

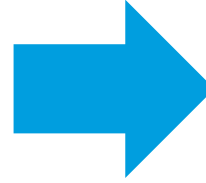
# MAGO

## Detecting high-f gravitational waves with SRF cavities

Giovanni Marconato on behalf of the “MAGO” team

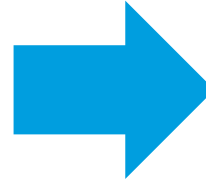
# Outline

- The goal



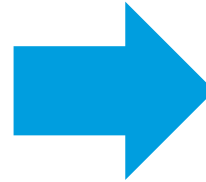
- Parameters' space exploration
- Sources we might see

- The physics



- GW – Cavity interaction
  - From GW to mechanical excitation
  - From mechanical excitation to RF
- The detection scheme

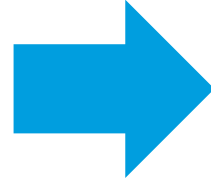
- The history



- Past
- Present

# Outline

- The goal

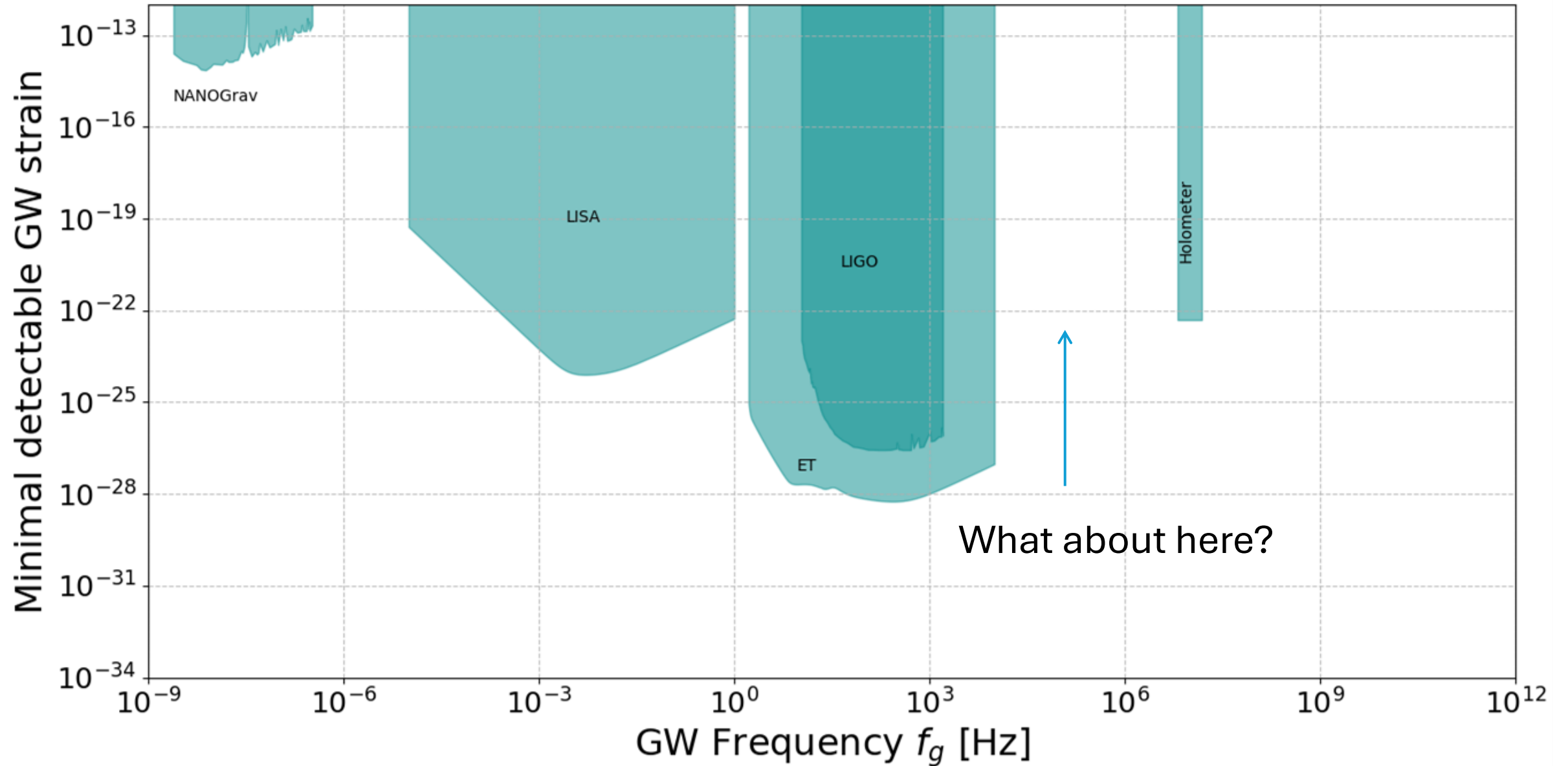


- Parameters' space exploration
- Sources we might see

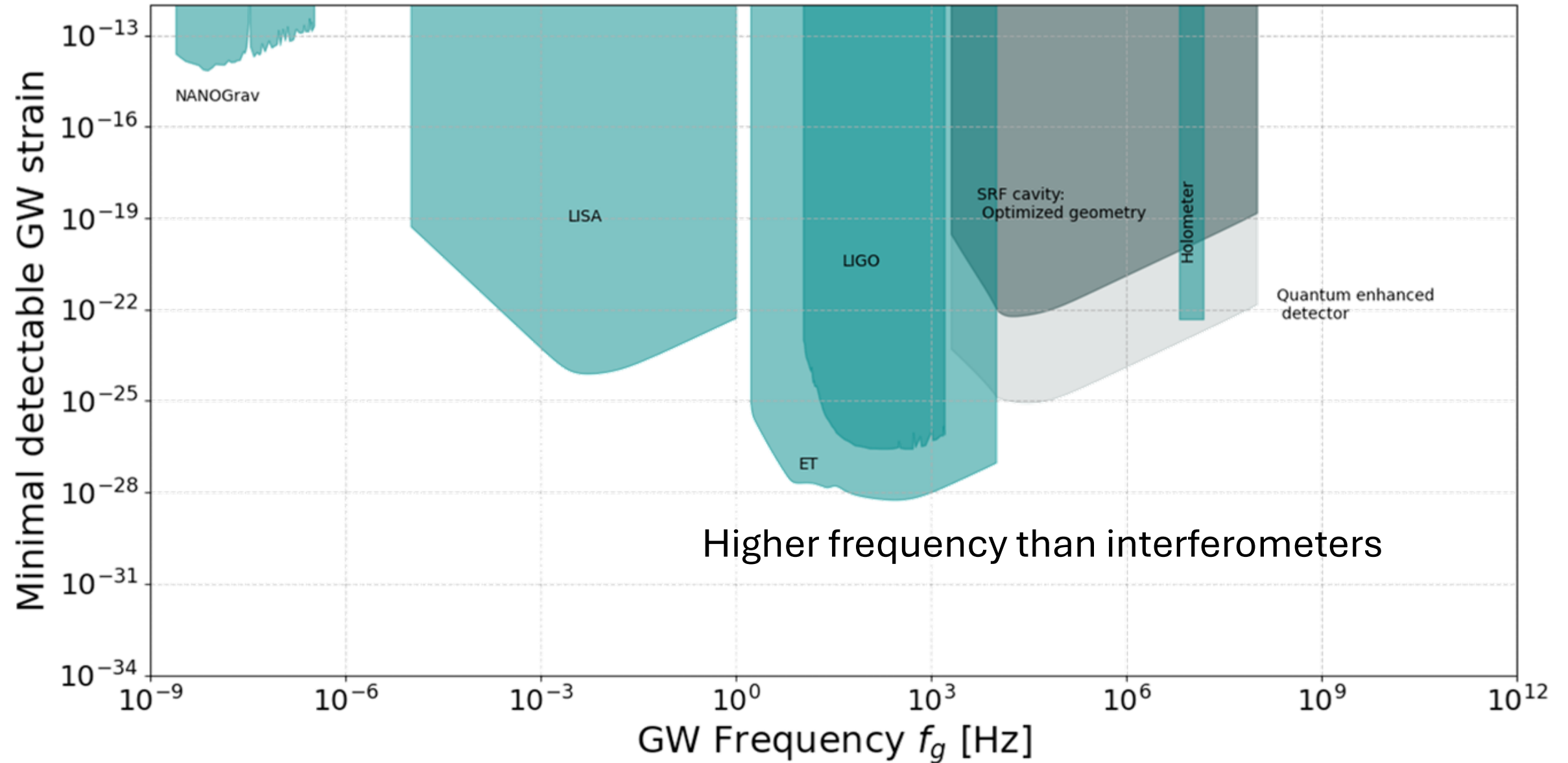
- The physics

- The history

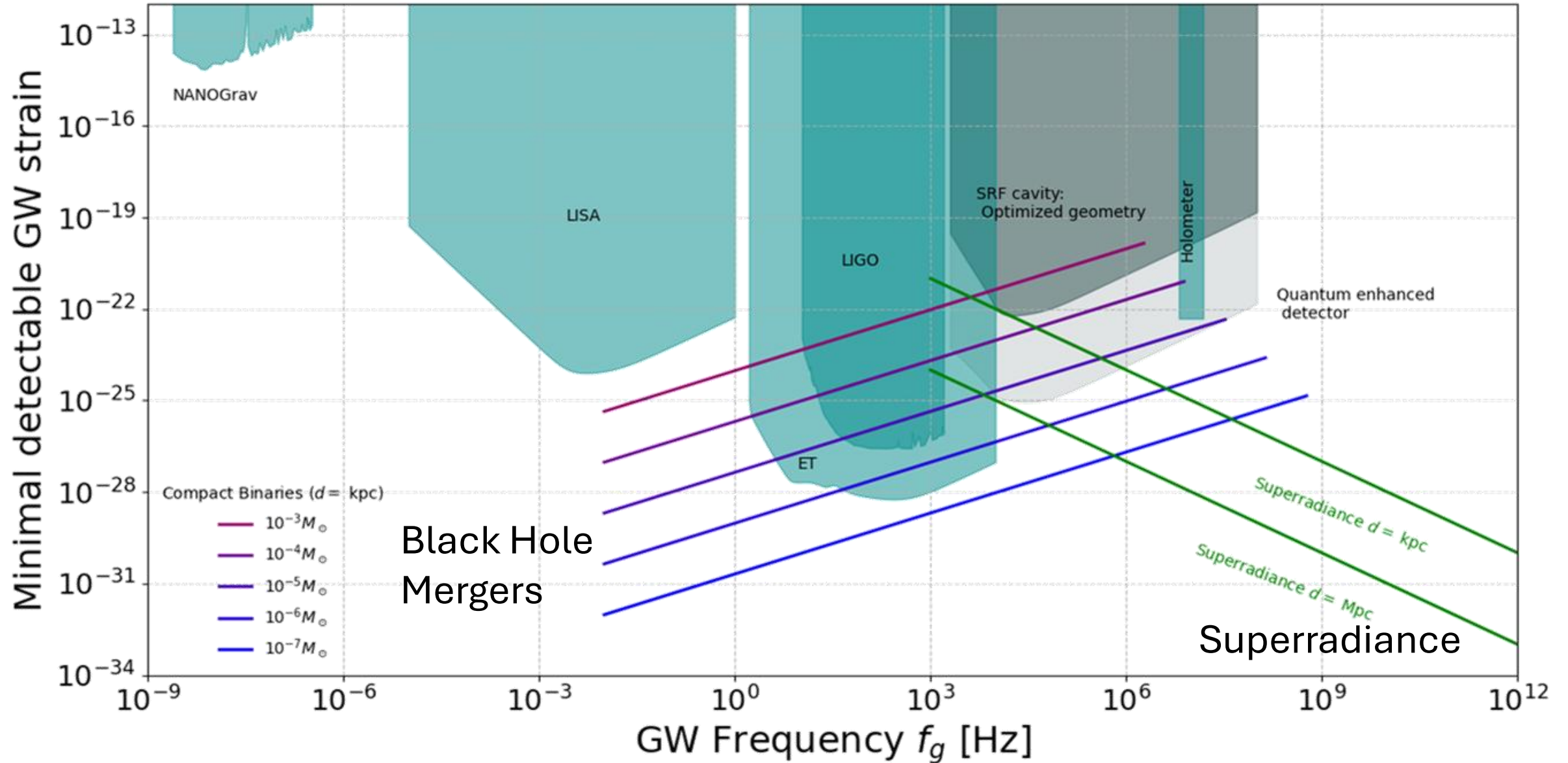
# Parameters' space exploration



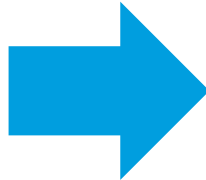
# Parameters' space exploration



# Sources we might see

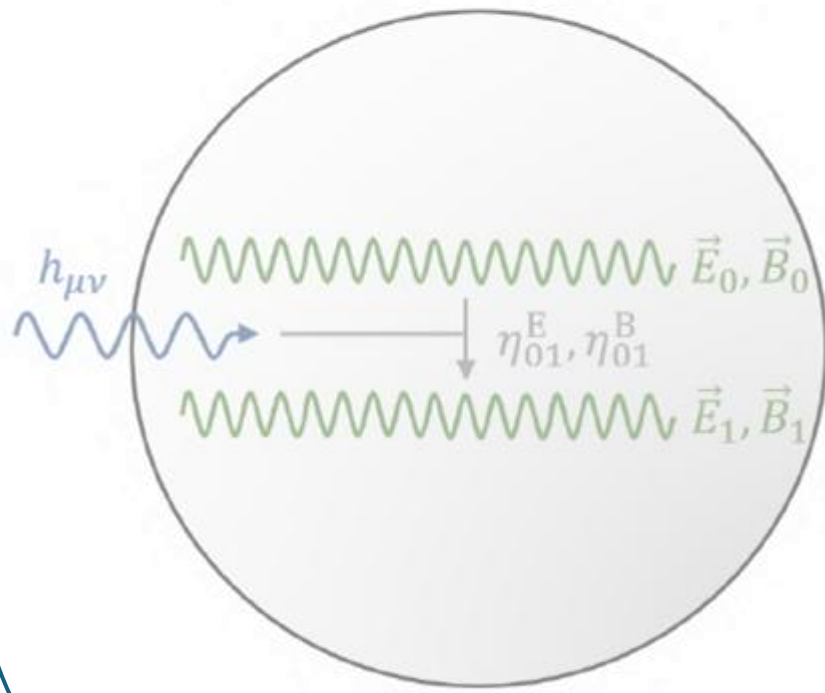


# Outline

- The goal
- The physics 
  - GW – Cavity interaction
    - From GW to mechanical excitation
    - From mechanical excitation to RF
  - The detection scheme
- The history

# GW – Cavity interaction

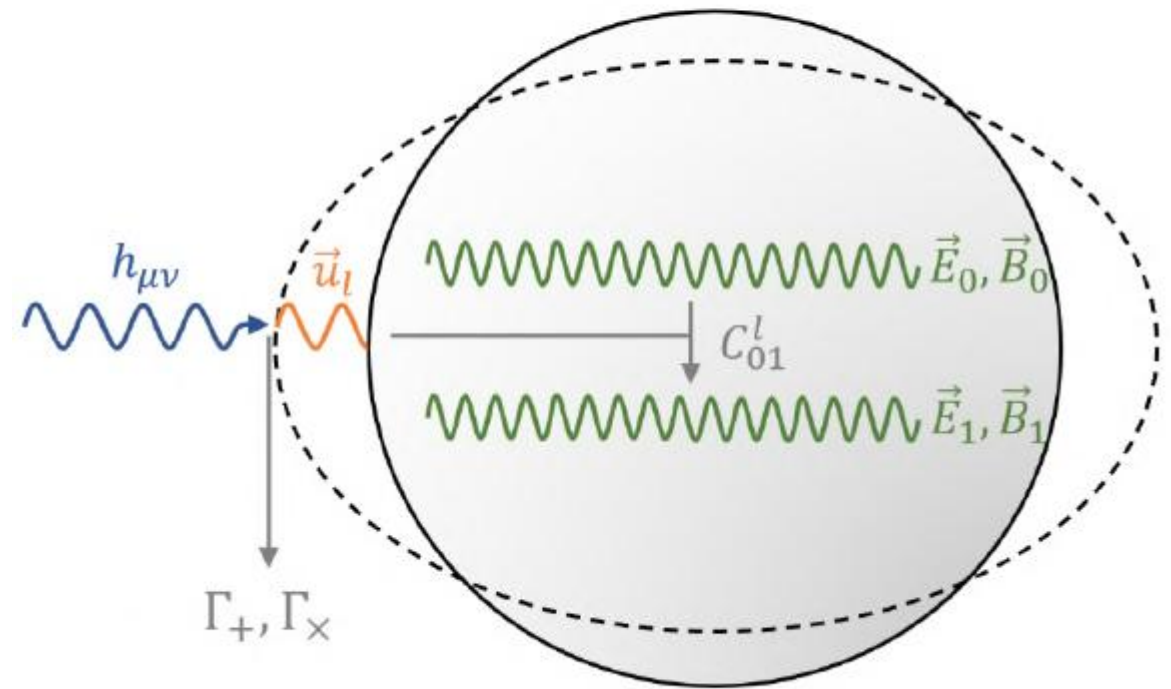
## Direct Coupling (Gertsenshtein Effect)



Relevant for higher GW frequencies  $\sim$  GHz

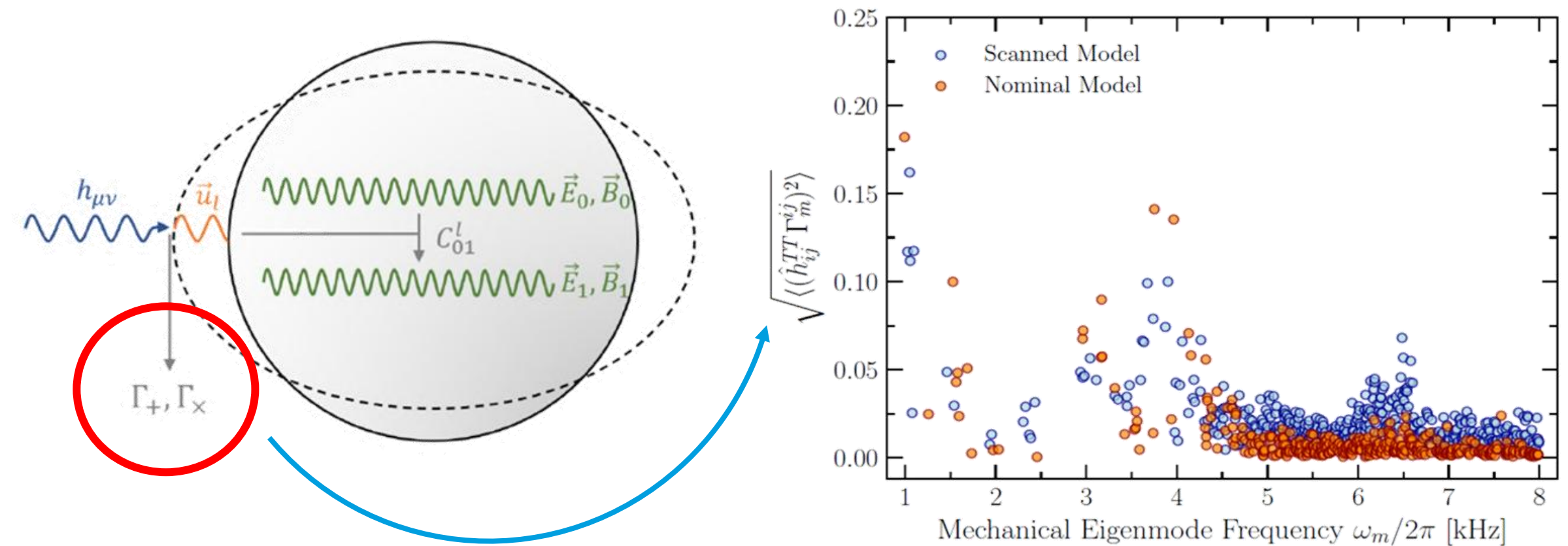


## Mechanical Coupling



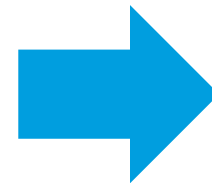


# From GW to mechanical excitation



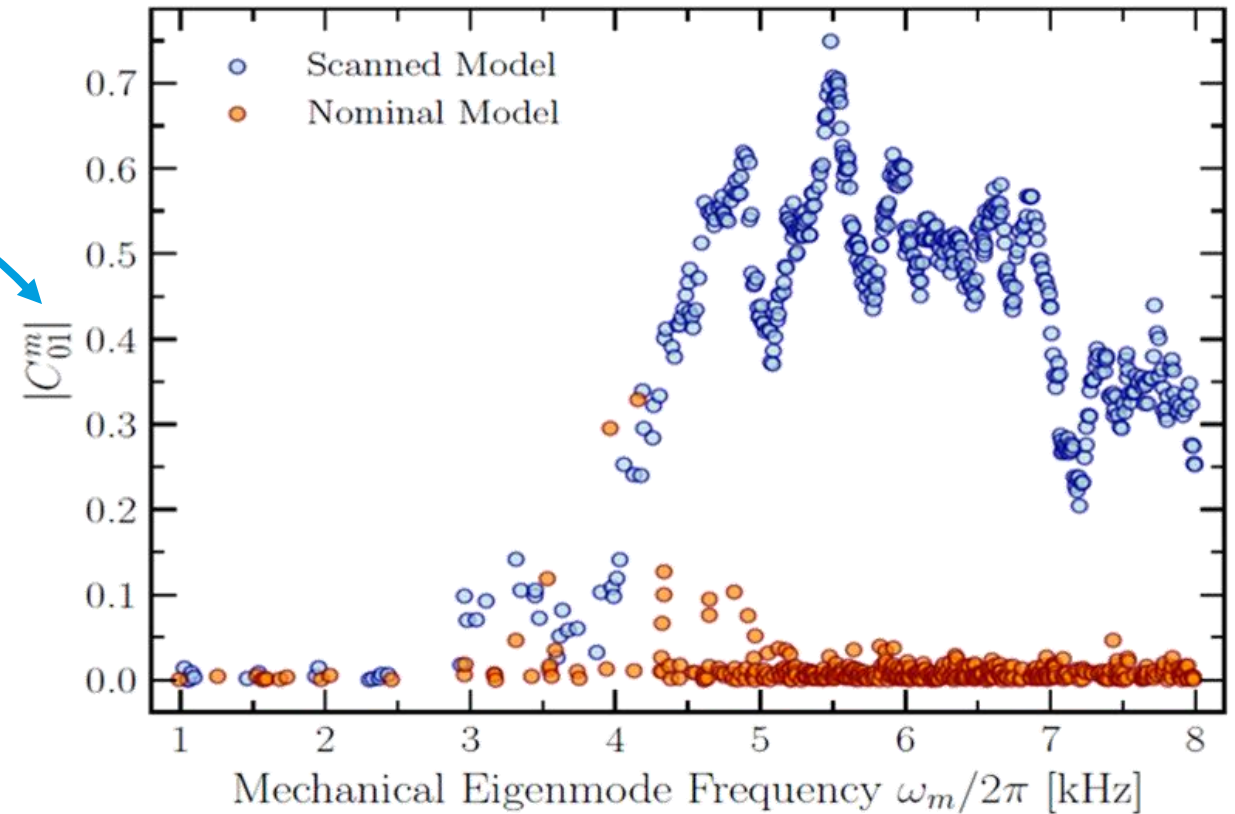
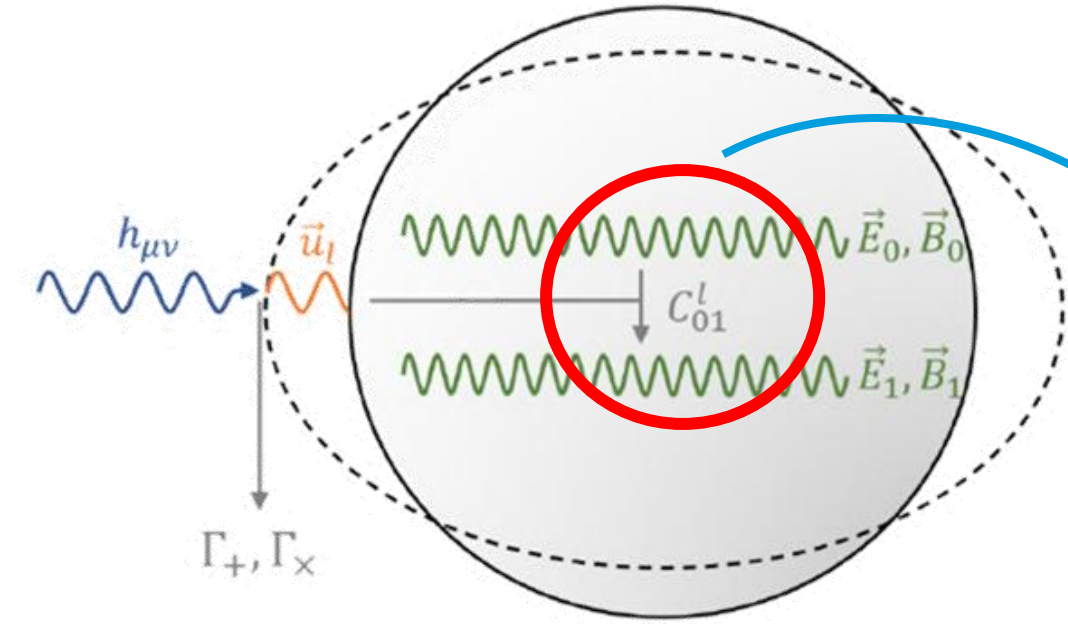
L. Fischer et al., “First characterisation of the MAGO cavity, a superconducting RF detector for kHz–MHz gravitational waves,” *Class. Quantum Grav.*, vol. 42, no. 11, May 2025

Each mechanical mode couples differently to the GW based on the **shape** of the mode.



Based on GW symmetry the first best guess is **quadrupole** shape.

# From mechanical excitation to RF



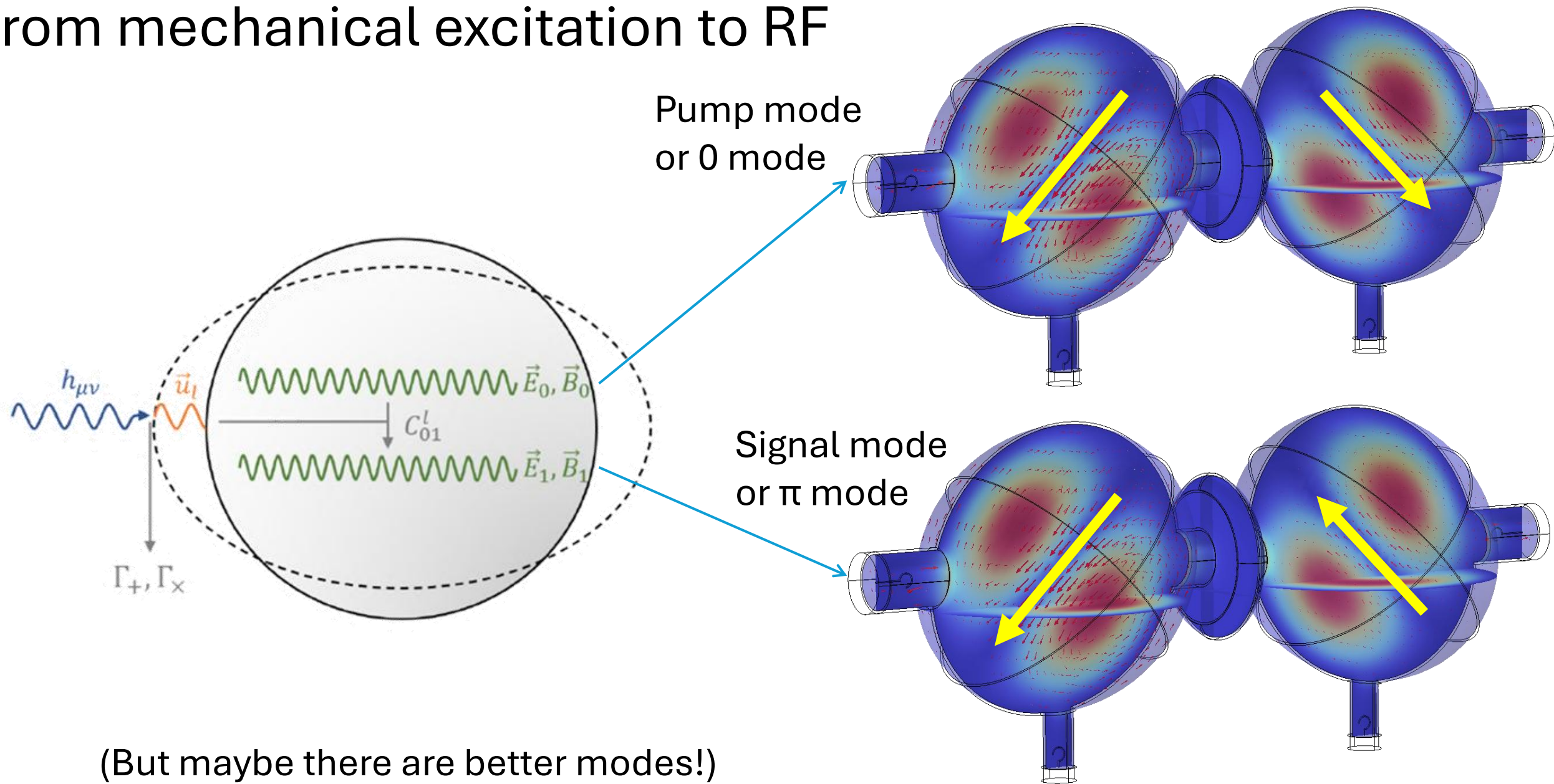
L. Fischer et al., “First characterisation of the MAGO cavity, a superconducting RF detector for kHz–MHz gravitational waves,” *Class. Quantum Grav.* 42(11), May 2025

Each mechanical mode couples differently to the EM eigenmodes based on the **spatial distribution** of each mode

$C_{01}^l \propto B_0 B_1 - E_0 E_1$   
Best EM mode found so far is  $TE_{011}$

At least dipole symmetry and parallel fields between modes

# From mechanical excitation to RF

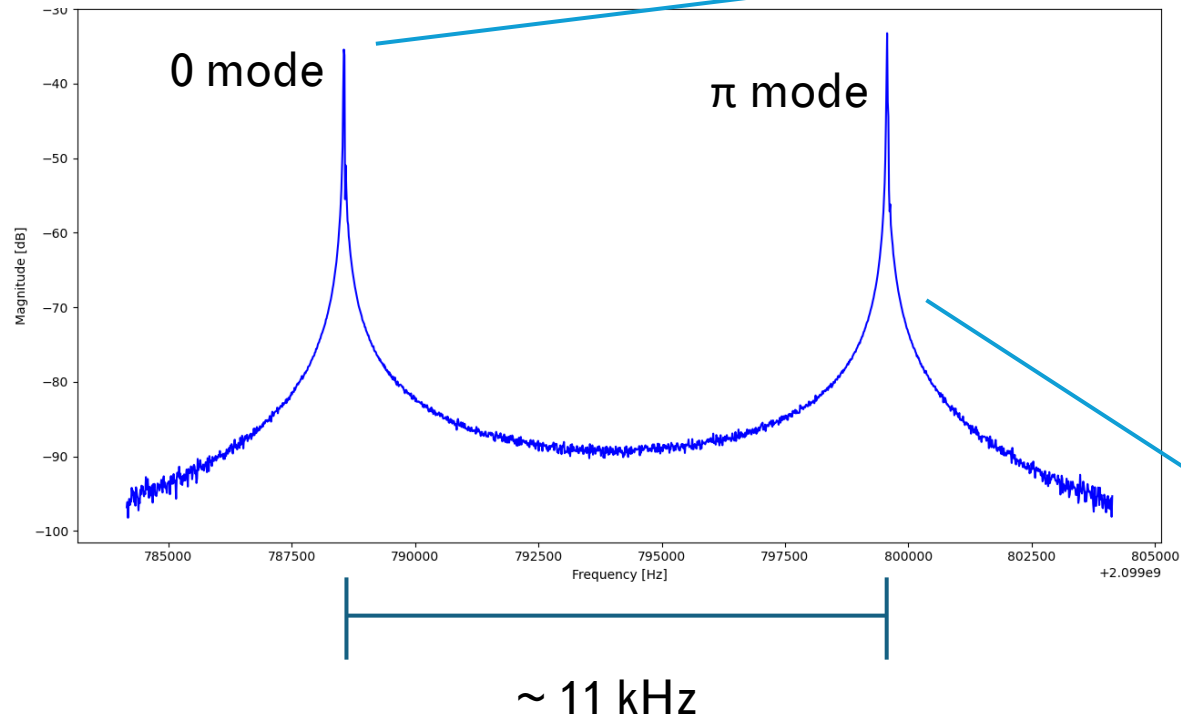


(But maybe there are better modes!)

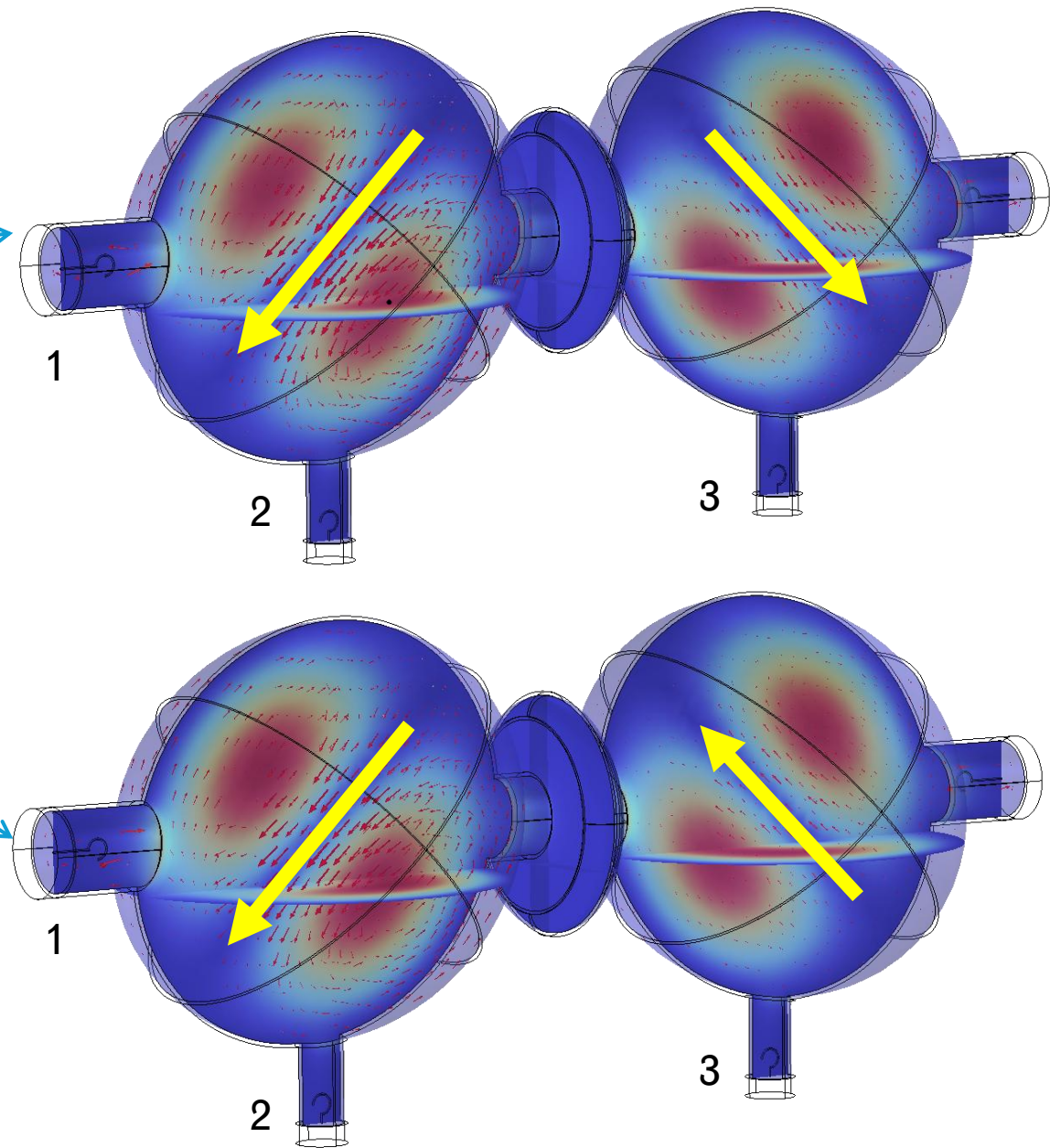


# From mechanical excitation to RF

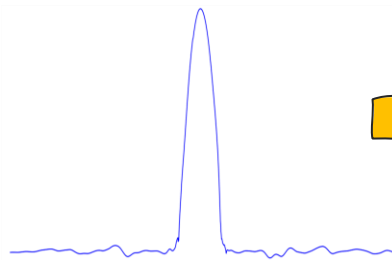
## S31 real measurement



$$Q_0 \approx 10^{10} @ 2 \text{ K}$$



# The detection scheme



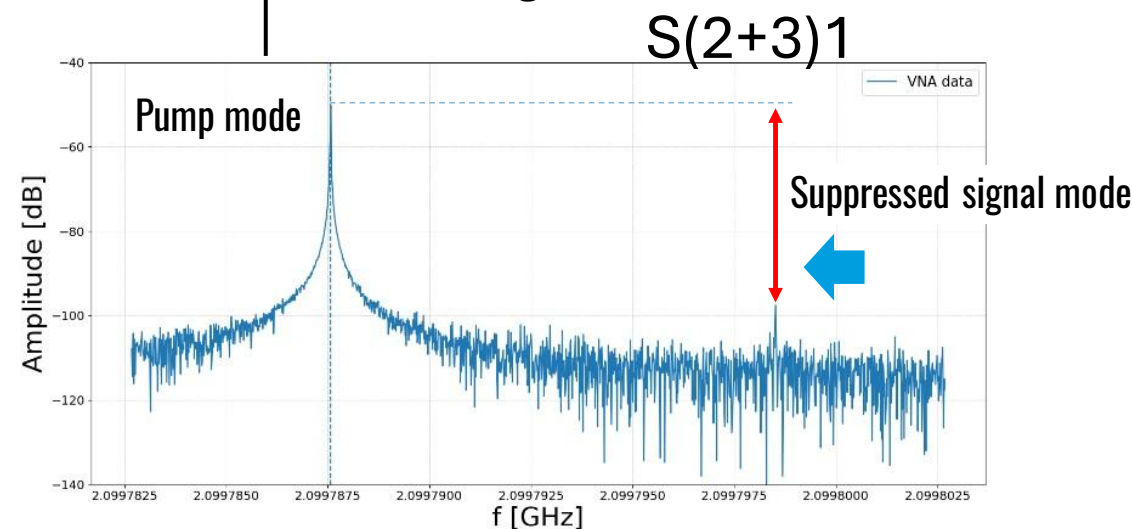
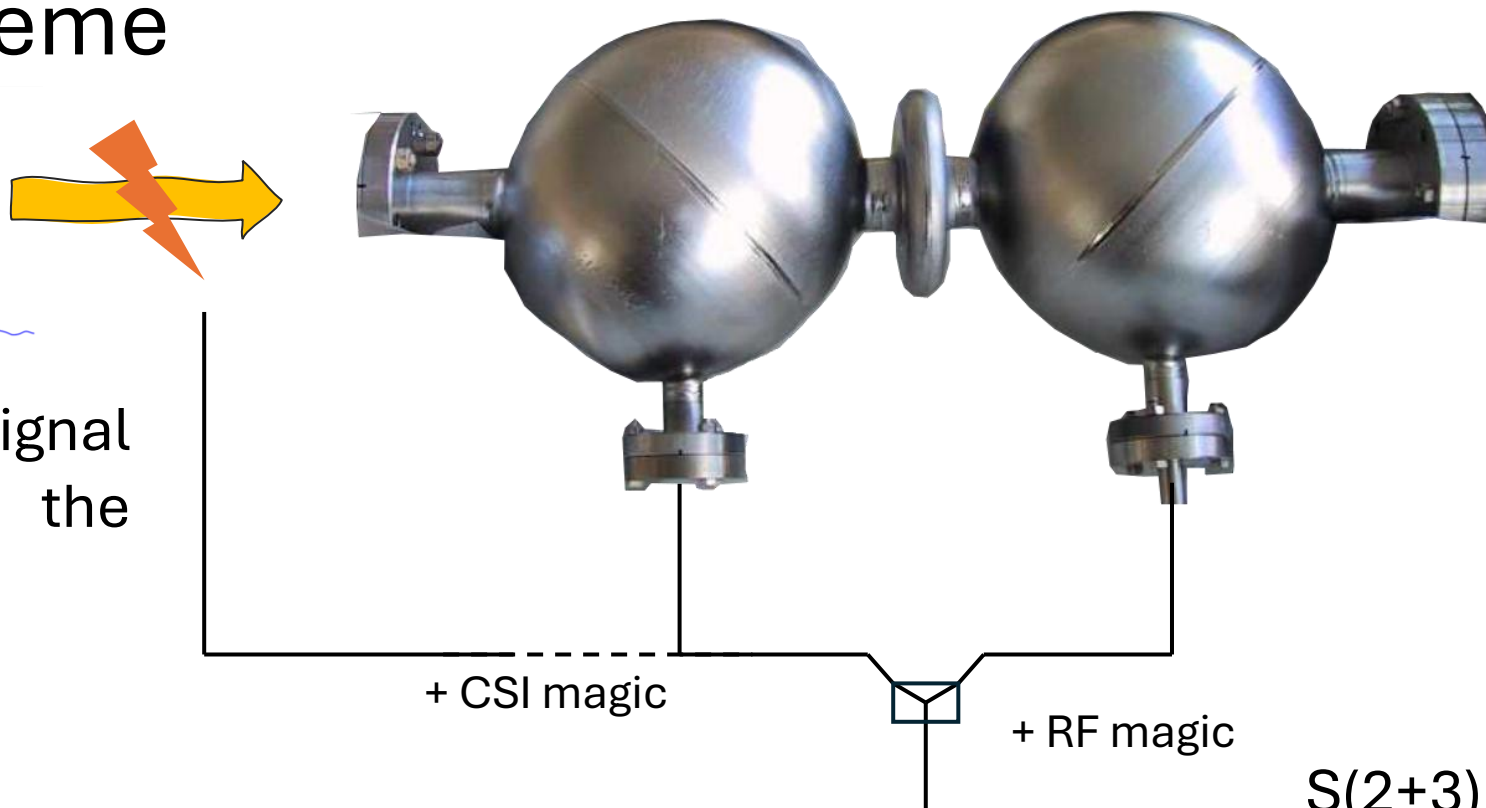
Bandwidth of the input signal is large compared with the peaks spacing



Need multiple strategies to suppress the unwanted excitation of the signal mode

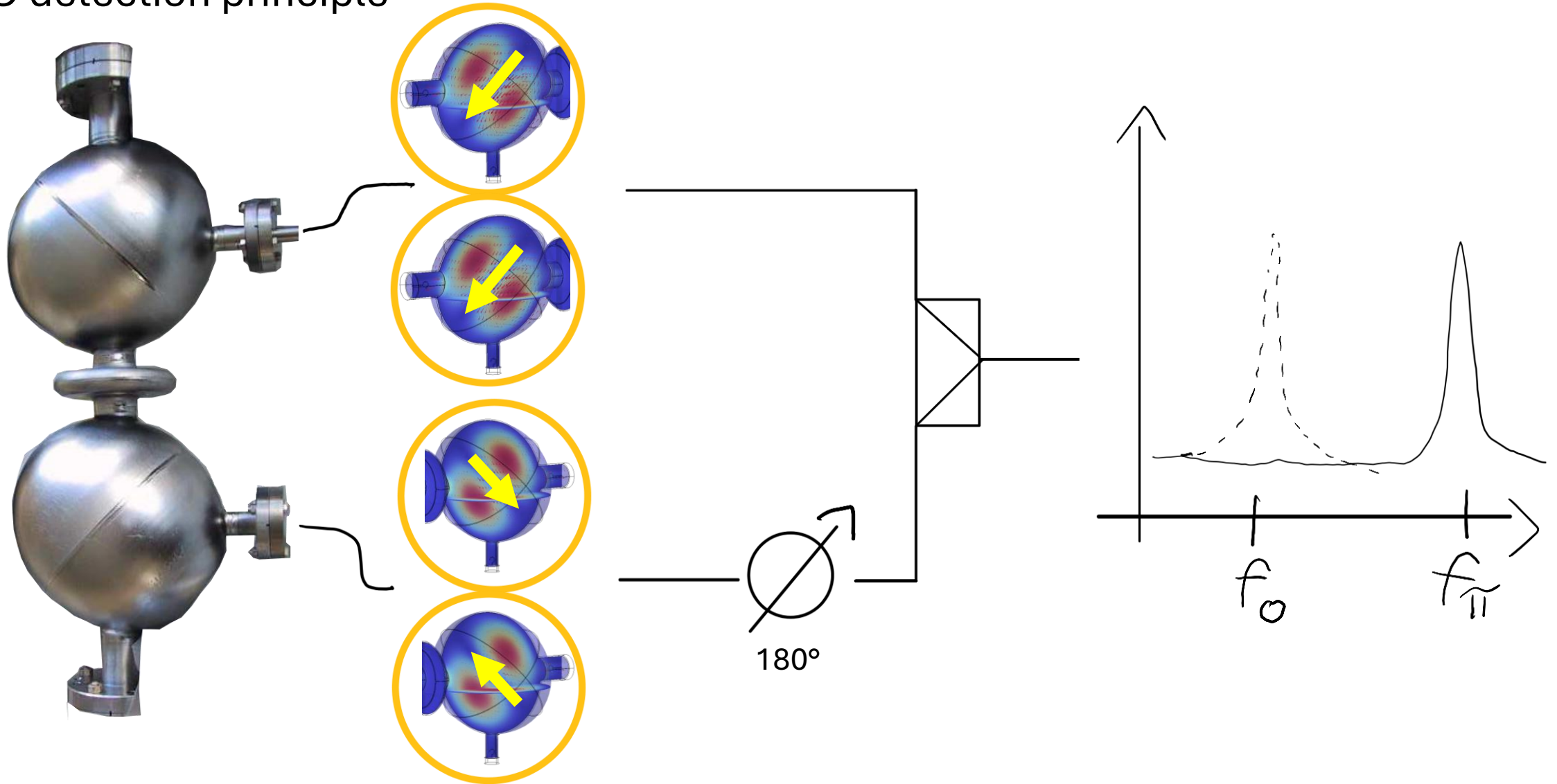


Suppress the pump mode in the output



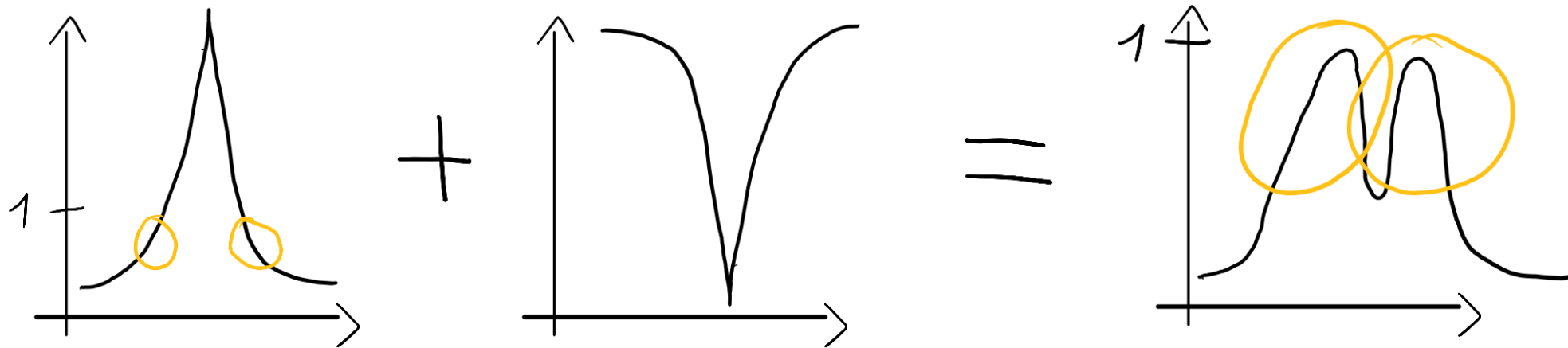
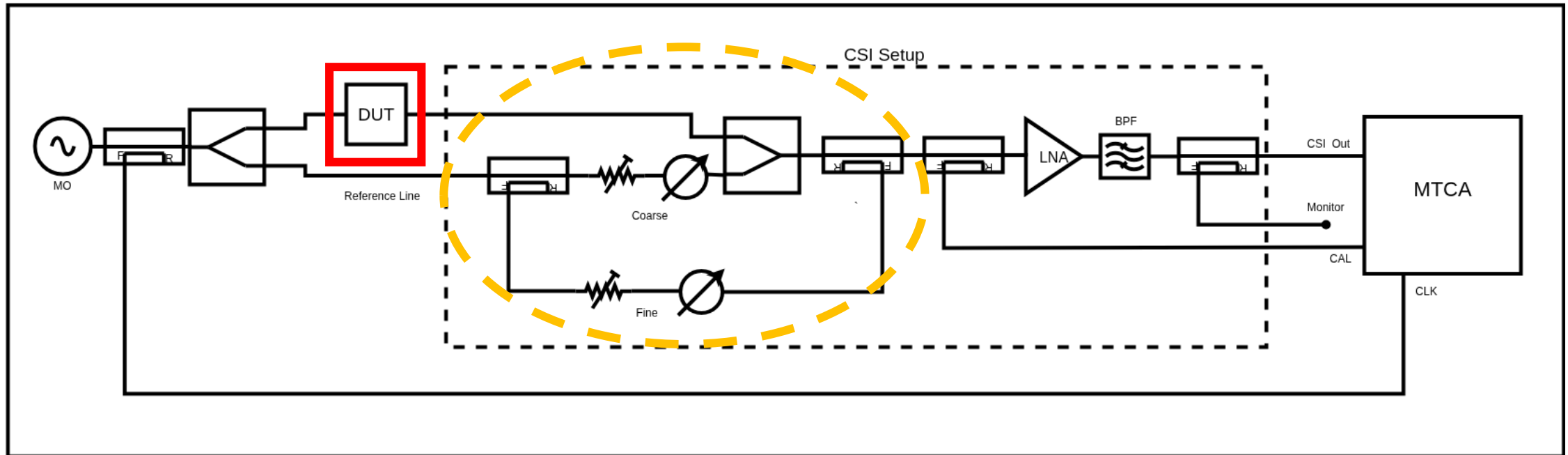
# The detection scheme

## PACO detection principle



# The detection scheme

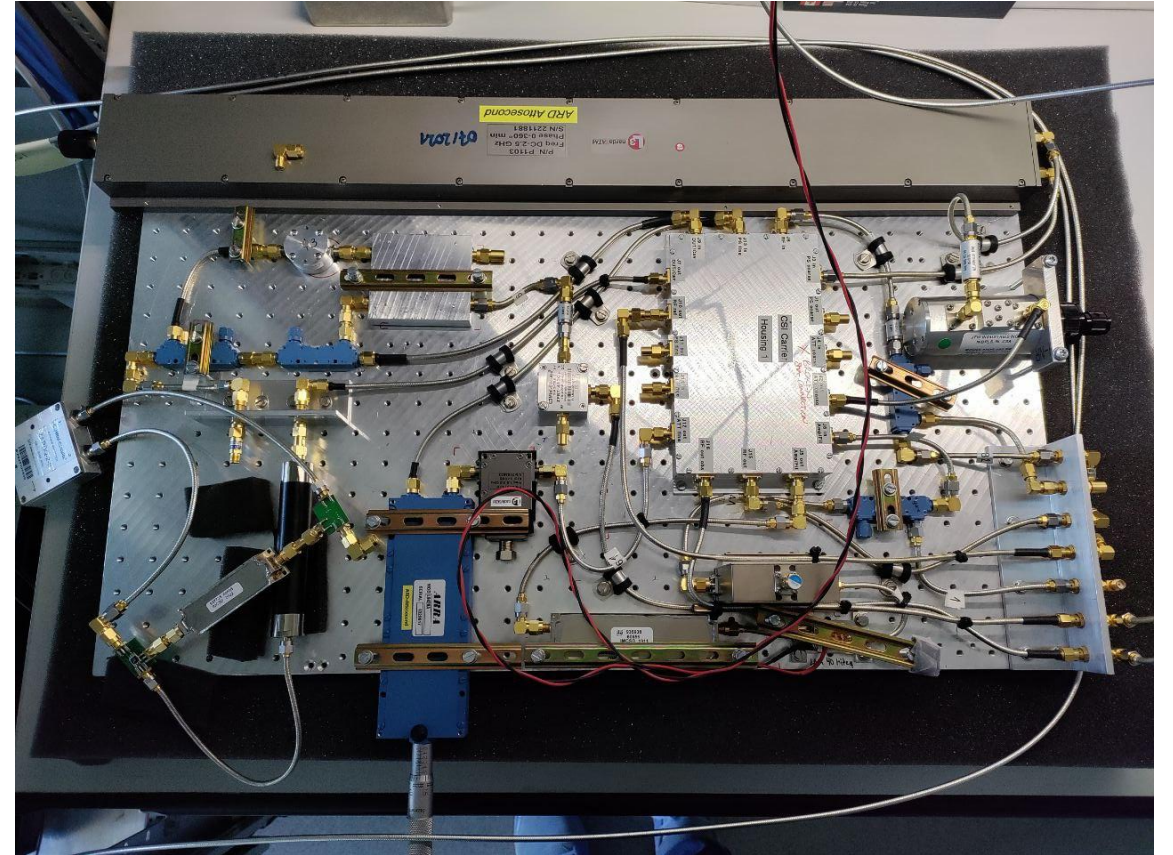
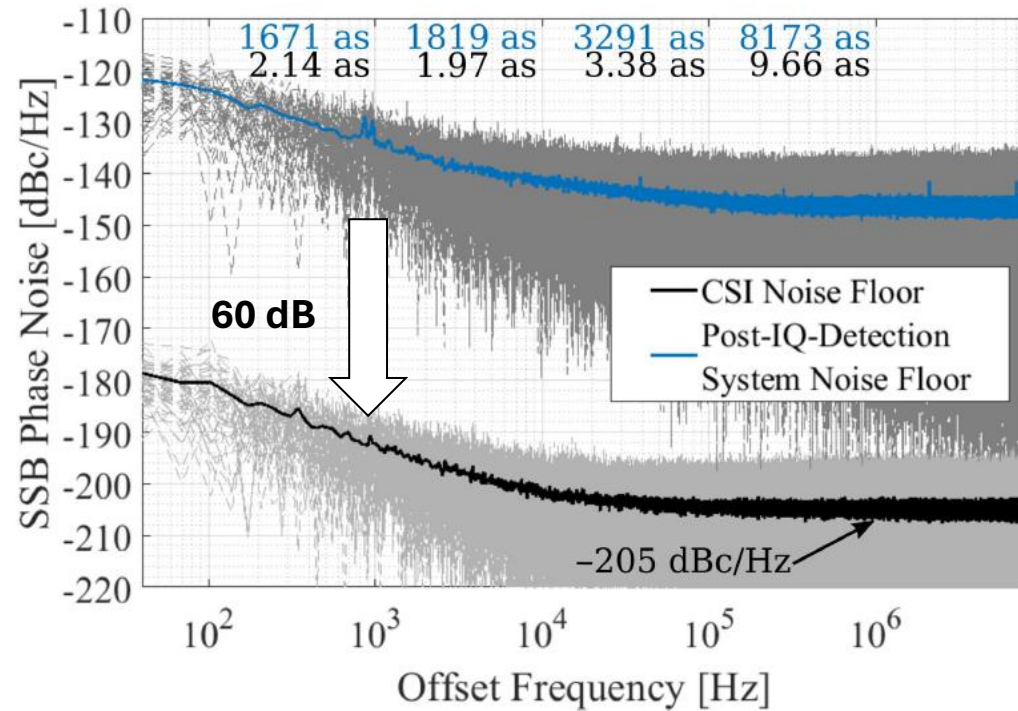
## Quick look at CSI





# The detection scheme

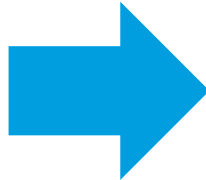
## Quick look at CSI



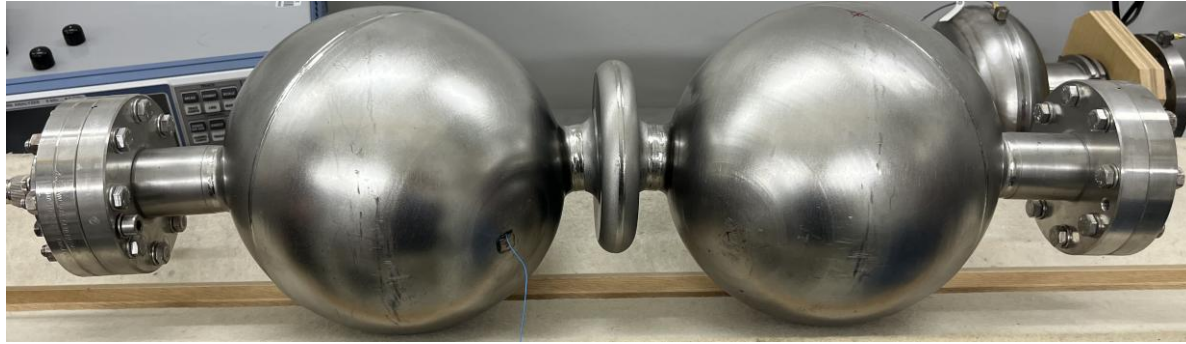
L. Springer *et al.*, "Phase Noise Measurements for L-Band Applications at Attosecond Resolution," in IEEE Transactions on Instrumentation and Measurement, vol. 71, pp. 1-7, 2022, Art no. 8003307, doi: 10.1109/TIM.2022.3170975.



# Outline

- The goal
- The physics
- The history 
  - Past
  - Present

# Past



We revived an INFN project and borrowed their prototype

R. Ballantini *et al.*, “Microwave apparatus for gravitational waves observation,” Feb. 11, 2005



The cavity was deformed and detuned from sitting in a museum for 10 years



It's now restored and tested both at FNAL and at DESY

# Present



Use the already-made prototype  
to learn as much as possible



How do we optimize?



New cavity

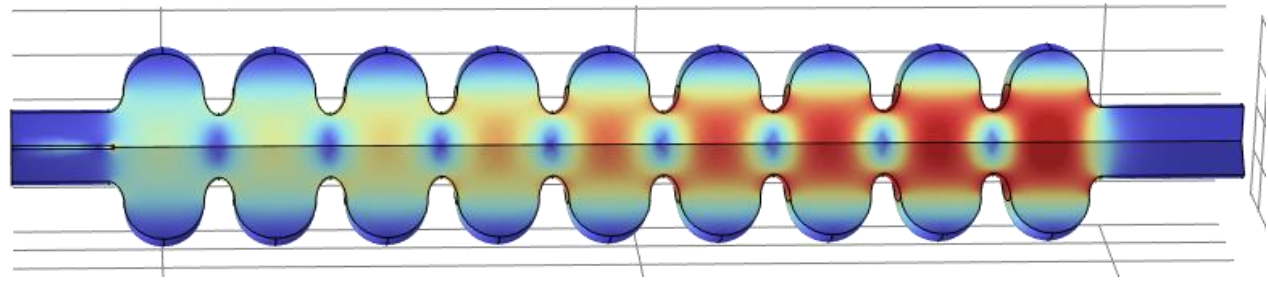
- What parameters really matter?
- Where is our bottleneck now?
- Is the detection scheme working?

## MAXIMIZE

Parameter	Meaning
$\Gamma_{+/\times}$	Coupling of the GW to the mechanical modes of the cavity
$C_{01}^l$	Coupling of the mechanical modes to the EM modes upconversion
$B_s$	Surface magnetic field (limited by superconductor)
$Q_0$	Internal quality factor of the cavity
$U$	Maximum energy stored in the cavity ( $\sim E_{acc}^2$ but we have no acceleration)

# Present

Simulations using COMSOL



Some results but many questions:

- What's the optimal mesh size → huge impact on results  
huge impact on time consumption
- Quantify the distortion of the modes in the cells
- Evaluate the thermal losses → Helium perturbations & back-action
- Optimize antenna couplings
- Mechanical simulation of eigenmodes
- ...

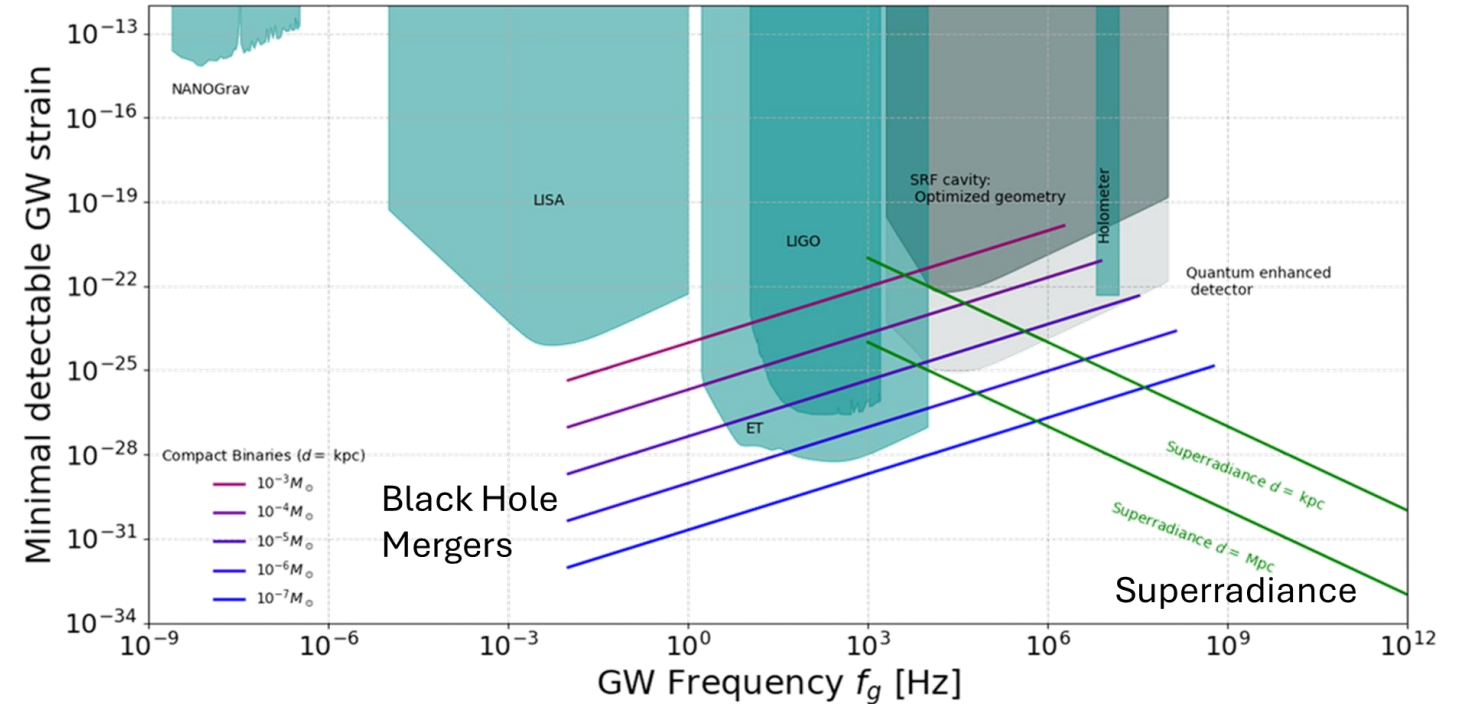
# Present

## Measurements so far

We have successfully tested the cavity at 2 K @ Fermilab and at 4 K @ DESY

- Design of LLRF system at 2 GHz is almost complete
- PACO principle is working but requires fine tuning → like CSI
- Influence of microphonics and vibration under investigation
- Sensitivity of the  $\pi$  mode to phase noise is under investigation
- Implementation of CSI in discussion
- Do we really want a fast-response frequency control?

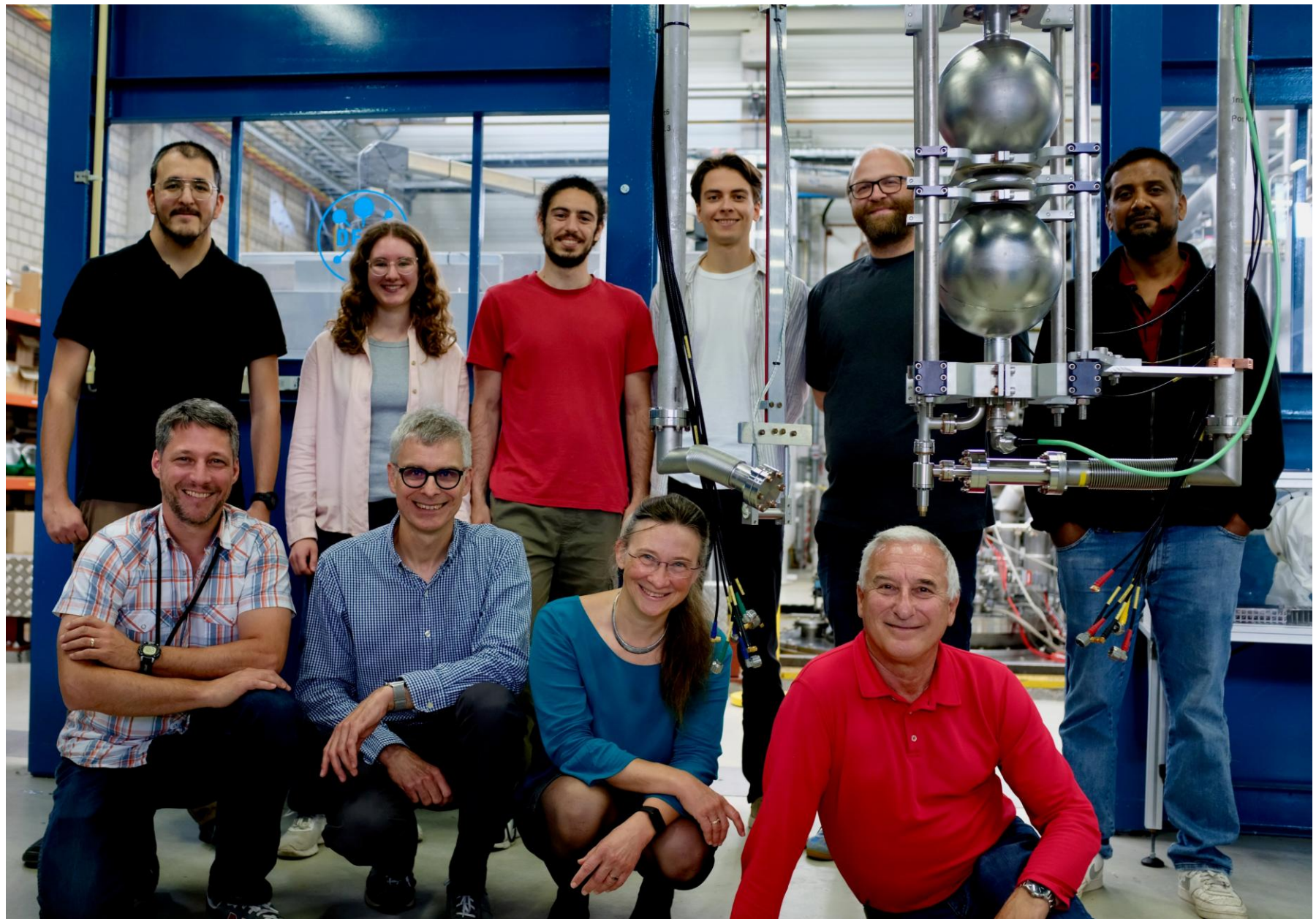
# Conclusions



- ❖ The LLRF requirements for the MAGO project are extremely high but development is ongoing and promising!
- ❖ We expect to be able to do a first GW search with this prototype next year
- ❖ Optimization of the design is ongoing in parallel and a new cavity will be produced



# The team





THANK

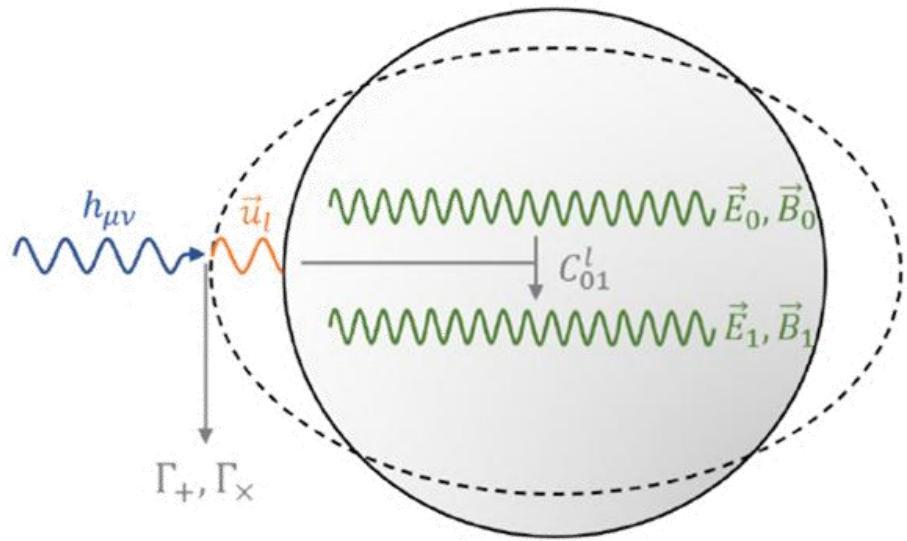
YOU

# BACKUP



# Hey... Do you want some equations?

## Mechanical Coupling



$$\Gamma_+^l := V_{cav}^{-1/3} \cdot M_{cav}^{-1} \int_{V_{cav}} d^3x \rho(\vec{x}) \left( x \vec{\xi}_{l,x}(\vec{x}) - y \vec{\xi}_{l,y}(\vec{x}) \right)$$

$$\Gamma_-^l := V_{cav}^{-1/3} \cdot M_{cav}^{-1} \int_{V_{cav}} d^3x \rho(\vec{x}) \left( x \vec{\xi}_{l,y}(\vec{x}) - y \vec{\xi}_{l,x}(\vec{x}) \right)$$

$$C_{01}^l = \frac{V_{cav}^{1/3}}{2\sqrt{U_0 U_1}} \int_{\partial V_{cav}} d\vec{S} \cdot \vec{\xi}_l(\vec{x}) \left[ \frac{1}{\mu_0} \vec{B}_0(\vec{x}) \vec{B}_1(\vec{x}) - \varepsilon_0 \vec{E}_0(\vec{x}) \vec{E}_1(\vec{x}) \right]$$

# Hey... Do you want some equations?

## About noise and sensitivity

Minimum detectable strain  $h_{min}(\omega_g) \sim \sqrt{S_n(\omega_g)} := \sqrt{\frac{S_{noise}(\omega_0 + \omega_g)}{|T(\omega_g)|^2}}$

Cavity transfer function GW  $\rightarrow$  signal

$$|T(\omega_g)|^2 \sim \frac{\beta_{in}\beta_{out}}{(1 + \beta_{in})^2} \cdot \frac{\omega_0}{Q_0} \cdot V_{cav} \cdot B_{eff}^2 \cdot |C_{01}^m \Gamma_m|^2 \cdot \frac{\omega_1^4}{(\omega_1^2 - \Delta\omega^2)^2 + \left(\frac{(\omega_0 + \omega_g)\omega_1}{Q_1}\right)^2}$$

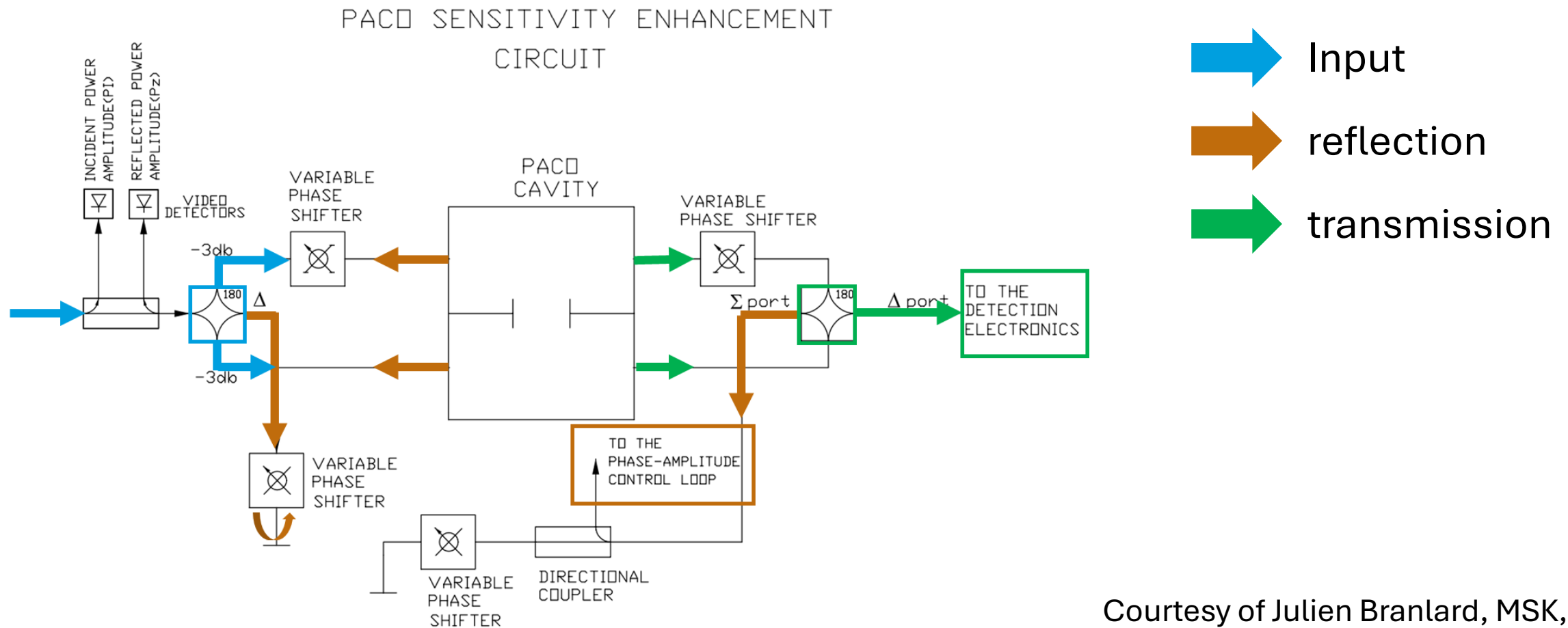
Mechanical noise  $\sqrt{S_{mech}(\omega_g)} \sim \Gamma^{-1} \cdot q_{rms} \cdot Q_{mech}^{-\frac{1}{2}} \cdot \left(\frac{\omega_{mech}}{\omega_g}\right)^{\frac{3+\alpha}{2}} \cdot \omega_g^{-\frac{1}{2}}$

Thermal noise  $\sqrt{S_{th}(\omega_g)} \sim \frac{1 + \beta_{in}}{\sqrt{\beta_{in}\beta_{out}}} \cdot B_{eff} \cdot Q_0^{\frac{1}{2}} \cdot (C_{01}^m \Gamma_m)^{-1} \cdot (\omega_g - \Delta\omega)$

# The PACO detection scheme

The final setup is still in discussion after the recent tests @ DESY

This is the previous setup by PACO collaboration:



Courtesy of Julien Branlard, MSK, DESY



# Heat dissipation

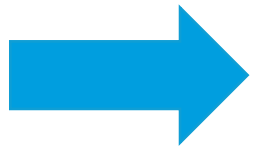
- Evaluate the thermal losses



Helium perturbations



Heat dissipation on the surface of the cavity might cause turbulence in the helium bath



Is there a back-action of the helium on the cavity?

If so, how big is the displacement caused?

Compares with the displacement induced by mechanical modes  $\rightarrow$  nm

# Parameters' first guess

## DISCUSS

Parameter	Meaning
$\omega_{0,1}$	Frequency of the two eigenmodes and <b>TYPE</b> of mode
$\Delta\omega$	Spacing between the modes
<i>Shape</i>	There is no argument against changing the shape to something different
$k_{cc}$	Coupling between the cells → linked to previous parameters
<i>Dimensions</i>	The only real limit to the cavity dimensions is the cryostat

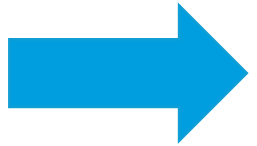
# Distortion

- Quantify the distortion of the modes in the cells



Impact on the coupling to the antennas and on the LLRF system

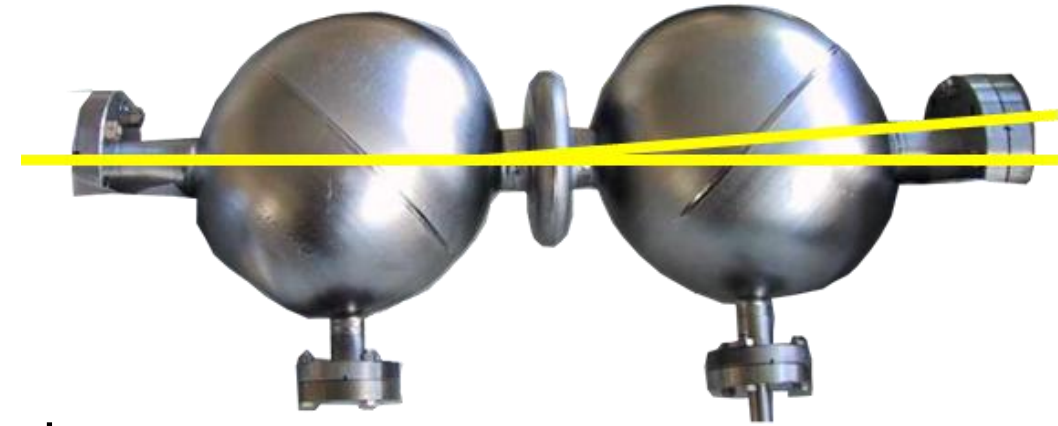
Caused by?



Difference in the two cells geometry

One cell has a “dent”

Even after tuning the cells have different eigenfrequencies



The cavity is bent