

# Improving a search for heavy neutral Higgs bosons in the $t\bar{t}Z$ final state at CMS using parameterized neural networks

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DPG Frühjahrstagung 2025, Göttingen

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# Two Higgs Doublet Models (2HDM)



- Second Higgs doublet  $\rightarrow$  5 different Higgs bosons ( $h$ ,  $H$ ,  $A$ ,  $H^\pm$ )
- Free parameters
  - Masses of the Higgs bosons ( $m_h, m_H, m_A, m_{H^\pm}$ )
  - Ratio of the vacuum expectation values:  $\tan(\beta) = \frac{v_1}{v_2}$
  - Mixing angle  $\alpha$  between the CP-even Higgs bosons
- “Alignment limit”:  $\cos(\beta - \alpha) \rightarrow 0$ 
  - Beyond the standard model  $h$  boson couples like the standard model Higgs boson

$h$

$H$

Neutral CP-even

$A$

Neutral CP-odd

$H^+$

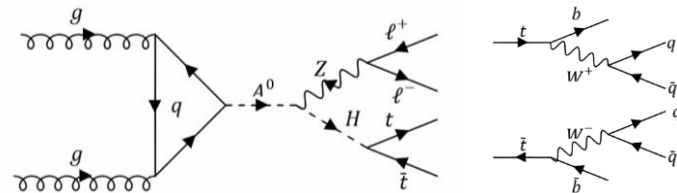
$H^-$

Charged

# Overview



- Search targets  $A \rightarrow ZH$  with decay of  $H \rightarrow t\bar{t}$  (see previous talk by Yannick Fischer)
- Focus on hadronic decay of  $t\bar{t}$
- CMS result with 138/fb of Run 2 data at 13 TeV <sup>1</sup>
- Now: analysis of Run 3 data
- Here: study of neural network to separate signal of heavy Higgs boson events from background



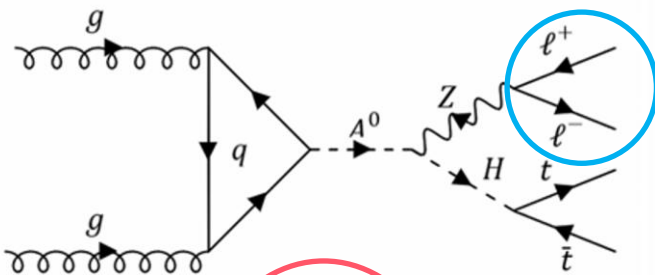
Limit plot Yannick

<sup>1</sup> [arXiv: 2412.00570 (subm. to PLB)] <sup>3</sup>

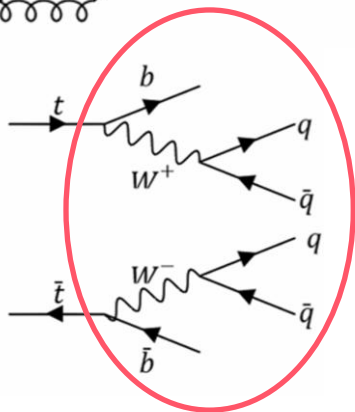
# Setup for the analysis

Monte Carlo simulated events  
(Run 2 – 2017)

$$\frac{\Gamma_{A/H}}{m_{A/H}} = 0.03$$



Exactly two leptons  
( $ee / \mu\mu$ )  
 $|m_H - m_Z| \leq 5 \text{ GeV}$



5 jets,  
 $\geq 1$  b tagged jet

Mass range:

$$330 \text{ GeV} \leq m_H \leq 850 \text{ GeV}$$

$$430 \text{ GeV} \leq m_A \leq 950 \text{ GeV}$$

$$\Delta m \geq 100 \text{ GeV}$$

Background processes:

Drell-Yan,  $t\bar{t}$ ,  $t\bar{t}Z$

# Characteristics of the neural networks (NN)



## Network structure

- 5 hidden dense layers
- Leaky ReLU, Sigmoid activation function
- Vs weight initializer

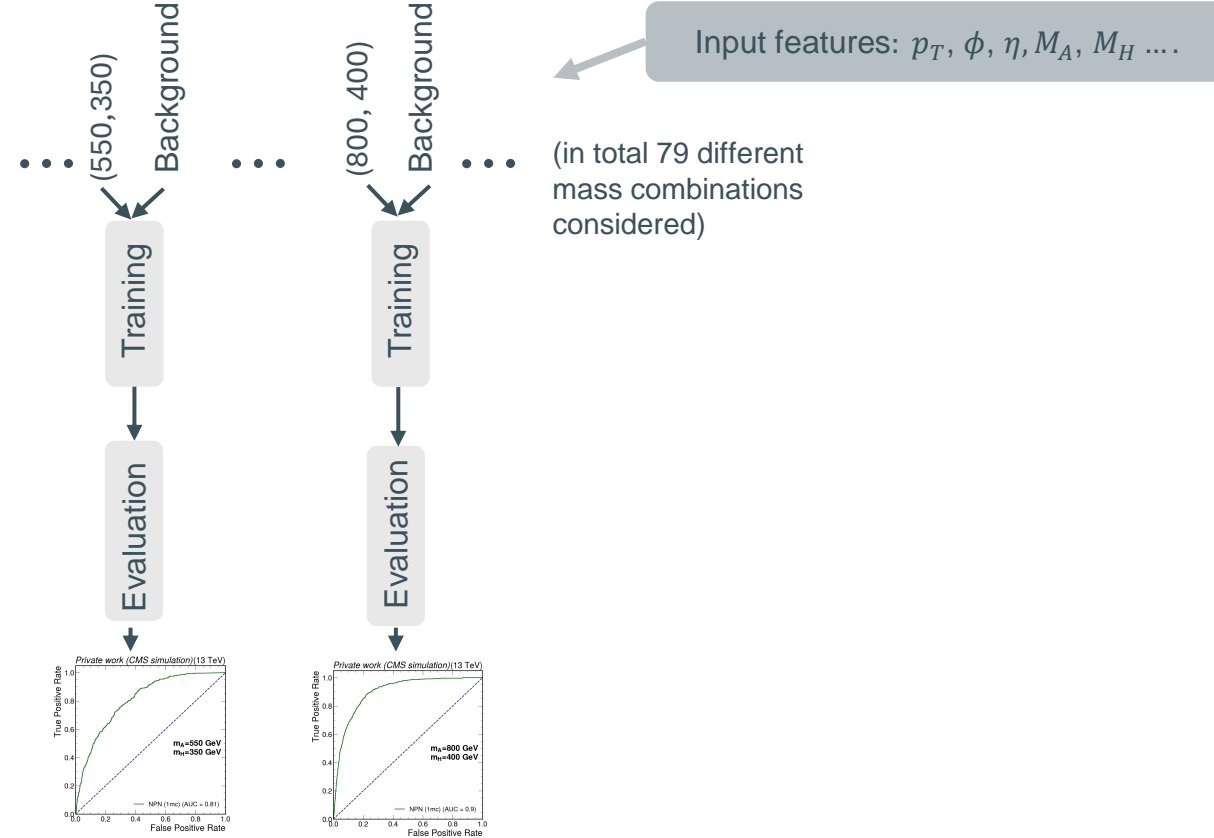
## Tuned hyperparameters (Keras Hyperband Optimizer)

- Number of nodes in the layers
- Dropout rate
- Learning rate

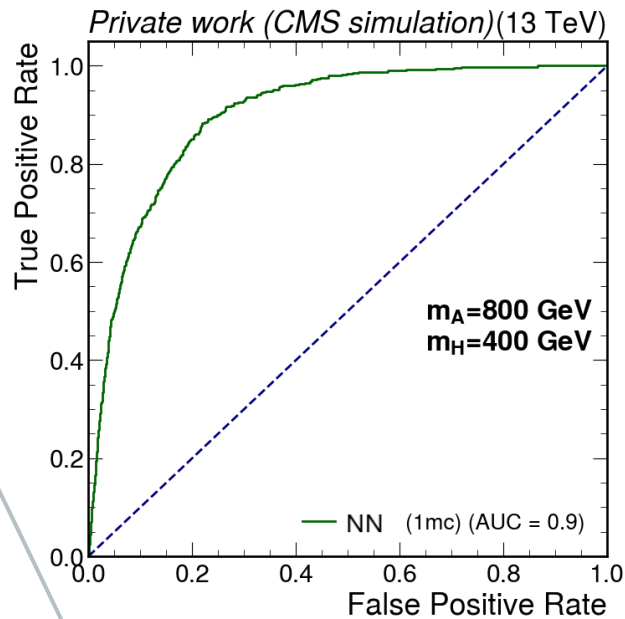
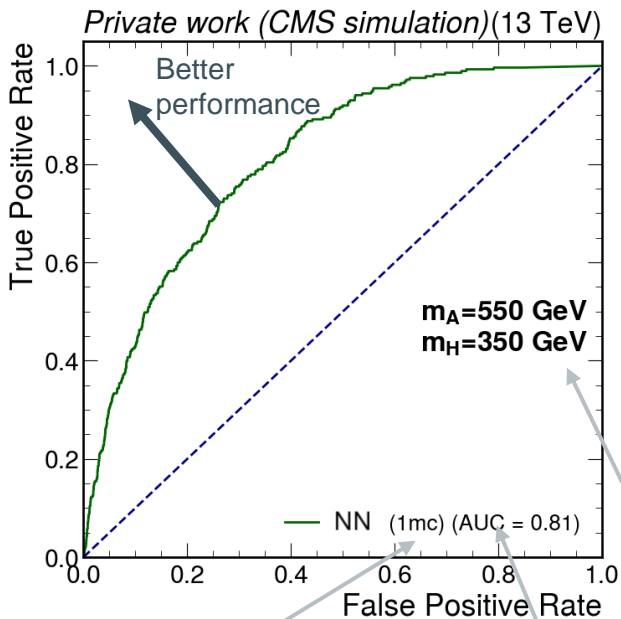
## Input features

$p_T$ ,  $\eta$ ,  $\phi$  of the jets, leptons, A, Z, H,  
 $M_A$ ,  $M_H$ ,  $\Delta M$ , b tagging scores,  
 $\Delta R$  leptons,  $\Delta R$  leading b jet and Z

# Training of individual NN



# ROC dedicated NN per mass combination



NN (1 mc): trained with 1 mass combination

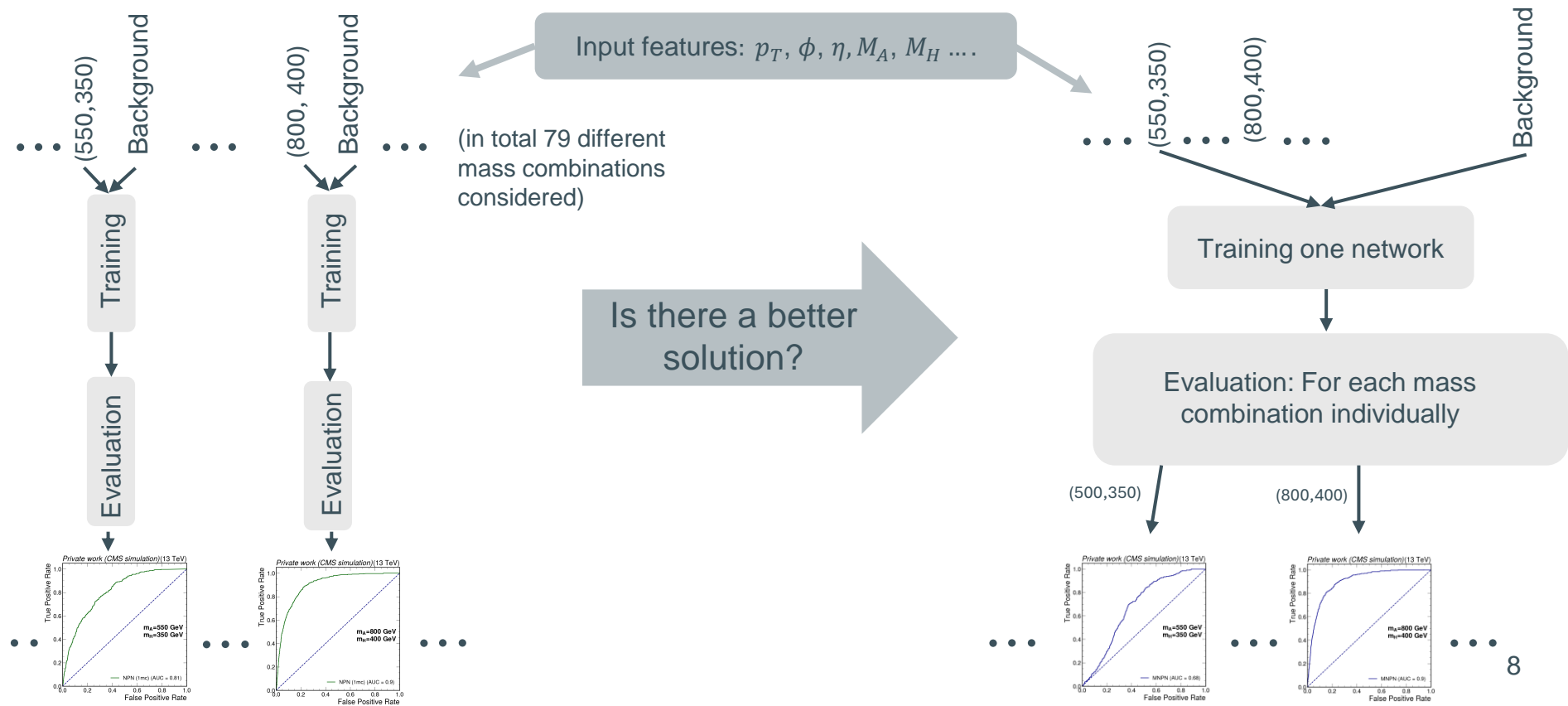
- Performance is good, but it is impractical
- For each mass combination a separate network is necessary

mc: number of mass combinations included in the training

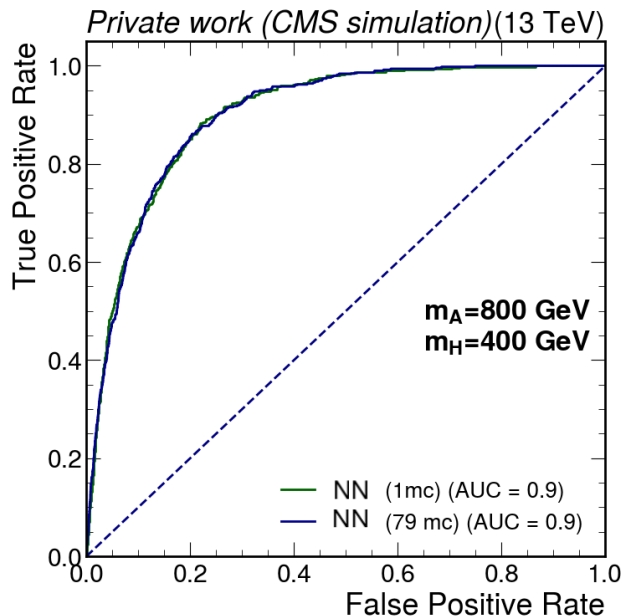
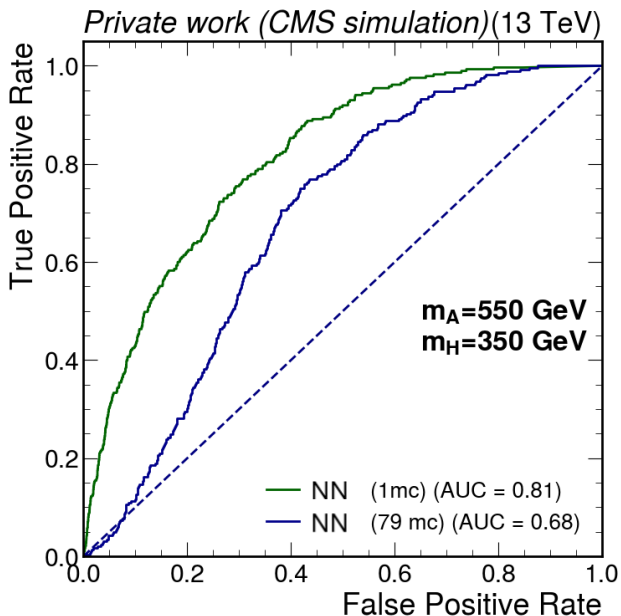
Mass combination used for evaluation of the network

AUC: area under the ROC curve

# Training of individual NN



# NN trained with all masses

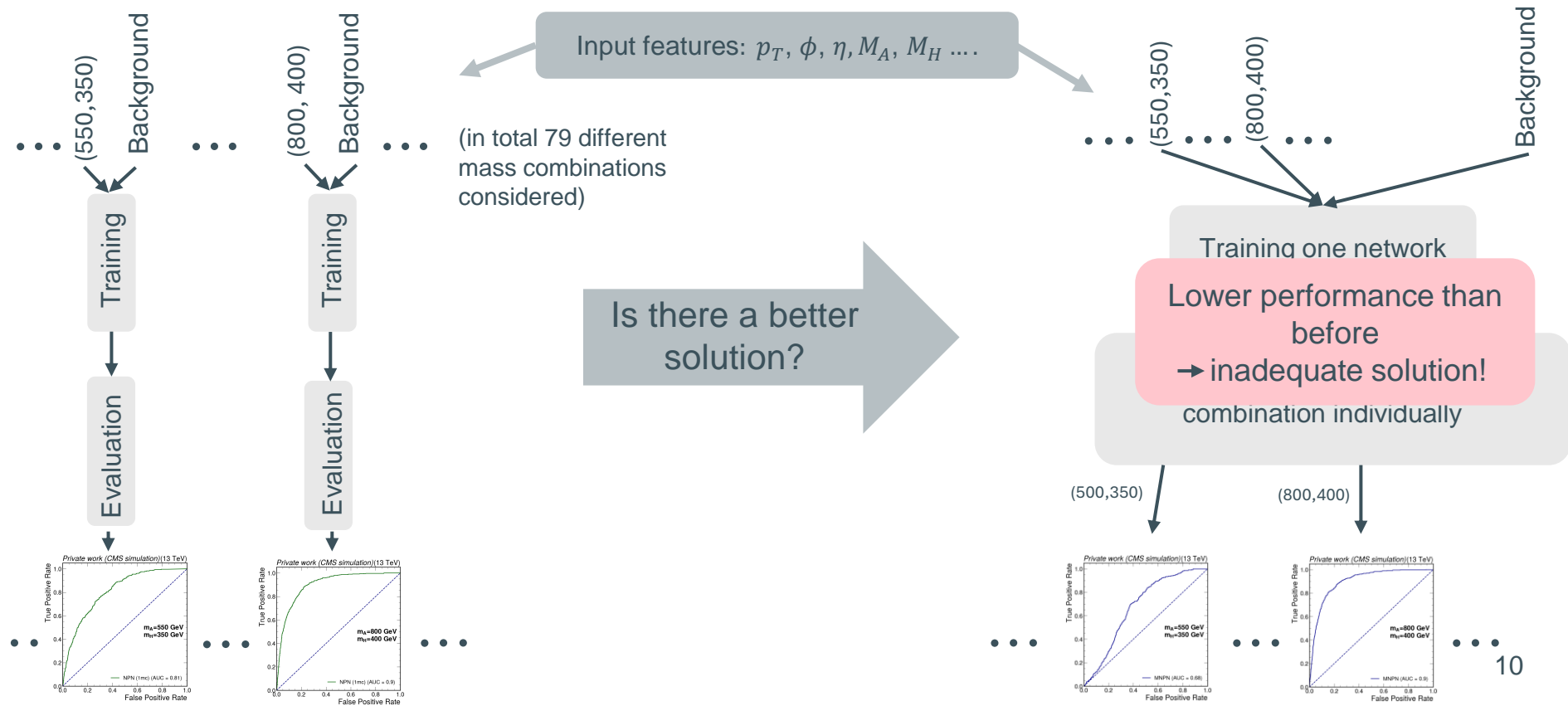


NN (1 mc): trained with 1 mass combination

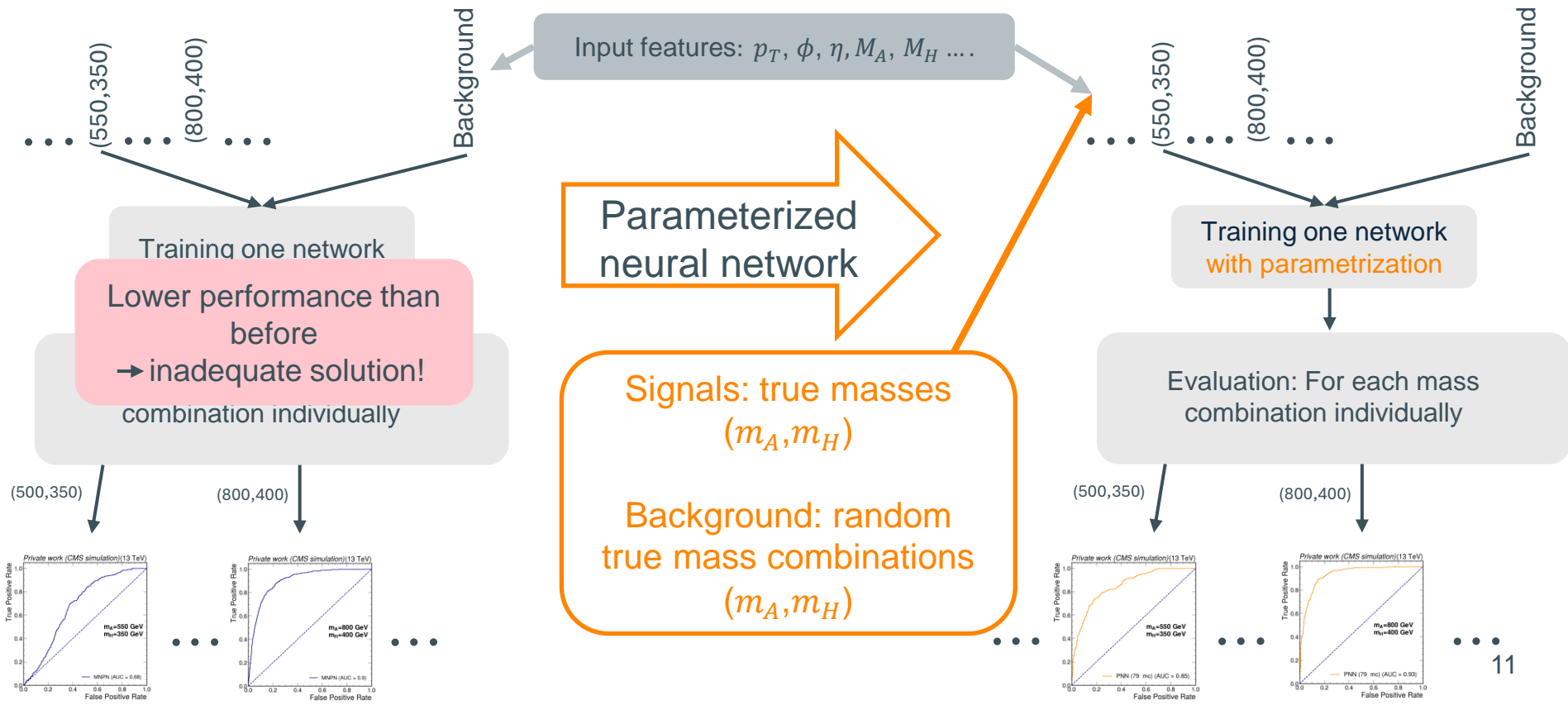
NN (79 mc): trained with 79 different mass combinations

→ The inclusion of all signal events into a NN leads to a decrease in performance for some mass combinations

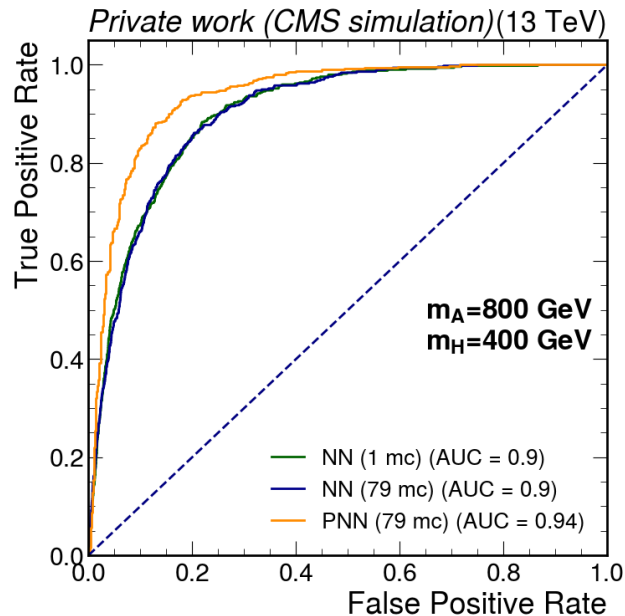
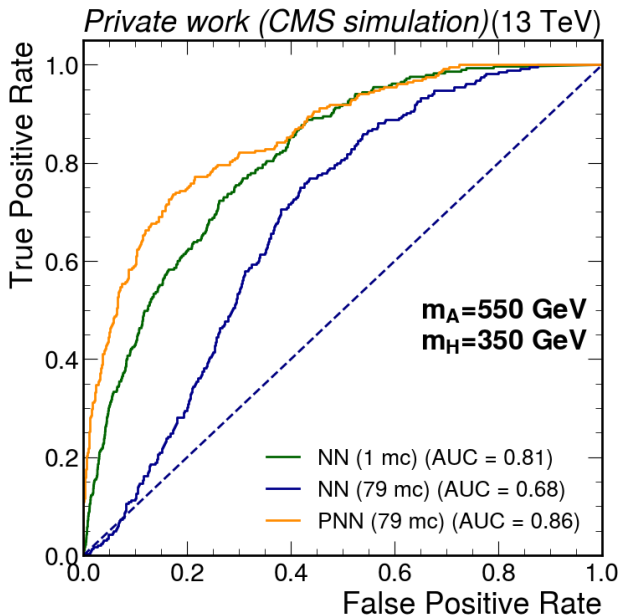
# Training of individual NN



# Parameterized neural network (PNN)



# Comparison of ROC for NN and PNN



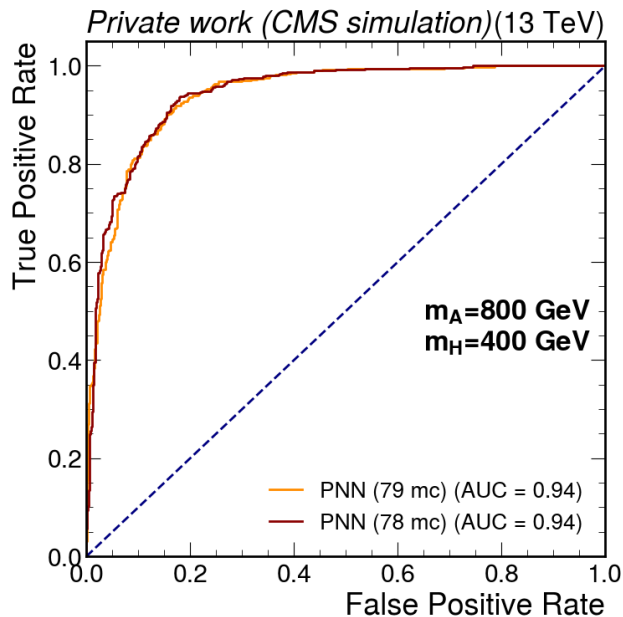
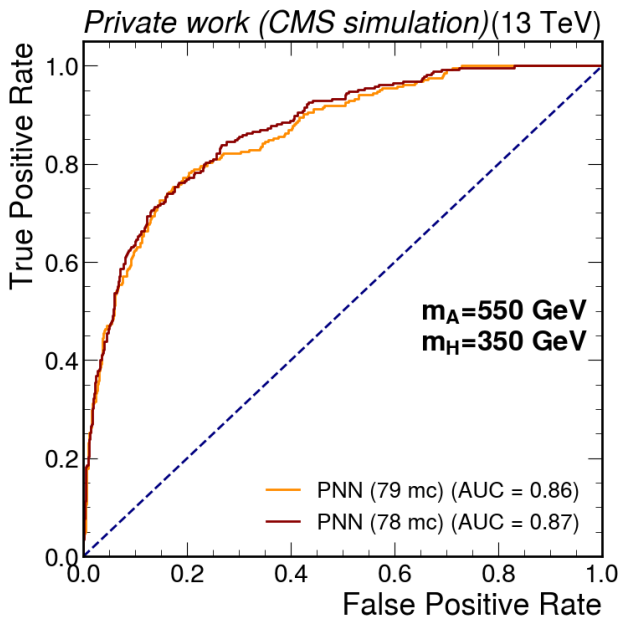
NN (1 mc): trained with 1 mass combination

NN (79 mc): trained with 79 different mass combinations

PNN (79 mc): trained with 79 different mass combinations

➔ The inclusion of all signal events with parameterization leads to an increase in performance

# Extrapolation for unseen mass combinations



PNN (79 mc): trained with 79 different mass combinations

PNN (78 mc): trained with 78 different mass combinations; the mass combination used for evaluation is not included in the training

➔ PNN can generalize and extrapolate for mass combinations not included in the training

# Advantages of PNNs

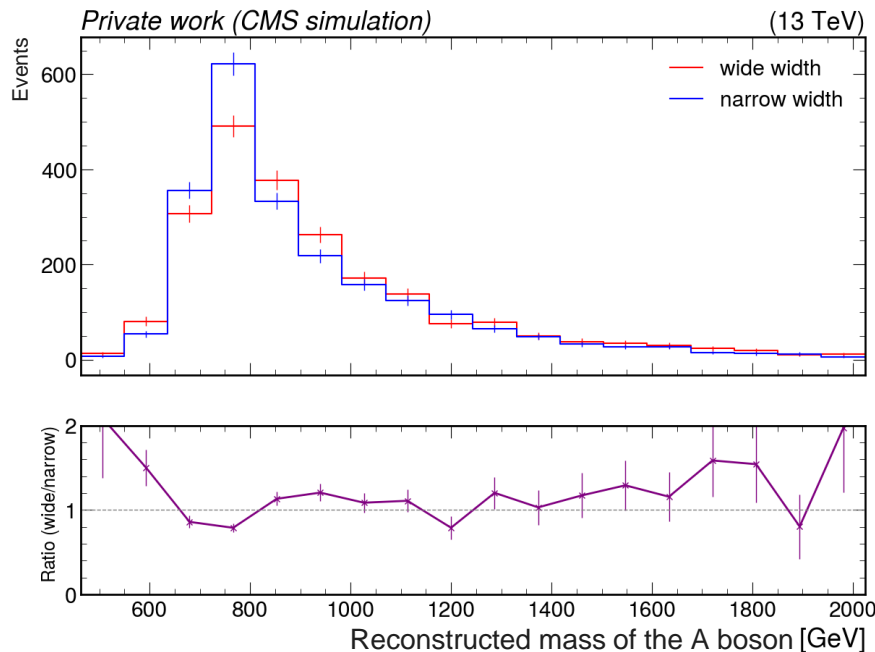


✓ One network can be used to evaluate all mass combinations

✓ Better performance than NN

✓ Evaluation of mass combinations not included in the training is possible; performance is better than NN (for considered examples)

# Impact of changes of the decay width



Narrow width:

$$\frac{\Gamma_{A/H}}{m_{A/H}} = 0.03$$

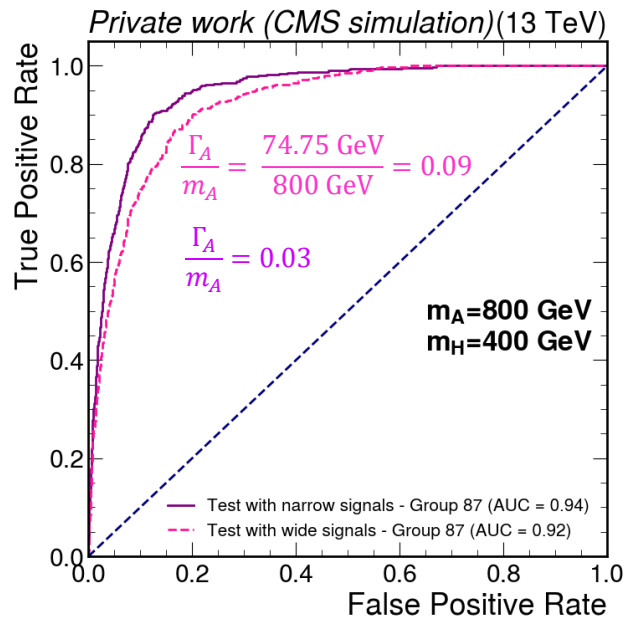
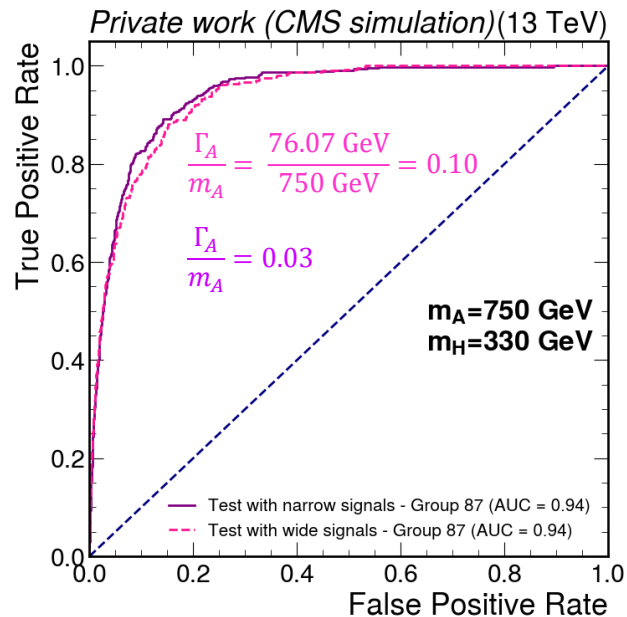
Wide width:

As predicted in 2HDM e.g.  
 $m_A = 800 \text{ GeV}$ ,  $\Gamma_A = 74.75 \text{ GeV}$   
(for  $\tan(\beta) = 2$ )

$$\frac{\Gamma_A}{m_A} = \frac{74.75 \text{ GeV}}{800 \text{ GeV}} = 0.09$$

→ Decay width of the A boson is no longer neglectable compared to detector resolution

# Impact of changes of the decay width

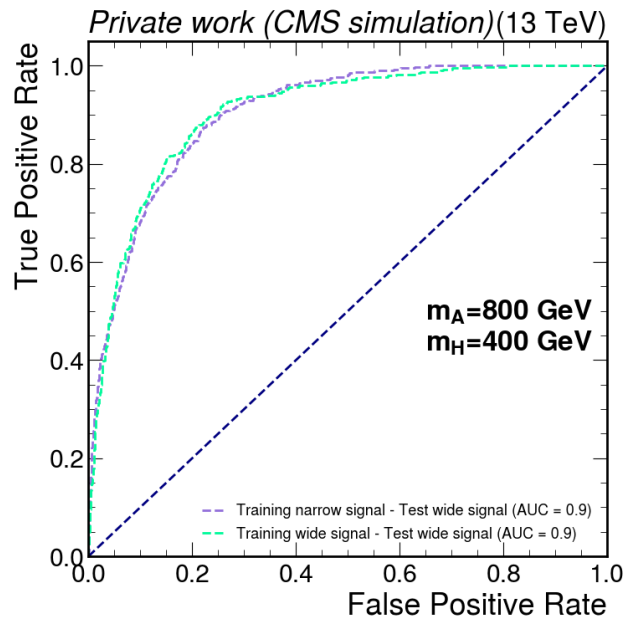
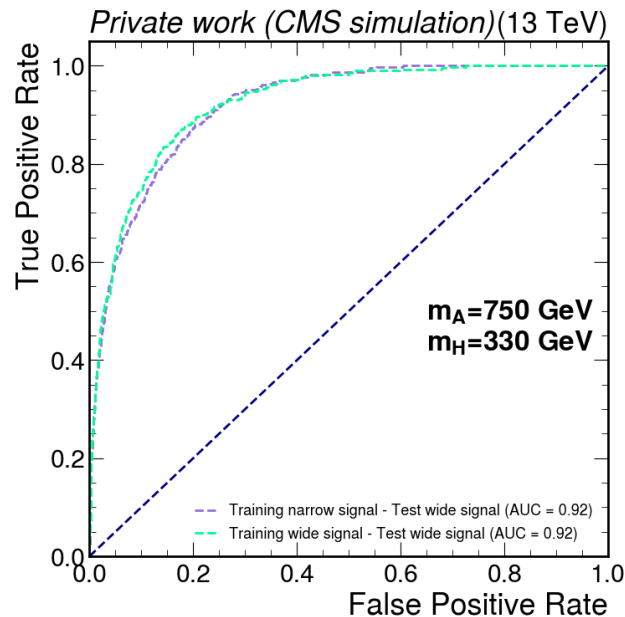


Training: narrow  
signal events

Testing: narrow  
or wide signal  
events in  
comparison

- Even if we train the network with narrow signal events, the network performs nearly similar for testing with wide signal events
- Neural network performs robust when the signal width is changed

# Impact of changes of the decay width



Training: narrow  
or wide signal  
events in  
comparison

Testing: wide  
signal events

→ Using wide signal events for training does not lead to an increase in performance compared to training with narrow signals when testing with wide signal events

# Summary



- Search for heavy Higgs bosons ( $A \rightarrow ZH \rightarrow \ell\bar{\ell} t\bar{t}$ )
- Studied neural networks for signal/background classification
- Network performance measured using ROC and AUC score
- Parameterized network trained on several mass points performs better than several individual networks
- Parameterized neural network is robust to the effects of a change in the width of the A boson

