

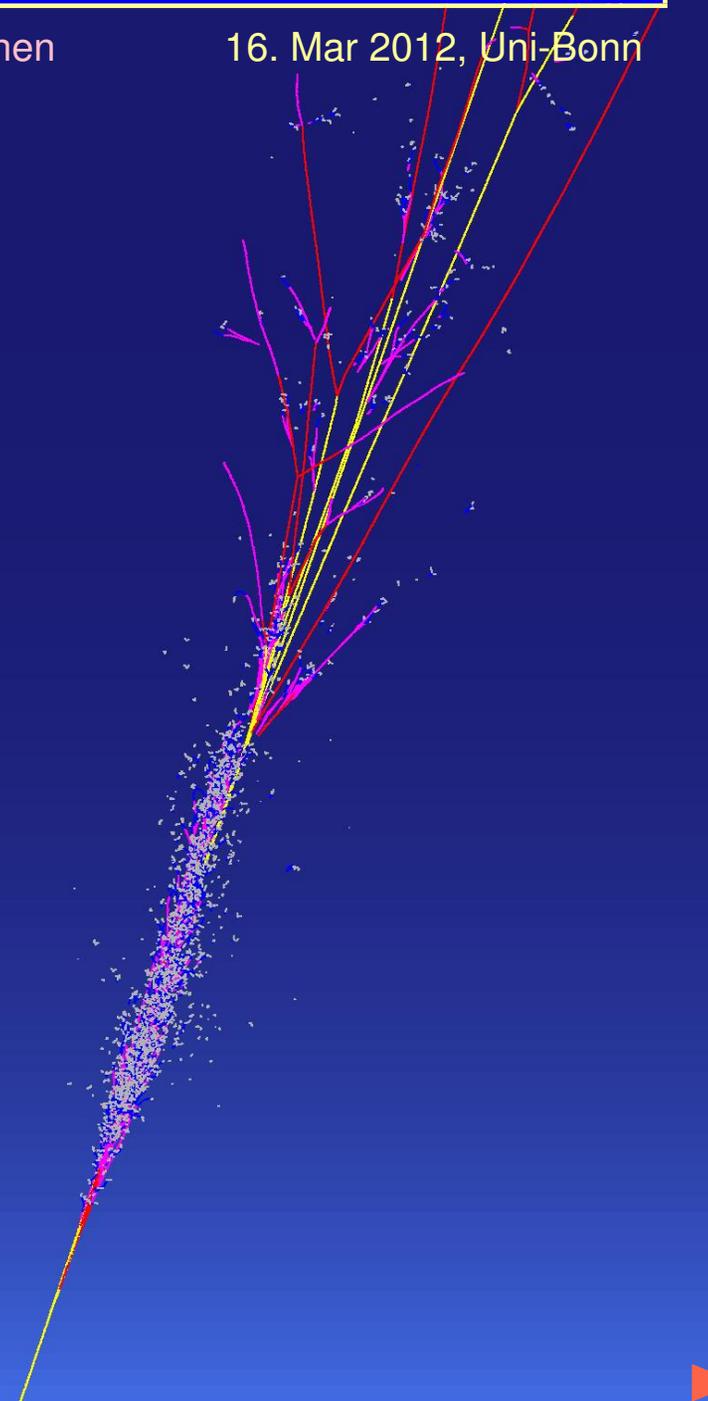
Lessons Learned in Calorimetry at ATLAS

5th Terascale Detector Workshop

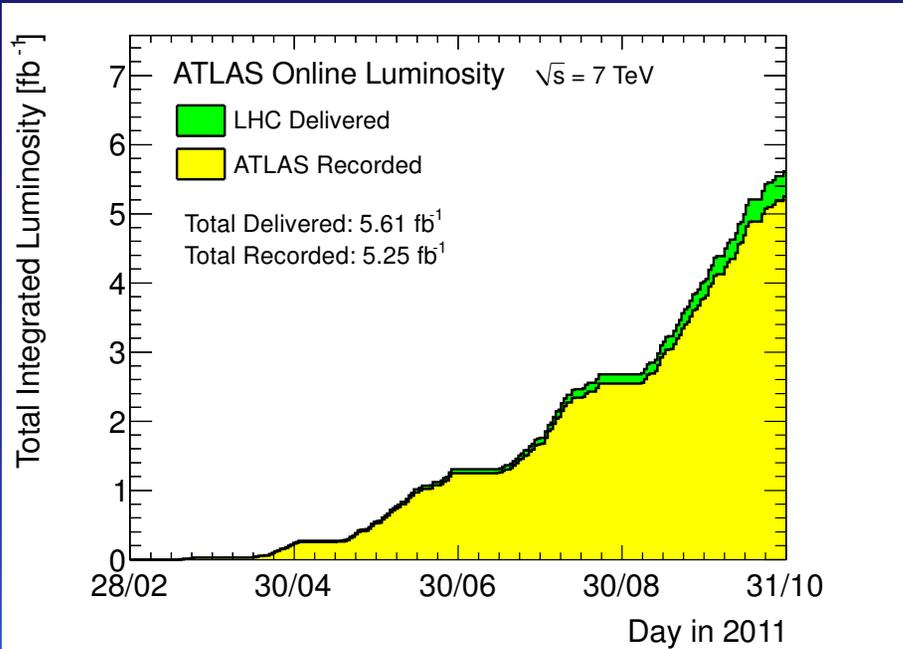
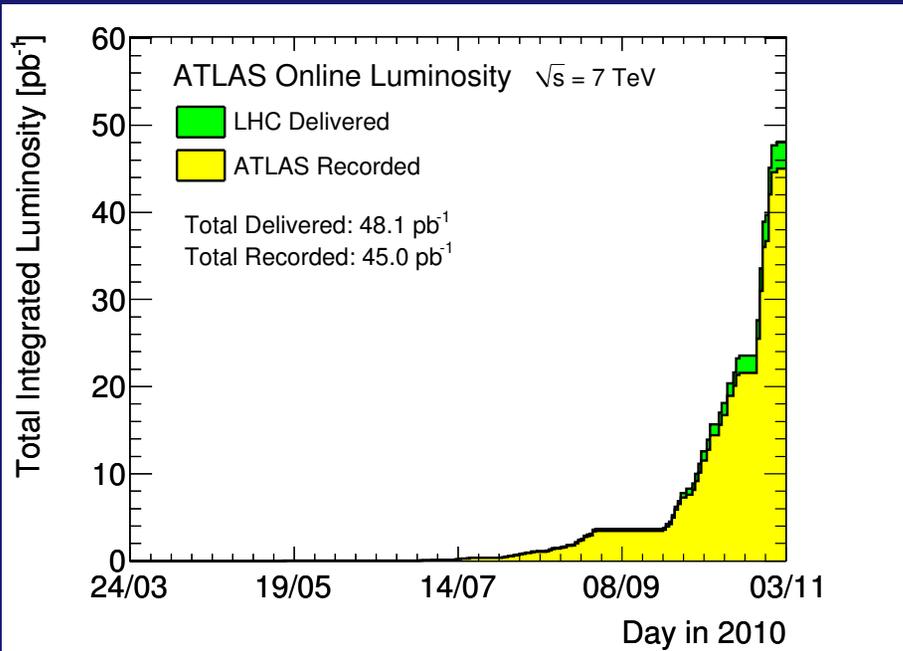
Sven Menke, MPP München

16. Mar 2012, Uni-Bonn

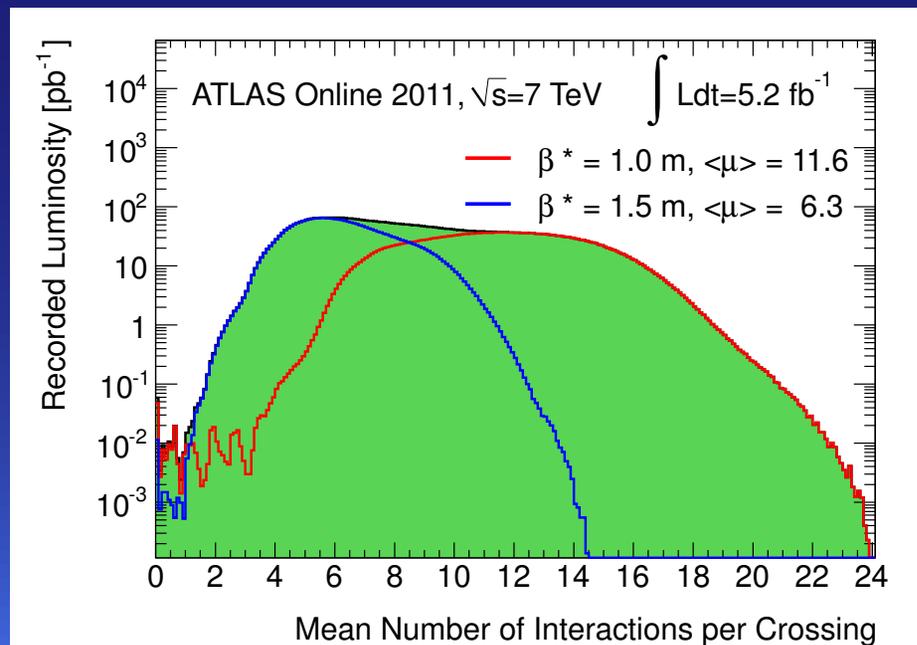
- ▶ ATLAS and the LHC
- ▶ Calorimetry in ATLAS
- ▶ Signal Reconstruction
 - from signals to cells
 - from cells to clusters
 - from clusters to jets
- ▶ Performance
 - Electrons and Photons
 - Jets
- ▶ Effects of PileUp
- ▶ Conclusions



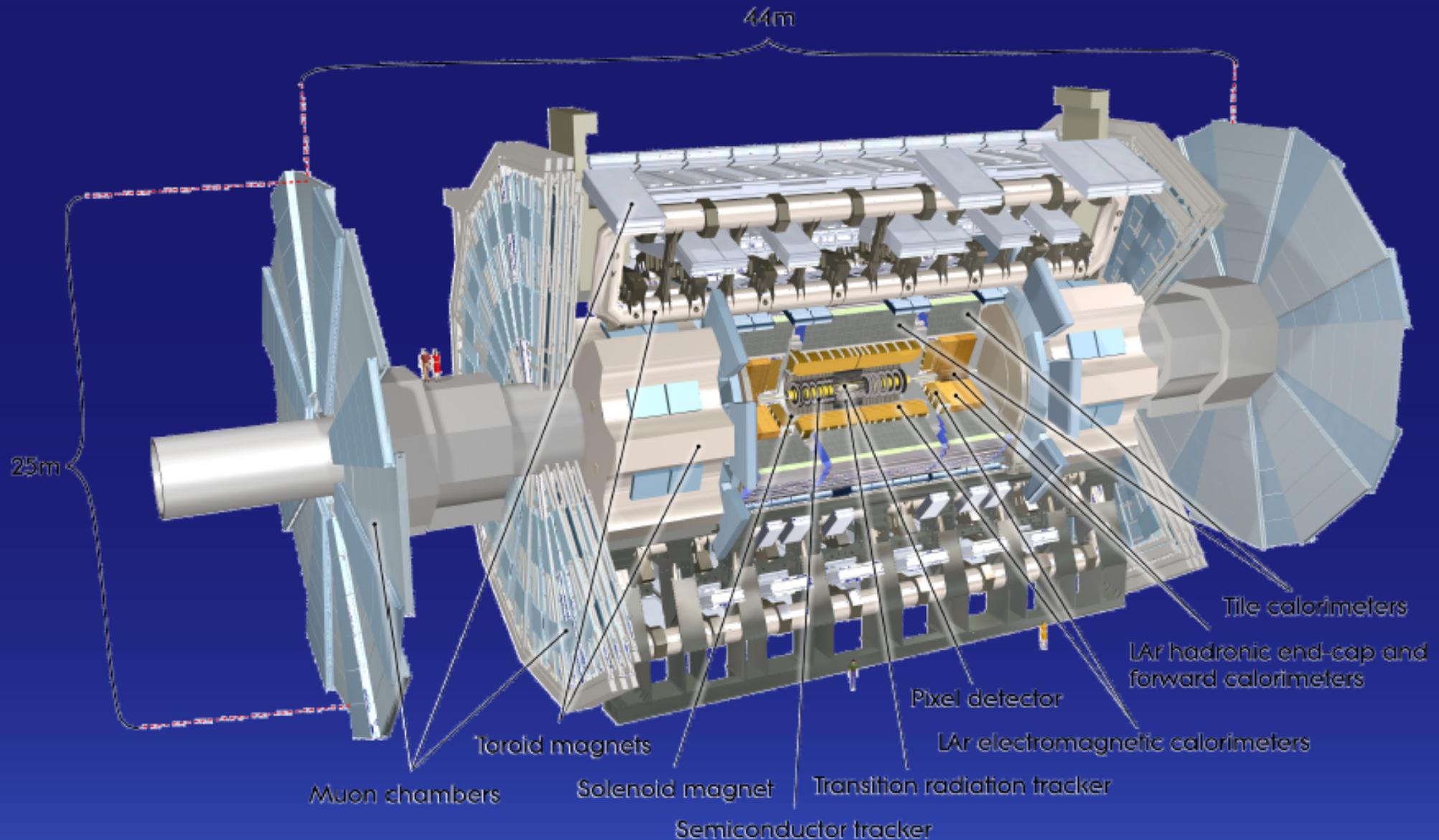
ATLAS and the LHC



- ▶ LHC: pp Collisions @ $\sqrt{s} = 7$ TeV since March 2010
- ▶ 2011 ATLAS recorded integrated luminosity @ $\sqrt{s} = 7$ TeV:
 $L = 5.25 \text{ fb}^{-1}$ as of 30-Oct-2011 (stop of pp-run)
- ▶ Bunch crossing distance in 2011: 50 ns
- ▶ Average number of interactions per bunch: $\langle \mu \rangle \simeq 6 - 12$



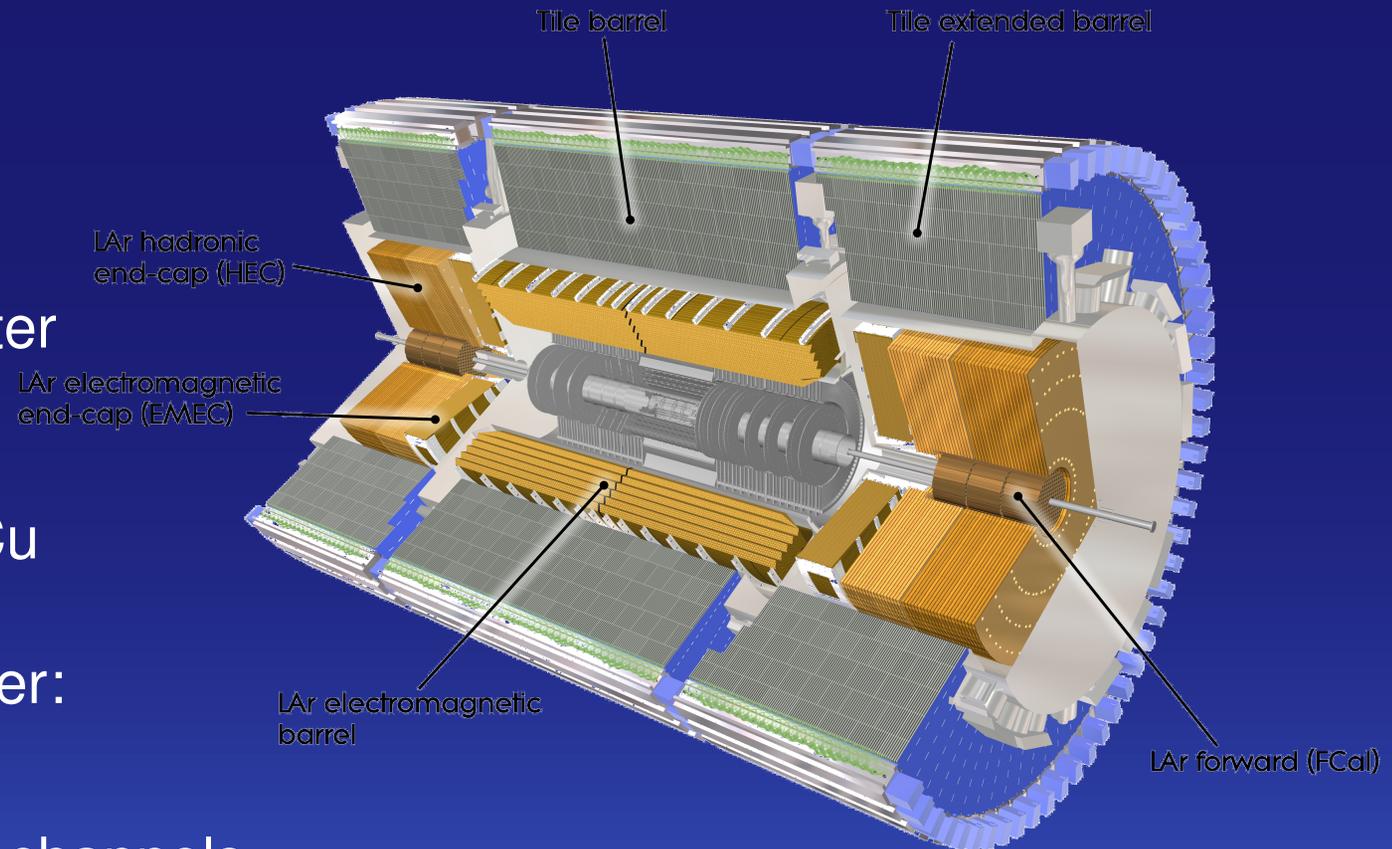
The ATLAS Detector



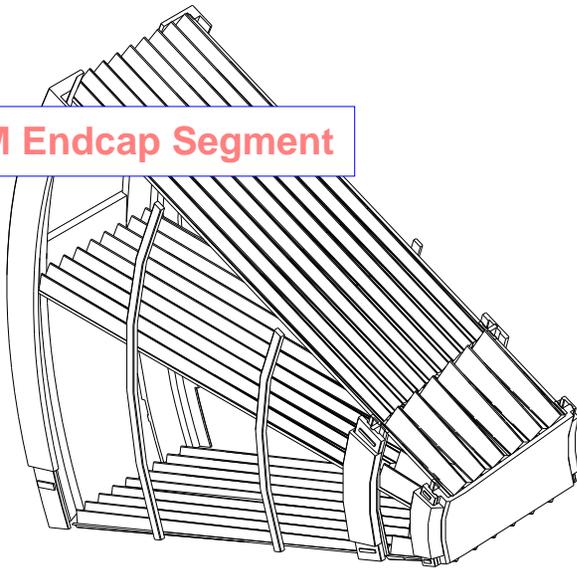
A Torodial LHC AparatuS: 25 m high; 44 m long; 7000 t heavy

ATLAS Calorimetry

- ▶ Electromagnetic Calorimeter: LAr/Pb Accordion sampling calorimeter
- ▶ Lead is the absorber to produce the secondary particles
- ▶ Liquid Argon in the absorber gaps is ionized and HV electrodes collect the current
- ▶ Hadronic barrel calorimeter: Steel/Scintillator sampling calorimeter (Tile)
- ▶ Hadronic Endcap Calorimeter: LAr/Cu (HEC)
- ▶ Forward Calorimeter: LAr/Cu(W) (FCal)
- ▶ 190×10^3 readout channels
- ▶ Resolution for e/γ : $\sigma_E/E \simeq 10\%/\sqrt{E}$
- ▶ For jets: $\sigma_E/E \simeq 50\%/\sqrt{E} \oplus 3\%$



EM Endcap Segment



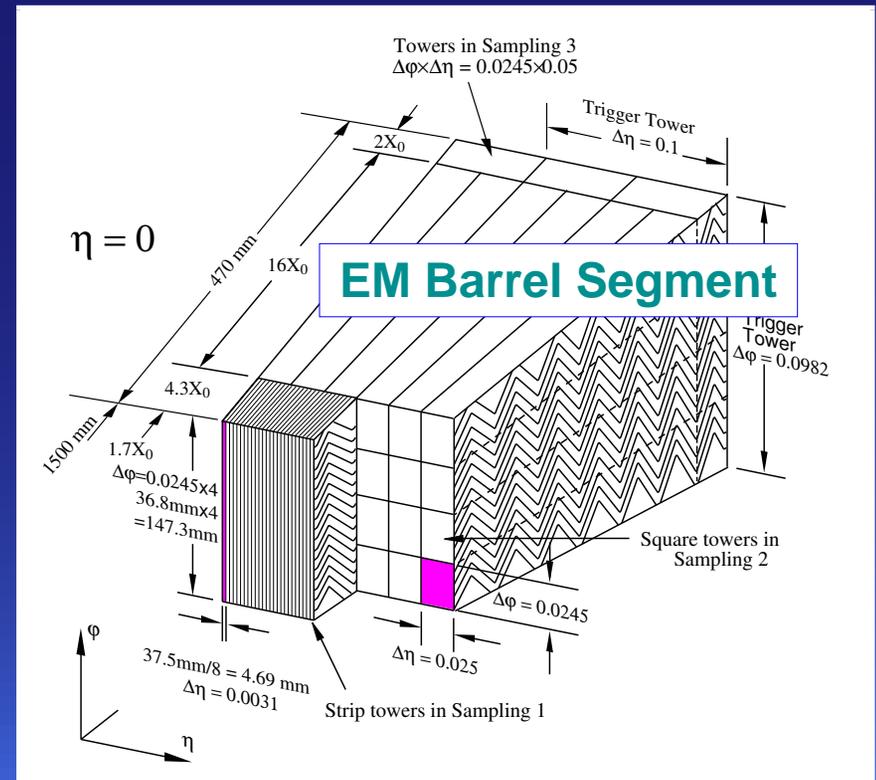
► EM absorber structure

- Pb-Absorbers (1.5, 1.1, 1.7, 2.2 mm) arranged radially
- Folding angle and wave height vary with r (End-cap)
- Anodes pointing in η

► EM readout structure

- Layer1 (Front): $\simeq 2 - 4 X_0$
 $\delta\eta \times \delta\phi = 0.025/8 \times 0.1$
- Layer2 (Middle): $\simeq 16 - 18 X_0$
 $\delta\eta \times \delta\phi = 0.025 \times 0.025$
- Layer3 (Back): $\simeq 2 - 4 X_0$
 $\delta\eta \times \delta\phi = 0.050 \times 0.025$
- 173312 readout channels incl. PS

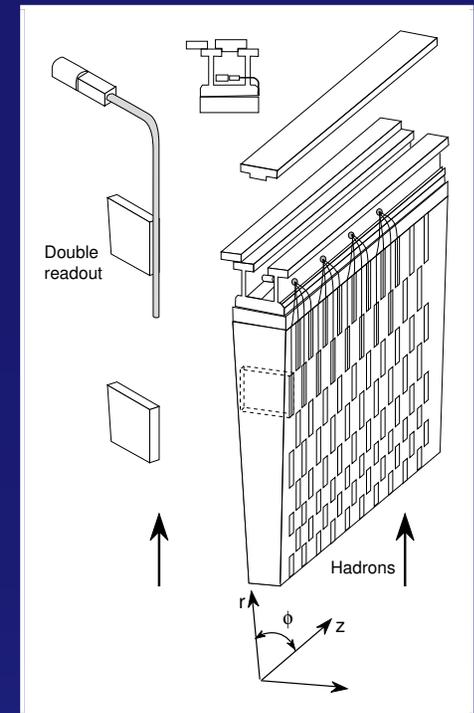
EM Barrel Segment



ATLAS Calorimetry ► Hadronic Tile Calorimeter

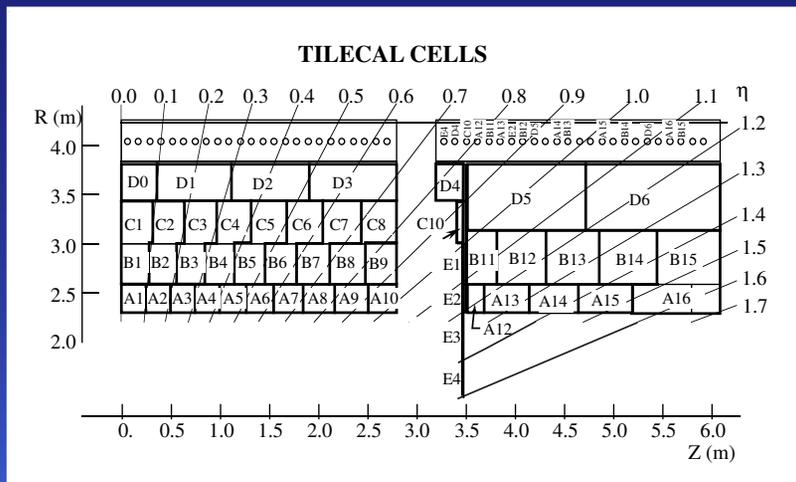
► Tile absorber structure

- laminate of 4 – 5 mm thick steel plates (absorbers and spacers) stacked to 293.2 mm thick sub-modules
- scintillating tiles are inserted in the holes left by the spacer plates
- high periodicity makes absorber structure independent from optical instrumentation
- 19 (9) sub-modules make one barrel (extended barrel) module
- 64 identical modules in ϕ



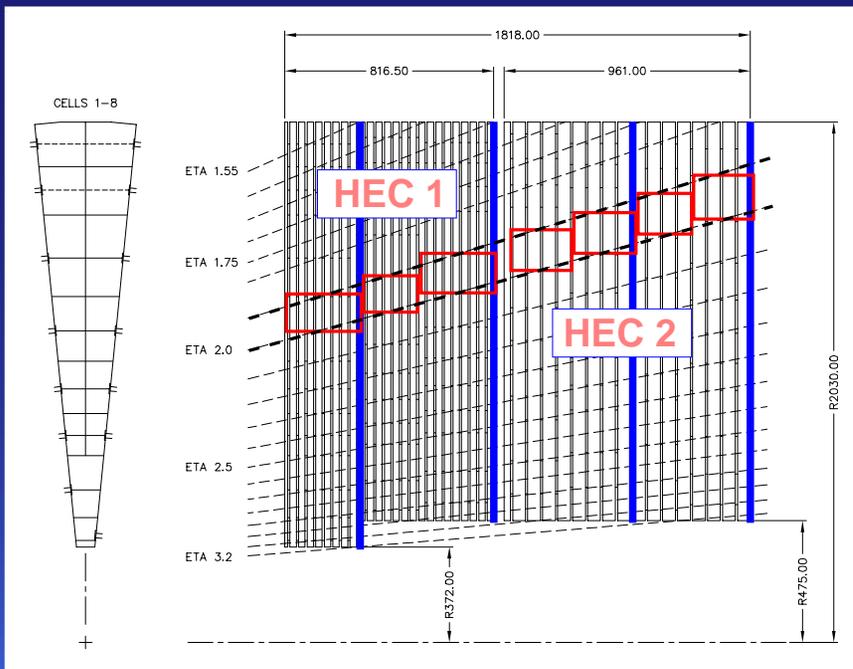
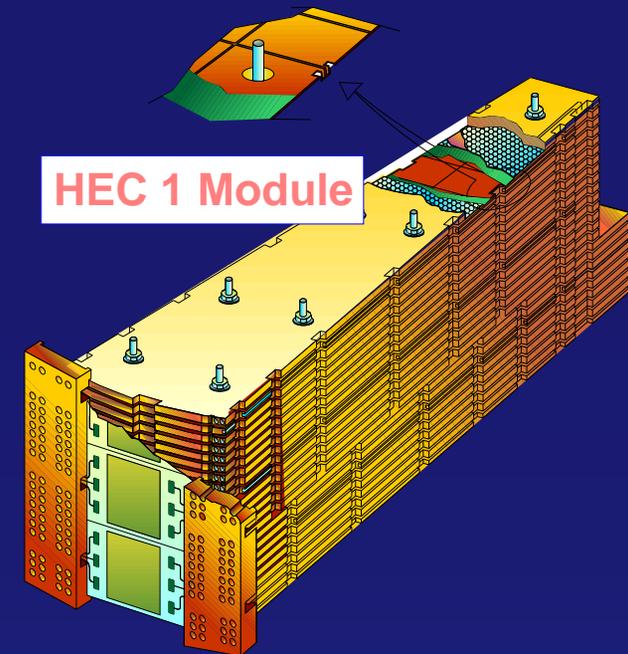
► Tile readout structure

- tiles are grouped to readout cells in 3 longitudinal layers (B and C are readout together)
- $\delta\eta \times \delta\phi \simeq 0.1 \times 0.1$ (0.2×0.1)
- gap scintillators provide calorimetric information between TileB and TileEB and between EMB and EMEC
- 5248 readout channels



► HEC absorber structure

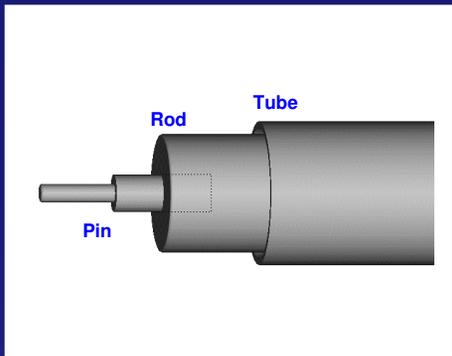
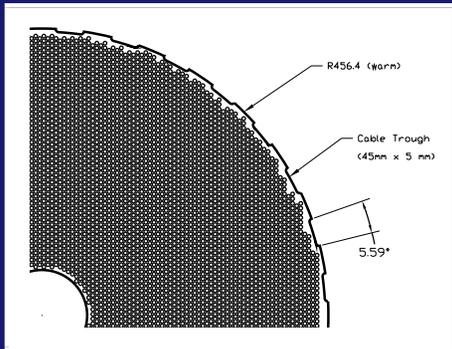
- Absorbers plates parallel to beam axis
- 2.5 cm thick Cu plates in HEC 1
- 5.0 cm thick Cu plates in HEC 2



► HEC readout structure

- $\delta\eta \times \delta\phi \simeq 0.1(0.2) \times 0.1(0.2)$
- Layer1 (HEC1 Front): $\sum 8$ gaps
- Layer2 (HEC1 Back): $\sum 16$ gaps summed pseudo pointing in η
- Layer3&4 (HEC2 Front&Back): $\sum 8$ gaps summed pseudo pointing in η
- 5632 readout channels

ATLAS Calorimetry ► Forward Calorimeter (FCal)

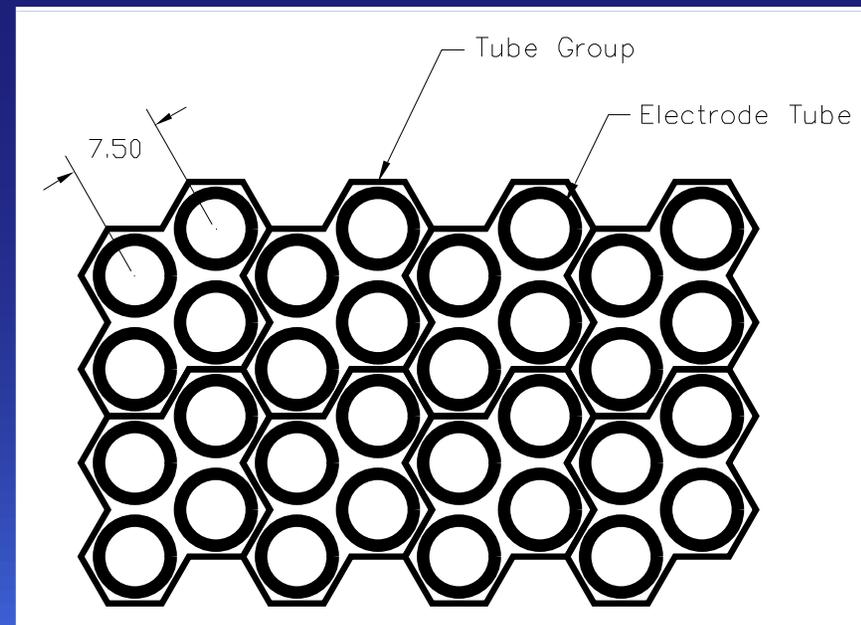


► FCal absorber structure

- 3 modules made of 45 cm thick Cu (FCal1) or W (FCal2, FCal3)
- 12260 (10200, 8224) holes in FCal1 (FCal2, FCal3) filled with electrodes consisting of an outer Cu tube and an inner Cu rod with $250 \mu\text{m}$ LAr gap between them
- rods are centered inside the tubes by quartz fibres wound around the rods

► FCal readout groups

- 2×2 (2×3 , 3×3) tubes form one readout group
- 1 (inner and outer border) or 2×2 (main part) readout group(s) form one readout channel
- 3524 readout channels



Electromagnetic vs. Hadronic Showers

▶ An electromagnetic shower

- consists of visible EM energy only
- is very compact ($X_0 \simeq 2 \text{ cm}$)
- can be simulated with high precision since mostly electromagnetic processes need to be calculated
- allows high accuracy calibration (see talk by Stathes for details)

▶ A hadronic shower

- consists of EM and hadronic energy (some invisible)
- is very large ($\lambda_0 \simeq 20 \text{ cm}$)
- is difficult to simulate since it involves many QCD processes
- limits the accuracy for calibration (mostly due to large fluctuations)

▶ The examples show 50 GeV showers of an electron (left) and a pion (right) in iron



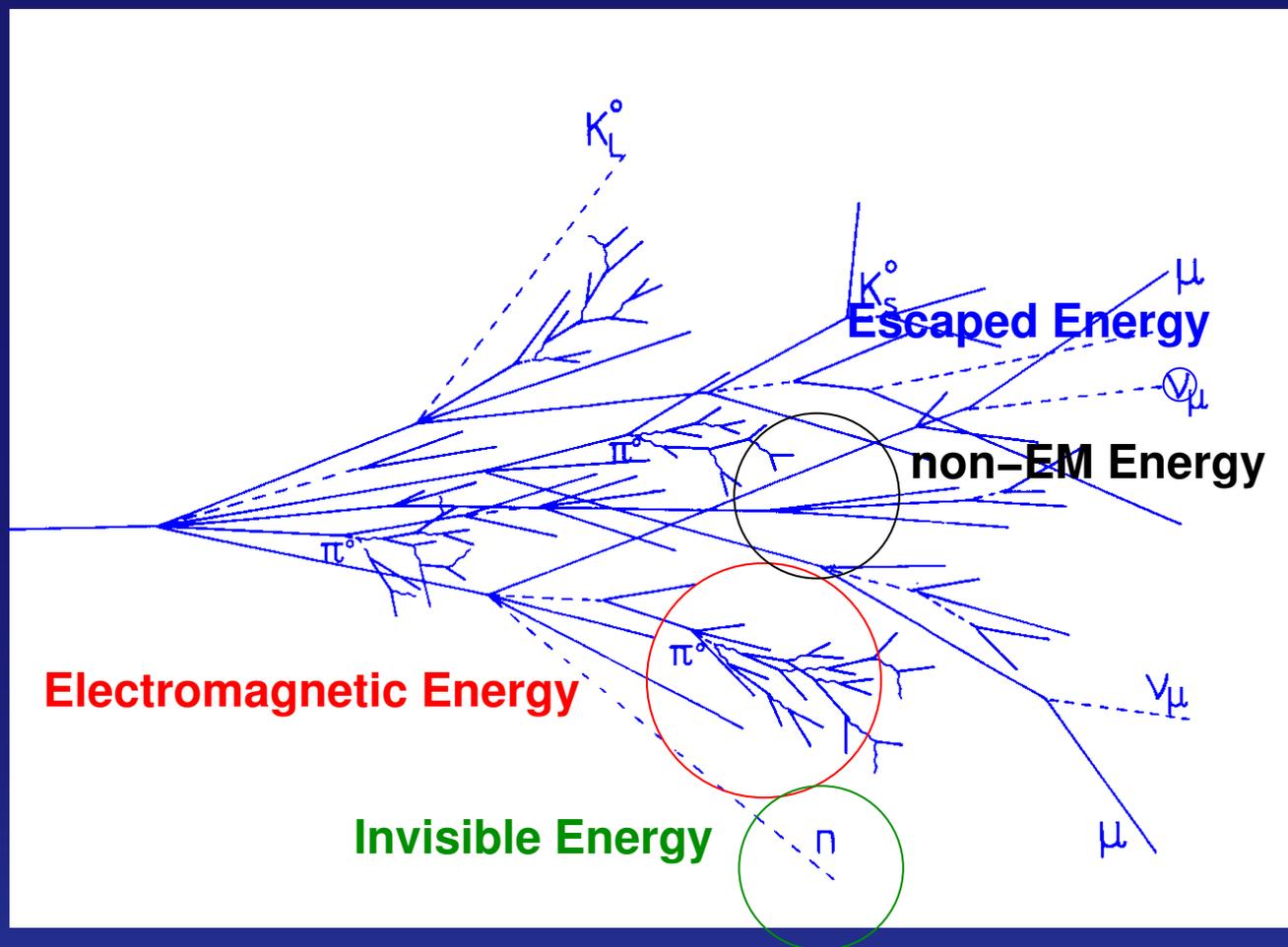
Hadron Calorimetry in ATLAS

▶ A hadronic shower consists of

- EM energy (e.g. $\pi^0 \rightarrow \gamma\gamma$) $O(50\%)$
- visible non-EM energy (e.g. dE/dx from π^\pm, μ^\pm , etc.) $O(25\%)$
- invisible energy (e.g. breakup of nuclei and nuclear excitation) $O(25\%)$
- escaped energy (e.g. ν) $O(2\%)$

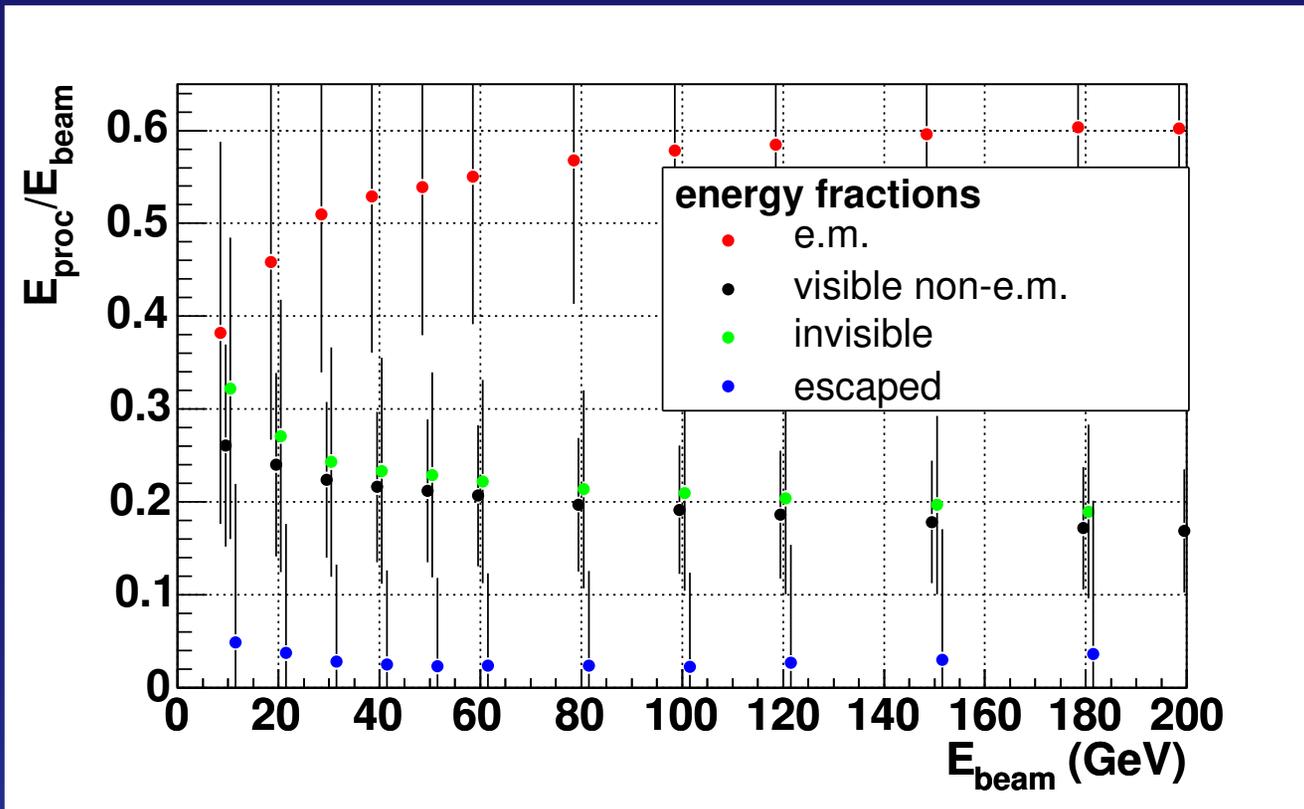
▶ each fraction is energy dependent and subject to large fluctuations

- ▶ invisible energy is the main source of the non-compensating nature of hadron calorimeters
- ▶ hadronic calibration has to account for the invisible and escaped energy and deposits in dead material and ignored calorimeter parts



Hadron Calorimetry in ATLAS ► Hadron Shower Components

► From a **Geant4** simulation of EMEC and HEC:



- EM energy strongly **anti-correlated** with visible non-EM energy
- visible non-EM energy strongly **correlated** with invisible energy

- need to separate EM part of the shower from the non-EM part
- apply a weight to the non-EM part to compensate invisible energy

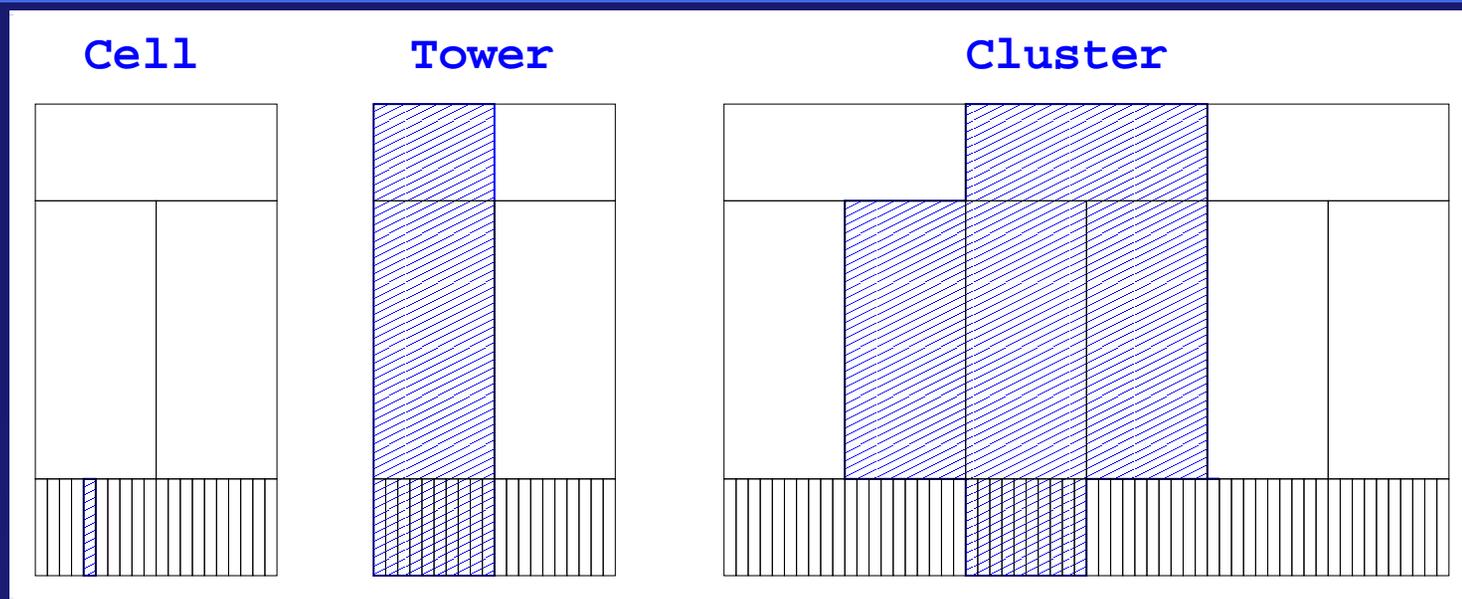
► How to separate EM fraction from non-EM fraction?

- $X_0 \ll \lambda \simeq 20$ cm
- **high** energy density in a cell denotes high EM activity
- **low** energy density in a cell corresponds to hadronic activity
- apply weights as function of energy density

Calorimeter Reconstruction

▶ The cell is the smallest reco object

- all ATLAS calorimeters together provide 187652 cells
- each cell provides mainly the raw reconstructed energy in MeV



▶ A tower is a group of cells (or even a group of fractions of cells) in a fixed $\Delta\eta \times \Delta\phi$ grid over some or all samplings

- contains the sum of cell (fraction) energies and the center of the grid square (η and ϕ) as members
- in use in ATLAS are 65536 LAr EM only **LArTowers** with $\Delta\eta \times \Delta\phi = 0.025 \times 2\pi/256$
- and 6400 **CaloTowers** including all calorimeters with with $\Delta\eta \times \Delta\phi = 0.1 \times 2\pi/64$

▶ A cluster is a group of cells (or even fraction of cells) formed around a seed cell

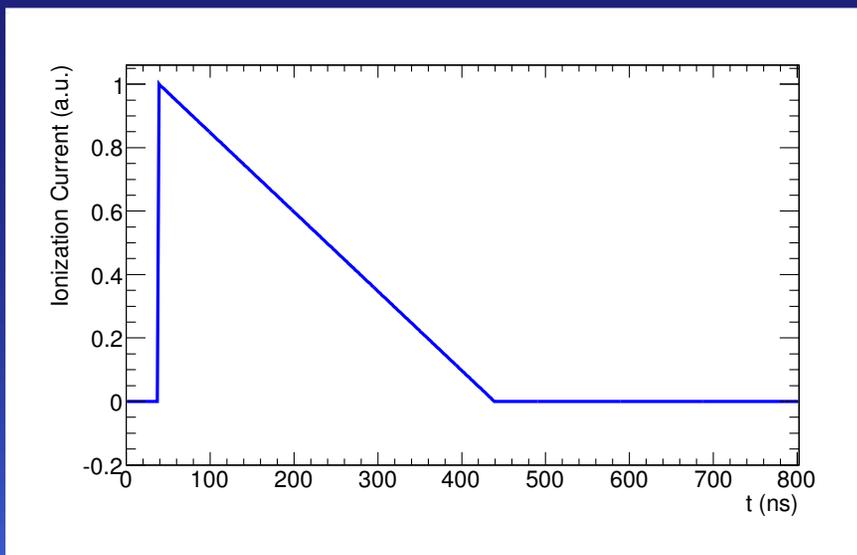
- is the main reco object for calorimetry
- with either a fixed size in $\Delta\eta \times \Delta\phi$ (sliding window used for electrons/photons)
- or variable borders based on the significance of the cells (topo cluster used for hadrons/jets/MET/soft photons)
- contains lots of data members based on weighted cell members for energy, position and shape

Calorimeter Reconstruction ▶ From Signals to Cells

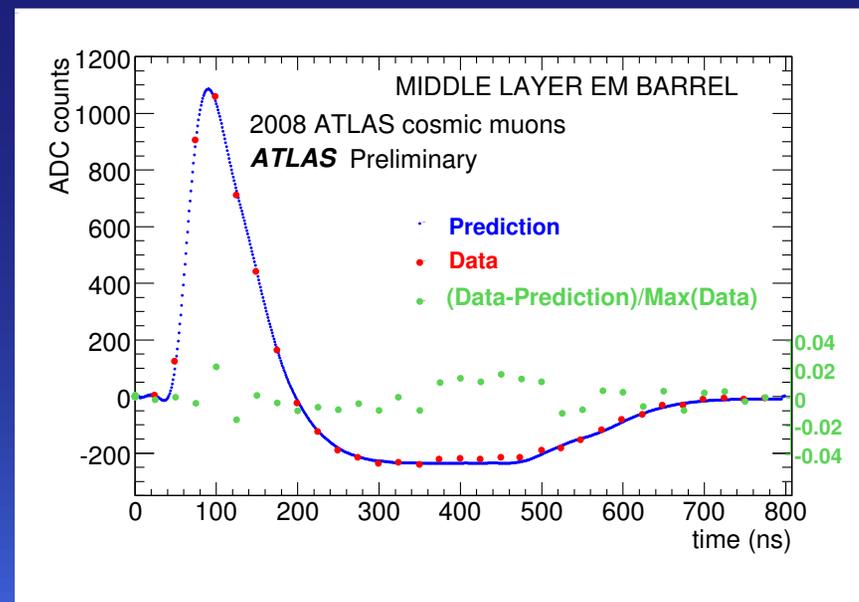
▶ Optimal filtering principle:

- need known physics signal shape $g(t)$
- discrete measurements (signal plus noise): $y_i = E g_i + b_i$ in 5 samples each 25 ns
- and autocorrelation matrix from noise runs: $B_{ij} = \langle b_i b_j \rangle - \langle b_i \rangle \langle b_j \rangle$
- estimate amplitude E with $\tilde{E} = a^t y$ from minimization of $\chi^2(E) = (y - E g)^t B^{-1} (y - E g)$
- solution is given by OF weights $a = \frac{B^{-1} g}{g^t B^{-1} g}$

Ionization Signal



Readout Signal



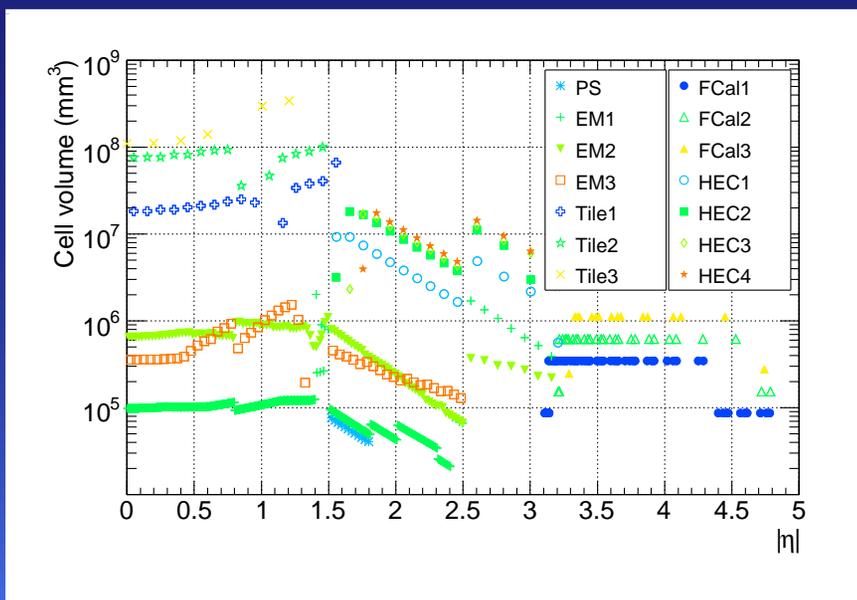
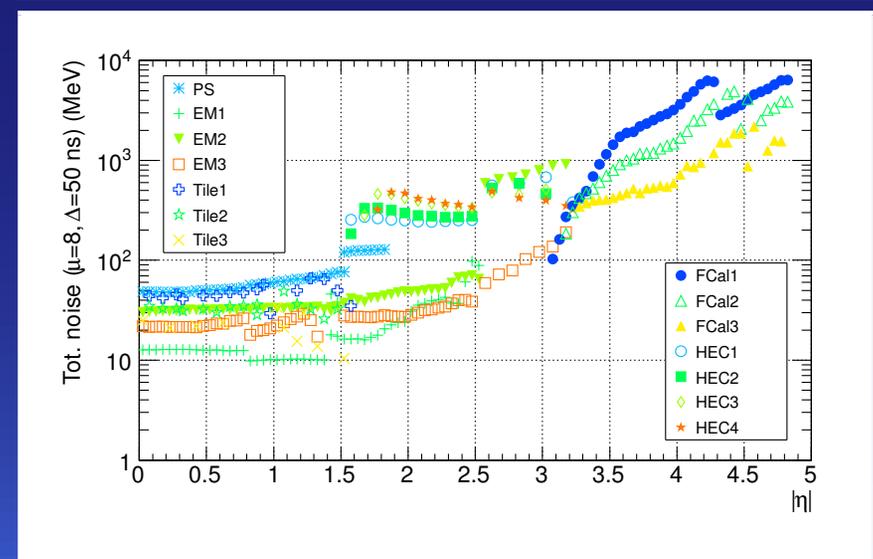
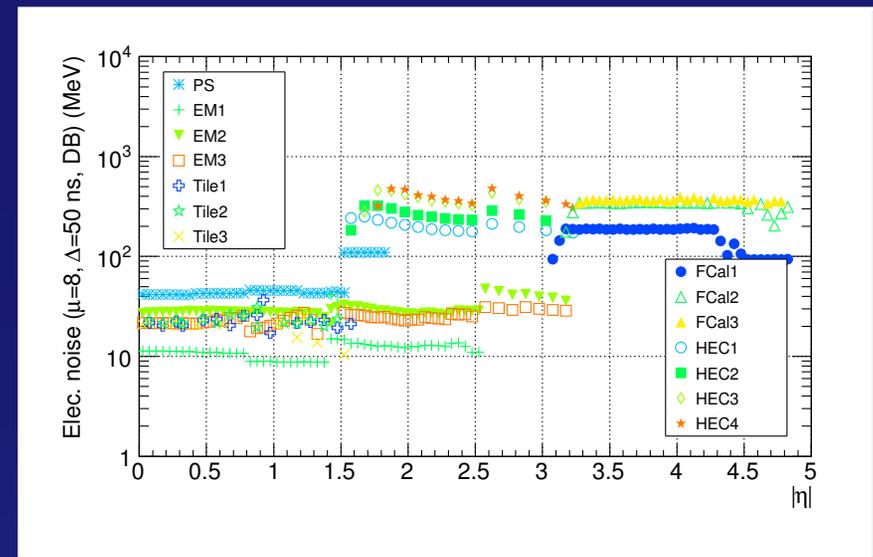
Clusters

► Cluster algorithms need to serve multiple purposes

- suppress noise (electronics noise and pile-up)
- keep electromagnetic showers in one cluster
- separate multiple signals which are close by
- work on very different sub-systems

► Plots on the right and below show large variations in η for

- electronics noise for 2011 was set to the level of 2010 i.e. without any optimization for MinBias events ($\sim 10 - 500$ MeV)
- total noise for 2011 for 50 ns bunch spacing and ~ 8 MinBias events per bunch crossing ($\sim 10 - 10^4$ MeV)
- cell volume ($\sim 2 \cdot 10^4 - 3 \cdot 10^8, \text{mm}^3$)



► Cluster Making

- form clusters around seed cells with $|E_{seed}| > 4(\sigma_{elec-noise} \oplus \sigma_{pile-up-noise})$
- expand clusters around neighbor cells with $|E_{neigh}| > 2\sigma$
- include perimeter cells with $|E_{cell}| > 0\sigma$
- merge clusters if they share a neighbor cell
- expansion is driven by neighbors in $3D$:
usually 8 neighbors in the same layer ($2D$) plus cells overlapping in η and ϕ with central cell in next and previous layer (just 2 if granularity would be the same)

► Cluster Splitting

- search for local maxima in cell energy with $E_{seed} > 500$ MeV in all clustered cells in EM-samplings (HAD-samplings secondary)
- re-cluster around local maxima with same neighbor driven algorithm but no thresholds and no merging
- cells at cluster borders are shared with energy and distance dependent weights

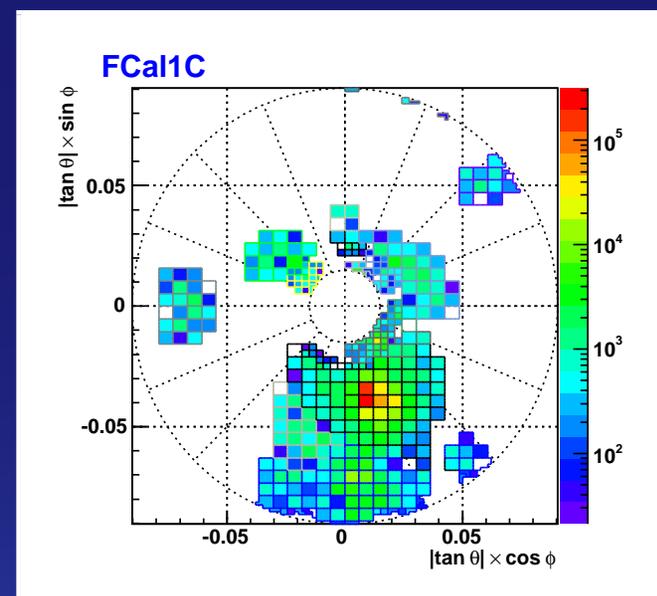
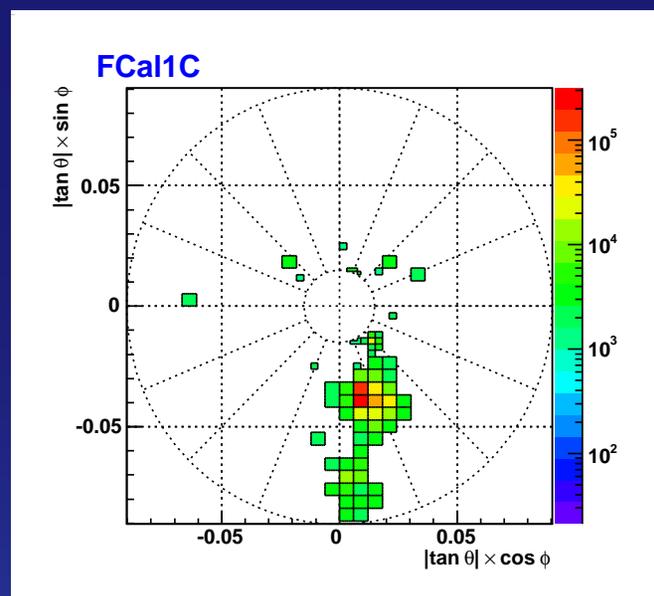
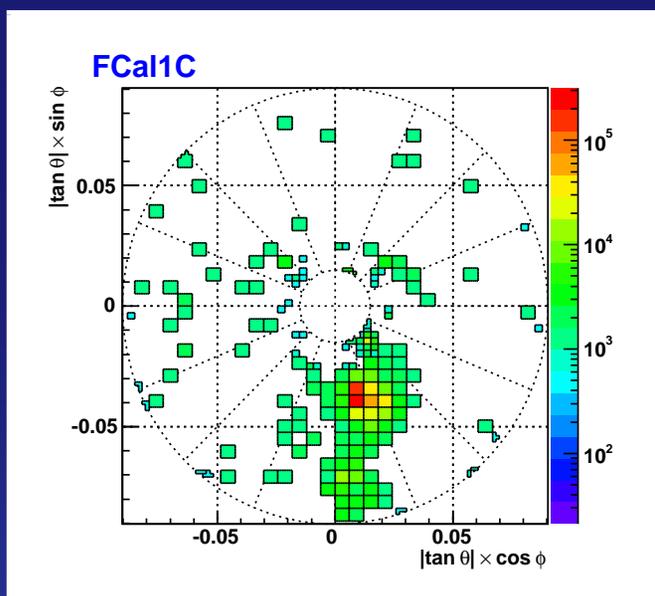
Topological Cluster Example

- ▶ look at di-jet MC sample including electronics noise with activity in the forward region
- ▶ plots show $|E_{\text{cell}}|$ on a color coded log-scale in MeV in the first (EM) FCal sampling for one event

$|E| > 2 \sigma_{\text{noise}}$

$|E| > 4 \sigma_{\text{noise}}$

4/2/0 topological clusters

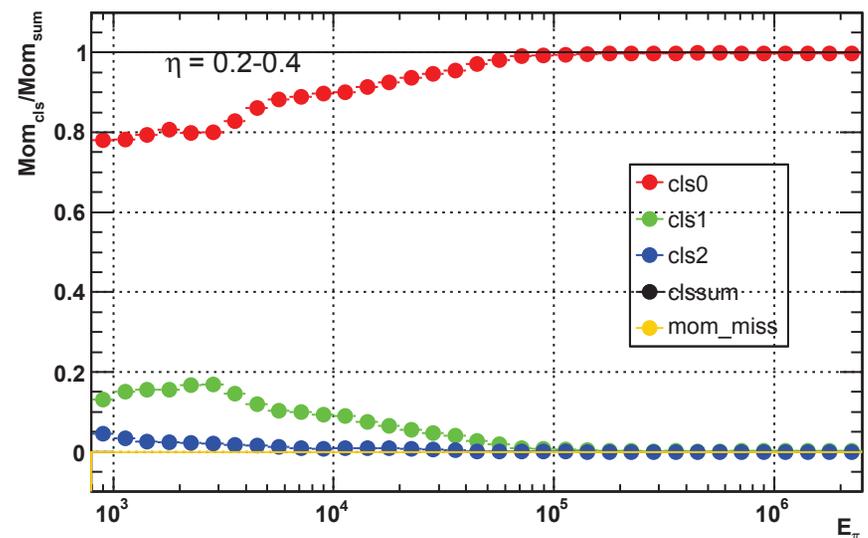
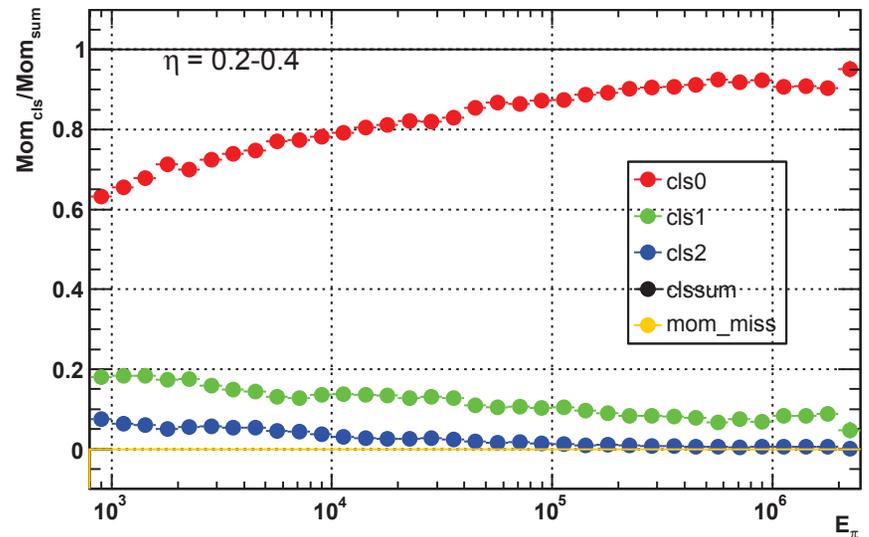


- ▶ 2σ cut is removing cells from the signal region
- ▶ 4σ cut shows seeds for the cluster maker
- ▶ after clustering all cells in the signal regions are kept
- ▶ cluster splitter finds hot spots

Topological Clusters

► Number of relevant clusters per particle

- there can be more than 1 cluster in a cone around the original pion direction
- but the number of relevant clusters (fraction of energy) is small
- top plot shows energy fraction in the 3 leading clusters for charged pions vs. the pion energy in the barrel
- bottom plot shows the same for neutral pions
- for $E > 2$ GeV more than 90% of the energy are in the 2 leading clusters (charged pions)
- for neutral pions significant energy only in leading 2 clusters and only in 1 if photons can not be resolved



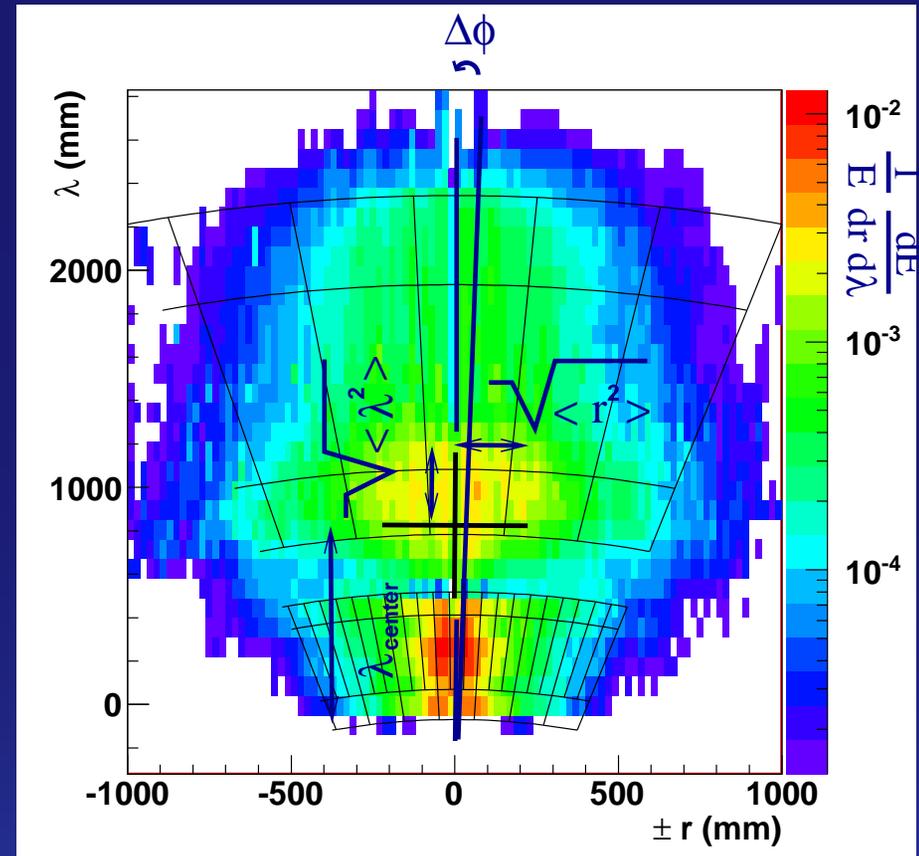
Cluster Moments

- ▶ shape variables calculated from the positive cells in a cluster
- ▶ first a principal value analysis is run on the cluster cells
 - provides centroid 3 major axes of the shower
- ▶ angles of the major axis w.r.t. IP-shower-center direction are calculated
- ▶ other shape quantities defined by moments of the form

$$\langle x^n \rangle = \frac{1}{E_{\text{norm}}} \times \sum_{\{i|E_i>0\}} E_i x_i^n, \text{ with}$$

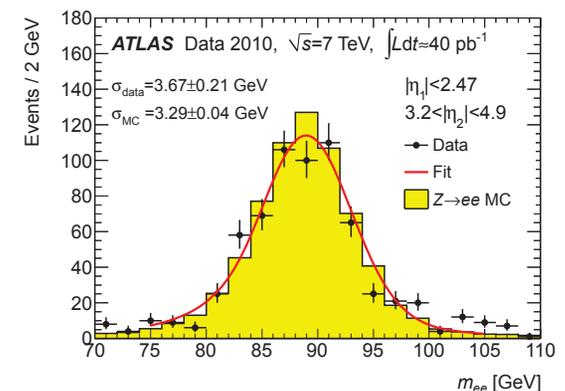
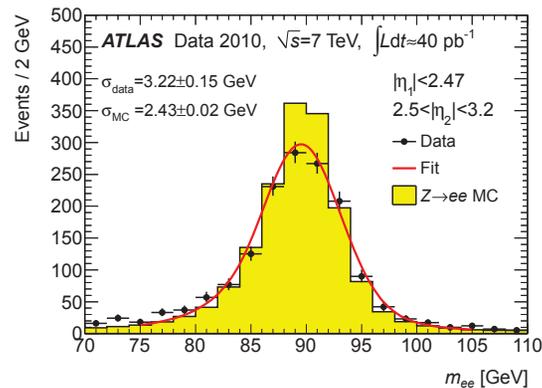
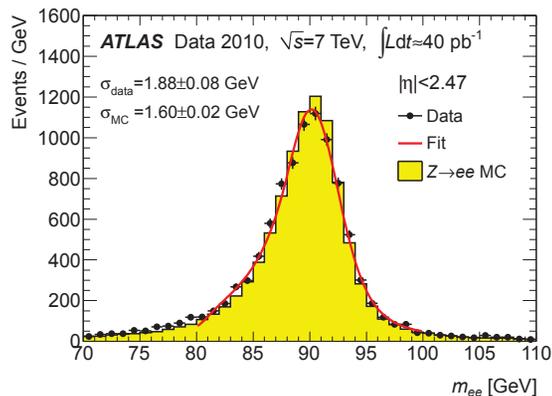
$$E_{\text{norm}} = \sum_{\{i|E_i>0\}} E_i.$$

- ▶ typical choices for x : $\rho = E/V$, r , λ



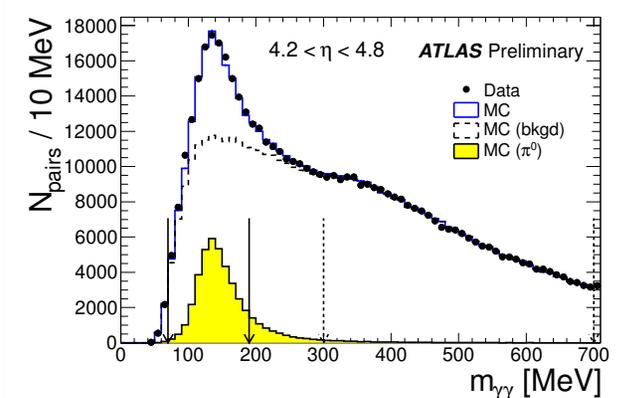
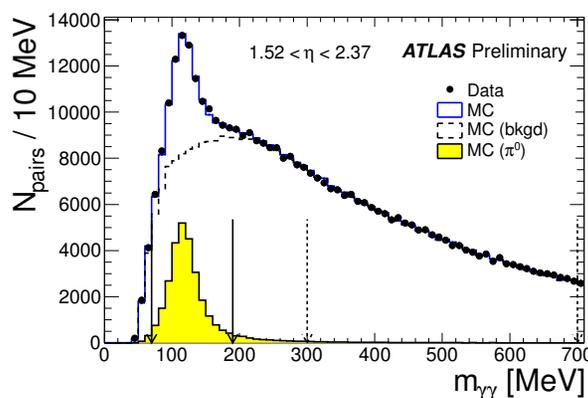
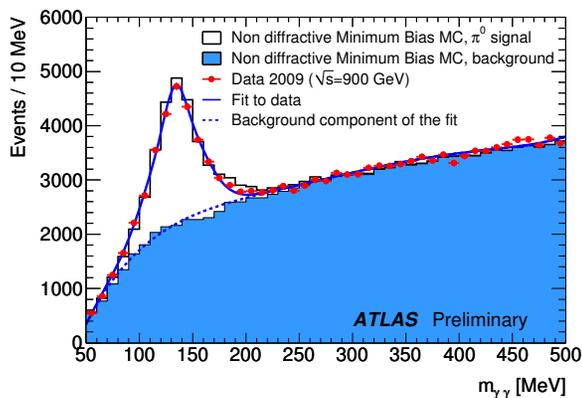
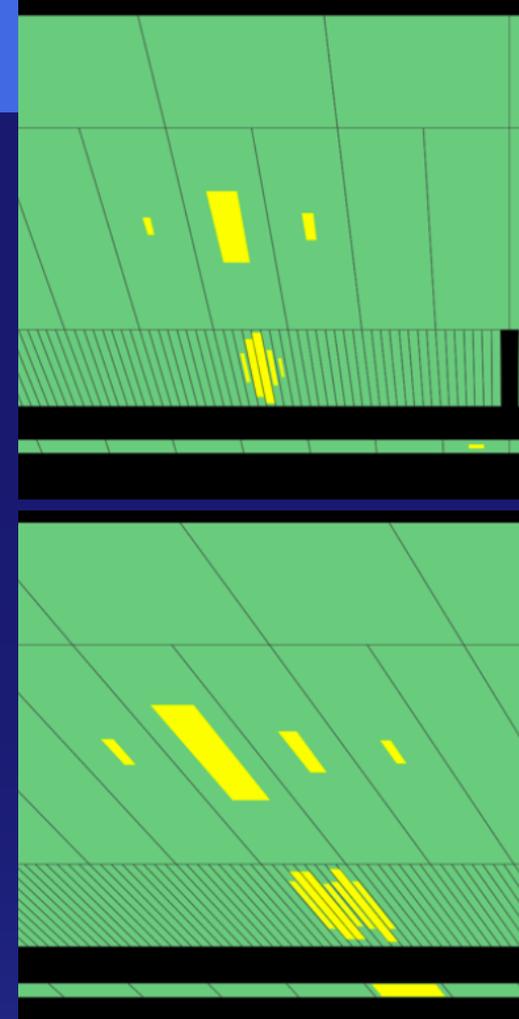
Performance ► Electrons and Photons

- high $p_{\perp} > 10$ GeV isolated electrons and photons are reconstructed with fixed size LAr EM clusters in units of the middle sampling granularity of $\Delta\eta \times \Delta\phi = 0.025 \times 2\pi/256: 3 \times 5$ for $|\eta| < 2.5$
- tracks are matched to EM clusters within a $\Delta\eta \times \Delta\phi$ window of 0.05×0.1 (large in ϕ to allow for bremsstrahlung)
- if a track match is found the object is an electron and the cluster is re-clustered in size: 3×7 (barrel); 5×5 (endcap)
- without a track match the EM cluster is called a photon candidate
- in the forward area $2.5 < |\eta| < 4.9$ topo clusters are used instead of sliding window clusters since no tracking is available here and the cluster moments of topo clusters provide good electron/pion separation power
- MC based energy corrections are applied and the absolute scale is set with $Z \rightarrow e^+e^-$ events



Performance ▶ Electrons and Photons

- ▶ low $p_{\perp} < 10$ GeV photons are reconstructed with topo clusters
- ▶ note that photons from π^0 's start to merge (separation less than a cell width in the middle layer) for $E_{\perp}^{\pi^0} > 10$ GeV
- ▶ plots show reconstructed di-photon masses in various $|\eta|$ regions



Performance ► Jet Reconstruction in ATLAS

- Modern standardized jet algorithms like **SISCone** (JHEP 0705 (2007) 086), **Kt** (Nucl. Phys. B 406 (1993) 187, Phys. Rev. D 48 (1993) 3160), and **AntiKt** (JHEP 0804 (2008) 063) have been evaluated by ATLAS
 - these jets are collinear and infrared safe
 - are available in a standard **C++** library (**FastJet** by Matteo Cacciari, Gavin Salam and Gregory Soyez)
 - are seedless and iterative
- **AntiKt** in inclusive mode was found to be the most useful algorithm for ATLAS
 - **AntiKt** combines like **Kt** pairs of objects based on a $\min(p_T^{i\ 2x}, p_T^{j\ 2x})$ scaled distance metric $\Delta R_{ij}^2 / R^2$ in $y - \phi$ -space
 - **Kt** uses $x = 1$ and treats objects with the smallest p_T first
 - **AntiKt** uses $x = -1$ and treats objects with the largest p_T first
 - the net result is that **AntiKt**-jets are much more regular shaped in $y - \phi$ space and don't suffer from the “vacuum cleaner” effect like **Kt** making them easier to calibrate
 - ATLAS uses $R = 0.4$ and $R = 0.6$

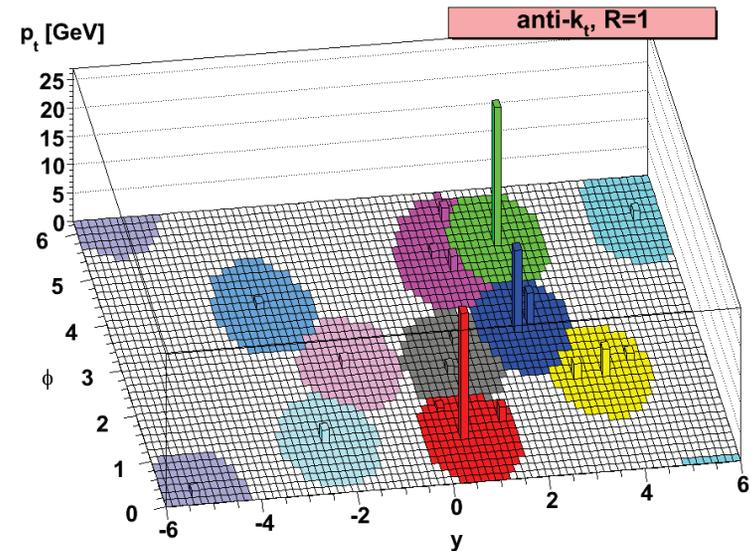
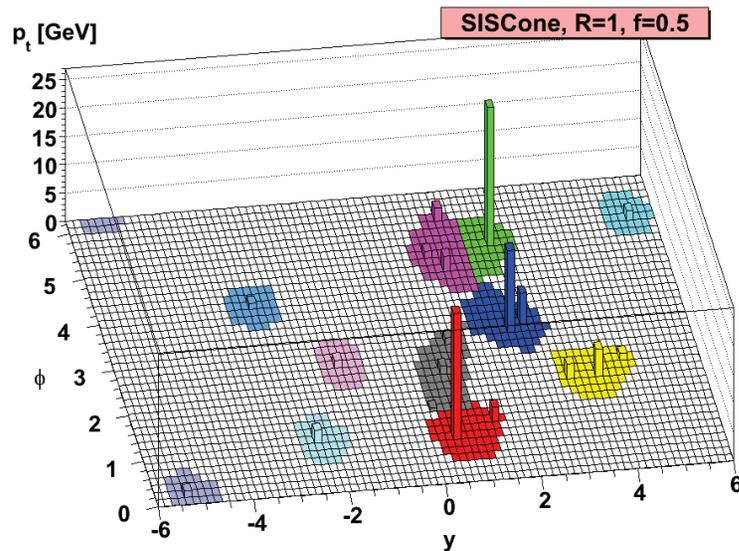
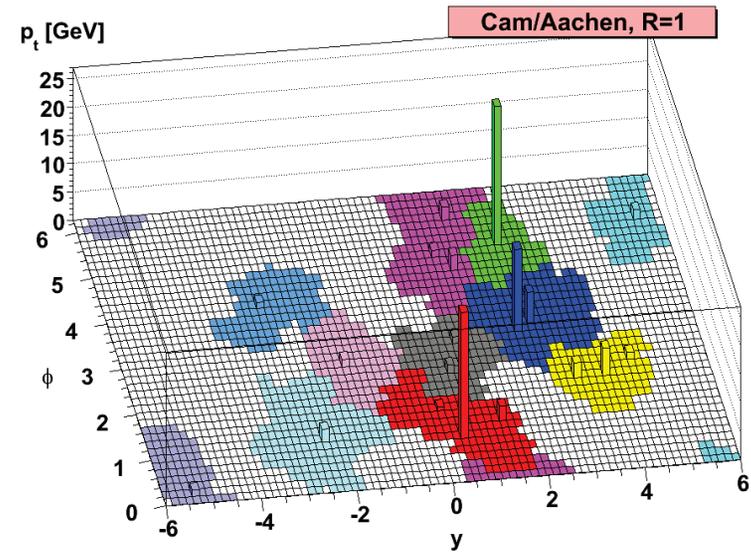
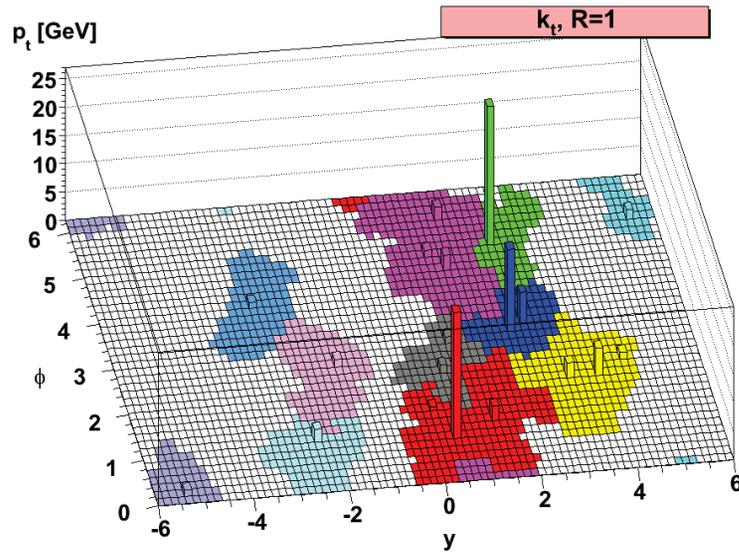
Jet Reconstruction in ATLAS

Jets, G. Salam (p. 27)

└ 2. Getting the basics right

└ FastJet

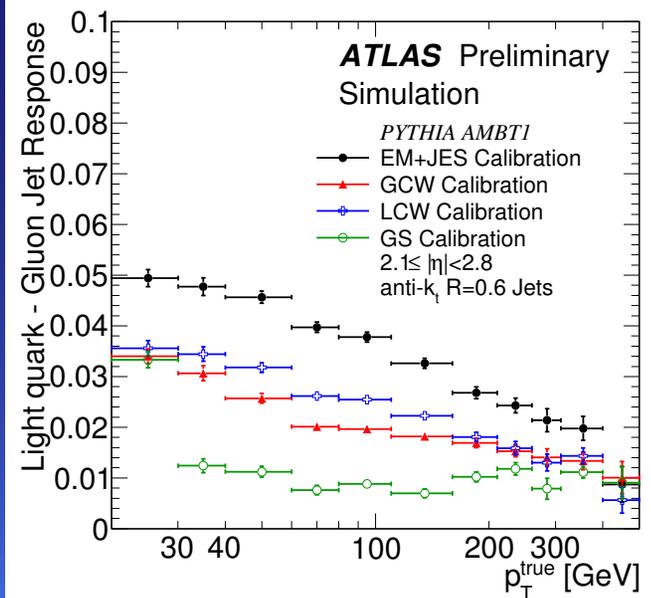
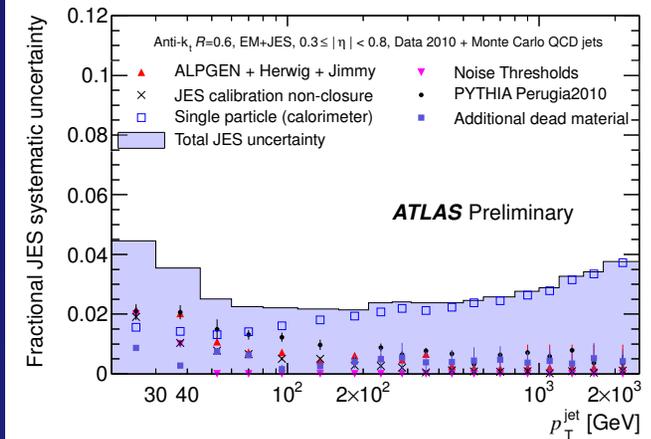
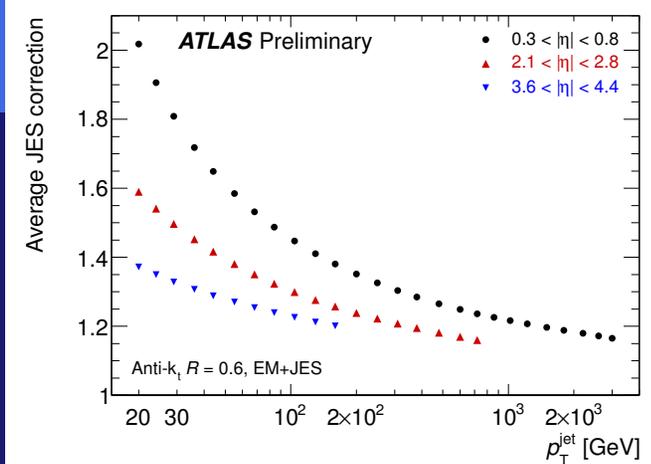
Jet contours – visualised



G. Salam, 2008

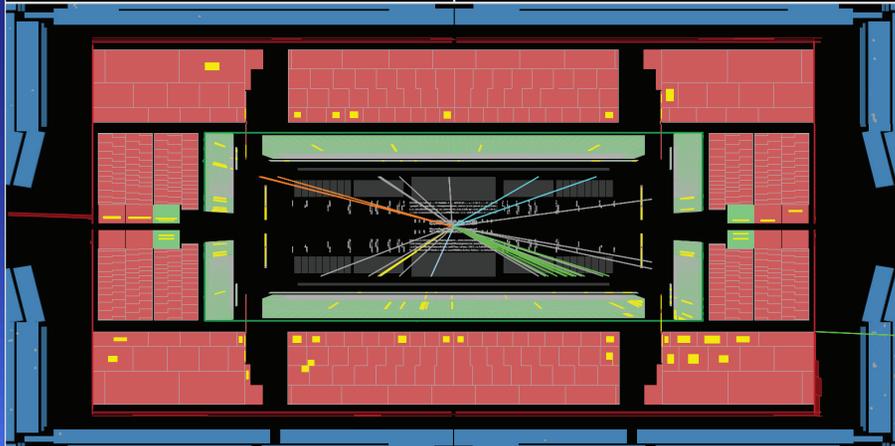
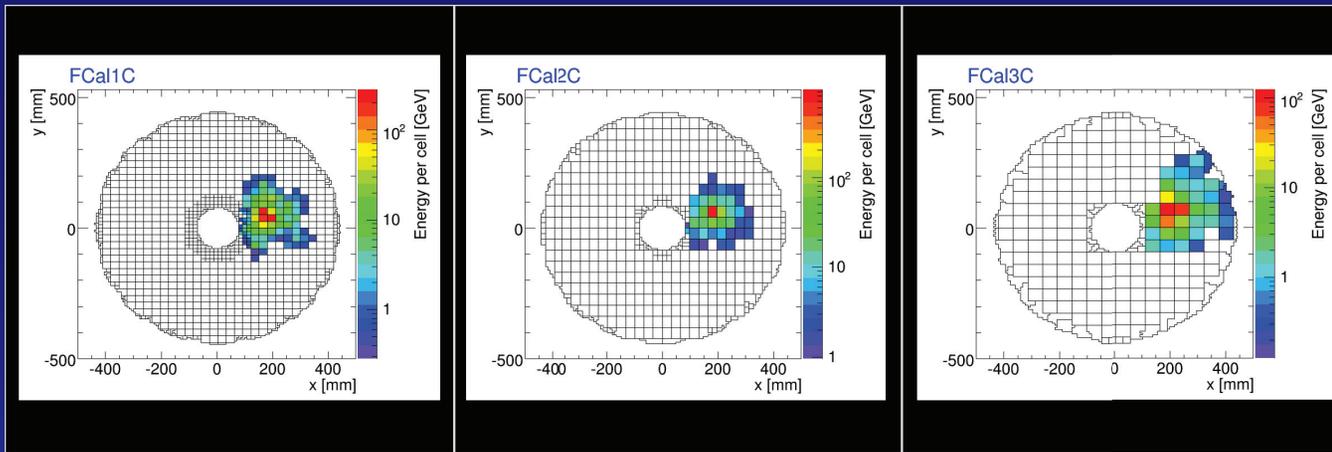
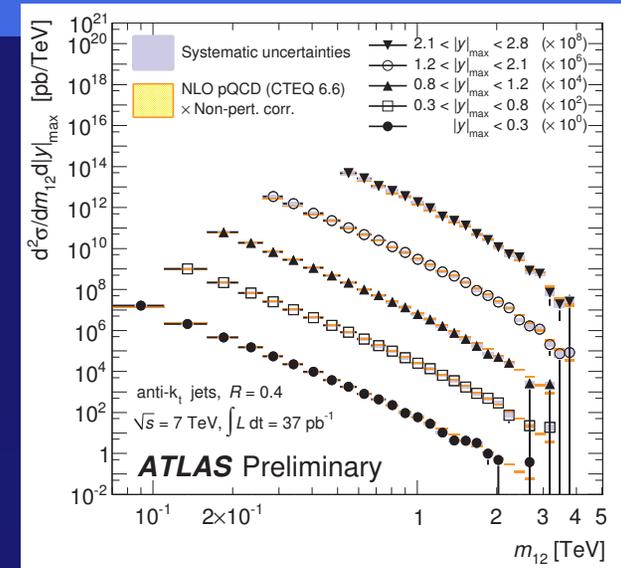
Jet Calibration in ATLAS

- ▶ most analyses on 2010 data used simple EM+JES scheme
 - topo clusters on EM-scale as input to jet algorithms
 - MC based correction function $f(p_{\perp}, |\eta|)$ to restore jet p_{\perp} to stable hadron level
 - top plot shows correction as function of p_{\perp} for 3 y ranges
 - middle plot shows systematic uncertainties on jet energy scale (JES) for $0.3 < |y| < 0.8$
- ▶ more sophisticated approaches exist
 - global cell weighting (GCW) applies energy-density dependent weights to all calorimeter cells
 - local hadron calibration (LCW) classifies and calibrates topo clusters as em or hadronic
 - global sequential calibration (GSW) modifies EM+JES by jets-shape based correction factors
 - bottom plot compares light-quark – gluon-jet-response for different calibration schemes
- ▶ LCW is used in ATLAS for missing transverse energy and in jets for 2011



Jet Physics

- ▶ ATLAS measured the double differential cross-section in $|y|_{\max}$ and m_{12}
- ▶ bin-by-bin corrections in the observed spectra derived from simulations
- ▶ dominant exp. systematic uncertainties stem from the Jet Energy Scale uncertainty
 - $\sim 15 - 30\%$
- ▶ deviations from the QCD would indicate new physics
 - ▶ compositeness, excited quarks
- ▶ good agreement with NLO QCD predictions is observed




**ATLAS
EXPERIMENT**

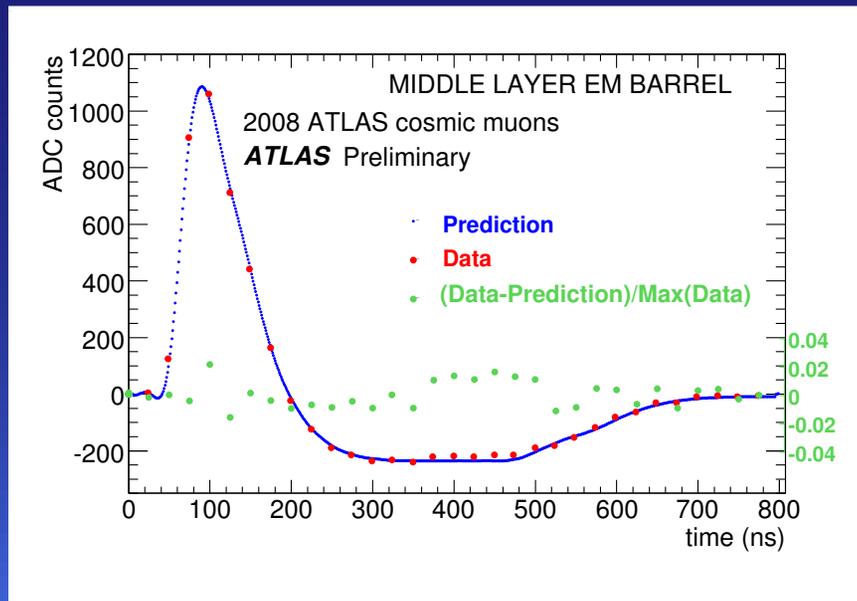
Run Number: 167607, Event Number: 36526763
 Date: 2010-10-25 05:40:24 CEST

- ▶ Highest Energetic Jet in ATLAS from 2010 @ $\sqrt{s} = 7$ TeV with $E_j = 3.37$ TeV

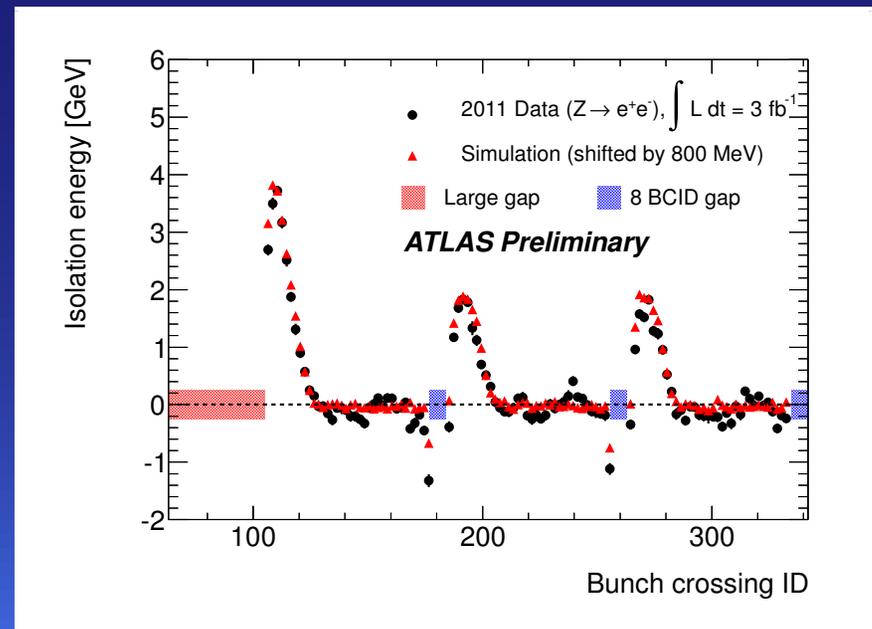
Effects of PileUp

- ▶ In 2011 the number of minimum bias events (PileUp) per bunch crossing increased dramatically (from essentially 0 in 2010 up to 25)
- ▶ the machine was also filled with more and more bunches
- ▶ due to the long and bi-polar shaper response (up to $\simeq 600$ ns) in the LAr calorimeters we are sensitive to PileUp from up to 24 bunch crossings id's at 25 ns nominal distances
 - ▶ the energy in the event depends on the history of bunch crossings
- ▶ about 7 nominal bunch crossing id's contribute with a positive signal; 17 with a negative signal

Shaper Response

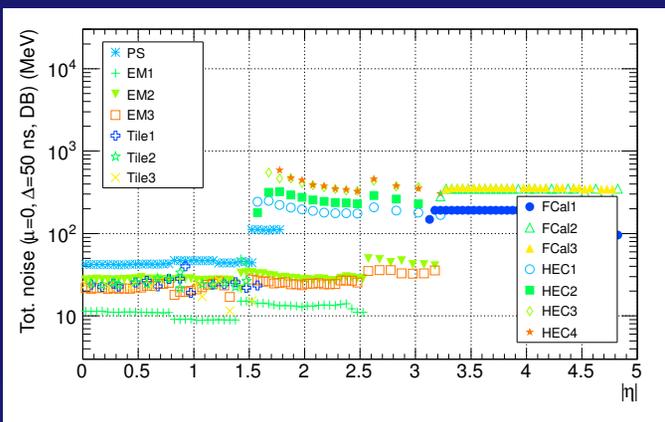


Isolation Energy

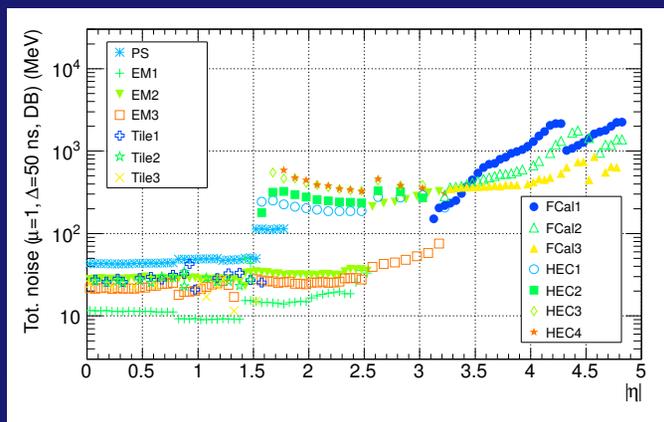


Total Noise for $\Delta t = 50$ ns and $\mu = 0, 1, 2, 5, 10, 20, 50, 100$

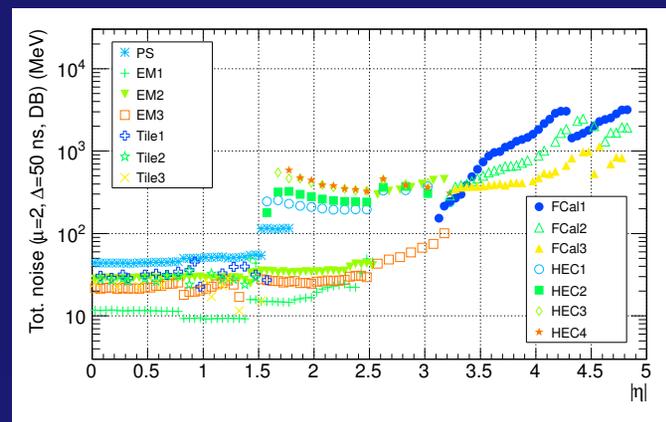
$\mu = 0$



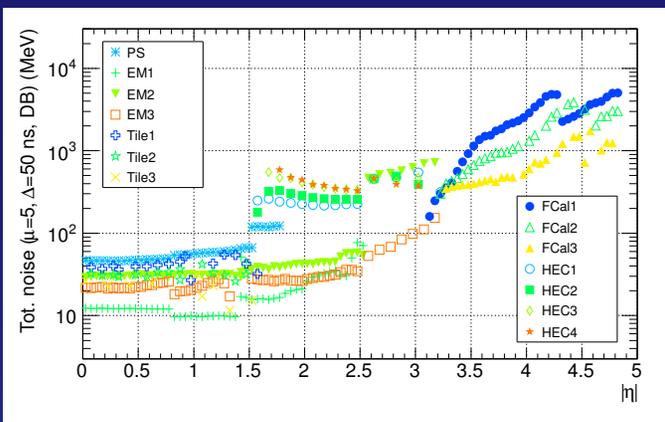
$\mu = 1$



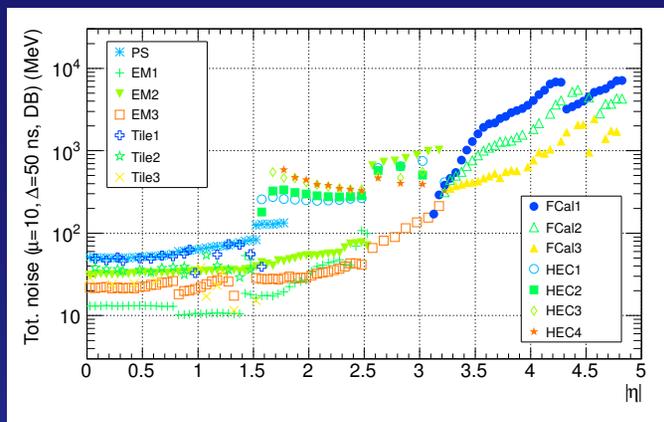
$\mu = 2$



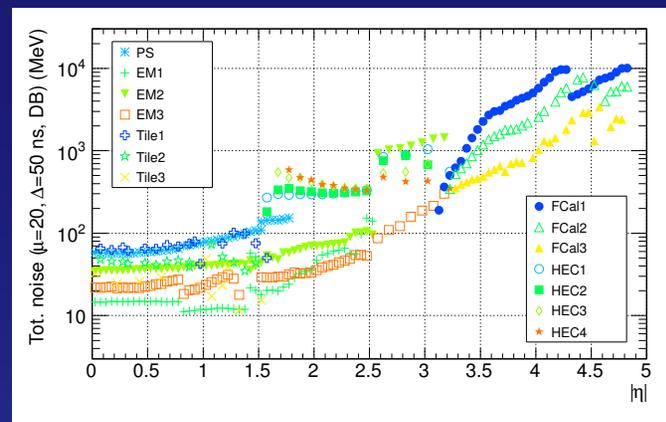
$\mu = 5$



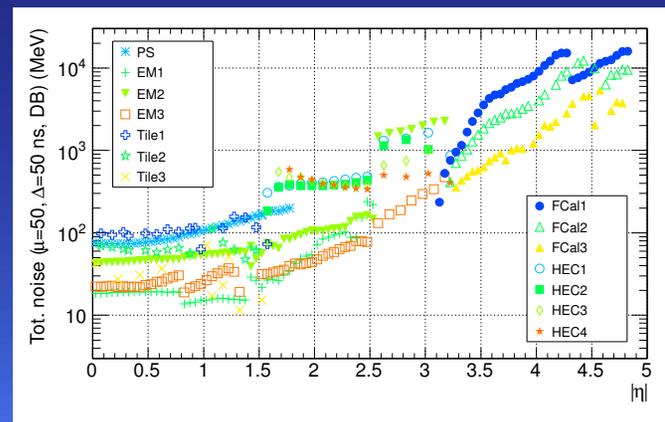
$\mu = 10$



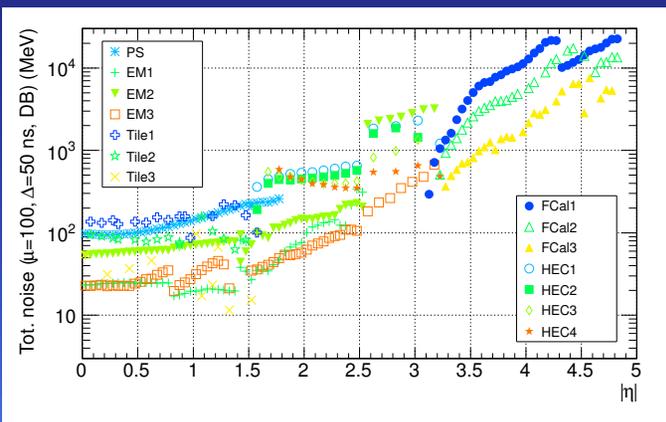
$\mu = 20$



$\mu = 50$



$\mu = 100$



Total Noise for $\Delta t = 50$ ns and $\mu = 0, 1, 2, 5, 10, 20, 50, 100$

- ▶ Prev. slide shows total cell noise as function of $|\eta|$ for all calorimeter layers
- ▶ moderate increase $\times 2 - 5$ in the barrel from $\mu = 0$ to $\mu = 50$
- ▶ typically $\times 10$ in the endcap
- ▶ up to $\times 100$ in the forward region
- ▶ PileUp noise increases proportional to $\sqrt{\mu}$
- ▶ a 20% increase in noise means $25\times$ more clusters due to noise!
- ▶ thresholds are adjusted now for 2012 running
 - $\mu = 20$ is expected as average condition in 2012
 - aim for thresholds of 20 or 30 depending optimizations

Conclusions

- ▶ Calorimetry in ATLAS is a very diverse subject due to
 - mixture of different detector technologies
 - combined with changing conditions due to the LHC
 - and different requirements for physics (high p_{\perp} isolated electrons/photons vs. jets)
- ▶ Topological Clusters are found to address most of above issues
 - only isolated high p_{\perp} electrons and photons in the barrel use fixed size clusters
- ▶ Biggest challenge for 2012 is the increasing PileUp