

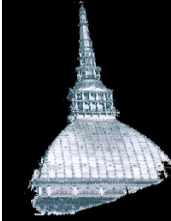
# Total pp cross section measurements at 2, 7, 8 and 57 TeV

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- A) One (out of several) theoretical framework
- B) Topologies of events in  $\sigma_{\text{tot}}$
- C) Direct measurement of  $\sigma_{\text{inel}}$ :
  - 1) cosmic-ray experiments
  - 2) collider experiments
- D) The art of elastic scattering
- E ) Results:  $\sigma_{\text{Tot}}$ ,  $\sigma_{\text{SD}}$ ,  $\sigma_{\text{DD}}$
- F ) Implication of the new results

# Let's set the scale...

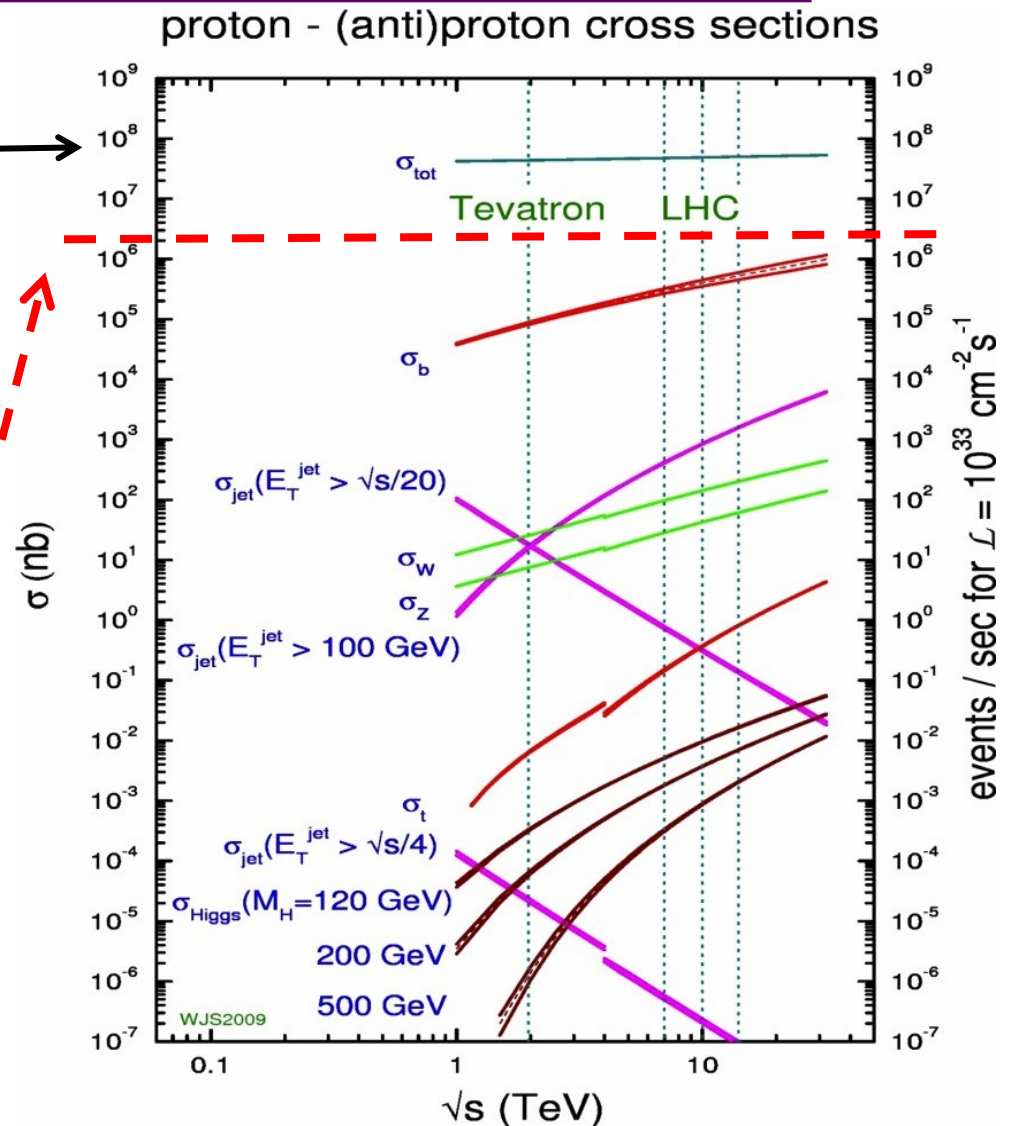


The total cross section is dominated by soft processes.

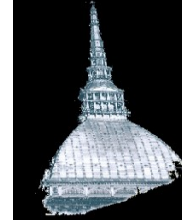
If you were to eliminate every process below the first line (even the Higgs, the first AND the second one..!) the value of the total cross section would be the same

What does it means “100 mb”?

100 mb

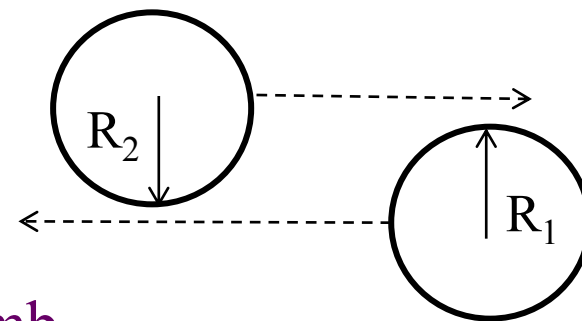


# Units and billiard balls



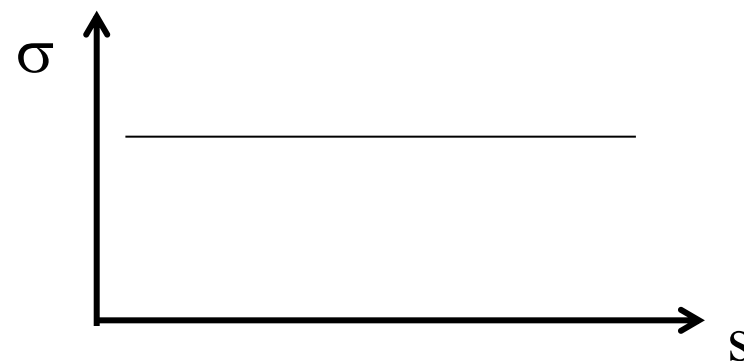
The cross section of 2 hard balls of radius  $R_1$ ,  $R_2$  is:

$$\sigma = \pi * (R_1 + R_2)^2$$



If  $R_1 = R_2 = 10^{-13} \text{ cm} \rightarrow \sigma \sim 10^{-25} \text{ cm}^2 = 100 \text{ mb}$

Note: The cross section of two hard balls does not depend on the energy of the scattering process:



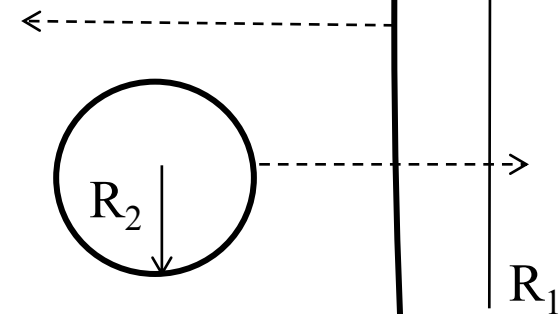
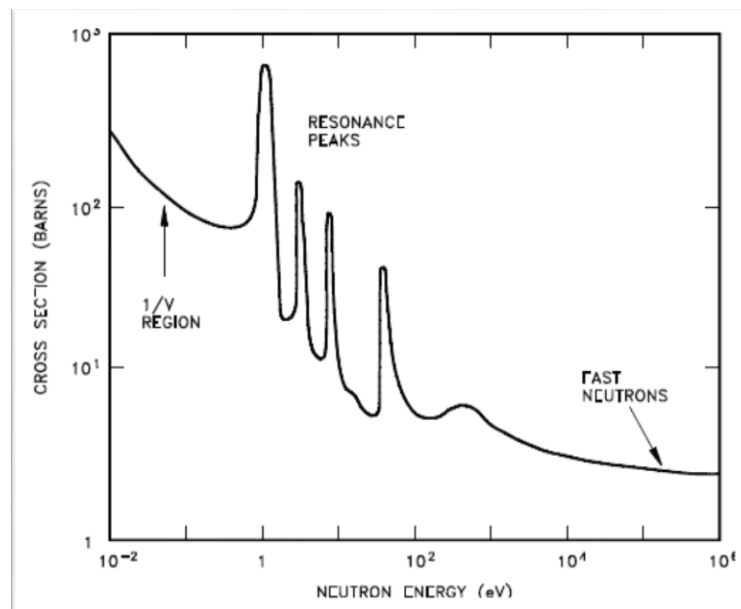
# Cross section in particle physics

In particle physics, the total cross section is not simply related to the geometrical side of the participants.

For example:

Boron's cross-sectional area  $\sim 0.1$  barn  
 Boron neutron-capture reaction  $\sim 1,200$  barns }  $10^4$  increase!!!

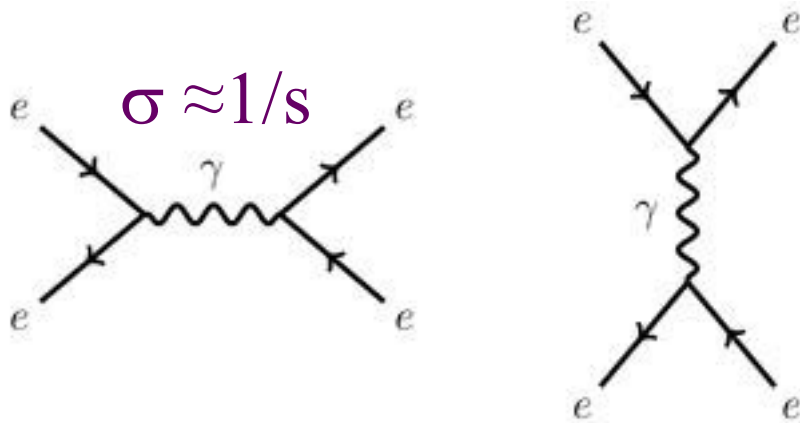
It also depends  
 on the energy:



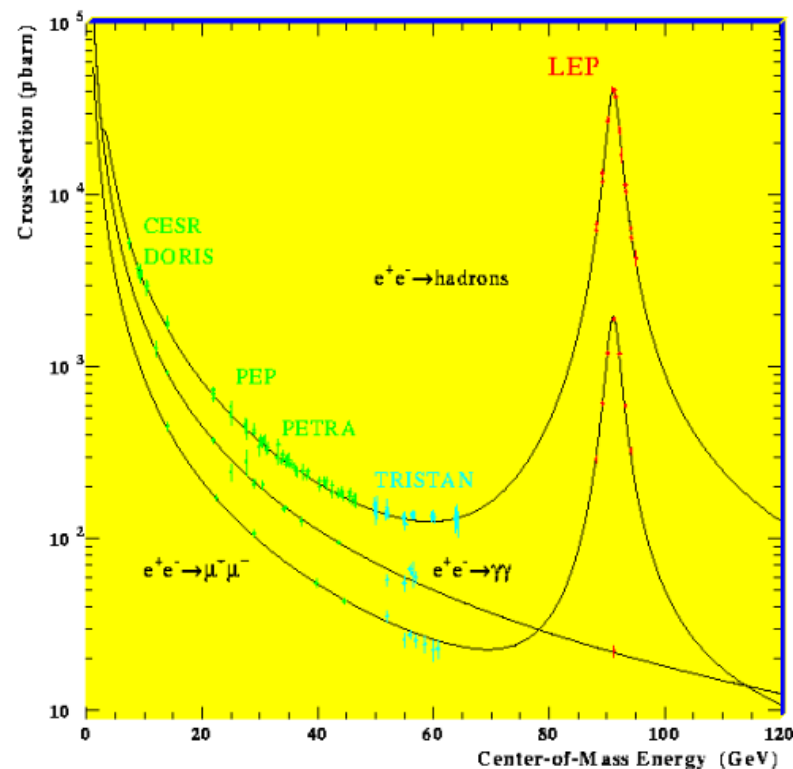
# Scattering of elementary particles



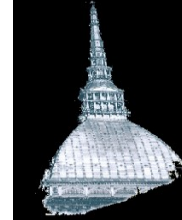
The cross section of elementary particles, for example  $e^+ e^-$ , has a  $1/s$  dependence, plus possible resonances.



This dependence is due to the combination of the matrix element and the phase space, and it's calculable.



# Scattering of composite particles



The cross section between composite particles has a much more complex dependence from the center-of-mass energy, and it's not calculable.

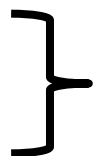
Let's consider a proton.

It contains:

-valence quark

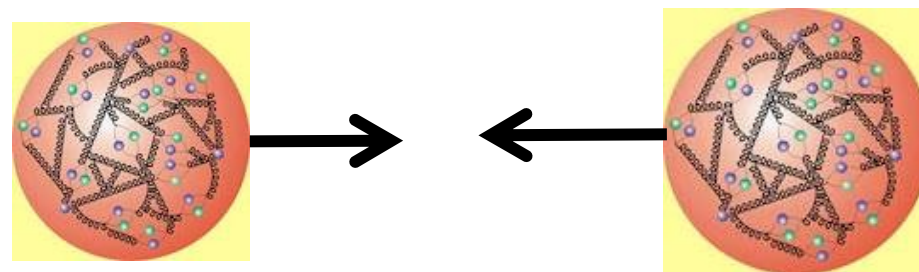
-sea quark

-gluons



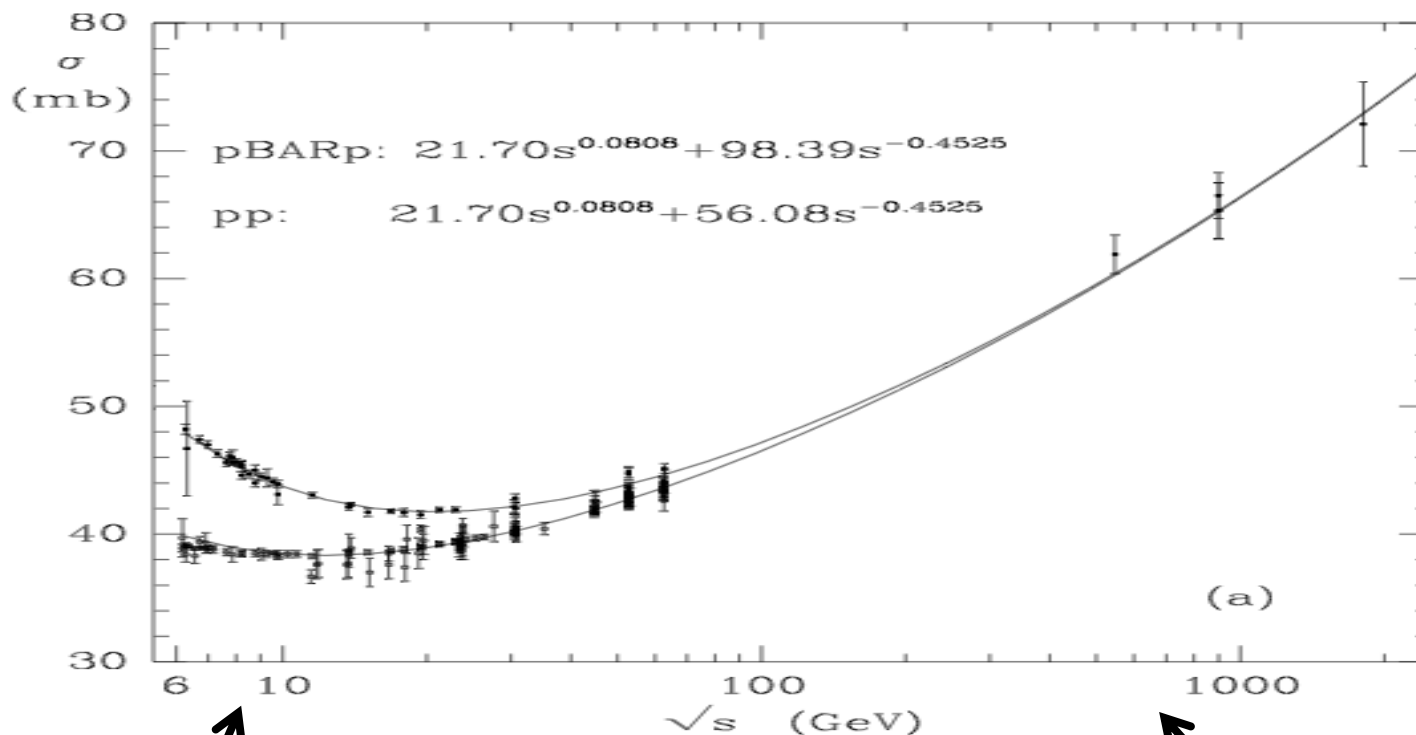
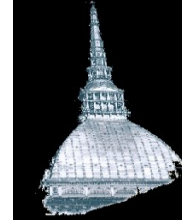
This defines the particle to be a proton

Mostly SU(3) color symmetric,  
common to protons and anti-protons  
(almost true..)



What part is controlling the total cross section?

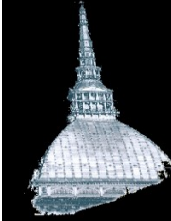
# pp vs pBARp cross section



At low energy  $\sigma$  is different:  
valence quarks need to be  
important here

At high energy  $\sigma$  is the same:  
only sea quarks and gluons can  
contribute

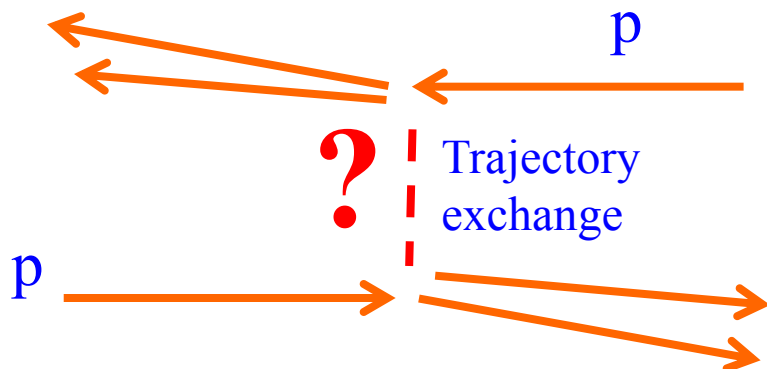
# Theoretical framework: Regge Theory



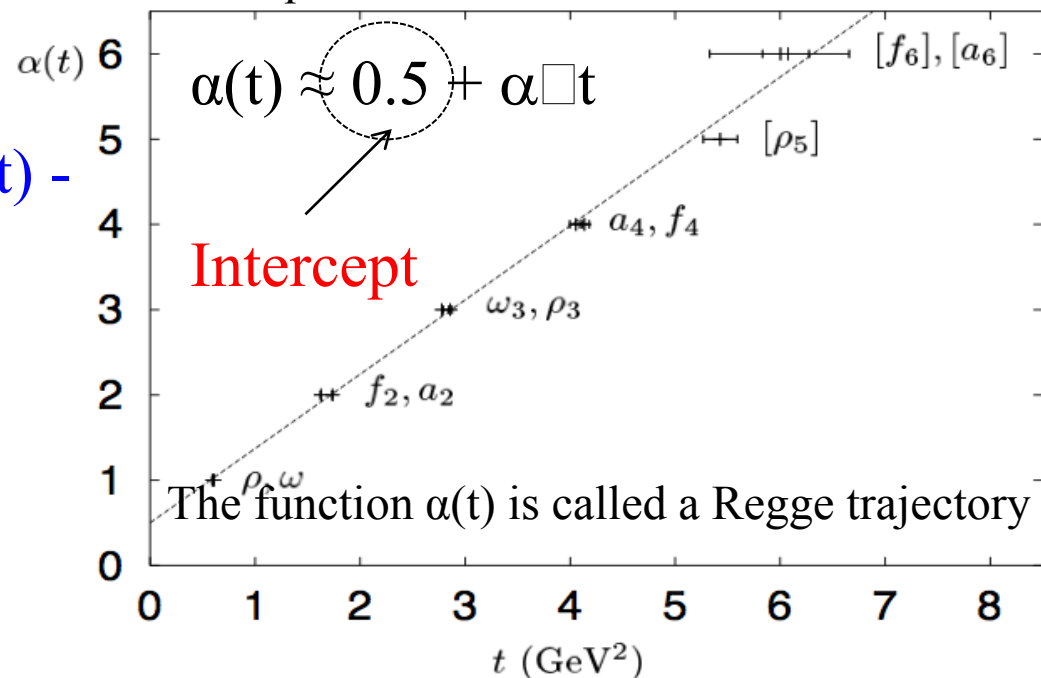
“Regge Theory”, and derivations, is the language used to describe the total cross sections of hadron-hadron scattering.

The behavior of the total cross section depends on the sum of exchanges of groups of many particles, called trajectories

The particles are grouped into trajectories, with a given slope and intercept when plotted in the mass ( $t$ ) - spin plane

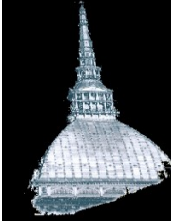


Plot of spins of families of particles against their squared masses:





# Contribution of each trajectory to $\sigma$



Each trajectory contributes to  $\sigma$  according to this expression:

$$\sigma_{\text{TOT}}(s) = \text{Im } A(s, t = 0) = s^{\alpha(0)-1}$$

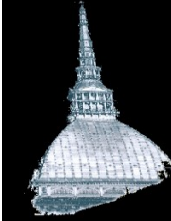
All known particles lie on trajectories such as:  $\alpha(t) \approx 0.5 + \alpha' t$

And therefore the prediction for the total cross section is:

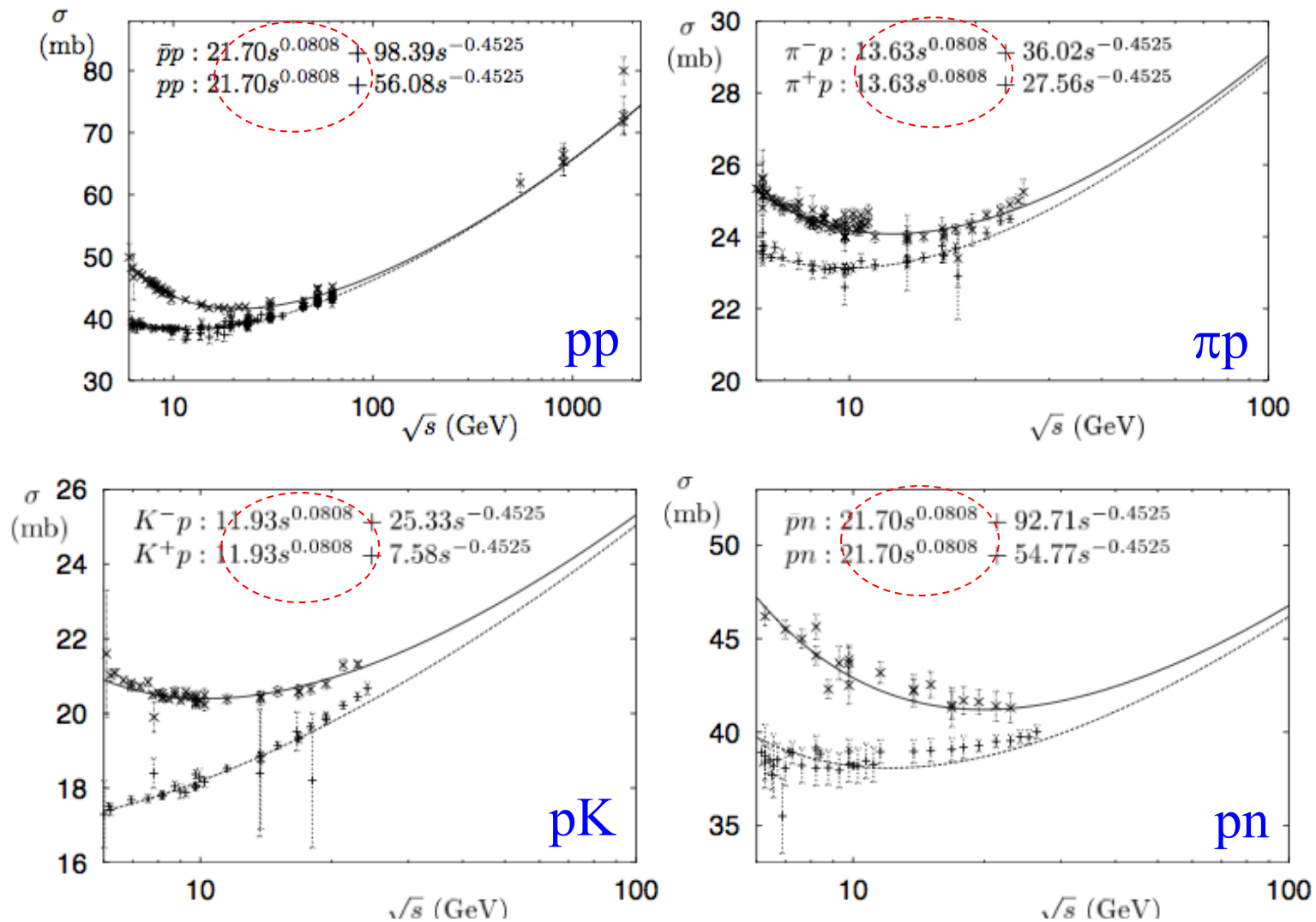
$$\sigma_{\text{TOT}}(s) = s^{\alpha(0)-1} = s^{-1/2}$$

So, it should decrease with  $s$ .

However....

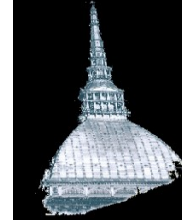


# Overview of hadronic cross sections



The cross section is raising at high energy: every process requires a trajectory with the same positive exponent:  $s^{0.08}$ .....something is clearly missing

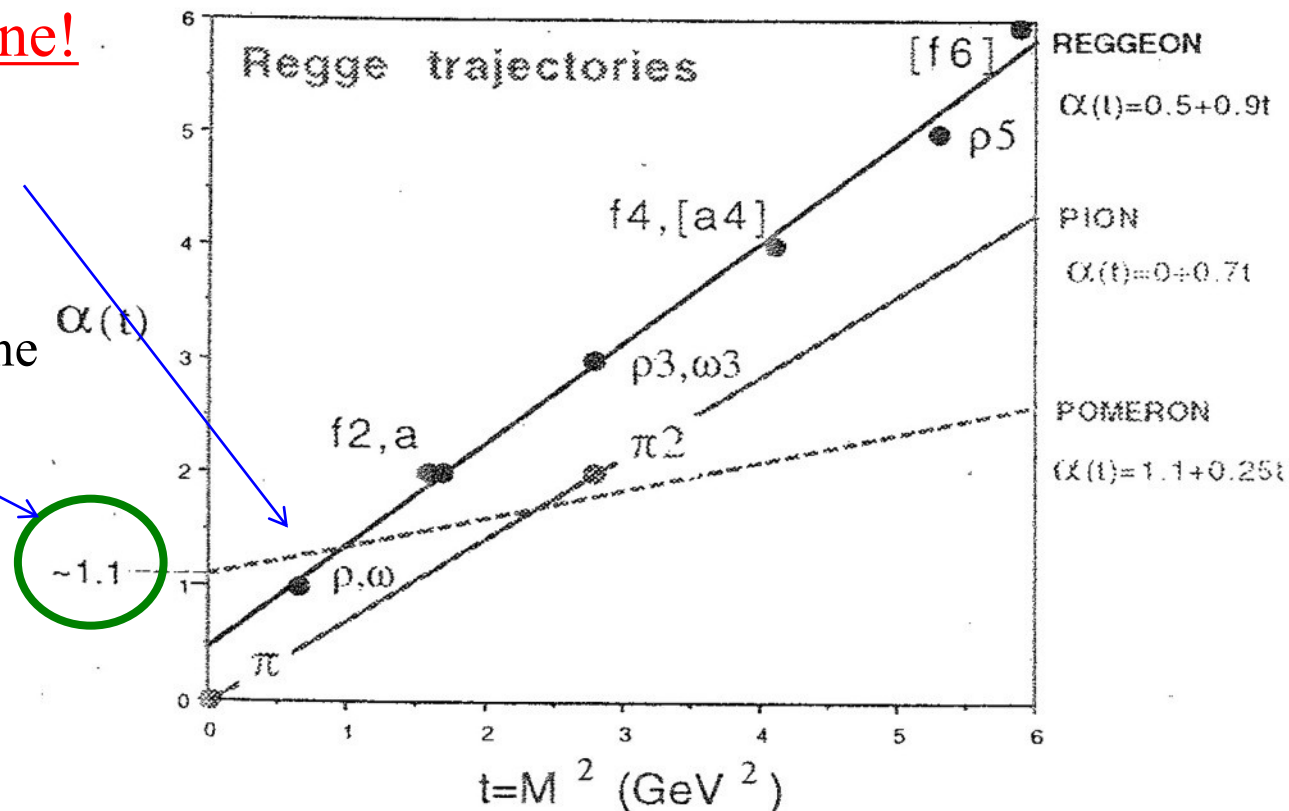
# The advent of the Pomeron



## Intercept larger than one!

A trajectory without  
known particles

Intercept larger than one

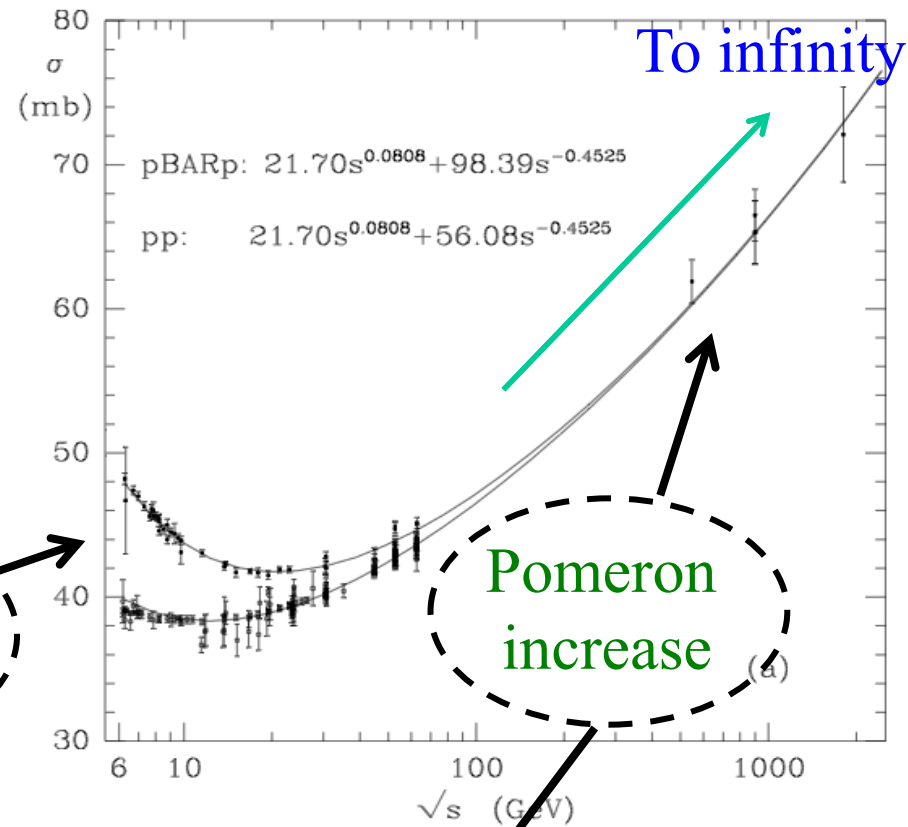


V. Gribov introduced, within Regge theory, a vacuum pole (**Pomeron** with  $\alpha(0) \sim 1.1$ ) in order to have a constant (or rising) total cross section.

# Regge Theory: master formula pre LHC



$$\sigma_{\text{TOT}}(s) = \alpha s^{-0.5} + \beta s^{0.08}$$



Reggeon  
decrease

QCD: exchange of  
valence quark

Pomeron  
increase

QCD: exchange of  
sea quark and  
gluons, glueballs..

# The Rise of the gluons

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As measured at HERA, the gluon PDFs experience a very strong rise as the energy increases

If the pomeron is related to “gluons”, it’s reasonable to assume a modification of the pomeron term:

The cross section will start rising more rapidly at higher energy.

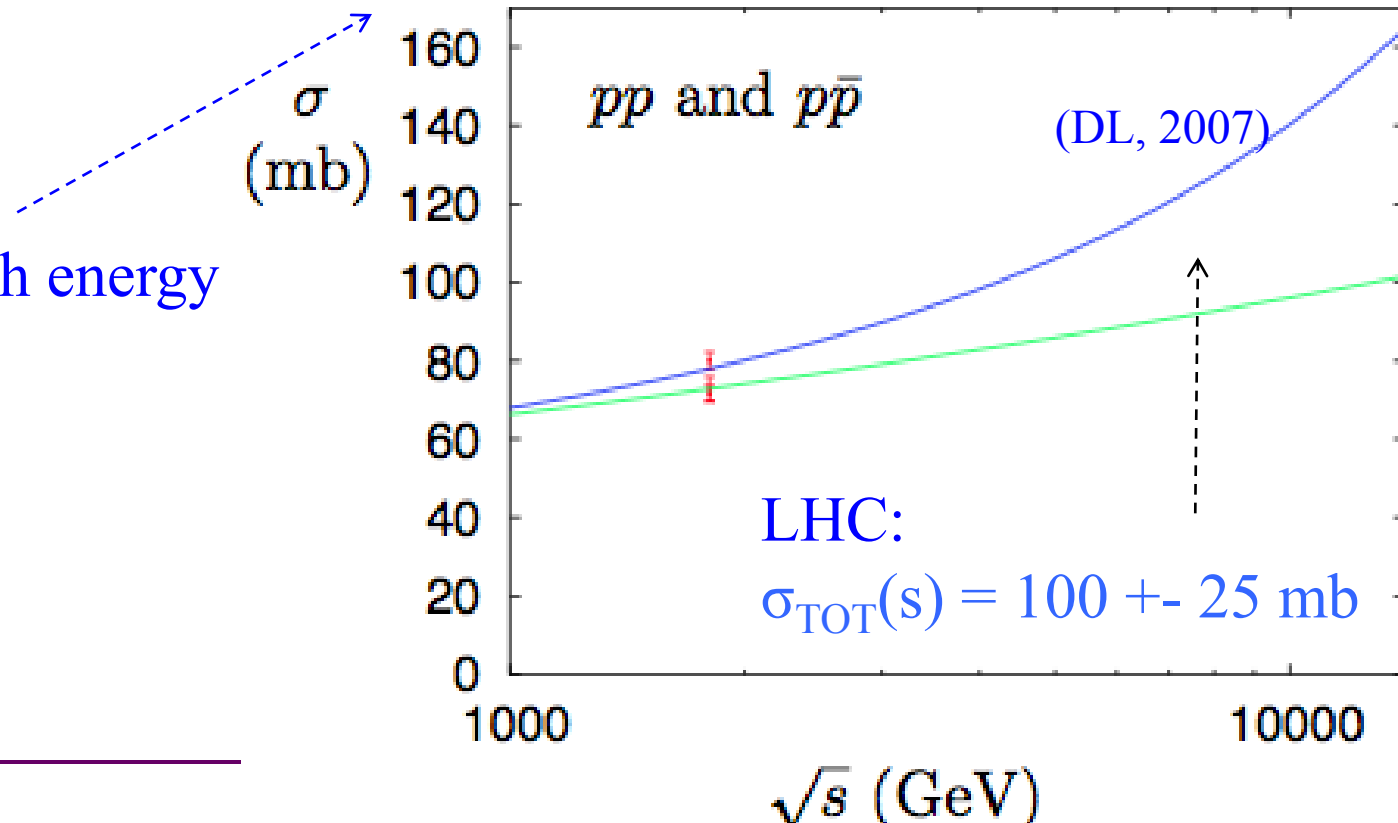


# Regge Theory: master formula for higher energy

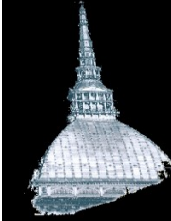
Donnachie and Landshoff introduced in  $\sigma_{\text{TOT}}$  an additional term to account for this effect called “hardPomeron”, with a steeper energy behavior:

$$\sigma_{\text{TOT}}(s) = \alpha s^{-0.5} + \beta s^{0.08} + \gamma s^{0.4}$$

Steeper increase with energy



# Cross section Bounds



**Problem:** some relationships violates unitarity.

Froissart-Martin bound:  $\sigma_{\text{TOT}}(s) < \pi/m_\pi^2 \log^2(s)$

However it's not a big deal for LHC:  $\sigma_{\text{TOT}} < 4.3$  barns

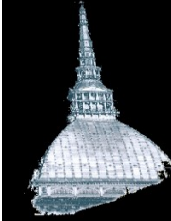
Pumplin bound:  $\sigma_{\text{El}}(s) < \frac{1}{2} \sigma_{\text{TOT}}(s)$

- $\sigma_{\text{El}}(s) \sim s^{2\varepsilon}$
- $\sigma_{\text{Tot}}(s) \sim s^\varepsilon$

At high energy:  $s^{2\varepsilon} > s^\varepsilon$

# Reggeon Field Theory Models

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This simple-minded Regge Theory becomes a “real” theory in RFT (Gribov et al) .

RFT explains soft QCD physics using the exchange of trajectories, together with principles such as unitarity and analyticity of the scattering amplitude. In this framework, it can make predictions of cross section values.

RFT can also explain hard QCD physics (handled by the DGLAP equation in other frameworks) with the introduction of hard pomeron diagrams. The mathematics become daunting..



# The opposite approach: perturbative QDC models

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The basic block of hadronic Monte Carlo models (for example PYTHIA) is the

$2 \rightarrow 2$  pQCD matrix element

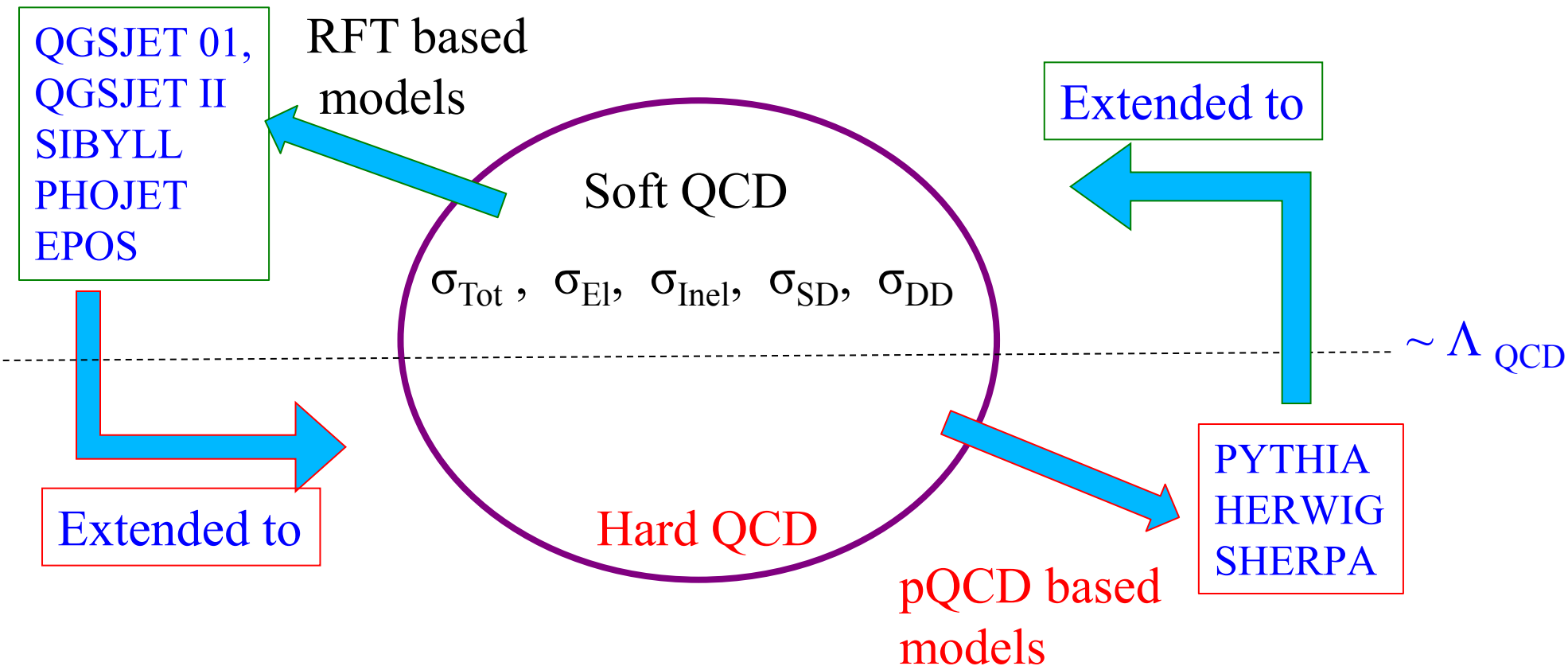
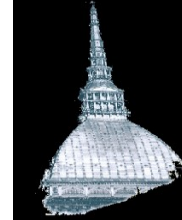
together with

ISR +FSR + PDF.

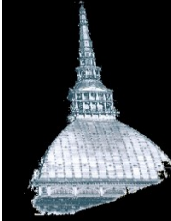
Soft QCD, diffraction and total cross sections **are added by hand, using a chosen parameterization.** They are not the main focus of these models.

Typical examples of parametrizations are the “Ingelman & Schlein” model or the “Rockefeller” model.

# Monte Carlo models: RFT vs. pQCD



# Topologies of events in $\sigma_{\text{tot}}$



**TOTAL** cross section means measuring **everything...**

We need to measure every kind of events, in the full rapidity range:

$$\sigma_{\text{Tot}} = \sigma_{\text{elastic}} + \sigma_{\text{diffractive}}(\sigma_{\text{SD}} + \sigma_{\text{DD}} + \dots) + \sigma$$

**Elastic**: two-particle final state, very low  $p_t$ , at very high rapidity.

→ **Very difficult**, needs dedicated detectors near the beam

**Diffractive**: gaps everywhere.

→ **Quite difficult**, some events have very small mass, difficult to distinguish diffraction from standard QCD.

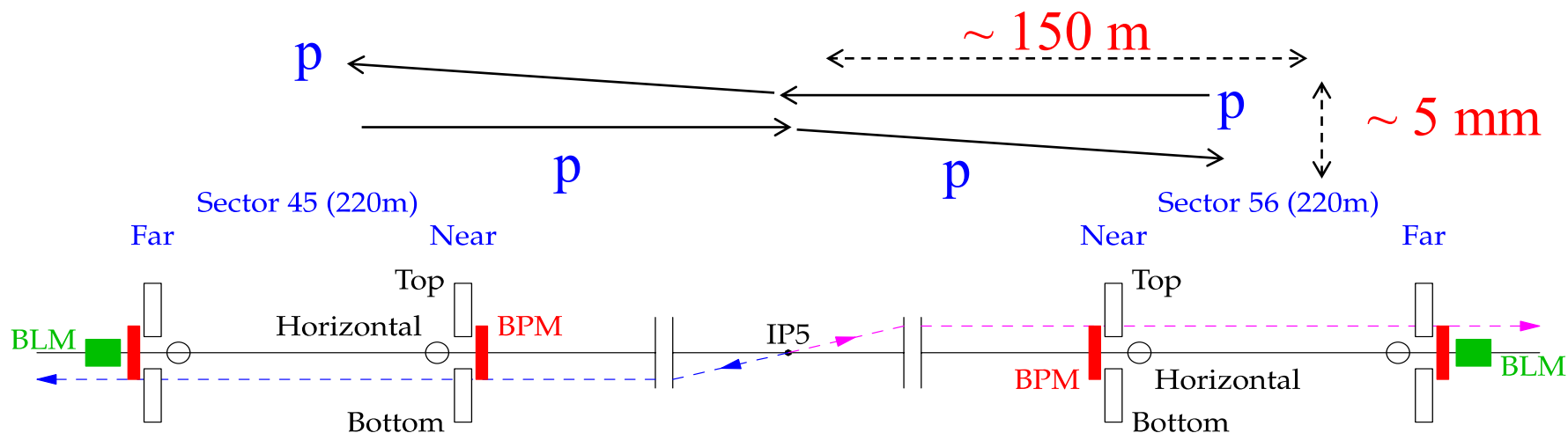
**Everything else**: jets, multi-particles, Higgs....

→ **Easy**

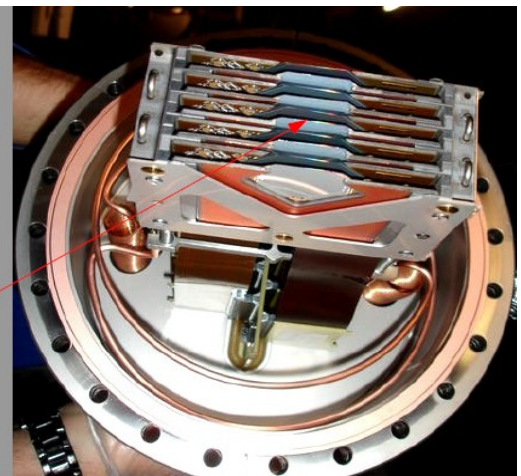
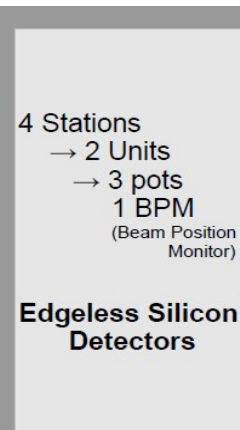
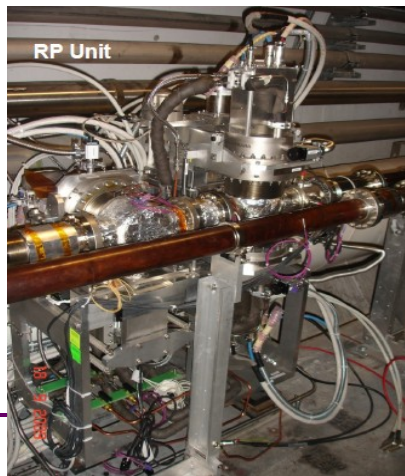
# The very difficult part: elastic scattering



Need dedicated experiments able to detect scattered particles very close to the beam line:  $pp \rightarrow pp$



TOTEM @ LHC  
Roman Pot and silicon detector



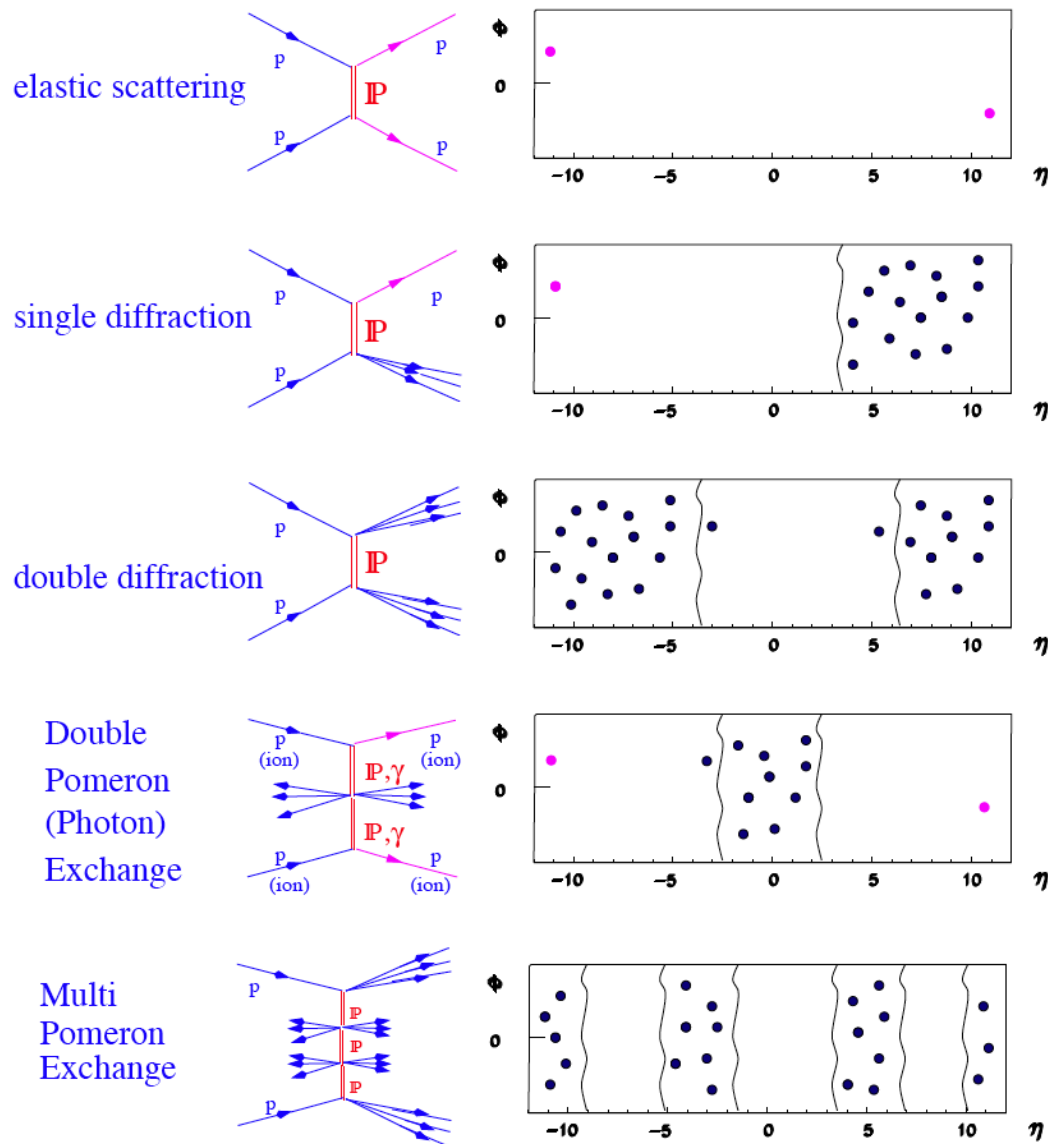
# The difficult part: pomeron exchange



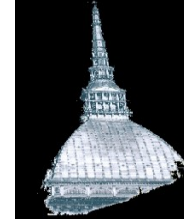
Pomeron exchange is a  
synonym of colour  
singlet exchange  
(diffraction)

Many different  
topologies to measure

Importance of very low  
mass events



# Experimental definition of diffraction



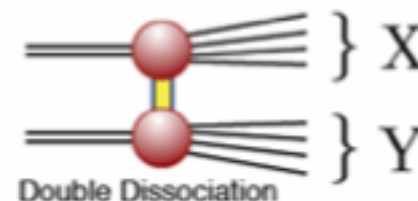
Experiments use “detector level” definition of diffraction. “Diffraction” is normally tagged by the presence of a gap ( $\Delta\eta > 2 - 3$  units) in particles production

ATLAS:

DD-like events are events with both  $\xi_{x,y} > 10^{-6}$ ,  $\Delta\eta_{DD} > 3$

SD-like events are events with  $\xi_x > 10^{-6}$  and  $\xi_y < 10^{-6}$ ,  $\Delta\eta_{SD} > 4$

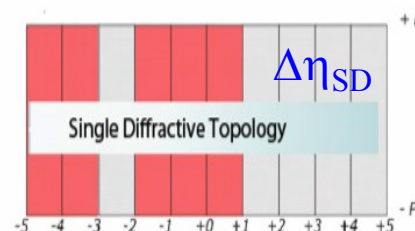
ATLAS measures the fraction of SD events, and the total fraction of events with gaps consistent with SD and DD topologies



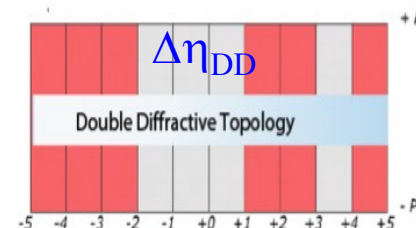
ALICE:

SD events are events with  $M_x < 200 \text{ GeV}/c^2$

DD events are not SD,  $\Delta\eta > 3$

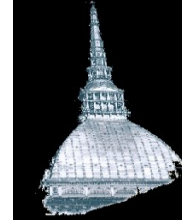


$$\begin{aligned}\Delta\eta_{SD} &= 4 \\ \Delta\eta^F &= 4 \\ \eta_{\text{start}} &= 5\end{aligned}$$

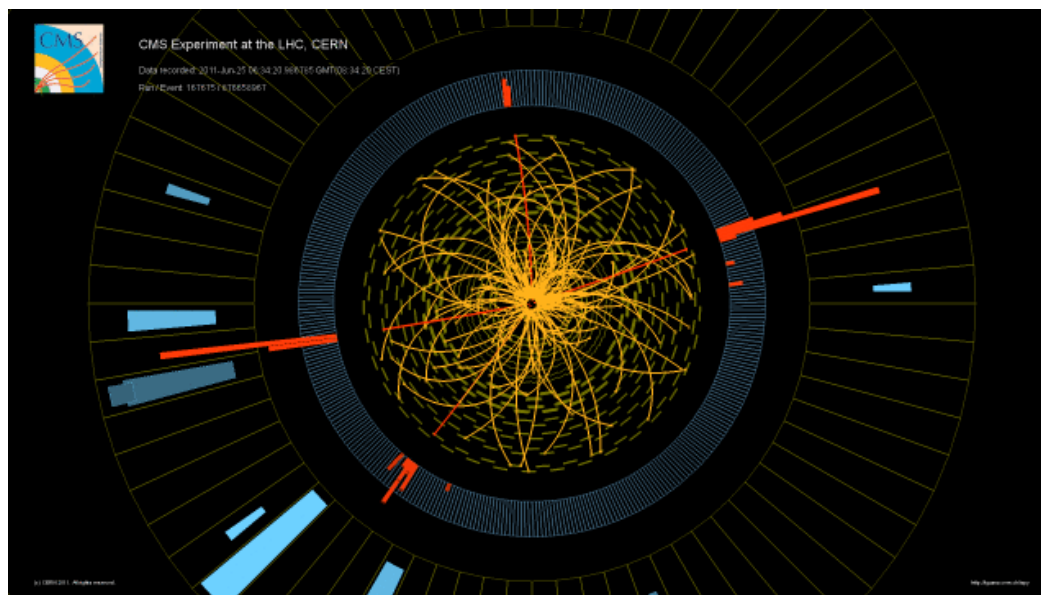
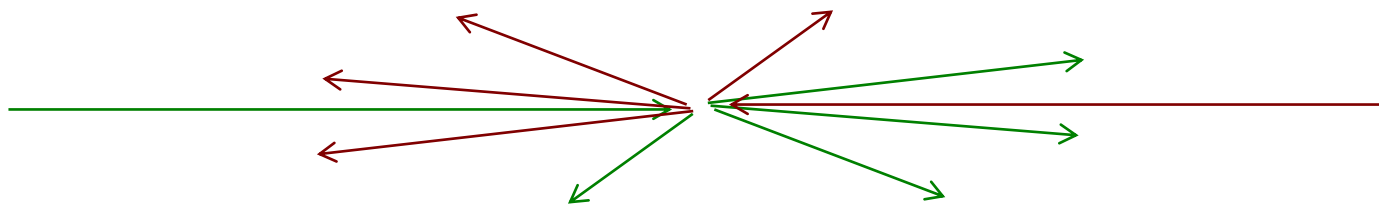


$$\begin{aligned}\Delta\eta_{DD} &= 3 \\ \Delta\eta^F &= 0 \\ \eta_{\text{start}} &= 2\end{aligned}$$

# The easy part: everything else



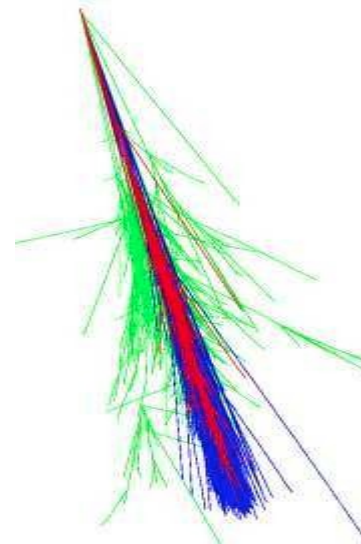
The non-diffractive inelastic events are usually not difficult to detect:



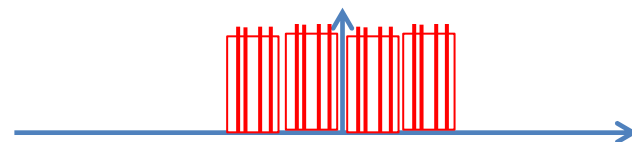
# Direct measurement of parts of $\sigma_{\text{TOT}}$ : cosmic-ray and collider experiments



In cosmic-ray experiments (AUGER just completed its analysis), the shower is seen from below. Using models, the value of  $\sigma_{\text{inel}}$  (p-air) is inferred, and then using a technique based on the Glauber method,  $\sigma_{\text{inel}}$  (pp) is evaluated.

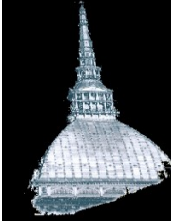


In collider experiments (currently ALICE, ATLAS, CMS, and TOTEM @ LHC), the detector covers a part of the possible rapidity space. The measurement is performed in that range, and then it might be extrapolated to  $\sigma_{\text{inel}}$ .

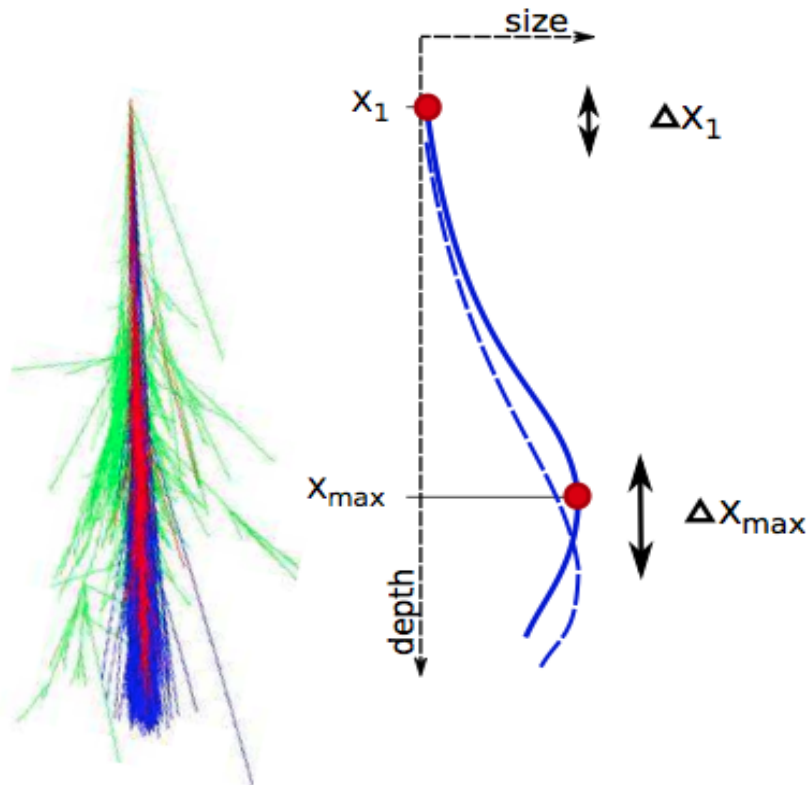




# Cosmic-ray experiments: the method to measure $\sigma_{\text{inel}}$



- The path before interaction,  $X_1$ , is a function of the p-air cross section.
- The experiments measure the position of the maximum of the shower,  $X_{\text{max}}$
- Use MC models to related  $X_{\text{max}}$  to  $X_1$ , and then  $\sigma$  (p-air)



$$\frac{dp}{dX_1} = \frac{1}{\lambda_{\text{int}}} e^{-X_1/\lambda_{\text{int}}}$$

$$\text{RMS}(X_1) = \lambda_{\text{int}}$$

$$\sigma_{\text{int}} = \frac{\langle m_{\text{air}} \rangle}{\lambda_{\text{int}}}$$

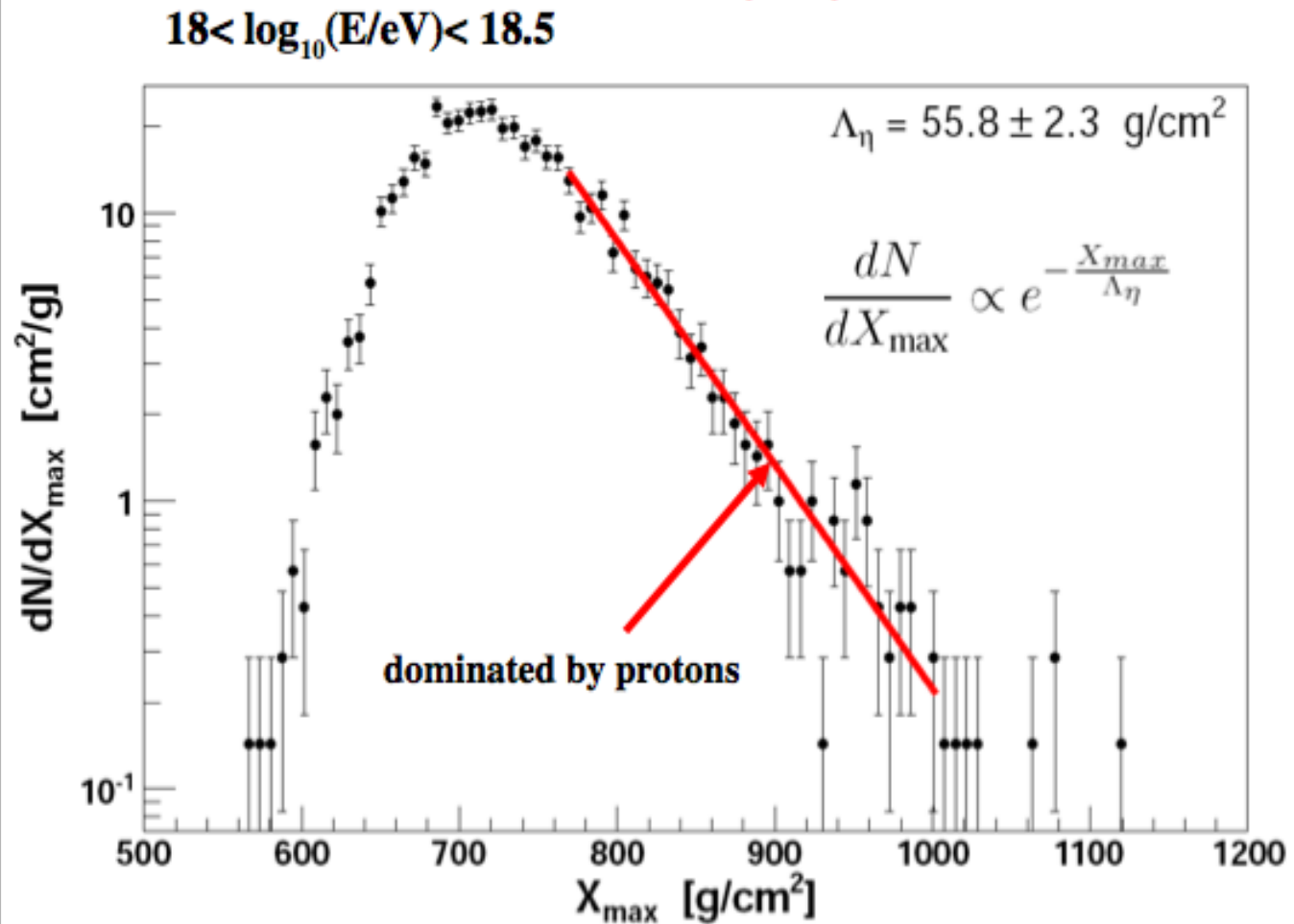
## Difficulties:

- mass composition
  - fluctuations in shower development
- $\text{RMS}(X_1) \sim \text{RMS}(X_{\text{max}} - X_1)$   
 $\Rightarrow$  model needed for correction

# Auger: the measurement

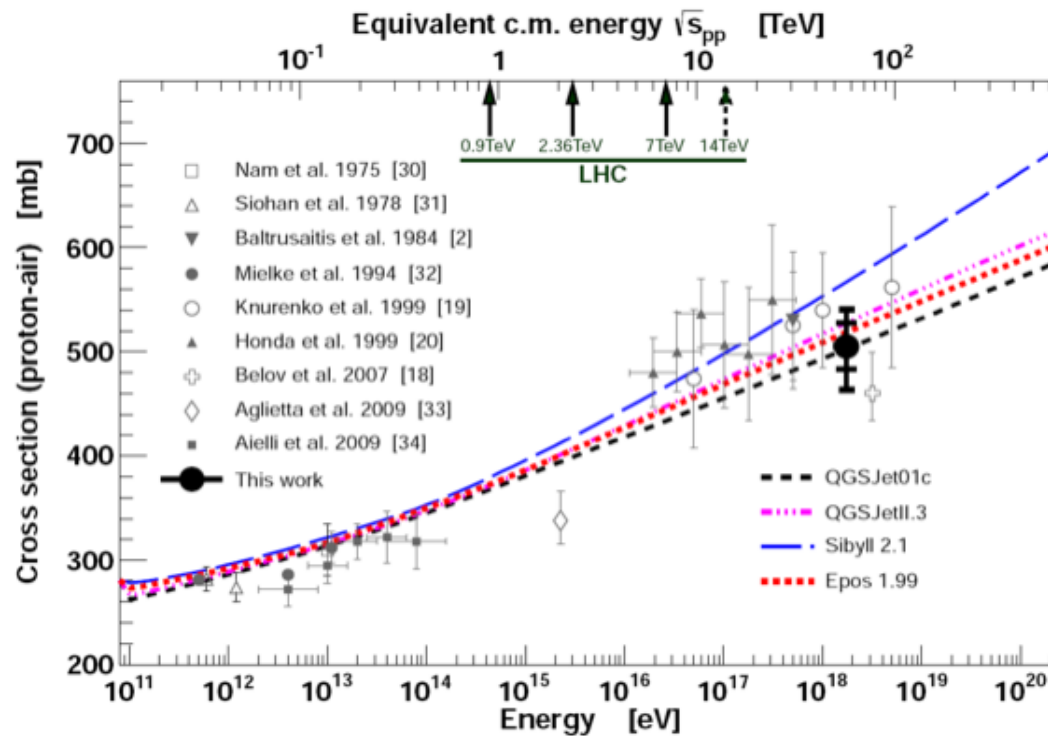
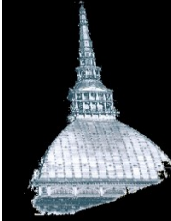


The position of the air shower maximum, at fixed energy,  $X_{\max}$ , is sensitive to the cross section



The Pierre Auger Collaboration, Phys. Rev. Lett. 109, 062002 (2012)

# Auger: p-air cross section



**Energy well above the LHC measurements**

## Systematic Uncertainties

- hadr. Models up to 19 mb
- energy scale 7 mb
- $\Lambda_\eta$  systematics 15 mb
- conversion of  $\Lambda_\eta$  7 mb

$$\langle E \rangle \sim 1.7 \text{ EeV} \quad \sqrt{s} = 57 \text{ TeV} \pm 0.3_{\text{stat}} \pm 6_{\text{sys}}$$

$$\sigma_{p\text{-air}} = (505 \pm 22_{\text{stat}} \text{ } ^{+28}_{-36}_{\text{syst}}) \text{ mb}$$

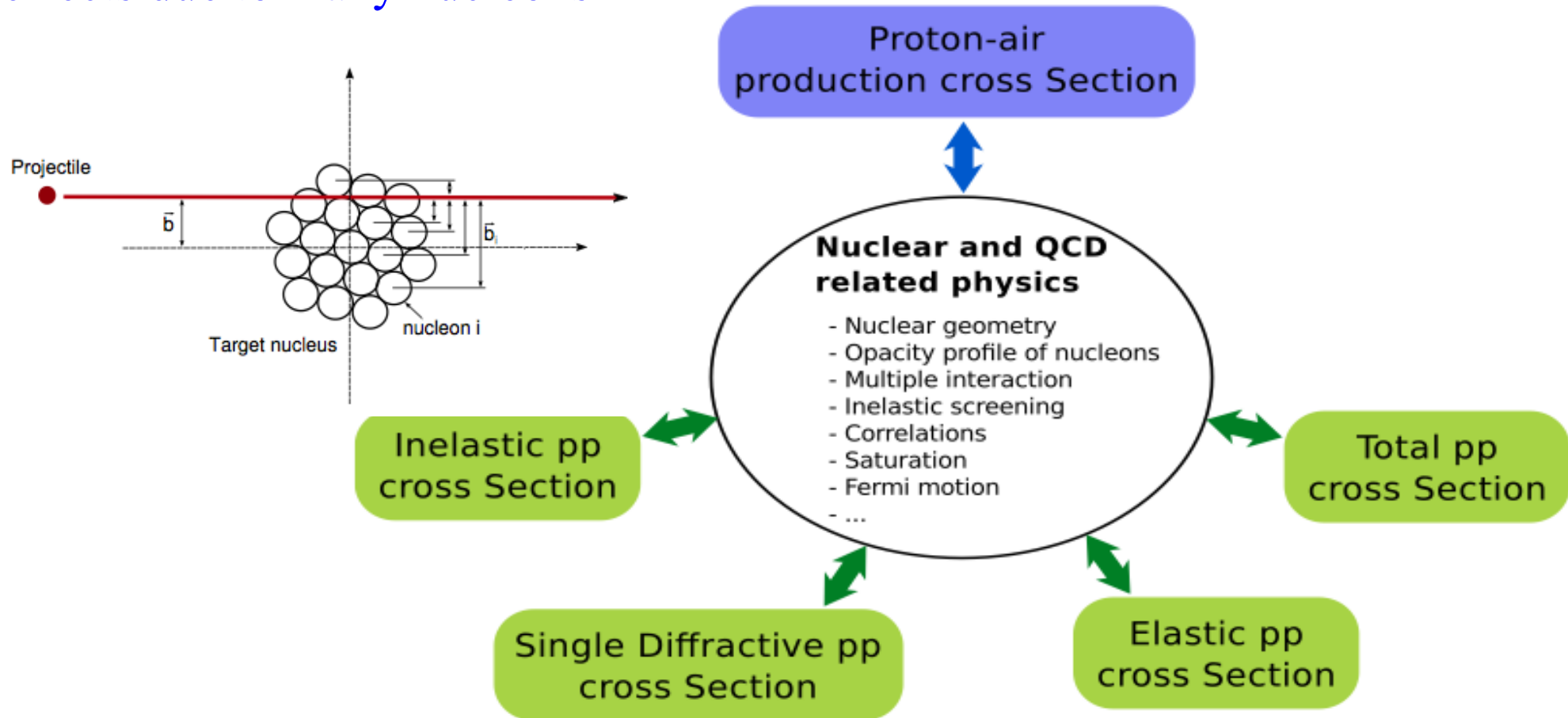
**Additional Uncertainties** due to diverse contaminations:

- photon fraction 0.5% +10 mb
- helium fraction 10% -12 mb
- **helium fraction 25% -30 mb**

# The Glauber model



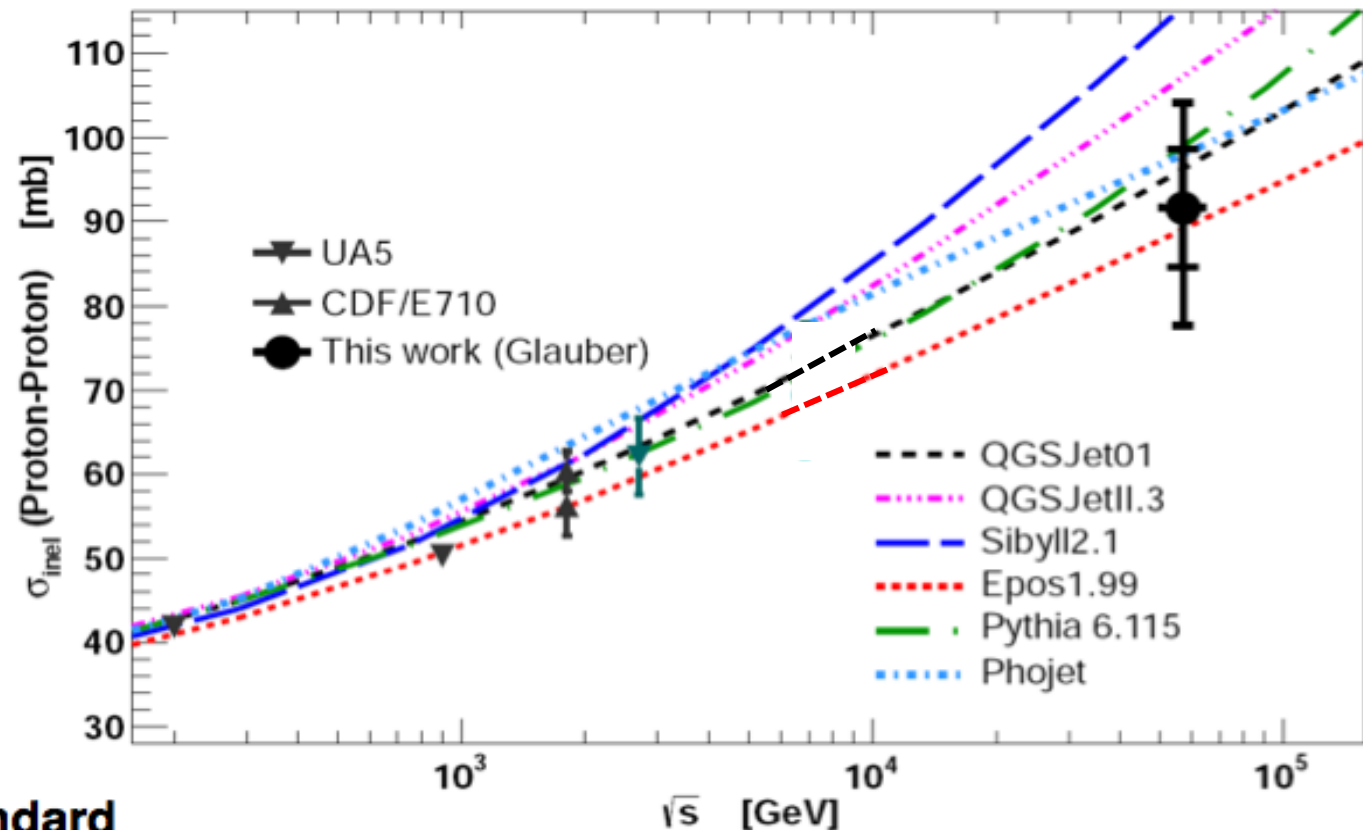
The p-air cross section is interpreted as the convolution of effects due to many nucleons



# Auger: pp cross section



The Pierre Auger Collaboration, Phys. Rev. Lett. 109, 062002 (2012)



**Using standard  
Glauber formalism**

$$\sigma_{pp}^{\text{inel}} = [92 \pm 7(\text{stat}) \pm 9_{-11}^{\text{+9}}(\text{sys}) \pm 7(\text{Glauber})] \text{ mb}$$

$$\sigma_{pp}^{\text{tot}} = [133 \pm 13(\text{stat}) \pm 17_{-20}^{\text{+17}}(\text{sys}) \pm 16(\text{Glauber})] \text{ mb}$$

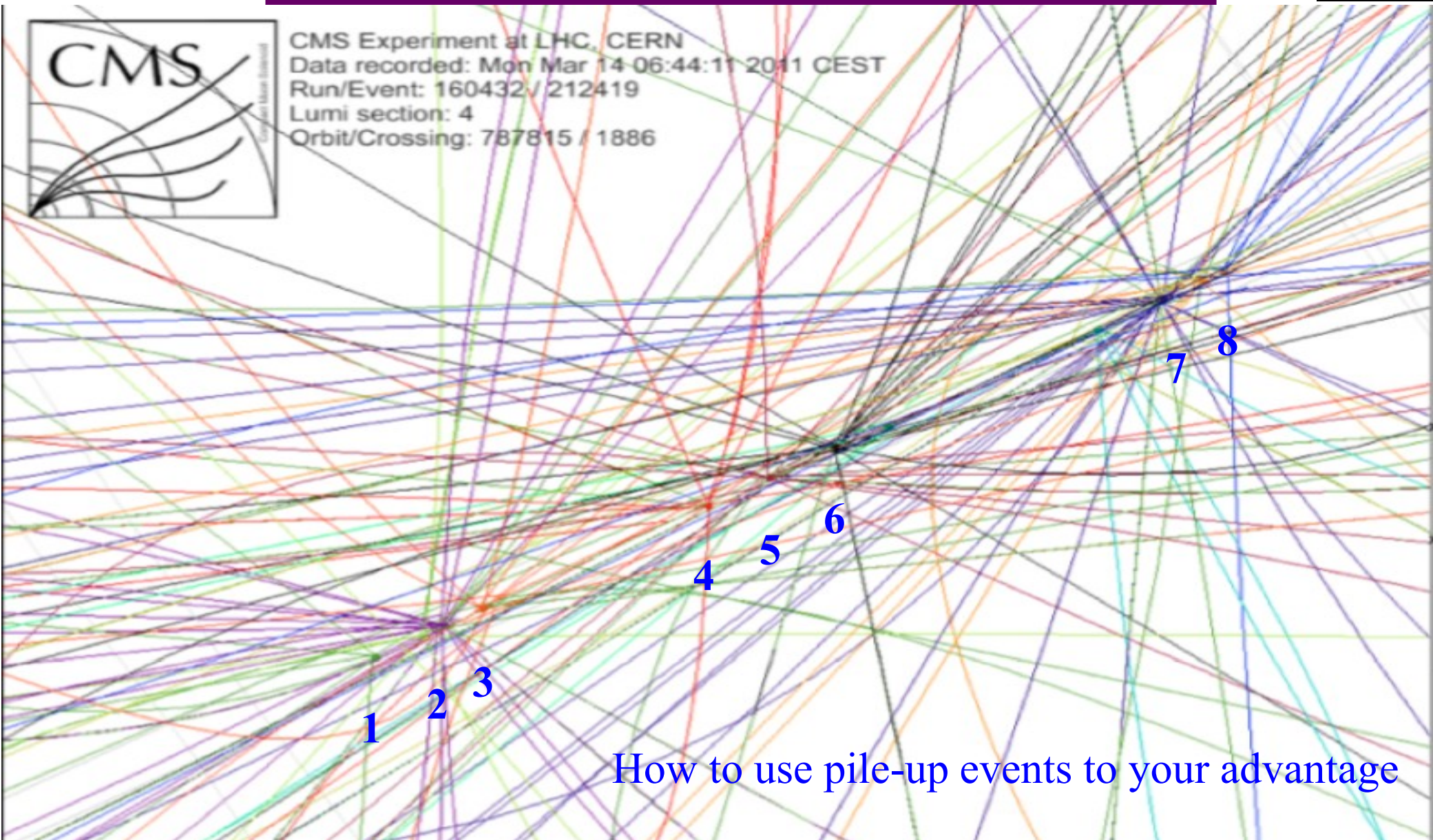


# Collider experiments:

measure  $\sigma_{\text{inel}}$  by counting number of vertexes



CMS Experiment at LHC, CERN  
Data recorded: Mon Mar 14 06:44:11 2011 CEST  
Run/Event: 160432 / 212419  
Lumi section: 4  
Orbit/Crossing: 787815 / 1886



How to use pile-up events to your advantage

# Pileup Analysis Technique

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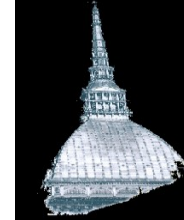
The probability of having  $n_{\text{pileup}}$  depends only on the *visible*  $\sigma(pp)$  cross section:

$$P(n) = \frac{(L \cdot \sigma)^n}{n!} e^{-L \cdot \sigma}$$

If we count the number of pile-up events as a function of single bunch luminosity, we can measure  $\sigma_{\text{vis}}(pp)$ .

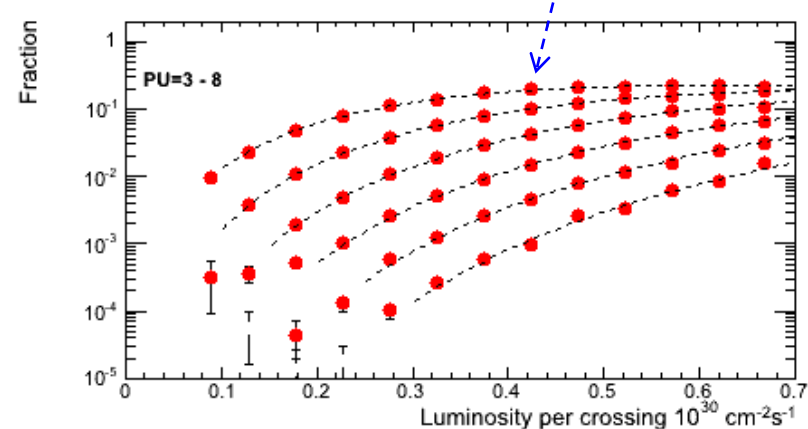
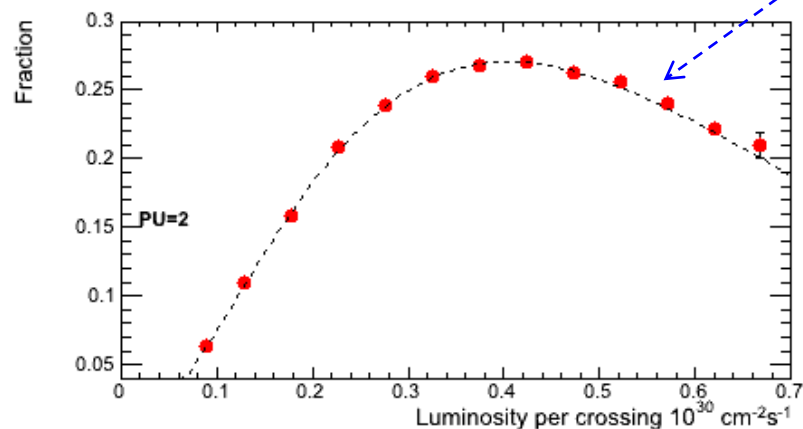
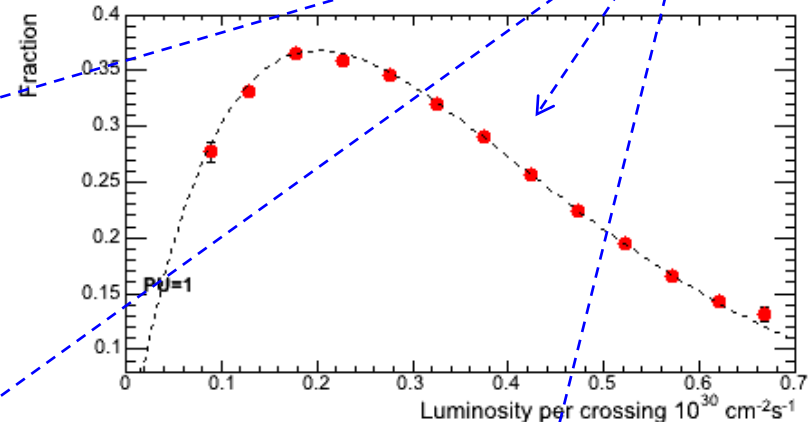
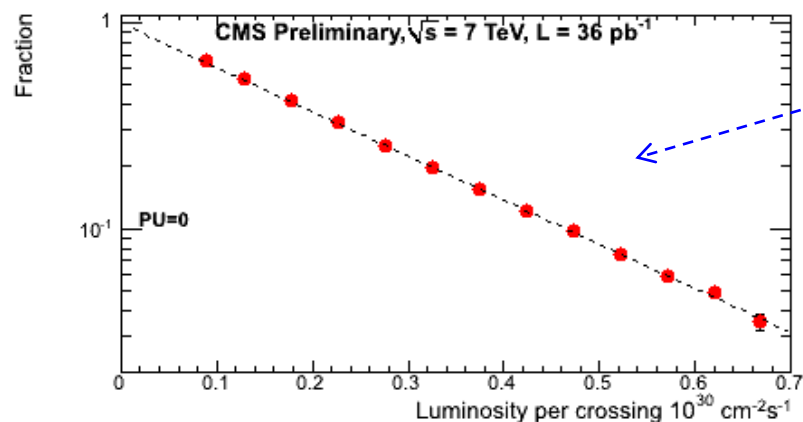
For an accurate measurement we need a large luminosity interval.

# Probability of $n$ extra vertices depends upon $\sigma$



$$P(n_{\text{vertexes}}) = \frac{(L\sigma)^{n_{\text{vertexes}}} e^{-(L\sigma)}}{n_{\text{vertexes}}!}$$

Fit to  $\sigma$





# Collider experiments:

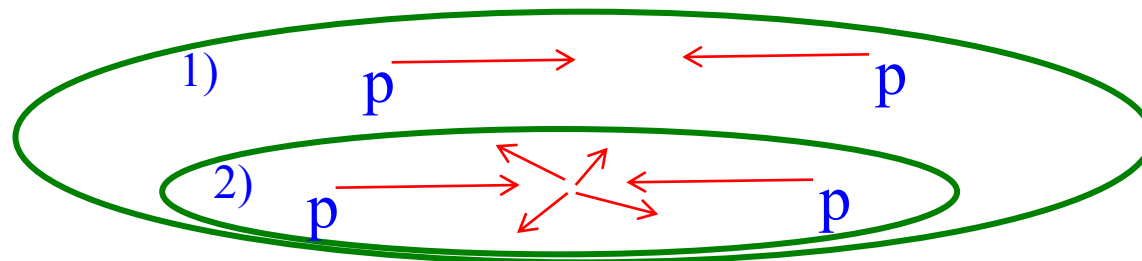
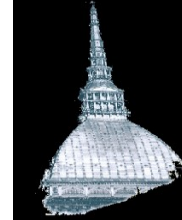
measure  $\sigma_{\text{inel}}$  by counting number of events



The total inelastic proton-proton cross section is obtained by measuring the number of times opposite beams of protons hit each other and leave some energy in the most Hadronic Forward calorimeter (HF)



$E_{\text{HF}} > 5 \text{ GeV}$  is converted, using MC correction, into  $M_x > 15 \text{ GeV}$   
 $(M_x^2/s = \xi > 5 * 10^{-6})$



- 1) Count the number of times (i.e. the luminosity,  $\int L dt$ ) in which there could have been scattering, for example using beam monitors that signal the presence of both beams.
- 2) Measure the number of times there was a scattering, for example measuring a minimum energy deposition in the detector
- 3) Correct for detection efficiency  $\varepsilon$
- 4) Correct for the possibility of having more than one scattering (pileup)  $F_{pu}$ .

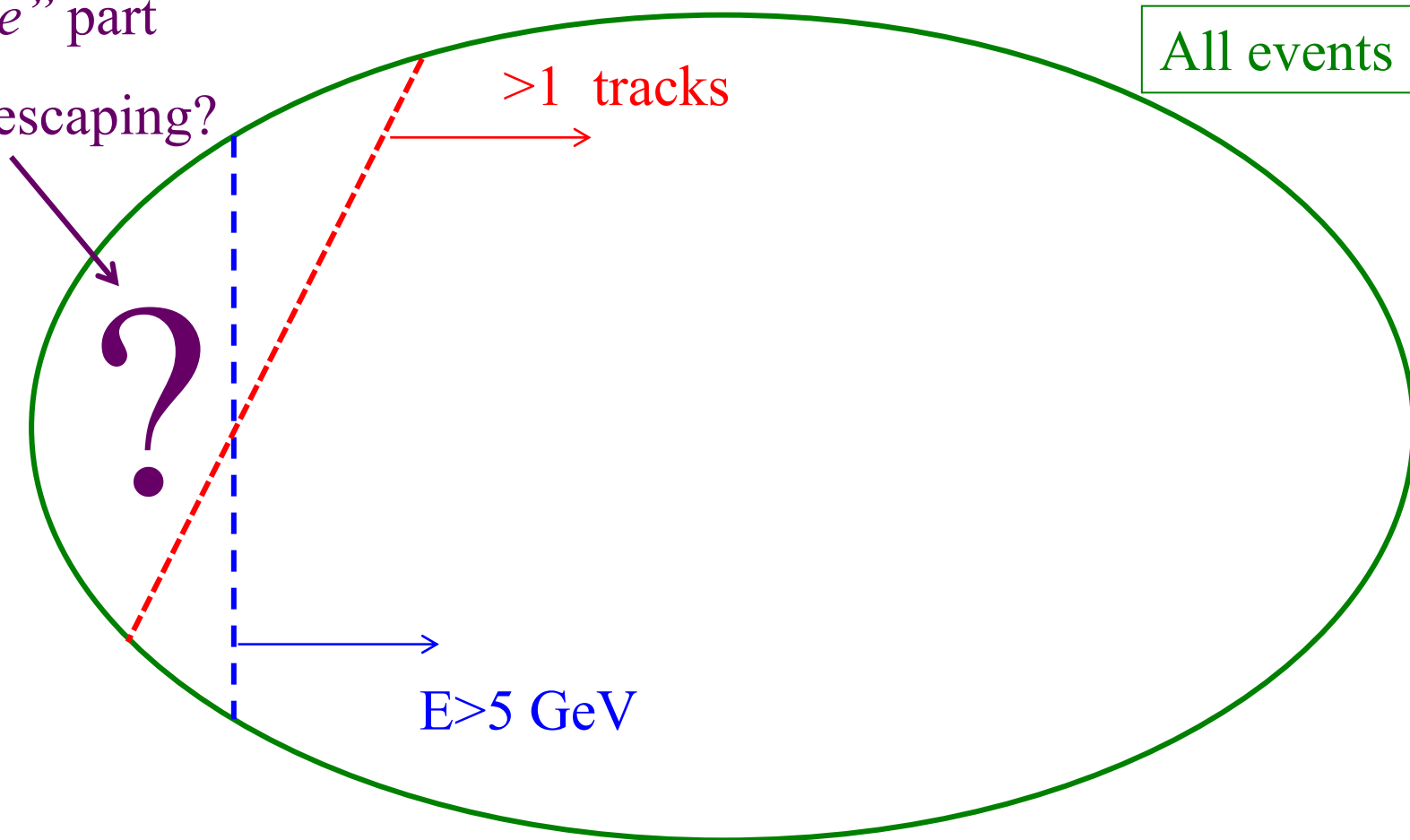
$$\sigma_{Inel} = \frac{N_{Event} F_{pu}}{\varepsilon \int L dt}$$

This method works only at low luminosity



Very small masses,  
“invisible” part

What is escaping?

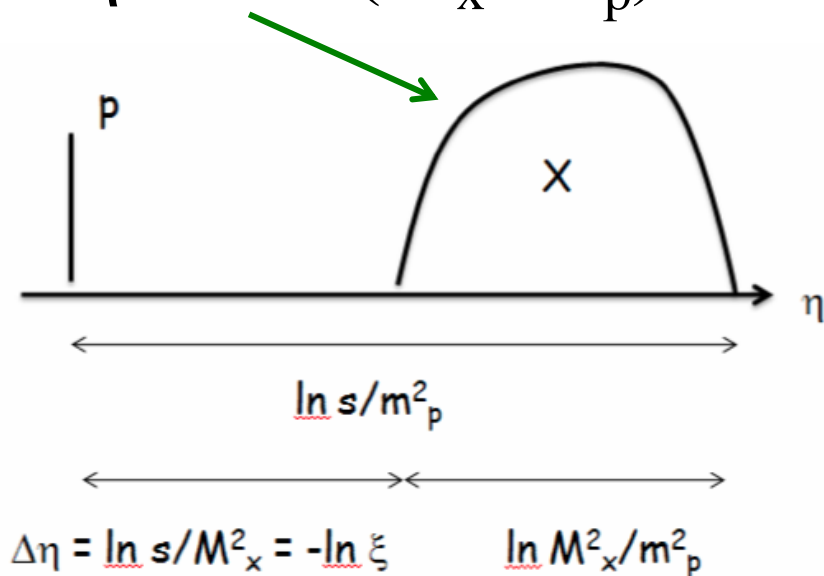


# Rapidity coverage and low mass states



The difficult part of the measurement is the detection of low mass states ( $M_x$ ). A given mass  $M_x$  covers an interval of rapidity:

$$\Delta\eta = -\ln(M_x^2/m_p)$$



$M_x$ [GeV]	$\Delta\eta$	$\xi = M_x^2/s$	
3	2.2	$2 \cdot 10^{-7}$	Escape ↑
10	4.6	$2 \cdot 10^{-6}$	
20	6	$8 \cdot 10^{-6}$	
40	7.4	$3 \cdot 10^{-5}$	
100	9.2	$2 \cdot 10^{-4}$	
200	10.6	$8 \cdot 10^{-4}$	
7000	17.7		

$\xi = M_x^2/s$  characterizes the reach of a given measurement.

# Experimental coverage of rapidity



ATLAS and CMS measure up to  $\eta = \pm 5$ , which means they can reach values as low as  $\xi > 5 * 10^{-6}$  ( $M_x \sim 17$  GeV)

LHC detectors coverage

ALICE covers  $-3.7 < \eta < 5.1$

TOTEM has two detectors:

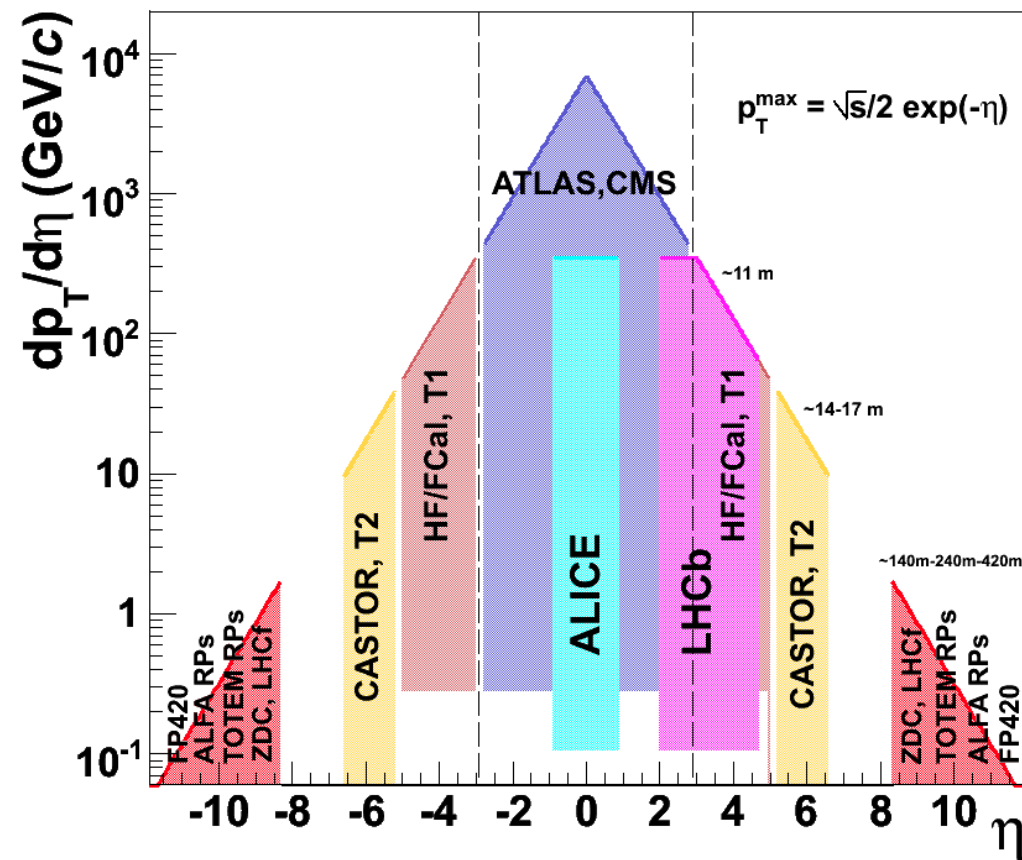
T1:  $3.1 < |\eta| < 4.7$ , T2:  $5.3 < |\eta| < 6.5$ ,  
 $\xi > 2 * 10^{-7}$  ( $M_x \sim 3.4$  GeV)

Main problem:

from  $\sigma_{\text{inel}}^{\text{vis}}$  to the total value  $\sigma_{\text{inel}}$

Solutions:

- 1) Don't do it
- 2) Put large error bars





Optical theorem: elastic scattering at  $t=0 \rightarrow \sigma_{TOT}$   $d\sigma_{EL}/dt = Ae^{-B|t|}$

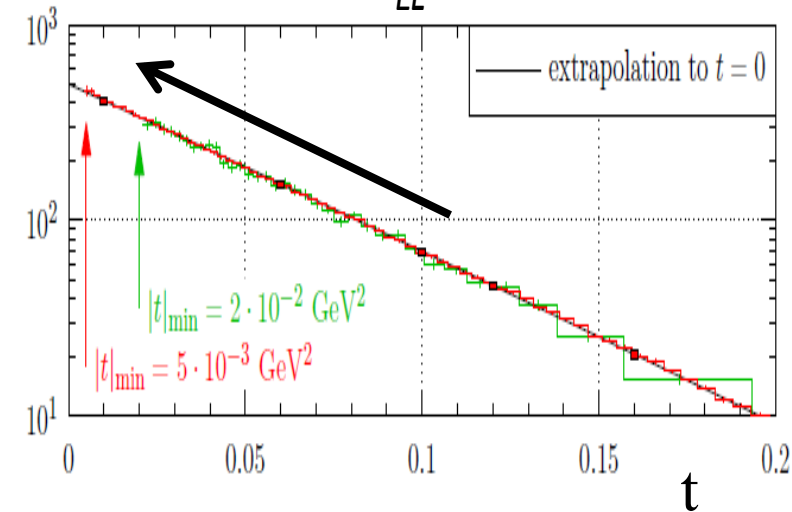
Optical Theorem: 
$$\sigma_{TOT}^2 = \frac{16\pi(\hbar c)^2}{1+\rho^2} \cdot \left. \frac{d\sigma_{EL}}{dt} \right|_{t=0}$$

Using luminosity from CMS: 
$$\frac{d\sigma_{EL}}{dt} = \frac{1}{L} \cdot \frac{dN_{EL}}{dt}$$

$\rho$  from COMPETE fit:

$$\rho = 0.14^{+0.01}_{-0.08}$$

$$\rho = \text{Re}f_{el}|_{t=0} / \text{Im}f_{el}|_{t=0}$$

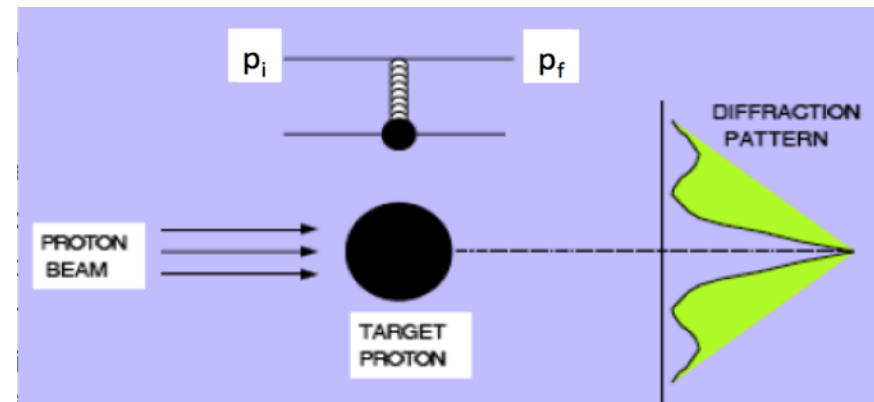


$$\sigma_{TOT} = \sqrt{19.20 \text{ mb GeV}^2 \cdot \left. \frac{d\sigma_{EL}}{dt} \right|_{t=0}}$$

# The art of elastic scattering: theory and detection

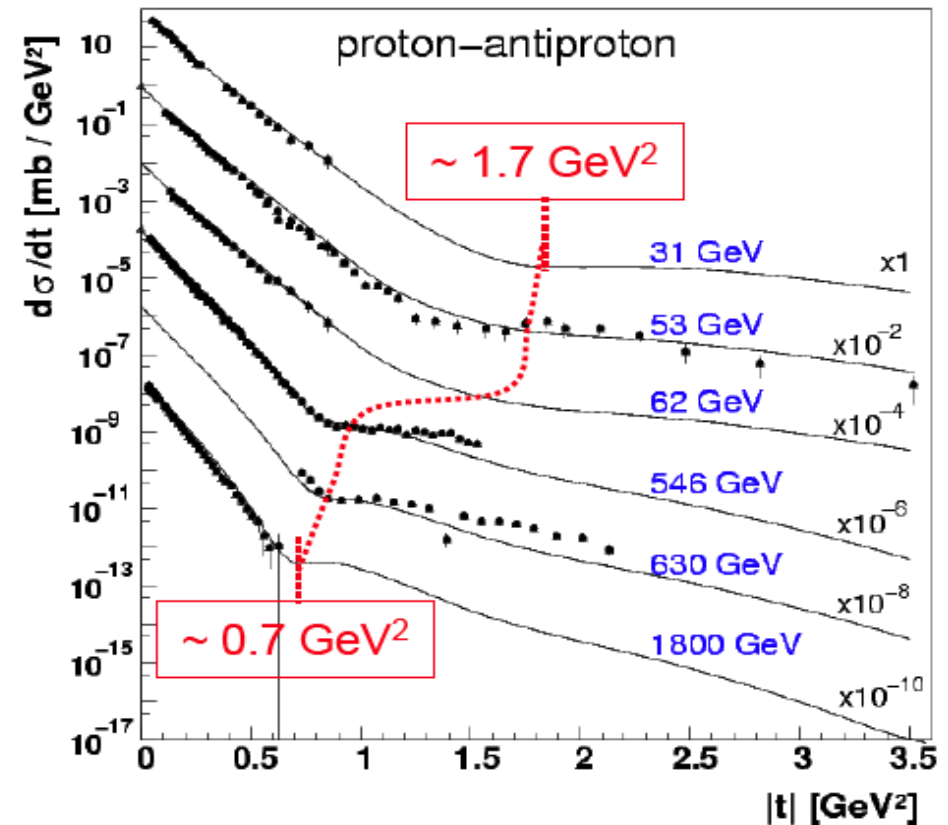
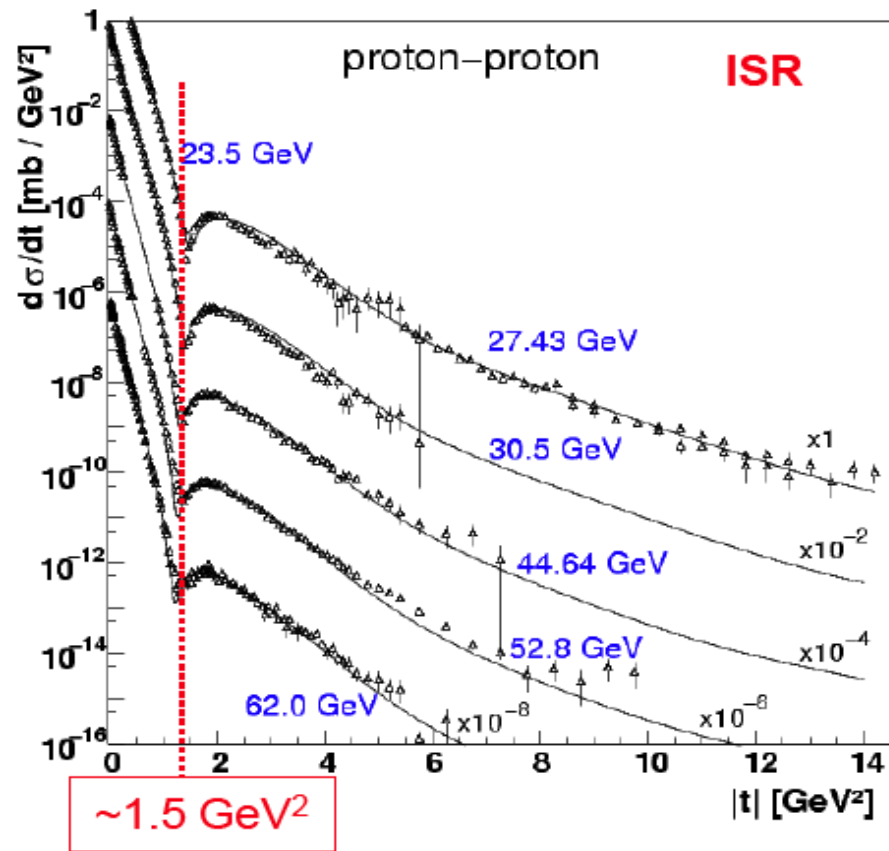
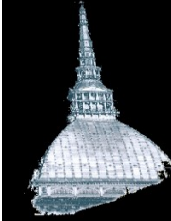


$$\frac{d\sigma_{EL}}{dt} = Ae^{-B|t|}$$



- At small  $t$ , elastic scattering is governed by an exponential law
- Shrinkage of the forward peak: exponential slope  $B$  at low  $|t|$  increases with  $\sqrt{s}$ , it gets steeper at higher energies.
- Dip moves to lower  $|t|$  as  $1/\sigma_{tot}$
- At large  $t$ , data are energy independent:  $d\sigma/dt = 0.09 t^{-8}$

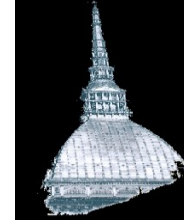
# Elastic Scattering data



Shrinkage of forward peak: steeper, and  
dip moves to lower energy



# The Coulomb peak at $t = 0$

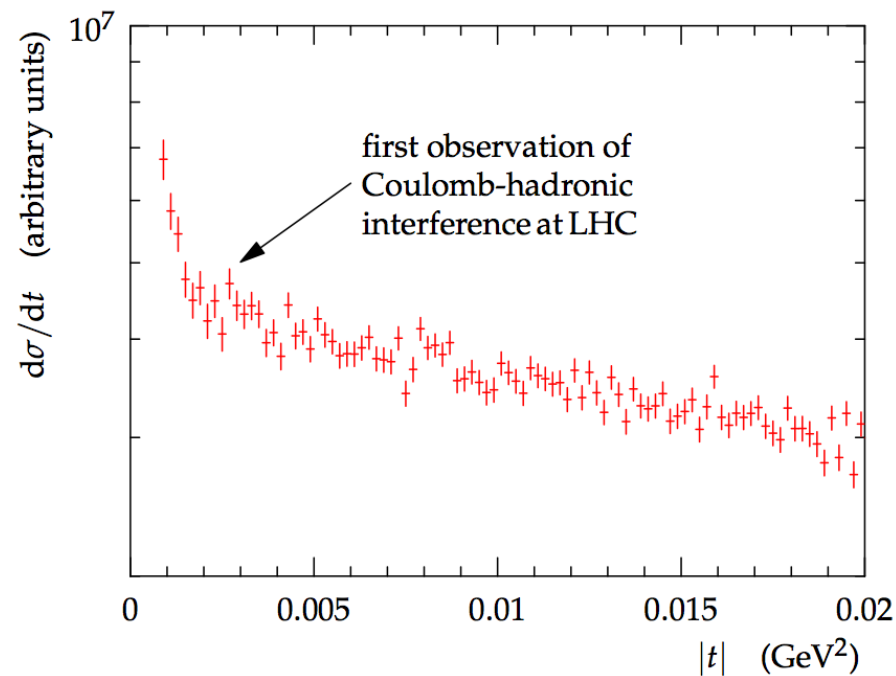
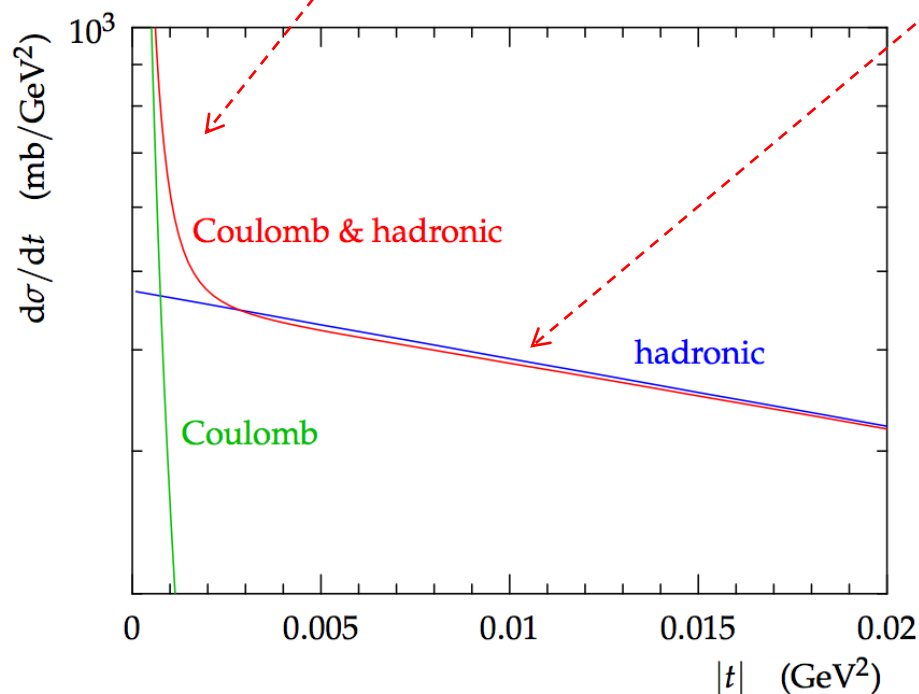


The  $t$  slope changes as a function of  $t$  value.

Do no use: Coulomb part

We need to measure this part

$$\sigma_{tot}^2 = \frac{16\pi}{(1 + \rho^2)} \frac{1}{\mathcal{L}} \left( \frac{dN_{el}}{dt} \right)_{t=0}$$

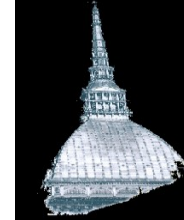




Two basic type of results:

- 1) Comparison of the value of parts of the cross section (elastic, diffractive, soft) with hadronic models (for example MCs) of pp interactions.
- 1) Comparison of the total value of the cross section between data and parameterizations as a function of the center-of-mass energy

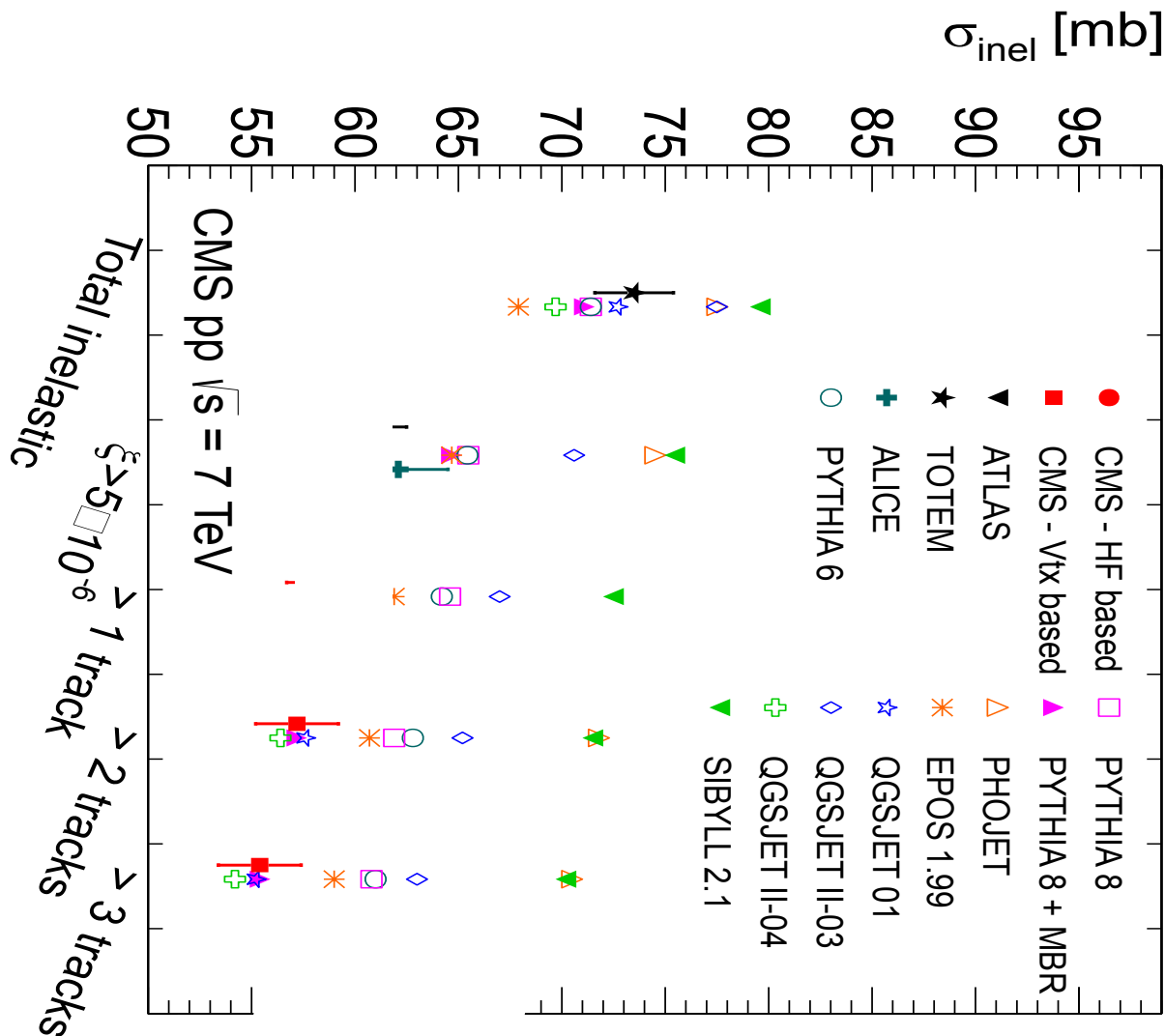
# $\sigma_{inel}$ for specific final states



LHC experiments have also measured the cross section for specific final states.

These results are really useful to distinguish the importance of the various processes that are making up  $\sigma_{tot}$

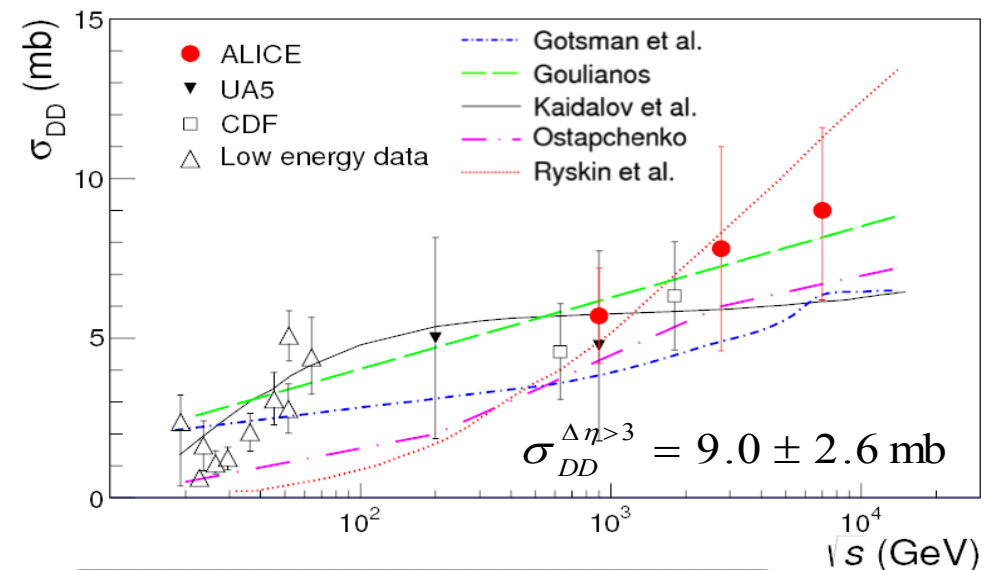
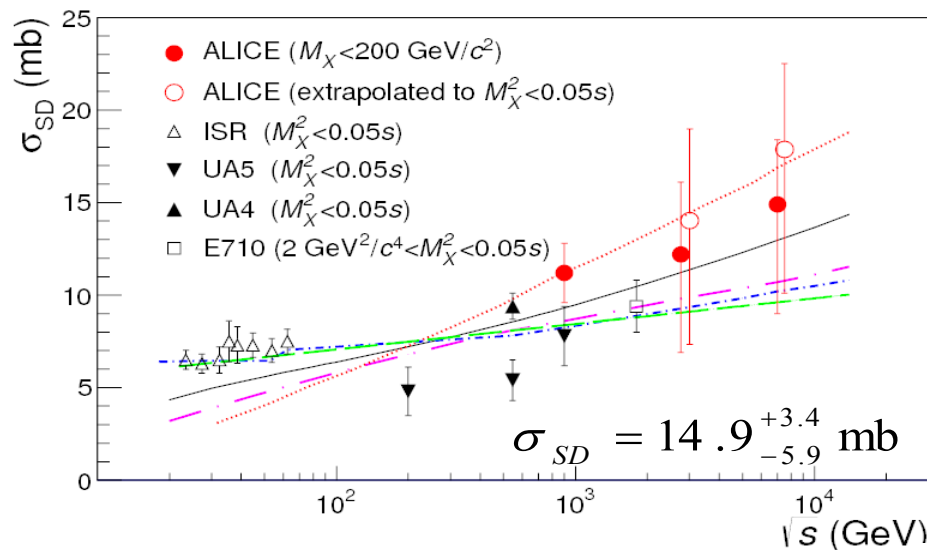
Very few models predict concurrently the correct values of  $\sigma$  for specific final states and  $\sigma_{Tot}$



# $\sigma_{\text{Inel}}$ for specific processes: $\sigma_{\text{SD}}$ , $\sigma_{\text{DD}}$

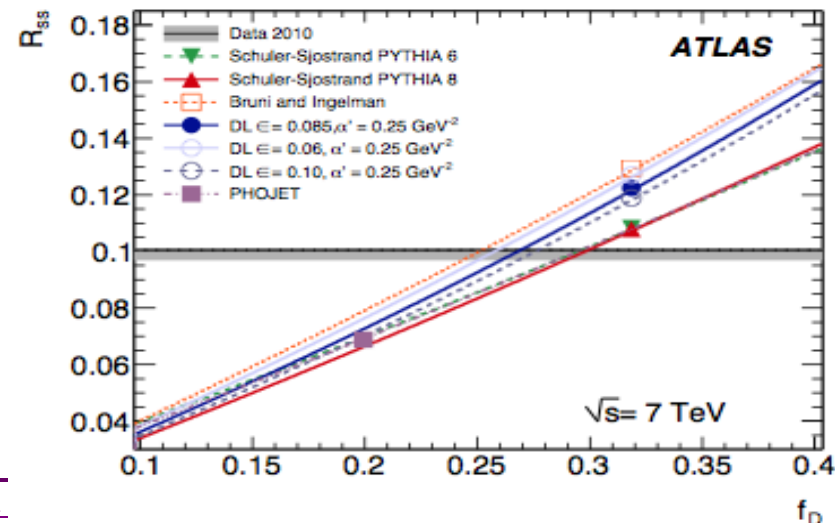


ALICE measured single (SD) and double diffractive (DD) cross-sections

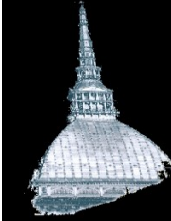


ATLAS:  $\sigma_{\text{GAP}}/\sigma_{\text{Inel}} \sim 0.1$

$f_{\text{D}} = (\sigma_{\text{SD}} + \sigma_{\text{DD}} + \sigma_{\text{CD}})/\sigma_{\text{Inel}} \sim 0.3$



# TOTEM: pp cross section at LHC



Elastic cross section:

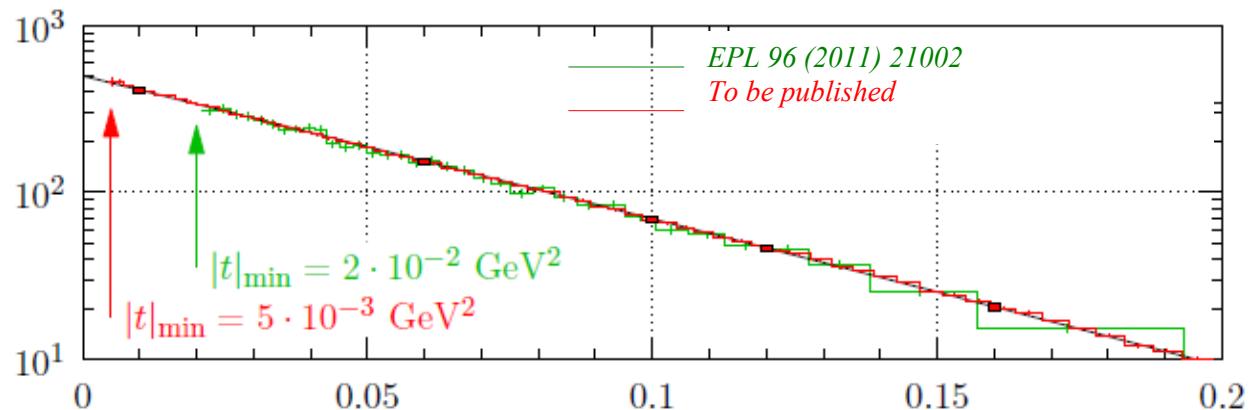
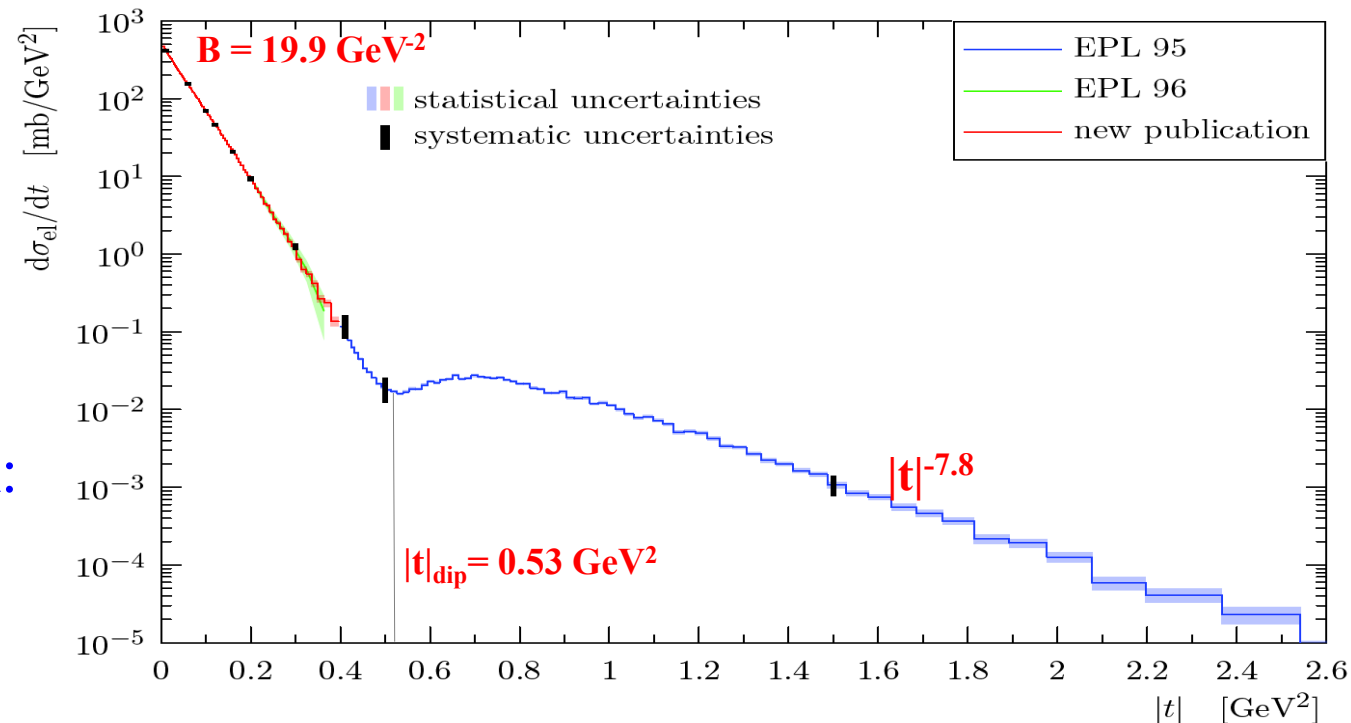
$$\sigma_{\text{el}} = 25.4 \pm 1.1 \text{ mb}$$

Using the optical theorem:

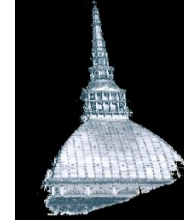
$$\sigma_{\text{TOT}} = 98.6 \text{ mb} \pm 2.2 \text{ mb}$$

And then:  $\sigma_{\text{inel}} = \sigma_{\text{TOT}} - \sigma_{\text{el}}$

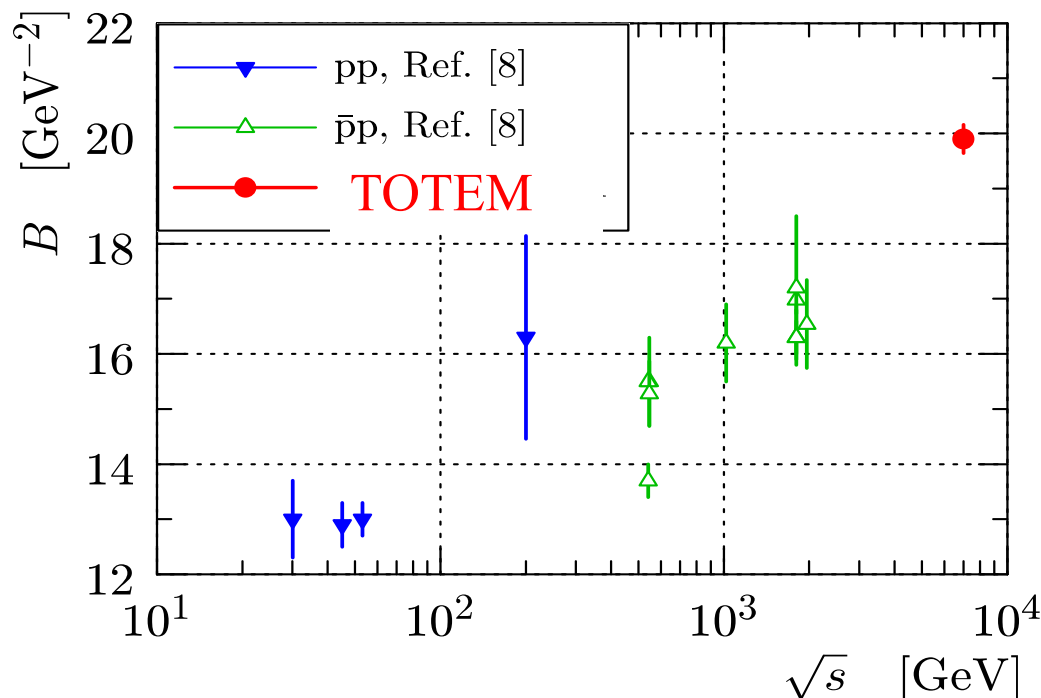
$$\sigma_{\text{inel}} = 73.1 \text{ mb} \pm 1.3 \text{ mb}$$



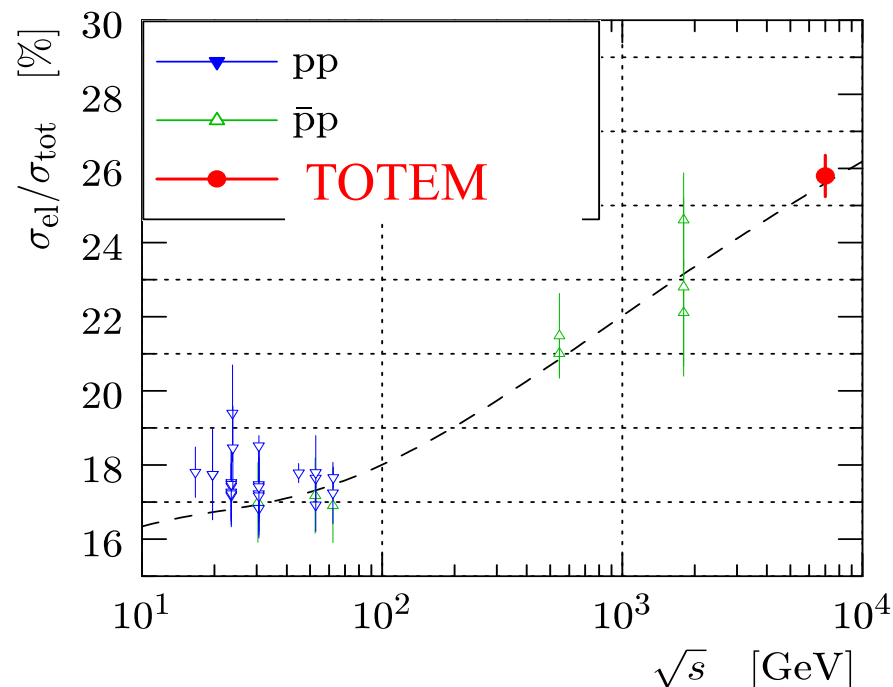
# TOTEM: Shrinkage and $\sigma_{\text{el}} / \sigma_{\text{tot}}$



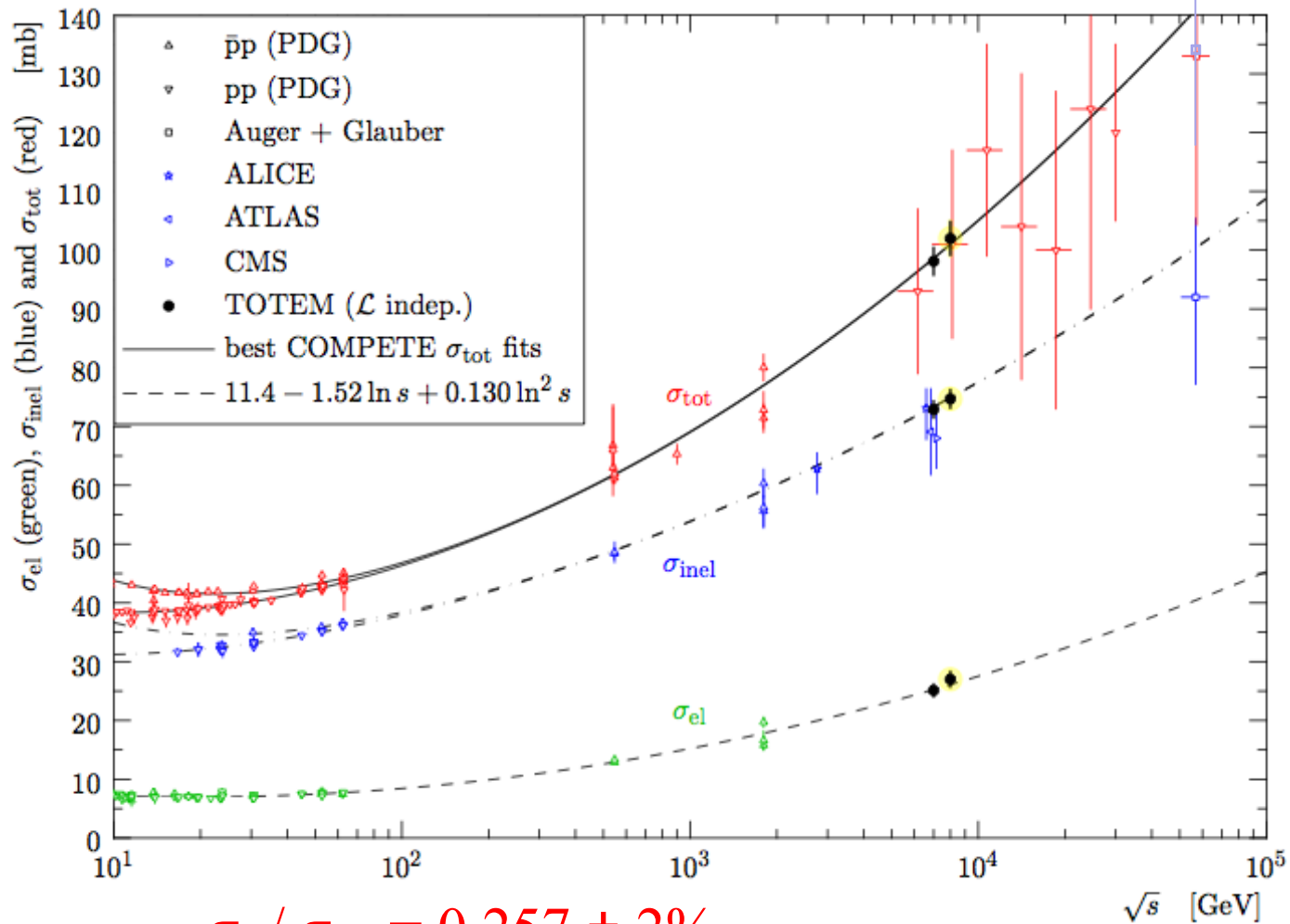
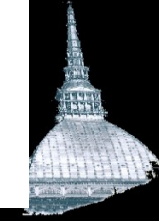
The shrinkage of the forward peak continues...



The elastic component is becoming more important with energy



# $\sigma_{\text{tot}}$ , $\sigma_{\text{inel}}$ , and $\sigma_{\text{el}}$



$$\sigma_{\text{el}} / \sigma_{\text{tot}} = 0.257 \pm 2\%$$

$$\sigma_{\text{el}} / \sigma_{\text{inel}} = 0.354 \pm 2.6\%$$

# Summary and outlook - I



The study of the total cross section and its components is very active.  
A large set of new results have been presented in the last year:

- $\sigma_{\text{Tot}}(7 \text{ TeV})$ ,  $\sigma_{\text{El}}(7 \text{ TeV})$ ,  $\sigma_{\text{Ine}}(7 \text{ TeV})$ ,  $\sigma_{\text{SD}}(7 \text{ TeV})$ ,  $\sigma_{\text{DD}}(7 \text{ TeV})$
- $\sigma_{\text{Tot}}(8 \text{ TeV})$ ,  $\sigma_{\text{El}}(8 \text{ TeV})$ ,  $\sigma_{\text{Ine}}(8 \text{ TeV})$
- B slope and dip position of elastic scattering at 7 TeV
- $\sigma_{\text{Tot}}(57 \text{ TeV})$ ,  $\sigma_{\text{Inel}}(57 \text{ TeV})$
- $\sigma_{\text{Mx} > 15}(7 \text{ TeV})$ ,  $\sigma_{> 1\text{trk}}(7 \text{ TeV})$ ,  $\sigma_{2\text{trk}}(7 \text{ TeV})$ ,  $\sigma_{3\text{trk}}(7 \text{ TeV})$



# Summary and outlook - II

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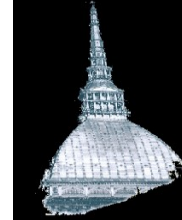


LHC data at 7 & 8 TeV, together with cosmic-ray results, are becoming more and more precise, and they are constraining the available models.

The cross section values are important to determine the parameters used in hadronization, multi-particle production, multiplicity studies...

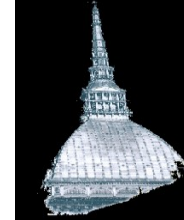
A very interesting contact is happening: measurements at LHC detectors are used to constrain cosmic-ray models, as finally collider energies are high enough: the extrapolation between LHC @ 14 GeV and AUGER is the same as Tevatron → LHC.

This talk will be updated in 3 years, 14 TeV in 2015!!



1. Several talks from the TOTEM home  
page: [http://totem.web.cern.ch/Totem/conferences/conf\\_tab2012.html](http://totem.web.cern.ch/Totem/conferences/conf_tab2012.html)
2. Donnachie & Landshoff: <http://arxiv.org/abs/0709.0395v1>
3. AUGER: <http://lanl.arxiv.org/abs/1208.1520v2>
4. ALICE results, ISVHECRI 2012, Berlin, August 2012
5. D'Enteria et al, Constraints from the first LHC data on hadronic event generators for ultra-high energy cosmic-ray physics
6. ATLAS <http://arxiv.org/abs/1104.0326v1>

# The Pierre Auger Observatory



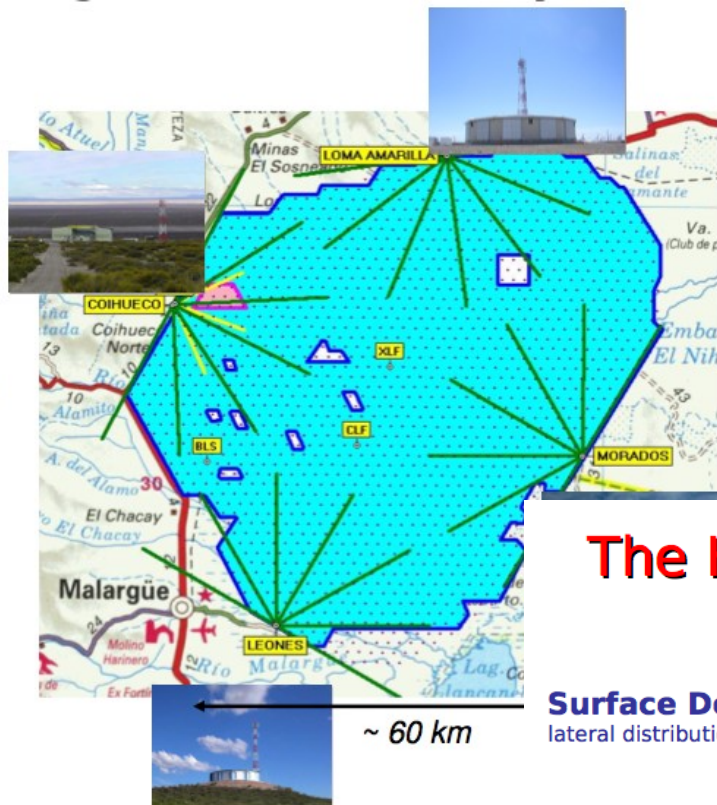
- **Surface detector**  
an array of 1660 Cherenkov stations on a 1.5 km hexagonal grid ( $\sim 3000 \text{ km}^2$ )

- **Fluorescence detector**  
4+1 buildings overlooking the array (24+3 telescopes)

## Low energy extensions

AMIGA: dense array plus muon detectors

HEAT: three further high elevation FD telescopes



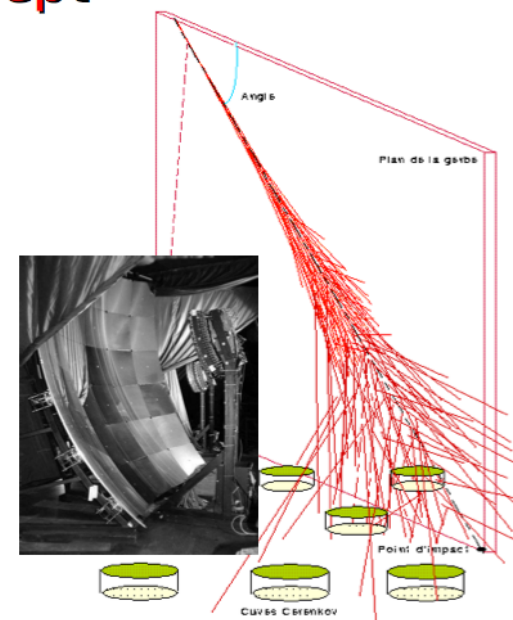
## The Hybrid Concept

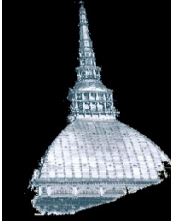
**Surface Detector Array**  
lateral distribution, 100% duty cycle

**Air Fluorescence Detectors**  
Longitudinal profile, calorimetric energy measurement,  $\sim 15\%$  duty cycle

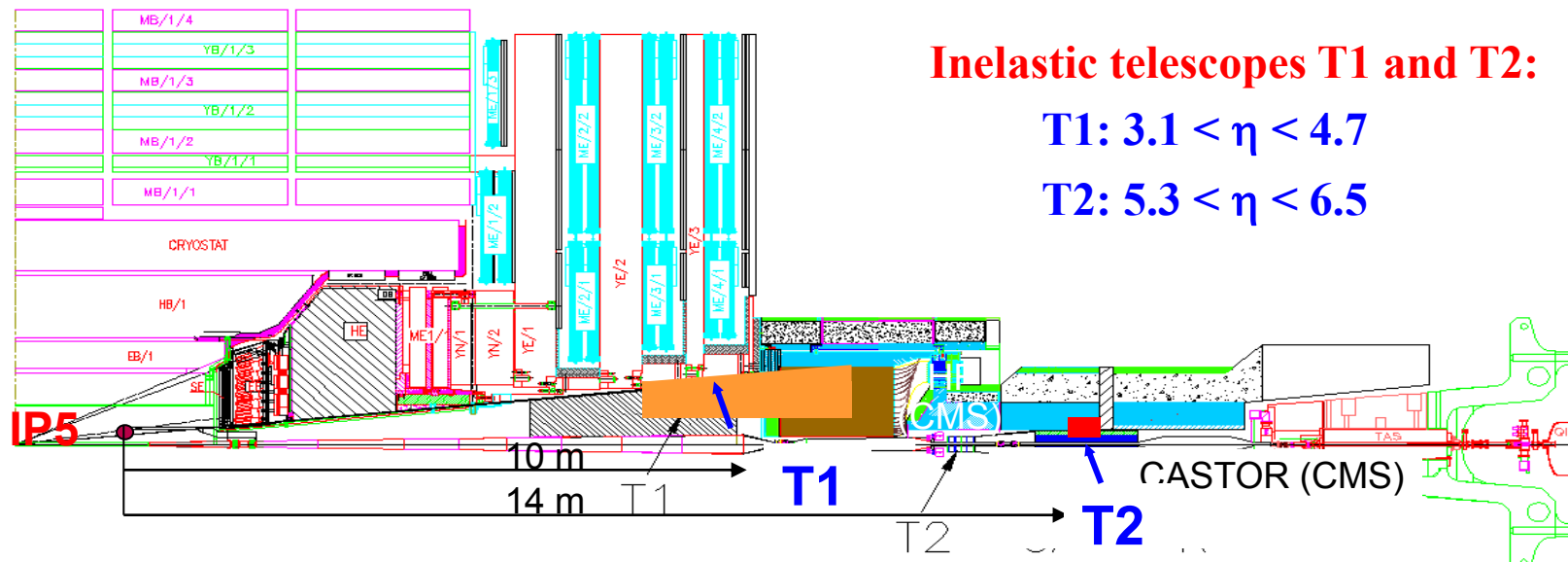
accurate energy and direction measurement

mass composition studies in a complementary way





## CMS



**24 Roman Pots in the LHC tunnel on both sides of IP5**  
measure elastic & diffractive protons close to outgoing beam

