

Search for Supersymmetry in events with opposite-sign  
same-flavour dileptons, jets and  $E_T^{miss}$  with the CMS detector

Annual Meeting of the Helmholtz Alliance, 2014

Jan-Frederik Schulte, Christian Autermann, Lutz Feld,  
Christian Schomakers



02.12.2014

**RWTH**AACHEN  
UNIVERSITY

GEFÖRDERT VOM

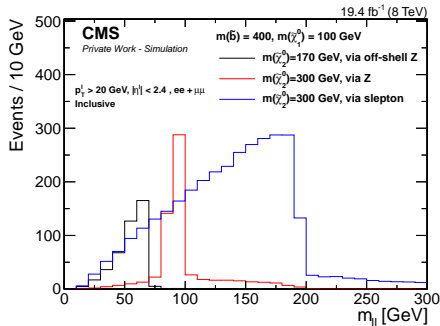


Bundesministerium  
für Bildung  
und Forschung

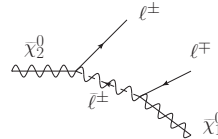
- 1 Dilepton signatures in Supersymmetry
- 2 Analysis Overview
- 3 Background prediction
- 4 Results of the counting experiment
- 5 Searching for dilepton mass edges with a kinematic fit
- 6 Summary

## Dilepton production

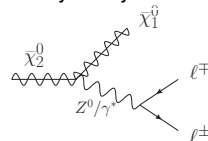
- Two same-flavour, opposite-sign leptons ( $e^+e^-$ ,  $\mu^+\mu^-$ , SF)
- Special emphasis on decay  $\tilde{\chi}_2^0 \rightarrow l^- l^+ \tilde{\chi}_1^0$
- Mass difference between  $\tilde{\chi}_2^0$  and  $\tilde{\chi}_1^0$   
→ edge in the distribution of the invariant mass of the dilepton system  $m_{ll}$



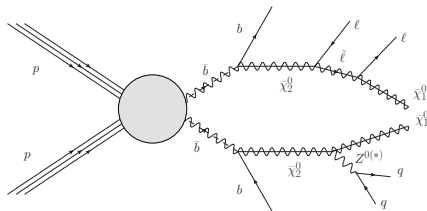
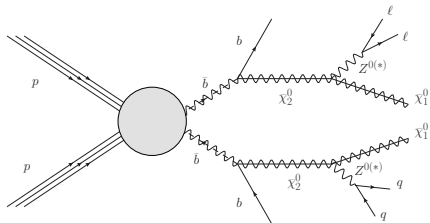
## Sequential 2-body decays



## 2-body decay with on-Shell or off-Shell Z



- Dilepton signature is part of larger decay chain
- in R-parity conserving models there are two decay chains
- Expect large missing transverse energy ( $E_T^{miss}$ ) from the undetected LSPs and several jets
- Example model: Production of sbottom squarks decaying to b quarks and  $\tilde{\chi}_2^0$



- Events are collected with Dilepton triggers ( $ee, \mu\mu, e\mu, \tau$  not considered)
- 2012 dataset collected by CMS,  $\sqrt{s} = 8 \text{ TeV}$ ,  $19.4 \text{ fb}^{-1}$
- Results public in CMS PAS-SUS-12-019
- Two analysis strategies

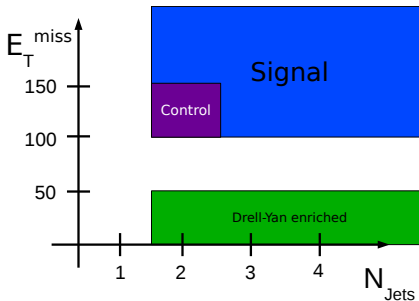
## Cut & Count at low invariant mass

- Search for an excess of events at low invariant dilepton mass  $m_{ll}$
- "Simple" cut & count approach:  
Count number of events passing event selection & compare to background prediction

## Search for kinematic edge

- Search for edge in dilepton invariant mass distribution
- Perform unbinned  
Maximum-Likelihood-Fit to exploit shape information
- Not restricted to low invariant mass range

- 2 leptons ( $p_T > 20$  GeV,  $|\eta| < 2.4$ )
  - $e^\pm e^\mp$  } signal
  - $\mu^\pm \mu^\mp$  } signal
  - $e^\pm \mu^\mp$  } control
- 2 regions in lepton- $\eta$ :
  - Central:  $|\eta| < 1.4$
  - Forward: at least one  $|\eta| > 1.6$
- 2 regions  $m_{ll}$ :
  - Cut & Count experiment:  $20 \text{ GeV} < m_{ll} < 70 \text{ GeV}$
  - Edge search:  $m_{ll} > 20 \text{ GeV}$
- $N_{jets}$ : Number of jets with  $p_T > 40$  GeV and  $|\eta| < 3.0$
- Spatial separation of objects:
  - $\Delta R(\text{leptons}) > 0.3$
  - $\Delta R(\text{lepton, jets}) > 0.4$

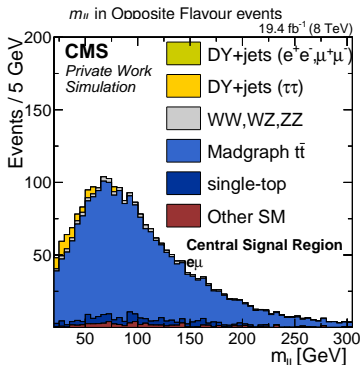
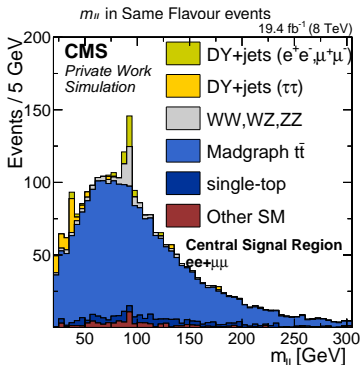


## Regions

- Signal region:
  - $E_T^{miss} > 100 \text{ GeV} \ \& \ N_{jets} \geq 3$  or
  - $E_T^{miss} > 150 \text{ GeV} \ \& \ N_{jets} \geq 2$
- Control region:
  - $100 \text{ GeV} < E_T^{miss} < 150 \text{ GeV} \ \& \ N_{jets} = 2$
- Drell-Yan control region:
  - $E_T^{miss} < 50 \text{ GeV} \ \& \ N_{jets} \geq 2$

Several SM processes contribute to event selection:

- Flavour-symmetric backgrounds ( 98%), e.g.  $t\bar{t}$ , Drell-Yan  $\rightarrow \tau\tau$ , fake leptons  
 $\rightarrow$  estimated from  $e\mu$ -events
- Backgrounds with Z bosons, e.g. Drell-Yan  $\rightarrow ee, \mu\mu$ . Both Z-Peak and continuum estimated from data
- Rare processes like  $t\bar{t}V$ , Diboson covered by the estimates for the other two



## Flavour symmetric backgrounds

- $e^+e^- + \mu^+\mu^-$  estimated from  $e^\pm\mu^\mp$
- Reco/Id and trigger efficiencies cancel to first order when comparing SF and OF
- Two independent methods to determine correction for remaining differences ( $R_{SF/OF}$ ):  
Direct measurement in control region and from measurement of efficiencies

$R_{SF/OF}$	Central	Forward
from efficiencies	$1.03 \pm 0.01 \pm 0.06$	$1.11 \pm 0.04 \pm 0.08$
from Control Region	$0.99 \pm 0.05 \pm 0.02$	$1.11 \pm 0.11 \pm 0.03$
Weighted Average	$1.00 \pm 0.04$	$1.11 \pm 0.07$

- 4% syst. uncertainty on dominant background in central region

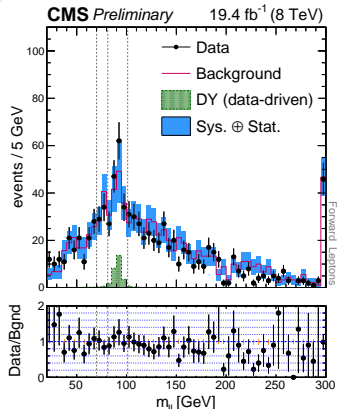
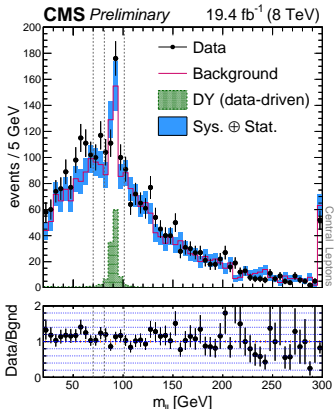
## Drell-Yan background

- Contribution on the Z peak estimated with two independent methods from data (Z-Jets-Balance and from  $\gamma + E_T^{miss}$  events)
- Prediction at low masses derived by multiplying with  $r_{out,in}$ , the ratio of peak and low mass in the Drell-Yan control region ( $\approx 7\%$ )



	central	forward
Observed [SF]	860	163
Flav. Sym. [OF]	$722 \pm 27 \pm 29$	$155 \pm 13 \pm 10$
Drell-Yan	$8.2 \pm 2.6$	$1.7 \pm 1.4$
Total Estimates	$730 \pm 40$	$157 \pm 16$
Observed - Estimated	$130^{+48}_{-49}$	$6^{+20}_{-21}$
Significance [ $\sigma$ ]	2.6	0.3

- Achieved 5%(10%) background uncertainty in central (forward) region
- Good agreement between prediction and observation in forward region
- Slight excess seen for central leptons



- Perform simultaneous, unbinned Maximum-Likelihood-Fit to  $m_{ll}$  distribution in  $ee$ ,  $\mu\mu$  and  $e\mu$  events in central & forward
- Model consists of three parts:

### Flavor-symmetric backgrounds

$$\mathcal{P}_{FSE}(m_{ll}) = \begin{cases} \mathcal{P}_{FSE,1}(m_{ll}) = c_1 \cdot m_{ll}^{\alpha} & \text{if } 20 < m_{ll} < m_{ll}^{(1)} \\ \mathcal{P}_{FSE,2}(m_{ll}) = \sum_{i=0}^3 c_{2,i} \cdot m_{ll}^i & \text{if } m_{ll}^{(1)} < m_{ll} < m_{ll}^{(2)} \\ \mathcal{P}_{FSE,3}(m_{ll}) = c_3 \cdot e^{-\beta m_{ll}} & \text{if } m_{ll}^{(2)} < m_{ll} < 300 \end{cases}$$

Requesting 0<sup>th</sup> and 1<sup>st</sup> derivative to be continuous reduces number of free parameters to 6.

### Z-backgrounds

Convolution of Breit-Wigner  $\otimes$  Double-Sided Crystal Ball, parameters fixed in Drell-Yan control region, normalization free parameter in signal region.

### Signal Model

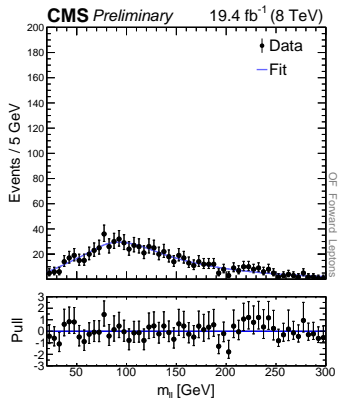
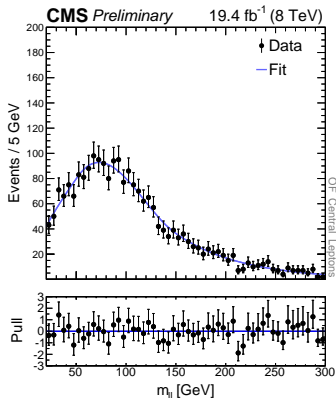
Triangle  $\otimes$  Gaussian to model the edge

$$\mathcal{P}_S(m_{ll}) = \frac{1}{\sqrt{2\pi}\sigma_{ll}} \int_0^{m_{ll}^{edge}} y \cdot \exp\left(-\frac{(m_{ll} - y)^2}{2\sigma_{ll}^2}\right) dy$$

$R(SF/OF)$  is nuisance parameter, parametrized with Gaussian

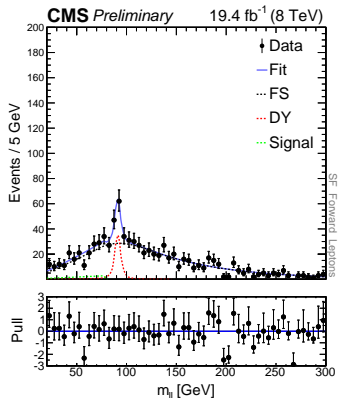
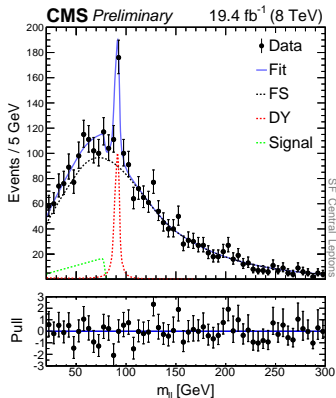
	Central	Forward
Drell-Yan	$158 \pm 23$	$71 \pm 15$
Flav. Sym. [OF]	$2270 \pm 44$	$745 \pm 25$
$R_{SF}/OF$	1.03	1.02
Signal events	$126 \pm 41$	$22 \pm 20$
$m_{\ell\ell}^{\text{edge}}$ [GeV]	$78.7 \pm 1.4$	
Local Significance [ $\sigma$ ]	2.4	

- Results comparable to counting experiment
- No excess seen in forward region
- 126(22) signal events in central(forward) region at and edge position of  $\approx 79$  GeV



	Central	Forward
Drell-Yan	$158 \pm 23$	$71 \pm 15$
Flav. Sym. [OF]	$2270 \pm 44$	$745 \pm 25$
$R_{SF}/OF$	1.03	1.02
Signal events	$126 \pm 41$	$22 \pm 20$
$m_{\ell\ell}^{\text{edge}}$ [GeV]	$78.7 \pm 1.4$	
Local Significance [ $\sigma$ ]	2.4	

- Results comparable to counting experiment
- No excess seen in forward region
- 126(22) signal events in central(forward) region at and edge position of  $\approx 79$  GeV



- Performed search for Supersymmetry in events with two SFOS leptons, jets und  $E_T^{miss}$
- Background prediction from data with high precision
- Results public since August (CMS-PAS-SUS-12-019)
- $2.6(0.3)\sigma$  deviation from expectation in central (forward) signal region
- Performed shape analysis with unbinned maximum likelihood fit in search for an edge
- Best edge position fitted to be at  $\approx 79$  GeV, local  $2.4\sigma$
- Conclude that we do not observe evidence for a significant signal
- Paper extending the counting experiment to on Z and high masses, including interpretation coming soon
- We are eager to study this again next year at  $\sqrt{s} = 13$  TeV and studies are ongoing to test our methods under the new conditions

Thank you for your attention

- Perform simultaneous, unbinned Maximum-Likelihood-Fit to  $m_{ll}$  distribution in  $ee$ ,  $\mu\mu$  and  $e\mu$  events in central & forward
- Likelihood defined as product of probability density functions (PDFs) of the model for all events in a dataset
- Simultaneous fit: Multiply likelihoods for the six datasets
- Use RooFit-package to minimize  $-\log\mathcal{L}$

$$\begin{aligned}
 \mathcal{L}(m_{ll}; \mathbf{p}) = & \text{Poisson Factors}(\text{measured number of events, fitted number of events}) \\
 & \times \prod_{\text{central, forward}} \\
 & \times \prod_{e^+e^-} [n_{B,ee} \cdot \mathcal{P}_{FS}(m_{ll}; \mathbf{p}_{FS}) + n_{Z,ee} \cdot \mathcal{P}_Z(m_{ll}; \mathbf{p}_Z^e) + n_{S,ee} \cdot \mathcal{P}_S(m_{ll}; \mathbf{p}_S^e)] \\
 & \times \prod_{\mu^+\mu^-} [n_{B,\mu\mu} \cdot \mathcal{P}_{FS}(m_{ll}; \mathbf{p}_{FS}) + n_{Z,\mu\mu} \cdot \mathcal{P}_Z(m_{ll}; \mathbf{p}_Z^\mu) + n_{S,\mu\mu} \cdot \mathcal{P}_S(m_{ll}; \mathbf{p}_S^\mu)] \\
 & \times \prod_{e^\pm\mu^\mp} [n_{B,e\mu} \cdot \mathcal{P}_{FS}(m_{ll}; \mathbf{p}_{FS})] \\
 & \times \text{Gaussian Constraints}(R_{SF/OF}).
 \end{aligned}$$

- Perform simultaneous, unbinned Maximum-Likelihood-Fit to  $m_{ll}$  distribution in  $ee$ ,  $\mu\mu$  and  $e\mu$  events in central & forward
- Opposite Flavour: fit only model for flavour-symmetric backgrounds:

kinematic turnon for  $f(m_{ll}) < m_1$ :

$$\mathcal{P}_{FS,1}(m_{ll}) = a \cdot m_{ll}^b \quad (1)$$

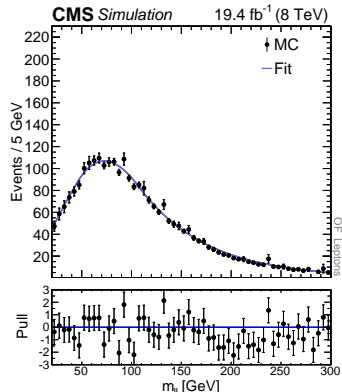
polynomial for  $m_1 < f(m_{ll}) < m_2$ :

$$\mathcal{P}_{FS,2}(m_{ll}) = c + d \cdot m_{ll} + e \cdot m_{ll}^2 + f \cdot m_{ll}^3 \quad (2)$$

exponential for  $f(m_{ll}) > m_2$ :

$$\mathcal{P}_{FS,3}(m_{ll}) = g \cdot e^{(-h \cdot m_{ll})} \quad (3)$$

Require function to be continuously differentiable in  $m_1$  and  $m_2$



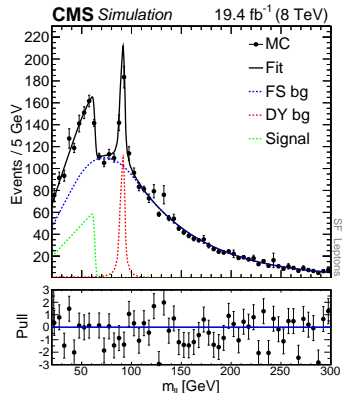


- Perform simultaneous, unbinned Maximum-Likelihood-Fit to  $m_{ll}$  distribution in  $ee$ ,  $\mu\mu$  and  $e\mu$  events in central & forward
- Same Flavour: fit additionally model for Z-Peak and signal:

- Signal model: Triangular shape with endpoint at kinematic mass edge, smeared by resolution:

$$\mathcal{P}_S(m_{ll}) = \frac{1}{\sqrt{2\pi}\sigma} \int_0^{m_{\max}} dy \cdot y \cdot e^{-\frac{(m_{ll}-y)^2}{2\sigma^2}}. \quad (4)$$

- Endpoint  $m_{\max}$  common parameter between Central and Forward region



- Correction factor  $R_{SF/OF}$  has to be considered in the fit
- Connection of yields in  $ee$  and  $\mu\mu$  datasets reduces number of free parameters:

$$n_{Sig,ee} = f_{ee} \cdot n_{Sig}, \quad n_{Sig,\mu\mu} = (1 - f_{ee}) \cdot n_{Sig}, \quad (5)$$

$$n_{Z,ee} = f_{ee} \cdot n_Z, \quad n_{Z,\mu\mu} = (1 - f_{ee}) \cdot n_Z. \quad (6)$$

- The background in the simultaneous fit is further constraint by  $R_{SF/OF}$ :

$$n_{B,ee} = f_{ee} \cdot R_{SF/OF} \cdot n_{B,e\mu}, \quad n_{B,\mu\mu} = (1 - f_{ee}) \cdot R_{SF/OF} \cdot n_{B,e\mu}. \quad (7)$$

- $R_{SF/OF}$  free parameter, constraint by Gaussian with mean and width set to measured values