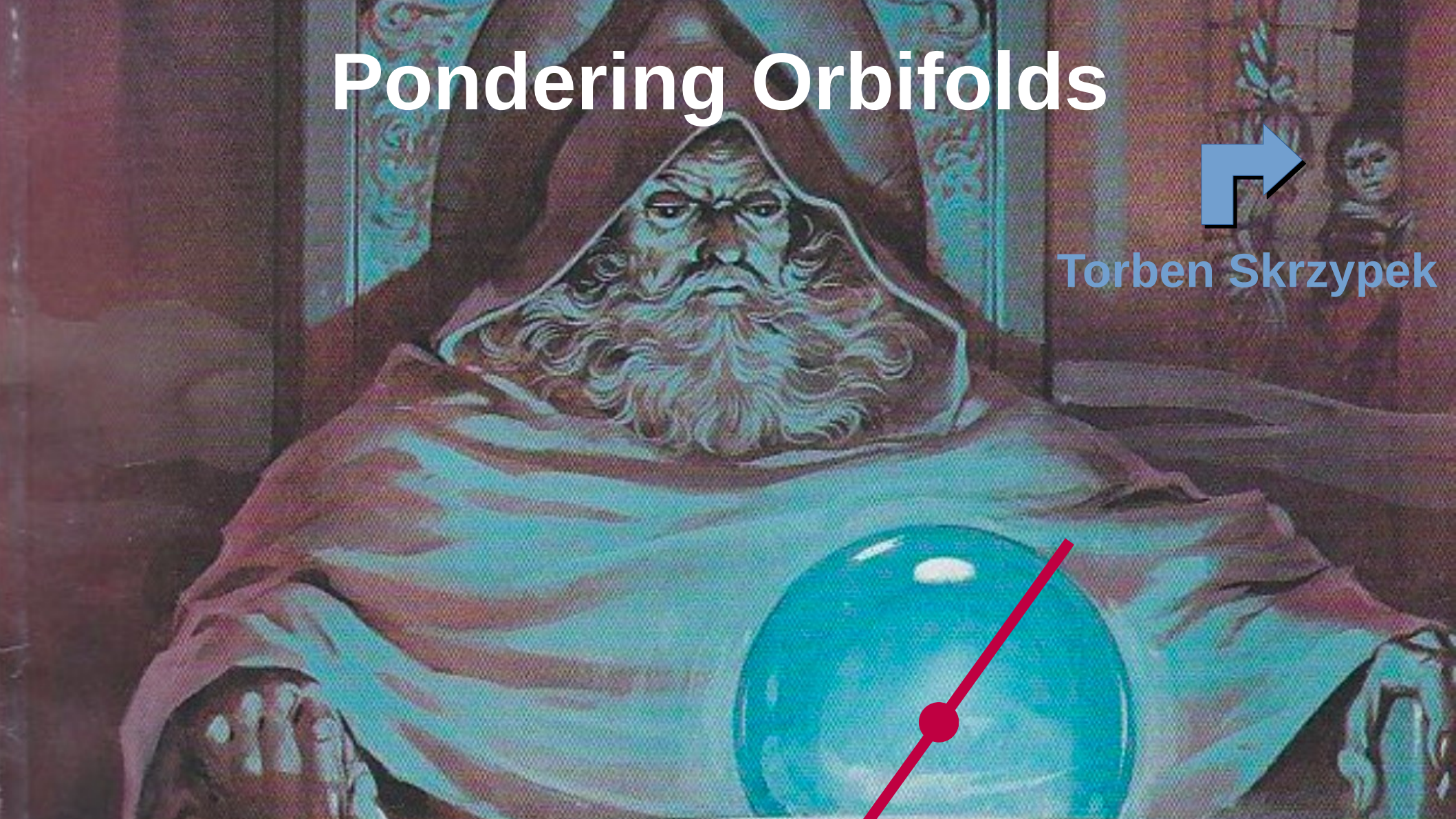


Pondering Orbifolds



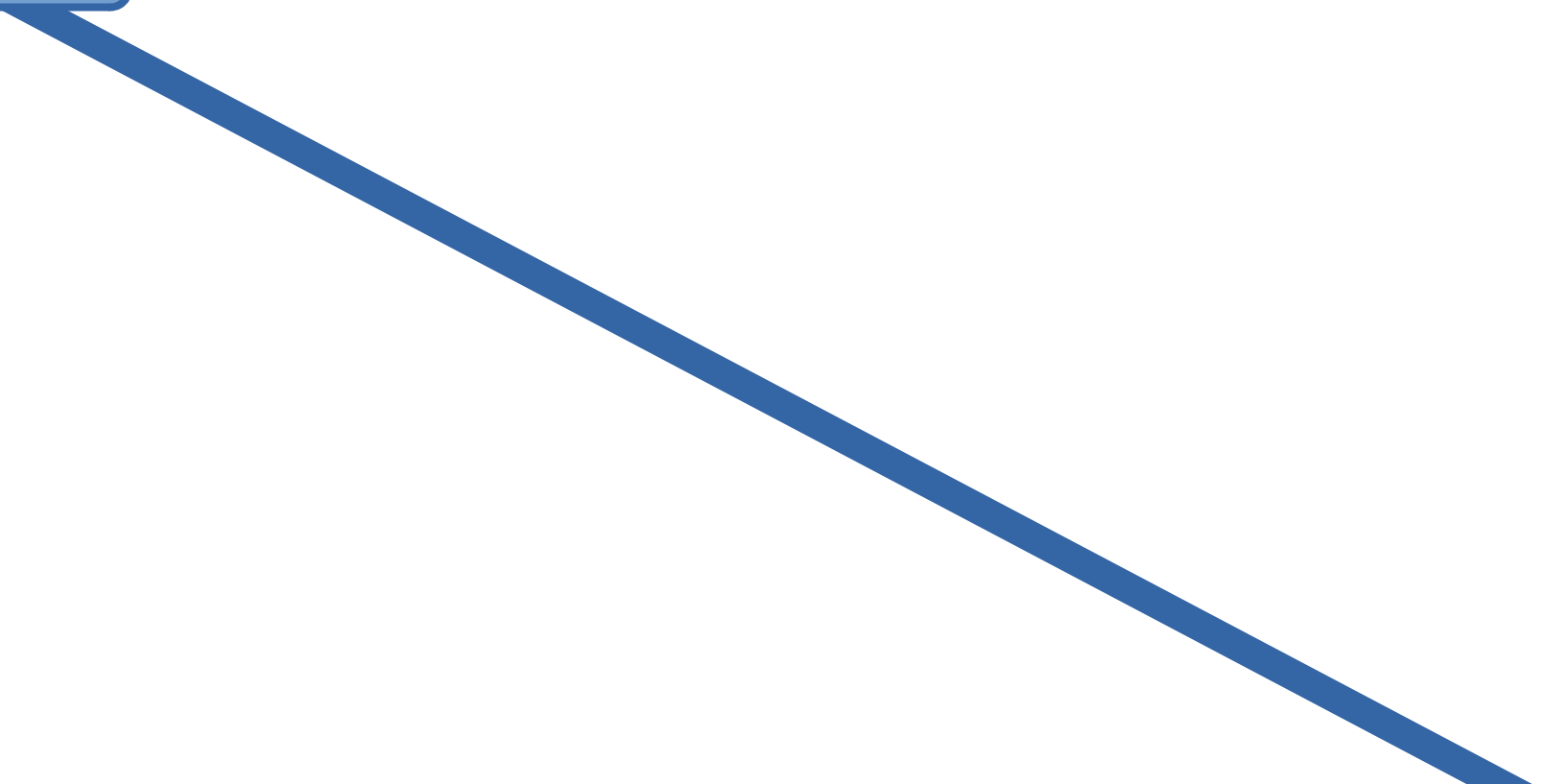
Torben Skrzypek





Marburg

About me

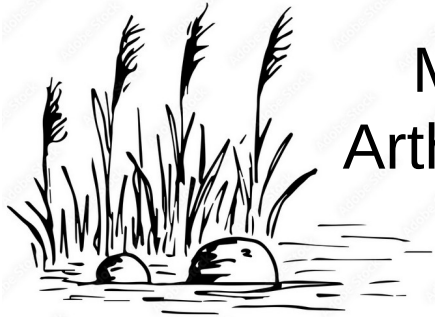


About me



Marburg

Heidelberg



Master with
Arthur Hebecker

About me



Marburg



PhD with
Arkady Tseytlin

Heidelberg

London

Master with
Arthur Hebecker



About me



Marburg



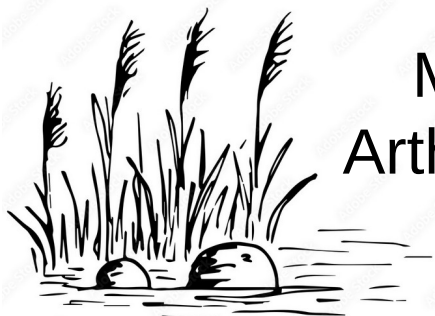
PhD with
Arkady Tseytlin

Heidelberg

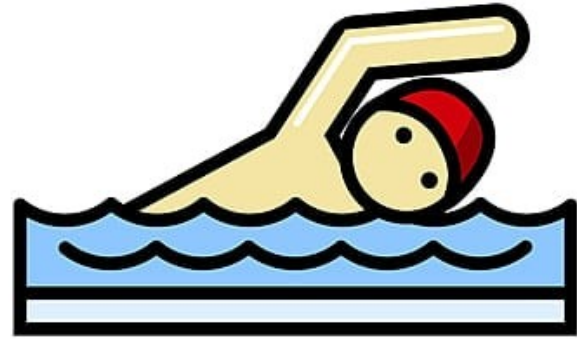
London

Master with
Arthur Hebecker

Hamburg



What I do (life edition)



What is...

What is...

- Take spacetime M with discrete symmetry Γ

What is...

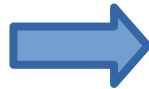
- Take spacetime M with discrete symmetry Γ
- Consider quotient space M/Γ

What is...

- Take spacetime M with discrete symmetry Γ
- Consider quotient space M/Γ
- Project field configurations in M to Γ -invariant states

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Untwisted Sector

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Untwisted Sector

- Allow for strings closing up to Γ -action

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Twisted Sector

Example 1

- Take \mathbb{R} with \mathbb{Z} -symmetry $x \rightarrow x + R$



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- Quotient space $\mathbb{R}/\mathbb{Z} = S^1$

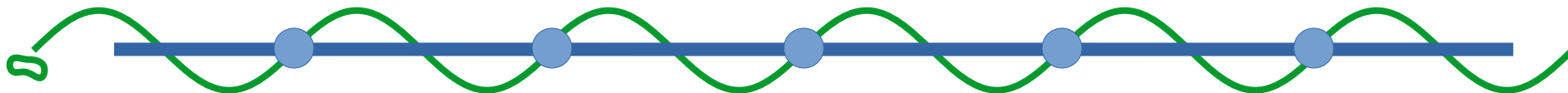
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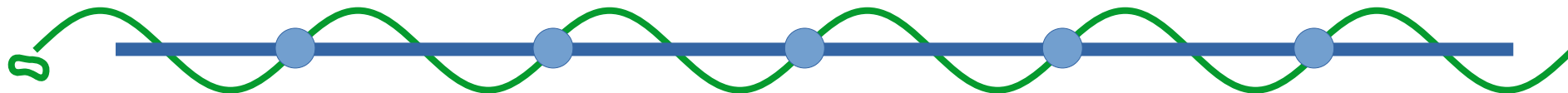
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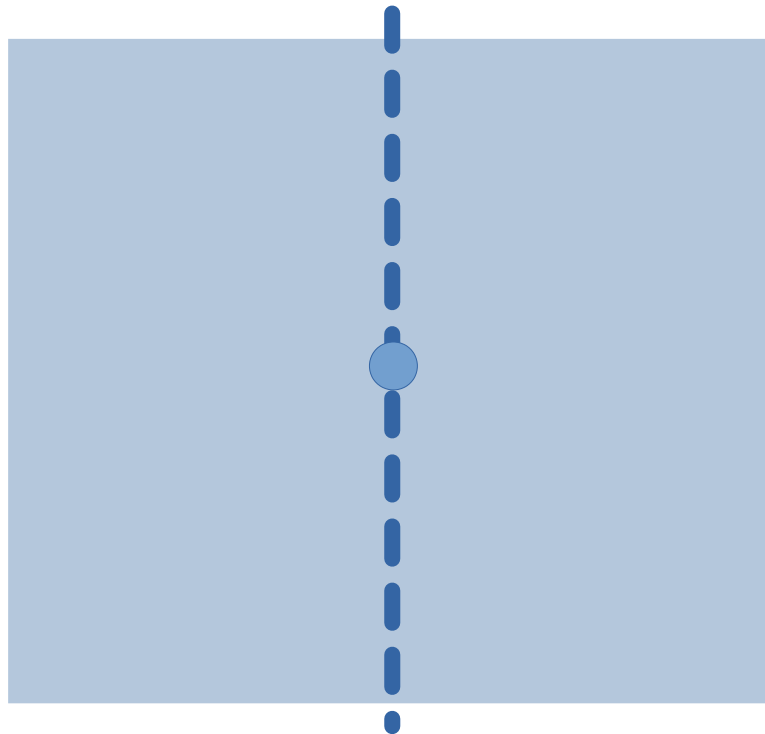


- Twisted sector $x(2\pi) = x(0) + mR$



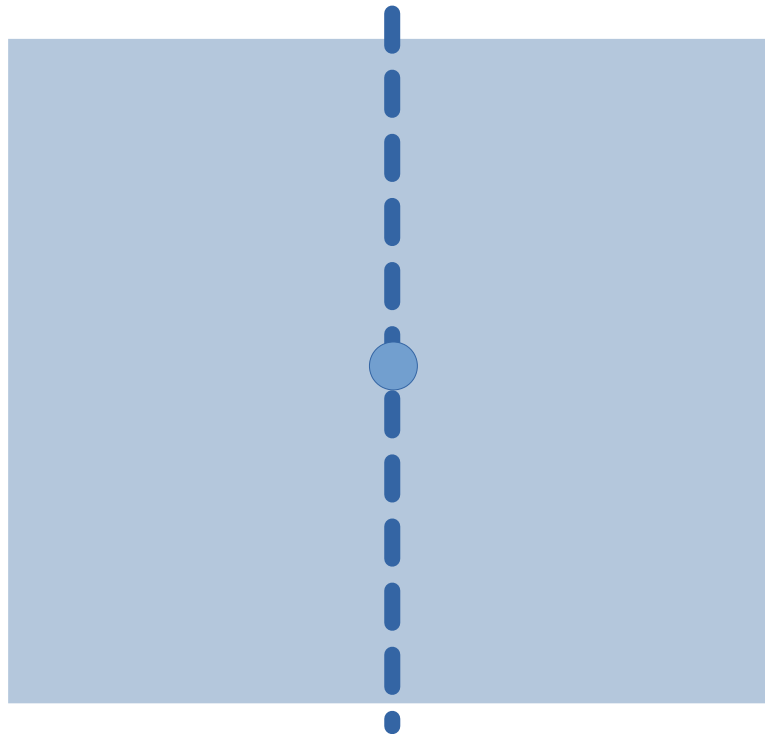
Example 2

- Take \mathbb{C} with \mathbb{Z}_2 rotational symmetry $x \rightarrow -x$



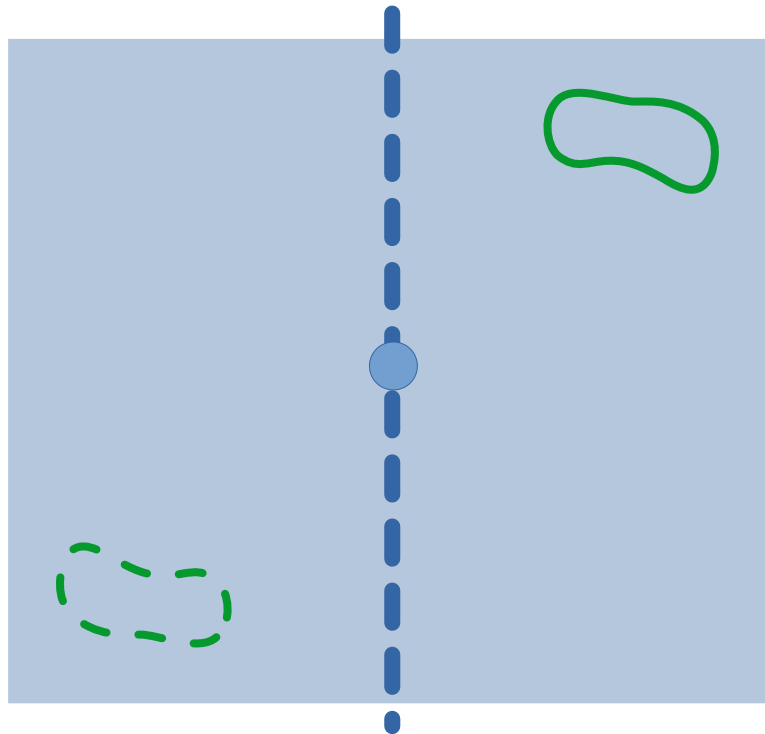
Example 2

- Take \mathbb{C} with \mathbb{Z}_2 rotational symmetry $x \rightarrow -x$
- Conical singularity at the origin (fixpoint)



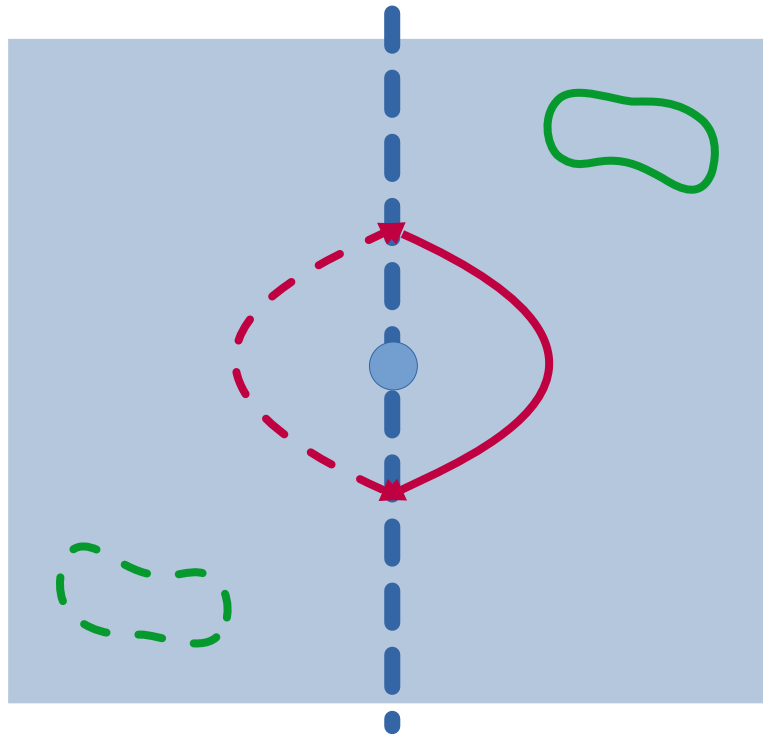
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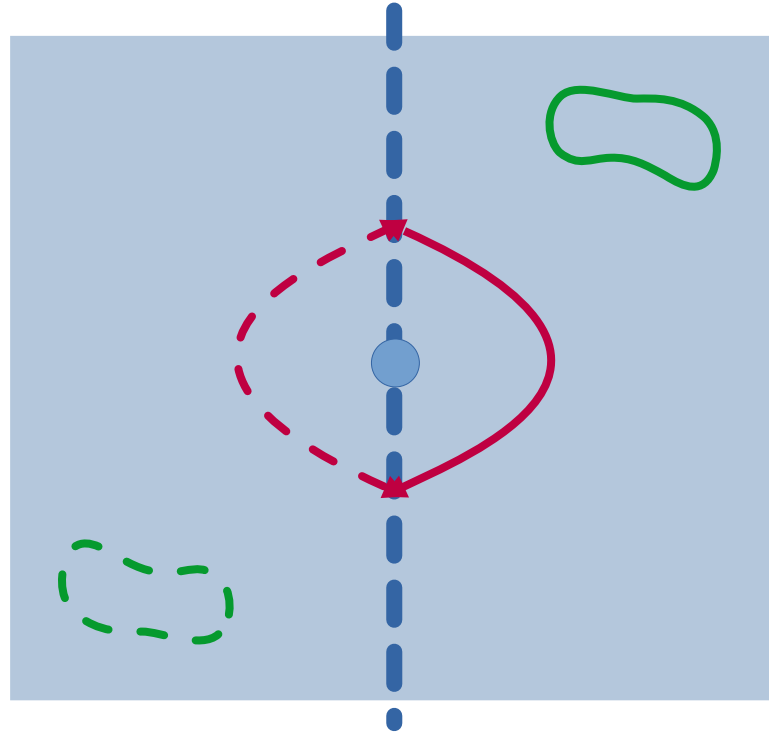
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Example 2

- Take \mathbb{C} with \mathbb{Z}_2 rotational symmetry $x \rightarrow -x$
- Conical singularity at the origin (fixpoint)
- Twisted sector localises on fixpoint

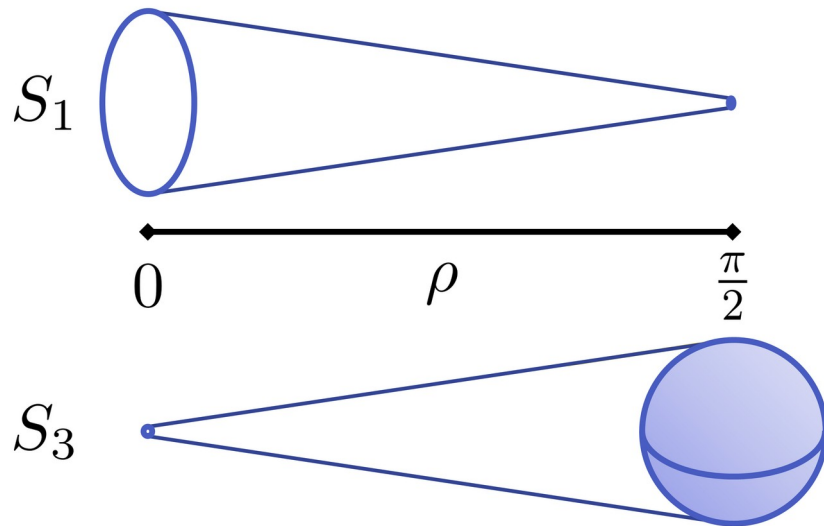


Example 3

- Take S^5 with \mathbb{Z}_2 symmetry $(X_1, X_2, X_3) \rightarrow (-X_1, -X_2, X_3)$

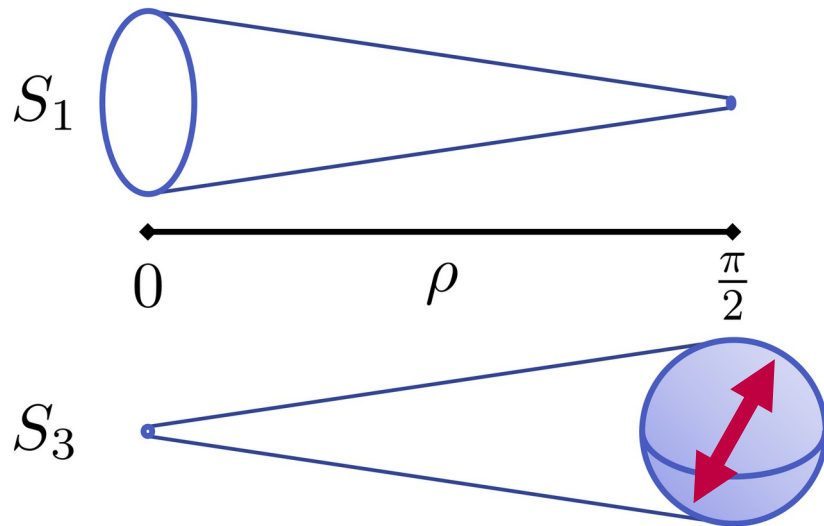
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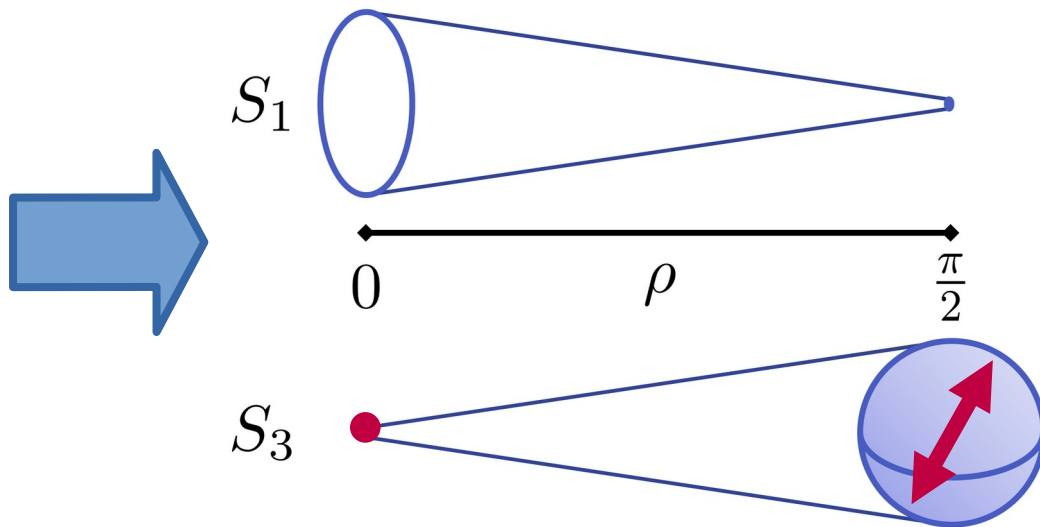
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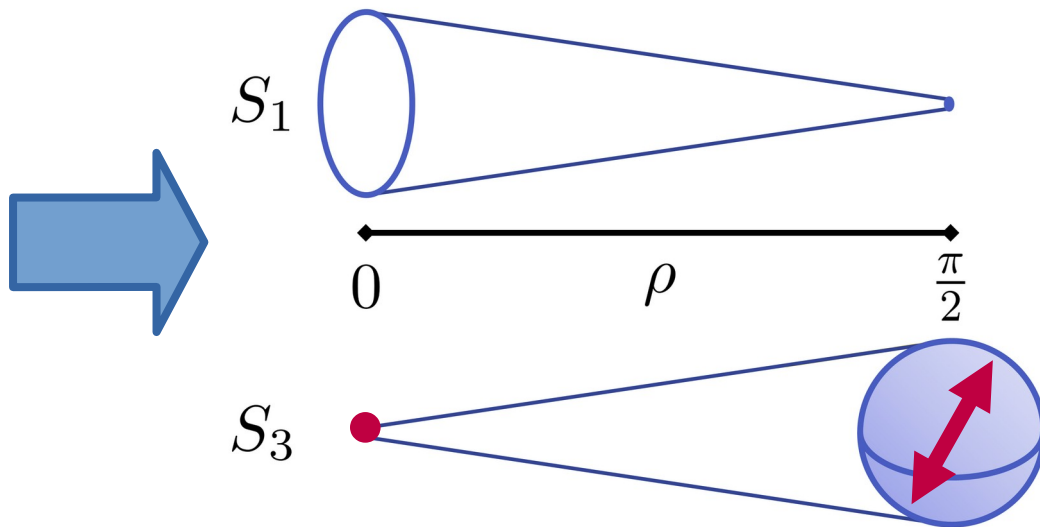
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- Conical singularity on the circle $(0, 0, \exp(i\chi))$
- Twisted sector localised on this circle



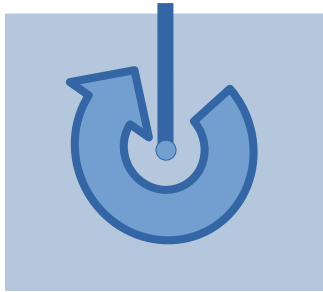
Why?

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No fermions,
type 0 string theory

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- Theory remains well behaved (e.g. integrable)

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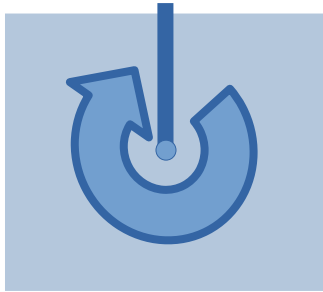


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type 0 string theory

- Theory remains well behaved (e.g. integrable)
- AdS/CFT to study orbifold CFTs

Why?

- Orbifolding can break supersymmetry explicitly, e.g.



No fermions,
type 0 string theory

- Theory remains well behaved (e.g. integrable)
- AdS/CFT to study orbifold CFTs
- Template for more advanced compactifications (original motivation was to understand K3)

What I do (work edition)

What I do (work edition)

Use integrability, localisation, supergravity, witchcraft
to Study orbifolds in AdS/CFT such as

What I do (work edition)

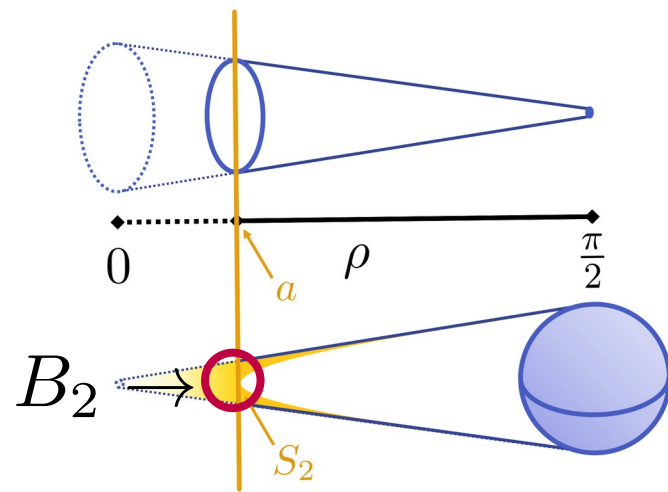
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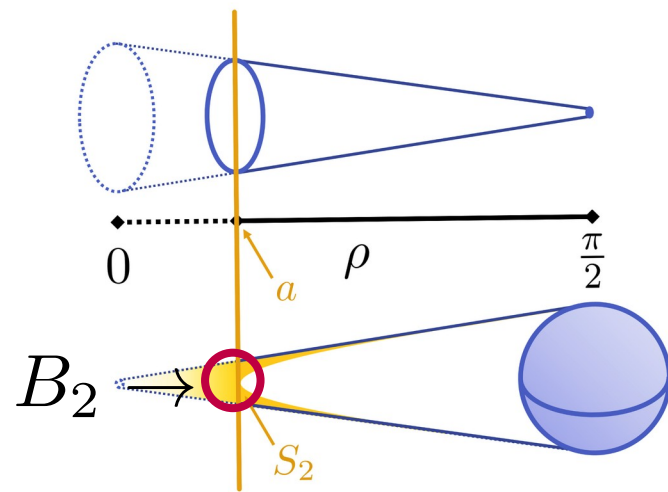
- Type 0B string theory
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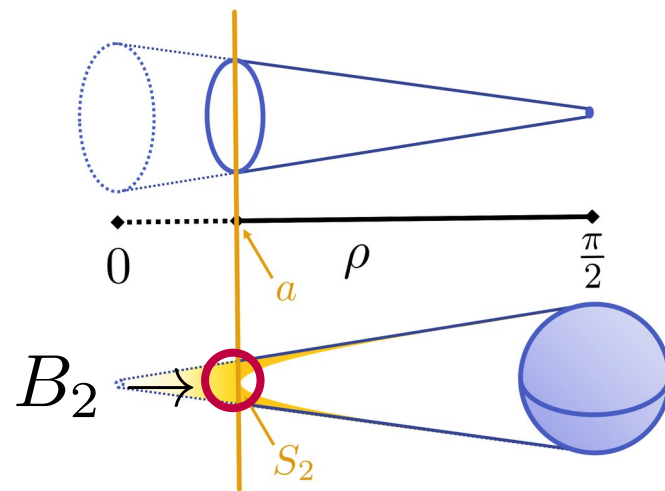
- Type 0B string theory
- $N=2$ orbifold theory and its deformation
- Orientifolds theory (w/ open strings)



What I do (work edition)

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to Study orbifolds in AdS/CFT such as

- Type 0B string theory
- $N=2$ orbifold theory and its deformation
- Orientifolds theory (w/ open strings)



Side hustles: Symmetric orbifold CFT, SUGRA,...



Thank you !