

## HERA Symposium

Hamburg, June 18, 2013

Ami Rostomyan

(on behalf of the HERMES collaboration)

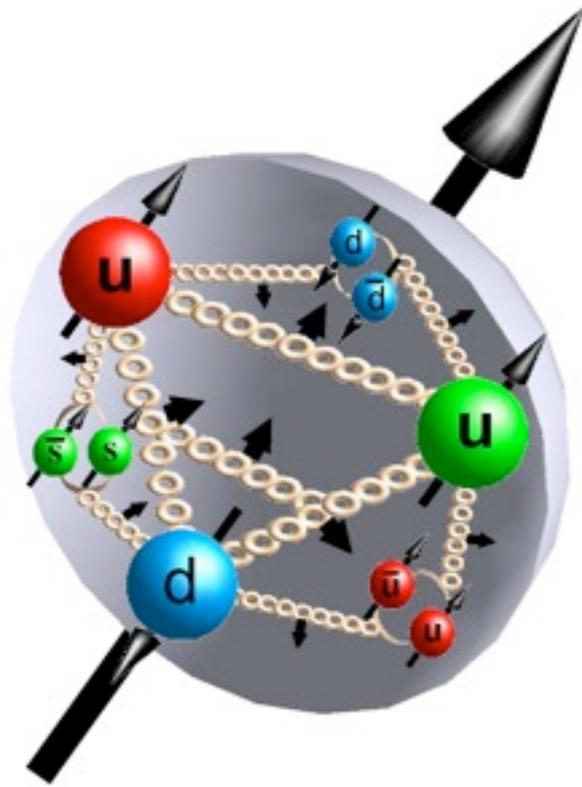


# spin and hadronization

## HERMES main research topics:

- ✓ **origin of nucleon spin**
  - longitudinal spin/momentum structure
  - transverse spin/momentum structure
- ✓ **hadronization/fragmentation**

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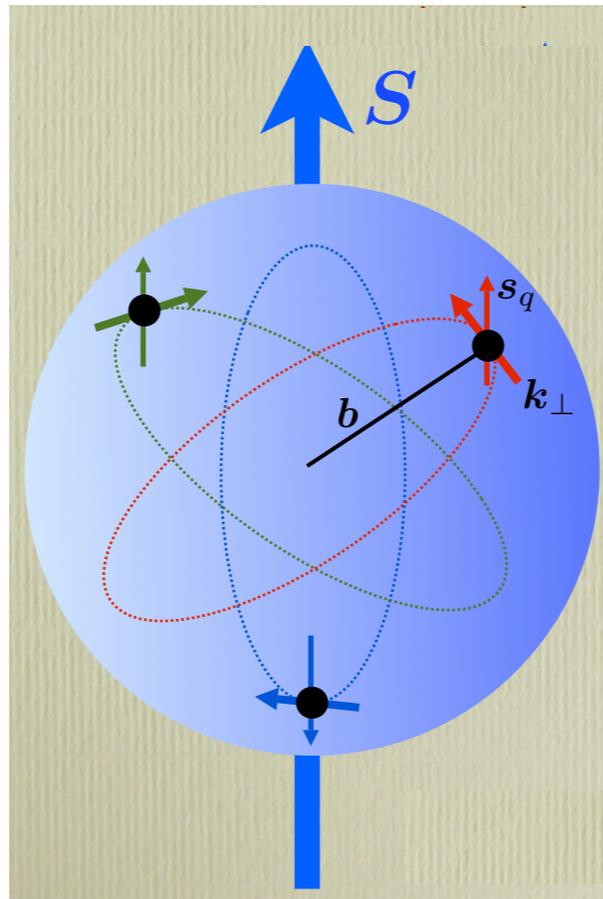
### ✓ hadronization/fragmentation

- ✓ nucleon properties (mass, charge, momentum, magnetic moment, spin...) should be explained by its constituents
- momentum: quarks carry  $\sim 50\%$  of the proton momentum
- spin: total quark spin contribution only  $\sim 30\%$

# quantum phase-space “tomography” of the nucleon

Wigner functions:  $W^q(\mathbf{k}, \mathbf{b})$

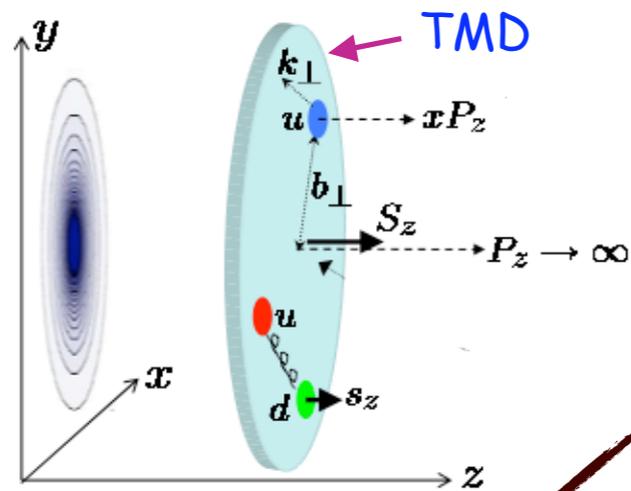
probability to find a quark in a nucleon with a certain polarization in a position  $\mathbf{b}$  and momentum  $\mathbf{k}$



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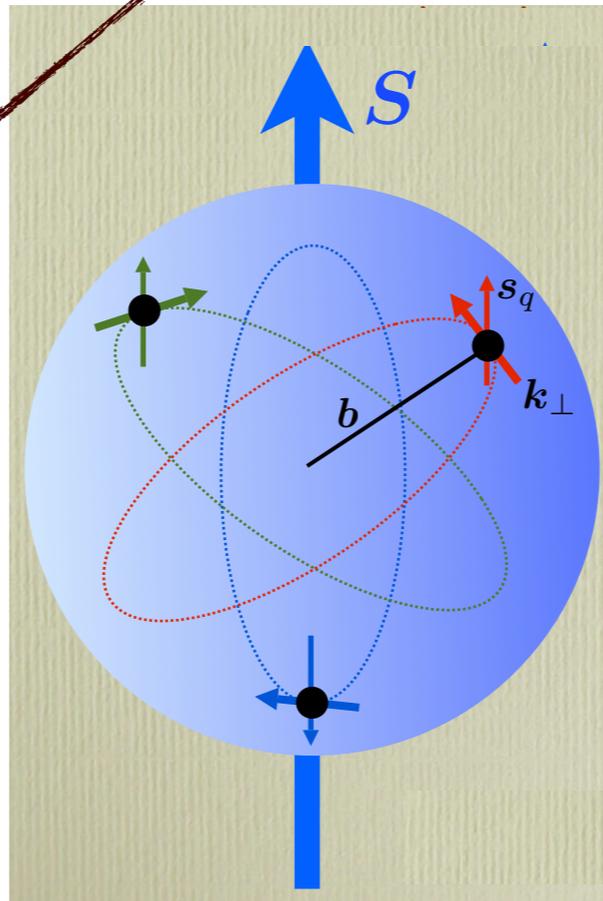
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$$q(x, \mathbf{k}_T)$$

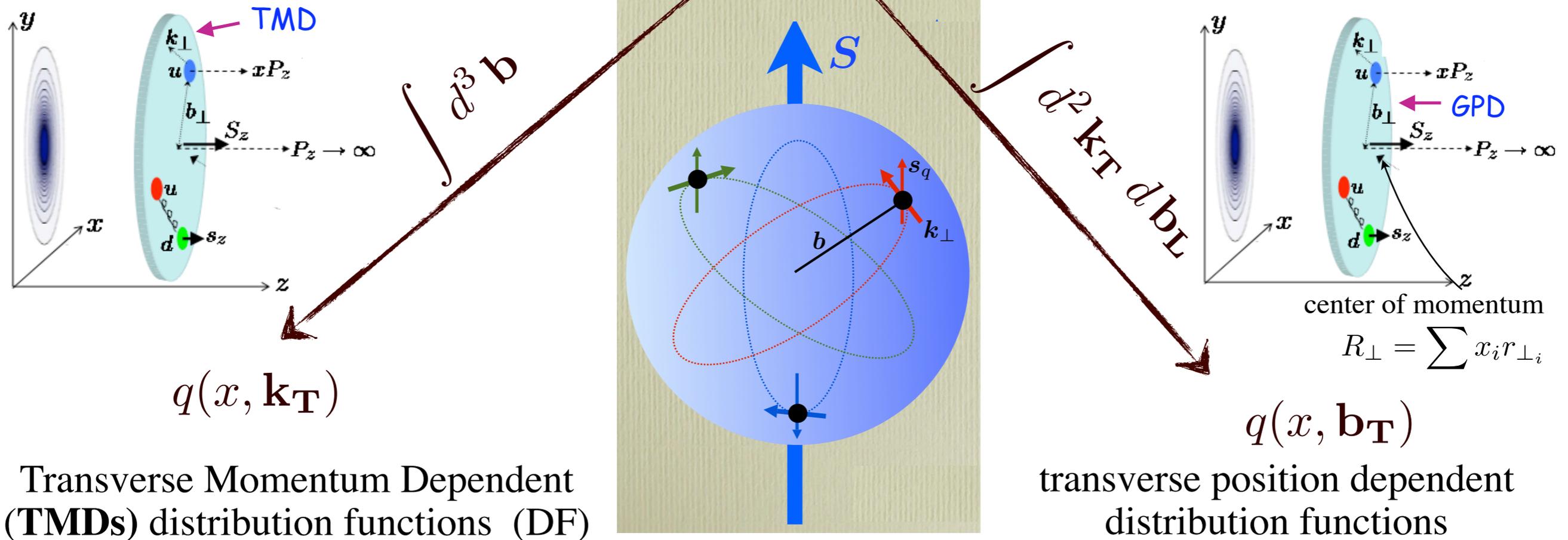
Transverse Momentum Dependent (TMDs) distribution functions (DF)



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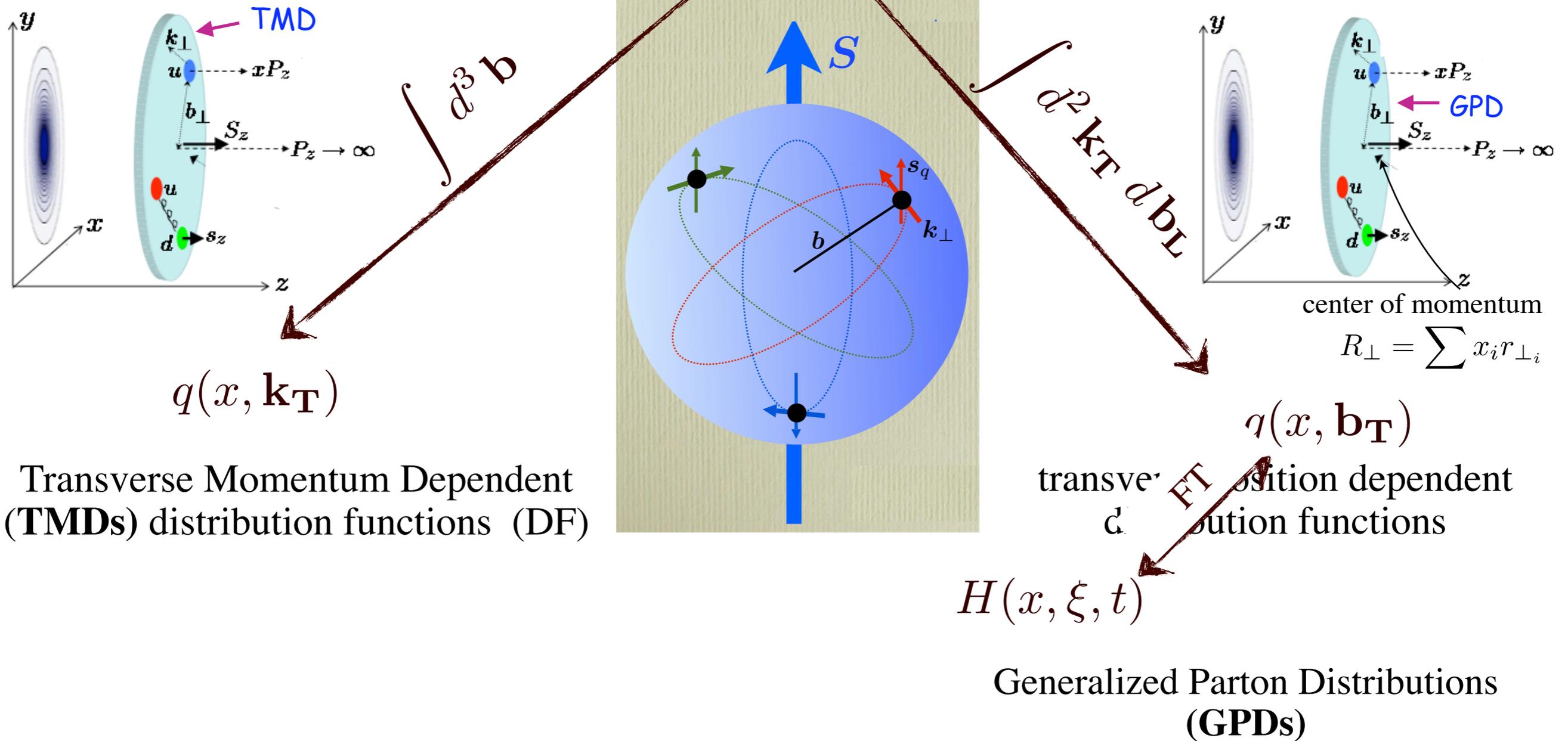
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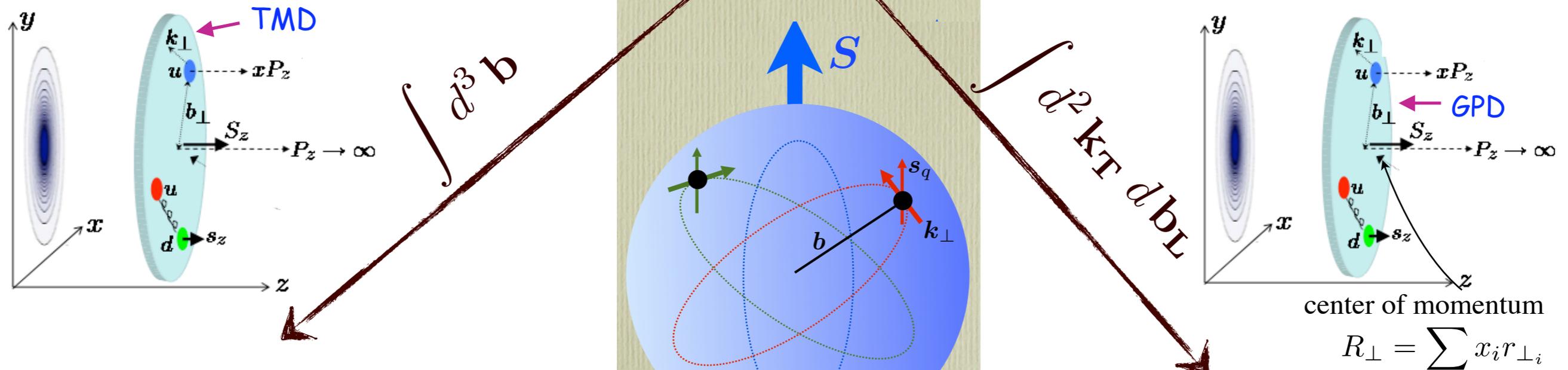
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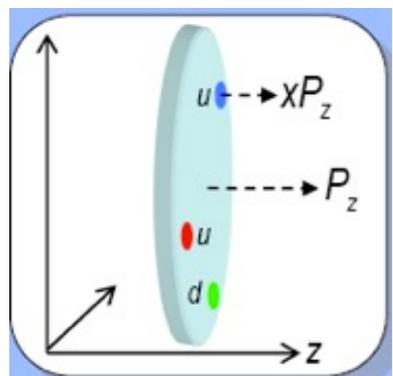


$q(x, \mathbf{k}_T)$

$q(x, \mathbf{b}_T)$

Transverse Momentum Dependent (TMDs) distribution functions (DF)

transverse position dependent distribution functions



$\int d^2 k_T \rightarrow f^q(x)$

$\xi = 0, t = 0$

$H(x, \xi, t)$

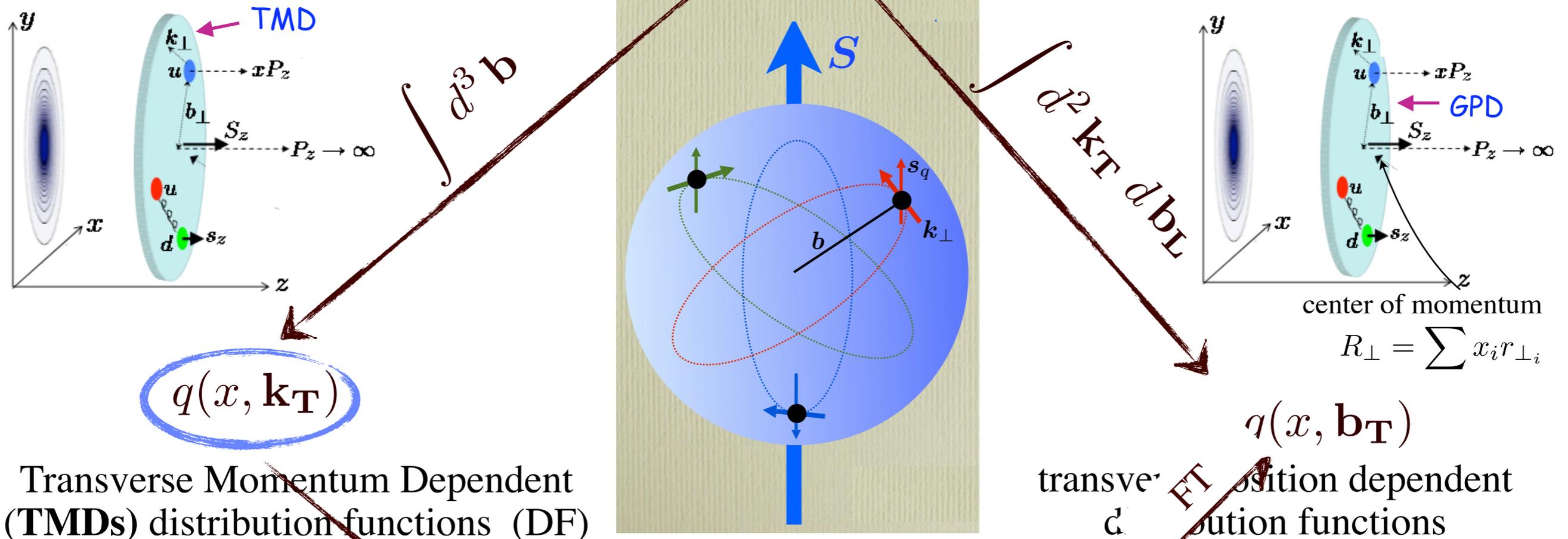
Generalized Parton Distributions (GPDs)

Parton Distribution Functions (PDFs)

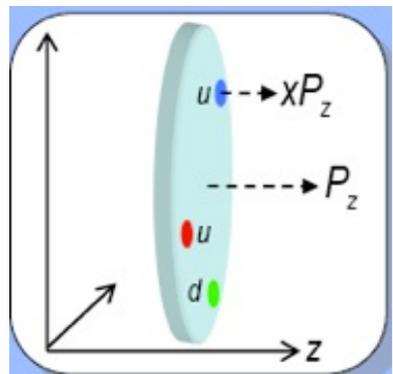
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☛ semi-inclusive measurements

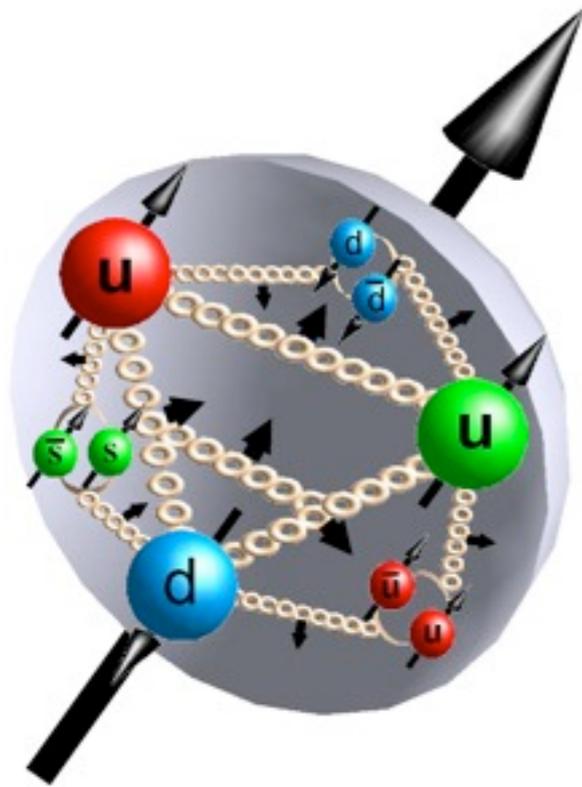


Ami Rostomyan

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# spin and hadronization



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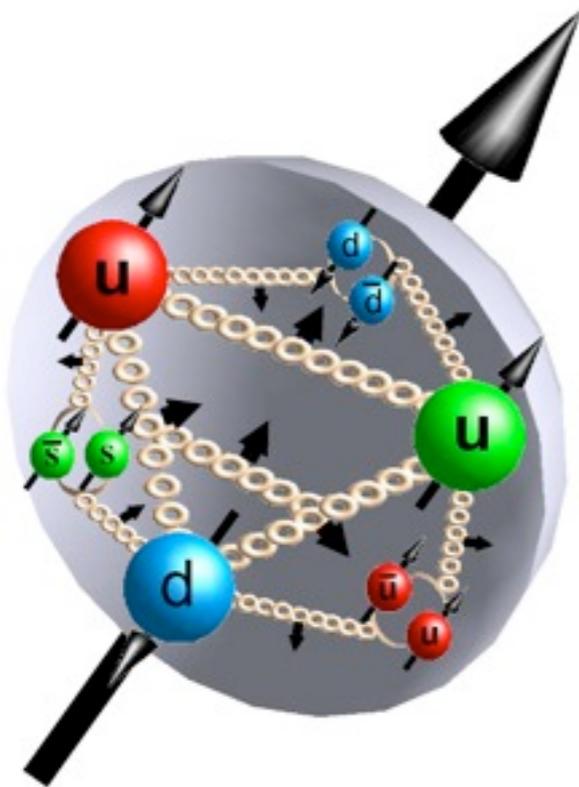
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- ➔ **study of TMD DFs and GPDs**

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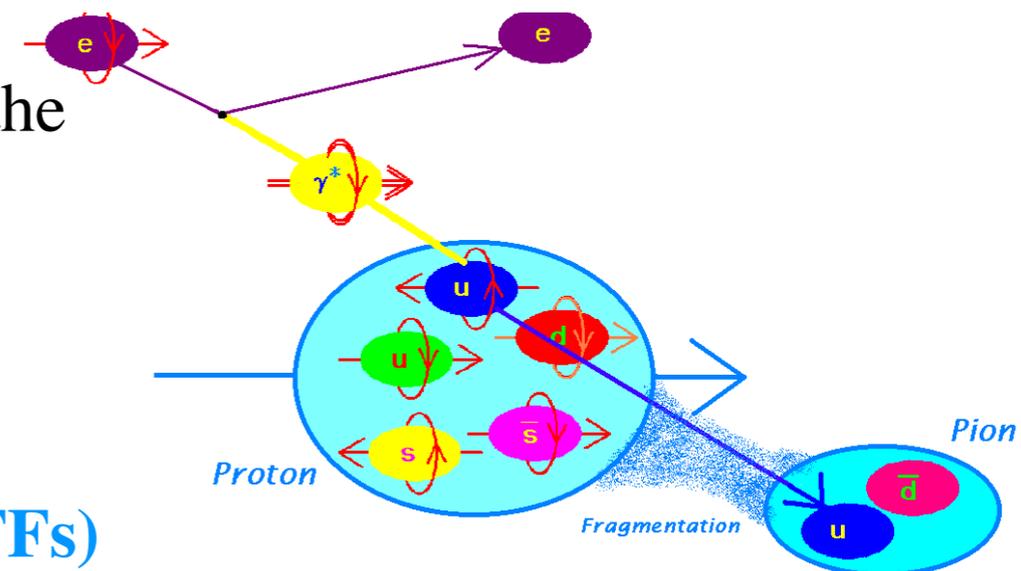
✓ isolated quarks have never been observed in nature

✓ fragmentation functions were introduced to describe the hadronization

☞ non-pQCD objects

☞ universal but not well known functions

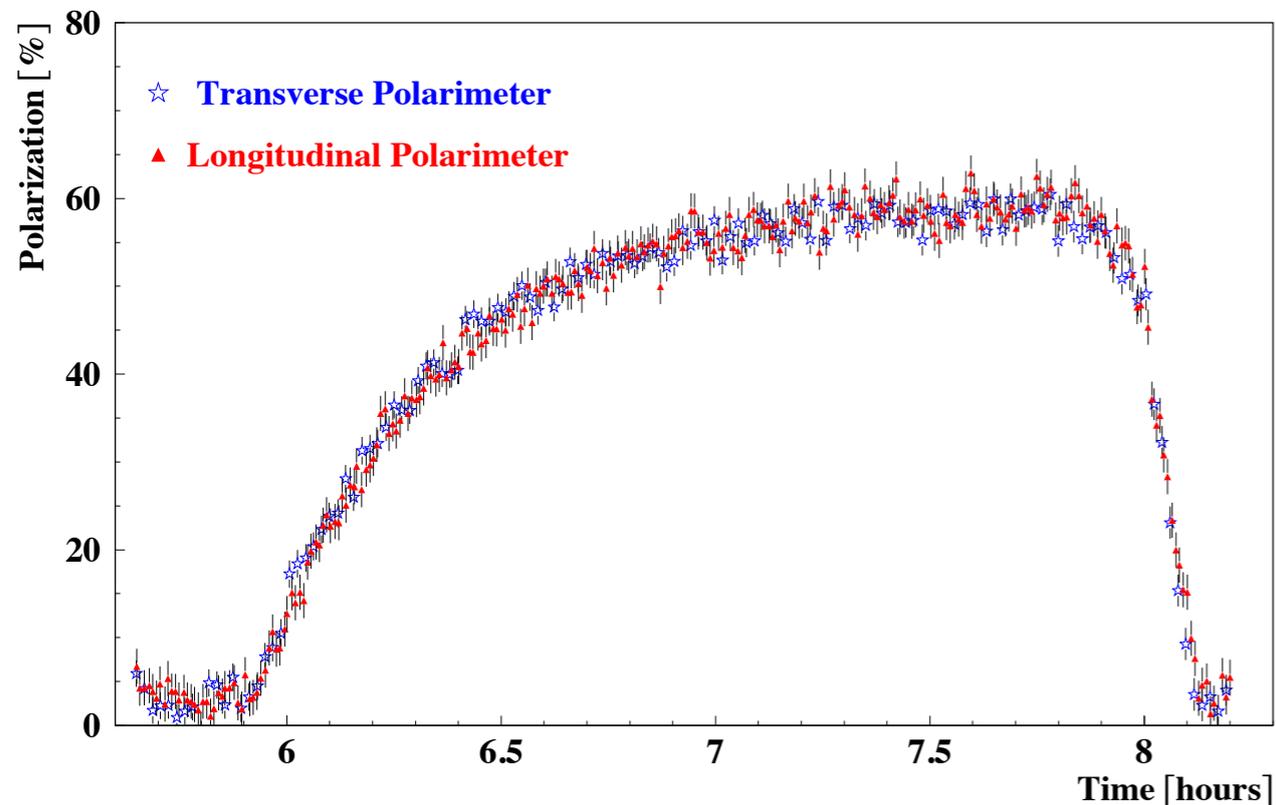
➔ **advantage of lepton-nucleon scattering data** → **flavour separation of fragmentation functions (FFs)**



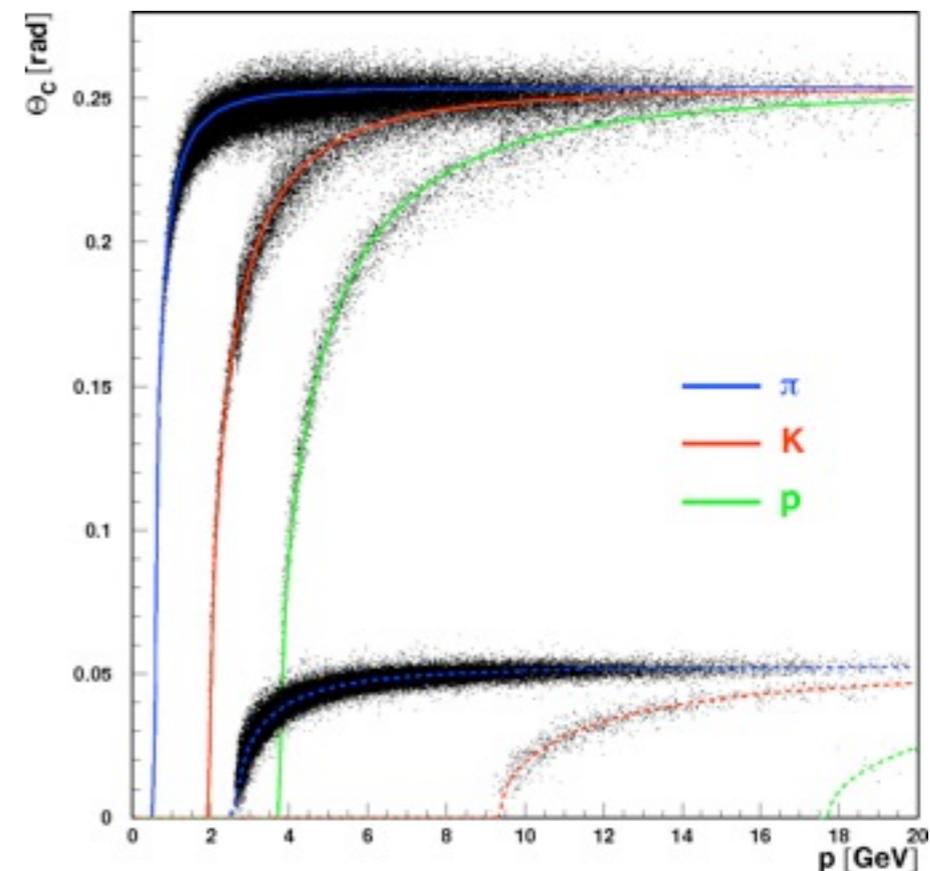
# advantages of the experiment

The HERMES experiment, located at HERA, with its pure gas targets and advanced particle identification ( $\pi$ ,  $K$ ,  $p$ ) is well suited for TMD and GPD measurements.

self-polarized  $e^+/e^-$  beam



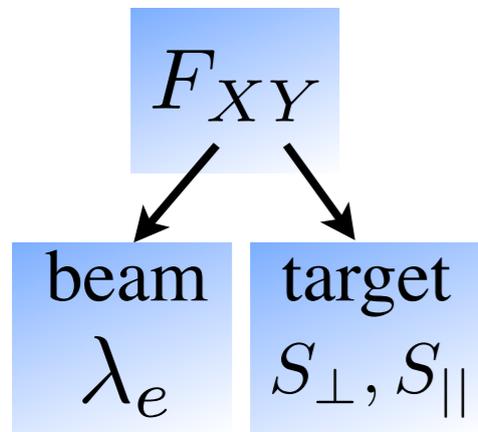
hadron identification with RICH detector



- ➡ **longitudinal** target polarization (H, D,  $^3\text{He}$ )
- ➡ **transverse** target polarization (H)
- ➡ **unpolarized** targets: H, D,  $^4\text{He}$ ,  $^{14}\text{N}$ ,  $^{20}\text{Ne}$ ,  $^{84}\text{Kr}$ ,  $^{131}\text{Xe}$
- ➡ **unpolarized** H, D targets with **recoil detector**

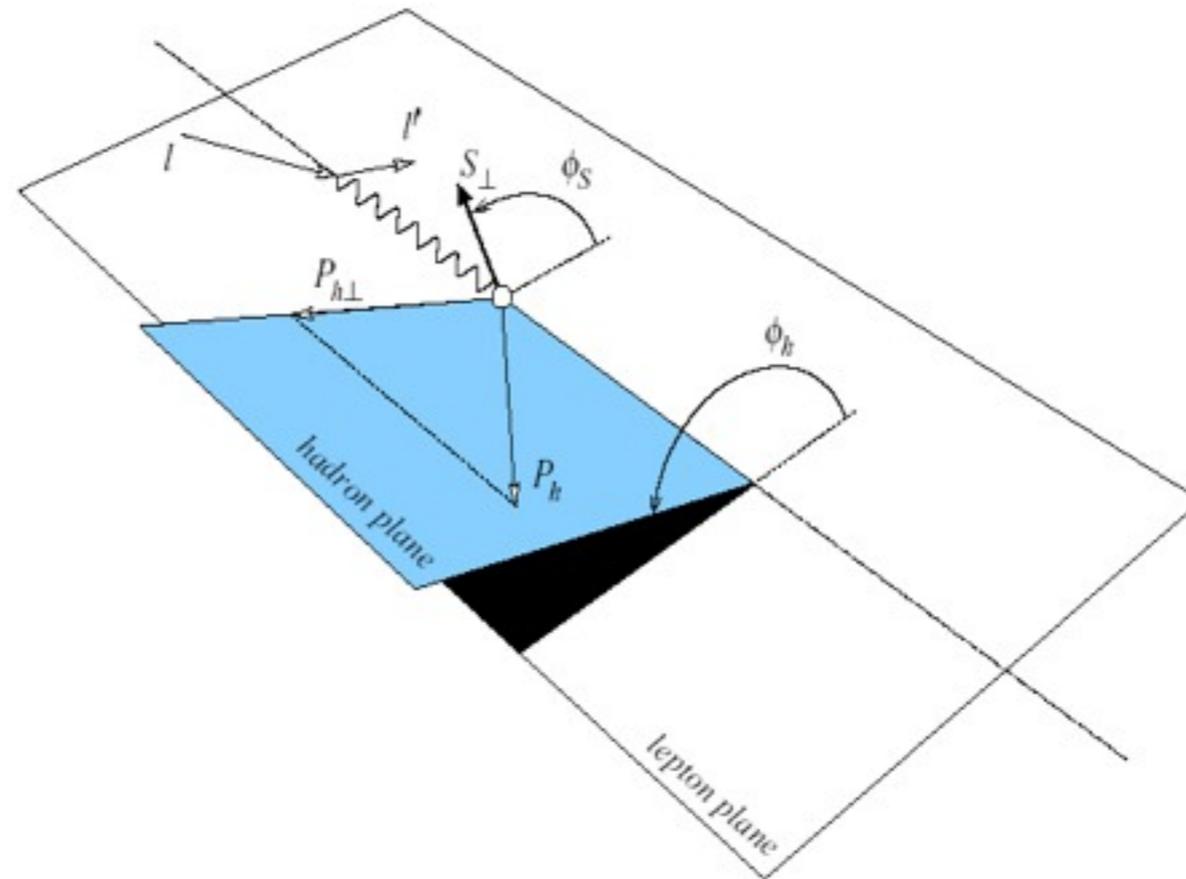
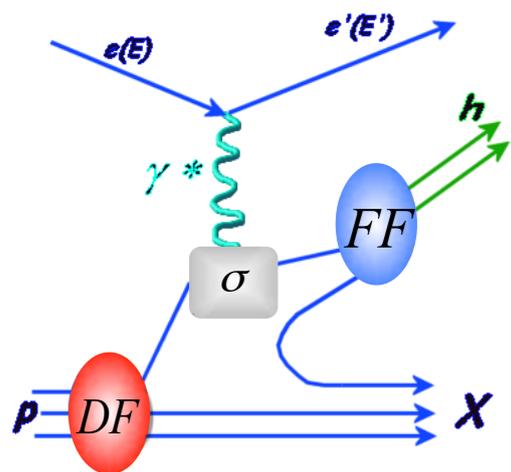
semi-inclusive measurements  
(probing TMDs)

# semi-inclusive DIS cross section and TMDs

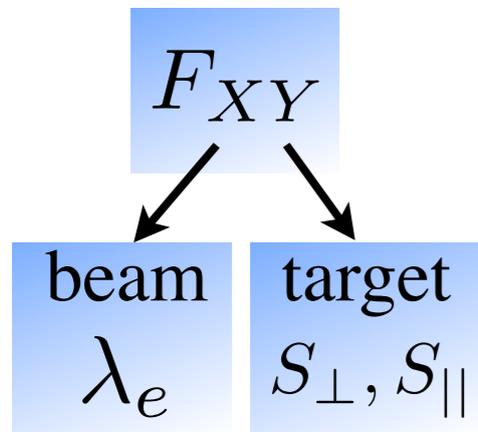


$$\frac{d^4\sigma}{dx dy dz d\phi_s} \propto F_{UU} + S_{||} \lambda_e \sqrt{1 - \epsilon^2} F_{LL} + S_{\perp} \{ \dots \}$$

$f_1 \otimes D_1$



# semi-inclusive DIS cross section and TMDs



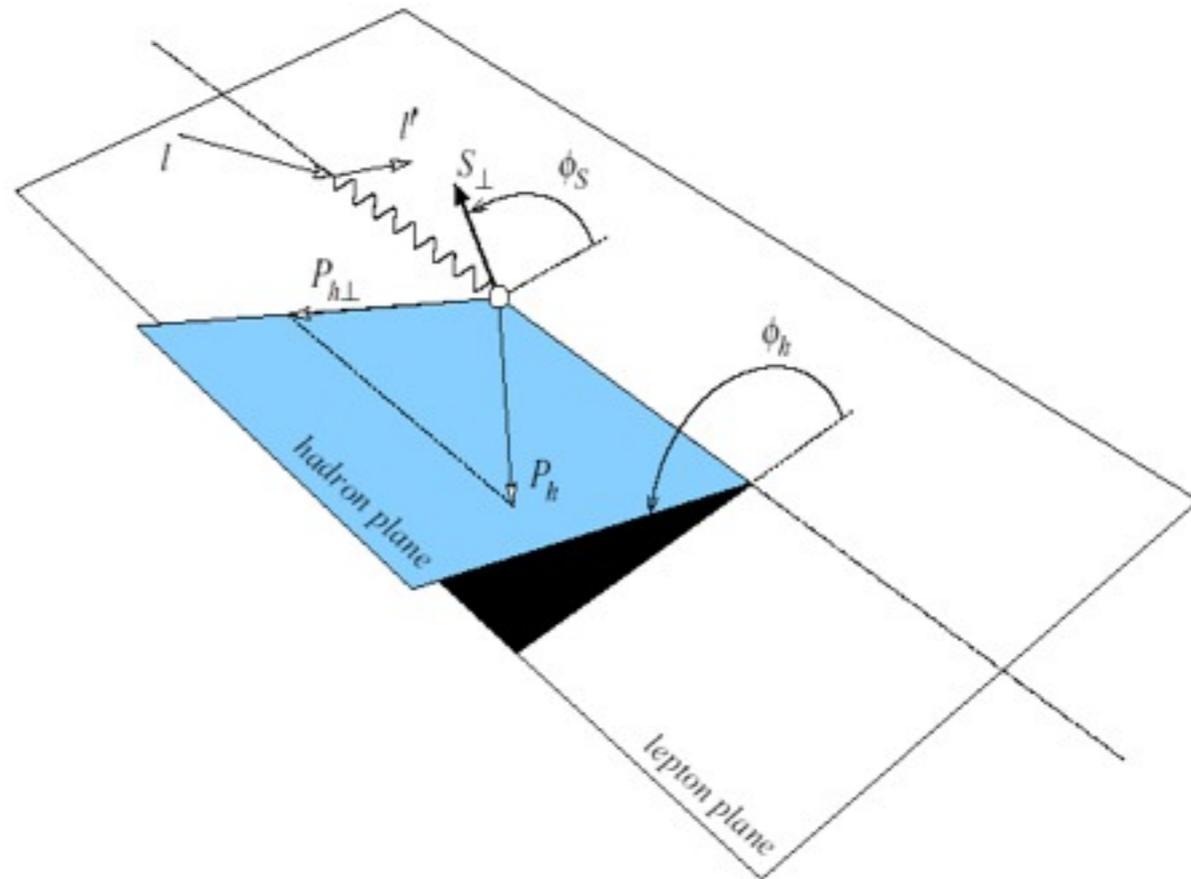
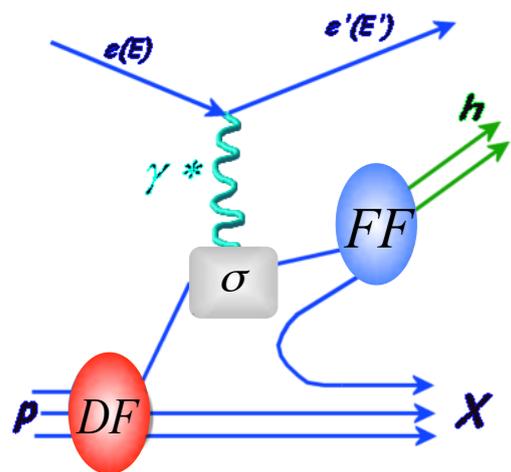
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$$\frac{d^6\sigma}{dx dy dz dP_{h\perp}^2 d\phi d\phi_s}$$

$$\propto \left\{ F_{UU} + \sqrt{2\epsilon(1+\epsilon)} F_{UU}^{\cos\phi} \cos\phi + \epsilon F_{UU}^{\cos 2\phi} \cos 2\phi \right\}$$

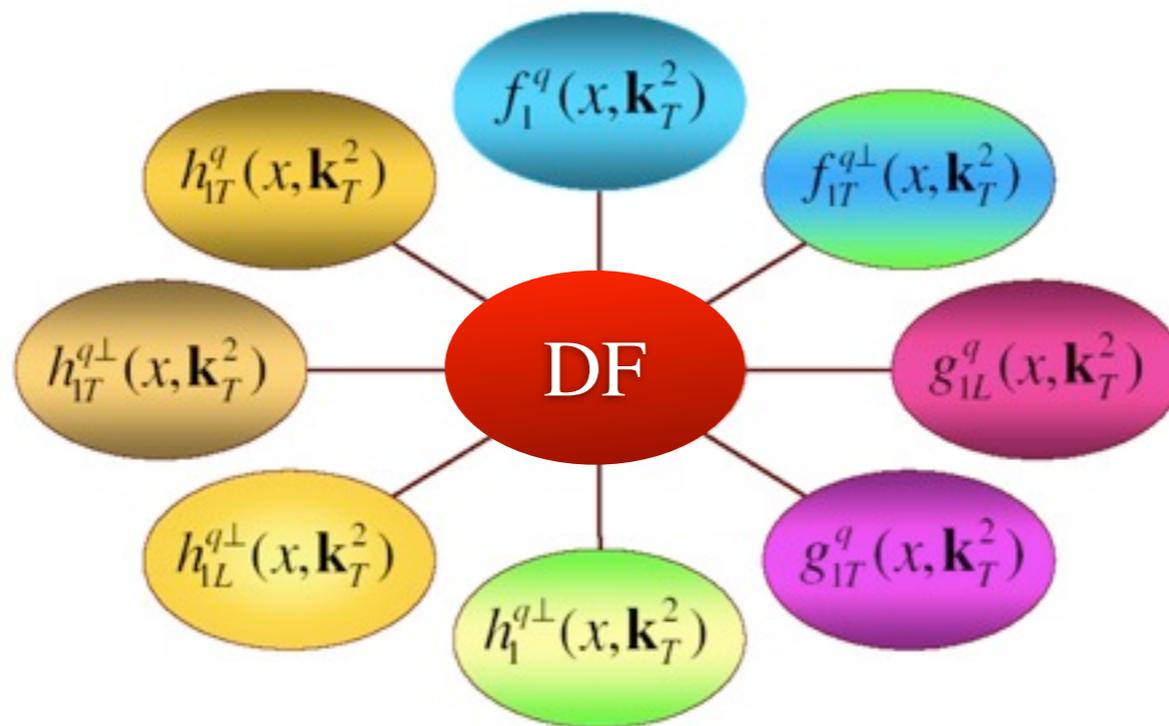
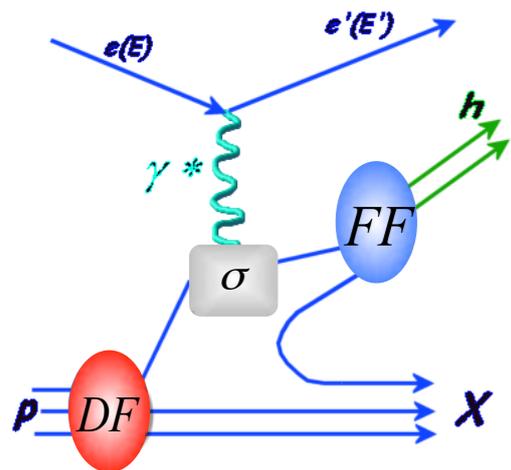
$$+ \lambda_e \left\{ \sqrt{2\epsilon(1-\epsilon)} F_{LU}^{\sin\phi} \sin\phi \right\} + S_{||} \{ \dots \} + S_{\perp} \{ \dots \}$$



$$\frac{d^6\sigma}{dx dy dz dP_{h\perp}^2 d\phi d\phi_s} \propto \left\{ F_{UU} + \sqrt{2\epsilon(1+\epsilon)} F_{UU}^{\cos\phi} \cos\phi + \epsilon F_{UU}^{\cos 2\phi} \cos 2\phi \right\} + \lambda_e \left\{ \sqrt{2\epsilon(1-\epsilon)} F_{UL}^{\sin\phi} \sin\phi \right\} + S_{\parallel} \left\{ \dots \right\} + S_{\perp} \left\{ \dots \right\} + \dots$$

## leading twist TMD DF:

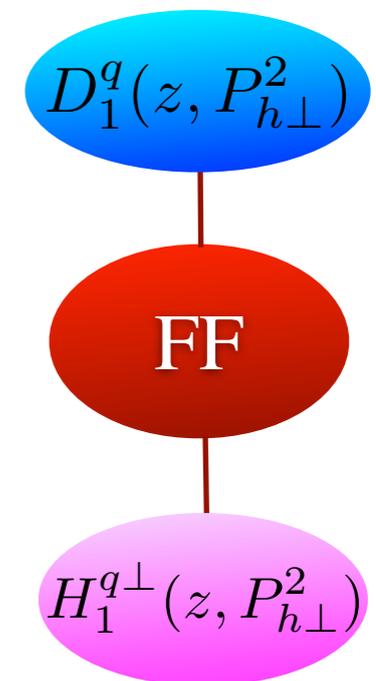
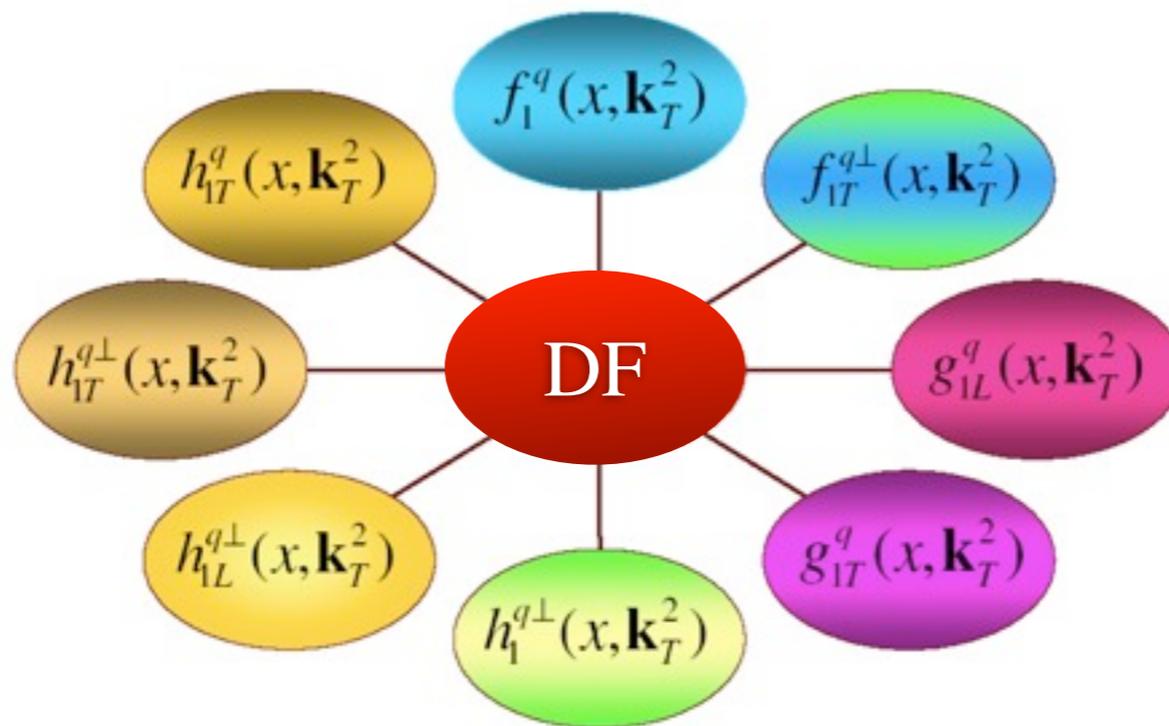
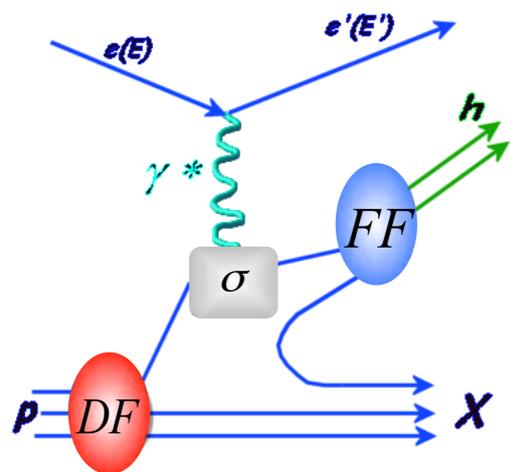
parameterize the quark-flavor structure of the nucleon



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**leading twist TMD DF:**  
parameterize the quark-flavor structure of the nucleon

**leading twist TMD FF:**  
number densities for the conversion of a quark of a certain type to a specific hadron



# semi-inclusive DIS cross section and TMDs

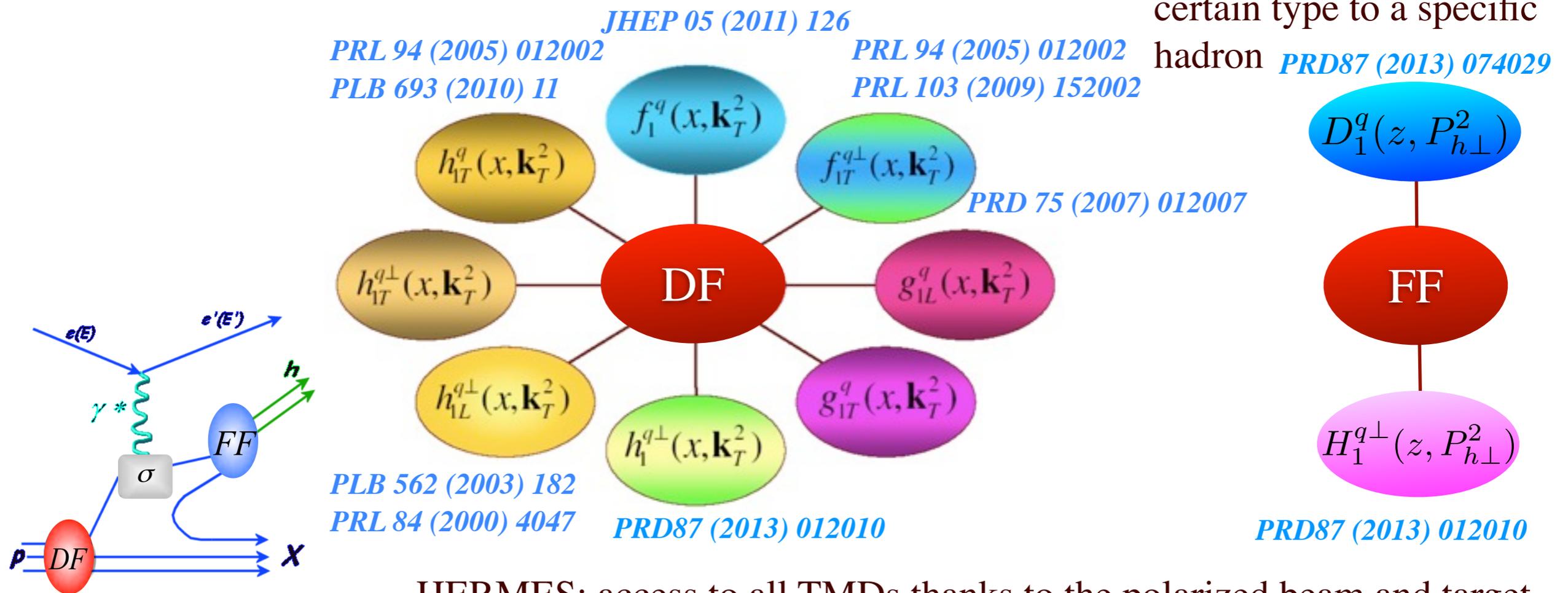
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HERMES: access to all TMDs thanks to the polarized beam and target

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$f_1 \otimes D_1$

twist-3

$h_1^\perp \otimes H_1^\perp$

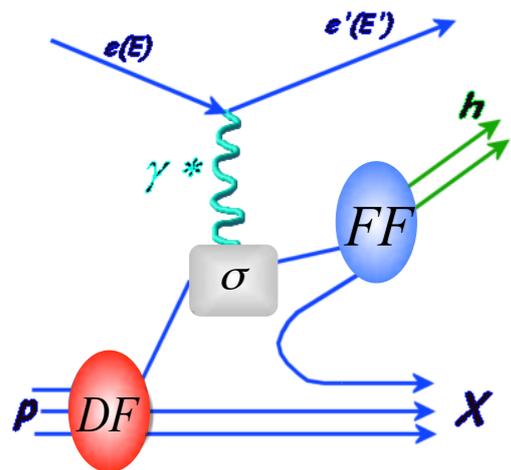
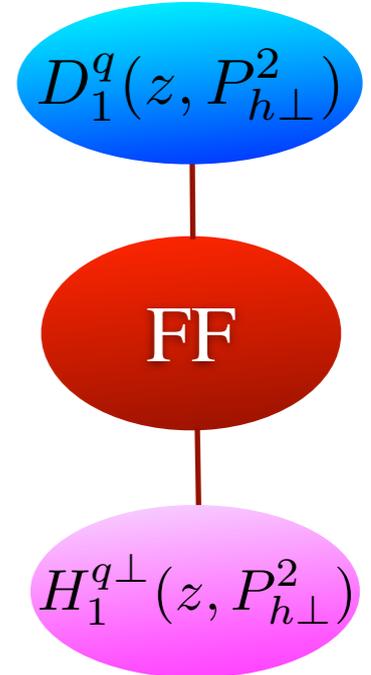
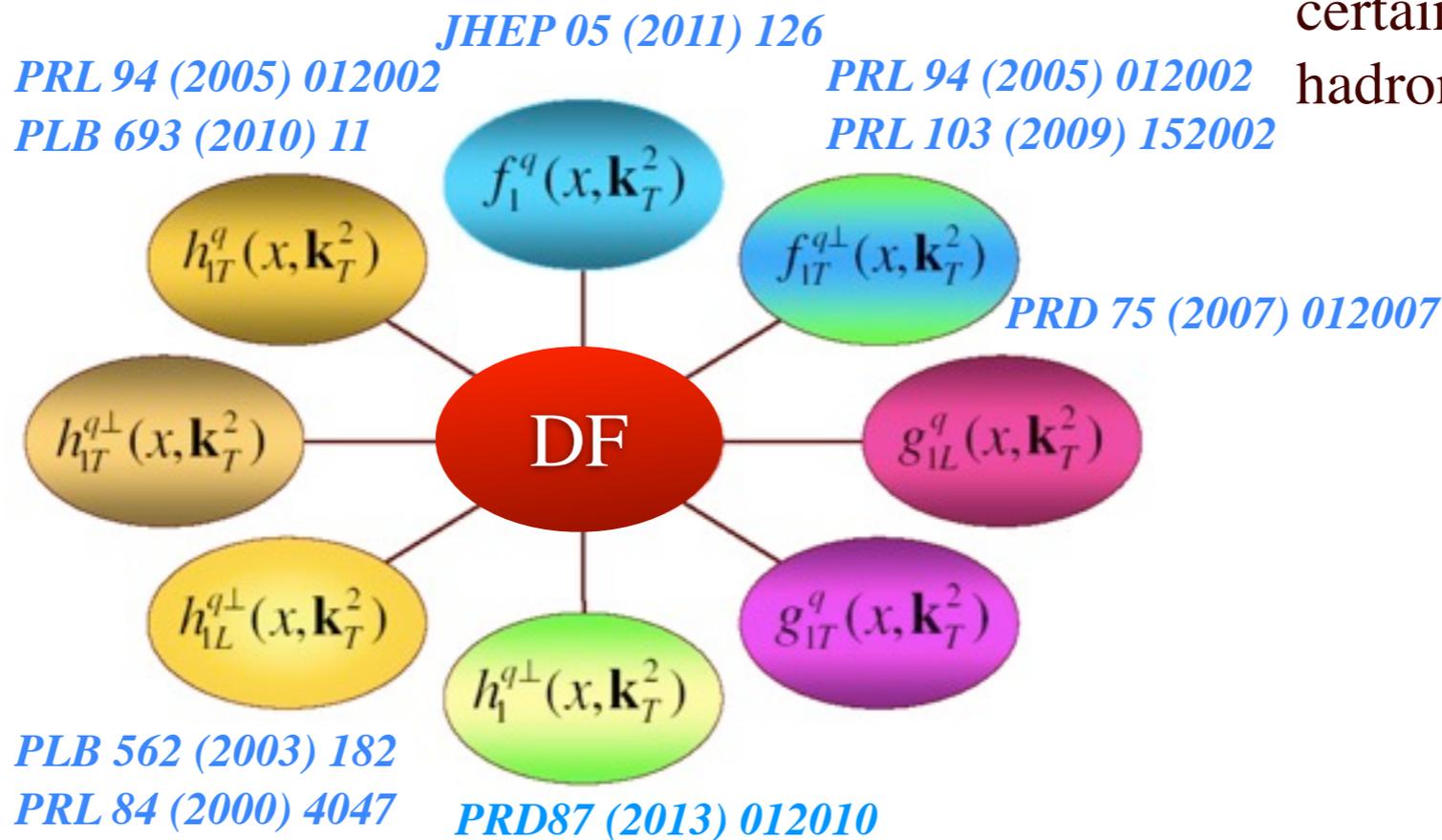
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$$\sigma_{UU} \propto f_1 \otimes D_1$$

$$f_1 = \text{img}$$


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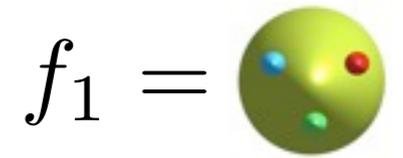
$$M^h = \frac{d\sigma_{SIDIS}^h(x, Q^2, z, P_{h\perp})}{d\sigma_{DIS}(x, Q^2)}$$

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LO interpretation of multiplicity results (integrated over  $\mathbf{P}_{h\perp}$ ):

$$M^h \propto \frac{\sum_q e_q^2 \int dx f_{1q}(x, Q^2) D_{1q}^h(z, Q^2)}{\sum_q e_q^2 \int dx f_{1q}(x, Q^2)}$$

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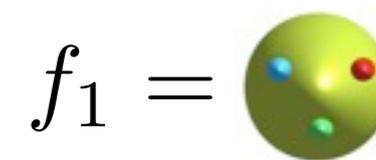


✓ charge-separated multiplicities of pions and kaons sensitive to the individual quark and antiquark flavours in the fragmentation process

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*Phys. Rev. D87 (2013) 074029*

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$\pi^+$  and  $K^+$ :

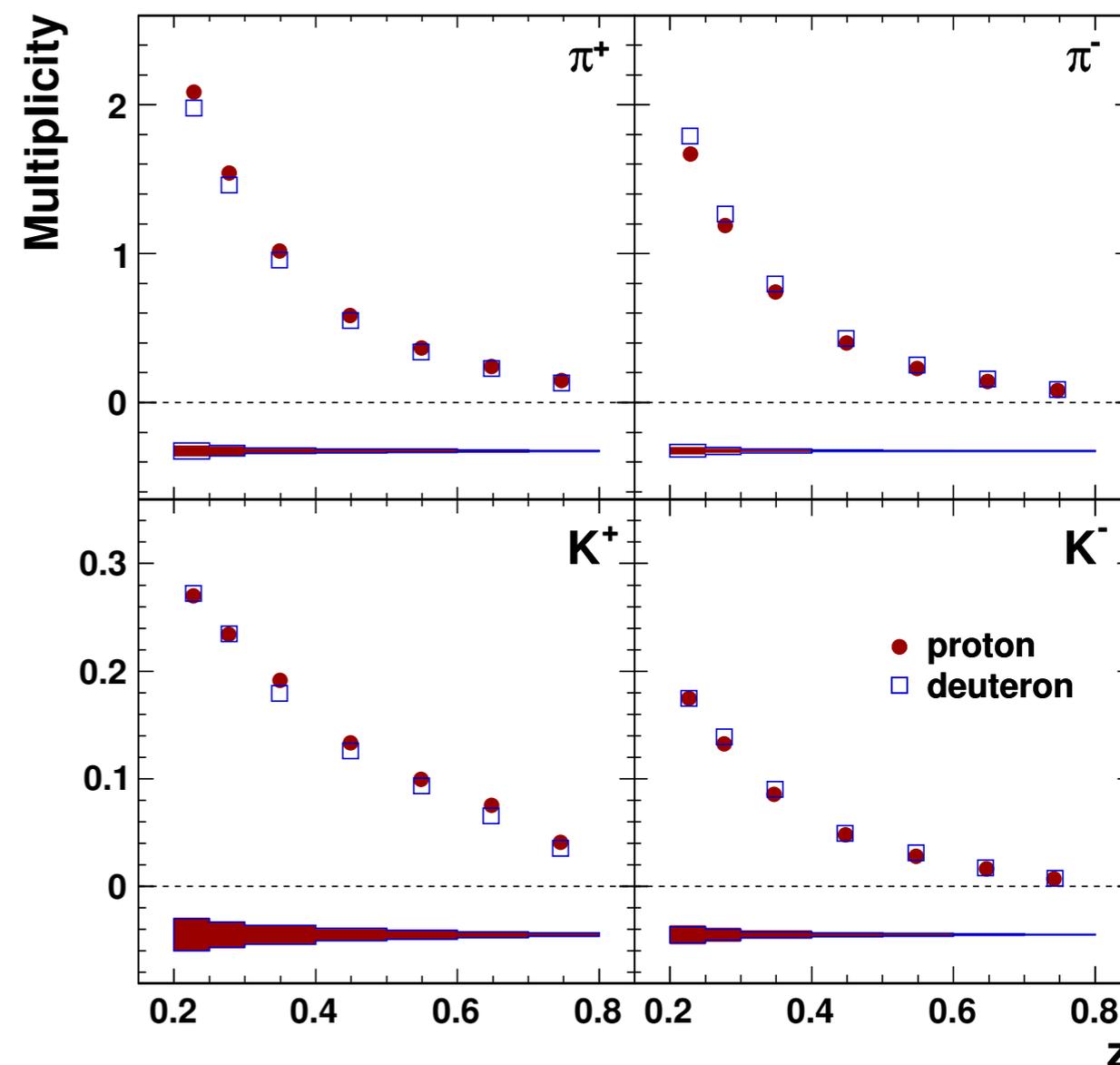
➡ favoured fragmentation on proton

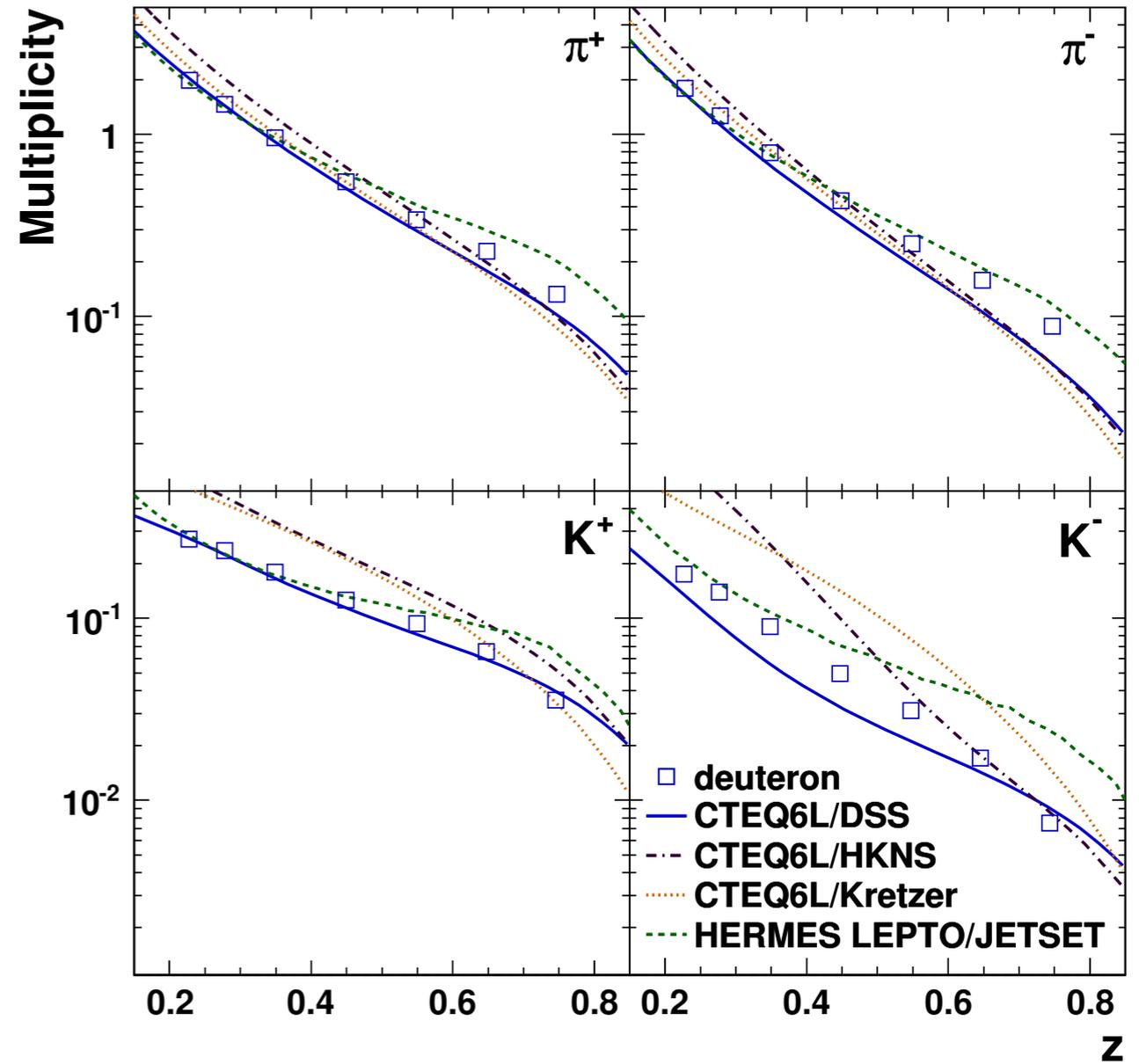
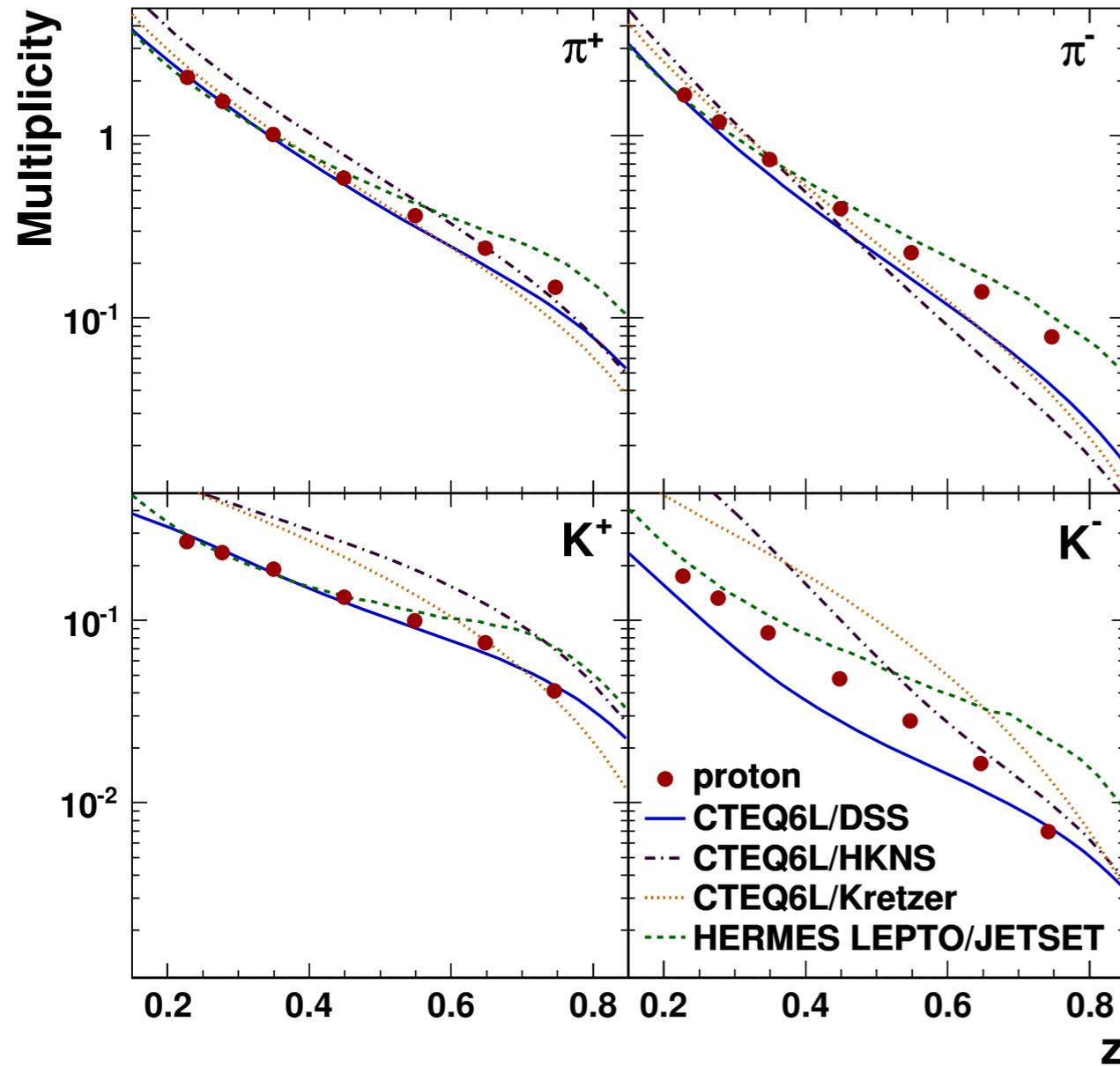
$\pi^-$ :

➡ increased number of d-quarks in D target and favoured fragmentation on neutron

$K^-$ :

➡ cannot be produced through favoured fragmentation from the nucleon valence quarks





✓ calculations using DSS, HNKS and Kretzer FF fits together with CTEQ6L PDFs

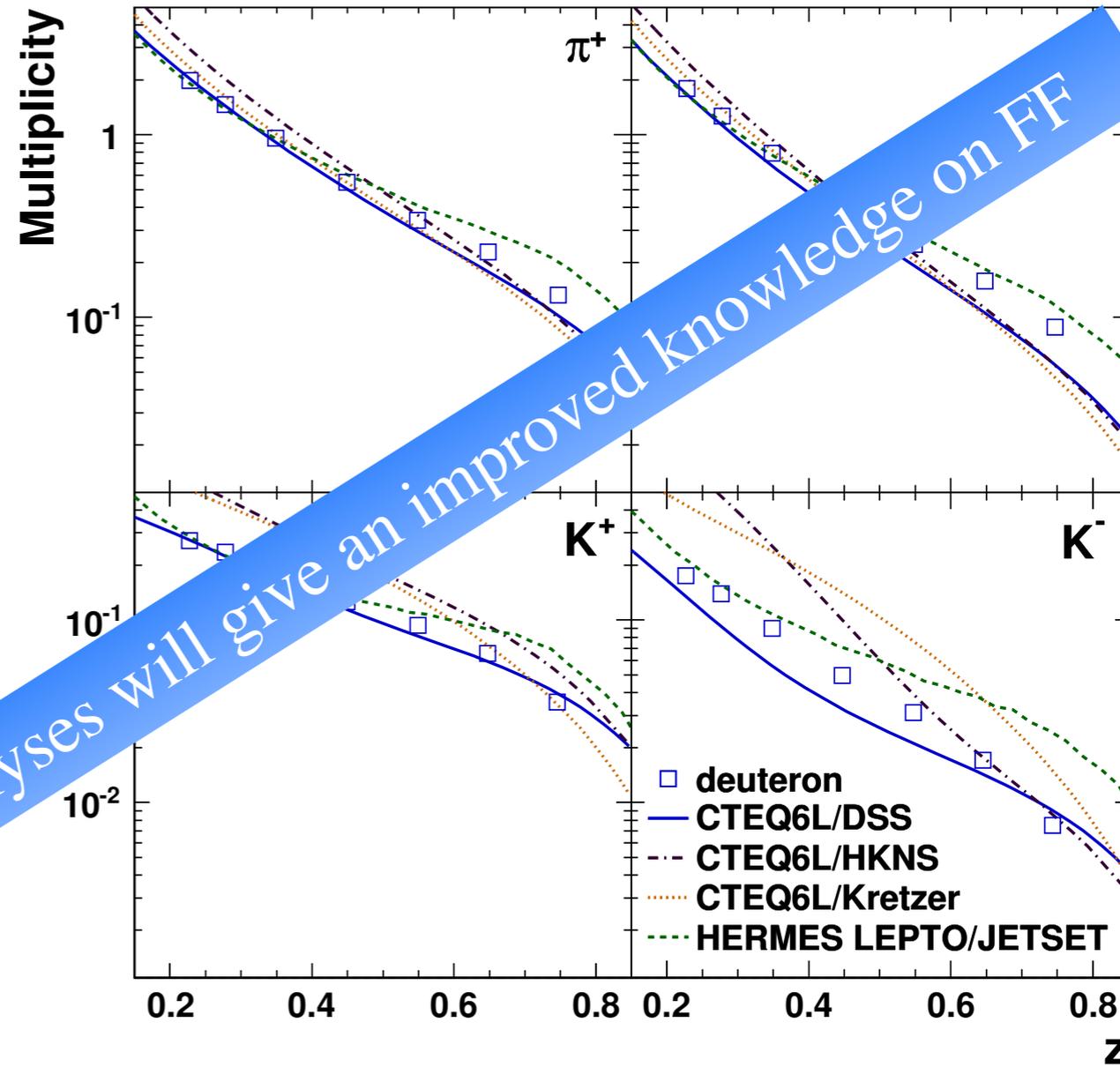
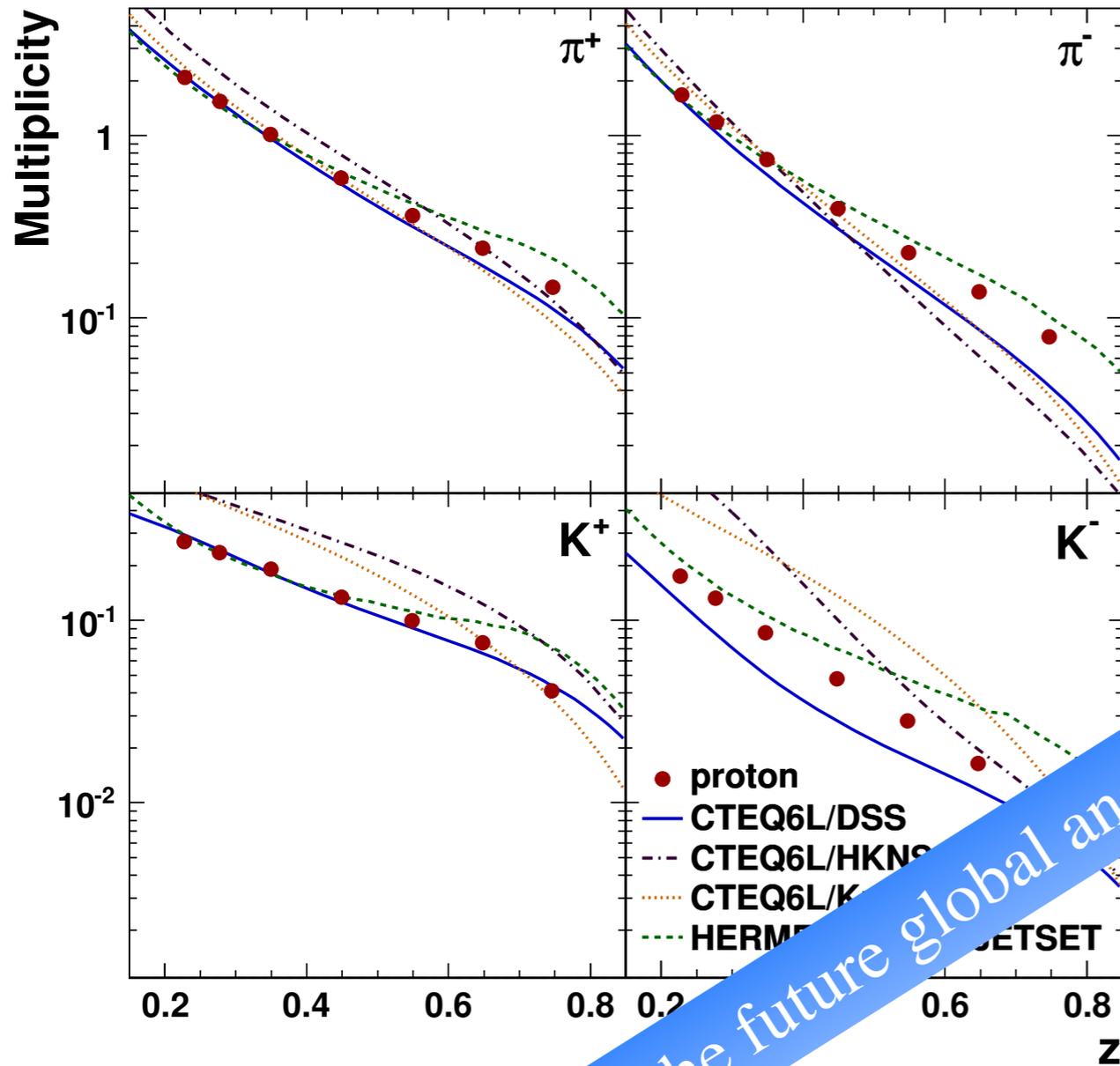
proton:

- ➡ fair agreement for positive hadrons
- ➡ disagreement for negative hadrons

deuteron:

- ➡ results are in general in better agreement with the various predictions

$$\sigma_{UU} \propto f_1 \otimes D_1$$



inclusion of the data in the future global analyses will give an improved knowledge on FF

✓ calculations using CTEQ6L PDFs together with HKNS and Kretzer FF fits together with CTEQ6L PDFs

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# evaluation of strange quark PDFs

✓ in the absence of experimental constraints, many global QCD fits of PDFs assume

$$s(x) = \bar{s}(x) = r[\bar{u}(x) + \bar{d}(x)]/2$$

✓ isoscalar extraction of  $S(x)\mathcal{D}_S^K$  based on the multiplicity data of  $K^+$  and  $K^-$  on D

$$S(x) \int \mathcal{D}_S^K(z) dz \simeq Q(x) \left[ 5 \frac{d^2 N^K(x)}{d^2 N^{DIS}(x)} - \int \mathcal{D}_Q^K(z) dz \right]$$

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$$\mathcal{D}_S^K = D_1^{s \rightarrow K^+} + D_1^{\bar{s} \rightarrow K^+} + D_1^{s \rightarrow K^-} + D_1^{\bar{s} \rightarrow K^-}$$

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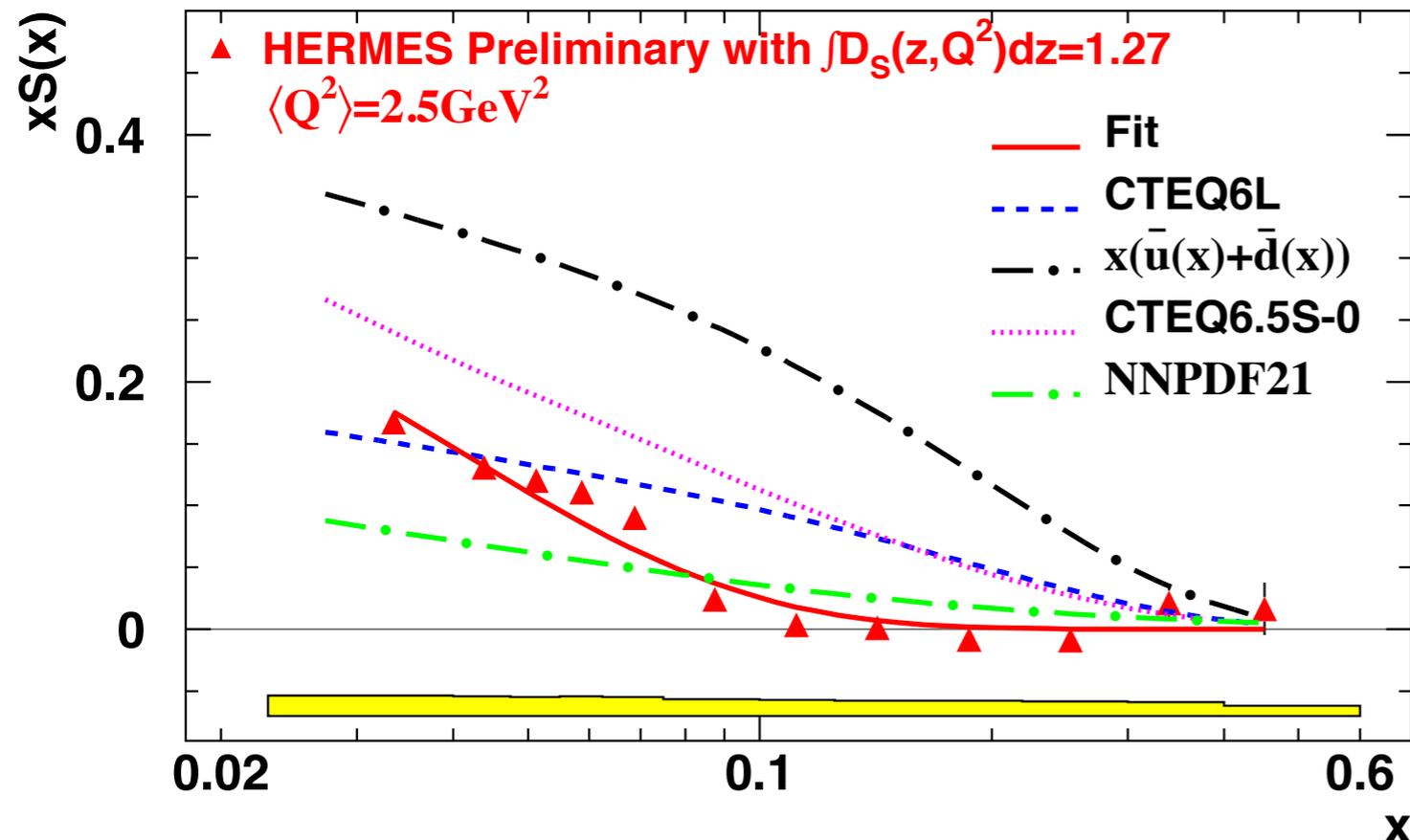
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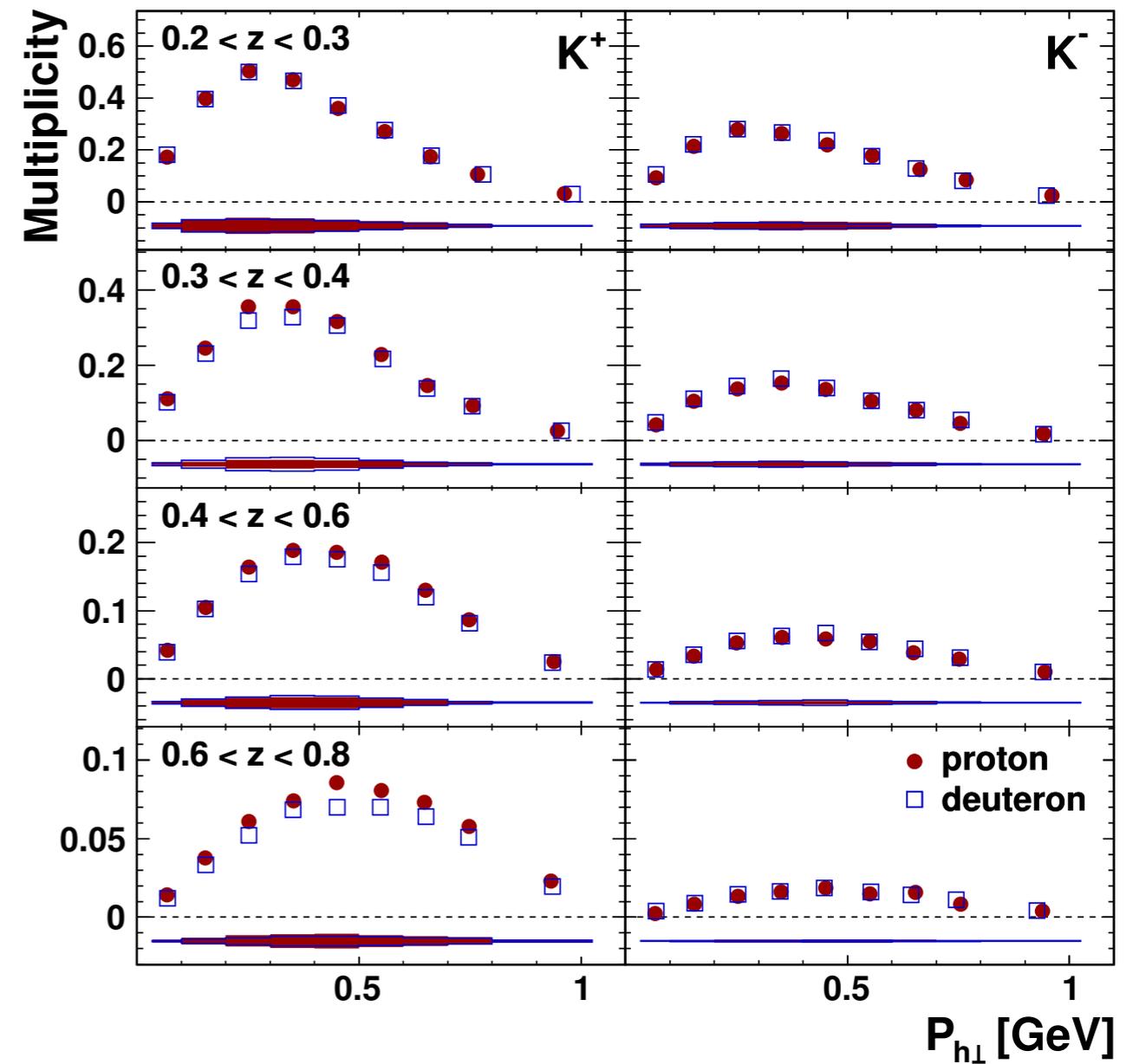
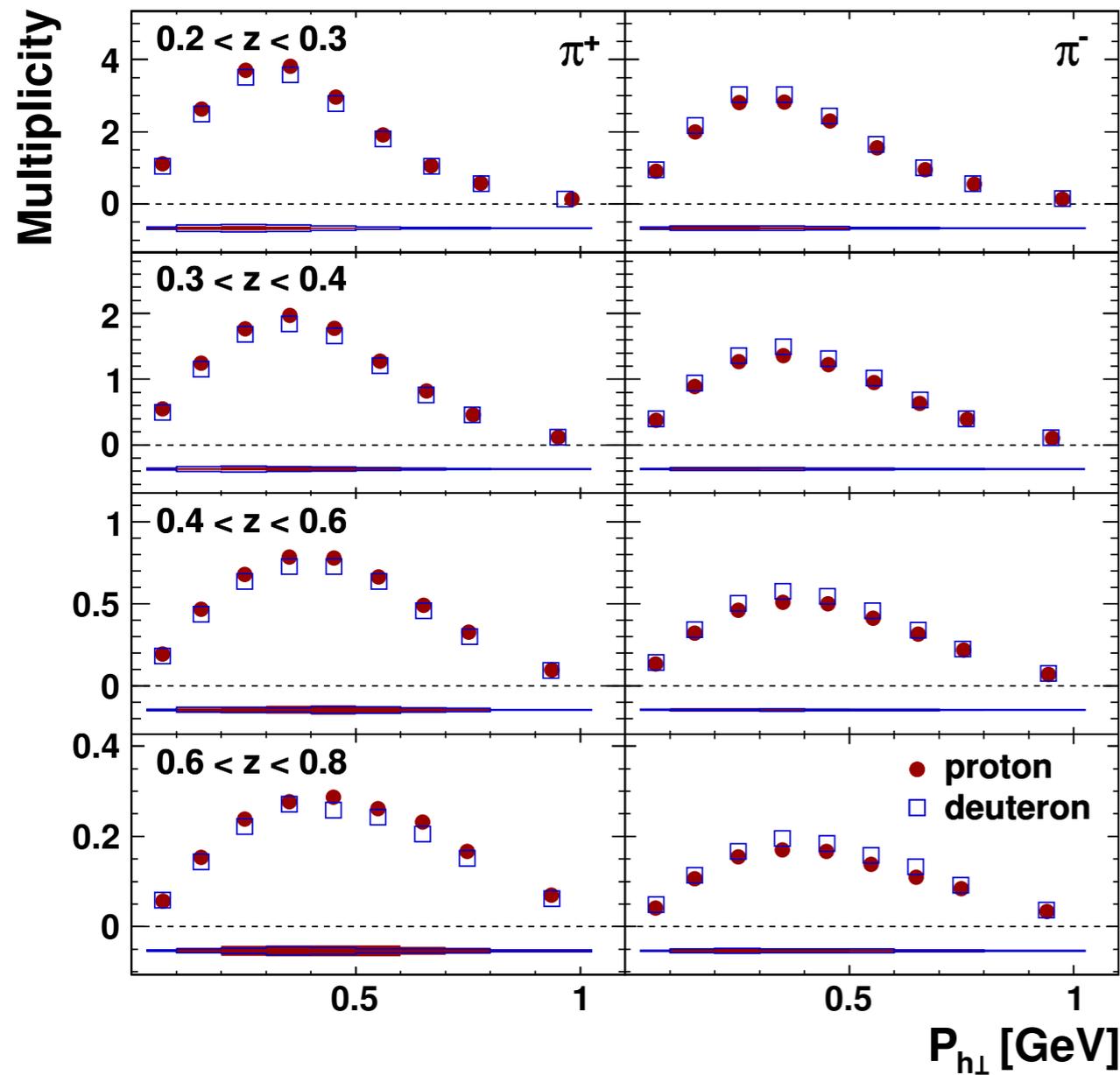
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✓ the distribution of  $S(x)$  is obtained for a certain value of  $\mathcal{D}_S^K$

✓ the normalization of the data is given by that value

✓ whatever the normalization, the shape is incompatible with the predictions

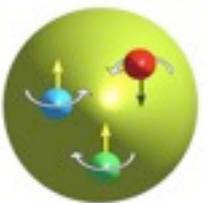


✓ multi-dimensional analysis allows exploration of new kinematic dependences

✓ broader  $P_{h\perp}$  distribution for  $K^-$

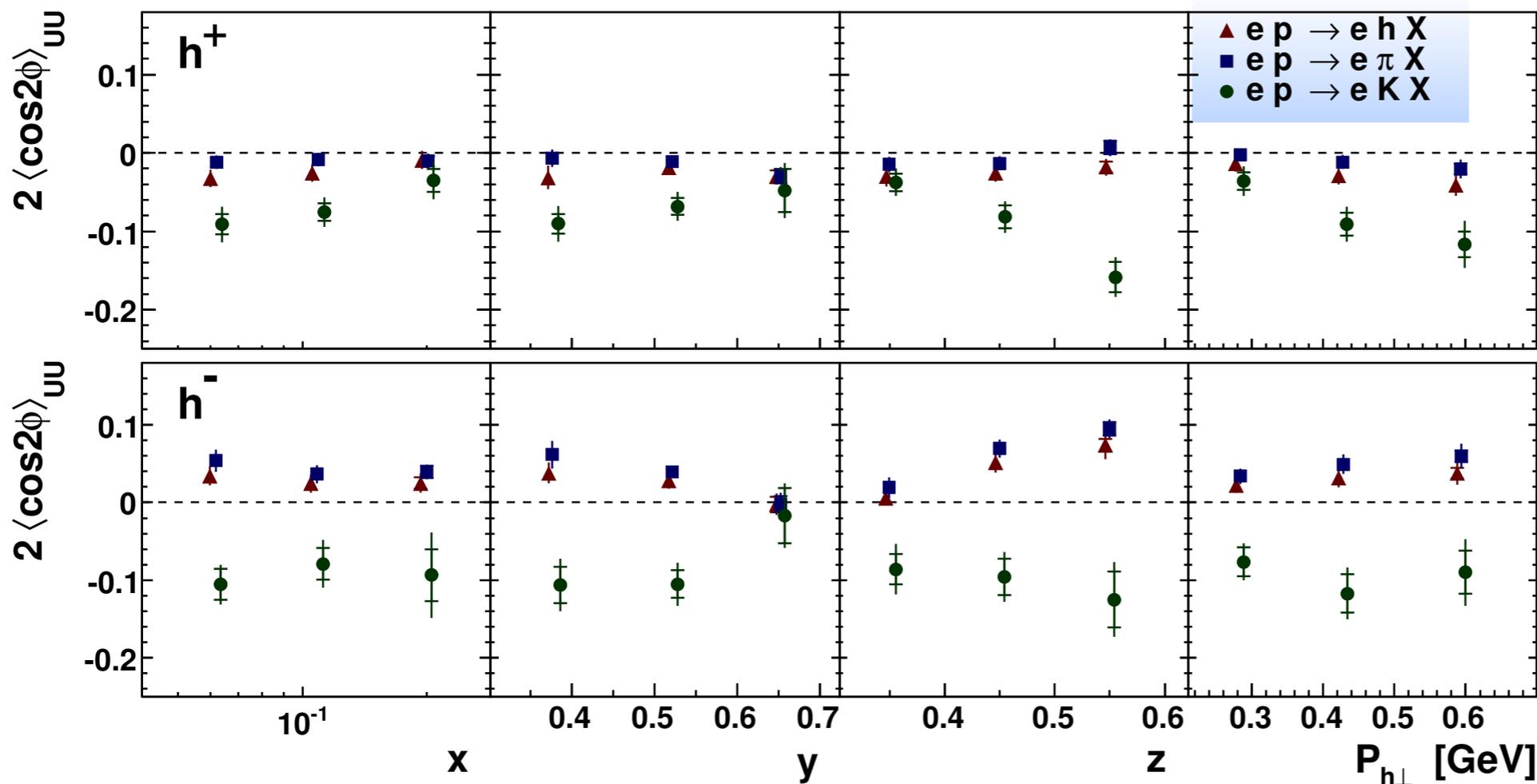
# quark's transverse degrees of freedom

$$\sigma_{UU} \propto h_1^\perp \otimes H_1^\perp$$

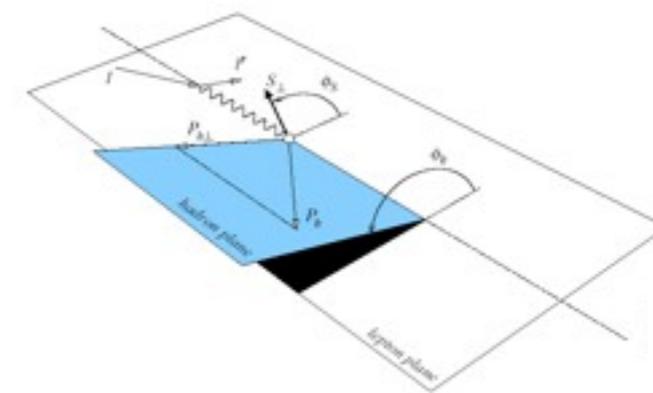
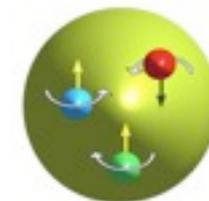
$$h_1^\perp =$$


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$$h_1^\perp =$$



*Phys.Rev. D87 (2013) 012010*

✓ negative asymmetry for  $\pi^+$  and positive for  $\pi^-$

➡ from previous publications ( *PRL 94 (2005) 012002, PLB 693 (2010) 11-16* ):

$$H_1^\perp, u \rightarrow \pi^+ = -H_1^\perp, u \rightarrow \pi^-$$

➡ data support Boer-Mulders DF  $h_1^\perp$  of same sign for u and d quarks

✓  $K^-$  and  $K^+$ : striking differences w.r.t. pions

➡ role of the sea in DF and FF

# beyond the leading twist

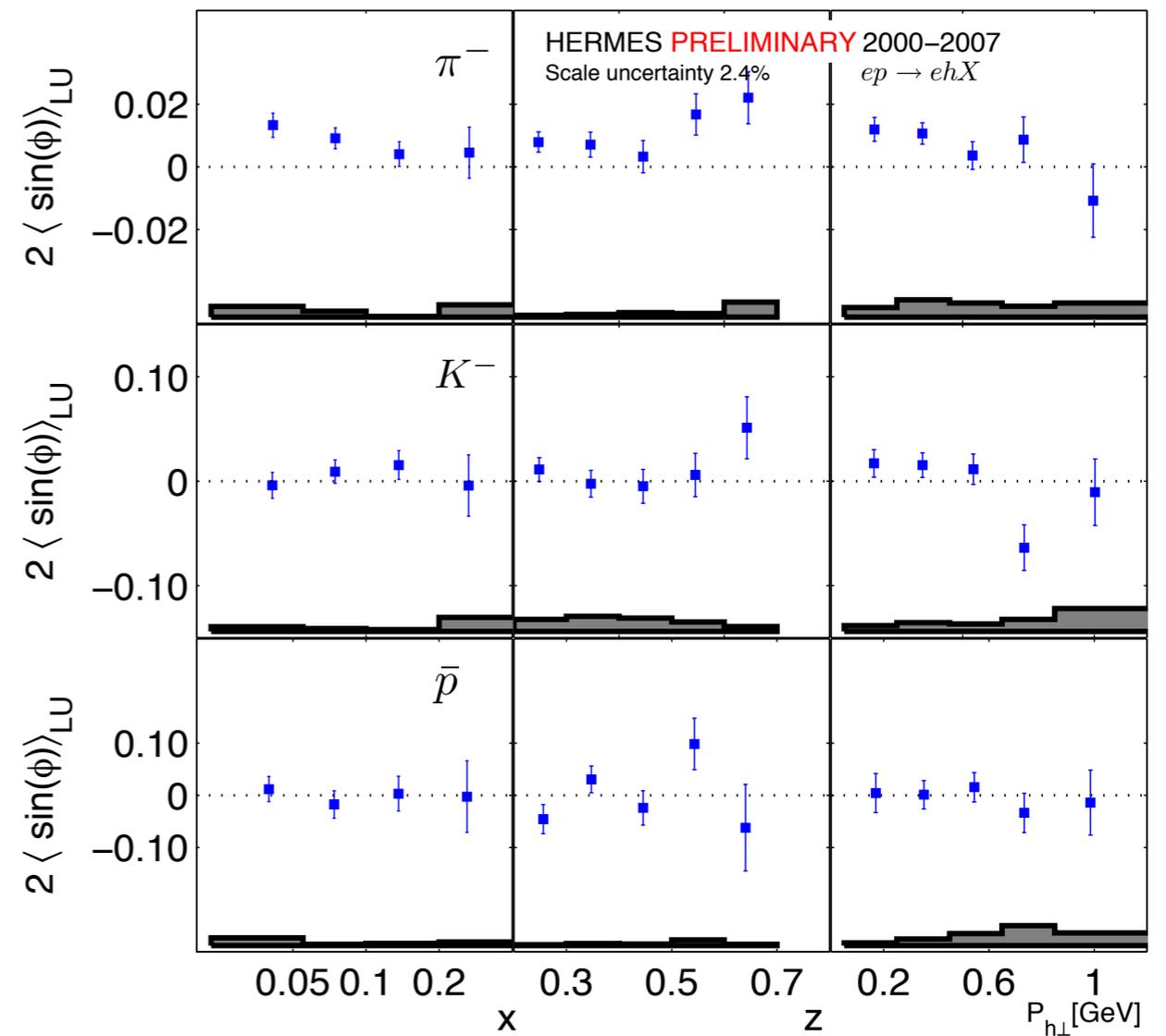
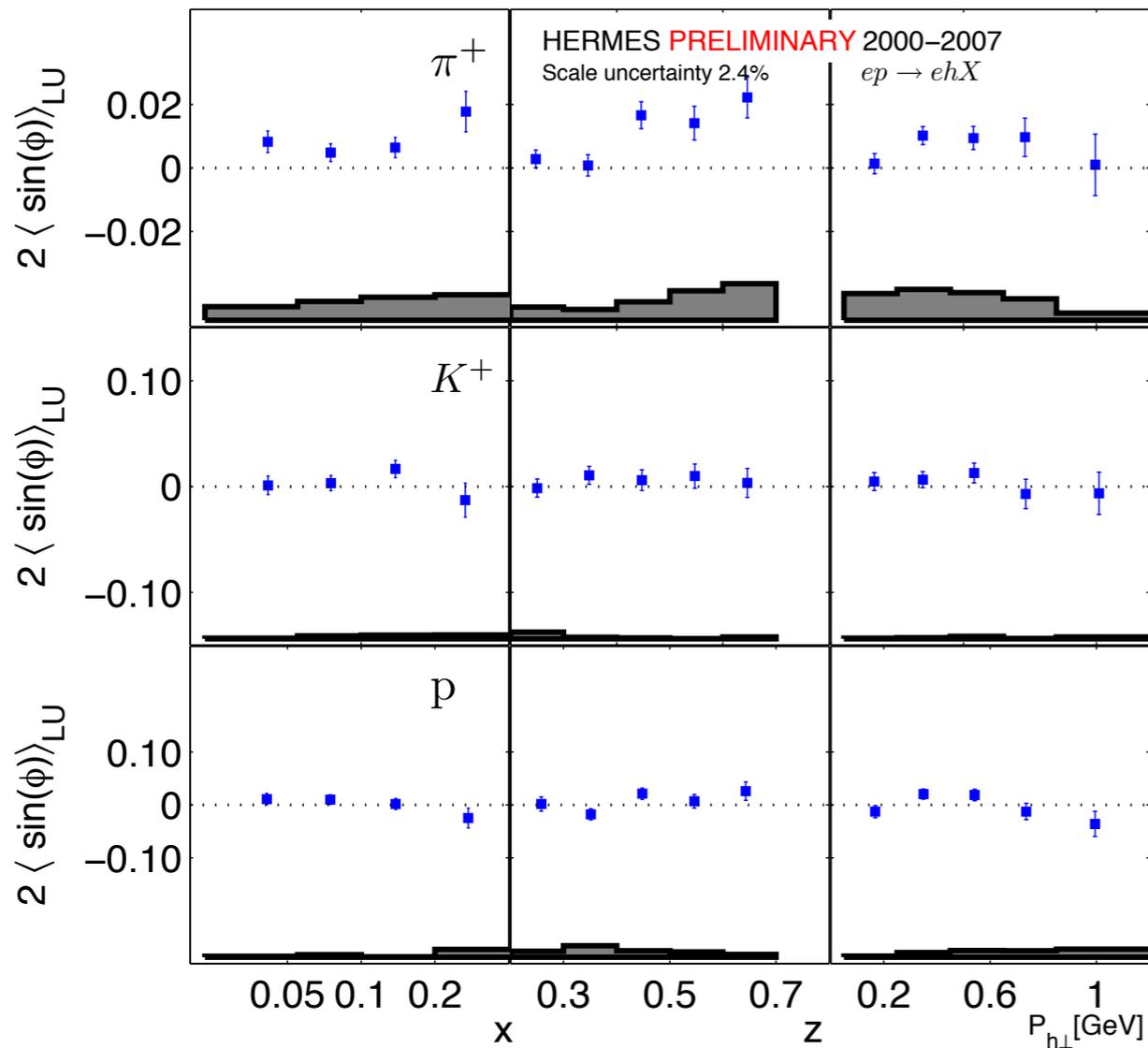
$$\frac{d^6 \sigma}{dx dy dz dP_{h\perp}^2 d\phi d\phi_s} \propto \left\{ F_{UU} + \dots + \lambda_e \left\{ \sqrt{2\epsilon(1-\epsilon)} F_{LU}^{\sin \phi} \sin \phi \right\} + \dots \right.$$

convolutions of twist-2 and twist-3 functions

# beyond the leading twist

$$\frac{d^6 \sigma}{dx dy dz dP_{h\perp}^2 d\phi d\phi_s} \propto \left\{ F_{UU} + \dots + \lambda_e \left\{ \sqrt{2\epsilon(1-\epsilon)} F_{LU}^{\sin\phi} \sin\phi \right\} + \dots \right.$$

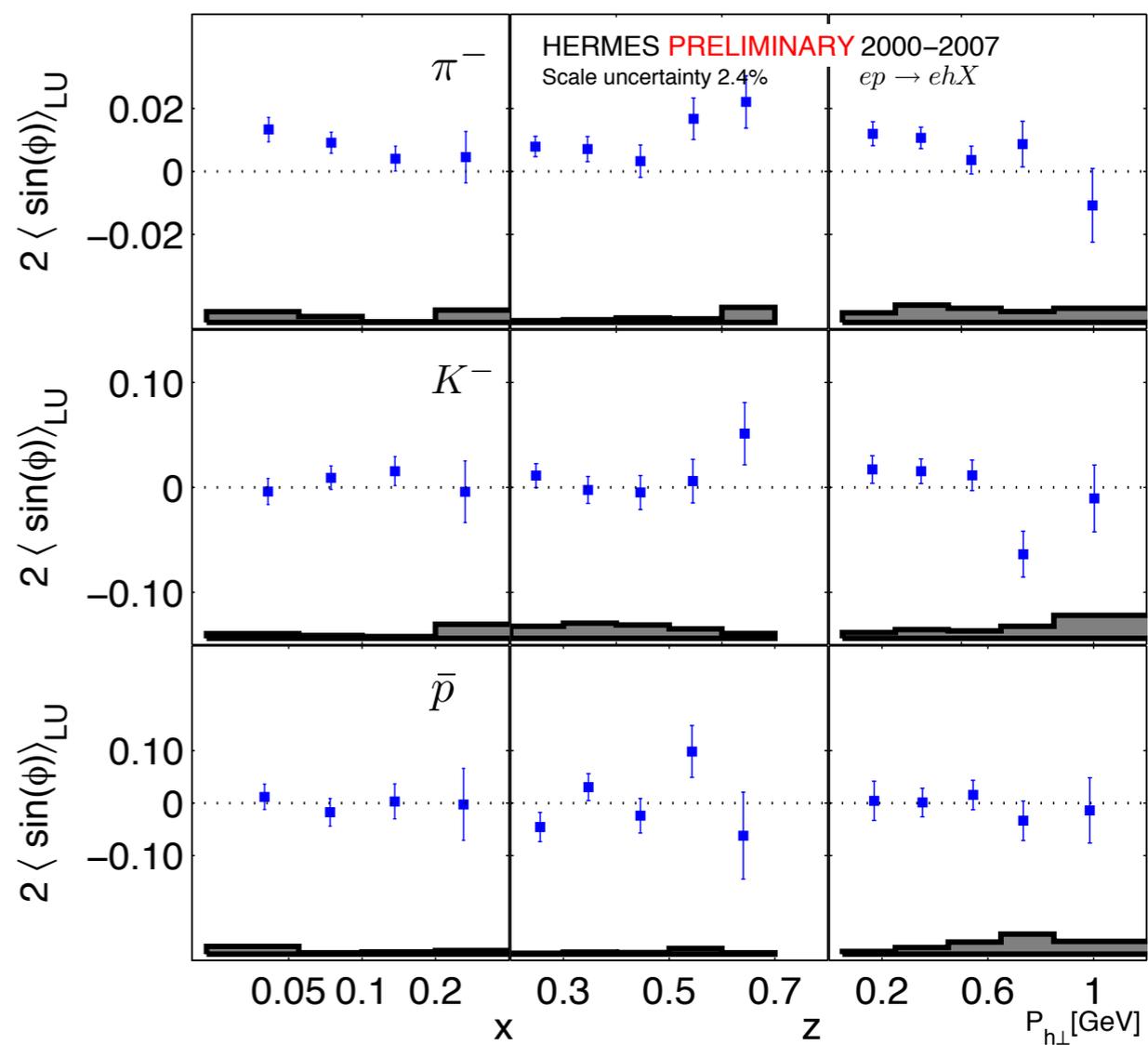
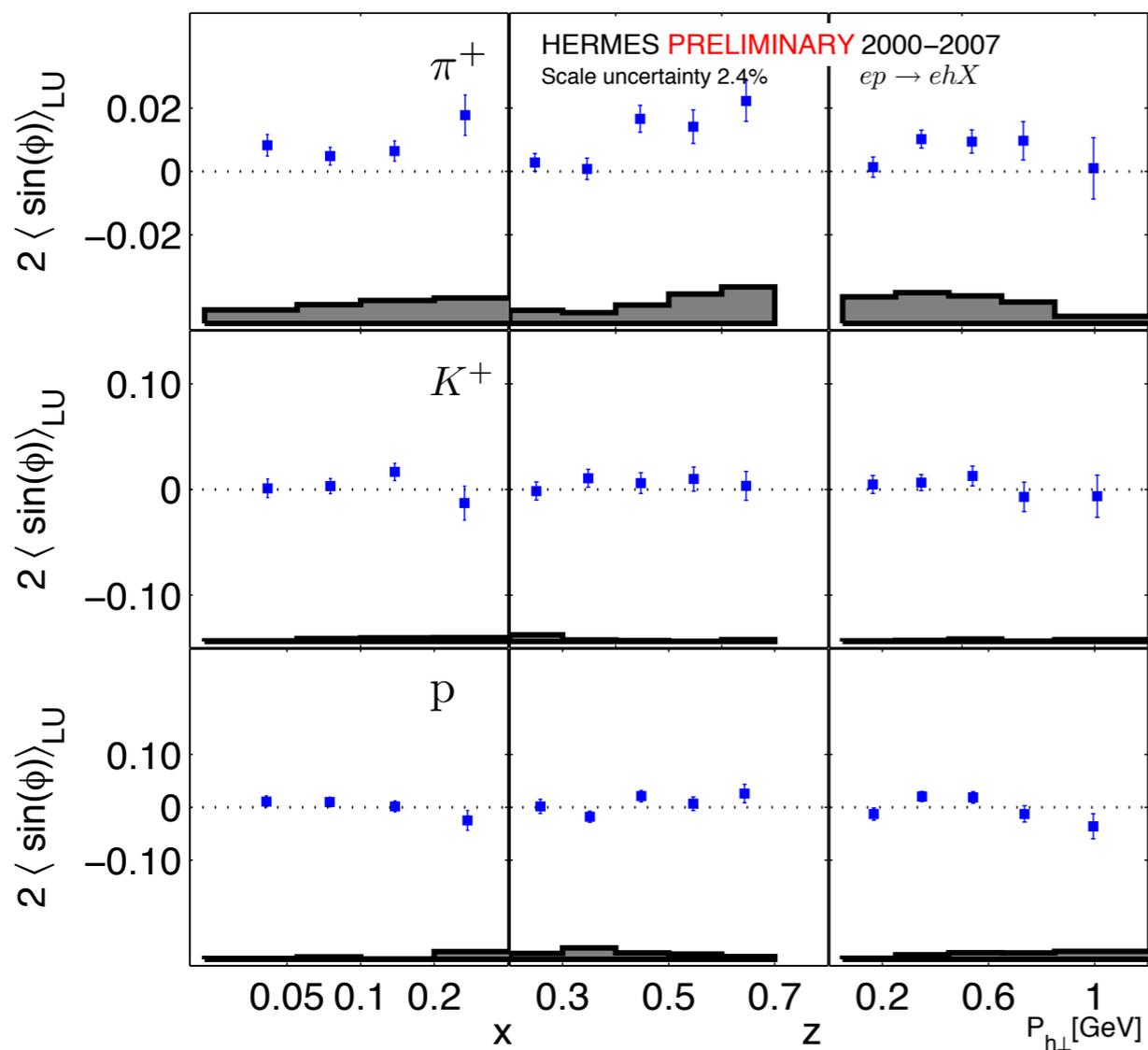
convolutions of twist-2 and twist-3 functions



# beyond the leading twist

$$\frac{d^6 \sigma}{dx dy dz dP_{h\perp}^2 d\phi d\phi_s} \propto \left\{ F_{UU} + \dots + \lambda_e \left\{ \sqrt{2\epsilon(1-\epsilon)} F_{LU}^{\sin\phi} \sin\phi \right\} + \dots \right.$$

convolutions of twist-2 and twist-3 functions



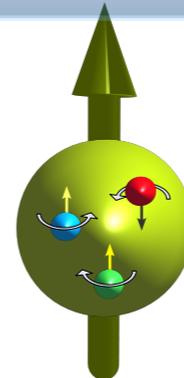
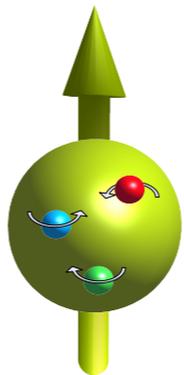
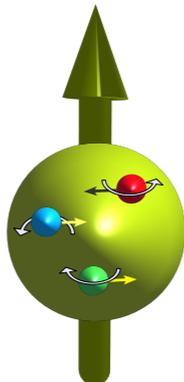
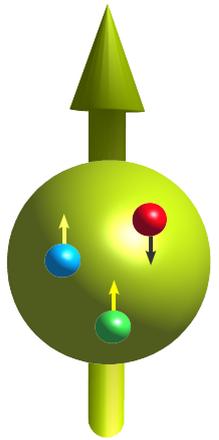
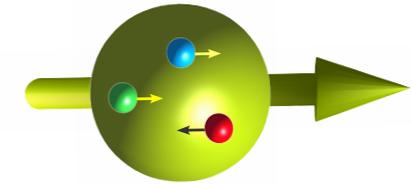
$\pi^+$  and  $\pi^-$

the role of the twist-3 DF or FF is sizeable

# halftime report



$$\begin{aligned}
 d\sigma = & d\sigma_{UU}^0 + \cos(2\phi)d\sigma_{UU}^1 + \frac{1}{Q}\cos(\phi)d\sigma_{UU}^2 + P_l \frac{1}{Q}\sin(\phi)d\sigma_{LU}^3 \\
 & + S_L \left[ \sin(2\phi)d\sigma_{UL}^4 + \frac{1}{Q}\sin(\phi)d\sigma_{UL}^5 + P_l \left( d\sigma_{LL}^6 + \frac{1}{Q}\sin(\phi)d\sigma_{LL}^7 \right) \right] \\
 & + S_T \left[ \sin(\phi - \phi_s)d\sigma_{UT}^8 + \sin(\phi + \phi_s)d\sigma_{UT}^9 + \sin(3\phi - \phi_s)d\sigma_{UT}^{10} + \frac{1}{Q}\sin(2\phi - \phi_s)d\sigma_{UT}^{11} + \frac{1}{Q}\sin(\phi_s)d\sigma_{UT}^{12} \right. \\
 & \left. + P_l \left( \cos(\phi - \phi_s)d\sigma_{LT}^{13} + \frac{1}{Q}\cos(\phi_s)d\sigma_{LT}^{14} + \frac{1}{Q}\cos(2\phi - \phi_s)d\sigma_{LT}^{15} \right) \right]
 \end{aligned}$$

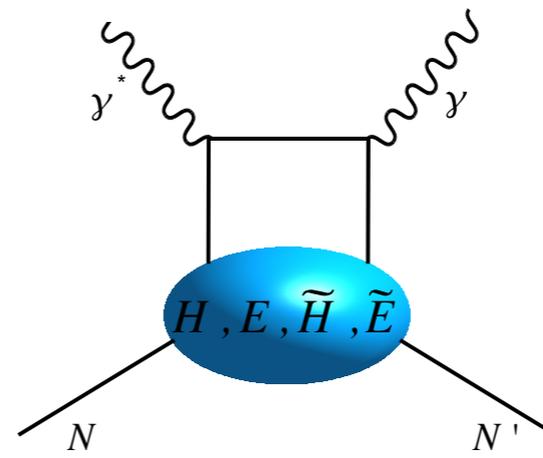




exclusive measurements  
(probing GPDs)

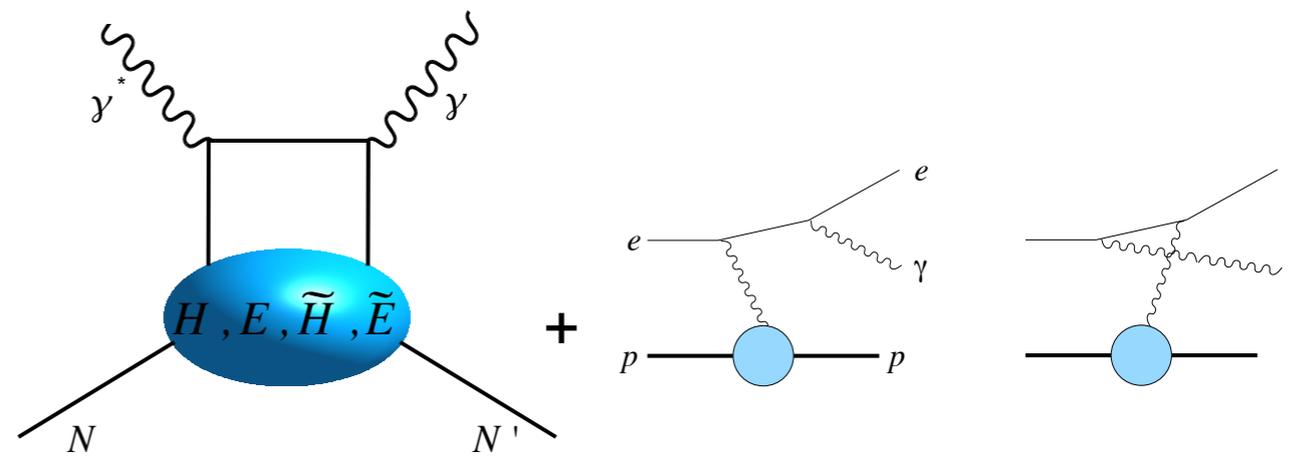
☛ theoretically the cleanest probe of GPDs

$$\gamma^* N \rightarrow \gamma N : H, E, \tilde{H}, \tilde{E}$$



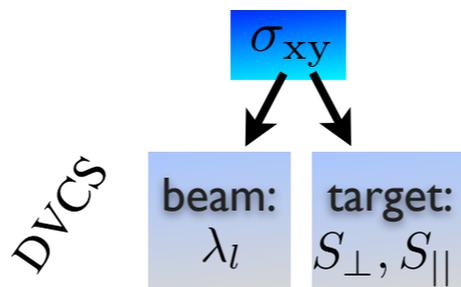
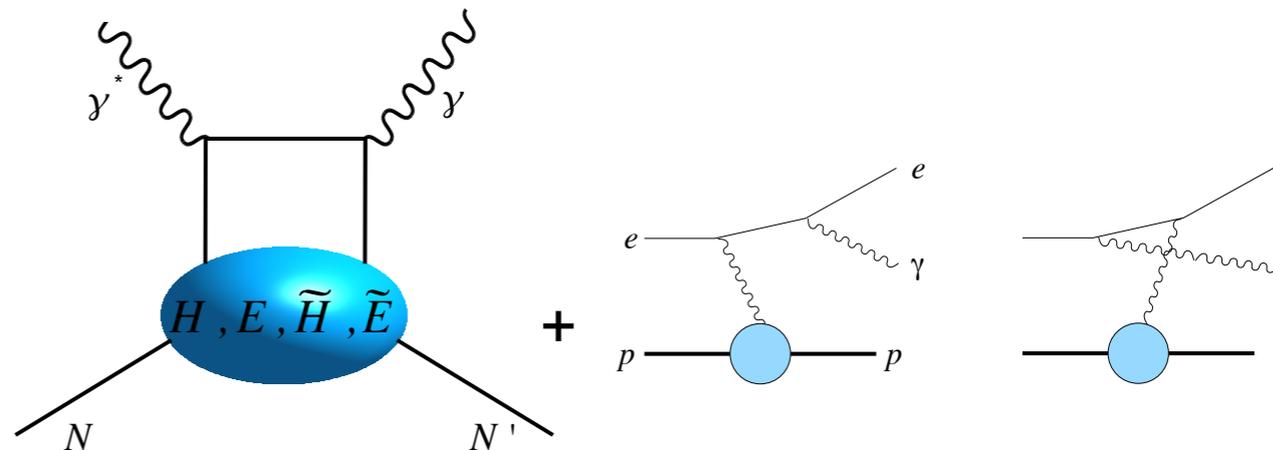
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☞ theoretically the cleanest probe of GPDs

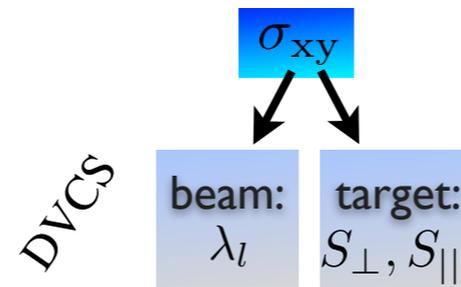
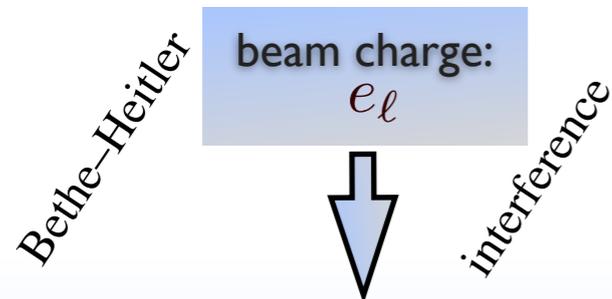
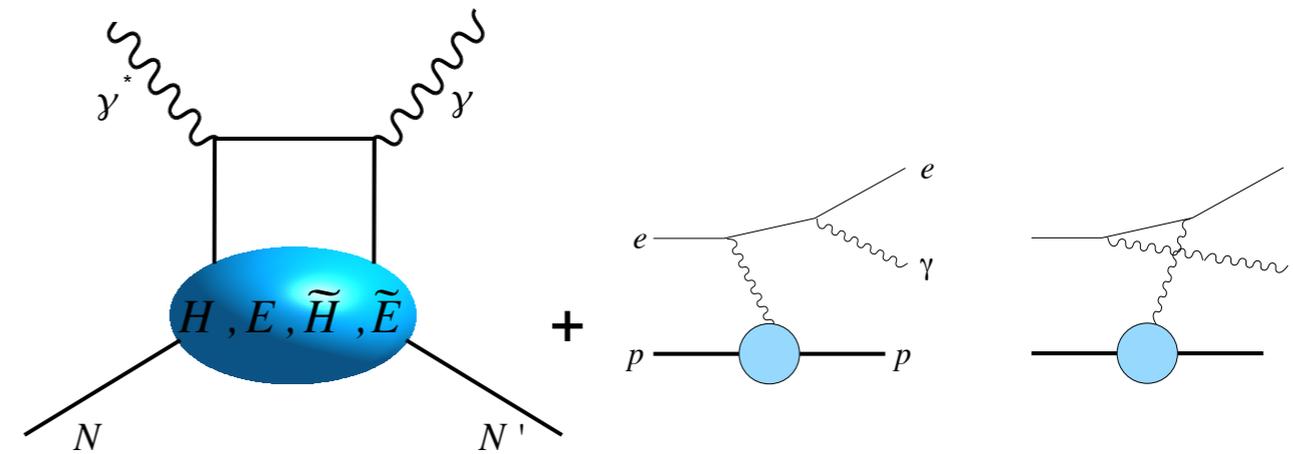
$$\gamma^* N \rightarrow \gamma N : H, E, \tilde{H}, \tilde{E}$$



<i>Bethe-Heitler</i>		<i>interference</i>		<i>DVCS</i>
$d\sigma \sim d\sigma_{UU}^{BH}$	+	$e_\ell d\sigma_{UU}^I$	+	$d\sigma_{UU}^{DVCS}$
	+	$e_\ell \lambda_\ell d\sigma_{LU}^I$	+	$\lambda_\ell d\sigma_{LU}^{DVCS}$
	+	$e_\ell S_{  } d\sigma_{UL}^I$	+	$S_{  } d\sigma_{UL}^{DVCS}$
	+	$e_\ell S_{\perp} d\sigma_{UT}^I$	+	$S_{\perp} d\sigma_{UT}^{DVCS}$
$+ \lambda_\ell S_{  } d\sigma_{LL}^{BH}$	+	$e_\ell \lambda_\ell S_{  } d\sigma_{LL}^I$	+	$\lambda_\ell S_{  } d\sigma_{LL}^{DVCS}$
$+ \lambda_\ell S_{\perp} d\sigma_{LT}^{BH}$	+	$e_\ell \lambda_\ell S_{\perp} d\sigma_{LT}^I$	+	$\lambda_\ell S_{\perp} d\sigma_{LT}^{DVCS}$

☞ theoretically the cleanest probe of GPDs

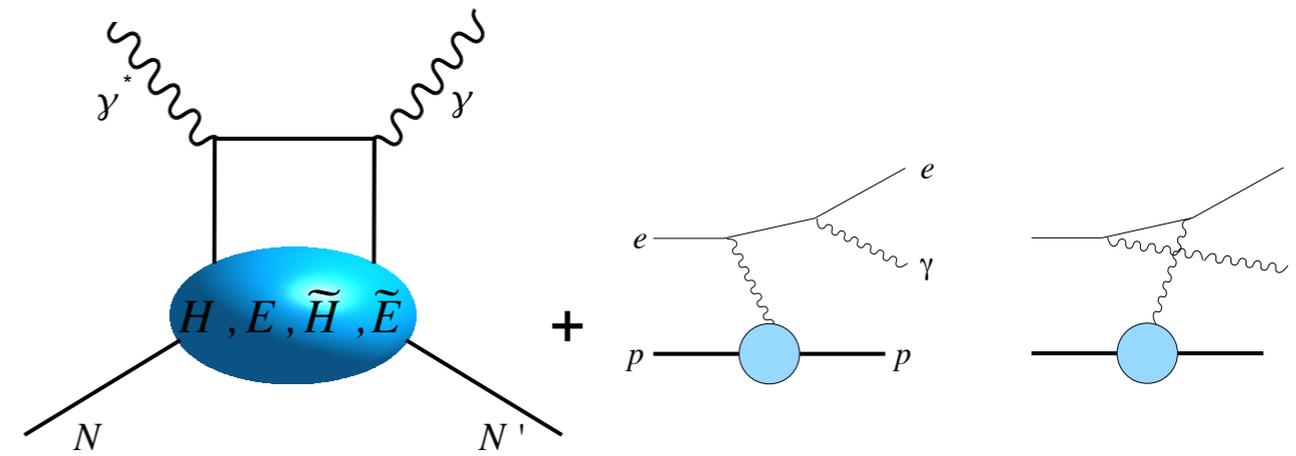
$$\gamma^* N \rightarrow \gamma N : H, E, \tilde{H}, \tilde{E}$$



$$\begin{aligned}
 d\sigma \sim & d\sigma_{UU}^{BH} + e_l d\sigma_{UU}^I + d\sigma_{UU}^{DVCS} \\
 & + e_l \lambda_l d\sigma_{LU}^I + \lambda_l d\sigma_{LU}^{DVCS} \\
 & + e_l S_{||} d\sigma_{UL}^I + S_{||} d\sigma_{UL}^{DVCS} \\
 & + e_l S_{\perp} d\sigma_{UT}^I + S_{\perp} d\sigma_{UT}^{DVCS} \\
 & + \lambda_l S_{||} d\sigma_{LL}^{BH} + e_l \lambda_l S_{||} d\sigma_{LL}^I + \lambda_l S_{||} d\sigma_{LL}^{DVCS} \\
 & + \lambda_l S_{\perp} d\sigma_{LT}^{BH} + e_l \lambda_l S_{\perp} d\sigma_{LT}^I + \lambda_l S_{\perp} d\sigma_{LT}^{DVCS}
 \end{aligned}$$

☞ theoretically the cleanest probe of GPDs

$$\gamma^* N \rightarrow \gamma N : H, E, \tilde{H}, \tilde{E}$$



Bethe-Heitler  
 beam charge:  $e_\ell$   
 interference

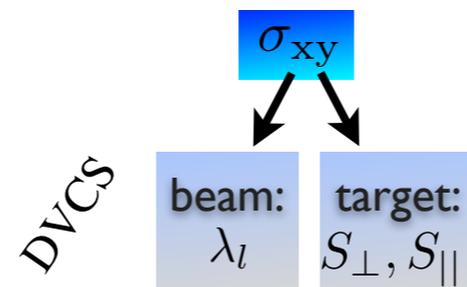
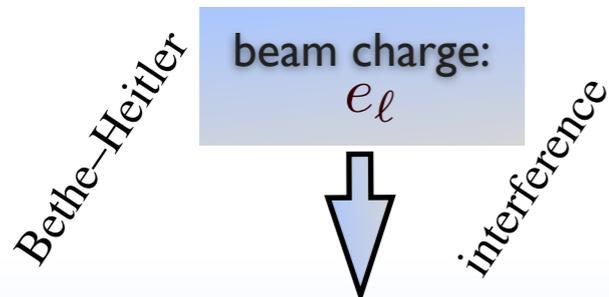
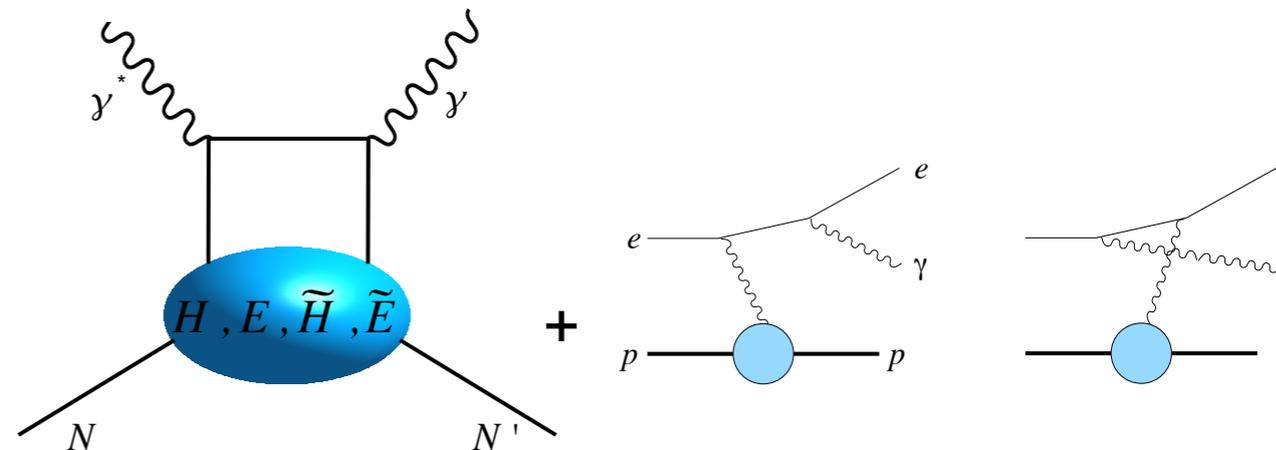
DVCS  
 $\sigma_{xy}$   
 beam:  $\lambda_\ell$   
 target:  $S_\perp, S_\parallel$

$$\begin{aligned}
 d\sigma \sim & d\sigma_{UU}^{BH} + e_\ell d\sigma_{UU}^I + d\sigma_{UU}^{DVCS} \\
 & + e_\ell \lambda_\ell d\sigma_{LU}^I + \lambda_\ell d\sigma_{LU}^{DVCS} \\
 & + e_\ell S_\parallel d\sigma_{UL}^I + S_\parallel d\sigma_{UL}^{DVCS} \\
 & + e_\ell S_\perp d\sigma_{UT}^I + S_\perp d\sigma_{UT}^{DVCS} \\
 & + \lambda_\ell S_\parallel d\sigma_{LL}^{BH} + e_\ell \lambda_\ell S_\parallel d\sigma_{LL}^I + \lambda_\ell S_\parallel d\sigma_{LL}^{DVCS} \\
 & + \lambda_\ell S_\perp d\sigma_{LT}^{BH} + e_\ell \lambda_\ell S_\perp d\sigma_{LT}^I + \lambda_\ell S_\perp d\sigma_{LT}^{DVCS}
 \end{aligned}$$

✓ HERMES measured complete set of beam helicity, beam charge and target polarization asymmetries

theoretically the cleanest probe of GPDs

$$\gamma^* N \rightarrow \gamma N : H, E, \tilde{H}, \tilde{E}$$



$$\begin{aligned}
 d\sigma \sim & d\sigma_{UU}^{BH} + e_l d\sigma_{UU}^I + d\sigma_{UU}^{DVCS} \\
 & + e_l \lambda_l d\sigma_{LU}^I + \lambda_l d\sigma_{LU}^{DVCS} \\
 & + e_l S_{||} d\sigma_{UL}^I + S_{||} d\sigma_{UL}^{DVCS} \\
 & + e_l S_{\perp} d\sigma_{UT}^I + S_{\perp} d\sigma_{UT}^{DVCS} \\
 & + \lambda_l S_{||} d\sigma_{LL}^{BH} + e_l \lambda_l S_{||} d\sigma_{LL}^I + \lambda_l S_{||} d\sigma_{LL}^{DVCS} \\
 & + \lambda_l S_{\perp} d\sigma_{LT}^{BH} + e_l \lambda_l S_{\perp} d\sigma_{LT}^I + \lambda_l S_{\perp} d\sigma_{LT}^{DVCS}
 \end{aligned}$$

unpolarized target

$$F_1 \mathcal{H} + \frac{x_B}{2 - x_B} (F_1 + F_2) \tilde{\mathcal{H}} - \frac{t}{4M^2} F_2 \mathcal{E}$$

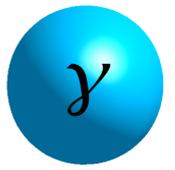
longitudinally polarized target

$$\begin{aligned}
 & \frac{x_B}{2 - x_B} (F_1 + F_2) \left( \mathcal{H} + \frac{x_B}{2} \mathcal{E} \right) \\
 & + F_1 \tilde{\mathcal{H}} - \frac{x_B}{2 - x_B} \left( \frac{x_B}{2} F_1 + \frac{t}{4M^2} F_2 \right) \tilde{\mathcal{E}}
 \end{aligned}$$

transversely polarized target

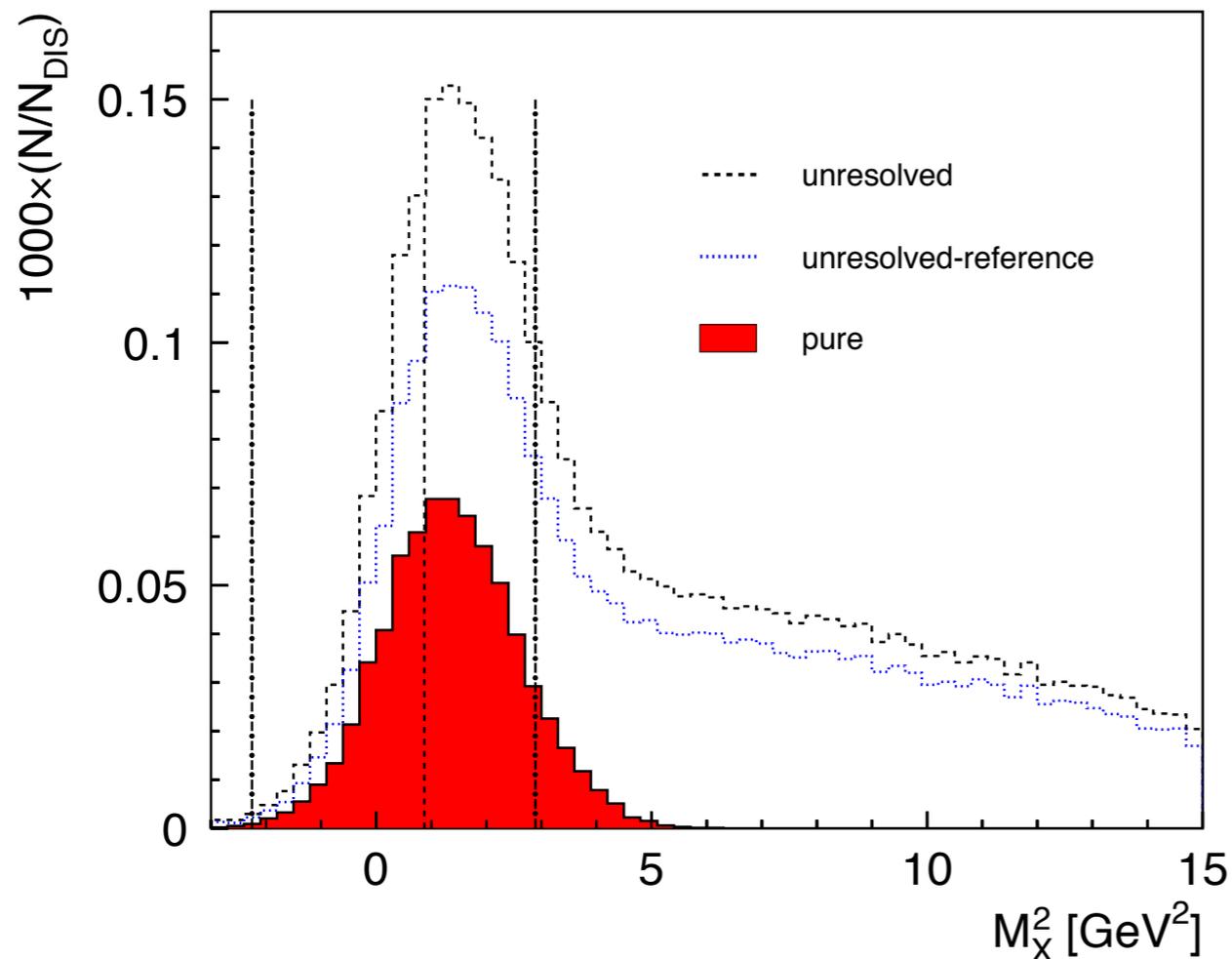
$$\frac{t}{4M^2} \left[ (2 - x_B) F_1 \mathcal{E} - 4 \frac{1 - x_B}{2 - x_B} F_2 \mathcal{H} \right]$$

✓ HERMES measured complete set of beam helicity, beam charge and target polarization asymmetries



$$ep \rightarrow e' \gamma p'$$

(recoil data)



- ✓ unresolved and unresolved-reference samples:  $ep \rightarrow e' \gamma X$
- ➡ use missing mass technique
- ➡ for comparison only

✓ pure sample:  $ep \rightarrow e' \gamma p'$

➡ all particles in the final state are detected

➡ kinematic event fit

➡ BH/DVCS events with 83% efficiency

➡ background contamination from semi-inclusive and associated processes less than 0.2%



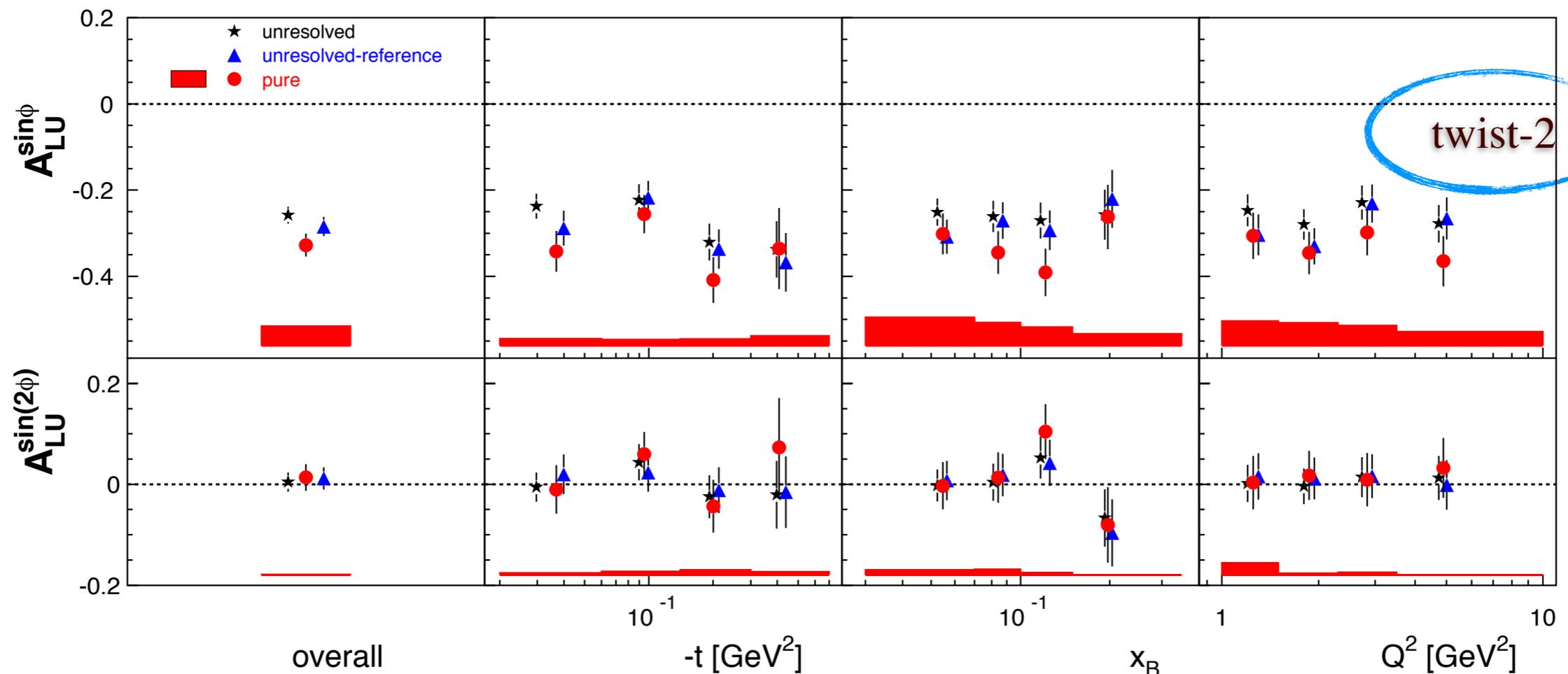
# GPD H: unpolarized hydrogen target

$ep \rightarrow e' \gamma p'$   
(recoil data)

$$\sigma(\phi, P_\ell, e_\ell) = \sigma_{UU}(\phi) \times [1 + P_\ell \mathcal{A}_{LU}^{DVCS}(\phi) + e_\ell P_\ell \mathcal{A}_{LU}^I(\phi) + e_\ell \mathcal{A}_C(\phi)]$$

$$\mathcal{A}_{LU}(\phi) \simeq \sum_{n=1}^2 A_{LU}^{\sin(n\phi)} \sin(n\phi)$$

➔ extraction of single-charge beam-helicity asymmetry amplitudes for elastic (pure) data sample

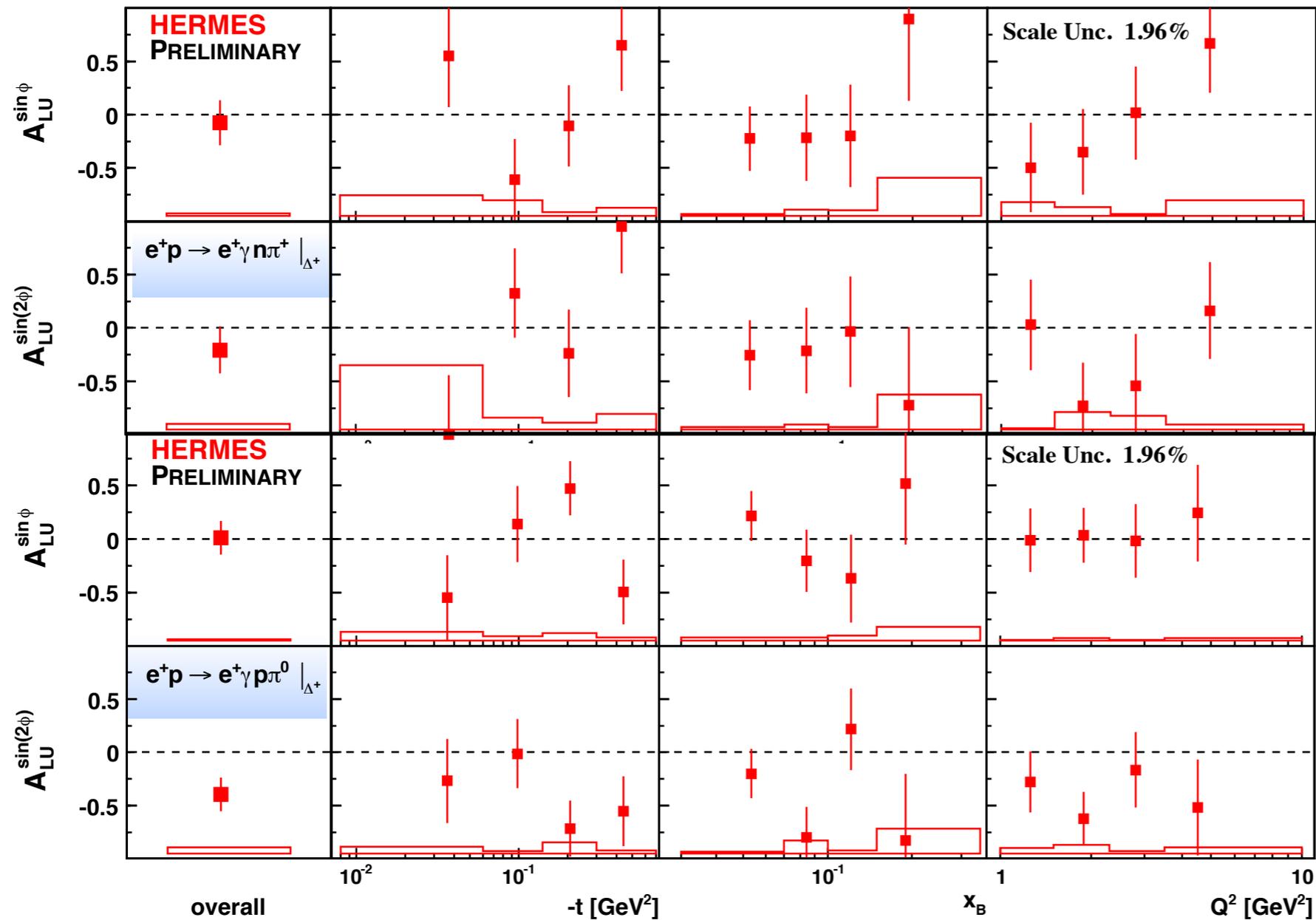


➔ indication for slightly larger magnitude of the leading amplitude for elastic process compared to the one in the recoil detector acceptance (unresolved-reference)



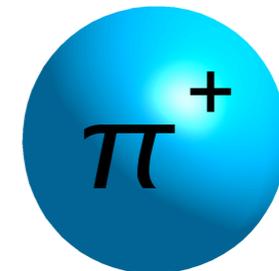
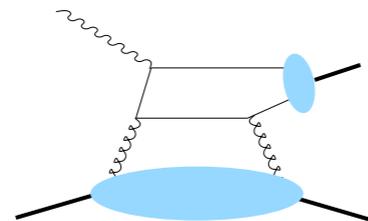
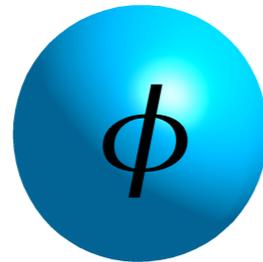
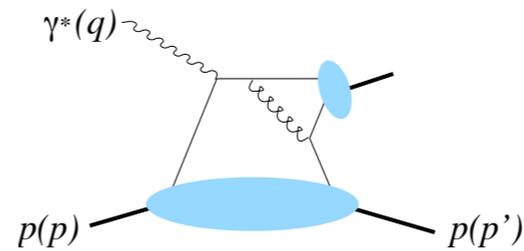
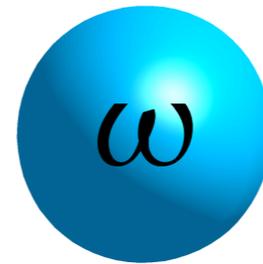
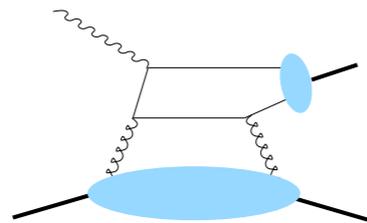
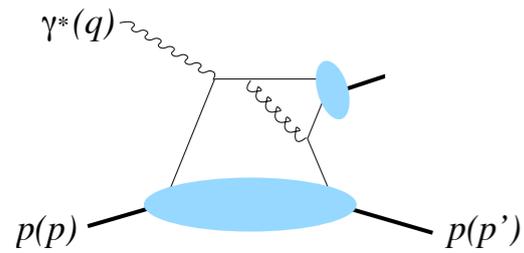
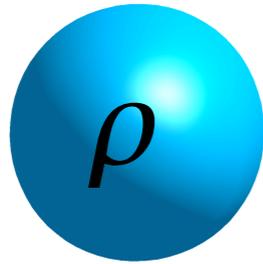
$$ep \rightarrow e' \gamma \Delta$$

(recoil data)



- ➡ consistent with zero result for both channels
- ➡ associated DVCS is mainly dilution in the analysis using the missing mass technique
- ➡ in agreement with the DVCS results on pure sample

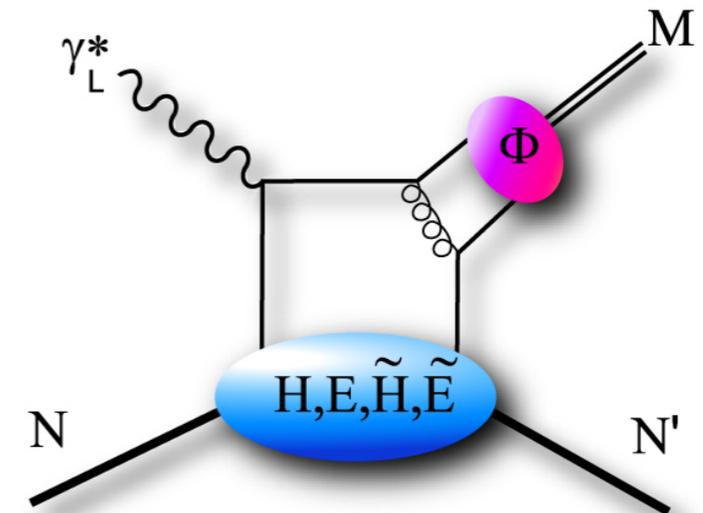
# given channel probes specific GPD flavour



# exclusive vector-meson production

factorization in collinear approximation for  $\sigma_L$  ( and  $\rho_L, \omega_L, \phi_L$ ) only

$$\mathcal{A} \propto F(x, \xi, t; \mu^2) \otimes K(x, \xi, z; \log(Q^2 / \mu^2)) \otimes \Phi(z; \mu^2)$$



# exclusive vector-meson production

factorization in collinear approximation for  $\sigma_L$  ( and  $\rho_L, \omega_L, \phi_L$  ) only

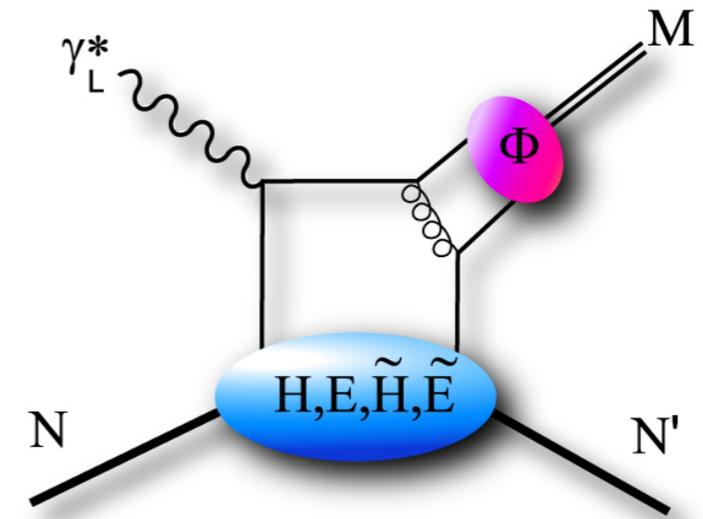
$$\mathcal{A} \propto F(x, \xi, t; \mu^2) \otimes K(x, \xi, z; \log(Q^2/\mu^2)) \otimes \Phi(z; \mu^2)$$

-Goloskokov, Kroll (2006)-

power corrections:  $k_\perp$  is not neglected

$$\mathcal{A} \propto F(x, \xi, t; \mu^2) \otimes K(x, \xi, z; \log(Q^2/\mu^2)) \otimes \Phi(z, k_\perp; \mu^2)$$

$\gamma_T^* \rightarrow \rho_T^0$  transitions can be calculated



# exclusive vector-meson production

factorization in collinear approximation for  $\sigma_L$  ( and  $\rho_L, \omega_L, \phi_L$  ) only

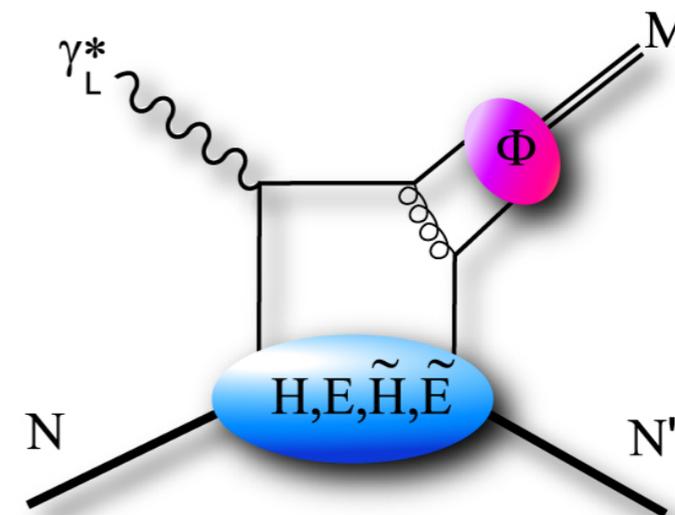
$$A \propto F(x, \xi, t; \mu^2) \otimes K(x, \xi, z; \log(Q^2/\mu^2)) \otimes \Phi(z; \mu^2)$$

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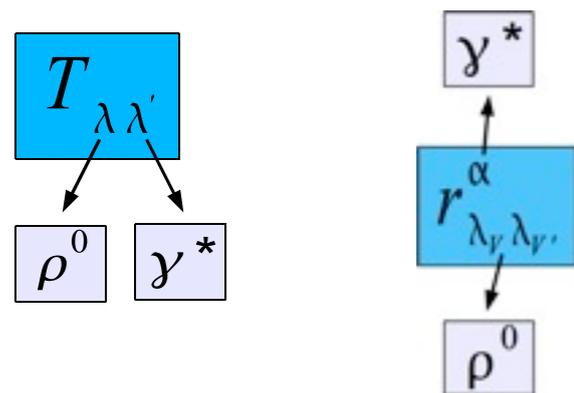
$\gamma_T^* \rightarrow \rho_T^0$  transitions can be calculated



$$\frac{d\sigma}{dx_B dQ^2 dt d\phi_s d\phi d\cos\vartheta d\varphi} \sim \frac{d\sigma}{dx_B dQ^2 dt} W(x_B, Q^2, t, \phi_s, \phi, \cos\vartheta, \varphi)$$

production and decay angular distributions  $W$  decomposed:

$$W = W_{UU} + P_L W_{LU} + S_L W_{UL} + P_L S_L W_{LL} + S_T W_{UT} + P_L S_T W_{LT}$$



parametrized by helicity amplitudes or alternatively by SDMEs:

the helicity transfer from virtual photon to the vector meson (s-channel helicity conservation)

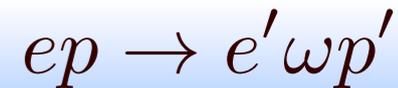
the parity of the diffractive exchange process

natural parity is related to  $H$  and  $E$

unnatural parity is related to  $\tilde{H}$  and  $\tilde{E}$



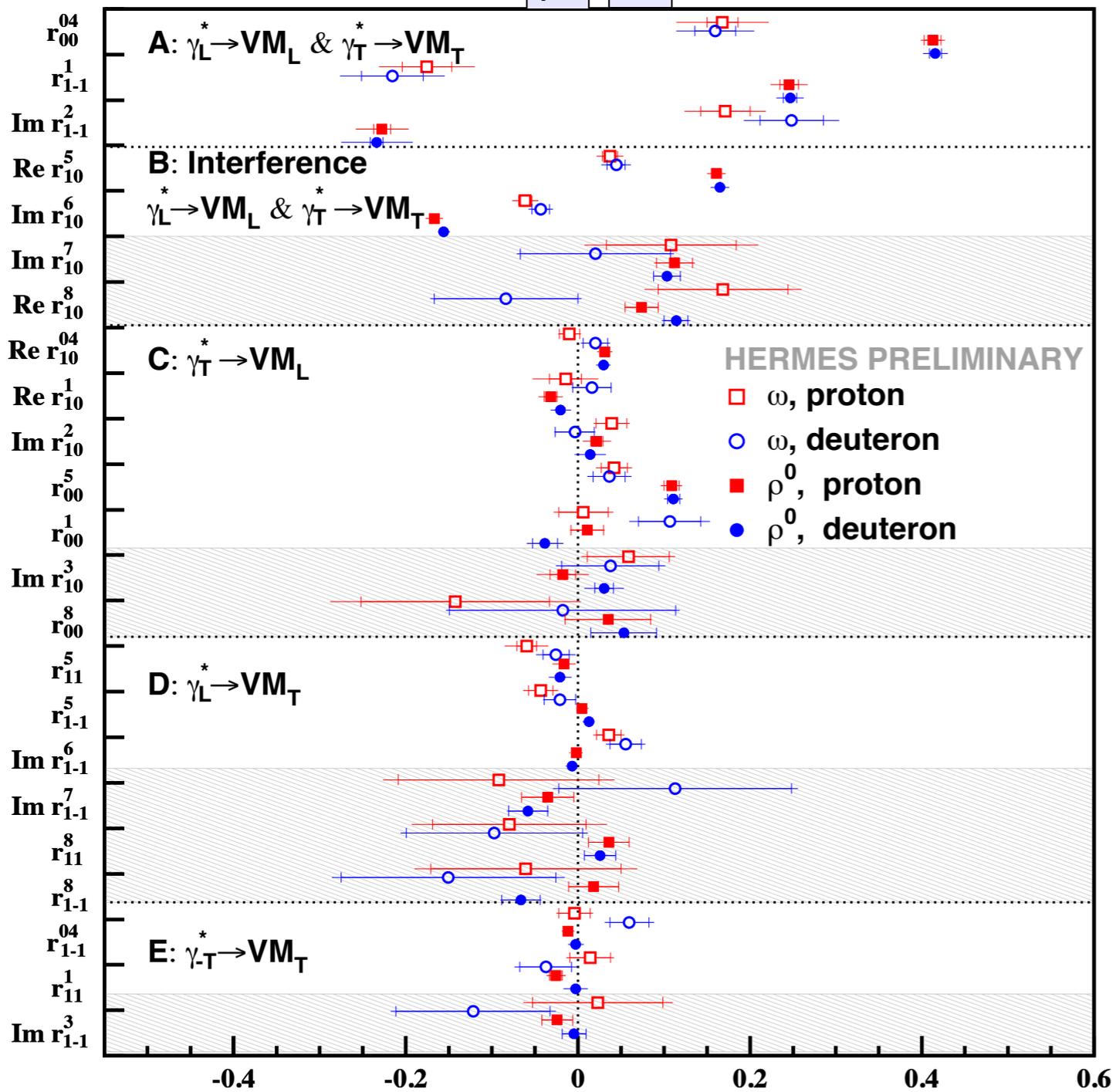
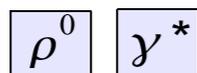
# GPD H: SDMEs on unpolarized target



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$$T_{\lambda\lambda'}$$

$$|T_{00}|^2 \sim |T_{11}|^2 \gg |T_{01}|^2 > |T_{10}|^2 \sim |T_{-11}|^2$$



$$\gamma_L^* \rightarrow \omega_L \quad \gamma_T^* \rightarrow \omega_T$$

SDMEs are significantly different from zero

the magnitude of  $\omega$  meson SDMEs is smaller than that of  $\rho^0$

$$\gamma_L^* \rightarrow \omega_T$$

$$\gamma_T^* \rightarrow \omega_L$$

$$\gamma_T^* \rightarrow \omega_{-T}$$

hardly any s-channel helicity violation for  $\omega$  meson in contrast to  $\rho^0$

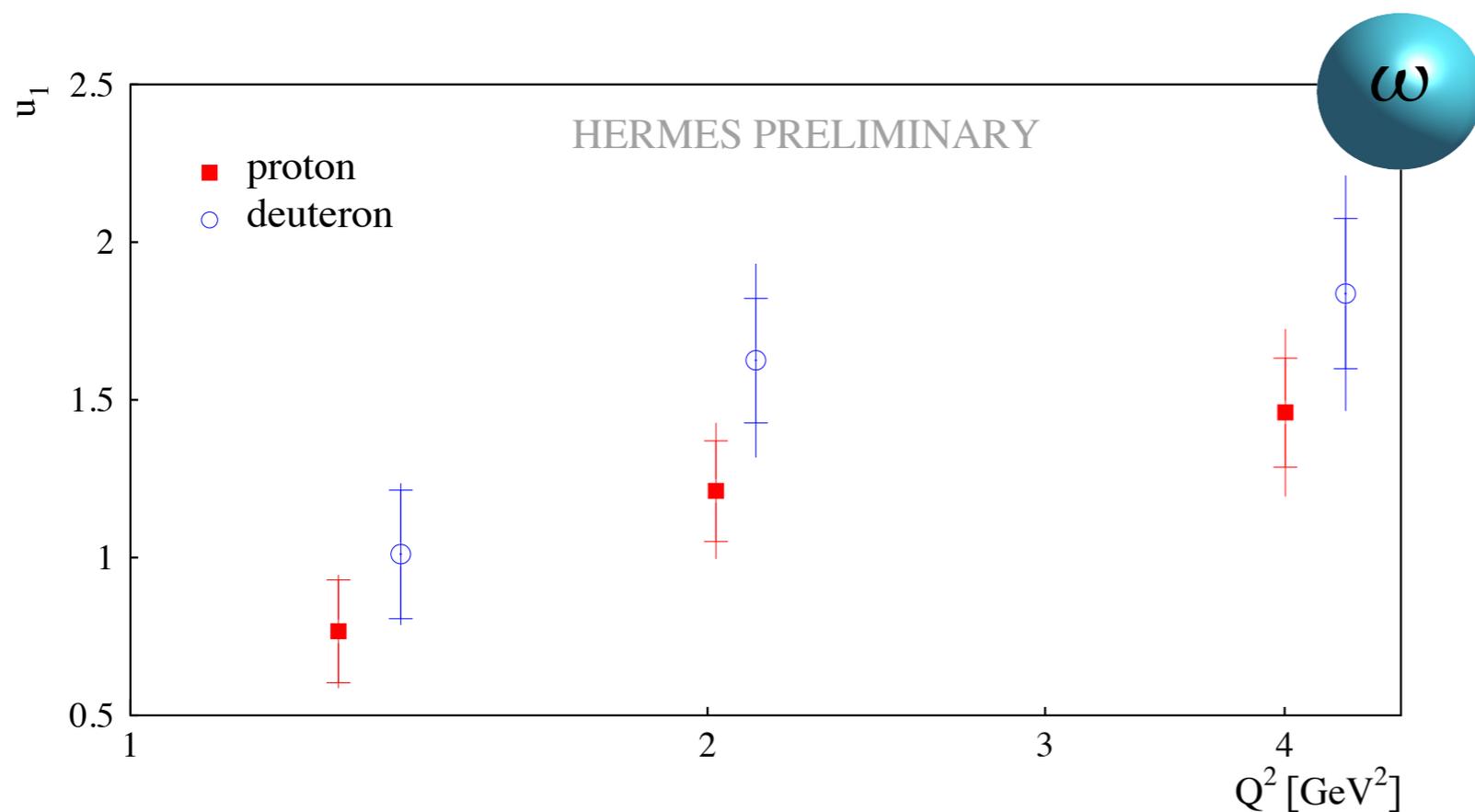
# observation of unnatural-parity exchange contribution

- ▶ give information about  $\tilde{H}$
- ▶ at large  $W$  and  $Q^2$ , this transition should be suppressed by a factor of  $M_V/Q$
- ▶ the combinations of SDMEs expected to be zero in case of natural parity exchange dominance

$$u_1 = 1 - r_{00}^{04} + 2r_{1-1}^{04} - 2r_{11}^1 - 2r_{1-1}^1$$

$$u_2 = r_{11}^5 + r_{1-1}^5$$

$$u_3 = r_{11}^8 + r_{1-1}^8$$



✓ large signal of unnatural parity exchange

# observation of unnatural-parity exchange contribution

➤ give information about  $\tilde{H}$

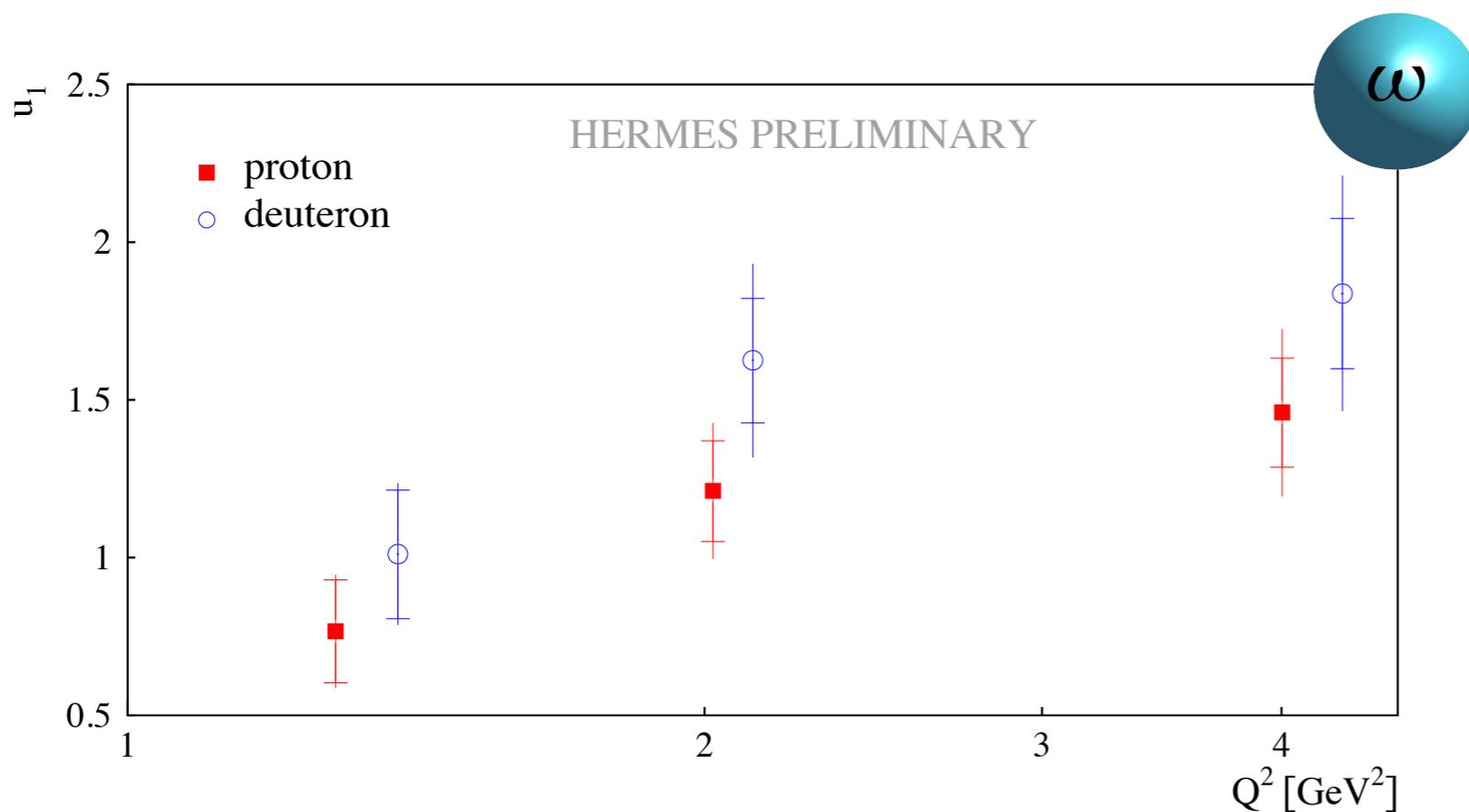
➤ at large  $W$  and  $Q^2$ , this transition should be suppressed by a factor of  $M_V/Q$

➤ the combinations of SDMEs expected to be zero in case of natural parity exchange dominance

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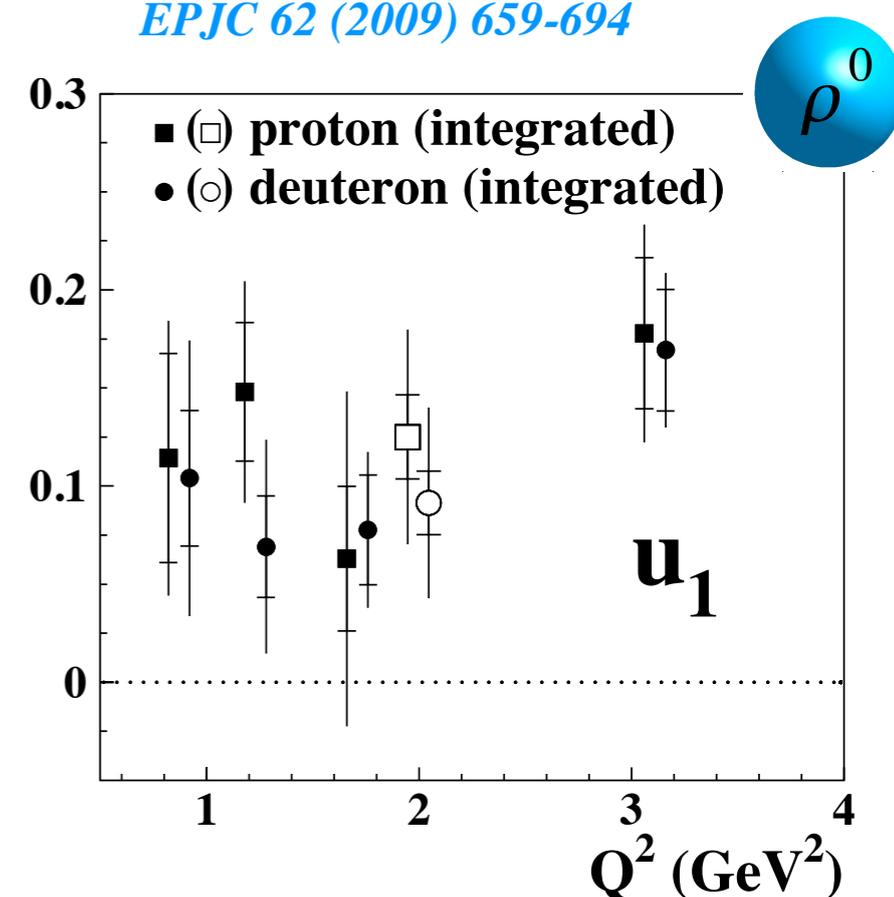
$$u_2 = r_{11}^5 + r_{1-1}^5$$

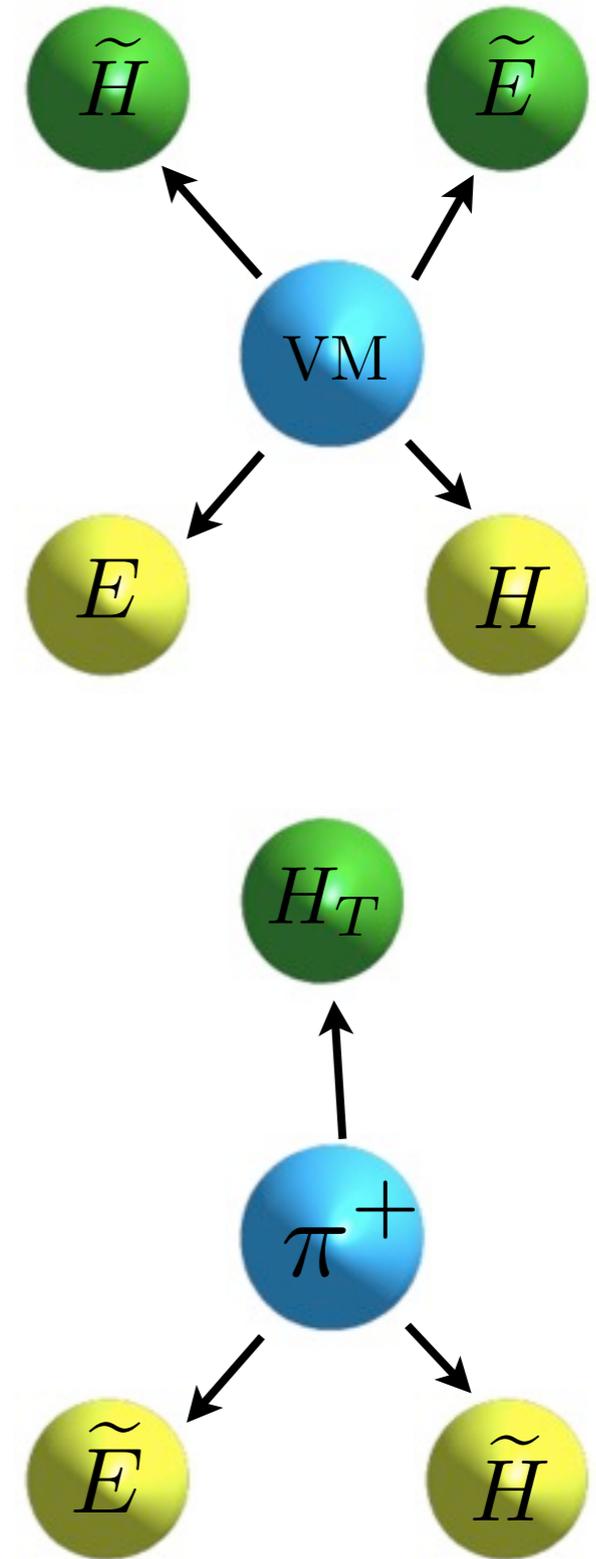
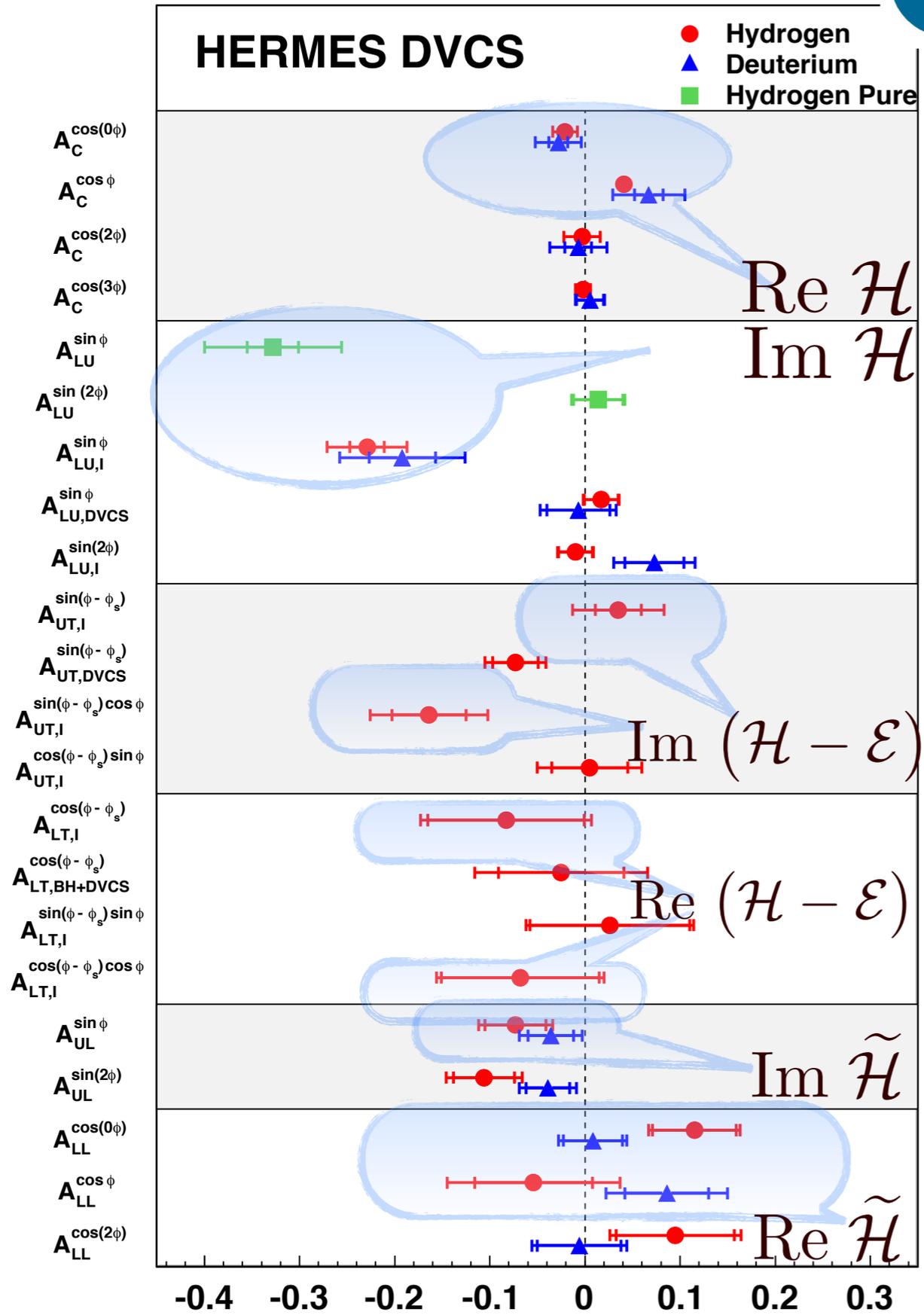
$$u_3 = r_{11}^8 + r_{1-1}^8$$



✓ large signal of unnatural parity exchange

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# The Spin Community And The World

- ➡ HERMES has been the pioneering collaboration in TMD and GPD fields
- ➡ still very important player in the field of nucleon (spin) structure
  - ➡ polarized  $e^{+/-}$  beams
  - ➡ pure gas target
  - ➡ good particle identification
  - ➡ recoil detector