

# BSM Higgs physics at the photon collider

Photon colliders: simulation and di-Higgs production as physics case

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In collaboration with: Johannes Braathen, Gudrid Moortgat-Pick, Georg Weiglein

DESY Theory Workshop 2025, Hamburg

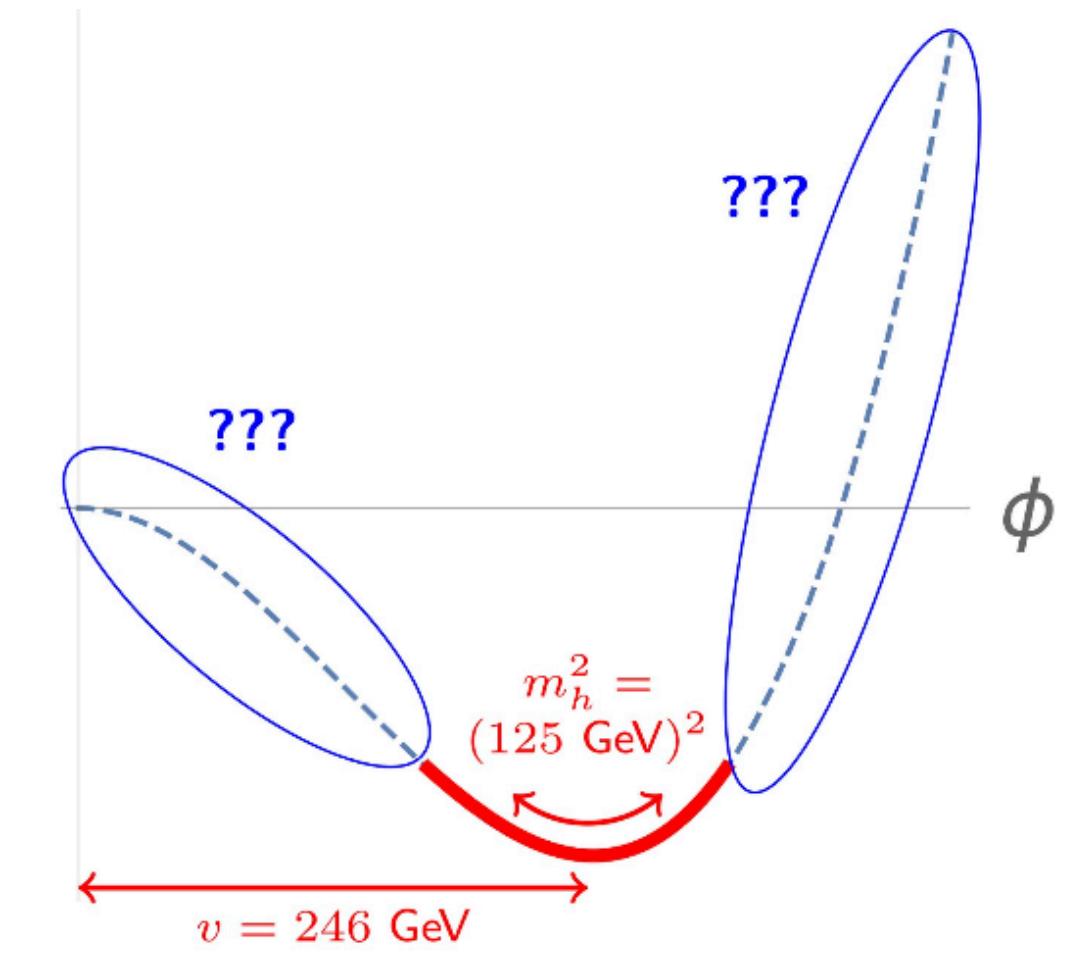
25 September 2025

# Motivation

- Shape of the Higgs potential is unknown

$$V = \frac{1}{2}m_h^2 h^2 + v\lambda_{hhh}h^3 + \lambda_{hhhh}h^4 + \dots$$

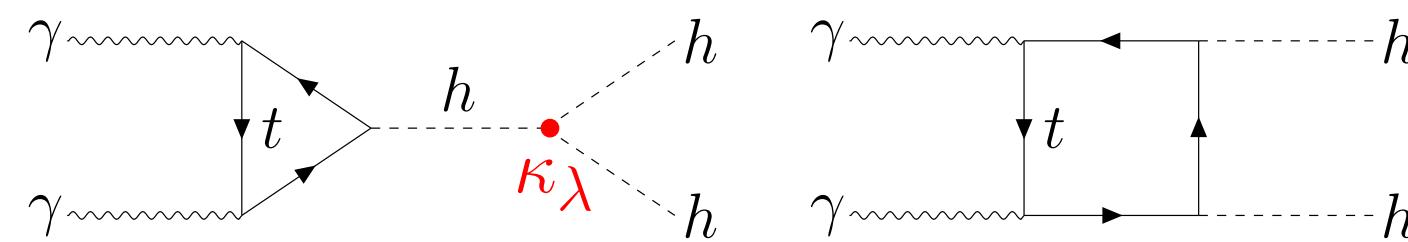
- This is one of the major challenges and goals of future colliders
- Not a lot of studies for  $\gamma\gamma \rightarrow hh$ , and so far no high-energy photon collider
- A photon collider would give unprecedented access to this channel and many more
- Combining the luminosity spectrum of the collider with the  $\gamma\gamma \rightarrow hh$  process



$$\sigma = \int_{4m_h^2/\hat{s}}^{y_m^2} d\tau \frac{1}{2} \left[ \frac{1}{L_{\gamma\gamma}^{++}} \frac{dL_{\gamma\gamma}^{++}}{d\tau} \hat{\sigma}_{++}(\hat{s}) + \frac{1}{L_{\gamma\gamma}^{+-}} \frac{dL_{\gamma\gamma}^{+-}}{d\tau} \hat{\sigma}_{+-}(\hat{s}) \right]$$

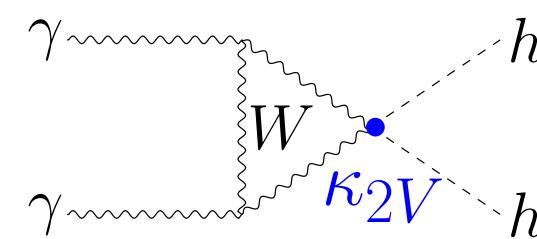
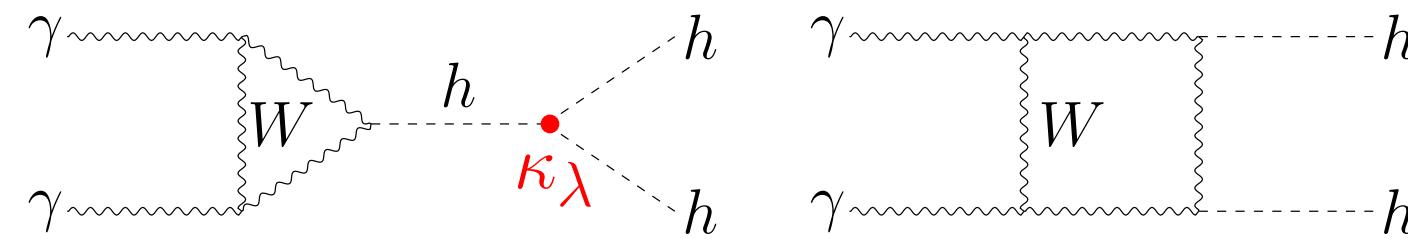
# Di-Higgs production at photon colliders

- Similar structure to  $gg \rightarrow hh$



$$\kappa_\lambda \equiv \frac{\lambda_{hhh}}{(\lambda_{hhh}^{(0)})^{\text{SM}}}$$

- With additional gauge sector contributions



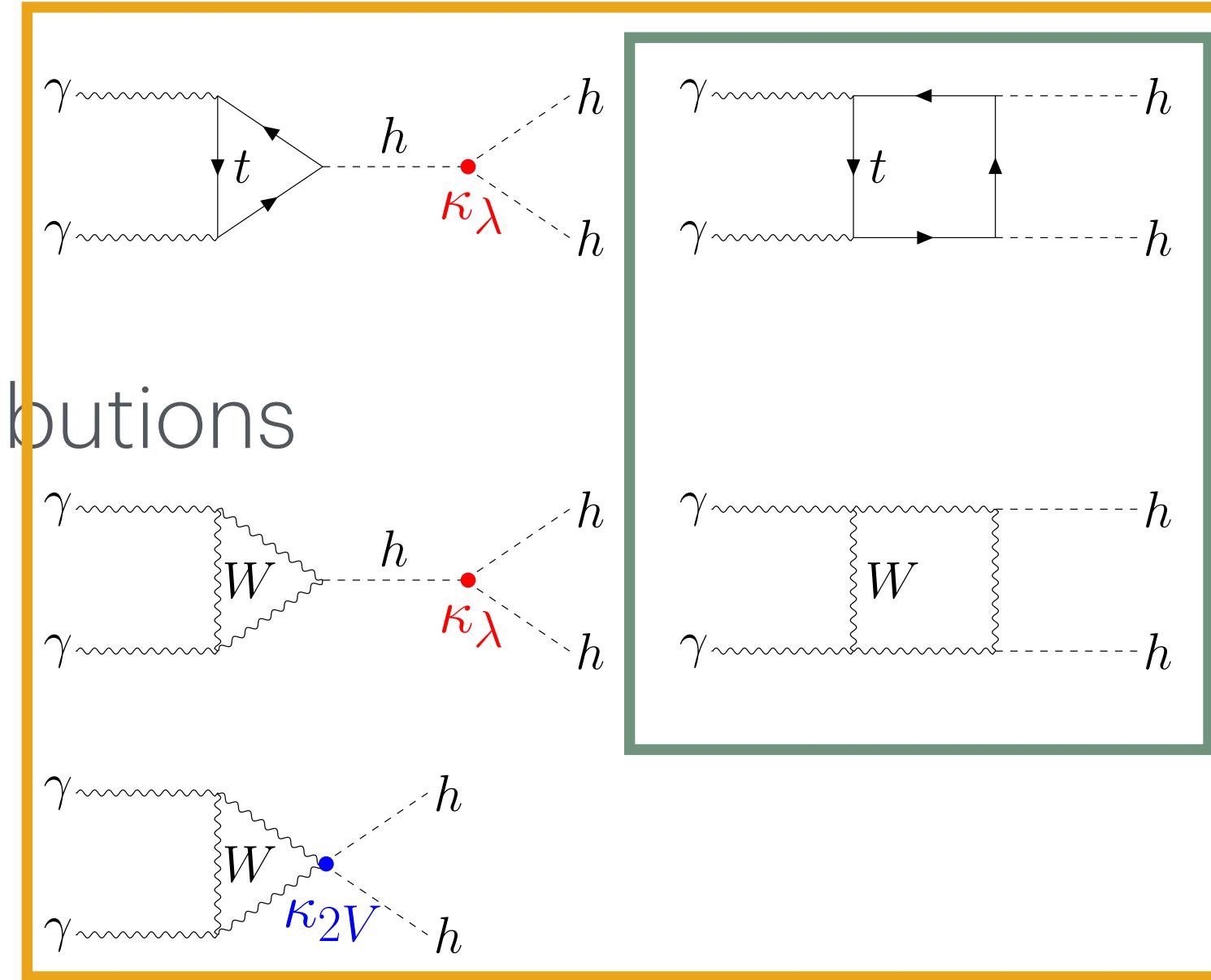
- To simplify the process, use the representation in helicity amplitudes

$$\frac{d\hat{\sigma}(\lambda_1, \lambda_2)}{dt} = \frac{\alpha^2 \alpha_W^2}{32\pi \hat{s}^2} |M(\lambda_1, \lambda_2)|^2$$

# Di-Higgs production at photon colliders

- Similar structure to  $gg \rightarrow hh$

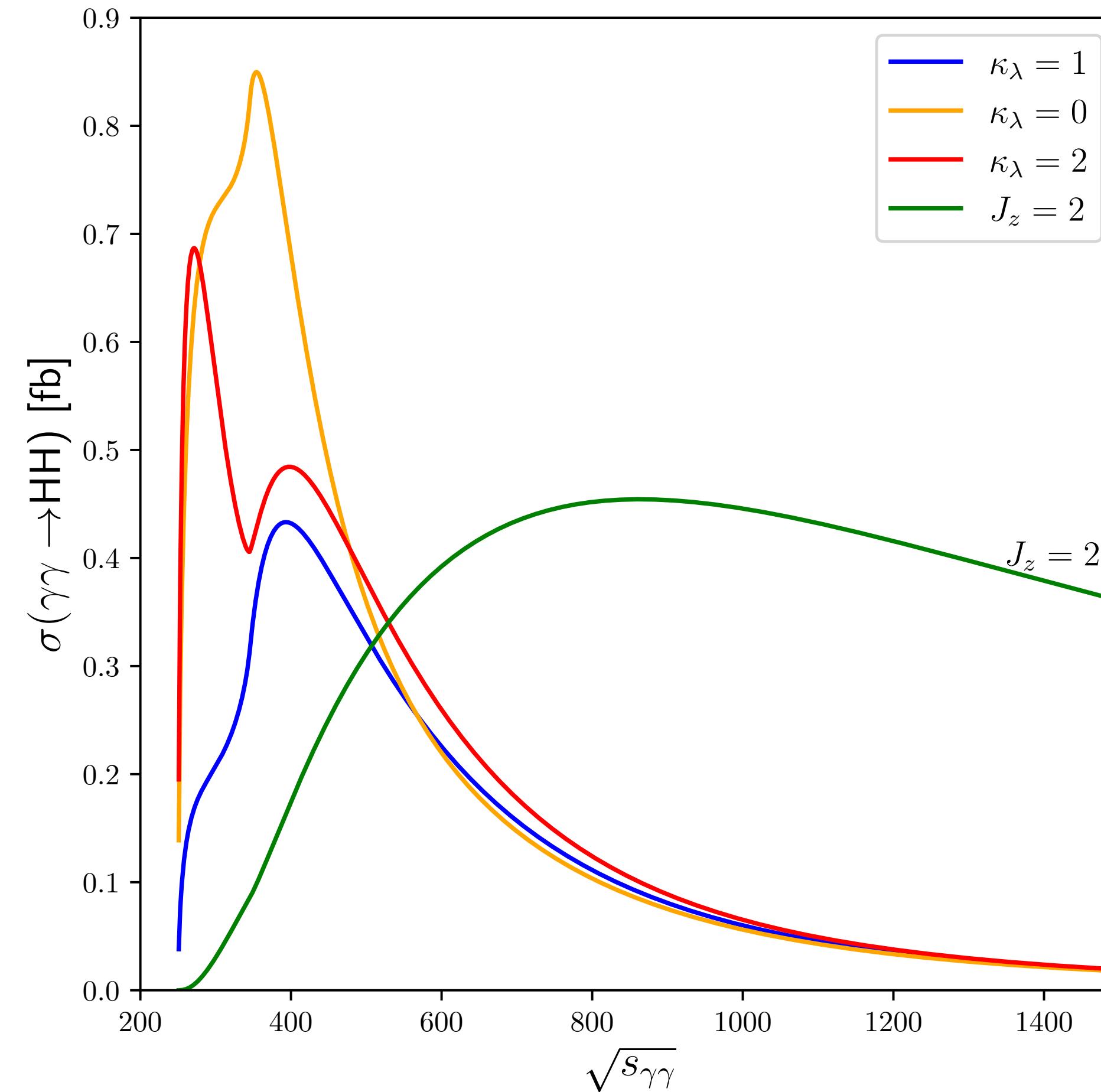
- With additional bosonic contributions



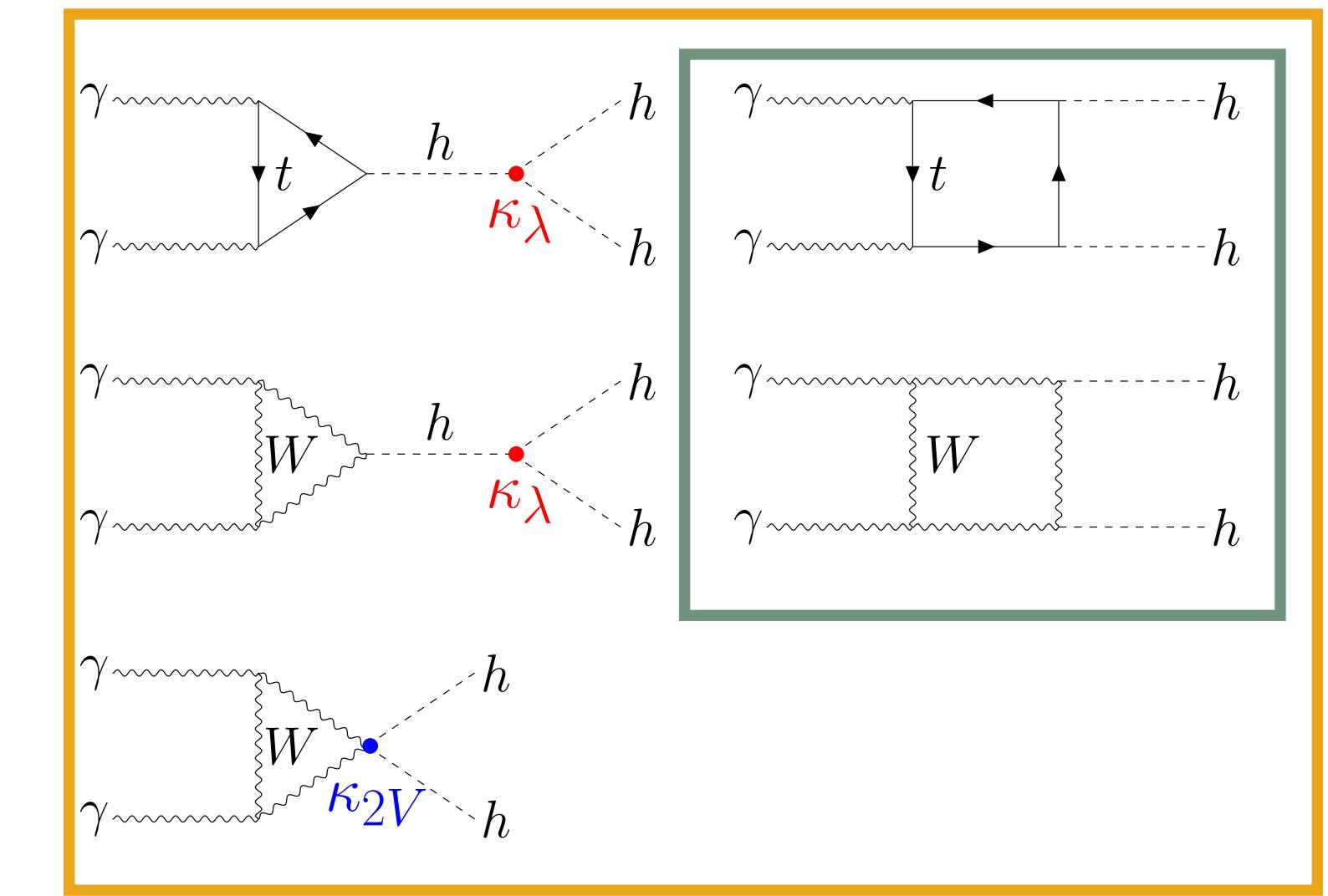
- To simplify the process, use the representation in helicity amplitudes
- Giving two distinct states  $J_z = 0$  and  $J_z = 2$ , for equal and opposite polarization of the initial photons

$$\kappa_\lambda \equiv \frac{\lambda_{hhh}}{(\lambda_{hhh}^{(0)})^{\text{SM}}}$$

# Di-Higgs production at photon colliders



$$\kappa_\lambda \equiv \frac{\lambda_{hhh}}{(\lambda_{hhh}^{(0)})^{\text{SM}}}$$



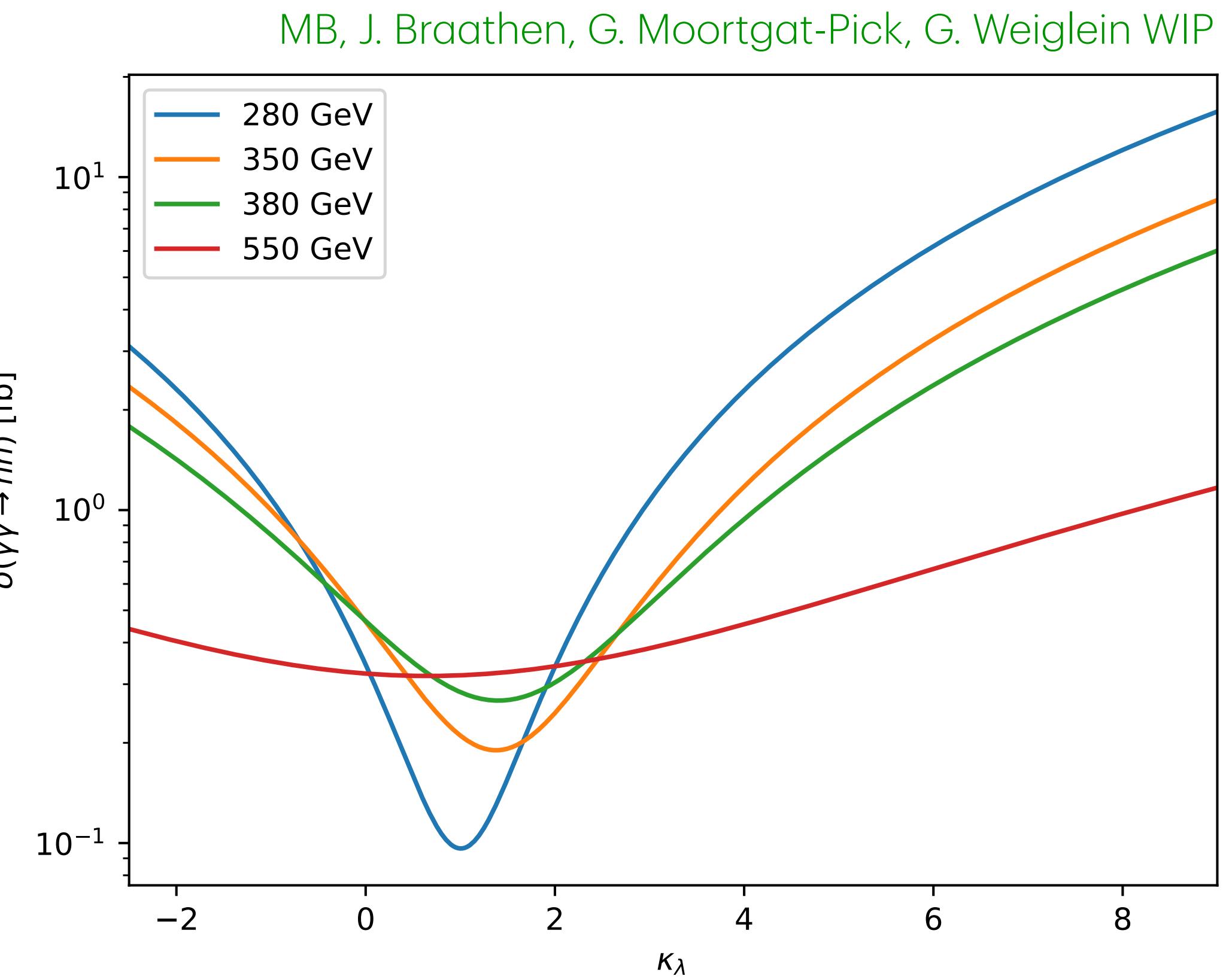
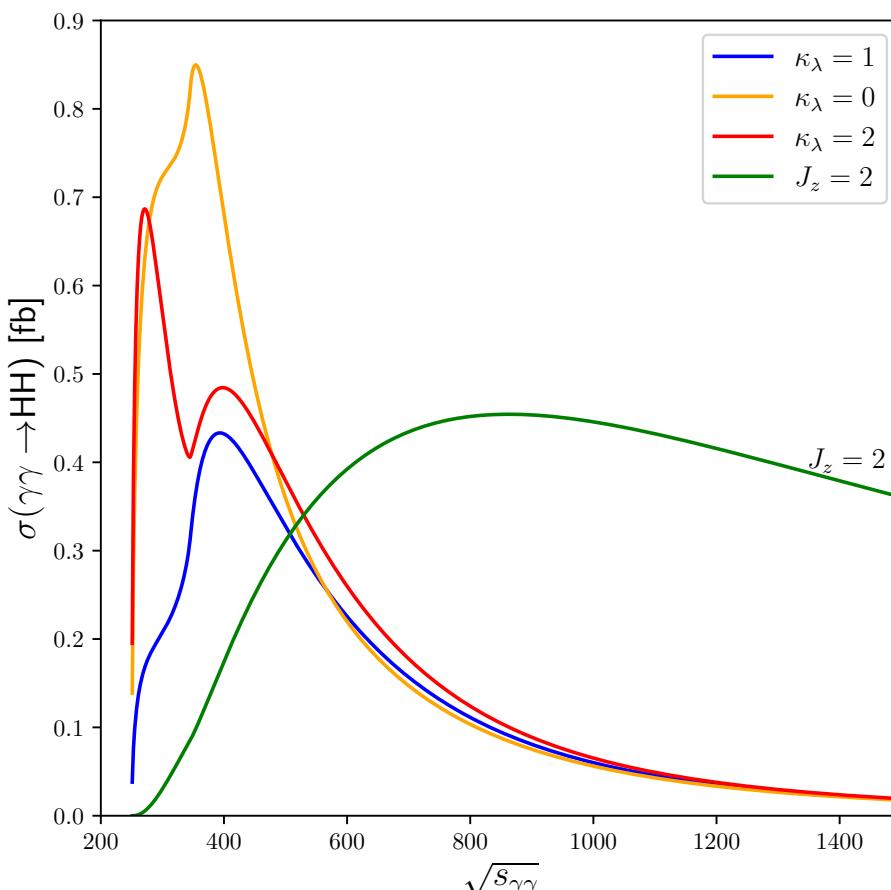
$$\frac{d\hat{\sigma}(\lambda_1, \lambda_2)}{dt} = \frac{\alpha^2 \alpha_W^2}{32\pi \hat{s}^2} |M(\lambda_1, \lambda_2)|^2$$

- At lower energies, the  $J_z = 0$  state dominates and is very sensitive to  $\kappa_\lambda$

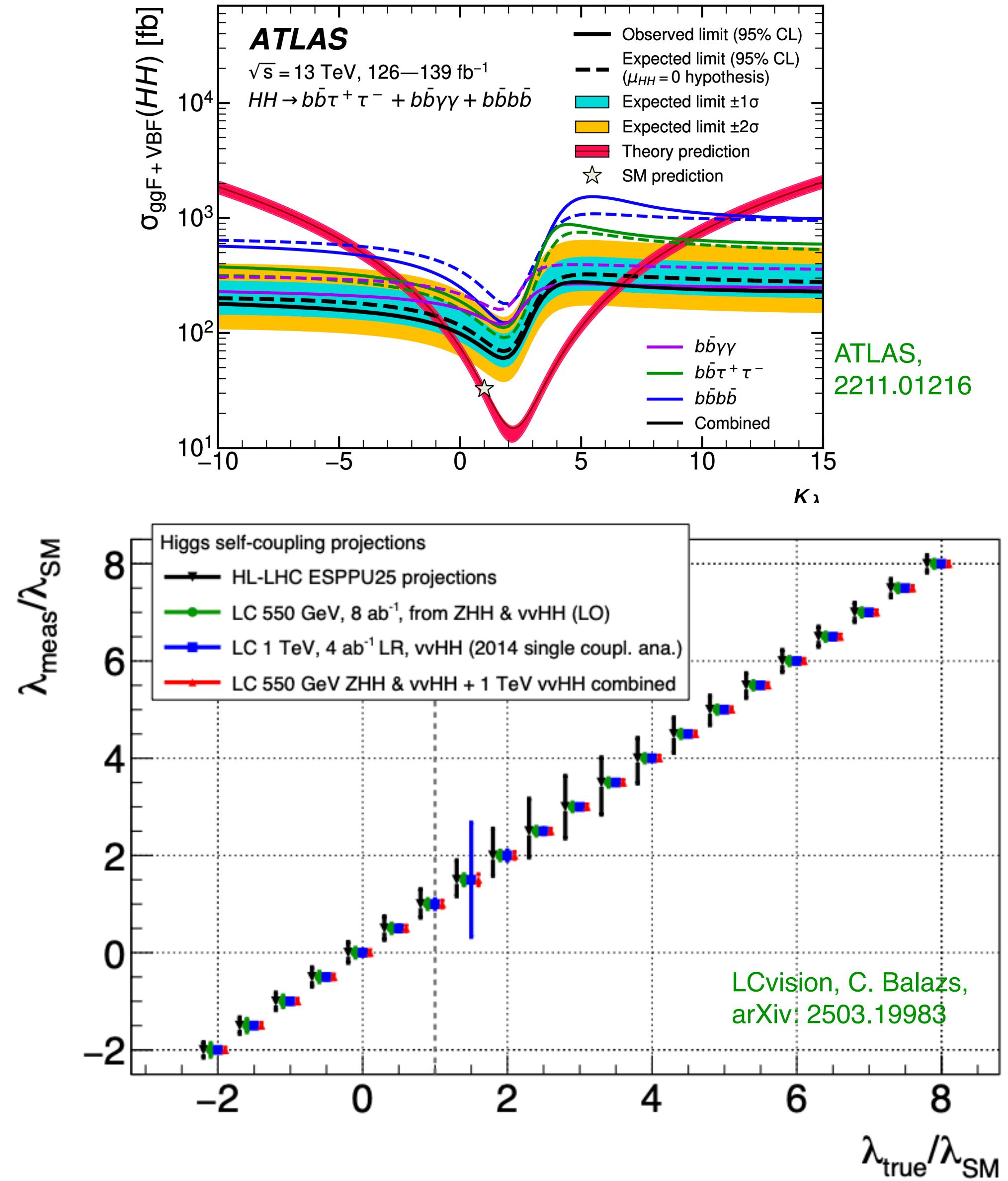
# $\kappa_\lambda$ in photon photon collision

- The minimum of the  $\gamma\gamma \rightarrow hh$  cross-section shifts between 1 and 1.5, depending on the energy
- 380 GeV** maximises the cross-section for  $\kappa_\lambda = 1$ , from the  $J_z = 0$  contribution
- 280 GeV** has the strongest dependency on  $\kappa_\lambda$ , even though the cross-section is lower between 0 and 2

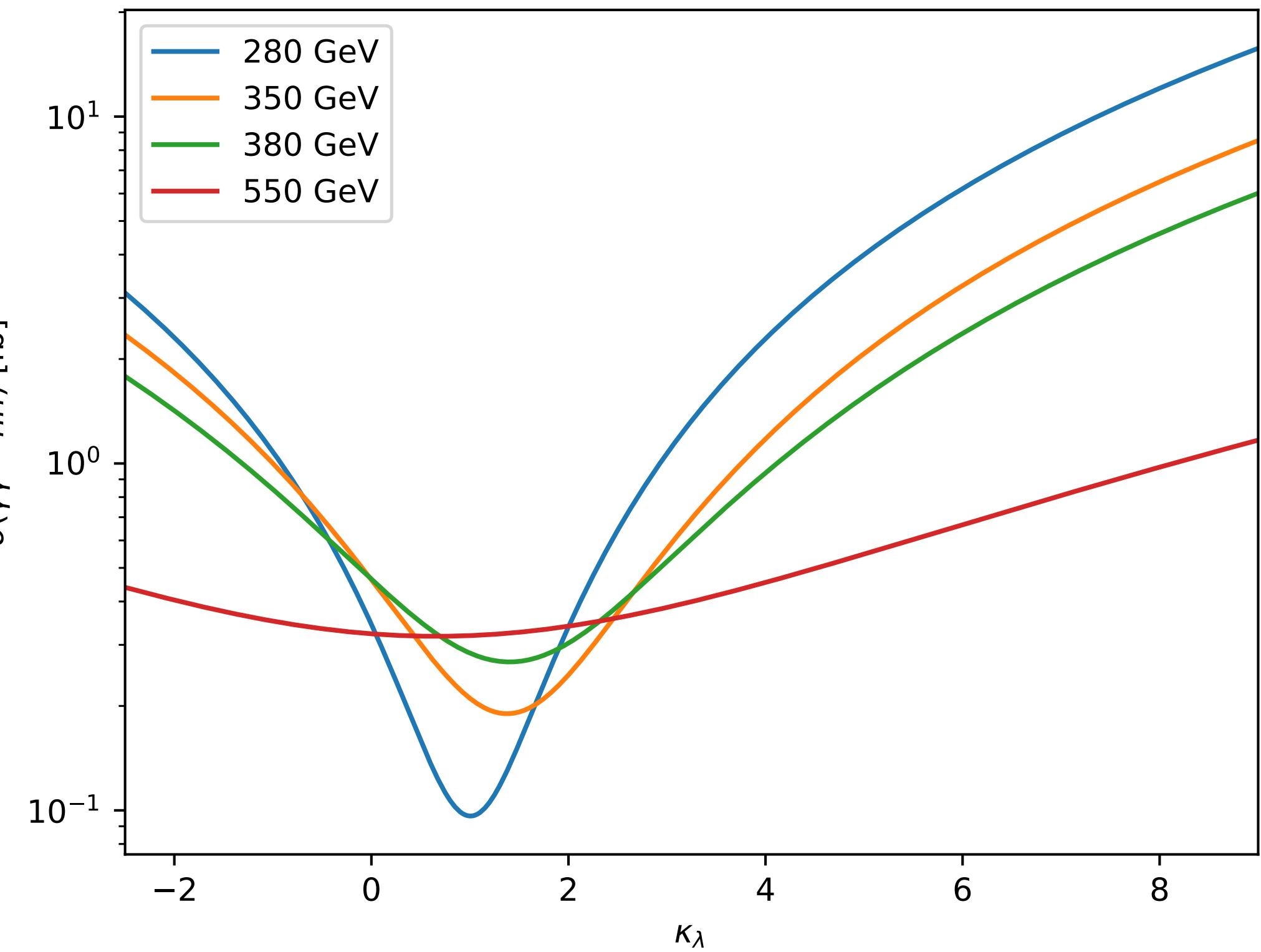
Fixed  $\kappa_{2V} = 1$



# $\kappa_\lambda$ at other colliders



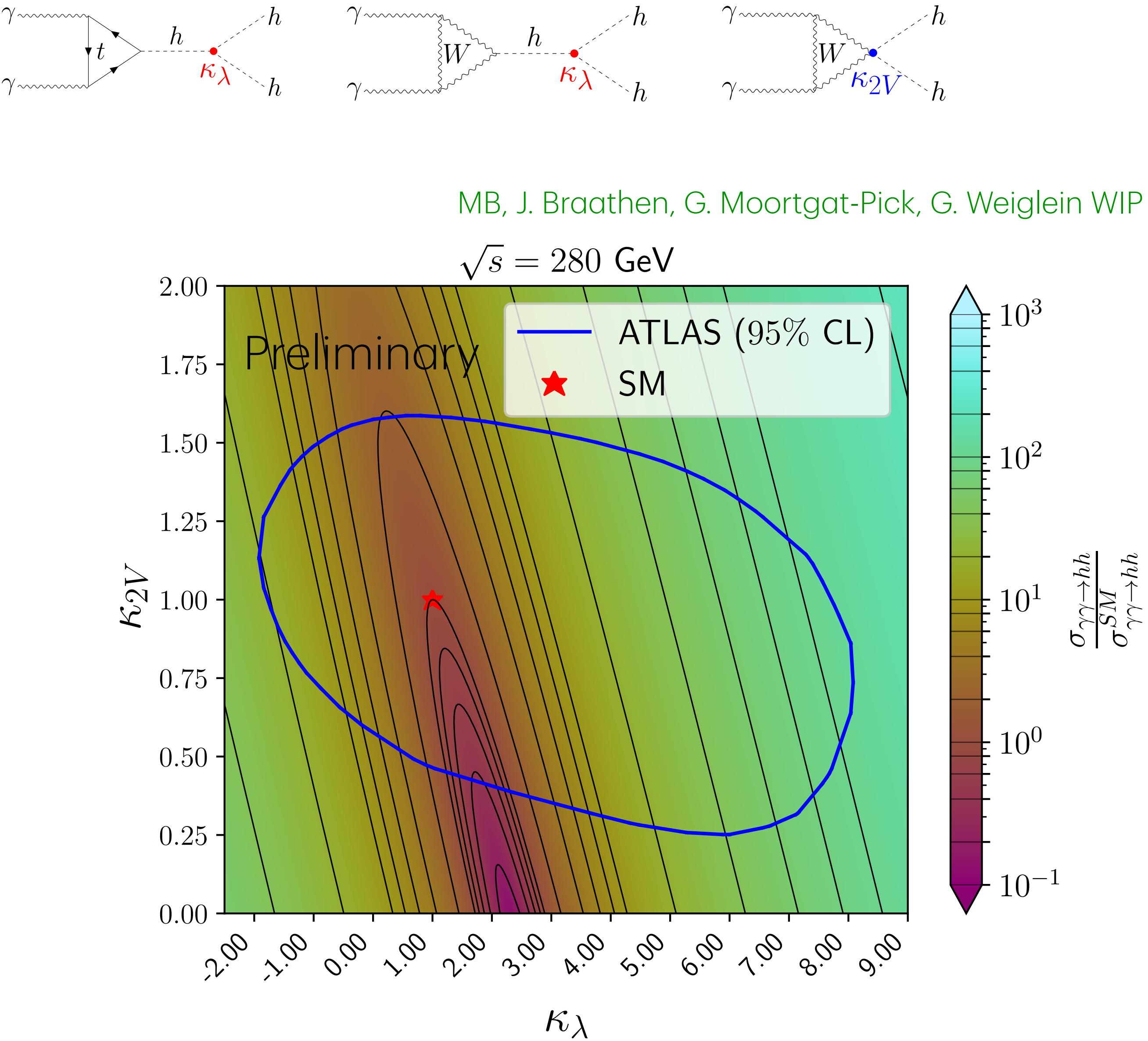
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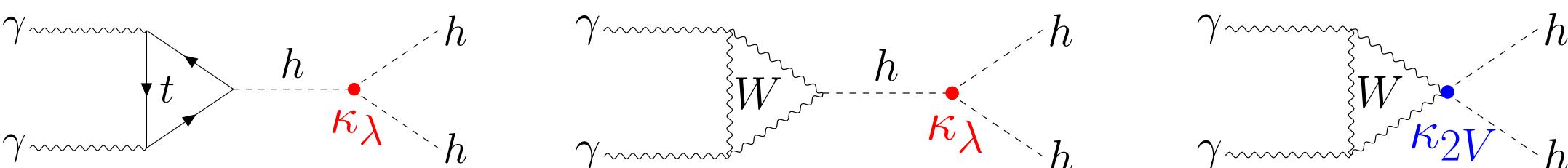
The minima are at different values of  $\kappa_\lambda$ , allowing for complementary searches

# $\kappa_\lambda$ and $\kappa_{2V}$

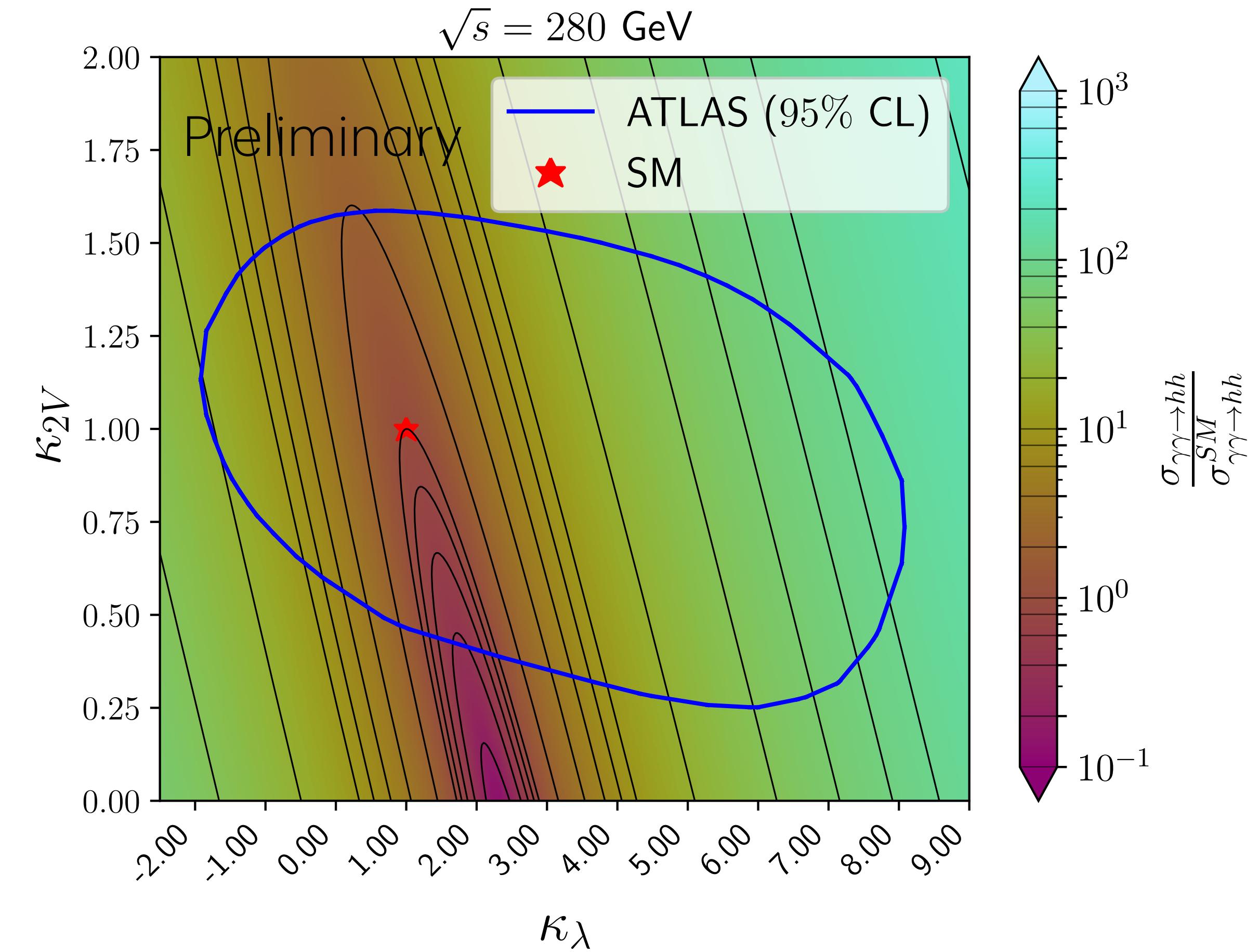
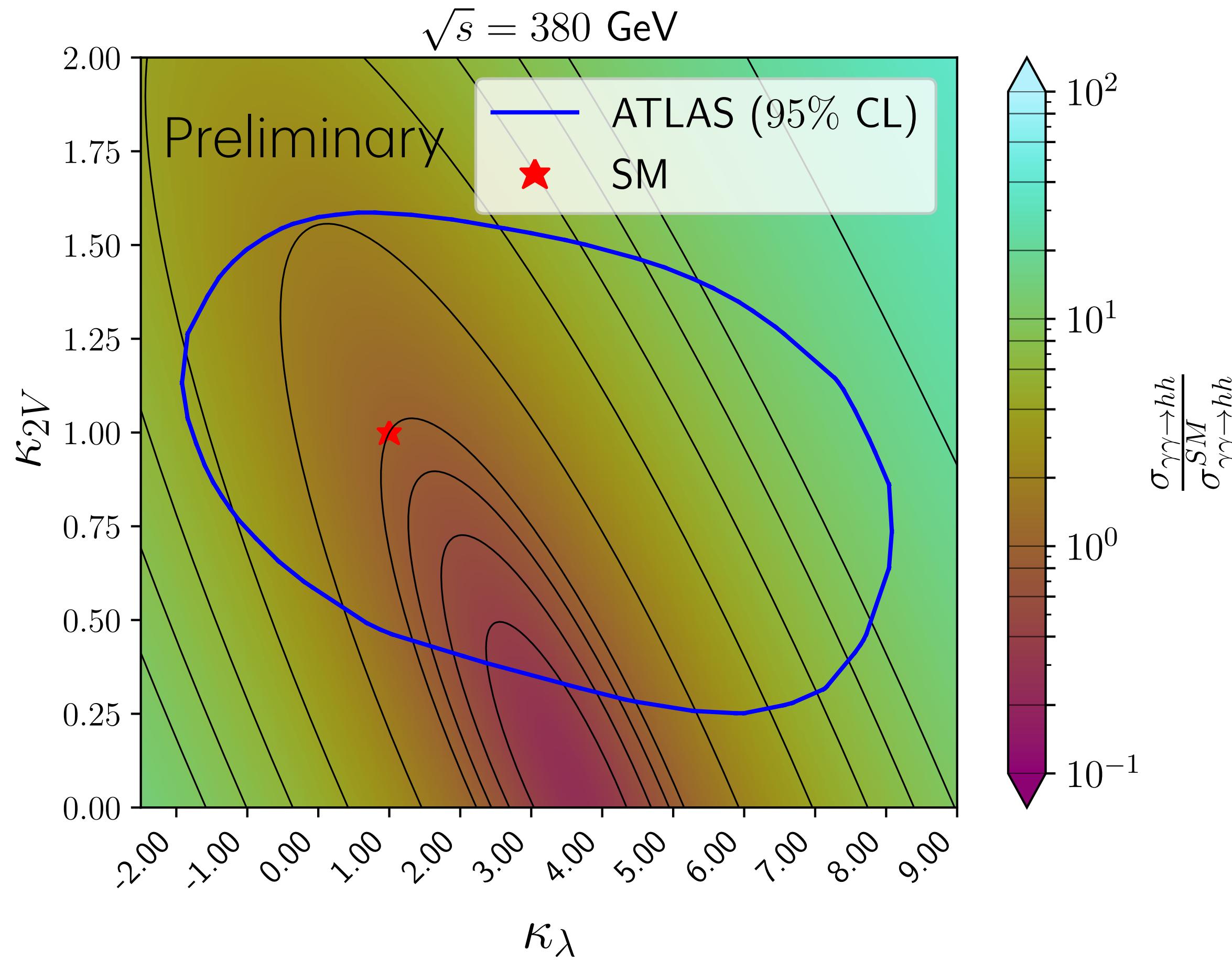
- Greatest sensitivity to  $\kappa_\lambda$
- $\kappa_{2V}$  less impactful
- For  $\kappa_{2V} < 1$  the minimum shifts to higher values of  $\kappa_\lambda$
- For  $\kappa_{2V} > 1$  the minimum shifts to lower values of  $\kappa_\lambda$

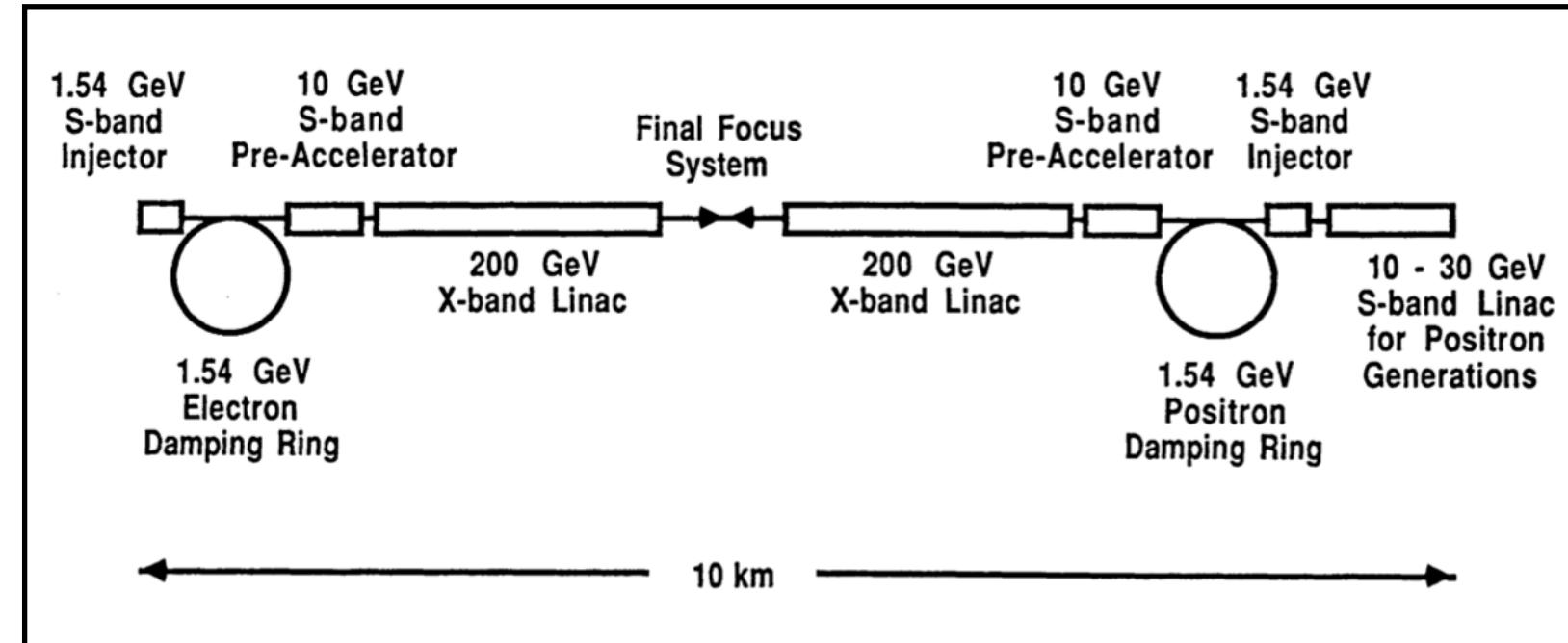
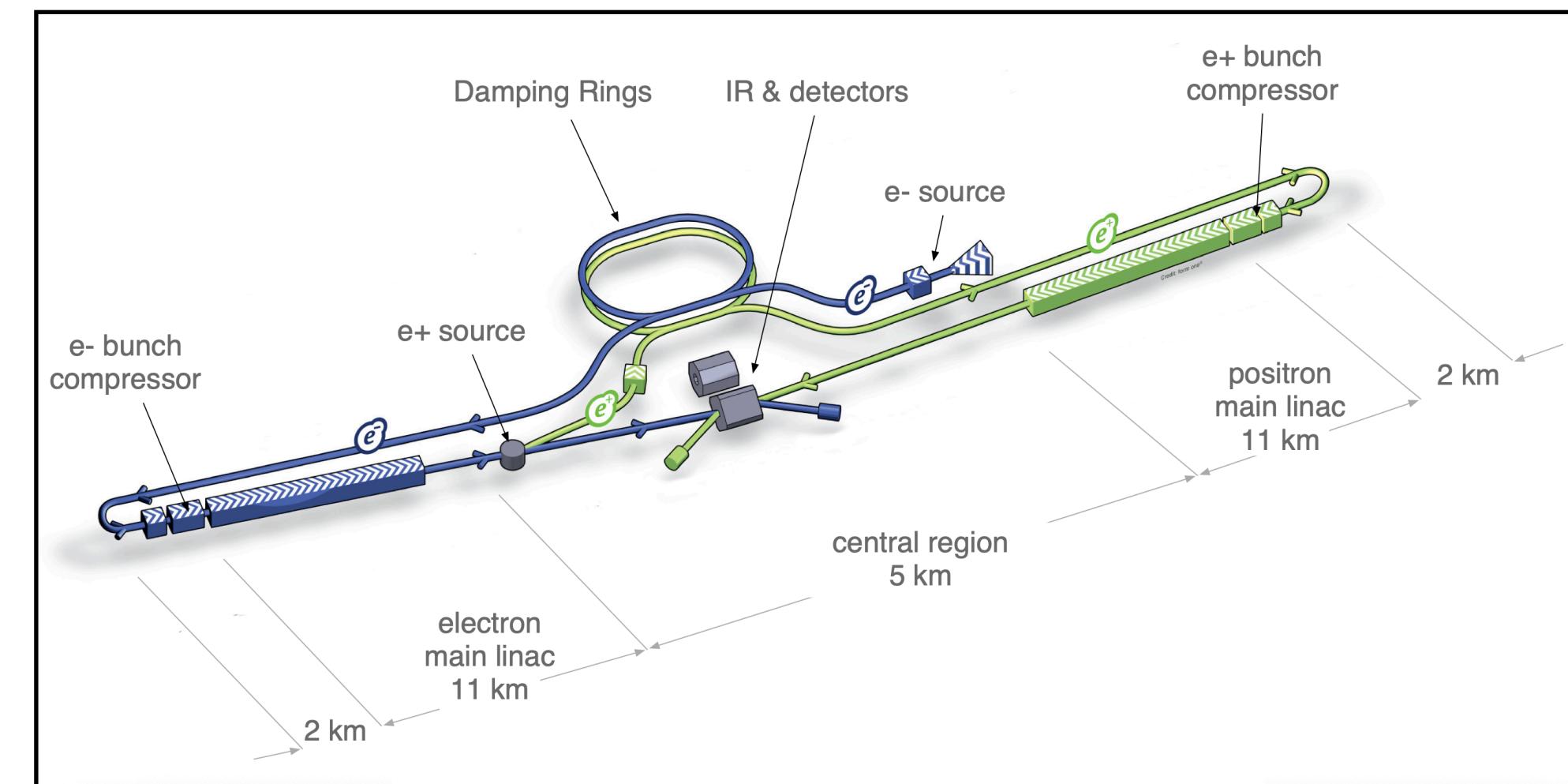


# $\kappa_\lambda$ and $\kappa_{2V}$

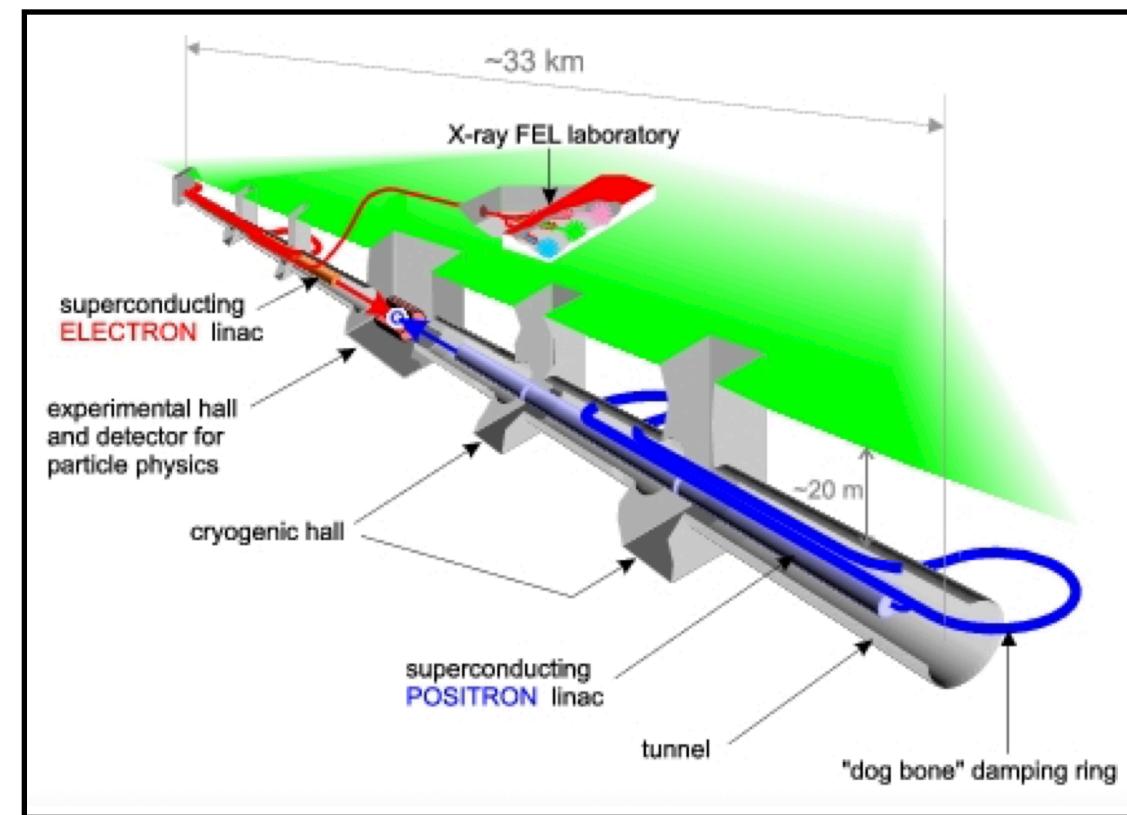
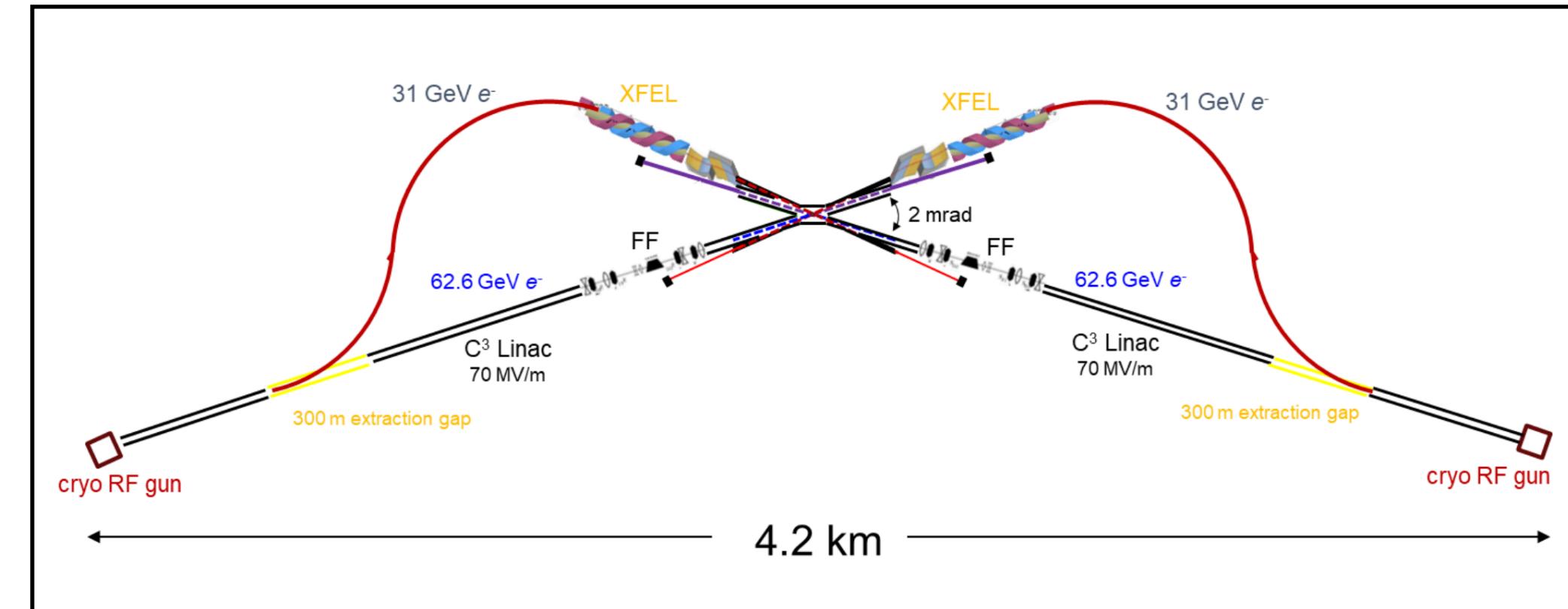
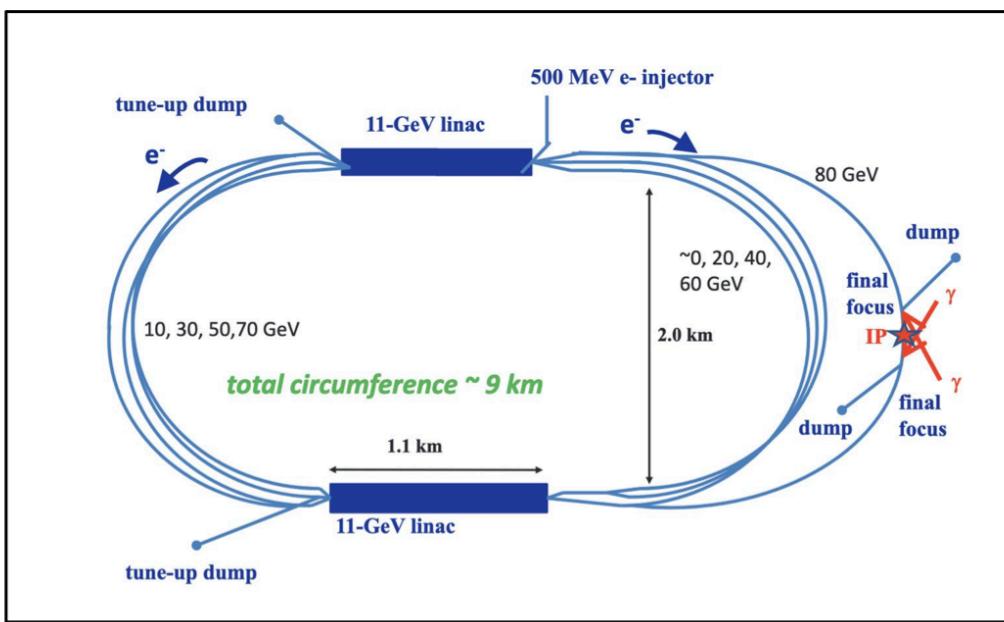
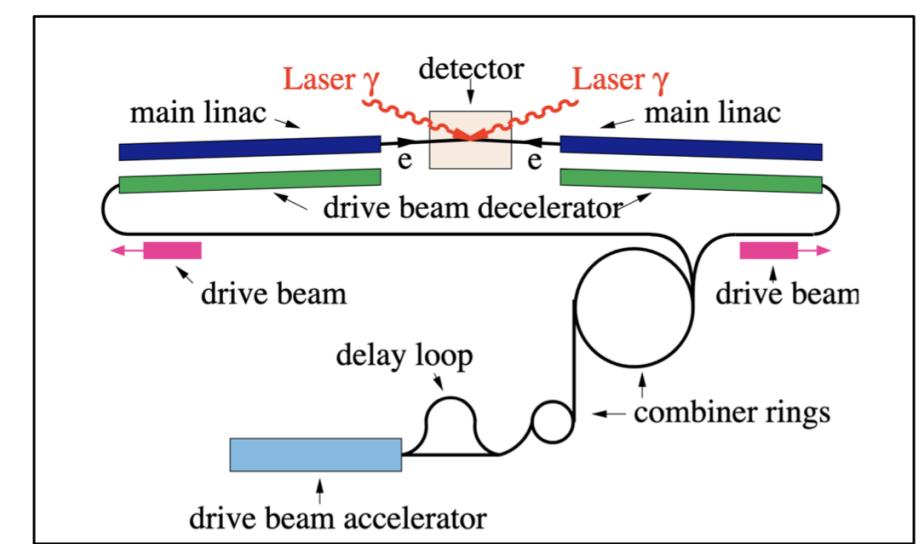


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**JLC****ILC**

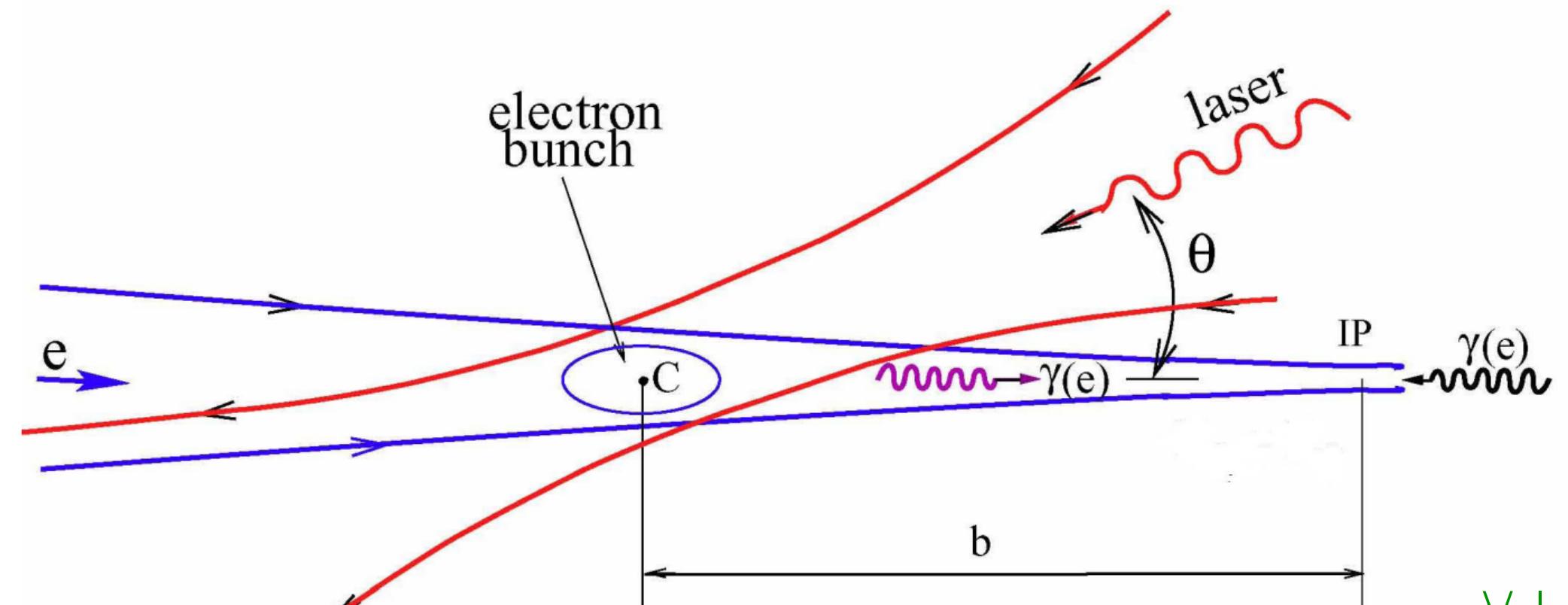
# Collider setups

**TESLA****XCC****SAPPHIRE****CLICHE**

# Principles of a photon collider

- Addition to  $e^-e^-$ -collider
- Compton backscattering process
- Getting access to  $\gamma\gamma$  and  $\gamma e$  processes

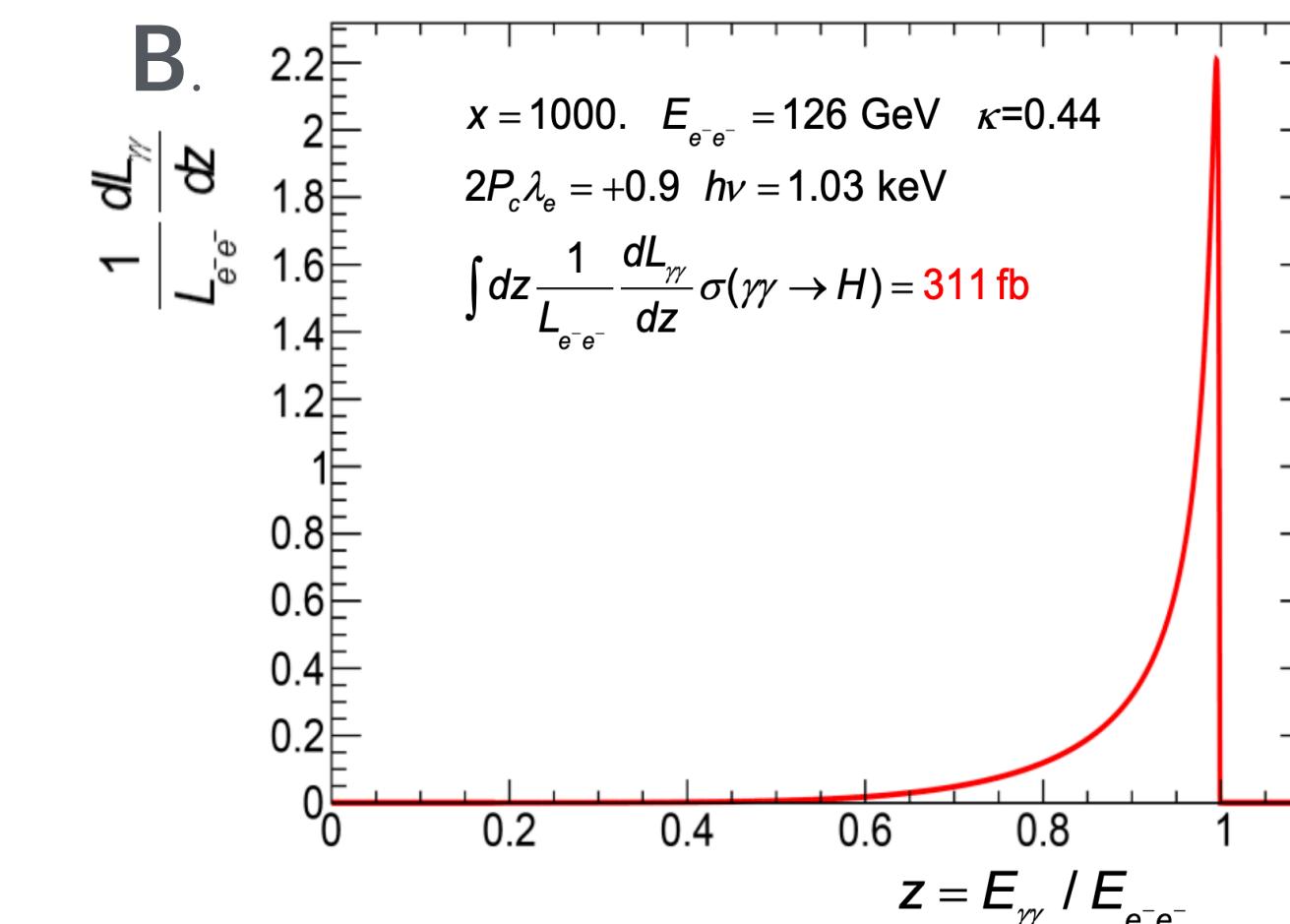
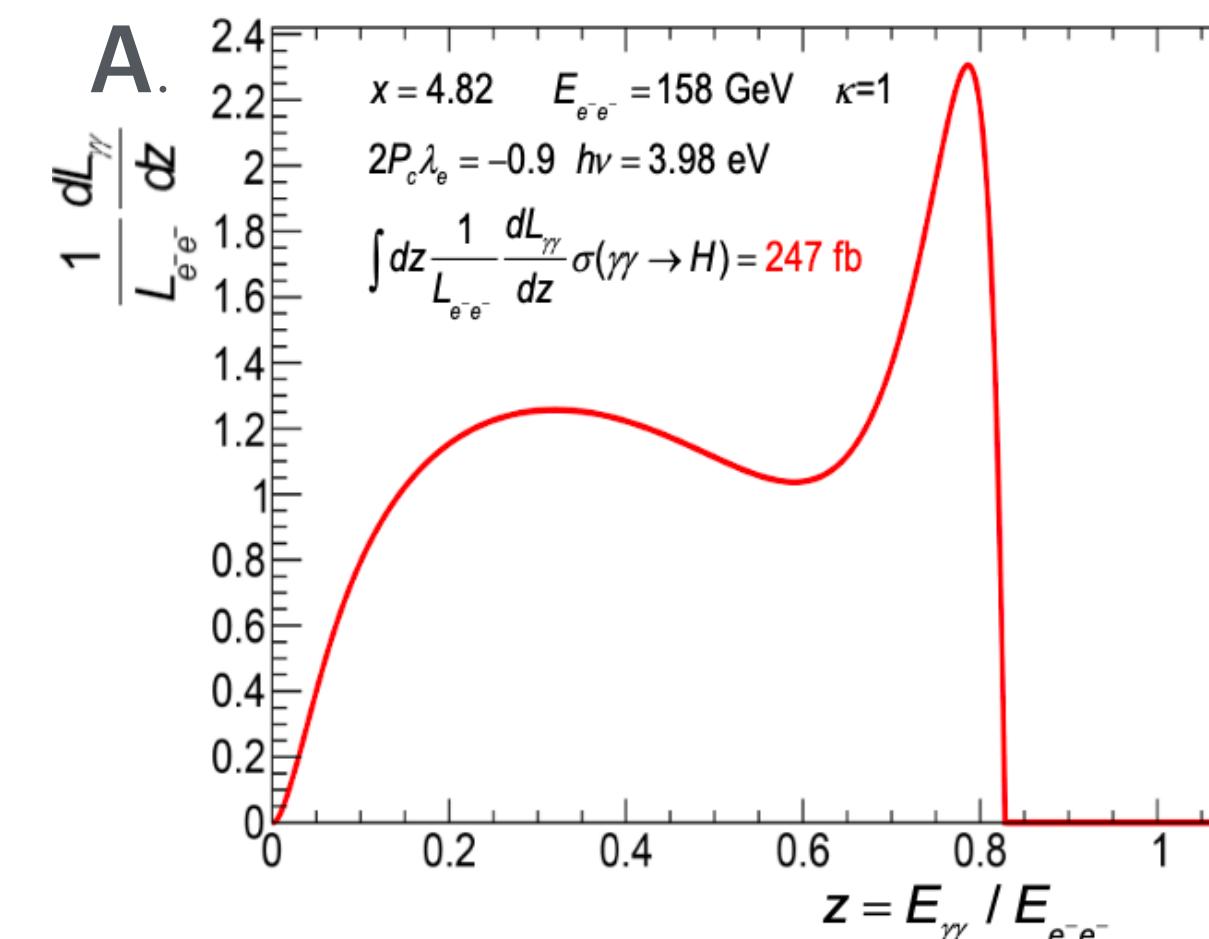
$$\omega_m \approx \frac{x}{1+x} E_0, \quad x = \frac{4E_0\omega_0}{m^2c^4} \simeq 15.3 \left[ \frac{E_0}{\text{TeV}} \right] \left[ \frac{\omega_0}{\text{eV}} \right] = 19 \left[ \frac{E_0}{\text{TeV}} \right] \left[ \frac{\mu\text{m}}{\lambda} \right]$$



V. I. Telnov '20

## Type of laser is decisive

- A. Optical
- B. XFEL-like (XCC)



# Collider setups

- The polarization of the incoming laser and electron beam defines the spectrum

$$\langle \lambda_\gamma \rangle = \frac{\lambda_e x r [1 + (1 - y)(2r - 1)^2] - P_c (2r - 1) [(1 - y)^{-1} + 1 - y]}{(1 - y)^{-1} + 1 - y - 4r(1 - r) - \lambda_e P_c x r (2 - y)(2r - 1)}$$

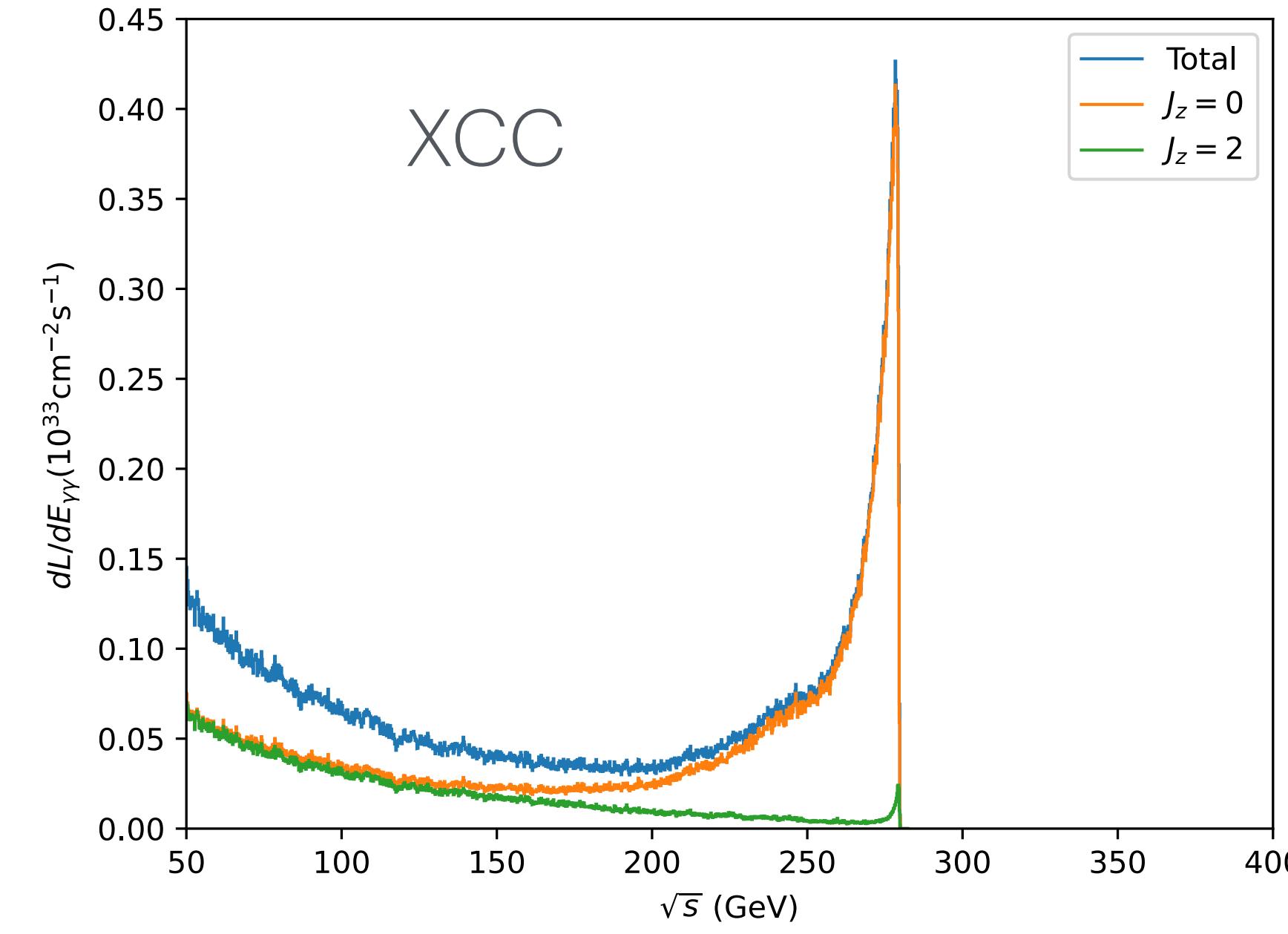
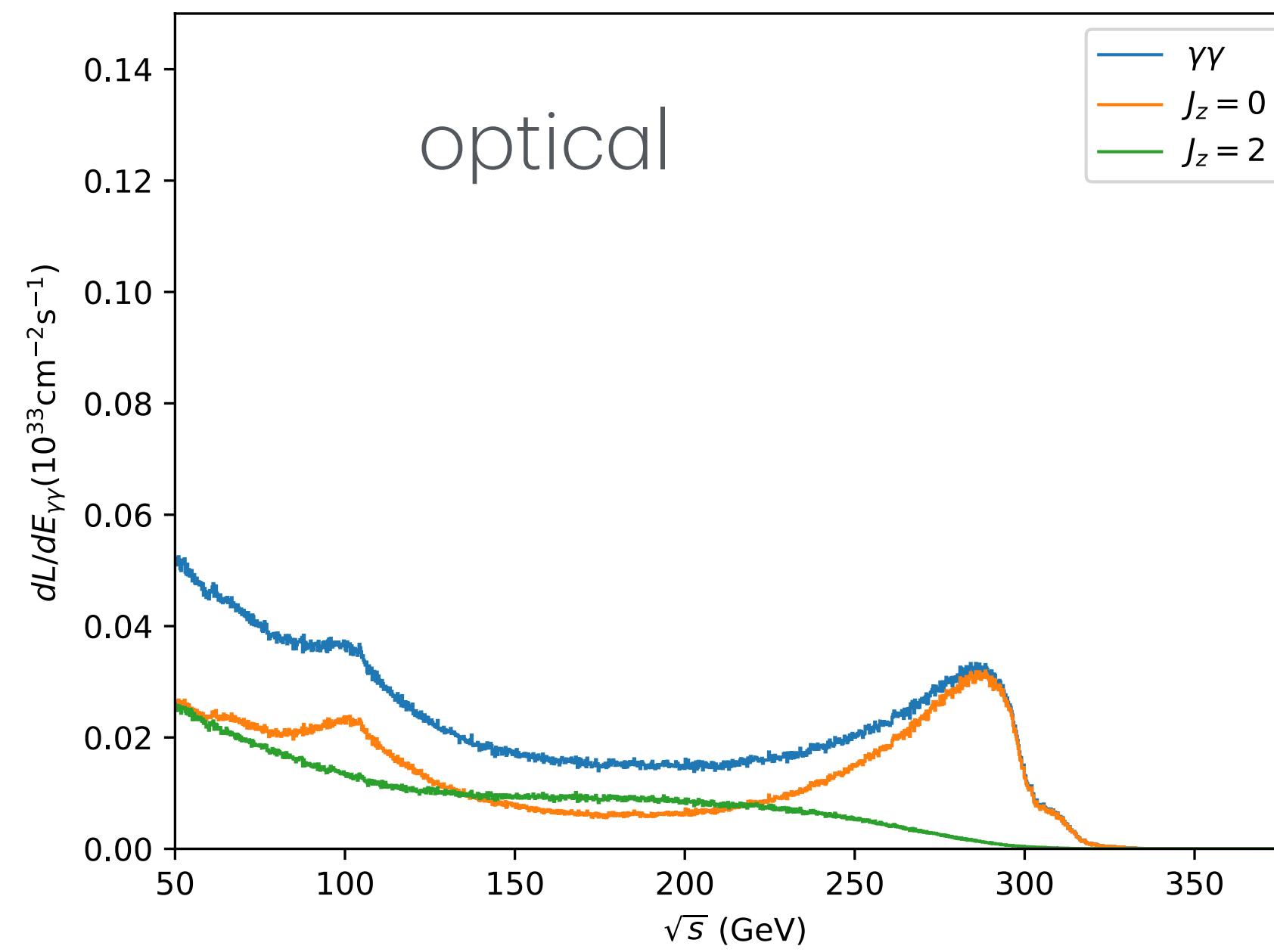
- Maximise the spectrum around 280 GeV for  $J_z = 0$ 
  - Optical: Needs a 380 GeV ee-collider with  $\lambda_e P_c < 0$
  - XCC: Needs a 280 GeV ee-collider with  $\lambda_e P_c > 0$  to suppress pair-production

# Collider setups

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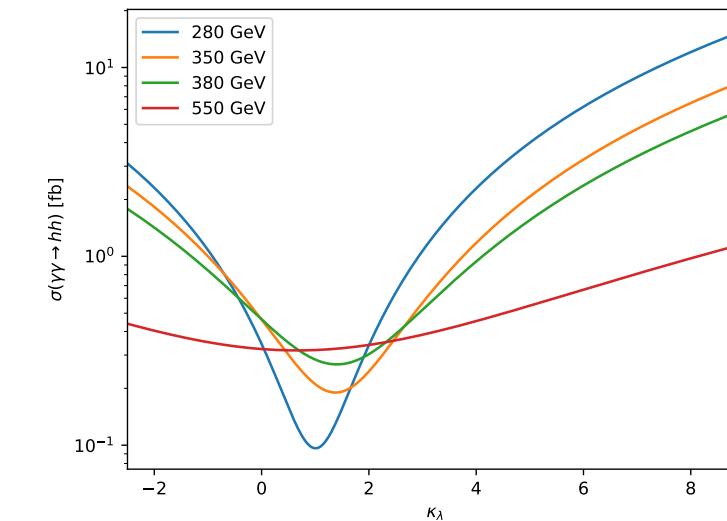
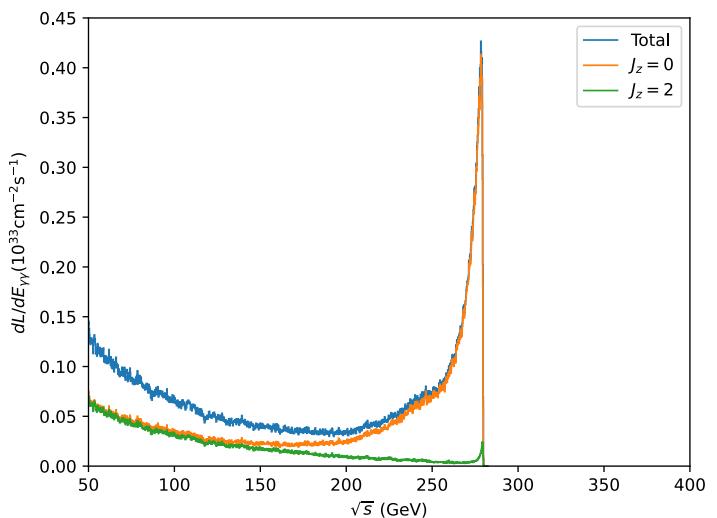
- Maximise the spectrum around 280 GeV for  $J_z = 0$



# Putting it all together

- We now have the collider spectra for  $\frac{1}{L_{\gamma\gamma}^{++}} \frac{dL_{\gamma\gamma}^{++}}{d\tau}$  and  $\frac{1}{L_{\gamma\gamma}^{+-}} \frac{dL_{\gamma\gamma}^{+-}}{d\tau}$
- And the cross-sections  $\hat{\sigma}_{++}(\hat{s})$  and  $\hat{\sigma}_{+-}(\hat{s})$
- NB: Considering  $\sigma$  for the photon colliders not optimal due to the broad spectrum, but events per year gives good comparison

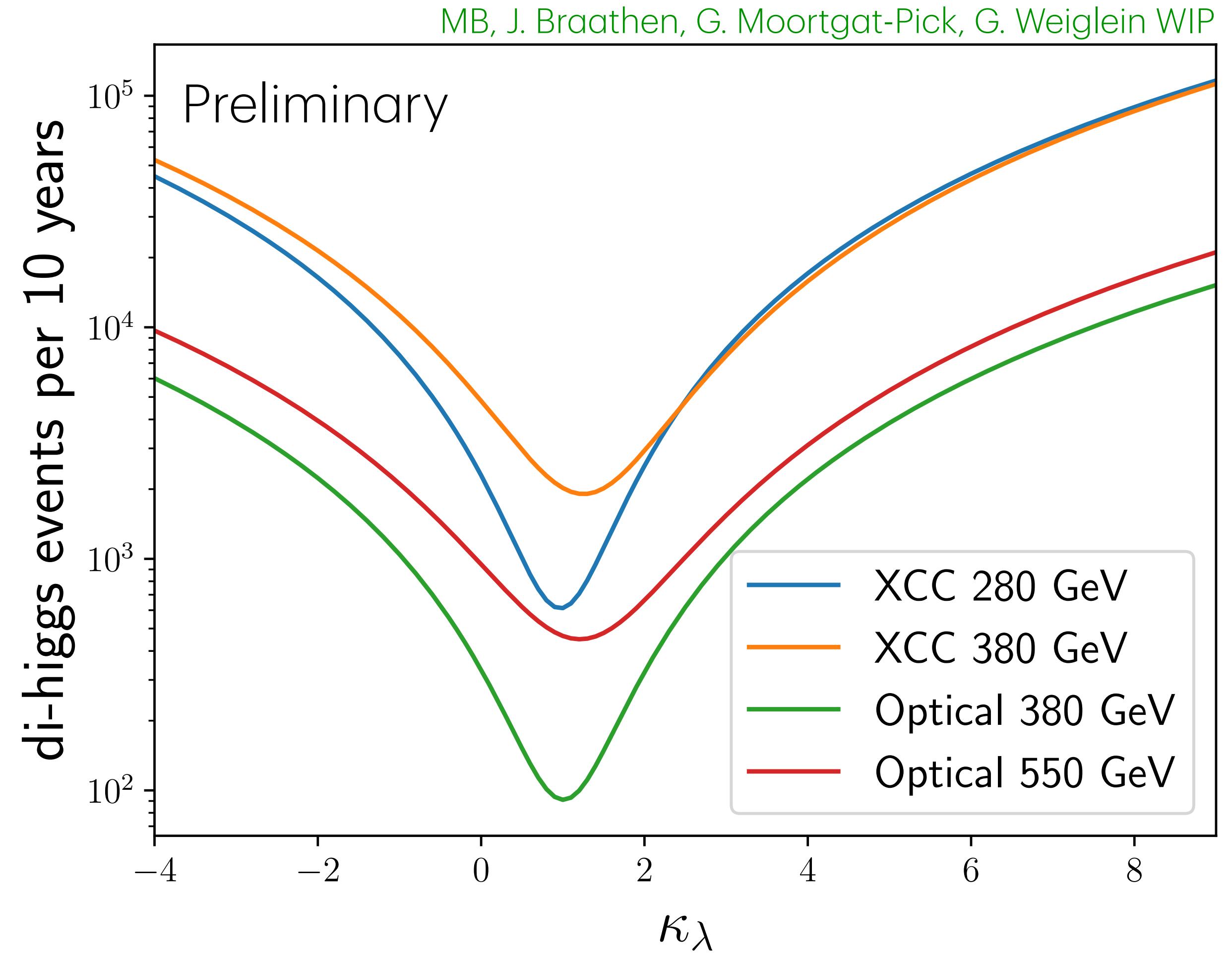
$$\sigma = \int_{4m_h^2/\hat{s}}^{y_m^2} d\tau \frac{1}{2} \left[ \frac{1}{L_{\gamma\gamma}^{++}} \frac{dL_{\gamma\gamma}^{++}}{d\tau} \hat{\sigma}_{++}(\hat{s}) + \frac{1}{L_{\gamma\gamma}^{+-}} \frac{dL_{\gamma\gamma}^{+-}}{d\tau} \hat{\sigma}_{+-}(\hat{s}) \right]$$



# Putting it all together

- Similar structure to the subprocess  
 $\gamma\gamma \rightarrow hh$
- Strongest dependency on  $\kappa_\lambda$  for the XCC 280 GeV and the Optical 380 GeV
- Optical can run in parallel to ee-collider

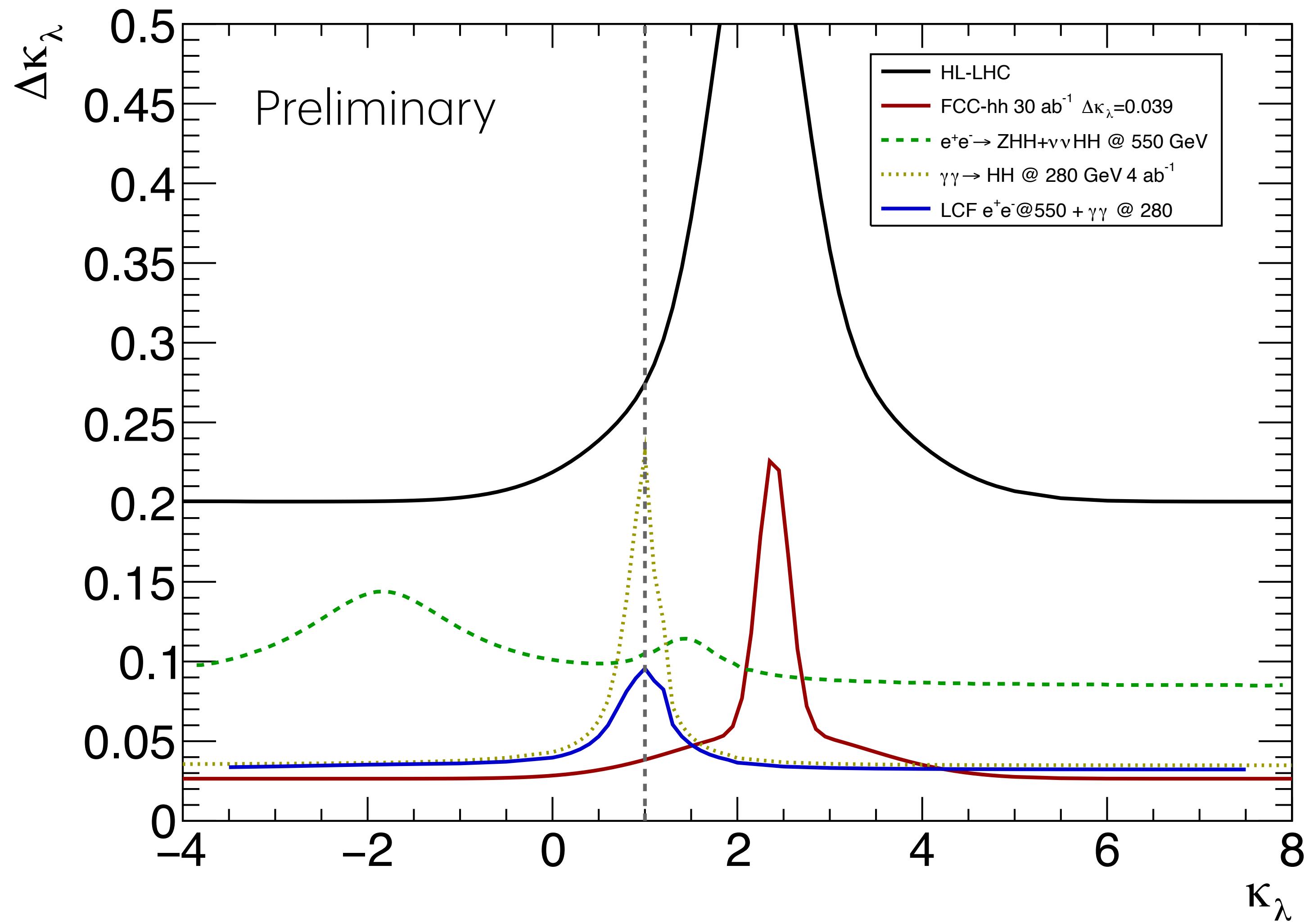
Fixed  $\kappa_{2V} = 1$



# Sensitivity for $\kappa_\lambda$

- The XCC 280 GeV reaches 4% at lower energies than comparable colliders
- Lowest sensitivity around  $\kappa_\lambda = 1$  for the XCC, perfect to combine with current and future results from other colliders

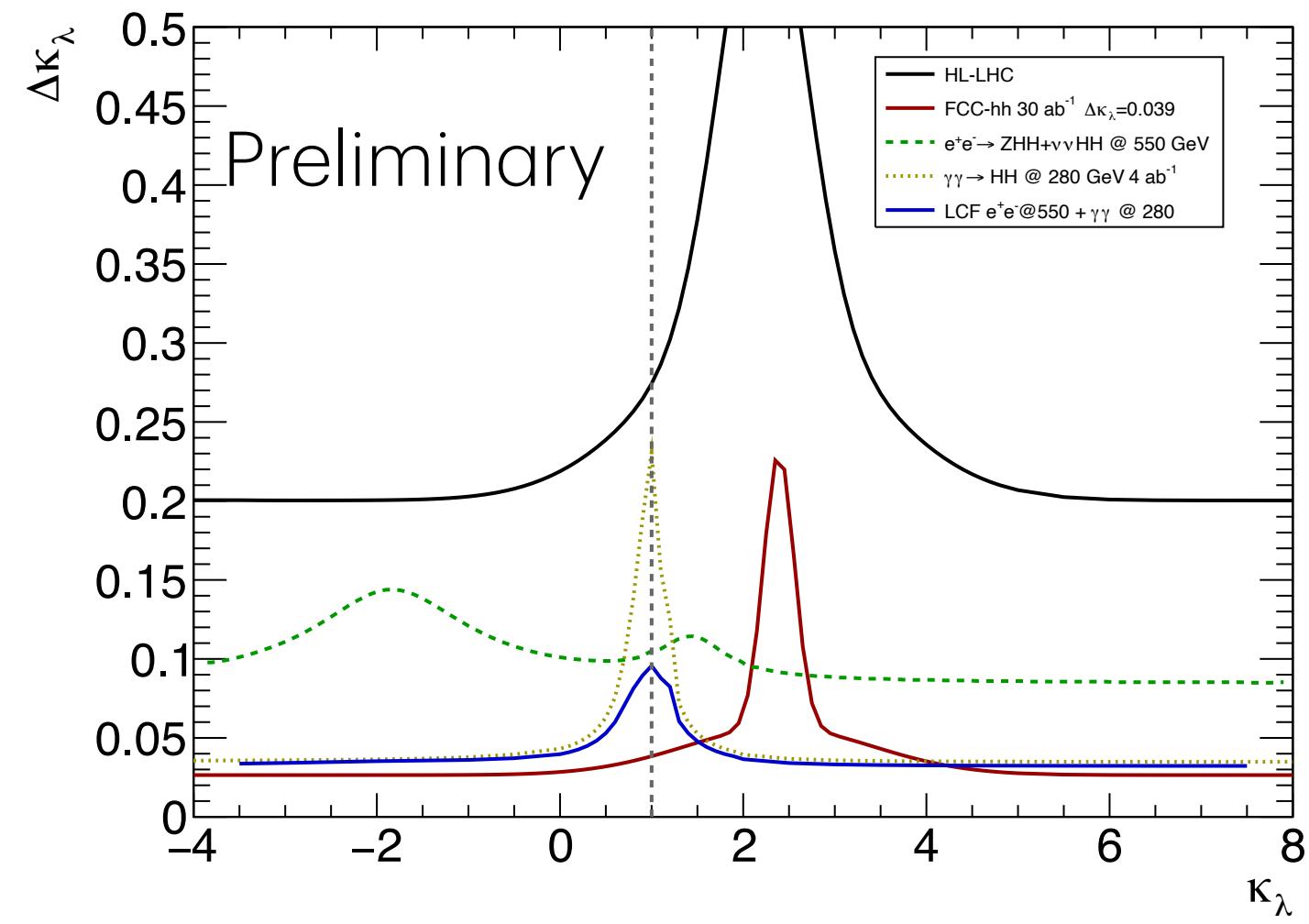
T.Barklow, A. Schwartzman WIP



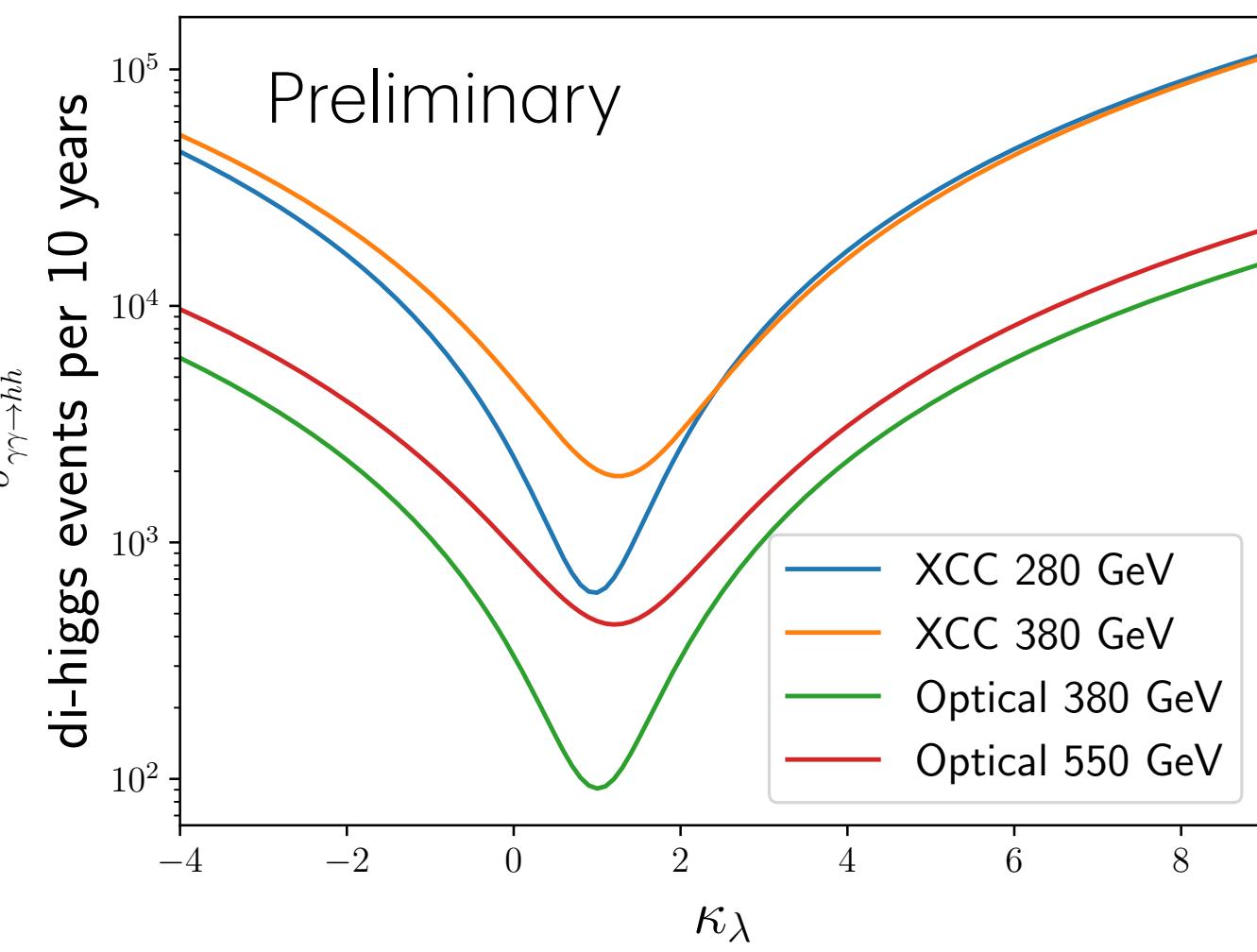
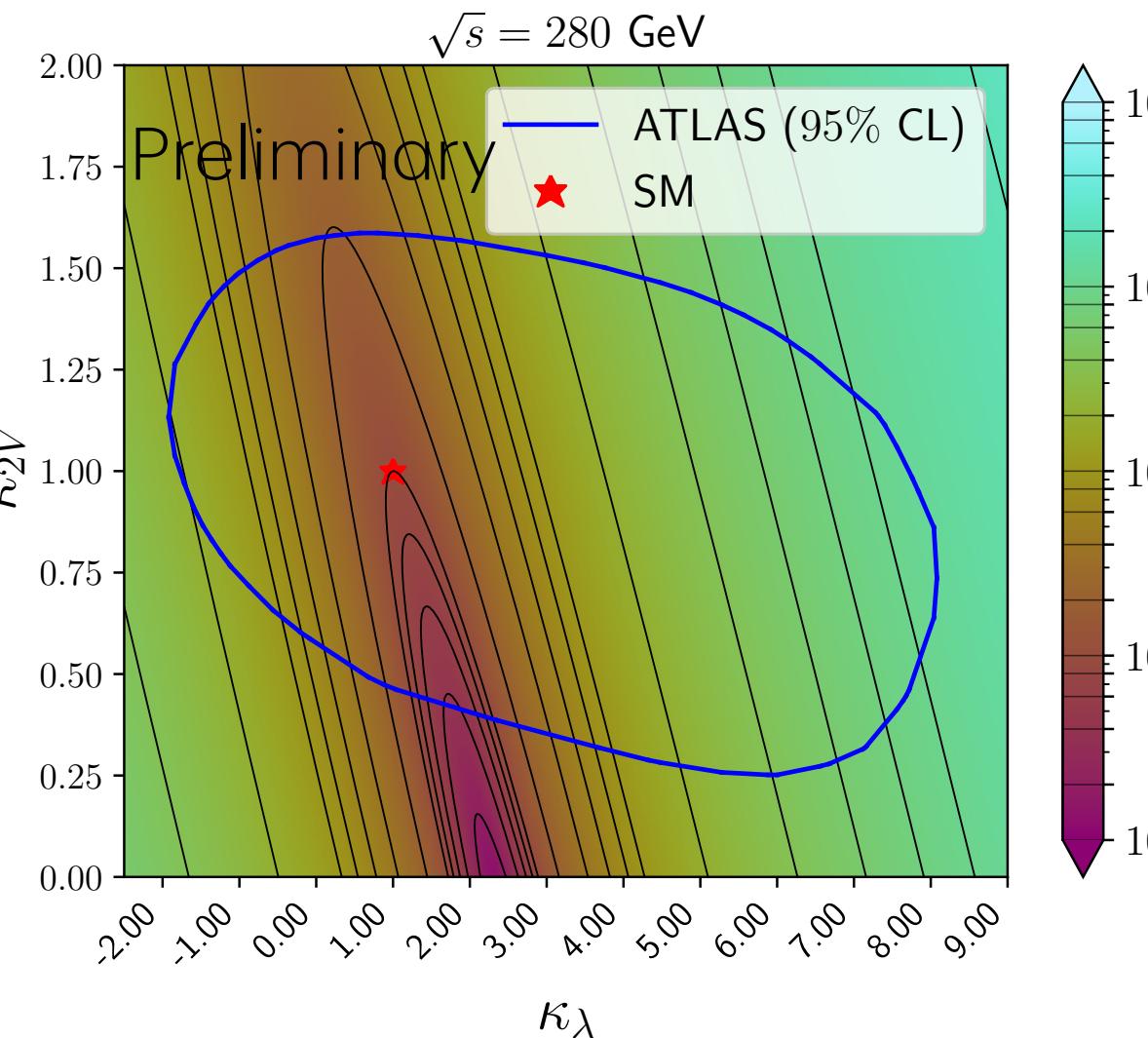
# Summary

- Photon colliders are great additions to any  $e^+e^-$ -collider, or even stand alone
- Offer rich opportunities to explore the trilinear Higgs coupling at **lower energies**

- Complementary with  $pp$ - and  $e^+e^-$ -analyses
- Still room to improve and optimize the technology
- Need active groups working on the XCC and optical laser technologies



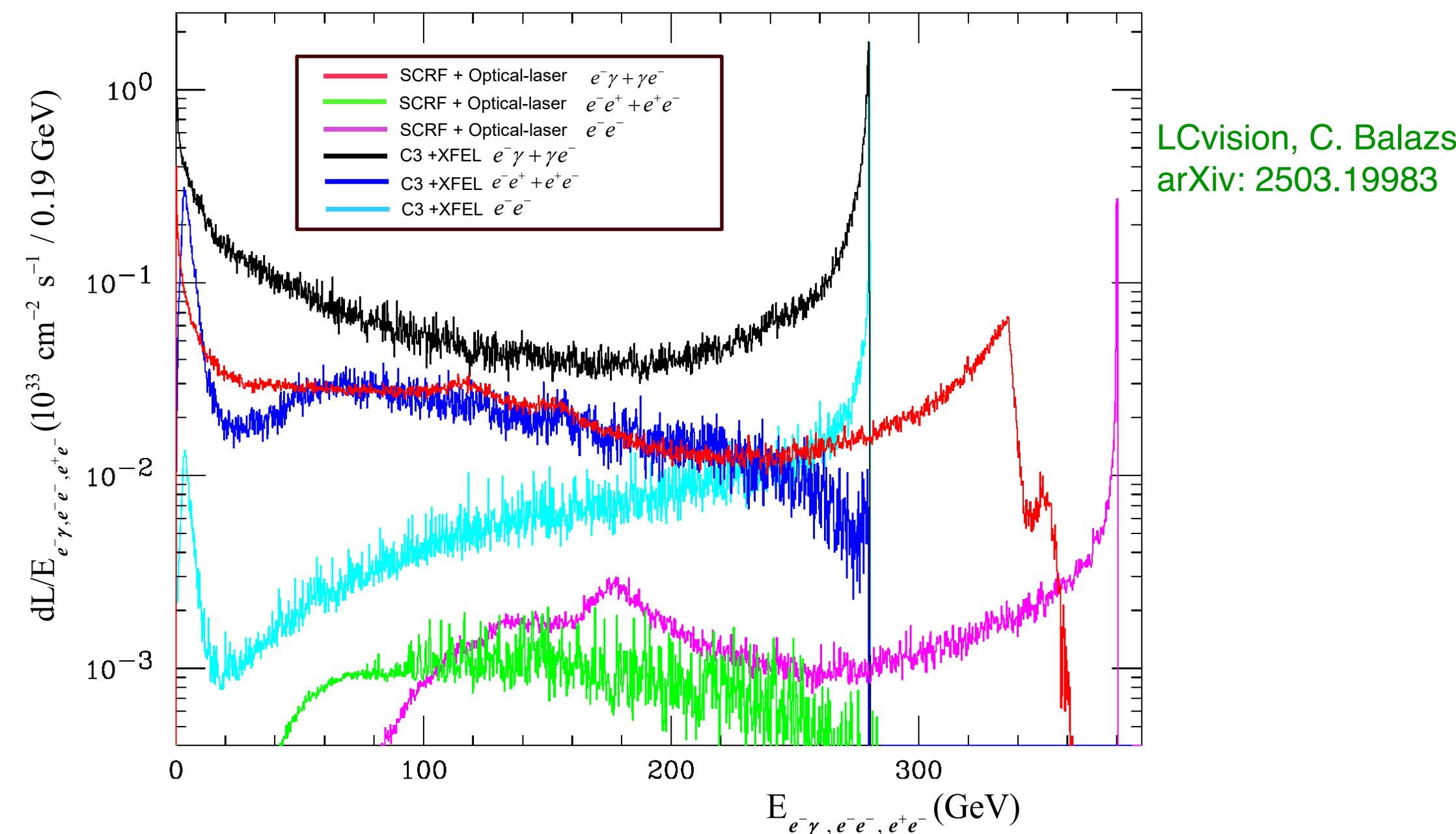
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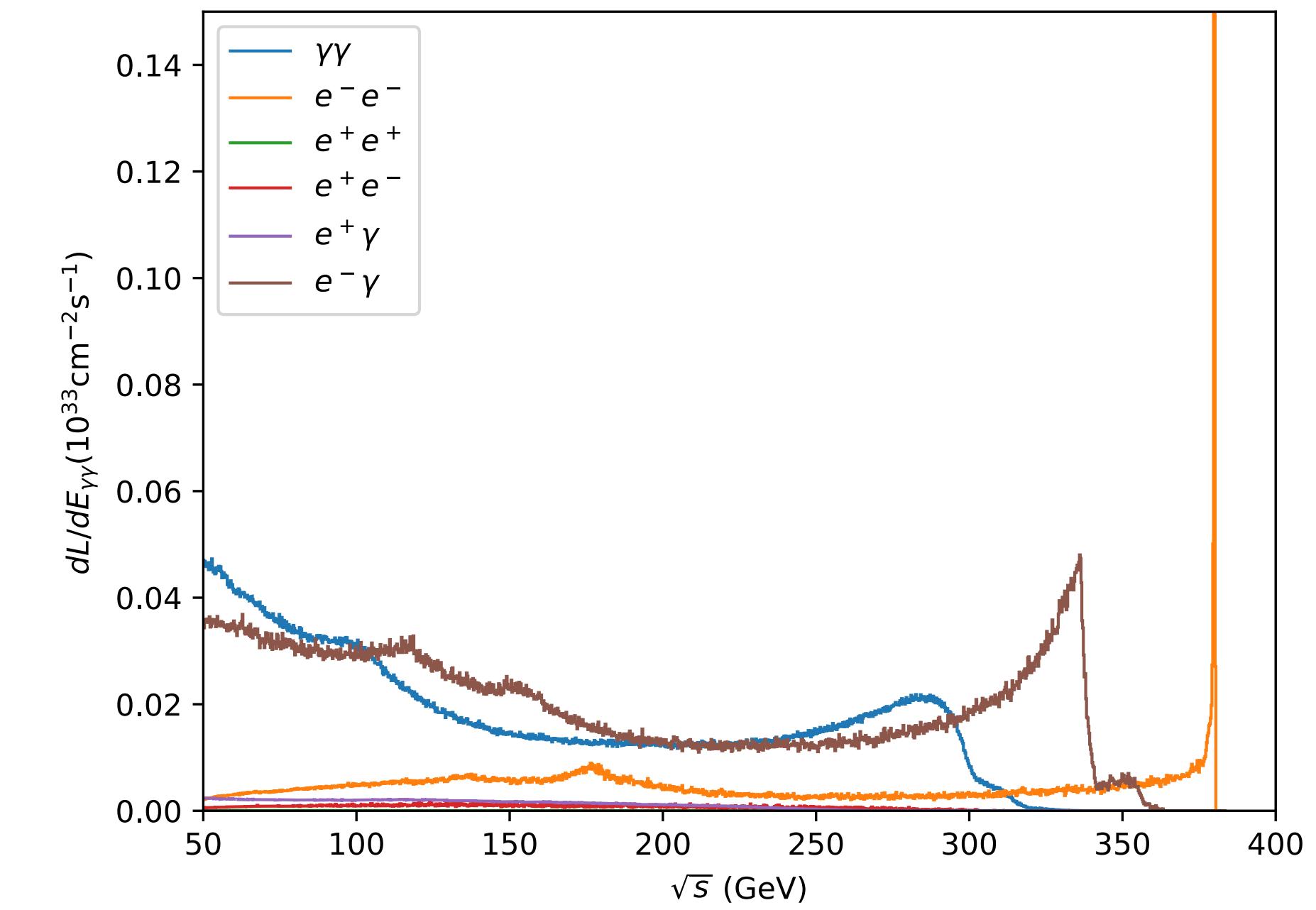
Thank you for listening

# Background for the colliders

- Not all  $e$  are converted to photons
- Even in  $e^-e^-$ -mode the XCC still offers large number of  $e^+e^-$  collisions
- As well as  $\gamma e$  and  $e^-e^-$  collisions for both setups

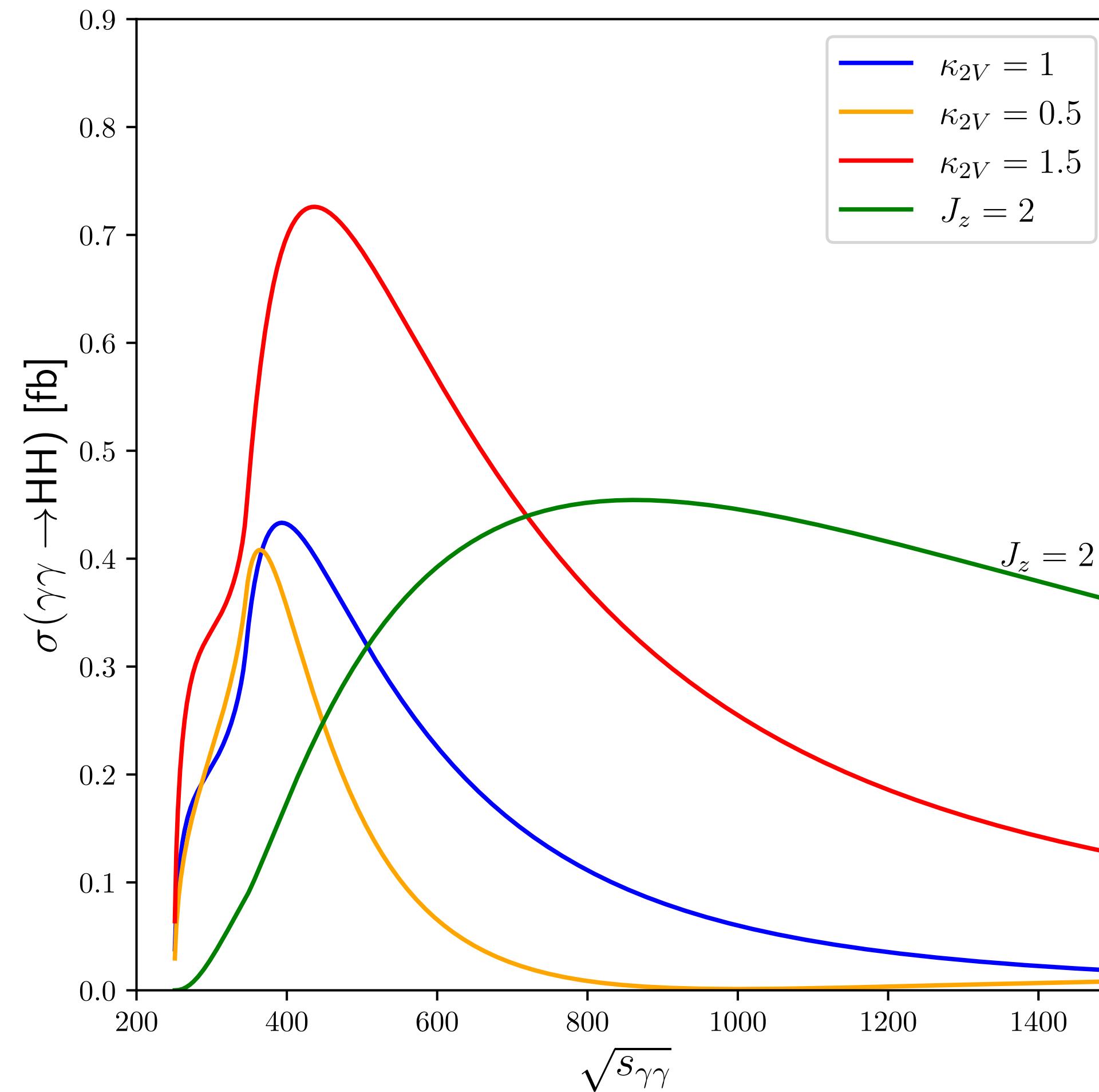


LCvision, C. Balazs,  
arXiv: 2503.19983



# $\kappa_{2V}$ dependence

- Fixing  $\kappa_\lambda = 1$  shows similar behaviour for variations in  $\kappa_{2V}$
- Effect is still strong at high energies, but overshadowed by the  $J_z = 2$  contribution



# $e^+e^-$ setup

- Classically, choice of  $e^-e^-$ -colliders, due to low polarization of  $e^+$
- Possible polarization of 60% for  $e^+$  would allow running in the  $e^+e^-$  mode
- So far only looked at for optical, due to strong beam effects for the XCC
- Access to both channels at the same time

