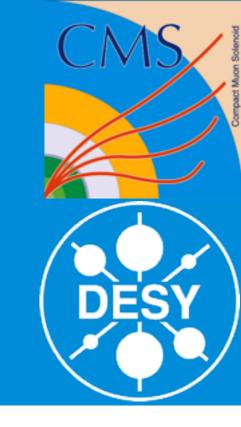
Simultaneous alignment and Lorentz angle calibration in the CMS silicon tracker using Millepede II



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#### Outline

Introduction of the CMS detector.

• Track-based alignment with Millepede II.

• Lorentz angle effect.

• Alignment and calibration procedure.

Results of Lorentz angle calibration.

#### CMS detector

**Steel** 

Return Yoke

• CMS detector – one of 2 multipurpose detectors at LHC.

• Silicon tracker – innermost detector, enclosed in superconducting solenoid (B = 3.8T).

 Measures trajectories, Pt, impact parameter of charged particles.

• Almost all CMS physics analyses use tracker data.

 Measurement precision is of high importance.

Total weight: 14 K T Overall diameter: 15 m Overall length: 28.7 m Electromagnetic
Calorimeter (ECAL)
Hadronic

Hadronic
Calorimeter (HCAL

Superconducting Solenoid (3.8 T)

Silicon Tracker

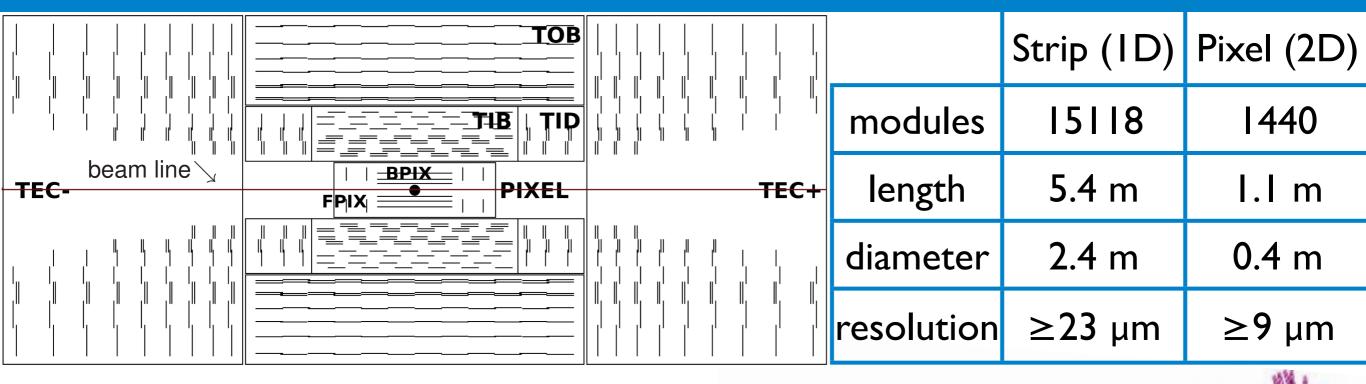
**Preshower** 

**Chambers** 

Muon

<u>Forward</u> <u>Calorimeter</u>

#### Silicon tracker



- Exact positions of modules are essential for precise measurement of track properties.
- Position and orientation of each individual sensor is derived from simultaneous alignment of all modules with Millepede II algorithm.
- Larger structures consisting of groups of modules are also aligned independently as single entities.

# Track-based alignment with Millepede II

- Misalignment and miscalibration increase track residuals distance between measured and predicted hit positions.
- Modules are aligned by minimizing residuals of the tracks.

**Minimization function:** 
$$\chi^2(\mathbf{p}, \mathbf{q}) = \sum_{j}^{\text{tracks measurements}} \sum_{i}^{m_{ij} - f_{ij}} \left( \frac{m_{ij} - f_{ij}(\mathbf{p}, \mathbf{q}_j)}{\sigma_{ij}} \right)^2$$

m<sub>ij</sub> – measured position of the hit;

f<sub>ij</sub> - predicted position of the hit;

p – global parameters;

q<sub>j</sub> – track parameters;

Matrix equation: 
$$C'\Delta p = b'$$

- p can be any parameter, sensitive to the hit position:
  - alignment parameters:
    - module position;
    - module orientation;
    - sensor surface curvature;

calibration parameters:

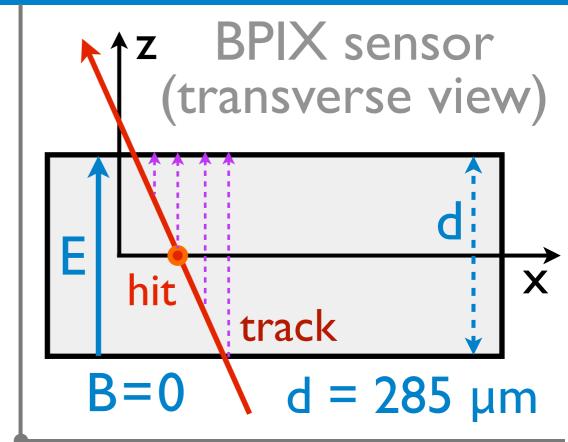
Lorentz angle

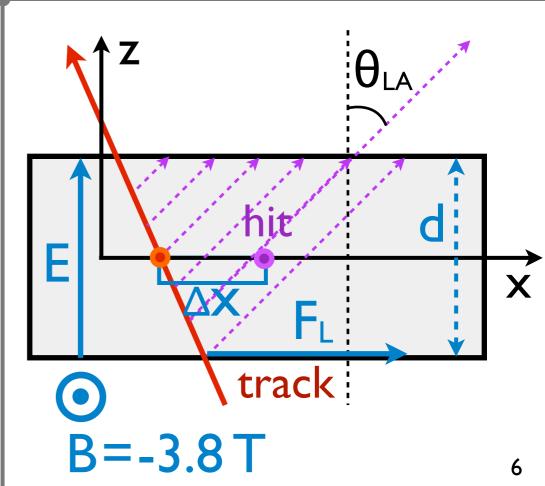
#### Lorentz angle effect

- Track induces electric charge accelerated by E field.
- If B≠0, Lorentz force deflects the charge by some (Lorentz) angle.
- Alignment compensates Lorentz drift by shifting the modules.

$$\Delta x = \tan(\theta_{LA}) \cdot d/2$$
  
 $\tan(\theta_{LA}) = \mu \cdot B_y \quad [\mu - \text{mobility}]$ 

- µ depends on: irradiation dose, temperature, bias voltage.
- Mobility can be included as calibration parameter in the alignment procedure.



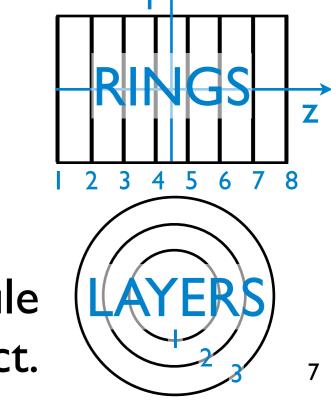


## Alignment procedure

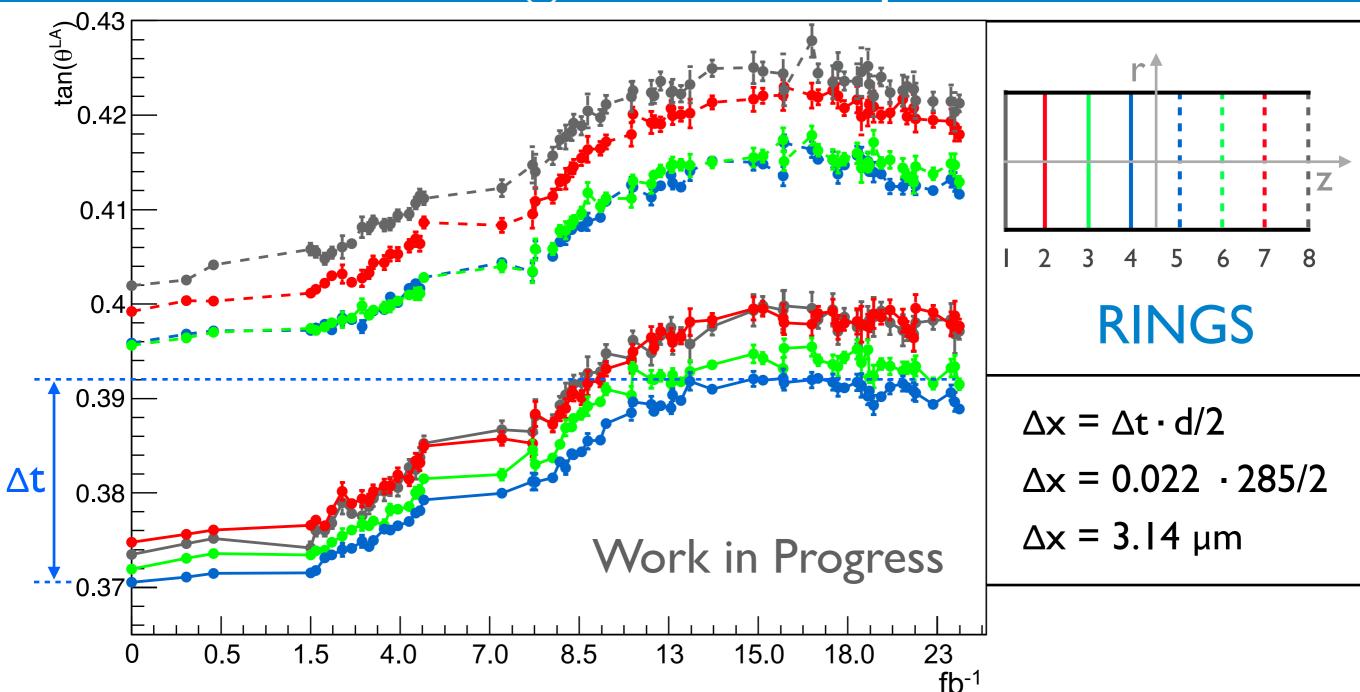
- As official full scale tracker alignment approach.
- Data from full period of year 2012: isolated muons,  $Z->\mu\mu$ , low Pt tracks, cosmic rays: overall 50 M tracks.
- Pixel + microstrip modules: constant alignment parameters within large structures (layer, half-disk, half-barrel).
- Large structures: parameters can change with time:  $3 \, \text{l}$  intervals of validity (IOV)  $\Rightarrow \sim 200 \, \text{K}$  alignment parameters.

Lorentz angle calibration

- Corrected  $\mu$  value is derived.
- 24 parameters in BPIX: 3 layers x 8 rings
- 66 IOVs for Lorentz angle: ~300 pb<sup>-1</sup>/IOV
- + 0T data (cosmic, collision) constrain module positions (10 M tracks) No Lorentz angle effect.

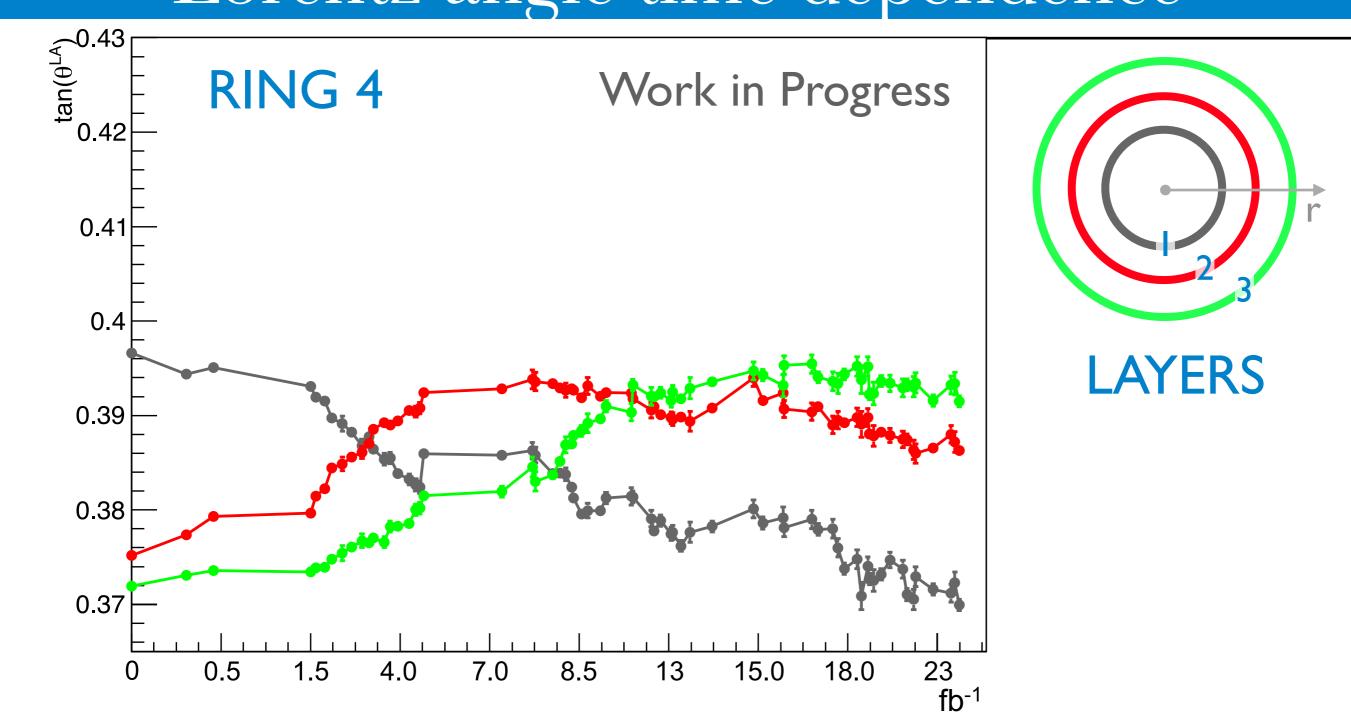


## Lorentz angle time dependence



- Very precise measurement of Lorentz angle and its evolution.
- Different per ring. Offset of +Z and -Z half of BPIX.
- Lorentz angle change equivalent to sensor shift by 3.14 µm.

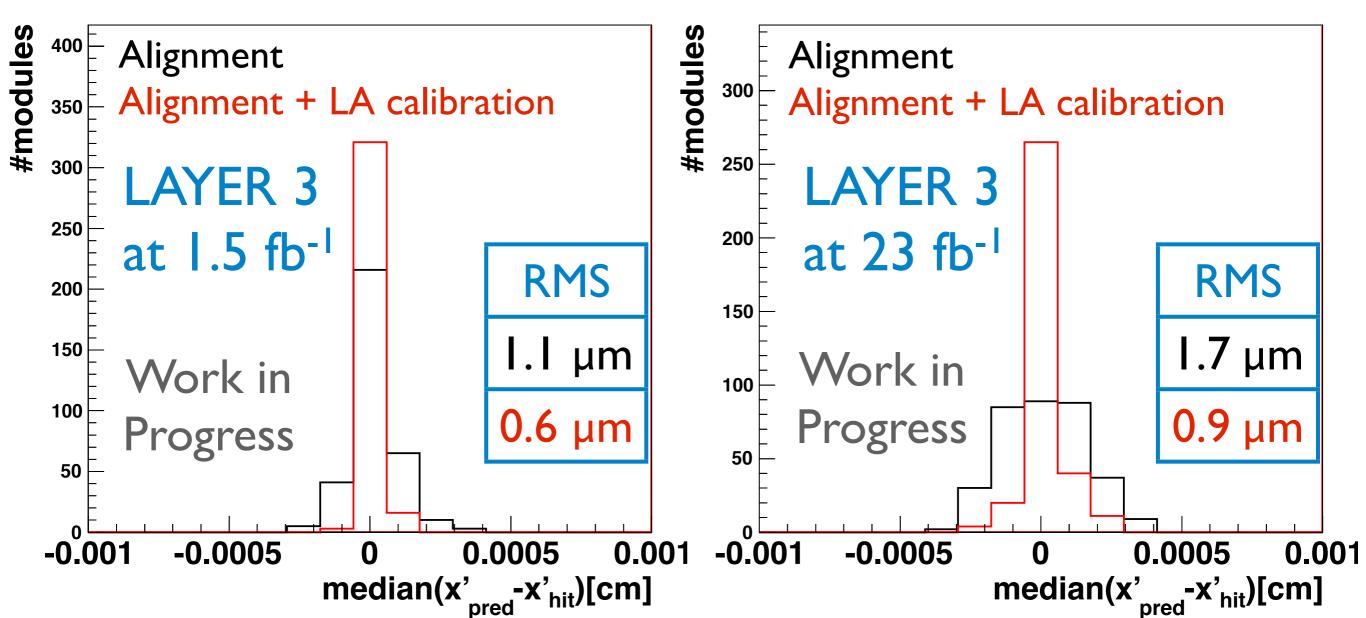
## Lorentz angle time dependence



- Different evolution of Lorentz angle in separate layers.
- Can be the same effect repeating in each layer with delay (due to accumulated irradiation dose).

## Effect of Lorentz angle calibration

Distribution of the median of the residuals in TPB Distribution of the median of the residuals in TPB



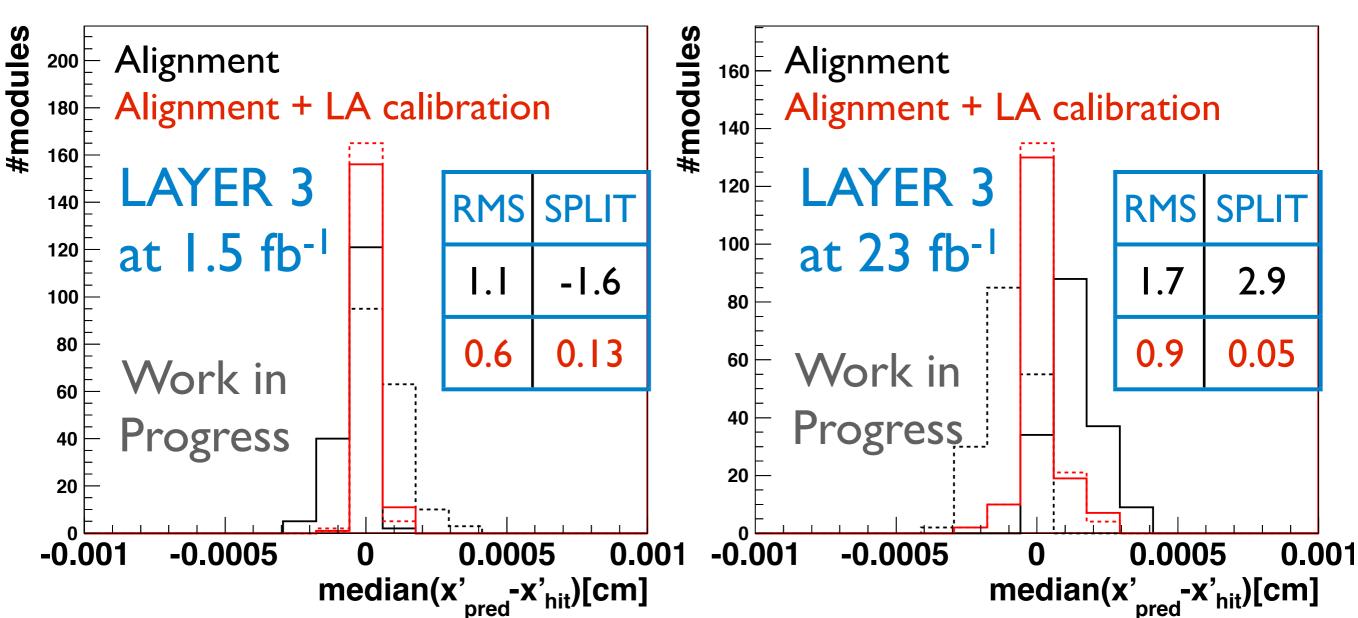
- Alignment precision degrades in later period of time.
- Lorentz angle calibration corrects time dependence, improves alignment precision.

#### Summary

- Precise determination of Lorentz angle using combined alignment and calibration with Millepede II and 0T data.
- Lorentz angle measured in BPIX for data of full 2012 data-taking period: 66 time ranges, granularity of 24 parameters (3 layers x 8 rings).
- Time dependence largely differs between layers.
- Absolute values differ between halves (+/-) of the BPIX.
- Combined alignment and LA calibration improves alignment precision of the modules.
- Consistency of 3.8T and 0T data allows to use power of 0T data against  $\chi^2$  invariant geometry distortions.

### Backup

Distribution of the median of the residuals in TPB Distribution of the median of the residuals in TPB



- With time relative shift of modules would be  $4.5 \mu m$ .
- Lorentz angle calibration corrects time dependence, modules don't move, preserving correct alignment.