



# ECAL-NPOD

## Vertex reconstruction

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# Targets

## Assuming no background

- Separation power:
  - If the (two signal) showers overlap, until how close are they can we separate them?  
Quantified by clustering efficiency
  - What if there are background showers?
  - ... the photons have different energies?
- Reclustering
- Reconstruction  
Quality quantified by the residues of
  - vertex position
  - $p_T$
  - $\cos(\Delta\phi)$

## Particle identification

- Given a shower created by one particle, how good can we determine which kind of particle generate this shower?  
Quantified by likelihood (see MAS)

## Workflow

- Clustering (more than two clusters?)
- PID (two photons?)
- Reclustering (possible vertex?)
- Reconstruction

Codes at [this GitHub repository](#)

- Reminder: Reconstruction targets
- Reminder: dd4hep/Marlin
  - Optimization
- Results
  - Power of separation
  - Reconstruction

# Simulation

- Geometry description of ECAL-E in dd4hep
- Standalone ECAL-E simulated by ddsim
  - Vacuum outside
- Facile digitization:
  - Hit deposit smearing 10%
  - Hit deposit cut at 1/2 MIP
- Gun relocated to avoid stave gaps
- Gun position smearing removed

Simulations for analysis:

- Mono-energetic particle sims
  - 0.5, 1.5, 3.5 GeV
- Two-particle sims for clustering
  - Parallel with various distances in between
    - $z = -1.0$  m; scanning  $\Delta x$
    - From a fixed vertex with various angles
      - $z = -2.5$  m; scanning angles
- Flat-spectrum sims for PID (by MAS)
  - 0.5-3.0 GeV

dd4hep scripts at [this GitHub path](#)

# Reconstruction

- Separation power (parallel sim.)
  - Nearest-neighbour clustering
  - Optimised for different energies
  - The deposits of the two clusters should be close enough ( $0.5 < \text{ratio} < 2.0$ )
  - How close the neighbours are?
    - dCut:  $\sqrt{[15^2 + (5.5*d)^2]}$  mm;  $d = 1, 2, 3$
    - eCut: 1, 2, ..., 10 MIPs
- Use the optimised parameters to continue with vertex simulations
  - Reclustering
    - Along parallel cylinders
  - Reconstruction
    - $vX_{\{x, y, z\}}$  vertex position residues
    - $p_T$  transverse momentum
    - $\text{mass} = \sqrt{(E^2 - p_z^2 - p_T^2)}$
    - $\cos(\Delta\text{phi})$

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More neighbours



$E = 0.5 \text{ GeV}, \Delta x = 50 \text{ mm}$

	1	2	3	4	5	6	7	8	9	10
16.0	74.9%	64.2%	43.8%	19.9%	6.6%	1.9%	0.5%	0.2%	0.1%	0.0%
18.6	<u>75.3%</u>	65.2%	47.0%	22.4%	7.8%	2.3%	0.6%	0.2%	0.1%	0.0%
22.3	74.6%	65.4%	48.2%	23.7%	8.3%	2.4%	0.6%	0.2%	0.1%	0.0%

$E = 1.5 \text{ GeV}, \Delta x = 50 \text{ mm}$

	1	2	3	4	5	6	7	8	9	10
16.0	<u>94.8%</u>	89.4%	83.3%	77.3%	71.9%	63.0%	49.8%	35.5%	22.3%	12.5%
18.6	89.4%	89.6%	83.8%	77.9%	72.4%	64.0%	51.5%	37.0%	23.5%	13.3%
22.3	75.7%	85.8%	82.8%	77.8%	72.3%	64.3%	52.3%	37.7%	24.3%	13.8%

$E = 3.5 \text{ GeV}, \Delta x = 50 \text{ mm}$

	1	2	3	4	5	6	7	8	9	10
16.0	89.1%	97.5%	<u>97.6%</u>	96.3%	94.3%	92.2%	90.0%	87.4%	85.2%	81.9%
18.6	61.5%	89.2%	95.3%	95.6%	94.2%	92.3%	89.9%	87.4%	85.1%	82.0%
22.3	29.1%	70.8%	88.5%	93.3%	93.5%	91.9%	89.9%	87.4%	85.1%	82.0%

More neighbours



More neighbours



$E = 1.5 \text{ GeV}, \Delta x = 30 \text{ mm}$

	1	2	3	4	5	6	7	8	9	10
16.0	46.6%	72.9%	<u>77.3%</u>	74.8%	70.8%	62.2%	49.7%	35.5%	22.3%	11.7%
18.6	16.8%	48.6%	65.4%	69.2%	68.2%	61.7%	50.3%	36.7%	23.5%	12.6%
22.3	4.2%	25.2%	47.3%	58.0%	62.6%	58.5%	49.3%	36.5%	23.6%	12.8%

$E = 1.5 \text{ GeV}, \Delta x = 50 \text{ mm}$

	1	2	3	4	5	6	7	8	9	10
16.0	<u>94.8%</u>	89.4%	83.3%	77.3%	71.9%	63.0%	49.8%	35.5%	22.3%	12.5%
18.6	89.4%	89.6%	83.8%	77.9%	72.4%	64.0%	51.5%	37.0%	23.5%	13.3%
22.3	75.7%	85.8%	82.8%	77.8%	72.3%	64.3%	52.3%	37.7%	24.3%	13.8%

$E = 1.5 \text{ GeV}, \Delta x = 70 \text{ mm}$

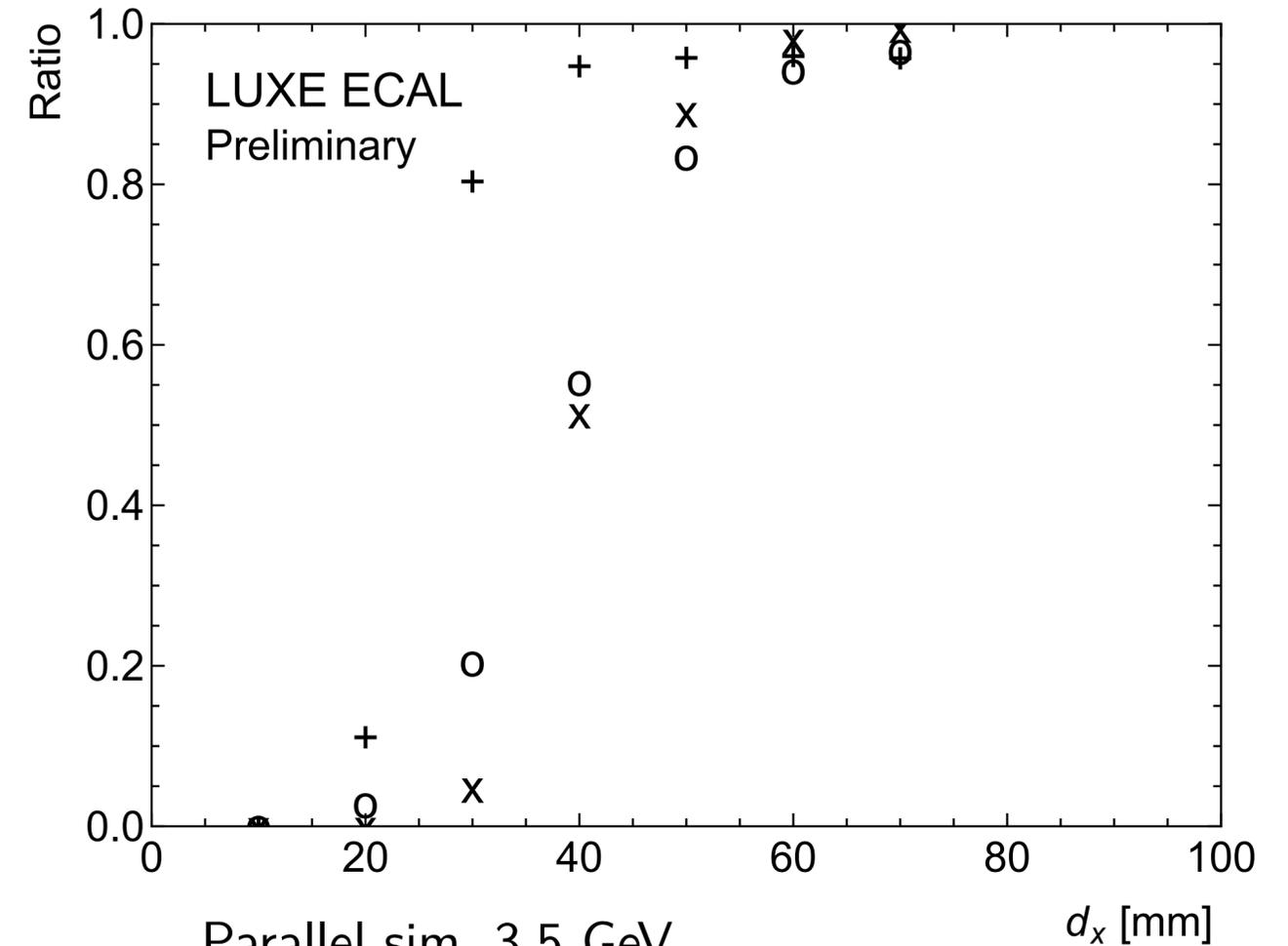
	1	2	3	4	5	6	7	8	9	10
16.0	95.8%	89.1%	81.1%	74.4%	67.5%	58.6%	44.0%	29.2%	16.7%	8.4%
18.6	<u>96.5%</u>	90.5%	82.7%	75.4%	68.4%	59.9%	45.5%	30.6%	17.9%	9.3%
22.3	95.7%	90.8%	83.2%	75.9%	68.7%	60.1%	46.3%	31.5%	18.4%	9.7%

More neighbours



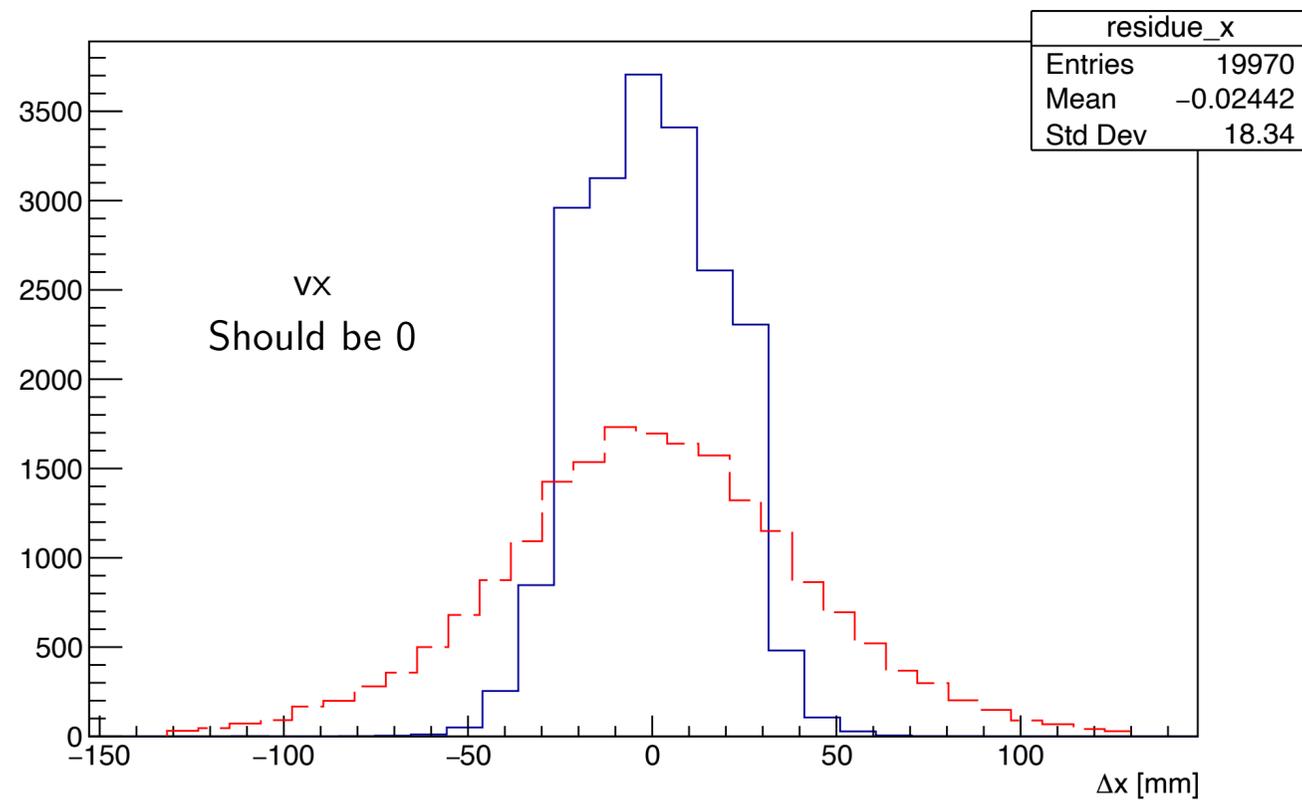
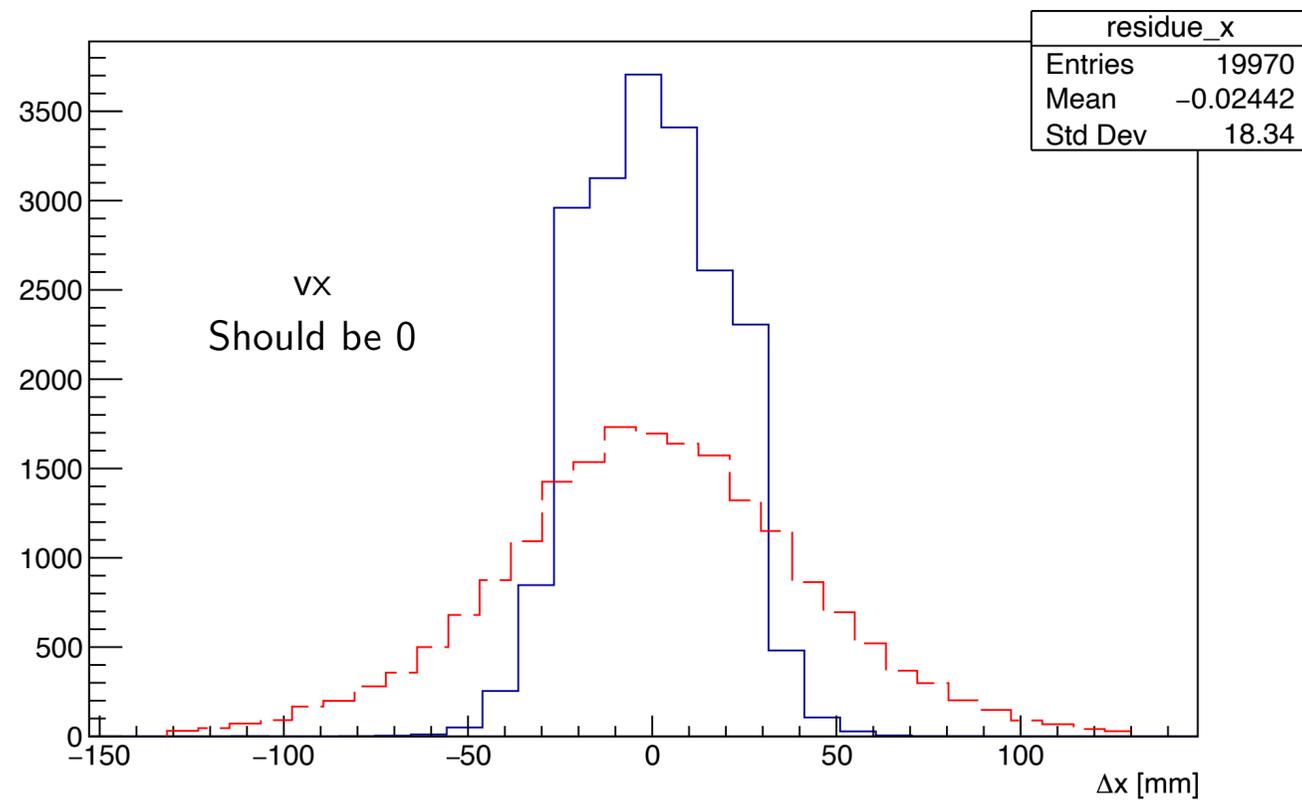
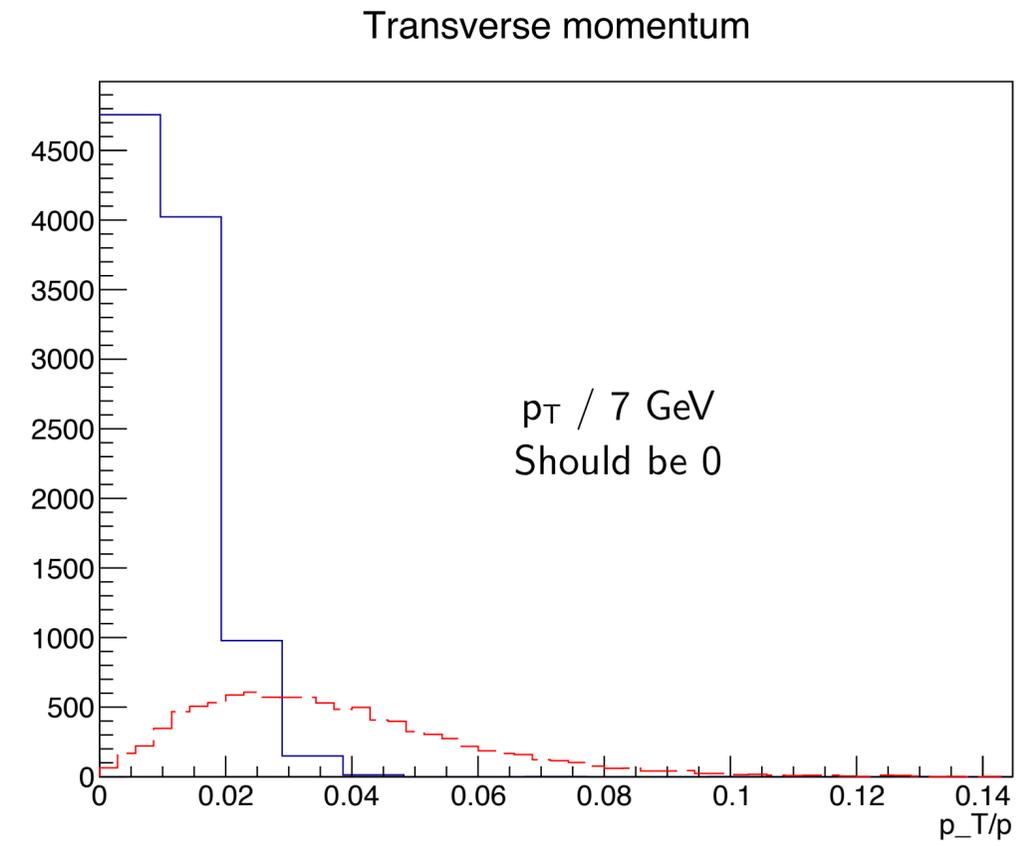
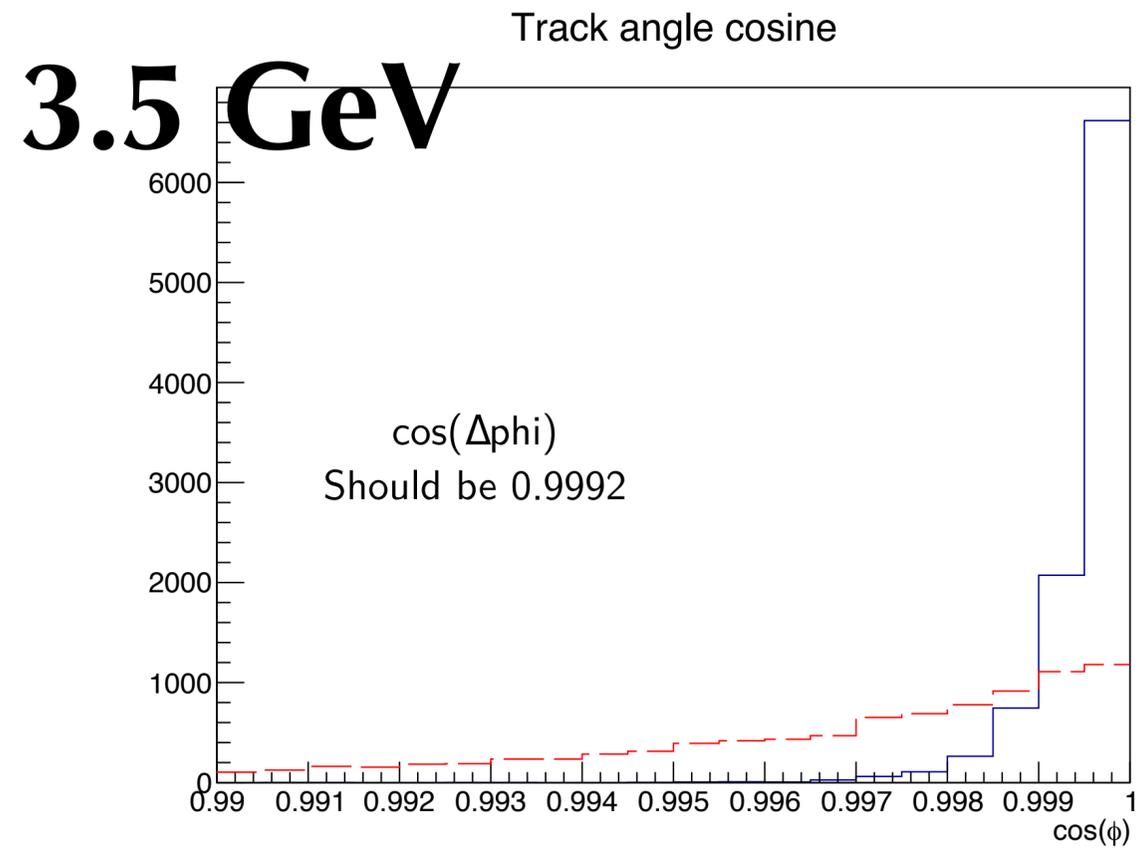
# Power of separation

- Tune the parameter to fit
  - the (estimated) signal energy
    - Lower energy requires more neighbours
  - the requirement of separation
    - Closer showers require stricter cut
- To test the best performance w/o taking the clustering error into account, wide separated samples are used for vertex recon.
- $\Delta\phi = 0.04 \text{ rad} = 2.3^\circ$
- NNClustering parameters:
  - eCut = 1 MIP
  - dCut = 22, 18, 16 mm (for 0.5, 1.5, 3.5 GeV)

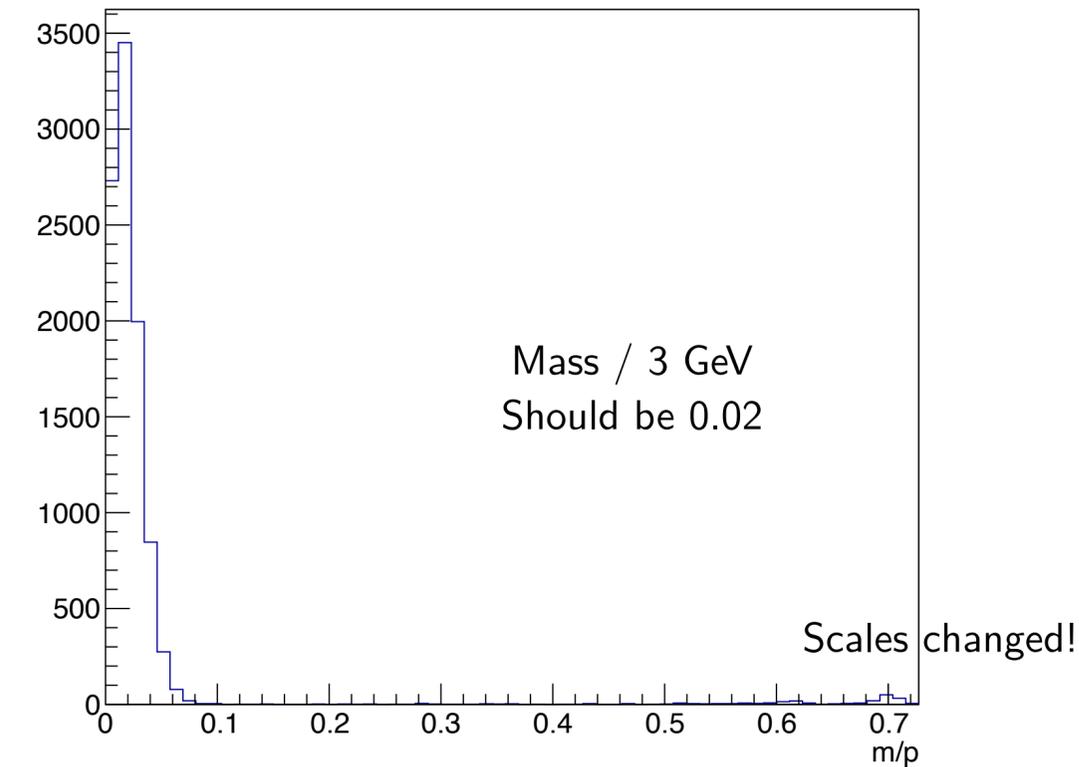
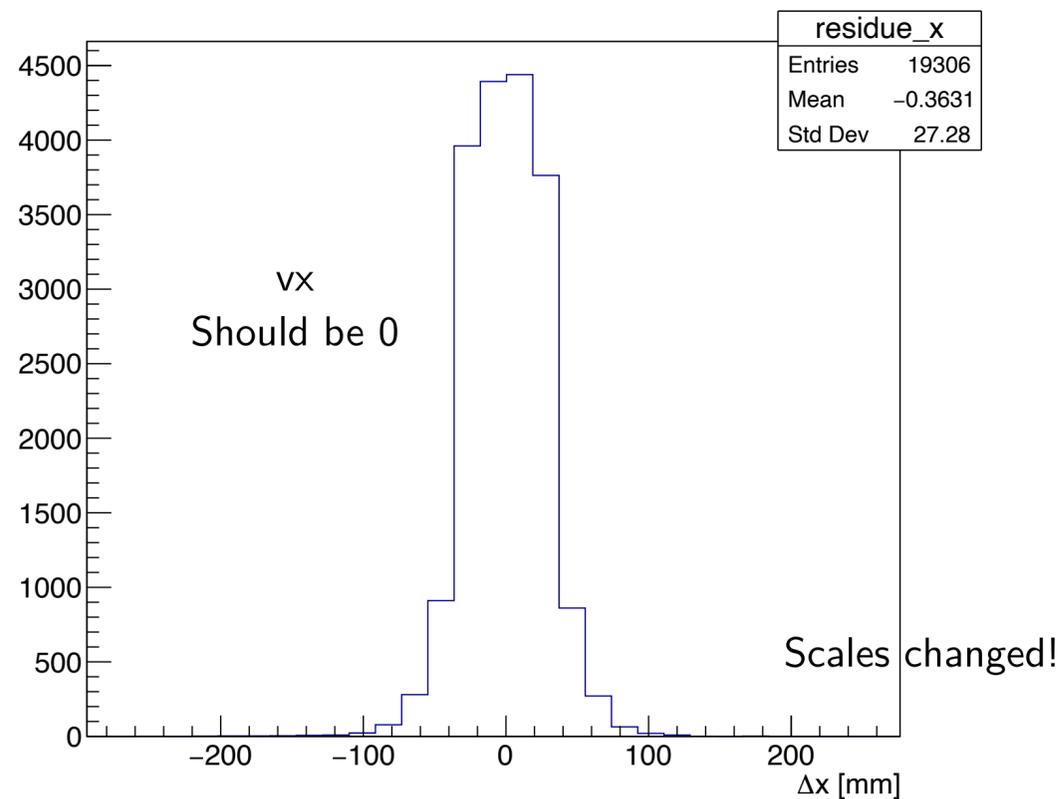
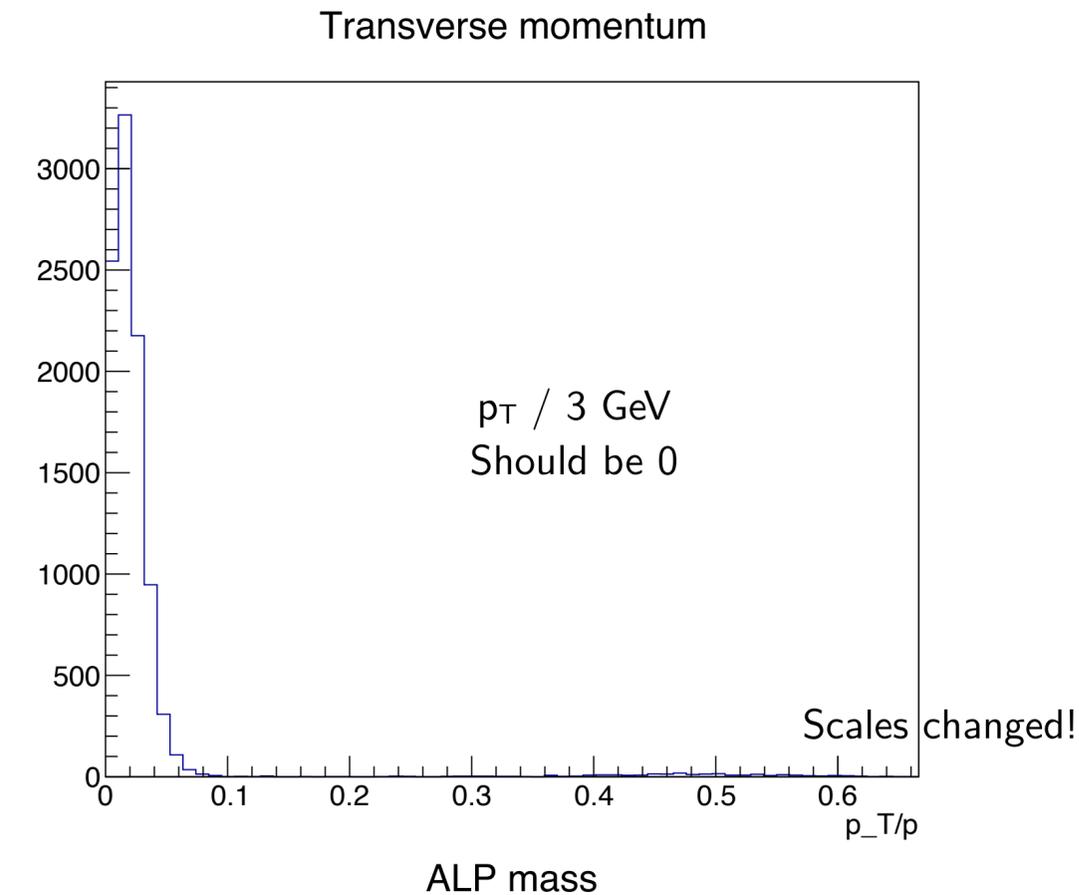
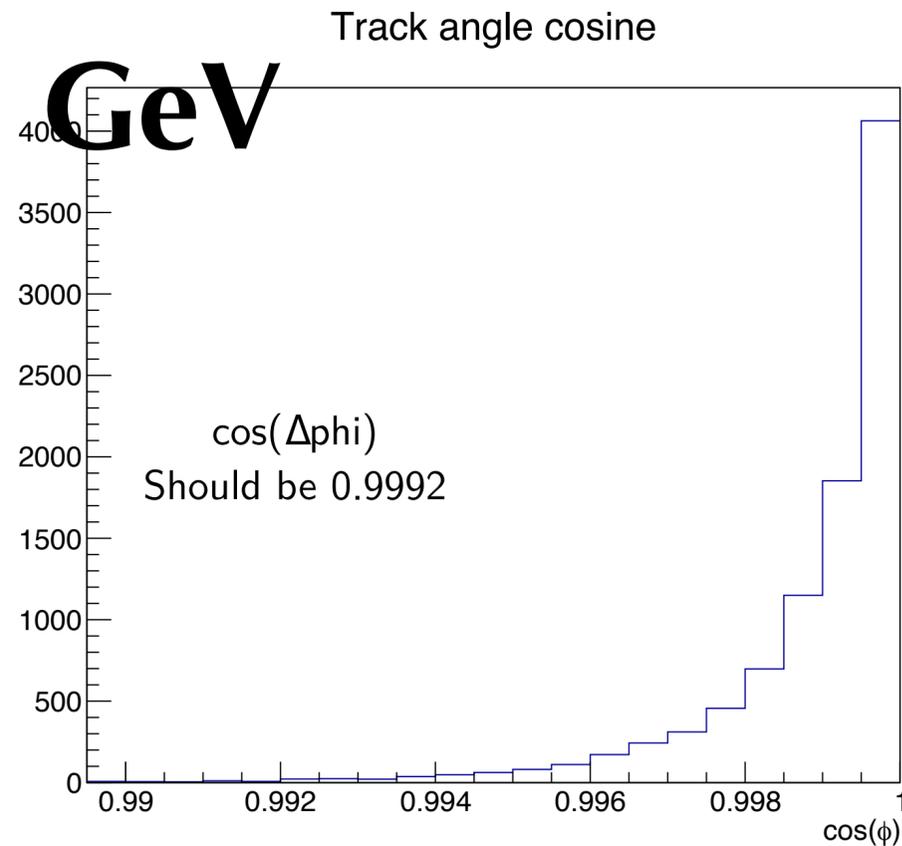


- o dCut = 18, eCut = 2 (Previous results)
- x dCut = 16, eCut = 1
- + dCut = 16, eCut = 4

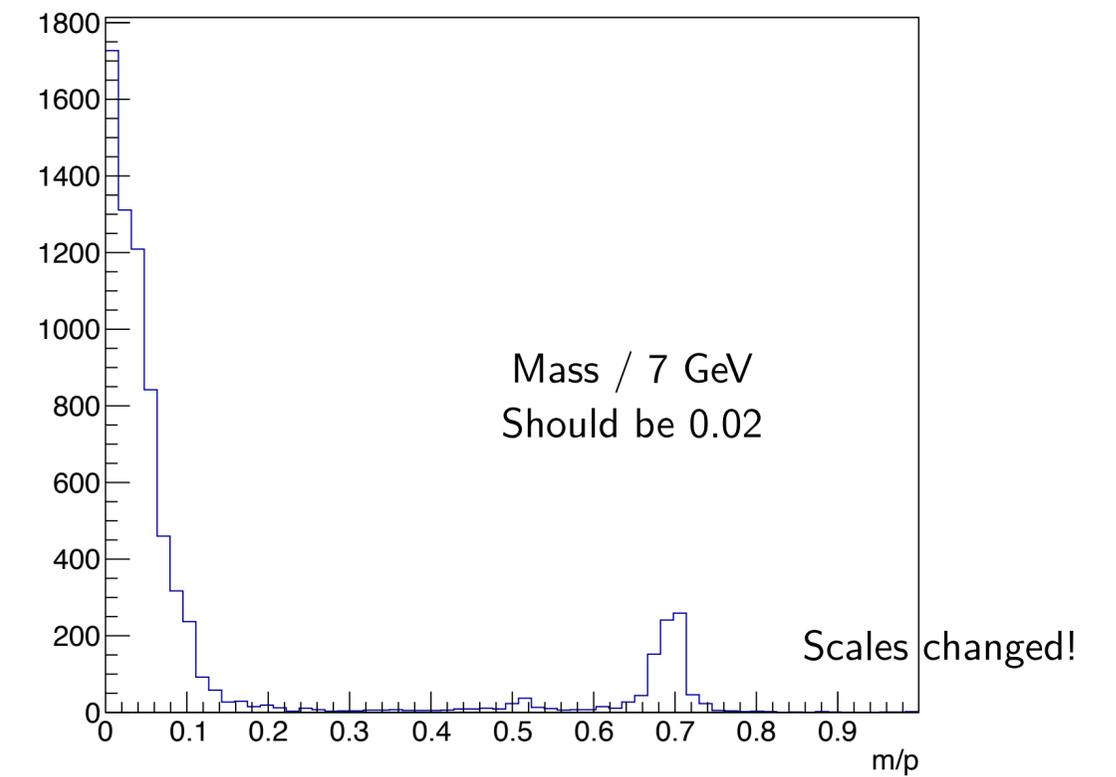
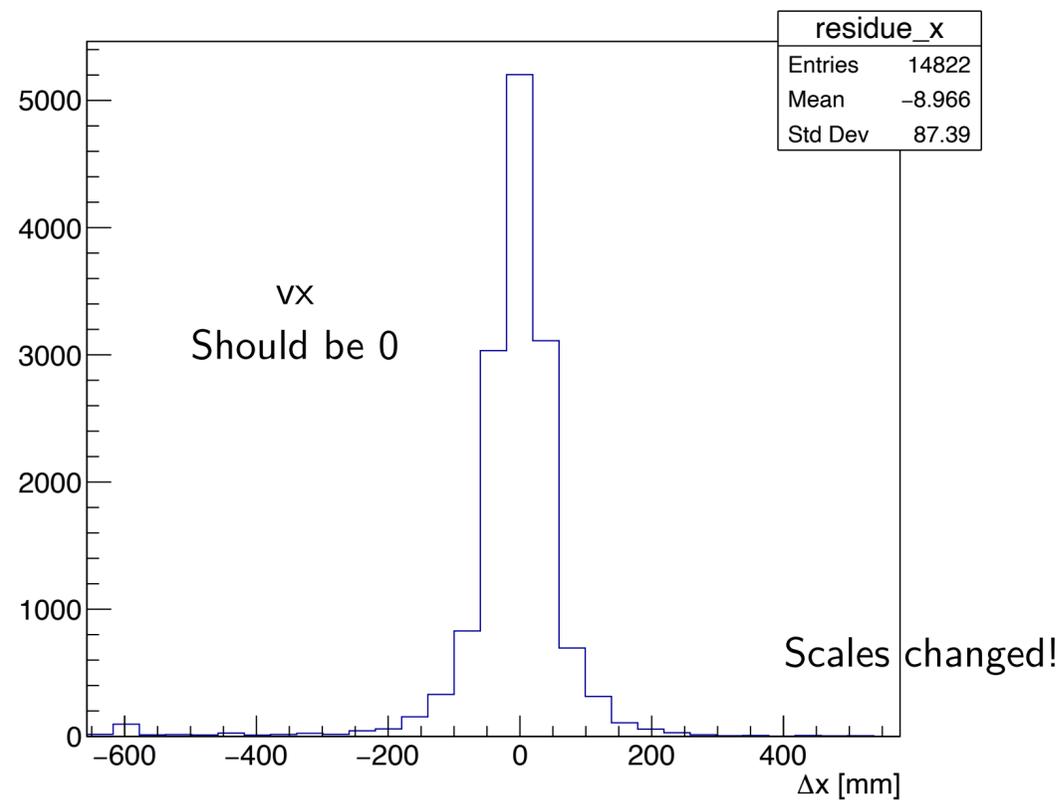
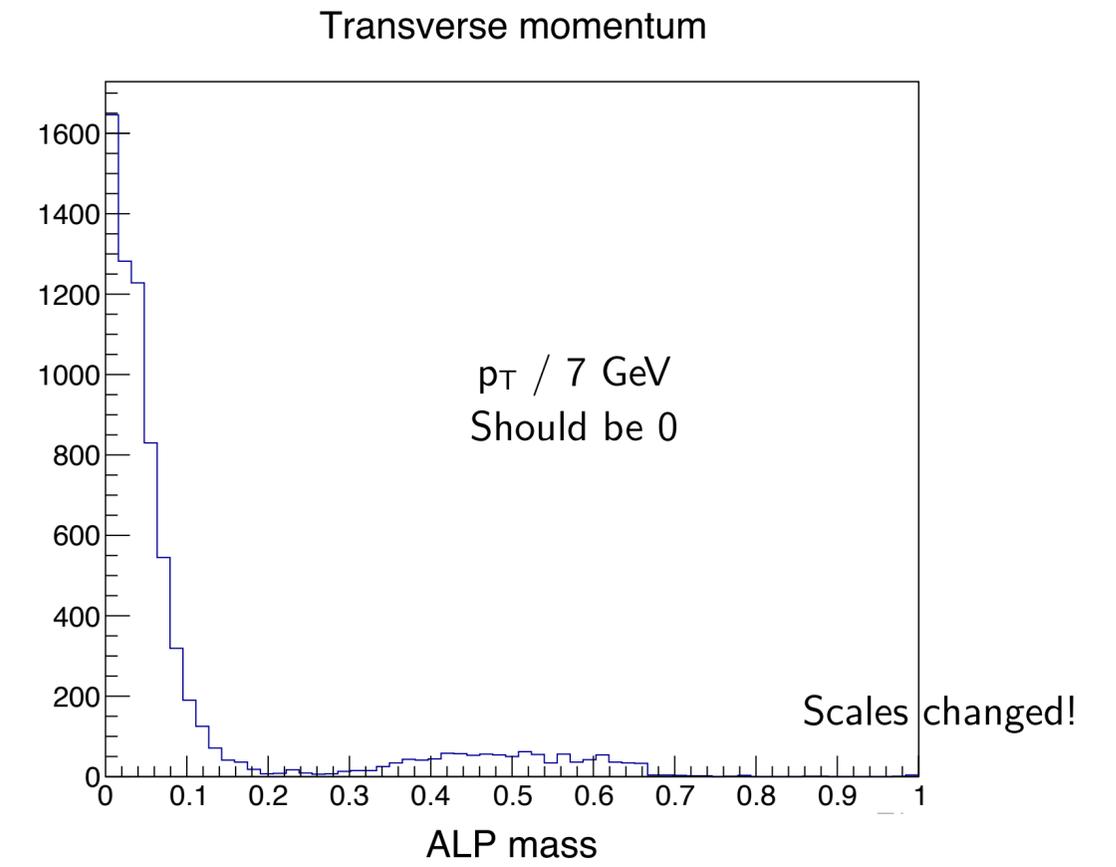
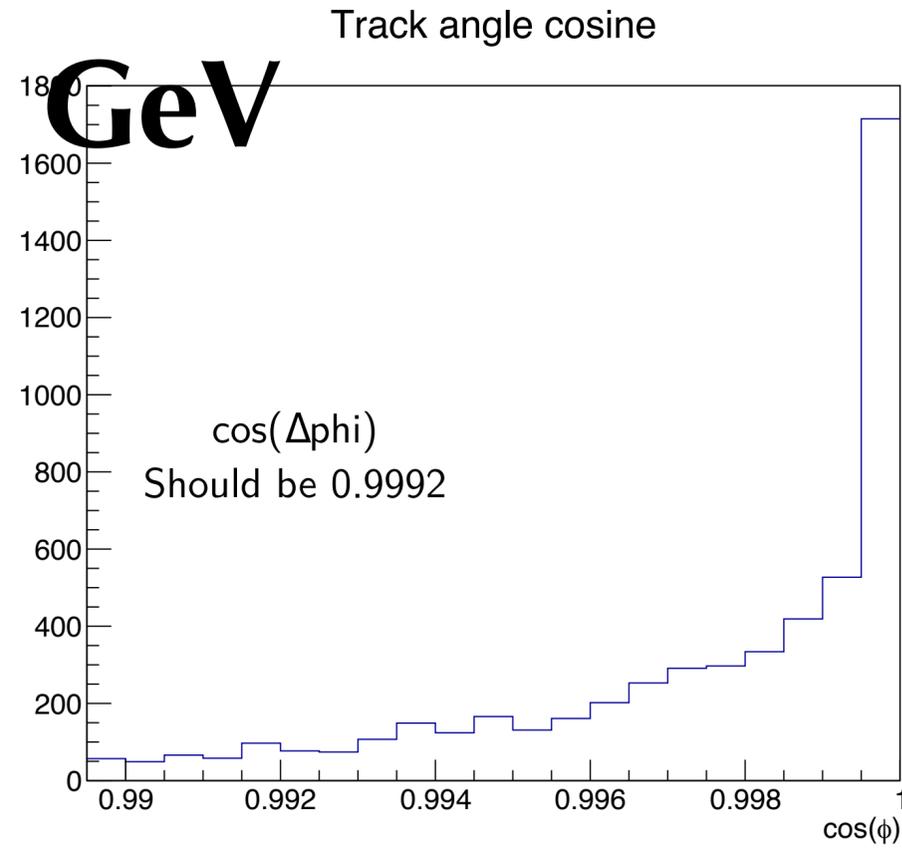
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# 1.5 GeV



# 0.5 GeV



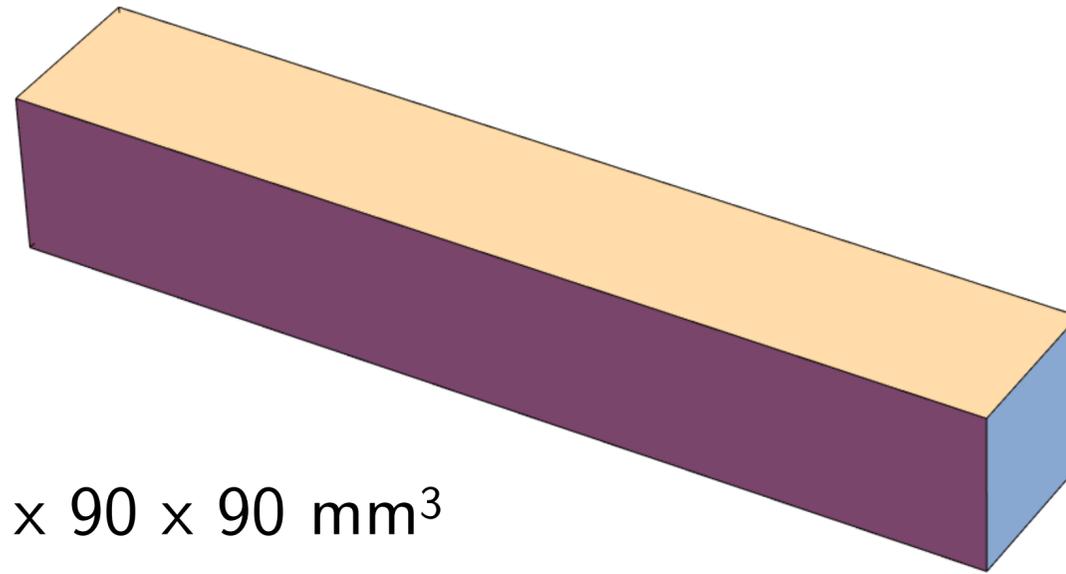
# Reconstruction

- Still work in progress
  - Bin sizes...
  - Understanding the irregularities
  - Enlarge the search range to optimise the lower energetic ones?
- Backgrounds?

# Backup



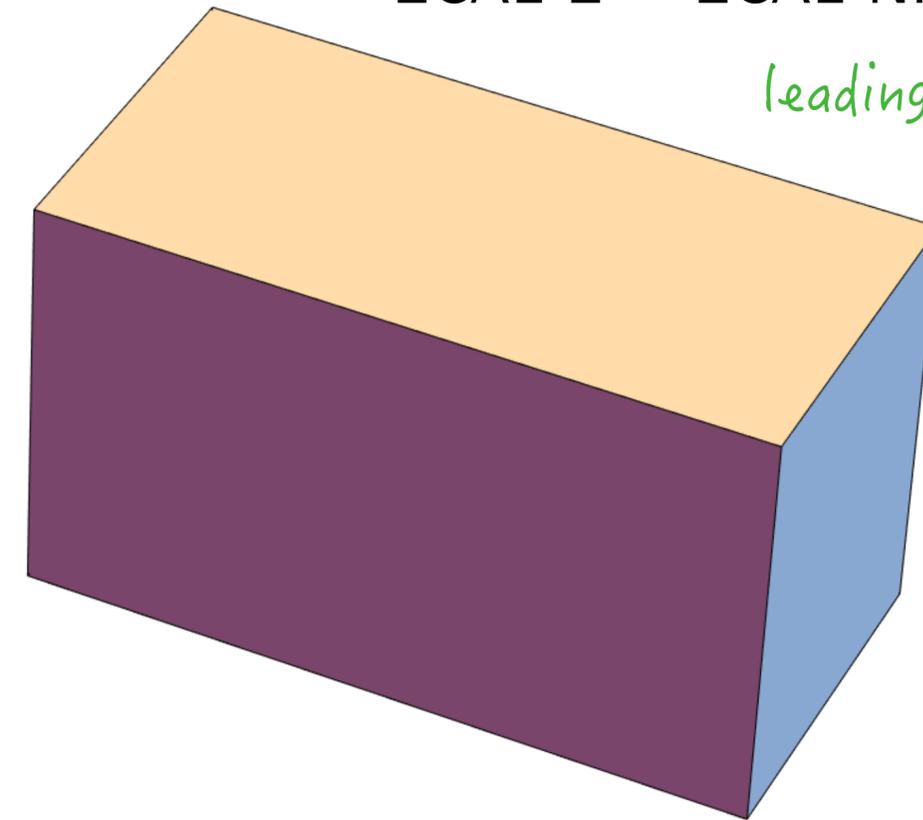
# ECAL-P/E



- ECAL-P:  $540 \times 90 \times 90 \text{ mm}^3$ 
  - $X = 96 \times 5.5 \text{ mm}$
  - $Y = 16 \times 5.5 \text{ mm}$
  - $Z = 20 \times 4.5 \text{ mm}$
  - $W = 3.5 \text{ mm} = 1.0 X_0$
  - $Si = 0.320 \text{ mm}$

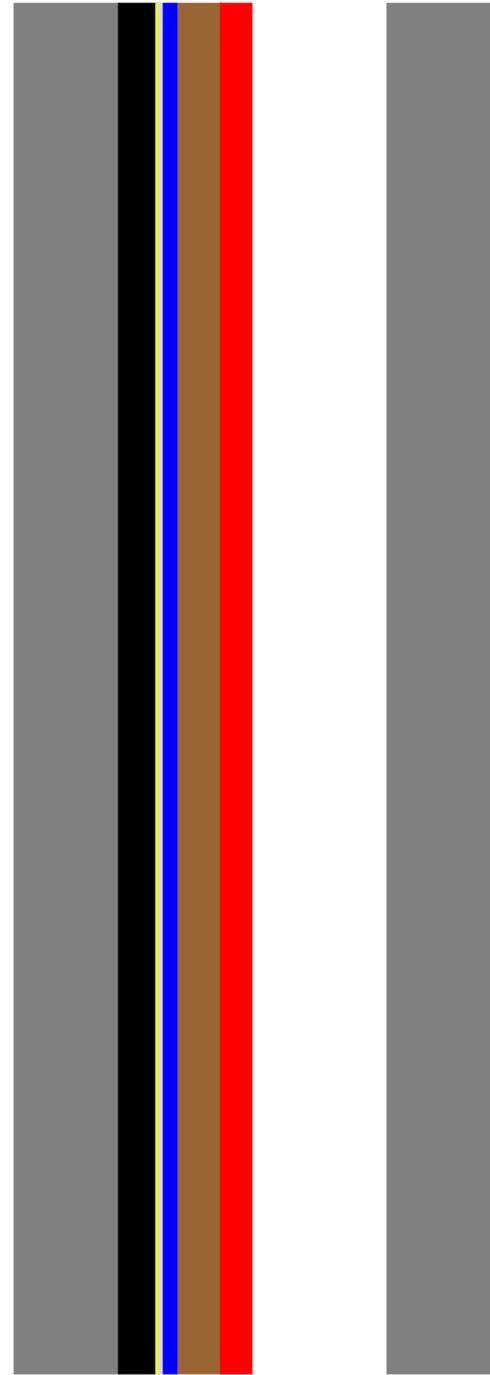
ECAL-E = ECAL-NPOD

*leading candidate!*



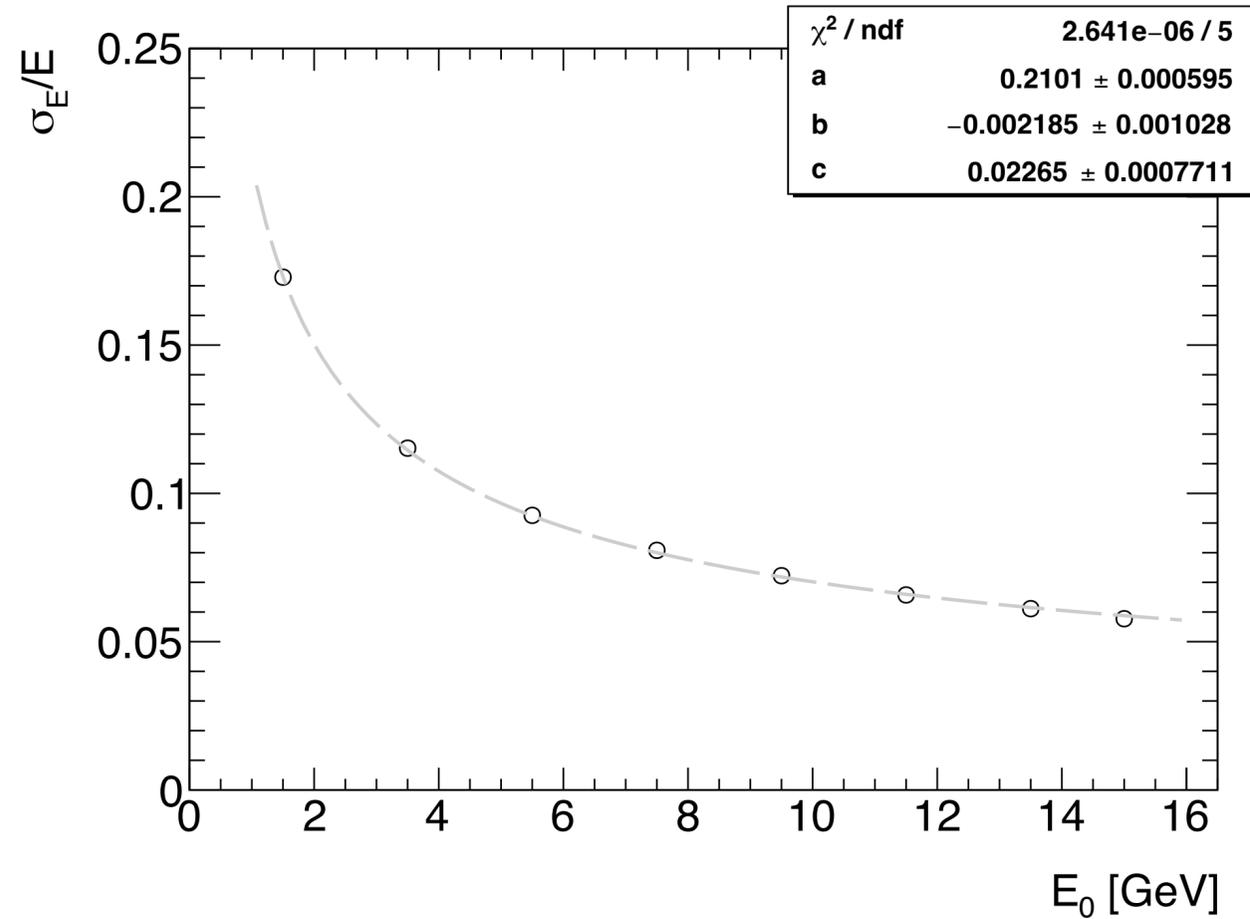
- ECAL-E:  $360 \times 180 \times 210 \text{ mm}^3$ 
  - $X = 64 \times 5.5 \text{ mm}$
  - $Y = 32 \times 5.5 \text{ mm}$
  - $Z = 15 \times 15 \text{ mm}$  (10 mm possible)
  - $W = 4.2 \text{ mm} = 1.2 X_0$
  - $Si = 0.500 \text{ mm}$

# ECAL-E layer (in sim.)



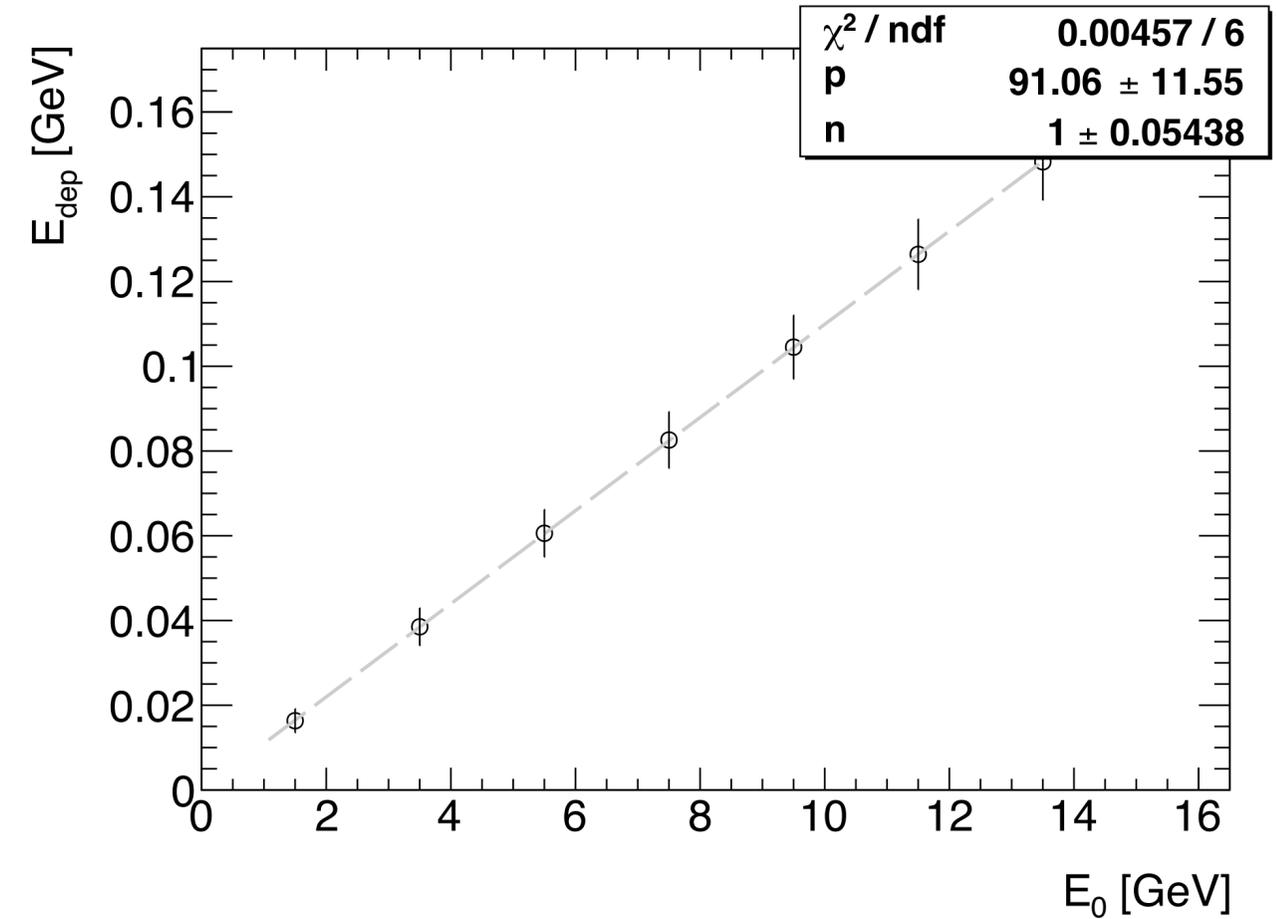
Material	$d$ [mm]
W	4.2
C fibre	1.5
Kapton	0.1
Glue	0.1
Air	0.1
Si	0.5
Air	0.1
PCB	1.7
ASICs	1.2
Air	5.5 (or 0.5)
Total	15

# ECAL-E perform. baseline



Intrinsic energy resolution

$$\frac{\sigma_E}{E_0} = \frac{a}{\sqrt{E_0/\text{GeV}}} \oplus \frac{b}{E_0/\text{GeV}} \oplus c$$



Intrinsic linearity

$$E_0 = p E_{\text{dep}}^n$$