

Study of polarization fractions in same-sign W boson scattering at $\sqrt{s} = 13 \text{ TeV}$ with the ATLAS detector

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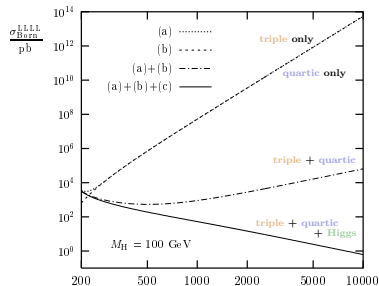
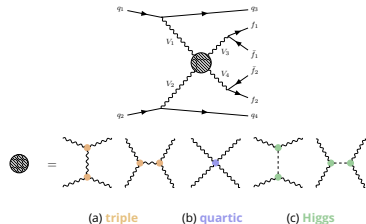


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Introduction: Electroweak-induced same-sign $WWjj$ production

Vector boson scattering (VBS) $V_1 V_2 \rightarrow V_3 V_4$ process in $W^\pm W^\pm jj$ final states:

- Rare process: low cross-section even at energy scales achieved by the LHC
- $W^\pm W^\pm jj$ characterized by large EWK-to-QCD production mode ratio
- The Higgs mechanism generates gauge boson masses and their longitudinal polarization
- In $V_L V_L \rightarrow V_L V_L$, unitarity is violated without Higgs interaction $\Rightarrow$ indirect test of electroweak symmetry breaking mechanism
- Allows test of anomalous quartic gauge couplings (aQGCs)
- Probes deviations from the SM: additional Higgs, new couplings, new resonances

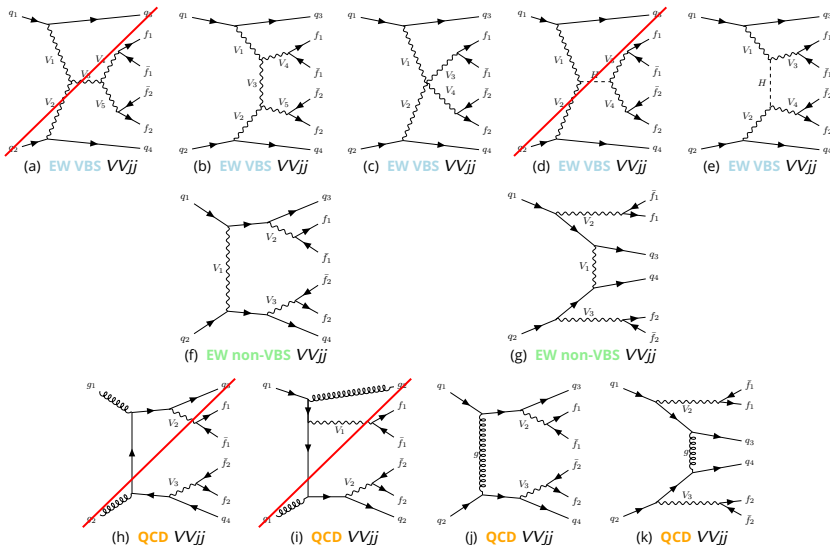


A. Denner, T. Hahn, [Nucl.Phys.B525:27-50,1998](#)

$VVjj$ production with $V = W, Z, \gamma$ at Leading Order

$W^\pm W^\pm jj$ has the largest EWK-to-QCD production cross-section ratio amongst all the VBS sensitive $VVjj$ final states

- suppressed diagrams in $W^\pm W^\pm jj$ crossed with red line

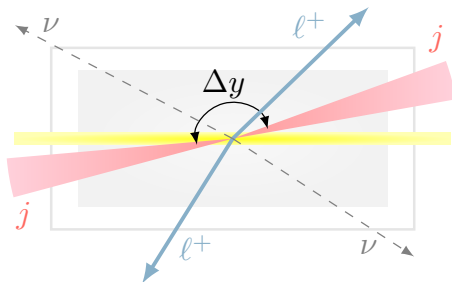


Same-sign WW process: Event Signature

Event Signature: 2 same-sign leptons + E_T^{miss} + 2 forward jets

VBS $W^\pm W^\pm jj$ event topology:

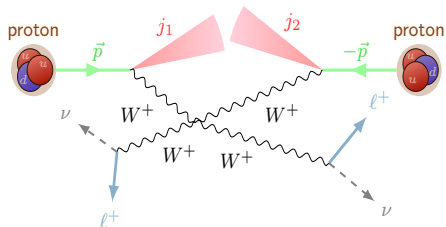
- 2 incoming quarks
- 2 tagging jets (j) in the forward regions with large rapidity gap (Δy)
- 2 outgoing leptons (ℓ) and neutrinos (ν) which come from W boson decays
- W 's lie in the central region
- No additional jet in the gap region



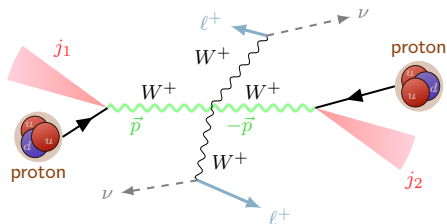
Polarized same-sign WW

Measurement of L -polarized $W^\pm W^\pm jj$ production:

- Polarization is not Lorentz invariant $\implies$ reference frame must be chosen
- W polarization defined in following reference frames:
 - parton-parton center-of-mass ($pCoM$)
 - diboson or WW center-of-mass ($WWCoM$)



pCoM



WWCoM

Polarization and its Influence

Polarization of gauge boson affects the kinematic & angular distributions of decay products

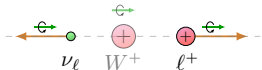
- Used in MC Validation

W boson only couples to left-handed particles and right-handed anti-particles

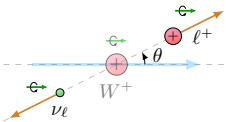
- ($W_L, h=0$) ℓ^+ escapes $\perp$ W^+ direction
- ($W_{T,R}, h=+1$) ℓ^+ escapes $\parallel$ W^+ direction
- ($W_{T,L}, h=-1$) ℓ^+ escapes anti-parallel to W^+ direction

$$\frac{1}{\sigma} \frac{d\sigma}{d \cos \theta} = \underbrace{\frac{3}{8}(1 \mp \cos \theta)^2 f_{T,L} + \frac{3}{8}(1 \pm \cos \theta)^2 f_{T,R}}_{\text{Transverse}} + \underbrace{\frac{3}{4} \sin^2 \theta f_L}_{\text{Longitudinal}}, \quad \text{for } W^\pm$$

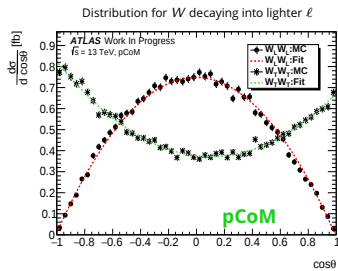
Consider the decay $W^+ \rightarrow \ell^+ \nu$:



(a) Helicity in $W^+ \rightarrow \ell^+ \nu$ decay in boson rest frame



(b) Polar angle θ



Signal Monte Carlo: Generation & Validation

- ssWW EWK MC samples generated using Madgraph ($pp \rightarrow W_X W_Y jj, W \rightarrow \ell \nu$)
 - Wrong polarization assignment for final states with τ leptons
- $\cos \theta$ plots of mixed pol. samples show pol. preference in τ channels
 - $W_L W_T$ sample prefers $W_T \rightarrow \tau \nu$
 - $W_T W_L$ sample prefers $W_L \rightarrow \tau \nu$
- Contacted MG5 developers [\[Launchpad Ticket\]](#)
 - Received 2 possible solutions: (1) Syntax change (implemented), (2) Patch
- Generated $W_L W_T, W_T W_L$ samples with suggested syntax correction
 - Old syntax ($l=e,\mu,\tau$)

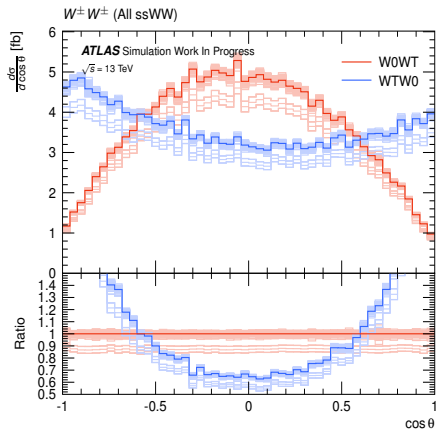
```
generate p p > w+{X} w+{Y} j j QED=4 QCD=0, w+ > l+ vl @1
add process p p > w-{X} w-{Y} j j QED=4 QCD=0, w- > l- vl~ @1
```

- New syntax ($l=e,\mu$)

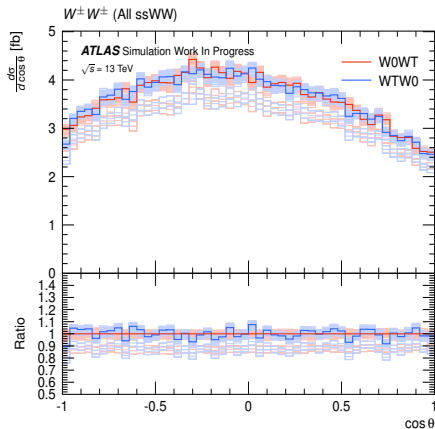
```
generate p p > w+{0} w+{T} j j QED=4 QCD=0, w+ > l+ vl @1
add process p p > w+{0} w+{T} j j QED=4 QCD=0, w+ > l+ vl, w+ > ta+ vl @1
add process p p > w+{0} w+{T} j j QED=4 QCD=0, w+ > ta+ vl, w+ > l+ vl @2
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add process p p > w-{0} w-{T} j j QED=4 QCD=0, w- > l- vl~ @1
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```

Comparison of new and old $\cos\theta$ plots: All ssWW events

Note: $W_0 = W_L$



(a) Before Fix



(b) After Fix

Same-sign WW process: Event Selections & Measurement

Event Selections

2 same-sign leptons

$$p_T^\ell > 27 \text{ GeV}$$

Veto if ≥ 3 lepton

$$m_{\ell\ell} > 20 \text{ GeV}$$

$$|m_{\ell\ell} - m_Z| > 15 \text{ GeV}$$

$$n_{\text{jets}} \geq 2$$

$$p_T^{j1(j2)} > 65(35) \text{ GeV}$$

$$E_T^{\text{miss}} > 30 \text{ GeV}$$

$$n_{\text{bjets}} = 0$$

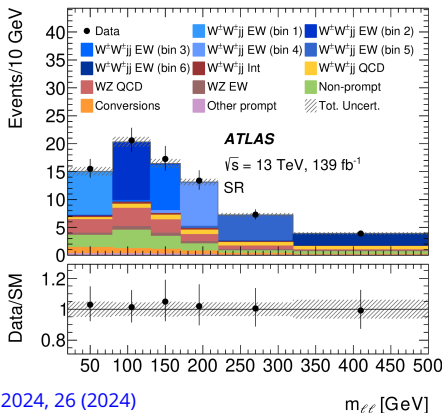
$$|\Delta y_{jj}| > 2$$

$$m_{jj} \geq 500 \text{ GeV}$$

VBS enhancing selections

Current ATLAS result:

EWK $ssWW$ cross section measurement using full Run 2 data



JHEP 2024, 26 (2024)

$W^\pm Zjj$ background ($W^\pm Zjj \rightarrow \ell^\pm \nu \ell^\pm \ell^\mp jj$)

- Dominant background, $\ell^\mp$ (from Z decay) out of detector acceptance or not identified
- Estimation $\rightarrow$ Sherpa 2.2.2 MC with data-driven M_{jj} shape correction

Non-prompt background

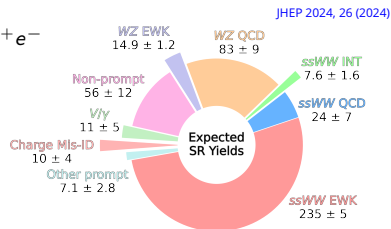
- Non-prompt/fake lepton: Any object, which is not a prompt lepton, reconstructed as a lepton in the detector
 - Main sources: W +jets and $t\bar{t}$ events
- Estimation $\rightarrow$ data-driven techniques: fake factor method

Charge flip/misidentification background

- e charge misidentification because of incorrect track curvature measurements or wrong e-reconstruction
 - Main sources: high p_T tracks, $e^\pm \rightarrow e^\pm \gamma \rightarrow e^\pm e^+ e^-$
- Estimation $\rightarrow$ data-driven method

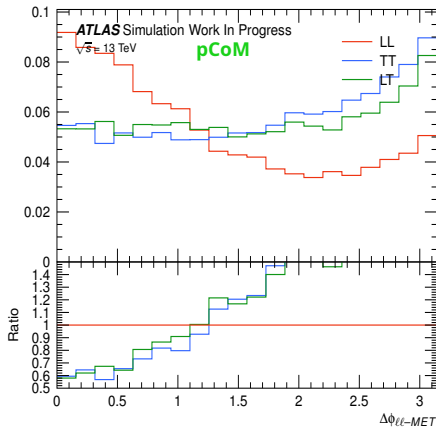
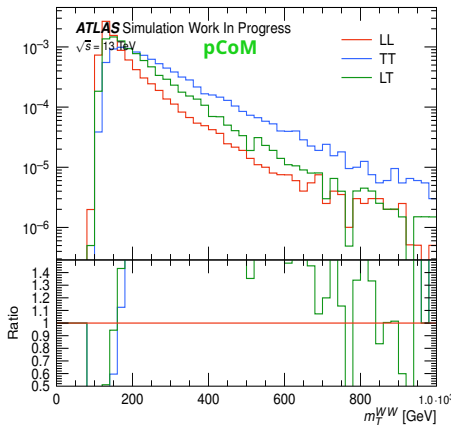
Photon conversion background ($V\gamma jj$)

- e channel contributions through γ conversions
- Estimation $\rightarrow$ Sherpa 2.2.11 $V\gamma$ MC



Various kinematic and angular distributions studied to separate LL pol. modes

- Important variables include invariant masses, p_T , $\Delta\phi$, ΔR , etc. of final state particles



(Complete list of distributions in backup slides)

Classification: $W_L W_L$ vs $W_X W_T$ + Other Bkgs

Deep Neural Network trained to separate LL -polarization modes

Statistics	Label	Class	No. of events (SR)	
			$p\text{CoM}$	$WW\text{CoM}$
	1	Signal	$\sim 20\text{k}$	$\sim 22\text{k}$
	0	Background	$\sim 250\text{k}$	$\sim 250\text{k}$

Signal LL pol. ($W_L^\pm W_L^\pm$)

Background TL, TT pol., $ssWW$ QCD, $ssWW$ INT, WZ QCD, WZ EW6, $ZZ, V/\gamma$, charge Flip, triboson, ttX , Fakes (W +jets, $t\bar{t}$ semi-leptonic)

Input Variables $m_T^{WW}, m_{\ell\ell}, \Delta\phi_{jj}, \Delta\phi_{\ell\ell}, \Delta\phi_{\ell\ell-E_T^{\text{miss}}}, p_T^{\ell_1}, p_T^{\ell_2}, p_T^{j_1}, p_T^{j_2}, p_T^{\ell\ell}, \frac{p_T^{\ell_1} \cdot p_T^{\ell_2}}{p_T^{j_1} \cdot p_T^{j_2}}, E_T^{\text{miss}}, z_{\ell_1}^*, z_{\ell_2}^*, \Delta R_{j_1-\ell\ell}, \Delta R_{j_2-\ell\ell}$

Preprocessing Scaled to MC event weights & standardized normally distributed data

- Distribution with zero mean and unit variance

Scaling Datasets are balanced to avoid bias: scale factor (Sig) = $\sigma(Bkg)/\sigma(Sig)$

Dataset Split (Training, Testing, Validation) = (60, 20, 20) in %

Avoiding Overtraining Dropout layers, Early stopping, Model checkpoint

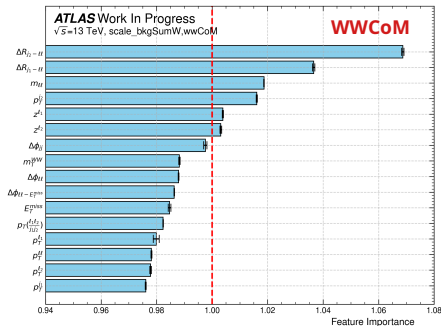
Variable Selection: Permutation Feature Importance

Permutation Feature Importance algorithm:

- Ranks input features of a NN
- Removes highly correlated input variables
- Benefit: Retraining of NN is not needed
- NN evaluated on permuted sets of input features

Method:

- $\forall$ input features, modified input dataset is created
- Values for this feature (say j) are swapped with each other over the whole dataset
 - It breaks the association of j value to a particular input observable
 - Also breaks j value's correlations to other input observables

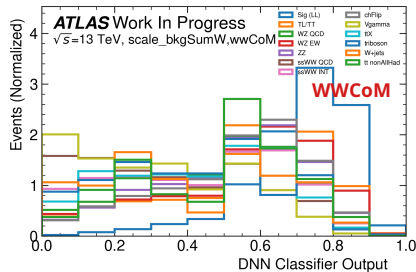
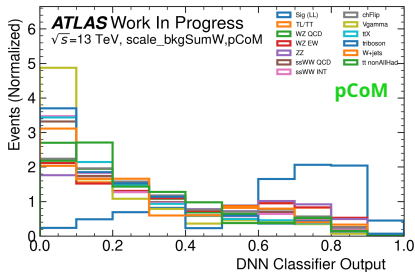
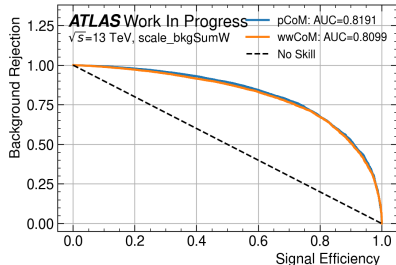


- Algorithm's inputs: trained model f , input dataset X , figure-of-merit L
- Performance measures:

$$e^{\text{orig}} = L(f(X)), e_j^{\text{perm}} = L(f(X_j^{\text{perm}}))$$
- Feature Importance: $FI_j = \frac{e_j^{\text{perm}}}{e_j^{\text{orig}}}$

DNN Classification Performance

- Predictions made on Sig & Bkgs using trained DNN model
- ROC curve gives an estimation of the algorithm accuracy
- DNN output score shows a good separation of Sig and individual Bkgs



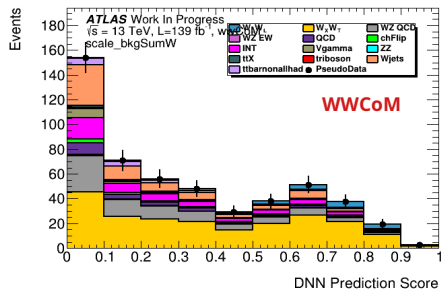
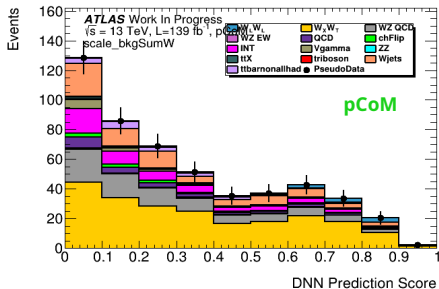
Extracting $W_L W_L$ polarization fraction

χ^2 fit for $W_L W_L$ polarization fraction (Signal Region):

$$\chi^2(c_{LL}) = \sum_{i \in \text{bins}} \frac{((c_{LL} \cdot N_{LL}^i + N_{\text{Bkgs}}^i) - N_{\text{pdata}}^i)^2}{(\Delta N_{LL}^i)^2 + (\Delta N_{\text{Bkgs}}^i)^2 + (\Delta N_{\text{pdata}}^i)^2}$$

In SM MC, $c_{LL} = 1$.

$$f_{LL} = \frac{c_{LL} \cdot \sum N_{LL}}{c_{LL} \cdot \sum N_{LL} + \sum N_{XT}}$$



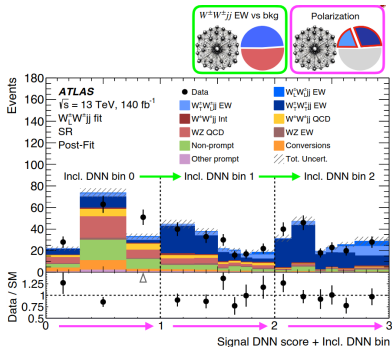
Result*	p_{CoM}	f_{LL}	WWCoM
DNN	$0.06^{+0.05}_{-0.06}$		$0.09^{+0.06}_{-0.06}$
Theory prediction	0.0640 ± 0.0007		0.0987 ± 0.0011

Note: Pseudodata = $\sum$ (Sig, all Bkgs)

*Systematics not yet included.

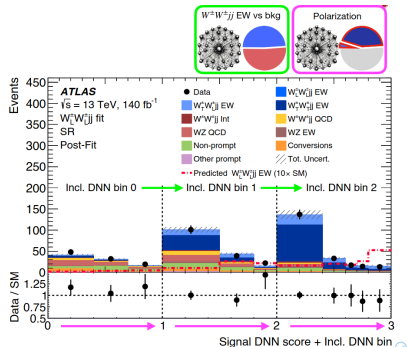
Single boson polarization ($W_L^\pm W_L^\pm jj$):

- Observed (Expected) significance: 3.3(4.0)
- Measured cross-section: 0.88 ± 0.30 fb (in agreement with SM prediction)
- Dominated by statistical uncertainty
- First evidence** for longitudinal polarization in VBS



Double boson polarization ($W_L^\pm W_L^\pm jj$):

- Observed (Expected) 95% CL upper limit of 0.45(0.70) fb
- Measured cross-section in agreement with the Standard Model
- Dominated by statistical uncertainty
- Most stringent limit** for $W_L^\pm W_L^\pm jj$ to date



Summary

Electroweak polarized $ssWWjj$ production:

- Golden channel for VBS
- Polarization studies help in SM validation and BSM searches
- Sensitive to polarization-affecting new physics effects and others like aQGCs

Classification of $W_L W_L$ polarization modes:

- Deep Neural Network constructed to classify $W_L W_L$ vs Bkgs
- $W_L W_L$ polarization fraction (f_{LL}):

Result	f_{LL}	
	$p\text{CoM}$	$WW\text{CoM}$
DNN	$0.06^{+0.05}_{-0.06}$	$0.09^{+0.06}_{-0.06}$
Theory prediction	0.0640 ± 0.0007	0.0987 ± 0.0011

- Current work in progress:
 - Navigating through NAF
 - Update the results with new DNN
 - Including systematics in the fit
 - Training LX vs Bkgs DNN classifier (tentatively)

Thank you!

Backup slides

MadGraph commands for MC generation:

```
generate p p > w+{X} w+{Y} j j QED=4 QCD=0, w+ > l+ vl @1
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```

⇒ using explicit τ decays

MC Cross-sections: Locally generated samples

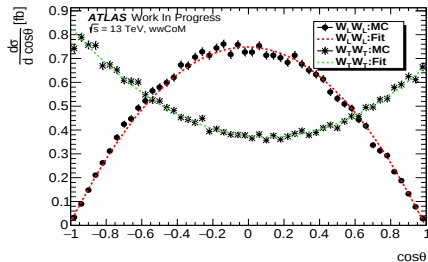
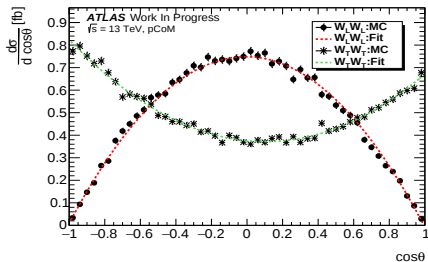
Total events = 100,000 each

Final States (+jj)	BW cutoff	Cross-section (fb)	
		pCoM	WWCoM
$\ell\nu\ell\nu$	1000	35.17	
WW	15	31.01 ± 0.16	
$W_L W_L$	15	1.97 ± 0.01	2.89 ± 0.02
$W_T W_L$	15	10.78 ± 0.06	9.41 ± 0.05
$W_T W_T$	15	18.06 ± 0.10	18.49 ± 0.10
Sum of pol. xsec		30.80 ± 0.12	30.79 ± 0.11

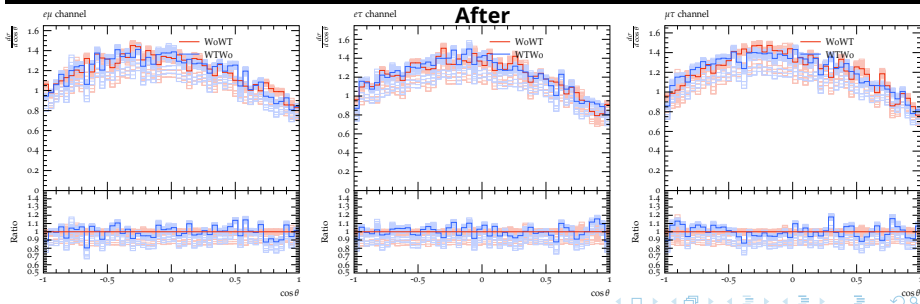
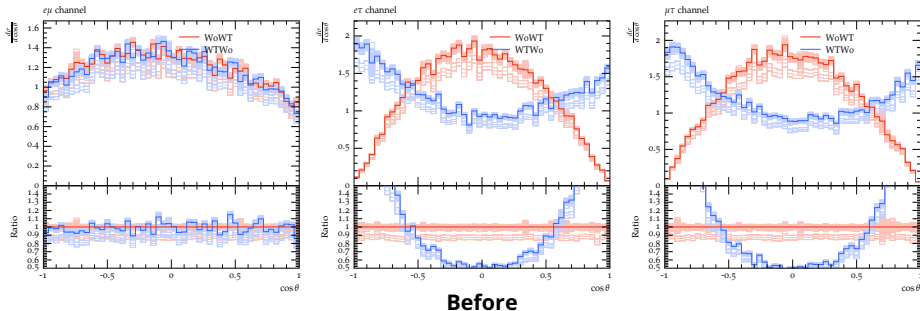
MC: $\cos \theta$ Validation

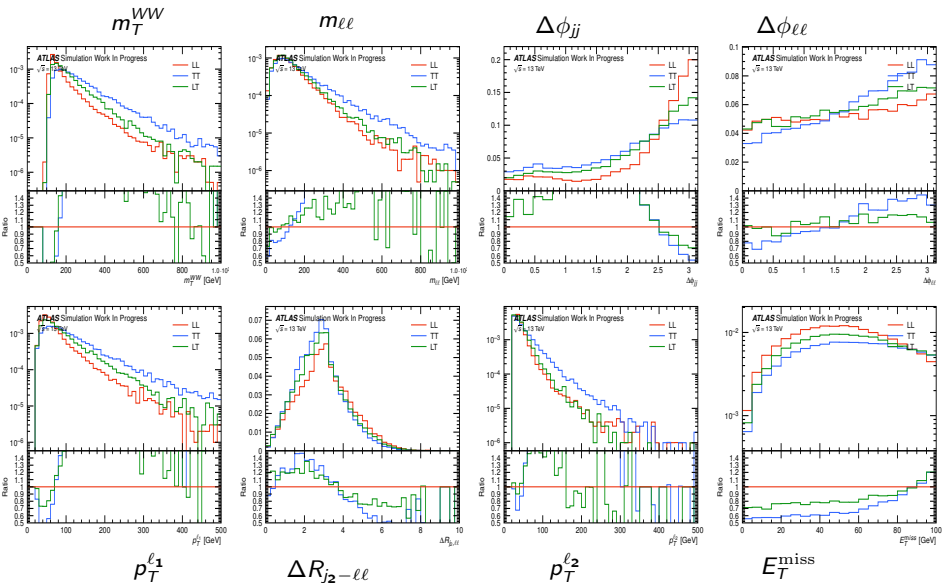
$\cos \theta$ validation fit:

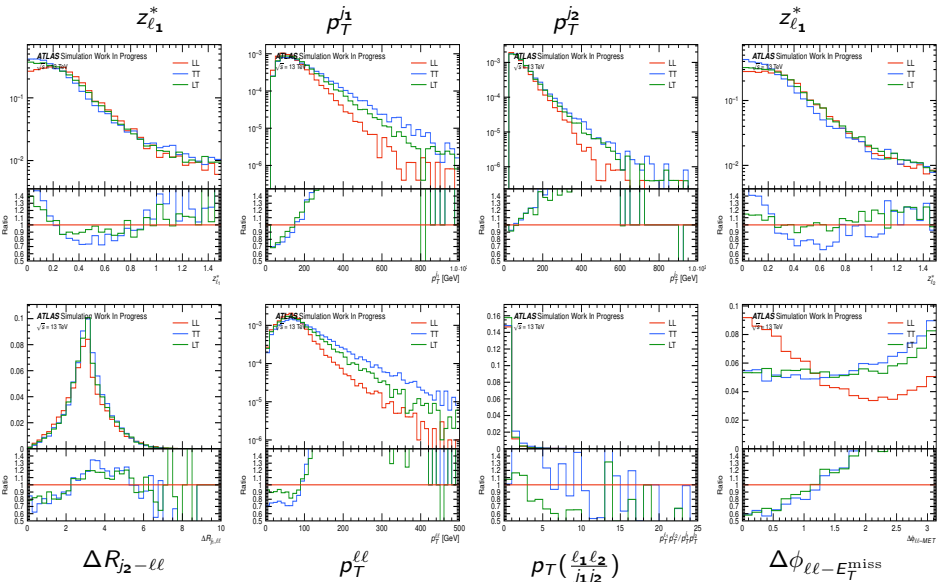
- Polar angle θ = angle between the flight direction of one of the W 's (rest frame in which sample is generated) and the lepton ℓ it decays into (W 's rest frame)
- Opposite flavor leptons, W decaying to lightest ℓ selected
- W, ℓ boosted from lab frame into the rest frame in which sample is generated
- ℓ further boosted to its W 's rest frame

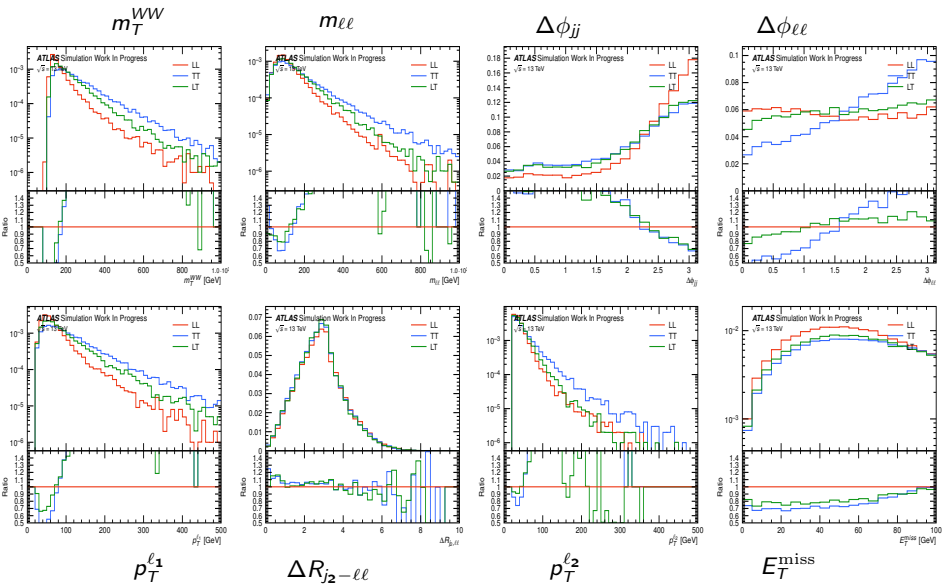


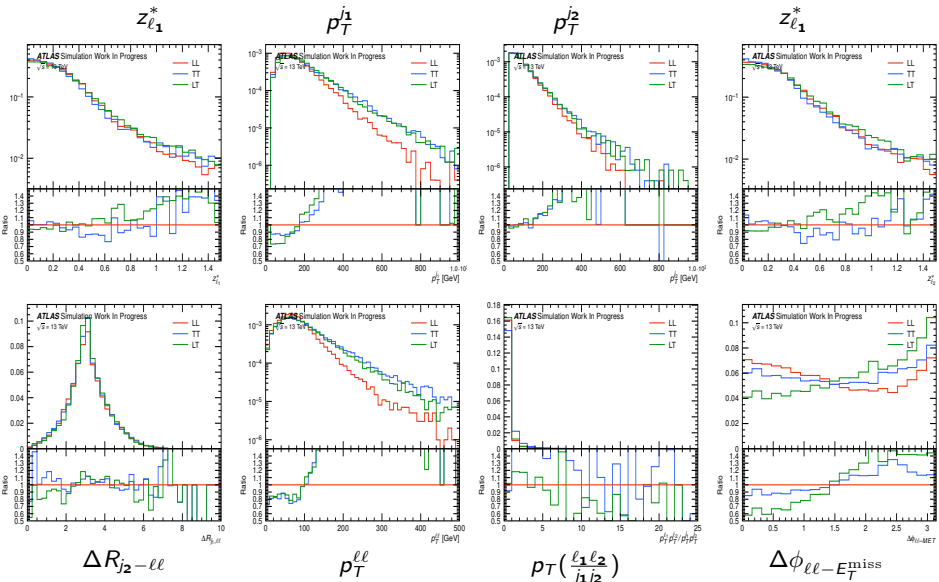
Comparison of new and old $\cos\theta$ plots: Lepton channels











$$m_T^{WW} = \sqrt{(\sum_i E_i)^2 + (\sum_i p_{z,i})^2} \quad (1)$$

$$z_{\ell_1}^* = \left| \frac{\eta_{\ell_1} - 0.5 \cdot (\eta_{j_1} + \eta_{j_2})}{\Delta\eta_{jj}} \right| \quad (2)$$

Hyperparameter Optimization

Hyperparameters: configurations and settings that determine the DNN architecture & training behaviour

Hyperparameter	Optimization Range	Sampling
No. of Hidden layers	[1, 10]	In steps of 1
Dropout layers	True/False	Optionally inserted after every hidden layer
Dropout Rate	[0.0, 0.4]	
No. of Units per layer	[16, 32, 64, 128, 256, 512]	In exponents of 2
Learning Rate (Adam)	$[10^{-2}, 10^{-5}]$	Logarithmic
Batch Size	[16, 32, 64, 128, 256]	In exponents of 2

- Values are optimized such that the validation loss is minimized
- Improves the precision and accuracy of model
- Some values are set by manual tuning, and the rest using Optuna
- Chronology for DNN Optimization:
Hyperparameter Optimization 1 → Input Feature Reduction → Hyperparameter Optimization 2

Variable Selection: Permutation Feature Importance

Permutation Feature Importance algorithm:

- Ranks input features of a NN
- Removes highly correlated input variables
- Benefit: Retraining of NN is not needed
- NN evaluated on permuted sets of input features

Method:

- $\forall$ input features, modified input dataset is created
- Values for this feature (say j) are swapped with each other over the whole dataset
 - No new values created
 - It breaks the association of j value to a particular input observable
 - Also breaks j value's correlations to other input observables

- Algorithm's inputs:
 - trained model f
 - input dataset X
 - figure-of-merit L
- Original performance measure: $e^{\text{orig}} = L(f(X))$
- Permuted performance measure: $e_j^{\text{perm}} = L(f(X_j^{\text{perm}}))$
- Model Reliance/Feature Importance: $FI_j = \frac{e_j^{\text{perm}}}{e_j^{\text{orig}}}$ or $e_j^{\text{perm}} - e_j^{\text{orig}}$
 - $FI = 1 \implies$ no reliance on X_1
 - $FI = 2 \implies$ loss doubles when X_1 is scrambled, heavy reliance on X_1
 - $FI < 1 \implies$ rely less on X_1 than a random guess, difficult to interpret

Error estimation on FI :

- Shuffling of X performed 10 times
 - Mean, std dev $\rightarrow FI_j, \Delta FI_j$

DNN Model Details

Model:

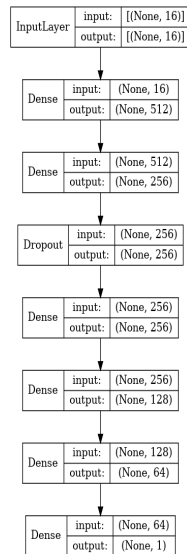
- 5 hidden layers: random normal init., ReLU activation
- 2 dropout layers (40%) to reduce overtraining
- 1 sigmoid output layer with random uniform activation

Compilation:

- Adam Optimizer with learning rate = 0.001
- Loss = binary crossentropy
- Metrics = Accuracy

Model Fit:

- Batch Size = 1000
- Epochs → stops if val. loss doesn't improve for 5 epochs

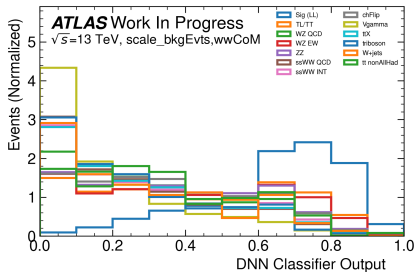
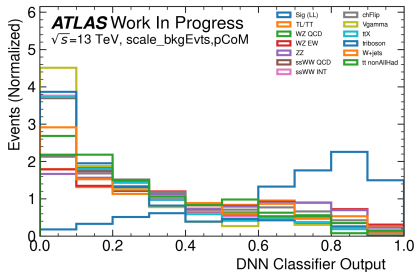
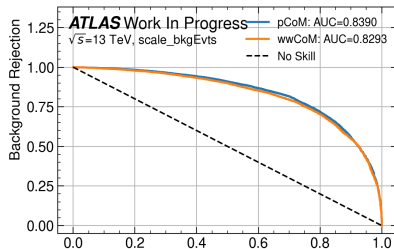


nEvts and Sum of Weights

Process	No. of Evts	Sum of Weights
LL (pCoM)	19673	12.9161
LL (WWCoM)	21643	20.6243
XT (pCoM)	67791	140.759 (TT) + 76.8323 (LT)
XT (WWCoM)	68658	142.854 (TT) + 67.2892 (LT)
Diboson: WZ QCD	27800	82.753
Diboson: WZ EW	2515	4.0837
Diboson: ZZ	2880	2.50948
ssWW QCD	25006	22.9733
ssWW INT	114209	48.3424
Fakes: W+jets	151	71.0203
Fakes: $t\bar{t}$ non all hadronic	133	16.933
chFlip	8231	10.0955
V/γ	614	12.5289
ttX	2168	4.03342
triboson	308	0.649666
Bkg (pCoM)	251806	493.513966
Bkg (WWCoM)	252673	486.065866

Scale:

$$class_W(sig) = \frac{n(Bkg)}{n(Sig)}$$



Scale:

$$event_W \times \frac{sumW(Bkg)}{sumW(Sig)}$$

