# TA3 Highlights

from WP3

(slides from Anna Hallin)

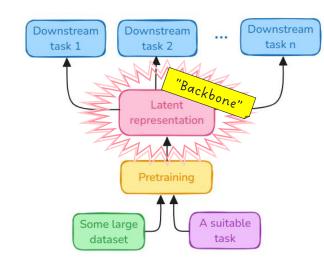
and WP4

(slides from Lorenz Gärtner)

Thomas Kuhr

### **Foundation models**

- Definition:
  - A foundation model is a machine learning model that once pretrained can be finetuned to different downstream tasks
  - The performance of pretraining + finetuning is better than training on the downstream task from scratch
- Large language models (LLMs) like Chat-GPT made foundation models famous, but the concept is not limited to this type of models.
- Foundation models do not need to be based on transformers, although most are.



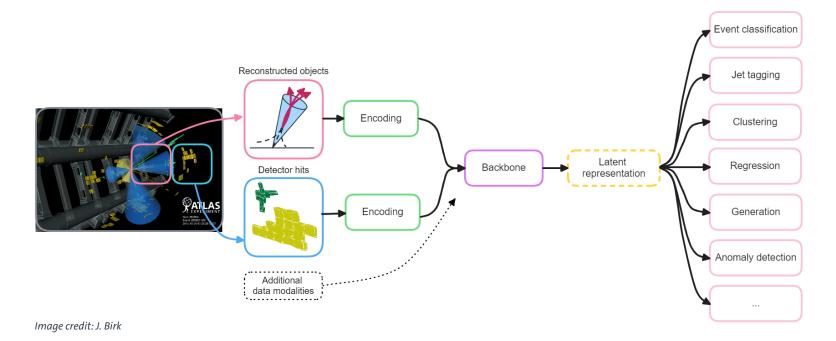


### Why would we want to use them?

- Foundation models may be expensive to train, but once pre-trained, downstream tasks require
   less resources
  - Human resources
  - Compute resources
- Can leverage the pretraining to boost performance on small datasets
  - The model learns the general structure of the data during pretraining
  - Can focus on the details during finetuning
- Sharing pre-trained models can provide others with access to resources that are normally not accessible for them (data, computing resources)

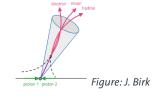


### What a particle physics foundation model could look like





### A cross-task foundation model for jet physics



- OmniJet-α (Birk, AH et al, <u>Mach.Learn.Sci.Tech.</u> 5 (2024) 3, 035031; github) was the first foundation model for jet physics that was able to switch tasks: from generation to classification
- Unsupervised pretraining on generation
  - A model that learns to generate should learn what a jet in general is supposed to look like
  - Unsupervised pretraining means that we can use data directly
  - Using low level constituent features only  $(p_T, \Delta \eta, \Delta \phi)$
  - Particle features are **tokenized** and jets are represented as a sequence of integers:  $p_i = \{p_T, \eta, \phi, ...\} \rightarrow \text{token}_i$
  - Based on a modified GPT-1 architecture (Radford et al 2018  $\mathscr{D}$ ) with **next token prediction** as target:  $p(x_j|x_{j-1},...,x_0)$

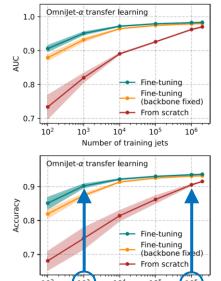


### A cross-task foundation model for jet physics



proton 2 Figure: J. Birk

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  - Using low level constituent features only  $(p_T, \Delta \eta, \Delta \phi)$
  - Particle features are tokenized and jets are represented as a sequence of integers
  - Based on a modified GPT-1 architecture (Radford et al 2018  $\mathscr{D}$ ) with **next token prediction** as target:  $p(x_i|x_{i-1},...,x_0)$
- Finetune on supervised classification
  - Demonstrated that the pretrained model outperformed the model trained from scratch, in particular on very small datasets

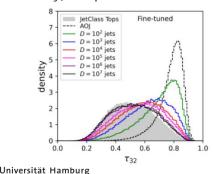


mber of training jets

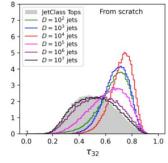


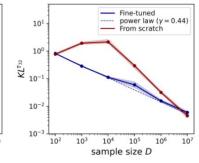
## **Training on real data**

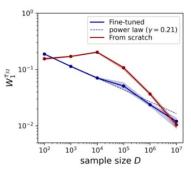
- Aspen Open Jets (Amram, AH et al, <u>Mach.Learn.Sci.Tech.</u> 6 (2025) 3, 030601; github)
  - Derived an unlabeled ML-friendly dataset from CMS Open data, containing 180M jets and made it public: fdr.uni-hamburg.de/record/16505
  - Expected to contain mostly QCD jets, and ~10<sup>5</sup> top jets
- **Pretrain** OmniJet- $\alpha$  on this dataset, then **finetune** on generation of hadronically decaying top jets (simulation)  $\rightarrow$  better performance than training from scratch
- Having seen QCD jets is apparently helpful in order to generate top jets, also (or perhaps particularly) for quantities that are difficult to model, for example the n-subjettiness



DER FORSCHUNG | DER LEHRE | DER BILDUNG

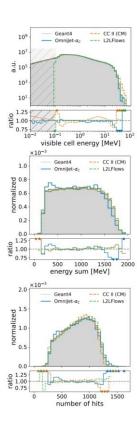






### **Beyond jets**

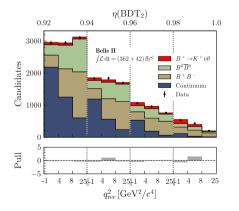
- Can a foundation model deal with a completely different data type?
- OmniJet-α<sub>C</sub> (Birk, AH et al, <u>JINST 20 (2025) 07, P07007</u>; github) applies the OmniJet-α architecture to point-cloud calorimeter showers
  - Possible since the model requires no physics knowledge and is not dependent on any specific type of input (sequence of integers)
  - No weights from the jet version of OmniJet-α are used: data types are presumably too different for the model to benefit from it
  - Generative training on photon showers shows good results
  - Learns the number of hits independently, no need to condition on it
- By re-using the architecture, we have shown a hint of translatability





# Belle II has reported "Evidence for ${\it B}^+ ightarrow {\it K}^+ u ar{ u}$ decays"

PRD 109.112006



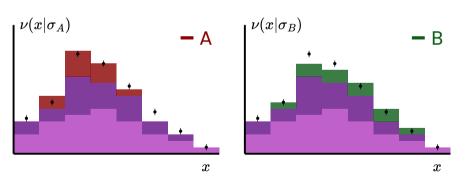
- Fit to kinematic distribution with SM signal scaled by  $\mu$
- $\mu = 4.6 \pm 1.0 \text{(stat)} \pm 0.9 \text{(syst)}$
- 2.7 $\sigma$  above SM ( $\mu = 1$ )
- $\rightarrow$  Hint for new physics (NP)?

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 $\rightarrow$  What kind of NP?

# If there is NP kinematic distributions can change

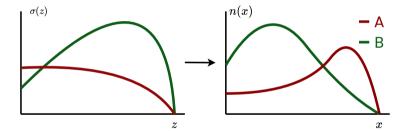
 $p(n|\text{model A}) \neq p(n|\text{model B})$ 



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### Templates from kinematic predictions

$$n(x|\sigma) = \int dz \; L \; \varepsilon(x|z) \; \sigma(z) = \int dz \; n_{\sigma}(x,z)$$



$$z(=q^2)$$
 – kinematic d.o.f.

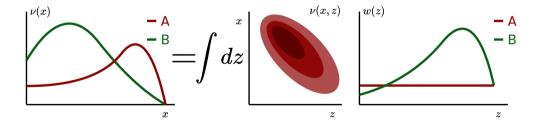
x - reconstruction / fitting variable(s)

L – luminosity

$$\varepsilon(x|z)$$
 – conditional efficiency  $n_{\sigma}(x,z)$  – joint number density

### Reweight to new model

$$\boxed{n(x|B)} = \int dz \, L \, \varepsilon(x|z) \, \boxed{\sigma_B(z)} = \int dz \, L \, \varepsilon(x|z) \, \boxed{\sigma_A(z)} = \int dz \, \boxed{n_A(x,z)} \quad \boxed{w(z)}.$$



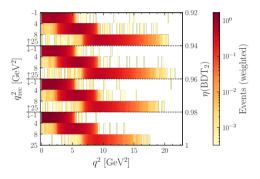
Discretization ⇒ joint number density histogram



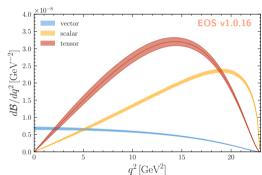
### A reinterpretation framework EPJC 84, 693 (2024) github.com/lorenzennio/redist

### Application to Belle II $B^+ \to K^+ \nu \bar{\nu}$ Result

#### Joint number density



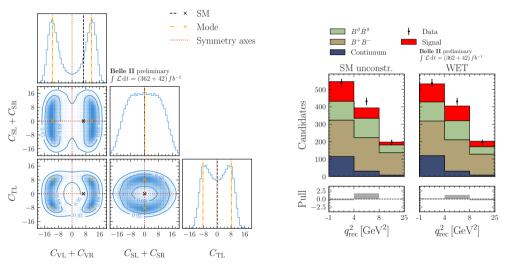
#### Weak Effective Theory (WET)



SM contains only *vector* contribution.

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### Result [arXiv:2507.12393]



**First ever** direct constraints on  $b \to s\nu\bar{\nu}$  WET Wilson coefficients  $\triangleright$ 

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# Summary

TA3 is advancing FAIRness with foundation models and reinterpretation methods

→ Integration in SDP (in PUNCH 2.0)?