_*(r) \rightarrow$

Or equivalently high
energy sources create
a Bose-Einstein
condensate of ϕ
of occupation number

$$N = \frac{\rho}{M_*^2}$$

and wave-length

$$\lambda_*(r_s) = \sqrt{\rho} / M_*^2$$

In such a theory there
exist no single (or two)
particle states of center
of mass energy

$$\sqrt{s} \gg M_*$$

Instead, we only have
multi-particle bound-
states of occupation
number $N = s/M_*^2$!

So above M_* theory
classicalizes

← Collective modes
of Bose-Einstein
condensate of
soft ϕ -Bosons

M_*

← Weakly-coupled
quanta ϕ

How can a theory be
UV-completed by classical
objects?

$$e^+ + e^- \rightarrow \text{blob} + \overline{\text{blob}}$$

$$\sigma \propto e^- \text{L} \text{blob} \text{M} \text{blob}$$

So what is special
about classicalons?

First, what is classicality?

Nature is quantum $\hbar \neq 0$.

Classicality implies many particles.

For example, earth's gravitational field is classical because it contains $N \sim 10^{66}$

gravitons!

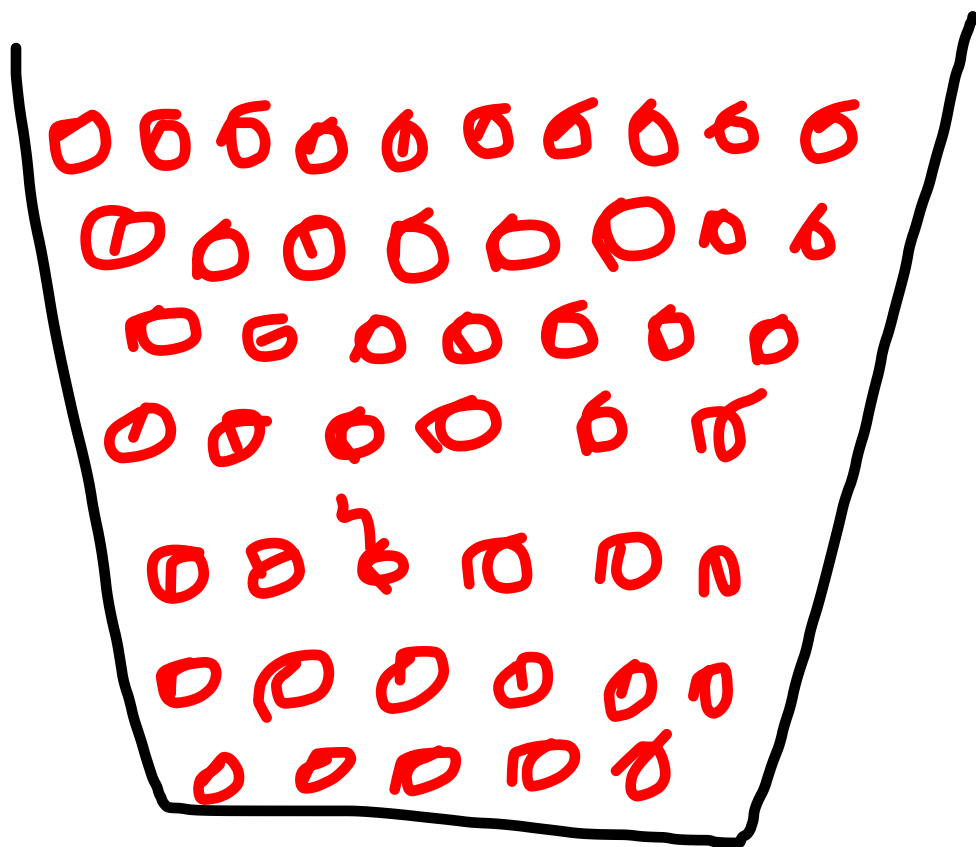
In contrast, gravitational field created by a single electron contains only

$$N \sim 10^{-44}$$

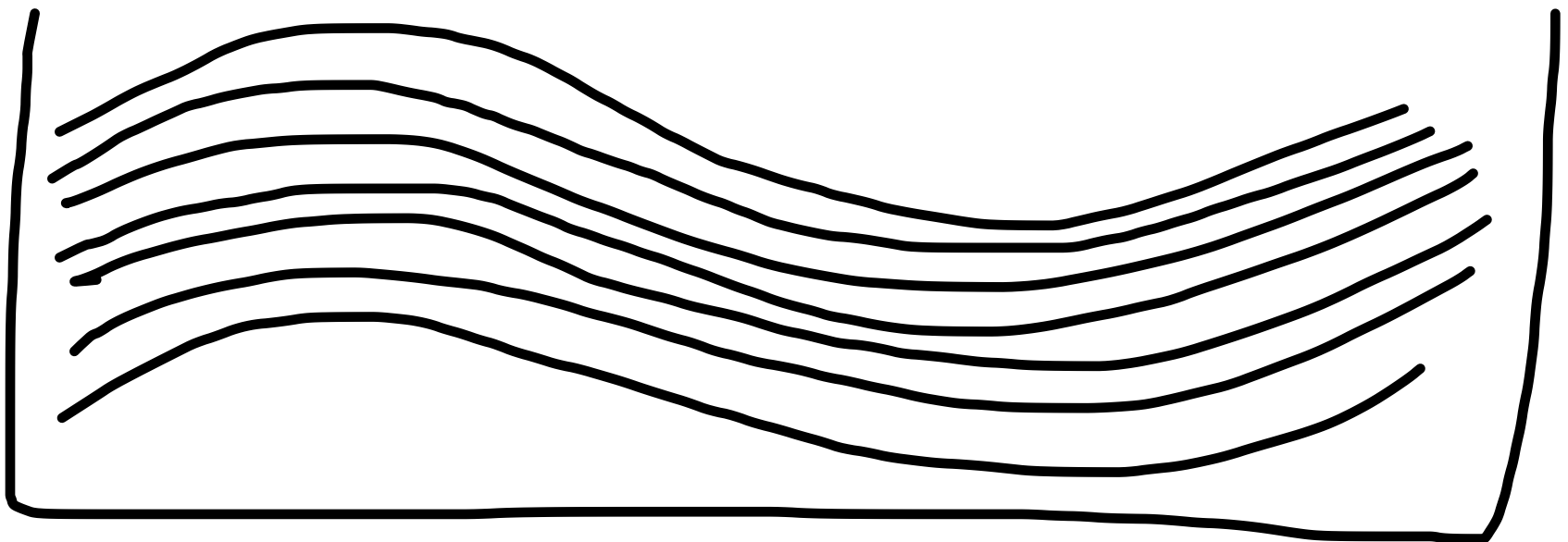
gravitons!

(This is why the electron is not a black hole.)

Macroscopic objects
are characterized by
number of constituents
 N , their coupling strength
 α ,



However α has an universal meaning in the systems in which everybody talks to each other at a same strength, such as Bose-Einstein condensates.




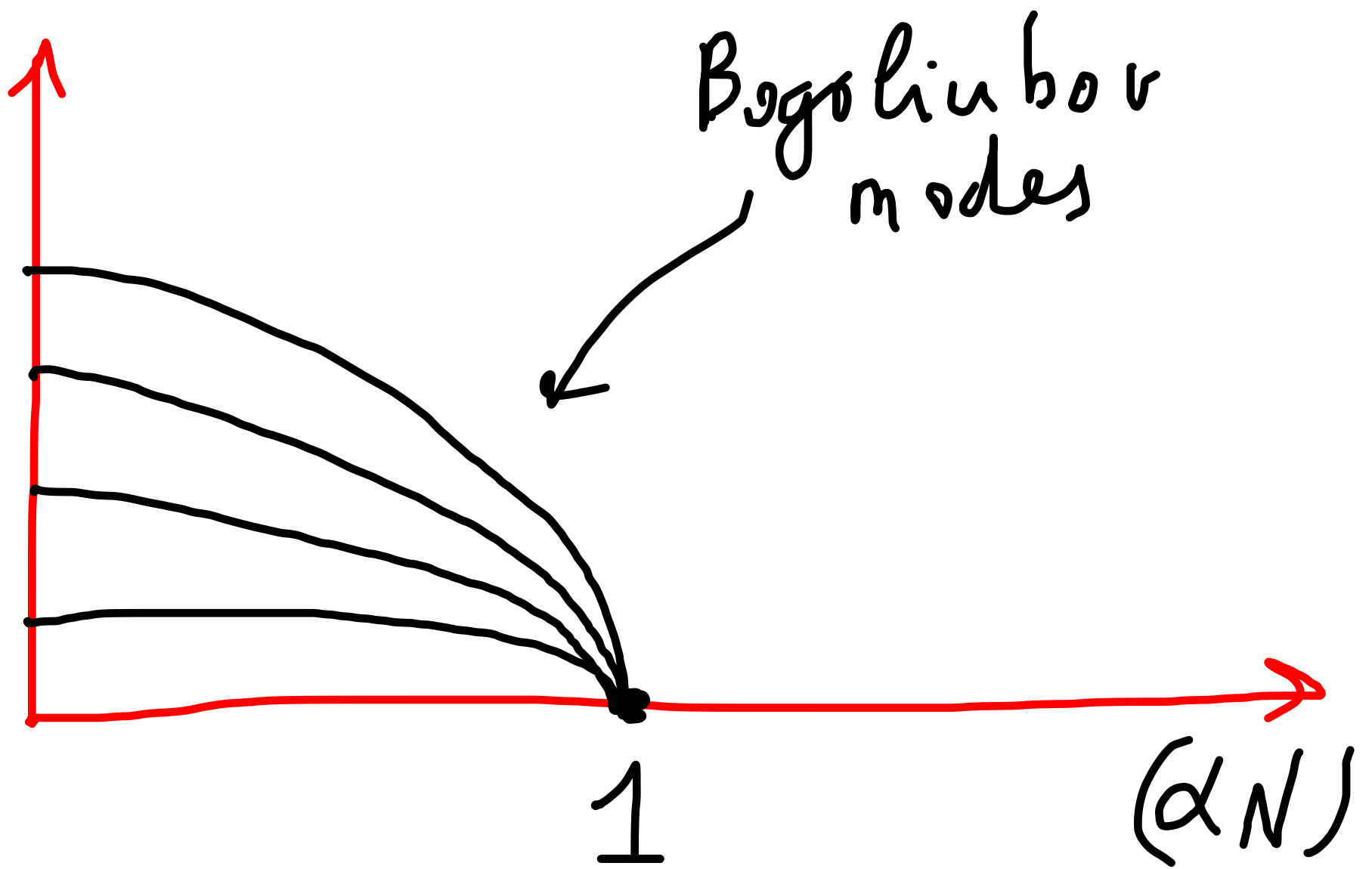
For such systems we
can define a quantity

$$(N\alpha)$$

Something very special
takes place at

$$N\alpha = 1$$

Critical point of quantum
phase transition.



Such a system although multi-particle in reality is fully quantum.

Classicalons (including black holes) are at the critical point:

$$\alpha = \frac{L_*^2}{r_*^2} = \frac{M_*^2}{S} = \frac{1}{N}$$

There exist no quantum elephants but there exist quantum classicalons!

The efficiency of the cross-section growth is model-dependent.

An example of efficient classicalization by spin-2 fields.

$$m = 20 \text{ MeV}$$

$$\alpha = 10^{32} \times \alpha_{\text{Einstein}}$$

A prototype minimal
scenario contains two
(in general free) parameters:

Strength of ϕ -coupling
to energy:

$$M_*^{-2} \equiv L_*^2$$

and

Compton wave-length of
 ϕ -s:

$$m^{-1}$$

Solution to the hierarchy problem fixes:

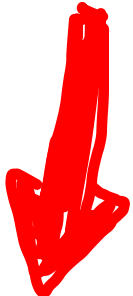
$$M_*^{-2} \sim (\text{TeV})^{-2}.$$

On m we can provide a phenomenological lower bound (comes from superhova cooling):

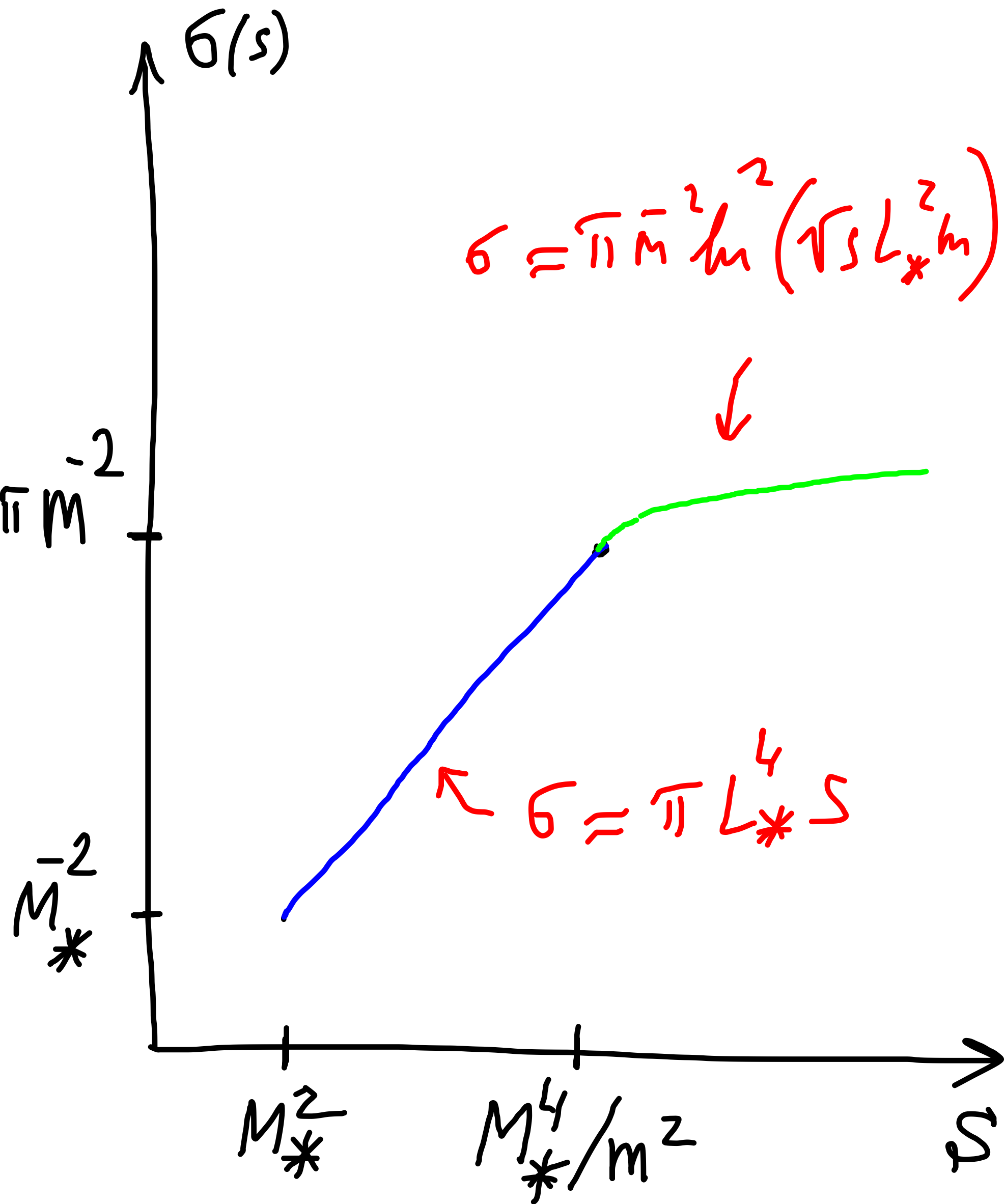
$$m \gtrsim 20 \text{ MeV}.$$

s -dependence of the cross section

$$\sigma(s) = \pi \bar{m}^{-2} \ln^2 \left(\frac{\sqrt{s} L_*^2}{\sqrt{\sigma(s)}/\pi} \right)$$


$$\sqrt{s} < \frac{M_*^2}{m} \longrightarrow \sigma(s) \approx \pi s L_*^4$$

$$\sqrt{s} > \frac{M_*^2}{m} \longrightarrow \sigma(s) \approx \pi \bar{m}^{-2} \ln^2 \left(\sqrt{s} L_*^2 m \right)$$



$$N = \sqrt{5} r_*$$

Classicalization
region

10^4

1

M_p^{-1}

M_*^{-1}

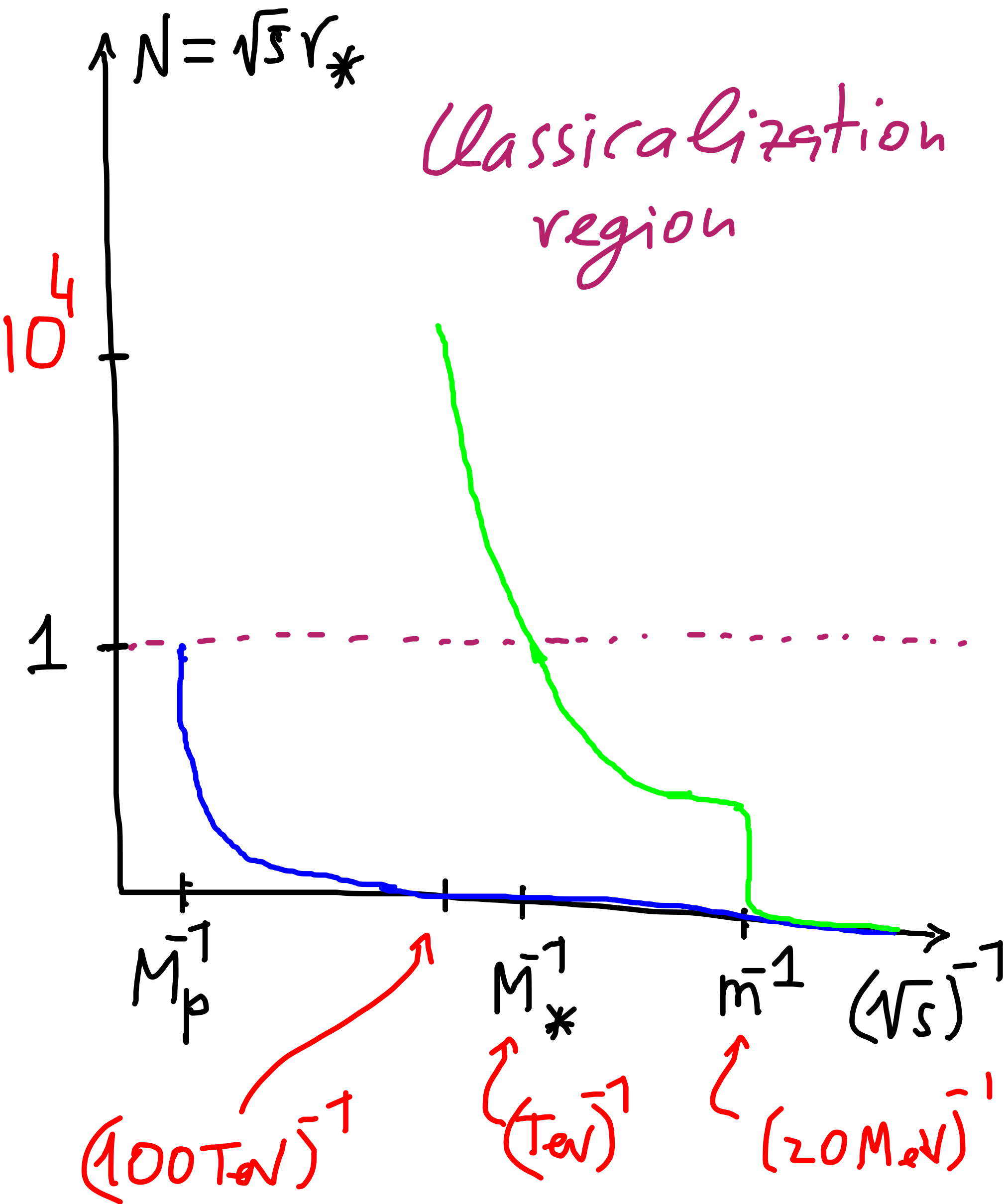
m^{-1}

$(\sqrt{5})^{-1}$

$(100 \text{ TeV})^{-1}$

$(\text{TeV})^{-1}$

$(20 \text{ MeV})^{-1}$



Outlook

There exist a class of theories that are UV-complete in a non-Wilsonian way via classicalization.

Characteristic property of such completion is a sharp growth of the high energy cross-section due to production of states with high occupation number N .

High energy cosmic
rays are natural
probes for such theories.

