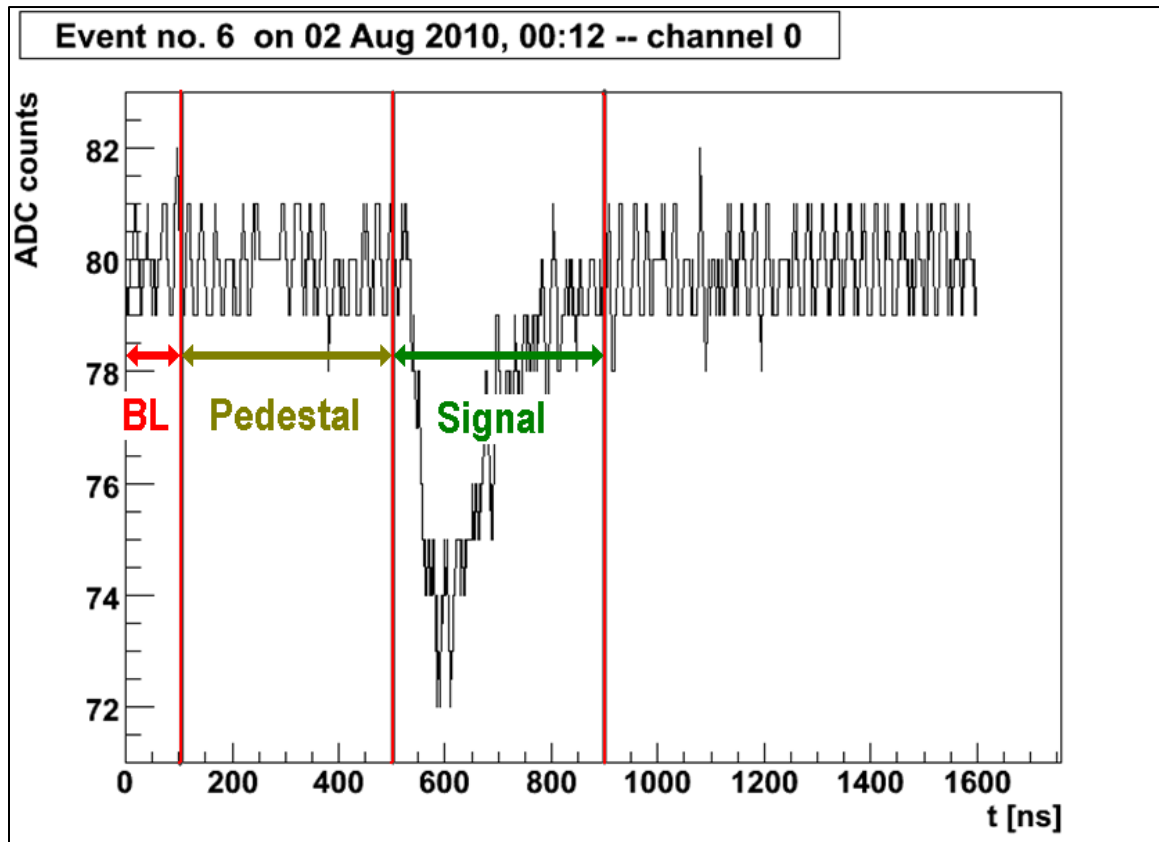


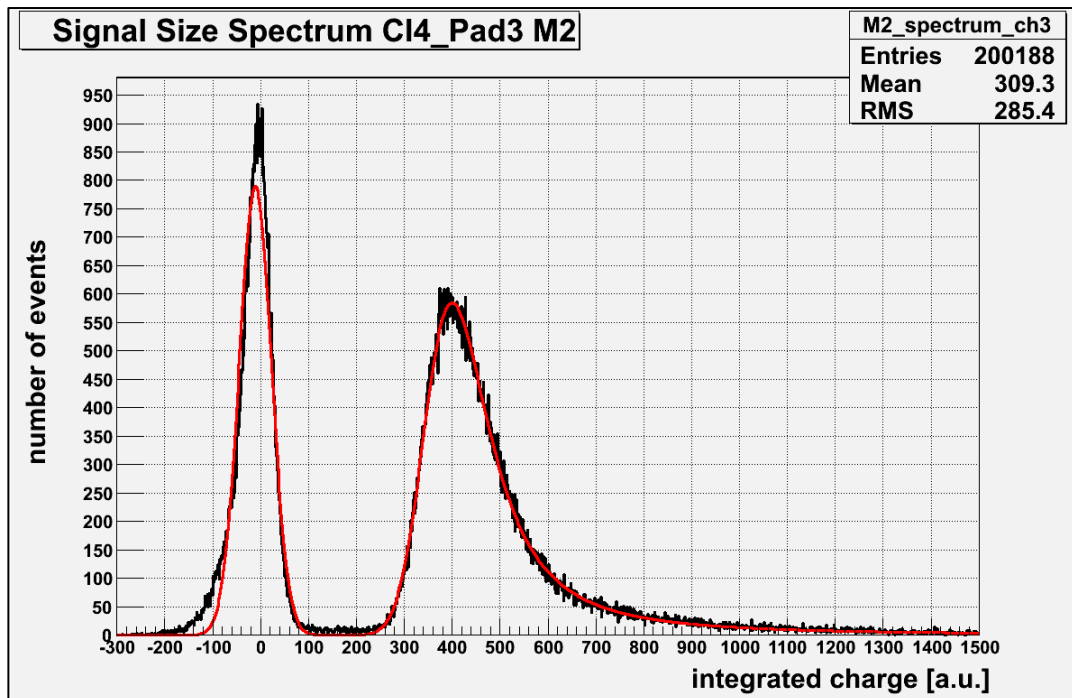
Post-thesis results

Improved method to obtain signal
size spectra from 2010 testbeam
data

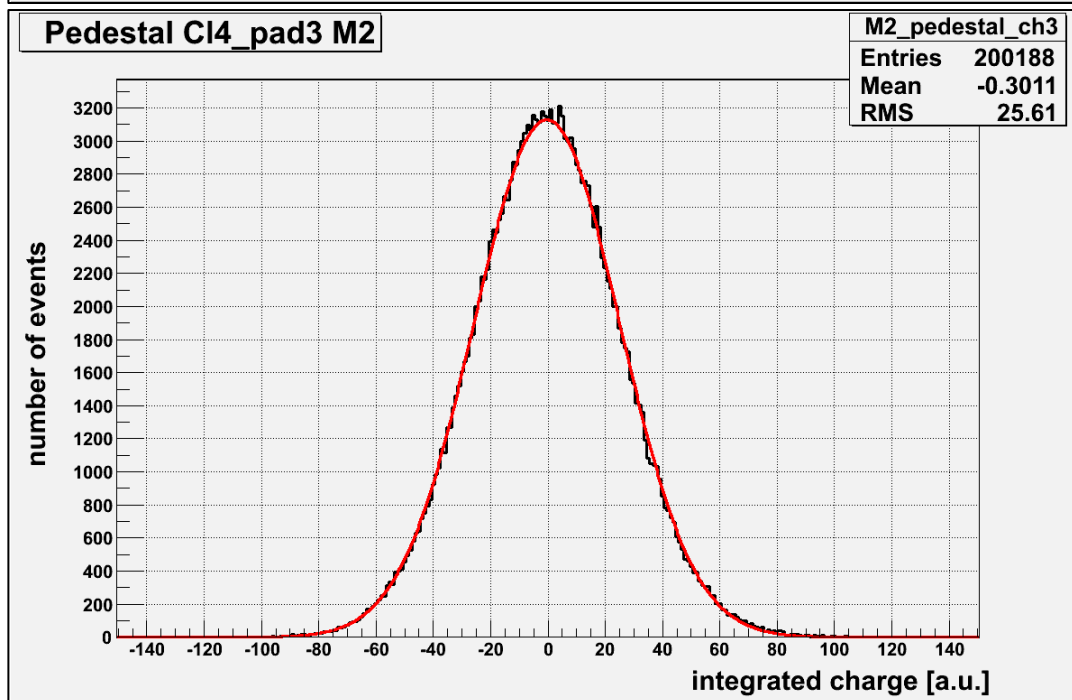
Method used in my thesis



- samples $\{0, \dots, 49\}$ for baseline
- samples $\{50, \dots, 249\}$ for pedestal
- samples $\{250, \dots, 449\}$ for signal size
- integration over signal size window and pedestal window with respect to baseline



- GLG-fit for signal size spectrum
- gauss-fit for pedestal



- definition signal to noise:

$$S / N = \frac{Signal}{\sigma_{Pedestal}}$$

$$= \frac{MPV_{Spectrum} - mean_{Pedestal}}{\sigma_{Pedestal}}$$

results – S/N

signal to noise, Cluster 4				
Pad	feedback	signal (M2) [au]	sigma (M2) [au]	S/N
0	active	382.7	30.7	12.5
1	active	372.1	27.9	13.3
2	active	372.7	27.0	13.8
3	active	386.6	25.5	15.2
4	passive	182.9	16.0	11.4
5	passive	174.3	16.6	10.5
6	passive	175.2	18.2	9.6
7	passive	177.5	17.8	10.0

- 10 to 11 for passive feedback
- 13 to 15 for active feedback

results – corr. coeff.

correlation coefficients, cluster 4			
combination of channels	feedback	correlation coeff. (mean)	standard deviation
0 and 1	activ	0.54	0.02
0 and 2	activ	0.55	0.02
0 and 3	activ	0.51	0.02
1 and 2	activ	0.54	0.02
1 and 3	activ	0.52	0.02
2 and 3	activ	0.52	0.01
4 and 5	passiv	0.29	0.02
4 and 6	passiv	0.36	0.02
4 and 7	passiv	0.35	0.02
5 and 6	passiv	0.32	0.03
5 and 7	passiv	0.26	0.05
6 and 7	passiv	0.33	0.09

- small for passive feedback (0.26 to 0.36)
- moderate for active feedback (0.51 to 0.55)

pros and cons of that method

pros:

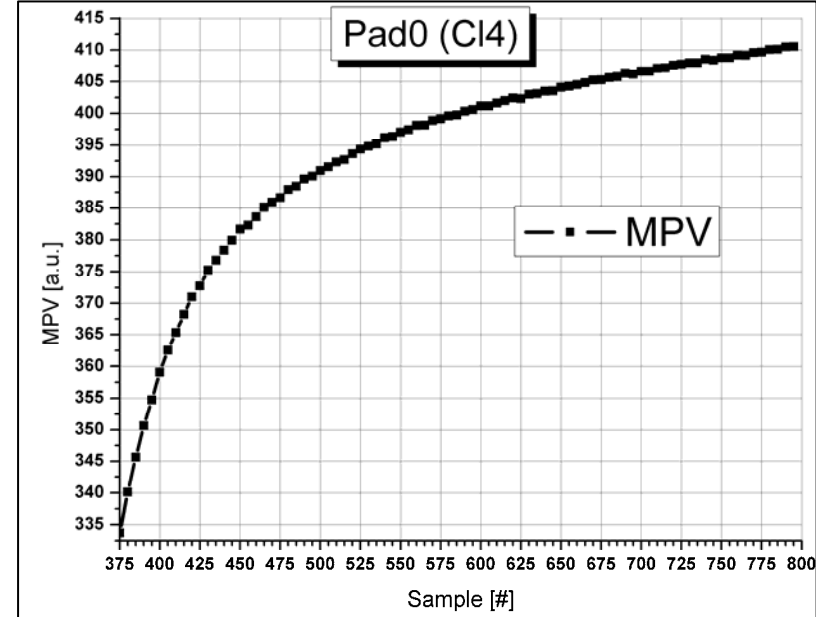
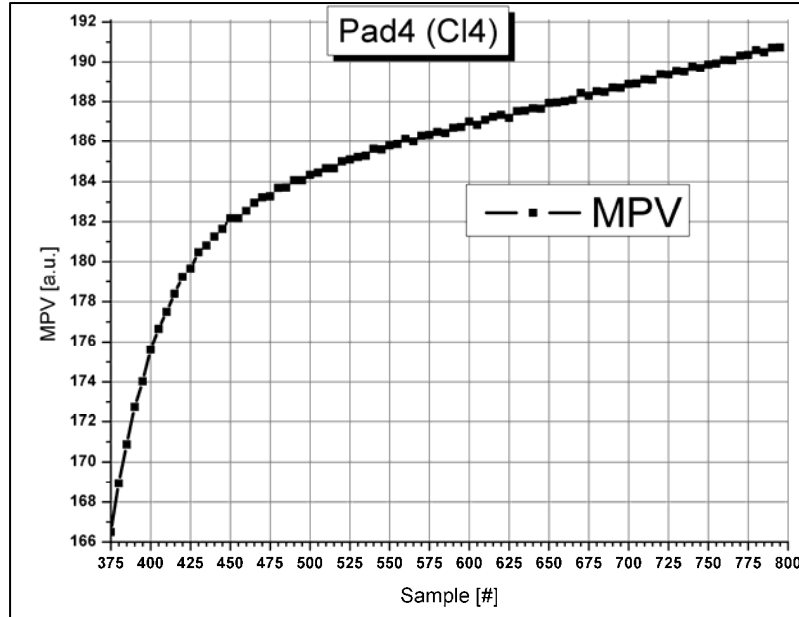
- integrating with respect to baseline (necessary because of temp. dependence of BL)
- pedestals are built independently from integration window for signals (no additional influences apart from noise)

cons:

- number of samples for baseline calculation less than for pedestal
 - noise distribution widened by the error of the baselines
- sizes of integration windows were fixed “by eye”
 - windows too small -> signal sizes too small
 - windows too large -> noise distribution too wide

fixing integration window sizes

- built spectra with different integration window sizes
- fitted with GLG -> plotted MPV(Landau) vs. window size



- no saturation in signal size

fixing integration window sizes

- fitting signals with signal shape function:

$$s(t) = V_{out}(t) = -V_0 \frac{t}{\tau} \exp(-t / \tau)$$

- getting sizes of integration windows from fitting parameters

- Maximum:

$$t = \tau$$

- Amplitude:

$$A = s(t = \tau) = -V_0 \exp(-1)$$

- Area under the curve:

$$F(a) = V_0 (\exp(-a / \tau)(a + \tau) - \tau)$$

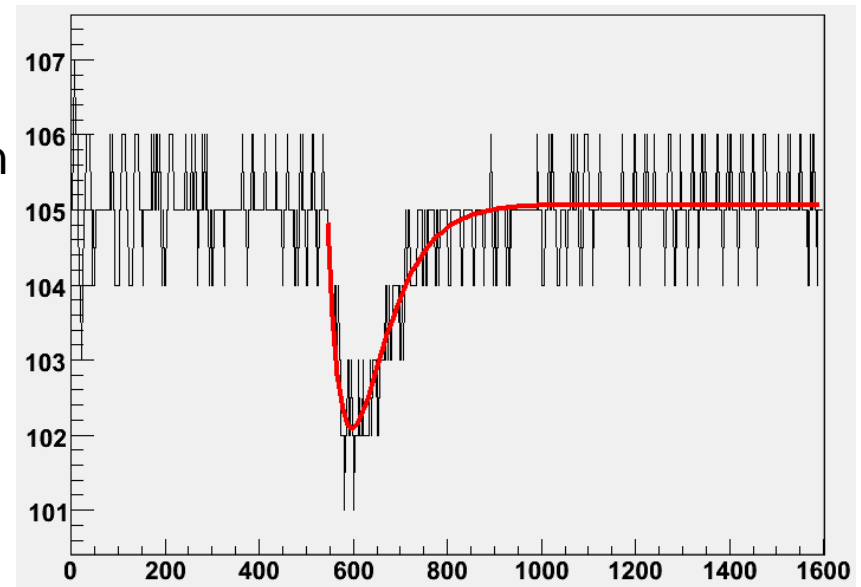
$$F_{Ges} = F(a \rightarrow \infty) = V_0 \left(\lim_{a \rightarrow \infty} [\exp(-a / \tau)(a + \tau)] - \tau \right) = -V_0 \tau$$

fixing integration window sizes

- parameterized function for ROOT:

$$p[0] - p[1] * (x - p[2]) / p[3] * TMath::Exp(-(x - p[2]) / p[3])$$

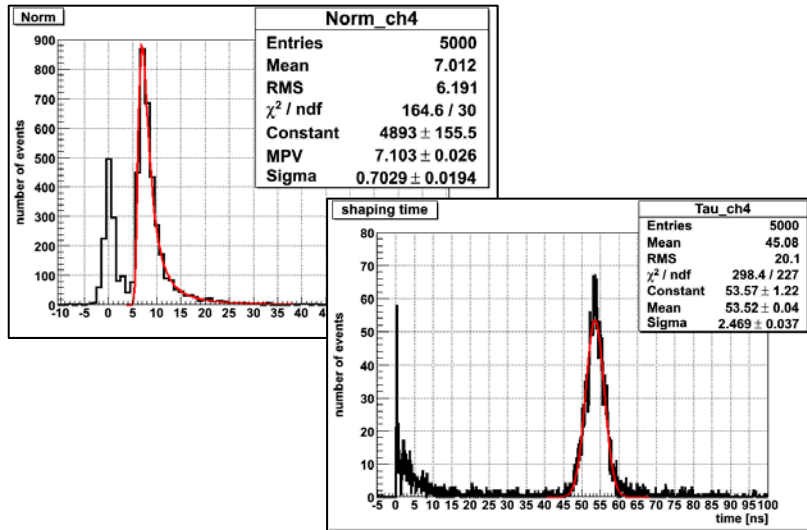
- $p[0]$: y-offset → baseline
- $p[1]$: norm → $-V_0$ * amplification
- $x - p[2]$: relative time → $p[2]$ = time when signal (fit) starts
- $p[3]$: time constant (τ), shaping time



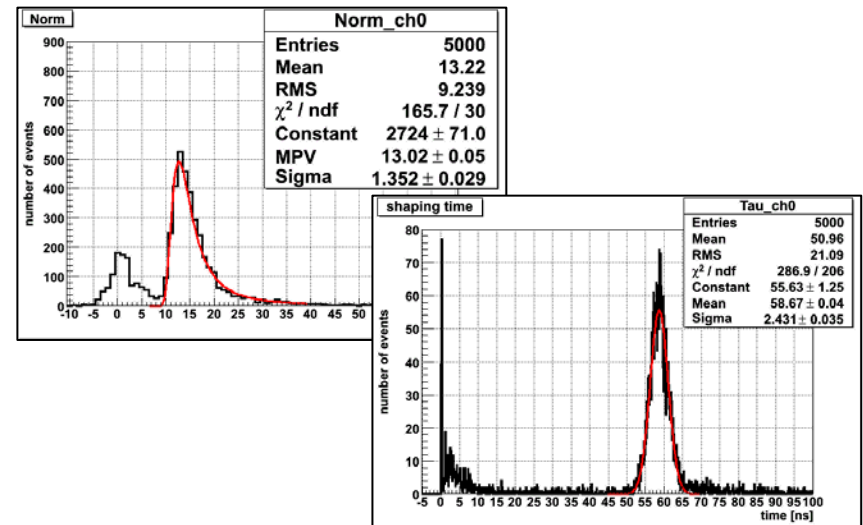
consistency checks

- ran signal fitting over 5000 events in channel 3 (active feedback) and channel 4 (passive feedback) of cluster 4
- all four parameters were free (no restrictions)
 - only signal starting time ($p[2]$) was restricted to X-axis range of an ADC-spectrum
- checked if resulting values for fitting parameters are consistent with previous obtained results

consistency checks -“Norm”-Spectra

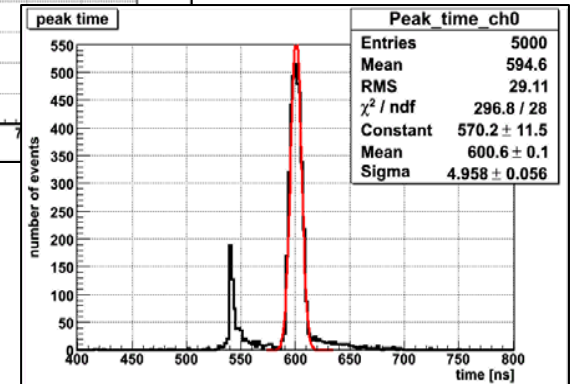
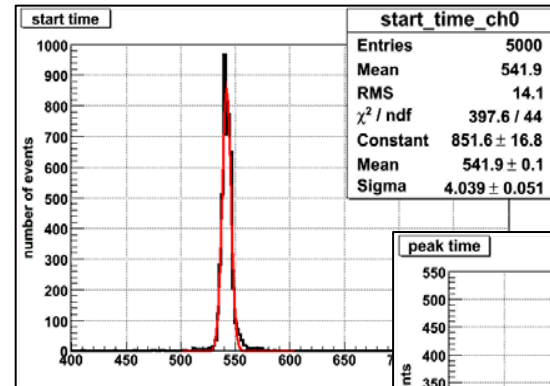
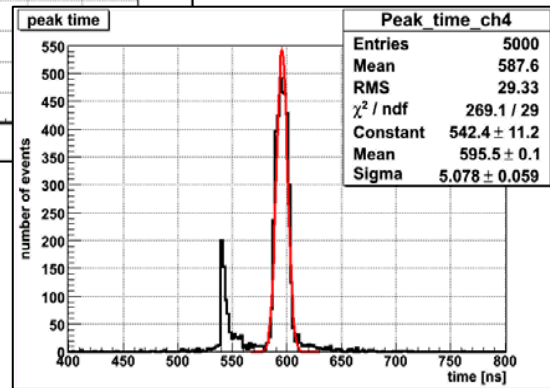
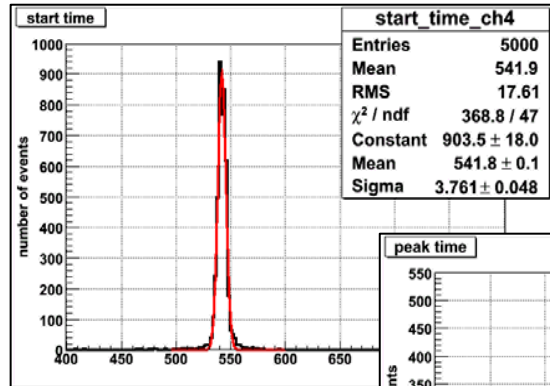


- MPV: 7.1 a.u.
- Tau: 53.5 ns
- MPV_Signal_Size (Area)
- $= \text{MPV_Norm} \cdot \text{Tau}$
- $= 379.9 \text{ ADC-counts} \cdot \text{ns}$
- $= \mathbf{190.0 \text{ ADC-counts} \cdot \text{sample}}$
- for “old” method $\mathbf{182.9 \text{ ADC-counts} \cdot \text{smample}}$



- MPV: 13.0 a.u.
- Tau: 58.7 ns
- MPV_Signal_Size (Area)
- $= \text{MPV_Norm} \cdot \text{Tau}$
- $= 764.3 \text{ ADC-counts} \cdot \text{ns}$
- $= \mathbf{382.2 \text{ ADC-counts} \cdot \text{sample}}$
- for “old” method $\mathbf{382.7 \text{ ADC-counts} \cdot \text{smample}}$

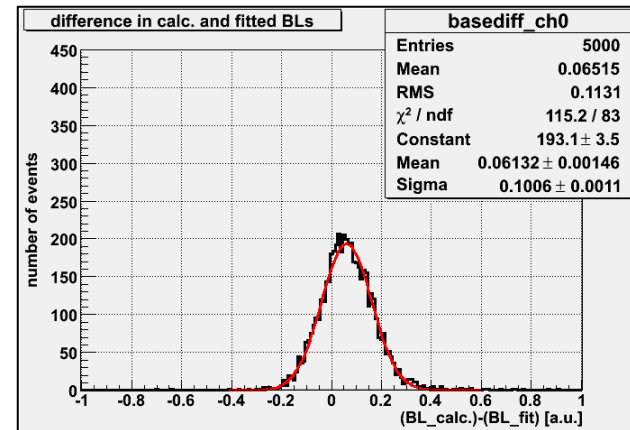
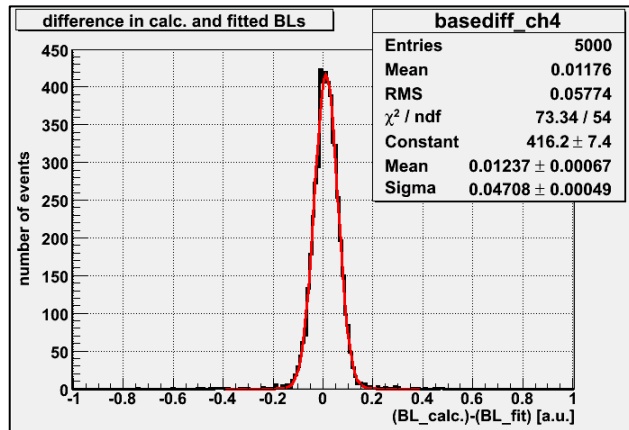
consistency checks - timing



- “peak_time” = “start_time” + tau
- mean(peak_time) = 596 ns
- mean(peak_time) = 601 ns
- both close to 600 ns

consistency checks - baselines

- “BL_calc.”: average of first 200 sample in an event
- “BL_fit”: parameter p[0] from fit
- plots: distribution of (“BL_calc.”-”BL_fit”)

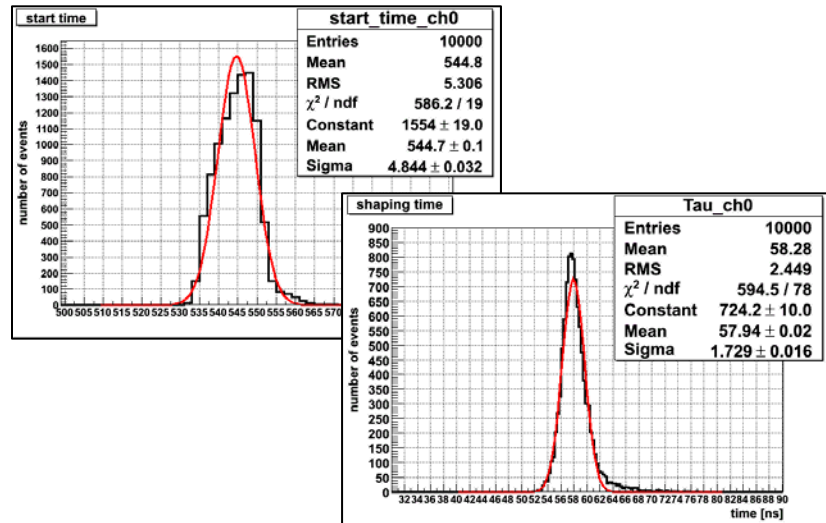
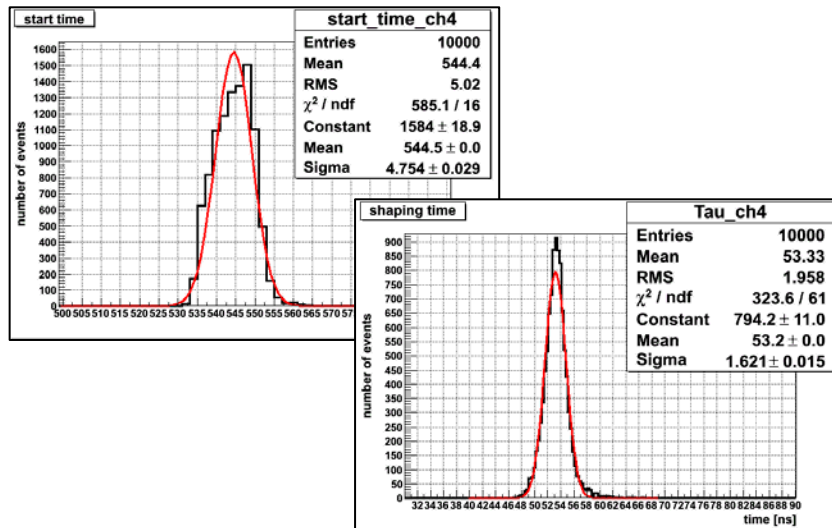


- mean: 0.012 ADC-counts
- mean: 0.061 ADC-counts
- both show positive difference
 - > consistent with the observed fact that signal size does not saturate (but differences too small to explain it fully)

fixing integration window sizes

- fitting with selected events (for more precise parameters):
 - only events with signals (“Norm” ≥ 0.9 MPV)
 - events with no “peaks” in baseline (hopefully low noise events)
 - took only fits with error less than 3% for all four parameters into account
 - 10 000 events

fixing integration window sizes



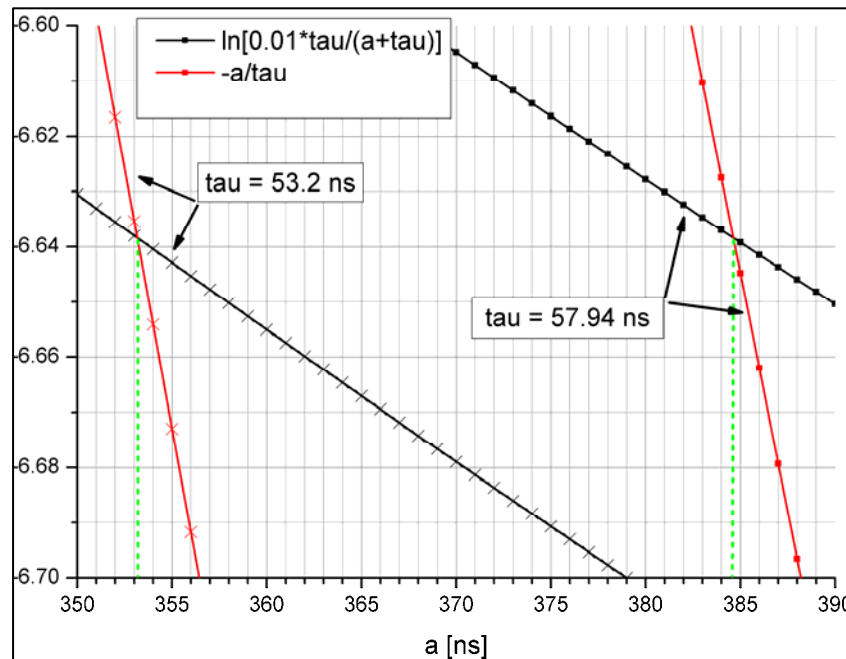
- start_time = 545 ns
 - = sample # 272
 - tau = 53.2 ns
- start_time = 545 ns
 - = sample # 272
 - tau = 57.9 ns
- end of int. window: when area under the curve reaches 99% of it's (theoretical) maximum
 - have to solve:

$$\ln\left(\frac{0.01\tau}{(a + \tau)}\right) = -\frac{a}{\tau}$$

“a” = relative time when area reaches 99%

fixing integration window sizes

- graphical solution:

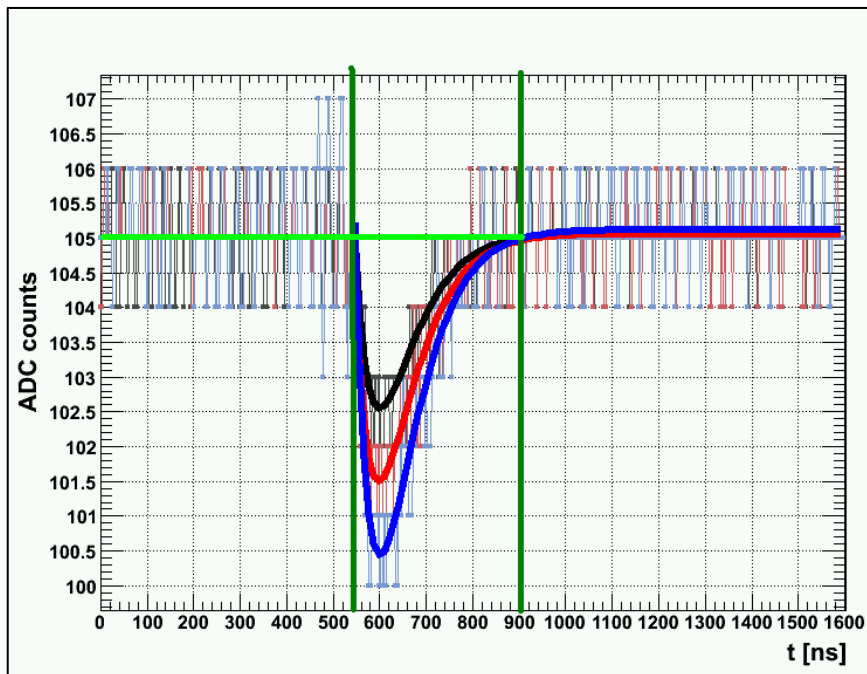


- $a = 353$ ns = 177 samples (“passive”)
- $a = 385$ ns = 193 samples (“active”)
- int. window sizes:
 - “passive” ch.: (272 – 449) sample#
 - “active” ch.: (272 – 465) sample#

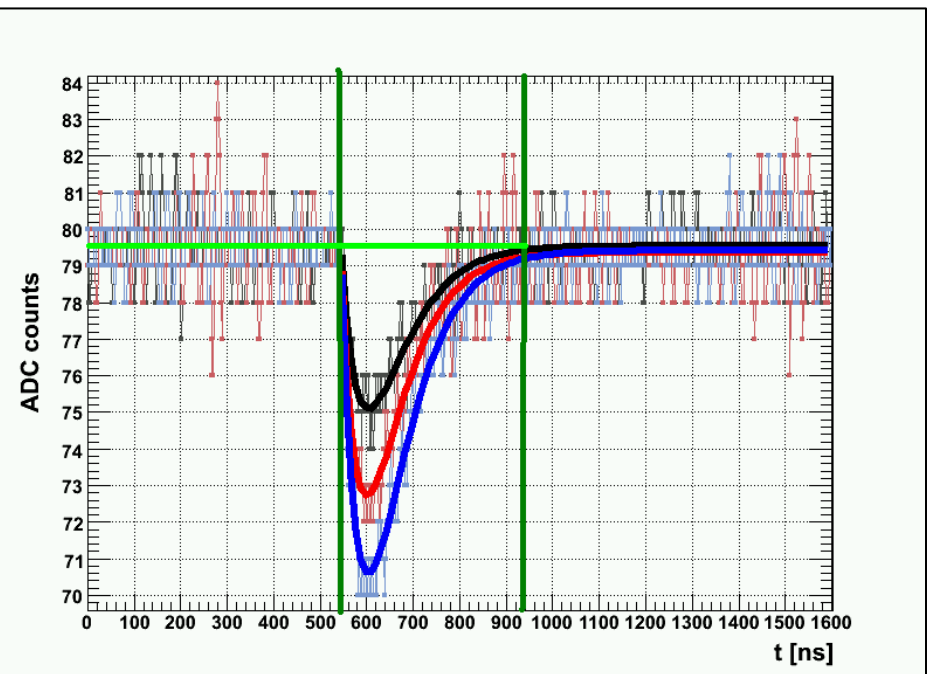
- took:
 - “passive” ch.: (271 – 451) sample#
 - “active” ch.: (271 – 467) sample#

fixing integration window sizes

“passive” channel:

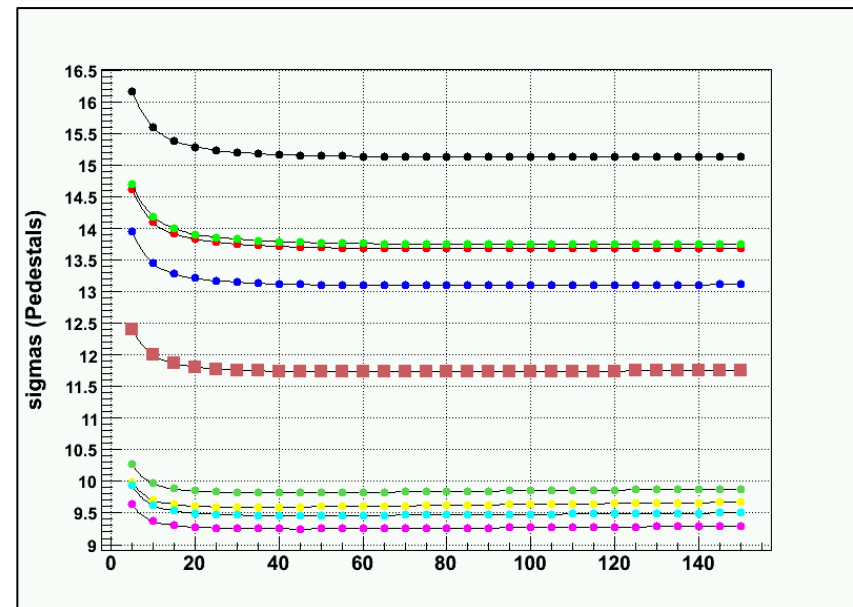
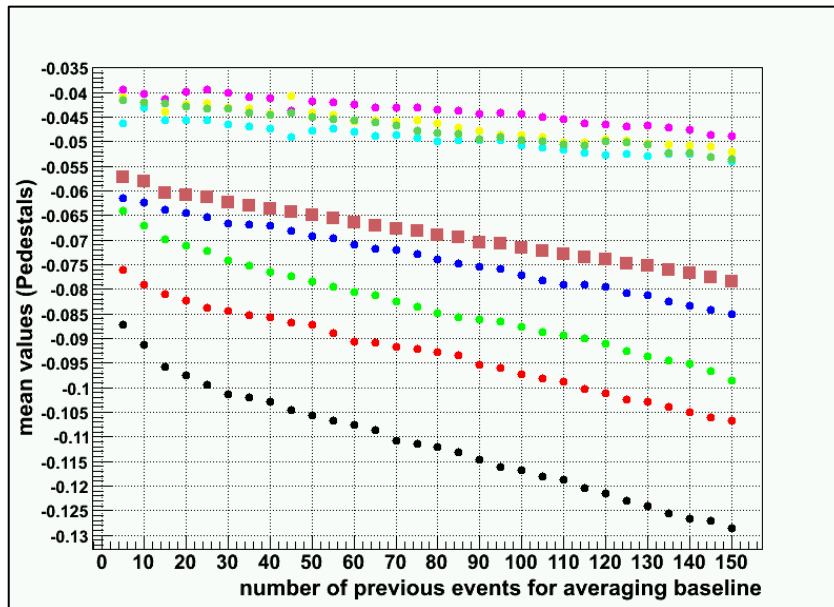


“active” channel:



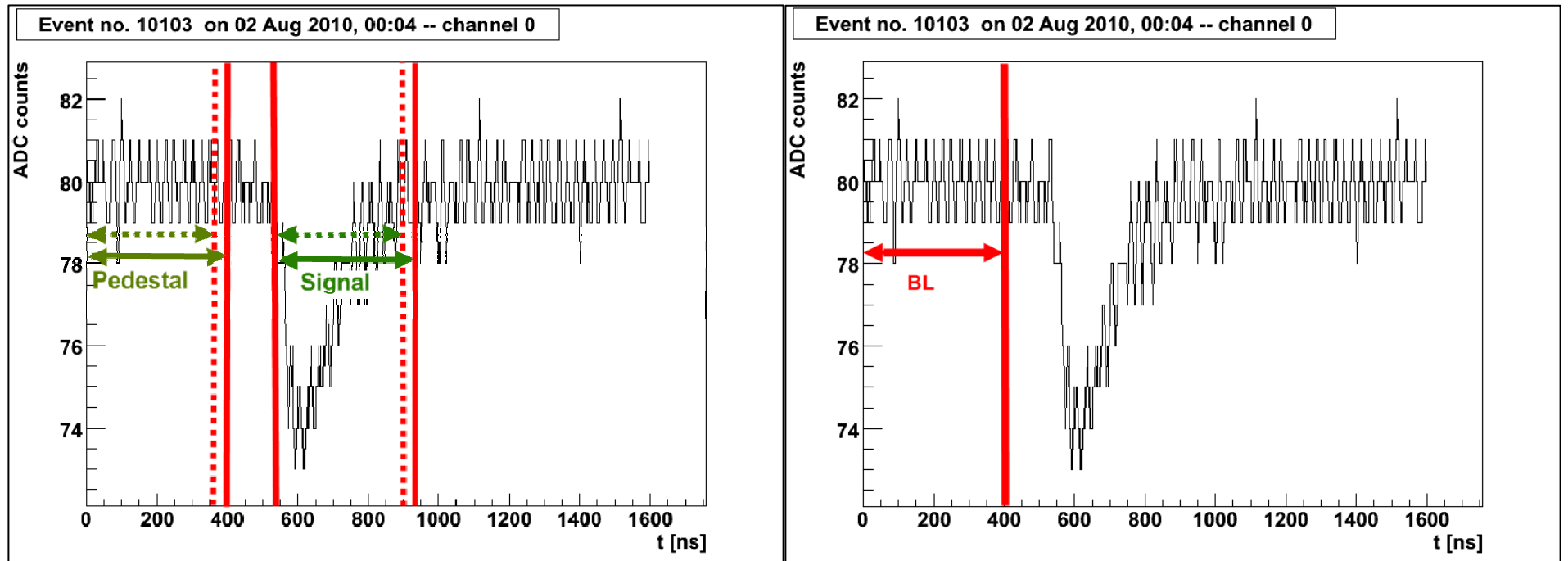
averaging baseline

- baseline as average of baselines from previous events
- be aware of changing baseline with temperature



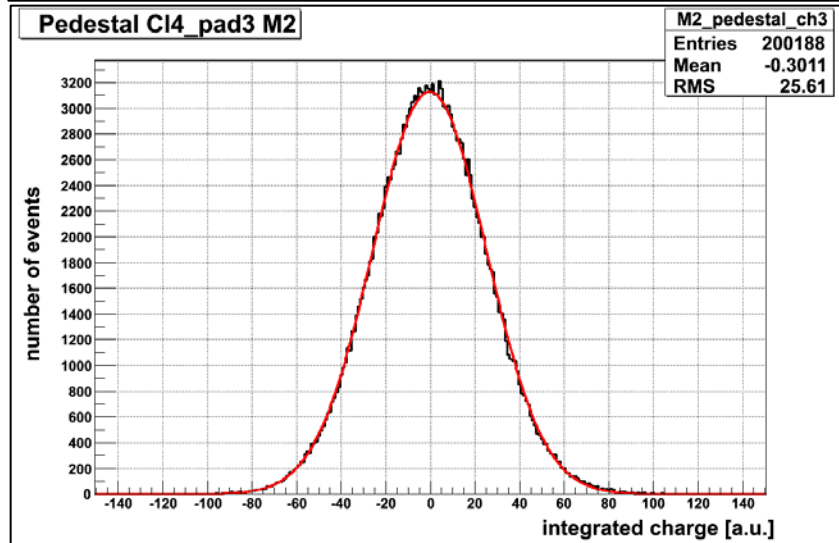
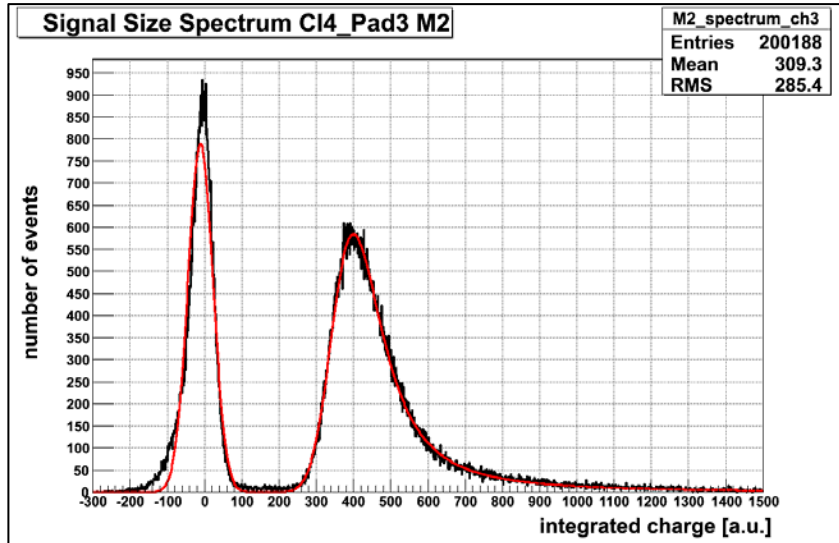
- took 40 previous events for averaging

new windows

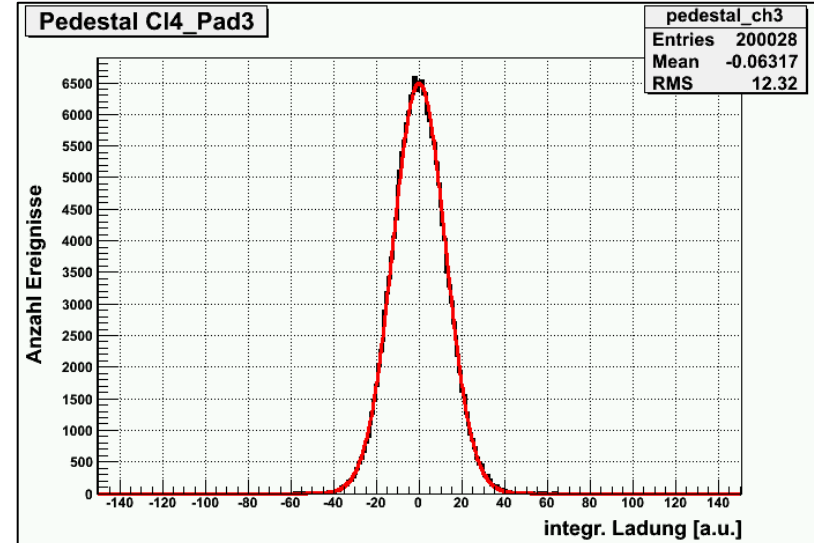
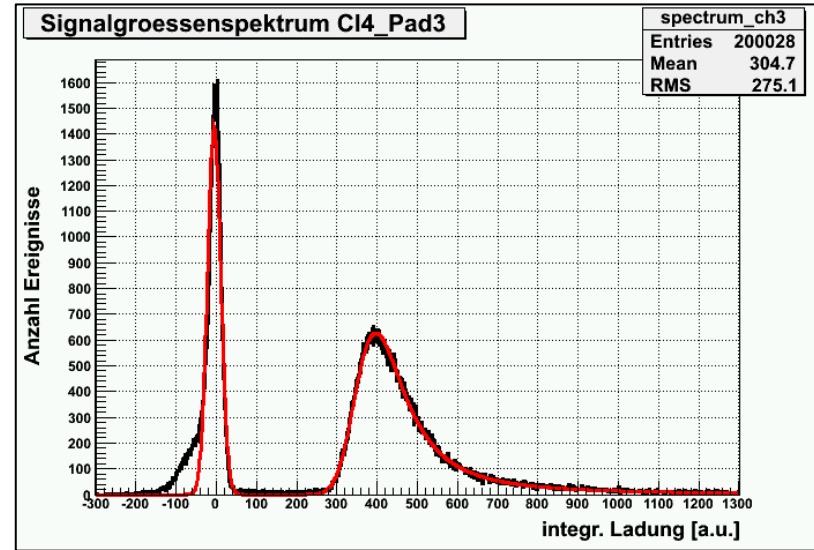


results – spectra

“old”:



“new”:



results – S/N

signal to noise, Cluster 4				
Pad	feedback	signal (M2) [au]	sigma (M2) [au]	S/N
0	active	382.7	30.7	12.5
1	active	372.1	27.9	13.3
2	active	372.7	27.0	13.8
3	active	386.6	25.5	15.2
4	passive	182.9	16.0	11.4
5	passive	174.3	16.6	10.5
6	passive	175.2	18.2	9.6
7	passive	177.5	17.8	10.0

signal to noise, Cluster 4				
Pad	feedback	signal (new) [au]	sigma (new) [au]	S/N
0	active	384.7	15.9	24.2
1	active	373.0	14.2	26.2
2	active	373.7	13.5	27.6
3	active	386.3	12.3	31.4
4	passive	181.7	9.0	20.3
5	passive	172.7	9.3	18.5
6	passive	173.9	10.0	17.5
7	passive	176.0	9.9	17.9

- 10 to 11 for passive feedback
- 13 to 15 for active feedback
- 18 to 20 for passive feedback
- 24 to 31 for active feedback

results – corr. coeff.

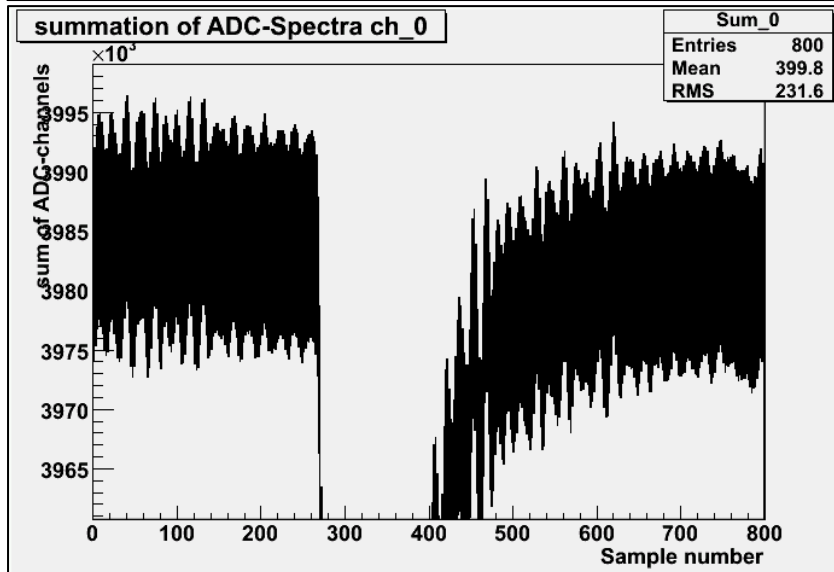
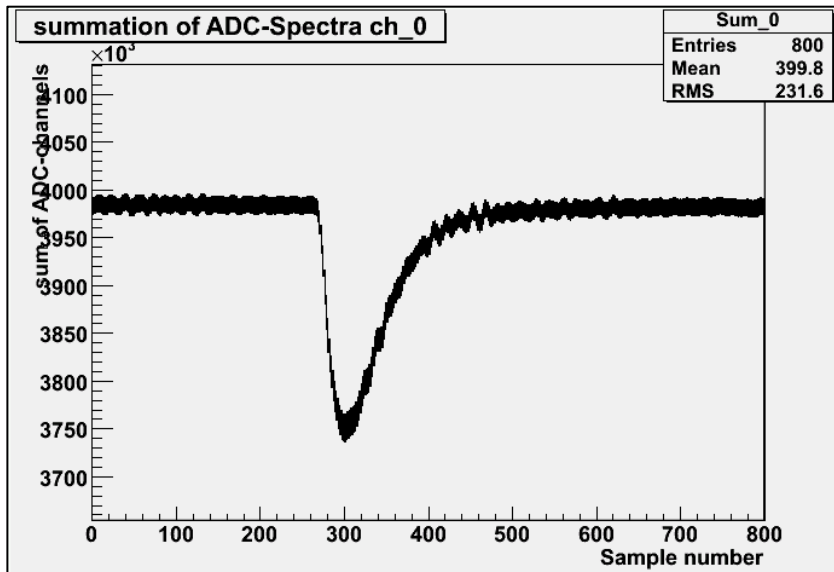
correlation coefficients, cluster 4			
combination of channels	feedback	correlation coeff. (mean)	standard deviation
0 and 1	activ	0.54	0.02
0 and 2	activ	0.55	0.02
0 and 3	activ	0.51	0.02
1 and 2	activ	0.54	0.02
1 and 3	activ	0.52	0.02
2 and 3	activ	0.52	0.01
4 and 5	passiv	0.29	0.02
4 and 6	passiv	0.36	0.02
4 and 7	passiv	0.35	0.02
5 and 6	passiv	0.32	0.03
5 and 7	passiv	0.26	0.05
6 and 7	passiv	0.33	0.09

- small for passive feedback (0.26 to 0.36)
- moderate for active feedback (0.51 to 0.55)

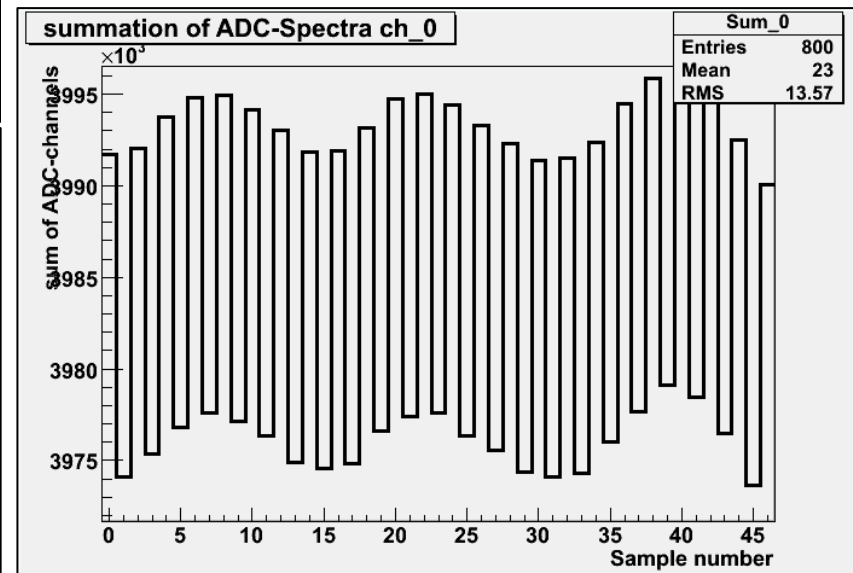
correlation coefficients, cluster 4 (new)			
combination of channels	feedback	correlation coeff. (mean)	standard deviation
0 and 1	activ	0.30	0.02
0 and 2	activ	0.30	0.02
0 and 3	activ	0.27	0.02
1 and 2	activ	0.29	0.02
1 and 3	activ	0.28	0.02
2 and 3	activ	0.28	0.02
4 and 5	passiv	0.13	0.02
4 and 6	passiv	0.17	0.02
4 and 7	passiv	0.16	0.01
5 and 6	passiv	0.15	0.02
5 and 7	passiv	0.11	0.04
6 and 7	passiv	0.17	0.07

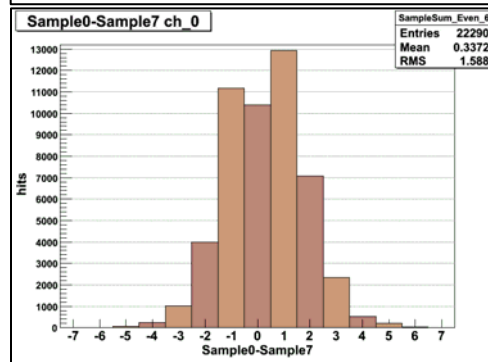
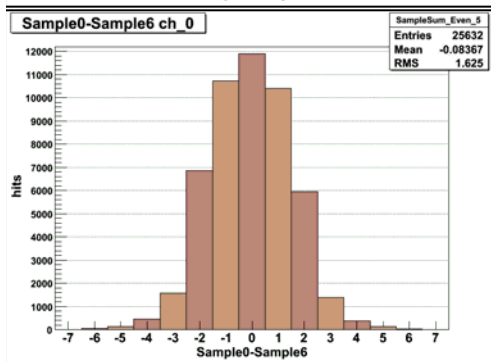
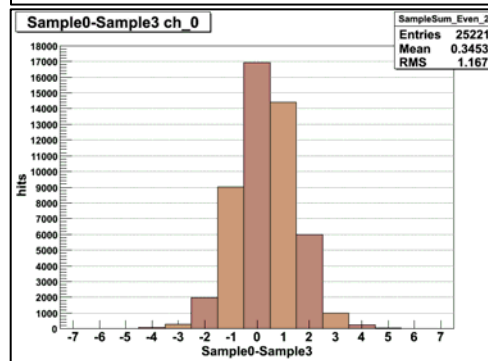
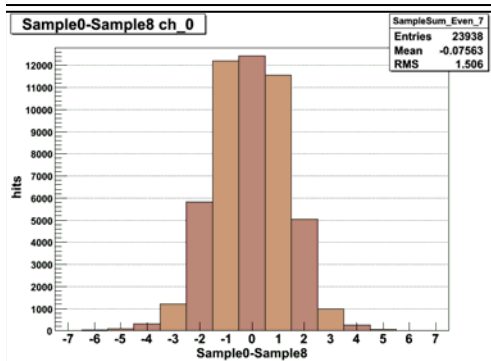
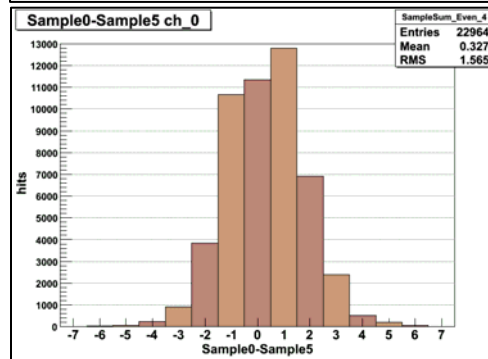
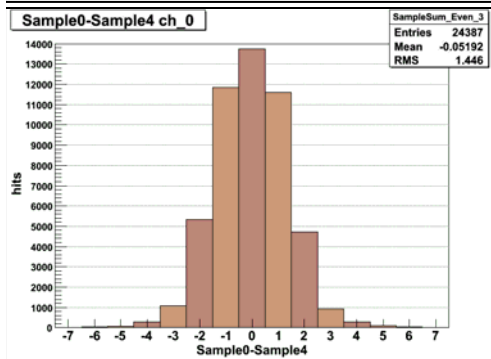
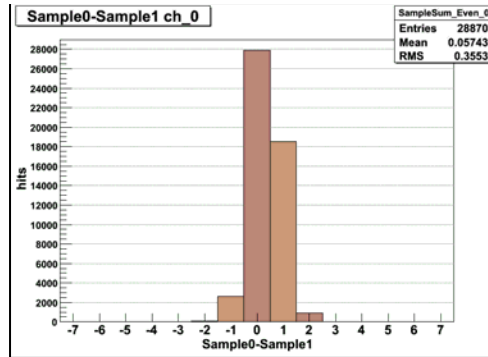
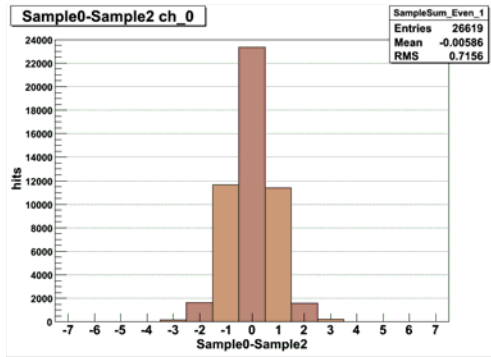
- very small for passive feedback (0.11 to 0.17)
- small for active feedback (0.27 to 0.30)

systematics in ADC?



- samplewise summation of 50k ADC-spectra
- systematic in samples?





- sample0-sampleX
- X even -> gaussian
- X odd -> not gaus.

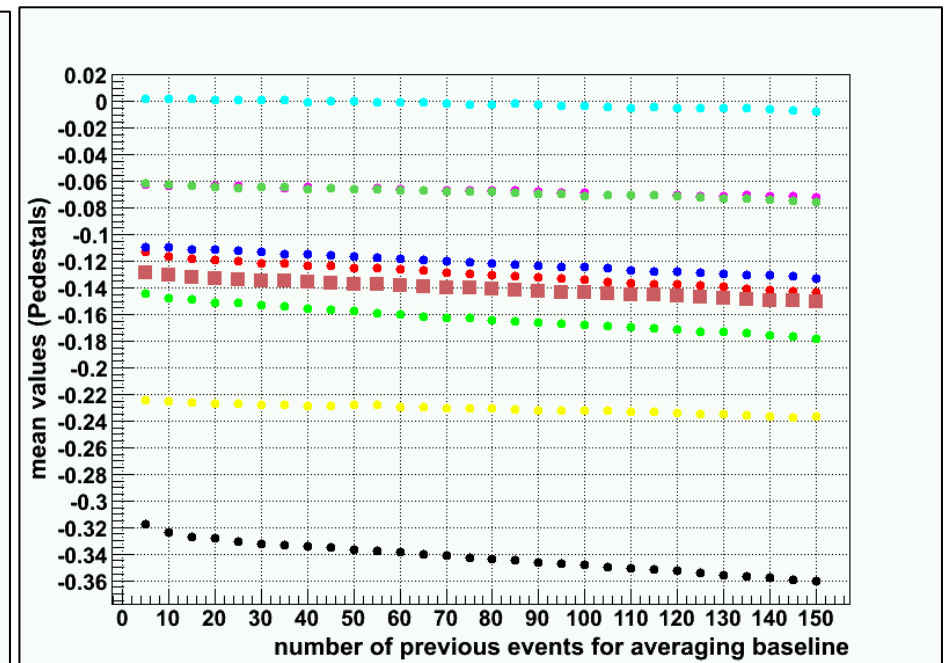
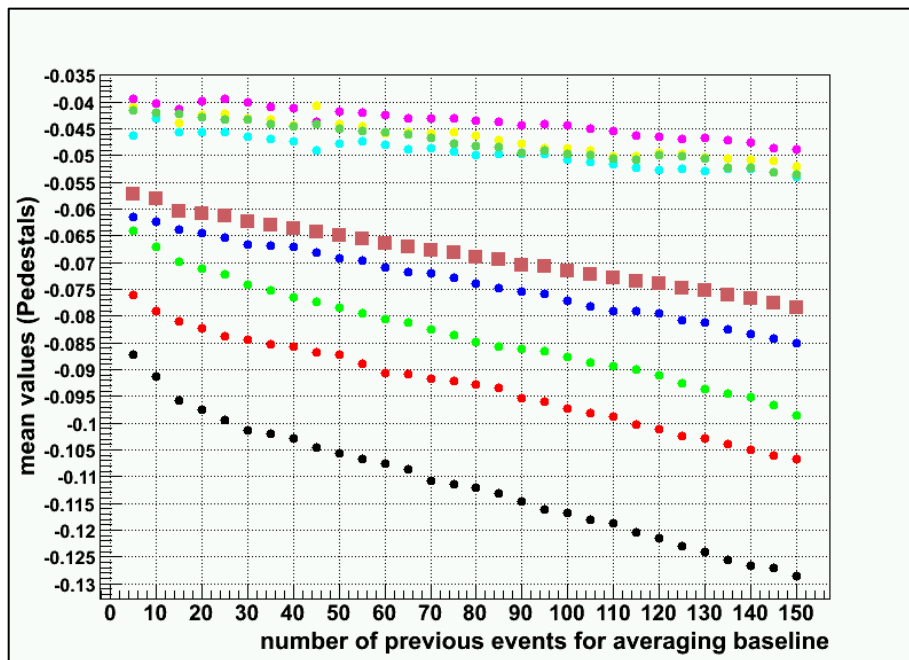
pedestals from samples:

“active”: {0...196}

“passive”: {0...180}

“active”: {0...197}

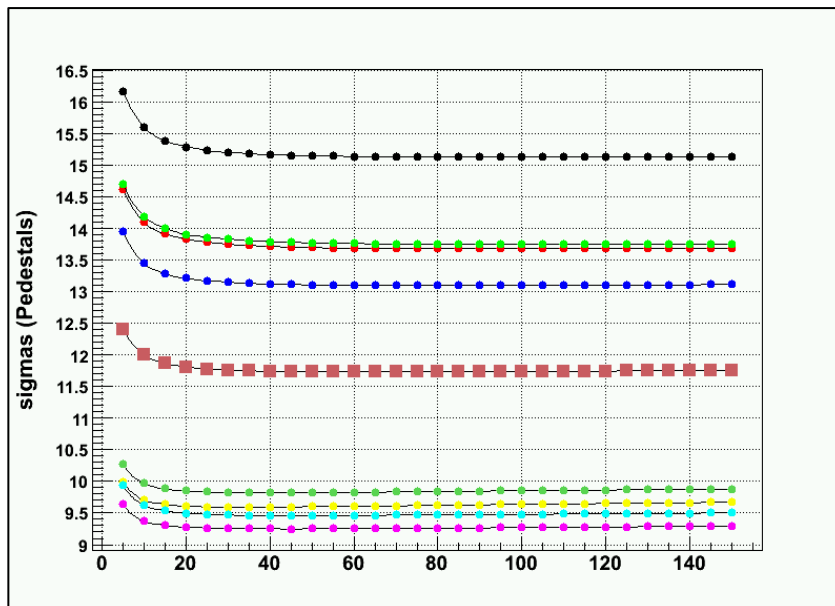
“passive”: {0...181}



pedestals from samples:

“active”: {0...196}

“passive”: {0...180}



“active”: {0...197}

“passive”: {0...181}

