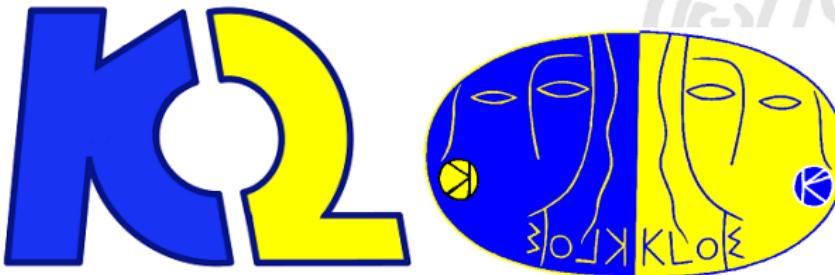


Measurements of the Form Factor in VP γ^* transitions and study of the $\eta \rightarrow \pi^+ \pi^- \pi^0$ Dalitz plot at KLOE

Li Caldeira Balkeståhl
on behalf of KLOE-2 Collaboration

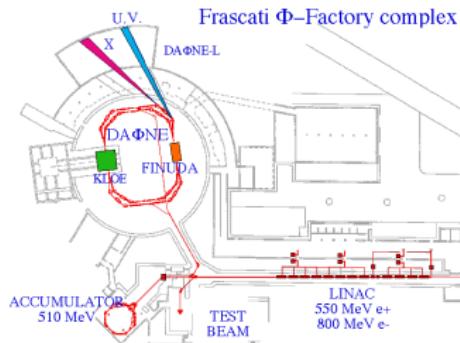
Department of Physics and Astronomy
Uppsala University

2014-08-28
PANIC 2014





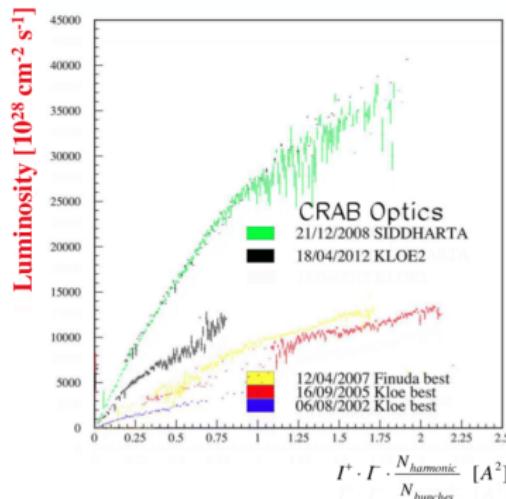
DA ϕ NE ϕ factory



- $e^+ e^-$ collider at $\sqrt{s} = M_\phi$
- 2 interaction regions
- separate $e^+ e^-$ rings
- 105+105 bunches
- 2.7 ns bunch spacing
- $I_{peak}^{+-} \sim 2.4/1.5$ A
- $\theta_{cross} = 2 \cdot 12.5$ mrad

Best performances (1999-2007)

- $L_{peak} = 1.4 \cdot 10^{32} \text{ cm}^{-2} \text{s}^{-1}$
- $\int L dt = 8.5 \text{ pb}^{-1} / \text{day}$

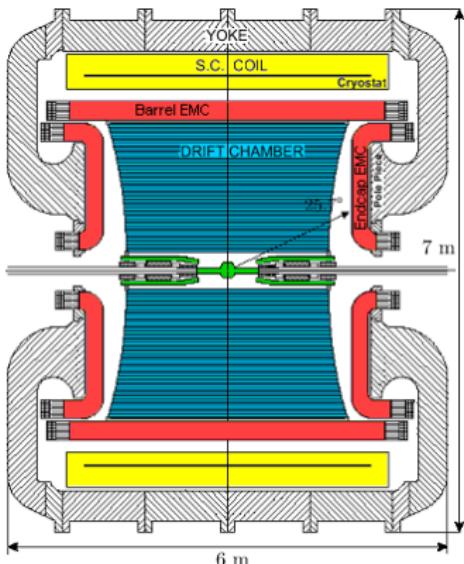


2008, new interaction scheme

$$L_{\text{new}} \sim 3 \cdot L_{\text{old}}$$



KLOE Experiment



KLOE: DC and EMC in $\sim 0.52\text{T}$
Drift Chamber (4 m diameter, 3.75m long)

- Gas Mixture 90% He +10% C_4H_{10}
- $\sigma_{xy} = 150 \mu\text{m}; \sigma_z = 2 \text{ mm}$
- $\frac{\delta p_t}{p_t} < 0.4\% (\theta > 45^\circ)$

Electromagnetic Calorimeter

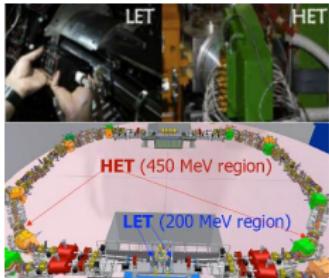
- lead/scintillating fibers
- 98% solid angle coverage
- $\frac{\sigma_E}{E} = \frac{5.7\%}{\sqrt{E(\text{GeV})}}$
- $\sigma_t = \frac{57 \text{ ps}}{\sqrt{E(\text{GeV})}} \oplus 100 \text{ ps}$
- PID capabilities

KLOE data taking ended 2006

- 2.5 fb^{-1} at $\sqrt{s} = M_\phi$
- $\sim 10 \text{ pb}^{-1}$ at 1010, 1018, 1023, 1030 MeV
- 250 pb^{-1} at 1000 MeV



KLOE-2 Upgrade



- High energy tagger, Low energy tagger (tag $e^+ e^-$ for $\gamma\gamma$ physics)
- 2 new calorimeters (for low angle γ s & γ s from K_L decays)
- Inner tracker (cylindrical GEM, for better vertex reconstruction and larger low p_t track acceptance)

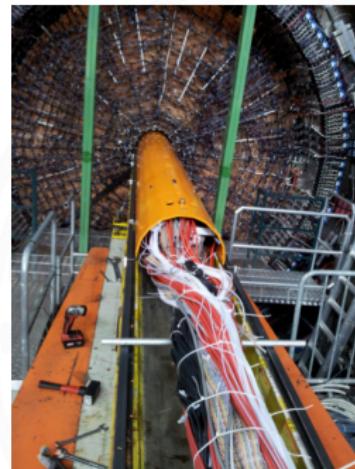
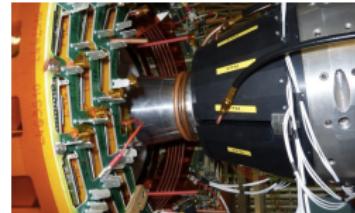




KLOE-2 Upgrade



- New detectors installed
- Commissioning of detector and accelerator in progress
- KLOE-2 goal: collect 5 fb^{-1} in next 2-3 years

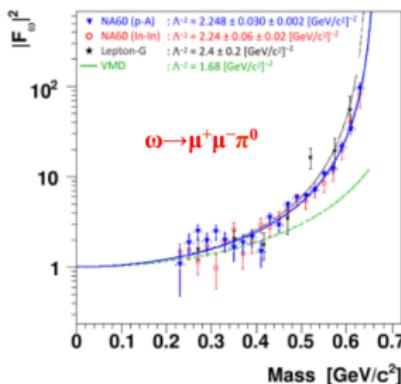
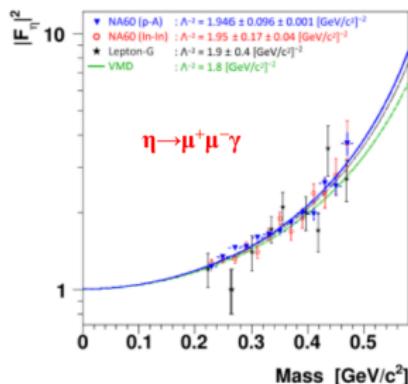




Transition form factor



Vector → Pseudoscalar γ^* and Pseudoscalar → Vector γ^*
 not fully described by VMD:
 Works for $\eta \rightarrow l^+ l^- \gamma$ but not for $\omega \rightarrow l^+ l^- \pi^0$



Data

NA60 [In-In] [Phys. Lett. B 677 260-266 (2009)]

NA60 [p-A] [Nucl. Phys. A 855 189-196 (2011)]

Lepton-G [Phys. Lett. B 102 296-298 (1981)]

New theoretical models

- Terschlusen and Leupold [Phys. Lett. B 691 191 (2009)]
- Ivashyn S. [Prob. Atom. Sci. Tech. 2012N1 179 (2012)]
- Schneider, Kubis, Nieking [Phys. Rev. D 86 054013 (2012)]



Experimental results



Existing results on TFF and BR of $\phi \rightarrow \eta e^+ e^-$ and $\phi \rightarrow \pi^0 e^+ e^-$ have large errors

- Branching ratio

decay	SND	CMD-2	PDG avg.
$\text{BR}(\phi \rightarrow \eta e^+ e^-) \times 10^4$	$(1.19 \pm 0.19 \pm 0.07)$	$(1.14 \pm 0.10 \pm 0.06)$	(1.15 ± 0.10)
$\text{BR}(\phi \rightarrow \pi^0 e^+ e^-) \times 10^5$	$(1.01 \pm 0.28 \pm 0.29)$	$(1.22 \pm 0.34 \pm 0.21)$	(1.12 ± 0.28)

J. Beringer et al. (Particle Data Group), Phys. Rev. D 86, 010001 (2012)

- Form factor

$$F(q^2) = \frac{1}{1-q^2/\Lambda^2} \text{ with } q^2 = M_{I^+ I^-}^2$$

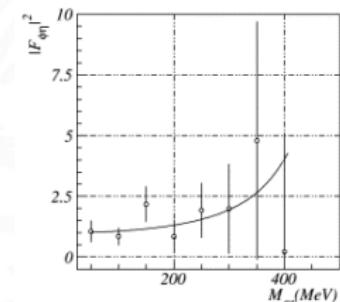
$$\text{slope parameter } b = \frac{dF(q^2)}{dq^2} \Big|_{q^2=0} = \Lambda^{-2}$$

$\phi \rightarrow \eta e^+ e^-$: $\Lambda^{-2} = (3.8 \pm 1.8) \text{ GeV}^{-2}$ SND at VEPP-2M

VMD: $\Lambda^{-2} \approx M_\phi^{-2} \approx 1 \text{ GeV}^{-2}$

$\phi \rightarrow \pi^0 e^+ e^-$: No data available on FF slope

VMD: $\Lambda^{-2} \approx 1.6 \text{ GeV}^{-2}$

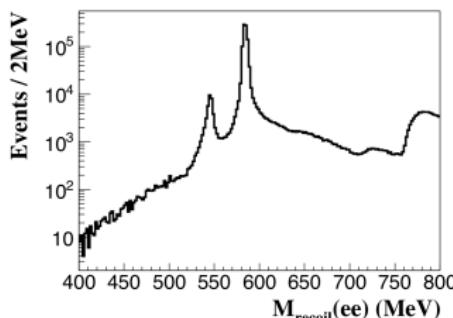
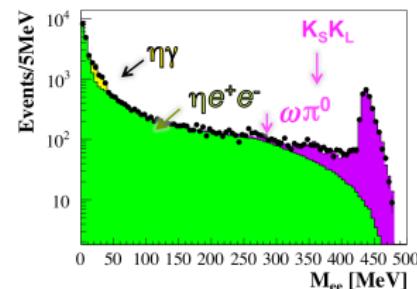


SND @ VEPP-2M [Phys.Lett. B 504 275-281 (2001)]

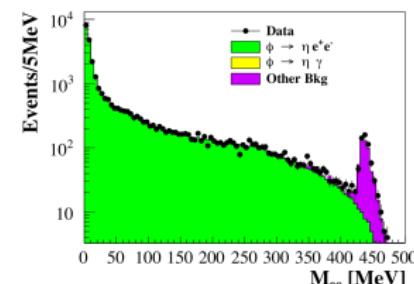

 $\phi \rightarrow \eta e^+ e^- \text{ with } \eta \rightarrow 3\pi^0$


Selection:

- 2 tracks
- 6 photons
- $400 < M_{6\gamma} < 700$ MeV
- $536.5 < M_{eerecoil} < 554.5$ MeV
- Conversion on beam pipe and drift chamber cut
- TOF cut

After $M_{eerecoil}$ cut

After all cuts



$\mathcal{L} \sim 1.7 \text{ fb}^{-1}$, small residual background (< 3%, from $\phi \rightarrow \eta\gamma$ and $\phi \rightarrow K_SK_L$)
 After background subtraction: 29625 ± 178 events



Branching ratio $\phi \rightarrow \eta e^+ e^-$



With $\eta \rightarrow 3\pi^0$

$$BR(\phi \rightarrow \eta e^+ e^-) = \frac{\sum_i N_i / \epsilon_i}{\sigma_\phi \cdot \mathcal{L} \cdot BR(\eta \rightarrow 3\pi^0)}$$

i bin in Mee

Systematic effects

Cut	BR variation
$M_{eerecoil}$	+1 σ -0.1%
	-1 σ +0.6%
TOF	+1 σ +0.01%
	-1 σ -0.1%
Conv. (small box) (large box)	-0.1%
	+0.1%
Efficiencies	-0.1%
	-0.2%
	+0.6%

	VMD (theory)[1]	SND (exp.)[2]	CMD-2 (exp)[3]	Our Analysis (Norm) (Stat) (Syst)
$BR(10^{-4})$	1.1	$1.19 \pm 0.19 \pm 0.07$	$1.14 \pm 0.10 \pm 0.06$	$1.075 \pm 0.038 \pm 0.007^{+0.006}_{-0.002}$

[1]Phys.Rev.C 61, 035206 (2000), [2]Phys.Lett.B 504, 275 (2001), [3]Phys.Lett.B 501, 191 (2001)



TFF $\phi \rightarrow \eta e^+ e^-$

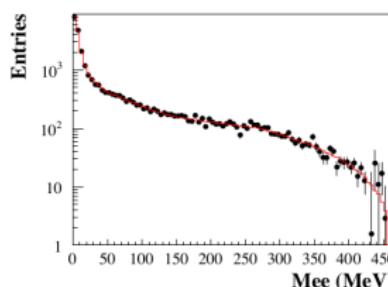
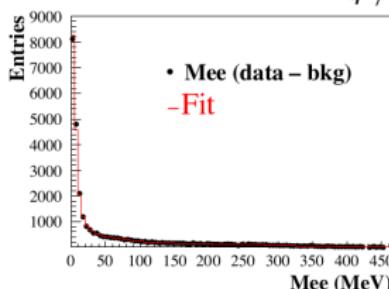


With $\eta \rightarrow 3\pi^0$

Fit data to Landsberg decay parametrization [1]

$$\frac{d}{dq^2} \frac{\Gamma(\phi \rightarrow \eta e^+ e^-)}{\Gamma(\phi \rightarrow \eta \gamma)} = \frac{\alpha}{3\pi} \frac{|F(q^2)|^2}{q^2} \sqrt{1 - \frac{4m^2}{q^2}} \left(1 + \frac{2m^2}{q^2}\right) \left[\left(1 + \frac{q^2}{m_\phi^2 - m_\eta^2}\right)^2 - \frac{4m_\phi^2 q^2}{(m_\phi^2 - m_\eta^2)^2} \right]^{\frac{3}{2}}$$

with $F(q^2) = \frac{1}{1 - q^2/\Lambda^2}$



Cut	$b_{\phi\eta}$ variation
$M_{eerecoil} +1\sigma$	+3.3%
-1σ	-4.6%
TOF $+1\sigma$	-2.5%
-1σ	+1.5%
Conv. (small box)	-5.9%
(large box)	+1.7%
Fit range	$\pm 4.4\%$
	-9.0%
	+6.0%

	VMD(theory)	SND(exp.)	Our Analysis
$b_{\phi\eta}$	1.0	3.8 ± 1.8	$1.17 \pm 0.10(stat)_{-0.11}^{+0.07}(sys)$

[1] Landsberg, L.G., Phys. Rep. 128 (1985) 301



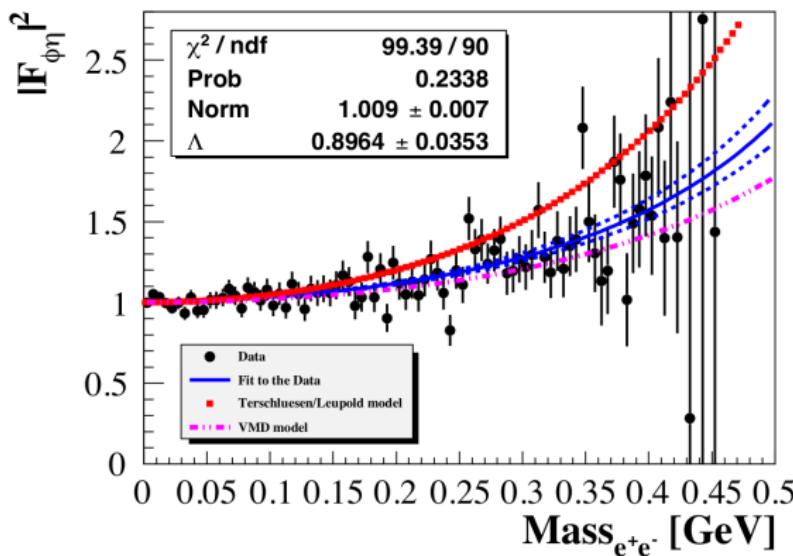
TFF $\phi \rightarrow \eta e^+ e^-$ as function of Mee



With $\eta \rightarrow 3\pi^0$

Extracted by dividing bin by bin data Mee distribution by the reconstructed MC Mee distribution with $F_{\phi\eta} = 1$

MC sample normalized to first data bin



$$b_{\phi\eta} = (1.25 \pm 0.10) \text{ GeV}^{-2}$$



$$\phi \rightarrow \pi^0 e^+ e^-$$

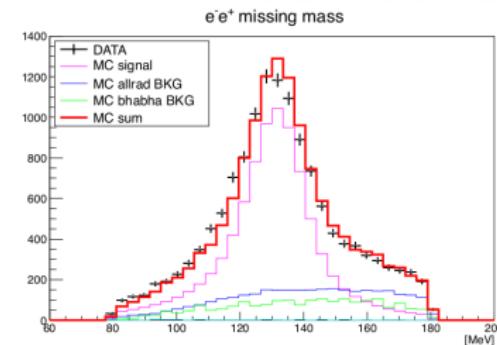
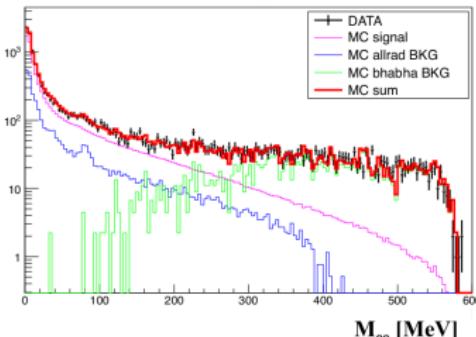


$\text{BR}(\phi \rightarrow \pi^0 e^+ e^-) = (1.12 \pm 0.28) \cdot 10^{-5}$ 25% uncertainty!
 (SND: 52 events, CMD-2 46 events)

Analyzing sample from 1.7 fb^{-1}

- 2 tracks + 2 photons
- selection cuts
- main backgrounds
 - double radiative Bhabha scattering ($e^+ e^- \rightarrow e^+ e^- \gamma\gamma$)
 - $\phi \rightarrow \pi^0 \gamma$ with photon conversion

e^+e^- mass spectrum





$$\phi \rightarrow \pi^0 e^+ e^-$$



At the end of analysis 14680 events

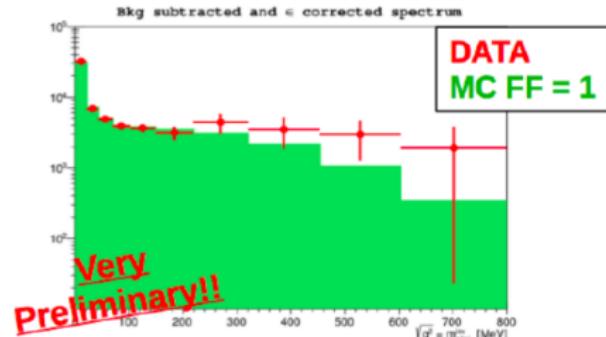
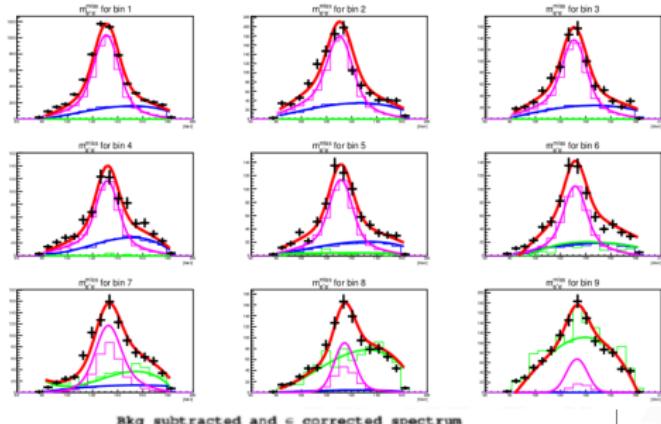
- $\sim 22\% e^+ e^- \rightarrow e^+ e^- \gamma\gamma$
- $\sim 20\% \phi \rightarrow \pi^0 \gamma + \text{conversion}$

For each bin in Mee

- fit $M_{eerecoil}$
- subtract background result from the fit

Finalizing background subtraction

Results on TFF and BR soon!





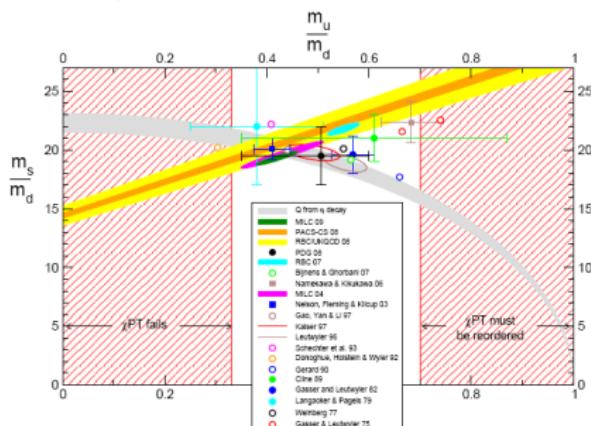
$\eta \rightarrow \pi^+ \pi^- \pi^0$ motivation



$\eta \rightarrow \pi^+ \pi^- \pi^0$ isospin breaking decay

$$\Gamma(\eta \rightarrow \pi^+ \pi^- \pi^0) \propto Q^{-4}$$

$$Q^2 \equiv \frac{m_s^2 - \hat{m}^2}{m_d^2 - m_u^2} \quad \hat{m} = \frac{1}{2}(m_d + m_u)$$



Determining Q constrains the quark mass ratios [1]

χ PT:

- $\Gamma_{LO} \sim 70\text{eV}$
- $\Gamma_{NLO} = 160 \pm 50\text{eV}$
- $\Gamma_{exp} = 295 \pm 16\text{eV}$

→ final state interactions important

→ dynamics of decay important

→ measure Dalitz plot

- Dispersion relations can be applied to improve theoretical results



$\eta \rightarrow \pi^+ \pi^- \pi^0$ Dalitz plot in KLOE



In KLOE $\phi \rightarrow \eta\gamma$ ($E_\gamma = 363$ MeV)

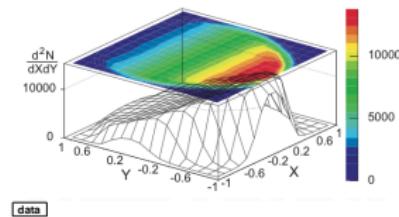
- Previous KLOE analysis (2001-2002 data) [1]
 - $450 \text{ pb}^{-1} \Rightarrow 1.34 \cdot 10^6$ events
 - Event classification efficiency biggest contribution to systematic errors
- New analysis (2004-2005 data)
 - $1.6 \text{ fb}^{-1} \Rightarrow 4.48 \cdot 10^6$ events
 - independent data sample
 - different analysis scheme
 - reduced systematics expected (better MC, better way of determining event classification efficiency)

In η -rest frame

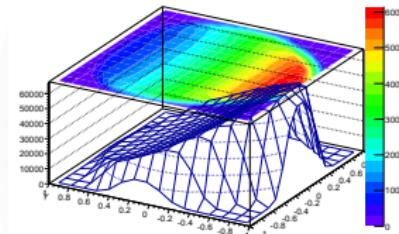
$$X = \sqrt{3} \frac{T_+ - T_-}{Q_\eta}$$

$$Y = \frac{3T_0}{Q_\eta} - 1$$

$$(Q_\eta = T_+ + T_- + T_0)$$



data





$$\eta \rightarrow \pi^+ \pi^- \pi^0$$



Fit the data to

- $N_{theory} = \int |A(X, Y)|^2 dPh(X, Y)$
- $|A(X, Y)|^2 \simeq N(1 + aY + bY^2 + cX + dX^2 + eXY + fY^3 + gX^2Y)$
- previous analysis: by average value in bin
- new analysis: using Monte Carlo integration

$c, e = 0$ (C-invariance), we find c and e consistent with 0

Experiment	-a	b	d	f
Gormley[1]	1.17(2)	0.21(3)	0.06(4)	-
Layter[2]	1.080(14)	0.03(3)	0.05(3)	-
CBBarrel[3]	1.22(7)	0.22(11)	0.06(fixed)	-
KLOE[4]	1.090(5)(⁺¹⁹) ₋₈)	0.124(6)(10)	0.057(6)(⁺⁷) ₋₁₆)	0.14(1)(2)
WASA[5]	1.144(18)	0.219(19)(37)	0.086(18)(18)	0.115(37)
KLOE (13)	1.104(3)	0.144(3)	0.073(3)	0.155(6)

KLOE(13) PRELIMINARY, only statistical errors

- [1] M. Gormley *et al.* Phys. Rev. D2, 501 (1970)
- [2] J. Layter *et al.* Phys. Rev. D7, 2565 (1973)
- [3] Crystal Barrel Collaboration Phys. Lett. B417, 197 (1998)
- [4] The KLOE collaboration JHEP, Vol 5, page 006 (2008)
- [5] WASA-at-COSY collaboration, arXiv:1406.2505 (2014)



Conclusions and Outlook



Conclusions

- KLOE high statistics data sample still producing results in light hadronic physics
 - $\phi \rightarrow \eta e^+ e^-$ TFF and BR measured with $\eta \rightarrow 3\pi^0$
 - in agreement with VMD expectations
 - preparing paper

Outlook

- Some analysis still to be finalized
 - $\phi \rightarrow \pi^0 e^+ e^-$ TFF and BR, finalizing background subtraction
 - $\eta \rightarrow \pi^+ \pi^- \pi^0$ Dalitz plot, investigating systematic effects
- New interaction region installed, commissioning ongoing
- KLOE-2 run coming up, goal to collect 5 fb^{-1} in next 2-3 years (physics program at EPJC68 619 (2010))



Spares



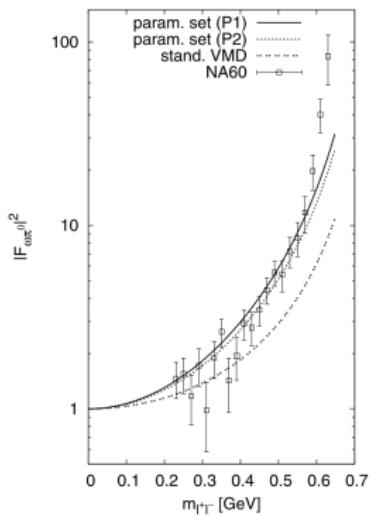


TFF theoretical calculations

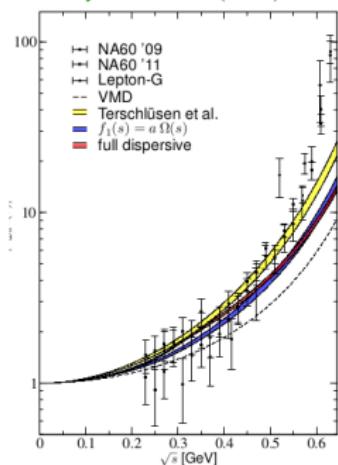


$$|F_{\omega\pi^0\gamma^*}|^2$$

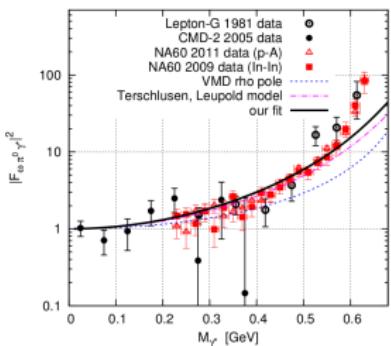
Phys. Lett. B 691 191 (2009)



Phys. Rev. D 86 (2012) 05401



Prob. Atom. Sci. Tech. 2012N1 179 (2012)



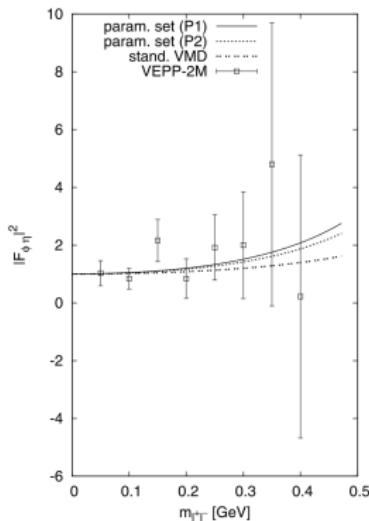


TFF theoretical calculations



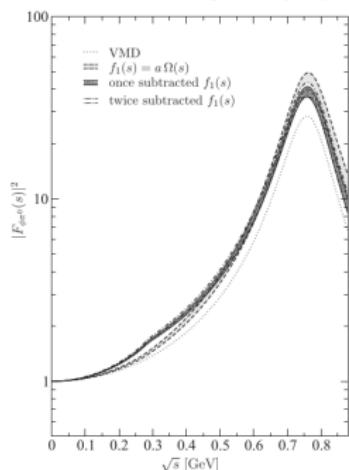
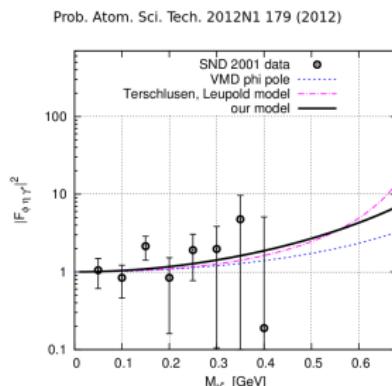
$$|F_{\phi\eta\gamma^*}|^2$$

Phys. Lett. B 691 191 (2009)



$$|F_{\phi\pi^0\gamma^*}|^2$$

PHYSICAL REVIEW D 86, 054013 (2012)





TFF $\phi \rightarrow \eta e^+ e^-$



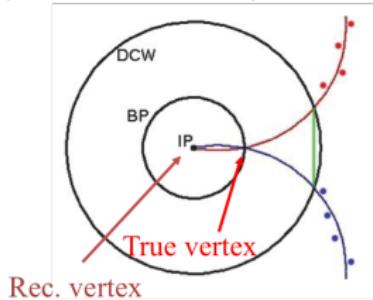


Background rejection



Photon conversion

Photon from interaction region converts in the beam pipe or drift chamber wall (mainly $\phi \rightarrow \eta\gamma$)



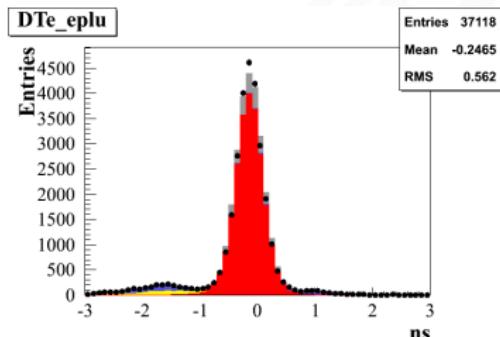
At surface

- e^+e^- invariant mass
- distance between e^+e^-

Time of flight

Background with $\pi^+\pi^-$ in final state (mainly from $\phi \rightarrow K_SK_L$ and $e^+e^- \rightarrow \omega\pi^0$)

$DTe = T_{track} - T_{cluster}$ in electron hypothesis



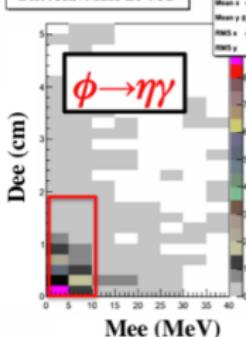
$$-0.9 \text{ ns} < DTe < 0.62 \text{ ns}$$



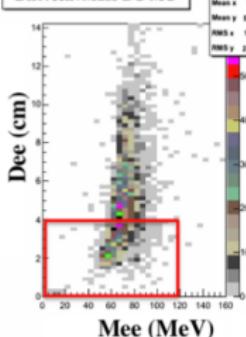
Background rejection - conversion



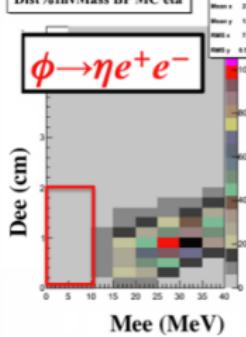
Dist%InvMass BP MC



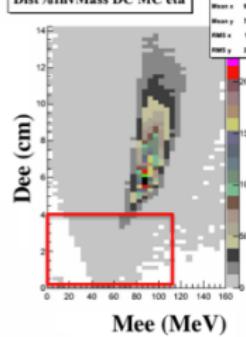
Dist%InvMass DC MC



Dist%InvMass BP MC eta



Dist%InvMass DC MC eta

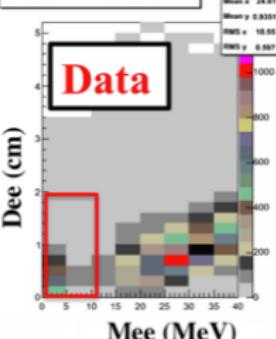


Cuts

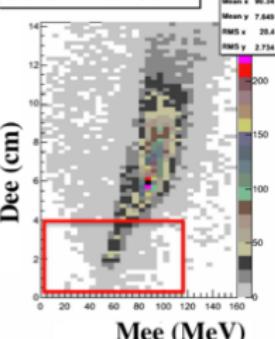
- BP $M_{ee} < 10$ MeV and $D < 2$ cm
- DC $M_{ee} < 120$ MeV and $D < 4$ cm

Events inside the red boxes rejected

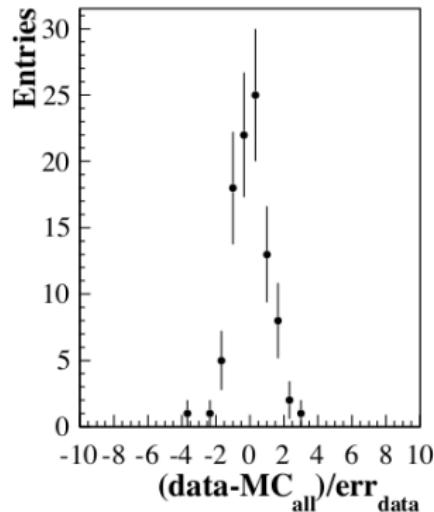
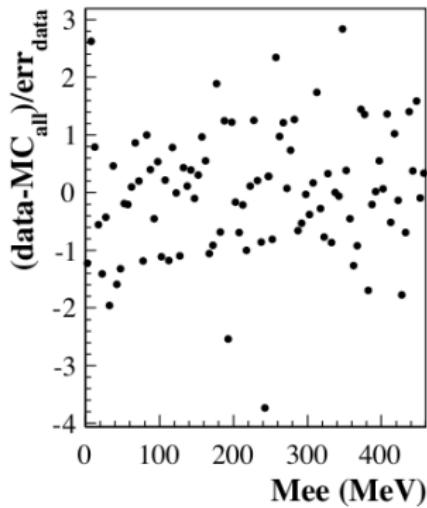
Dist%InvMass BP Data



Dist%InvMass DC Data



Data/MC comparison at the end of analysis Mee “residuals”





$$\phi \rightarrow \pi^0 e^+ e^-$$



$$\phi \rightarrow \pi^0 e^+ e^-$$



$30 < E_{e^+ e^-} < 460$ MeV
 $470 < E_{e^+} + E_{e^-} < 750$ MeV
 $E_{\gamma_1, \gamma_2} > 70$ MeV
 $300 < E_{\gamma_1} + E_{\gamma_2} < 670$ MeV

Energy cuts

$35^\circ < \theta_i < 135^\circ$
 $\theta_{(e^+, e^+)} < 145^\circ$
 $27^\circ < \theta_{(\gamma_1, \gamma_2)} < 57^\circ$

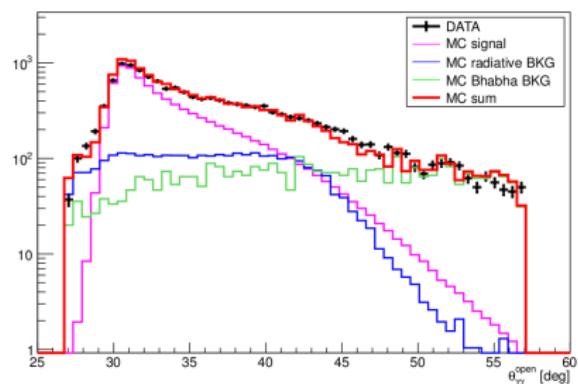
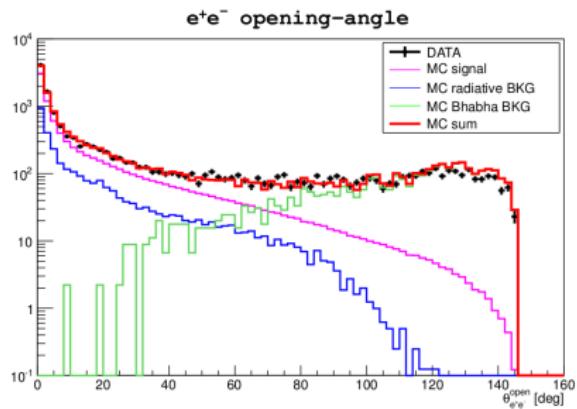
Angular cuts

$d_{\text{traks}} > 2$ cm
 $m_{e^+ e^-} > 10$ MeV
 $d_{\text{traks}} > 3$ cm
 $m_{e^+ e^-} > 80$ MeV

Conversion cuts

$90 < m_{\gamma\gamma\text{-inv}} < 190$ MeV
 $90 < m_{e^+ e^- \text{miss}} < 190$ MeV
 $m_\phi - 30 < m_{\gamma\gamma e^+ e^-} < m_\phi + 30$ MeV

Invariants cuts





$$\eta \rightarrow \pi^+ \pi^- \pi^0$$





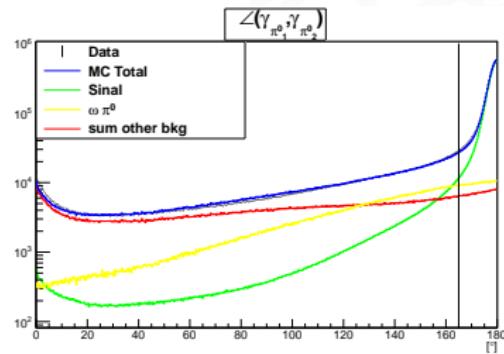
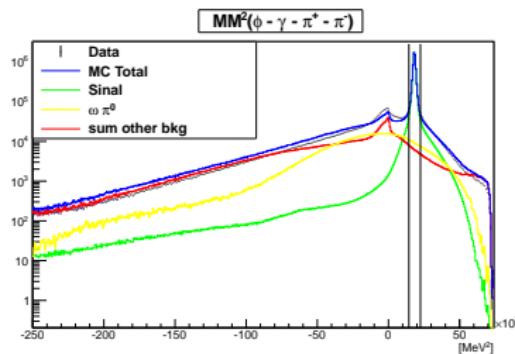
Data-MC comparison



After event reconstruction and cuts for background suppression:

- Signal efficiency $\epsilon_{sig} = 37.6\%$
- Background contamination 0.96%

Fit of Monte Carlo to data to get scaling factors for background





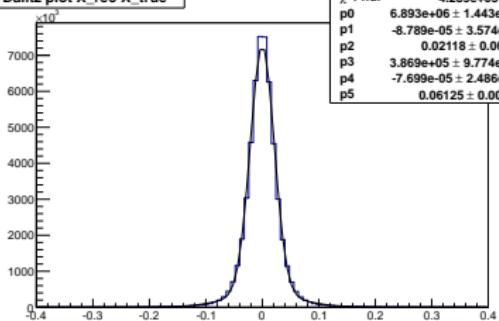
Dalitz plot variables - resolution



Evaluated with Monte Carlo:

Look at $X_{rec} - X_{gen}$ and $Y_{rec} - Y_{gen}$, fit with 2 gaussians.

Dalitz plot X_rec-X_true



Dalitz plot Y_rec-Y_true

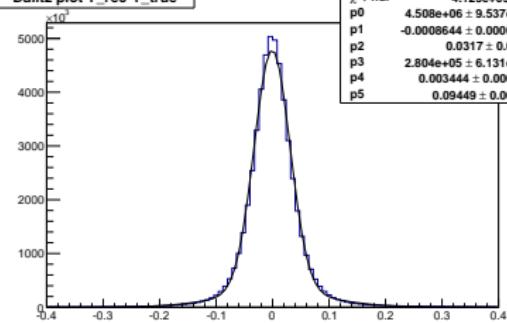


Figure: MonteCarlo distribution for resolution of X and Y.

Taking the width of the “core” gaussian as an estimate of the resolution:

$$\delta X = 0.021 \quad \delta Y = 0.032$$

Dalitz plots made with 16 bins, $\Delta X = 0.125$ $\Delta Y = 0.125$



Data-fit comparison

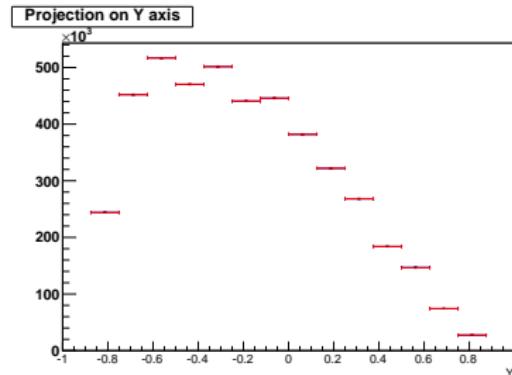
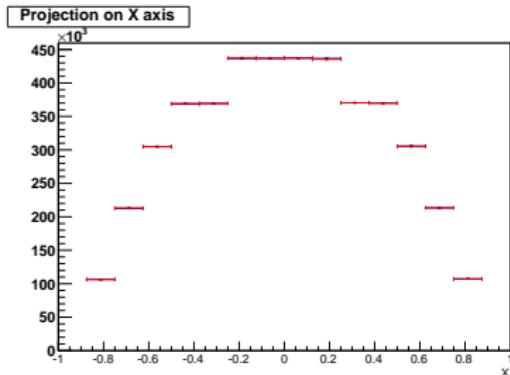


Figure: Projection on X and Y variables, data and smeared fitted function