DESY FH Seminar



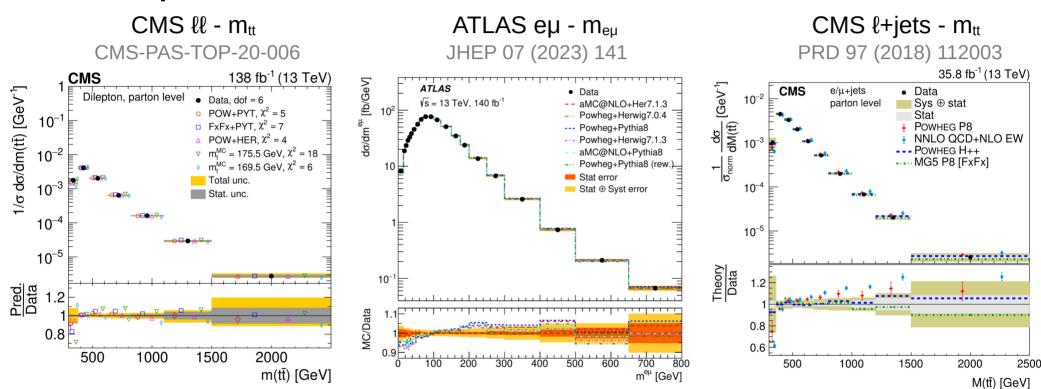
Searching for new scalars, pseudoscalars and $t\bar{t}$ bound states at CMS

Afiq Anuar¹, Jörn Bach¹, Samuel Baxter¹, Alexander Grohsjean², **Laurids Jeppe**¹, Jonas Rübenach¹ & Christian Schwanenberger^{1,2}

¹DESY ²University of Hamburg

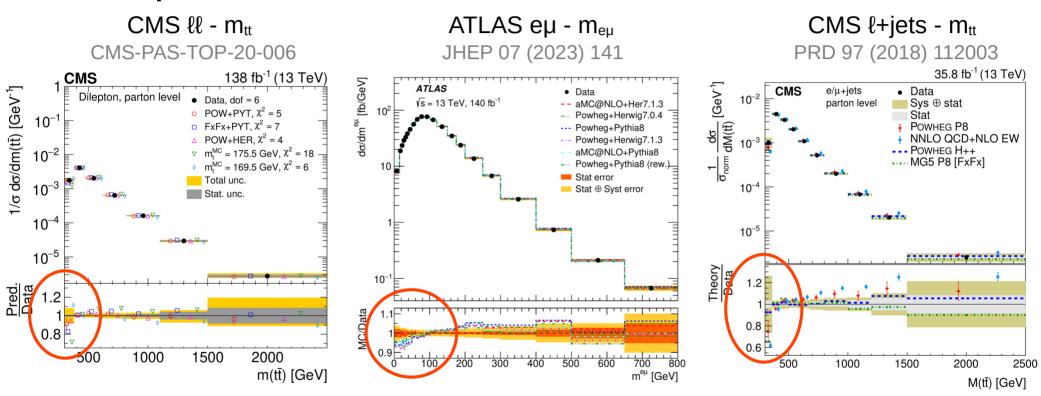
17.01.2025 | CMS-PAS-HIG-22-013

Recap: tt differential measurements



→ good description by theory

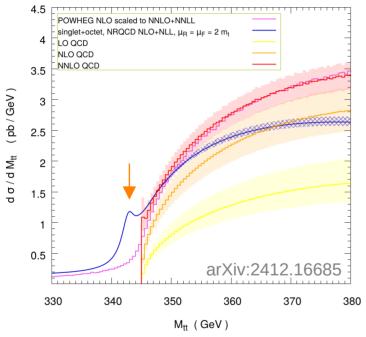
Recap: tt differential measurements

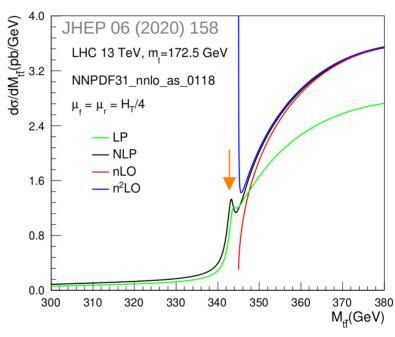


→ good description by theory except for excess in data in threshold region

tt bound states

SM predicts tt (quasi-)bound states below the tt threshold

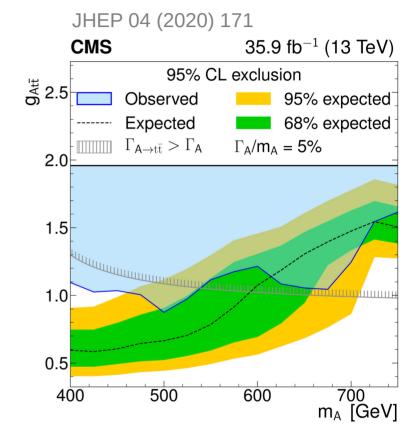




- So far not observed!
- Dominant component: pseudoscalar can we search for it?

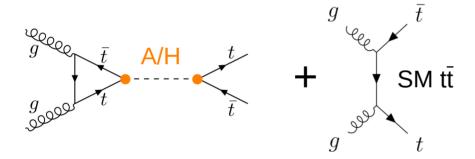
Overview of the search

- Search for new spin-0 (pseudo)scalars in tt final states with full Run 2 dataset (138 fb⁻¹)
- Make use of invariant tt mass, angular and spin correlation observables
- Two analysis channels: dilepton (ll) and lepton+jets (lj)
- Builds upon previous work by CMS:
 JHEP 04 (2020) 171 (2016 data, 35.9 fb⁻¹)
 - ~3σ local excess at low masses!
- Also recent full Run 2 result by ATLAS (JHEP08 (2024) 013) - no excess
 - see Eleanor's talk next!



Signal modeling: A/H

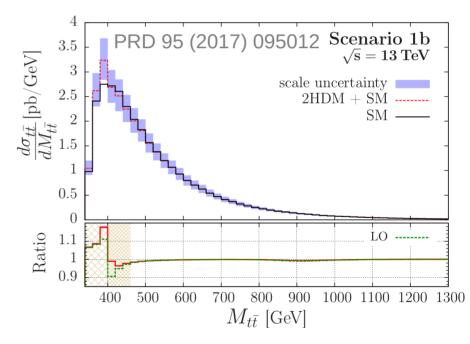
- Generic heavy pseudoscalar (A) or scalar (H) coupling solely to top quarks
- Production in gluon fusion via top quark loop



Same final state as SM $t\bar{t} \rightarrow$ interference \rightarrow peak-dip structure in m_{tt}

$$\mathcal{L}_A^{\rm int} = ig_{\rm At\bar{t}} \frac{m_{\rm t}}{v} \bar{t} \gamma_5 t A$$

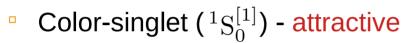
$$\mathcal{L}_{H}^{\rm int} = -g_{\rm Ht\bar{t}} \frac{m_{\rm t}}{v} \bar{\rm t} t H$$



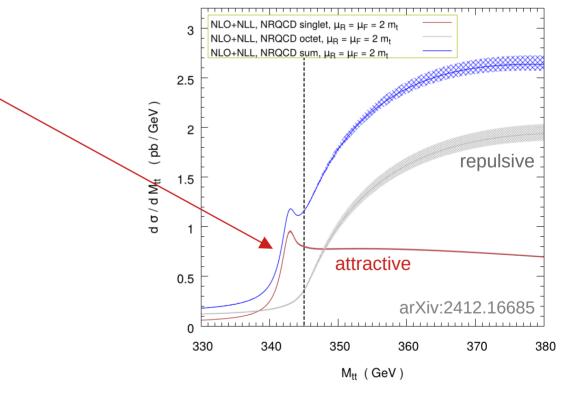
State of the art: non-relativistic QCD (NRQCD)

See e.g. PRD 110 (2024) 5, 054032 JHEP 03 (2024) 099 PRD 104 (2021) 3, 034023

etc.



 \rightarrow Peak below the tt threshold



State of the art: non-relativistic QCD (NRQCD)

See e.g. PRD 110 (2024) 5, 054032

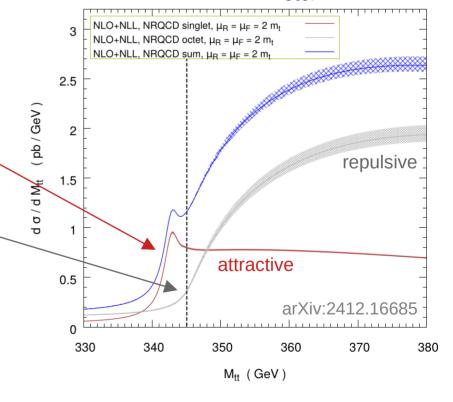
JHEP 03 (2024) 099 PRD 104 (2021) 3, 034023

etc.

- Color-singlet (${}^1\mathrm{S}_0^{[1]}$) attractive
 - \rightarrow Peak below the $t\bar{t}$ threshold
- Color-octet (${}_{1}S_{0}^{[8]}$ or ${}_{3}S_{1}^{[8]}$) repulsive
 - \rightarrow Suppressed below the $t\bar{t}$ threshold

See Maria's talk later today!

 Exact lineshape and width below experimental resolution

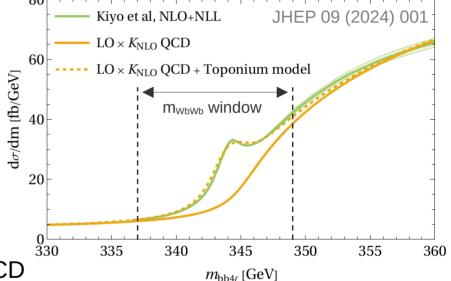


- Use simplified model for MC simulation: η_t
- (PRD 104 (2021) 034023, JHEP 03 (2024) 099)

- Generic spin-0, color-singlet state η_t
- Couplings to gluons and tops (pseudoscalar)
- Fit mass from NRQCD:

$$m_{\eta_t} - 2m_t = -2 \,\text{GeV} \quad \Rightarrow \quad m_{\eta_t} = 343 \,\text{GeV}$$

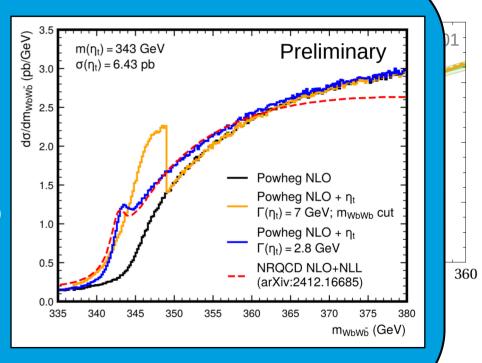
Restrict to $m_{\rm WbWb} \in [337, 349] \, {\rm GeV}$ to not influence tt continuum as predicted by perturbative QCD



- Not available yet: by-event reweighting to NRQCD
 - but expected to have small effects [arXiv:2411.18962]
- Result: very similar signature as low-mass A resonance

- Open item: η_t width
 - Currently: $\Gamma(\eta_t) = 7 \text{ GeV}$ (PRD 104 (2021) 034023, B. Fuks et al) does not match well to NRQCD...
 - For publication: investigate moving to $\Gamma(n_t) = 2 \Gamma_t = 2.8 \text{ GeV}$ (JHEP 03 (2024) 099, F. Maltoni et al)

matches new NRQCD calculation very well!

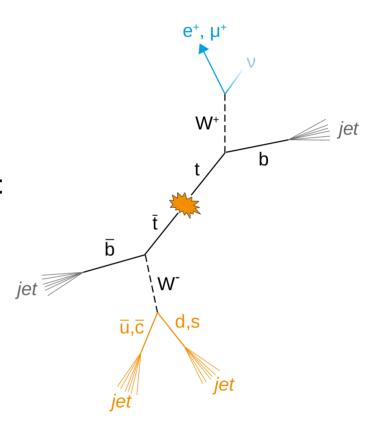


Lepton+jets channel

- Require exactly one lepton (e/μ), 3 or more jets and 2 or more b tags
- Split into 4 categories: e vs µ and 3 jets vs 4+ jets

(NIM A 736 (2014) 169-178)

- Reconstruct tt system with NeutrinoSolver algorithm:
 - Assign b jets by maximum likelihood
 - Energy correction factor applied for 3 jet events
 (lost or merged jets) (NIM A 788 (2015) 128-136)

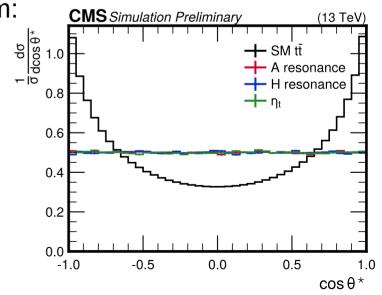


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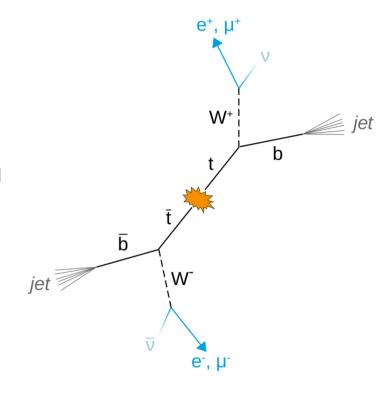
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- Reconstruct tt system with NeutrinoSolver algorithm:
 - Assign b jets by maximum likelihood
 - Energy correction factor applied for 3 jet events (lost or merged jets) (NIM A 788 (2015) 128-136)
- 2D binning in m_{tt} x |cosθ*|
- θ^* : scattering angle of leptonic top quark
 - SM $t\bar{t}$: peaks at large $\cos\theta^*$
 - Signal: isotropic → flat distribution
 - Sensitive to spin of mediator (but not parity)



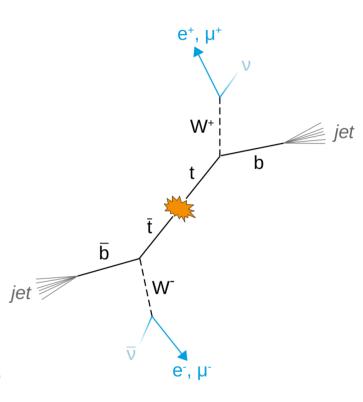
Dilepton channel

- Exactly two opposite-sign leptons (e/µ), at least 2 jets, and at least 1 b tag
- Split by lepton flavor: ee, eμ and μμ
- Reject low-m_θ events
 Cut away Z peak & require p_T^{miss} > 40 GeV in ee/μμ



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 Cut away Z peak & require p_T^{miss} > 40 GeV in ee/μμ
- Analytic reconstruction of tt system:
 - Assumptions: all p_T^{miss} from vv, tops and Ws on-shell
 - Assign b jets using likelihood based on m_{lb}
 - Finite detector resolution: repeat reconstruction 100 times with randomly smeared inputs, take weighted average
 (EPJC 75 (2015) 11, 542; PRD 73 (2006) 054015)



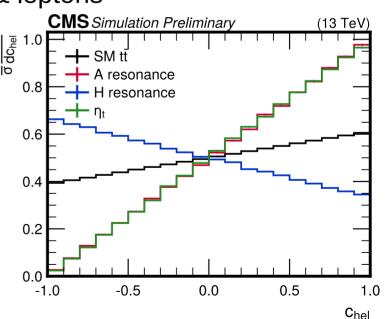
Spin correlation observables

- Both A/H and η_t predict $t\bar{t}$ production in a pure $t\bar{t}$ spin state: ${}^{1}S_{0}$ or ${}^{3}P_{0}$ (from A / η_{t} resp. H)
- Top decays before hadronization \rightarrow transfer spin information to decay products
- Construct spin correlation observables from tops & leptons

Spin correlation observables

- Both A/H and η_t predict $t\bar{t}$ production in a pure $t\bar{t}$ spin state: 1S_0 or 3P_0 (from A / η_t resp. H)
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- Variable #1: Chel
 - Boost leptons into rest frames of their parent tops
 - → Scalar product between directions of flight
 - Straight line with slope sensitive to tt spin state ("D")
 - Maximal for ${}^{1}S_{0}$ (from A / η_{t}) separates from SM

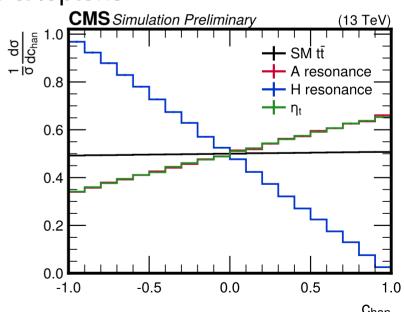


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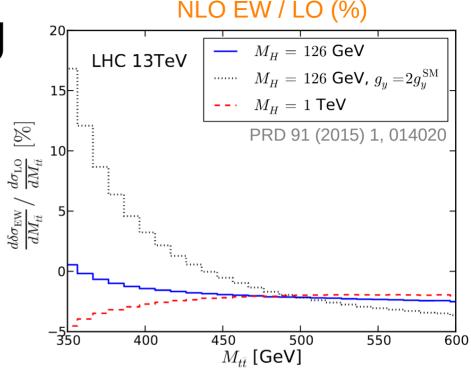
- Variable #2: Chan
 - Similar as chel, separating scalars from SM
 - Maximally negative slope for ³P₀ state (from H)
 - Construct similarly from lepton momenta, with sign flip for component parallel to top momentum
- → 3 search variables in dilepton: mtt x Chel X Chan



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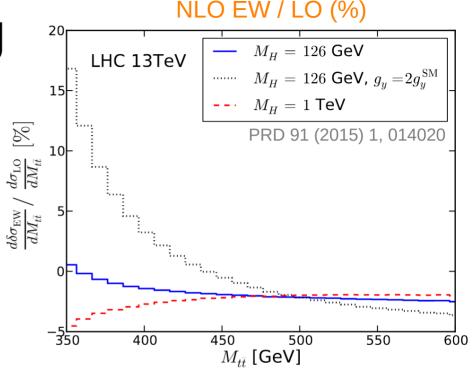
Background modeling

- Major irreducible background: SM tt
 - Model from NLO MC (Powheg+Pythia)
 - Correct to NNLO QCD and NLO EW from fixed-order predictions by reweighting in 2D bins of m_{tt} and $\cos\theta^*$ (EPJC 78 (2018) 537, EPJC 51 (2007) 37)
 - Normalize to NNLO+NNLL cross section. (CPC 185 (2014) 2930)



Background modeling

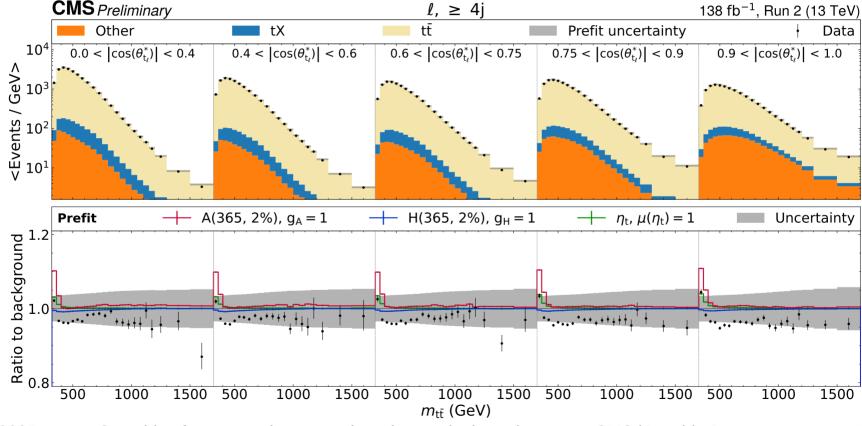
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- Other backgrounds: tW, t channel single-top, rare processes (from MC)
- Z+jets in ℓℓ: from MC with data-driven normalization from Z peak sideband
- QCD+EW processes in \(\ell\)+jets: data-driven shape from sideband with no b tags

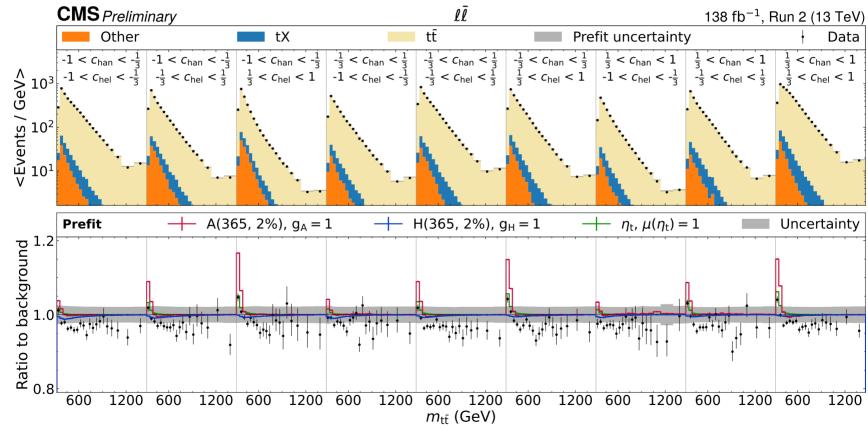
Prefit distributions: ℓ + ≥4 jets

Differences between data and prediction observed in low m_{tt} bins!



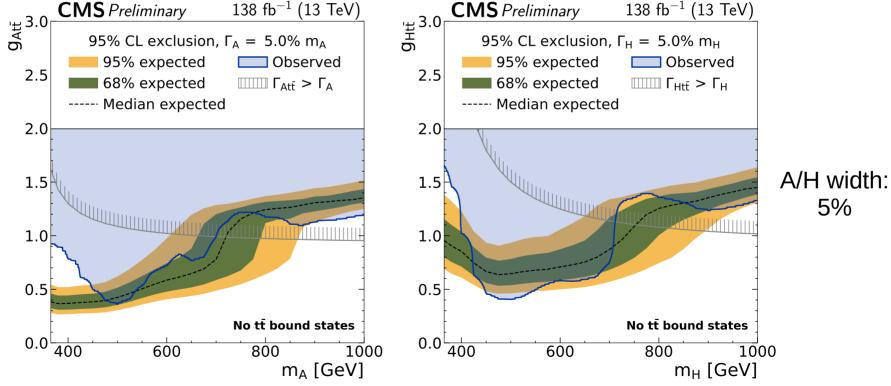
Prefit distributions: {{

Differences between data and prediction observed in low m_{tt} bins!



A/H interpretation

- Limits on A or H using only the perturbative QCD+EW background model
- Excess at low m_{tt} visible at low A/H masses stronger for A



tt bound state?

- Excess is located at low m_{tt} , stronger for pseudoscalar
 - → could this be interpreted as a tt bound state?
- Extract cross section using the η_t color-singlet (toy) model
 - "cross section" = difference to perturbative prediction

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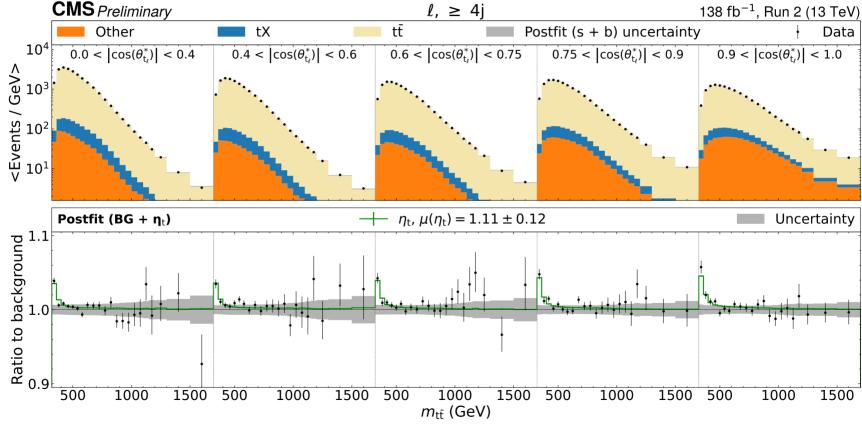
$$\sigma(\eta_t) = 7.1 \pm 0.8 \,\mathrm{pb}$$

 $> 5\sigma$ significance!

- Main uncertainties: tt background modeling (PRD 104 (2021) 034023)
- $\sigma(\eta_t)^{\text{pred}} = 6.43 \,\text{pb}$ Agrees with rough estimate from NRQCD:
- Word of caution: this model is not a complete description of a tt bound state!
 - missing e.g. soft initial state gluons could change color-octet into singlet states etc...

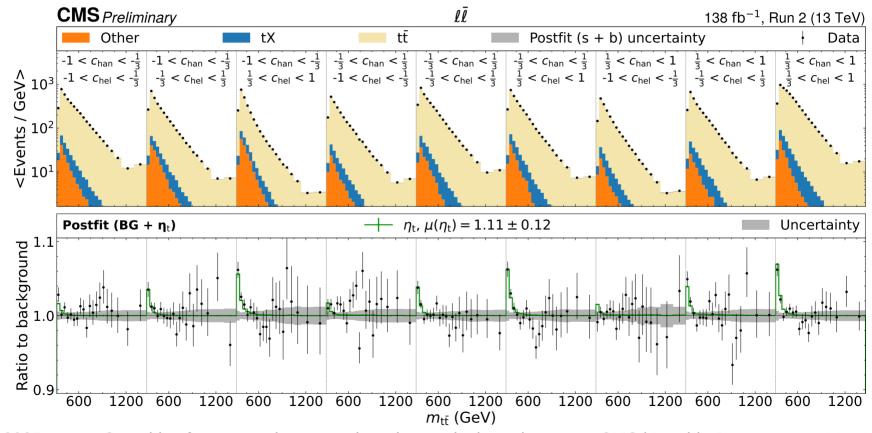
Postfit distributions: η_t ($\ell + \geq 4$ jets)

Postfit for η_t model describing the data well



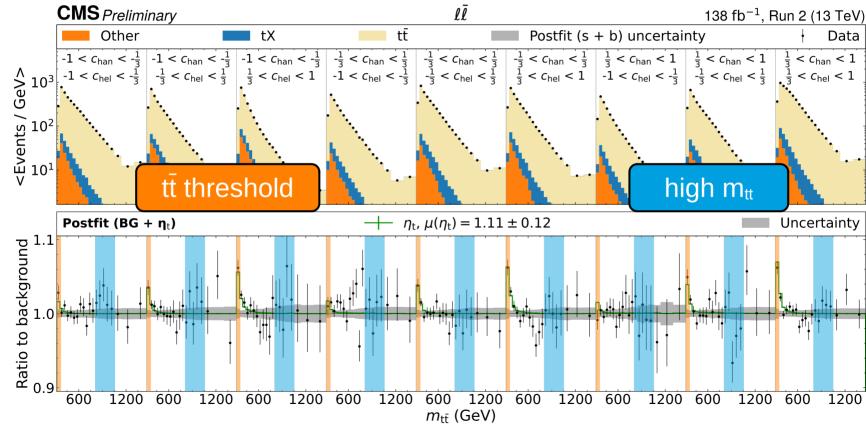
Postfit distributions: η_t ($\ell\ell$)

Postfit for η_t model describing the data well



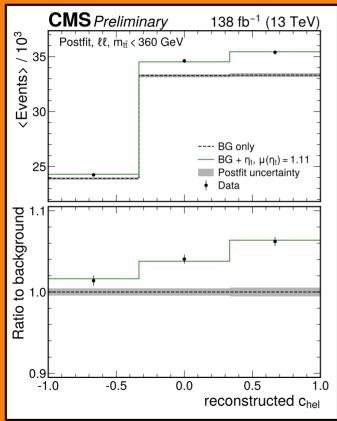
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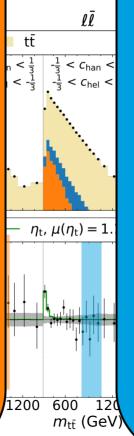
tt̄ threshold:

Data shows slope in chel

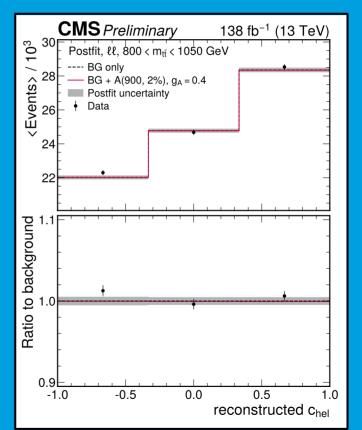


ns: η





 $\begin{array}{c} \text{high } m_{tt}\text{:} \\ \text{No slope in data} \end{array}$



17.01.2

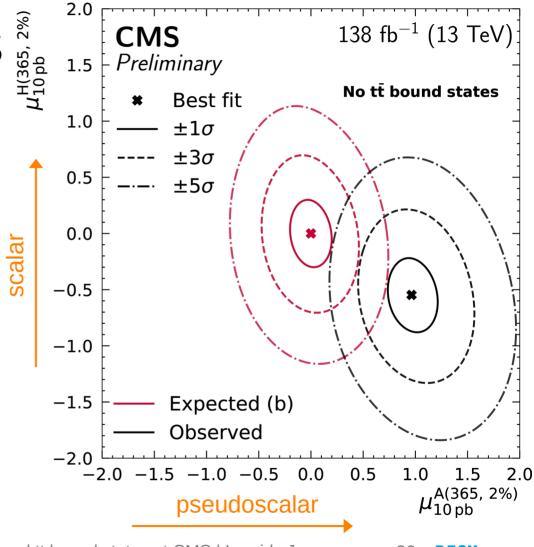
doscalars and tt bourt

DESY.

Parity of the excess \(\frac{\hat{\chi}}{2} \\ \frac{\chi}}{2} \\ \frac{\chi}}{2} \\ \frac{\hat{\chi}}{2} \\ \frac{\chi}}{2}

- Can we quantify whether the excess is scalar or pseudoscalar?
- Take low-mass A/H resonances as proxies for pure ¹S₀ and ³P₀ tt
- 2D fit with arbitrary signal strengths

- Data prefers pure ¹S₀ / pseudoscalar
- scalar component compatible with 0 at the level of ~ 2 SD



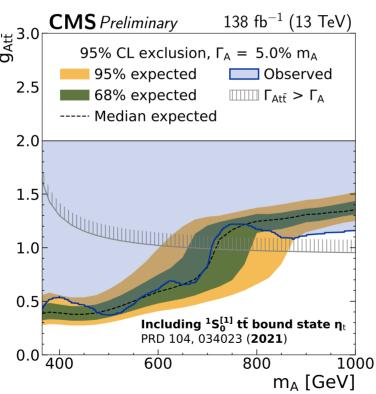
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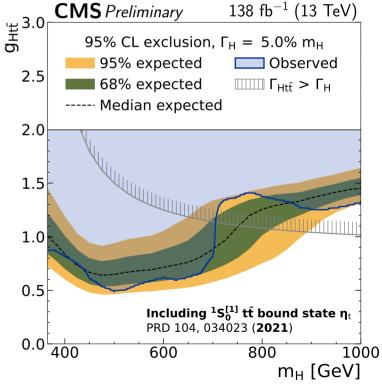
A/H limits including η_t

- QCD + η_t describes data well \rightarrow set (BSM) A/H limits
 - $\rightarrow \eta_t$ added as an additional BG process with free-floating normalization

Cannot distinguish η_t and low-mass A

→ Excess no longer present





Summary

- Search for new spin-0 (pseudo)scalars in tt final states with full Run 2 dataset
- Dilepton and lepton+jets channels, using m_{tt} , angular and spin observables
- Observed excess in data at low m_{tt} consistent with pseudoscalar
 - Interpretations in terms of a simplified model of a $t\bar{t}$ bound state η_t or a generic pseudoscalar A and scalar H
 - Extracted cross section for a parametrized η_t (toy) model (PRD 104 (2021) 034023)
- Set stringent limits on A and H with η_t included in the background
- Modeling tt bound state effects is still a challenge
 - any further input from theory welcome
- Whatever the excess is it is exciting!

Reference: CMS-PAS-HIG-22-013

Backup

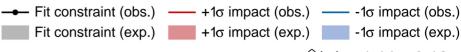
Uncertainties

- Uncertainty on η_t cross section dominated by background modeling
- Leading systematic sources:
 - EW corrections, including SM Top-Higgs Yukawa:

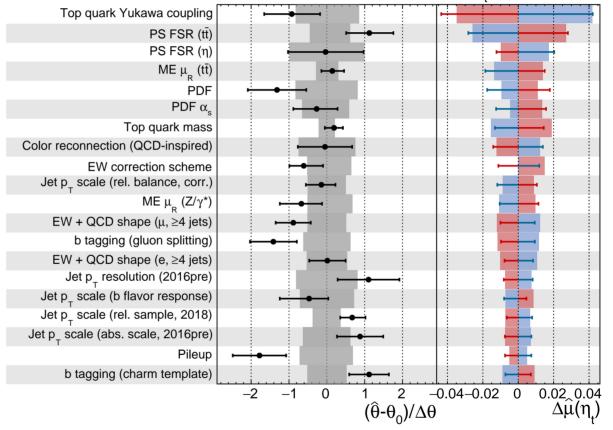
$$y_t = 1.00^{+0.11}_{-0.12}$$
 (EPJC 79 (2019) 421)

- Parton shower scales
- Missing higher orders
- PDF
- Top mass





 $\widehat{\mu}(\eta_{\scriptscriptstyle f}) = 1.11 \pm 0.12$



Checks of the result

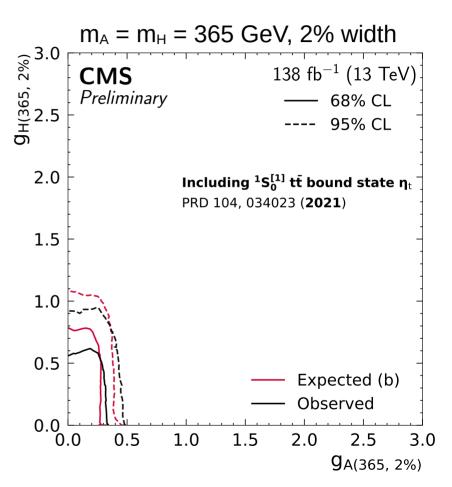
- Off-shell effects in t̄t MC only approximate in Powheg+Pythia (NWA)
 - Check with Powheg bb41 (complete off-shell NLO calculation of pp $\rightarrow b\overline{b}\ell\overline{\ell}\nu\overline{\nu}$)
 - Only available in dilepton for now
 - Redo our extraction with bb41 for the tt+tW prediction in ℓℓ only

Prediction for SM tt and tW	Extracted η_t cross section	Uncertainty
b_bbar_41 (POWHEG vRES)	5.9 pb	18%
Default (POWHEG v2)	7.5 pb	13%

- Results compatible at ~ 2 SD excess clearly present also with bb41
- Further checks:
 - different generators for SM tt (aMC@NLO+Pythia, Powheg+Herwig)
 - different treatment of NNLO QCD/NLO EW corrections
 - decorrelation of several syst. uncs (e.g. top mass)
- All checks compatible with nominal within uncertainty of result

A+H interpretation

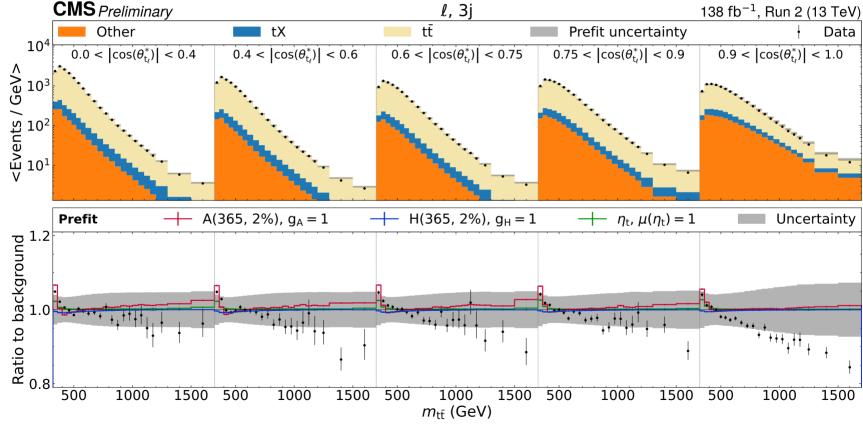
- BSM models (e.g. 2HDM) often predict the simultaneous presence of A and H
- Model-independent exclusion contours for both A and H couplings
 - numerical Feldman-Cousins method
- Input for bounds on concrete BSM models



17.01.2025

Prefit distributions: \(\ext{\class} + 3 \) jets

Differences between data and prediction observed in low m_{tt} bins!

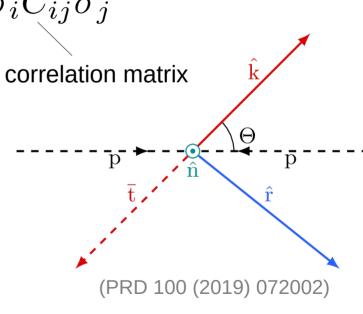


Spin density matrix

- Both A/H and η_t predict $t\bar{t}$ production in a pure $t\bar{t}$ spin state: 1S_0 or 3P_0 (from A / η_t resp. H)
- Encoded in spin density matrix:

$$\mathbf{R} = A + B_i \sigma_i + \overline{B}_i \overline{\sigma}_i + \sigma_i C_{ij} \overline{\sigma}_j$$
cross section polarization vectors correlation

- Choose helicity basis $\{\hat{k},\hat{r},\hat{n}\}$:
 - \hat{k} : direction of flight of the top quark
 - \hat{r} and \hat{n} : orthogonal to \hat{k}



Definition of chel and chan

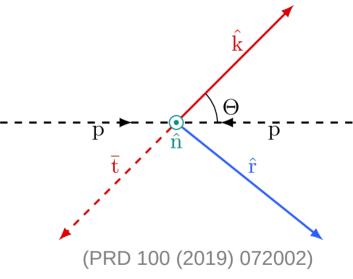
- Start in tt rest frame, boost leptons into rest frames of their parent tops
- Define lepton three-momenta $\hat{\ell}^+$ and $\hat{\ell}^-$ w.r.t $\{\hat{k},\hat{r},\hat{n}\}$ basis:
 - \hat{k} : direction of flight of the top quark
 - \hat{r} : orthogonal to \hat{k} in the scattering plane
 - \hat{n} : orthogonal to \hat{k} and \hat{r}

$$c_{\text{hel}} = -(\hat{\ell}^{+})_{k}(\hat{\ell}^{-})_{k} - (\hat{\ell}^{+})_{r}(\hat{\ell}^{-})_{r} - (\hat{\ell}^{+})_{n}(\hat{\ell}^{-})_{n}$$

$$c_{\text{han}} = +(\hat{\ell}^{+})_{k}(\hat{\ell}^{-})_{k} - (\hat{\ell}^{+})_{r}(\hat{\ell}^{-})_{r} - (\hat{\ell}^{+})_{n}(\hat{\ell}^{-})_{n}$$

It can be shown that they follow a straight line with

$$\frac{1}{\sigma} \frac{d\sigma}{dc_{\text{hel}}} = \frac{1}{2} \left(1 - D c_{\text{hel}} \right) \qquad \frac{1}{\sigma} \frac{d\sigma}{dc_{\text{han}}} = \frac{1}{2} \left(1 + D^{(k)} c_{\text{han}} \right)$$



List of systematic uncertainties

Experimental

- Jet energy corrections split into 11 subsources
- Jet energy resolution
- Unclustered p^T_{miss} (uncorrelated between years)
- Luminosity correlated and decorrelated parts between years
- Pileup
- Trigger efficiencies (separate for $\ell\ell$ / ℓ j)
- Electron efficiencies (reco. & ID)
- Muon efficiencies split into syst. and stat.
- B tagging and mistagging efficiencies
 - B tagging split into subsources
- L1 ECAL prefiring (where applicable)
- Data-driven EW+QCD BG (\(\ell\)+jets): shape & rate (50%) uncorrelated between channels
- Data-driven Z+jets normalization (ℓℓ)

Theory

- Factorization & renormalization scales:
 - tt, tW, tq, Z+jets; n_t (BG or signal), A/H signal
 - Uncorrelated between processes
 - tt: including cross section variation
- Same for initial & final state radiation PS scales.
- MC top mass: ±1GeV (interpolated from ±3GeV)
 - Also including cross section variations
- ME-PS matching (h_{damp})
- Underlying event tune
- Color reconnection: 3 different samples
- PDF: PCA performed on final templates from 100 replicas → only leading component considered
- PDF α_s
- Electroweak corrections:
 - SM Higgs-Top Yukawa coupling (1 +0.11 -0.12)
 - EW correction scheme (additive v. multiplicative)
- Minor BG cross sections: 15% for tW and tg; 30% for Diboson and tt+X

List of MC generators

Process	QCD order	ME Generator
${ m t} {ar { m t}}$	NLO	Powheg v2 (hvq)
tW	NLO	POWHEG V2 (ST_wtch)
Z+jets	NNLO	Powheg v2 (Zj MiNNLO)
t-channel single top	NLO	POWHEG V2 (ST_tch) + MADSPIN
s-channel single top	NLO	MG5_AMC@NLO
${ m t} { m ar t} { m W}$	NLO	MG5_AMC@NLO
${ m tar{t}Z}$	NLO	MG5_AMC@NLO
WW, WZ & ZZ	LO	Рутніа 8.2
A/H signal	LO	MG5_AMC@NLO
$\eta_{ m t} { m signal}$	LO	MG5_AMC@NLO

Data-driven Z+jets normalization

- b jets in Z+jets are known to be badly modeled in MC might lead to wrong normalization after requiring >= 1 btag
- Take normalization from Z peak sideband (R_{in/out} method)
- Use weaker assumption than standard $R_{in/out}$ ("ratio of ratios"): Get $R_{in/out}$ in 0 b tag sideband; take "ratio of ratios" for \geq 1 and 0 btags from MC

$$\frac{(R_{in/out}^{\geq 1b})_{data}}{(R_{in/out}^{\geq 1b})_{MC}} = \frac{(R_{in/out}^{0b})_{data}}{(R_{in/out}^{0b})_{MC}} \longrightarrow SF = \frac{(N_{out}^{\geq 1b})_{data}}{(N_{out}^{\geq 1b})_{MC}} = \frac{(N_{in}^{\geq 1b})_{data}}{(N_{in}^{\geq 1b})_{MC}} \frac{(R_{in/out}^{0b})_{MC}}{(R_{in/out}^{0b})_{data}}.$$

with
$$N_{data} = N_{data}^{\ell\ell} - 0.5 N_{data}^{e\mu} k_{\ell\ell}$$
, where $k_{ee} = \frac{1}{k_{\mu\mu}} = \sqrt{\frac{N_{data}^{ee}}{N_{data}^{\mu\mu}}}$

EW corrections to tt

- Our EW correction (Hathor) is NLO in EW but LO in QCD
- Ambiguity on how to apply EW corrections to (N)NLO simulation
- Nominal choice: multiplicative

$$\sigma^{\text{rew.}} = \sigma_{\text{NLO QCD}}^{\text{LO EW}} \times \frac{\sigma_{\text{LO QCD}}^{\text{NLO EW}}}{\sigma_{\text{LO QCD}}^{\text{LO EW}}}$$

Alternate choice: additive

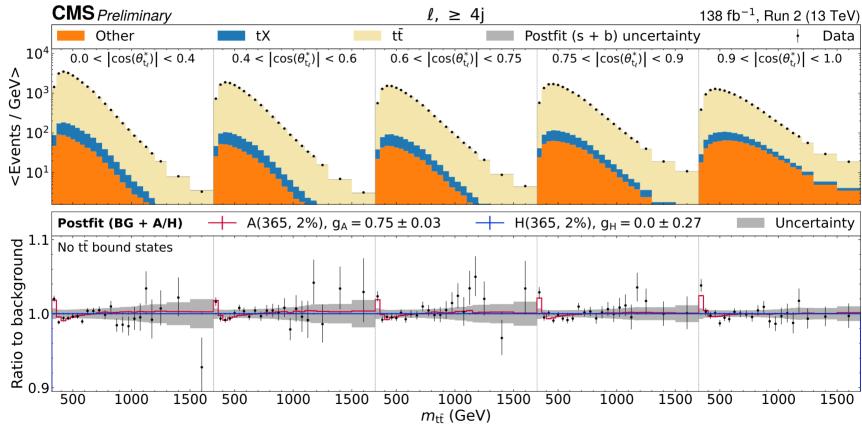
$$\sigma^{\text{rew.}} = \sigma_{\text{NLO QCD}}^{\text{LO EW}} + \sigma_{\text{LO QCD}}^{\text{NLO EW}} - \sigma_{\text{LO QCD}}^{\text{LO EW}}$$

MadGraph

Difference treated as systematic uncertainty

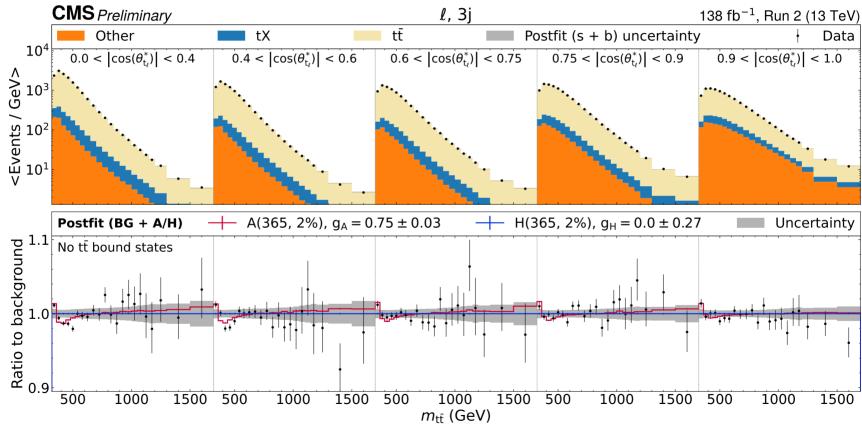
Postfit distributions: A/H

Postfit for A, 365 GeV, 2% width (best fit point)



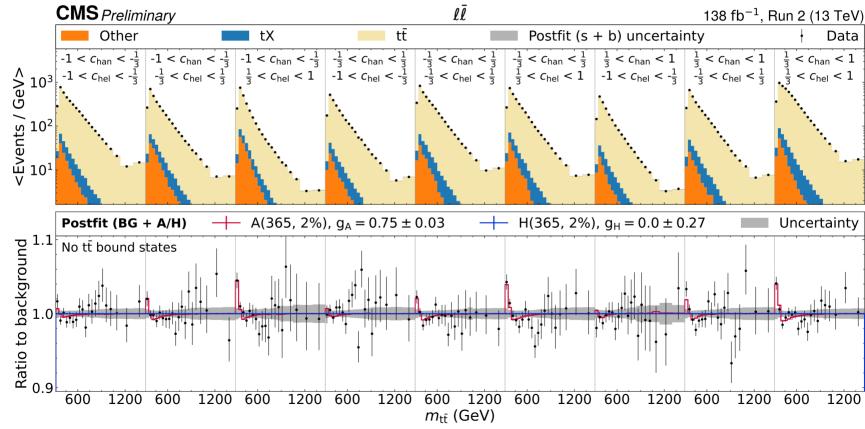
Postfit distributions: A/H

Postfit for A, 365 GeV, 2% width (best fit point)



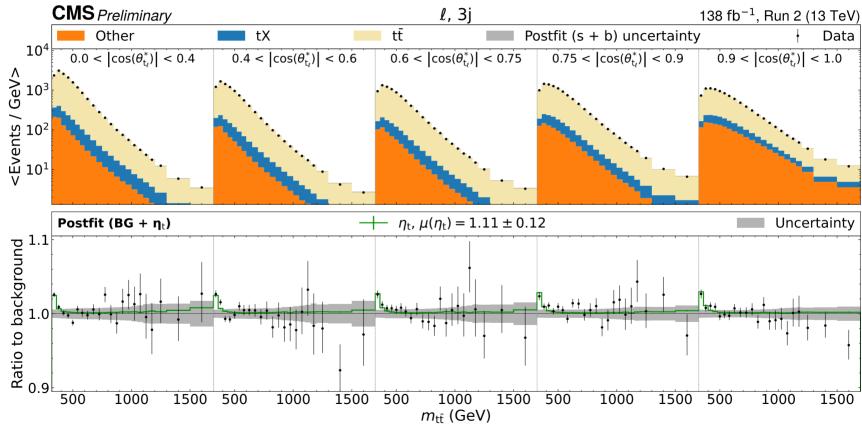
Postfit distributions: A/H

Postfit for A, 365 GeV, 2% width (best fit point)



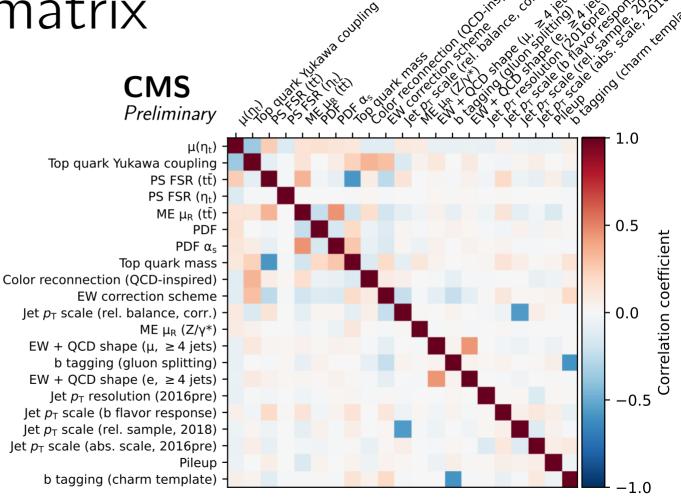
Postfit distributions: η_t

Postfit for η_t



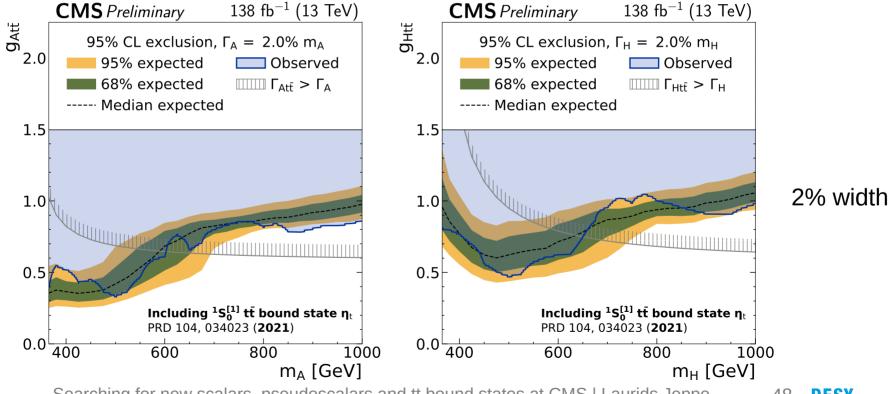
Correlation matrix

Further assess
 uncertainty modeling
 through correlations of
 nuisance parameters



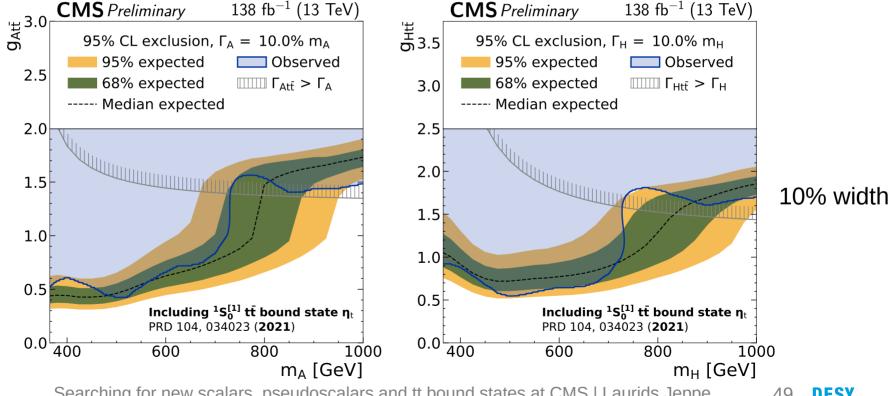
A/H limits including η_t

Limits at different A/H widths



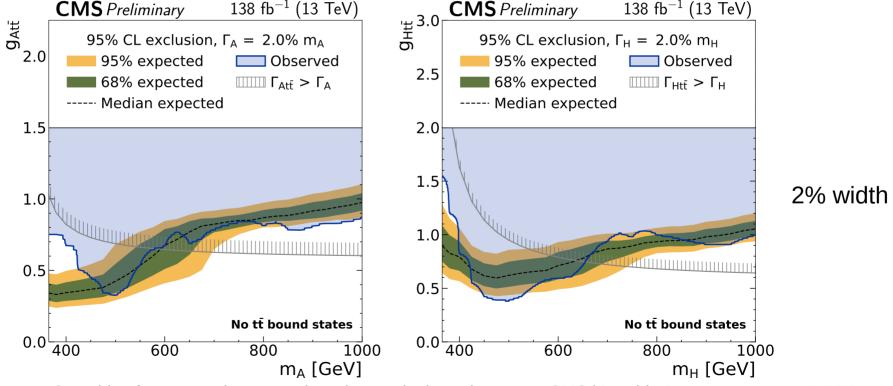
Λ/H limits including η_t

Limits at different A/H widths



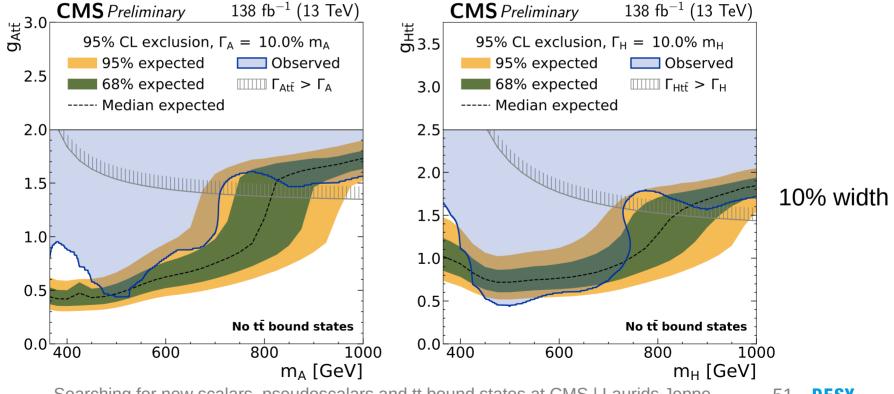
A/H limits without η_t

Limits at different A/H widths for perturbative QCD background only



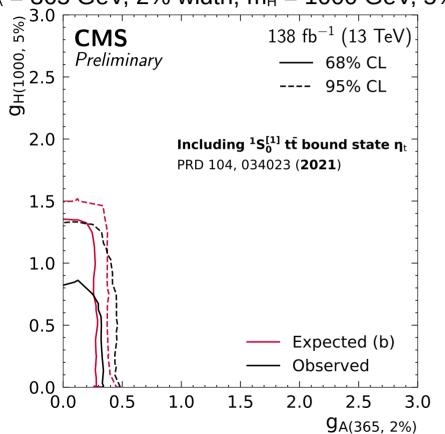
A/H limits without η_t

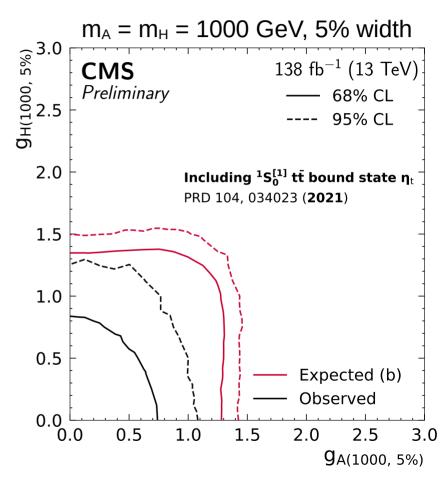
Limits at different A/H widths for perturbative QCD background only



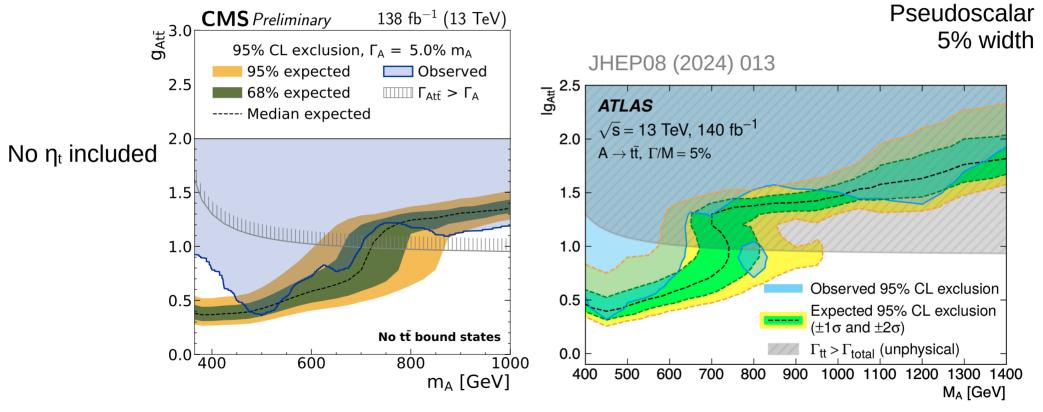
A+H interpretation

 $m_A = 365 \text{ GeV}$, 2% width; $m_H = 1000 \text{ GeV}$, 5% width



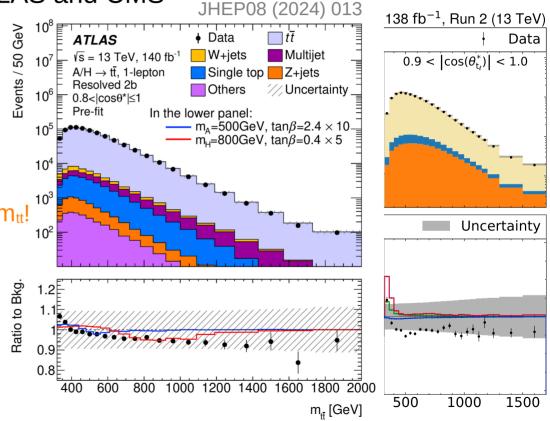


Similar full Run 2 ATLAS result: does not see any postfit excess! why?

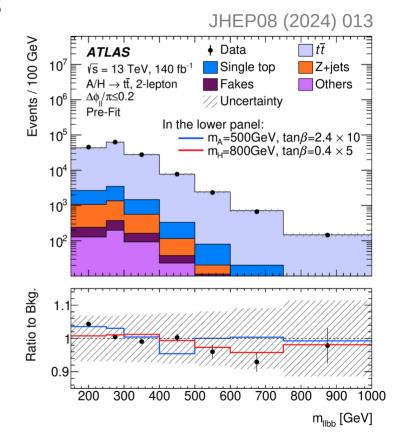


Different channel definitions in ATLAS and CMS

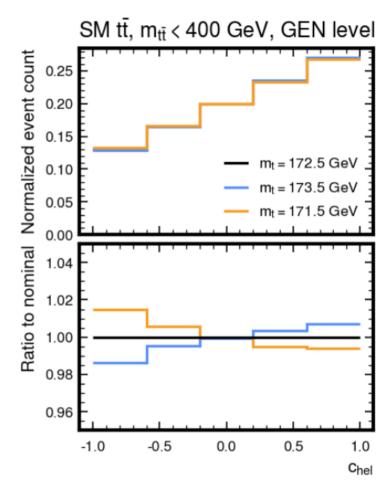
- +jets resolved:
 - ATLAS: 1ℓ, 1b, ≥4 jets
 - CMS: 1ℓ, 2b, 3 jets
 - both: 1ℓ, 2b, ≥4 jets
 - → compare pre-fit distributions!
 - Similar prefit excess in data at low m_{tt}!



- Different channel definitions in ATLAS and CMS
- dilepton: very different strategy
 - CMS: reconstruct m_{tt} x c_{hel} x c_{han} dominant at the tt̄ threshold, i.e. for toponium
 - ATLAS: no top quark reconstruction instead: m_{ℓℓbb} x Δφ_{ℓℓ} subleading compared to ℓ+jets

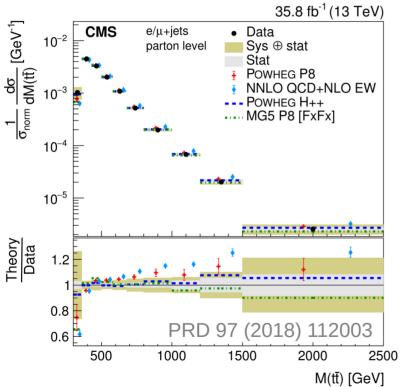


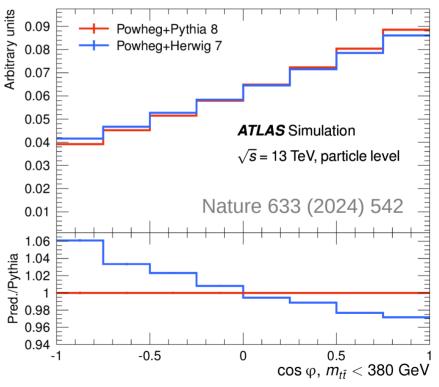
- Different channel definitions in ATLAS and CMS
- dilepton: very different strategy
- From internal studies: inclusion of spin correlations in CMS helps to disentangle signal and systematic uncertainties
- e.g. for downwards shift of top mass:
 - More events at threshold → like signal :(
 - BUT less spin correlation → unlike signal :)
- Similar for many other uncertainties, e.g. for Pythia vs. Herwig in the tt BG (next slide)



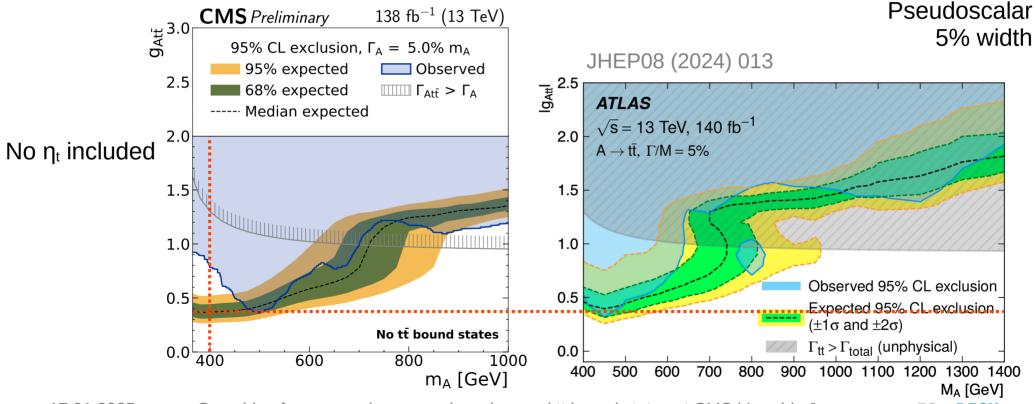
Pythia vs. Herwig

Herwig vs Pythia: more events at threshold, but less spin correlation - not easily confused with signal when spin correlations are measured



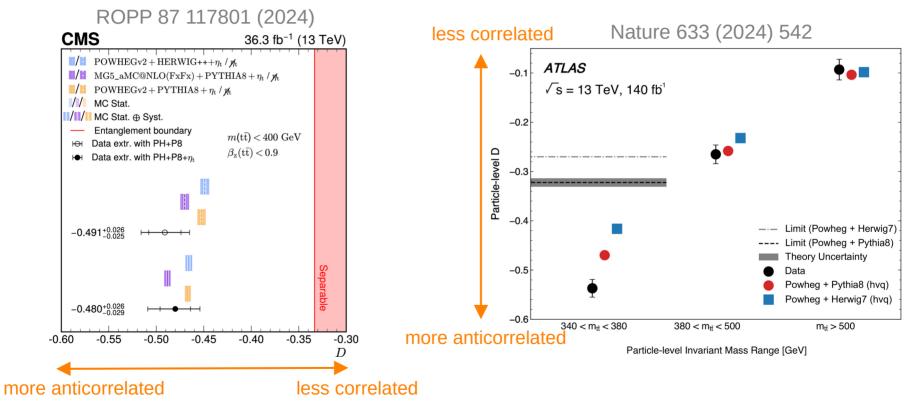


- Similar prefit excess & expected limits but no postfit excess for ATLAS!
- We are comparing as part of the LHC Top Working Group



SM: tt spin entanglement

Measured quantity: D "≈ strength of tt̄ spin correlation"



η_t modeling: NLO vs NNLO

- All available NRQCD predictions are done with NLO(+NLL) hard scattering
 - should be compared to NLO fixed order or NLO+PS (e.g. Powheg)
 - The η_t model matches NRQCD well when added on top of NLO Powheg resulting cross section: ~ 6.43 pb
- However: our tt predictions are reweighted
 & rescaled to NNLO+NNLL
 - Necessary to compare with data
 - We choose to add $η_t$ to the NNLO+NNLL-rescaled prediction
 - This amounts to applying a NNLO+NNLL
 K-factor to the NRQCD prediction

