

Simultaneous $t\gamma q + t\bar{t}\gamma$ measurement

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CMS TOP EFT meeting

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HELMHOLTZ
SPITZENFORSCHUNG FÜR
GROSSE HERAUSFORDERUNGEN



Overview

Analysis Goal

- $t\gamma q + t\bar{t}\gamma$ inclusive/differential cross sections
- $t\gamma q + t\bar{t}\gamma$ EFT interpretation
- Analysing full Run2 data in the single lepton channel

Effective Field Theory

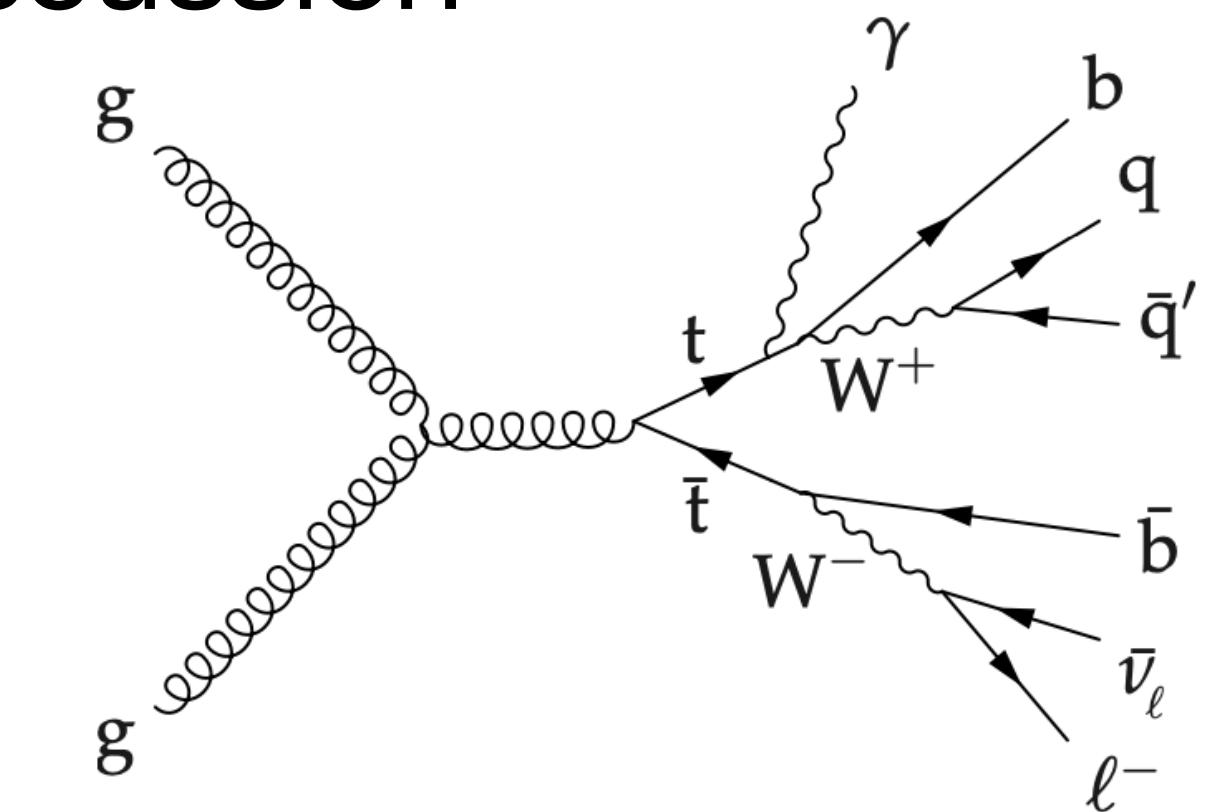
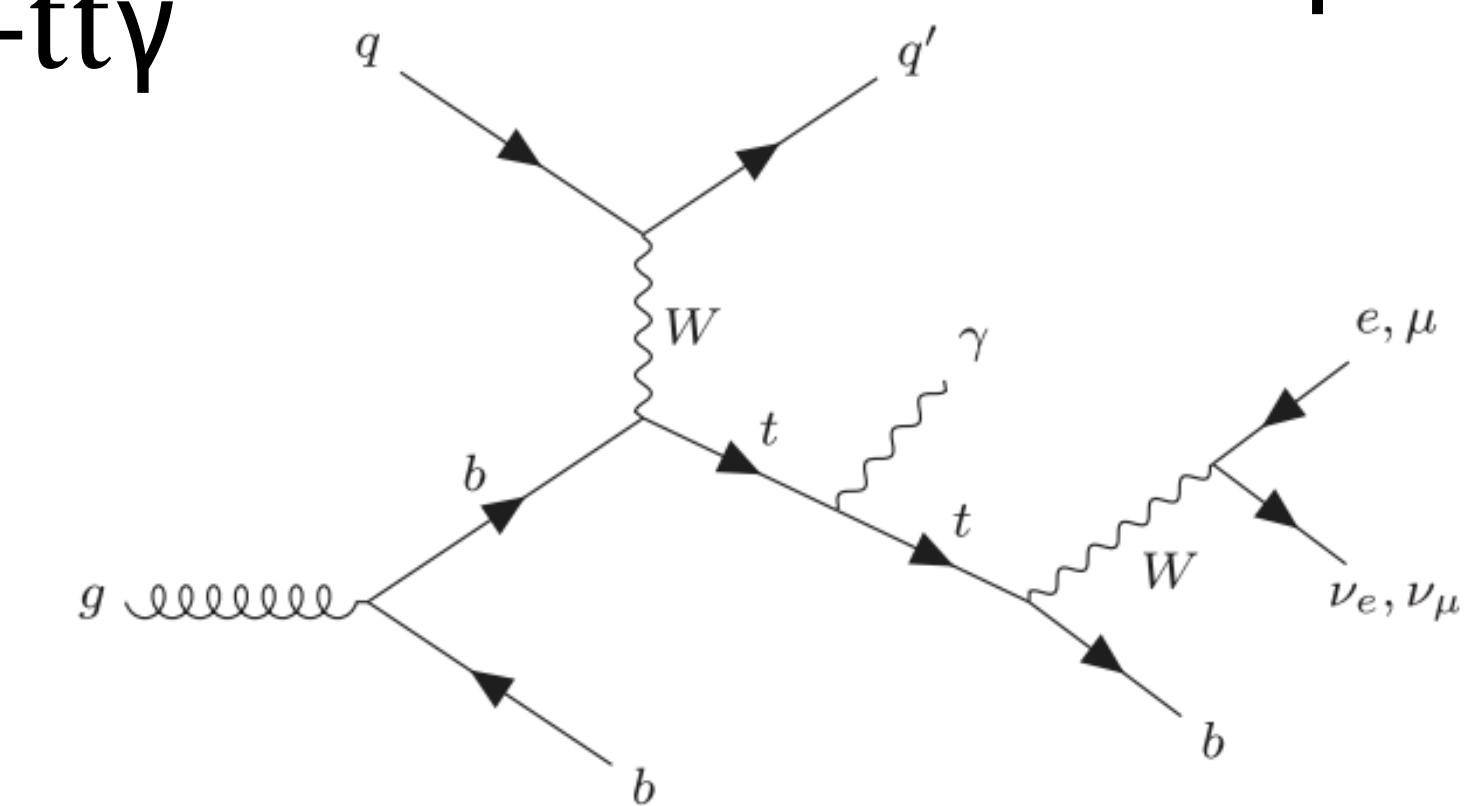
- Aim at do EFT fit for $t\gamma q + t\bar{t}\gamma$ simultaneously

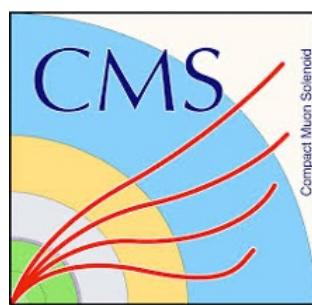
More details:

- $tX+ttX$ [talk](#) on April 23
- tX [talk](#) on May 29

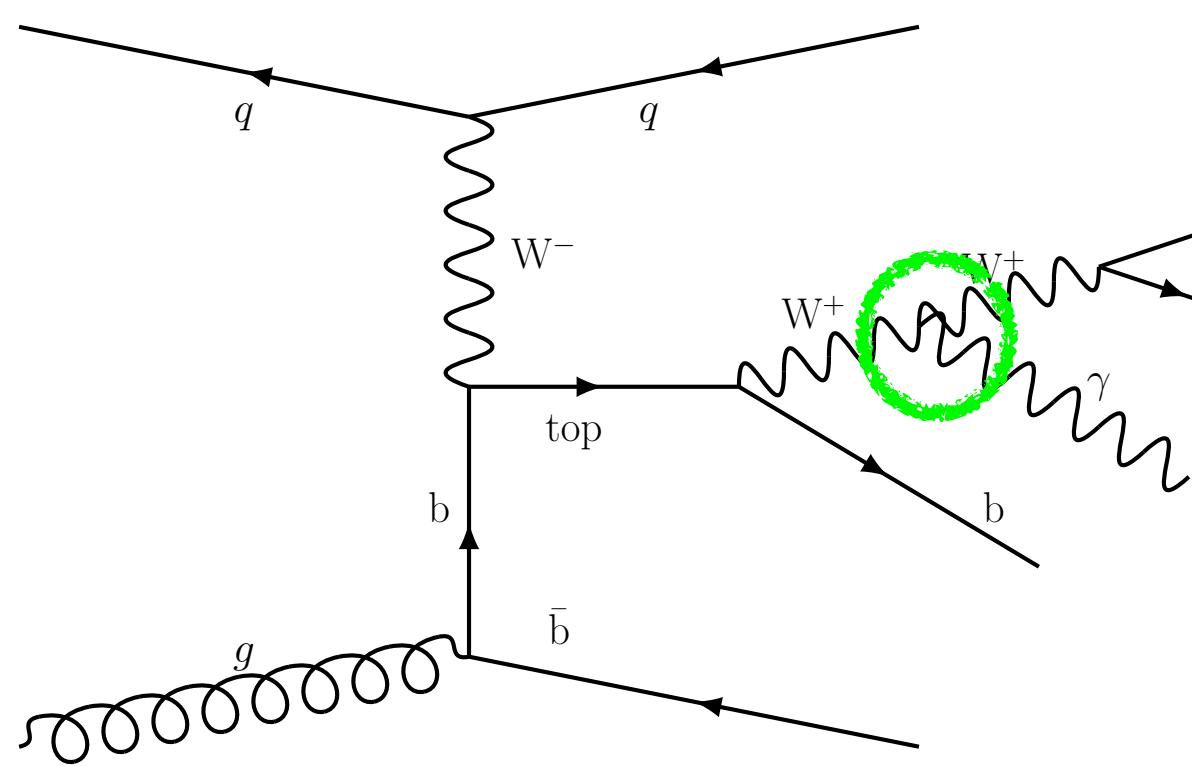
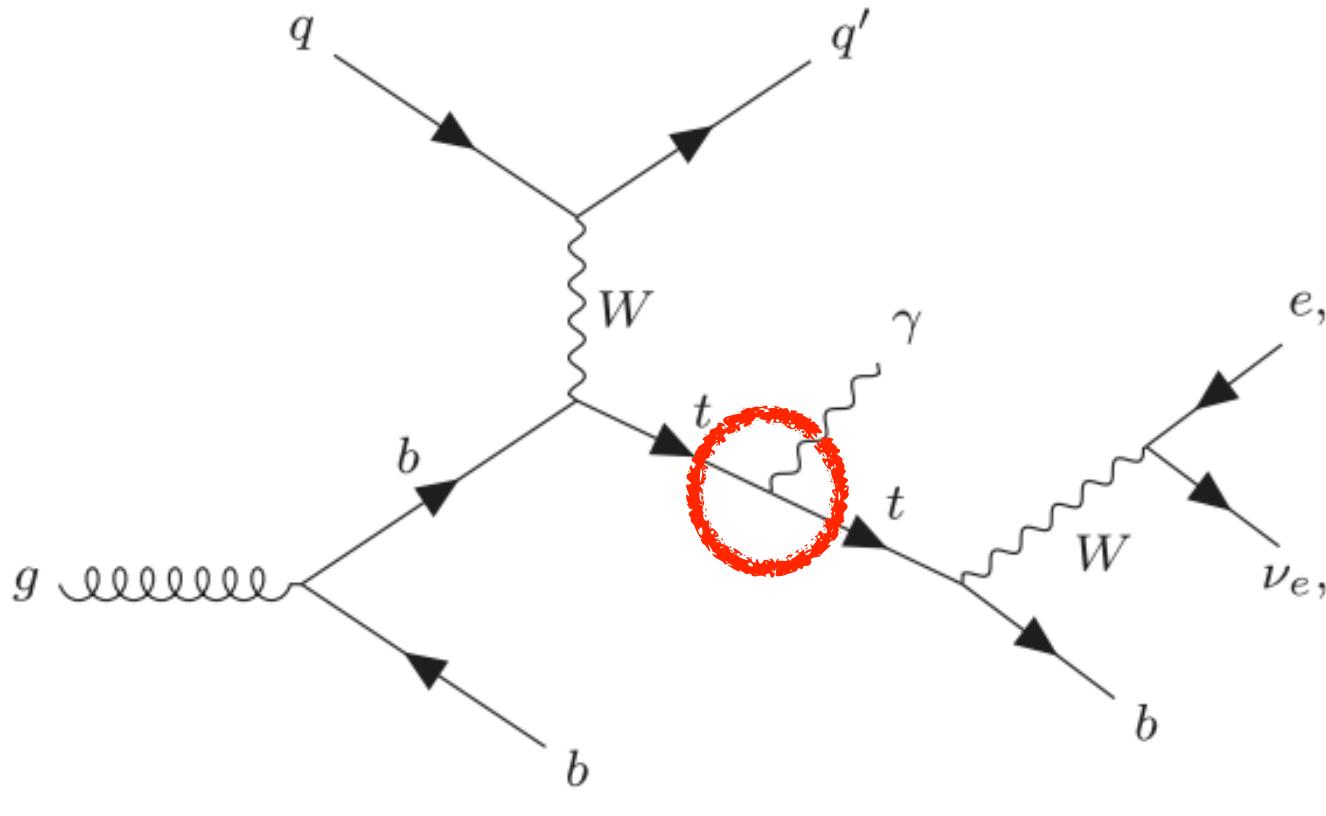
Outline:

- Analysis overview
- EFT theory and framework
- Open discussion



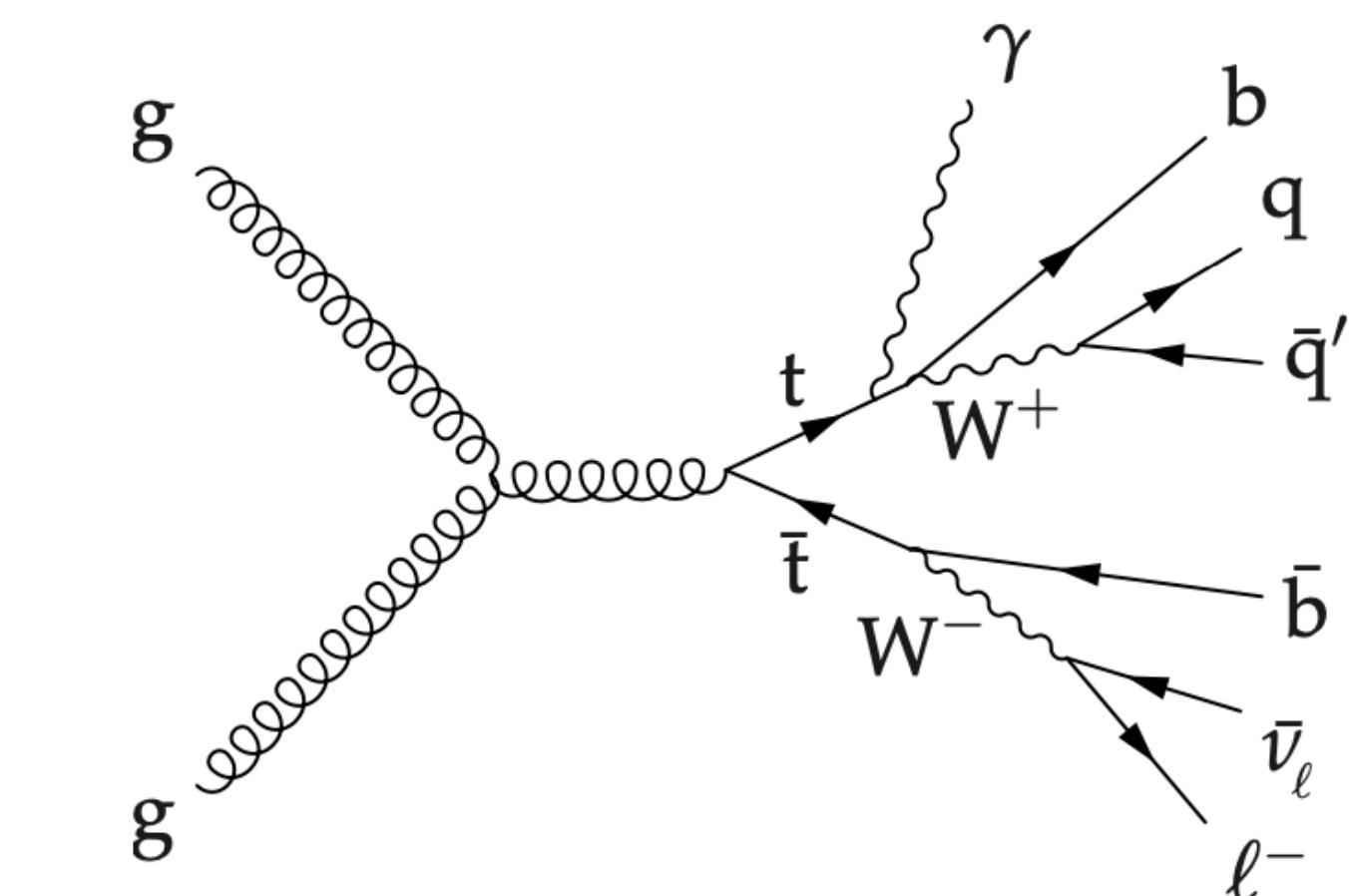


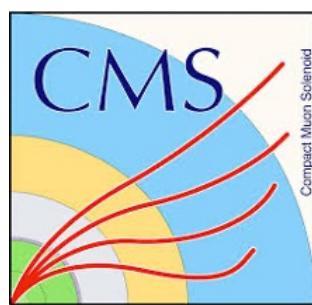
Motivation



Advantage of the simultaneous fit for $t\gamma q + t\bar{t}\gamma$

- Full set of correlations between the two processes
- Possible for a more straightforward EFT interpretation
- High precision $t\bar{t}\gamma$ results

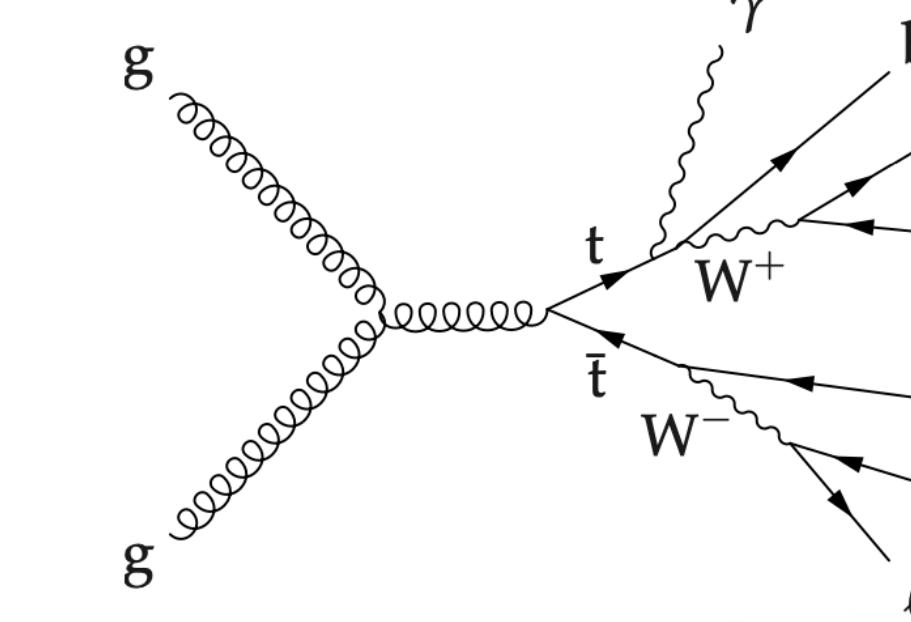
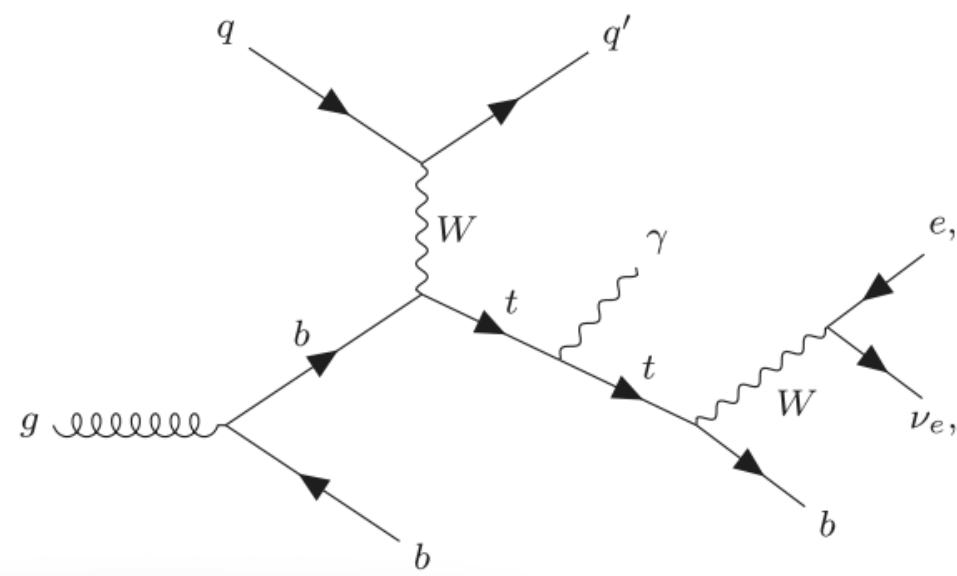




Goal and strategy

Separate signal and background

- Train **MVA** to separate $t\gamma q$, $t\bar{t}\gamma$ and others

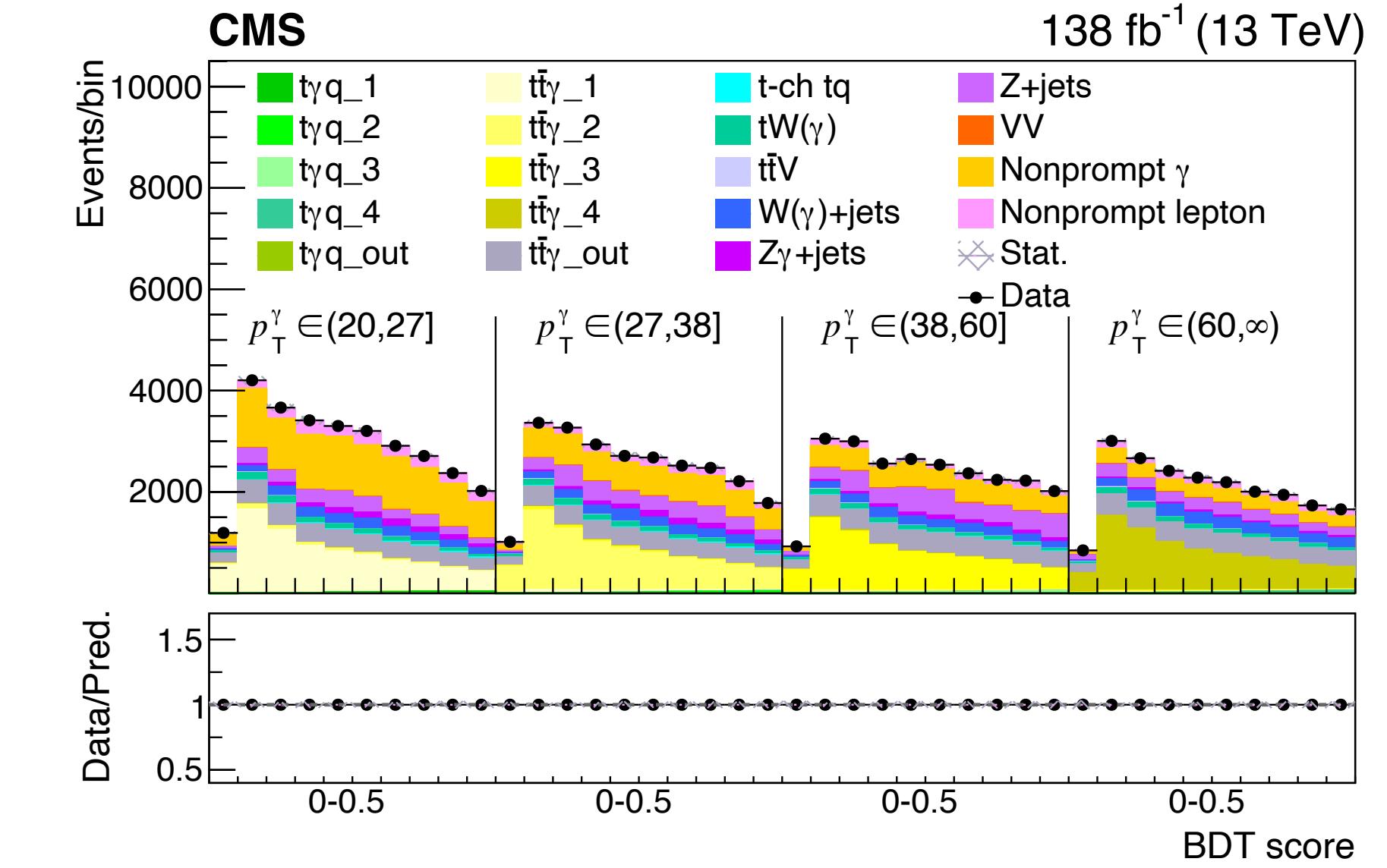
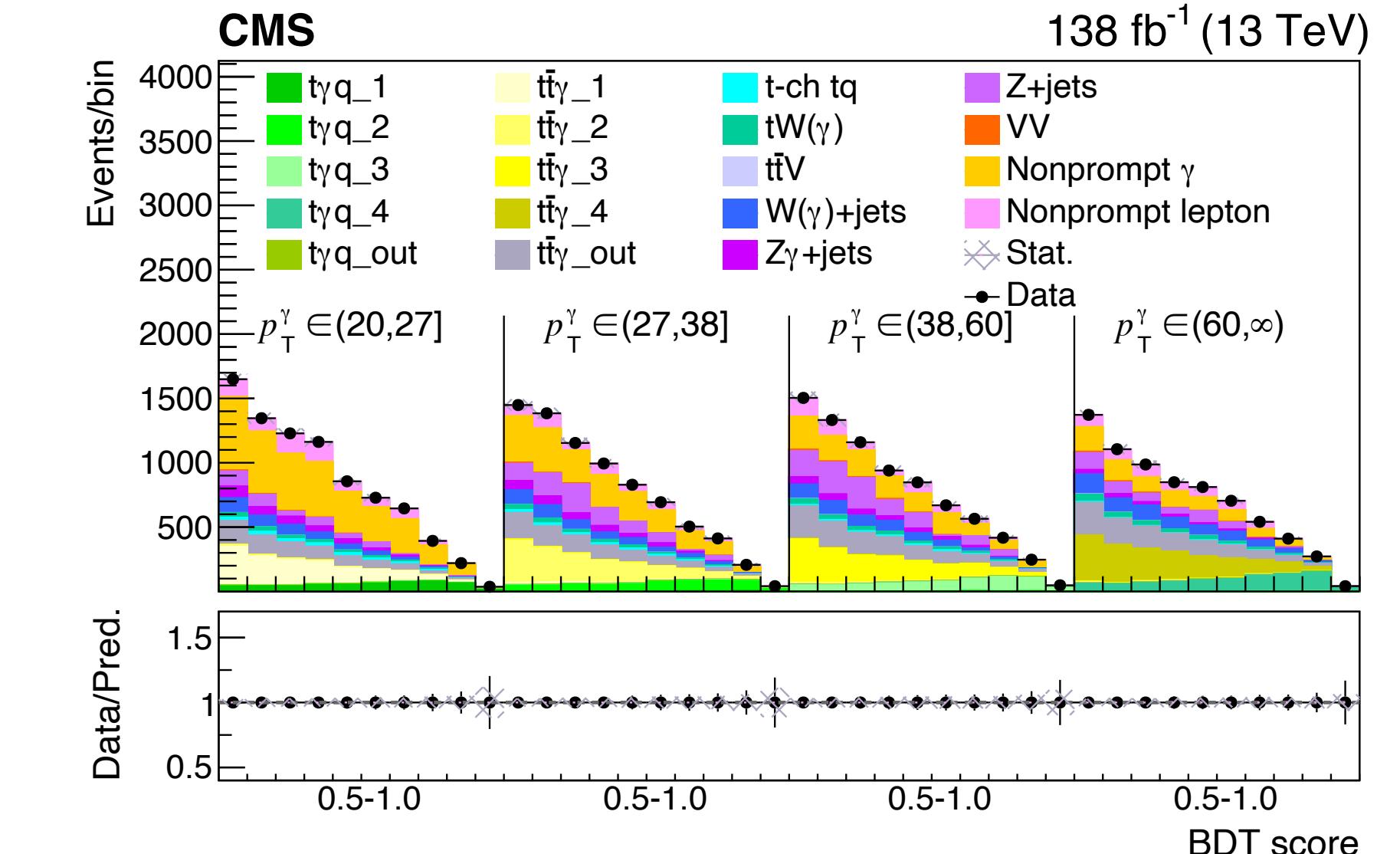


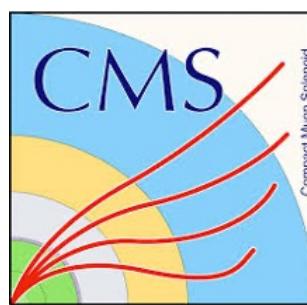
Events of interest: $N_\ell=1$, $N_\gamma \geq 1$, $N_j \geq 2$, $N_b \geq 1$

- $t\gamma q + t\bar{t}\gamma$ inclusive/differential cross sections
- $t\gamma q + t\bar{t}\gamma$ EFT interpretation

Background estimation/constraint ($t\bar{t}\gamma$ as signal):

- Simulation: $t\bar{t}$, $V+Jets/V\gamma+Jets$, $tW/tW\gamma$, TTV, VV
- Data-Driven backgrounds:
 - $j \rightarrow \gamma$, $j \rightarrow \ell$, $e \rightarrow \gamma$ (mainly in e channel)
- Define proper control regions
 - Constrain main and data-driven background normalisations





SMEFT Parameter – Wilson Coefficients

Productions of $t\gamma q + t\bar{t}\gamma$ are expected to be sensitive to several EFT operators coupling to the weak hypercharge and isospin gauge bosons, C_{tB} , C_{tW} .

$$C_{2,V}^Z = \frac{v^2 m_t}{\sqrt{2} c_w s_w m_Z \Lambda^2} \Re [C_{tZ}], \quad C_{2,A}^Z = \frac{v^2 m_t}{\sqrt{2} c_w s_w m_Z \Lambda^2} \Im [C_{tZ}],$$

$$C_{2,V}^\gamma = \frac{\sqrt{2} v m_t}{e \Lambda^2} \Re [C_{t\gamma}], \quad C_{2,A}^\gamma = \frac{\sqrt{2} v m_t}{e \Lambda^2} \Im [C_{t\gamma}],$$

$$C_{tZ} = c_w \cdot C_{tW} - s_w \cdot C_{tB},$$

$$C_{t\gamma} = s_w \cdot C_{tW} + c_w \cdot C_{tB}.$$

Two-heavy (9 + 6 CPV d.o.f.)	
$c_{t\varphi}^{[I]}$	$\equiv \text{Re}^{[\text{Im}]} \{C_{u\varphi}^{(33)}\}$
$c_{\varphi q}^-$	$\equiv C_{\varphi q}^{1(33)} - C_{\varphi q}^{3(33)}$
$c_{\varphi Q}^3$	$\equiv C_{\varphi q}^{3(33)}$
$c_{\varphi t}$	$\equiv C_{\varphi u}^{(33)}$
$c_{\varphi tb}^{[I]}$	$\equiv \text{Re}^{[\text{Im}]} \{C_{\varphi ud}^{(33)}\}$
$c_{tW}^{[I]}$	$\equiv \text{Re}^{[\text{Im}]} \{C_{uW}^{(33)}\}$
$c_{tZ}^{[I]}$	$\equiv \text{Re}^{[\text{Im}]} \{-s_w C_{uB}^{(33)} + c_w C_{uW}^{(33)}\}$
$c_{bW}^{[I]}$	$\equiv \text{Re}^{[\text{Im}]} \{C_{dW}^{(33)}\}$
$c_{tG}^{[I]}$	$\equiv \text{Re}^{[\text{Im}]} \{C_{uG}^{(33)}\}$

$c_{\varphi q}^1$ [-3.1, 3.1] [45], [-8.3, 8.6] [46]

[-4.1, 2.0] [45], [-8.6, 8.3] [46]

[-9.7, 8.3] [45], [-9.1, 9.1] [46]

c_{tW} [-4.0, 3.5] [45], [-4.1, 4.1] [46]

c_{tB} [-6.9, 4.6] [45], [-7.6, 7.6] [46]

c_{tG} [-1.32, 1.24] [45]

Two-heavy-two-lepton (8 + 3 CPV d.o.f. \times 3 lepton flavours)

<https://arxiv.org/pdf/1802.07237>

where s_w (c_w) is the sine (cosine) of the Weinberg angle, m_Z is the Z boson mass and $C_{t\gamma}$ and C_{tZ} are the EFT operators, which are linear combinations of the dipole operators C_{tB} , C_{tW}



SMEFT model

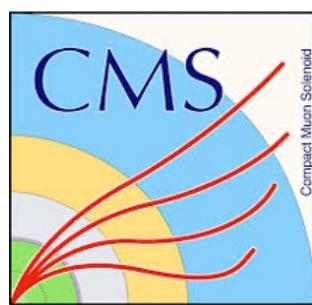
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- SMEFTsim ([2012.11343](#)): only LO mode

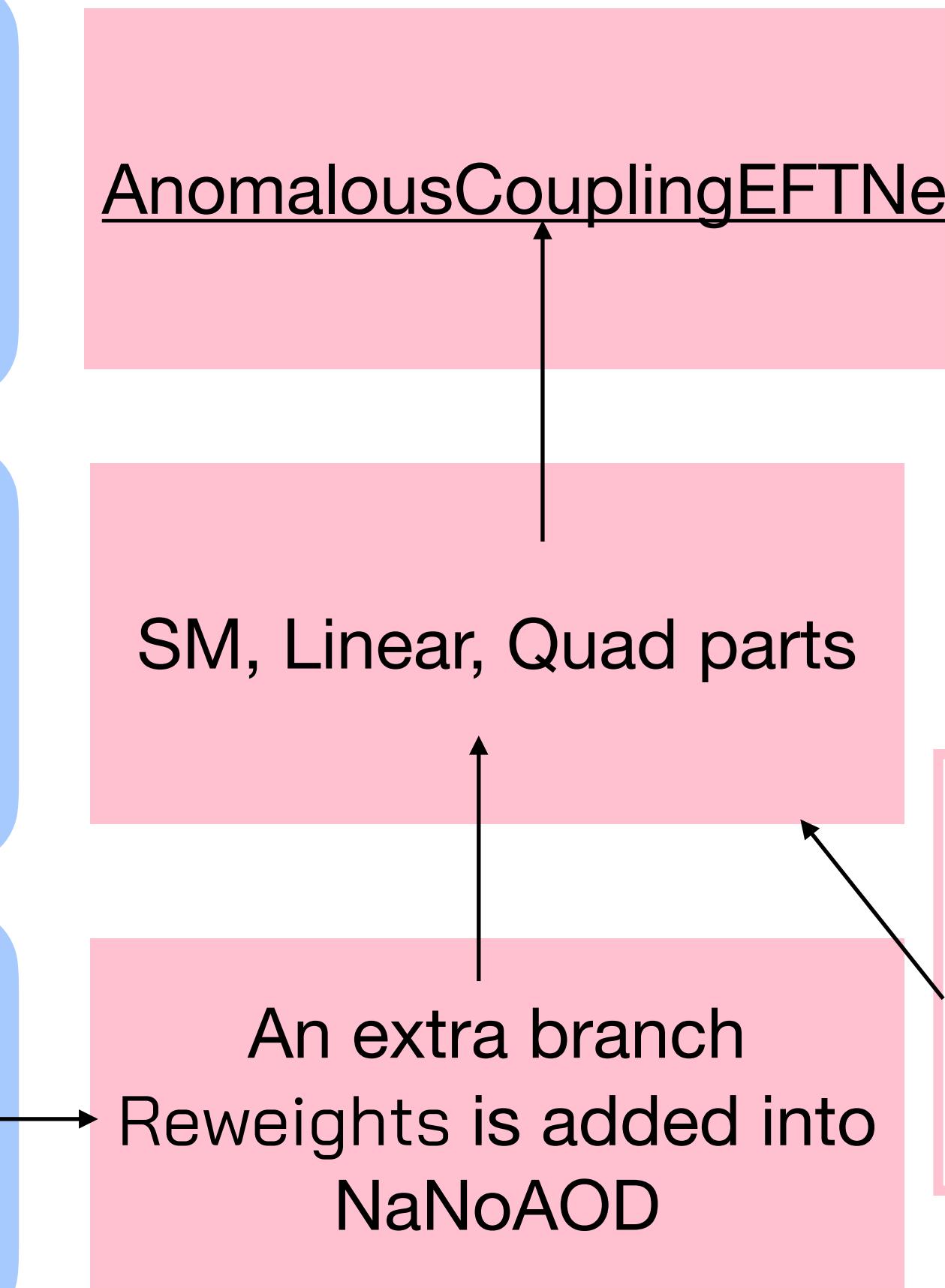
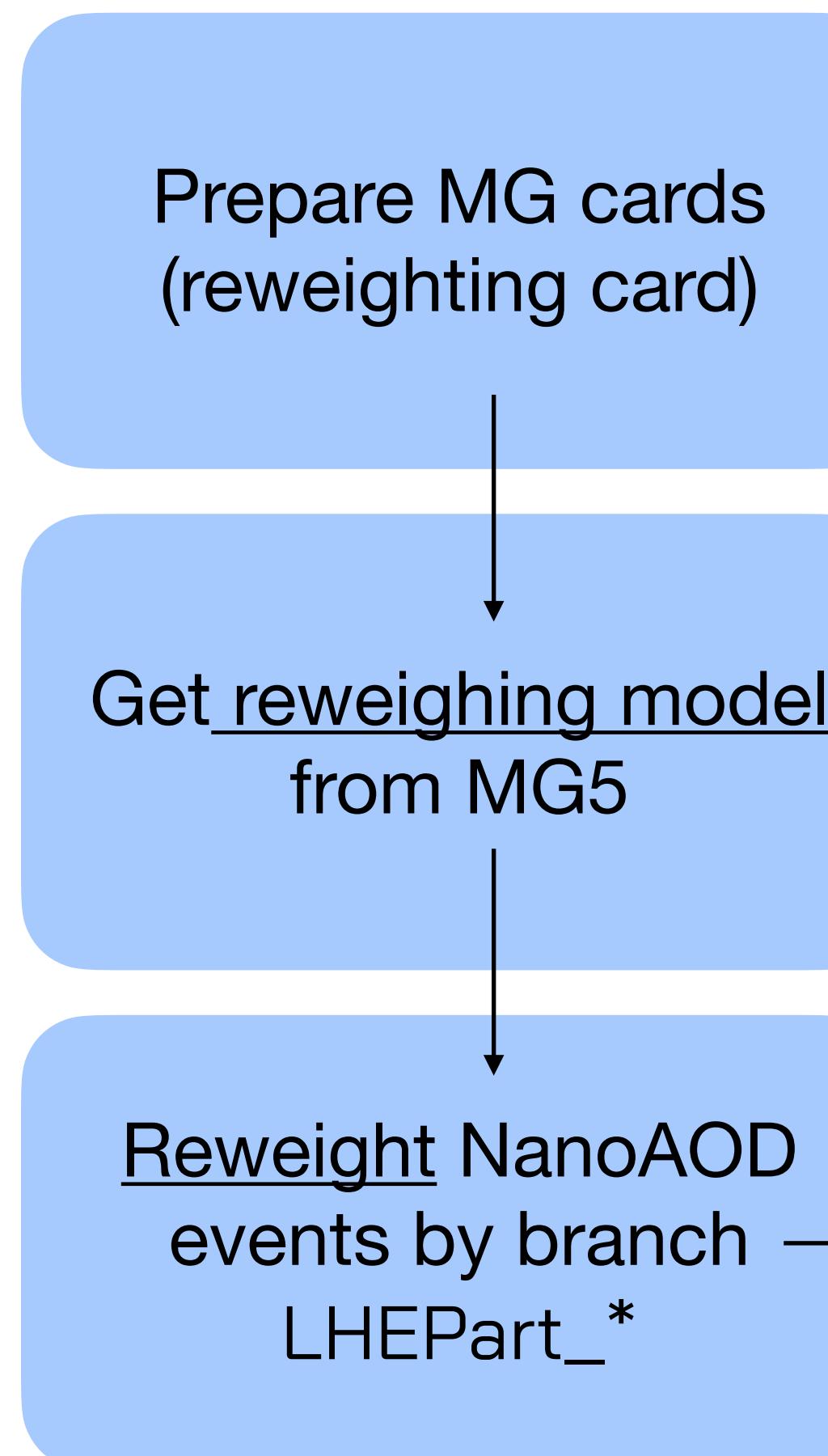
SMEFTsim_topU3I_MwScheme_UFO: A case with a $U(2)^3$ symmetry in the quark sector and a $U(3)^2$ symmetry in the lepton sector

Wilson coefficients expressed in terms of their real and imaginary parts, rather than absolute values, correspond to CP conserving (violating)

$\Re c_{tG}$, $\Re c_{tW}$, $\Re c_{tB}$ are selected to do reweighting



Workflow



$$\left\{ \begin{array}{l} \omega_{\text{Quad}} = 0.5 \cdot [\omega(k=1) + \omega(k=-1) - 2 \cdot \omega(k=0)] \\ \omega_{\text{SM}} = \omega(k=0) \\ \omega_{\text{Lin}} = 0.5 \cdot [\omega(k=1) - \omega(k=-1)] \\ \omega_{\text{Mix}} = \omega(1,1) + \omega(0,0) - \omega(1,0) - \omega(0,1) \end{array} \right.$$

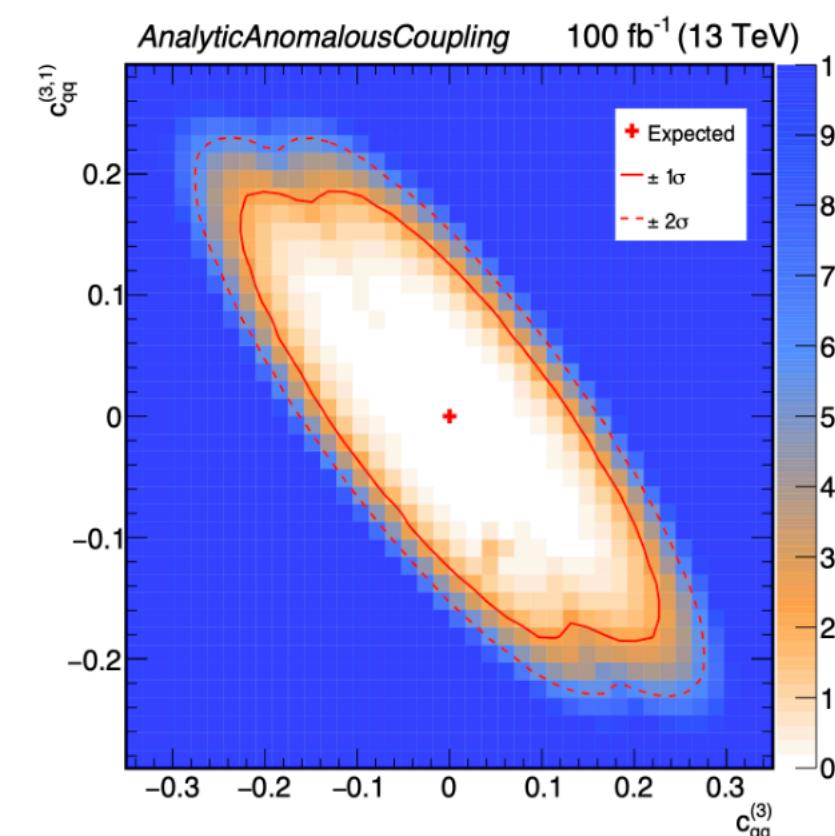
```

## Shape input card
imax 1 number of channels
jmax * number of background
kmax * number of nuisance parameters

bin          inWW_cW
observation 0
shapes      * shapes/histos_inWW_cW.root      histo_$PROCESS histo_$PROCESS$_SYSTEMATIC
shapes     data_obs      * shapes/histos_inWW_cW.root      histo_Data
bin          inWW_cW
process     sm
process     1
rate        30611.7690
process     sm
process     2
rate        34426.6029
process     sm
process     3
rate        3957.9833

lumi   lnN    1.02
1.02
1.02

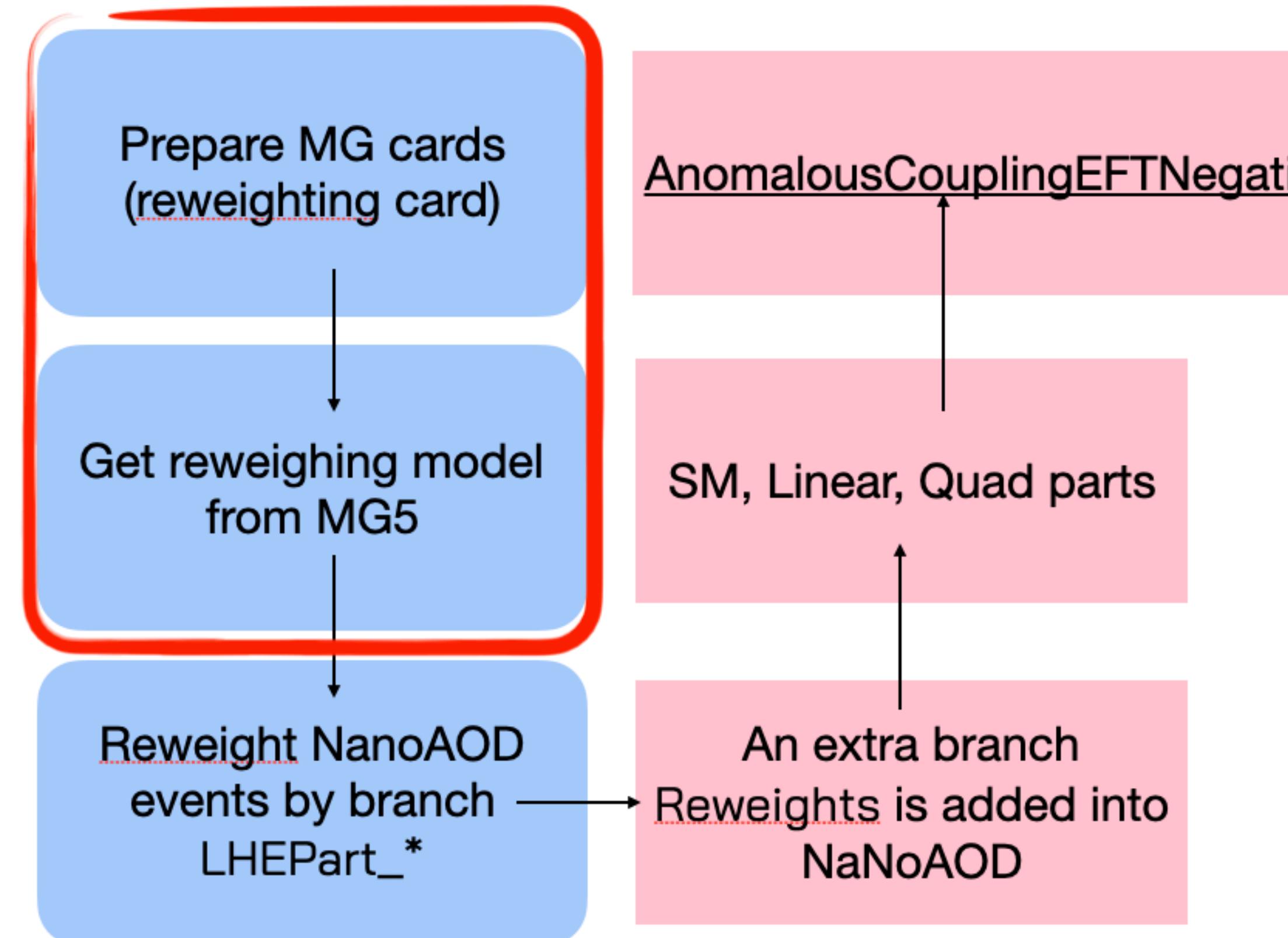
```



EFT sample

- * Official SM NLO $t\bar{q}q$ production with 4f scheme (no FSR)
- * Private SM LO $t\bar{q}q$ production with 4f scheme (no FSR)
- * Private SMEFTsim LO $t\bar{q}q$ production with 4f scheme (no FSR)

- ◆ Official SM NLO $t\bar{t}\gamma$ production with 5f scheme (no FSR)
- ◆ Official SM LO $t\bar{t}\gamma$ production with 4f scheme
- ◆ Private SM LO $t\bar{t}\gamma$ production with 4f scheme (no FSR)
- ◆ Private SMEFTsim LO $t\bar{t}\gamma$ production with 4f scheme (no FSR)

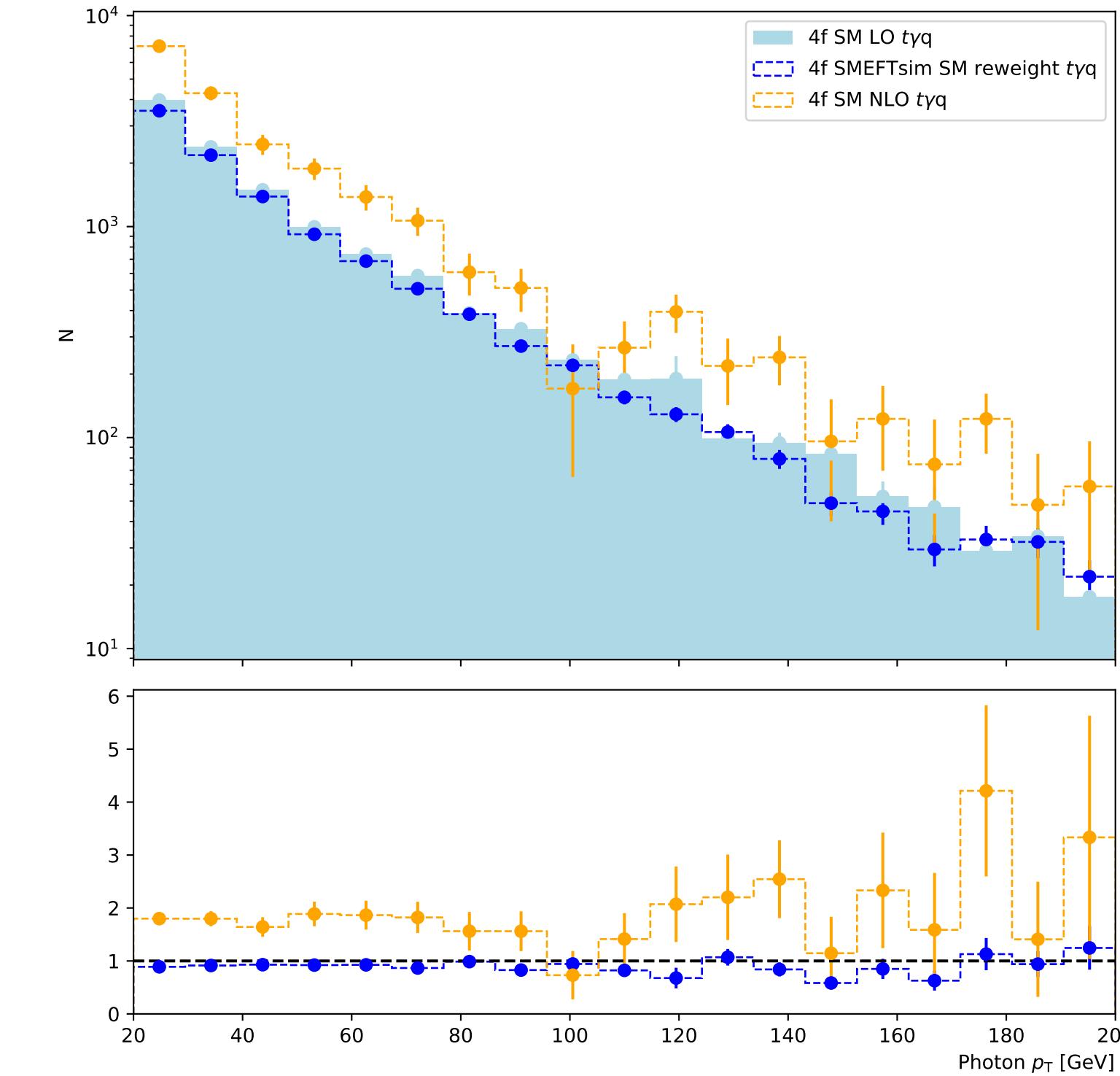
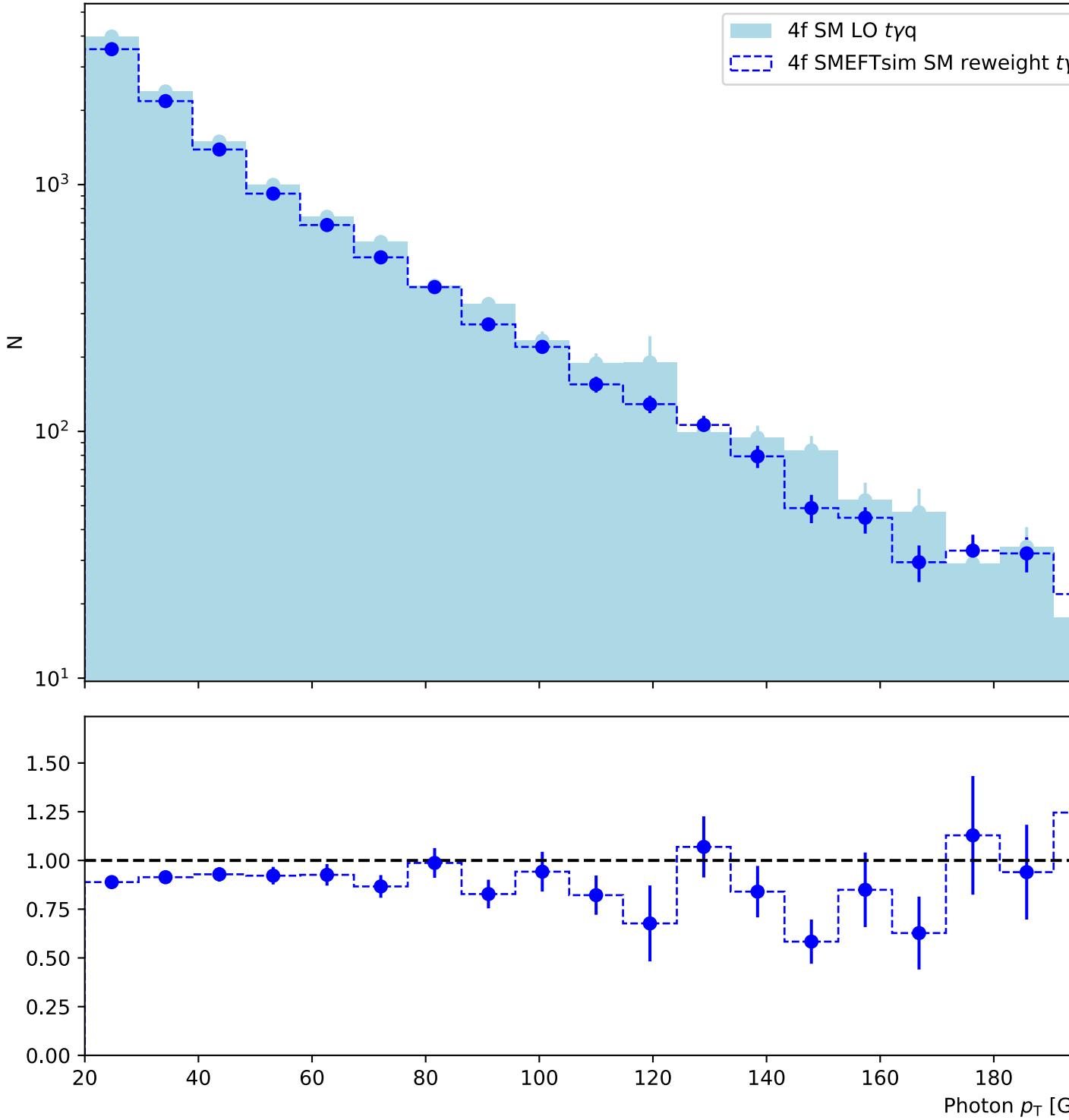


The signal samples used in our SM measurement are both NLO sample for $t\bar{q}q$ + $t\bar{t}\gamma$, so a private LO SM gridpacks are produced to validate our EFT sample

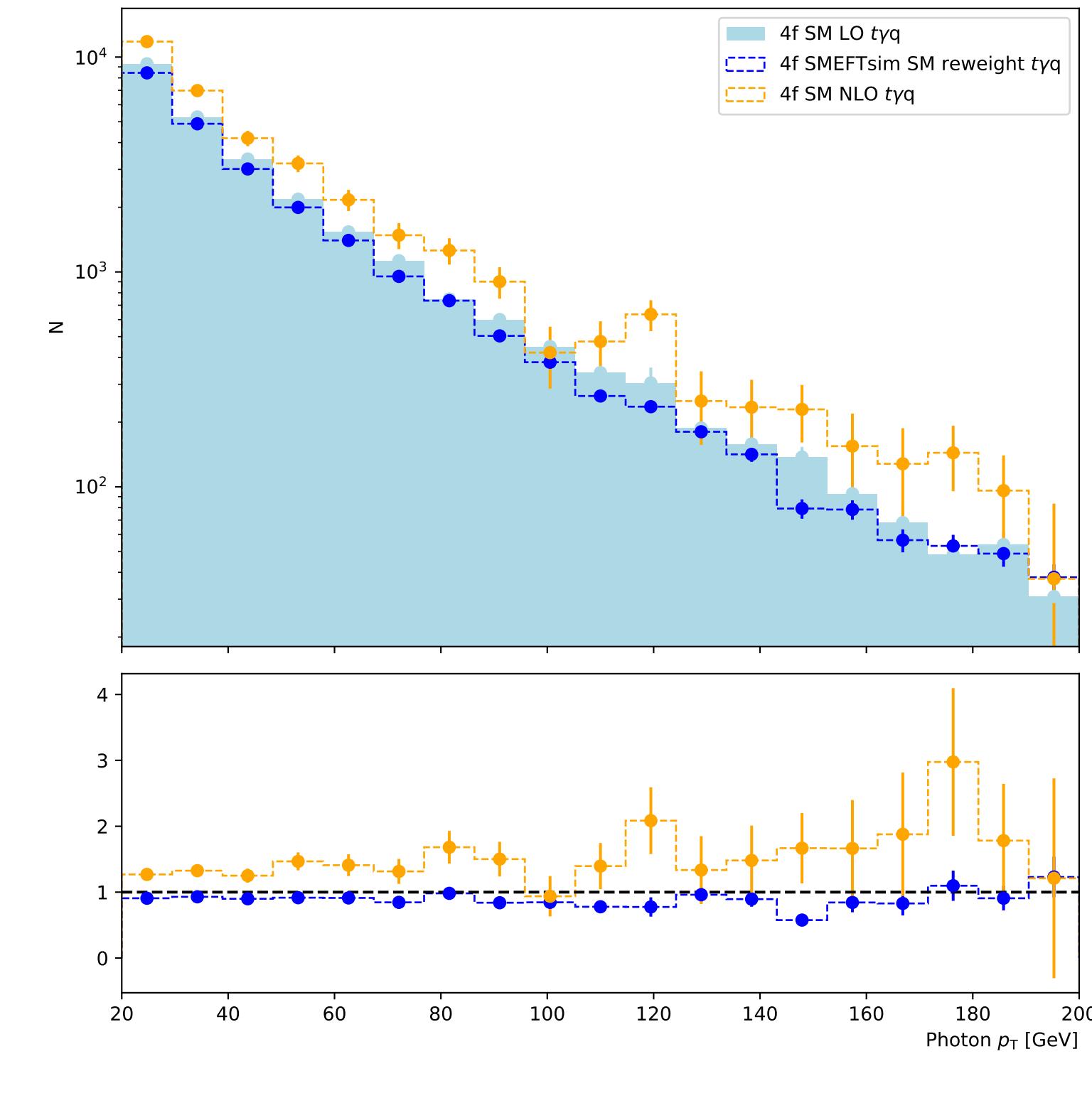
EFT sample validation — $t\gamma q$

LHE level

Selection: $N_\ell=1, N_\gamma \geq 1, N_j \geq 1, N_b \geq 1$
with $p_T > 20, 20$, and 30 GeV



Without any selection



The agreement between EFT sample with SM reweight and SM LO sample looks reasonable in shape.
The difference in normalisation should come from the cross section values.

XS/process

NLO $t\gamma q$

LO $t\gamma q$

EFT $t\gamma q$ with SM

Cross section/pb

0.992 ± 0.004

0.72 ± 0.003

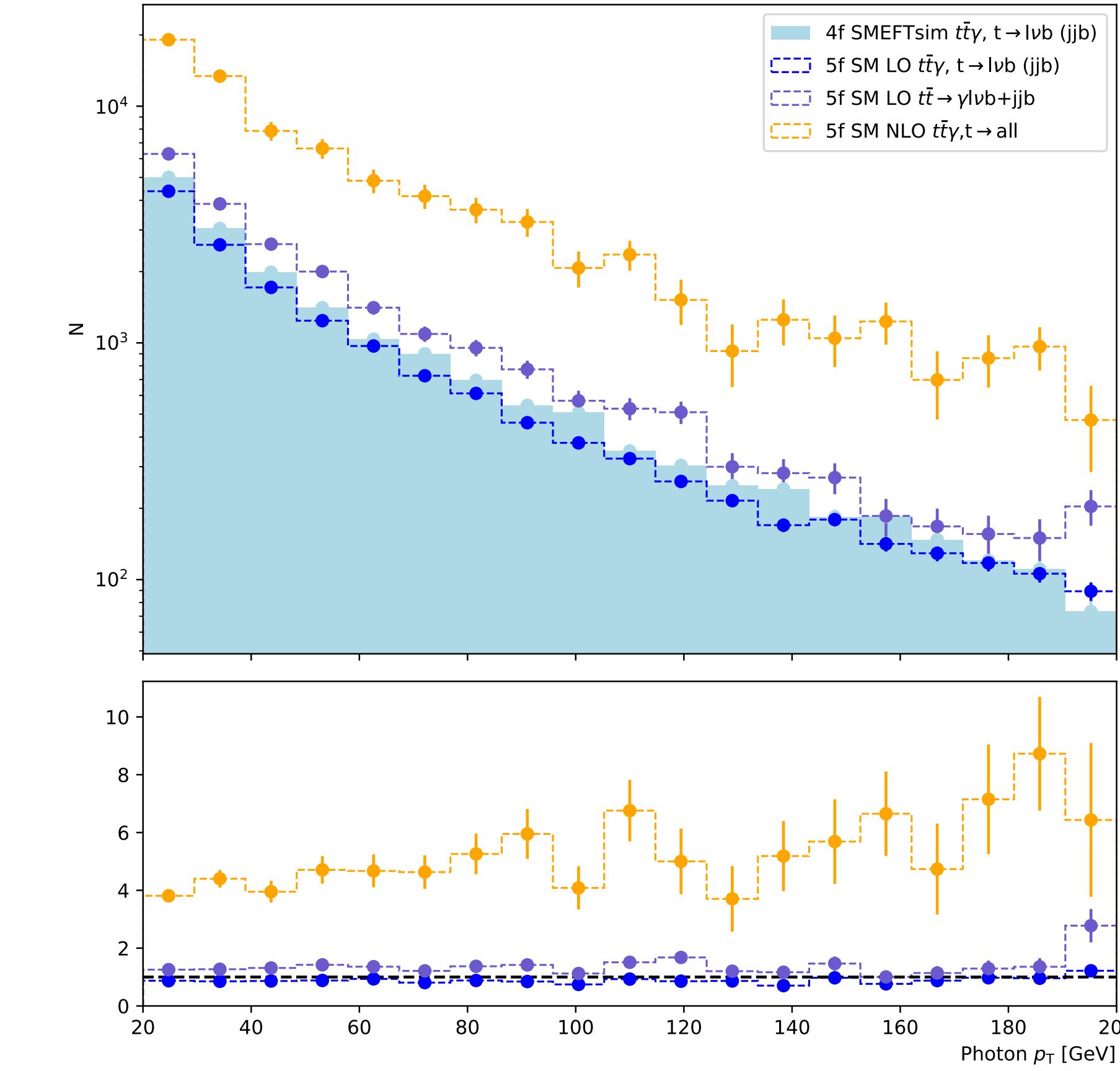
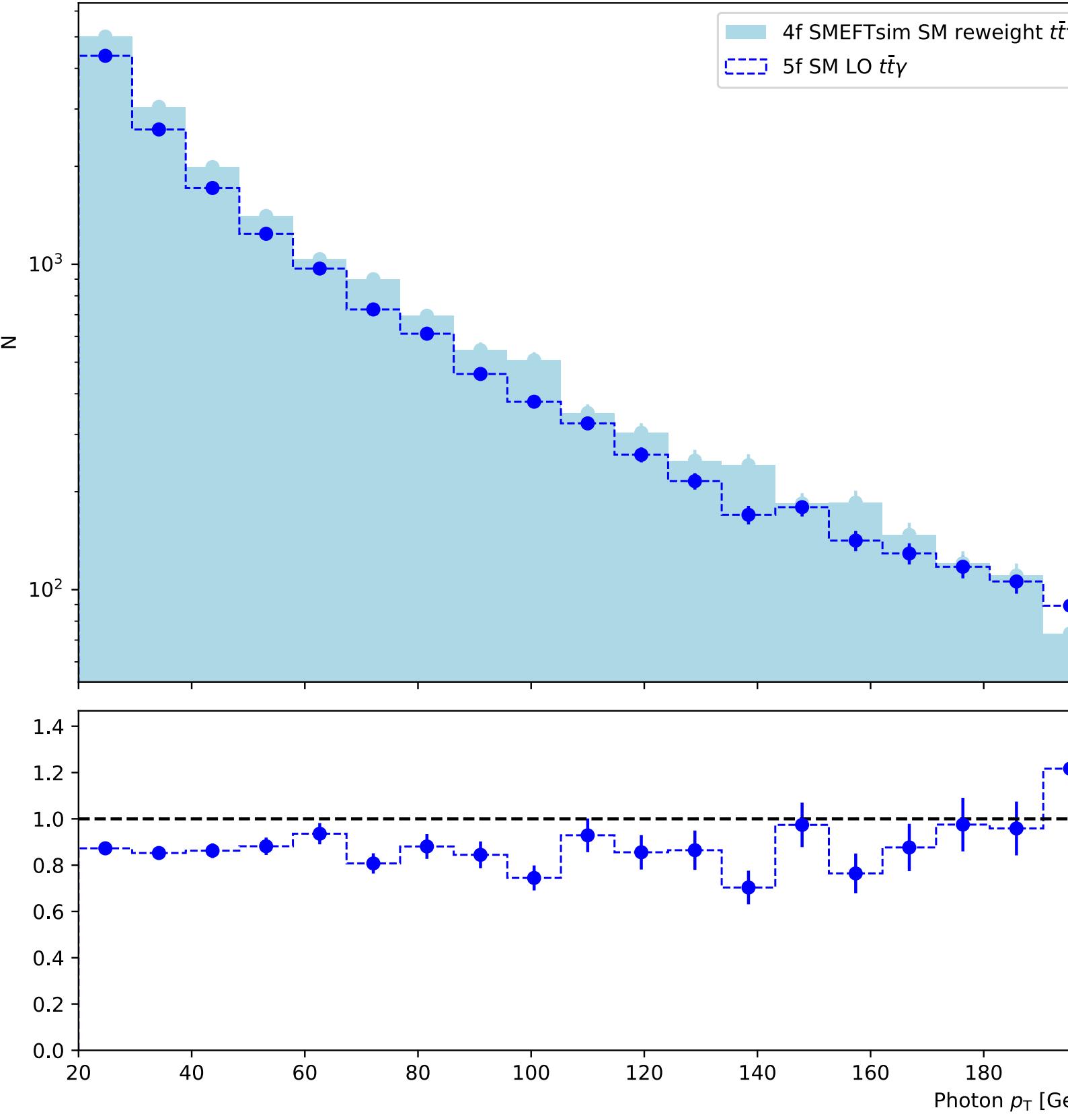
0.82 ± 0.1



EFT sample validation – $t\bar{t}\gamma$

LHE level

Selection: $N_\ell \geq 1$, $N_\gamma \geq 1$, $N_j \geq 1$ with $p_T > 20$, 20, and 30 GeV



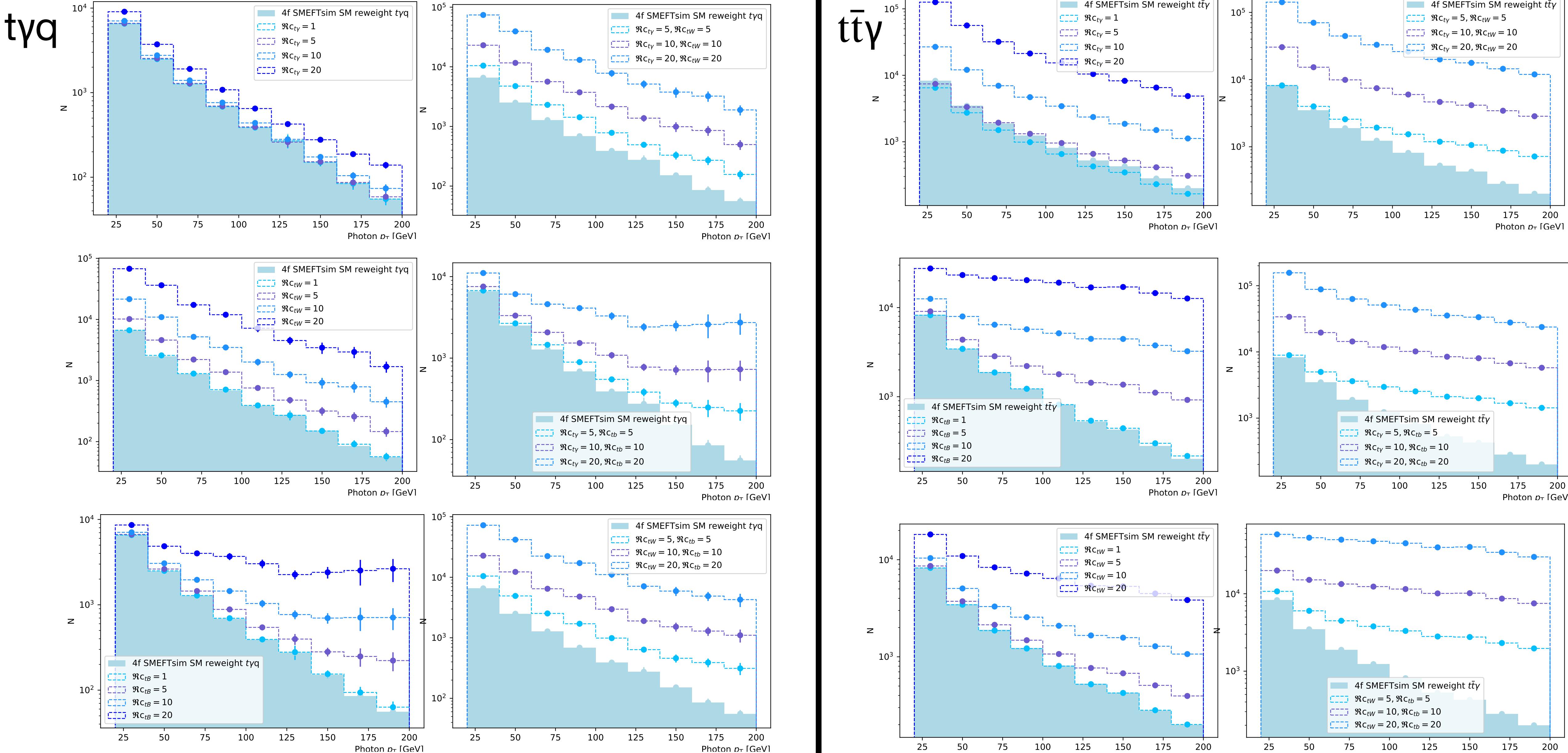
Similar case that no shape effect. But the normalisation difference between LO and NLO is really large.

XS/process	NLO $t\bar{t}\gamma$	LO $t\bar{t}\gamma$ (with FSR)	LO $t\bar{t}\gamma$	EFT $t\bar{t}\gamma$ with SM weight
Cross section/pb	2.58 ± 0.005	5.121 ± 0.004	0.6145 ± 0.002	0.73 ± 0.08

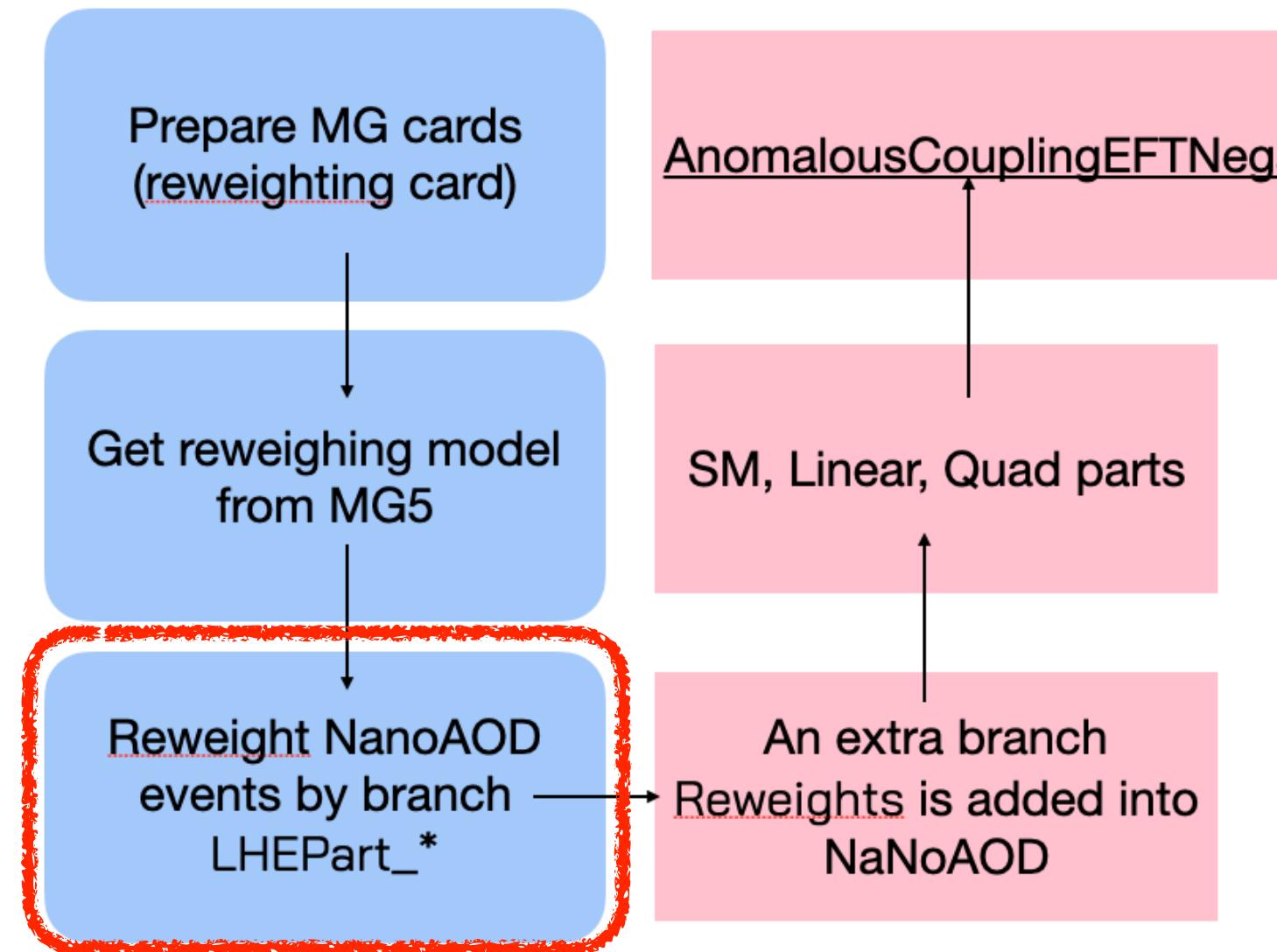


Photon p_T distributions – LHE-level

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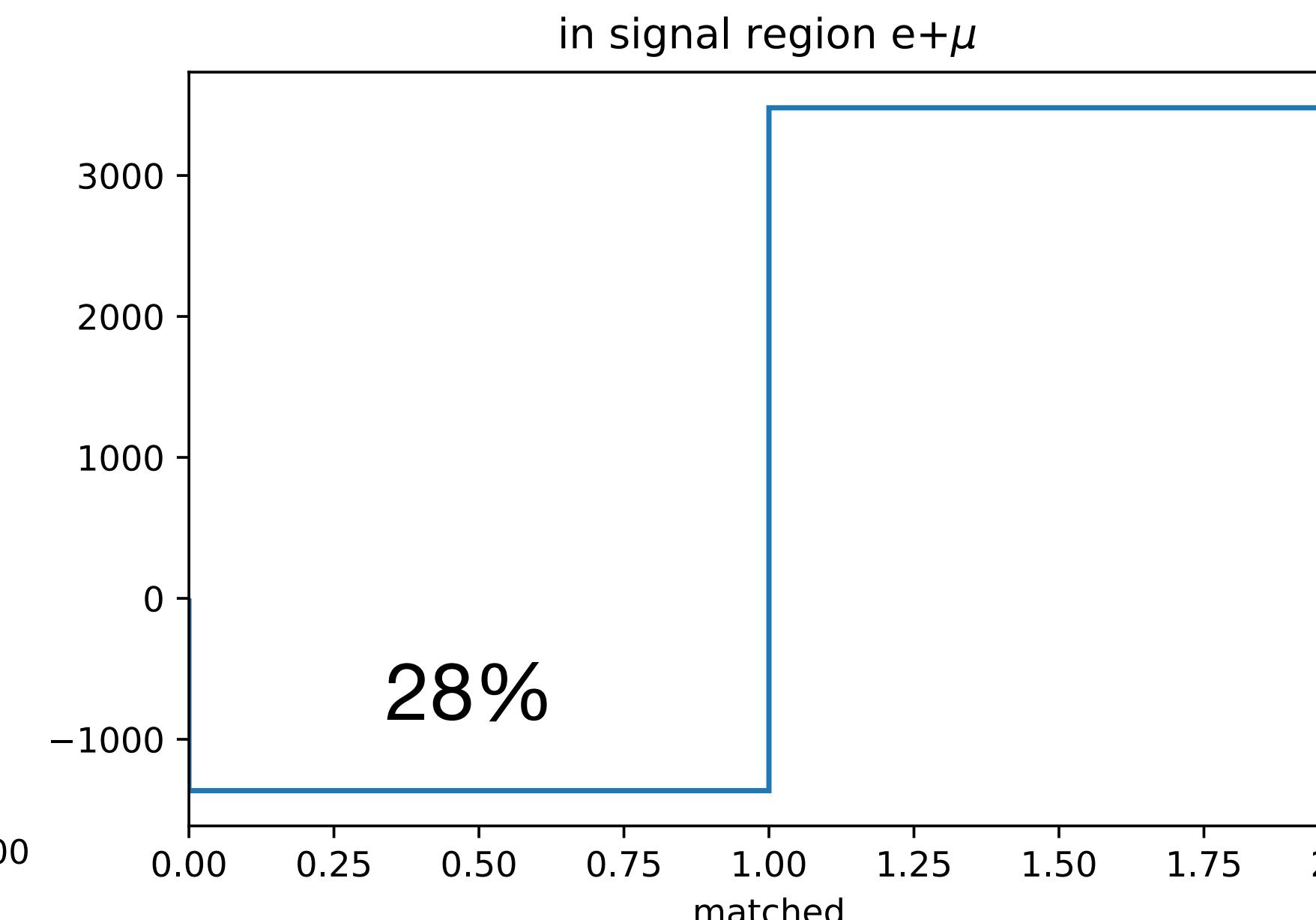
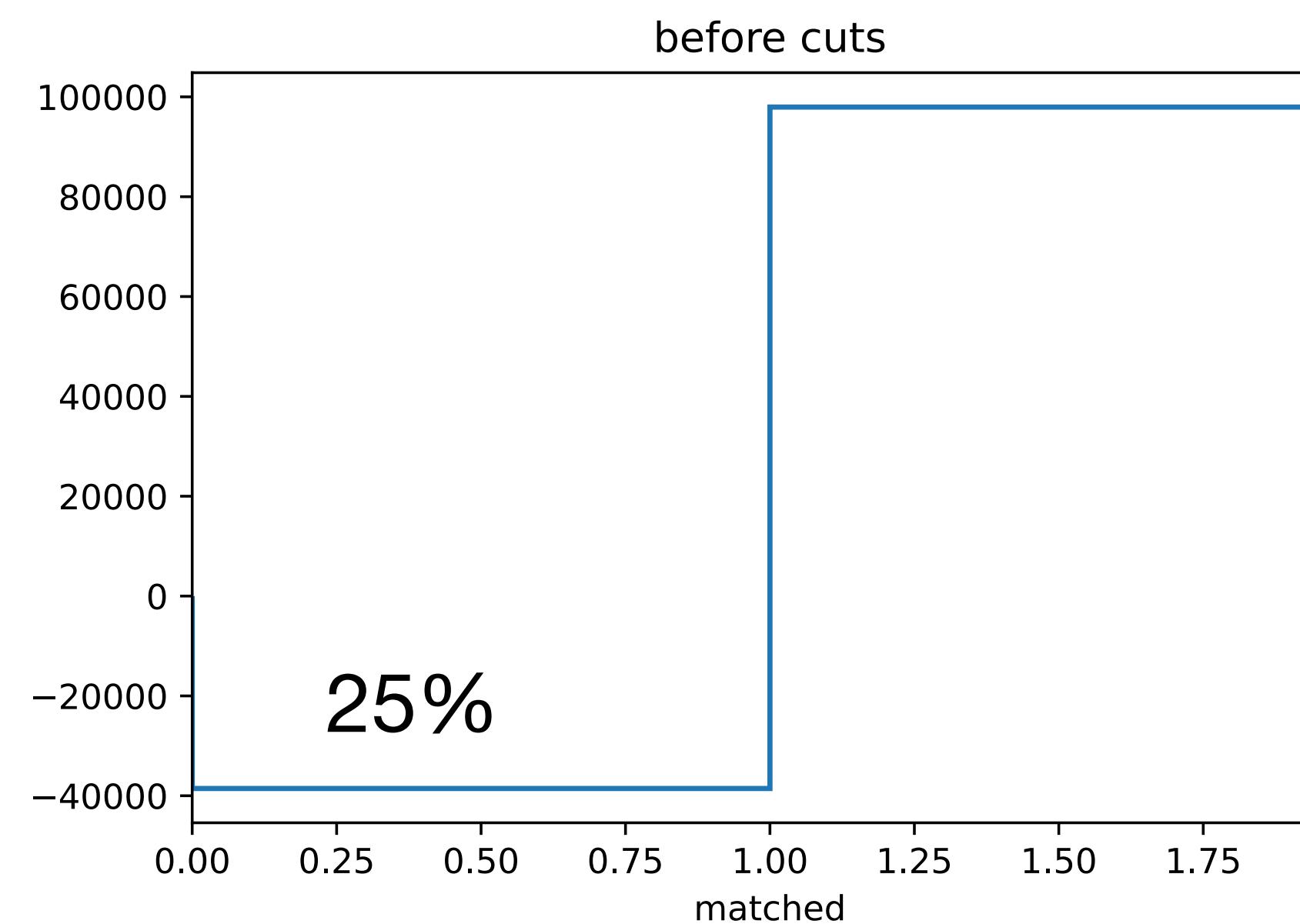


Reweighting to NanoAOD



It's doing a mapping from a PDG list got from MG5 production to NanoAOD LHEPart:

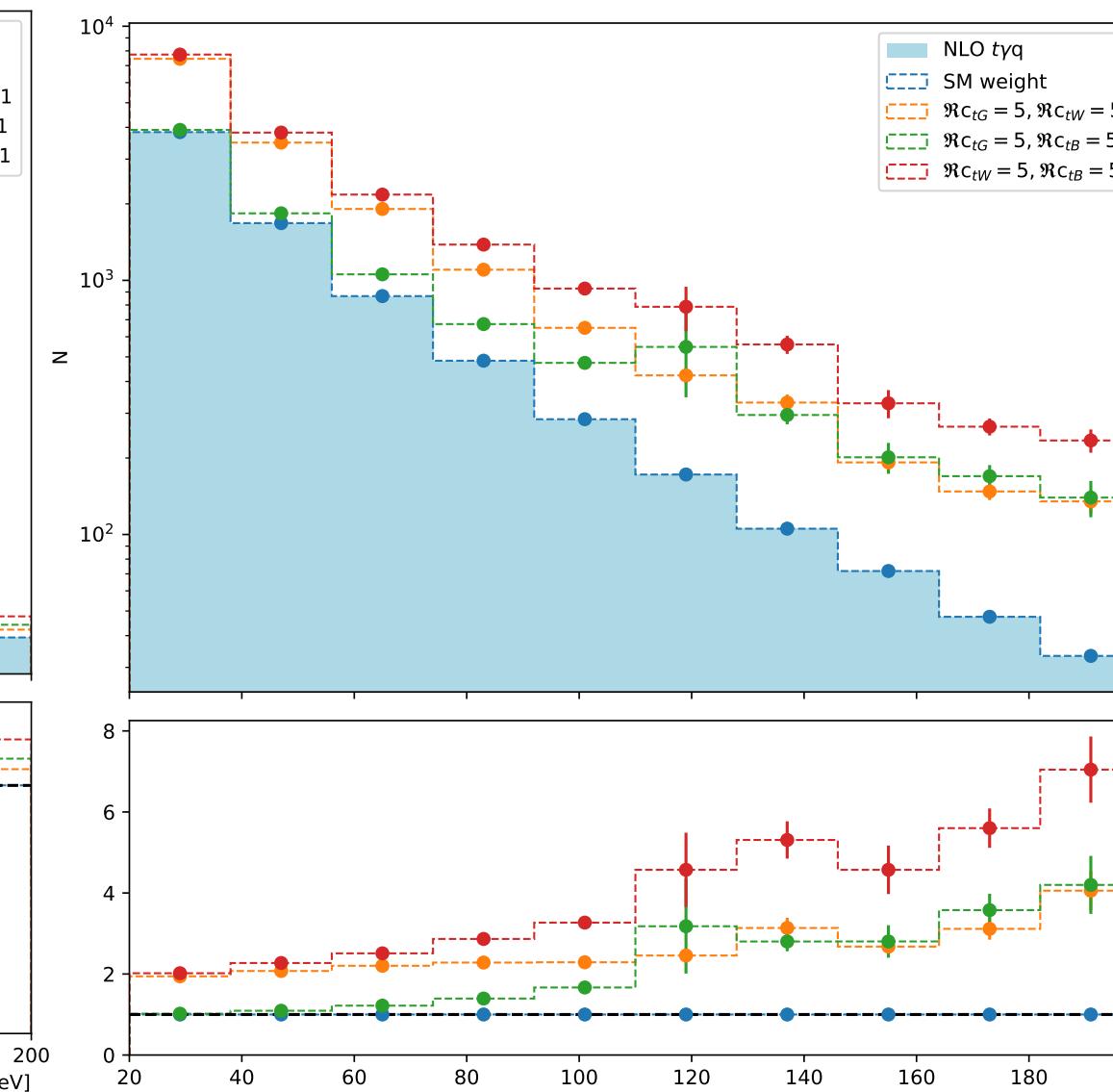
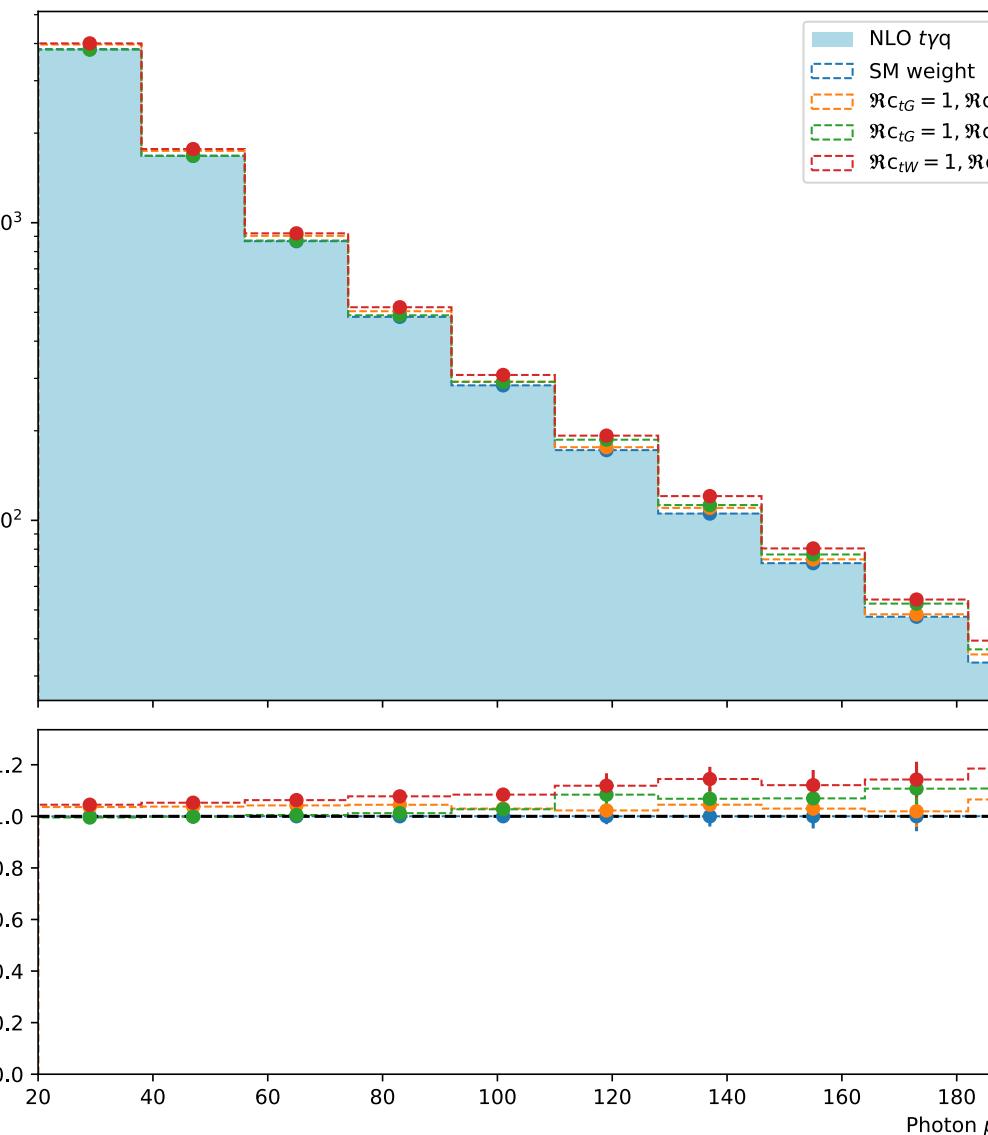
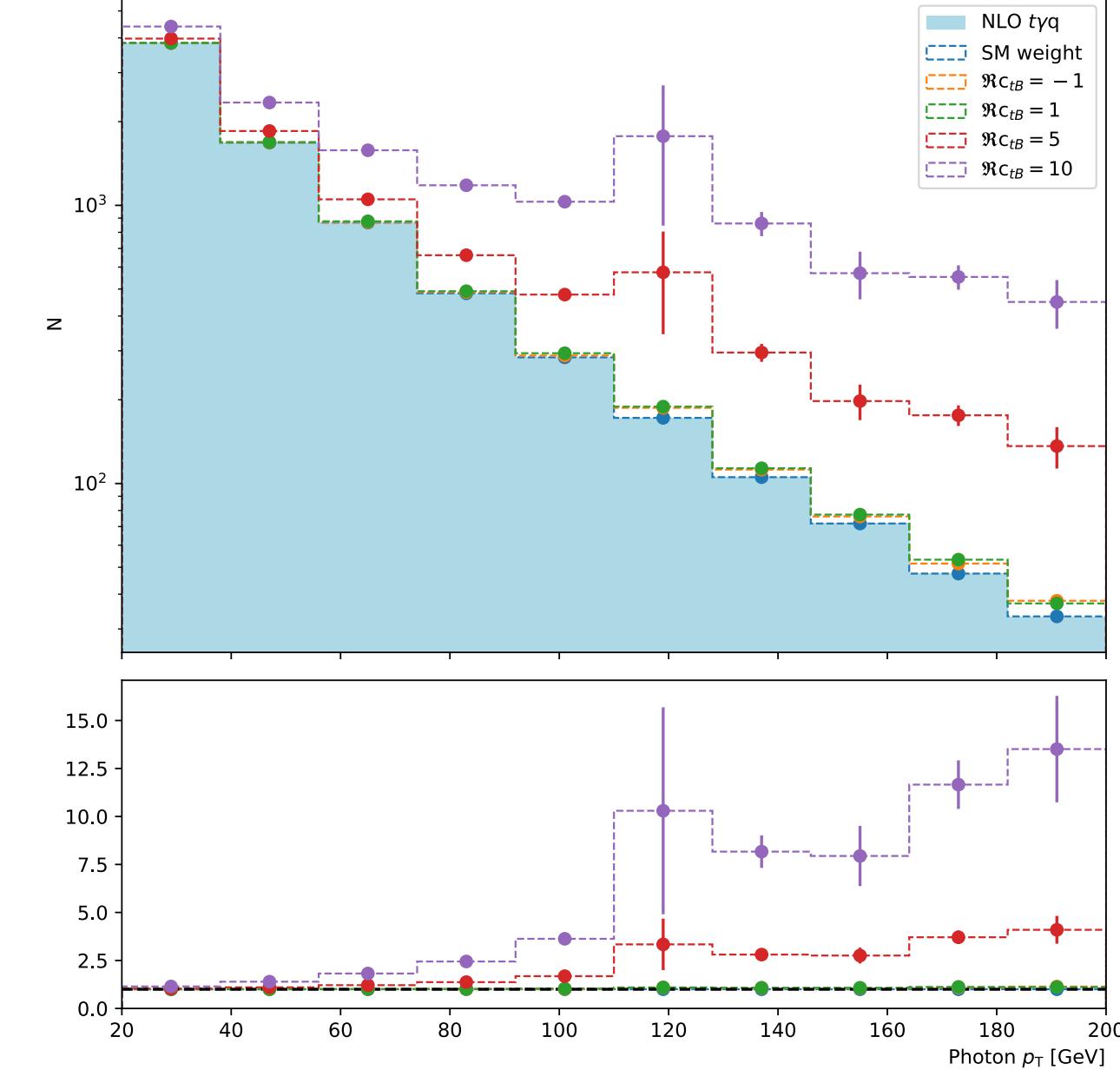
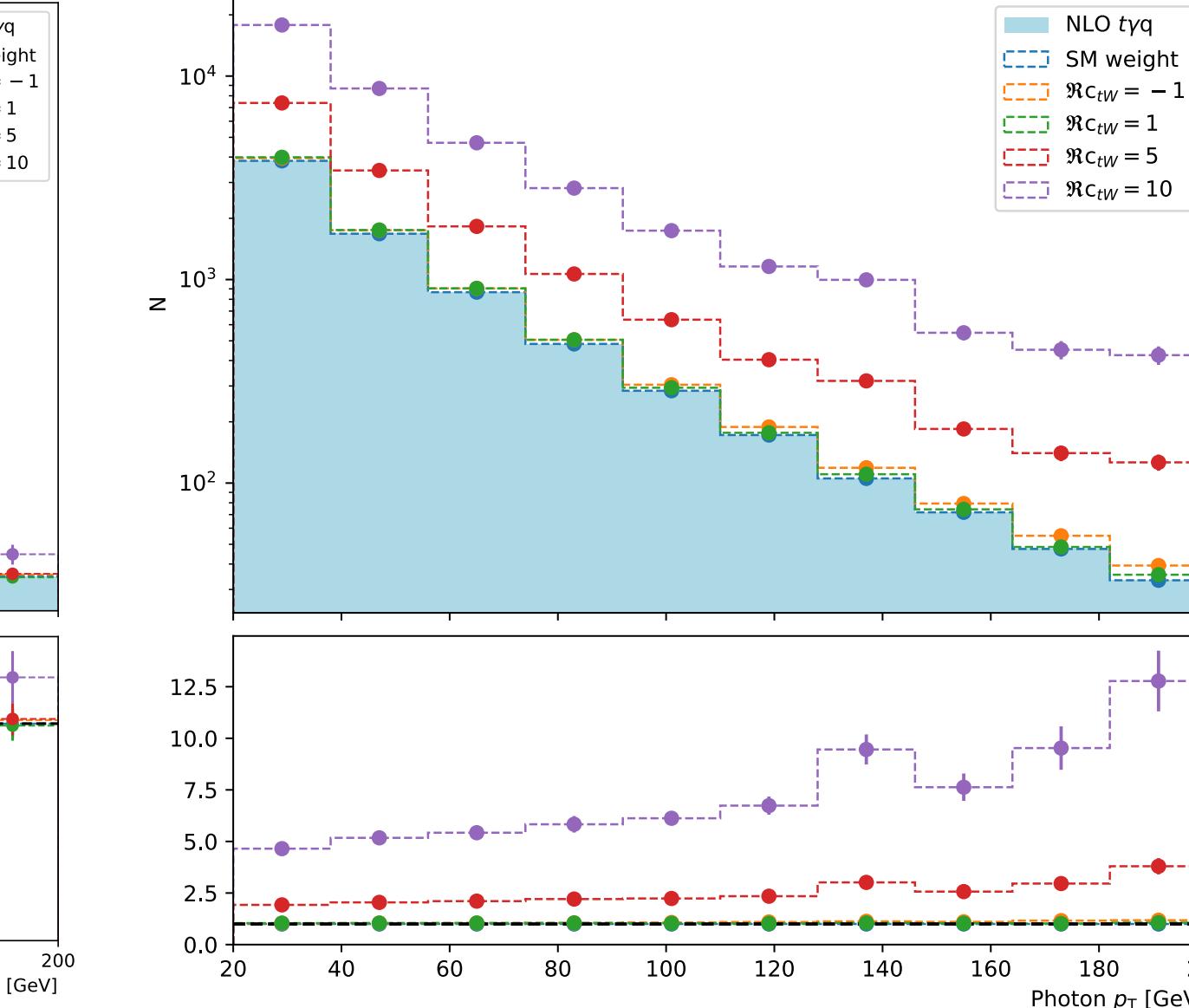
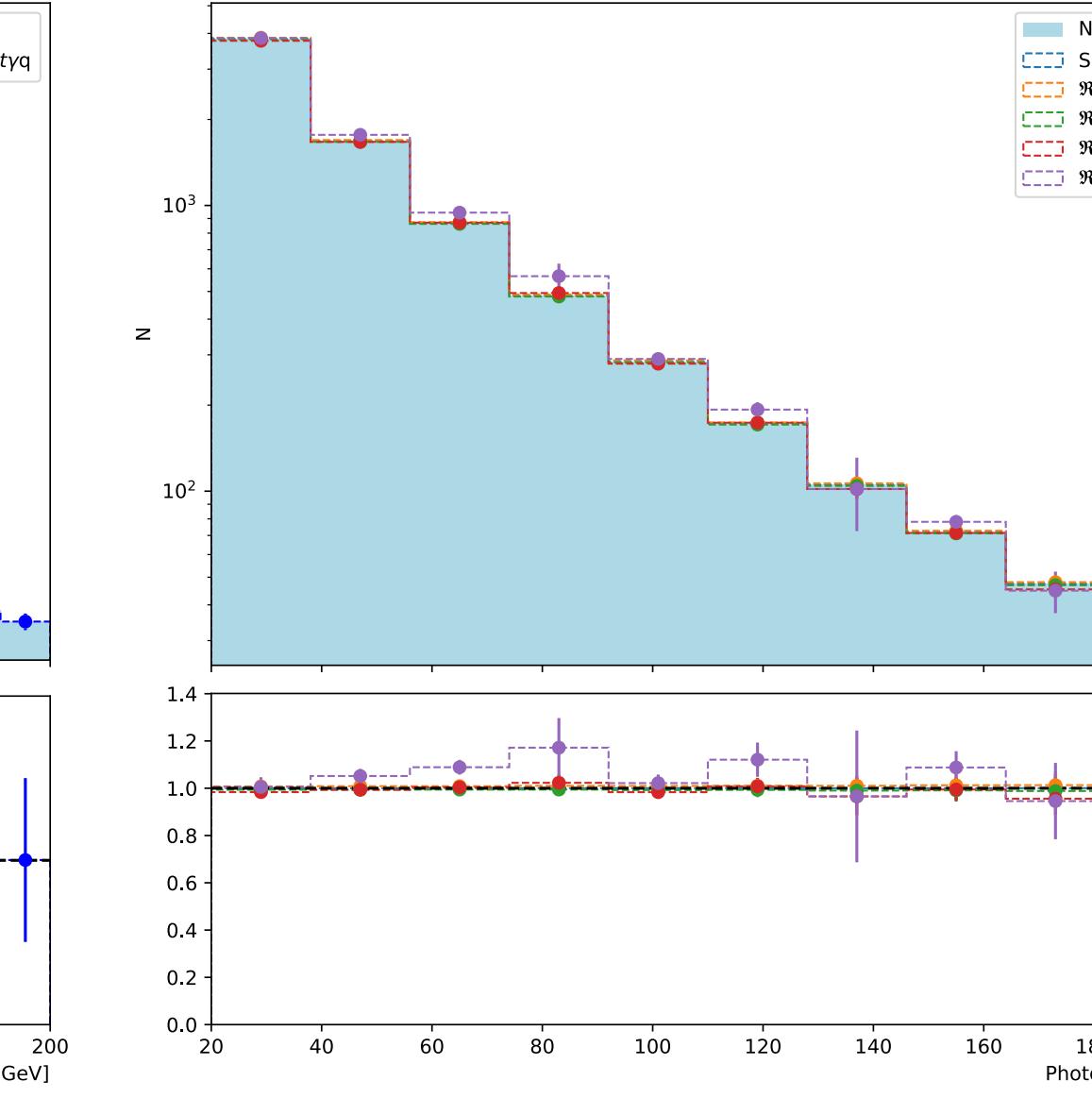
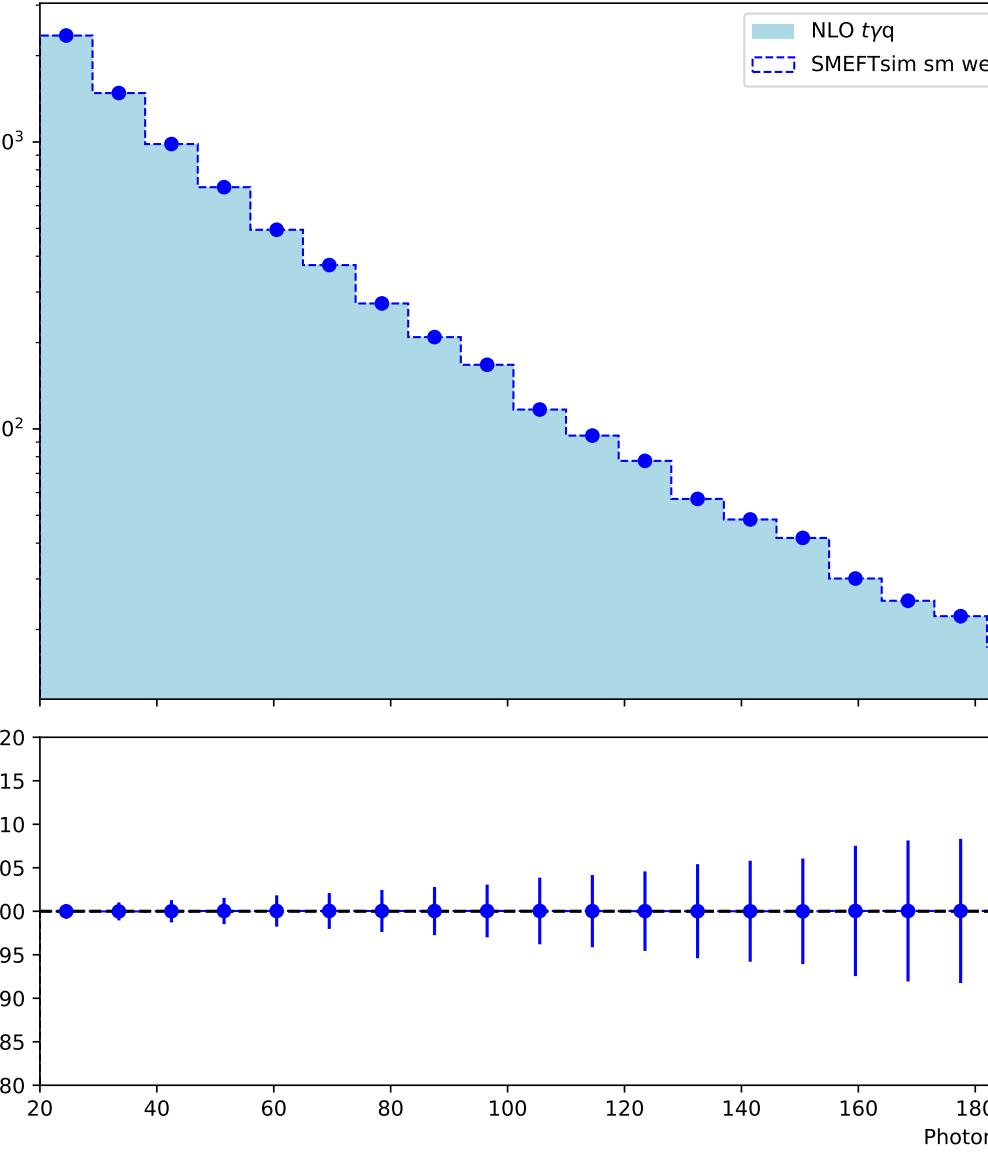
1. If the NanoAOD LHE event can be matched to the PDG list, we get the reweight = $w_{\text{ori}}^{\text{NLO}} \times \frac{w_i^{\text{LO}}}{w_{\text{sm}}^{\text{LO}}}$
2. If the NanoAOD LHE events can't be matched to the PDG list, the Reweights are just same as the generator weight



- This is a bool variable distribution:
- Almost unmatched events are with negative genweight
 - The percent of unmatched to total is 28% less or more before or after selection

Gen-level distributions

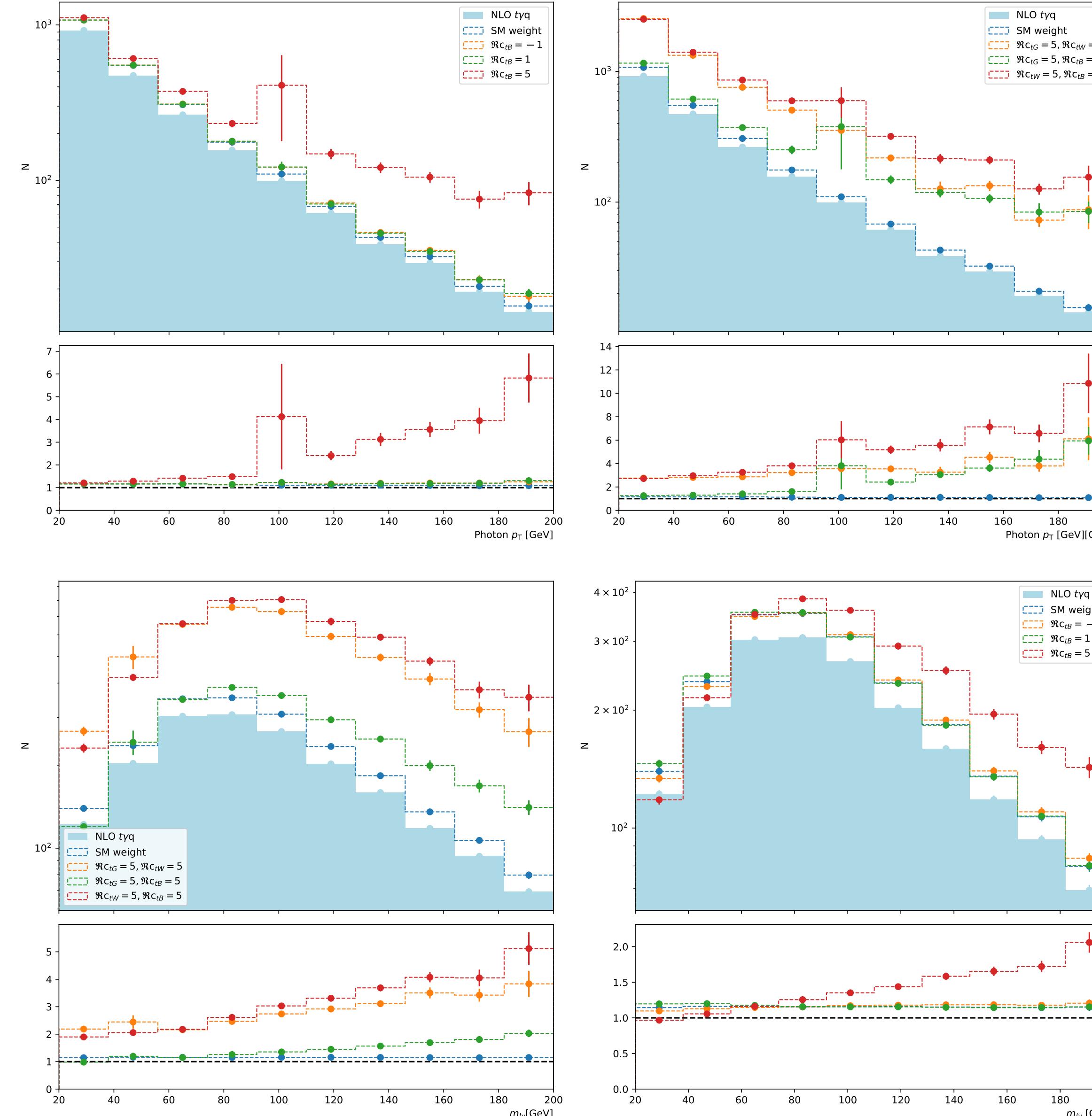
e+ μ channels



Selection	gen- ℓ	gen- γ	gen-j	gen-b
p_T/GeV	> 30	> 15	> 30	> 30
$ ln $	< 2.5	< 2.5	< 4.7	< 2.5
status	1	1	—	—
$ \text{pdgID} $	13/11	22	—	—
Others	No meson mother • No meson mother • Isolated • $\Delta R(\ell, \gamma) > 0.1$	• $\Delta R(\ell, j) > 0.4$ • $\Delta R(\ell, j) > 0.1$ • $\Delta R(\ell, \gamma) > 0.1$	• $ \text{partonFlavour} = 5$ • $\Delta R(\ell, j) > 0.4$ • $\Delta R(\ell, \gamma) > 0.1$	

Reco-level distributions

e+ μ channels



Selection: $N_\ell=1, N_\gamma \geq 1, N_j \geq 1, N_b \geq 1$

- Event ≥ 1 good PV and pass MET Filters and pass high-level trigger
- Exactly one lepton
 - Reject events containing extra ℓ with veto lepton requirement
- At least one photon
- At least two jet with one at least one being b-jet
- $\Delta R(\ell, \gamma) > 0.4, \Delta R(\ell, j) > 0.4, \Delta R(\gamma, j) > 0.4$
- MET $p_T > 20$ GeV

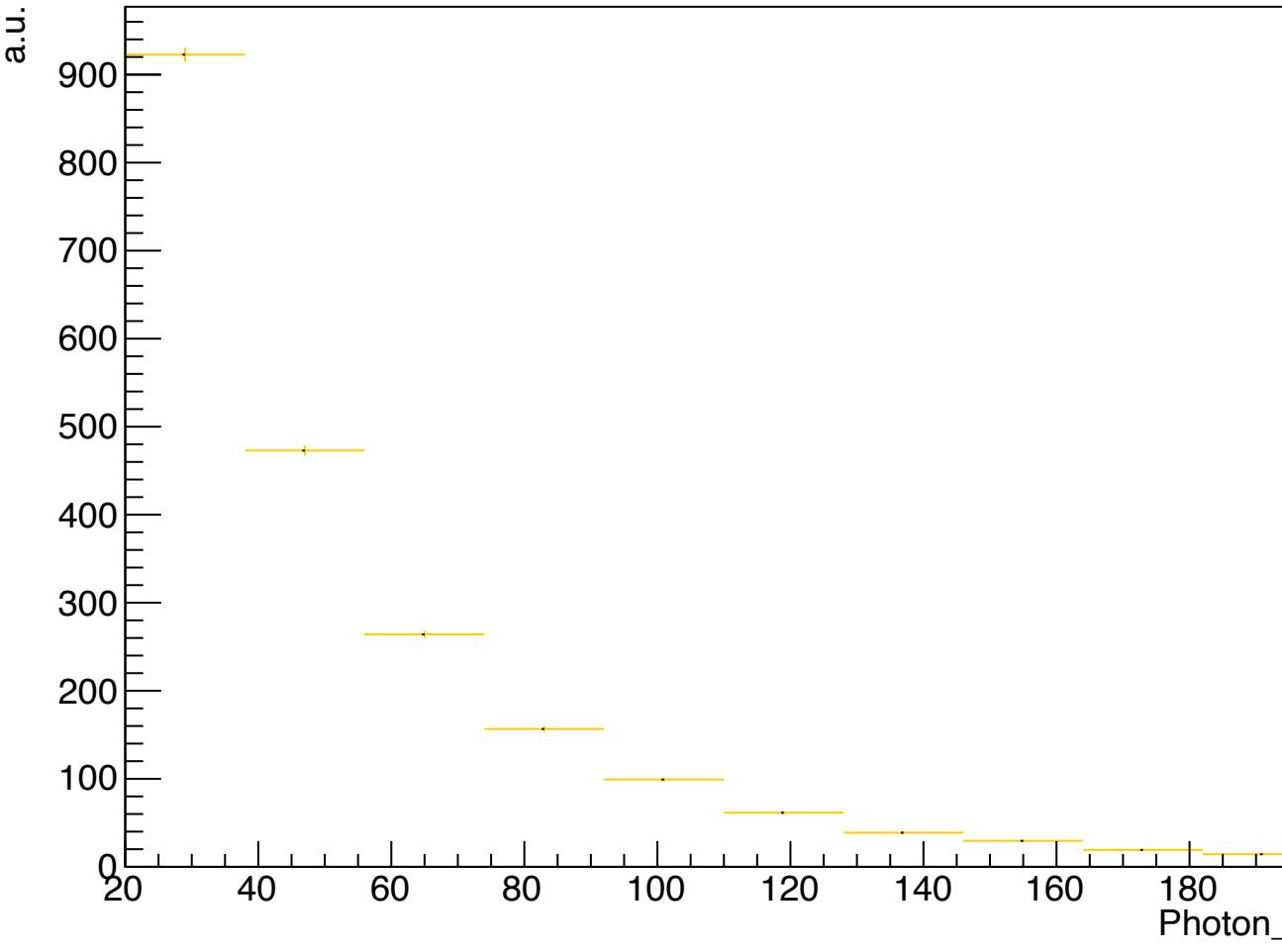
Here, the SM reweight values (blue hist) without reweighting and scale factors for all objects. If they are included, the agreement should be fine.



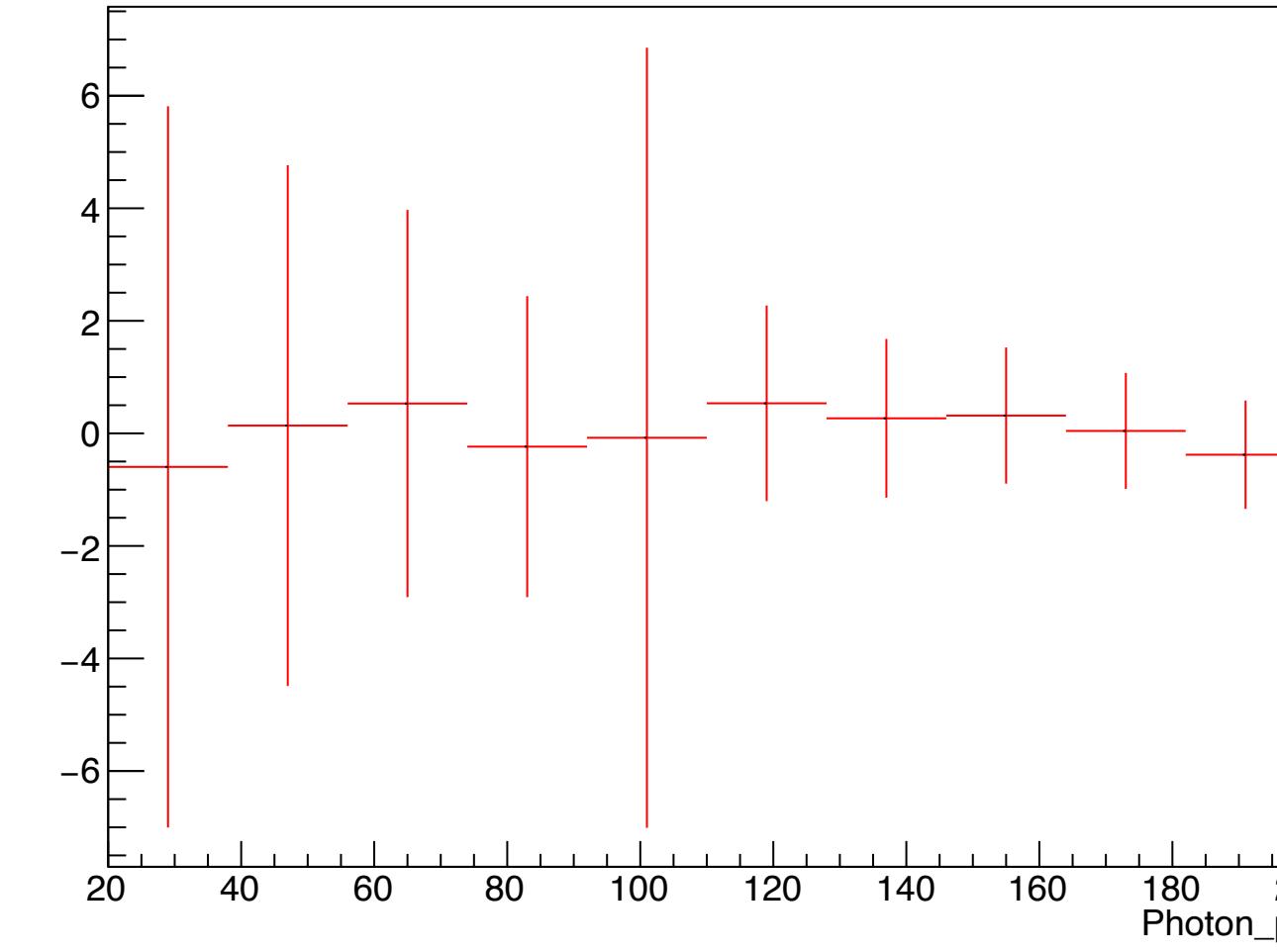
EFT decomposition

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SM parts

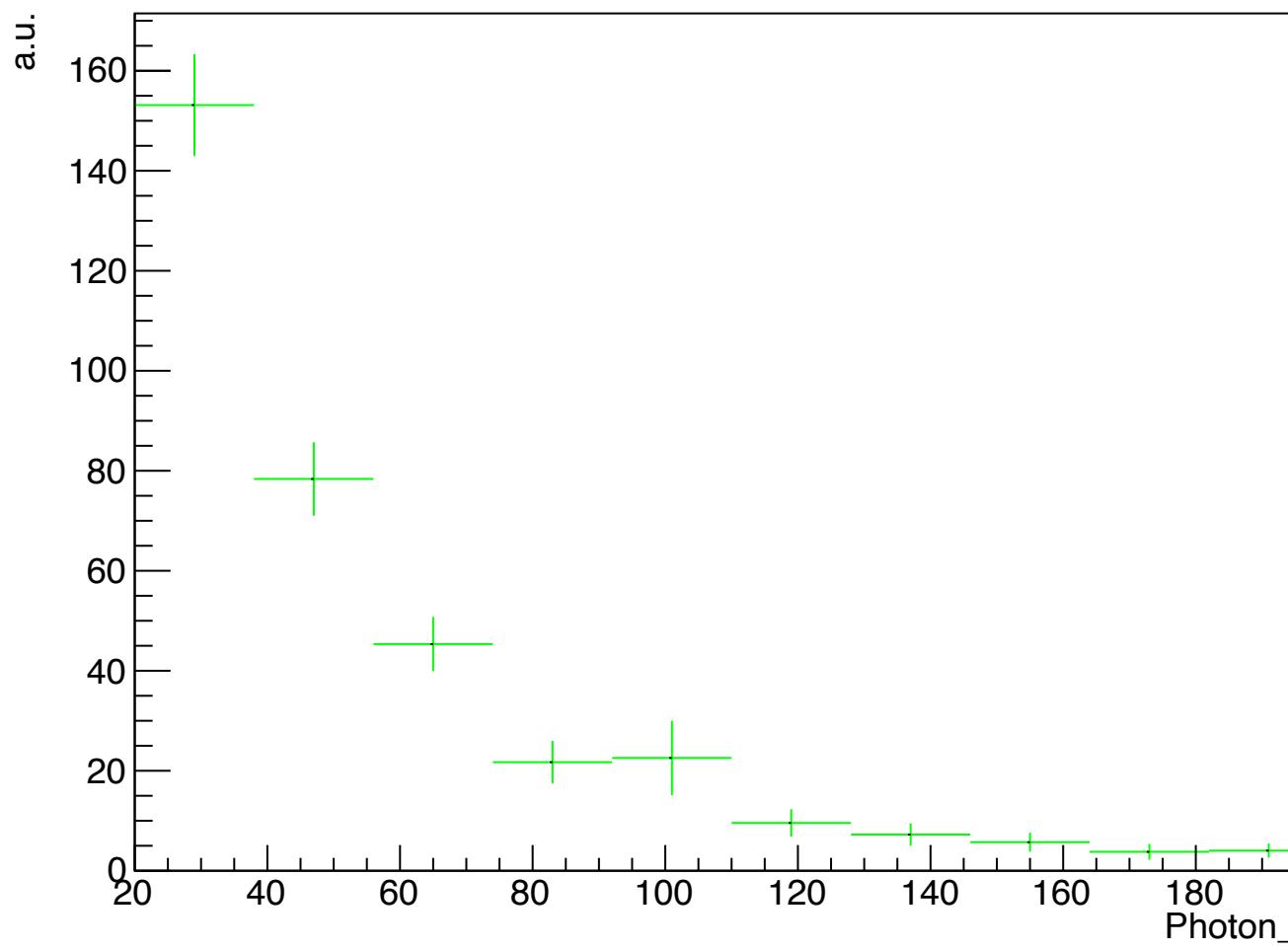


Linear parts c_{tB}

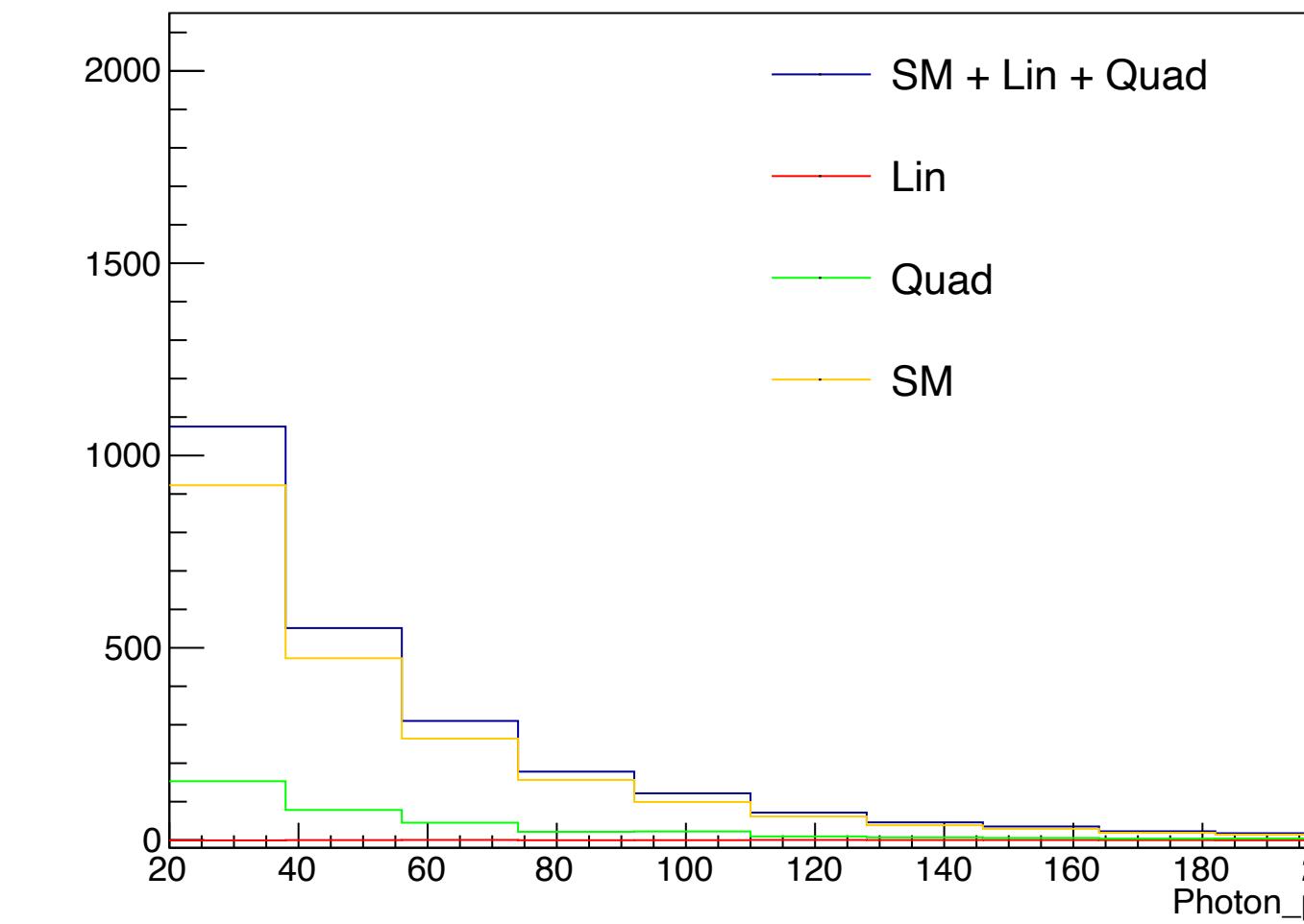


$$\begin{cases} \omega_{\text{Quad}} = 0.5 \cdot [\omega(k=1) + \omega(k=-1) - 2 \cdot \omega(k=0)] \\ \omega_{\text{SM}} = \omega(k=0) \\ \omega_{\text{Lin}} = 0.5 \cdot [\omega(k=1) - \omega(k=-1)] \\ \omega_{\text{Mix}} = \omega(1,1) + \omega(0,0) - \omega(1,0) - \omega(0,1) \end{cases}$$

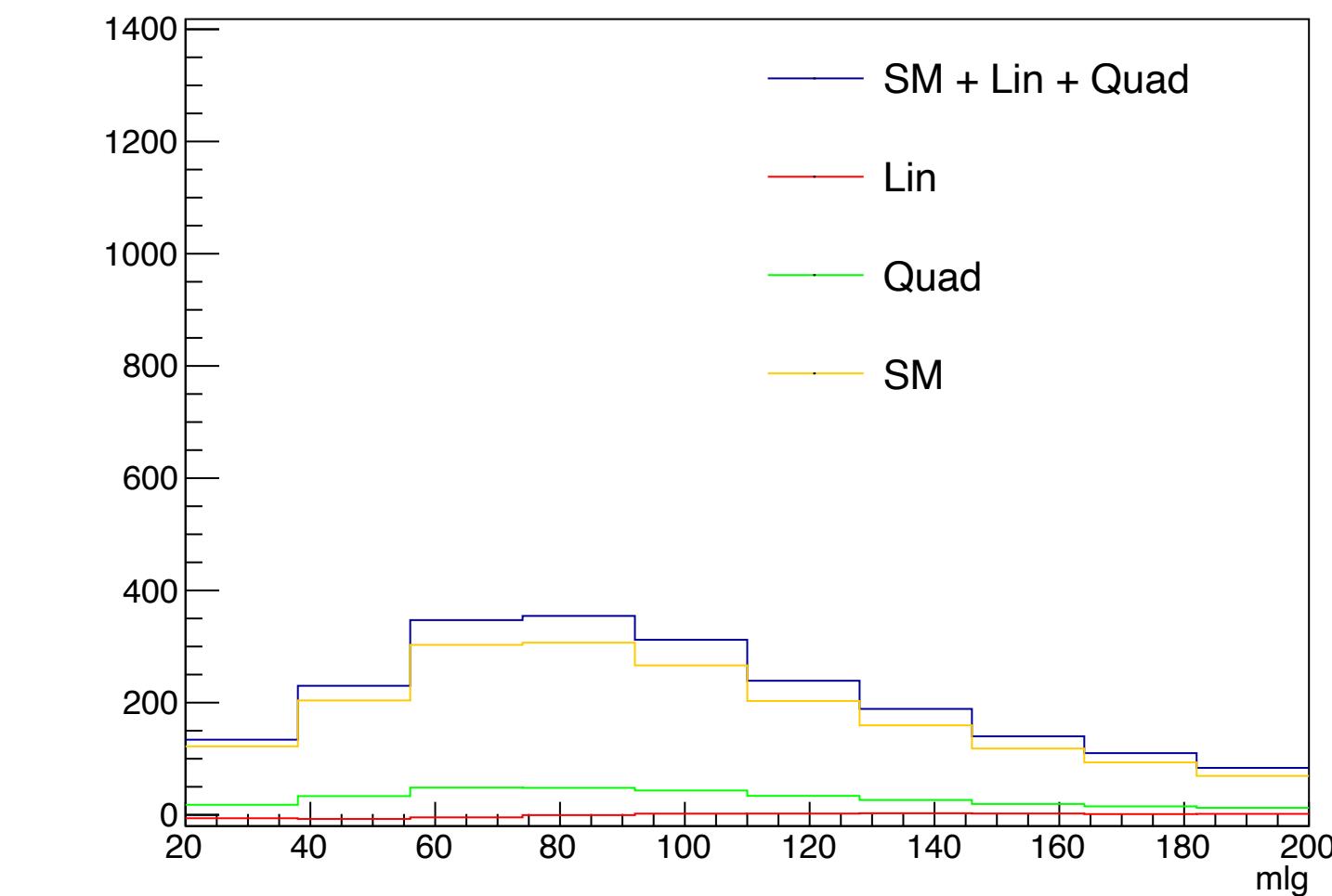
Quad parts c_{tB}



SM + Lin + Quad c_{tB}

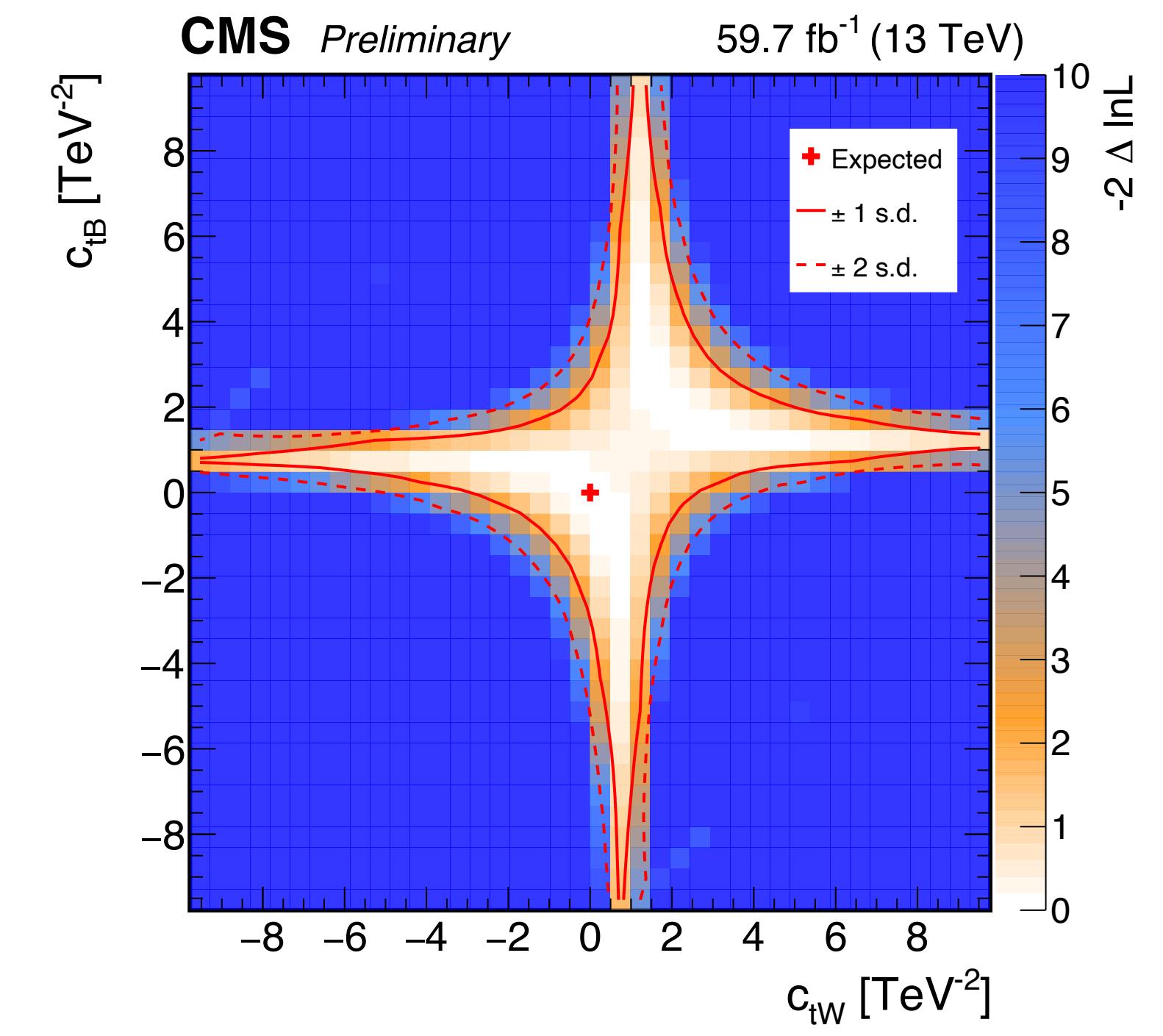
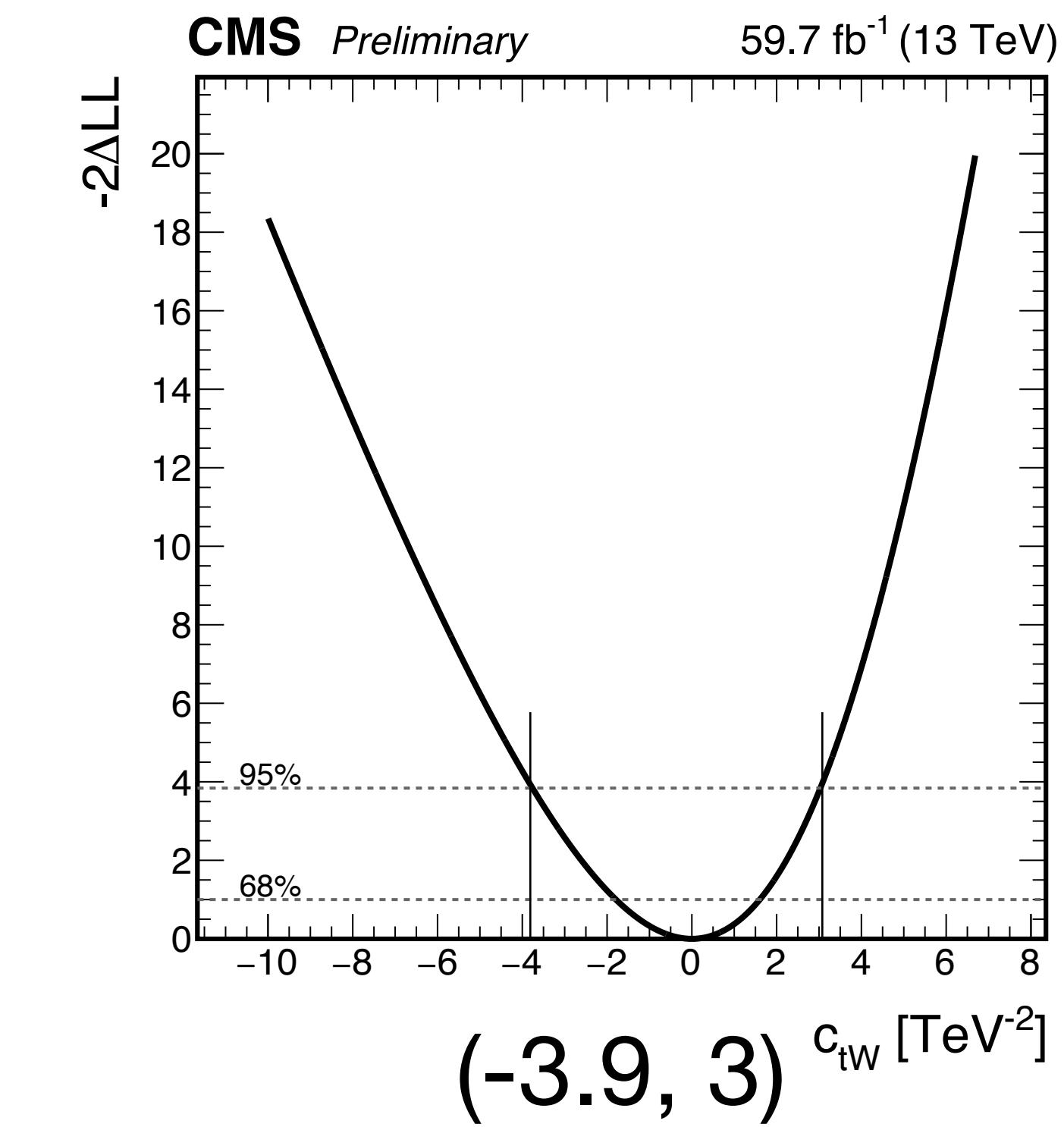
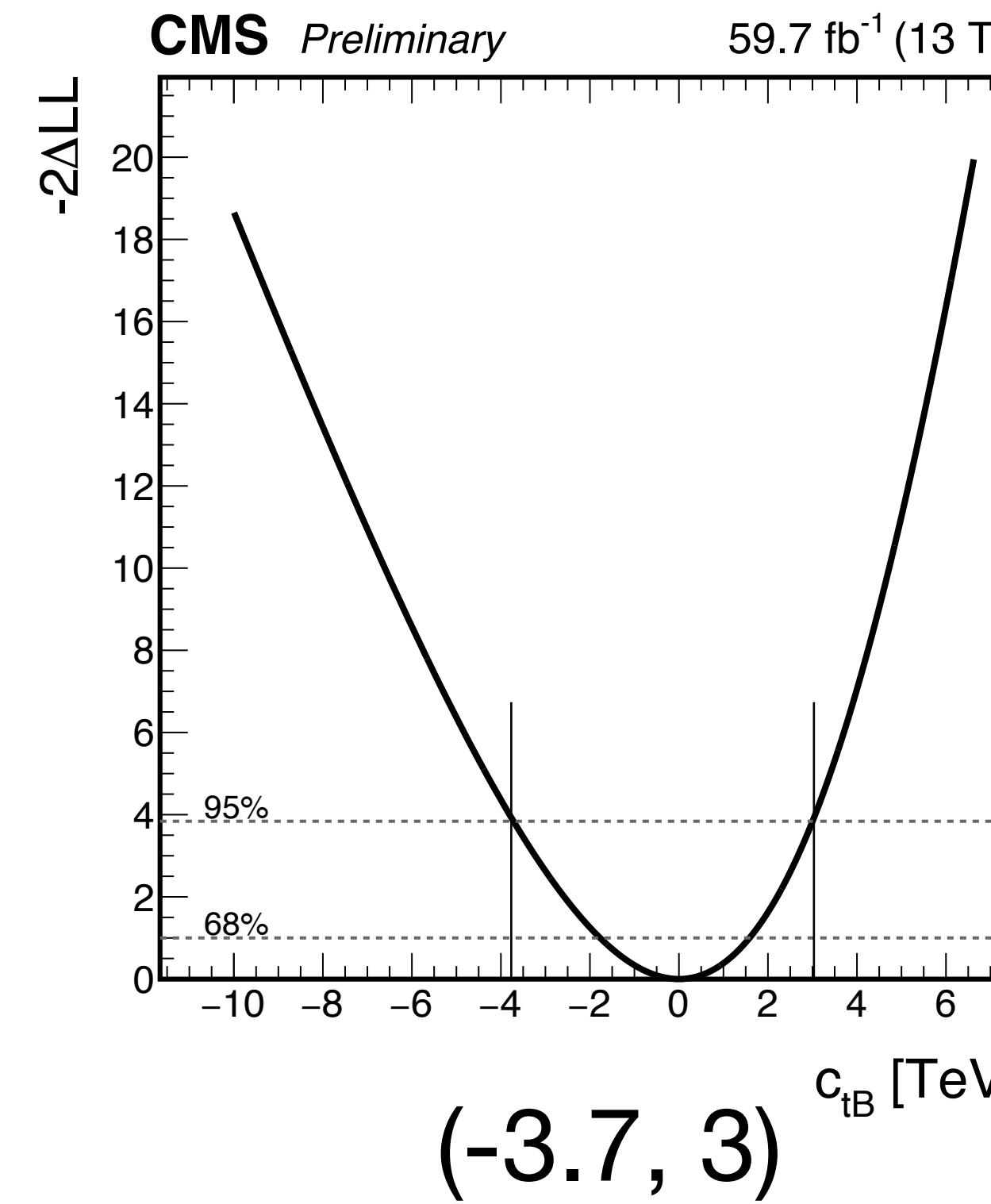


SM + Lin + Quad c_{tB}



EFT fit result

- POIs: the value of the coefficients
- Fit signal region ($N_j \geq 2$, $N_b \geq 1$) in photon p_T distributions
- All uncertainties considered but in InN style uncertainties → will update to shape
- Currently the fit is for $t\bar{q}q$ in 2018 data and MC muon channel



Summary

- Present the EFT framework for doing the EFT interpretation
 - Produce private gridpacks by SM and SMEFTsim models
 - Using reweighting approach to add EFT weights into NanoAOD
 - Preliminary EFT limits for operators $\Re c_{tG}$, $\Re c_{tW}$, $\Re c_{tB}$ (2018 muon channel)
- Open question:
 - EFT model: The current model SMEFTsim_topU3I_MwScheme_UFO somehow is not allowed to modify the cpv coefficient aka. the imaginary part
 - Unmatched event: How handle these events? Is that fine to just leave them there?
 - More operators?

Backup

tyq SM process

Official NLO tyq production

In 4-flavour scheme:

Process card

```
import model loop_sm-ckm
generate p p > t b~ j a $$ w+ w- [QCD] @0
add process p p > t~ b j a $$ w+ w- [QCD] @1
```

Madspind card

```
decay t > w+ b, w+ > ell+ vl
decay t~ > w- b~, w- > ell- vl~
```

Cross section: $2.909 \pm 0.013e$ pb (without decay)
 0.992 pb (considering ℓ branching ratio)

Private LO tyq production

In 4-flavour scheme:

Process card

```
import model sm-ckm
generate p p > t b~ j a $$ w+ w- , (t > w+ b, w+ > l+ vl) @0
add process p p > t~ b j a $$ w+ w- , (t~ > w- b~, w- > l- vl~) @1
```

Cross section: 0.7209 ± 0.002831 pb

tyq EFT process with reweight

tyq LO production with 4-flavour scheme:

Process card

```
import model SMEFTsim_topU3L_MwScheme_UFO-massless
generate p p > t b~ j a $$ w+ w- NP=1, (t > w+ b NP=0, w+ > l+ vl NP=0) @0 SMHLOOP=0
add process p p > t~ b j a $$ w+ w- NP=1, (t~ > w- b~ NP=0, w- > l- vl~ NP=0) @1 SMHLOOP=0
```

Cross section with SM weight: 0.82 ± 0.096 pb (1.26 pb with $c_{t\gamma} = 25$)

t_tγ SM process

Official t_tγ (NLO or LO) production

NLO production with 5-flavour scheme:

Process card

```
import model loop_sm-ckm_no_b_mass
generate p p > t t~ a [QCD] @0
add process p p > t t~ a j [QCD] @1
```

Cross section: 6.052 +- 0.014 pb (All decays)

~2.58 pb for semi-leptonic decay

LO production with 5-flavour scheme:

Process card

```
import model sm-ckm_no_b_mass
generate p p > t t~ > l+ vl b ds uc~ b~ a
add process p p > t t~ > uc ds~ b l- vl~ b~ a
```

Cross section: 5.121 +- 0.003712 pb

Private LO t_tγ production

LO production with 5-flavour scheme:

Process card

```
import model sm-ckm_no_b_mass
generate p p > t t~ a, (t > w+ b, w+ > l+ vl), (t~ > w- b~, w- >
uc~ ds) @0
add process p p > t t~ a, (t > w+ b, w+ > uc ds~), (t~ > w-
b~, w- > l- vl~) @1
```

Cross section: 0.6145 +- 0.00173 pb

t $\bar{t}\gamma$ EFT process with reweight

t $\bar{t}\gamma$ LO production with 4-flavour scheme:

Process card

```
import model SMEFTsim_topU3L_MwScheme_UFO-massless
generate p p > t t~ a NP=1, (t > w+ b NP=0, w+ > l+ vl NP=0), (t~ > w- b~ NP=0, w- > uc~ ds NP=0) @0 SMHLOOP=0
add process p p > t t~ a NP=1, (t > w+ b NP=0, w+ > uc ds~ NP=0), (t~ > w- b~ NP=0, w- > l- vl~ NP=0) @1 SMHLOOP=0
```

Cross section with SM weight: 0.73 ± 0.078 pb (16.8 pb with $c_{t\gamma} = 25$)

t $\bar{t}\gamma$ LO production with 5-flavour scheme:

Process card

```
import model SMEFTatNLO-LO
generate p p > t t~ a NP=2, (t > w+ b NP=0, w+ > l+ vl NP=0), (t~ > w- b~ NP=0, w- > uc~ ds NP=0) @0
add process p p > t t~ a NP=2, (t > w+ b NP=0, w+ > uc ds~ NP=0), (t~ > w- b~ NP=0, w- > l- vl~ NP=0) @1
```

Cross section with SM weight: 0.66 ± 0.029 pb (4.34 pb with $c_{tZ} = c_{tW} = c_{t\gamma} = 7.5$)