

Summer student program 2025

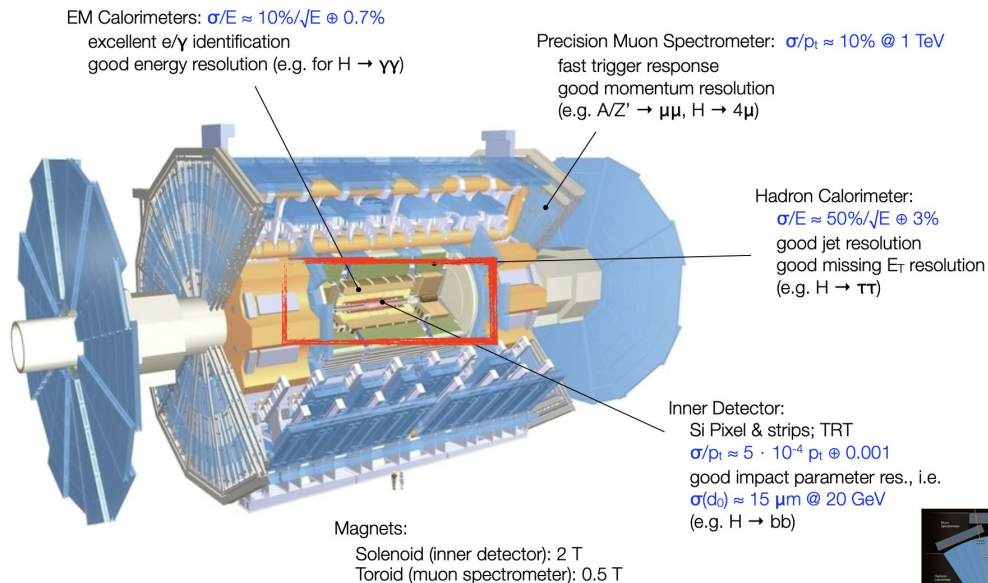
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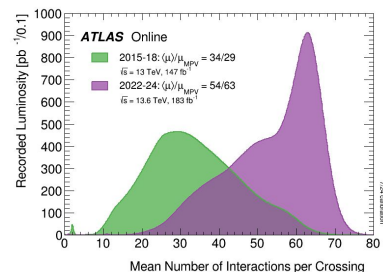
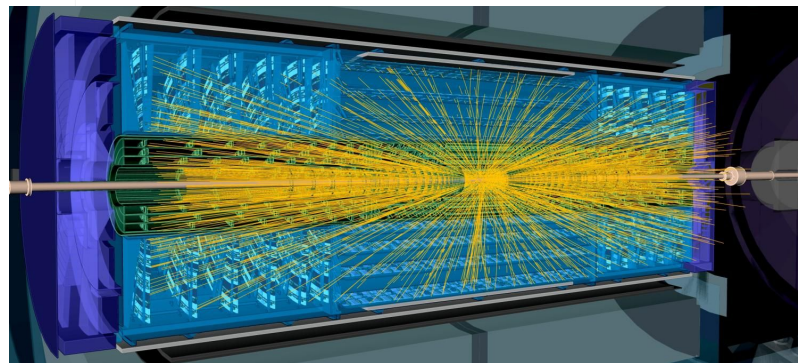
Context of project: *Run 3 Forward Electron Energy Calibration in ATLAS*

Dedicated study of pileup noise in the forward calorimeter in ATLAS, corresponding to electron with $\eta > 2.47$ and reconstructed in the forward part of the calorimeter. **The goal is to estimate and better understand the pileup noise in the simulation.**

ATLAS

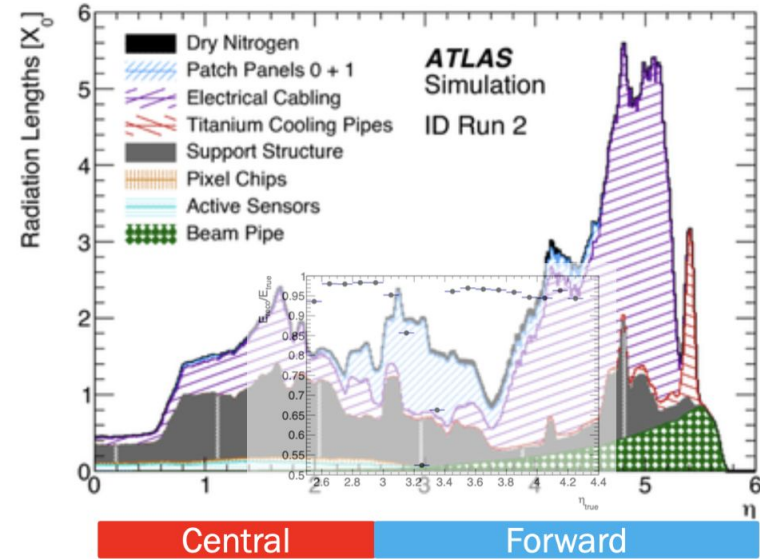
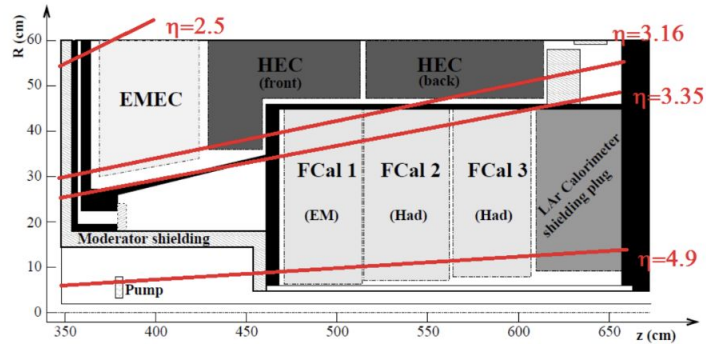
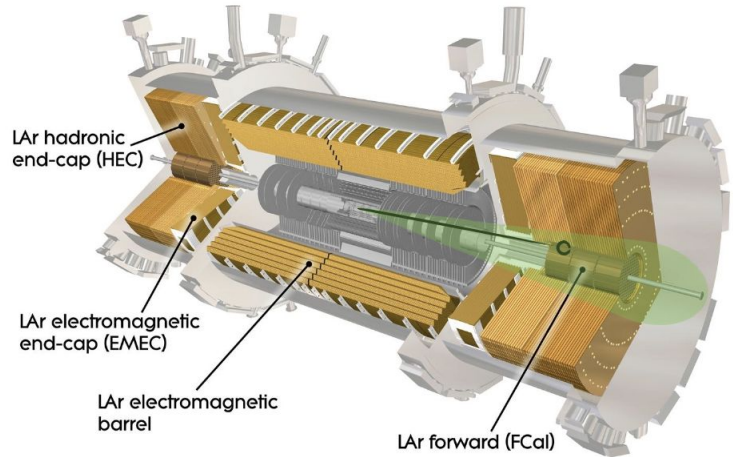


Pile-UP



Forward (fwd) electron: cluster only outside tracing acceptance $|\eta| > 2.5$

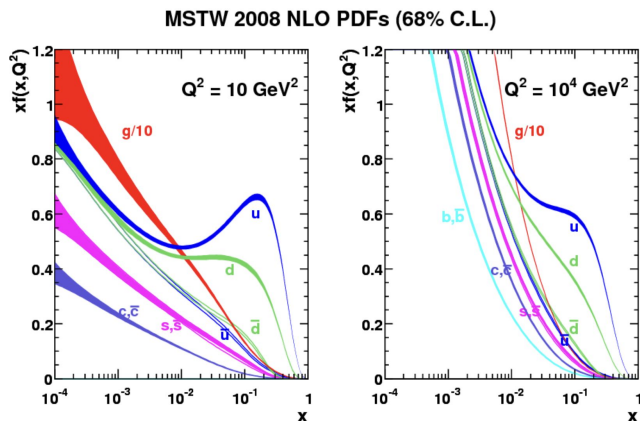
Project



Eta bins = {2.5, 2.6, 2.7, 2.8, 2.9, 3.00, 3.10, 3.16, 3.35, 3.6, 4.0, 4.3, 4.6, 4.9} ;

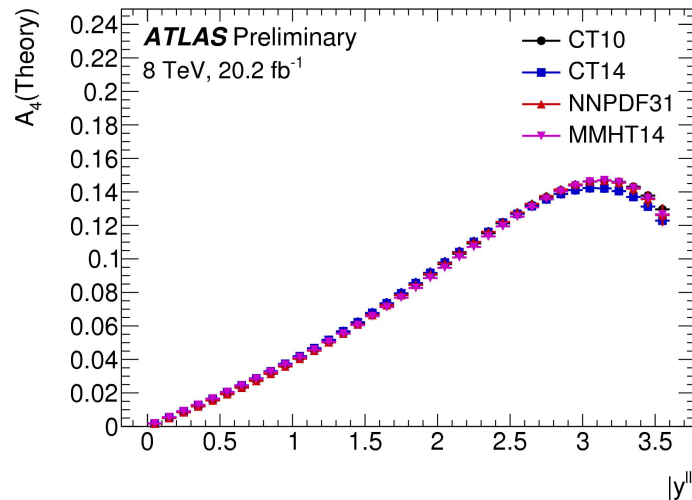
Physics of forward electron

- **Proton Parton Distribution Function** with high and low Bjorken x values (TBC as Ludovica mentioned during lunch yesterday)
- **Measurement of EW mixing angle $\sin\theta_w$** , with the $Z \rightarrow e(\text{central})e(\text{forward})$

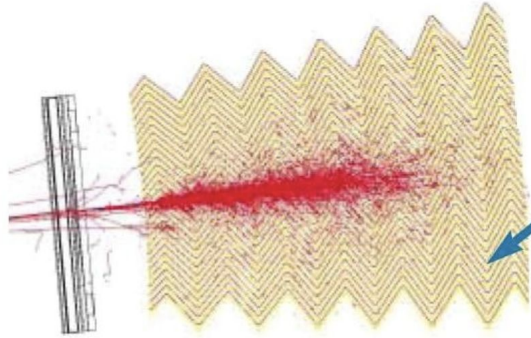
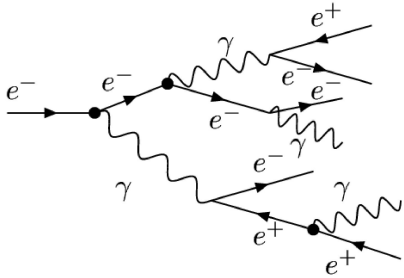


$$\sigma(s) = \sum_{a,b} \int dx_a dx_b f_a^A(x_a) f_b^B(x_b) \hat{\sigma}_{ab}(\hat{s})$$

ATLAS-CONF-2018-037



Cluster reconstruction



$$\frac{\sigma E}{E} = \frac{10\%}{\sqrt{E}} \oplus \frac{250 \text{ MeV}}{E} \oplus 0.7\%$$

- S0 (Presampler)
- S1 (Strips)
- S2 (Middle)
- S3 (Back)

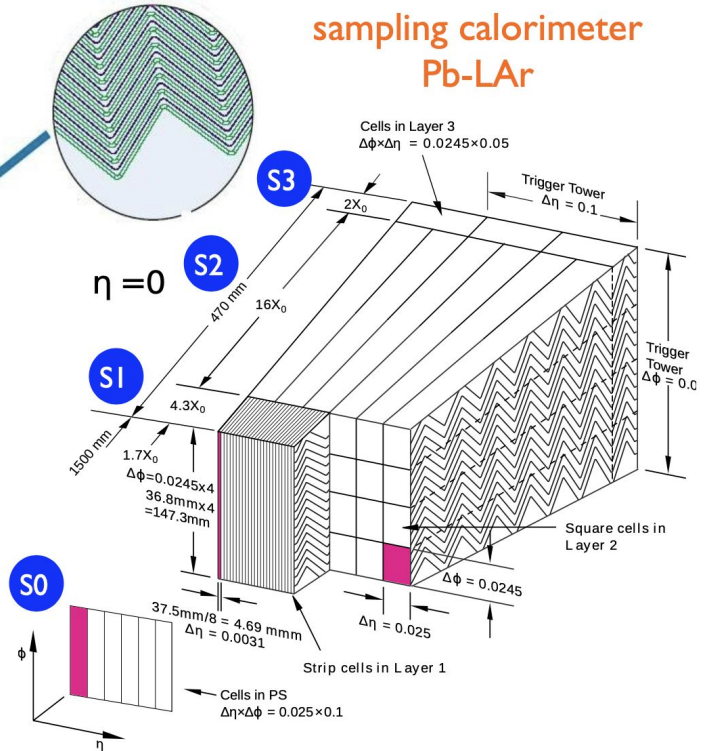
Energy loss correction

γ/π^0 separation $4.3 X_0$

Main energy deposit $16 X_0$

High energy showers $2 X_0$

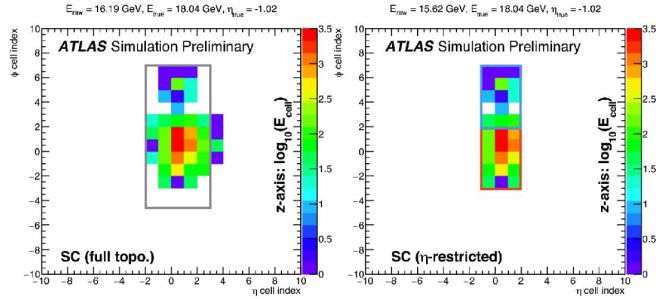
sampling calorimeter
Pb-LAr



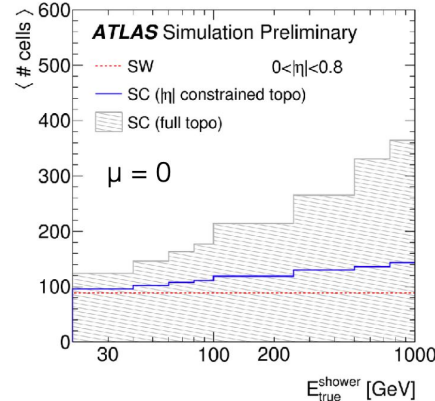
Cluster reconstruction

In the central case ...

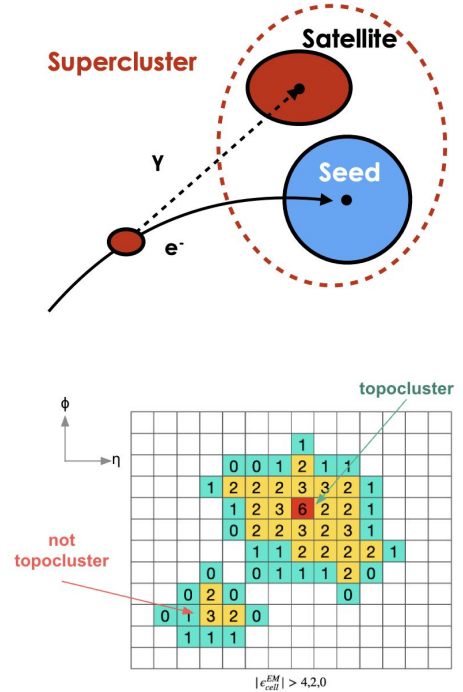
To guarantee a linear lateral response (eg. lateral leakage (the fraction of true shower energy not contained in a cluster) roughly constant with increasing energy) restrict η width to 3 (5) cells in barrel (end-cap) $\rightarrow$ also limit growth in the number of cells vs E (and pileup-robustness).



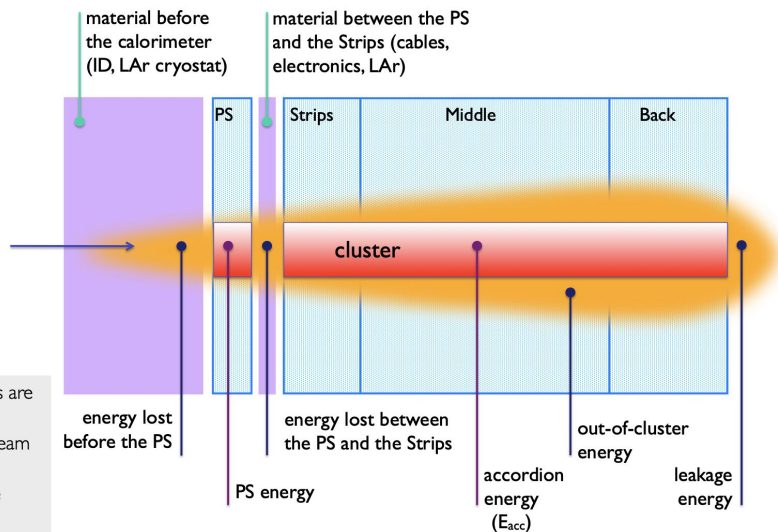
Bremsstrahlung recovery by capturing the energy of the satellite cluster (ϕ direction)



To select the cells of a supercluster: only use cells from the EM calorimeter (+ presampler and E4 scintillator in the crack)



How energy is reconstructed



Reconstructed e/γ clusters are **calibrated** to correct for:

- energy lost in the upstream material
- energy deposited in the neighbours eta/phi cells
- energy lost beyond the LAr calorimeter

$$\frac{E_{reco}}{E_{true}}$$

Energy resolution = Spread between the True energy and the reconstructed energy

Relative energy resolution

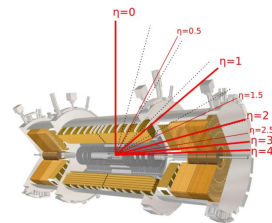
- The relative energy resolution for electrons and photons is given by:

$$\frac{\sigma_E}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c$$

10% 250 MeV 0.7%
 sampling term noise term constant term

- $a \rightarrow$ due to the stochastic behaviour of shower evolution
- $b \rightarrow$ due to electronic and pile-up noise
- $c \rightarrow$ due to non-uniformities in the detector, radiation damage etc.

- The terms a , b , c depend on pseudorapidity η due to the amount of material encountered by the particle



$$\eta \equiv -\ln \left[\tan \left(\frac{\theta}{2} \right) \right]$$

https://www.desy.de/~schleper/lehre/Det_Dat/SS_2018/06_lecture_calorimetry_EM.pdf

Energy resolution

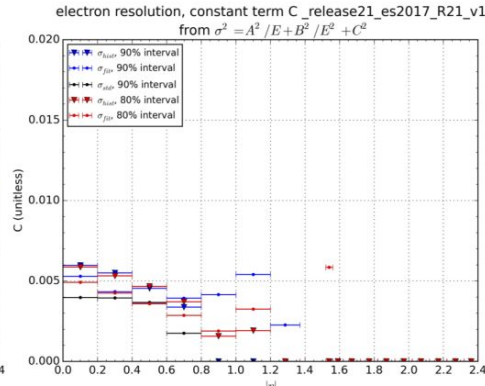
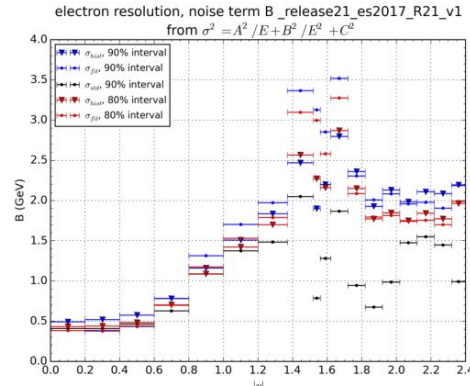
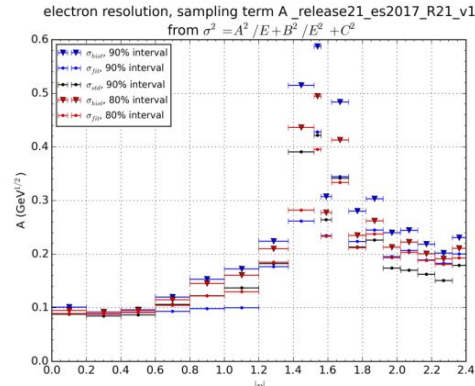
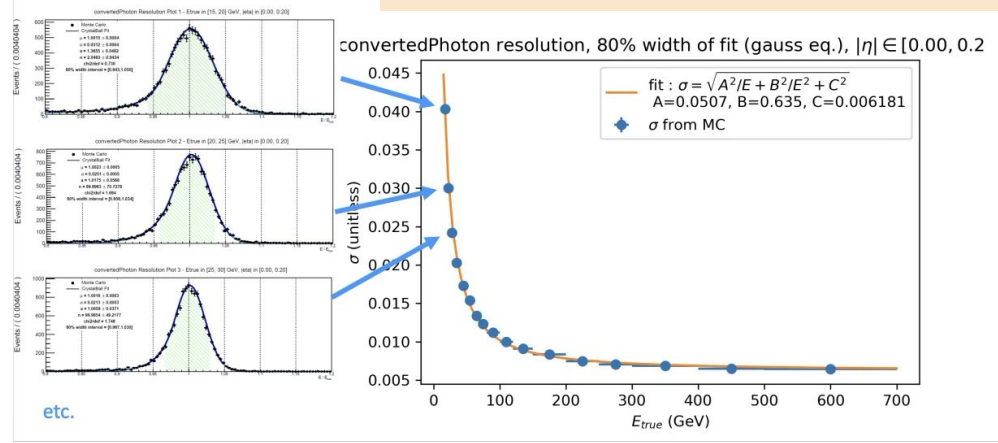
Relative resolution

$$\sigma^2 = \frac{1}{E} A^2 + \frac{1}{E^2} B^2 + C^2$$

resolution sampling term noise term constant term

$$b = \sigma_{pileup} \oplus \sigma_{electronic}$$

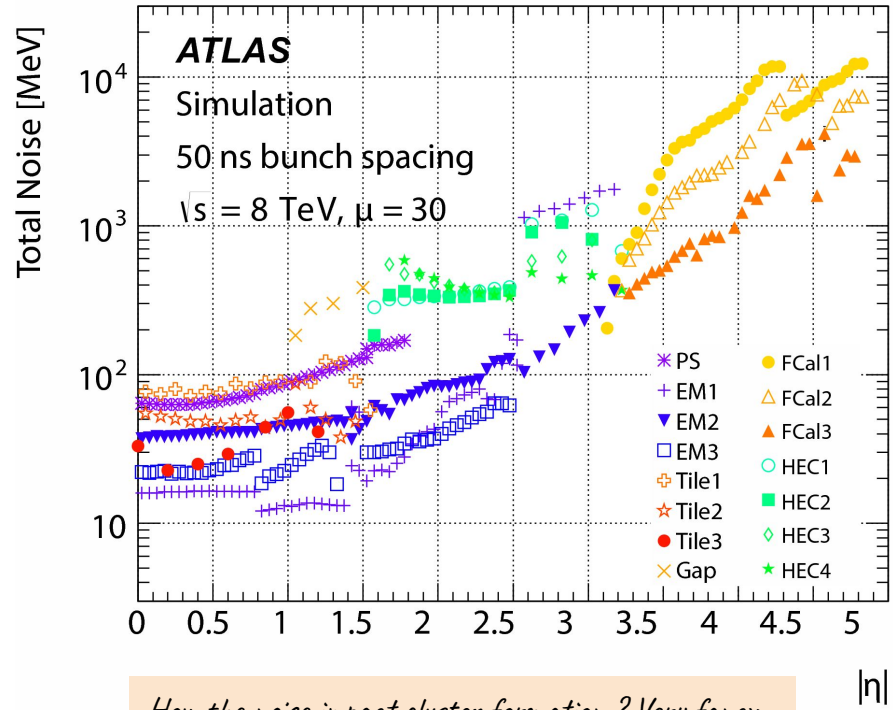
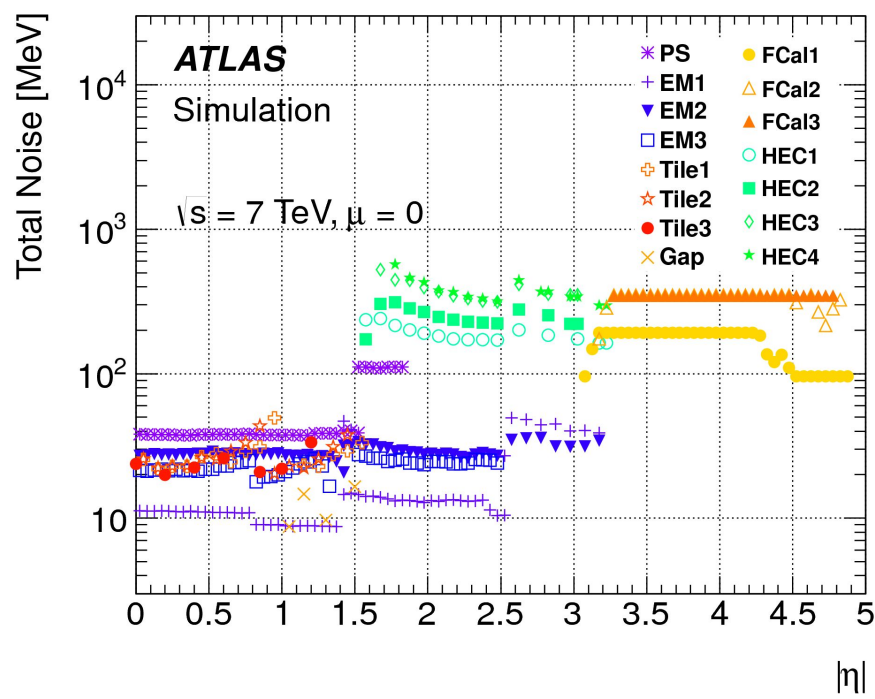
Energy resolution = Spread between the True energy and the reconstructed energy



https://indico.cern.ch/event/780184/contributions/3252257/attachments/1770615/2877462/2018-12-13_eGamma_calibration_photonResolution.pdf

<https://cds.cern.ch/record/2651890/files/ATL-COM-PHY-S-2018-1720.pdf>

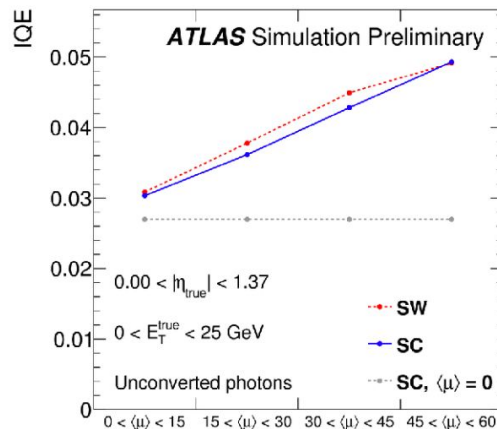
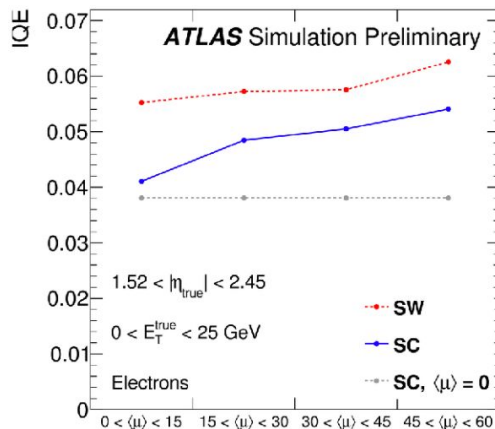
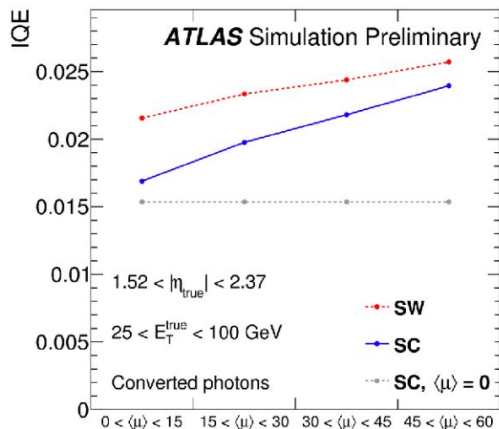
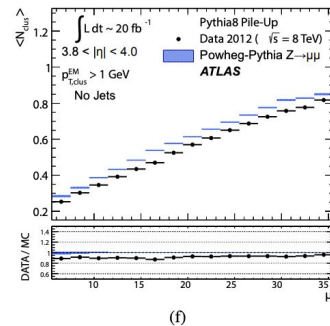
How the pileup noise affects energy resolution ?



How the noise impact cluster formation ? Very fancy display of this [here](#)

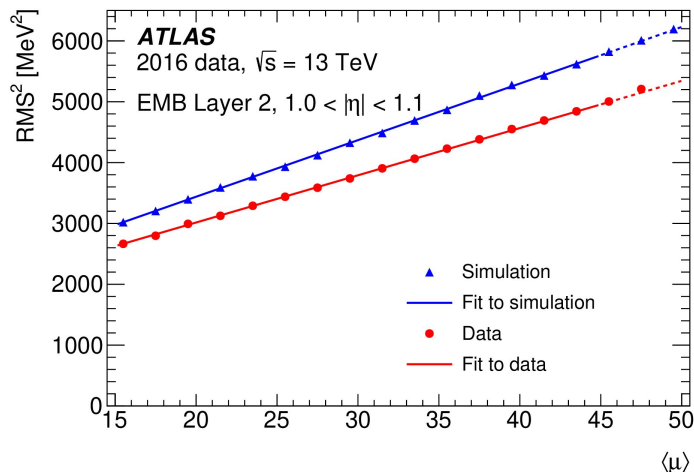
How the pileup noise affects energy resolution ?

- *Indications that super-clusters could bring increased robustness with pileup*
 - Very important to have noise thresholds already tuned for individual topo-clusters
[topo-cluster noise threshold tuned for $\langle\mu\rangle \sim 40$]
- Interquartile efficiencies (IQE) show little sensitivity to pileup by construction
 - With increasing $\langle\mu\rangle$, the performance of both clustering algorithms degrades due to clusters containing more noise on average, in addition to the true shower energy.

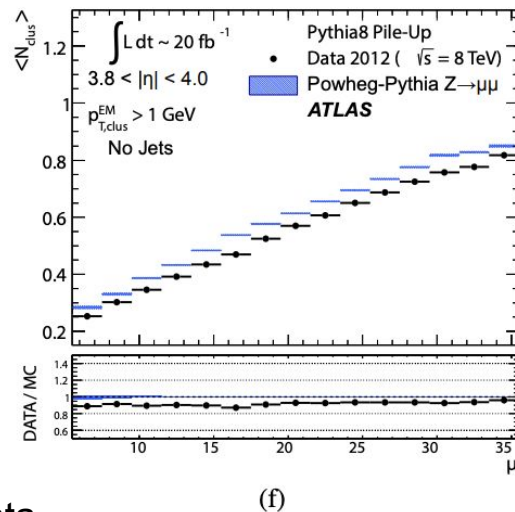


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Large noise was simulated than real data



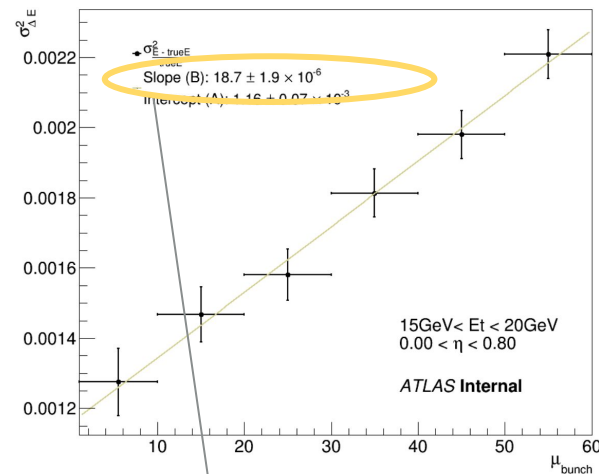
How to quantify Pileup noise

Previous CC studies [here](#)

Pileup noise receives contribution from bunch crossing number (μ)-dependent part and constant part:

$$\frac{\sigma_{pileup}}{E_t}(\eta) = \beta(\eta)\sqrt{\mu} \oplus \alpha$$

with $\beta(\eta)$ = pileup noise per $\sqrt{\mu}$ in E_t , expected to depend weakly on η and E_t for superclusters.



$$\left(\frac{\sigma_E}{E}(\mu)\right)^2 = \frac{\beta^2 \mu}{E_t^2} + \text{Constants}$$

Backup

Calorimeter

