Forward Jets

+ fitting of the unintegrated gluon density

HRJRG Kick-off meeting
Moscow 8/2-2008

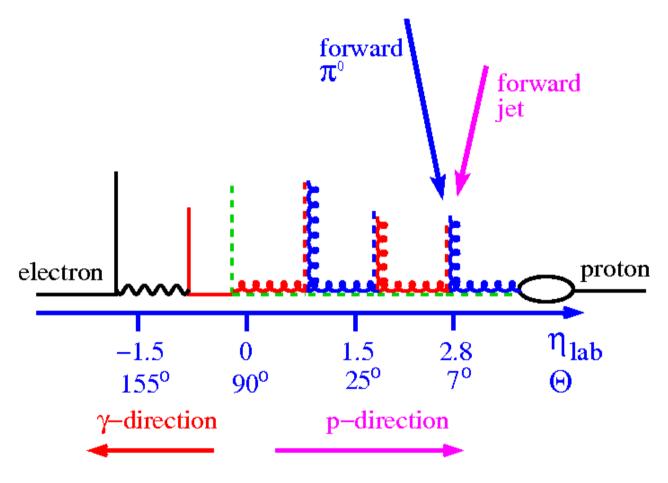
Albert Knutsson

Outline

- Physics Motivation
- Forward jets at HERA and LHC
- •SimpFit a new fitting program
- Fitting the unintegrated gluon
- •Summary

Forward Physics - motivation

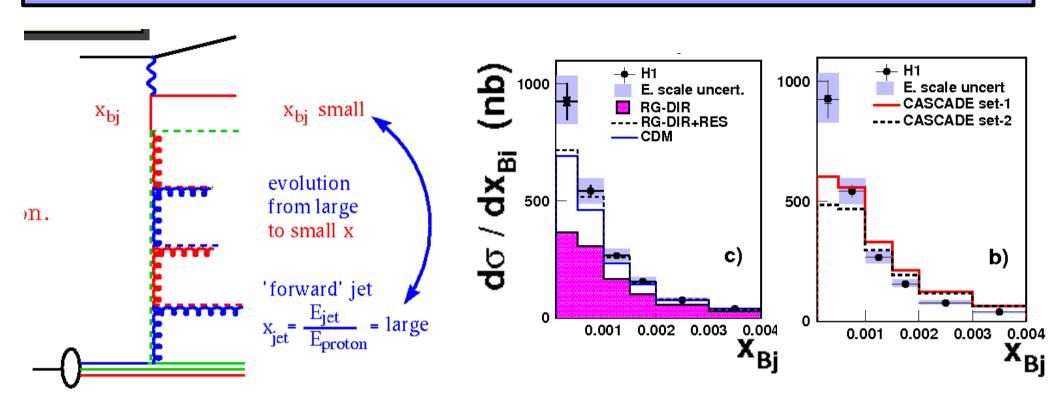
Deep in elastic scattering



 F_2 - very inclusive - very well described by DGLAP.

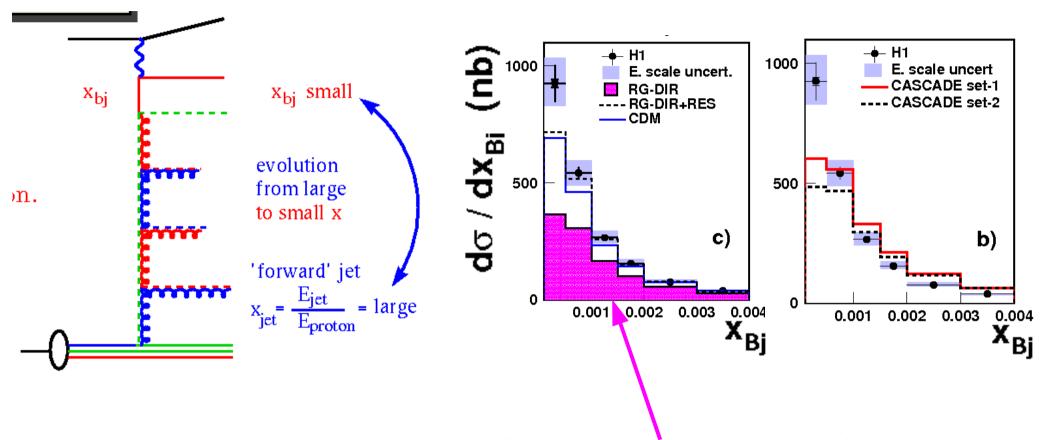
Dijet cross-section, Jet Rates - measure hard subsystem.

Energetic jet/particle in forward region - information on full evolution ladder.



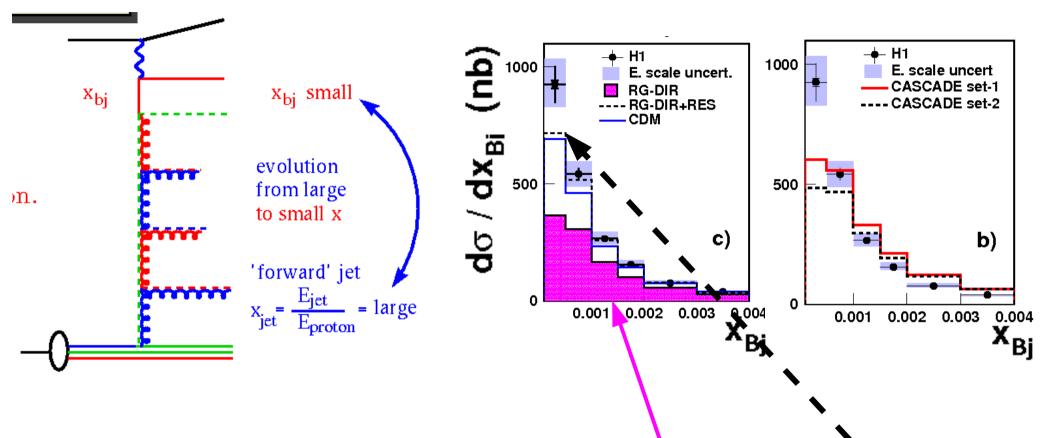
Main conclusion: Ordering of virtuality/kt of emissions (DGLAP) are not sufficient.

Need to break the ordering. Here, for example with a resolved photon or using the Color Dipole Model (BFKL like scenario).



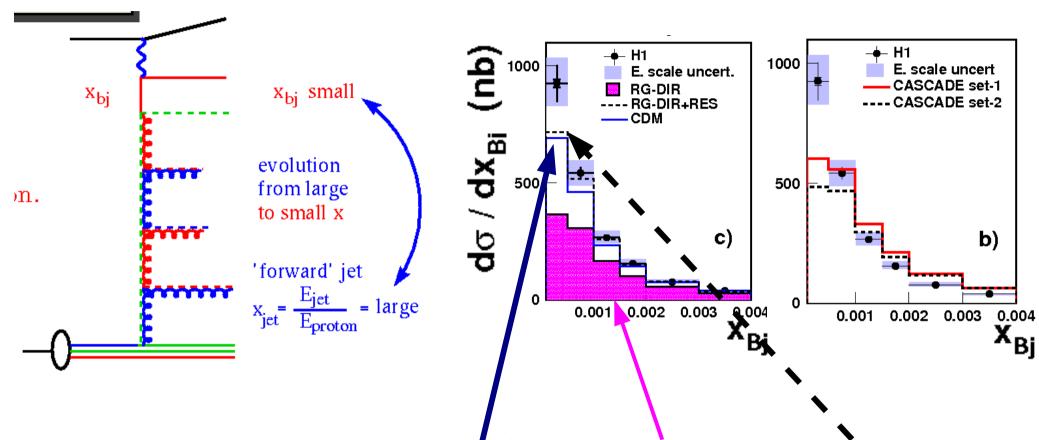
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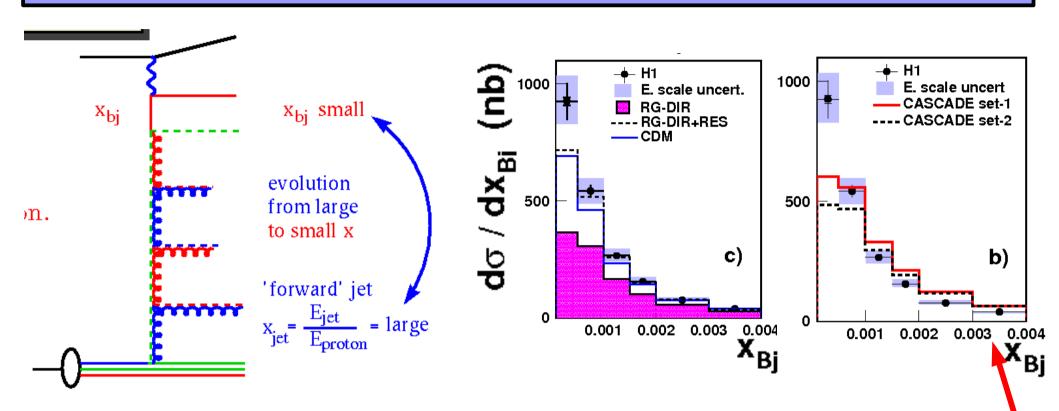
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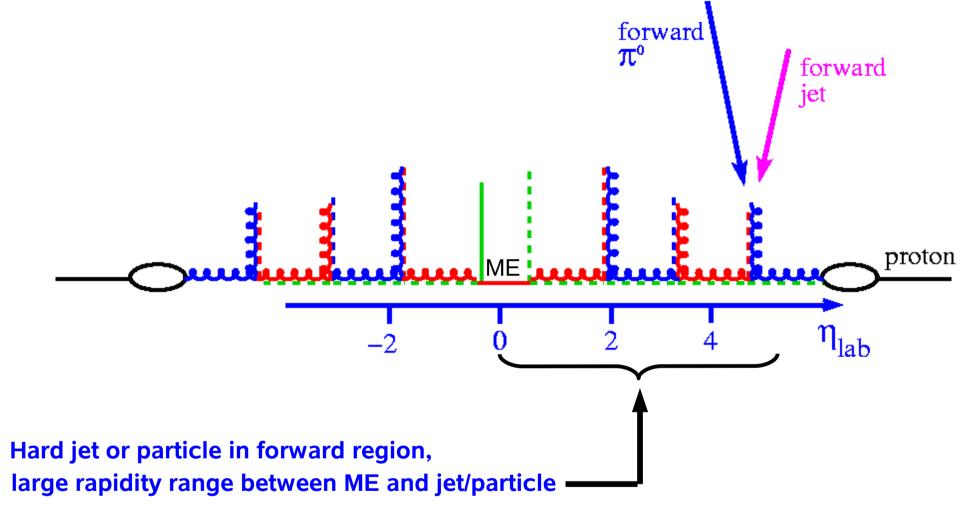
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Forward Physics - LHC

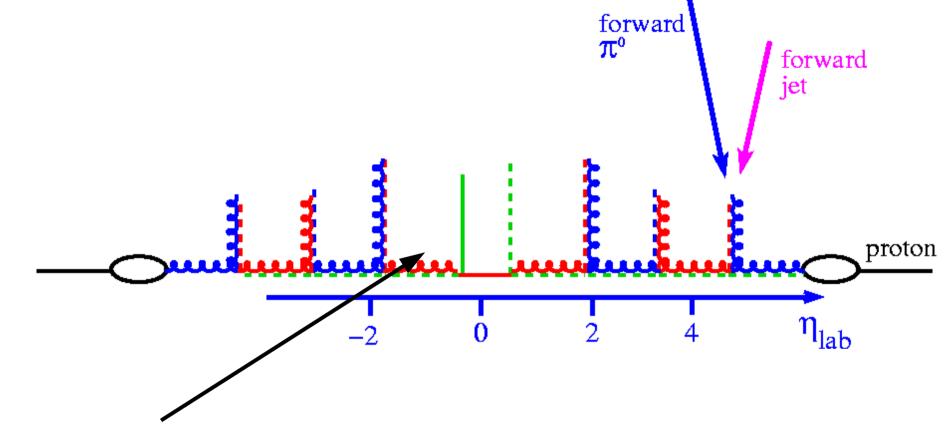




- Opens up phase space for emissions, higher order reactions
- •Small χ physics
- •Possible to apply constraints on parton ladder (e.g. further suppress DGLAP)
- Gain information of the full evolution



Forward Physics - LHC



2 hard central jets in addition to forward jet.

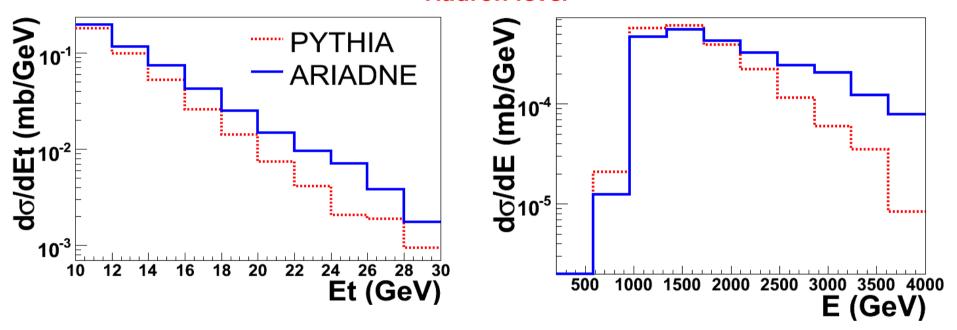
In addition possibility to supress DGLAP like dynamics (ordering in virtuality ~ E_t)

$$\frac{E_{t, \text{forward jet}}}{\langle E_{t, \text{di-jet jets}} \rangle} \sim 1$$

MC studies for LHC and CASTOR

Selection: 2 central jets, 1 jet in CASTOR region ($5.2 < \eta < 6.6$) with $E_t > 10~{\rm GeV}$

Hadron level

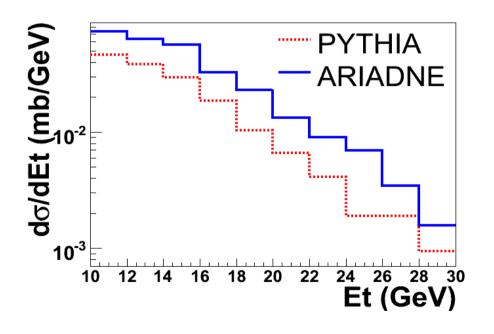


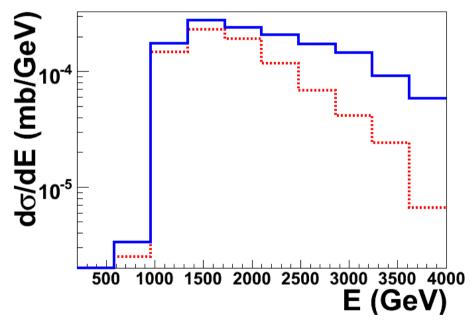
ARIADNE with the Color Dipole Model – giving a more BFKL like final state – with partons unordered in kt – predicts more hard jets in the CASTOR region.

MC studies for LHC and CASTOR

Selection: 2 central jets, 1 jet in CASTOR region ($5.2 < \eta < 6.6$) with $E_t > 10~{\rm GeV}$

In addition require
$$0.5 < \frac{E_{t, {
m forward jet}}}{< E_{t, {
m di-jet jets}} >} < 2.0$$





Supressing DGLAP like dynamics further.



Difference between DGLAP and CDM. already at low Et.

However...

A lot of free parameters in MC generators...

In order to make good MC predictions and understand the physics we need to tune/fit the implemented models.

Together with *Krzysztof Kutak* and *Alessandro Bachetta* we have developed a program (*SimpFit*) for fast fits of the gluon and tuning of MC models.

Working ground: Fitting the unintegrated gluon density used in CASCADE (CCFM) to H1 di-jet cross-sections

The unintegrated PDF

The uPDF starting distribution:

$$xA_0(x, k_T, \bar{q}_0) = N \cdot x^{-B} \cdot (1 - x)^C \cdot exp(-\frac{(k_T - \mu)^2}{2\sigma^2})$$

N: Normalization (fitted)

B: Small x behaviour (fitted)

C=4: Large x behaviour (kept fixed)

 μ , σ : Determines the shape of the intrinsic k_T of the gluon below k_T = 1.2 GeV (fitted)

In CASCADE the uPDF is calculated for higher scales by emissions of gluons according to the CCFM evolution scheme.

The parameters N,B,C, μ , σ , are not theoretically calculable.



We need to fit the uPDF to experimental data.

The Data – Dijets and azimuthal decorrelations

For development of fitting procedure we are fitting do preliminary H1 di-jet data.

Integrated PDF: DGLAP

LO: Gluon collinear with proton

$$k_{t,\text{gluon}} = 0$$

$$\Delta\Phi=180^o$$
 in HCM

Higher orders:

$$k_{t,\text{gluon}} \neq 0$$

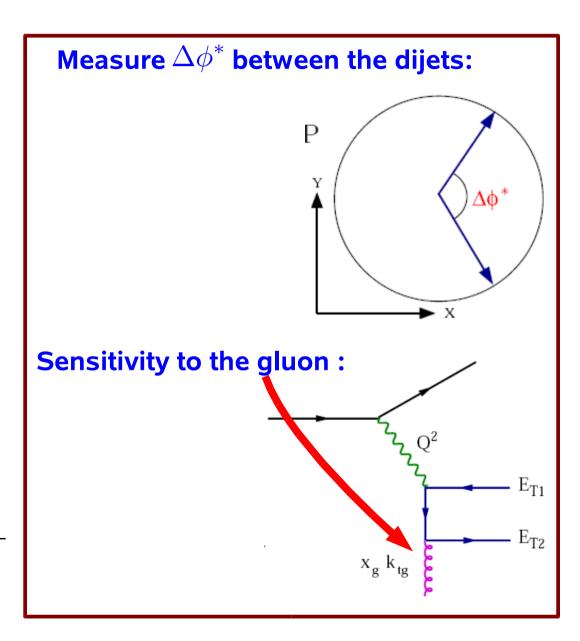
$$\Delta \Phi < 180^{\circ}$$

Unintegrated PDF: CCFM or BFKL

$$k_{t,\text{gluon}} \neq 0$$

$$\Delta \Phi < 180^{\circ}$$

already at LO



The conventional fitting method:

- 1. Calculate cross-section using CASCADE for a given set of parameter values
- 2. Compare to data, calculate Chi2 and feed it to MINUIT
- 3. MINUIT (e.g. the simplex method) estimates new parameter values
- 4. Iterate 1. 3. until Chi2 is minimized

This means that if MINUIT needs 100 iterations to minimize Chi2, CASCADE is run 100 times, not simultaneously:

If one CASCADE run takes 1 hour, the minimization takes 100hours.

To fit uPDF one needs exclusive measurements (like the azimuthal di-jet measurement)

A lot of statistics. Minimization >> 100h.

Alternative, faster method

1. Build up a grid in parameter – cross section space using Monte Carlo.

If you have a CPU farm (or use the *GRID*) this ultimately takes the time of running the MC generator once.

Based on a method suggested by Hendrik Hoeth (1st Mcnet School, IPPP Durham, 18-20th April 2007)

1. Build up a grid in parameter — cross section space using Monte Carlo.

If you have a CPU farm (or use the *GRID*) this ultimately takes the time of running the MC generator once.

2. Fit polynomials to the Monte Carlo grid.

$$\sigma_{\text{poly}} = A + \sum_{1}^{N} B_i \cdot p_i + \sum_{1}^{N} C_i \cdot p_i^2 + \sum_{i \neq j} D_{ij} \cdot p_i p_j + H.O.$$

A,B,C and D are determined by fitting the polynomial to the parameter-xsection grid.

This takes a few seconds.

Step 1. and 2. are done for each bin in the measurement.

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3. Once the parameter space is described by a polynomial the parameters can be fitted to the data.

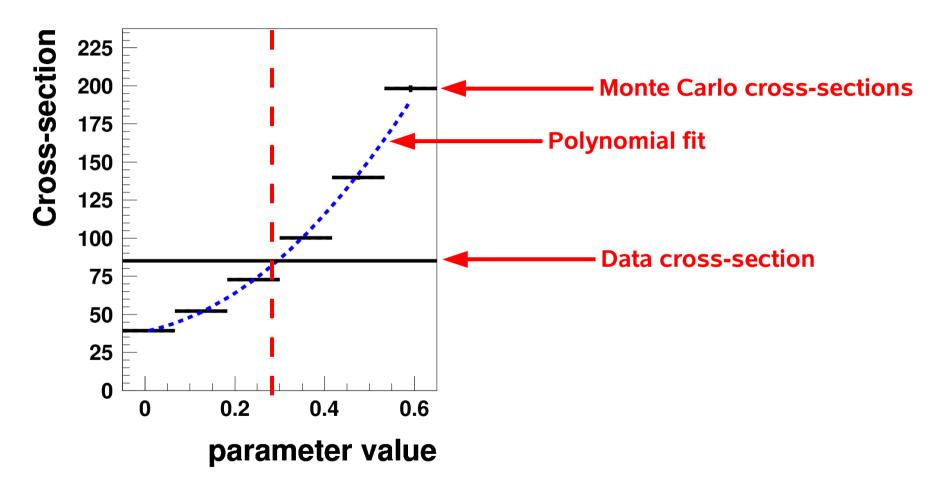
Also this takes only a few seconds.

Based on a method suggested by Hendrik Hoeth (1st Mcnet School, IPPP Durham, 18-20th April 2007)

Simple Example

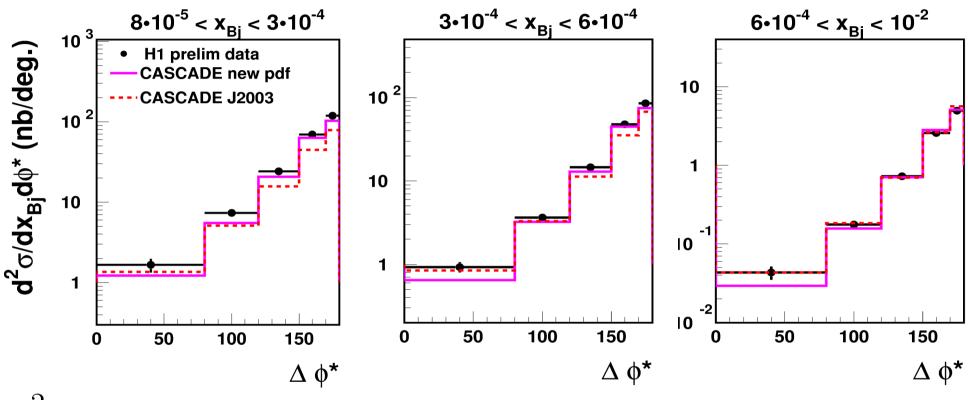
Simplest possible example

1 parameter, 1 data cross-section

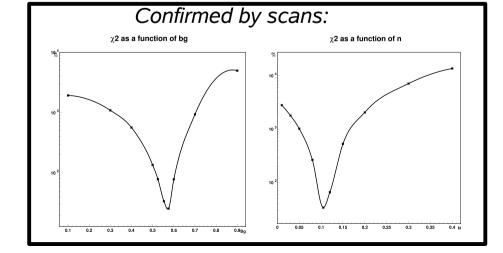


We do the same thing in 4 dimension
$$xA_0(x,k_T,\bar{q}_0) = N \cdot x^{-B} \cdot (1-x)^C \cdot exp(-\frac{(k_T-\mu)^2}{2\sigma^2})$$

The results of the fit compared to data and the old uPDF



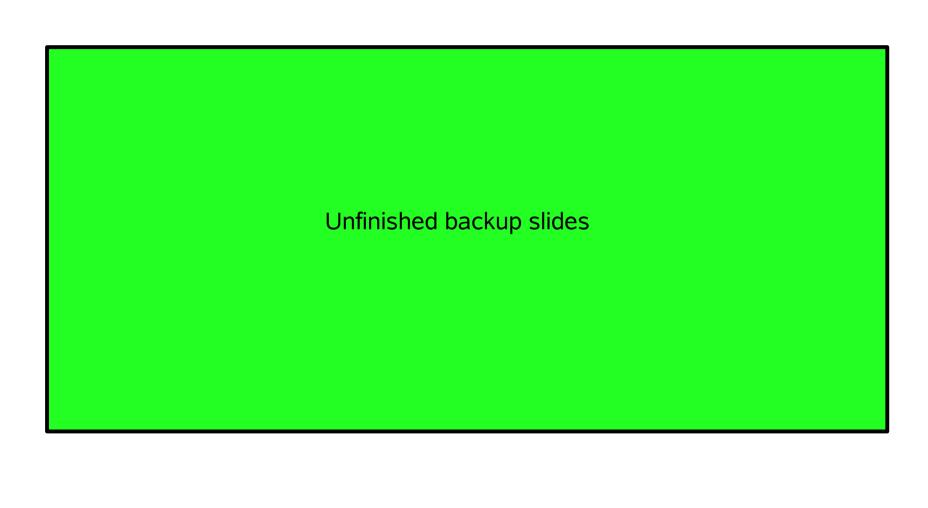
$$\chi^2 = 2.25$$
 $N = 0.11 \ B_g = 0.55$
 $\sigma = 1.5 \ \mu = 3.0$



In the pipe-line: F2-charm fits, etc..

Summary

- Already at HERA signals for non-DGLAP like parton dynamics have been seen.
- •Measuring forward jets in the CASTOR region may be a good tool search for parton dynamics beyond DGLAP.
- •A new program for fast fits is developed, and will soon be available for everyone. It can be used to fit PDFs and tune Monte Carlo models.
- •Already an improved determination of the unintegrated gluon has been carried out.

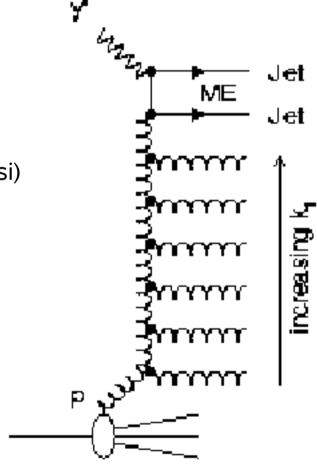


Summary Parton Dynamics

DGLAP (Dokschitzer-Gribov-Lipatov-Altarelli-Parisi)

Evolution equation resumming log(Q^2) terms, resulting in strong ordering of parton virtualities, and kt.

Implemented in for example: RAPGAP (ep), PYHTIA(ep/pp)

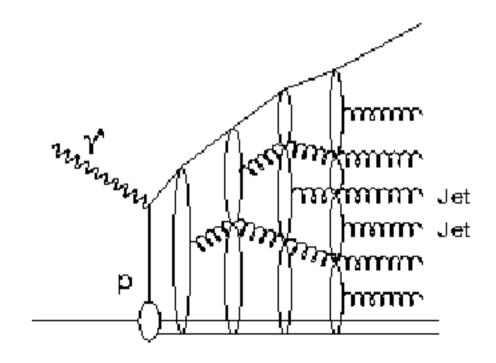


Summary Parton Dynamics

CDM (Color Dipole Model)

Radiation from decaying color dipoles, resulting spanning of new color dipoles, and a random walk in kt (BFKL like)

Implemented in ARIADNE



 χ 2 as a function of bg $\chi 2$ as a function of n 10 ⁴ 10 ³ 10 ³ 10 ² 10 ² 0.05 0.15 0.2 0.25 0.3 0.35 0.1 0.4 N 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9_{Bg}