

# Beyond the Standard Model from a Neutrino Perspective

Manfred Lindner



MAX-PLANCK-INSTITUT  
FÜR KERNPHYSIK  
HEIDELBERG

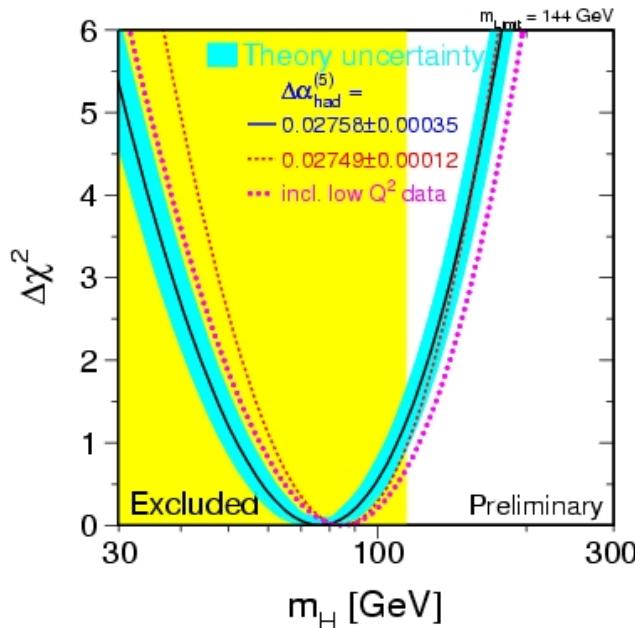


DESY THEORY WORKSHOP  
25 - 28 September 2012

**Lessons from the first phase  
of the LHC**

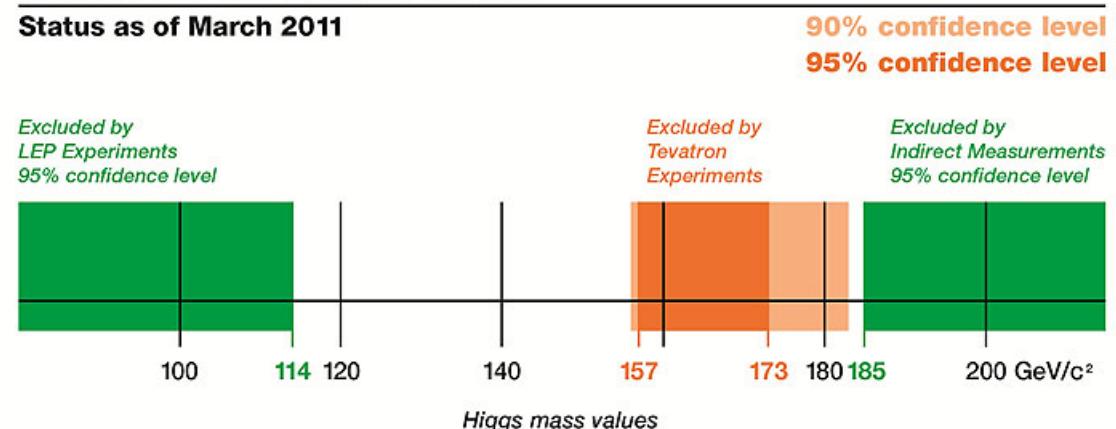


# The SM works perfectly



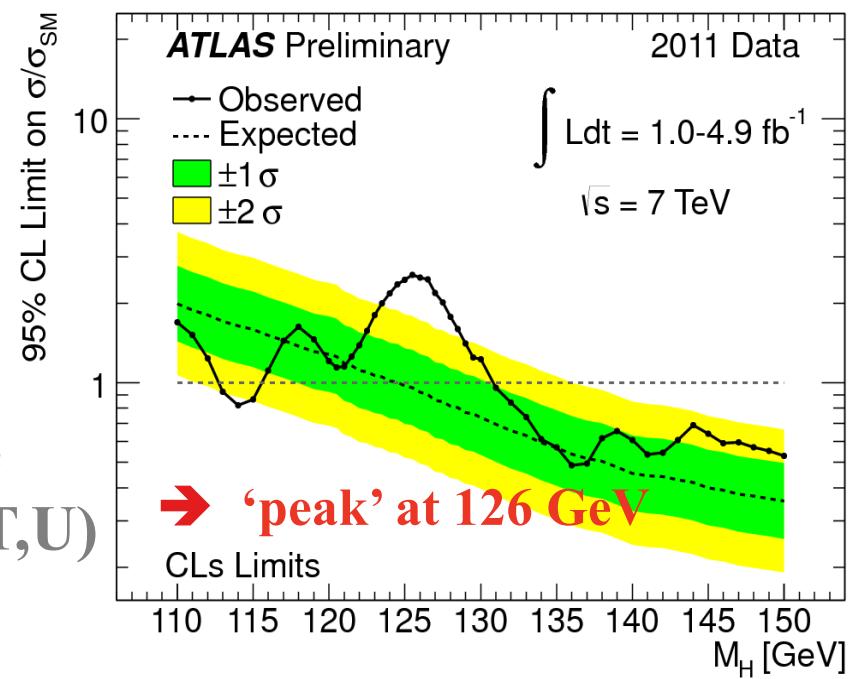
## Search for the Higgs Particle

Status as of March 2011

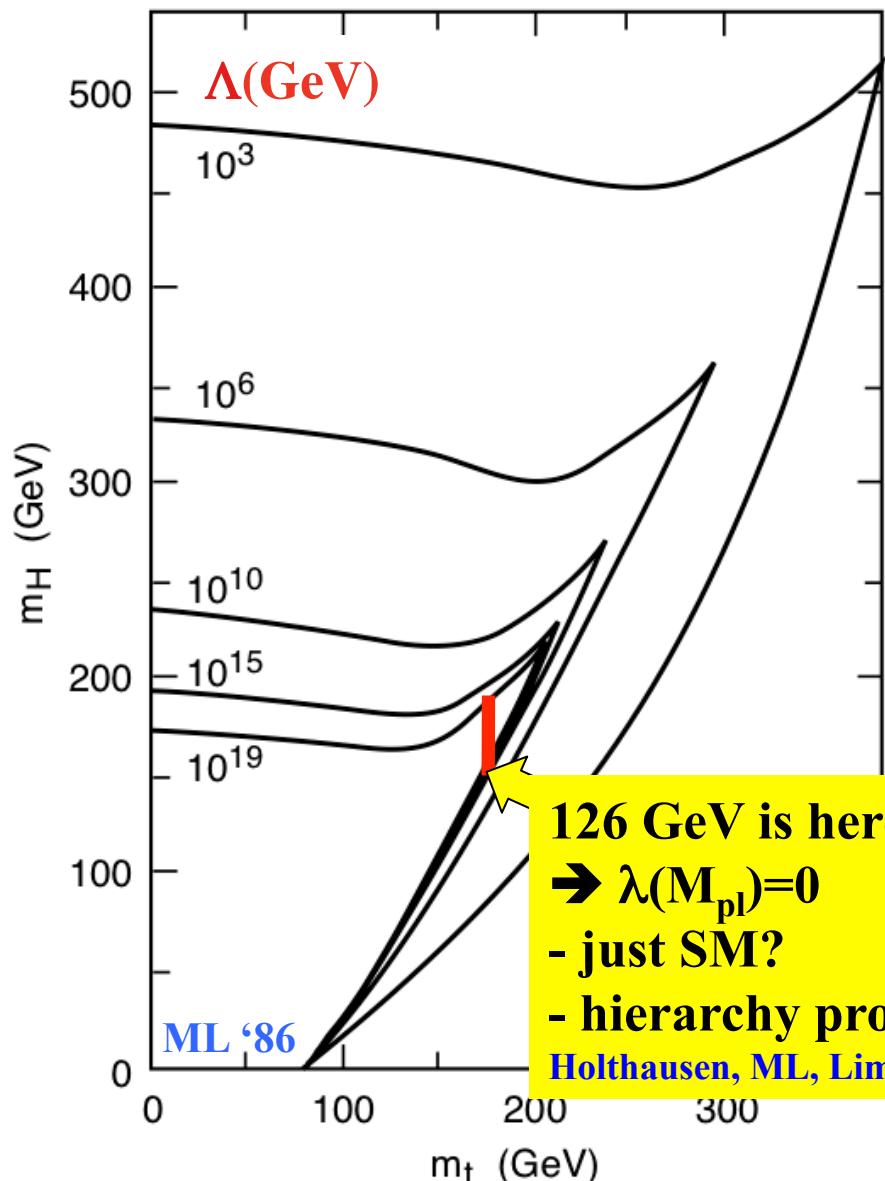


mass range was shrinking...

- if SM Higgs → light
- no (clear) sign for anything else
- no signs in quantum effects (S,T,U)
- just the SM?

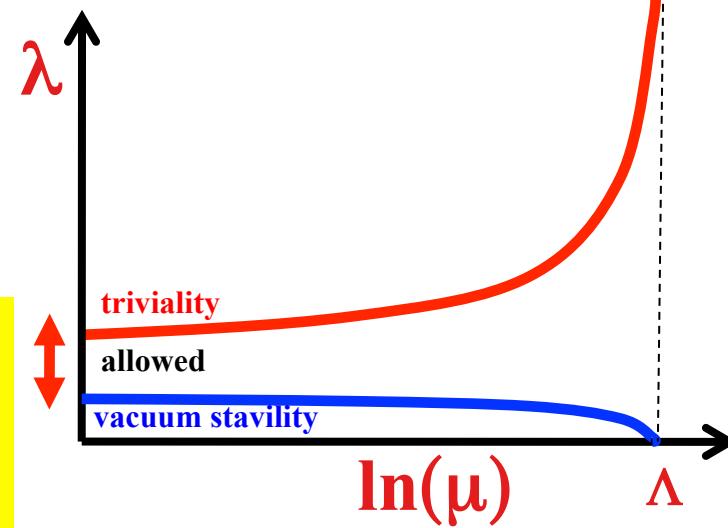


# Triviality and Vacuum Stability



126 GeV <  $m_H$  < 174 GeV

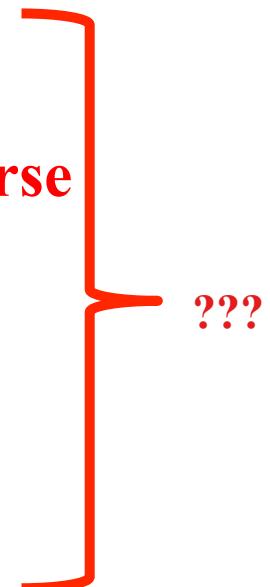
SM does not exist w/o embedding  
- U(1) coupling , Higgs self-coupling



→ RGE arguments seem to work  
→ we need some embedding

# The SM works perfect but must be extended....

- Many theoretical reasons for BSM physics...
  - Hierarchy problem: separation of two scalar scales is unstable
  - SUSY, DSB, gauge extensions, new ideas, Planck scale physics?
  - ???
- Experimental facts:
  - SM must be amended by neutrino masses → SM+
  - SM cannot explain Baryon Asymmetry of the Universe  
neutrinos → leptogenesis = one of the best BAU explanations
  - Dark Matter
    - an extra particle is needed which is DM
    - particles connected to the hierarchy problem, strong CP, ...



→ massive neutrinos require new physics → BSM → connections?

# The Standard 3 Neutrino Framework

Mass & mixing parameters:  $m_1$ ,  $\Delta m^2_{21}$ ,  $|\Delta m^2_{31}|$ ,  $\text{sign}(\Delta m^2_{31})$

$$U = \begin{pmatrix} c_{12}c_{13} & s_{12}c_{13} & s_{13}e^{-i\delta} \\ -s_{12}c_{23} - c_{12}s_{23}s_{13}e^{i\delta} & c_{12}c_{23} - s_{12}s_{23}s_{13}e^{i\delta} & s_{23}c_{13} \\ s_{12}s_{23} - c_{12}c_{23}s_{13}e^{i\delta} & -c_{12}s_{23} - s_{12}c_{23}s_{13}e^{i\delta} & c_{23}c_{13} \end{pmatrix} \text{diag}(e^{i\alpha}, e^{i\beta}, 1)$$

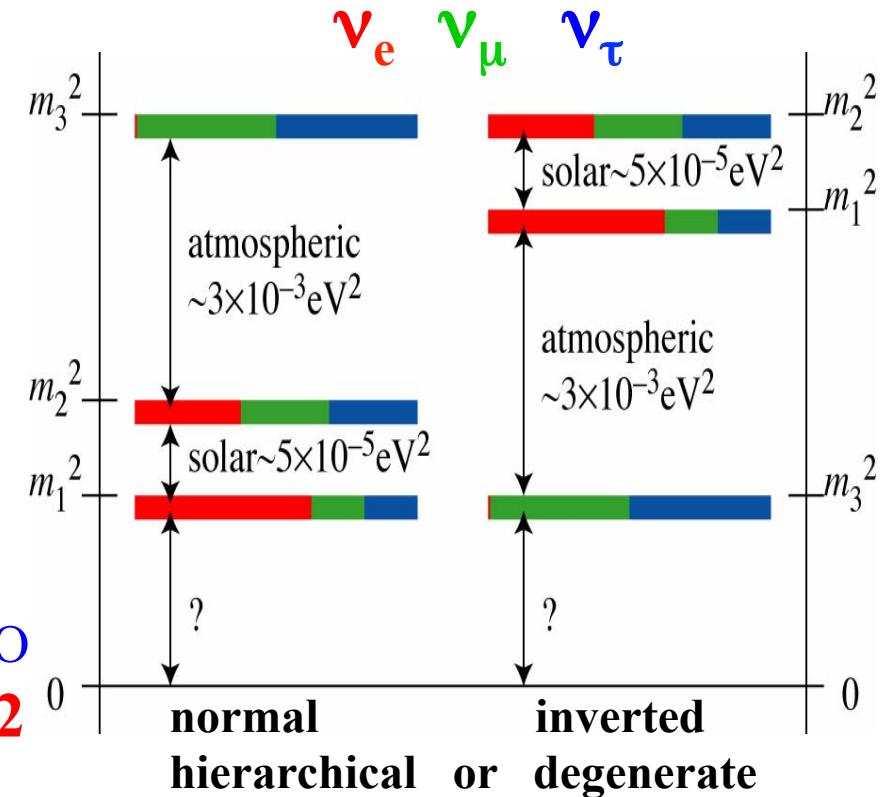
## Questions:

- Dirac / Majorana,
- mass scale & ordering:  $m_1$ ,  $\text{sgn}(\Delta m^2_{31})$
- $\theta_{23}$  maximal?
- leptonic CP violation
- 3 flavour unitarity?
- why 3 generations ?  $\leftrightarrow$  steriles?
- Recent improvements:

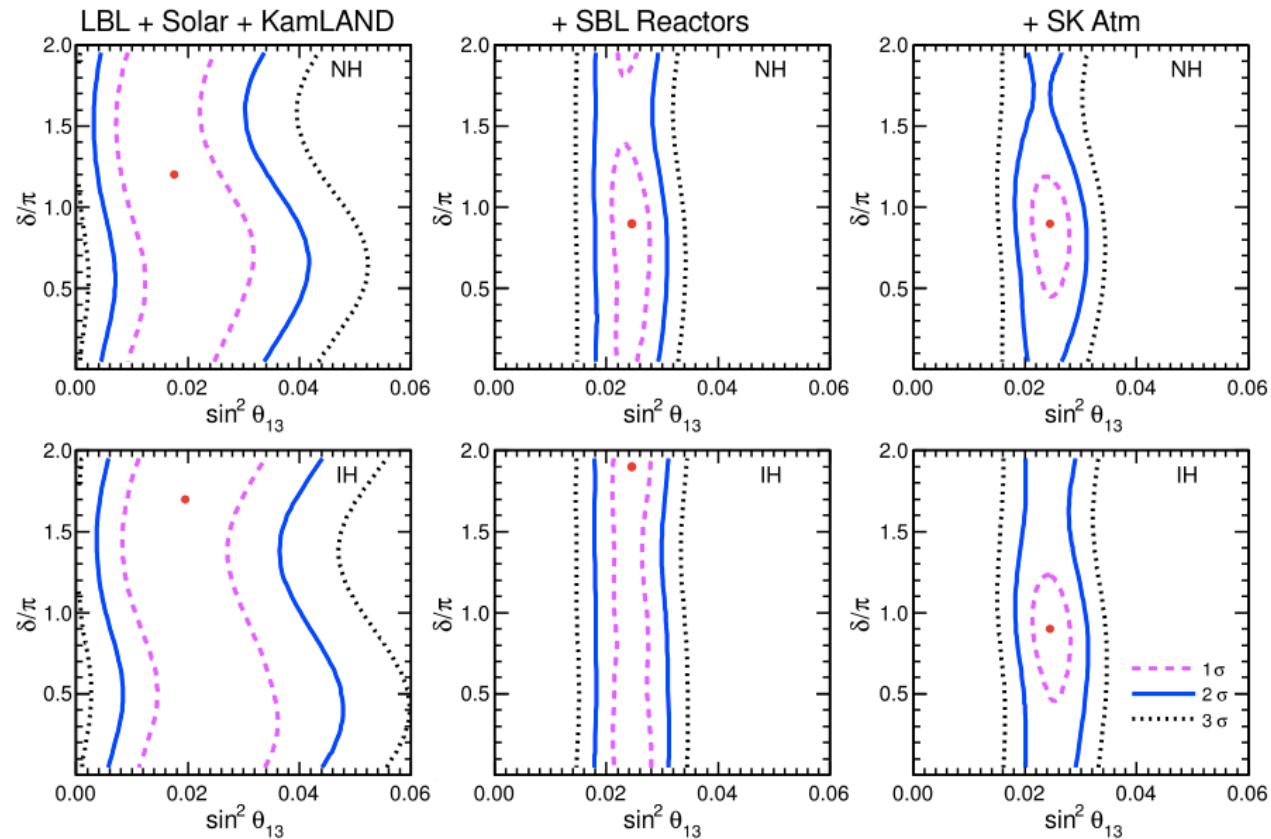
$\theta_{13}$  is determined: →  $\theta_{13} \simeq 9 \pm 1^\circ$

T2K, MINOS, Double Chooz, Daya Bay, RENO

$\theta_{23}$ : Indications for deviation from  $\pi/2$



normal  
hierarchy



inverted  
hierarchy

**~ $1\sigma$  preference for  $\delta \sim \pi$**  Fogli et al. , others → first glimpse?  
 → enhances the interference oscillation term and gives extra  
 electron appearance for atmospheric events  $O(\text{GeV})$ ,  
 “explaining” part of the persisting SK electron excess.

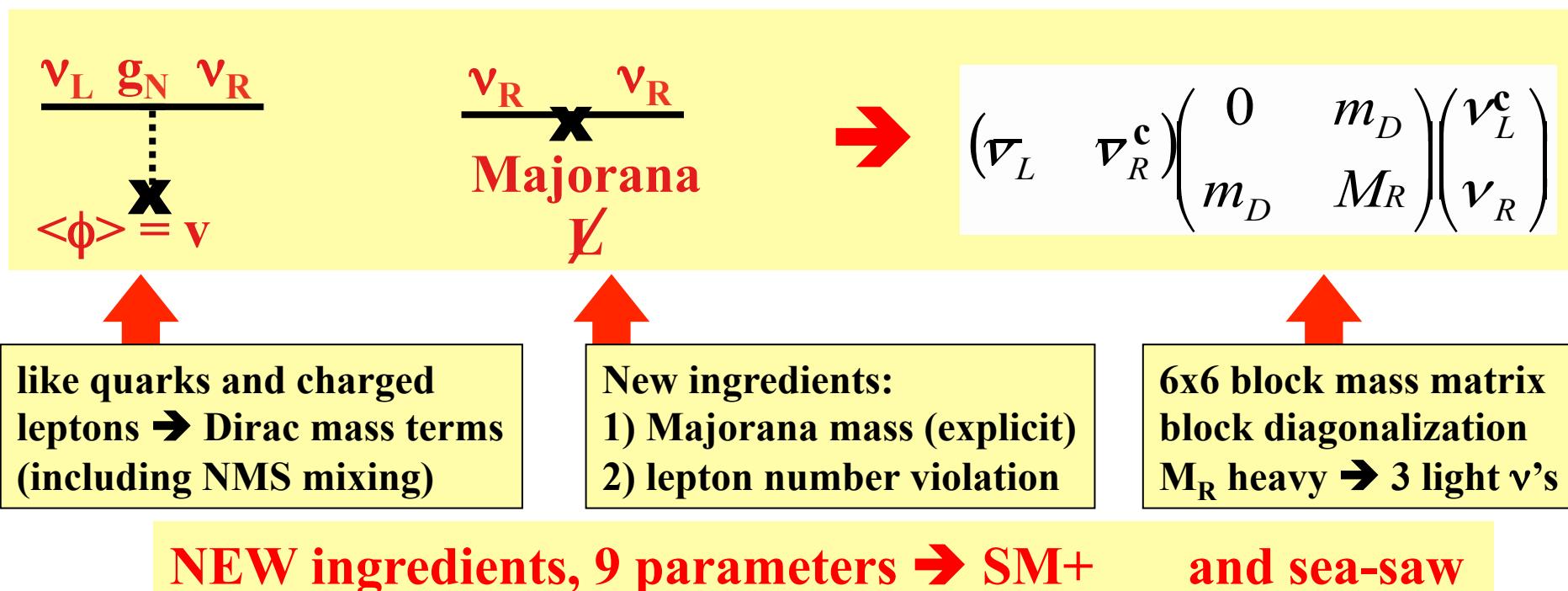
# New Physics: Neutrino Mass Terms

$\text{SM} \sim m \bar{L} \phi R = (2,1)$   
 → new fields



1) Simplest possibility:  
add 3 right handed neutrino fields

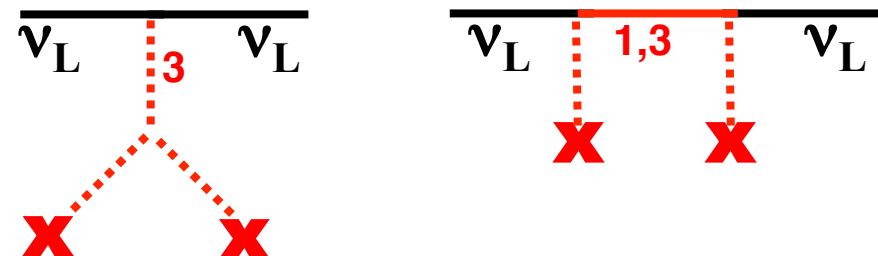
Field	$SU(3)_C$	$SU(2)_L$	$U(1)_Y$
$L_Q = \begin{pmatrix} l_u \\ l_d \end{pmatrix}$	3	2	1/3
$r_u$	3	1	4/3
$r_d$	3	1	-2/3
$L_L = \begin{pmatrix} l_\nu \\ l_e \end{pmatrix}$	1	2	-1
$r_\nu$ ???	1	1	0
$r_e$	1	1	-2



## 2) Maybe 3+N right handed neutrino fields

- (6+N) x (6+N) mass matrix
- how many of the 6+N eigenvalues are light (also for N=0)

3) new: scalar triplets ( $3_L$ )  
or fermionic  $1_L$  ro  $3_L$



→ left-handed Majorana mass term:

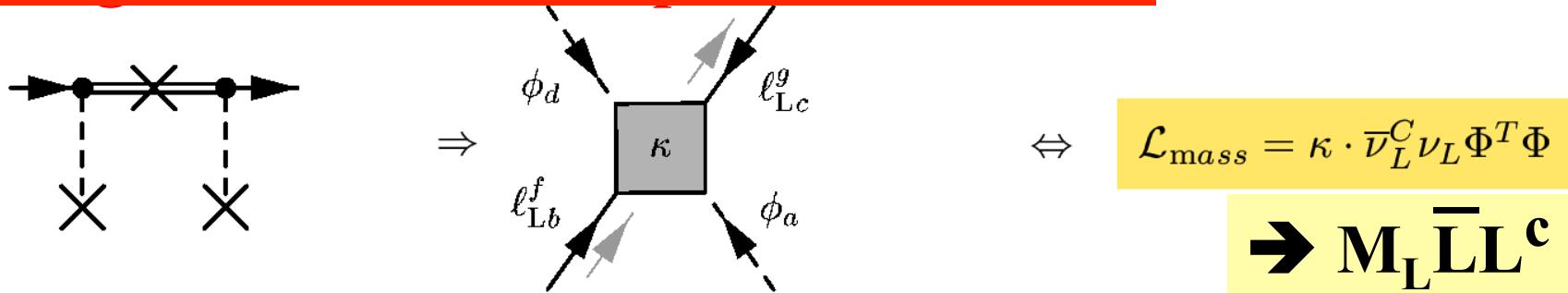
$$\rightarrow M_L \bar{L} L^c$$

4) Both  $v_R$  and new singlets / triplets:

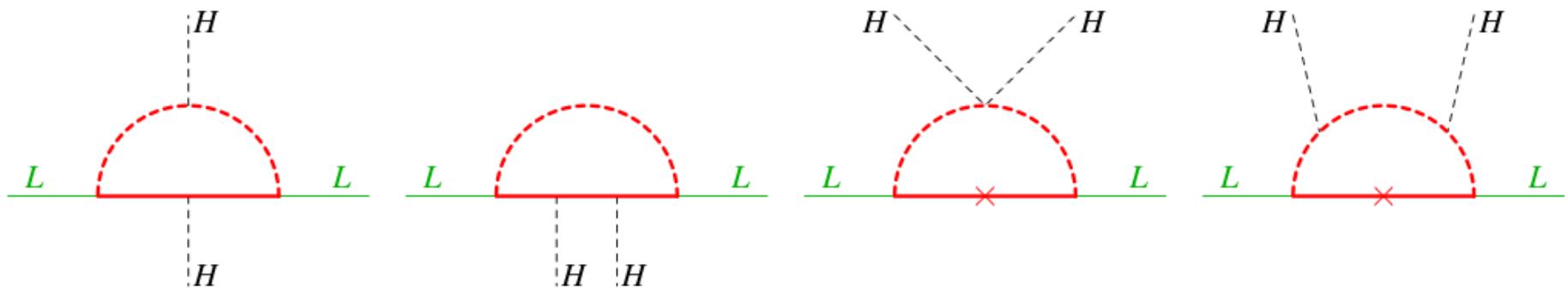
→ see-saw type II, III

$$m_\nu = M_L - m_D M_R^{-1} m_D^T$$

## 5) Higher dimensional operators: d=5, ...



## 6) Radiative neutrino mass generation



- Lagrangians where neutrino masses are forbidden at tree level  
↔ symmetries
- interactions induce neutrino mass terms

## 7) GUT's (and SUSY GUTs)

Gauge unification suggests that some GUT exists

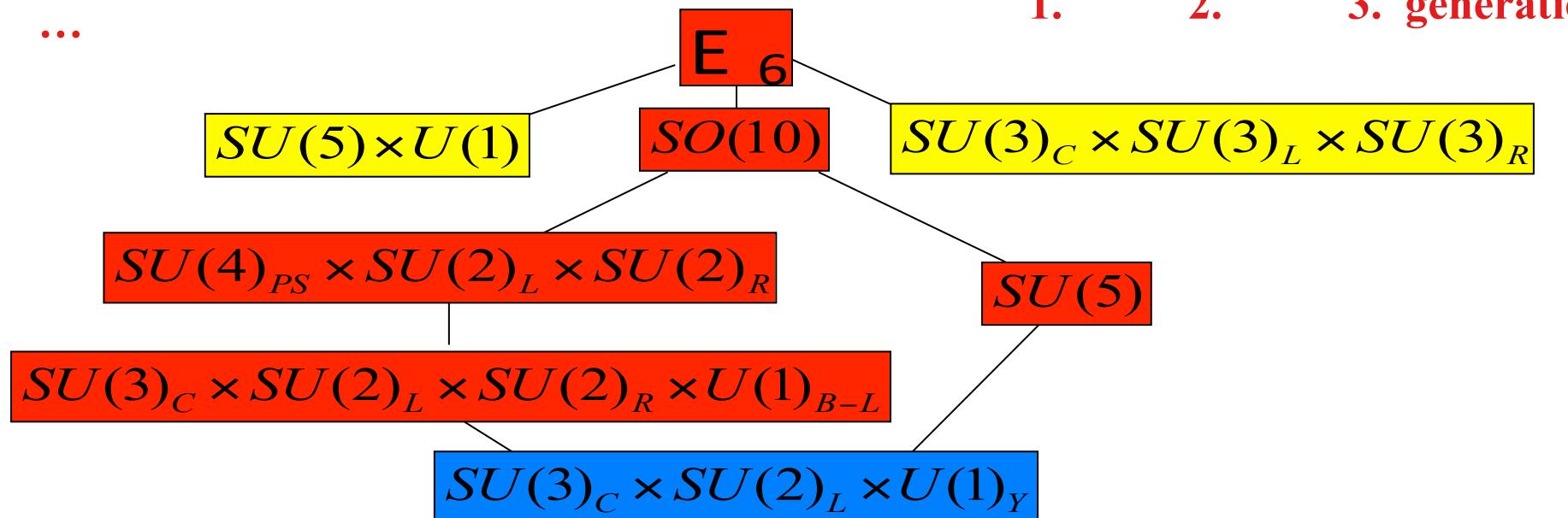
Requirements:

gauge unification

particle multiplets  $\leftrightarrow \nu_R$

proton decay

...



Quarks			
	1.	2.	3. generation
u	2/3 ~5	2/3 ~1350	2/3 175000
d	-1/3 ~9	-1/3 ~175	-1/3 ~4500
$\nu_1$	0?	0?	0?
e	0.511	$\mu$ 105.66	$\tau$ 1777.2

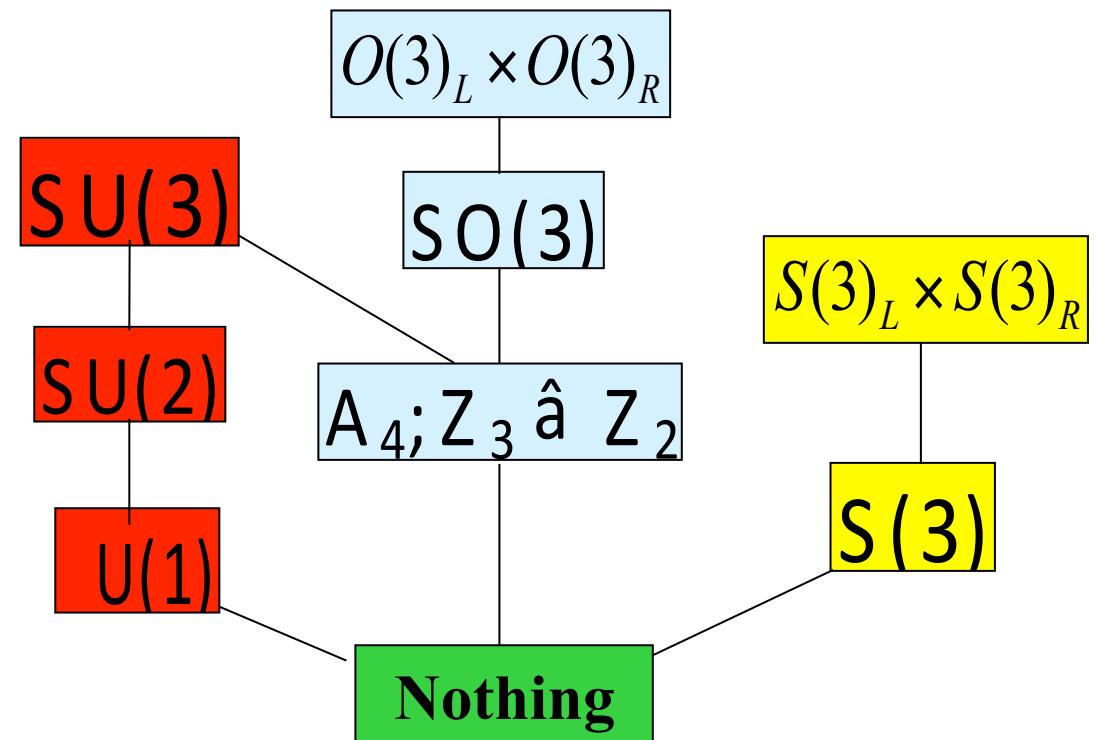
many possibilities...

## 7) Flavour Symmetries

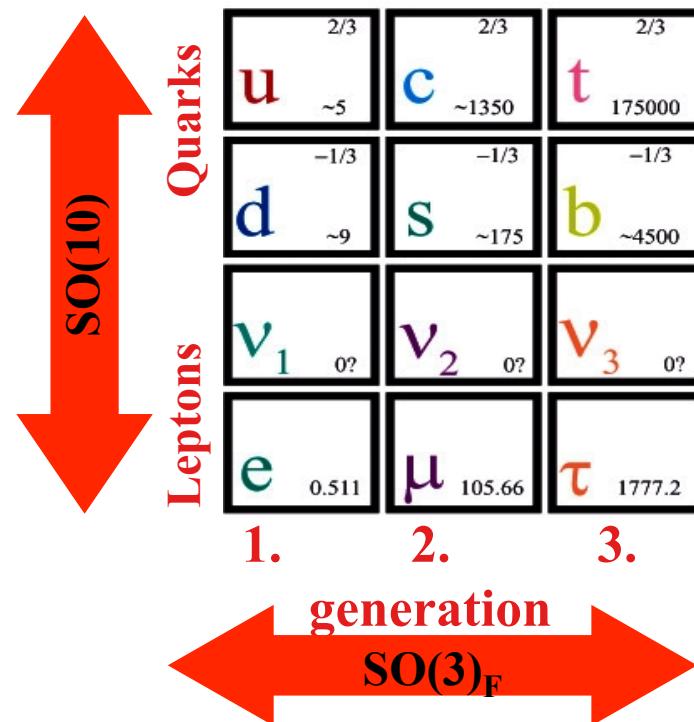
- so far **no understanding of flavour, 3 generations**
- apparent regularities in quark and lepton parameters
  - flavour symmetries (finite number for limited rank)
  - **symmetry not texture zeros**
  - Breaking sequences...

Quarks		
u	2/3	c
d	-1/3	s
Leptons		
v <sub>1</sub>	0?	v <sub>2</sub>
e	0.511	μ
t	2/3	b
v <sub>3</sub>	0?	τ
1.	2.	3.
generation		

Examples:



## 8) GUTs x Flavour Symmetries



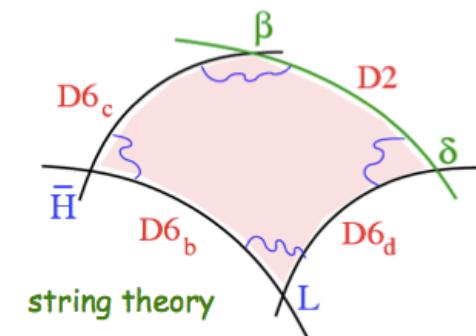
→ GUT group  $\otimes$  flavour group

example:  $SO(10) \otimes SU(3)_F$

- SSB of  $SU(3)_F$  between  $\Lambda_{GUT}$  and  $\Lambda_{Planck}$
- all flavour Goldstone Bosons eaten
- discrete sub-groups survive  $\leftrightarrow$  SSB
  - e.g. Z2, S3, D5, A4
- structures in flavour space
- compare with data
- rather restricted... few solutions

## 9) extra dimensions, strings, ...

→ many options → different secondary effects



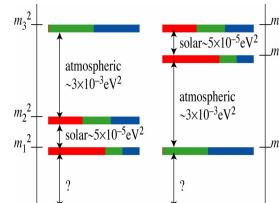
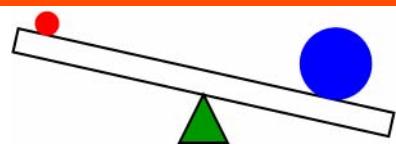
# Suggestive Seesaw Features

QFT: natural value of mass operators  $\leftrightarrow$  scale of symmetry

$m_D \sim$  electro-weak scale

$M_R \sim$  L violation scale  $\leftarrow ? \rightarrow$  embedding (GUTs, ...)

See-saw (type I)



?  $\rightarrow$  EW scale

$$m_\nu = m_D M_R^{-1} m_D^T$$

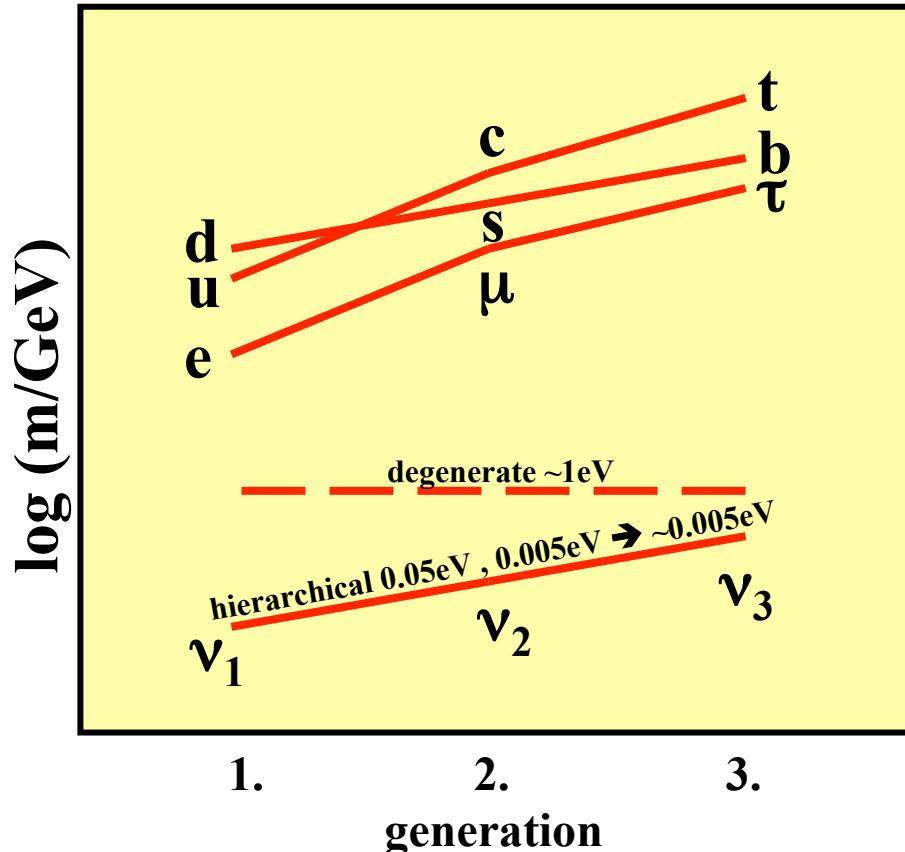
$$m_h = M_R$$

Numerical hints:

For  $m_3 \sim (\Delta m_{\text{atm}}^2)^{1/2}$ ,  $m_D \sim$  leptons  $\rightarrow M_R \sim 10^{11} - 10^{16} \text{ GeV}$   
 $\rightarrow \nu$ 's are Majorana particles,  $m_\nu$  probes  $\sim$  GUT scale physics!  
 $\rightarrow$  smallness of  $m_\nu \leftrightarrow$  high scale of L, symmetries of  $m_D, M_R$

# 2nd Look Questions

## Quarks & charged leptons → hierarchical masses → neutrinos?



## Quarks and charged leptons:

$$m_D \sim H^n ; n = 0, 1, 2 \rightarrow H \geq 20 \dots 200$$

**Neutrinos:**  $m_\nu \sim H^n \rightarrow H \leq \sim 10$

## See-saw:

$$\mathbf{m}_v = -\mathbf{m}_D^T \mathbf{M}_R^{-1} \mathbf{m}_D$$

- less hierarchy in  $m_D$  or corr. hierarchy in  $M_R$ ?  $\rightarrow$  theoretically not connected!
  - Dirac masses
  - other version of see-saw?  $\rightarrow$  type II, III, ...  $\rightarrow$

# The Double Seesaw

- Assume right handed neutrinos N and singlets S  $\rightarrow (\nu, N, S)$
- Assign quantum numbers such that mass matrix is

$$\mathcal{M} = \begin{pmatrix} 0 & Y_\nu \langle \phi \rangle & 0 \\ Y_\nu^T \langle \phi \rangle & 0 & Y_N^T \langle \sigma \rangle \\ 0 & Y_N \langle \sigma \rangle & M_S \end{pmatrix}$$

$M_S = O(\text{Planck scale}) \simeq 10^{19} \text{ GeV}$

$Y_N \langle \sigma \rangle = O(\text{GUT scale}) \simeq 10^{16} \text{ GeV}$

$Y_\nu \langle \phi \rangle = O(\text{EW scale}) \simeq 10^2 \text{ GeV}$

**1<sup>st</sup> seesaw  $\rightarrow$  eigenvalues  $M_S$  and  $Y_N^T (M_S)^{-1} Y_N \langle \sigma \rangle^2 = O(10^{16} \text{ GeV})$**

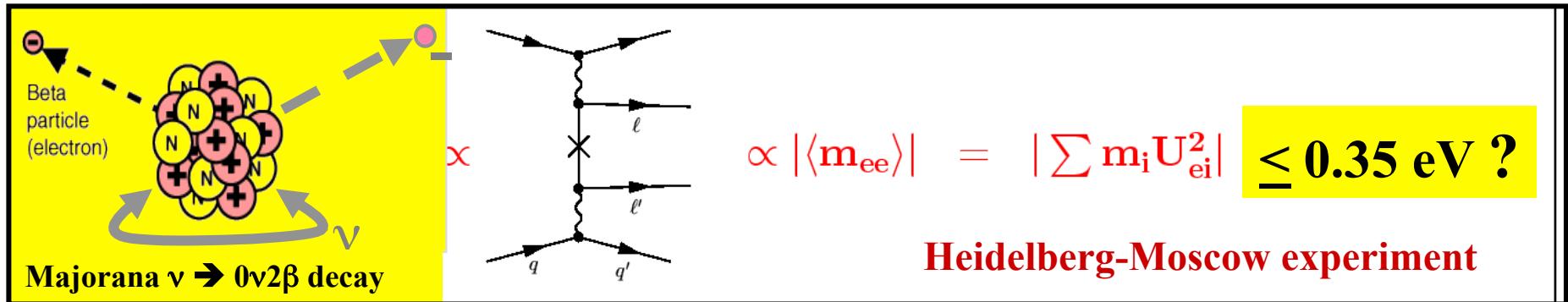
**2<sup>nd</sup> seesaw**

$$\rightarrow m_\nu^0 = \left[ \frac{\langle \phi \rangle}{\langle \sigma \rangle} \right]^2 Y_\nu (Y_N)^{-1} M_S (Y_N^T)^{-1} Y_\nu^T = O(\text{eV})$$

**Possibility:**  $Y_N \sim Y_\nu \rightarrow$  structure of  $m_\nu$  from  $M_S$  ML, Schmidt, Smirnov

# Is the Picture complete? Correct?

# 0νββ Beta Decay

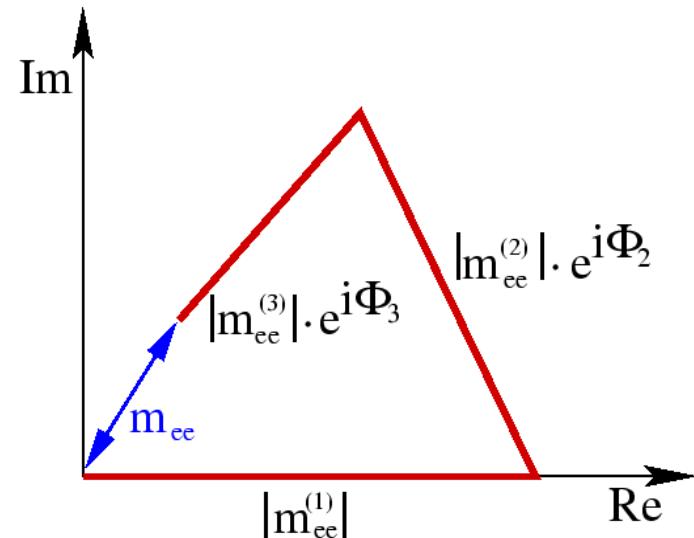


$$m_{ee} = |m_{ee}^{(1)}| + |m_{ee}^{(2)}| \cdot e^{i\Phi_2} + |m_{ee}^{(3)}| \cdot e^{i\Phi_3}$$

$$|m_{ee}^{(1)}| = |U_{e1}|^2 m_1$$

$$|m_{ee}^{(2)}| = |U_{e2}|^2 \sqrt{m_1^2 + \Delta m_{21}^2}$$

$$|m_{ee}^{(3)}| = |U_{e3}|^2 \sqrt{m_1^2 + \Delta m_{31}^2}$$



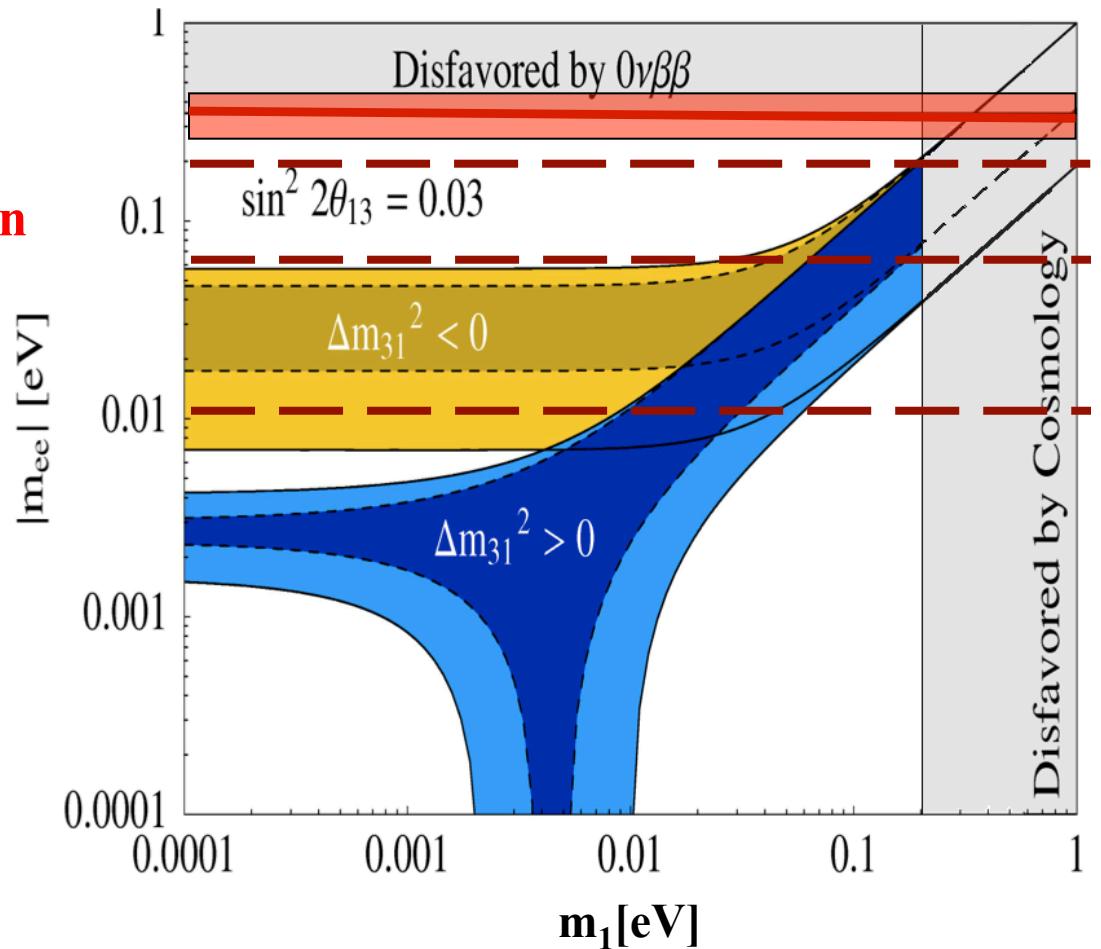
solar  $\Rightarrow |U_{e1}|^2, |U_{e2}|^2, \Delta m_{21}^2$    atmosph.  $\Rightarrow |\Delta m_{31}^2|$    CHOOZ  $\Rightarrow |U_{e3}|^2 < 0.05$

→ free parameters:  $m_1$ , sign( $\Delta m_{31}^2$ ), CP-phases  $\Phi_2, \Phi_3$

**Claim of part of the original  
Heidelberg-Moscow collaboration  
↔ cosmology → ‘tension’**

**aims of new experiments:**

- test HM claim
- $(\Delta m_{31}^2)^{1/2} \simeq 0.05 \text{ eV} \pm \text{errors}$   
 → reach 0.01eV
- → CUORE
- → GERDA phases I, II, (III)



**Comments:**

- cosmology: limitation by systematical errors → ~ another factor 5-10?
- $0\nu\beta\beta$  nuclear matrix elements ~factor 1.3-2 **theoretical uncertainty** in  $m_{ee}$
- $\Delta m^2 > 0$  allows complete cancellation  
 →  $0\nu\beta\beta$  signal not guaranteed, but cancellation appears unlikely

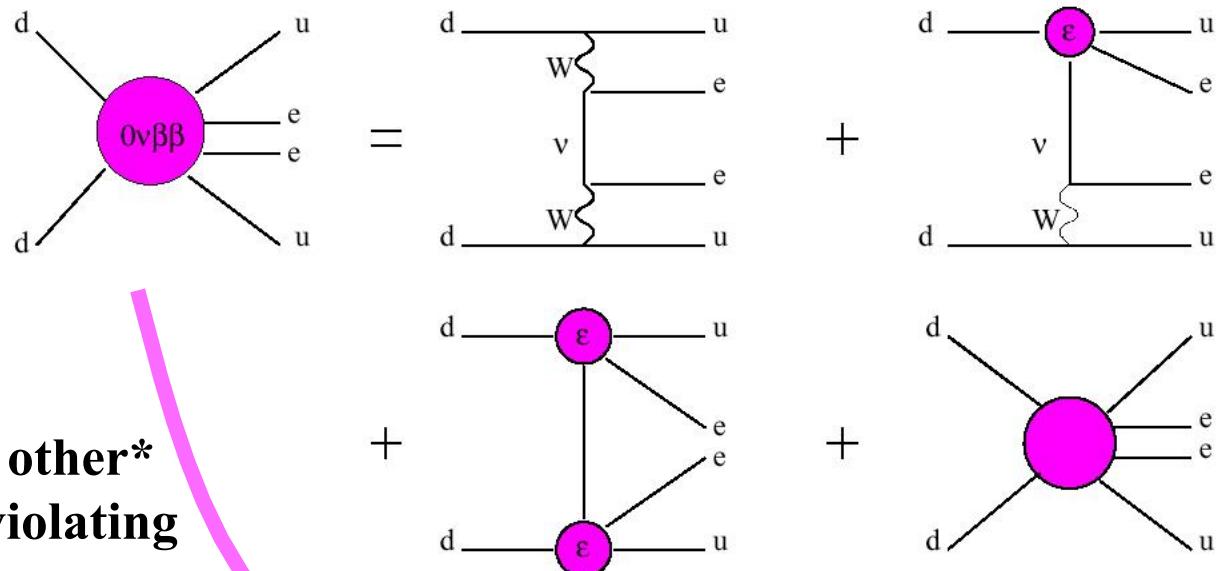
# $0\nu\beta\beta$ from Alternative $\Delta L=2$ Operators

Various possibilities:

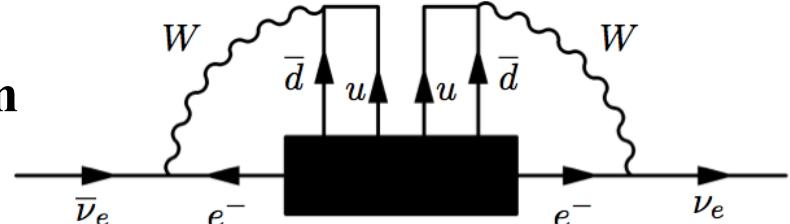
- LR symmetry
- SUSY (RPV)
- ...

→  $0\nu\beta\beta$  signal from \*some other\* new BSM lepton number violating operator

→ very promising interplay of neutrino mass determinations, cosmology, LHC, LVF experiments and theory

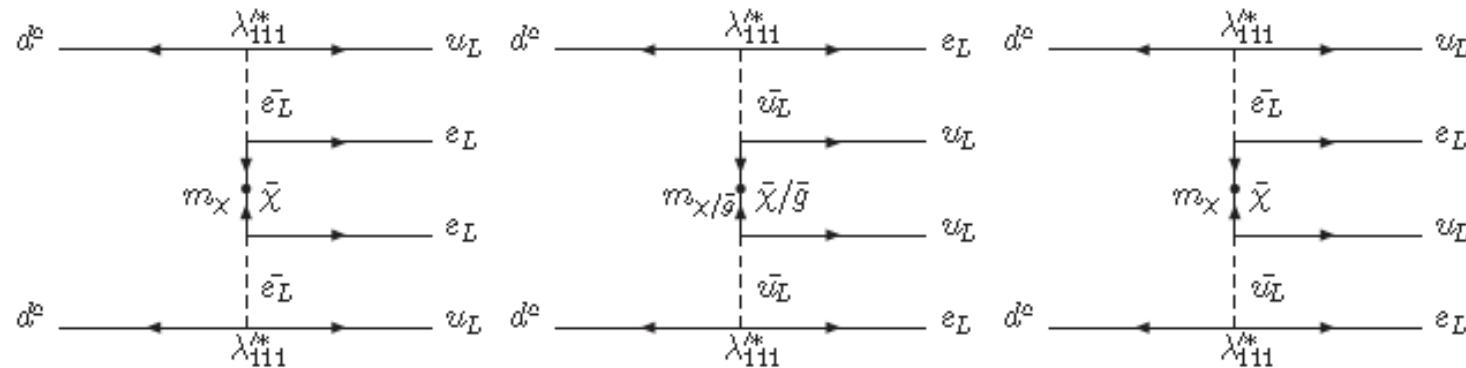


Schechter + Valle: Any  $\Delta L=2$  violating operator  
→ radiative generation of Majorana mass term  
→ Majorana nature of  $\nu$ 's guaranteed  
→ but how big is the mass?



# SUSY Example

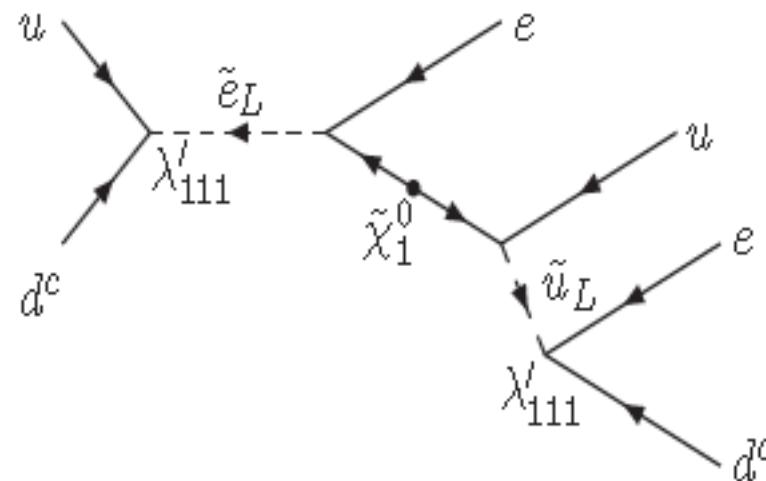
Direct, TeV scale short range mediation w/o intermediate light  $\nu$ , e.g.



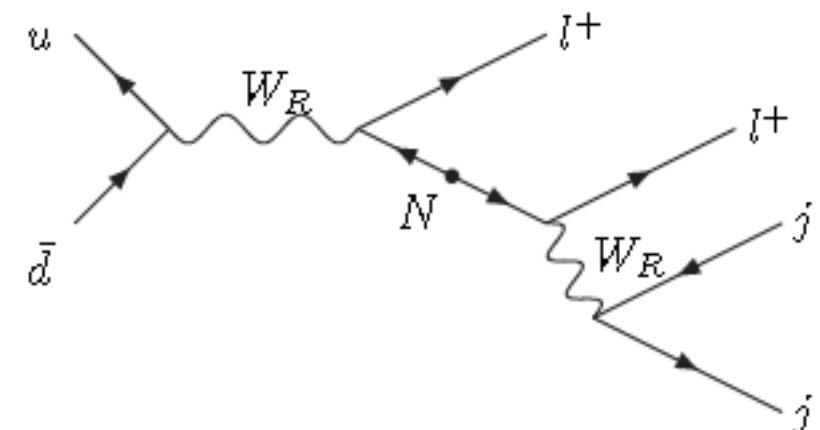
$$\begin{aligned}
 \mathcal{L}_{\lambda'_{111} \lambda'_{111}}^{eff, \Delta L_e=2}(x) &= \frac{G_F^2}{2} m_p^{-1} [\bar{e}(1 + \gamma_5)e^c] \\
 &\times \left[ (\epsilon_{\tilde{g}} + \epsilon_{\tilde{\chi}})(J_{PS} J_{PS} - \frac{1}{4} J_T^{\mu\nu} J_{T\mu\nu}) + (\epsilon_{\chi\tilde{e}} + \epsilon'_{\tilde{g}} + \epsilon'_{\tilde{\chi}}) J_{PS} J_{PS} \right] \\
 \epsilon_i &\sim \pi \alpha_{(\text{Strong, EW})} \frac{\lambda'^2_{111}}{G_F^2} \frac{m_P}{m_{(\tilde{g}, \tilde{\chi})}} \frac{1}{m_{(\tilde{u}, \tilde{d}, \tilde{e})}^4}.
 \end{aligned}$$

# $\Delta L=2$ Operators and TeV Scale Physics

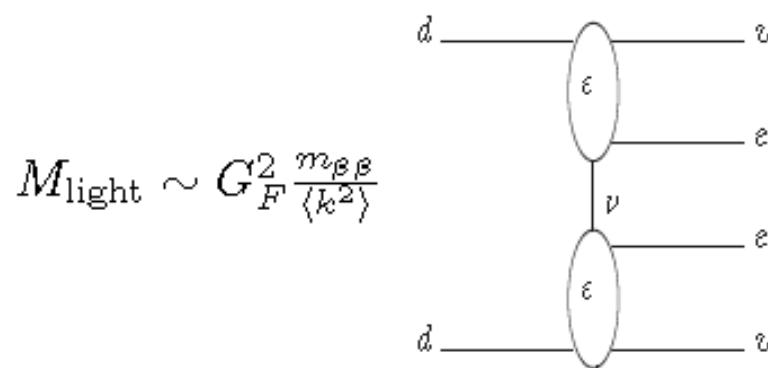
SUSY: direct test of  $\lambda'_{111}$



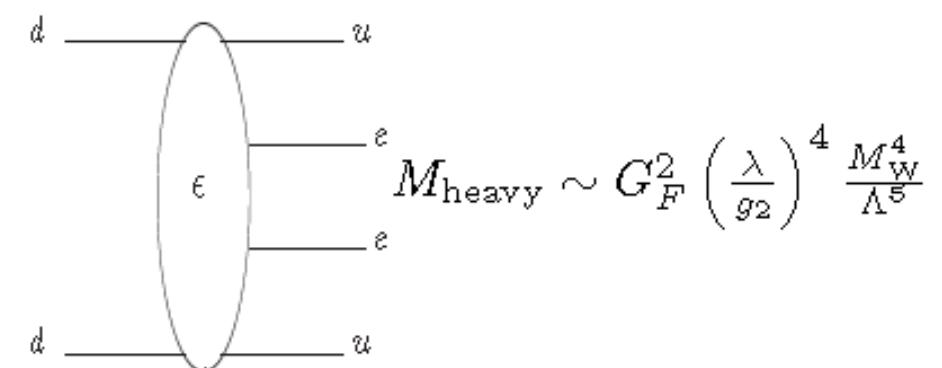
L-R symmetry: heavy N's



Relative strength of ‘light’ and ‘heavy’  $0\nu\beta\beta$  amplitudes:



$$M_{\text{light}} \sim G_F^2 \frac{m_{\beta\beta}}{\langle k^2 \rangle}$$

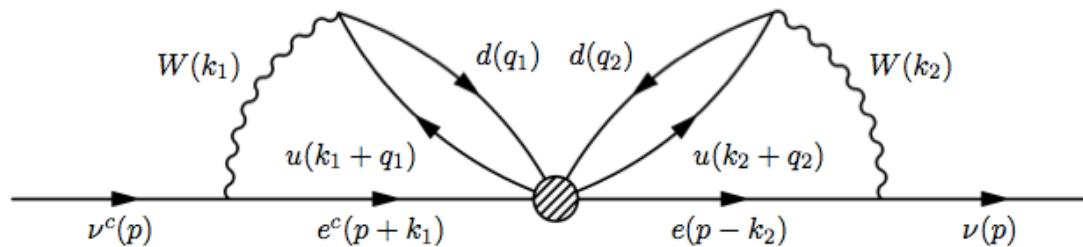


# SV-induced Neutrino Masses

**General Lorentz-invariant Lagrangian for  $0\nu\beta\beta$  (point operator)**

$$\mathcal{L} = \frac{G_F^2}{2} m_p^{-1} (\epsilon_1 J J j + \epsilon_2 J^{\mu\nu} J_{\mu\nu} j + \epsilon_3 J^\mu J_\mu j + \epsilon_4 J^\mu J_{\mu\nu} j^\nu + \epsilon_5 J^\mu J j_\mu)$$

$$J = \bar{u} (1 \pm \gamma_5) d, \quad J^\mu = \bar{u} \gamma^\mu (1 \pm \gamma_5) d \text{ etc.}$$



**Outcome:**

M. Dürr, ML, A. Merle, arXiv:1105.0901

If other  $\Delta L=2$  physics drives  $0\nu\beta\beta \rightarrow$  SV gives  $\delta m_\nu = 10^{-24}$  eV

$\rightarrow$  mass correction too small to explain observed masses and splittings

$\rightarrow$  other explicit neutrino mass operators required

Dirac:  $0\nu\beta\beta$  essentially unrelated to neutrino masses  $\leftrightarrow$  other BSM

Majorana: dominates over SV contribution

$0\nu\beta\beta$  may be a mixture of Majorana mass and other  $\Delta L=2$  physics

$\rightarrow$  mimics higher Majorana neutrino mass

# Non Standard Interactions (NSIs)

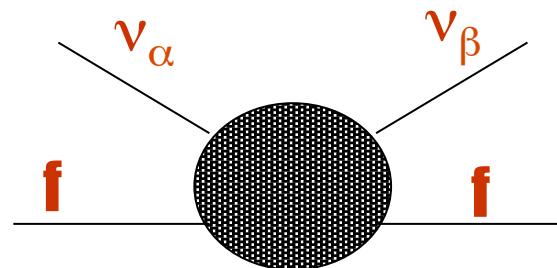
# Effective Operators Beyond the SM

- effects beyond 3 flavours
- Non Standard Interactions = NSIs → effective 4f operators

$$\mathcal{L}_{NSI} \simeq \epsilon_{\alpha\beta} 2\sqrt{2}G_F (\bar{\nu}_{L\beta} \gamma^\rho \nu_{L\alpha})(\bar{f}_L \gamma_\rho f_L)$$

- integrating out heavy physics (c.f.  $G_F \leftrightarrow M_W$ )

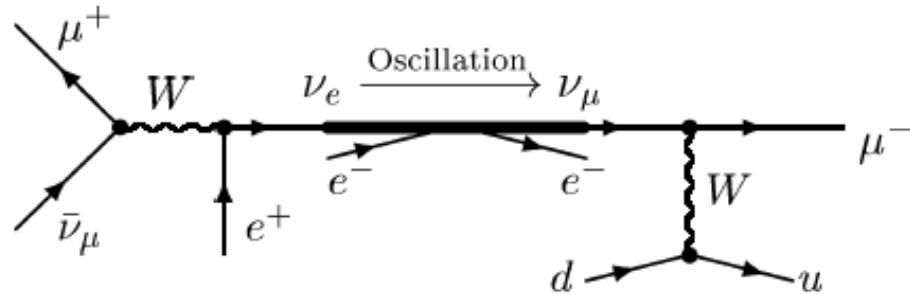
$$|\epsilon| \simeq \frac{M_W^2}{M_{NSI}^2}$$



Grossman, Bergmann+Grossman, Ota+Sato, Honda et al., Friedland+Lunardini, Blennlow +Ohlsson+Skrotzki, Huber+Valle, Huber+Schwetz+Valle, Campanelli+Romanino, Bueno et al., Barranco+Miranda+Rashba, Kopp+ML+Ota, ...

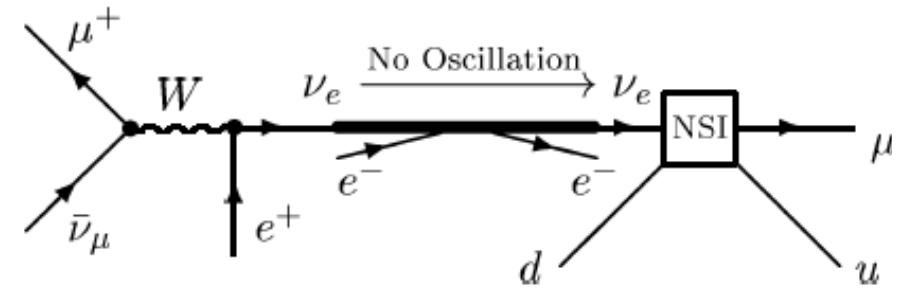
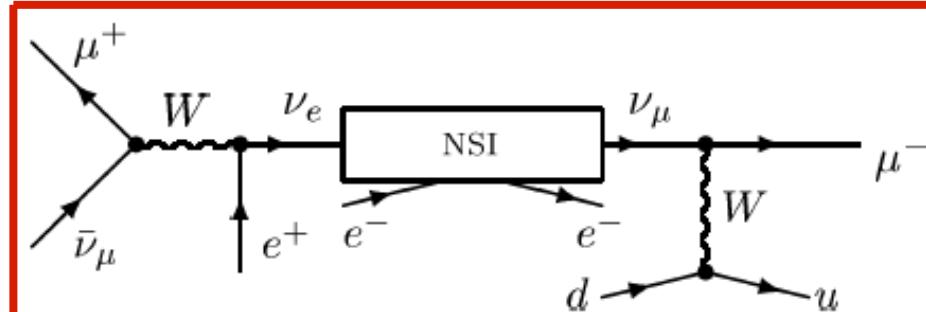
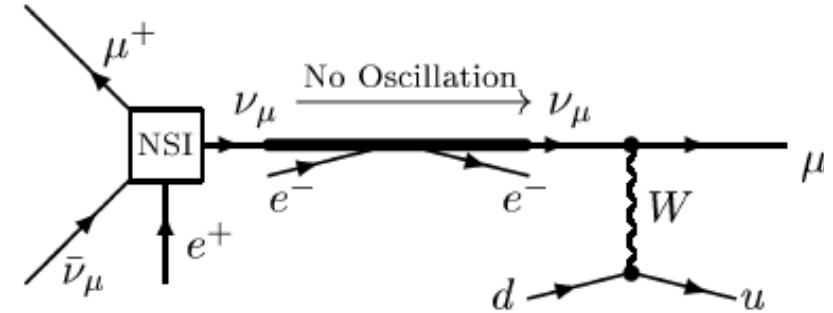
# NSIs interfere with Oscillations

the “golden” oscillation channel



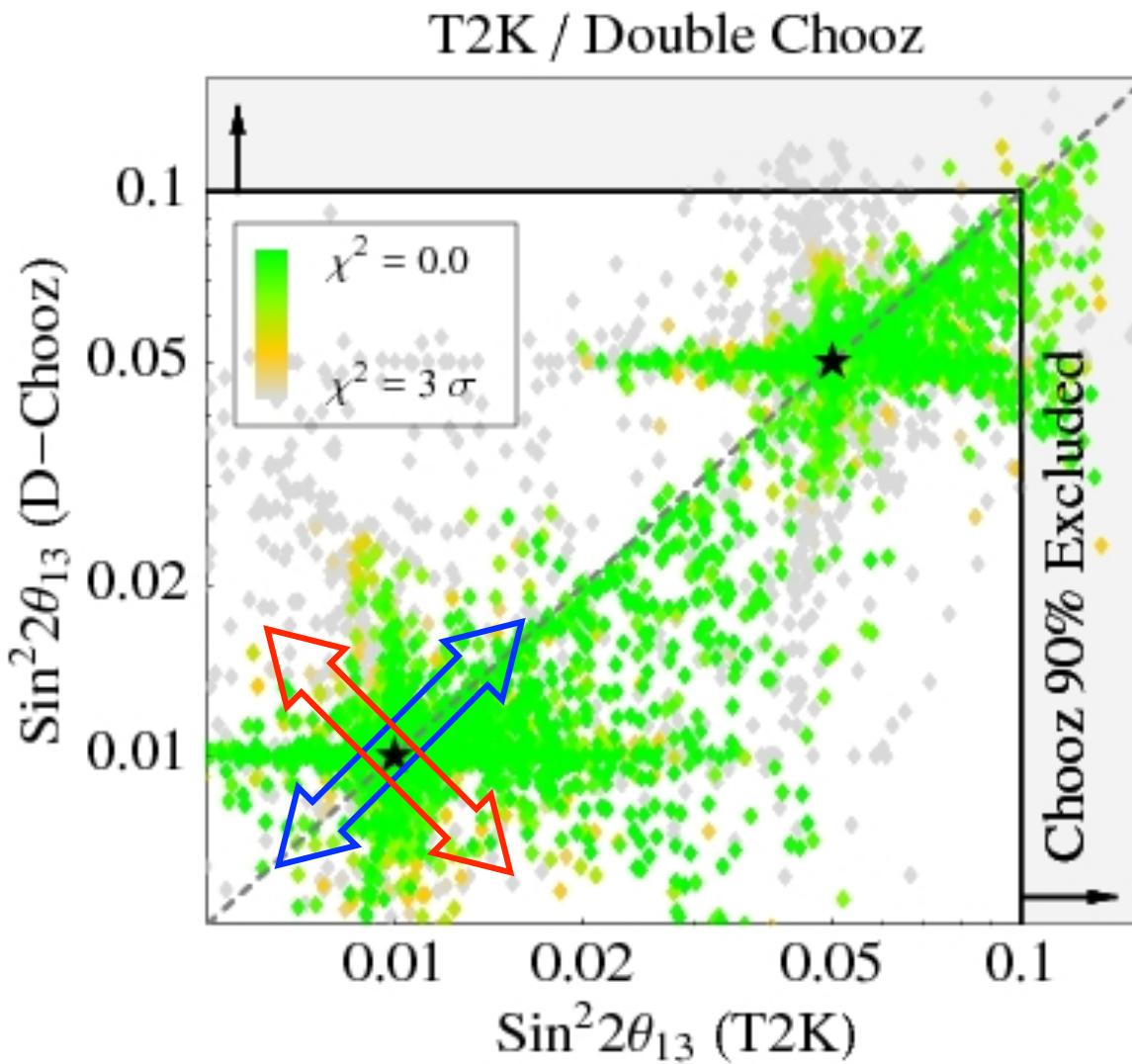
(a)

NSI contributions to the “golden” channel



note: interference in oscillations  $\sim \epsilon \leftrightarrow$  FCNC effects  $\sim \epsilon^2$

# NSI: Offset and Mismatch in $\theta_{13}$



Kopp, ML, Ota, Sato

Redundant measurements:

**Double Chooz + T2K**

\*=assumed ‘true’ values of  $\theta_{13}$

scatter-plot:  $\epsilon$  values random

- below existing bounds
- random phases

NSIs can lead to:

- **offset**
- **mismatch**

→ redundancy

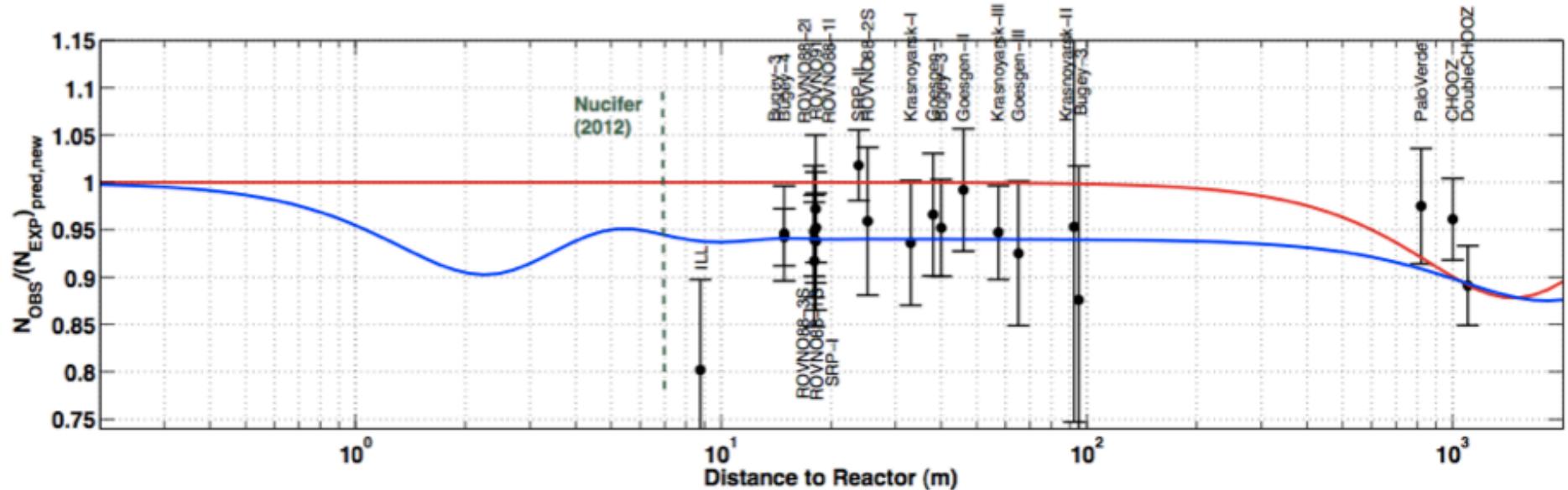
→ interesting potential

→ might first show up  
as tension in global fits

# Sterile Neutrinos

# The Reactor Anomaly

New reactor fluxes and global reactor data: Mention et al.



$\theta_{13}$  can reduce flux at  $L \geq 1$  km, but not at shorter baselines  
Sterile neutrino with  $\Delta m^2 \sim \text{eV}$  can nicely account for reduction  
→ 3+1 fits ; all evidences for eV scale → 3+2, ...

See e.g. T. Schwetz at NEUTRINO 2012

→ will be tested by new experiments (e.g. NUCIFER @ few meters)

# Evidences for Light Sterile Neutrinos

## Particle Physics:

Reactor anomaly, LSND, MiniBooNE, MINOS, Gallex...

- New and better data / experiments are needed to clarify the situation
- maybe something exciting around the corner?
- would hint at eV scale and sizable percentage type mixings

CMB: Extra eV-ish neutrinos possible J. Hamann et al. , ...

BBN: Extra ν's possible:  $N_\nu \simeq 3.7 \pm 1$

E. Aver, K. Olive, E. Skillman (2010), Y. Izotov, T. Thuan(2010)

Astrophysics: keV-ish sterile neutrinos could explain pulsar kicks

Kusenko, Segre, Mocioiu, Pascoli, Fuller et al., Biermann & Kusenko, Stasielak et al., Loewenstein et al., Dodelson, Widrow, Dolgov, ...

My believe: Most likely not all of them are correct

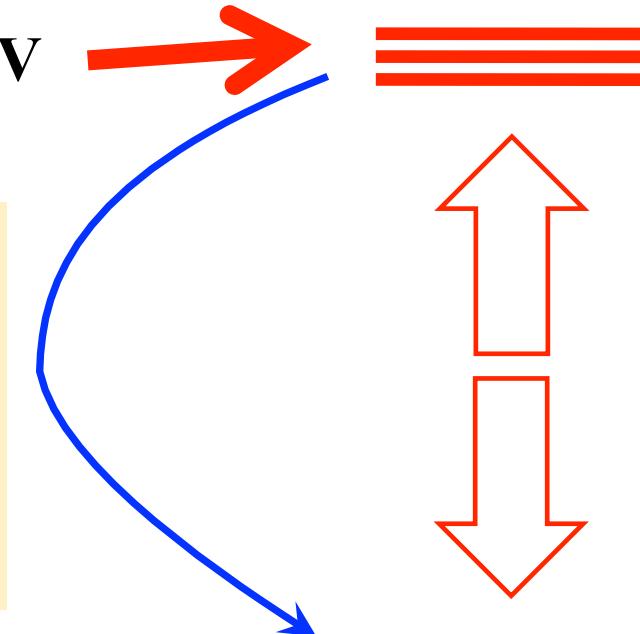
- but any one has far reaching consequences!

# The Neutrino Spectrum

The standard picture:

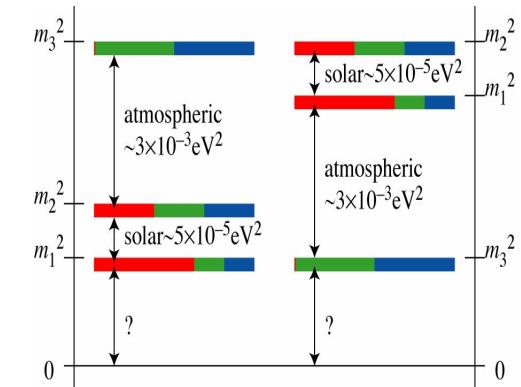
3 heavy sterile neutrinos typ.  $\geq 10^{13}$  GeV

→ leptogenesis, role in GUTs, ...



Some mechanism which makes  
1, 2, ... heavy states light?  
→ light sterile neutrino(s)  
→ tiny heavy-light mixing expected  
 $\theta^2 < \mathcal{O}(m_\nu/m_s)$

3 light active neutrinos  
→ this could easily be wrong  
- more than 3  $N_R$  states, ...  
-  $M_R$  may have special eigenvalues, ...  
→ light sterile neutrinos ?!



# keV sterile Neutrinos as WDM

# Could Neutrinos be Dark Matter?

- Active neutrinos would be perfect Hot Dark Matter
  - ruled out:
    - destroys small scale structures in cosmological evolution
    - measured neutrino masses too small → maybe HDM component
- keV sterile neutrinos: Warm Dark Matter
  - works very well:
  - relativistic at decoupling
  - non-relativistic at radiation to matter dominance transition
    - OK for  $M_X \simeq$  few keV with very tiny mixing
      - ↔ tiny active – sterile mixings  $O(m_\nu/M_R)$  expected
    - reduced small scale structure → smoother profile, less dwarf satellites

**Note: Right-handed neutrinos exist probably anyway**

# The νMSM

Asaka, Blanchet, Shaposhnikov, Asaka, Shaposhnikov

## Particle content:

- Gauge fields of  $SU(3)_c \times SU(2)_W \times U(1)_Y$ :  $\gamma, W_{\pm}, Z, g$
- Higgs doublet:  $\Phi = (1, 2, 1)$

• Matter

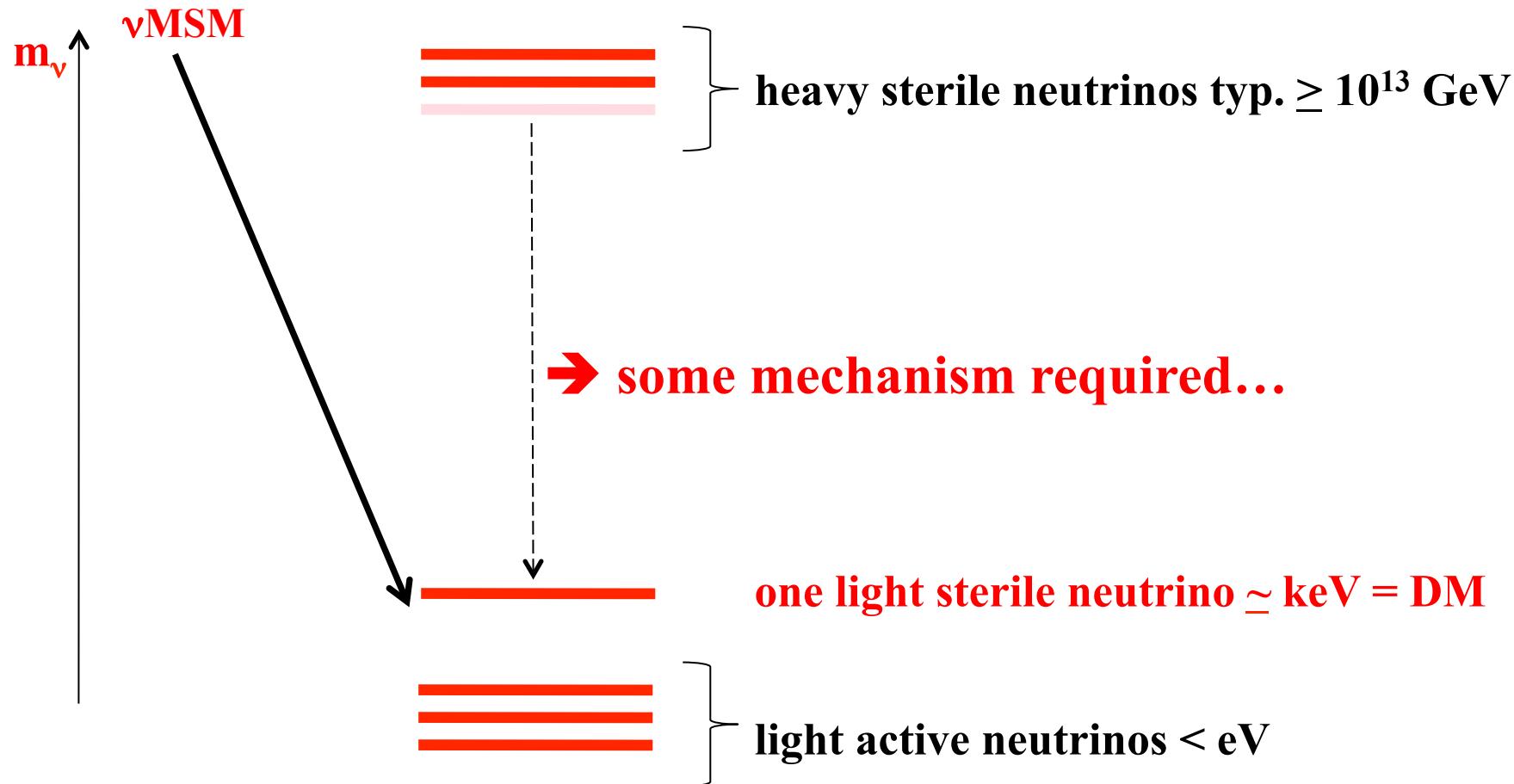
	$SU(3)_c$	$SU(2)_W$	$U(1)_Y$	$U(1)_{em}$
$(\begin{smallmatrix} u \\ d \end{smallmatrix})_L$	3	2	+1/3	$(\begin{smallmatrix} +2/3 \\ -1/3 \end{smallmatrix})$
	3	1	+4/3	+2/3
	3	1	-2/3	-1/3
$(\begin{smallmatrix} v_e \\ e \end{smallmatrix})_L$	1	2	-1	$(\begin{smallmatrix} 0 \\ -1 \end{smallmatrix})$
	1	1	-2	-1
	1	1	0	0
N	1	1	0	0

x3 generations

- lepton sector more symmetric to the quark sector
- Majorana masses for N
- choose for one sterile  $\nu \sim$ keV mass → exceeds lifetime of Universe

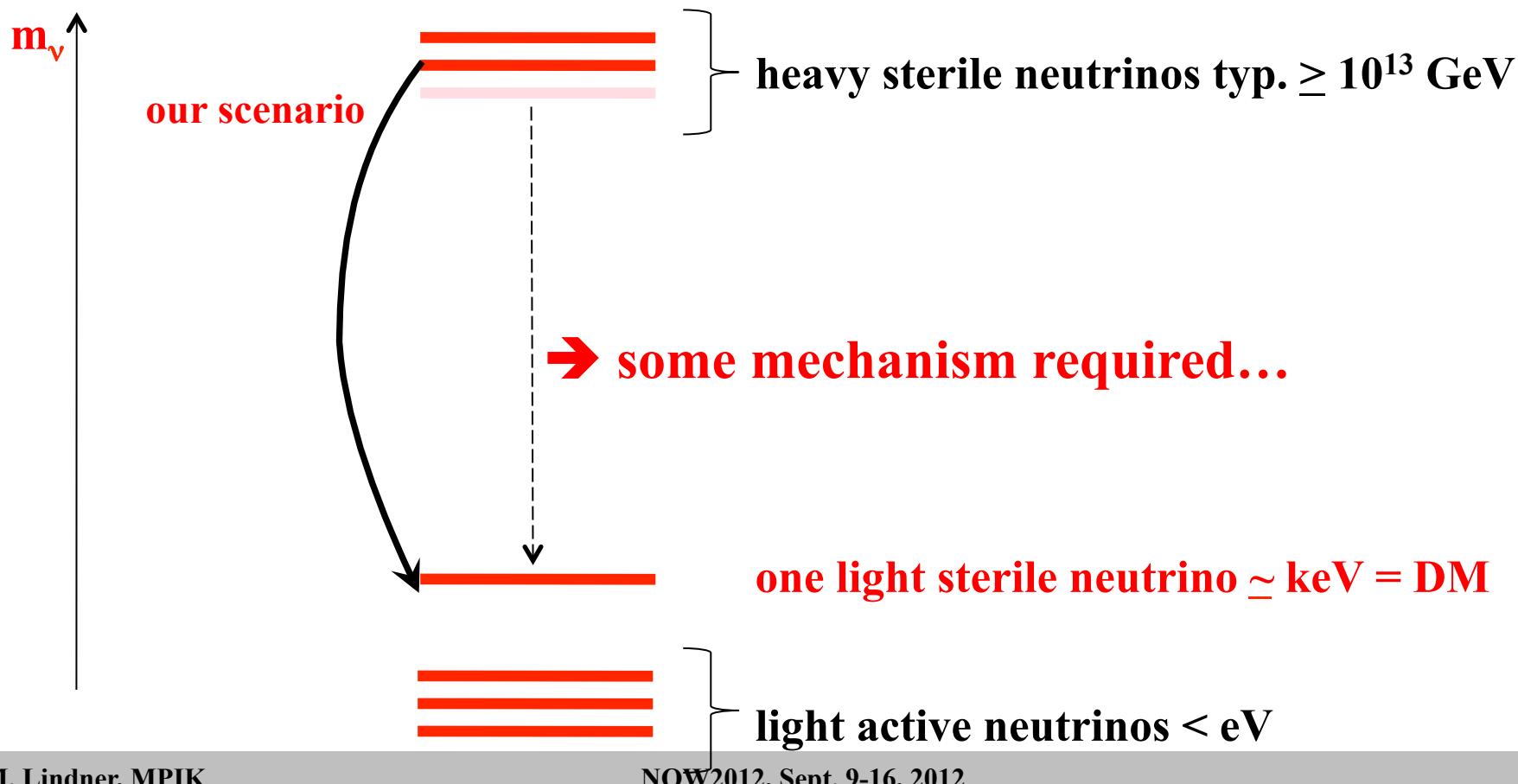
# Virtue and Problem of the $\nu$ MSM

- $\nu$ MSM:** Scenario with sterile  $\nu$  and tiny mixing → never enters thermal equilibrium  
→ requires **non-thermal production** from other particles (avoid over-closure)  
→ **new physics** before the beginning of the thermal evolution sets abundance



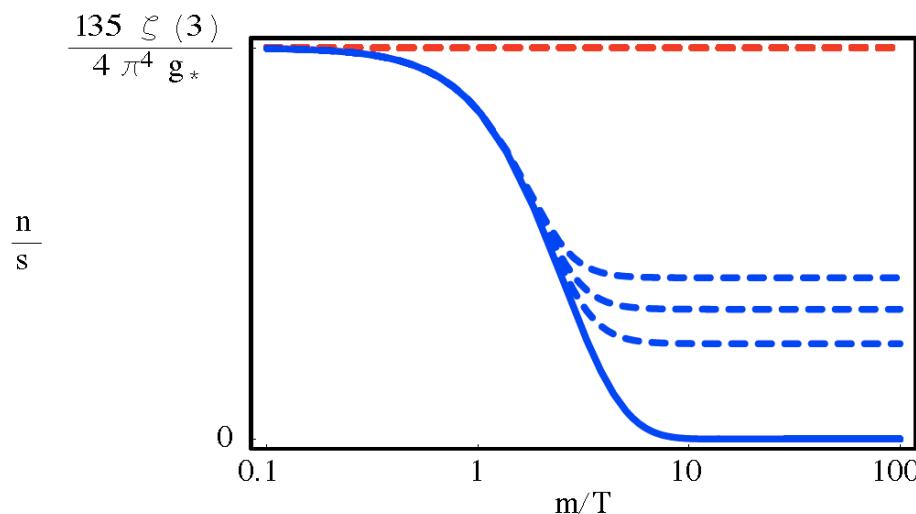
# Alternative Scenario with Thermal Abundance

- Three right-handed neutrinos  $N_1, N_2, N_3$ , Dirac and Majorana mass terms
- $N$  Charged under some (BSM) gauge group  $\rightarrow$  scale  $M$  (~sterile)  
 $\rightarrow$  thermal production of DM abundance
- Specific example: LR-symmetry  $SU(3)_c \times SU(2)_L \times SU(2)_R \times U(1)_{B-L}$   
Bezrukov, Hettmannsperger, ML



# Obtaining the correct Abundance

Usual thermal WIMP case:



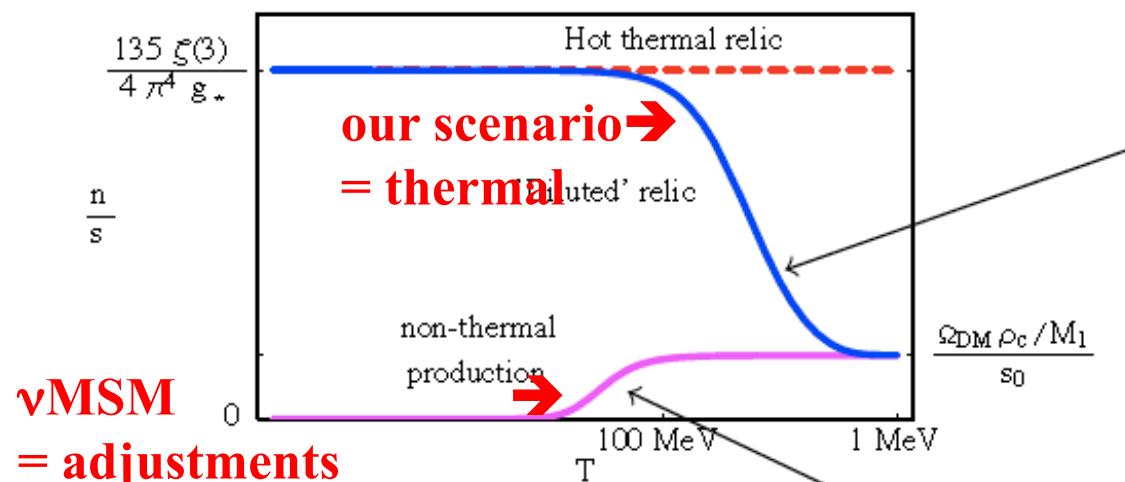
$$\frac{\Omega}{\Omega_{DM}} \simeq \left(\frac{10}{g_{*f}}\right) \left(\frac{M}{10\text{eV}}\right)$$

Decoupled relativistic

**CDM:**  
**(M>>MeV)**

$\Omega \sim \Omega_{DM}$   
Decoupled  
nonrelativistic

keV sterile neutrinos:



vMSM  
= adjustments

Diluted after decoupling  
(entropy generated by other particle decay)

$$\Omega \sim \Omega_{DM}$$

Never entered thermal equilibrium

# Entropy Generation by out-of Equilibrium Decay

Heavy particle (here:  $N_3$ ) dropping out of thermal equilibrium while relativistic  $T_f > M_2$ : → bounds gauge scale from below

$$M > \frac{1}{g_{*f}^{1/8}} \left( \frac{M_2}{\text{GeV}} \right)^{3/4} (10 \div 16) \text{ TeV}$$

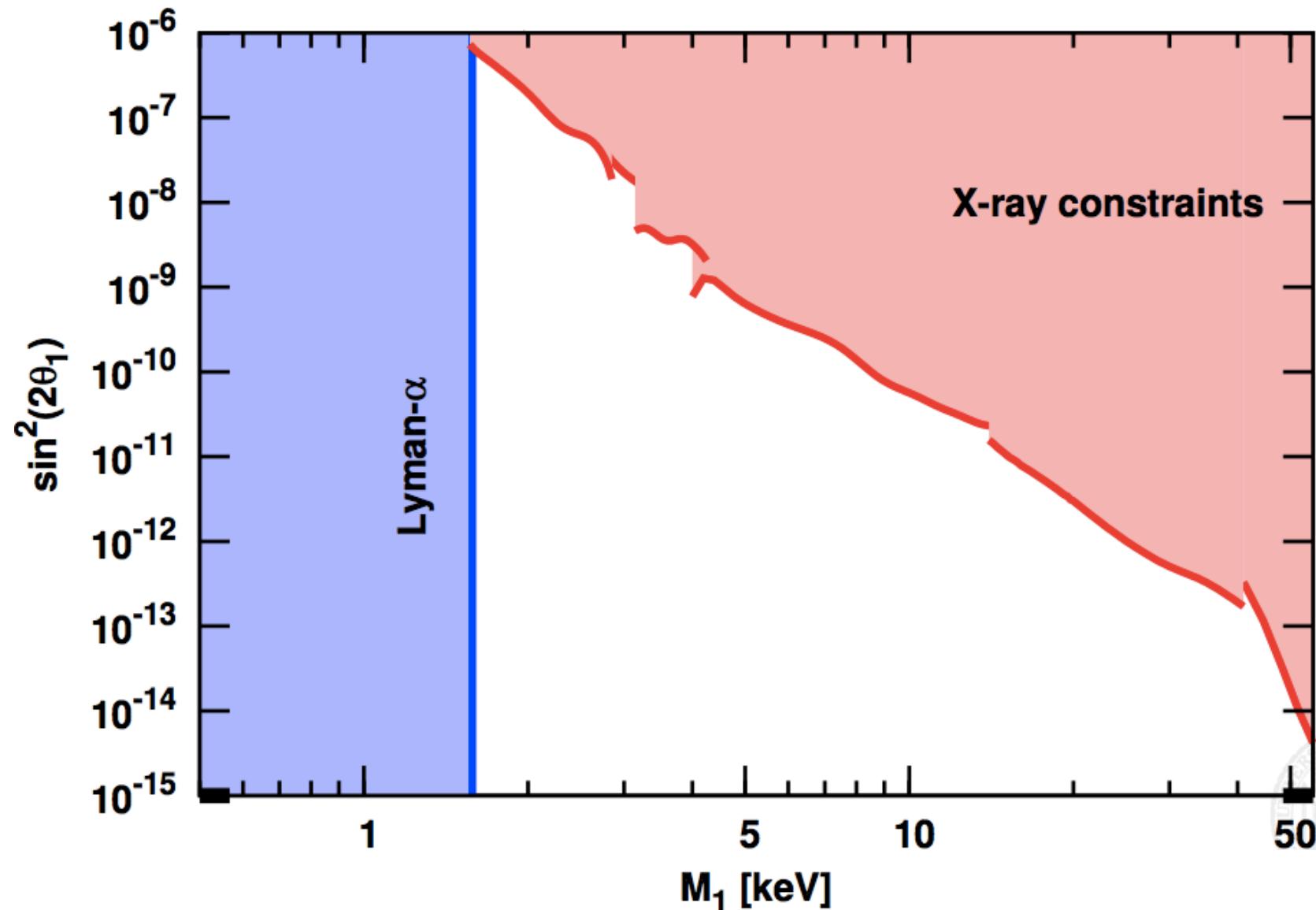
- sufficiently long lived → become non-relativistic
- dominates expansion of Universe during its decay
- entropy generation factor →

$$S \simeq 0.76 \frac{\bar{g}_*^{1/4} M_2}{g_* \sqrt{\Gamma_2 M_{\text{Pl}}}}$$

$$\frac{S_{\text{after}}}{S_{\text{before}}} = S \frac{a_{\text{before}}^3}{a_{\text{after}}^3}$$

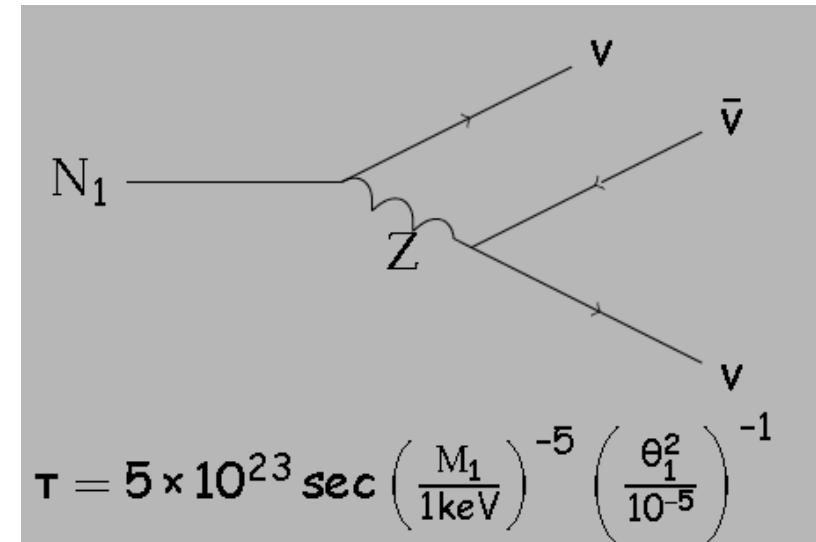
- fixes decay width  $\Gamma_2$

# Allowed Parameter Range



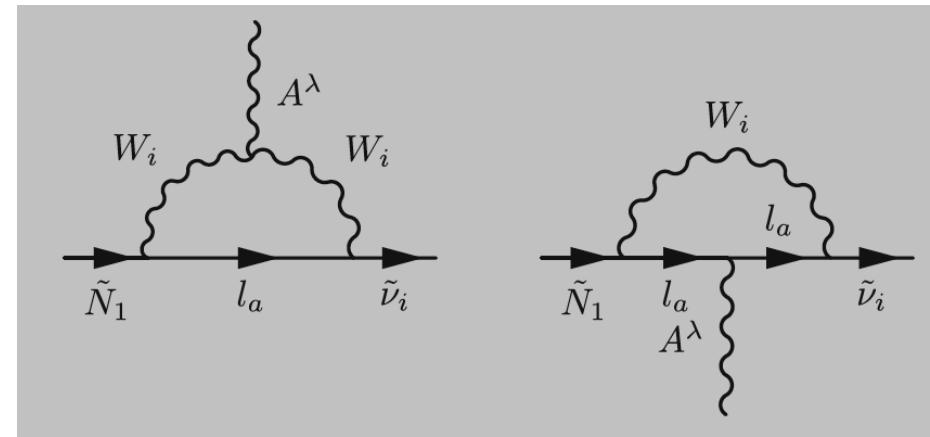
# Observing keV-ish Neutrino DM

- LHC
  - sterile neutrino DM is not observable
  - WIMP-like particles still possible – but not DM
- direct searches
  - sterile  $\nu$  DM extremely difficult; maybe in  $\beta$ -decay (MARE)
- astrophysics/cosmology → at some level: keV X-rays  
→ sterile neutrino DM is decaying into active neutrinos
  - decay  $N_1 \rightarrow \nu\bar{\nu}\nu$ ,  $N_1 \rightarrow \nu\nu\bar{\nu}$
  - not very constraining since  $\tau \gg \tau_{\text{Universe}}$



- radiative decays  $N_1 \rightarrow \nu\gamma$

$\rightarrow$  photon line  $E_\gamma = m_s/2$



- so far: observational limit on active-sterile mixing angle

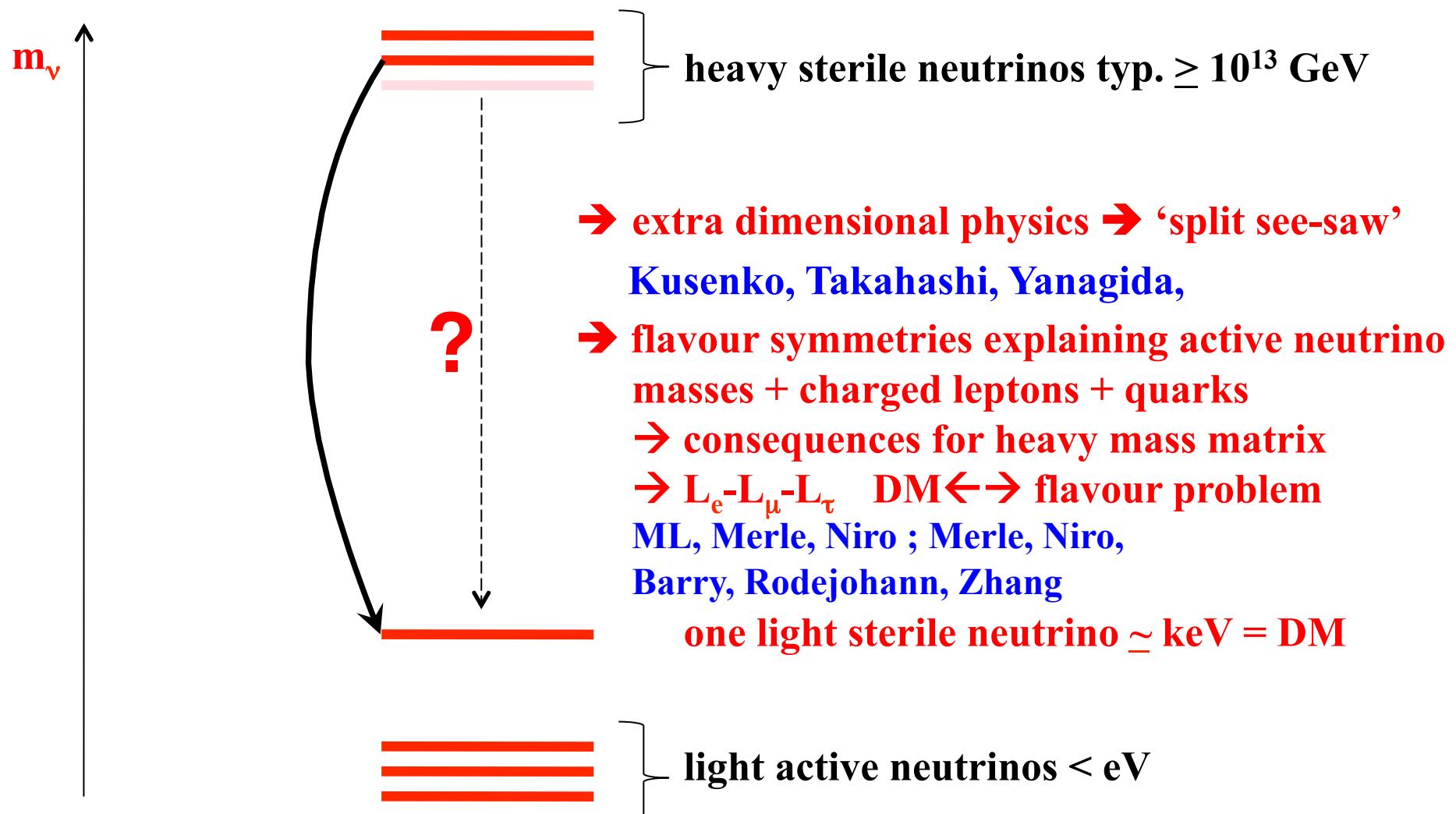
$$\Gamma_{N_1 \rightarrow \nu\gamma} \simeq 5.5 \times 10^{-22} \theta_1^2 \left( \frac{M_1}{1 \text{ keV}} \right)^5 \text{ s}^{-1}$$

$$\theta_1^2 \lesssim 1.8 \times 10^{-5} \left( \frac{1 \text{ keV}}{M_1} \right)^5$$

- mixing tiny, but naturally expected to be tiny: O(scale ratio)

# Explaining keV-ish Sterile Neutrinos

Possible scenario: See-saw + a reason why 1 sterile  $\nu$  is light



# Light Sterile Neutrinos from $L_e$ - $L_\mu$ - $L_\tau$

- Flavour symmetries have been studied to explain apparent regularities of masses and mixing: A4, S3, D5, ...
  - implications for sterile sector?
  - could the same symmetries explain a keV-ish sterile  $\nu$ ?

Model with  $L_e$ - $L_\mu$ - $L_\tau$  symmetry:

by Lavoura & Grimus → extended: ML, Merle, Niro

$$\text{SM} + \nu_{iR} + \text{softly broken U(1)} \longleftrightarrow \quad \mathcal{F} \equiv L_e - L_\mu - L_\tau$$

type II see-saw → +Higgs triplet     $\Delta = \begin{pmatrix} \Delta^+/\sqrt{2} & \Delta^{++} \\ \Delta^0 & -\Delta^+/\sqrt{2} \end{pmatrix}$

	$L_{eL}$	$L_{\mu L}$	$L_{\tau L}$	$e_R$	$\mu_R$	$\tau_R$	$N_{1R}$	$N_{2R}$	$N_{3R}$	$\phi$	$\Delta$
$\mathcal{F}$	1	-1	-1	1	-1	-1	1	-1	-1	0	0

- **Mass matrix for right-handed neutrinos:**

$$\mathcal{L}_{\text{mass}} = -M_R^{12} \overline{(N_{1R})^C} N_{2R} - M_R^{13} \overline{(N_{1R})^C} N_{3R} + h.c.$$

- **Dirac masses**

$$\begin{aligned} \mathcal{L}_{\text{mass}} = & -Y_D^{e1} \overline{L_{eL}} \tilde{\phi} N_{1R} - Y_D^{\mu 2} \overline{L_{\mu L}} \tilde{\phi} N_{2R} - Y_D^{\mu 3} \overline{L_{\mu L}} \tilde{\phi} N_{3R} - \\ & -Y_D^{\tau 2} \overline{L_{\tau L}} \tilde{\phi} N_{2R} - Y_D^{\tau 3} \overline{L_{\tau L}} \tilde{\phi} N_{3R} + h.c., \end{aligned}$$

- **In addition: Triplet masses**

$$\mathcal{L}_{\text{mass}} = -Y_L^{e\mu} \overline{(L_{eL})^C} (i\sigma_2 \Delta) L_{\mu L} - Y_L^{e\tau} \overline{(L_{eL})^C} (i\sigma_2 \Delta) L_{\tau L} + h.c.$$

## Neutrino mass matrix:

$$\Psi \equiv ((\nu_{eL})^C, (\nu_{\mu L})^C, (\nu_{\tau L})^C, N_{1R}, N_{2R}, N_{3R})^T$$

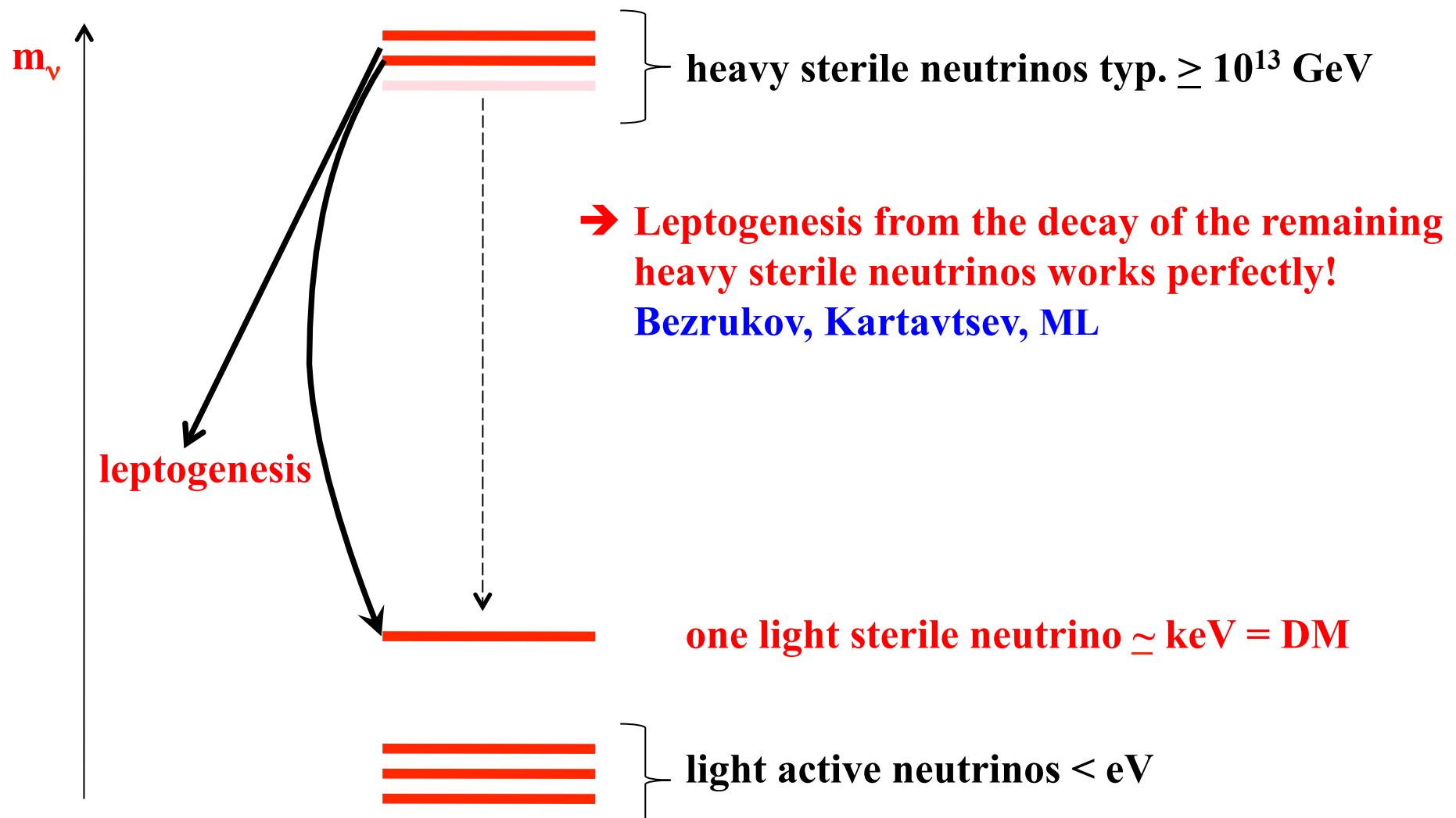
$$\mathcal{M}_\nu = \left( \begin{array}{ccc|ccc} 0 & m_L^{e\mu} & m_L^{e\tau} & m_D^{e1} & 0 & 0 \\ m_L^{e\mu} & 0 & 0 & 0 & m_D^{\mu 2} & m_D^{\mu 3} \\ m_L^{e\tau} & 0 & 0 & 0 & m_D^{\tau 2} & m_D^{\tau 3} \\ \hline m_D^{e1} & 0 & 0 & 0 & M_R^{12} & M_R^{13} \\ 0 & m_D^{\mu 2} & m_D^{\tau 2} & M_R^{12} & 0 & 0 \\ 0 & m_D^{\mu 3} & m_D^{\tau 3} & M_R^{13} & 0 & 0 \end{array} \right)$$

↓

$\det(\mathcal{M}_{ij}) = 0 \rightarrow M_1 = 0$   
**→ massless sterile state + soft breaking**  
**→ naturally light sterile ν**  
**→ mechanism possible in models**

# Leptogenesis

...there still exist heavy sterile states ...



# Conclusions

- Neutrinos are physics a little bit beyond the SM
- Interesting features & unique insights
- Models: Many possibilities  $\leftrightarrow$  experiment
- Ways to get fooled: 0nbb, NSIs, ...
- A **keV-ish sterile neutrino** is a very well motivated and good working **Warm Dark Matter candidate**  $\leftrightarrow$  finite  $\nu$ -masses
- Right handed neutrinos probably exist  
→ requires only some mechanism for light sterile mass  $O(\text{keV})$   
→ Combination with Leptogenesis possible → BAU  
→ More general scenarios: any mechanism which ‘naturally’ explains light sterile neutrinos