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LHCphenOnet

DESY Hamburg

in collaboration with Z. Trocsanyi, M.V. Garzelli and HELAC group



Event Generators and Resummation May 29 - June 1, 2012



- Motivation
- Method
- Predictions
- Conclusions and Plans

Garfield knows best!







"The t-quark is special"

The importance of being top

1. The higher collider energy, the larger weight in total cross section



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- 1. The higher collider energy, the larger weight in total cross section
- 2. The t-quark is heavy, Yukawa coupling ~1 $m_t [GeV]=172.9\pm0.6_{stat}\pm0.9_{syst}$ (PDG), $173.2\pm0.6_{stat}\pm0.8_{syst}$ (TeVatron) $172.6\pm0.6_{stat}\pm1.2_{syst}$ (CMS) $174.5\pm0.6_{stat}\pm2.3_{syst}$ (ATLAS) $(y_t=1 \Rightarrow 173.9)$

 \Rightarrow plays important role in Higgs physics

The importance of being top

- 1. The higher collider energy, the larger weight in total cross section
- 2. The t-quark is heavy, Yukawa coupling ~1
- 3. The t-quark decays before hadronization \Rightarrow quantum numbers more accessible than in case of other quarks *b*-jet





Top at the LHC

Present:

production cross section, mass, width, t-T mass difference, spin correlations, W helicity/ polarization, Vtb, charge, charge asymmetry, anomalous couplings, FCNC, jet veto in tT

Future: discovery tool, coupling measurements These require precise predictions of distributions at hadron level for pp →tT+hard X, X = H,A,Z,Y,j,bB,2j...

(with decays, top is not detected)

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...but we deliver the events on request



... to distributions, full of pitfalls & difficulties



There is a long way from matrix elements...

Also covered in Marek's and Simone's talk

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in the next few minutes:



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or check the stock market:



NLO subtractions

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NLO subtractions

- Idea: exact calculation in the first two orders of pQCD
- Subtraction method

 $d\sigma_{\text{NLO}} = [B(\Phi_n) + \mathcal{V}(\Phi_n) + R(\Phi_{n+1})d\Phi_{\text{rad}}]d\Phi_n$ $= [B(\Phi_n) + V(\Phi_n) + (R(\Phi_{n+1}) - A(\Phi_{n+1}))d\Phi_{\text{rad}}]d\Phi_n$

 $d\Phi_{n+1} = d\Phi_n d\Phi_{rad}, \qquad d\Phi_{rad} \propto dt dz \frac{d\phi}{2\pi}$

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Solutions:

- MCatNLO [Frixione, Webber hepph/0204244]
- POWHEG [Nason hep-ph/ 0409146, Frixione, Nason, Oleari arXiv:0709.2092]

Result: PS events giving distributions exact to NLO in pQCD



- The POWHEG-BOX implements
 - FKS subtraction scheme
 - •POWHEG method for matching

[Alioli, Nason, Oleari, Re arXiv: 1002.2581]

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Processes in PowHel:
√ tT and W⁺W⁻bB
√ tT+H/A
√ tT+Z
√ tT+jet
tT+...

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Standard MC first emission:

$$d\sigma_{\rm SMC} = B(\Phi_n) d\Phi_n \left[\Delta_{\rm SMC}(t_0) + \Delta_{\rm SMC}(t) \underbrace{\frac{\alpha_{\rm s}(t)}{2\pi} \frac{1}{t} P(z) \Theta(t - t_0) d\Phi_{\rm rad}^{\rm SMC}}_{k_{\perp} \to 0} \right]$$
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POWHEG MC first emission:

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$$\int \bar{B}(\Phi_n) d\Phi_n = \sigma_{NLO}$$

$$\langle O \rangle = \int \mathrm{d}\Phi_{\mathrm{B}} \widetilde{B} \left[\Delta(p_{\perp,\mathrm{min}}) O(\Phi_{\mathrm{B}}) + \int \mathrm{d}\Phi_{\mathrm{rad}} \Delta(p_{\perp}) \frac{R}{B} O(\Phi_{\mathrm{R}}) \right] =$$

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POWHEG-BOX framework



PowHel framework



PowHel framework



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RESULT of PowHel:

Les Houches file of Born and Born+1st radiation events (LHE) ready for processing with SMC followed by almost arbitrary experimental analysis Processes with more than 2 particles in final state

- •Complicated tensor integrals in 1-loop amplitudes
- •High rank ones with possible numerical

instabilities

•If double precision is not enough (check)

use double-double precision



HELAC-1LOOP@dd framework



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(see e.g. arXiv: 1111.0610 for tTZ production)

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kept)

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decreasing precision

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- Decay in SMC (DCA):
 - On-shell heavy objects
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- -Decay with DECAYER (NWA): New!
 - Post event-generation run
 - •With spin correlations and off-shell effects
 - •CPU efficient

$W^+ W^- b \bar{b}$ production

Legs





Legs




Legs

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- •Comparison of LHEF to NLO made for the 7 TeV LHC, with a setup listed in arXiv:1012.4230:
 - -fixed scale μ =m_t and PDG parameters, CTEQ6M

Formal accuracy of the POWHEG MC

$$\langle O \rangle = \int \mathrm{d}\Phi_{\mathrm{B}} \widetilde{B} \left[\Delta(p_{\perp,\mathrm{min}}) O(\Phi_{\mathrm{B}}) + \int \mathrm{d}\Phi_{\mathrm{rad}} \Delta(p_{\perp}) \frac{R}{B} O(\Phi_{\mathrm{R}}) \right] =$$

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Useful for checking

$pp \rightarrow e^+ v_e \mu^- v_\mu bb + X$



Transverse momentum and rapidity distribution for the b at 7TeV LHC

agreement is within 5%, Remember: $\sigma_{LHE} = \sigma_{NLO} (1+O(\alpha_s))$ [NLO K-factor is large (~1.5)]



Transverse momentum of positron, R-separation of the charged leptons at 7TeV LHC agreement is within 10%, Remember: $\sigma_{LHE} = \sigma_{NLO} (1+O(\alpha_s))$ [NLO K-factor is large (~1.5)]





Predictions for LHC at 7 TeV

Goal:

to check effect of various approximations to decays and provide reliable predictions at hadron level

Predictions for LHC at 7 TeV

Goal:

to check effect of various approximations to decays and provide reliable predictions at hadron level



•anti- k_{\perp} , R=0.4

- $|\eta_{trk}|$, $|\eta_j| < 5$, $|\eta_{b-jet}| < 3$, $|\eta_l| < 2.5$
- • p_{\perp}^{j} , p_{\perp}^{l} > 20 GeV, p_{\perp} > 30 GeV,
- • ΔR_{jl} > 0.4
- •at least one anti-b, b-jet, l+, l-

$pp \rightarrow e^{\dagger}v_{e}\mu^{-}\bar{v}_{\mu}b\bar{b}+X$



Nice Sudakov suppression at small p_{\perp} , main source of difference is origin of first radiation (in further plots also) The effect of the shower is ~30% (not shown in these plots)

pp→ e⁺v_eµ⁻v_µbb+X



Transverse momentum of b-jet and positron at 7TeV LHC

Effect of NWA vs DCA negligible full vs NWA small

 $pp \rightarrow e^+ v_e \mu^- \bar{v}_\mu b\bar{b} + X$



Rapidity of b-jet and positively charged lepton at 7TeV LHC Effect of NWA vs DCA negligible full vs NWA small

 $pp \rightarrow e^+ v_e \mu^- \bar{v}_\mu b b + X$



p_ of the two b-jets, invariant mass of positron and b-jet at 7TeV LHC Effect of NWA vs DCA negligible full vs NWA ~40% above 150 GeV

 $pp \rightarrow e^+ v_e \mu^- \bar{v}_\mu bb + X$



p⊥ of the two b-jets, invariant mass of positron and b-jet at 7TeV LHC Only distribution where NWA vs DCA differ (among 32) full - NWA agree below 1.5

Conclusions and outlook

✓ First applications of POWHEG-Box to pp→tt + hard X processes

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- Predictions for LHC with NLO+PS accuracy
Plans

- Study scale choices and dependences
- Generation of events on request
- Comparison to data (in progress)
- ➡ Make codes public
- Extension to further processes...

Implemented Processes

 $\sqrt{+T}$ $\sqrt{+T+Z}$ $\sqrt{+T+H/A}$ $\sqrt{+T+j}$ \sqrt{WWbB}

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Thank you for your attention!