

# BSM theories face Higgs coupling data

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based on

Gupta, Rzehak and Wells (1206.3560)

Gupta, Montull and Riva (1212.5240)

Gupta, Rzehak and Wells (to appear soon)

# Part I

- LEP precision data can probe physics up to 3 TeV although LEP Energy was only 209 GeV.
- Can LHC Higgs data also go beyond direct searches?

# How well do we *need* to measure Higgs couplings?

- Find **maximal** allowed deviation if **no** other **EWSB state** is **accessible** at the LHC **even in the long run**. We will call this the **target** value.
- Because if such a state is seen we would already know that the Higgs sector is exotic. Higgs couplings will then give only complementary information.
- If **no such state is seen**, Higgs **coupling deviations** would be **primary evidence** of BSM physics.

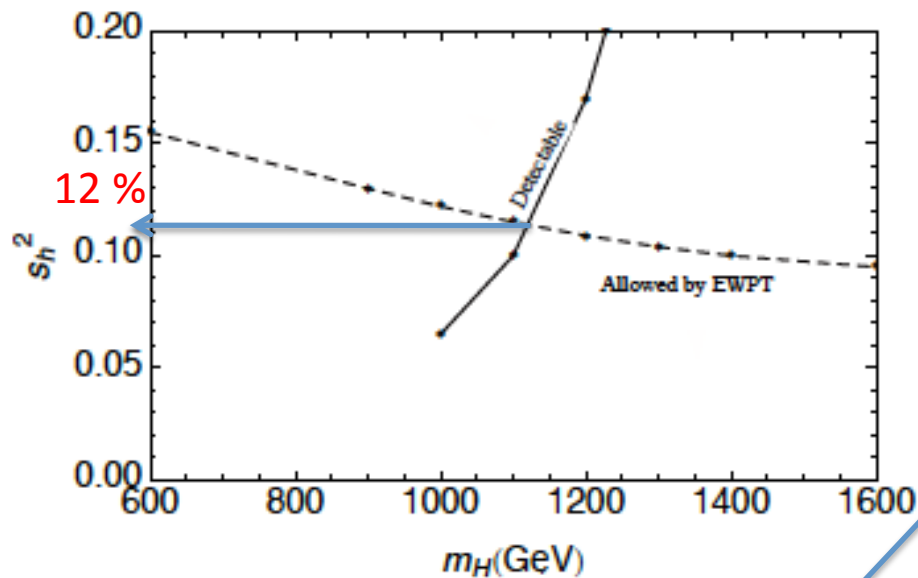
# How well do we *need* to measure Higgs couplings?

- Find **maximal** allowed deviation if **no** other **EWSB state** is **accessible** at the LHC **even in the long run**. We will call this the **target** value.

Eg.: Heavier Higgses in SUSY,  
composite resonances

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# Mixed-in singlet



Gives us two Higgs states **share** SM couplings:

$$g_h^2 = c_h^2 g_{SM}^2$$

$$g_H^2 = s_h^2 g_{SM}^2.$$

Precision Observables:

$$S = c_h^2 S_{SM}(m_h) + s_h^2 S_{SM}(m_H)$$

$$T = c_h^2 T_{SM}(m_h) + s_h^2 T_{SM}(m_H)$$

Thus we find **target**:

$$\Delta g_h / g_{SM} \approx -s_h^2 / 2 = -6 \%$$

New term in Lagrangian:  $|H_{SM}|^2 |\Phi_S|^2$  → Singlet

Detectability curve based on work of Bowen, Cui and Wells (2007)

# Composite PNGB Higgs

- SILH Lagrangian: 
$$\mathcal{L}_{SILH} = \frac{c_H}{2f^2} \partial^\mu (H_{SM}^\dagger H_{SM}) \partial_\mu (H_{SM}^\dagger H_{SM})$$

$$+ \frac{c_Y y_f}{f^2} H_{SM}^\dagger H_{SM} \bar{f}_L H_{SM} f_R$$

$$+ \frac{c_S g g'}{4m_\rho^2} (H_{SM}^\dagger \sigma_I H_{SM}) B_{\mu\nu} W^{I\mu\nu} + h.c..$$
  
 (Giudice, Grojean,  
 Pomarol and Rattazzi (2007))

- Coupling deviations of order  $c_i \xi$  where  $\xi = v^2/f^2$ .
- Precision constraints imply  $\xi < 0.15$ .
- Thus we get coupling deviation targets of order of tens of %.

# MSSM

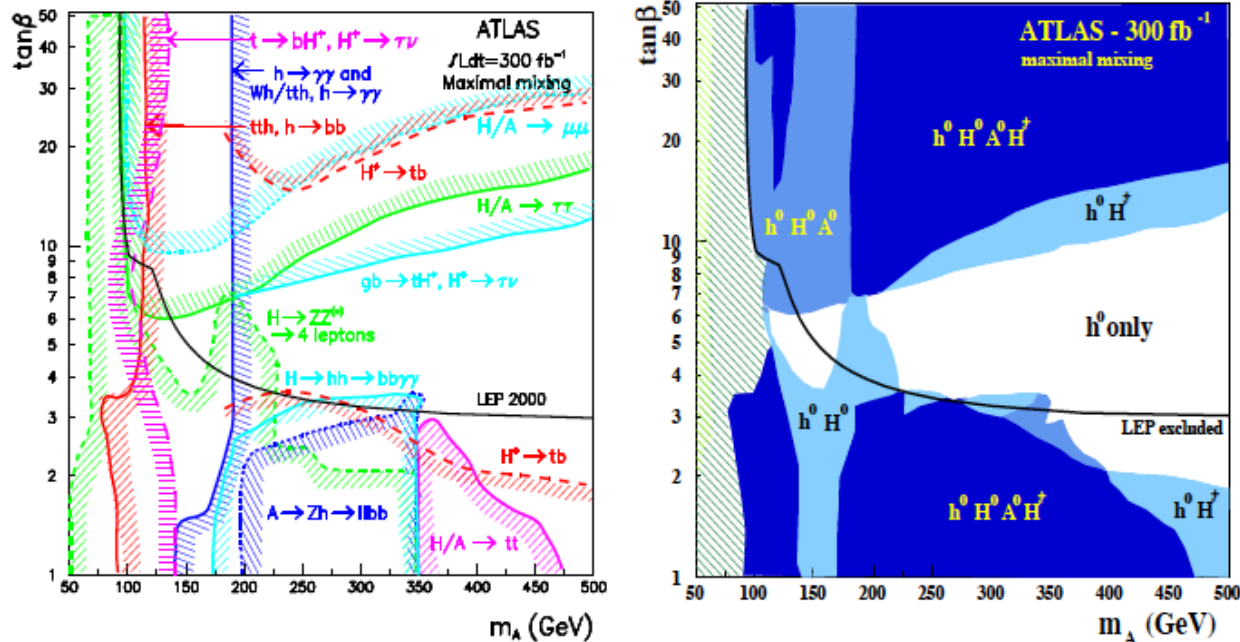
- MSSM Higgs coupling deviations:

$$\begin{aligned}
 g_{h\bar{u}u} &\xrightarrow{M_A \gg M_Z} 1 + \frac{M_Z^2 \sin 4\beta}{2M_A^2 \tan \beta} \xrightarrow{\tan \beta \gg 1} 1 - \frac{2M_Z^2}{M_A^2 \tan^2 \beta} \rightarrow 1 \\
 g_{hdd} &\xrightarrow{M_A \gg M_Z} 1 - \frac{M_Z^2 \sin 4\beta \tan \beta}{2M_A^2} \xrightarrow{\tan \beta \gg 1} 1 + \frac{2M_Z^2}{M_A^2} \rightarrow 1 \\
 g_{hVV} &= \sin(\beta - \alpha) \xrightarrow{M_A \gg M_Z} 1 - \frac{M_Z^4 \sin^2 4\beta}{8M_A^4} \xrightarrow{\tan \beta \gg 1} 1 - \frac{2M_Z^4}{M_A^4 \tan^2 \beta} \rightarrow 1
 \end{aligned}$$

Suppression

- hdd* coupling deviations most important.
- Region near  $\tan \beta=5$  and  $m_A=200$  GeV, inaccessible to direct searches. Higgs coupling deviation measurements are more sensitive here.
- Targets large in this region.

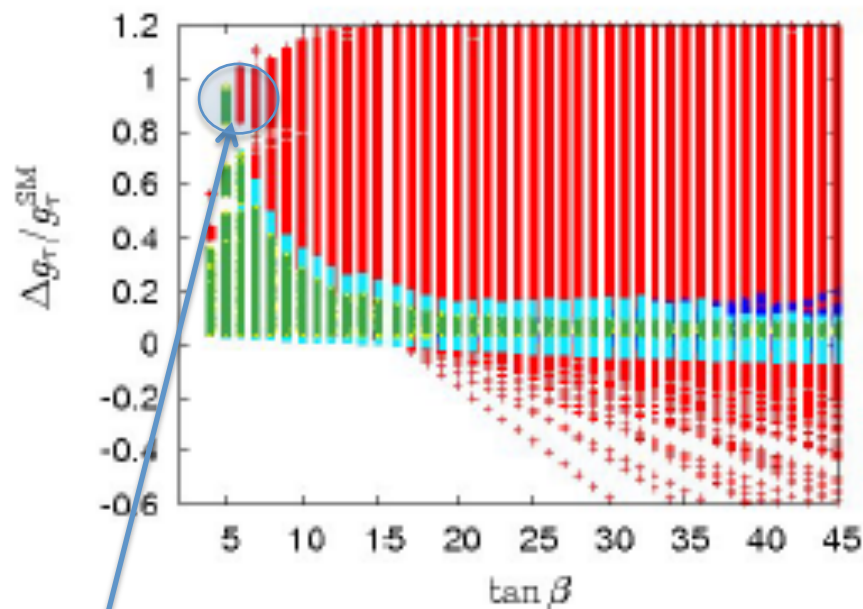
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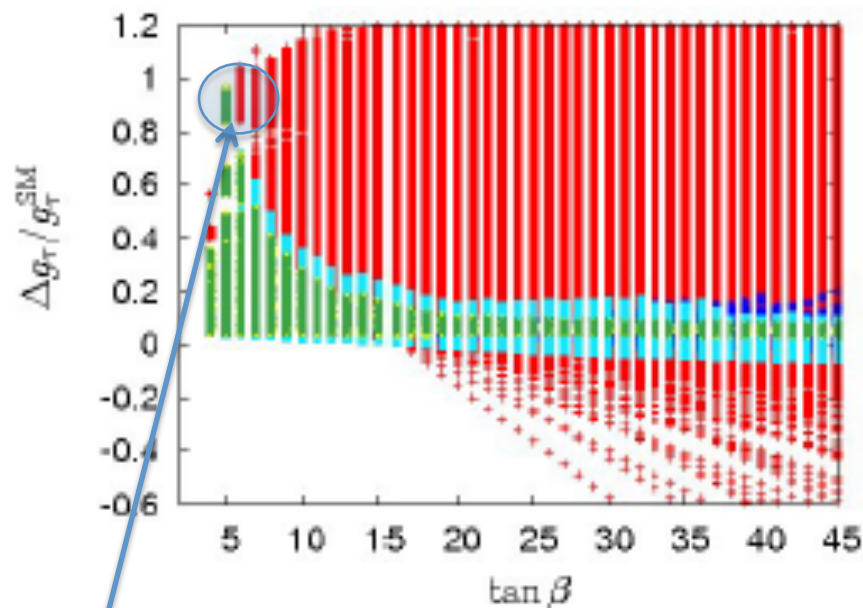


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# Higgs coupling Targets

	$\Delta hVV$	$\Delta htt$	$\Delta hbb$
Mixed-in Singlet	6%	6%	6%
Composite Higgs	8%	tens of %	tens of %
Minimal Supersymmetry	< 1%	3%	10% <sup>a</sup> , 100% <sup>b</sup>
LHC 14 TeV, 3 ab <sup>-1</sup>	8%	10%	15%

(*a* refers to  $\tan \beta > 20$ , *b* to all other cases)

Higgs couplings need to be measured to at least about **10 % accuracy** in different models. As LHC does not have this precision this is the **strongest argument for linear colliders**.

# Self-Coupling Targets

Model	$\Delta hhh$
Mixed-in Singlet	-18%
Composite Higgs	tens of %
Minimal Supersymmetry	-2% <sup>a</sup> - 15% <sup>b</sup>
NMSSM	-25 %
LHC 3 ab <sup>-1</sup>	-30 %, +20 %

(*a* refers to  $\tan \beta > 10$ , *b* to all other cases)

Self-coupling **targets  $\sim 20\%$** .

Gupta, Rzehak, Wells (to appear soon)

## Part-2

- To show that any SUSY modification to **raise the Higgs mass** would **necessarily change Higgs couplings in a correlated way**.
- Find **bounds** on SUSY models (MSSM and beyond) from *present Higgs data*.
- Showing that **Higgs coupling** data **more sensitive** than **direct search** data in certain regions of the parameter space.

# MSSM

- MSSM Higgs coupling deviations:

$$\begin{aligned}
 g_{h\bar{u}u} & \xrightarrow{M_A \gg M_Z} 1 + \frac{M_Z^2 \sin 4\beta}{2M_A^2 \tan \beta} \xrightarrow{\tan \beta \gg 1} 1 - \frac{2M_Z^2}{M_A^2 \tan^2 \beta} \rightarrow 1 \\
 g_{hdd} & \xrightarrow{M_A \gg M_Z} 1 - \frac{M_Z^2 \sin 4\beta \tan \beta}{2M_A^2} \xrightarrow{\tan \beta \gg 1} 1 + \frac{2M_Z^2}{M_A^2} \rightarrow 1 \\
 g_{hVV} & = \sin(\beta - \alpha) \xrightarrow{M_A \gg M_Z} 1 - \frac{M_Z^4 \sin^2 4\beta}{8M_A^4} \xrightarrow{\tan \beta \gg 1} 1 - \frac{2M_Z^4}{M_A^4 \tan^2 \beta} \rightarrow 1
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Suppression

- hdd* coupling deviations most important.
- Region near  $\tan \beta=5$  and  $m_A=200$  GeV, inaccessible to direct searches. Higgs coupling deviation measurements are more sensitive here.
- Targets large in this region.

# Understanding SUSY Higgs coupling deviations

- Write potential in terms of  $h$  and  $H$ , where:

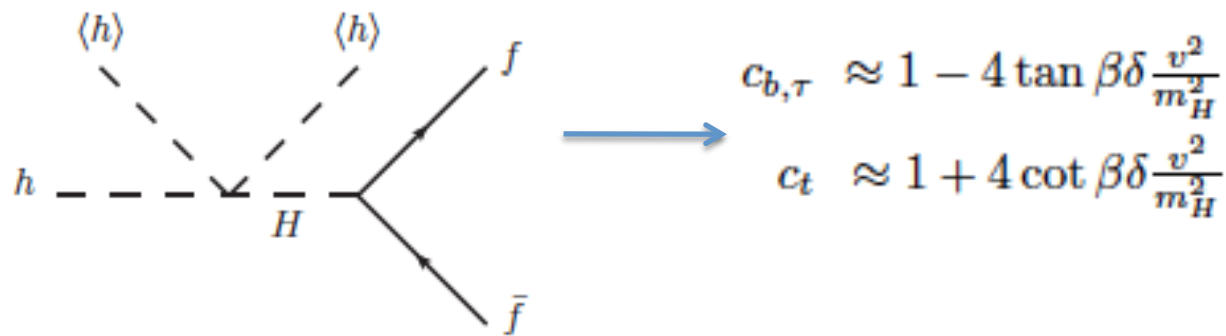
$h_1^0 = \cos \beta h + \sin \beta H$  gets full VEV  
 $h_2^0 = \sin \beta h - \cos \beta H$  changes Higgs couplings

$\Delta V(H_1, H_2) = -\delta_\lambda h^4 + \delta h^3 H + \delta_2 h^2 H^2 + \delta_3 h H^3 + \delta_4 H^4$

- $H$  and  $h$  almost mass eigenstates if  $m_A \gg m_Z$  ( $m_A > 350$  GeV).

# Understanding SUSY Higgs coupling deviations

- Integrate out  $H$  to obtain:

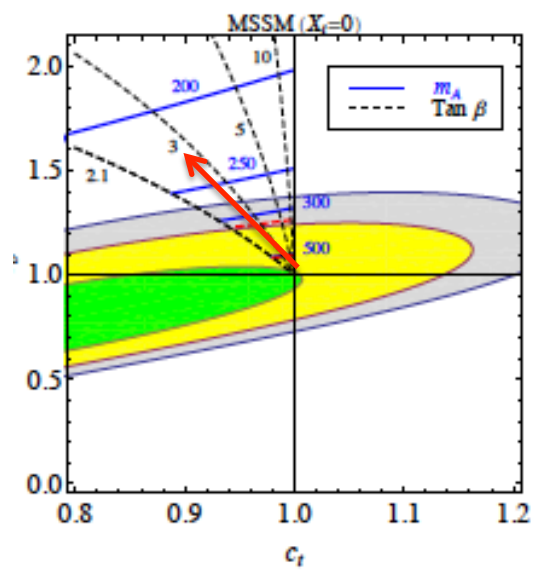


<u>MSSM</u>	+	<u>Stops</u>
$\delta\lambda = \frac{m_Z^2}{16v^2}(c_\beta^2 - s_\beta^2)^2,$		$\delta\lambda = s_\beta^4 \frac{\lambda_2}{8}$
$\delta = \frac{m_Z^2}{2v^2} s_\beta c_\beta (c_\beta^2 - s_\beta^2)$	+	$\delta = -4s_\beta^3 c_\beta \frac{\lambda_2}{8}.$
$c_b \approx 1 + \frac{m_h^2 - m_Z^2 \cos 2\beta}{m_H^2},$		
$c_t \approx 1 - (\cot \beta)^2 \frac{m_h^2 - m_Z^2 \cos 2\beta}{m_H^2}.$		

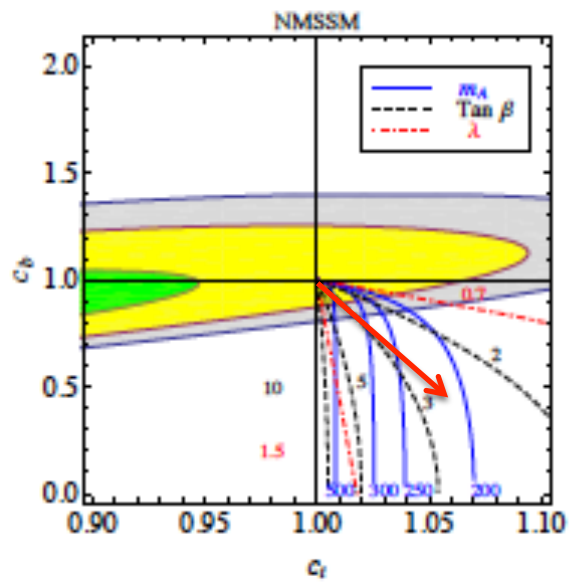
<u>D-terms</u>
$\delta\lambda = \frac{m_Z^2}{16v^2}(c_\beta^2 - s_\beta^2)^2,$
$\delta = \frac{m_Z^2}{2v^2} s_\beta c_\beta (c_\beta^2 - s_\beta^2)$
$m_Z^2/v^2 \rightarrow 4\kappa.$
$c_b \approx 1 + 2 \frac{m_h^2}{m_H^2} \frac{t_\beta^2}{t_\beta^2 - 1}$
$c_t \approx 1 - 2 \frac{m_h^2}{m_H^2} \frac{1}{t_\beta^2 - 1}$

<u>NMSSM</u>
$\delta\lambda = \frac{\lambda^2}{16} \sin^2 2\beta.$
$\delta = -\frac{\lambda^2}{8} \sin 4\beta$
$c_b \approx 1 - \frac{t_\beta^2 - 1}{2} \frac{m_h^2 - m_Z^2}{m_H^2}$
$c_t \approx 1 + \frac{t_\beta^2 - 1}{2t_\beta^2} \frac{m_h^2 - m_Z^2}{m_H^2},$

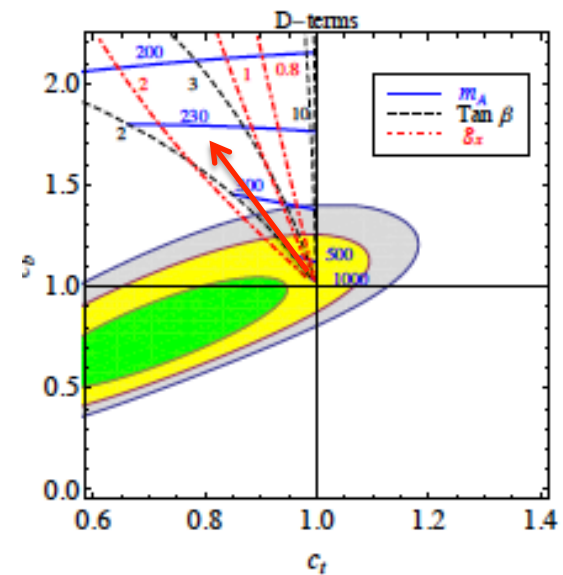




MSSM



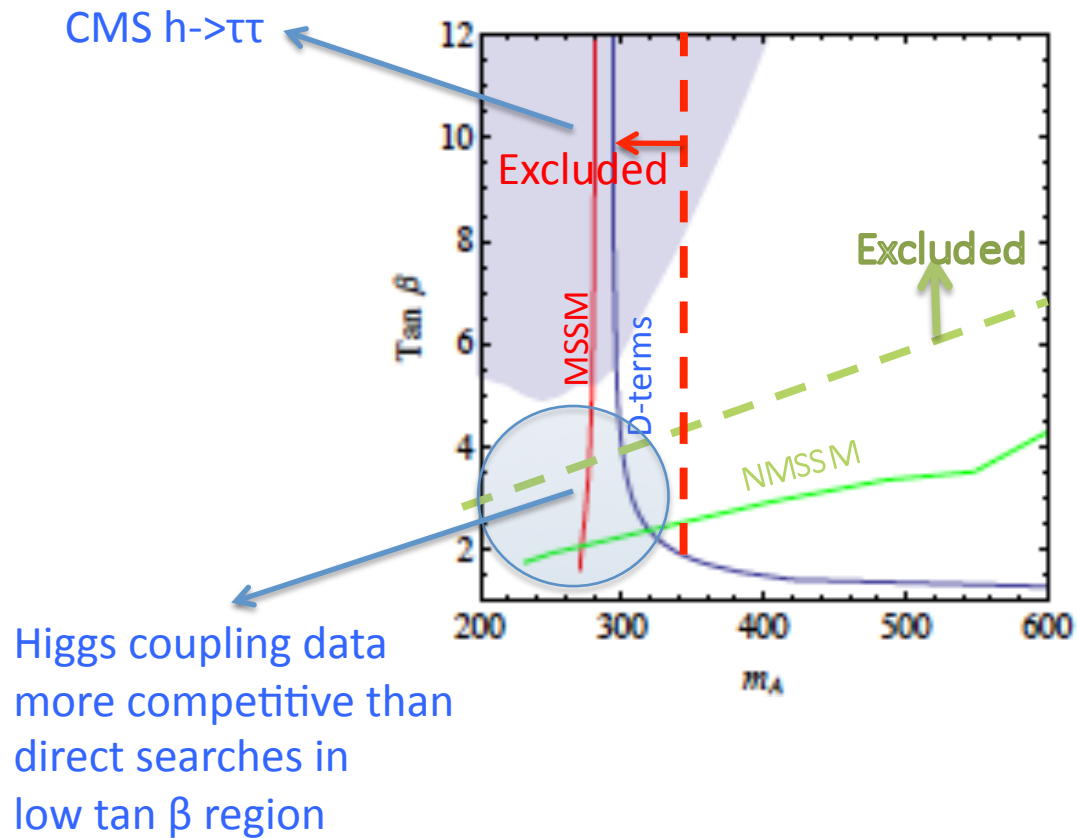
NMSSM



D-terms

- Any SUSY modifications to raise the Higgs mass would necessarily change Higgs couplings in a correlated way.

# Exclusions



# Summary

- Higgs couplings need to be measured to at least **about 10 % accuracy** in different models. As LHC does not have this precision this is the **strongest argument for linear colliders**.
- In the MSSM **Higgs coupling measurements surpass direct searches** in the **low  $\tan \beta$**  region.
- SUSY modifications to **raise the Higgs mass** would necessarily **change Higgs couplings** in a **correlated** way.