



# Searches for *rare Higgs boson decays*

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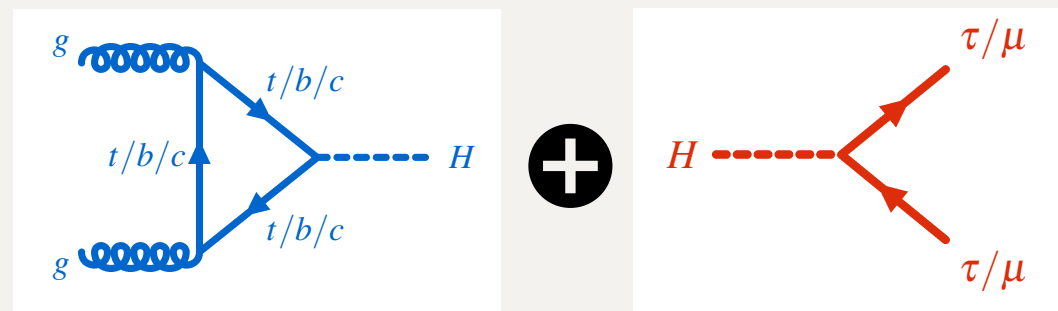
DPG 2025 meeting (Göttingen)  
April 1<sup>st</sup> 2025

# Intro to Higgs

- A bit of history 😊
- The SM expands upon a theory developed in the 19th & 20th centuries that described the EM force
  - Issues arose when trying to combine it with the weak force (originally proposed by Fermi in the 1930's to explain beta decay)
    - Massive weak bosons couldn't be accounted for
  - Mechanism (Higgs!) postulated in the 1960's allowed particles to acquire mass
  - EM and weak forces could be explained together in one single EW theory (Nobel 1979)
  - Strong force (explains e.g. why nuclei stay together despite proton's charge repulsion) was added to the mix, resulting in what we now call the SM
- SM predictions: massive weak bosons (W, Z) and Higgs
  - W boson explained beta decay but Z had never been observed!
  - Z boson discovered at CERN's SPS in the 1980's → seemed like SM was "right"
  - Higgs boson discovered in 2012, half a century after it was postulated

# Intro to Higgs

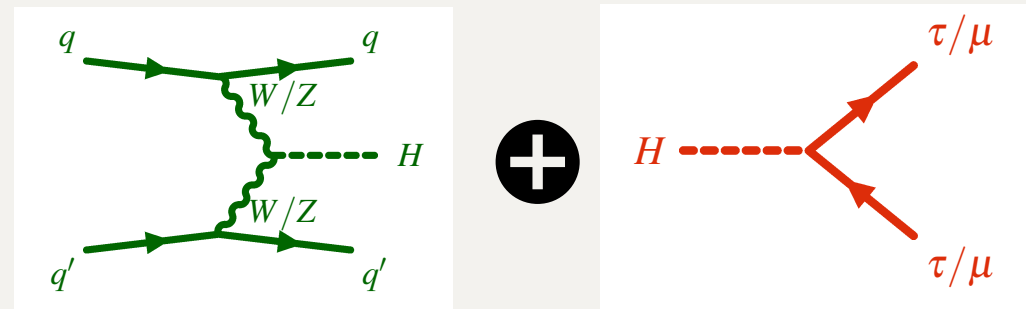
- Higgs mechanism allows particles to gain mass without breaking (symmetries of) the theory
  - Strength of Higgs coupling is proportional to particle's mass
  - Strength of Higgs coupling determines how one can produce a Higgs and how the Higgs can decay
- Experimentally, we have access to two main things:
  - How many Higgs bosons were **produced** (and how) *based on characteristics of production mode*
  - How those Higgs bosons **decayed**



- Production and decay rates contain a lot of information about the Higgs boson (and beyond?)
  - Sensitive to **couplings**
  - Any deviations we find could be signs of BSM!
- Over 30 separate measurements per experiment; rates varying over several orders of magnitude

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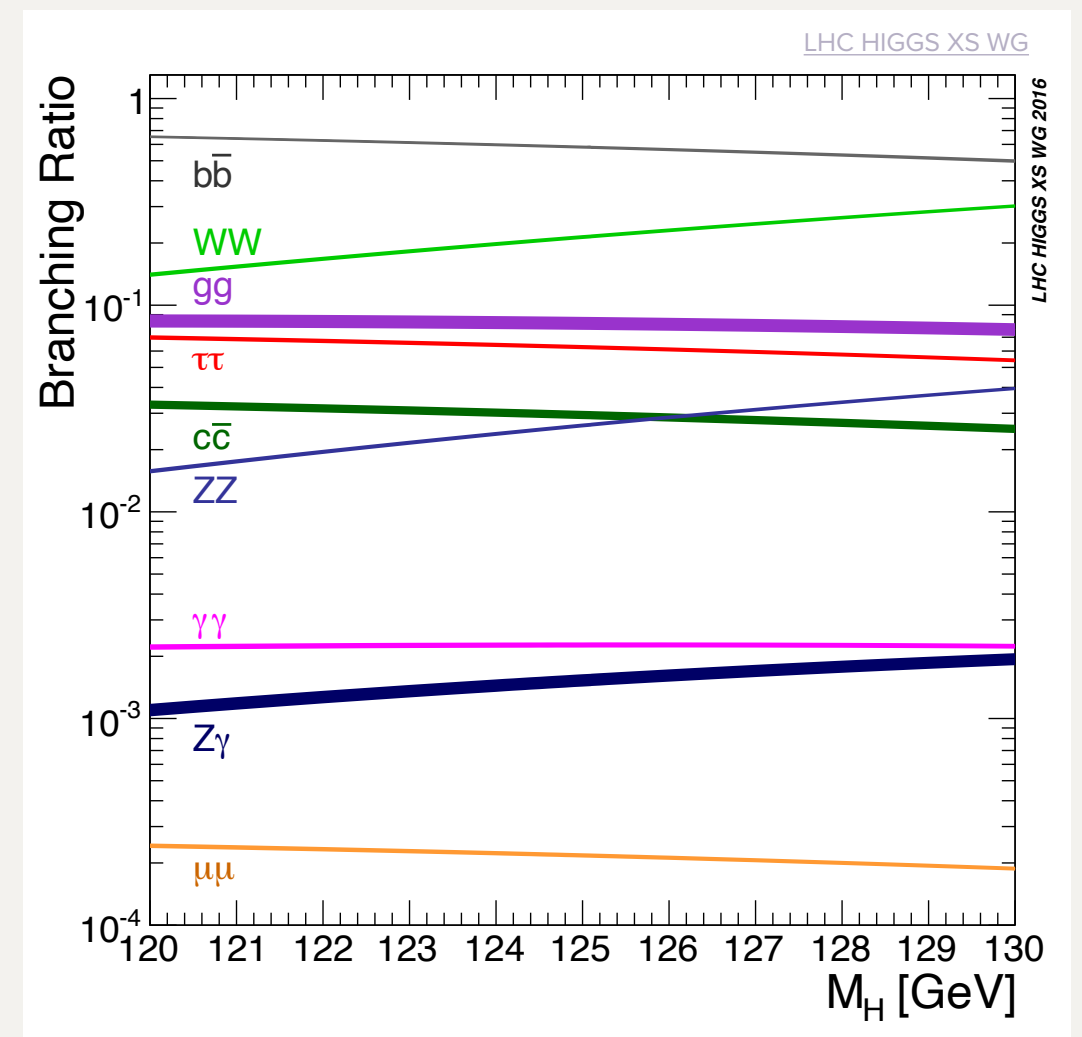


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- In general, at hadron colliders you get a lot of hadrons...so processes like  $H \rightarrow b\bar{b}$  are hard to distinguish from background
- $H \rightarrow ZZ^* \rightarrow 4\ell$  and  $H \rightarrow \gamma\gamma$  are the "golden" channels
  - Relatively low rates
  - Fully-reconstructible final states with good energy/momentum resolution
  - Nice backgrounds: low bkg rate ( $4\ell$ ), easy-to-describe ( $\gamma\gamma$ )
- This is where Higgs measurements start!

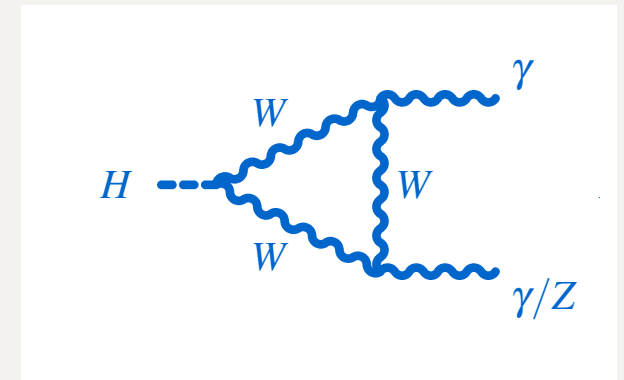


- Now, after 10+ years and with much more data, we can move to more difficult/rarer decays

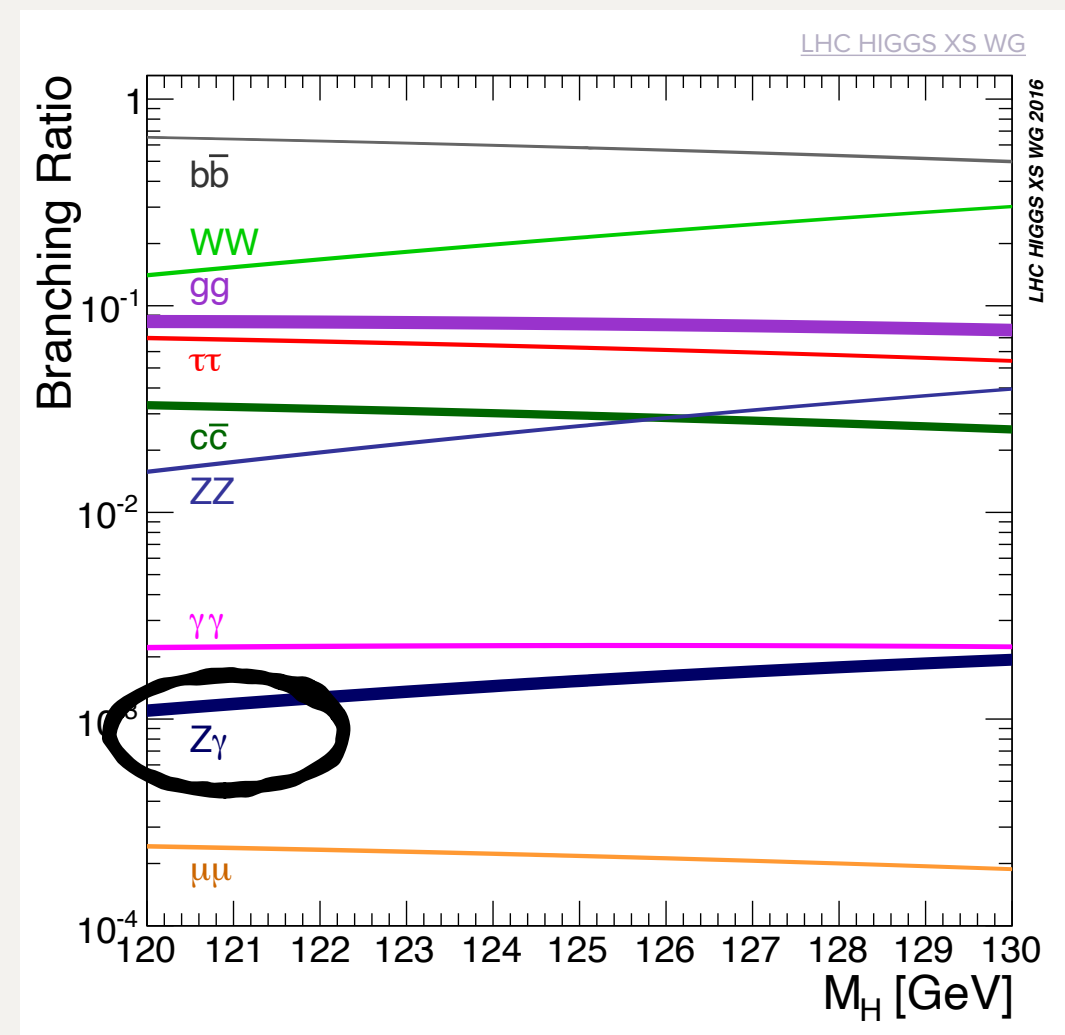
# Higgs decays with loops

Nature (2022) 607, 52-59

- Higgs decays with loops are particularly interesting because we only see the objects that “come out” of the loop
  - We don’t actually know what is inside the loop (BSM particles?)
  - Can test if the loop contents are consistent with only SM particles, using measured/expected Higgs coupling strengths to SM particles

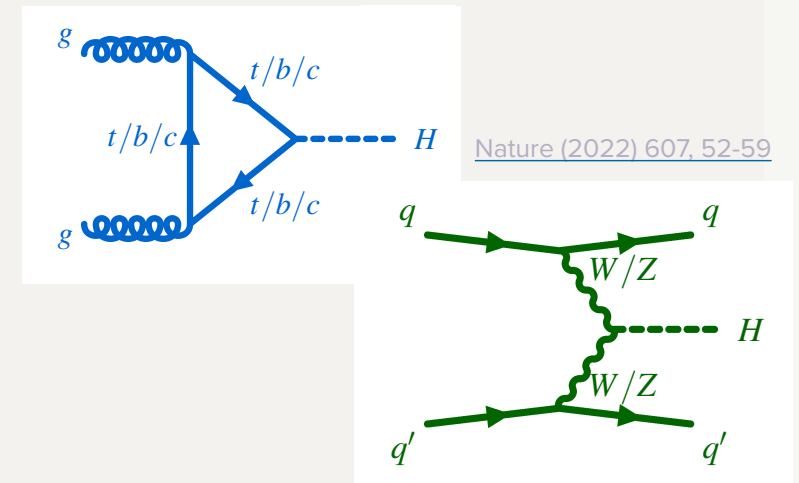


- $H \rightarrow Z\gamma$  is similar to  $H \rightarrow \gamma\gamma$ 
  - Branching ratio is quite low ( $10^{-3}$ )
  - Can be enhanced in BSM scenarios (e.g. additional colourless bosons)
- $H \rightarrow Z\gamma \rightarrow \ell\ell\gamma$  is quite nice
  - Leptons + photons: good mass resolution
  - Can pick out a nice Higgs boson “bump”
- Analysis strategy is similar to  $H \rightarrow \gamma\gamma$ 
  - Use lessons learned in  $H \rightarrow \gamma\gamma$
  - Share software, tools, techniques, ...



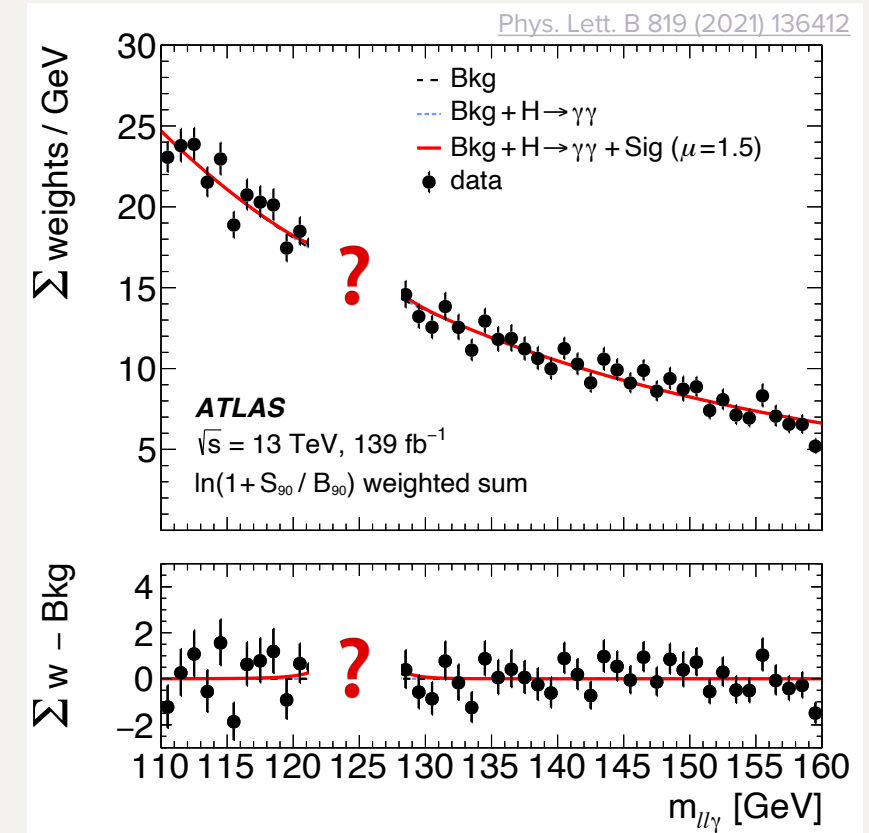
# How does the analysis work?

1. Select events that are consistent with  $H \rightarrow Z\gamma \rightarrow \ell\ell\gamma$  decays
  - Two light leptons and a photon: not too strict (low stats signal), but not too loose (don't want bkg)
  - Invariant mass near  $m_H$
  - Can ask the invariant mass of the two leptons to be near  $m_Z$  (or not, for  $H \rightarrow \gamma^*\gamma \rightarrow \ell\ell\gamma$ )
2. Select events that target specific Higgs boson production modes
  - Typically allows better signal/background separation by focusing on specific kinematics
3. Describe the signal
  - Usually a Double-Sided Crystal Ball (DSCB) function is used
    - Same as for  $H \rightarrow \gamma\gamma$  analysis
    - Roughly: mean maps to the Higgs boson mass, width maps to the resolution
4. Understand the backgrounds
  - Mainly two types:  $Z + \gamma$  events (not from a Higgs decay) and  $Z + \text{jets}$  where a jet gets misidentified as a photon
  - Neither peaks around  $m_H$



# Background estimates

- Background is a smoothly-falling spectrum
  - Shape of this spectrum under Higgs peak very important
  - If we predict this wrong under the Higgs peak, the rate measurement will be off
- Simulated  $\ell\ell + \gamma$  events used to estimate “shape” of this contribution
  - This is the largest background, especially at low  $m_{\ell\ell}$
  - Very large samples are created to have minimal statistical fluctuations that could distort the shape
  - Typically done using fast simulation
- For events with  $m_{\ell\ell} \approx m_Z$ , there is an important contribution from  $Z + \text{jets}$ 
  - Difficult to simulate enough jets that look photon-like (most jets are not photon-like)
  - Solution: take  $\ell\ell + \text{jets}$  events from data
  - Select events with a jet that is *somewhat* photon-like (e.g. passes “loose” identification selection)
    - Use this to estimate the shape of  $\ell\ell + \text{jets}$  events with jets that are more photon-like
    - Ends up being quite similar to  $\ell\ell + \gamma$ , can just take  $\ell\ell + \gamma$  and correct it a bit



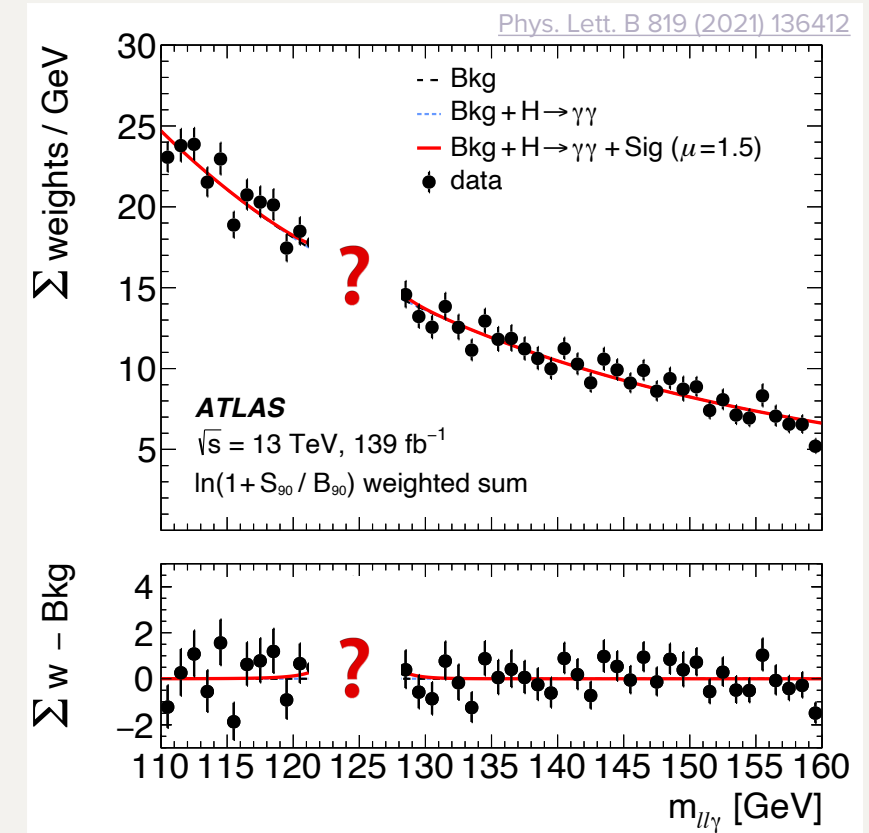


# Background estimates

- Now that we know what the two shapes look like, we need their relative contributions, especially under the Higgs peak
- Don't do this check in our measurement region
- Instead:
  - Look at events in data where the third object is more/less photon-like and more/less isolated
  - Learn how the fraction changes, so you can predict what the fraction will be in the measurement region

	More isolated	Less isolated
More photon-like	A	B
Less photon-like	C	D

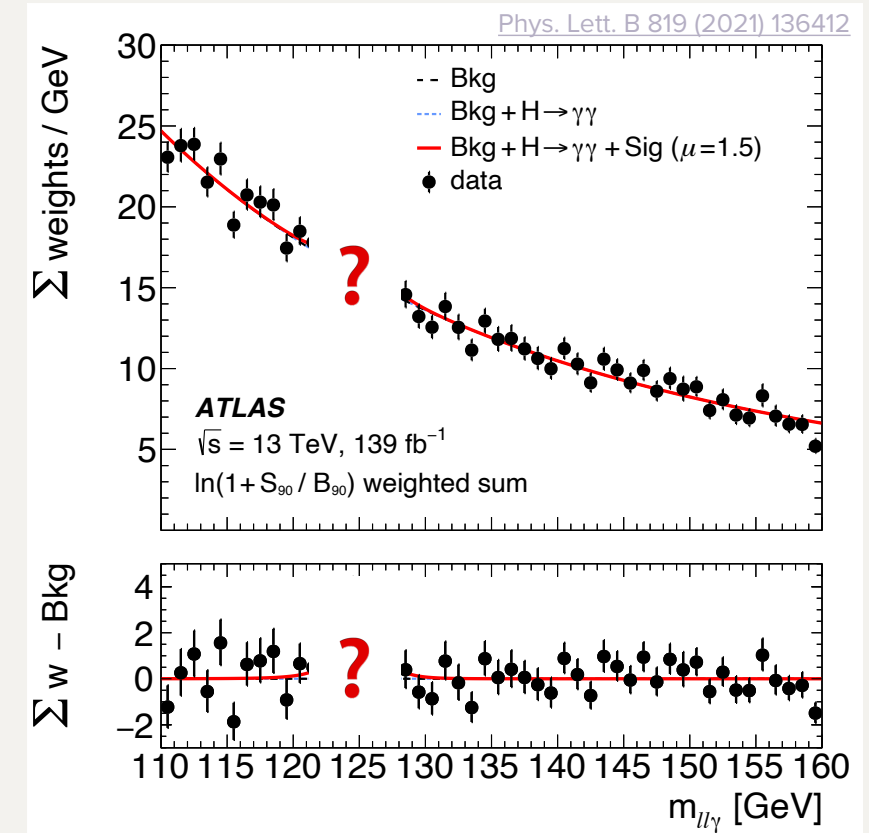
How does the rate of  $\ell\ell + \gamma$  vs  $\ell\ell + \text{jets}$  change if you ask the object to be more isolated?



How does the rate of  $\ell\ell + \gamma$  vs  $\ell\ell + \text{jets}$  change if you ask the object to be more photon-like?

# Background estimates

- Not done yet!
- Really need to reduce statistical fluctuations
  - Smoothest thing you can get: a functional form
  - Function options (from  $H \rightarrow \gamma\gamma$ : power law, Bernstein polynomials or exponential of polynomials)
- Fit the  $\ell\ell + \gamma$  vs  $\ell\ell + \text{jets}$  distribution we created
  - See what function works best
  - Criteria:
    1. Describes data in side-band
    2. Minimises the possibility of finding a signal where there isn't any (spurious signal, i.e. S+B fit to B-only MC)
- Different functions are needed in different regions (e.g. VBF vs ggF)
- Spurious signal is the largest source of systematic uncertainty in this measurement



# Results + conclusion

- This kind of analysis was done by ATLAS and CMS
- $H \rightarrow \gamma\gamma^*$  and  $H \rightarrow Z\gamma$  at  $3\sigma$  "evidence" in Run 2:
  - $H \rightarrow \gamma\gamma^*$ :
    - $3.2\sigma$  observed ( $2.1\sigma$  expected) in ATLAS [Phys. Lett. B 819 \(2021\) 136412](#)
    - 95% CL of  $\sim 4.0 \times \text{SM}$  for  $H \rightarrow \gamma\gamma^* \rightarrow \mu\mu\gamma$  in CMS [JHEP 11 \(2018\) 152](#)
  - $H \rightarrow Z\gamma$ :
    - $2.2\sigma$  observed ( $1.2\sigma$  expected) in ATLAS [Phys. Lett. B 809 \(2020\) 135754](#)
    - $2.6\sigma$  observed ( $1.2\sigma$  expected) in CMS [JHEP 05 \(2023\) 233](#)
    - Combined  $3.4\sigma$  observed ( $1.6\sigma$  expected) [PRL 132 \(2024\) 021803](#)
- Results are above SM expectation near  $m_Z$  and way from it, and in ATLAS and CMS
  - Not very statistically significant, but interesting 😊
- Stat-limited analyses that greatly benefit from the Run 3 dataset + analysis improvements
  - Stay tuned for Run 3 publications!

