

Searches for SUSY with 2 leptons and missing transverse energy with the ATLAS experiment

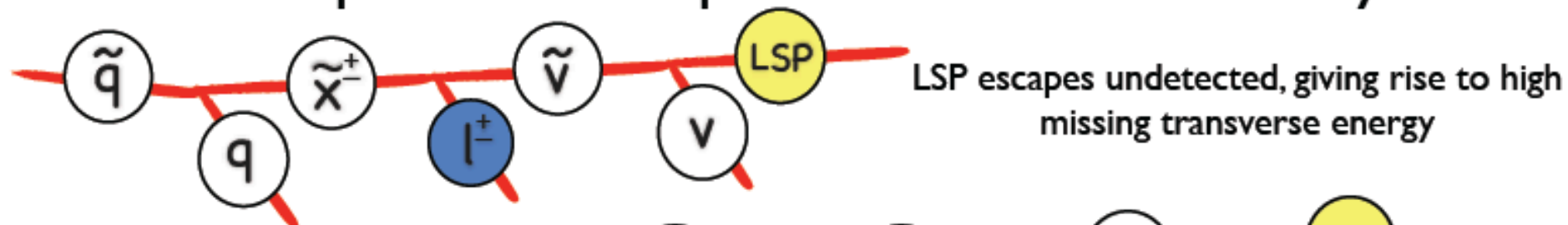


Joao Firmino da Costa
LHC-DESY discussions



Dilepton searches Results from ATLAS

Final state leptons can be produced in different ways...

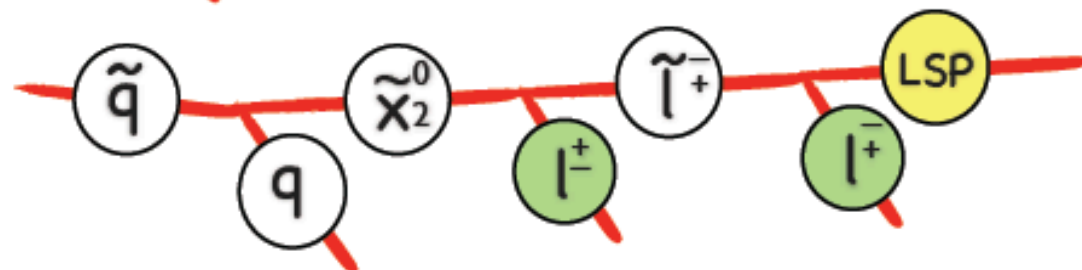


a) $\tilde{\chi}_i^0 \rightarrow l^\pm \nu \tilde{\chi}_j^\mp$

b) $\tilde{\chi}_i^\pm \rightarrow l^\pm \nu \tilde{\chi}_j^0$

c) $\tilde{\chi}_i^0 \rightarrow l^\pm l^\mp \tilde{\chi}_j^0$

d) $\tilde{\chi}_i^\pm \rightarrow l^\pm l^\mp \tilde{\chi}_j^\pm$



(c) and (d) on a single-leg (opposite-sign)
 (a) or (b) on both-legs (opposite-sign or same-sign)

Dilepton final states (opposite sign or same sign)

latest results with 1.04 fb⁻¹ (preliminary)
 (for 2010 results : EPJC(2011) 1682)

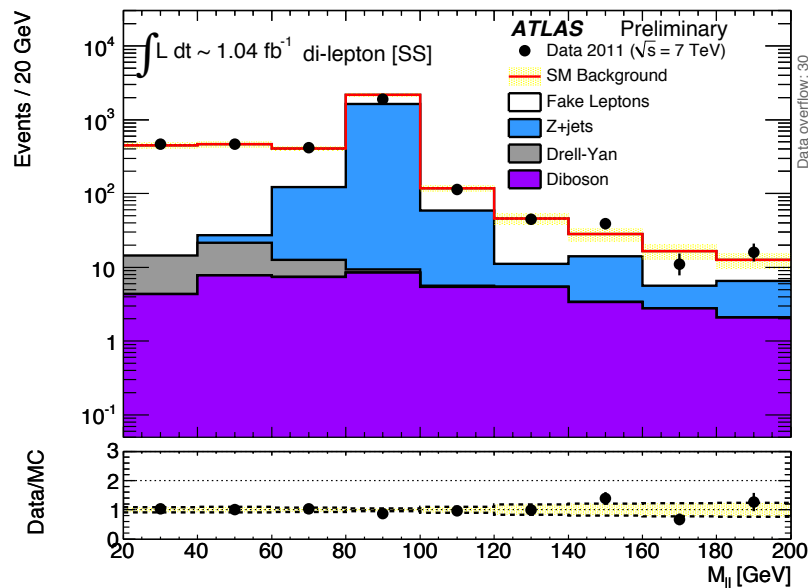
Same-Sign dilepton search

Search for exactly two same-sign leptons and large missing transverse energy

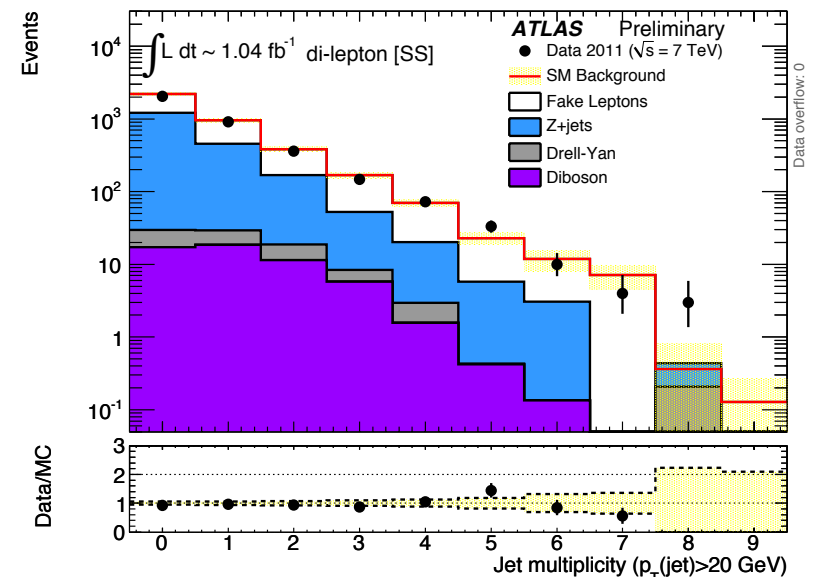
Electron $p_T > 20$ (25 if leading) GeV

Muon $p_T > 10$ (20 if leading) GeV

$m_{ll} > 12$ GeV



Events are triggered using the
single electron and single muon
triggers.



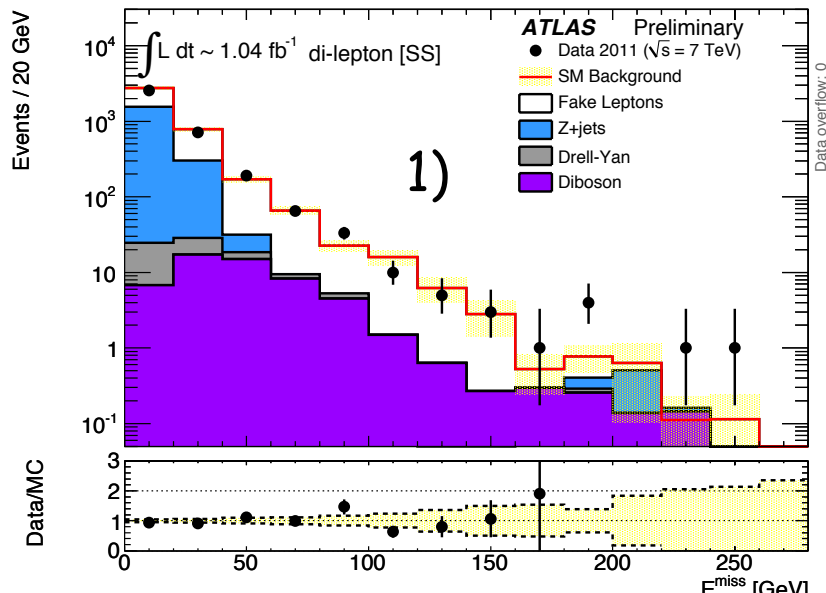
In figures:

All backgrounds MC normalised to luminosity x cross-section.
Except "Fake leptons" component, which is data-derived.

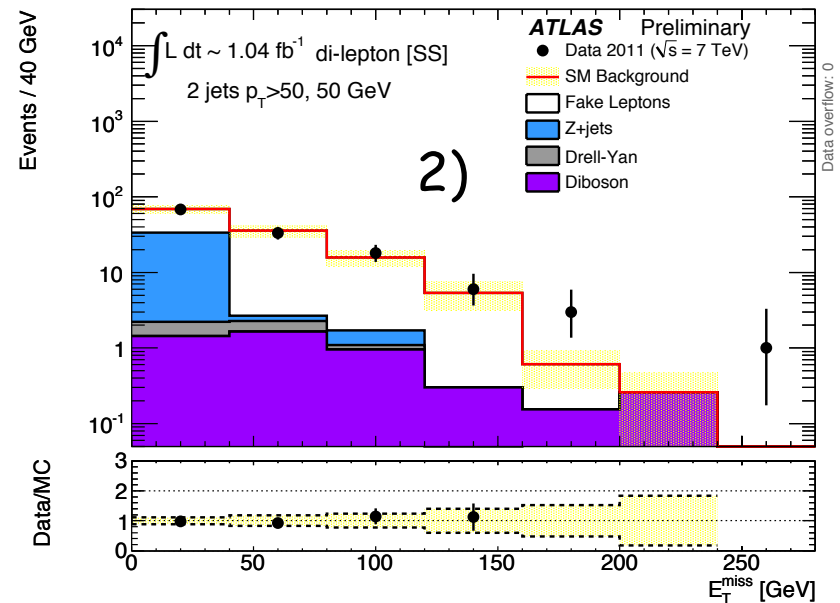
Same-Sign dilepton search - Signal Regions

2 signal regions :

- 1) $E_{\text{miss}} > 100 \text{ GeV}$
- 2) $E_{\text{miss}} > 100 \text{ GeV} \ \& \ \geq 2 \text{ jets } (p_T > 50 \text{ GeV}/c)$



good agreement with expectations !



In figures:

All backgrounds MC normalised to luminosity x cross-section.

Except "Fake leptons" component, which is data-derived.

Same-Sign dilepton search - Bkg estimation

Sources of backgrounds : “fake” leptons, charge misidentification and dibosons

fake leptons : Estimation using the ABCD matrix method

‘ N_{FF} ’ - light or heavy flavour jets

‘ N_{RF}/N_{FR} ’ - $t\bar{t} \rightarrow b\bar{b}\nu qq, W + \text{jets}$

loosen lepton selection criteria, and call these leptons “loose” (signal leptons are “tight”)

measure ‘ r ’ (probability of real lepton R passing the “tight” reconstruction criteria)

measure ‘ f ’ (probability of a fake lepton F passing the “tight” reconstruction criteria)

count in the signal region the numbers of “loose-loose” (LL), “loose-tight” (LT),

“tight-loose” (TL), “tight-tight” (TT) pairs

invert this matrix to find $N_{RF} + N_{FR} + N_{FF}$
 (“Fake lepton” background)

$$\begin{bmatrix} N_{TT} \\ N_{TL} \\ N_{LT} \\ N_{LL} \end{bmatrix} = \begin{bmatrix} rr & rf & fr & ff \\ r(1-r) & r(1-f) & f(1-r) & f(1-f) \\ (1-r)r & (1-r)f & (1-f)r & (1-f)f \\ (1-r)(1-r) & (1-r)(1-f) & (1-f)(1-r) & (1-f)(1-f) \end{bmatrix} \begin{bmatrix} N_{RR} \\ N_{RF} \\ N_{FR} \\ N_{FF} \end{bmatrix}$$

charge misidentification : Probability from Z MC and apply it to $t\bar{t}$ MC

$$e_{\text{hard}}^{\mp} \rightarrow \gamma_{\text{hard}} e_{\text{soft}}^{\mp} \rightarrow e_{\text{soft}}^{\mp} e_{\text{soft}}^{\mp} e_{\text{hard}}^{\pm}$$

dibosons : Estimation from MC

Same-Sign dilepton search - Results

	Background	Obs.	95% C.L.
SS-SR1	$32.6 \pm 4.4 \pm 4.4$	25	10.2 fb
SS-SR2	$24.9 \pm 4.1 \pm 6.6$	28	20.3 fb

Same Sign [SS-SR1]	$e^\pm e^\pm$	$e^\pm \mu^\pm$	$\mu^\pm \mu^\pm$
Fake	$3.5 \pm 0.7 \pm 2.0$	$14.4 \pm 3.2 \pm 0.6$	$9.2 \pm 4.0 \pm 1.8$
Charge flip	$0.73 \pm 0.05 \pm 0.06$	$1.10 \pm 0.07 \pm 0.08$	<i>neg.</i>
Dibosons	$0.79 \pm 0.27 \pm 0.05$	$1.7 \pm 0.4 \pm 0.3$	$1.1 \pm 0.2 \pm 0.1$
Standard Model	$5.0 \pm 0.8 \pm 2.0$	$17.2 \pm 3.2 \pm 0.6$	$10.3 \pm 3.0 \pm 1.8$
Cosmics	$< 10^{-3}$	$< 10^{-3}$	$< 10^{-3}$
Observed	6	14	5

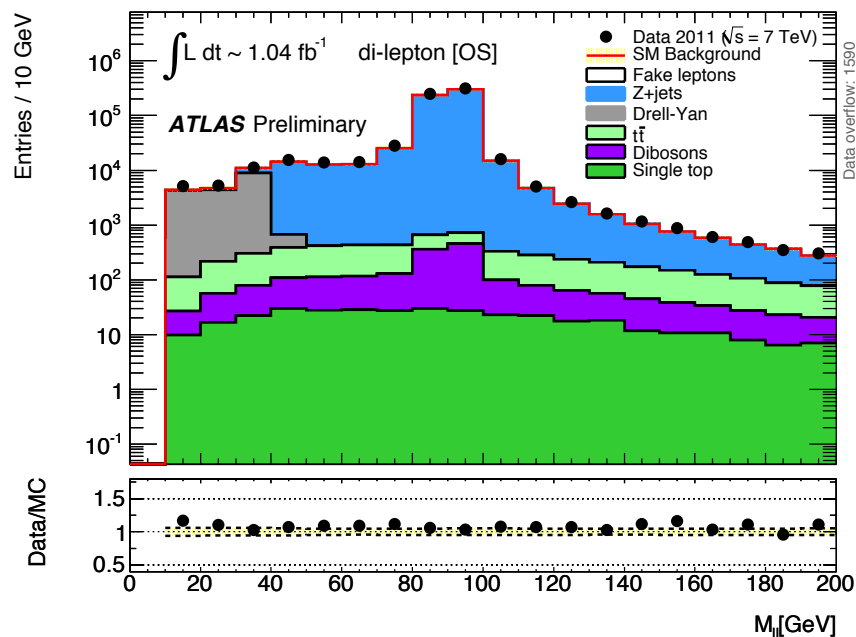
Same Sign [SS-SR2]	$e^\pm e^\pm$	$e^\pm \mu^\pm$	$\mu^\pm \mu^\pm$
Fake	$1.5 \pm 0.5 \pm 2.0$	$13.4 \pm 3.2 \pm 2.7$	$6.7 \pm 2.5 \pm 1.8$
Charge flip	$0.59 \pm 0.04 \pm 0.04$	$1.36 \pm 0.05 \pm 0.06$	<i>neg.</i>
Dibosons	$0.25 \pm 0.06 \pm 0.13$	$0.9 \pm 0.2 \pm 0.2$	$0.64 \pm 0.05 \pm 0.02$
Standard Model	$2.4 \pm 0.5 \pm 2.0$	$15.6 \pm 3.2 \pm 2.7$	$6.9 \pm 2.5 \pm 1.8$
Cosmics	$< 10^{-3}$	$< 10^{-3}$	$< 10^{-3}$
Observed	4	14	10

fakes are dominant contribution

Opposite-Sign dilepton search

Search for exactly two opposite-sign leptons and large missing transverse energy

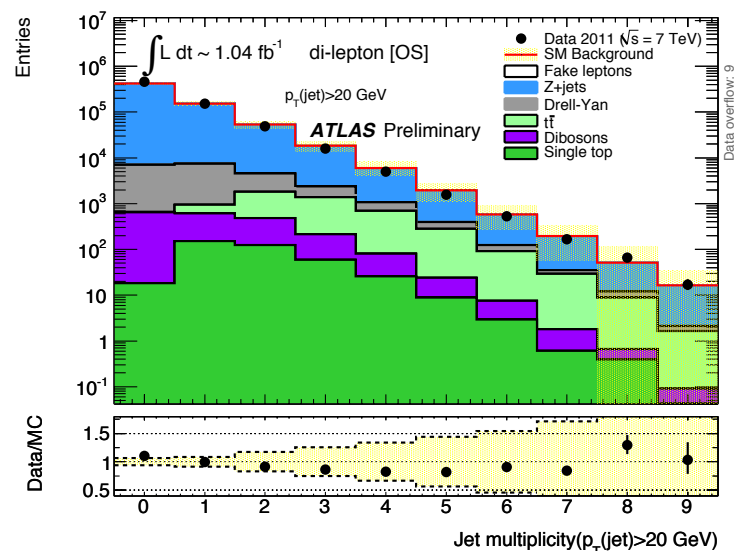
Electron $p_T > 20$ (25 if leading) GeV
Muon $p_T > 10$ (20 if leading) GeV
 $m_{ll} > 12$ GeV



In figures:

All backgrounds MC normalised to luminosity x cross-section.
Except "Fake leptons" component, which is data-derived.

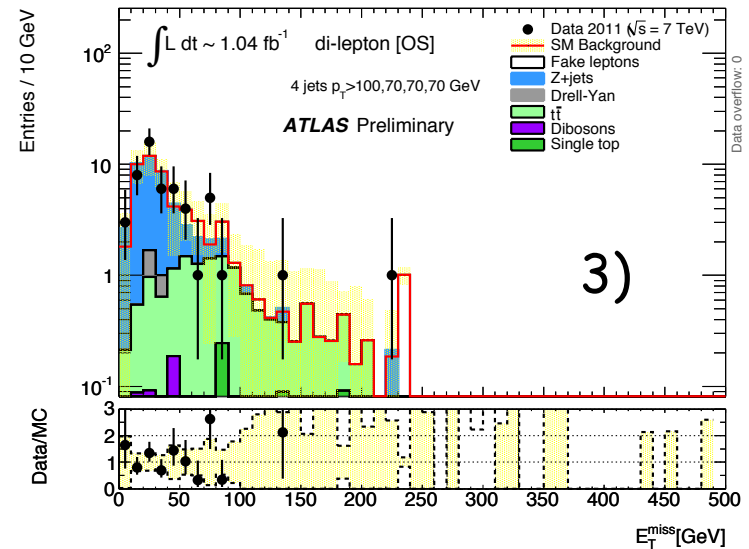
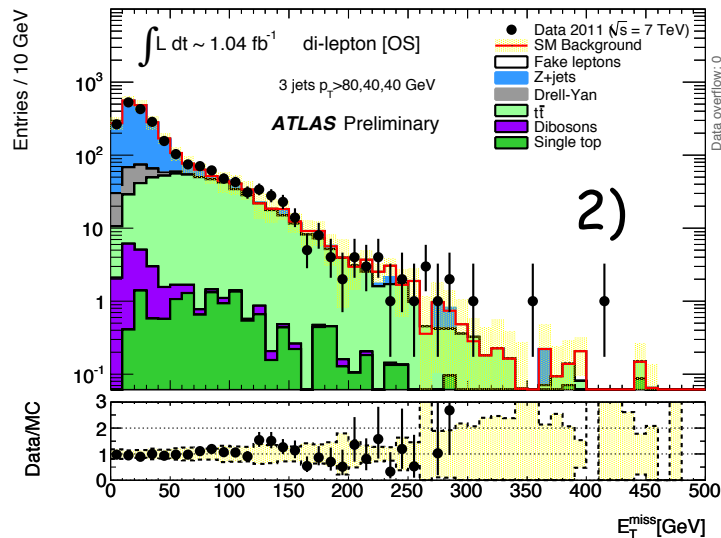
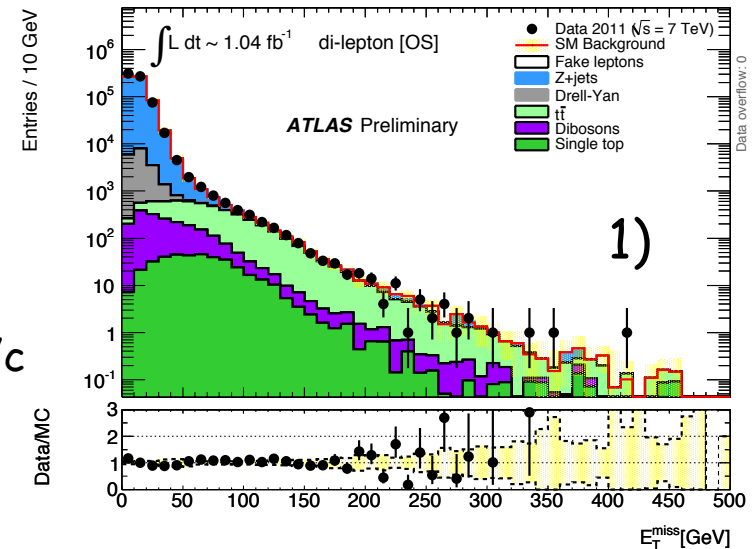
Events are triggered using the
single electron and single muon
triggers.



Opposite-Sign dilepton search - Signal Regions

3 signal regions :

- 1) $E_{\text{miss}} > 250 \text{ GeV}$
- 2) $E_{\text{miss}} > 220 \text{ GeV}$, jets $p_T > 80, 40, 40 \text{ GeV}/c$
- 3) $E_{\text{miss}} > 100 \text{ GeV}$, jets $p_T > 100, 70, 70, 70 \text{ GeV}/c$



Opposite-Sign dilepton search - Bkg estimations

Sources of backgrounds : **fully leptonic $t\bar{t}$** , Wt , "fake" leptons, **Z +jets** and **dibosons**

- exploit top dilepton decay kinematics to tag $t\bar{t}$ like events in intermediate E_T^{MISS} region
- define CRs that are similar to corresponding SR (to reduce systematic uncertainties)
- extrapolate from CR to SR

- The number of $t\bar{t}$ events in the signal region $(N_{tt})_{SR}$ is given by:

$$(N_{tt})_{SR} = \left((N_{data}^{tag})_{CR} - (N_{non-tt,MC}^{tag})_{CR} \right) f_{CR \rightarrow SR}$$

- with the extrapolation factor given by

$$f_{CR \rightarrow SR} = \frac{(N_{top,MC})_{SR}}{(N_{top,MC}^{tag})_{CR}}$$

m_{CT} variable : explores kinematics of $t\bar{t} \rightarrow b\bar{b} \nu\bar{\nu}$

Z CR : Z peak, low m_{ll} , extrapolate back to SR using MC

fake leptons : ABCD matrix method

Wt and dibosons : MC estimations

Opposite-Sign dilepton search - Results

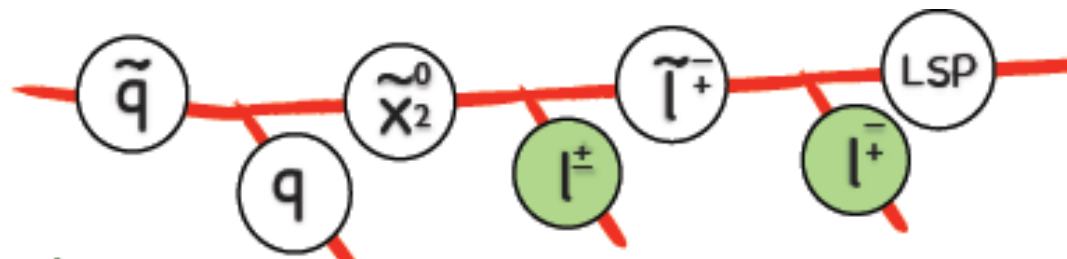
	Background	Obs.	95% C.L.
OS-SR1	$15.5 \pm 1.2 \pm 4.4$	13	9.5 fb
OS-SR2	$13.0 \pm 1.8 \pm 4.1$	17	15.2 fb
OS-SR3	$5.7 \pm 1.1 \pm 3.5$	2	5.0 fb

Opposite Sign [OS-SR1]	$e^{\pm}e^{\mp}$	$e^{\pm}\mu^{\mp}$	$\mu^{\pm}\mu^{\mp}$
$t\bar{t}$	$1.84 \pm 0.07 \pm 0.49$	$5.09 \pm 0.19 \pm 1.35$	$3.34 \pm 0.13 \pm 0.88$
$Z/\gamma^* + \text{jets}$	$0.013 \pm 0.008 \pm 0.67$	$1.03 \pm 0.42 \pm 0.02$	$0.81 \pm 0.26 \pm 0.06$
Fakes	$0.17 \pm 0.19 \pm 0.36$	$0.92 \pm 0.96 \pm 1.15$	$-0.08 \pm 0.03 \pm 0.003$
Dibosons	$0.54 \pm 0.29 \pm 0.07$	$0.04 \pm 0.03 \pm 0.03$	$0.67 \pm 0.25 \pm 0.31$
Single-top	$0.11 \pm 0.11 \pm 0.05$	$0.47 \pm 0.16 \pm 0.16$	$0.48 \pm 0.17 \pm 0.09$
Standard Model	$2.67 \pm 0.37 \pm 1.29$	$7.55 \pm 1.07 \pm 2.13$	$5.30 \pm 0.42 \pm 1.29$
Cosmics	$< 10^{-3}$	$< 10^{-3}$	$< 10^{-3}$
Observed	2	8	3
Opposite Sign [OS-SR2]	$e^{\pm}e^{\mp}$	$e^{\pm}\mu^{\mp}$	$\mu^{\pm}\mu^{\mp}$
$t\bar{t}$	$1.41 \pm 0.11 \pm 0.33$	$3.90 \pm 0.30 \pm 0.95$	$2.56 \pm 0.20 \pm 0.62$
$Z/\gamma^* + \text{jets}$	$0.45 \pm 0.23 \pm 0.44$	$0.84 \pm 0.59 \pm 0.32$	$0.27 \pm 0.14 \pm 0.27$
Fakes	$0.01 \pm 0.14 \pm 0.19$	$2.77 \pm 1.64 \pm 2.11$	$-0.13 \pm 0.04 \pm 0.01$
Dibosons	<i>neg.</i>	$0.03 \pm 0.03 \pm 0.03$	$0.24 \pm 0.21 \pm 0.02$
Single-top	$0.05 \pm 0.10 \pm 0.02$	$0.39 \pm 0.16 \pm 0.25$	$0.09 \pm 0.15 \pm 0.08$
Standard Model	$1.92 \pm 0.31 \pm 0.77$	$7.93 \pm 1.77 \pm 1.41$	$3.16 \pm 0.36 \pm 0.94$
Cosmics	$< 10^{-3}$	$< 10^{-3}$	$< 10^{-3}$
Observed	3	9	5
Opposite Sign [OS-SR3]	$e^{\pm}e^{\mp}$	$e^{\pm}\mu^{\mp}$	$\mu^{\pm}\mu^{\mp}$
$t\bar{t}$	$0.77 \pm 0.14 \pm 0.51$	$2.14 \pm 0.38 \pm 1.41$	$1.40 \pm 0.25 \pm 0.92$
$Z/\gamma^* + \text{jets}$	$0.01 \pm 0.01 \pm 0.17$	<i>neg.</i>	$0.27 \pm 0.20 \pm 0.47$
Fakes	$0.13 \pm 0.13 \pm 0.03$	$0.91 \pm 0.94 \pm 0.04$	$-0.03 \pm 0.02 \pm 0.001$
Single-top	<i>neg.</i>	$0.0 \pm 0.0 \pm 0.02$	$0.10 \pm 0.10 \pm 0.05$
Standard Model	$0.91 \pm 0.19 \pm 0.67$	$3.05 \pm 1.01 \pm 1.43$	$1.77 \pm 0.34 \pm 1.41$
Cosmics	$< 10^{-3}$	$< 10^{-3}$	$< 10^{-3}$
Observed	0	1	1

$t\bar{t}$ is dominant contribution

Opposite-Sign Flavour subtraction search

Use the selected opposite-sign di-leptons and search for excess of same-flavour events over opposite-flavour

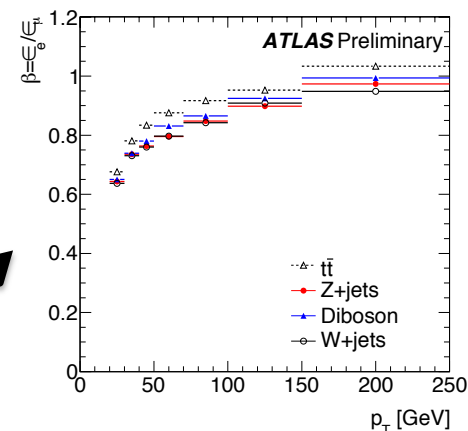


Offers a great to measure SUSY mass parameters
Via the measurement of mass edges

Most important bkg (ttbar) are combinatorics so they cancel with the Flavour Subtraction

Quantify the excess of Same Flavour (SF) through the usage of the variable S :

$$S = \underbrace{\frac{N(e^{\pm}e^{\mp})}{\beta(1 - (1 - \tau_e)^2)}}_{\text{SF}} - \underbrace{\frac{N(e^{\pm}\mu^{\mp})}{1 - (1 - \tau_e)(1 - \tau_{\mu})}}_{\text{DF}} + \underbrace{\frac{\beta N(\mu^{\pm}\mu^{\mp})}{(1 - (1 - \tau_{\mu})^2)}}_{\text{SF}}$$



measured with in Z CR and variation due to process from MC

Opposite-Sign Flavour subtraction search - Signal Regions

3 signal regions :

- 1) $E_{\text{miss}} > 80 \text{ GeV}$ and Z peak veto (80-100)
- 2) $E_{\text{miss}} > 80 \text{ GeV}$, jets $p_T > 20, 20 \text{ GeV}/c$
- 3) $E_{\text{miss}} > 250 \text{ GeV}$

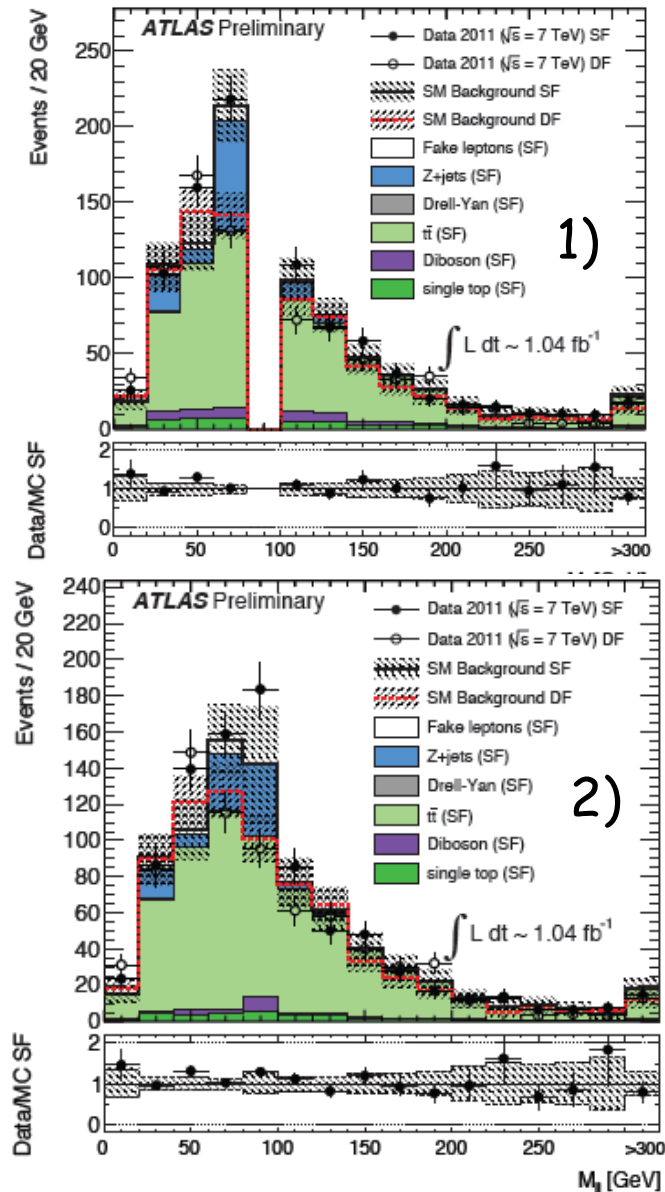
Same sources of backgrounds as OS analysis:

$t\bar{t}$ bar estimation from m_{CT} (for SR3)
or from MC (SR1, SR2)

Z CR : Z peak, low m_{ll} , extrapolate
back to SR using MC

fake leptons : ABCD matrix method

Wt and dibosons : MC estimations



Opposite-Sign Flavour subtraction search - Results

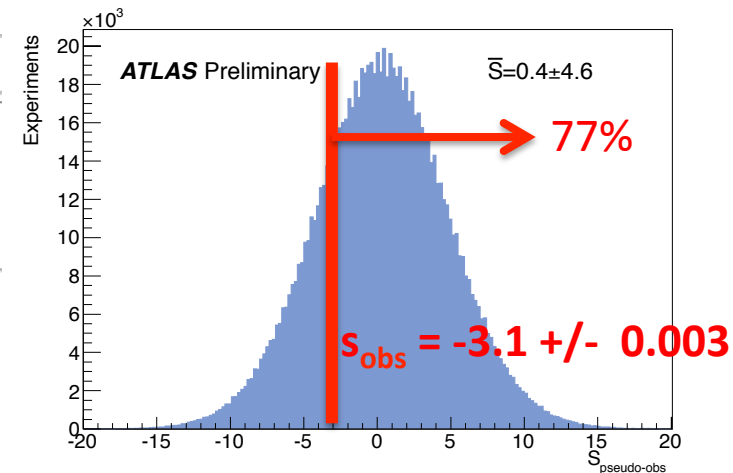
- Determine $\mathcal{S}$ ($\mathcal{S}_b$) done with MC toy experiments:
 - ▶ toy experiment for each SM process in each channel
 - ▶ based on data driven expectations nominal values and uncertainties
- observed $\mathcal{S}_b$ in agreement with SM pred. within 1σ (FS-SR2 within 1.5σ)

	$\mathcal{S}_{obs}$	$\bar{\mathcal{S}}_b$	RMS
FS-SR1	$131.6 \pm 0.6(\text{sys})$	$126.5 \pm 23.5 \pm 17.2$	49.9
FS-SR2	$142.2 \pm 0.6(\text{sys})$	$70.0 \pm 23.2 \pm 16.8$	49.1
FS-SR3	$-3.1 \pm 0.0(03)(\text{sys})$	$0.4 \pm 1.2 \pm 1.2$	4.6

errors on $\bar{\mathcal{S}}_b$ are stat. and syst. errors

Limits:

- Probability of observing a value $\mathcal{S} > \mathcal{S}_{obs}$ evaluated
- Limit set on mean contribution of potential signal ($\bar{\mathcal{S}}_s$)
- assumptions for signal events which are added to the toys as signal:
 - ▶ same BR for ee and $\mu\mu$ in SUSY events and NO contribution of $e\mu$



	$\mathcal{S} > \mathcal{S}_{obs}$ (%)	Limit $\bar{\mathcal{S}}_s$ (95% C.L.)
FS-SR1	46	88
FS-SR2	7	156
FS-SR3	77	4.9

Summary

- Analysed first 1.04 fb^{-1} of ATLAS data from 2011 runs
- Presented 3 different 2-lepton + E_T^{MISS} analyses:
 - ▶ Opposite Sign(OS)
 - ▶ Same Sign(SS)
 - ▶ Flavour Subtraction (FS)
- All SM backgrounds are evaluated
- Most relevant backgrounds are estimated from data or with semi-data driven techniques
 - ▶ Fake leptons, $t\bar{t}$, Z+jets
- OS and SS: no excess observed $\rightarrow$ Limits set on $A \times \epsilon \times \sigma$
- FS: no FS excess observed $\rightarrow$ Limits set on $\bar{\mathcal{S}}_s$
- no new physics found so far...

Discussions

Discussion – Experiment vs Theory

CMS provides also limits on the excess of same flavor events dependent on the mass edge position

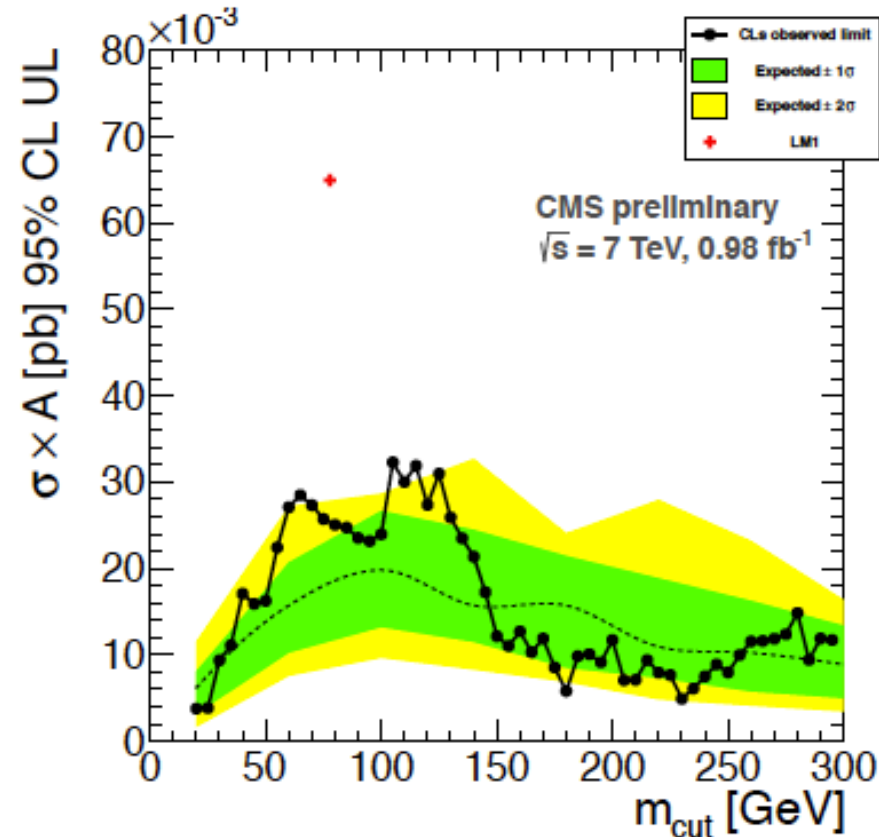


Figure 6: CL_s 95% confidence level upper limit on cross-section times acceptance as a function of the endpoint in the invariant mass spectrum assuming a triangular shaped signal.

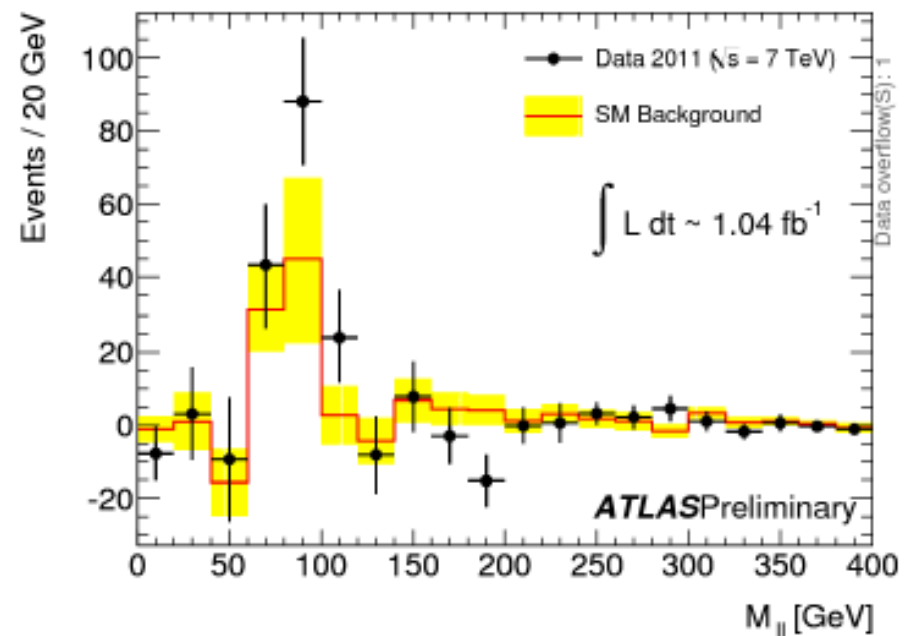
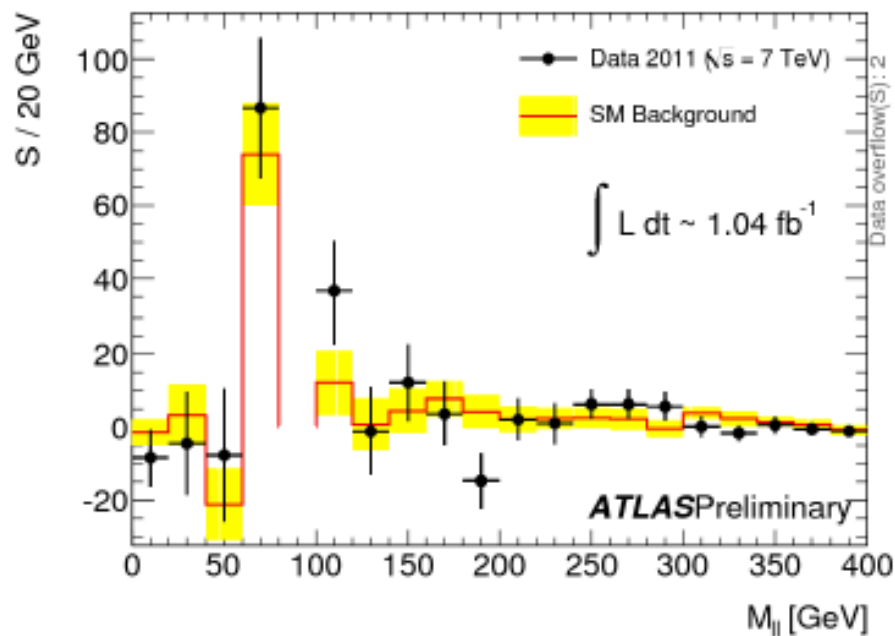
How useful can these nice results be to theorists ?

Ideas for providing the most useful experimental results are welcome !

Discussion - Experiment vs Theory

2 signal regions :

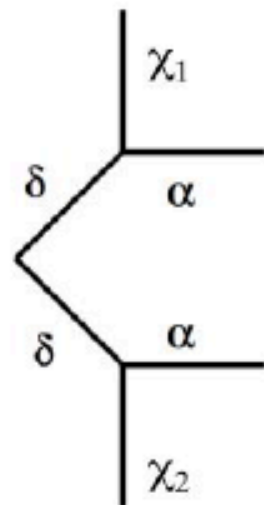
- 1) $E_{\text{miss}} > 80 \text{ GeV}$ and Z peak veto (80-100)
- 2) $E_{\text{miss}} > 80 \text{ GeV}$, jets $p_T > 20, 20 \text{ GeV}/c$



Is it useful to provide limits per bin in mass ?

Back-up

$t\bar{t}$ Background (OS): Contranverse Mass Tagger



- In the decay of a two pair-produced heavy states δ which decay via $\delta \rightarrow \alpha\chi_i$:

$$m_{CT}^2(\chi_1, \chi_2) = [E_T(\chi_1) + E_T(\chi_2)]^2 - [\mathbf{p}_T(\chi_1) - \mathbf{p}_T(\chi_2)]^2$$

- m_{CT} distributions have endpoints defined by $m(\delta)$, $m(\alpha)$ and the vector sum of transverse momenta of the visible particles upstream of the system for which the contranverse mass is calculated (p_b)
- For the $t\bar{t}$ system $m_{CT}(\ell\ell)$, $m_{CT}(jj)$, $m_{CT}(j\ell, j\ell)$ can be constructed

Contranverse mass tagger

1. Event with least 2 jets with $p_T > 20$ GeV
2. Consider all 2 jet permutations j_1, j_2 , such that the two jets have $p_T > 20$ GeV and $p_T(j_1) + p_T(j_2) + p_T(\ell_1) + p_T(\ell_2) > 100$ GeV
3. $m_{CT}(\ell_1, \ell_2)$ in the allowed area of the $(m_{CT}(\ell_1, \ell_2), p_b(\ell\ell))$ plane
4. Build all pairs $((j_i\ell_1)(j_j\ell_2))$ such that $m(j_i\ell_1) < 155$ GeV and $m(j_j\ell_2) < 155$ GeV
5. One combination with $m_{CT}(jj)$ in the allowed area of the $m_{CT}(jj), p_b(jj)$ plane
6. $m_{CT}(j\ell, j\ell)$ should be compatible with $t\bar{t}$

- m_{CT} tagger has an efficiency of 85% in signal region
- Control region for $t\bar{t}$ estimation:
 - m_{CT} -tagged events
 - $60 < E_T^{\text{miss}} < 80$ GeV