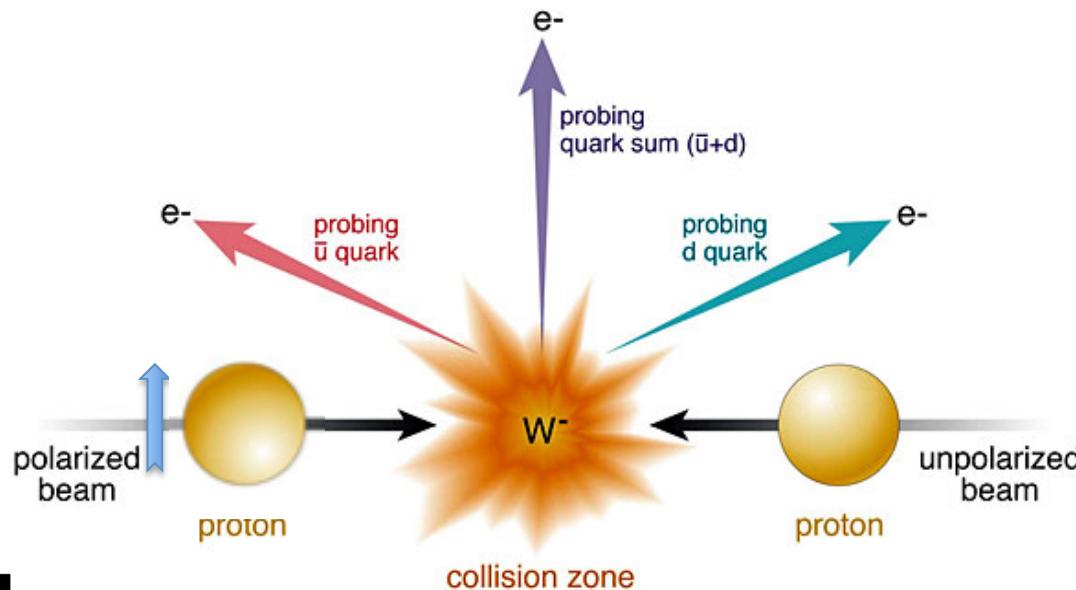


Transverse single-spin asymmetries in W^\pm and Z^0 bosons production in p+p collisions at RHIC

Salvatore Fazio (Brookhaven National Lab)

for the STAR Collaboration

PANIC 2014 – Aug. 25-29 2014

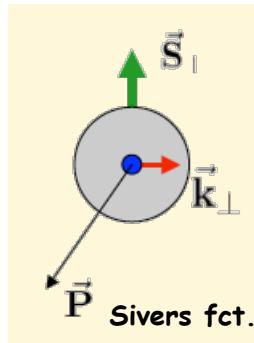


Plan of the talk

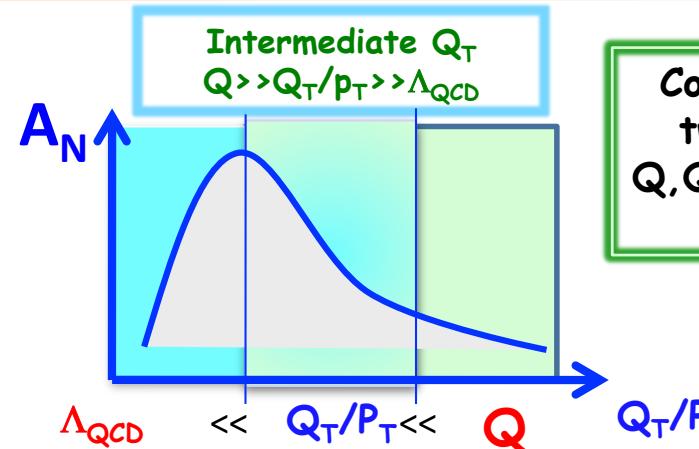
- ❖ Physics motivations
- ❖ The W^\pm selection and A_N measurement
- ❖ The Z^0 selection and A_N measurement
- ❖ Future plans
- ❖ Conclusions

Motivations

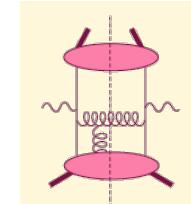
$$A_N \approx \frac{\sigma^\uparrow - \sigma^\downarrow}{\sigma^\uparrow + \sigma^\downarrow}$$



Transverse momentum dependent
 $Q \gg Q_T = \Lambda_{QCD}$
 $Q \gg p_T$



Collinear/twist-3
 $Q, Q_T \gg \Lambda_{QCD}$
 $p_T \sim Q$

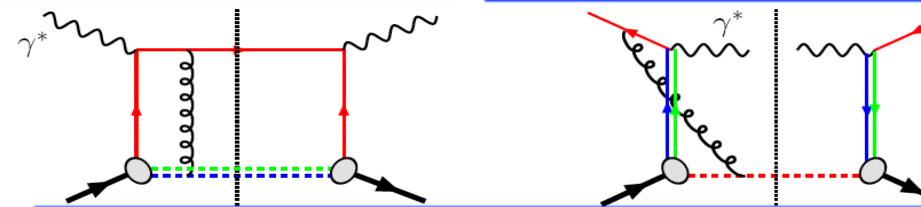


Efremov, Teryaev;
 Qiu, Sterman

QCD:

TMDs need 2 scales Q^2 and p_t
 Remember pp: most observables one scale
 Exception: DY, W/Z, Collins

DIS: γq scattering attractive FSI
pp: q/\bar{q} annihilation repulsive ISI



$$\text{Sivers}_{\text{DIS}} = - \text{Sivers} (\text{DY or W or Z})$$

Twist-3 needs only 1 scale Q^2 or p_t
 But should be of reas. size.
 Applicable to most pp observables $A_N(\pi^0/\gamma/\text{jet})$

The much discussed sign change of the Sivers' function
critical test for our understanding of TMD's and TMD factorization!

Goal: measure sign change and pin down TMD-evolution by measuring A_N for $\gamma, W^\pm, Z^0, \text{DY}$

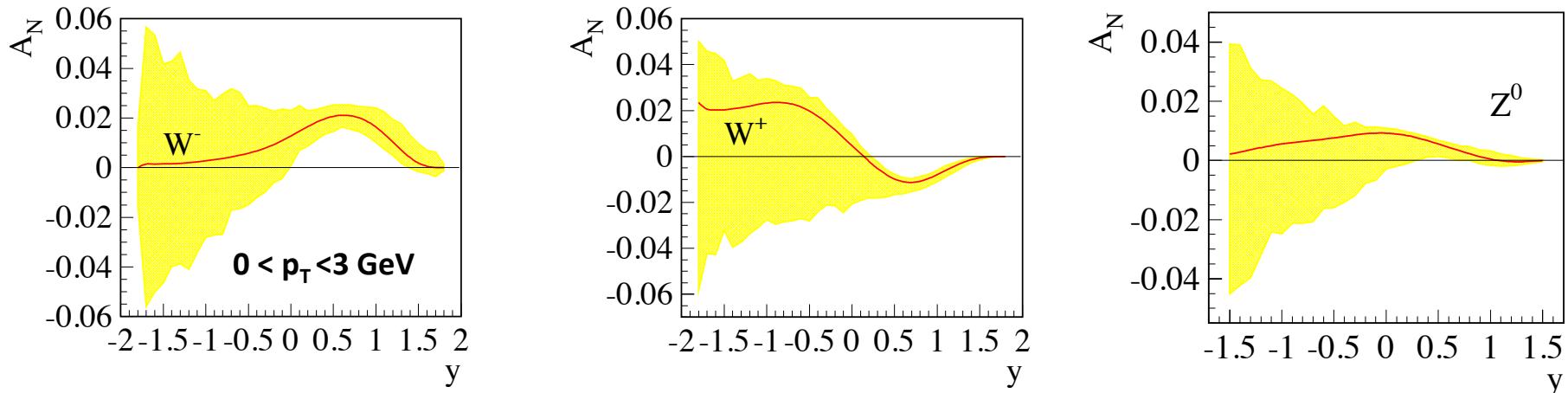
Motivations

- Very high Q^2 -scale ($\sim W/Z$ boson mass)
- No fragmentation function
- Asymmetry from lepton-decay is diluted → Full kin. reconstruction of the boson needed
 - > Z^0 easy to reconstruct (but small cross-section)
 - > W kin. can be reconstructed from the hadronic recoil (first time at STAR)

Sea quarks are mostly unconstrained... but they can give a relevant contribution!

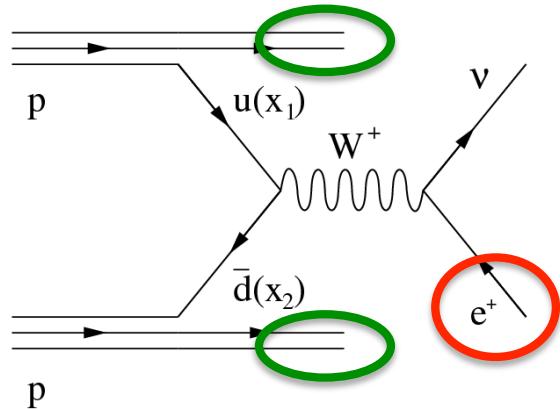
M. G. Echevarria, A. Idilbi, Z-B Kang, and I. Vitev arXiv:1401.5078

Revised error bands (private communication) use positivity bounds for the sea quarks

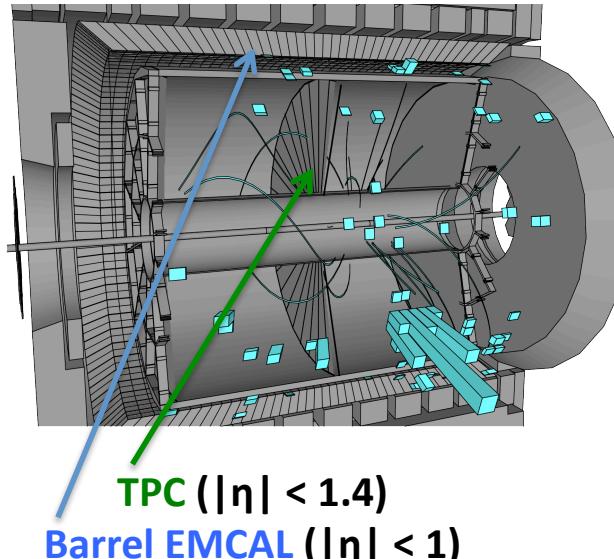


W^\pm data can constrain the sea-quark Sivers function

Strategy



The STAR detector @ RHIC



Ingredients for the analysis

- Isolated electron
- neutrino (not measured directly)
- Hadronic recoil

Select events with the W -signature

- Isolated high $P_T > 25$ GeV electron
- Hadronic recoil with total $P_T > 18$ GeV

Neutrino transverse momentum is reconstructed from missing P_T

$$\vec{P}_T^\nu \approx - \sum_{i \in \text{tracks}_{\text{clusters}}} \vec{P}_T^i$$

Neutrino's longitudinal momentum is reconstructed from the decay kinematics

$$M_W^2 = (E_e + E_\nu)^2 - (\vec{p}_e + \vec{p}_\nu)^2$$

Data & MC

PYTHIA tuning

Monte Carlo

- PYTHIA reconstructed through GEANT simulated STAR detector
- Perugia tune with hard $P_T > 10 \text{ GeV}$
- PYTHIA embedded into real zero-bias pp events

Data sample

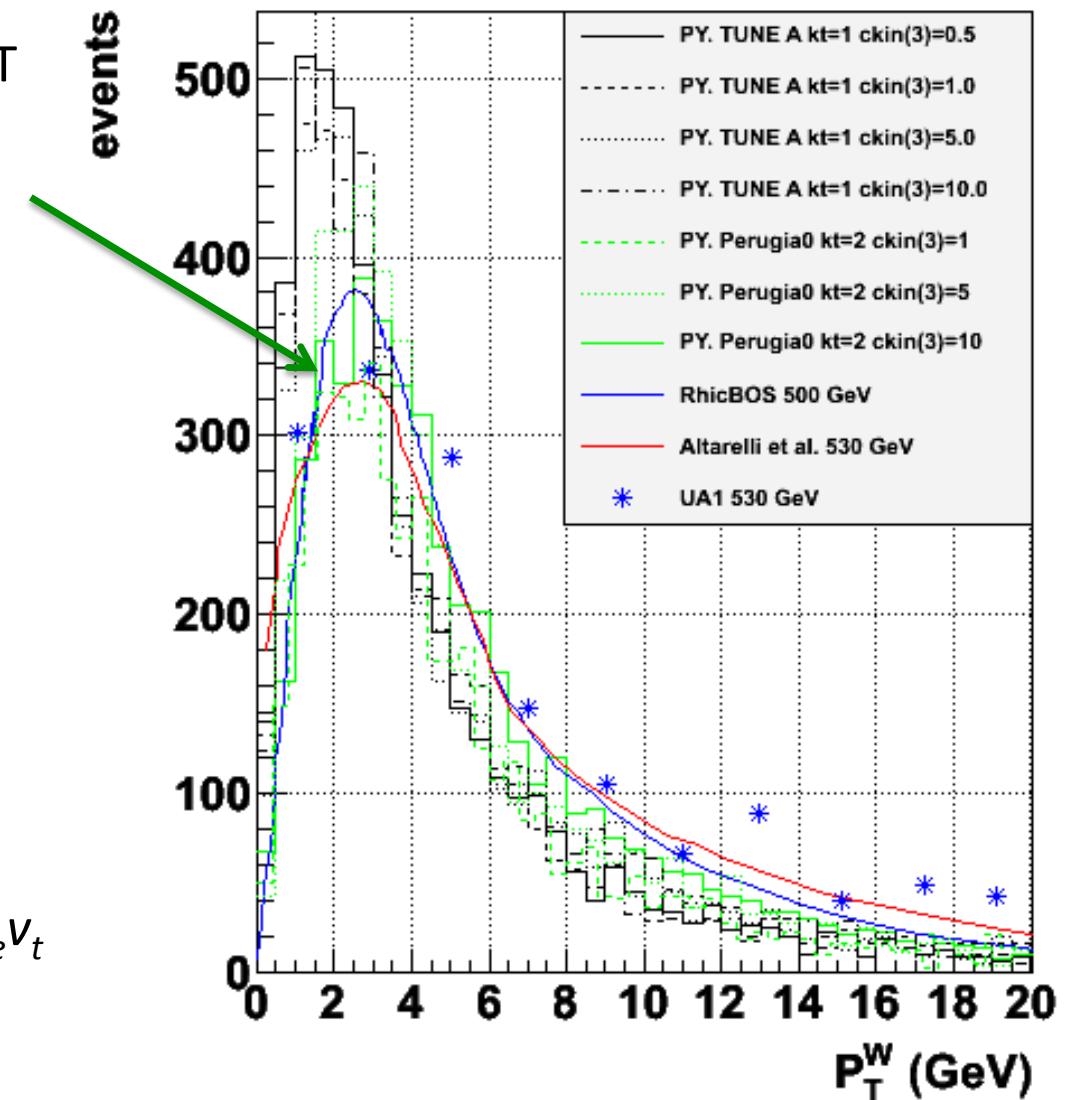
- pp – transverse (collected in 2011) @ $\sqrt{s} = 500 \text{ GeV}$
- Integrated luminosity: $\sim 25 \text{ pb}^{-1}$
- Events triggered in Barrel EMCAL

Signal

$$W \rightarrow e v_e$$

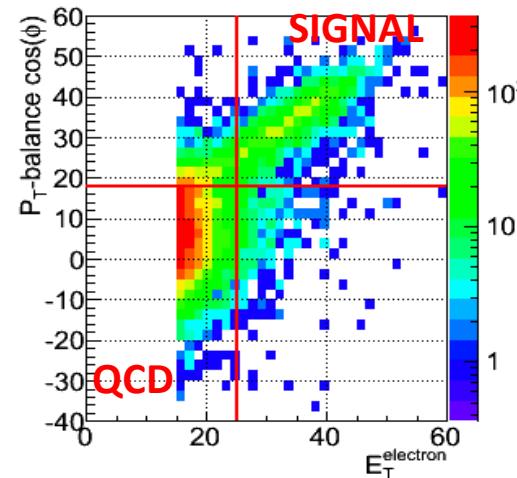
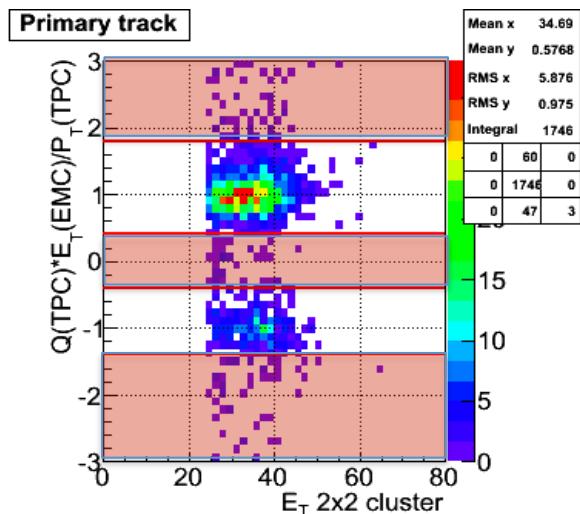
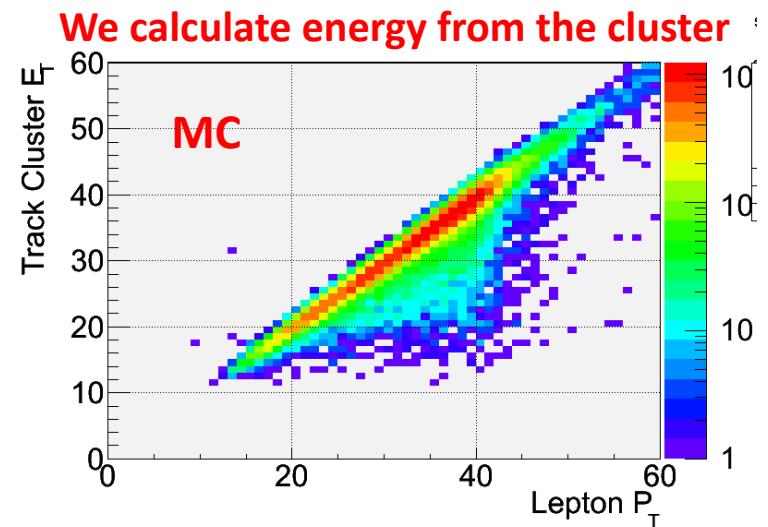
Background

$$\begin{aligned} W \rightarrow t v_t \rightarrow e v_e v_t \\ Z \rightarrow ee \\ QCD \text{ events} \end{aligned}$$



Electron identification

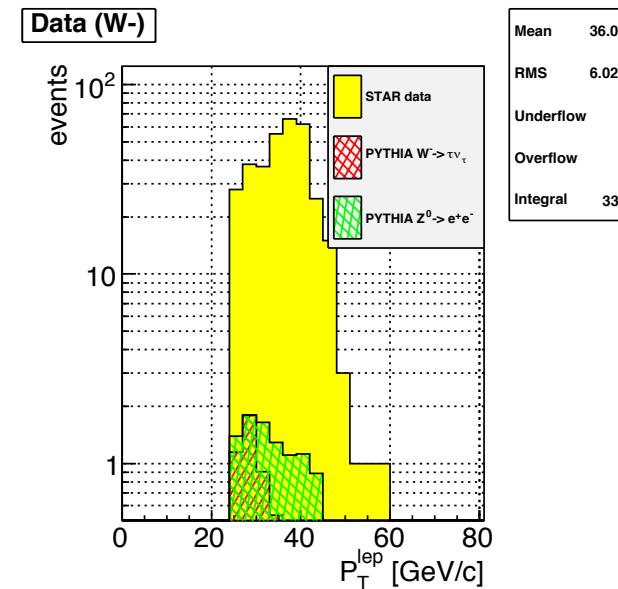
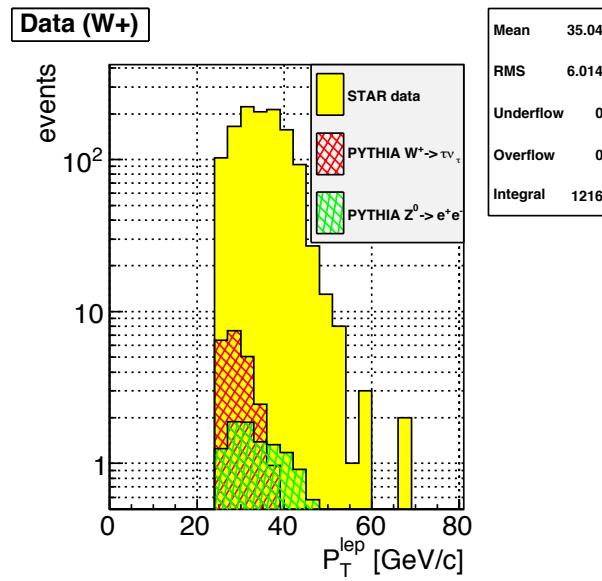
- **Isolation:** $(P_{\text{track}} + E_{\text{cluster}}) / \sum [P_{\text{tracks}} \text{ in } R=0.7 \text{ cone}] > 0.8$
- **Imbalance:** no energy in opposite cone ($E < 20 \text{ GeV}$)
- **$E_T > 25 \text{ GeV}$**
- Track $|\eta| < 1$
- $|Z\text{-vertex}| < 100 \text{ cm}$
- **Charge separation** (avoids charge misidentification):
 $0.4 < |\text{Charge (TPC)} \times E_T (\text{EMC}) / P_T (\text{TPC})| < 1.8$
- Signed P_T balance $> 18 \text{ GeV}$ (**rejects QCD Background**)



$$\vec{P}_T^{bal} = \vec{P}_T^e + \sum \vec{P}_T^{recoil}$$

Background estimation

Background estimated via MC normalized to recorded data luminosity



- Positive-charge signal **1216 events**
- $Z \rightarrow ee$
- $W^+ \rightarrow tv_t$

W⁺ sample

$Z^0 \rightarrow ee = 10.71$ events [B/S = 0.88%]
 $W^+ \rightarrow tv_t = 22.92$ events [B/S = 1.88%]

- Negative-charge signal **332 events**
- $Z \rightarrow ee$
- $W^- \rightarrow tv_t$

W⁻ sample

$Z^0 \rightarrow ee = 9.77$ events [B/S = 2.94%]
 $W^- \rightarrow tv_t = 4.62$ events [B/S = 1.39%]

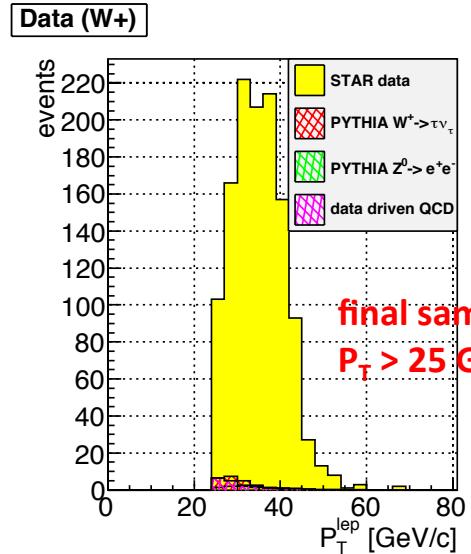
QCD background estimation

Data-driven QCD background estimation

- Reverse of P_T -balance cut [PT-balance < 15 GeV] → Selects QCD events
- Plot lepton- P_T > 15 GeV
- QCD sample normalized to the first P_T -bin [15-19 GeV]

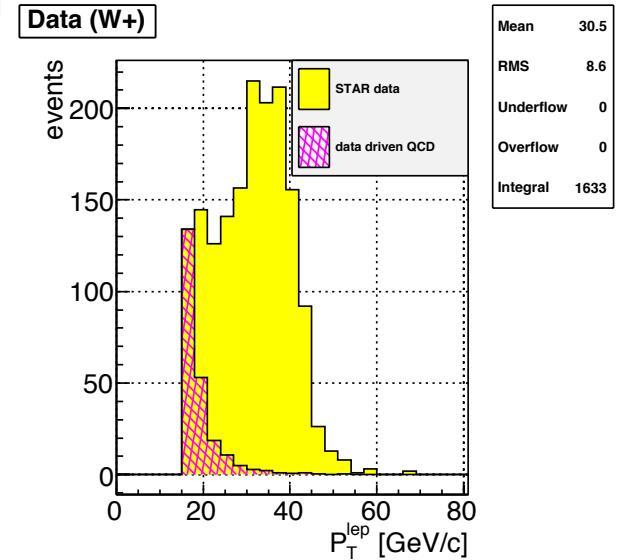
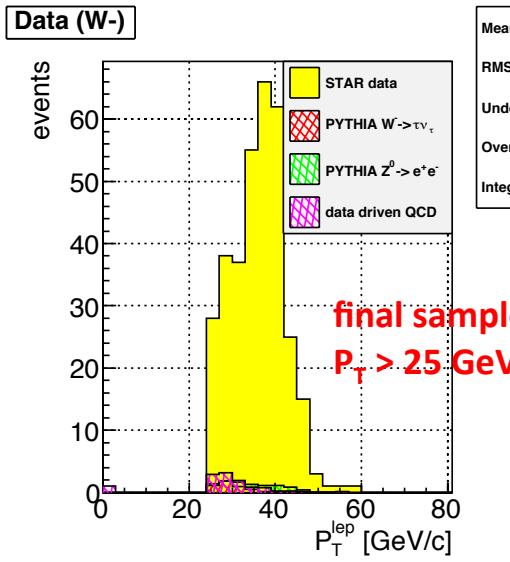
W^+ sample

$QCD = 19.37$ events
[B/S = 1.59%]



W^- sample

$QCD = 11.30$ events
[B/S = 3.40%]



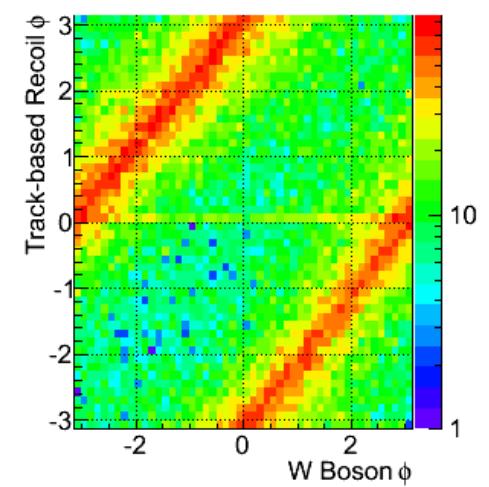
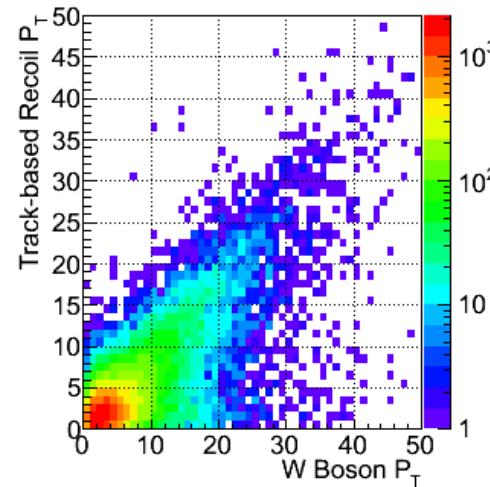
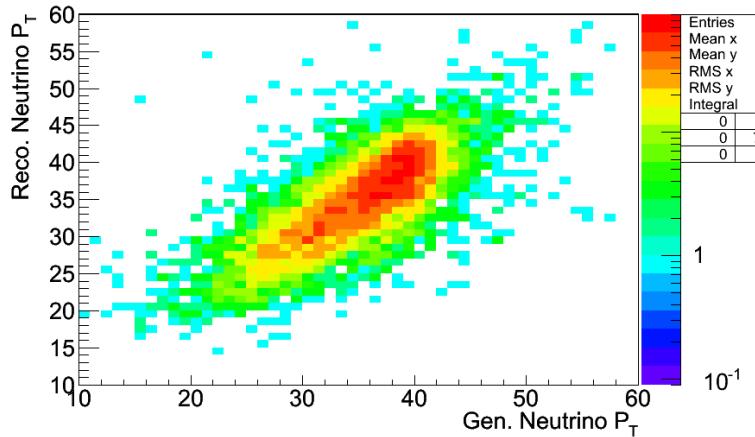
COMMENTS:

- Backgrounds under control!
- $Z \rightarrow e^+ e^-$ expected to have a comparable asymmetry

W P_T reconstruction

We calculate the recoil summing up all tracks and trackless electromagnetic clusters

- Matching track is a track which extends to the BEMC and matches a firing tower (< 7 cm)
- Trackless tower is a firing tower in the BEMC with no matching tracks and Energy > 200 MeV
- Recoil is calculated summing the momenta of all tracks which do not belong to the electron candidate + all firing trackless towers



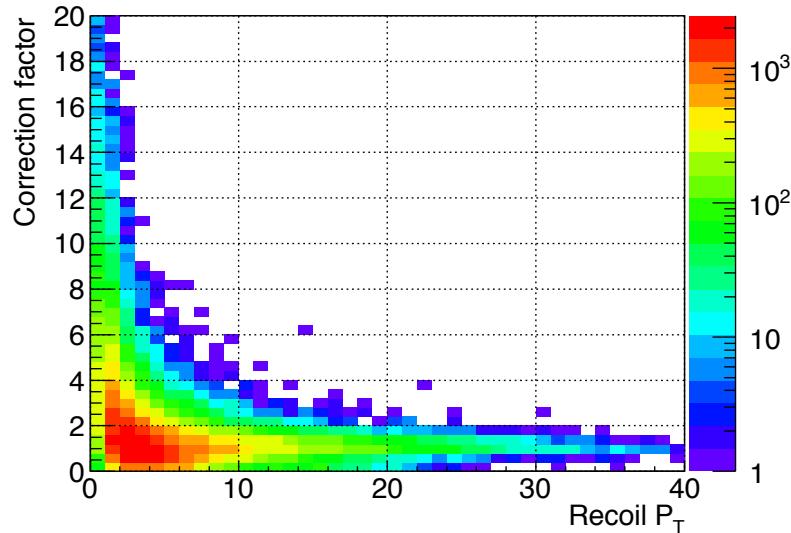
✓ In transverse plane: $\vec{P}_T^W = \vec{P}_T^e + \vec{P}_T^\nu = -\vec{P}_T^{recoil}$

✓ Recoil reconstructed using tracks and towers:

$$\sum_{\substack{i \in \text{tracks} \\ \text{clusters}}} \vec{P}_T^i$$

✓ Part of the recoil not within STAR acceptance → MC correction applied

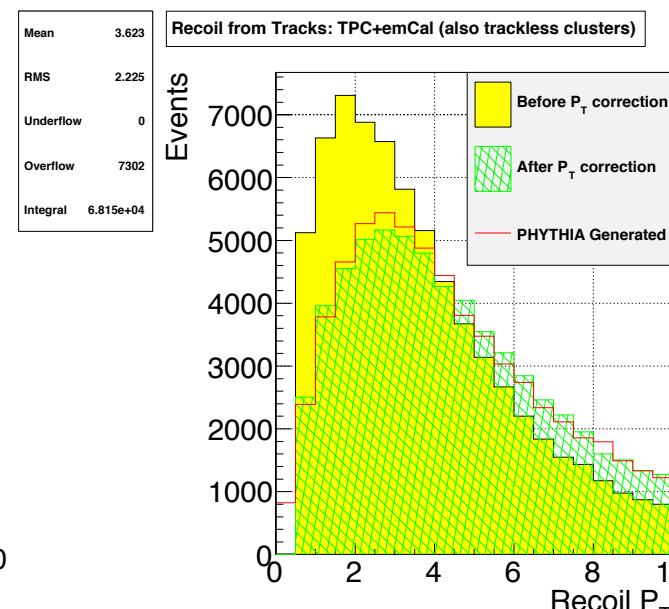
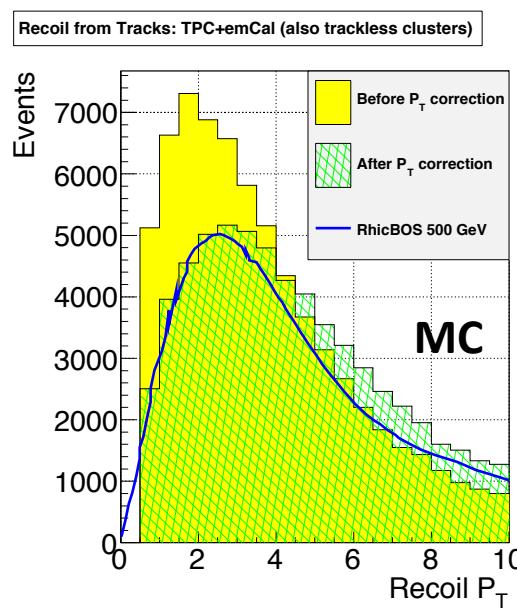
Monte Carlo correction



$$k_i = \frac{P_{T,i}^W(\text{true})}{P_{T,i}^{\text{Recoil}}(\text{reconstructed})}$$

The Correction method –

- ✓ Read recoil P_T bin from data
- ✓ Project correction factor for corresponding P_T -bins
- ✓ Normalize the projection distribution to 1
- ✓ Pick a correction value sampled from the projection distribution



MC test:

After MC correction

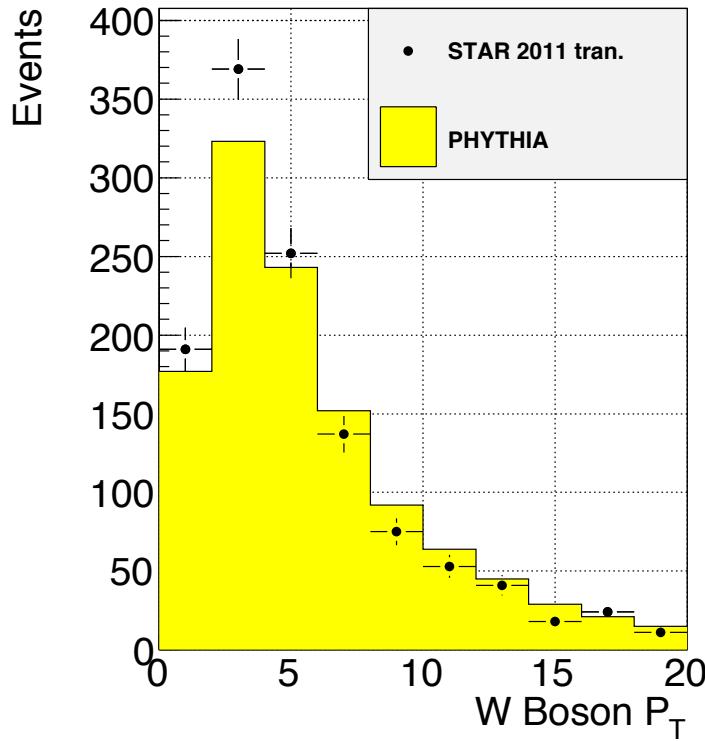
→ very good agreement with
RhicBOS (fully re-summed
NNL/NLO calculation) and
PYTHIA predictions

W P_T – Data/MC

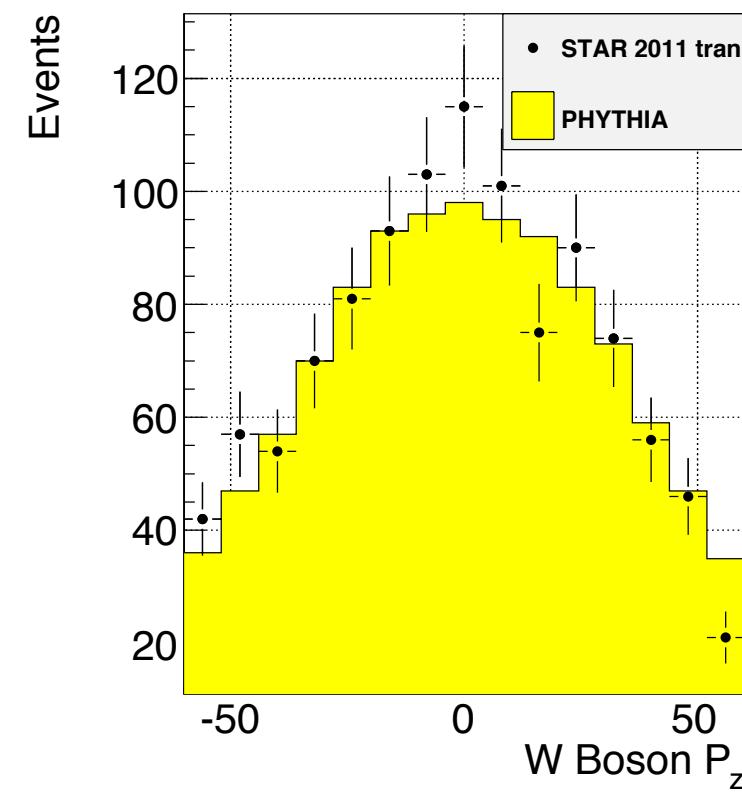
We add to our selection:

- Track- P_T in the recoil > 0.2 GeV
- Total recoil- P_T > 0.5 GeV

W+ sample



W+ sample



Mean	-1.479
RMS	29.14
Underflow	82
Overflow	64
Integral	1078

GOOD data/MC agreement after P_T correction

W P_Z reconstruction

- ✓ W longitudinal momentum (along z) can be calculated from the invariant mass.

Currently we assume constant M_W (for W produced on shell)

$$M_W^2 = (E_e + E_\nu)^2 - (\vec{p}_e + \vec{p}_\nu)^2$$

- ✓ Neutrino longitudinal momentum component from quadratic equation

$$|\vec{p}_T^e|^2 (p_z^v)^2 - 2A p_z^e p_z^v + |\vec{p}_T^v|^2 |\vec{p}^e|^2 - A^2 = 0, \quad \text{where} \quad A = \frac{M_W^2}{2} + \vec{P}_T^e \cdot \vec{P}_T^v$$

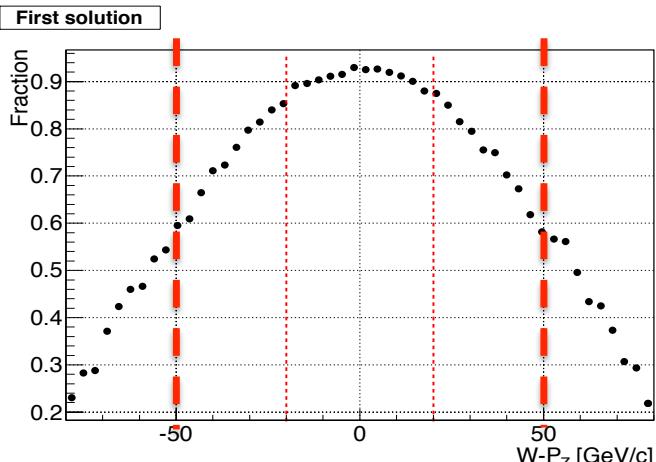
- ✓ **Two solutions!**

Smaller |Pz| → first solution
Larger |Pz| → other solution

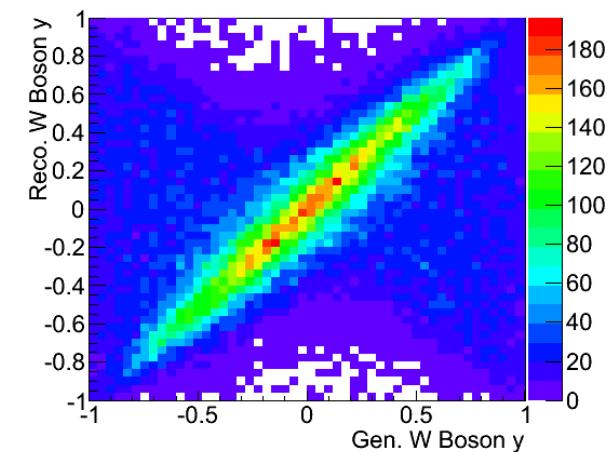
We select the first solution →

better *Fraction of correctly reconstructed events*

(Pz is reconstructed within +/- 30 GeV)



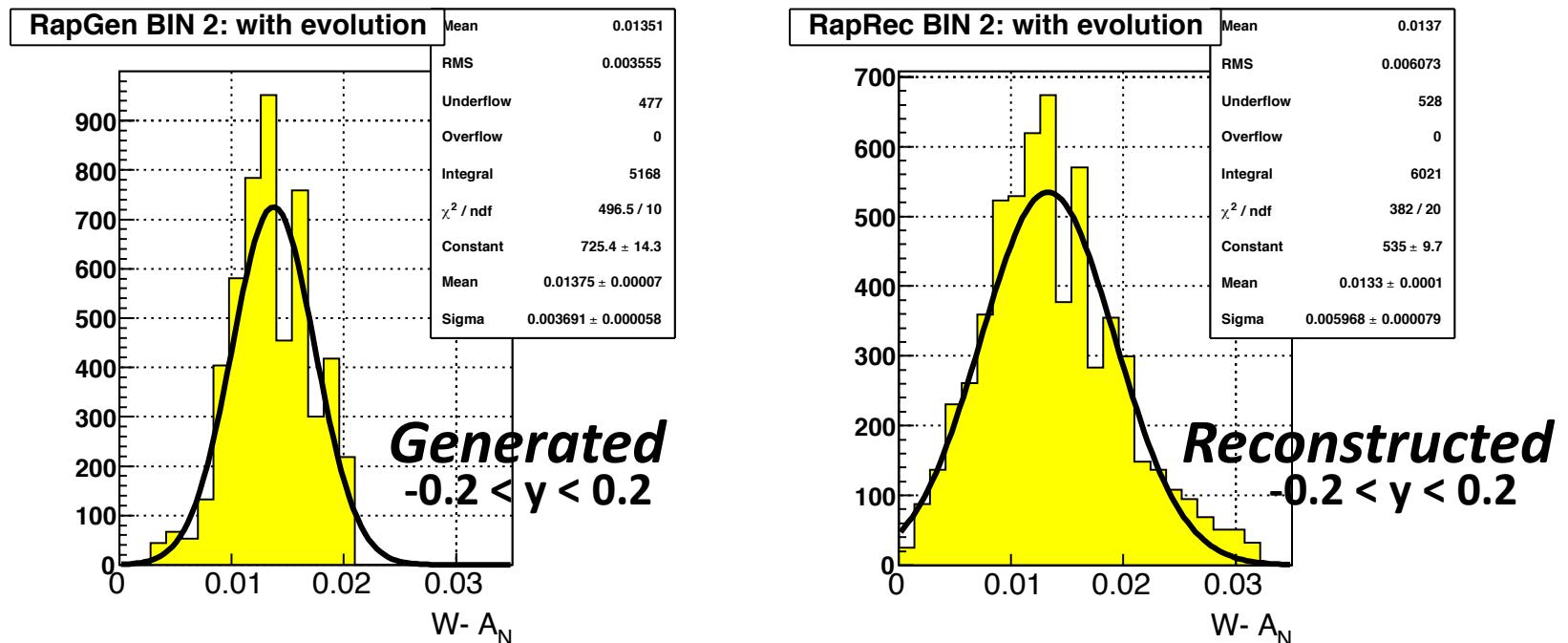
We cut at
 $|Pz| < 50 \text{ GeV} \rightarrow |W-y| < 0.6$
to minimize
misreconstructions



NOTE: We only use the **first solution**. This can be improved at a later stage.

MC challenge - systematics

- Tables (W rapidity- P_T bins) for A_N prediction with evolution given by Z-B Kang [arXiv:1401.5078]
- Use PYTHIA MC prediction for W^- (the A_N prediction is always positive)
- Assign each prediction value from the tables according to the generated values of W-rapidity and P_T
- After the event is fully reconstructed we look at the P_T distributions of A_N



- We fit a Gaussian distribution and compare the means
- We rely on the fact that the input asymmetry has the same dependence as the data

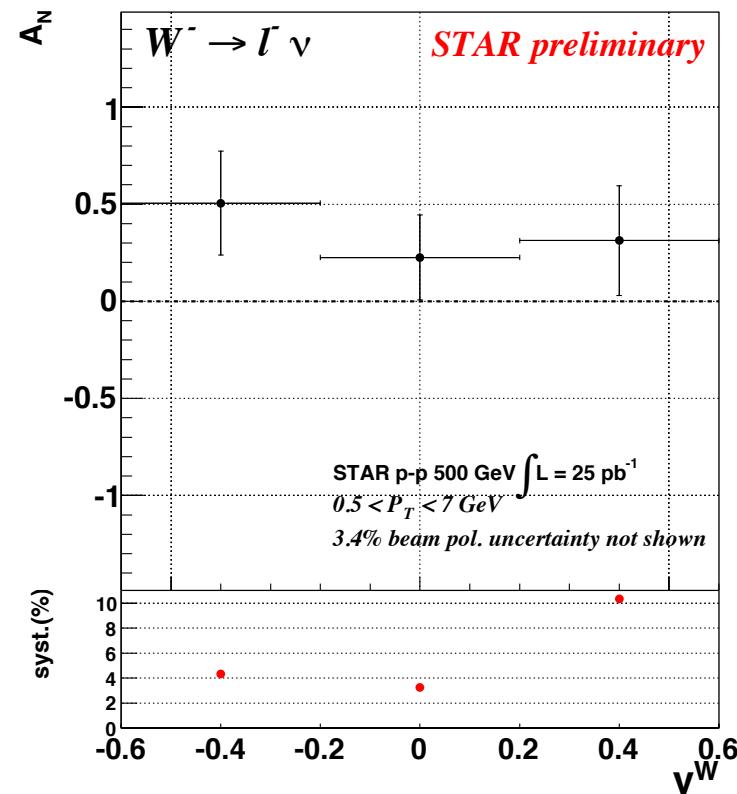
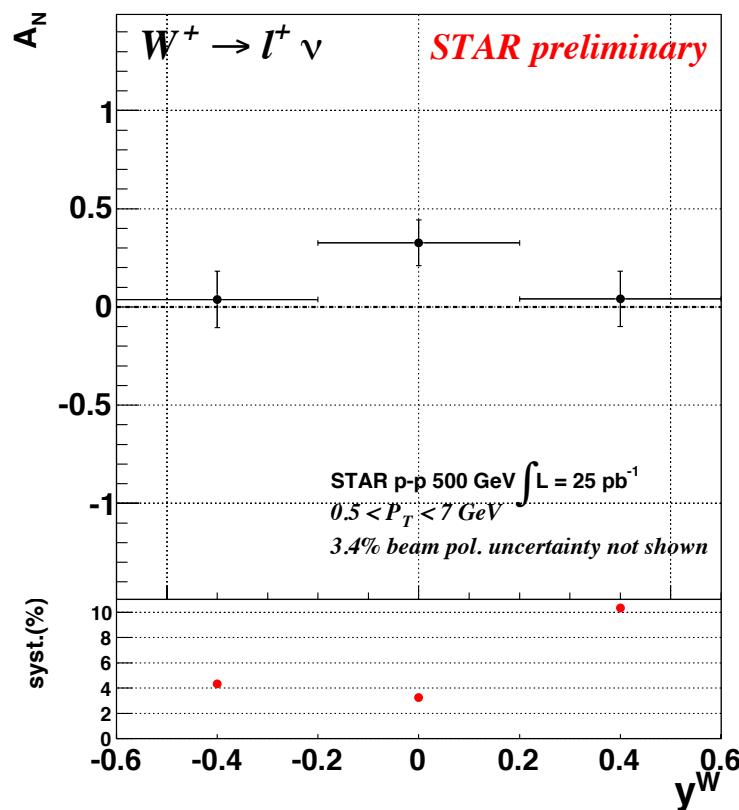
The same is done for $W-P_T$

A_N vs W-rapidity

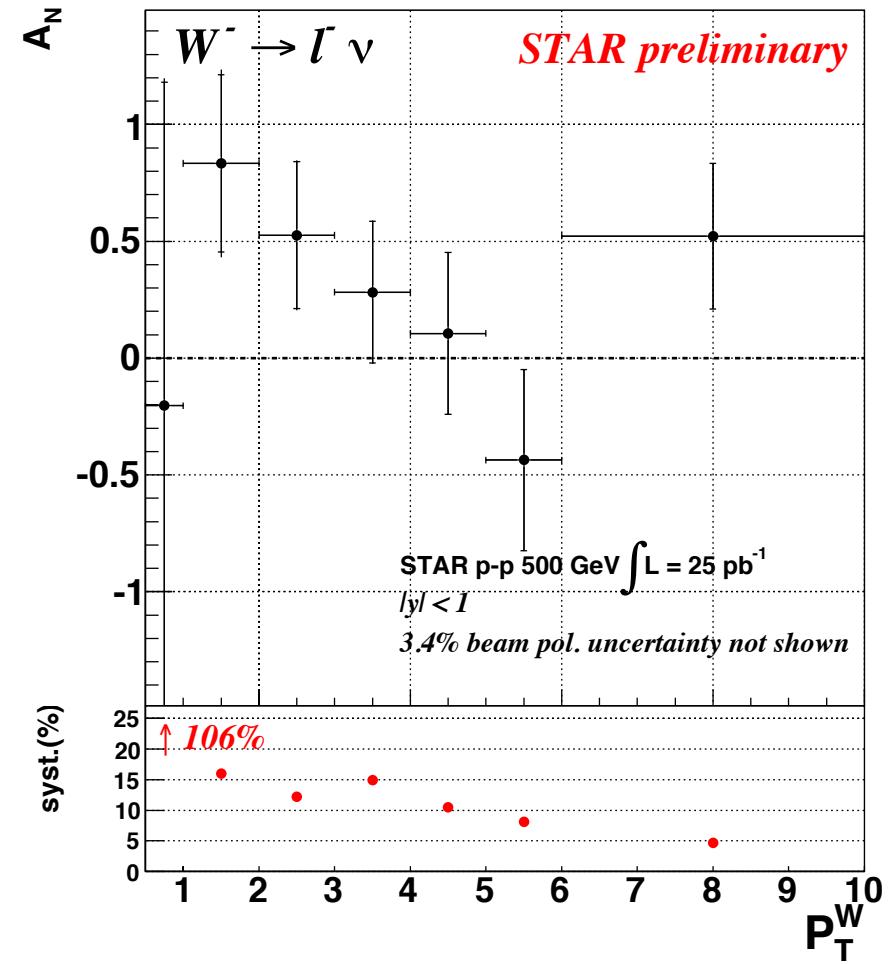
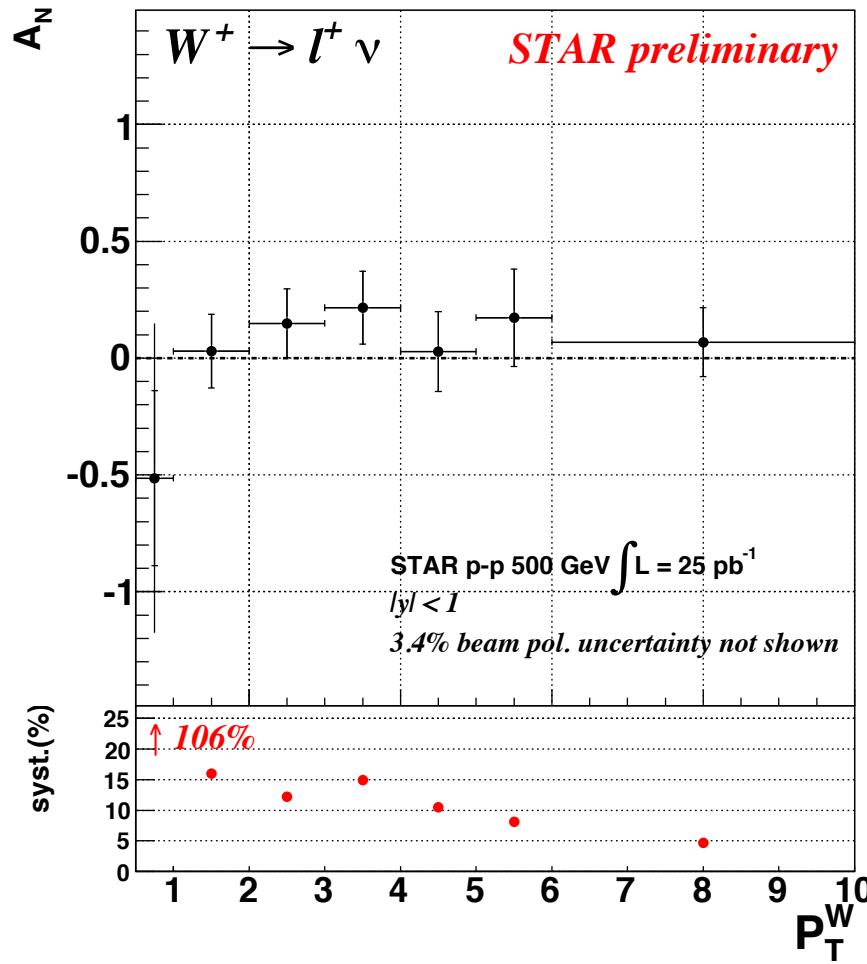
- ✓ We fit $\sin(\phi)$ modulation with phase = $\pi/2$
- ✓ Average RHIC polarization for 2011 transverse p-p data → $P = 53\%$

We use the “left-right” formula to cancel dependencies on geometry and luminosity (in backup slides)

$$A_N \approx \frac{1}{P} \frac{\sqrt{N_R^{\uparrow} N_L^{\downarrow}} - \sqrt{N_L^{\uparrow} N_R^{\downarrow}}}{\sqrt{N_R^{\uparrow} N_L^{\downarrow}} + \sqrt{N_L^{\uparrow} N_R^{\downarrow}}}$$



A_N vs W - P_T

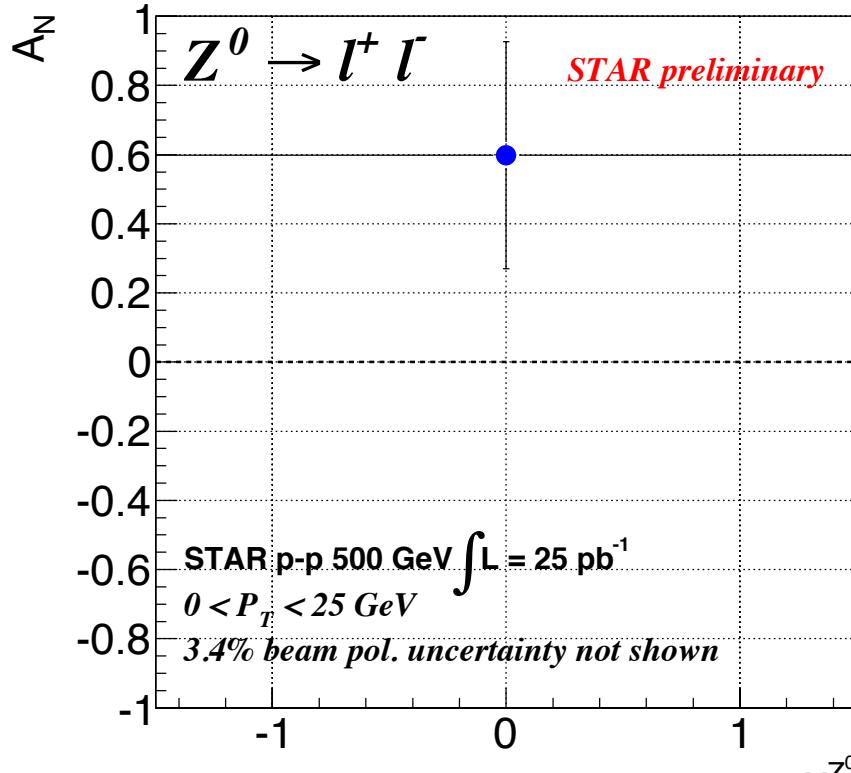


Z⁰ Asymmetry

$pp \rightarrow Z^0 \rightarrow e^+ e^-$

- Clean experimental momentum reconstruction
- Negligible background
- electrons rapidity peaks within tracker accept. ($|\eta| < 1$)
- Statistics limited

A_N measured in a single y, P_T bin

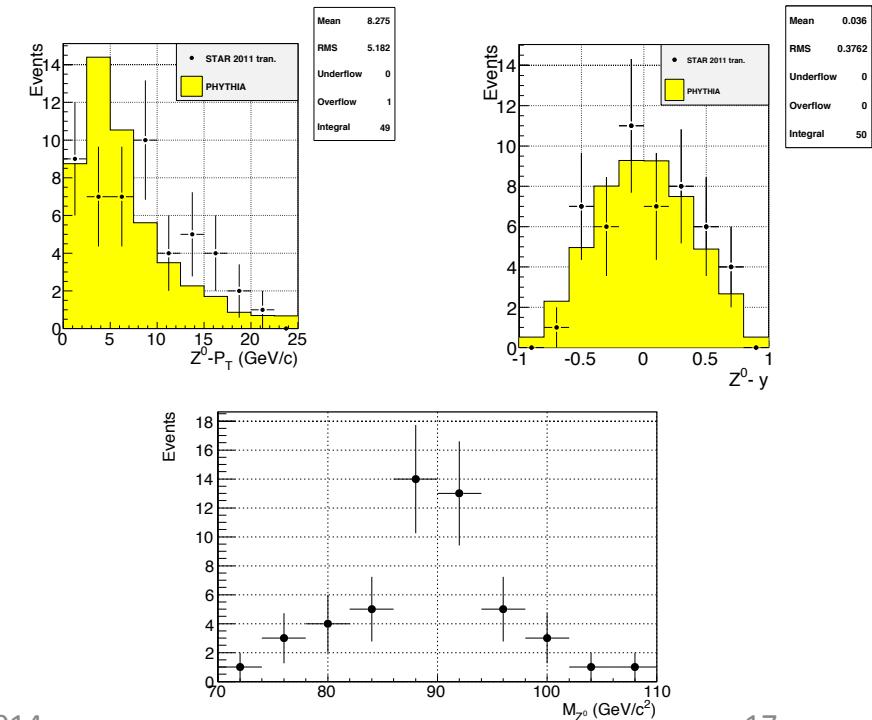


Aug. 25, 2014

Z⁰ boson selection criteria

- Two tracks each pointing to a cluster (no isolation requirements)
- $E_T > 25 \text{ GeV}$ for both candidates
- The two candidate tracks have opposite charge
- $|Z_{\text{vertex}}| < 100 \text{ cm}$
- Invariant Mass within $\pm 20\%$ from the nominal M_Z

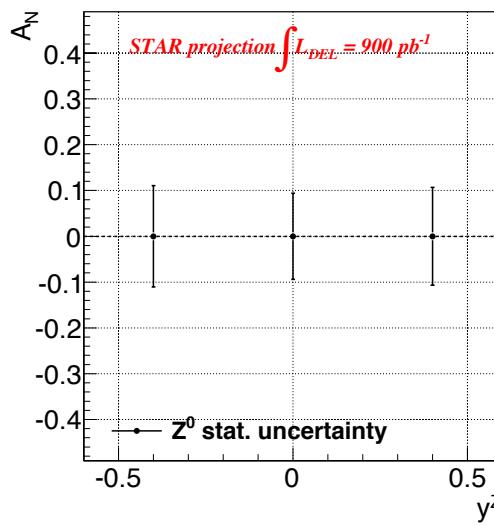
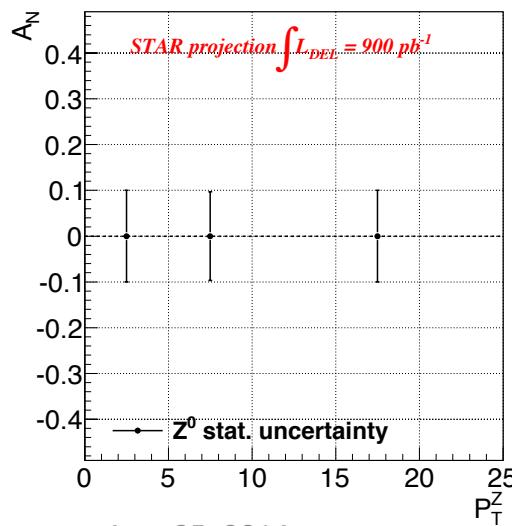
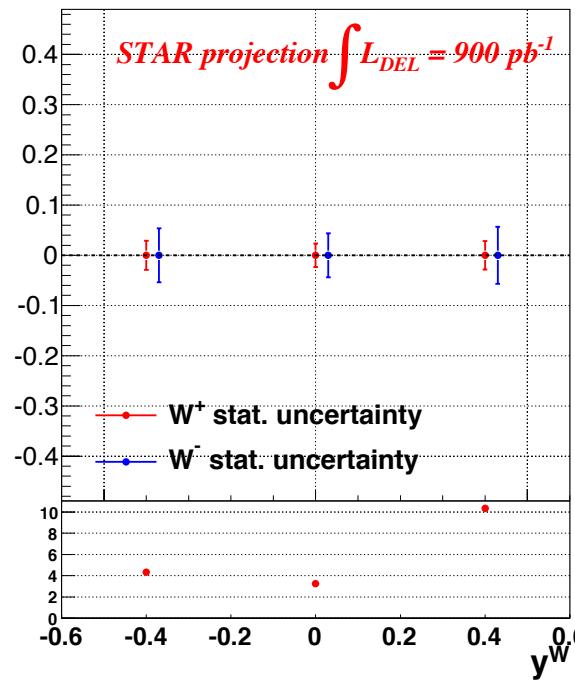
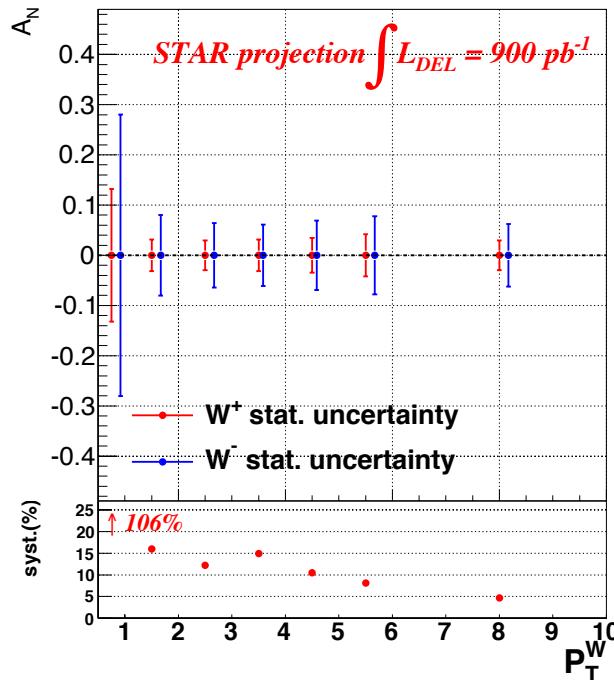
2011 pp-tran. $\sim 25 \text{ pb}^{-1}$: **50 events** pass selection



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...and the future?



Aug. 25, 2014

RHIC is capable of delivering ~900 pb⁻¹ transverse p-p in 2016

- Possibility for significantly measure A_N for Ws within a few % in several W- P_T , y bins.
- Syst. from 2011 analysis rely on predictions and can be improved with more data
- Possibility to measure the very clean Z^0 channel.

Goal: measure sea-quark Sivers and pin down TMD-evolution

How?

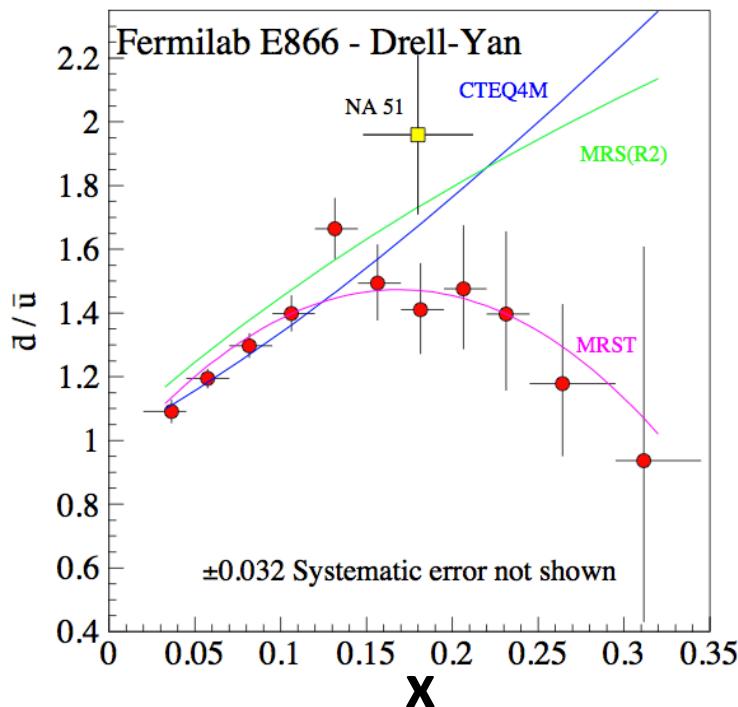
- Measure A_N for γ , W^\pm , Z^0 , DY
- DY and W^\pm , Z^0 give Q^2 evolution
- W^\pm give sea-quark Sivers
- All three A_N give sign change

Summary

- First measurement of A_N for W^\pm and Z^0 production at RHIC by reconstruction of the boson kinematics, using a sample of 25 pb^{-1} transverse p-p data @ $\sqrt{s} = 500 \text{ GeV}$ collected by STAR
- Systematic uncertainties are constrained within < 15%
- A_N in the Z^0 boson channel → clean & background free, but need lumi
- We have a proof-of principle → A_N for Ws can be measured at STAR, new RHIC data (we requested to deliver up to $L \sim 900 \text{ pb}^{-1}$) can give statistical significance to test the Sivers' sign change and pin down TMD evolution
- RHIC run 2016: STAR can have access to A_N for γ , W^\pm , Z^0 , DY in a single experiment, simultaneously!

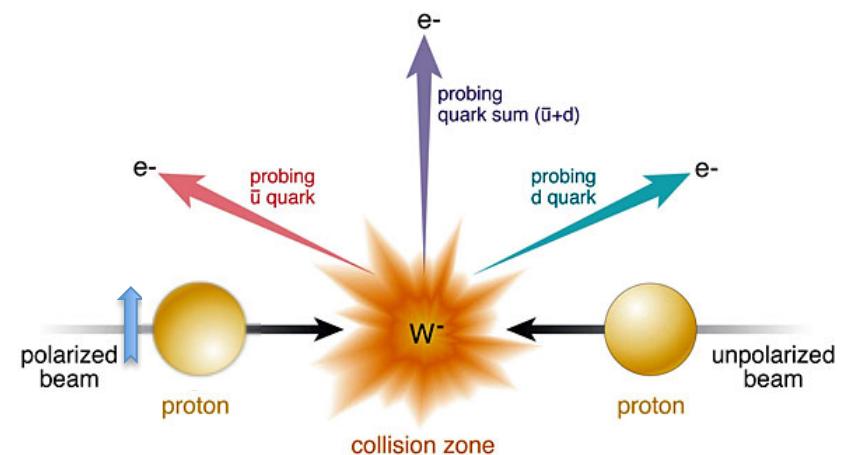
BACKUP

Motivations



The W^\pm/Z^0 transverse asymmetry:

- Very high Q^2 -scale ($\sim W/Z$ boson mass)
- No fragmentation function
- Asymmetry from lepton-decay is diluted
→ Full kin. reconstruction of the boson needed



Processes:

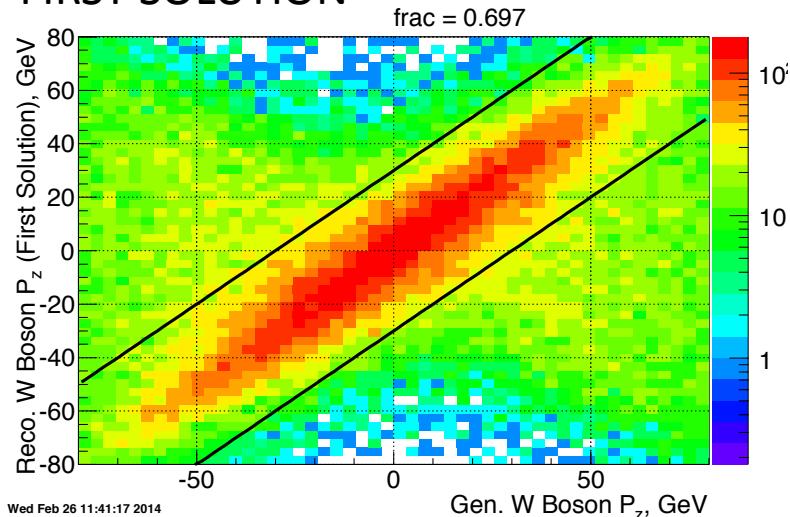
$$W \rightarrow e \bar{\nu}_e$$

$$Z^0 \rightarrow e^+ e^-$$

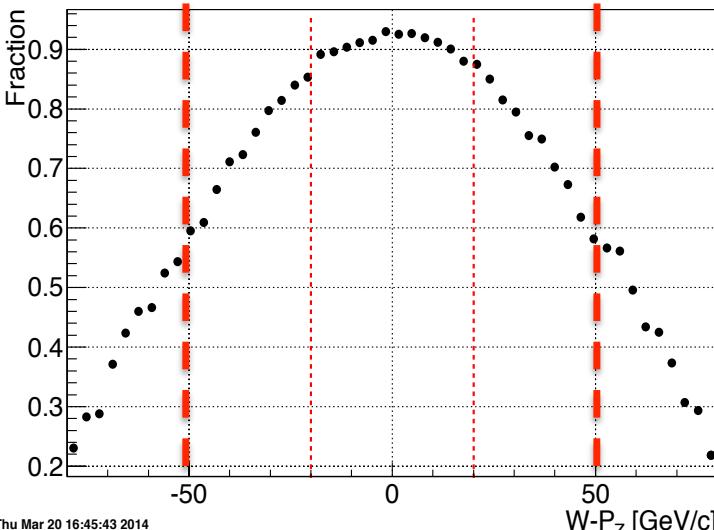
W P_z reconstruction

Determine the fraction for correctly reconstructed events (for both solutions)

FIRST SOLUTION

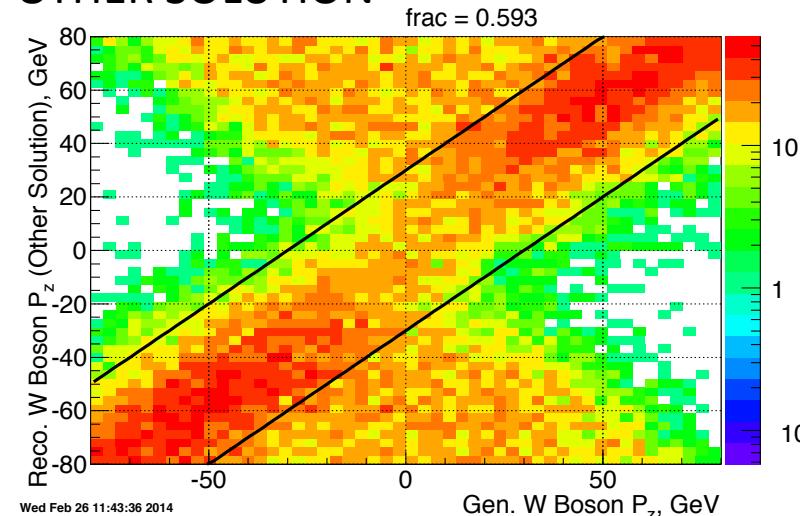


First solution

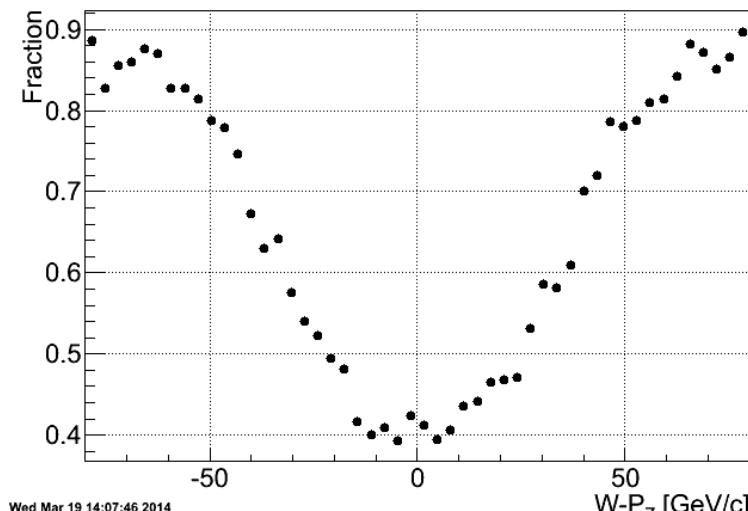


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OTHER SOLUTION



Other solution



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Rapidity binning

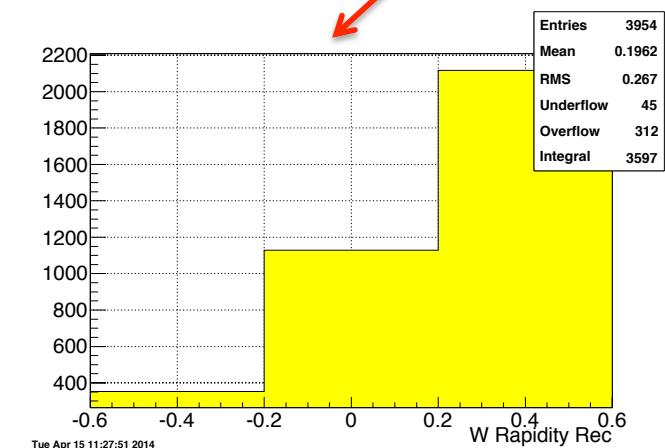
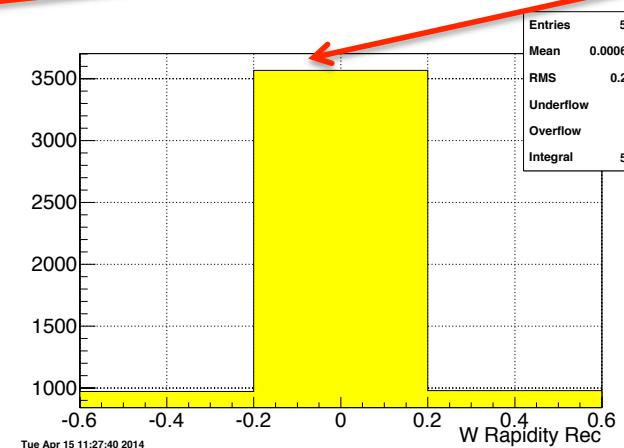
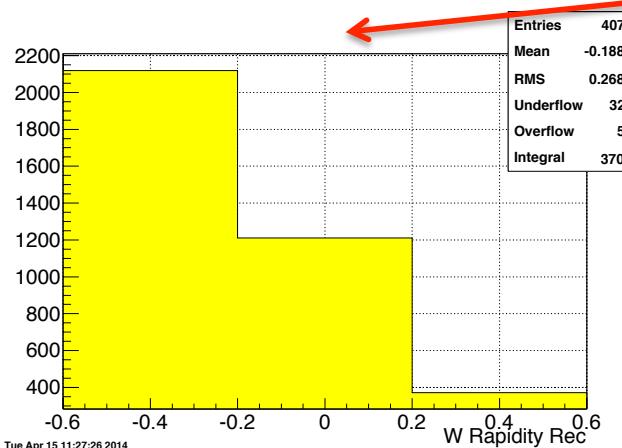
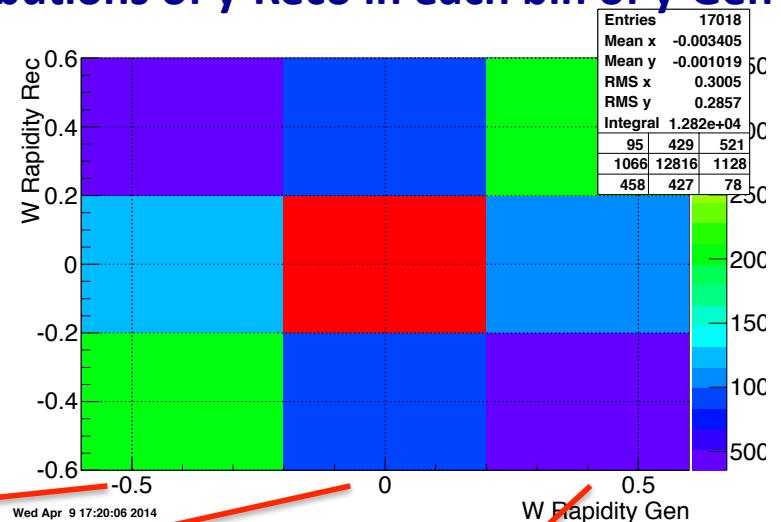
Distributions of y-Reco in each bin of y-Gen

Three W-y bins = {-0.6; -0.3; 0.3; 0.6}

bin1 survival probability = 52%

bin2 survival probability = 63%

bin3 survival probability = 54%

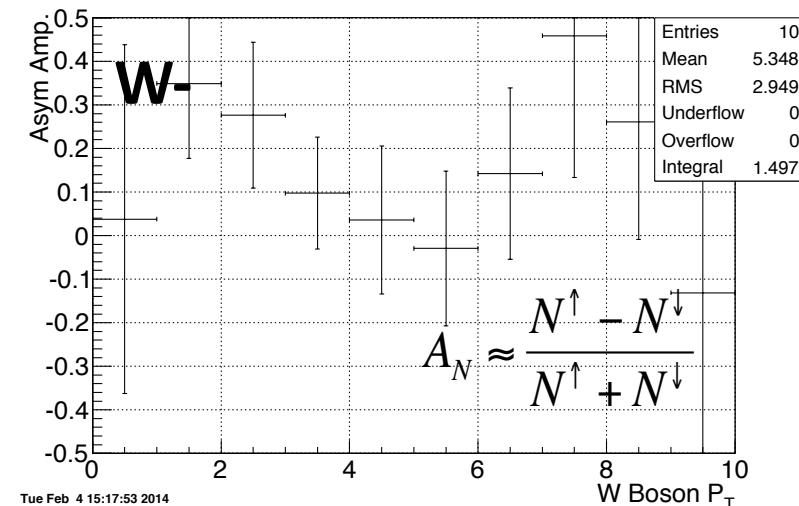
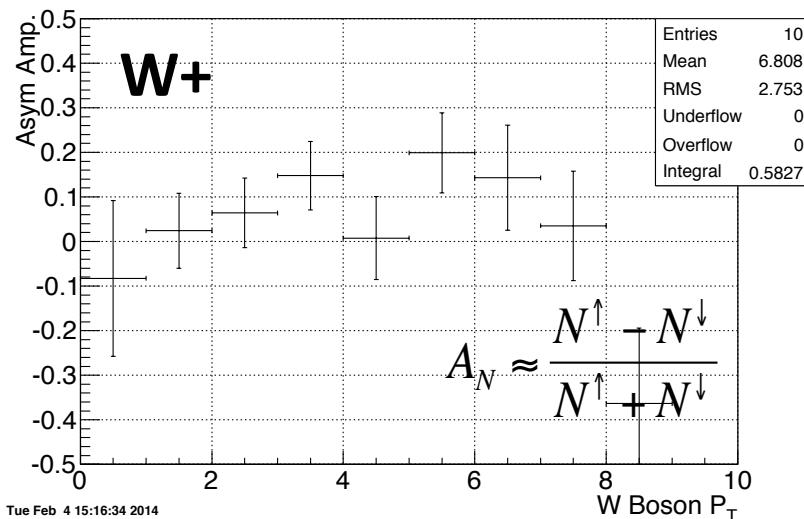
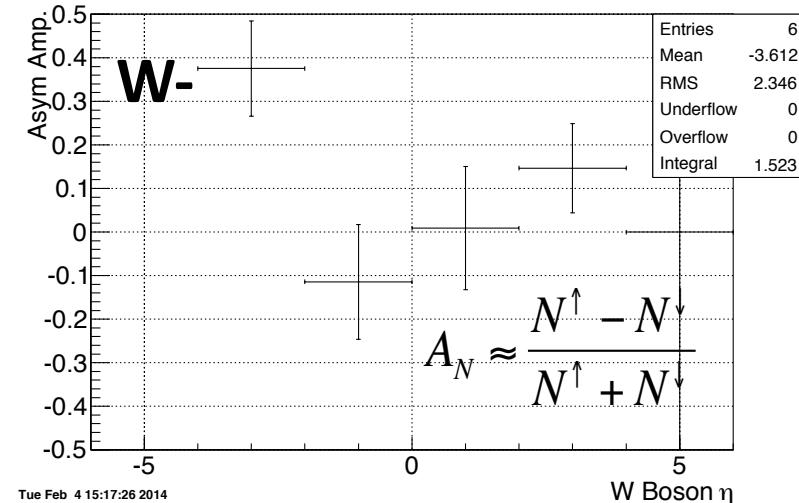
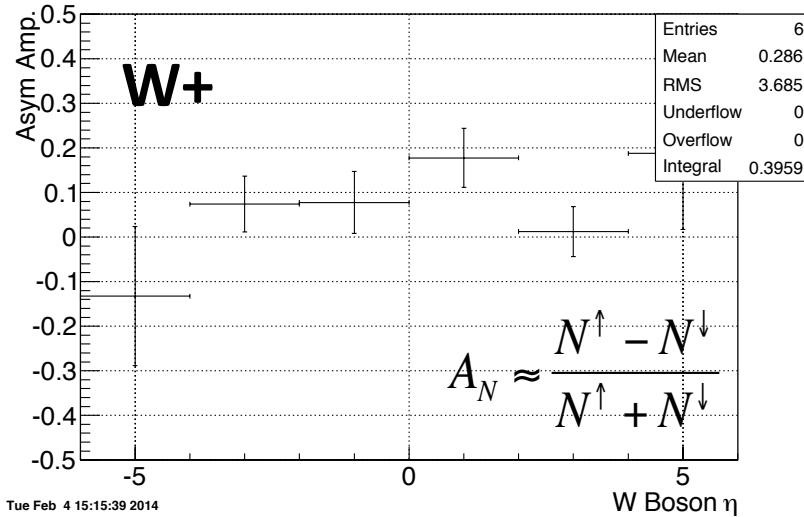


**~11% of reco. events
migrate more than
one y-bin**

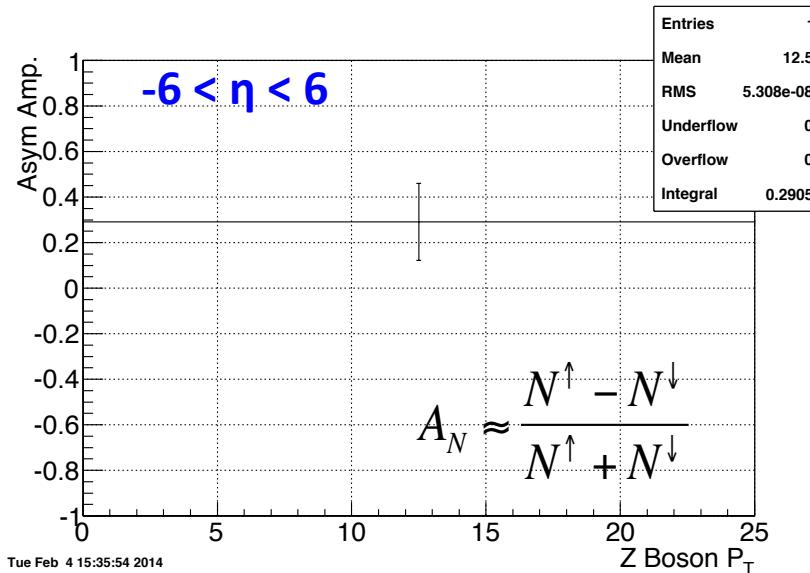
**~2% of reco. events
migrate more than
one y-bin**

**~11% of reco. events
migrate more than
one y-bin**

W plain asymmetry

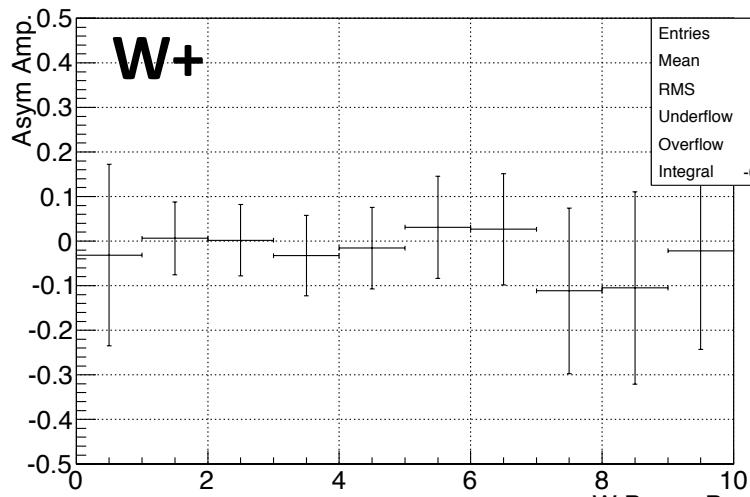
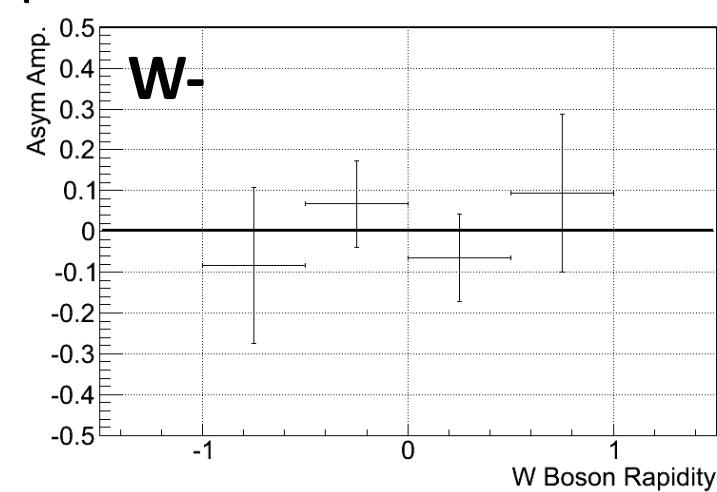
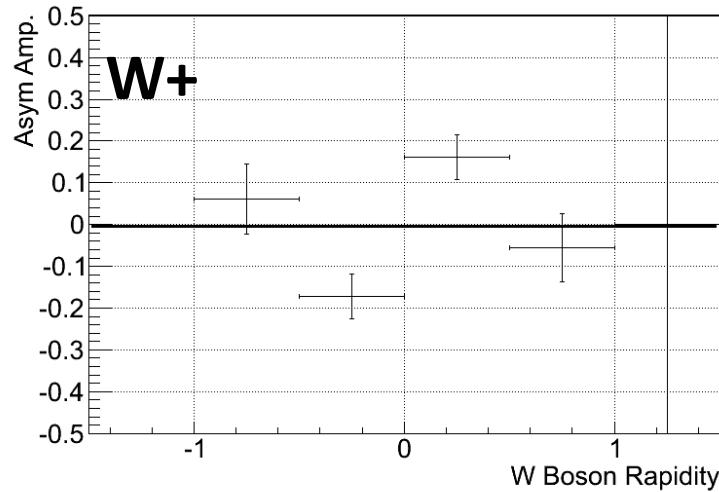


Z^0 plain asymmetry

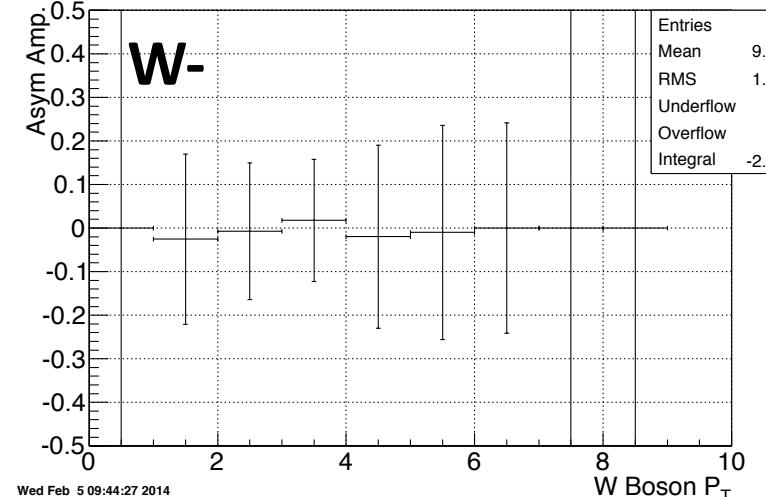


Geometrical Asymmetry

$$A_N \approx \frac{\sqrt{N_R^{\uparrow} N_R^{\downarrow}} - \sqrt{N_L^{\uparrow} N_L^{\downarrow}}}{\sqrt{N_R^{\uparrow} N_R^{\downarrow}} + \sqrt{N_L^{\uparrow} N_L^{\downarrow}}}$$



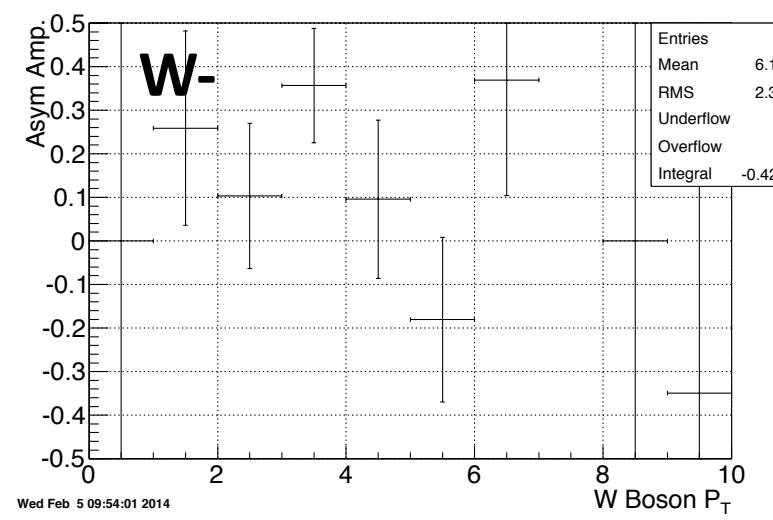
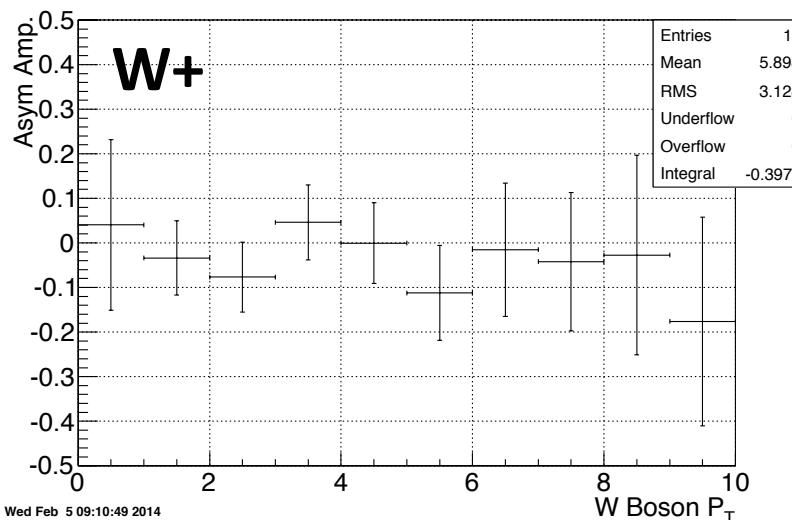
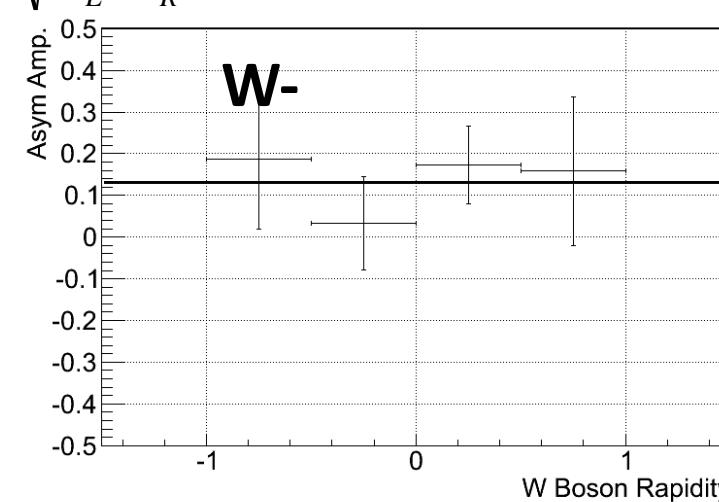
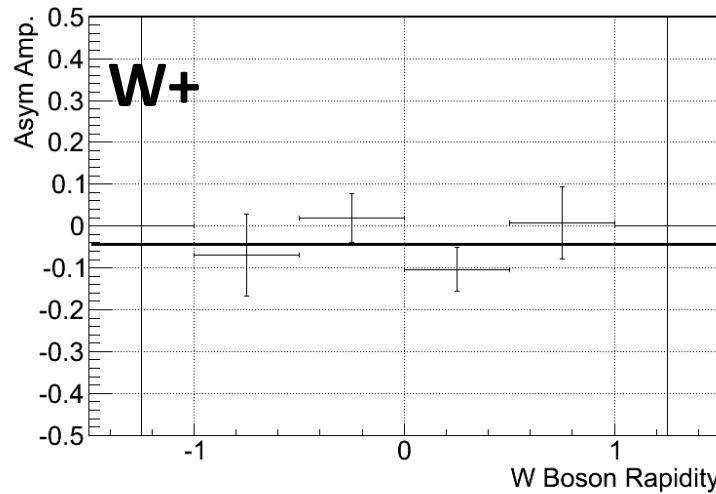
Aug. 25, 2014



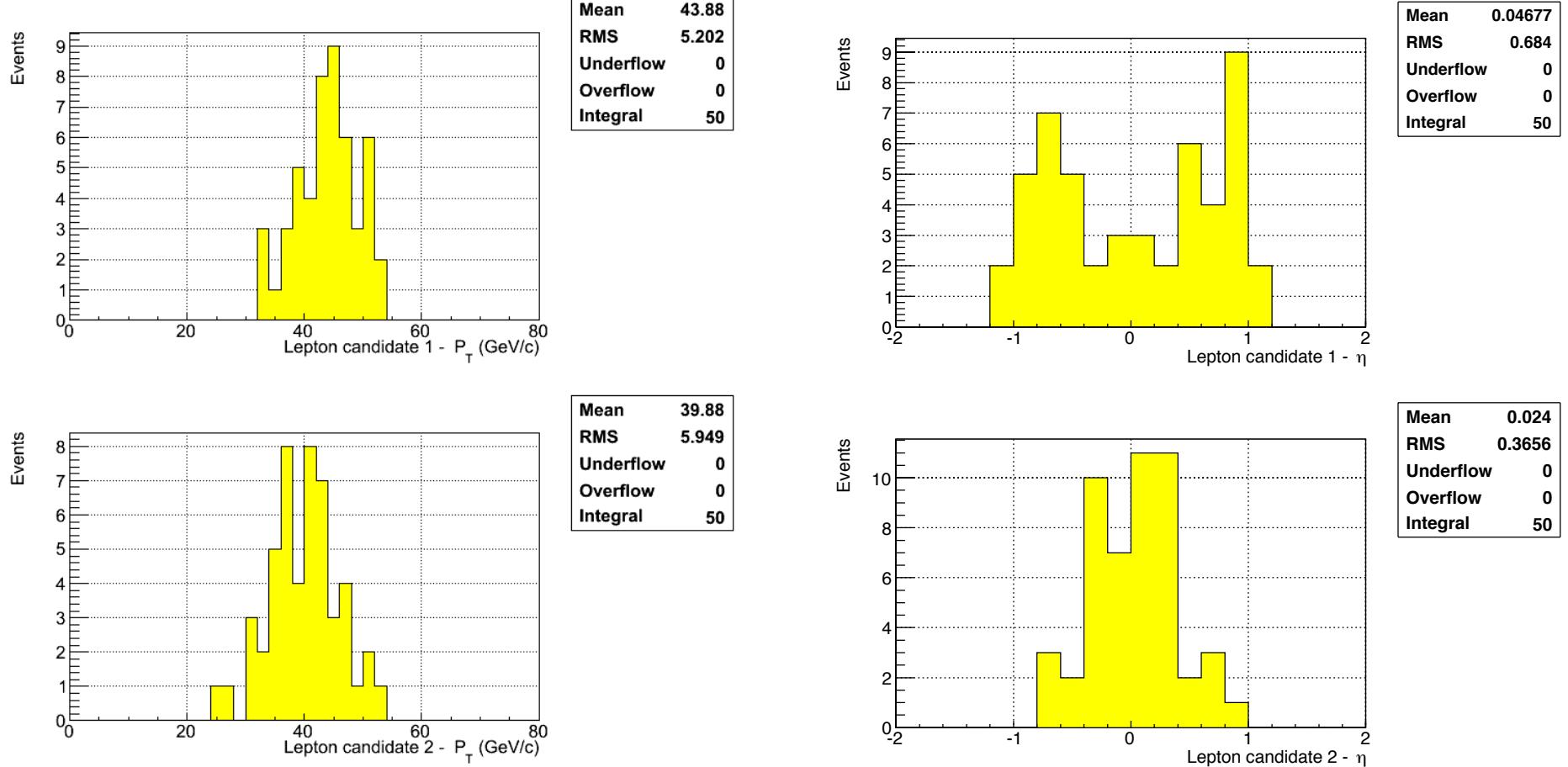
S. Fazio - PANIC 2014

Luminosity Asymmetry

$$A_N \approx \frac{\sqrt{N_R^{\uparrow} N_L^{\uparrow}} - \sqrt{N_L^{\downarrow} N_R^{\downarrow}}}{\sqrt{N_R^{\uparrow} N_L^{\uparrow}} + \sqrt{N_L^{\downarrow} N_R^{\downarrow}}}$$



Z^0 lepton candidates



Lepton candidate go to central rapidity and have large P_T