## Answering some Monte Carlo questions

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#### Outline

- NLO Monte Carlo developments
- Dealing with photons
- $\textbf{3} \ \, \mathsf{Gluon} \ \, \mathsf{splitting} \ \, g \to Q \bar{Q}$
- 4 W polarisation
- 5 Proposal for systematic evaluation of systematic errors
- **6** Concluding remarks



reminder: ingredients



#### Reminder: structure of an NLO calculation

sketch of cross section calculation

$$\mathrm{d}\sigma_N^{(\mathrm{NLO})} = \underbrace{\mathrm{d}\Phi_N\mathcal{B}_N}_{\mathrm{Born}} + \underbrace{\mathrm{d}\Phi_N\mathcal{V}_N}_{\mathrm{renormalised}} + \underbrace{\mathrm{d}\Phi_{N+1}\mathcal{R}_N}_{\mathrm{real \, correction}}$$

$$\mathrm{approximation} \qquad \mathrm{virtual \, correction}$$

$$\mathrm{IR-divergent} \qquad \mathrm{IR-divergent}$$

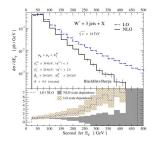
$$= \mathrm{d}\Phi_N \left[ \mathcal{B}_N + \mathcal{V}_N + \mathcal{B}_N \otimes S \right] + \mathrm{d}\Phi_{N+1} \left[ \mathcal{R}_N - \mathcal{B}_N \otimes \mathrm{d}S \right]$$

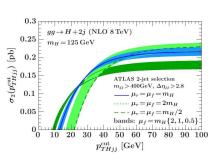
- subtraction terms S (integrated and differential): exactly cancel IR divergence in R process-independent structures
- result: terms in both brackets separately infrared finite



#### Aside: an interesting problem with scales

- common lore: NLO calculations reduce scale uncertainties
- this is, in general, true. however:
   unphysical scale choices will yield unphysical results





• so maybe we have to be a bit smarter than just running NLO code



#### Reminder: parton shower

Sudakov form factor (no-decay probability)

$$\Delta_{ij,k}^{(\mathcal{K})}(t,t_0) = \exp\left[-\int_{t_0}^{t} \frac{\mathrm{d}t}{t} \frac{\alpha_s}{2\pi} \int \mathrm{d}z \frac{\mathrm{d}\phi}{2\pi} \underbrace{\mathcal{K}_{ij,k}(t,z,\phi)}_{\text{splitting kernel for}}\right]$$
splitting kernel for
$$(ij) \to ij \text{ (spectator } k)$$

evolution parameter t defined by kinematics

generalised angle (HERWIG++) or transverse momentum (PYTHIA, SHERPA)

- will replace  $\frac{\mathrm{d}t}{t}\mathrm{d}z\frac{\mathrm{d}\phi}{2\pi}\longrightarrow\mathrm{d}\Phi_1$
- scale choice for strong coupling:  $\alpha_S(k_{\perp}^2)$

resums classes of higher logarithms

regularisation through cut-off t<sub>0</sub>



#### Emissions off a Born matrix element

• "compound" splitting kernels  $K_n$  and Sudakov form factors  $\Delta_n^{(K)}$  for emission off n external particles:

$$\mathcal{K}_{\textit{n}}(\Phi_1) = \frac{\alpha_{\textit{S}}}{2\pi} \sum_{\mathsf{all}\,\{ij,k\}} \, \mathcal{K}_{ij,k}(\Phi_{ij,k}) \,, \quad \Delta_{\textit{n}}^{(\mathcal{K})}(t,t_0) = \mathsf{exp} \left[ \, - \, \int\limits_{t_0}^t \mathrm{d}\Phi_1 \, \mathcal{K}_{\textit{n}}(\Phi_1) \right] \,.$$

consider first emission only off Born configuration

$$\mathrm{d}\sigma_B = \mathrm{d}\Phi_N \, \mathcal{B}_N(\Phi_N)$$

$$\cdot \left\{ \Delta_N^{(\mathcal{K})}(\mu_N^2, t_0) + \int\limits_{t_0}^{\mu_N^2} \mathrm{d}\Phi_1 \left[ \mathcal{K}_N(\Phi_1) \Delta_N^{(\mathcal{K})}(\mu_N^2, t(\Phi_1)) \right] \right\}$$
integrates to unity \( \to \) "unitarity" of parton shower

• further emissions by recursion with  $\mu_N^2 \longrightarrow t$  of previous emission



NLO matching



NLO MCs

## NLO matching: Basic idea

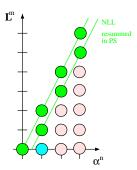
parton shower resums logarithms fair description of collinear/soft emissions iet evolution (where the logs are large)

- matrix elements exact at given order fair description of hard/large-angle emissions jet production (where the logs are small)
- adjust ("match") terms:
  - cross section at NLO accuracy & correct hardest emission in PS to exactly reproduce ME at order  $\alpha_s$ (R-part of the NLO calculation)

(this is relatively trivial)

maintain (N)LL-accuracy of parton shower

(this is not so simple to see)



#### The POWHEG-trick: modifying the Sudakov form factor

(P. Nason, JHEP 0411 (2004) 040 & S. Frixione, P. Nason & C. Oleari, JHEP 0711 (2007) 070)

• reminder:  $\mathcal{K}_{ij,k}$  reproduces process-independent behaviour of  $\mathcal{R}_N/\mathcal{B}_N$  in soft/collinear regions of phase space

$$\mathrm{d}\Phi_1 \, \frac{\mathcal{R}_N(\Phi_{N+1})}{\mathcal{B}_N(\Phi_N)} \, \stackrel{\mathsf{IR}}{\longrightarrow} \, \mathrm{d}\Phi_1 \, \frac{\alpha_{\mathcal{S}}}{2\pi} \, \mathcal{K}_{ij,k}(\Phi_1)$$

define modified Sudakov form factor (as in ME correction)

$$\Delta_N^{(\mathcal{R}/\mathcal{B})}(\mu_N^2,t_0) = \exp\left[-\int\limits_{t_0}^{\mu_N^2}\mathrm{d}\Phi_1\,rac{\mathcal{R}_N(\Phi_{N+1})}{\mathcal{B}_N(\Phi_N)}
ight]\,,$$

- assumes factorisation of phase space:  $\Phi_{N+1} = \Phi_N \otimes \Phi_1$
- ullet typically will adjust scale of  $lpha_{\mathcal{S}}$  to parton shower scale



#### Local K-factors

(P. Nason, JHEP 0411 (2004) 040 & S. Frixione, P. Nason & C. Oleari, JHEP 0711 (2007) 070)

• start from Born configuration  $\Phi_N$  with NLO weight:

("local K-factor")

$$\begin{split} \mathrm{d}\sigma_N^{(\mathrm{NLO})} &= \mathrm{d}\Phi_N \, \bar{\mathcal{B}}(\Phi_N) \\ &= \mathrm{d}\Phi_N \left\{ \mathcal{B}_N(\Phi_N) + \underbrace{\mathcal{V}_N(\Phi_N) + \mathcal{B}_N(\Phi_N) \otimes \int \mathrm{d}\Phi_1 \mathcal{S}(\Phi_1)}_{\tilde{\mathcal{V}}_N(\Phi_N)} \right. \\ &+ \left. \int \mathrm{d}\Phi_1 \left[ \mathcal{R}_N(\Phi_N \otimes \Phi_1) - \mathcal{B}_N(\Phi_N) \otimes \mathcal{S}(\Phi_1) \right] \right\} \end{split}$$

- by construction: exactly reproduce cross section at NLO accuracy
- note: second term vanishes if  $\mathcal{R}_N \equiv \mathcal{B}_N \otimes S$

(relevant for MC@NLO)



## NLO accuracy in radiation pattern

(P. Nason, JHEP 0411 (2004) 040 & S. Frixione, P. Nason & C. Oleari, JHEP 0711 (2007) 070)

• generate emissions with  $\Delta_N^{(\mathcal{R}/\mathcal{B})}(\mu_N^2, t_0)$ :

$$d\sigma_{N}^{(\text{NLO})} = d\Phi_{N} \,\bar{\mathcal{B}}(\Phi_{N}) \times \left\{ \Delta_{N}^{(\mathcal{R}/\mathcal{B})}(\mu_{N}^{2}, t_{0}) + \int_{t_{0}}^{\mu_{N}^{2}} d\Phi_{1} \frac{\mathcal{R}_{N}(\Phi_{N} \otimes \Phi_{1})}{\mathcal{B}_{N}(\Phi_{N})} \Delta_{N}^{(\mathcal{R}/\mathcal{B})}(\mu_{N}^{2}, k_{\perp}^{2}(\Phi_{1})) \right\}$$

integrating to yield 1 - "unitarity of parton shower"

- radiation pattern like in ME correction
- pitfall, again: choice of upper scale  $\mu_N^2$

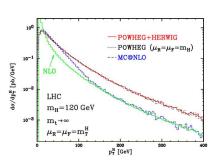
(this is vanilla POWHEG!)

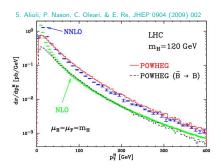
• apart from logs: which configurations enhanced by local K-factor

( K-factor for inclusive production of X adequate for X+ jet at large  $p_{\perp}$ ?)



#### POWHEG features

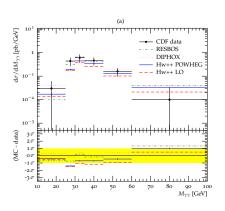




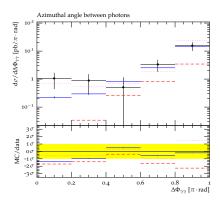
- large enhancement at high  $p_{T,h}$
- can be traced back to large NLO correction
- ullet fortunately, NNLO correction is also large  $ightarrow \sim$  agreement



# Other implementations: di-photon production in HERWIG++



#### (L. D'Errico & P. Richardson, JHEP 1202 (2012) 130)





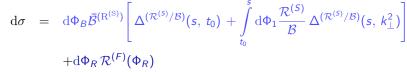
#### Improved POWHEG

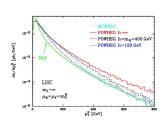
S. Alioli, P. Nason, C. Oleari, & E. Re, JHEP 0904 (2009) 002

split real-emission ME as

$$\mathcal{R} = \mathcal{R}\left(\underbrace{\frac{h^2}{p_{\perp}^2 + h^2}}_{\mathcal{R}^{(5)}} + \underbrace{\frac{p_{\perp}^2}{p_{\perp}^2 + h^2}}_{\mathcal{R}^{(F)}}\right)$$

- can "tune" h to mimic NNLO or maybe resummation result
- differential event rate up to first emission





#### Resummation in MC@NLO

• divide  $\mathcal{R}_N$  in soft ("S") and hard ("H") part:

$$\mathcal{R}_{N} = \mathcal{R}_{N}^{(S)} + \mathcal{R}_{N}^{(H)} \equiv \mathcal{B}_{N} \otimes \mathcal{S} + \mathcal{H}_{N}$$

ullet identify subtraction terms and shower kernels  $\mathrm{d}\mathcal{S} \equiv \sum\limits_{\{ij,k\}} \mathcal{K}_{ij,k}$ 

(modify  ${\cal K}$  in  $1^{\mbox{\scriptsize st}}$  emission to account for colour)

$$d\sigma_{N} = d\Phi_{N} \underbrace{\tilde{\mathcal{B}}_{N}(\Phi_{N})}_{\mathcal{B}+\tilde{\mathcal{V}}} \left[ \Delta_{N}^{(\mathcal{K})}(\mu_{N}^{2}, t_{0}) + \int_{t_{0}}^{\mu_{N}} d\Phi_{1} \, \mathcal{K}_{ij,k}(\Phi_{1}) \, \Delta_{N}^{(\mathcal{K})}(\mu_{N}^{2}, k_{\perp}^{2}) \right] + d\Phi_{N+1} \, \mathcal{H}_{N}$$

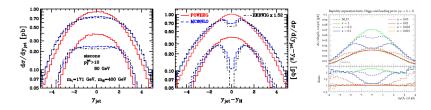
• effect: only resummed parts modified with local K-factor



#### Aside: phase space /K-factor effects

( S. Alioli, P. Nason, C. Oleari, & E. Re, JHEP 0904 (2009) 002 &

S. Hoeche, F. Krauss, M. Schoenherr, & F. Siegert, JHEP 1209 (2012) 049)



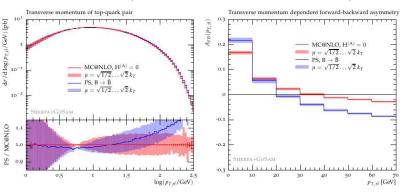
- problem: impact of subtraction terms on local K-factor (filling of phase space by parton shower)
- studied in case of  $gg \rightarrow H$  above
- proper filling of available phase space by parton shower paramount



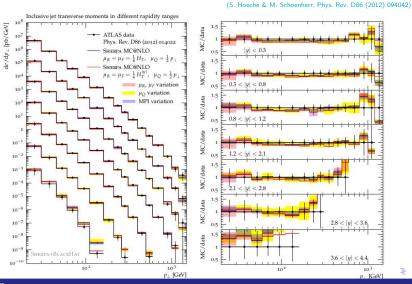
#### Aside': impact of full colour

(S. Hoeche, J. Huang, G. Luisoni, M. Schoenherr, & J. Winter, arXiv:1306.2703 [hep-ph])

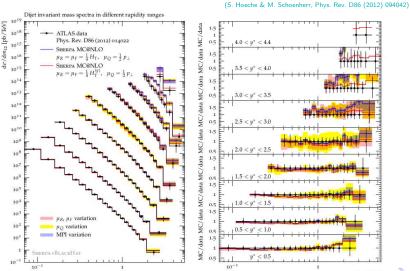
- ullet evaluate effect of full colour treatment, MC@NLO without ullet-part vs. parton shower with  $\mathcal{B}\longrightarrow \tilde{\mathcal{B}}$
- take  $t\bar{t}$  production (red = full colour, blue = "PS" colours)



## MC@NLO for light jets: jet- $p_{\perp}$

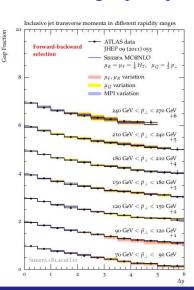


#### MC@NLO for light jets: dijet mass

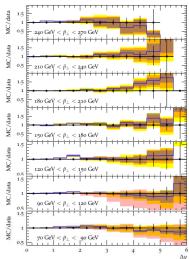




#### MC@NLO for light jets: jet vetoes



(S. Hoeche & M. Schoenherr, Phys. Rev. D86 (2012) 094042)



Multijet merging LO

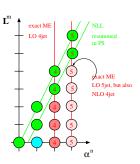


#### Multijet merging: basic idea

(S. Catani, F. Krauss, R. Kuhn, B. Webber, JHEP 0111 (2001) 063,

L. Lonnblad, JHEP 0205 (2002) 046, & F. Krauss, JHEP 0208 (2002) 015)

- parton shower resums logarithms
   fair description of collinear/soft emissions
   jet evolution (where the logs are large)
- matrix elements exact at given order fair description of hard/large-angle emissions jet production (where the logs are small)
- combine ("merge") both: result: "towers" of MEs with increasing number of jets evolved with PS
  - multijet cross sections at Born accuracy
  - maintain (N)LL accuracy of parton shower



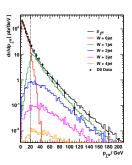


## Separating jet evolution and jet production

 separate regions of jet production and jet evolution with jet measure Q<sub>J</sub>

("truncated showering" if not identical with evolution parameter)

- matrix elements populate hard regime
- parton showers populate soft domain





# First emission(s), again

(S. Hoeche, F. Krauss, S. Schumann, F. Siegert, JHEP 0905 (2009) 053)

$$d\sigma = d\Phi_{N} \mathcal{B}_{N} \left[ \Delta_{N}^{(\mathcal{K})}(\mu_{N}^{2}, t_{0}) + \int_{t_{0}}^{\mu_{N}^{2}} d\Phi_{1} \mathcal{K}_{N} \Delta_{N}^{(\mathcal{K})}(\mu_{N}^{2}, t_{N+1}) \Theta(Q_{J} - Q_{N+1}) \right] + d\Phi_{N+1} \mathcal{B}_{N+1} \Delta_{N}^{(\mathcal{K})}(\mu_{N+1}^{2}, t_{N+1}) \Theta(Q_{N+1} - Q_{J})$$

• note: N + 1-contribution includes also N + 2, N + 3, ...

(no Sudakov suppression below  $t_{n+1}$ , see further slides for iterated expression)

- $\bullet$  potential occurrence of different shower start scales:  $\mu_{\textit{N},\textit{N}+1,\dots}$
- ullet "unitarity violation" in square bracket:  $\mathcal{B}_{N}\mathcal{K}_{N}\longrightarrow\mathcal{B}_{N+1}$

(cured with UMEPs formalism, L. Lonnblad & S. Prestel, JHEP 1302 (2013) 094 &

S. Platzer, arXiv:1211.5467 [hep-ph] & arXiv:1307.0774 [hep-ph])



#### Iterating the emissions

(S. Hoeche, F. Krauss, S. Schumann, F. Siegert, JHEP 0905 (2009) 053)

$$\mathrm{d}\sigma \ = \ \sum_{n=N}^{n_{\mathrm{max}}-1} \left\{ \mathrm{d}\Phi_n \, \mathcal{B}_n \, \left[ \prod_{j=N}^{n-1} \Theta(Q_{j+1} - Q_J) \right] \, \left[ \prod_{j=N}^{n-1} \Delta_j^{(\mathcal{K})}(t_j, \, t_{j+1}) \right] \right.$$

$$\times \left[ \Delta_n^{(\mathcal{K})}(t_n, t_0) + \int\limits_{t_0}^{t_n} \mathrm{d}\Phi_1 \, \mathcal{K}_n \Delta_n^{(\mathcal{K})}(t_n, t_{n+1}) \Theta(Q_J - Q_{n+1}) \right]$$

$$+ \mathrm{d}\Phi_{n_{\mathrm{max}}} \, \mathcal{B}_{n_{\mathrm{max}}} \left[ \prod_{j=N}^{n_{\mathrm{max}}-1} \Theta(Q_{j+1} - Q_J) \right] \left[ \prod_{j=N}^{n_{\mathrm{max}}-1} \Delta_j^{(\mathcal{K})}(t_j, \, t_{j+1}) \right]$$

$$imes \left[ \Delta_{n_{\mathsf{max}}}^{(\mathcal{K})}(t_{n_{\mathsf{max}}},t_0) + \int\limits_{t_0}^{t_{n_{\mathsf{max}}}} \mathrm{d}\Phi_1 \, \mathcal{K}_{n_{\mathsf{max}}} \Delta_{n_{\mathsf{max}}}^{(\mathcal{K})}(t_{n_{\mathsf{max}}},t_{n_{\mathsf{max}}+1}) 
ight]$$



Multijet merging NLO



## Multijet-merging at NLO: MEPs@NLO

- basic idea like at LO: towers of MEs with increasing jet multi (but this time at NLO)
- combine them into one sample, remove overlap/double-counting maintain NLO and (N)LL accuracy of ME and PS
- this effectively translates into a merging of MC@NLO simulations and can be further supplemented with LO simulations for even higher final state multiplicities



## First emission(s), once more

(S. Hoeche, F. Krauss, M. Schoenherr, and F. Siegert, JHEP 1304 (2013) 027, MEs from BLACKHAT)

$$d\sigma = d\Phi_{N} \tilde{\mathcal{B}}_{N} \left[ \Delta_{N}^{(\mathcal{K})}(\mu_{N}^{2}, t_{0}) + \int_{t_{0}}^{\mu_{N}} d\Phi_{1} \mathcal{K}_{N} \Delta_{N}^{(\mathcal{K})}(\mu_{N}^{2}, t_{N+1}) \Theta(Q_{J} - Q_{N+1}) \right]$$

$$+ d\Phi_{N+1} \mathcal{H}_{N} \Delta_{N}^{(\mathcal{K})}(\mu_{N}^{2}, t_{N+1}) \Theta(Q_{J} - Q_{N+1})$$

$$+ d\Phi_{N+1} \tilde{\mathcal{B}}_{N+1} \left( 1 + \frac{\mathcal{B}_{N+1}}{\tilde{\mathcal{B}}_{N+1}} \int_{t_{N+1}}^{\mu_{N}^{2}} d\Phi_{1} \mathcal{K}_{N} \right) \Theta(Q_{N+1} - Q_{J})$$

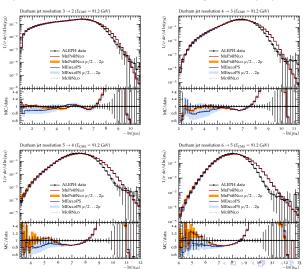
$$\cdot \Delta_{N}^{(\mathcal{K})}(\mu_{N}^{2}, t_{N+1}) \cdot \left[ \Delta_{N+1}^{(\mathcal{K})}(t_{N+1}, t_{0}) + \int_{t_{0}}^{t_{N+1}} d\Phi_{1} \mathcal{K}_{N+1} \Delta_{N+1}^{(\mathcal{K})}(t_{N+1}, t_{N+2}) \right]$$

$$+ d\Phi_{N+2} \mathcal{H}_{N+1} \Delta_{N}^{(\mathcal{K})}(\mu_{N}^{2}, t_{N+1}) \Delta_{N+1}^{(\mathcal{K})}(t_{N+1}, t_{N+2}) \Theta(Q_{N+1} - Q_{J}) + \dots$$

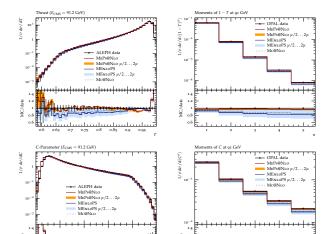
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#### MEPS@NLO: example results for $e^-e^+ \rightarrow$ hadrons

(S. Hoeche, T. Gehrmann, F. Krauss, M. Schoenherr, and F. Siegert, JHEP 1301 (2013) 144, MEs from BLACKHAT)





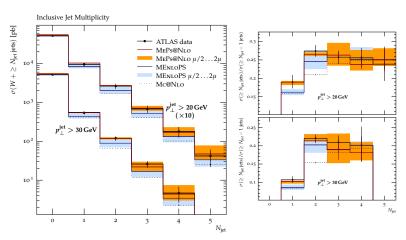




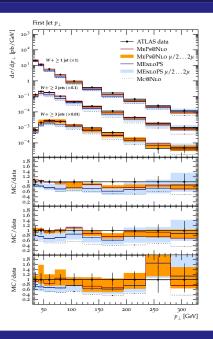
0.2 0.4 0.6 0.8

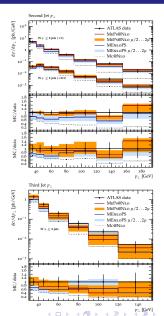
#### Example: MEPs@NLO for W+jets

(S. Hoeche, F. Krauss, M. Schoenherr, and F. Siegert, JHEP 1304 (2013) 027, MEs from BLACKHAT)

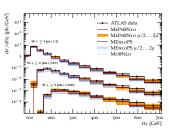


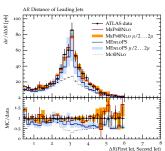


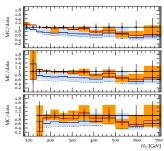


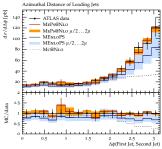








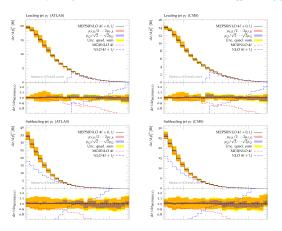






## Example: MEPS@NLO for $W^+W^-$ +jets

(F. Cascioli et al., arXiv:1309.0500, up to one jet @ NLO, virtuals from OPENLOOPS, all interferences,  $gg \to WW(+j)$  included, no Higgs)





## Results for Higgs boson production through gluon fusion

- parton-shower level, Higgs boson does not decay
- setup & cuts:

```
jets:
      anti-kt, p_{\perp} > 20 GeV, R = 0.4, |\eta| < 4.5
```

dijet cuts: at least 2 jets with  $p_{\perp} > 25 \text{ GeV}$ 

WBF cuts:  $m_{ii} \geq 400 \text{ GeV}$ ,  $\Delta y_{ii} \geq 2.8$ 

jet multiplicity plots:

0-jet excl.: no jet with  $p_{\perp} > \{20, 25, 30\}$  GeV 2-jet incl.: at least two jets with  $p_{\perp} \geq \{20, 25, 30\}$  GeV

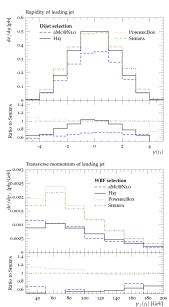
- SHERPA with  $H + \{0,1\}^{(NLO)} + \{2,3\}^{(LO)}$  jets,  $Q_{\text{cut}} = 20 \, \text{GeV}$
- $H + \{0, 1, 2\}^{(NLO)}$  jets being finalised as we speak

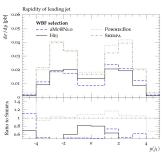


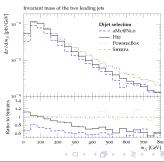
## Comparison of different approaches

- SHERPA with  $H + \{0,1\}^{(NLO)} + \{2,3\}^{(LO)}$  jets,  $Q_{\rm cut} = 20\, GeV$ :
  - NLO accurate, preserving LL accuracy of shower
- aMc@NLO with  $H + \{0, 1, 2\}^{(NLO)}$  jets,  $Q_{\text{cut}} = 50 \, \text{GeV}$ :
  - "FxFx-merging": MLM-inspired overlay of NLO samples
- POWHEG with  $H + \{2\}$  jets at NLO, "cut-free"
  - convergence through analytic Sudakov reweighting
- HEJ with  $H + \{2,3\}$  jets at LO,  $p_{\perp} \geq 25$  GeV
  - improved by wide-angle resummation, no parton shower

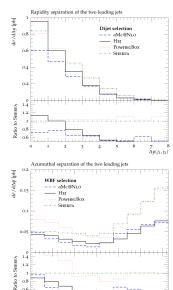


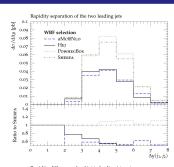


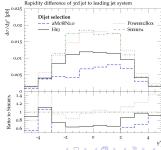










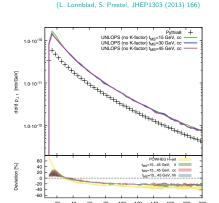




**NLO MCs** Photons g o Qar Q W polarisation Error estimates Conclusio

#### Aside: restoring unitarity with UMEPS & UNLOPS

- as indicated, MEPS@LO formalism breaks unitarity: inclusive n-jet cross sections not maintained due to mismatch of kernels in actual emission term and Sudakov form factor
- can be cured by adding/subtracting shower and ME-like terms
- formulae a bit tricky (worse at NLO)
- allows low merging cut



(L. Lonnblad, S. Prestel, JHEP1302 (2013) 094)



p<sub>1</sub> [GeV]

Dealing with photons



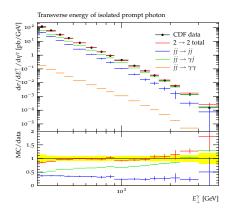
O MCs  ${f Photons}$  g o Q ar Q W polarisation Error estimates Conclusion

#### Multi-jet merging for photons

(implemented in S. Hoeche, F. Siegert, and S. Schumann, Phys.Rev. D81 (2010) 034026)

 treat photons and QCD partons fully democratically

- combine matrix elements of different parton/photon multiplicity with
- QCD $\oplus$ QED evolution and hadronisation  $\leadsto$  models  $D_{q,g}^{\gamma}(z,Q^2)$

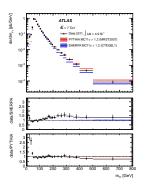


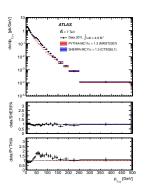


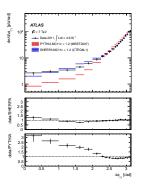
.O MCs  ${f Photons}$  g o Qar Q W polarisation Error estimates Conclusion

# Di-photons @ ATLAS: $m_{\gamma\gamma}$ , $p_{\perp,\gamma\gamma}$ , and $\Delta\phi_{\gamma\gamma}$ in showers

(ATLAS, arXiv:1211.1913 [hep-ex])





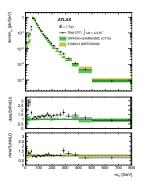


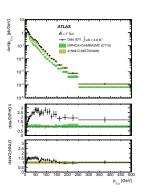


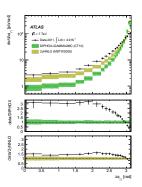
ILO MCs **Photons** g o Qar Q W polarisation Error estimates Conclusion

#### Aside: Comparison with higher order calculations

(arXiv:1211.1913 [hep-ex])









Photons g o Q ar Q W polarisation Error estimates Conclusion

#### Aside: correcting for QED FSR

- correcting for QED FSR apparently an ongoing issue
- my take: don't do it by default. reasons:
  - correction hard to undo
  - better (future) tools may be more precise
  - scientific principle publish as closely to data as possible
- suggestion: publish both uncorrected with dressed leptons and corrected with best possible tools for comparison with HO tools and for precision measurements



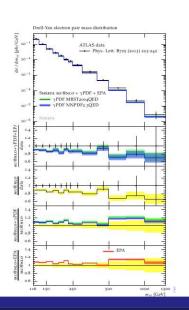
LO MCs **Photons** g o Qar Q W polarisation Error estimates Conclusion

#### Aside: Initial state photons

- two kinds of initial state photon contributions: PDFs & EPA
- recently a new QED PDF by NNPDF collaboration

(the only other one dated from 2004)

- for PDF: need to deal with photons in shower: trivial
- for EPA: need to have EPA spectrum and implement quasi-elastic pp → Xpp process: also trivial





Gluon splitting g o Q ar Q



# Issues with gluon splitting g o Q ar Q

• "accuracy" in parton shower: next-to leading logs

(from comparing Sudakov form factor with CSS resummation)

- ullet g o Q ar Q borderline
- $\bullet$  PS paradigms like angular ordering, scale choice in  $\alpha_{\mathcal{S}}$  do not necessarily apply
- LEP measured splitting probability  $\mathcal{P}_{g \to b \bar{b}}$ :

$$\mathcal{P}_{g \to b \bar{b}} \approx 0.0025 \pm 0.0005 \quad \text{(Jetset)} : \mathcal{P}_{g \to b \bar{b}} \approx 0.0015 \quad \text{(1)}$$

 my suggestion: measure it, especially in light of new ME+PS tools at LO and NLO.



W polarisation

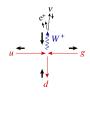


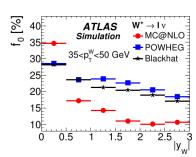
\_O MCs Photons g o Qar Q  $m{W}$  polarisation Error estimates Conclusio

#### Simulating W polarisation

- showers with polarisation treatment not available now
- some work in HERWIG++ and in PYTHIA
- but maybe not necessary due to HO methods?
- example: MC@NLO  $\leftrightarrow$  POWHEG in W-polarisation measurement

(ATLAS, arXiv:1203.2165)

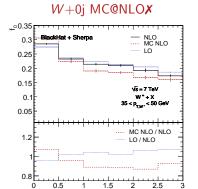




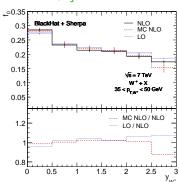


LO MCs Photons g o Qar Q  $m{W}$  polarisation Error estimates Conclusion

#### Simulating W polarisation



#### W+1j MC@NLO ✓





## Evaluating systematic errors



) MCs Photons g o Q ilde Q W polarisation  ${\sf Error}$  estimates Conclusion

# Proposal for estimating systematic perturbative error

(implicit: with NLO tools)

- systematic error estimates paramount in quest for precision
- at the moment allow for independent variation of 4 scales:
  - ullet factorisation and renormalisation scales:  $\mu_{F,R}$ 
    - advisable in matrix element only (old standard method of factor 2 yielded unnaturally large errors in parton shower; some new ideas of how to propagate this into shower)
  - merging scale of ME and PS:  $Q_{\rm cut}$  (preliminary: dependence typically significantly reduced w.r.t. LO)
- PDF uncertainties on ME with PDF4LHC accord
   (simple: effectively PDF-weight vectors for each phase space point, inclusion of PDF uncertainties in shower a bit more tricky)



MCs Photons g o Qar Q W polarisation f Error estimates Conclusion

# Proposal for estimating systematic non-perturbative error

- important: right now, there is
   no first-principles theory for hadronisation & underlying event
- instead: models with lots of parameters, tuned to data
- two classes of hadronisation models: string & cluster however, they became increasingly similar in past two decades
- only one idea for underlying event: multi-parton interactions
- all tuned to same data,
   likely with lots of under-constrained parameters
- therefore: using different good tunes will underestimate error
- instead: tunes differing from data in a controlled and pre-defined way



MCs Photons g o Q ar Q W polarisation Error estimates **Conclusion** 

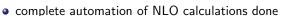
#### Summary

 systematic improvement of event generators by including higher orders has been at the core of QCD theory and developments in the past decade:

- multijet merging ("CKKW", "MLM")
- NLO matching ("MC@NLO", "PowHeG")
- MENLOPS NLO matching & merging
- MEPS@NLO ("SHERPA", "UNLOPS", "MINLO", "FxFx")

(first 3 methods are well understood and used in experiments)

(last method need validation etc.)



→ must benefit from it!

(it's precision, stupid and systematic & trustworthy uncertainty estimates!)



- maybe time to turn back to parton showers: higher log-accuracy (theory work),  $g \to Q\bar{Q}$  (data-driven)
- need to work on agreement on non-perturbative uncertainties: "hadro-chemistry" of jets  $(K/\pi, p/\pi,$  etc.), underlying event
- start looking at "awkward" corners:
  - extreme phase spaces
  - jet vetoes
  - photon-induced processes
  - other electroweak corrections (TeV region = EW Sudakov zone!)

