

# Polarization Observables $T$ and $F$ in Single $\pi^0$ and $\eta$ -Photoproduction off Quasi-Free Nucleons

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# Outline

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② Experimental Setup

③ Polarization Observables

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⑤ Selected Results

⑥ Conclusion

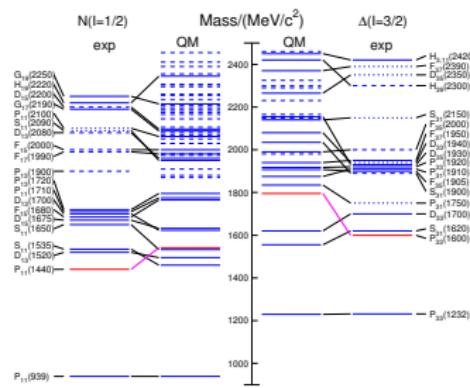
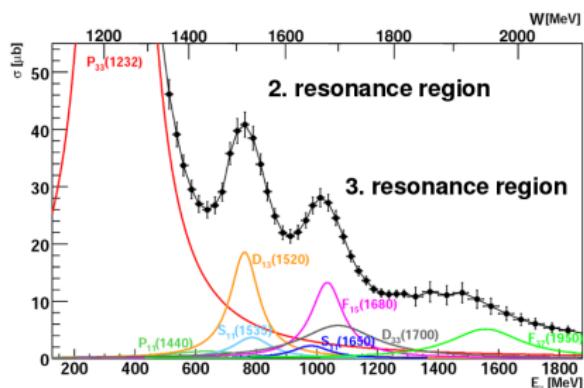
# Motivation

## Problems on experimental side

- ▶ Nucleons' excitation spectrum is a complicated overlap of many short lived, broad resonances
- ▶ Cannot be understood from differential cross sections alone

## Problems on theory side

- ▶ QM predicts more states than observed (missing resonances)
- ▶ Perturbative QCD cannot be applied in this energy region
- ▶ Lattice gauge QCD cannot (yet) reproduce all desired properties



# Motivation

## Solution

- ▶ Effective quark models
- ▶ Experiment delivers observables to fix the models parameters via PWA

## Polarization observables from meson photoproduction

- ▶ Probing spin degrees of freedom
- ▶ Unique PWA solution  
⇒ Need 8 (of 16) carefully chosen observables for complete experiment
- ▶ Include angular momentum  $L \leq 3$ , i.e., S, P, D, F-wave  
⇒ Need full angular coverage, high precision measurements

## Proton and neutron channel

- ▶ Probe isospin degree of freedom
- ▶ Isospin decomposition into  $A^{V3}, A^{IV}, A^{IS}$  for  $\pi$  photoproduction

$$A(\gamma p \rightarrow \pi^+ n) = -\sqrt{\frac{1}{3}} A^{V3} + \sqrt{\frac{2}{3}} (A^{IV} - A^{IS}) \quad A(\gamma p \rightarrow \pi^0 p) = +\sqrt{\frac{2}{3}} A^{V3} + \sqrt{\frac{1}{3}} (A^{IV} - A^{IS})$$

$$A(\gamma n \rightarrow \pi^0 n) = +\sqrt{\frac{1}{3}} A^{V3} - \sqrt{\frac{2}{3}} (A^{IV} + A^{IS}) \quad A(\gamma n \rightarrow \pi^- p) = +\sqrt{\frac{2}{3}} A^{V3} + \sqrt{\frac{1}{3}} (A^{IV} + A^{IS})$$

⇒ At least one measurement off the *neutron* needed.

# Motivation

## Special case $\eta$ photoproduction

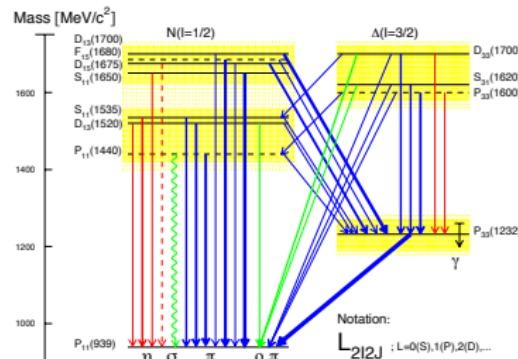
- Isospin  $I = I_z = 0$ .
- No isospin changing current ( $A^{V3} = 0$ )

$$A(\gamma p \rightarrow \eta p) = A^{IS} + A^{IV}$$

$$A(\gamma n \rightarrow \eta n) = A^{IS} - A^{IV}$$

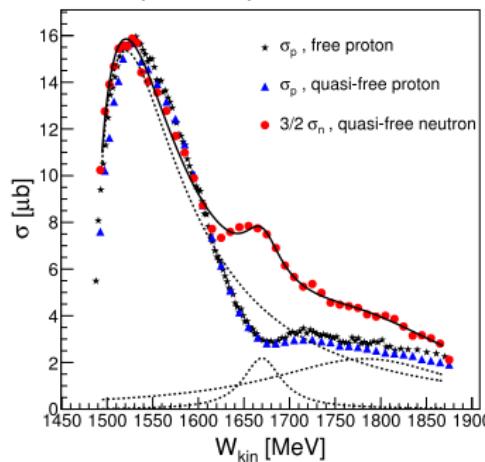
$\Rightarrow$  only  $N^*(I = \frac{1}{2})$  resonances contribute

- Recent results show a narrow structure around 1670 MeV



## Photoproduction off the *neutron*

- Neutron bound in nucleus  
 $\Rightarrow$  quasi free neutron
- Correct treatment of Fermi motion
- Comparison of free and quasi free proton data (can differ due to FSI)



# Experimental Setup

## Experimental Setup

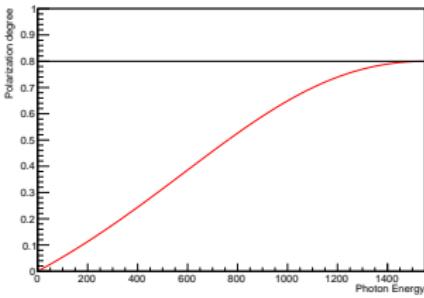
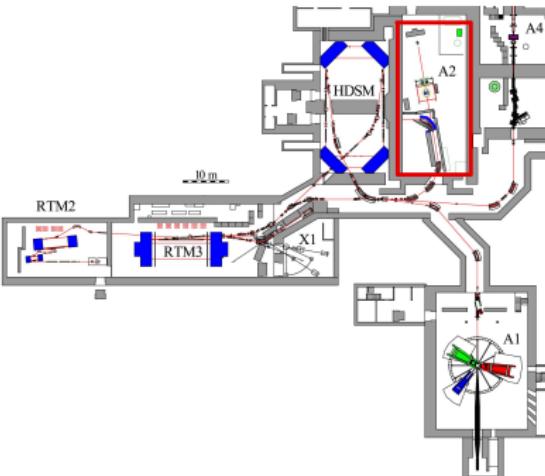
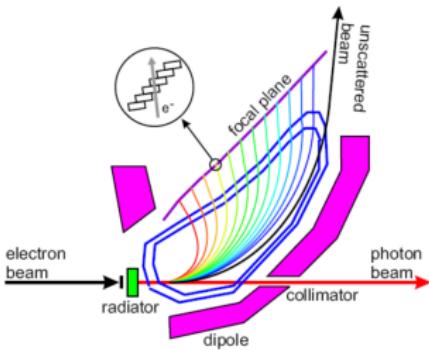
# MAinzer Microtron

High quality electron beam

- ▶ Energy up to 1.5 GeV
- ▶ Intensity up to  $100 \mu\text{A}$
- ▶ Polarization  $\approx 80\%$

Bremsstrahlung photons

- ▶  $1/E_\gamma$  distribution
- ▶ Photon polarization: Olsen maximum function



# Crystal Ball/TAPS @ MAMI

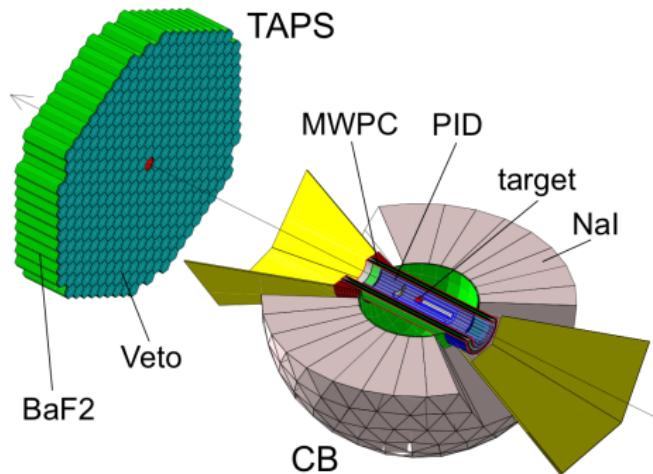
CB

- ▶ PID
- ▶ MPWC
- ▶ NaI crystals

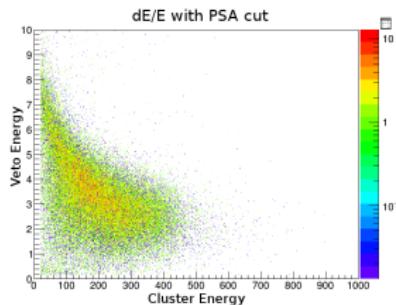
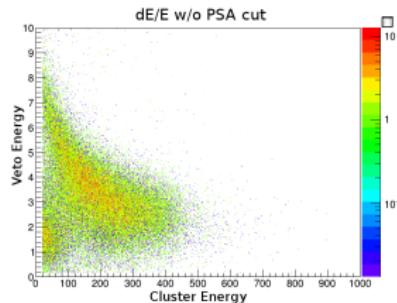
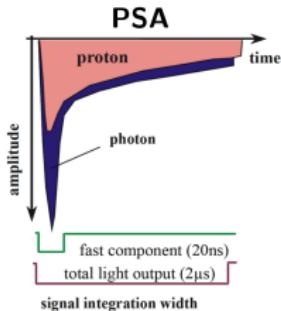
TAPS

- ▶ BaF<sub>2</sub>/PWO crystals
- ▶ Veto wall

⇒ Almost  $4\pi$  acceptance



PSA



# Polarization Observables

## Polarization Observables

# General Formula

General decomposition of  $d\sigma$  into 16 polarization observables reads

$$\begin{aligned}
 d\sigma^{\text{B,T,R}}(\vec{P}^\gamma, \vec{P}^T, \vec{P}^R) = \frac{1}{2} \left\{ d\sigma_0 \left[ 1 - P_L^\gamma P_y^T P_{y'}^R \cos(2\phi_\gamma) \right] \right. \\
 + \hat{\Sigma} \left[ -P_L^\gamma \cos(2\phi_\gamma) + P_y^T P_{y'}^R \right] \\
 + \hat{T} \left[ P_y^T - P_L^\gamma P_{y'}^R \cos(2\phi_\gamma) \right] \\
 + \hat{P} \left[ P_{y'}^R - P_L^\gamma P_y^T \cos(2\phi_\gamma) \right] \\
 + \hat{E} \left[ -P_c^\gamma P_z^T + P_L^\gamma P_x^T P_{y'}^R \sin(2\phi_\gamma) \right] \\
 + \hat{G} \left[ P_L^\gamma P_z^T \sin(2\phi_\gamma) + P_c^\gamma P_x^T P_{y'}^R \right] \\
 + \hat{F} \left[ P_c^\gamma P_x^T + P_L^\gamma P_z^T P_{y'}^R \sin(2\phi_\gamma) \right] \\
 + \hat{H} \left[ P_L^\gamma P_x^T \sin(2\phi_\gamma) - P_c^\gamma P_z^T P_{y'}^R \right] \\
 + \hat{C}_{x'} \left[ P_c^\gamma P_{x'}^R - P_L^\gamma P_y^T P_{z'}^R \sin(2\phi_\gamma) \right] \\
 + \hat{C}_{z'} \left[ P_c^\gamma P_{z'}^R + P_L^\gamma P_y^T P_{x'}^R \sin(2\phi_\gamma) \right] \\
 + \hat{O}_{x'} \left[ P_L^\gamma P_{x'}^R \sin(2\phi_\gamma) + P_c^\gamma P_y^T P_{z'}^R \right] \\
 + \hat{O}_{z'} \left[ P_L^\gamma P_{z'}^R \sin(2\phi_\gamma) - P_c^\gamma P_y^T P_{x'}^R \right] \\
 + \hat{L}_{x'} \left[ P_z^T P_{x'}^R + P_L^\gamma P_x^T P_{z'}^R \cos(2\phi_\gamma) \right] \\
 + \hat{L}_{z'} \left[ P_z^T P_{z'}^R - P_L^\gamma P_x^T P_{x'}^R \cos(2\phi_\gamma) \right] \\
 + \hat{T}_{x'} \left[ P_x^T P_{x'}^R - P_L^\gamma P_z^T P_{z'}^R \cos(2\phi_\gamma) \right] \\
 \left. + \hat{T}_{z'} \left[ P_x^T P_{z'}^R + P_L^\gamma P_z^T P_{x'}^R \cos(2\phi_\gamma) \right] \right\}
 \end{aligned}$$

# Definition of $T$ and $F$

- ▶ Target asymmetry  $T$   
 $\implies$  Transversally polarized target  $\vec{P}^T = P_x^T \neq 0$
  
- ▶ Double polarization observable  $F$   
 $\implies$  Transversally polarized target  $\vec{P}^T = P_x^T \neq 0$   
 Circularly polarized photon beam  $\vec{P}^\gamma = P_c^\gamma \neq 0$
  
- ▶ For  $\vec{P}^R = 0$  (unpolarized recoil),  $\vec{P}^\gamma = P_c^\gamma$  (circular photon polarization) and  $\vec{P}^T = P_x^T$  (transverse target polarization) the general decomposition reduces to

$$\begin{aligned} d\sigma(\vec{P}^\gamma, \vec{P}^T, 0) &= \frac{1}{2} d\sigma_0 \left\{ 1 + TP_y^T + FP_c^\gamma P_x^T \right\} \\ &= \frac{1}{2} d\sigma_0 \left\{ 1 + T|P^T| \cos(\phi') + F|P^\gamma||P^T| \cos(\phi) \right\}. \end{aligned}$$

- ▶ Observables  $T$  and  $F$  manifest themselves by a cosine- $\phi^{(')}$ -modulated unpolarized cross-section

# Definition of $T$ and $F$ (experimental approach)

$T$  and  $F$  can be rewritten as

$$T \cos(\phi') = \frac{1}{P^T P^\gamma} \frac{d\sigma^\uparrow(\phi') - d\sigma^\downarrow(\phi')}{d\sigma^\uparrow(\phi') + d\sigma^\downarrow(\phi')},$$

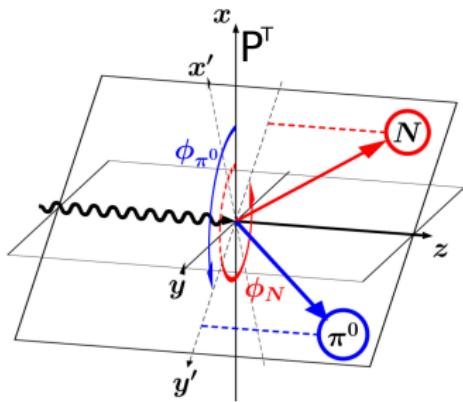
where  $(\uparrow, \downarrow)$  denotes the target polarization state,

$$F \cos(\phi) = \frac{1}{P^T P^\gamma} \frac{d\sigma^-(\phi) - d\sigma^+(\phi)}{d\sigma^-(\phi) + d\sigma^+(\phi)},$$

where  $(+, -)$  denotes the photon helicity state.

Here,  $F = F(E, \theta)$ ,  $T = T(E, \theta)$ ,  $P^T = P^T(t)$  and  $P^\gamma = P^\gamma(E^\gamma, P_B(t))$

- ▶ Symmetric contributions cancel in the numerator
- ▶ Denominator equals unpolarized  $d\sigma$



- ▶  $\phi$  = Angle between target polarization vector and production plane
- ▶  $\phi'$  = Angle between target polarization vector and normal to production plane

## Methods to extract $T$ and $F$

Polarized target: D-butanol ( $C_4D_9OD$ )

- ▶ Only deuterons are polarized
- ▶ Carbon/oxygen contribution vanish in numerator

Two methods can be used:

- ▶ 1. Normalize with deuterium target

$$A \cos(\phi) = \frac{1}{P_T P_\gamma} \frac{d\sigma_{DB}^-(\phi) - d\sigma_{DB}^+(\phi)}{d\sigma_D^-(\phi) + d\sigma_D^+(\phi)}$$

⇒ Needs flux and efficiency correction of count rates.

- ▶ 2. Normalize with D-butanol target

$$A \cos(\phi) = \frac{1}{P_T P_\gamma} \frac{dN_{DB}^-(\phi) - dN_{DB}^+(\phi)}{dN_{DB}^-(\phi) + dN_{DB}^+(\phi)} \cdot d$$

⇒ No need for flux and efficiency correction, but dilution factor  $d$ , i.e.,

$$d = 1 + \frac{d\sigma_C^0}{d\sigma_{DB}^0}$$

# Analysis Methods

## Analysis Methods

# Event selection

- ▶ Event selection

- ▶ Full exclusive on proton (neutron as spectator)

$$\gamma + d \longrightarrow \pi^0 + p(n) \longrightarrow 2\gamma + p(n) \quad \begin{matrix} 2 \text{ neutral, } 1 \text{ charged} \end{matrix}$$

$$\gamma + d \longrightarrow \eta + p(n) \longrightarrow 2\gamma + p(n) \quad \begin{matrix} 2 \text{ neutral, } 1 \text{ charged} \end{matrix}$$

$$\gamma + d \longrightarrow \eta + p(n) \longrightarrow 3\pi^0 + p(n) \longrightarrow 6\gamma + p(n) \quad \begin{matrix} 6 \text{ neutral, } 1 \text{ charged} \end{matrix}$$

- ▶ Full exclusive on neutron (proton as spectator)

$$\gamma + d \longrightarrow \pi^0 + n(p) \longrightarrow 2\gamma + n(p) \quad \begin{matrix} 3 \text{ neutral, } 0 \text{ charged} \end{matrix}$$

$$\gamma + d \longrightarrow \eta + n(p) \longrightarrow 2\gamma + n(p) \quad \begin{matrix} 3 \text{ neutral, } 0 \text{ charged} \end{matrix}$$

$$\gamma + d \longrightarrow \eta + n(p) \longrightarrow 3\pi^0 + p(n) \longrightarrow 6\gamma + n(p) \quad \begin{matrix} 7 \text{ neutral, } 0 \text{ charged} \end{matrix}$$

- ▶ Determination of the neutron candidate by  $\chi^2$ -test.
- ▶ Invariant mass cut on all 3  $\pi^0$  from  $\eta \rightarrow 6\gamma$  decay.

# Applied Cuts

All cuts are determined from LD<sub>2</sub> target for all  $\theta$  and energy bins.

- ▶ Coplanarity cut

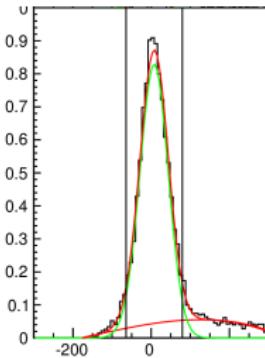
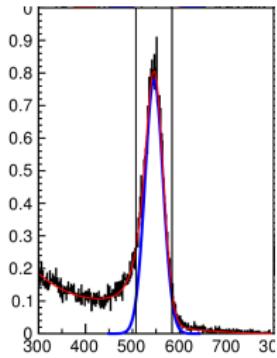
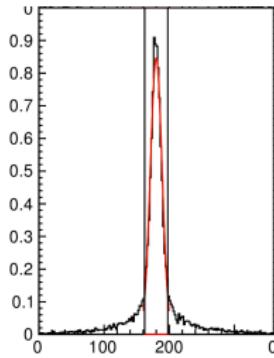
$$\Delta\phi = 180^\circ - |\phi_{\text{meson}} - \phi_{\text{recoil}}|$$

- ▶ Invariant mass cut

$$\Delta m_{\text{meson}} = |P_{\text{meson}}^\mu| - m_{\text{meson}}^{\text{theo.}}$$

- ▶ Missing mass cut

$$\Delta MM = |P_\gamma^\mu + P_{\text{nucleon}}^\mu - P_{\text{meson}}^\mu| - m_{\text{nucleon}}^{\text{theo}}$$



# Reconstruction of Kinematics

Transfer kinematics into CM frame

- ▶ Fermi momentum from deuterium (carbon/oxygen) target  
     $\Rightarrow$  Initial state not determined
- ▶ Reconstruction of nucleons Fermi momentum from final state, i.e., solve

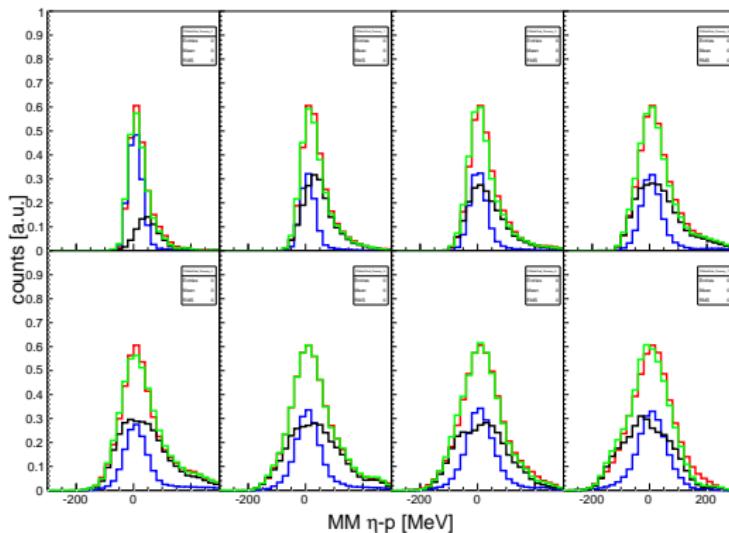
$$P_\gamma^\mu + P_{\text{nucleon}}^\mu = P_{\text{meson}}^\mu + P_{\text{recoil}}^\mu$$

for  $P_{\text{nucleon}}^\mu$ .

- ▶ Have enough information to reconstruct Fermi momentum of nucleon.

# Determination of Dilution Factor

- ▶ Determination of the dilution factor from missing mass spectra
- ▶ Carbon + x Deuterium = Sum  $\approx$  D-butanol

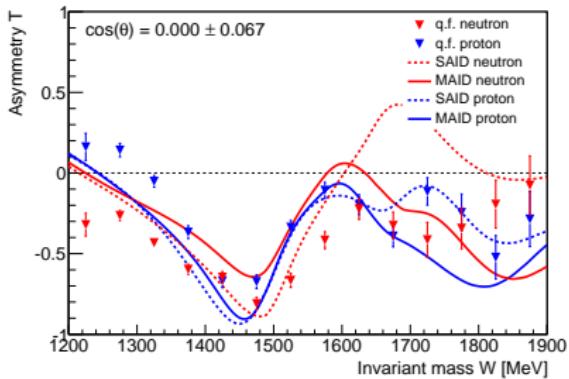
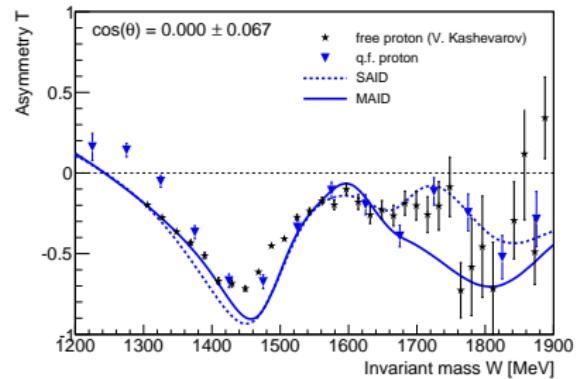
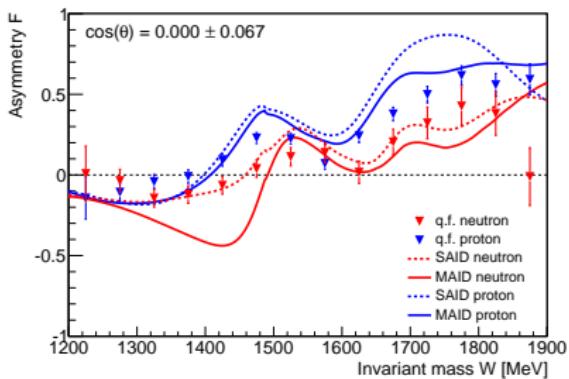
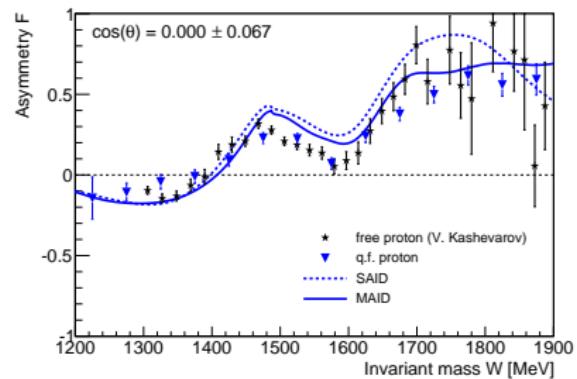


- ▶ Dilution factor  $d = 1 + \int_{MM_{cut}} \Delta MM_{\text{carbon}} / \int_{MM_{cut}} \Delta MM_{\text{deuterium}}$

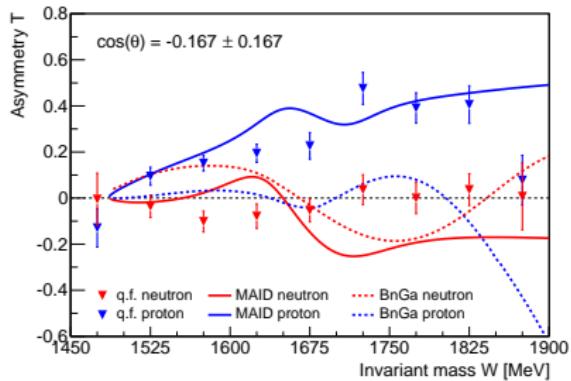
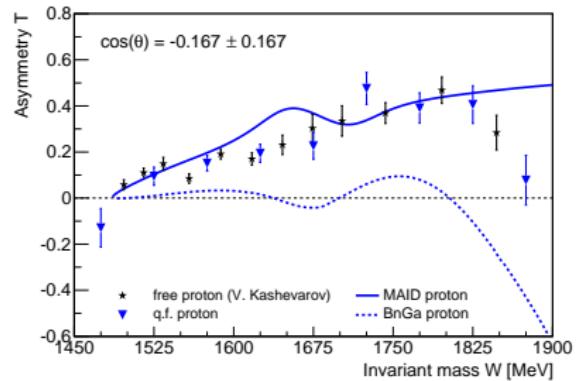
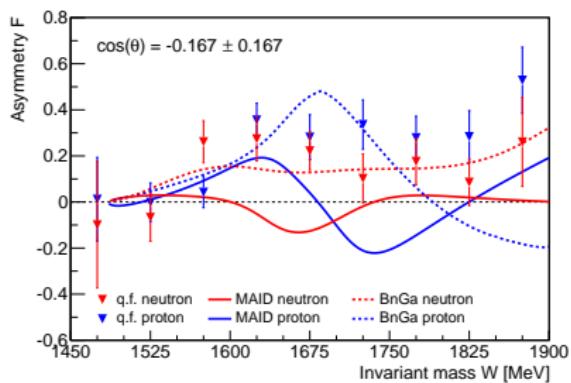
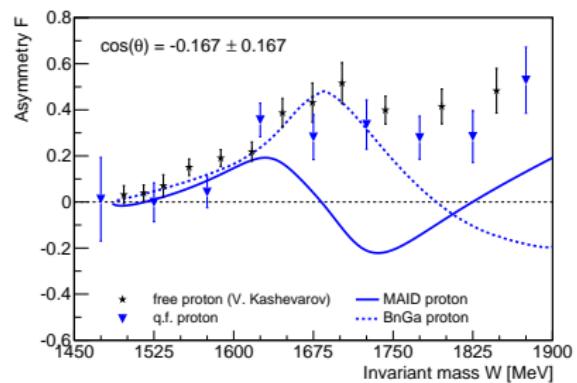
# Selected Results

Selected Results (preliminary)

# $T$ and $F$ for Single $\pi^0$ Photoproduction (preliminary)



# $T$ and $F$ for $\eta$ Photoproduction (preliminary)



# Conclusion

## Conclusion

- ▶ Preliminary results for  $T$  and  $F$  for single  $\pi^0$ - and  $\eta$  photoproduction off quasi free nucleons
- ▶ Very good agreement with free proton data
- ▶ Models fail for ...
  - ... higher energies
  - ... the neutron channel
  - ... the  $\eta$  channel

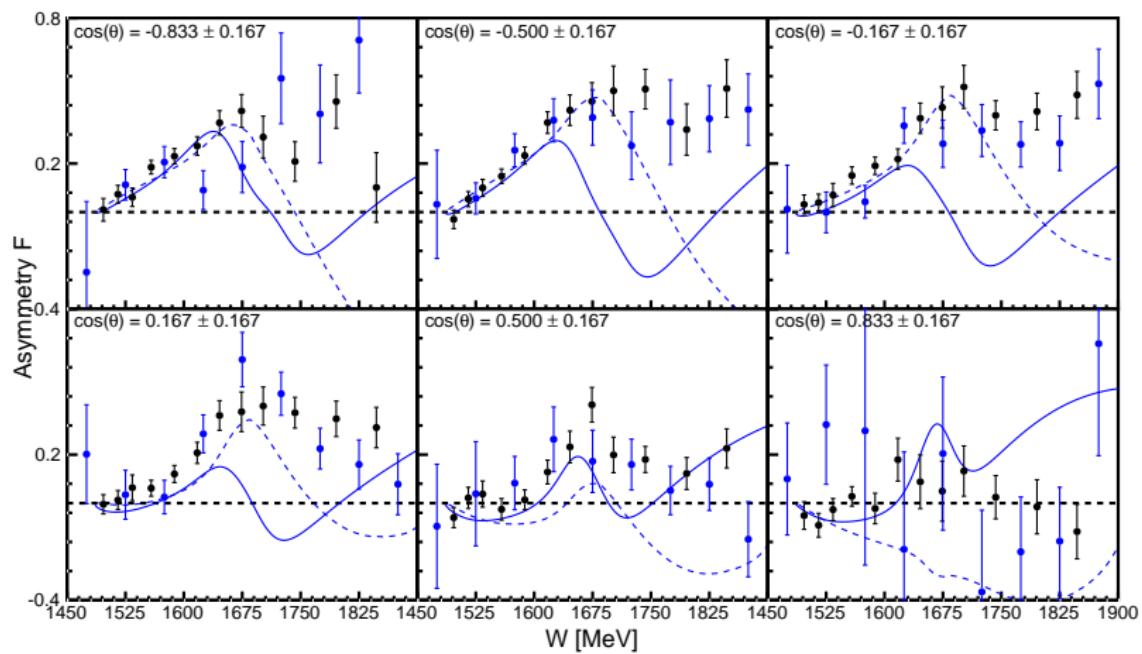
## Outlook

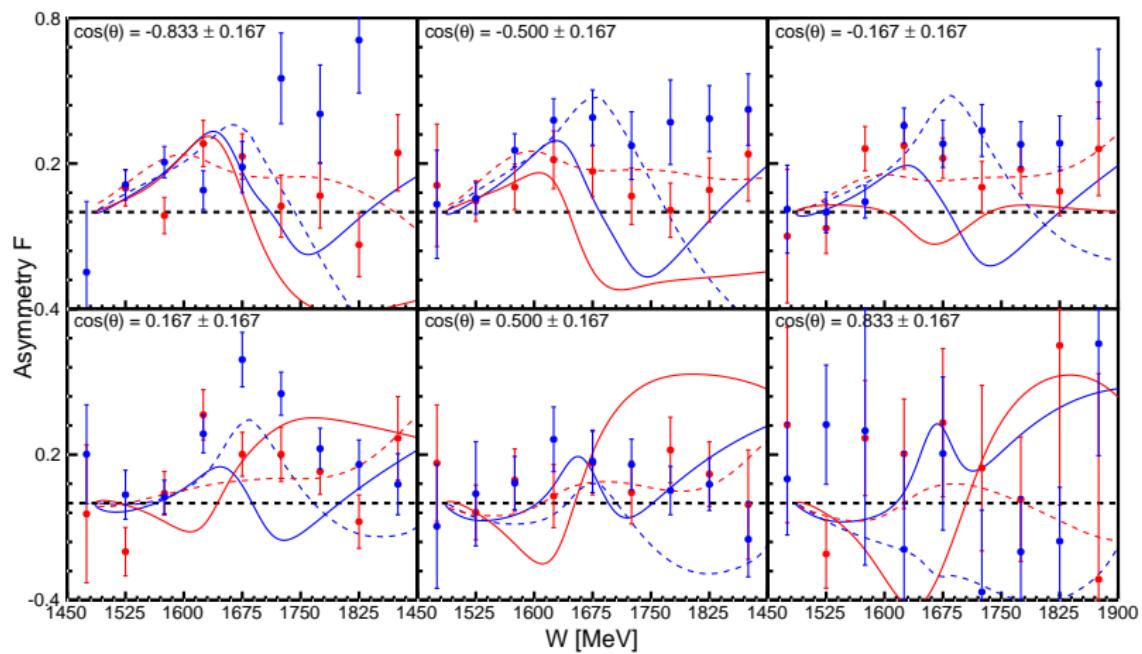
- ▶ Use full statistic (here:  $\pi^0 \approx 70\%$ ,  $\eta \approx 50\%$ )
- ▶ Observables for double meson photoproduction
- ▶ Final results will contribute to the 'complete experiment'  
⇒ Possible impact on models

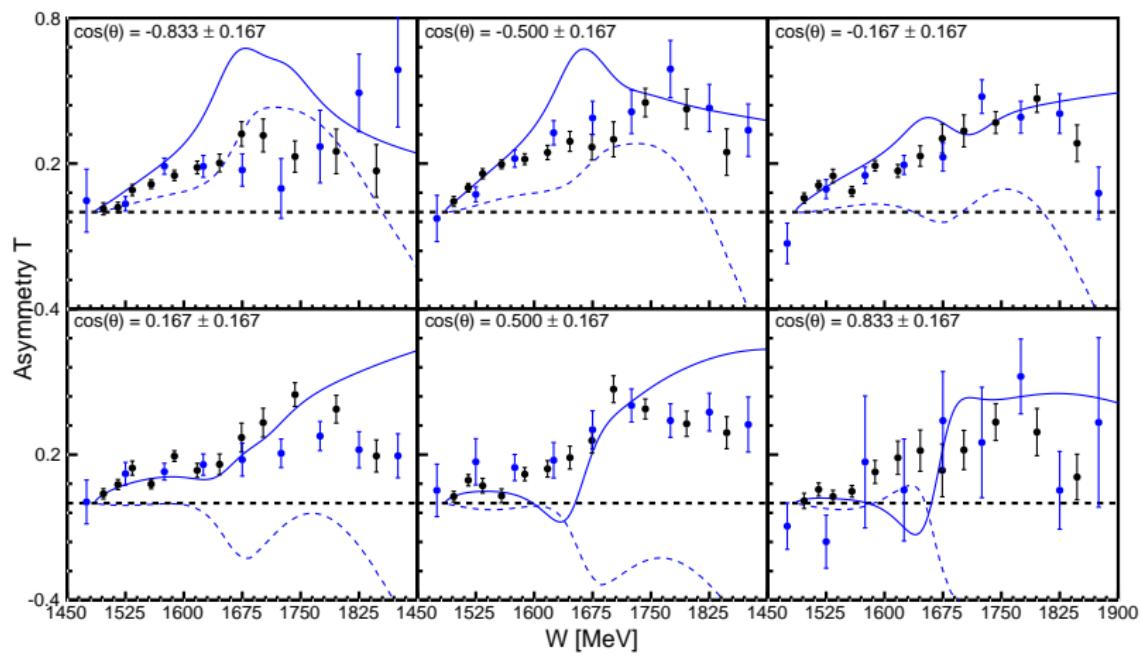
# Thanks

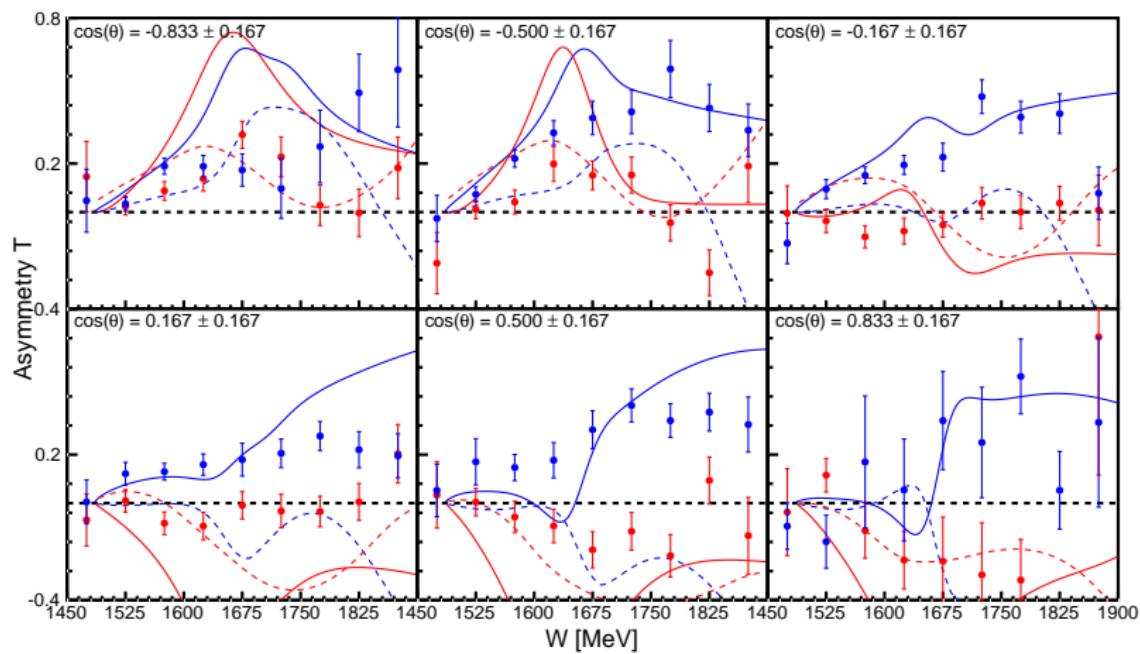
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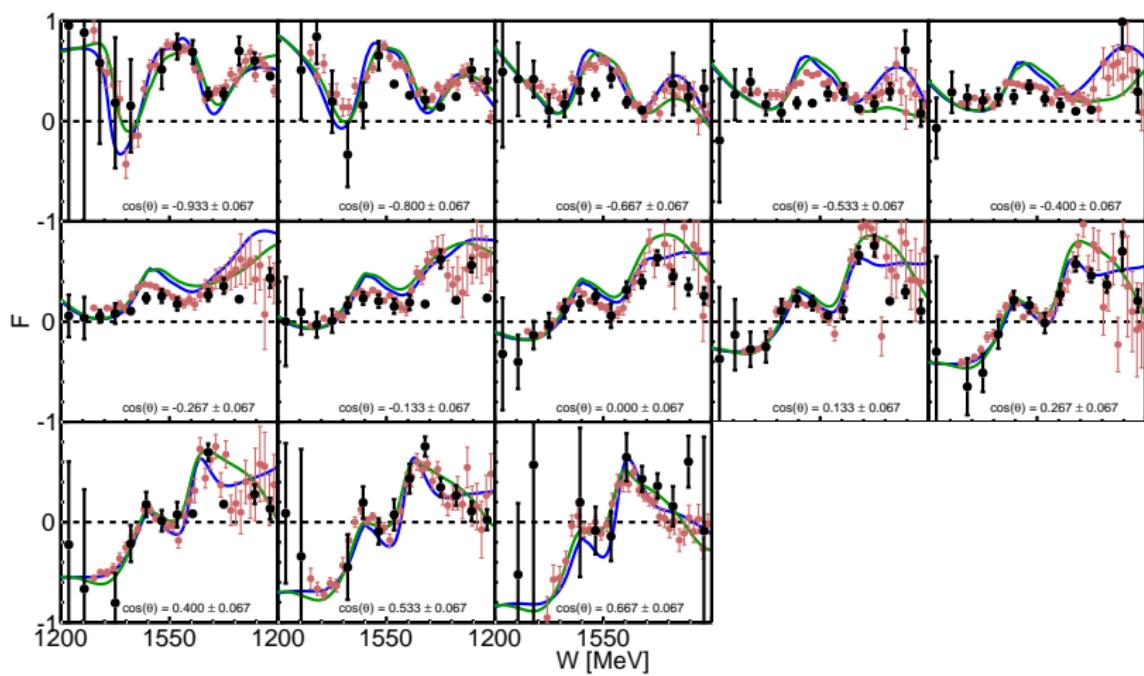
# F: $\eta p$

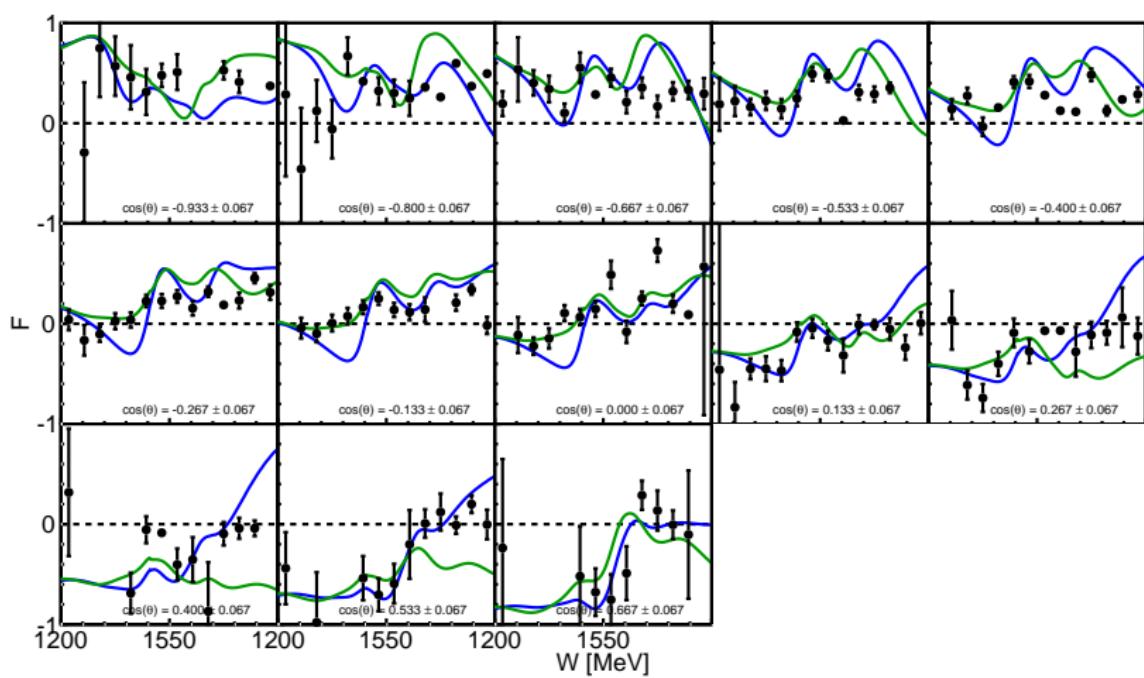


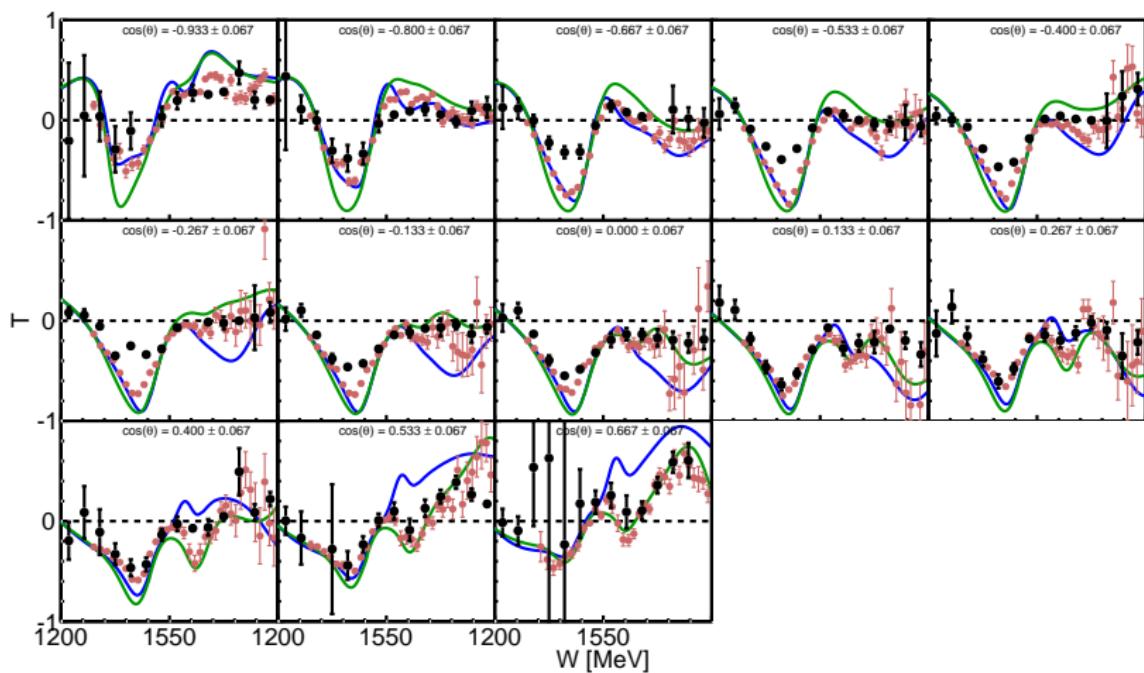
*F: nn*

$T: \eta p$ 

*T: nn*

$F: \pi^0 p$ 

$F: \pi^0 n$ 

$T: \pi^0 p$ 

$T: \pi^0 n$ 