

Dark matter searches at the LHC

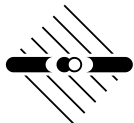
Joachim Kopp
MPI für Kernphysik

HAP Dark Matter Workshop
Universität Münster
19 February 2013

Based in part on work done in collaboration with
Patrick Fox, Roni Harnik, Ethan Neil,
Reinard Primulando, Jure Zupan
(arXiv:1109.4398 and arXiv:1301.1683)



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Outline

- 1 Mono- X signatures at the LHC
- 2 Dark matter and the Higgs
- 3 Dark matter searches in specific models
- 4 Conclusions

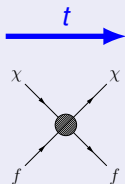
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Dark matter detection strategies

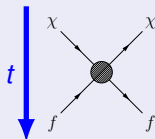
Direct searches

Look for DM scattering on SM fermions



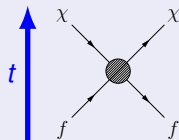
Indirect searches

Look for annihilation products of DM in space



Collider searches

Direct production of DM in high- E collisions



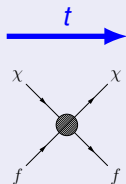
Problem:

Need **visible** particle(s) to trigger on.

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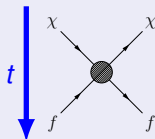
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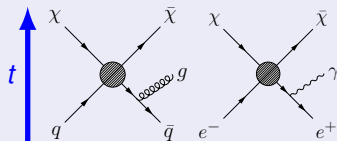
Indirect searches

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Collider searches

Direct production of DM in high- E collisions



Problem:

Need **visible** particle(s) to trigger on.

Most generic signatures:
Mono-jet or mono-photon

→ David Berge's talk

Bai Goodman Fox Harnik Ibe JK
Rajaraman Shepherd Tait Tsai Wijangco Yu ...

Dark matter in EFT (contact operator approach)

Assumption: DM interactions described by **effective field theory**

Sample operators: (χ = dark matter, f = SM fermion, Λ = suppression scale)

$$\mathcal{O}_V = \frac{(\bar{\chi}\gamma_\mu\chi)(\bar{f}\gamma^\mu f)}{\Lambda^2}, \quad (\text{vector, s-channel})$$

$$\mathcal{O}_S = \frac{(\bar{\chi}\chi)(\bar{f}f)}{\Lambda^2} \quad (\text{scalar, s-channel})$$

$$\mathcal{O}_A = \frac{(\bar{\chi}\gamma_\mu\gamma_5\chi)(\bar{f}\gamma^\mu\gamma_5 f)}{\Lambda^2} \quad (\text{axial vector, s-channel})$$

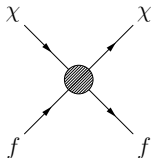
$$\mathcal{O}_t = \frac{(\bar{\chi}P_L f)(\bar{f}P_R\chi)}{\Lambda^2} + (L \leftrightarrow R), \quad (\text{scalar, t-channel})$$

can be Fierz'ed into s-channel operators

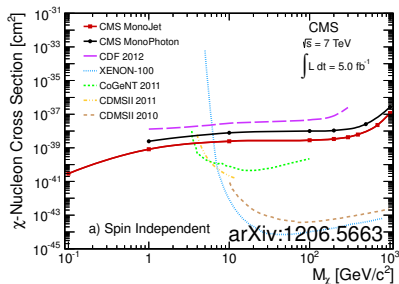
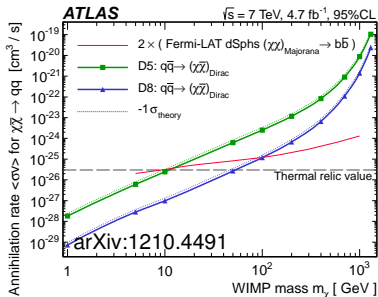
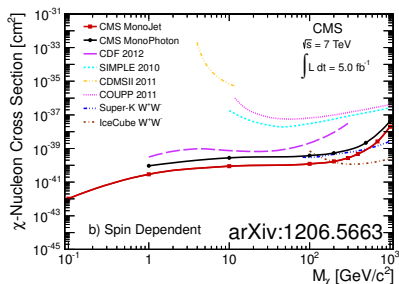
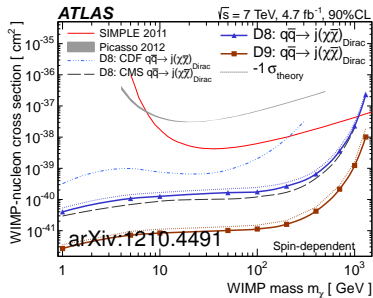
$$\mathcal{O}_g = \frac{\alpha_s(\bar{\chi}\chi)(G_{\mu\nu}^a G^{a\mu\nu})}{\Lambda^2} \quad (\text{scalar, s-channel})$$

In a full, UV complete theory:

$$\Lambda = M/\sqrt{g_f g_\chi}$$



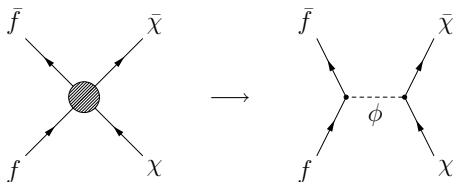
ATLAS and CMS limits from mono-jet events



Generalizing mono- X searches: Light mediators

Assume DM interactions mediated by **light particle**

→ **effective field theory breaks down**, have to include mediator explicitly



Collider cross section

$$\sigma_{\text{coll}} \sim \frac{1}{(q^2 - M_{\text{med}}^2)^2 + \Gamma_{\text{med}}^2/4} \hat{S}$$

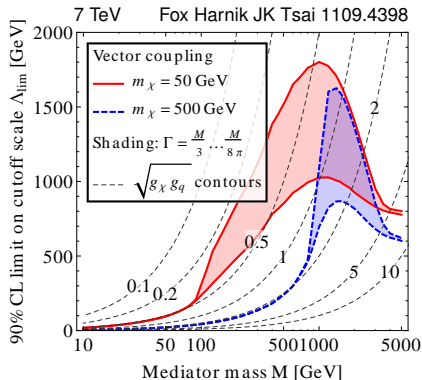
Direct detection cross section

$$\sigma_{\text{scatter}} \sim \frac{1}{M_{\text{med}}^4} \frac{m_N^2 m_\chi^2}{(m_N + m_\chi)^2}$$

- For **light mediators**, colliders have a **relative disadvantage**
- ... unless a **narrow mediator** can be produced **on-shell** and decays to DM

Constraints on NP scale Λ for light mediators

Continue to use $\Lambda \equiv M_{\text{med}}/\sqrt{g_\chi g_f}$ as measure for DM interaction strength.
(simplifies comparison to direct detection results)



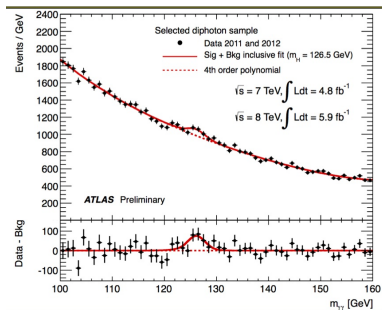
Three regimes

- $M_{\text{med}} \gtrsim 5$ TeV
 - ▶ Contact operator approach valid
 - ▶ Models that saturate limits are close to **non-perturbative**
- $2M_\chi < M_{\text{med}} \lesssim 5$ TeV
 - ▶ Mediator produced **on-shell**
 - ▶ Strong dependence on its **width**
- $M_{\text{med}} < 2M_\chi$
 - ▶ Collider limits **not competitive**

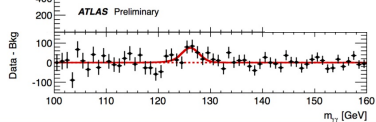
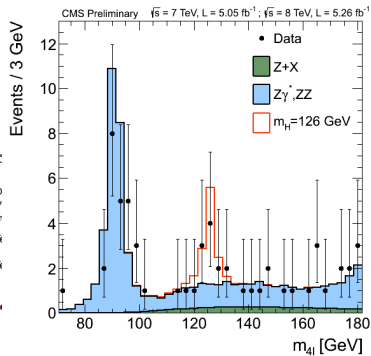
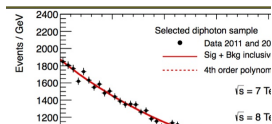
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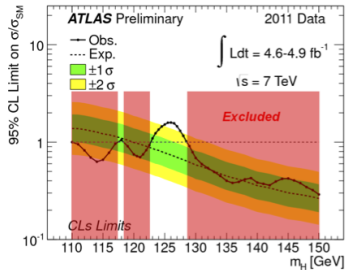
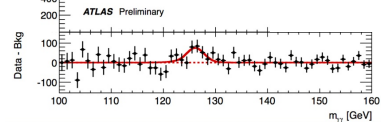
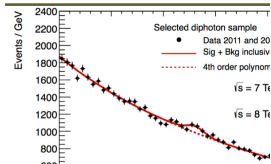
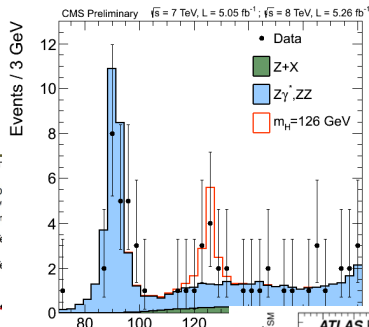
A new particle!



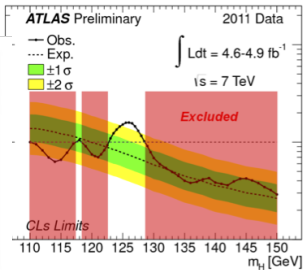
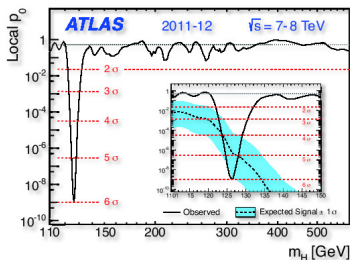
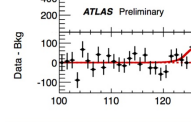
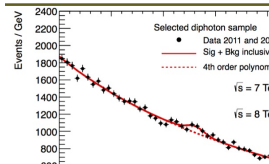
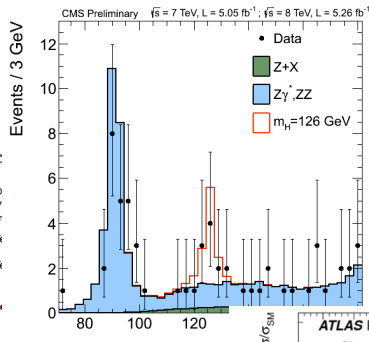
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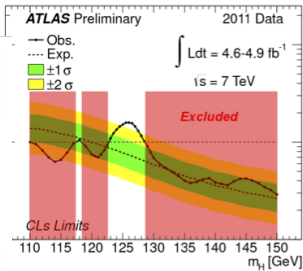
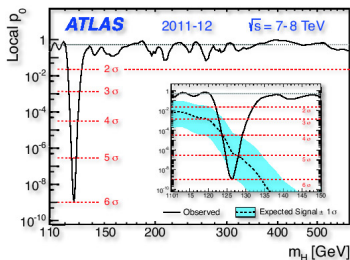
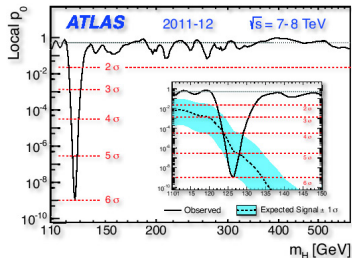
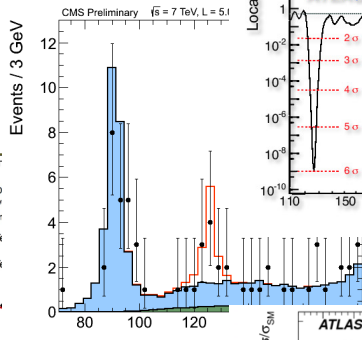
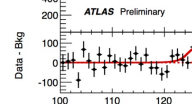
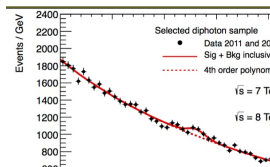
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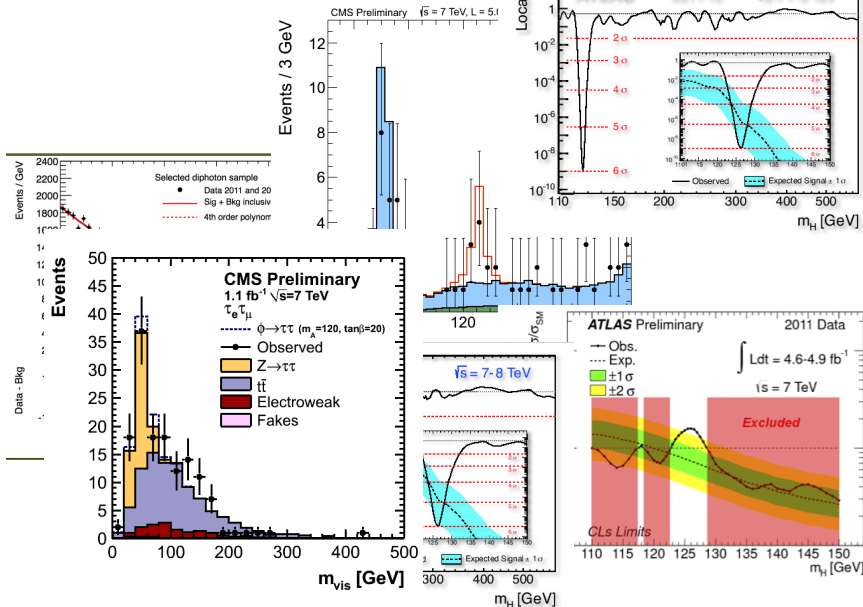
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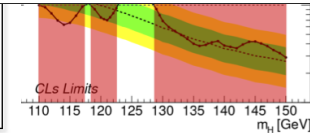
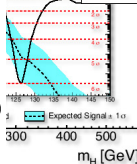
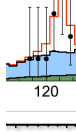
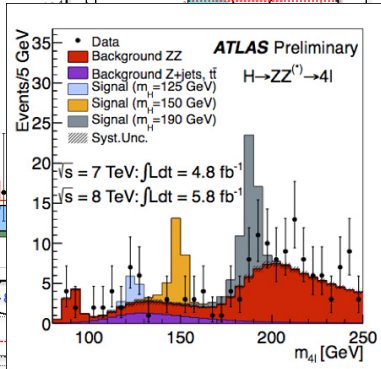
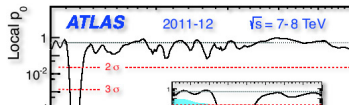
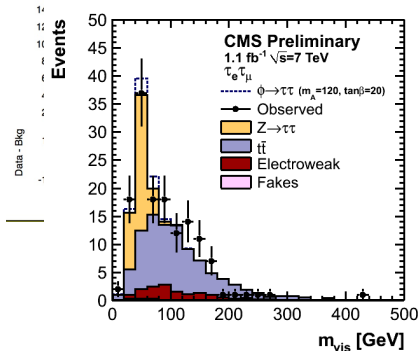
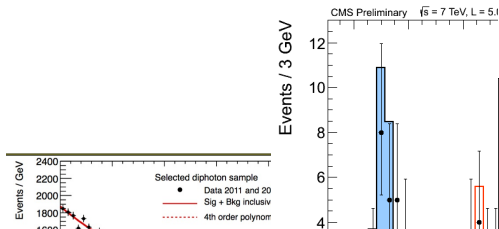
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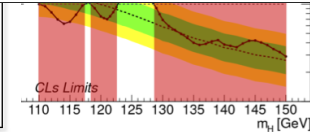
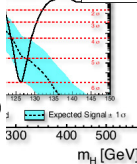
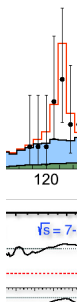
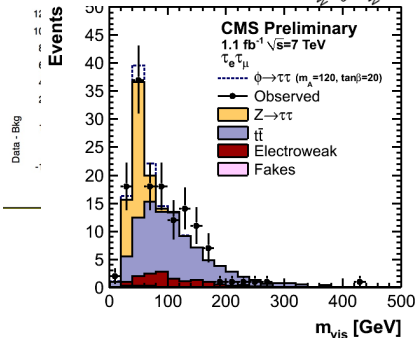
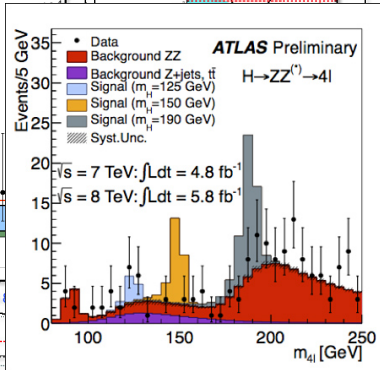
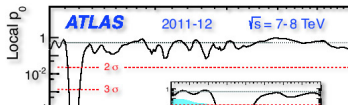
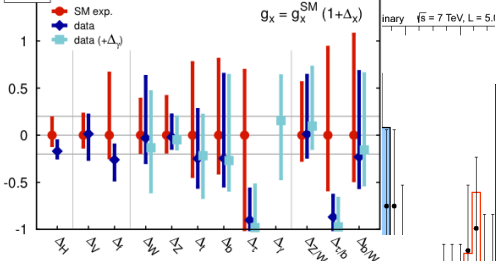
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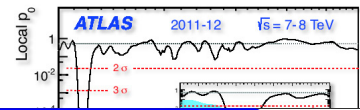
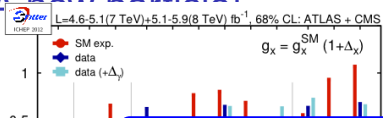


A new particle!



$L=4.6\text{-}5.1(7\text{ TeV})+5.1\text{-}5.9(8\text{ TeV})\text{ fb}^{-1}$, 68% CL: ATLAS + CMS





But what are its couplings?

CERN
 Higgs search update
 Events vs m_{vis} [GeV]

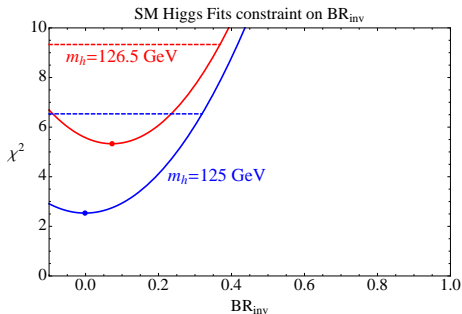
Preliminary
 $ZZ^{(*)} \rightarrow 4l$
 m_{4l} [GeV] vs m_H [GeV]

m_{vis} [GeV], m_H [GeV]

Invisible Higgs decays

Interesting possibility: Higgs decays to **dark matter**.

Limits on **invisible Higgs decays width** from a **global fit**:



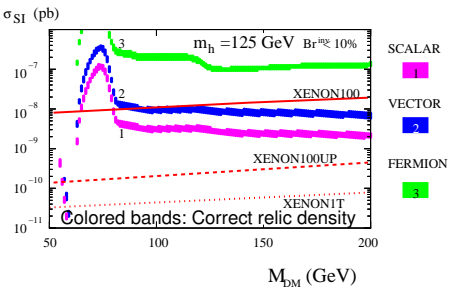
Espinosa Grojean Mühlleitner Trott, arXiv:1207.1717

Result

$BR_{inv} \lesssim 0.3$ still allowed! (at 95% CL)

Status of “Higgs portal” dark matter

Higgs portal operator: $\mathcal{L} \supset (H^\dagger H)(\chi^\dagger \chi)$ mediated, for instance, by new scalar S

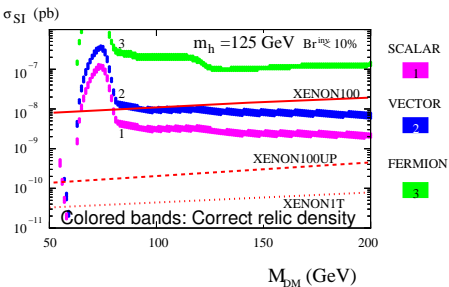


Djouadi Lebedev Mambrini Quevillon 1112.3299

- Simplest models are in **tension with Xe-100**
- Cannot satisfy **direct detection** and **relic density** constraints simultaneously

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Ways out:

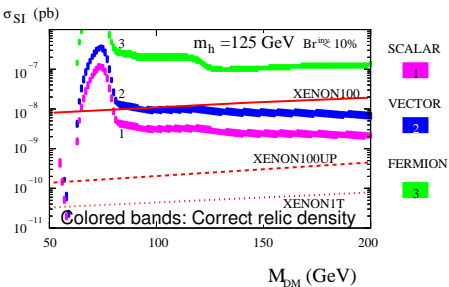
- Resonant annihilation: $m_{DM} \simeq m_h/2$

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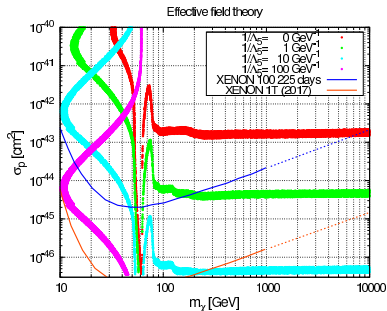


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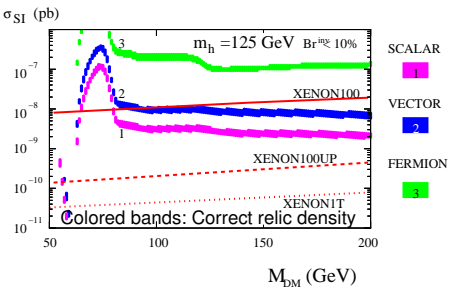
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Lopez-Honorez Schwetz Zupan 1203.2064

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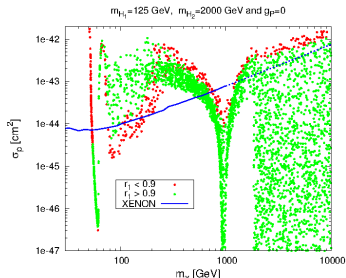


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Ways out:

- Resonant annihilation: $m_{DM} \simeq m_h/2$
- Parity-violating couplings
- Indirect Higgs portal: New annihilation channel $\chi\chi \rightarrow SS$ sets relic density



Lopez-Honorez Schwetz Zupan 1203.2064

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Searching for the mediators of DM interactions

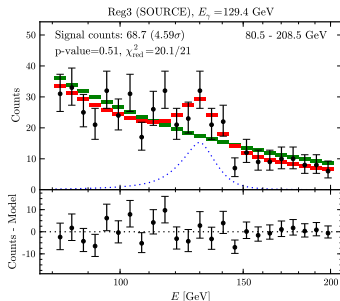
- Mono- X + MET signatures are the most model-independent way of searching for DM production at the LHC
- **But:** DM couplings are *tiny*
 - ▶ Extremely challenging!
- Fortunately, **DM usually doesn't come alone**
- An alternative strategy:

Search for the mediators of DM interactions

A non-SUSY example

Motivation:

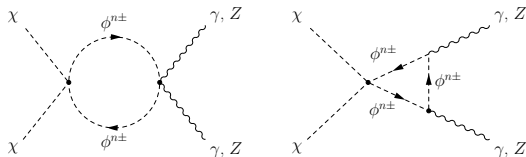
- Gamma ray observatories like **Fermi-LAT** and **HESS** are reaching unprecedented levels of sensitivity
- The “**cleanest**” DM signature would be a **monochromatic line**
- Interpretation: $\chi + \chi \rightarrow \gamma + \gamma/Z/h$
- **Naively:**
 - ▶ Such signals should be **suppressed** because they arise only at **1-loop level**
- **Reality:**
 - ▶ Huge literature on models that feature strong gamma ray line signals
- **Recently:** A possible hint for a gamma ray line



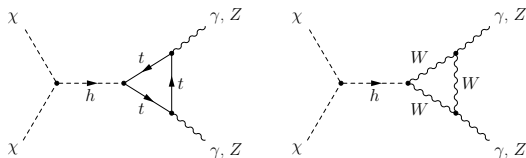
Bringmann Huang Ibarra Vogl Seniger arXiv:1203.1312
Weniger arXiv:1204.2797

A gamma ray line from a secluded DM model

- Introduce electroweak N -plet ϕ that mediates DM–SM interactions

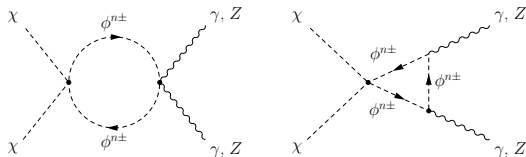


- In addition: Higgs portal interactions



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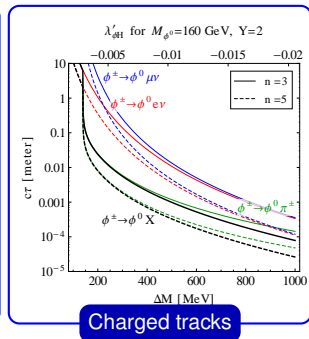
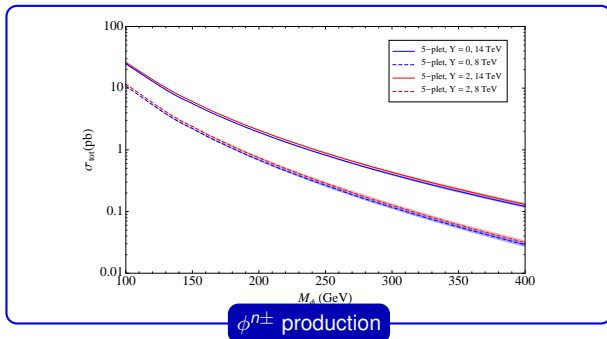
Indirect detection

- Strong **gamma ray line** through **multiply charged components** of ϕ
- Not constrained by **gamma ray continuum** (if Higgs portal weak)
- Correct **relic density**
- Fully **perturbative**

Direct detection

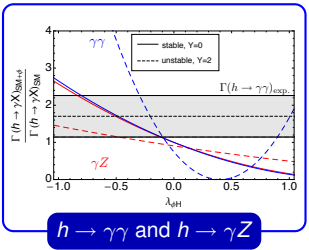
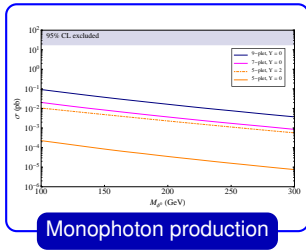
- DM–nucleus scattering through **2-loop diagrams** or through **Higgs portal**
- Compatible with **Xenon-100**
- Challenging even for ton-scale experiments

Collider phenomenology



Typically small mass splittings
 \rightarrow decays too soft to be observable

$\phi^{n\pm} \rightarrow \phi^{(n-1)\pm}$ decays



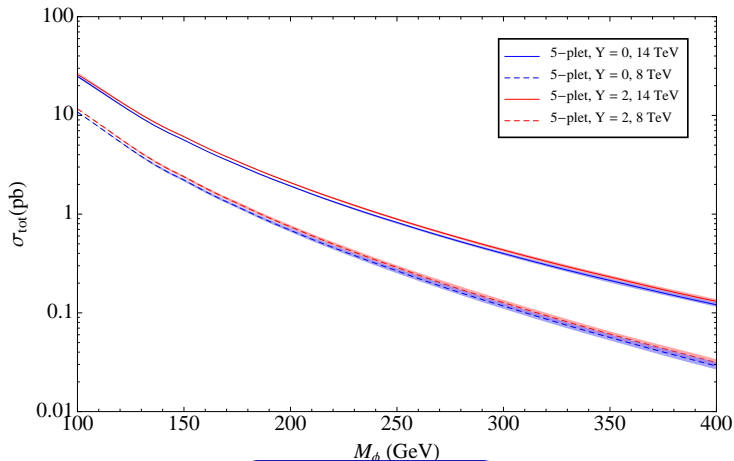
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Conclusions

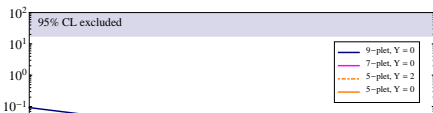
- Mono- X signatures
 - ▶ Signature is quite model-independent
 - ▶ But interpretation may be model-dependent
 - ▶ When EFT is not valid, naive limits can be too optimistic or too conservative
- Dark matter and the Higgs
 - ▶ Invisible Higgs decays will become interesting with more luminosity
 - ▶ The “Higgs portal” is a very interesting type of DM coupling
 - ▶ Simplest models are in tension with the data
- Model-specific DM bounds from the LHC
 - ▶ Strategy: Look for charged dark sector particles
 - ▶ Signatures in some sample models include
 - ★ Cascade decays
 - ★ Charged tracks
 - ★ Modified Higgs decays
 - ★ ...

Thank you!

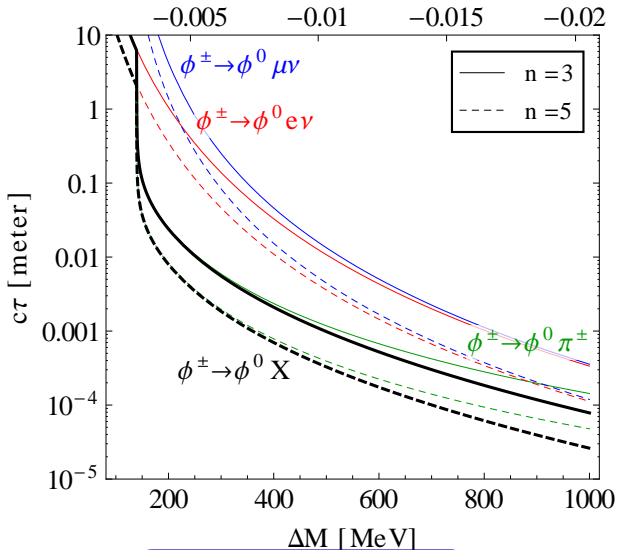


$\phi^{n\pm}$ production

Typically small mass splittings



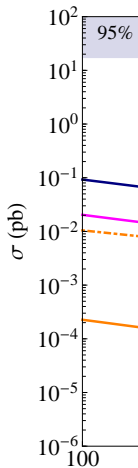
$\lambda'_{\phi H}$ for $M_{\phi^0}=160$ GeV, $Y=2$



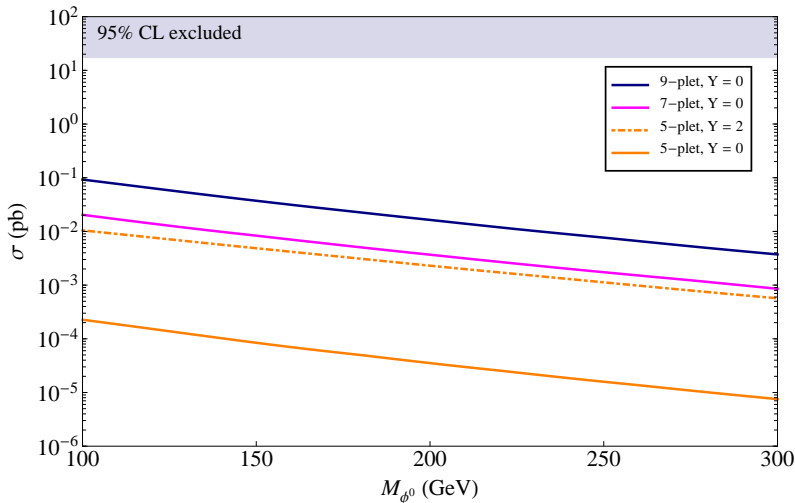
Charged tracks

Typically small
mass splittings
→ decays too soft
to be observable

$\phi^{n\pm} \rightarrow \phi^{(n-1)\pm}$ decays

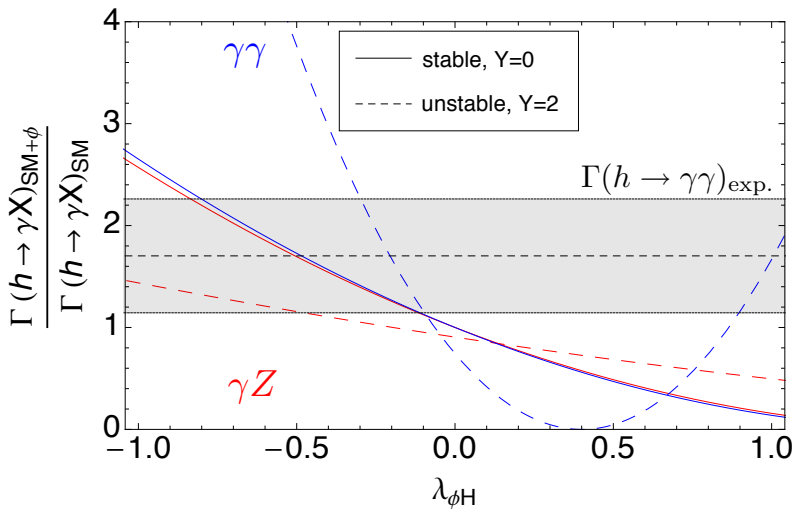


M



Monophoton production

$$\frac{\Gamma(h \rightarrow \gamma X)_{\text{SM}+\phi}}{\Gamma(h \rightarrow \gamma X)_{\text{SM}}}$$



$h \rightarrow \gamma\gamma$ and $h \rightarrow \gamma Z$